



Experimental results on lepton flavour universality (violation in B decays)

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On behalf of LHCb-UK

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Flavour Anomalies



Over the past decade we have observed a coherent set of tensions with SM predictions $% \left({{{\rm{SM}}} \right) = 0} \right)$

- In $b \rightarrow s \ell^+ \ell^-$ transitions (FCNC)
 - 1. Branching Fractions
 - \rightarrow Large theory uncertainties (excl $B^{\mathbf{0}}_{(s)} \rightarrow \ell^+ \ell^-$ see later)).

2. Angular analyses

- \rightarrow Can access observables with reduced dependence on theory uncertainties.
- 3. Lepton Flavour Universality involving μ/e ratios
 - \rightarrow Theoretically pristine
- In $b
 ightarrow c \ell
 u$ transitions (tree-level)
 - 4. Lepton Flavour Universality involving μ/ au ratios
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$b ightarrow s\ell\ell$ decays

 $B^+ \to K^+ \ell^+ \ell^-, B^0 \to K^{*0} \ell^+ \ell^-, B_s \to \phi \mu^+ \mu^-, \Lambda_b \to \Lambda^* \ell^+ \ell^-,$ $B^0_{(s)} \rightarrow \ell^+ \ell^- \dots$



In SM

- Loop level
- ▷ GIM suppressed
- Left-handed chirality
- \rightarrow NP could violate any of these
- Large number of observables sensitive to the full gamut of new physics couplings



Theory formalism

 The Operator Product Expansion lies at the heart of the description of rare B decay measurements

$$\mathcal{H}_{eff} \approx -\frac{4G_{F}}{\sqrt{2}} V_{tb} V_{ts(d)}^{*} \sum_{i} C_{i}^{SM} \mathcal{O}_{i} + \sum_{i} C_{i}^{NP} \mathcal{O}_{i}$$

- "Integrate" out heavy ($\mu \ge m_W$) field(s) and introduce set of:
 - \triangleright Wilson coefficients C_i describing the (perturbative) short distance part
 - \triangleright Operators \mathcal{O}_i describing the (non-perturbative) long distance part
 - Account for strong interaction effects difficult to calculate

Sensitivity to New Physics



Different decays probe different operators:

Operator $\mathcal{O}_i^{(')}$	$B_{s(d)} \rightarrow X_{s(d)} \mu^+ \mu^-$	$B_{s(d)} \rightarrow \mu^+ \mu^-$	$B_{s(d)} \rightarrow X_{s(d)}\gamma$
$\mathcal{O}_7^{(`)}$ EM	\checkmark		\checkmark
$\mathcal{O}_9^{(`)}$ Vector dilepton	\checkmark		
$\mathcal{O}_{10}^{(^{\prime})}$ Axial-vector dilepton	\checkmark	\checkmark	
$\mathcal{O}_{S,P}^{(`)}$ (Pseudo-)Scalar dilepton	(√)	\checkmark	

► The ^(') denote chirality flipped counterparts

The LHCb detector





▶ UK responsible for VeLo and RICH systems

Lepton Flavour Universality tests

In the SM couplings of gauge bosons to leptons are independent of lepton flavour

 \rightarrow Branching fractions differ only by phase space and helicity-suppressed contributions

► Ratios of the form:

$$R_{\mathcal{K}^{(*)}} := \frac{\mathcal{B}(B \to \mathcal{K}^{(*)} \mu^+ \mu^-)}{\mathcal{B}(B \to \mathcal{K}^{(*)} e^+ e^-)} \stackrel{\text{SM}}{\cong} 1$$

- ▶ In SM free from QCD uncertainties affecting other observables → $\mathcal{O}(10^{-4})$ uncertainty [JHEP07(2007)040]
- ▶ Up to *O*(1%) QED corrections [EPJC76(2016)8,440]

 \rightarrow Any significant deviation is a smoking gun for New Physics.

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LFU tests with $b ightarrow c \ell u$



- Good theoretical control due to factorisation of leptonic and hadronic components in decay.
- ▶ Tree level process in SM \rightarrow requires huge new physics contribution in contrast to $b \rightarrow s\ell\ell$ where the SM is suppressed.

$b ightarrow c \ell u$ LFU status



- Combination of LHCb results and BaBar/Belle
 - Precision dominated by B-factories
 - ▷ Measurements with LHCb's Run2 underway
- \blacktriangleright Tension with SM $\sim 3.1\sigma$
- New FNAL/MILC lattice results on $B
 ightarrow D^*$: $< 3\sigma$ fnal/milc [2105.14019]



Further results from lattice and experiment are needed

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LFU tests with $b \rightarrow s \ell^+ \ell^-$ (pre-March 2021)



 $(q^2 \equiv \text{dilepton invariant mass squared})$

BaBar:[PRD86(2012)032012], Belle:[PRL103(2009)171801] ≈ 2.0 1.5 1.0 1.5 0.5 1.0 1.0 1.0 1.0 1.0 1.0 1.0 1.0 1.0 1.0 1.0 1.0 1.0 1.0 1.0 1.0 0.5 0.0 0.0 1.0 1.0 0.0

Left: $B^0 \to K^{*0}\ell^+\ell^- R_{K^*} \text{ 3fb}^{-1}$ [JHEP08(2017)055] Right: $B^+ \to K^+\ell^+\ell^- R_K \text{ 5fb}^{-1}$ [PRL122(2019)191801] Bottom: $\Lambda_b \to pK\ell^+\ell^- R_{pK} \text{ 4.7fb}^{-1}$ [JHEP05(2020)040] Latest LFU tests with $b
ightarrow s \ell^+ \ell^-$





- ► Update R_K in 1.1 < q² < 6.0 GeV²/c⁴ with the full Run2 dataset (doubling the number of B's as previous analysis)
- New LFU tests with:

$$\begin{array}{l} \triangleright \ \ B^+ \to {\cal K}^{*+}(\to {\cal K}_S \pi^+) \ell^+ \ell^- \ ({\cal R}_{{\cal K}^{*+}}) \ {\rm in} \ 0.045 < q^2 < 6.0 \, {\rm GeV}^2/c^4 \\ \triangleright \ \ B^0 \to {\cal K}_S \ell^+ \ell^- \ ({\cal R}_{{\cal K}_S}) \ {\rm in} \ 1.1 < q^2 < 6.0 \, {\rm GeV}^2/c^4 \end{array}$$



$R_{K^{(*)}}$: Electrons vs muons (I)

 Electrons lose a large fraction of their energy through Bremsstrahlung in detector material



► Most electrons will emit one energetic photon the before magnet.

 \rightarrow Look for photon clusters in the calorimeter ($E_T>75\,{\rm MeV})$ compatible with electron direction before magnet.

 \rightarrow Recover brem energy loss by "adding" the cluster energy back to the electron momentum.

$R_{K^{(*)}}$: Electrons vs muons (II)

▶ Even after the Bremsstrahlung recovery electrons still have degraded mass and q^2 resolution



 L0 calorimeter trigger requires higher thresholds, than L0 muon trigger, due to high occupancy.

- \rightarrow Use 3 exclusive trigger categories for e^+e^- final states
- 1. e^{\pm} from signal-B; 2. K^{\pm} from signal-B; 3. rest of event
- Particle ID and tracking efficiency larger for muons than electrons

LFUV results

$R_{K^{(*)}}$: Electrons vs muons (II)

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From previous result, LHCb [PRL122(2019)191801]



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$R_{K^{(*)}}$ Measurement Strategy



$$R_{K} = \frac{\mathcal{B}(B^{+} \to K^{+} \mu^{+} \mu^{-})}{\mathcal{B}(B^{+} \to K^{+} J/\psi(\mu^{+} \mu^{-}))} \Big/ \frac{\mathcal{B}(B^{+} \to K^{+} e^{+} e^{-})}{\mathcal{B}(B^{+} \to K^{+} J/\psi(e^{+} e^{-}))} = \frac{N_{\mu^{+} \mu^{-}}^{\text{rare}} \varepsilon_{\mu^{+} \mu^{-}}^{J/\psi}}{N_{\mu^{+} \mu^{-}}^{\text{rare}} \varepsilon_{\mu^{+} \mu^{-}}^{J/\psi}} \times \frac{N_{e^{+} e^{-}}^{J/\psi} \varepsilon_{e^{+} e^{-}}^{\text{rare}}}{N_{e^{+} e^{-}}^{\text{rare}} \varepsilon_{\mu^{+} \mu^{-}}^{J/\psi}}$$

 \rightarrow R_K is measured as a **double ratio** to cancel out most systematics

- Rare and J/ψ modes share identical selections apart from cut on q^2
- Yields determined from a fit to the invariant mass of the final state particles
- Efficiencies computed using simulation that is calibrated with control channels in data
- $(q^2 \equiv \text{dilepton invariant mass squared})$



$R_{K^{(*)}}$ Selection and backgrounds

- ► As in our previous measurement, use particle ID requirements and mass vetoes to suppress peaking backgrounds from exclusive *B*-decays to negligible levels
 - \triangleright Backgrounds of e.g $B^+ \to \bar{D}^0 (\to K^+ e^- \nu) e^+ \bar{\nu}$: cut on $m_{K^+ e^-} > m_{D^0}$
 - ▷ Mis-ID backgrounds, e.g. $B \to K \pi^+_{(\to e^+)} \pi^-_{(\to e^-)}$: cut on electron PID
- Multivariate selection to reduce combinatorial background and improve signal significance (BDT)
- Residual backgrounds suppressed by choice of $m(K^+\ell^+\ell^-)$ window
 - ► $B^+ \rightarrow K^+ J/\psi(e^+e^-)$
 - ► Partially reconstructed dominated by $B \rightarrow K^+ \pi^- e^+ e^-$ decays
 - Model in fit by constraining their fractions between trigger categories and calibrating simulated templates from data.

Cross-check our estimates using control regions in data and changing $m(K^+\ell^+\ell^-)$ window in fit





$R_{K^{(*)}}$ Efficiency calibration

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Following identical procedure to our previous measurement, the simulation is calibrated based on control data for the following quantities:

- Trigger efficiency.
- ► Particle identification efficiency.
- ▶ B⁺ kinematics.
- Resolutions of q^2 and $m(K^+e^+e^-)$.

Verify procedure through host of cross-checks.

Cross-checks: Measurement of $r_{J/\psi}$



LHCb [arXiv:2103.11769]

► To ensure that the efficiencies are under control, check

$$r_{J/\psi} = \frac{\mathcal{B}(B^+ \to K^+ J/\psi(\mu^+ \mu^-))}{\mathcal{B}(B^+ \to K^+ J/\psi(e^+ e^-))} = 1,$$

known to be true within 0.4% [Particle Data Group].

 \rightarrow Very stringent check, as it requires direct control of muons vs electrons.

Result:

$$r_{J/\psi} = 0.981 \pm 0.020 \text{ (stat + syst)}$$

• Checked that the value of $r_{J/\psi}$ is compatible with unity for new and previous datasets and in all trigger samples.

LHCb

Cross-checks: $r_{J/\psi}$ as a function of kinematics LHCb [arXiv:2103.11769]

• Test efficiencies are understood in all kinematic regions by checking $r_{J/\psi}$ is flat in all variables examined.



► Flatness of r_{J/ψ} 2D plots gives confidence that efficiencies are understood across entire decay phase-space.

 \rightarrow If take departure from flatness as genuine rather than fluctuations (accounting for rare-mode kinematics) bias expected on $R_{\rm K}$ is 0.1%



Cross-checks: Measurement of $R_{\psi(2S)}$

Measurement of the double ratio

$$R_{\psi(2S)} = \frac{\mathcal{B}(B^+ \to K^+\psi(2S)(\mu^+\mu^-))}{\mathcal{B}(B^+ \to K^+J/\psi(\mu^+\mu^-))} \left/ \frac{\mathcal{B}(B^+ \to K^+\psi(2S)(e^+e^-))}{\mathcal{B}(B^+ \to K^+J/\psi(e^+e^-))} \right|$$

- ► Independent validation of double-ratio procedure at q² away from J/ψ
- Result well compatible with unity:

$$R_{\psi(2S)} = 0.997 \pm 0.011 \text{ (stat + syst)}$$

 \rightarrow can be interpreted as world's best LFU test in $\psi(2S) \rightarrow \ell^+ \ell^-$





Systematic uncertainties

LHCb [arXiv:2103.11769]

Dominant sources: $\sim 1\%$

- Choice of fit model
 - \triangleright Associated signal and partially reconstructed background shape
- Statistics of calibration samples
 - Bootstrapping method that takes into account correlations between calibration samples and final measurement

Sub-dominant sources: $\sim 1\%$

- Efficiency calibration
 - \rightarrow Dependence on tag definition and trigger biases
 - ightarrow Precision of the q^2 and $m(K^+e^+e^-)$ smearing factors
 - \rightarrow Inaccuracies in material description in simulation

Total relative systematic of 1.5% in the final R_K measurement \rightarrow Expected to be statistically dominated



R_K with full Run1 and Run2 dataset

LHCb [arXiv:2103.11769]Submitted to Nature Physics

 $R_{K} = 0.846 \stackrel{+0.042}{_{-0.039}} (\text{stat}) \stackrel{+0.013}{_{-0.012}} (\text{syst})$

- ▶ *p*-value under SM hypothesis: 0.0010 → Evidence of LFU violation at 3.1σ
- ► Compatibility with the SM obtained by integrating the profiled likelihood as a function of R_K above 1
 - ▷ Taking into account the 1% theory uncertainty on R_{K} [EPJC76(2016)8,440]





$R_{\mathcal{K}}$ with full Run1 and Run2 dataset

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- ▶ p-value under SM hypothesis: 0.0010 → Evidence of LFU violation at 3.1σ
- ► Using R_K and previous measurement of $\mathcal{B}(B^+ \to K^+ \mu^+ \mu^-)$ [JHEP06(2014)133] determine $\mathcal{B}(B^+ \to K^+ e^+ e^-)$.
- Suggests electrons are more SM-like than muons.



$$\frac{\mathrm{d}\mathcal{B}(B^+ \to K^+ e^+ e^-)}{\mathrm{d}q^2} = (28.6 \ ^{+1.5}_{-1.4} (\mathrm{stat}) \ \pm 1.4 (\mathrm{syst})) \times 10^{-9} \ c^4 / \ \mathrm{GeV}^2.$$

$R_{K^{*+}}$ and R_{K_S}



▶ LFU tests with $B^+ \to K^{*+}(\to K_S \pi^+) \ell^+ \ell^$ and $B^0 \to K_S \ell^+ \ell^-$ with $K_S \to \pi^+ \pi^-$

• Analysis procedure identical to R_K

 $Dash R_{K^{*+}}$ measured in 0.045 $< q^2 < 6 \, {
m GeV}^2/c^4$

• Combined significance wrt SM 2σ





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1. Decay Rates

 Measurements consistently below theory predictions at low $q^2 \equiv m_{\ell\ell}^2$ for many $b \to s \mu^+ \mu^-$ decays



 q^2 [GeV²]

SM predictions suffer from large hadronic uncertainties

10

5

 $\frac{15}{q^2}$ [GeV²/c⁴]

 $q^2 [GeV^2/c^4]$

1. Decay Rates - The golden one



New $B^0_{(s)} \rightarrow \mu^+ \mu^-$ measurement by LHCb last March [2108.09283]

- Precise SM prediction (4% uncertainty) [Bobeth et al PRL112.101801], [Beneke et al JHEP10(2019)232]
- \blacktriangleright Combination with CMS and ATLAS \rightarrow measurement compatible with SM at 2σ



• $\mathscr{B}(B_s^0 \to \mu^+ \mu^-) = (3.09^{+0.46+0.15}_{-0.43-0.11}) \times 10^{-9}$

• $B^0 \to \mu^+\mu^-$ and $B^0_s \to \mu^+\mu^-\gamma$ compatible with background only at 1.7 σ and 1.5 σ

▶ Best limits on: $\mathcal{B}(B^0_{(s)} \to e^+e^-) < 2.5(9.4) \times 10^{-9}$ at 95% CL $\mathcal{B}(B^0_{(s)} \to \tau^+\tau^-) < 2.1(6.8) \times 10^{-3}$ at 90% CL [LHCb PRL124.211802], [LHCb PRL118.251802] \to SM contribution scales as $m^2_{e,\tau}/m^2_{\mu}$ compared to $B^0_{(s)} \to \mu^+\mu^-$

2. Angular analyses of $B \to K^* \mu^+ \mu^-$ and $B_s \to \phi \mu^+ \mu^-$

Large number of observables with complementary sensitivity to NP
 Orthogonal expt. systematics and more precise theory predictions

Left: $B^{0} \to K^{*0} \mu^{+} \mu^{-}$ [PRL125011802(2020)], Right: $B^{+} \to K^{*+} \mu^{+} \mu^{-}$ [arXiv:2012.13241]



- \blacktriangleright Combination of all angular observables suggests $\sim 3\sigma$ tension with SM predictions in each channel
- \blacktriangleright New $B_{\rm s} \to \phi \mu \mu$ angular analysis from LHCb [JHEP 11 (2021) 043] consistent with SM at 1.9σ

Putting it all together



▶ Combination all $b \rightarrow s \ell^+ \ell^-$ measurements

Consistent set of measurements

 $hinspace > 6\sigma$ from SM

► But $B \rightarrow K^{(*)}\mu^+\mu^-$ BF and angular observables potentially suffer from underestimated hadronic uncertainties related to $c\bar{c}$ loop contributions

 $\to B_s \to \mu^+ \mu^-$ and LFU observables have very clean theory predictions.

 $ho~\sim4.5\sigma$ from SM

 Measurements point to new vector coupling (C₉^µ)



Further measurements in the pipeline





LFU tests of angular observables in B→K*ℓℓ eg Q₅ = P'₅(µµ)-P'₅(ee)

Ongoing analysis at LHCb

▶ Measure R_K at $q^2 > 4m_D^2$ and test experimental methodology with control mode at $q^2 = 1 \, \text{GeV}^2/c^4$

Ongoing analyses at LHCb

• Measure charm loops in $B o K^{(*)} \mu^+ \mu^-$ from the data

 \rightarrow Can extract hadronic contributions directly from data [Bobeth et al EPJC(2018)78:451], [Blake, KP et al EPJC(2018)78:453]



Where else should we be looking?

Models that address anomalies can also explain hierarchical structure of quark and lepton mass matrices [sidori et al [PLB(2018)317] (models of flavour).



 \blacktriangleright With 300ab^-1 $pp \rightarrow \tau\tau$ ATLAS and CMS can probe significant fraction of parameter space

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Where else should we be looking?

Models that address anomalies can also explain hierarchical structure of quark and lepton mass matrices Isidori et al [PLB(2018)317] (models of flavour).



▶ Huge enhancement of $b \rightarrow s\tau\tau$ and $b \rightarrow s\tau\mu$ that LHCb Run3+ and Belle2 will be sensitive to



LHCb

Conclusions

- Over the past decade we have observed a **coherent** set of tensions with SM predictions in $b \rightarrow s\ell\ell$ and $b \rightarrow c\ell\nu$ decays
- ▶ This year's results of LFU in $b \rightarrow s\ell\ell$ provide evidence of LFU and further strengthen the tensions with SM.
- Analyses that will shed light to these anomalies underway
 Including further tests of experimental methodology at low q²
- Ongoing discussion in LHCb regarding a global p-value to the SM using all relevant measurements following procedure outlined in [Isidori et al PLB(2021)136644]
- Large imprints of anomalies expected in LFU and LFV decays with τ s and high energy signatures! (see next talks by Ben and Andreas)
- Run3 and beyond can provide a definitive understanding (see tomorrow's talk by Will)

Backup



Control mode fits

LHCb [arXiv:2103.11769]



Signal Lineshape



- The m(K⁺ℓ⁺ℓ⁻) distributions of the rare mode are obtained from simulated decays, calibrating the peak and width of the distribution using B⁺ → J/ψ(ℓ⁺ℓ⁻)K⁺ data.
- In the subsequent fit to the rare mode the m(K⁺ℓ⁺ℓ⁻) lineshape is fixed.
- The q² scale/resolution in the simulation is corrected using the same procedure
 - ightarrow the efficiency of the q^2 cut is calibrated from the data

$B^+ \to K^+ \ell^+ \ell^-$





LFUV results

Semileptonic vetos

LHCb [arXiv:2103.11769]



Parameter overlap (I)





Parameter overlap (II)





Efficiency calibration

Ratio of efficiencies determined with simulation carefully calibrated using control channels selected from data:

- Particle ID calibration
 - ▷ Tune particle ID variables for diff. particle species using kinematically selected calibration samples $(D^{*+} \rightarrow D^0(K^-\pi^+)\pi^+...)$ [EPJ T&I(2019)6:1]
- Calibration of q^2 and $m(K^+e^+e^-)$ resolutions

 \triangleright Use fit to $m(J/\psi)$ to smear q^2 in simulation to match that in data

- Calibration of B⁺ kinematics
- Trigger efficiency calibration



Calibration of B^+ kinematics

- Calibrate the simulation so that it describes correctly the kinematics of the B⁺'s produced at LHCb.
- Compare distributions in data and simulation using B⁺ → K⁺J/ψ(ℓ⁺ℓ⁻) candidates.
- ► Iterative reweighing of $p_T(B^+) \times \eta(B^+)$, but also the vertex quality and the significance of the B^+ displacement.



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Trigger efficiency



Especially for the electron samples, need to take into consideration some subtleties:

- dependence on how the calibration sample is selected,
- correlation between the two leptons in the signal.

Repeat calibration with different samples/different requirements on the accompanying lepton

 \rightarrow Associated systematic in the ratio of efficiencies is small

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LFUV results

Efficiency calibration summary

After calibration, very good data/MC agreement in all key observables



Maximal effect of turning off corrections results in relative shift R_K (+3 ± 1)% compared to 20% in $r_{J/\psi}$.

Demonstrates the robustness of the double-ratio method in suppressing systematic biases that affect the resonant and nonresonant decay modes similarly. Trigger strategy



[Credit: Dan Moise]

Same approach as in the previous analysis:

- for µµ channels, trigger on muons: LOMuon
- for ee channels, use three exclusive trigger categories: LOElectron, LOHadron, LOTIS
- systematics calculated and cross-checks performed for each trigger individually







Conclusions

Using the full LHCb dataset to date, presented:

- 1. Single most precise measurement of $\mathcal{B}(B_s^0 \to \mu^+\mu^-)$, improved precision on $\tau_{\mu^+\mu^-}$ and first every limit on $B_s^0 \to \mu^+\mu^-\gamma$
- 2. Updated R_K measurement $\rightarrow 3.1\sigma$ departure from LFU!
 - \rightarrow Reframing discussion on flavour anomalies



Complementarity between R_K and $\mathcal{B}(B_s^0 \to \mu^+ \mu^+)$ measurements crucial moving forward.

"...perhaps the end of the beginning."

2. Angular analysis of $B^0 o K^{*0} \mu^+ \mu^-$



▶ Differential decay rate of $B^0 \to K^{*0} \mu^+ \mu^-$ and $\bar{B}^0 \to \bar{K}^{*0} \mu^+ \mu^-$:

$$\begin{split} \frac{\mathrm{d}^4\Gamma[\bar{B}^0\to\bar{K}^{*0}\mu^+\mu^-]}{\mathrm{d}q^2\,\mathrm{d}\vec{\Omega}} = & \frac{9}{32\pi}\sum_i I_i(q^2)f_i(\vec{\Omega}) \quad \mathrm{and}\\ \frac{\mathrm{d}^4\bar{\Gamma}[\bar{B}^0\to K^{*0}\mu^+\mu^-]}{\mathrm{d}q^2\,\mathrm{d}\vec{\Omega}} = & \frac{9}{32\pi}\sum_i \bar{I}_i(q^2)f_i(\vec{\Omega}) \ , \end{split}$$

▶ I_i : bilinear combinations of 6 *P*-wave and 2 *S*-wave helicity amplitudes (since K^{*0} can be found in J = 1 and J = 0)

Reparametrise distribution in terms of:

$$S_{i} = \left(I_{i} + \bar{I}_{i}\right) \left/ \left(\frac{\mathrm{d}\Gamma}{\mathrm{d}q^{2}} + \frac{\mathrm{d}\bar{\Gamma}}{\mathrm{d}q^{2}}\right) \text{ and} A_{i} = \left(I_{i} - \bar{I}_{i}\right) \left/ \left(\frac{\mathrm{d}\Gamma}{\mathrm{d}q^{2}} + \frac{\mathrm{d}\bar{\Gamma}}{\mathrm{d}q^{2}}\right).$$

Determine 8 S_i and 8 A_i for P-wave K^{*0} through a quasi 4D angular and m_{Kπ} fit in bins of q²

What are these I_i s I hear you ask?



i	I_i	f_i			
1s	$\frac{3}{4}\left[\mathcal{A}_{\parallel}^{L} ^{2}+ \mathcal{A}_{\perp}^{L} ^{2}+ \mathcal{A}_{\parallel}^{R} ^{2}+ \mathcal{A}_{\perp}^{R} ^{2}\right]$	$\sin^2 \theta_K$	10	1 [1 4L12 - 1 4R12]	
1c	$ \mathcal{A}_0^{\rm L} ^2 + \mathcal{A}_0^{\rm R} ^2$	$\cos^2 \theta_K$	10	$\frac{1}{3} \left[\left \mathcal{A}_{\tilde{\mathbf{S}}} \right ^{-} + \left \mathcal{A}_{\tilde{\mathbf{S}}} \right ^{-} \right]$ $\sqrt{4} \mathbf{D}_{S} \left(\mathbf{A} \mathbf{L} \mathbf{A} \mathbf{L}^{*} + \mathbf{A} \mathbf{R} \mathbf{A} \mathbf{R}^{*} \right)$	1
2s	$rac{1}{4}\left[\mathcal{A}_{\parallel}^{\mathrm{L}} ^{2}+ \mathcal{A}_{\perp}^{\mathrm{L}} ^{2}+ \mathcal{A}_{\parallel}^{\mathrm{R}} ^{2}+ \mathcal{A}_{\perp}^{\mathrm{R}} ^{2} ight]$	$\sin^2 \theta_K \cos 2\theta_l$	11	$\sqrt{\frac{1}{3}} \operatorname{Re}(\mathcal{A}_{\mathrm{S}}\mathcal{A}_{0} + \mathcal{A}_{\mathrm{S}}\mathcal{A}_{0}^{-})$	$\cos \theta_K$
2c	$- \mathcal{A}_0^{\mathrm{L}} ^2- \mathcal{A}_0^{\mathrm{R}} ^2$	$\cos^2\theta_K\cos2\theta_l$	12	$-\frac{1}{3}\left[\left \mathcal{A}_{S}^{R}\right ^{2}+\left \mathcal{A}_{S}^{R}\right ^{2}\right]$	$\cos 2\theta_l$
3	$\frac{1}{2} \left[\mathcal{A}_{\perp}^{L} ^{2} - \mathcal{A}_{\parallel}^{L} ^{2} + \mathcal{A}_{\perp}^{R} ^{2} - \mathcal{A}_{\parallel}^{R} ^{2} \right]$	$\sin^2\theta_K \sin^2\theta_l \cos 2\phi$	13	$-\sqrt{\frac{3}{3}}\operatorname{Re}(\mathcal{A}_{\mathrm{S}}^{\mathrm{L}}\mathcal{A}_{0}^{\mathrm{L}*} + \mathcal{A}_{\mathrm{S}}^{\mathrm{L}}\mathcal{A}_{0}^{\mathrm{L}*})$	$\cos \theta_K \cos 2\theta_l$
4	$\sqrt{\frac{1}{2}} \operatorname{Re}(\mathcal{A}_{0}^{L}\mathcal{A}_{\parallel}^{L*} + \mathcal{A}_{0}^{R}\mathcal{A}_{\parallel}^{R*})$	$\sin 2\theta_K \sin 2\theta_l \cos \phi$	14	$\sqrt{\frac{2}{3}} \operatorname{Re}(\mathcal{A}_{\mathrm{S}}^{\mathrm{L}}\mathcal{A}_{\parallel}^{\mathrm{L}*} + \mathcal{A}_{\mathrm{S}}^{\mathrm{R}}\mathcal{A}_{\parallel}^{\mathrm{R}*})$	$\sin \theta_K \sin 2\theta_l \cos \phi$
5	$\sqrt{2}$ Re $(\mathcal{A}_0^{\mathrm{L}}\mathcal{A}_{\perp}^{\mathrm{L}*} - \mathcal{A}_0^{\mathrm{R}}\mathcal{A}_{\perp}^{\mathrm{R}*})$	$\sin 2\theta_K \sin \theta_l \cos \phi$	15	$\sqrt{\frac{8}{3}} \operatorname{Re}(\mathcal{A}_{\mathrm{S}}^{\mathrm{L}}\mathcal{A}_{\perp}^{\mathrm{L}*} - \mathcal{A}_{\mathrm{S}}^{\mathrm{R}}\mathcal{A}_{\perp}^{\mathrm{R}*})$	$\sin\theta_K\sin\theta_l\cos\phi$
6s	$2\mathrm{Re}(\mathcal{A}_{\parallel}^{\mathrm{L}}\mathcal{A}_{\perp}^{\mathrm{L}*}-\mathcal{A}_{\parallel}^{\mathrm{R}}\mathcal{A}_{\perp}^{\mathrm{R}*})$	$\sin^2 \theta_K \cos \theta_l$	16	$\sqrt{\frac{8}{3}}$ Im $(\mathcal{A}_{S}^{L}\mathcal{A}_{\parallel}^{L*} - \mathcal{A}_{S}^{R}\mathcal{A}_{\perp}^{R*})$	$\sin\theta_K\sin\theta_l\sin\phi$
7	$\sqrt{2} Im(\mathcal{A}_0^L \mathcal{A}_{\parallel}^{L*} - \mathcal{A}_0^R \mathcal{A}_{\parallel}^{R*})$	$\sin 2\theta_K \sin \theta_l \sin \phi$	17	$\sqrt{\frac{2}{3}} \text{Im}(\mathcal{A}_{S}^{L}\mathcal{A}_{\perp}^{L*} + \mathcal{A}_{S}^{R}\mathcal{A}_{\perp}^{R*})$	$\sin \theta_K \sin 2\theta_l \sin \phi$
8	$\sqrt{\frac{1}{2}} \mathrm{Im}(\mathcal{A}_0^{\mathrm{L}} \mathcal{A}_{\perp}^{\mathrm{L}*} + \mathcal{A}_0^{\mathrm{R}} \mathcal{A}_{\perp}^{\mathrm{R}*})$	$\sin 2\theta_K \sin 2\theta_l \sin \phi$	1	V.	1
9	$\operatorname{Im}(\mathcal{A}_{\parallel}^{\operatorname{L*}}\mathcal{A}_{\perp}^{\operatorname{L}} + \mathcal{A}_{\parallel}^{\operatorname{R*}}\mathcal{A}_{\perp}^{\operatorname{R}})$	$\sin^2 \theta_K \sin^2 \theta_l \sin 2\phi$			



And what do the amplitudes look like?

[JHEP 0901(2009)019] Altmannshofer et al.

$$\mathcal{A}_{0}^{\mathrm{L,R}}(q^{2}) = -8N \frac{m_{B}m_{K^{*}}}{\sqrt{q^{2}}} \left\{ C_{9} \mp C_{10} A_{12}(q^{2}) + \frac{m_{b}}{m_{B} + m_{K^{*}}} C_{7} C_{23}(q^{2}) + \mathcal{G}_{0}(q^{2}) \right\},$$

$$\mathcal{A}_{\parallel}^{\mathrm{L,R}}(q^{2}) = -N\sqrt{2}(m_{B}^{2} - m_{K^{*}}^{2}) \left\{ \underbrace{(C_{9} \mp C_{10})}_{m_{B}} \underbrace{A_{1}(q^{2})}_{m_{B}} + \frac{2m_{b}}{q^{2}} \underbrace{C_{7}T_{2}(q^{2})}_{q} + \mathcal{G}_{\parallel}(q^{2}) \right\},$$

$$\mathcal{A}_{\perp}^{\rm L,R}(q^2) = N\sqrt{2\lambda} \left\{ \underbrace{(C_9 \mp C_{10})}_{m_B + m_{K^*}} + \frac{2m_q}{q^2} \underbrace{C_7 T_1(q^2)}_{q} + \mathcal{G}_{\perp}(q^2) \right\},$$

- ▶ $C_{7,9,10}$: Wilson coefficients
- ▶ A_i , T_i , V_i : $B \to K^*$ form factors
- ▶ $G_{\parallel,\perp,0}$: Charm-loop contribution







Can also reparametrise angular distribution in terms of less form-factor dependent observables (so-called P_i basis) e.g:

$$P_5' \sim \frac{Re(A_0^L A_{\perp}^L - A_0^R A_{\perp}^R)}{\sqrt{(|A_0^L|^2 + |A_0^R|^2)(|A_{\perp}^L|^2 + |A_{\perp}^R|^2 + |A_{\parallel}^R|^2 + |A_{\parallel}^R|^2)}}$$

 Recent advancements in form-factor calculations coupled with availability of experimental correlations between all observables makes this reparametrisation less important

гнср

Acceptance correction

- ▶ Trigger, reconstruction and selection efficiency distorts the angular and q^2 distribution of $B^0 \to K^{*0} \mu^+ \mu^-$
- Acceptance correction parametrised using 4D Legendre polynomials
- ▶ Use moment analysis in $B^0 o K^{*0} \mu^+ \mu^-$ MC to obtain coefficients c_{klmn}
- ▶ Measurements in $B^0 \rightarrow J/\psi K^{*0}$ control mode in excellent agreemnt with expectation

$$\varepsilon(\cos\theta_{\ell},\cos\theta_{K},\phi,q^{2}) = \sum_{klmn} c_{klmn}P_{k}(\cos\theta_{\ell})P_{l}(\cos\theta_{K})P_{m}(\phi)P_{n}(q^{2})$$

$$1D \text{ projections}$$

$$\int_{UC} f_{underson} f_{underson}$$

 $\cos \theta$

-0.5

Relative efficiency

cos θ.

φ [rad]

 $a^2 [GeV^2/c^4]$

*LHC*P

Acceptance correction

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Angular analysis results

Latest update of the 8 CP-averaged observabes using data up to 2016 [Phys. Rev. Lett. 125 (2020) 011802]



- Suggesting anomalous vector-dilepton coupling (C₉)
- Working on update with twice the data!



Rare decays in Run3 and beyond

- Still have x2 the data to study for most of these analyses just from Run2 alone
 - Much clearer picture in less than 1 year's time
- Angular and LFU measurements statistically limited even after Run3 of the LHC
- ► Increased dataset → determine theory nuisances directly from the data improving theory accuracy and precision
 - Working with existing data on this
 - \blacktriangleright Larger datasets also bring LHCb's sensitivitiy to τ final states comparable to theory predictions that explain anomalies
 - \rightarrow Smoking gun signatures of anomalies





- ▶ Upgrade for Run3 driven by having to read out full detector at 30MHz and higher instantaneous lumi $(4 \times 10^{32} \rightarrow 2 \times 10^{33} \text{ cm}^{-2} \text{s}^{-1})$
- Fully-software trigger using GPUs for HLT1 and CPUs for HLT2 (RTA before HLT2)
- Upgrade readout electronics of every detector subsystem
- VELO pixels, Sci-Fi tracker, UT silicon strip, new RICH with MaPMT





Detector performance

[Int.J.Mod.Phys.A30(2015)1530022]

