



Monte Carlo net

V MCnet network meeting

"Drell-Yan process & parton shower"

Updates of my work

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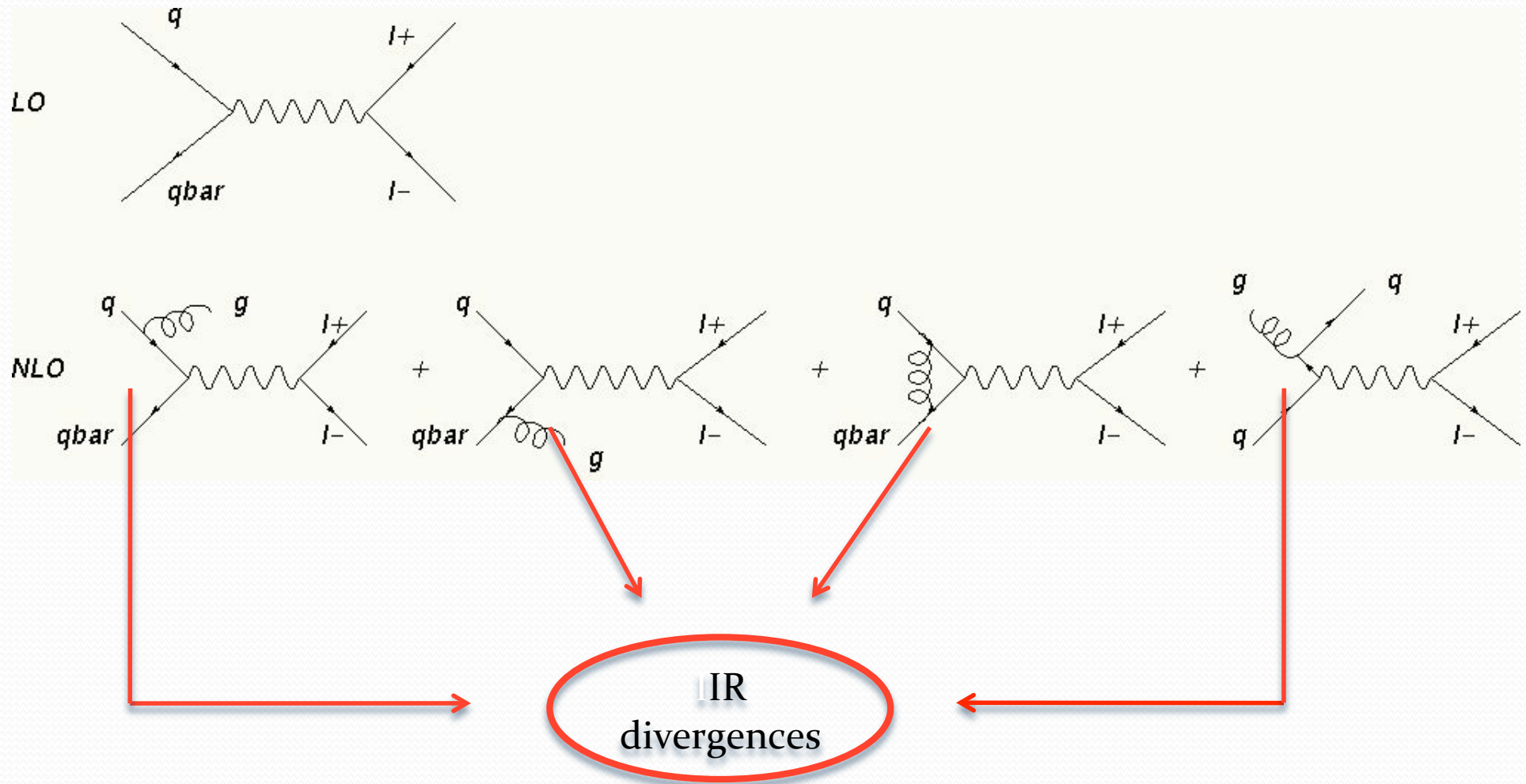
Plan

- Introduction
- Status of my work
- Summary and outlook of my studies

Why Drell-Yan process?

- Process-parton shower interface & matching
- Starting with easiest process
- Implement it in C++
- Use own code
- Integrate it in Herwig++

Drell-Yan process



Catani-Seymour subtraction method I

hep-ph/9605323

$$\sigma^{LO} = \int_m d\sigma^B$$

$$\sigma^{NLO} = \int_{m+1} d\sigma^R + \int_m d\sigma^V$$

General idea:

$$d\sigma^{NLO} = [d\sigma^R - d\sigma^A] + d\sigma^A + d\sigma^V$$

$$\sigma^{NLO} = \int_{m+1} [d\sigma^R - d\sigma^A] + \int_{m+1} d\sigma^A + \int_m d\sigma^V$$

$$\sigma^{NLO} = \int_{m+1} \left[\left(d\sigma^R \right)_{\varepsilon=0} - \left(d\sigma^A \right)_{\varepsilon=0} \right] + \int_m \left[d\sigma^V + \int_1 d\sigma^A \right]_{\varepsilon=0}$$

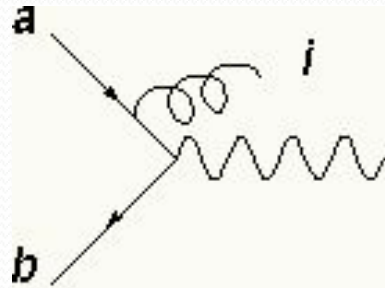
$$d\sigma^A = \sum_{dipoles} d\sigma^B \otimes dV_{dipole}$$

The counterterm:

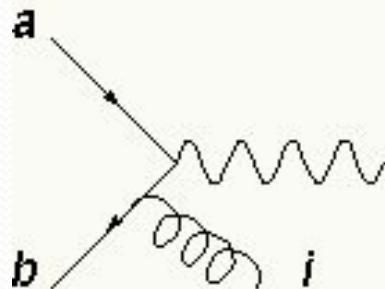
- Has to exactly match the singular behaviour of real term
- Has to be integrable analytically over the single parton subspace leading IR divergences
- Has to be convenient for MC integration
- Is constructed in a way that is process independent

Dipoles for Drell-Yan process

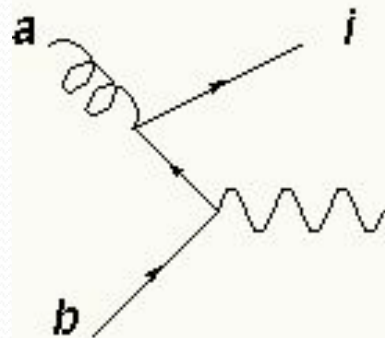
$D^{ai,b}$



$D^{bi,a}$



$D^{(n) ai,b}$



**Checked by hand that
these dipoles cancel
the singular
behaviour of cross
section at NLO!**

LO Drell-Yan subprocesses

$q\bar{q} \rightarrow \gamma^* \rightarrow l^+ l^- \longrightarrow$ Completely implemented at NLO

$q\bar{q} \rightarrow Z^0 \rightarrow l^+ l^- \longrightarrow \dots$

$q\bar{q} \rightarrow Z^0 \rightarrow \nu_l \bar{\nu}_l \longrightarrow \dots$

$q\bar{q} \rightarrow W^+ \rightarrow \nu_l l^+$

$q\bar{q} \rightarrow W^- \rightarrow \bar{\nu}_l l^-$

**The subprocesses
have been studied by
hand!**

- Take care of possible interference term
- Characterise completely the massive final states
- Random number generator and phase space generator
- Cuts: Rapidity and Lego Plot Separation



Once the code is done

Fixed a subprocess:

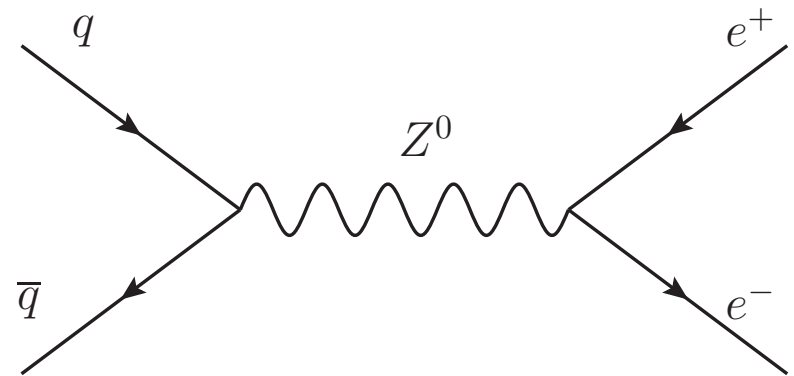
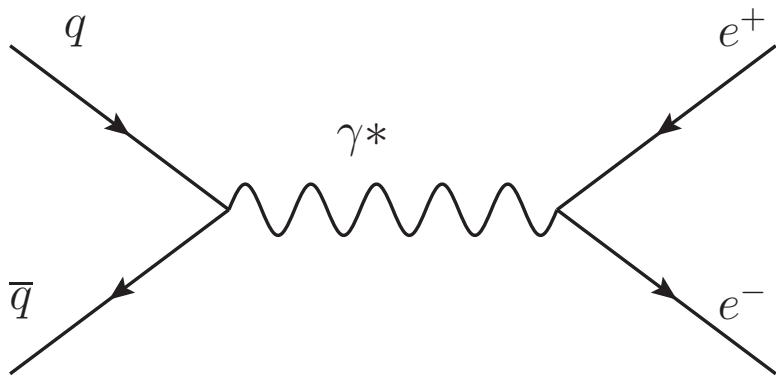
- Debug it at LO
- Implement LO-code in ThePEG
- Checks
- Debug it at NLO
- Implement NLO-code in ThePEG
- Checks
- Matching



Debug

Fixed subprocess: $q\bar{q} \rightarrow \gamma^* / Z^0 \rightarrow e^+e^-$

$$\frac{d\sigma}{d\cos\theta d\phi} = \frac{\alpha^2}{12Q^2} \left[(1 + \cos^2\theta)A + \cos\theta B \right]$$



Formula

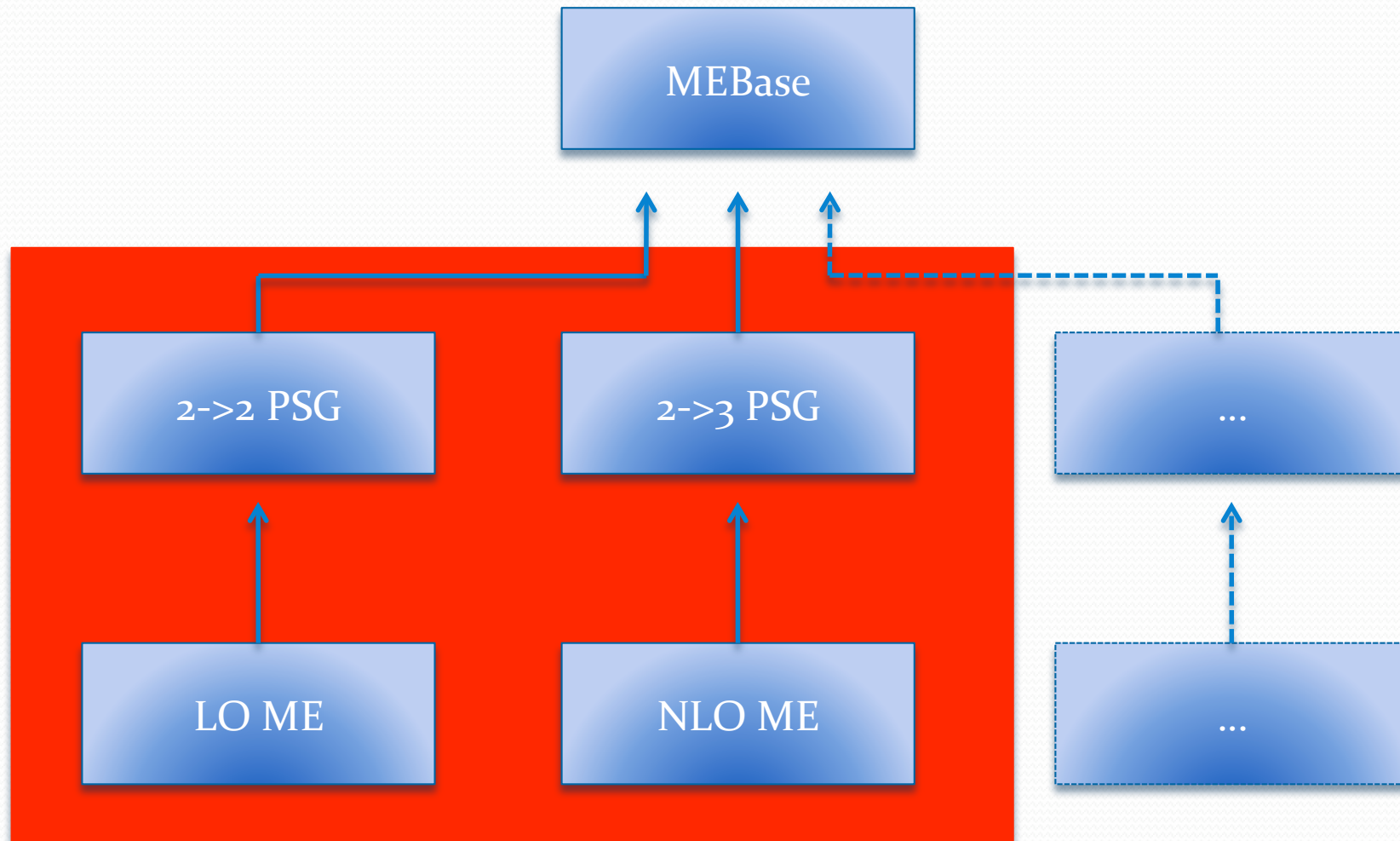
$$A = Q_q^2 + 2g_V^e g_V^q \operatorname{Re} \chi(Q^2) + \left[\left(g_A^e\right)^2 + \left(g_V^e\right)^2 \right] \left[\left(g_A^q\right)^2 + \left(g_V^q\right)^2 \right] \left| \chi(Q^2) \right|^2$$

$$B = 4g_A^e g_A^q \operatorname{Re} \chi(Q^2) + 8g_A^e g_V^e g_A^q g_V^q \left| \chi(Q^2) \right|^2$$

$$g_V^e = -\frac{1}{2} + 2 \sin^2 \theta_w, \quad g_V^q = \frac{1}{2} - 2Q_q \sin^2 \theta_w, \quad g_A^e = -\frac{1}{2}, \quad g_V^e = \frac{1}{2},$$

$$\chi(Q^2) = \frac{Q^2}{4 \sin^2 \theta_w \cos^2 \theta_w} \frac{1}{Q^2 - M_Z^2 + i\Gamma_Z M_Z}$$

Implementation as ThePEG ME



Summary and outlook

- QCD Phenomenology
- Monte Carlo Method
- C++ structures
- External Herwig++ libraries (LHAPDF, CLHEP)
- Root
- Debug (Checks by hand, HELAC)
- ThePEG (MEBase, ME2to2Base, ...)
- Interface my code with Simon's shower
- Other processes (VBF)



Long term outlook

- Become familiar with such interface
- Deal with more complicate processes
- Write interface for general matrix element