

What are the key open questions for the current $b \rightarrow s$ measurements?

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Apologies to my Belle-II colleagues for a talk strongly LHCb-biased



In general BR are $\mathcal{O}(10^{-7})$

→ LHC large production is clearly a plus

→ comes with the cost of a very challenging experimental environment

- **$b \rightarrow s \mu\mu$ channels :**
 - clean experimental signature
 - precise experimental results on a large number of BR and angular observables
- **$b \rightarrow s ee$ channels :**
 - low p_T electrons in the harsh LHC context
 - limited number of results (few LFU ratios, one very specific angular analysis)

there is no free lunch



Branching Ratios

Angular observables

LFU observables :
R-ratios
angular observables ratios

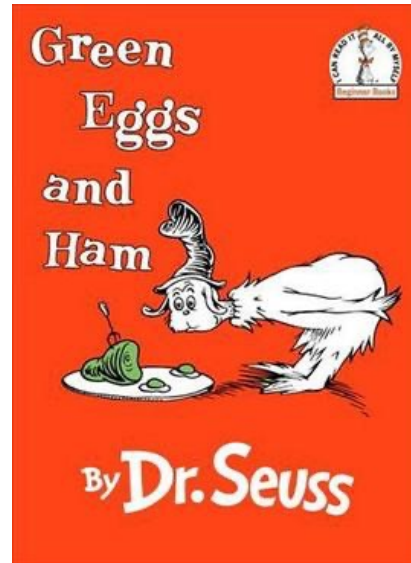
theoretical
cleanness

all LFV modes omitted even if they are very important to constraint NP models

Why does it
take so long ?



Usage of Run1-
Run2 data ?



and then ?



Many more details in the other talks at this workshop

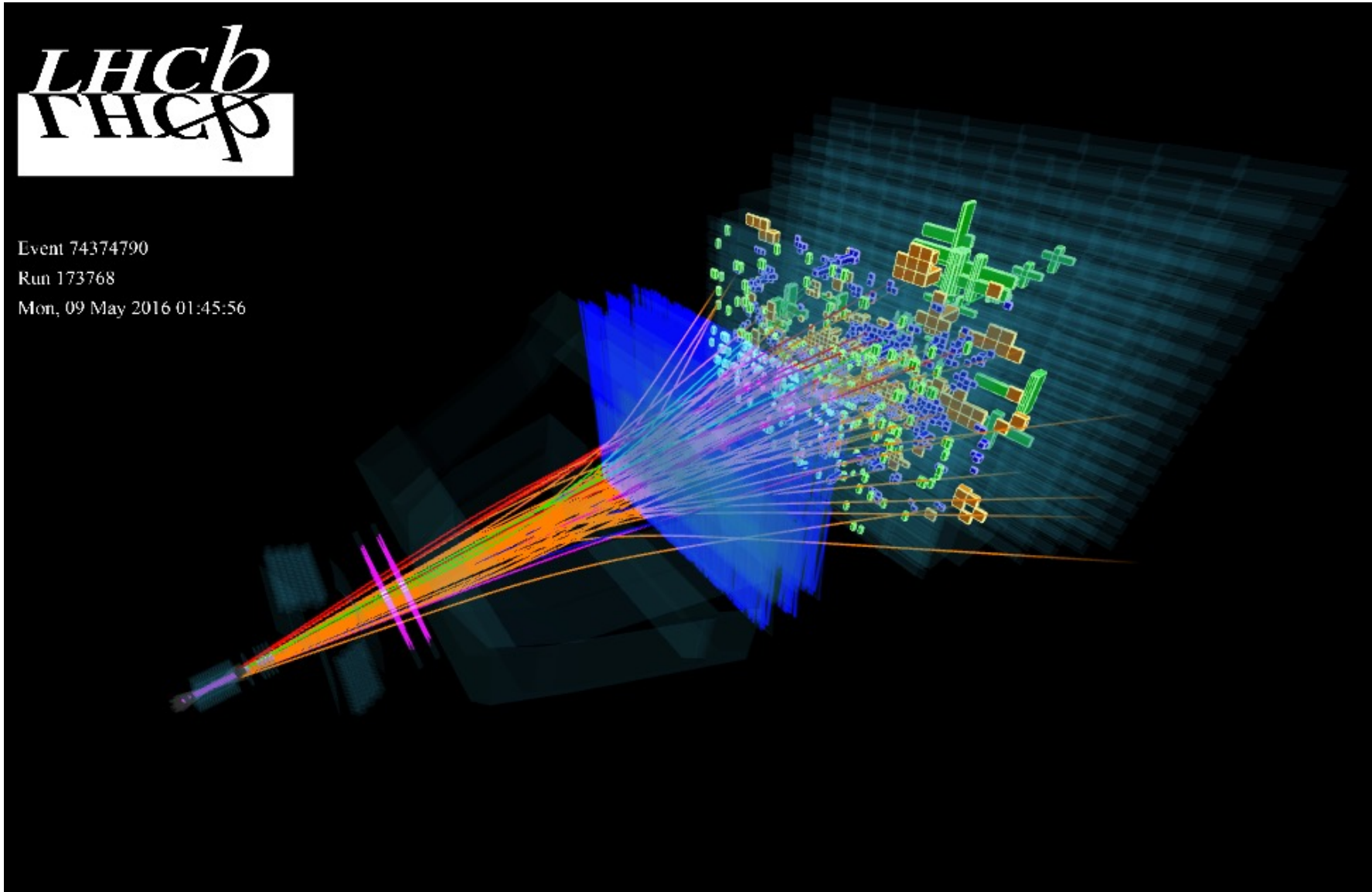


Why does it take
so long ?

Crédits : *Dr. Seuss / Editions du Nouvel Attila*

What are the experimental challenges ?

Taking $B \rightarrow K^* \ell\ell$ as a proxy for explanations



For each event in ~ 100 tracks:

- find a K^+ a π^- a pair of opposite charge leptons and compute $M(K^+ \pi^- \ell^+ \ell^-) + q^2$
 - crucial role of vertexing and tracking to reduce the number of tracks to be considered



→ crucial role of

- hadron PID (RICH) otherwise you could mix B and \bar{B} (K^* is large)
- lepton PID do not want to confuse $K^* \pi\pi$ with $K^* \ell\ell$

Backgrounds :

- random combination of 4 tracks
- double semileptonic decays : $H_b \rightarrow H_c(\rightarrow K^* \ell^- \nu_\ell) \ell^+ \nu_\ell$
 - very large Branching Ratios
 - select mainly very-low momentum neutrinos (phase space corner)
- partially reconstructed backgrounds : $B \rightarrow K^* (n) \pi \ell^+ \ell^-$, $B \rightarrow K^* \gamma \ell^+ \ell^-$
 - badly known
 - try to reject them, try to measure them

arXiv:2110.09501

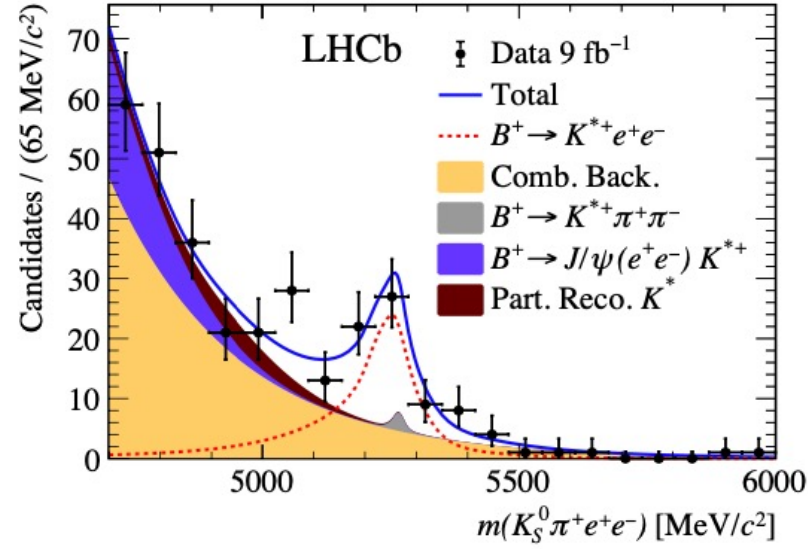
Ideally a lot of other physics input needed :

$$B \rightarrow K \pi \pi \ell^+ \ell^-$$

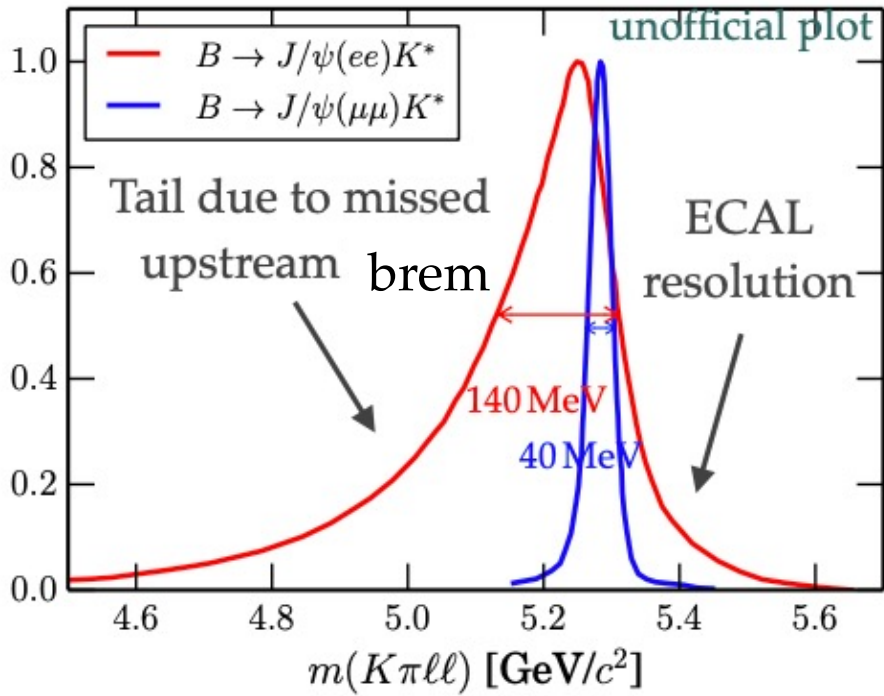
Dalitz distribution

$$B \rightarrow K^* \pi \pi$$

Dalitz distribution



... and the additional complication of electrons

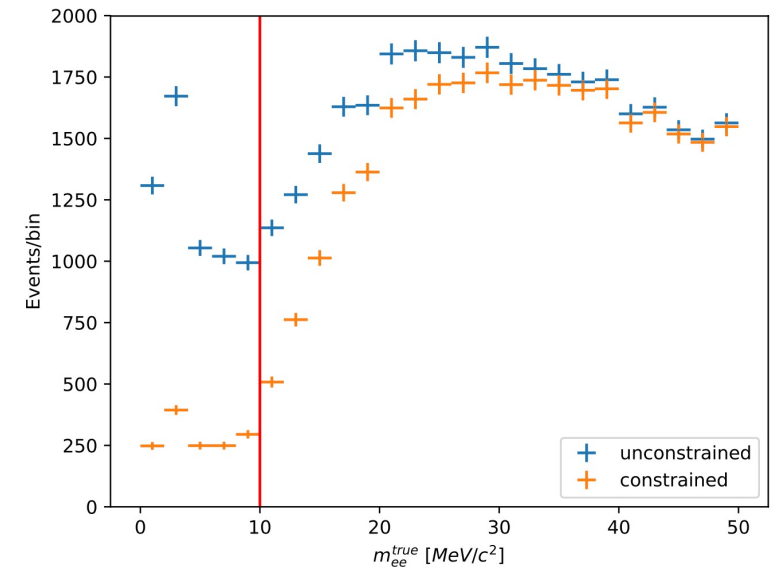


from Martino Borsato

widening of the mass ranges and thus of the level of backgrounds

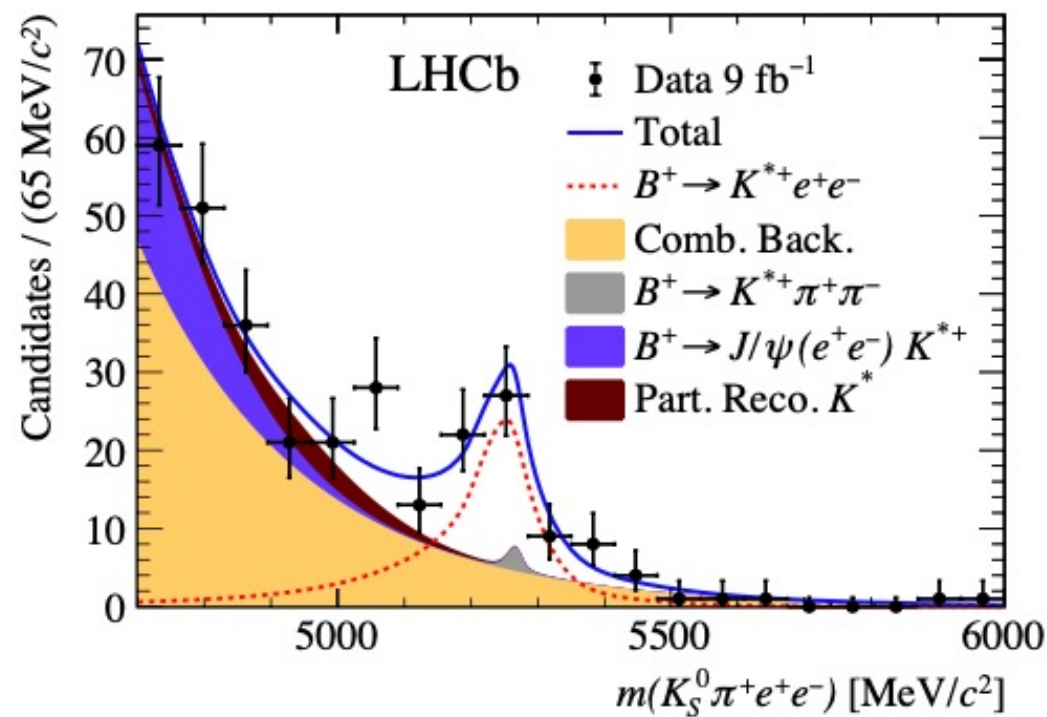
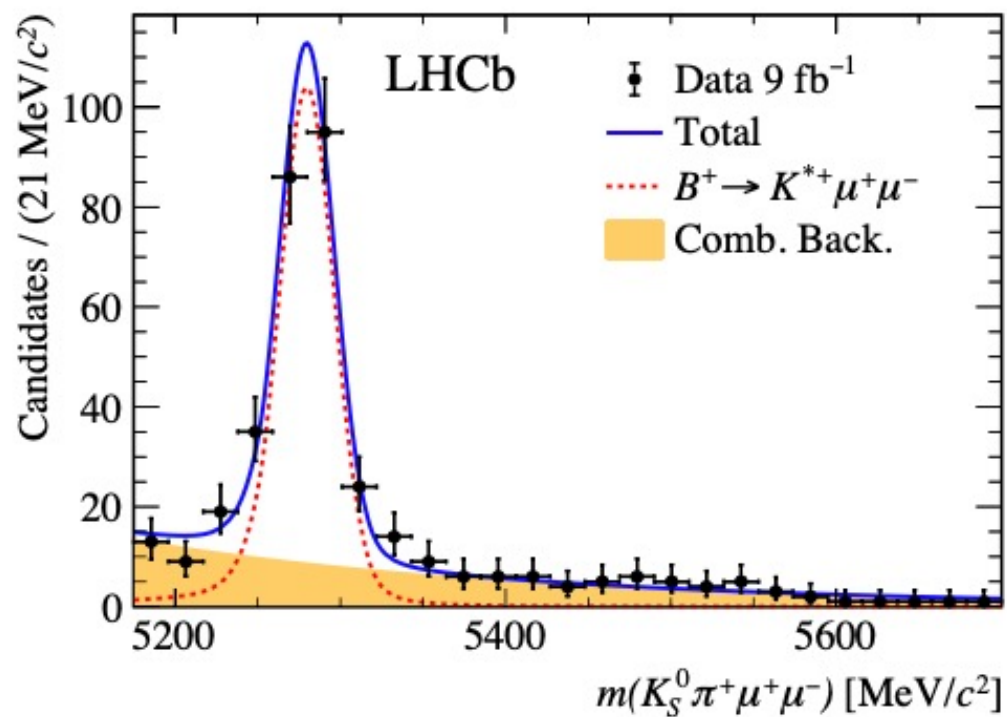
→ Experimental 'tricks'

- compute q^2 using the B mass constraint



CERN-THESIS-2020-112

- different for the high- q^2 region



Yet yields extraction is possible (!)

Go for the BR measurement

$$BR = \frac{N_{\text{sig}}}{\epsilon_{\text{eff}} \int \mathcal{L} dt \times \sigma_{b\bar{b}} \times f_d}$$

- At the LHC $b\bar{b}$ cross section and f_x not precisely known
- efficiency : MC cannot be fully trusted (worse at LHC than at B-Factories) :
 - MC is corrected using data control modes for trigger efficiencies, PID efficiencies ...
- Measure it relative :

$$\frac{d\mathcal{B}}{dq^2} = \frac{1}{q_{\text{max}}^2 - q_{\text{min}}^2} \frac{N_{\text{sig}}}{N_{K^{*0} J/\psi}} \frac{\epsilon_{K^{*0} J/\psi}}{\epsilon_{K^{*0} \mu^+ \mu^-}} \times \mathcal{B}(B^0 \rightarrow K^{*0} J/\psi) \times \mathcal{B}(J/\psi \rightarrow \mu^+ \mu^-)$$

reduction of the systematic uncertainties (more than a factor few * 10 !)

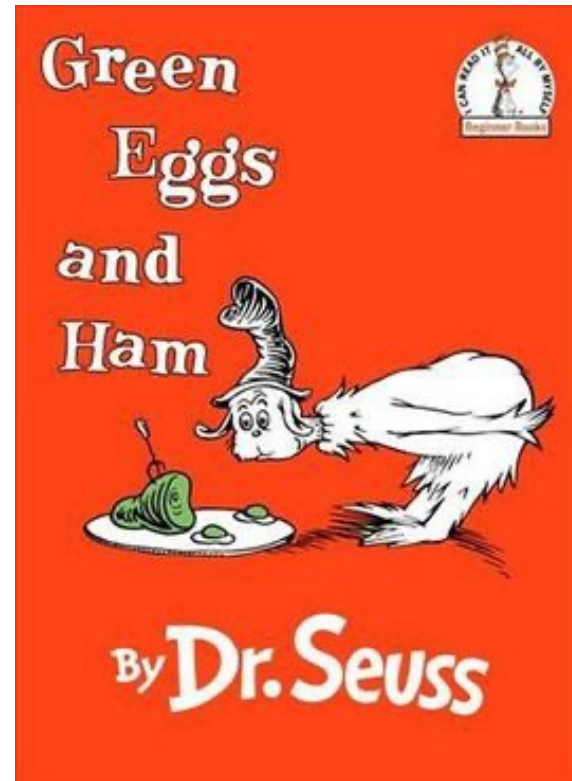
angular analyses :

- muon channel : 'easy' modelling (or background subtraction)
- electron channel :
 - Double semileptonic : use of $b \rightarrow s e \mu$ proxy
 - partially reconstructed backgrounds : $B \rightarrow K^* (n) \pi \ell^+ \ell^-$, $B \rightarrow K^* \gamma \ell^+ \ell^-$: guess and control !

More observables \rightarrow more handles to check the modelling

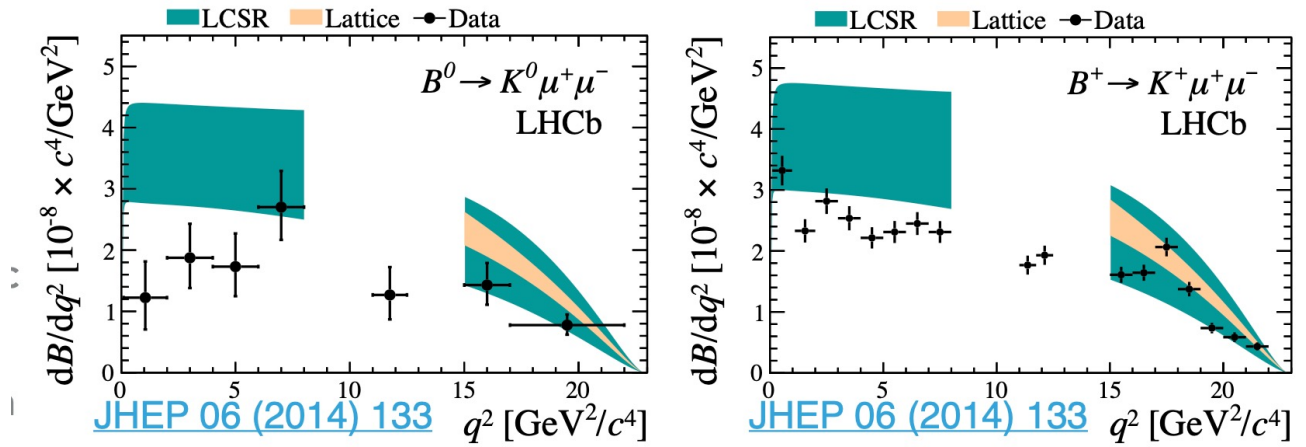
What are we doing with Run1+Run2 dataset ?

What will we do with Run1+Run2 dataset ?

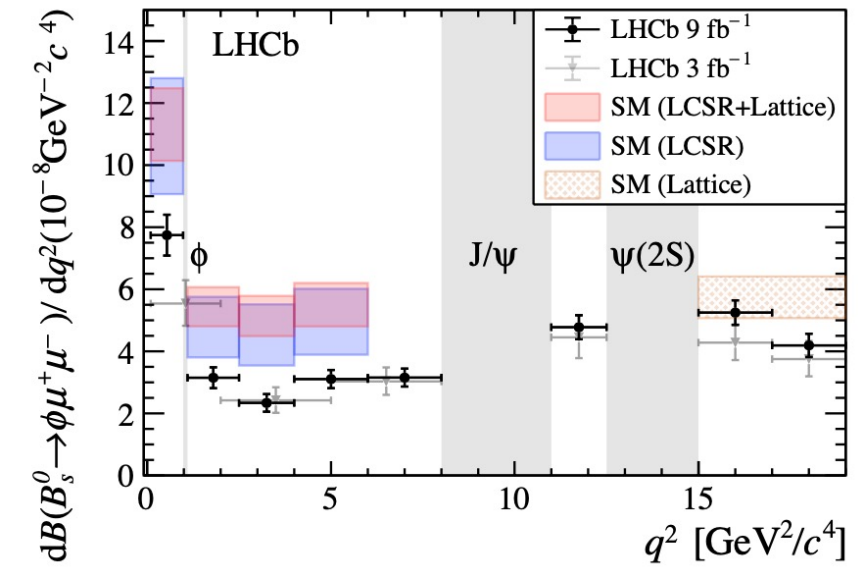


Where do we stand for $b \rightarrow s \mu\mu$ channels and what could we do more ?

All $\text{BR}(b \rightarrow s \mu\mu)$ have a tendency to be low wrt SM prediction (but predictions uncertainties correlated)

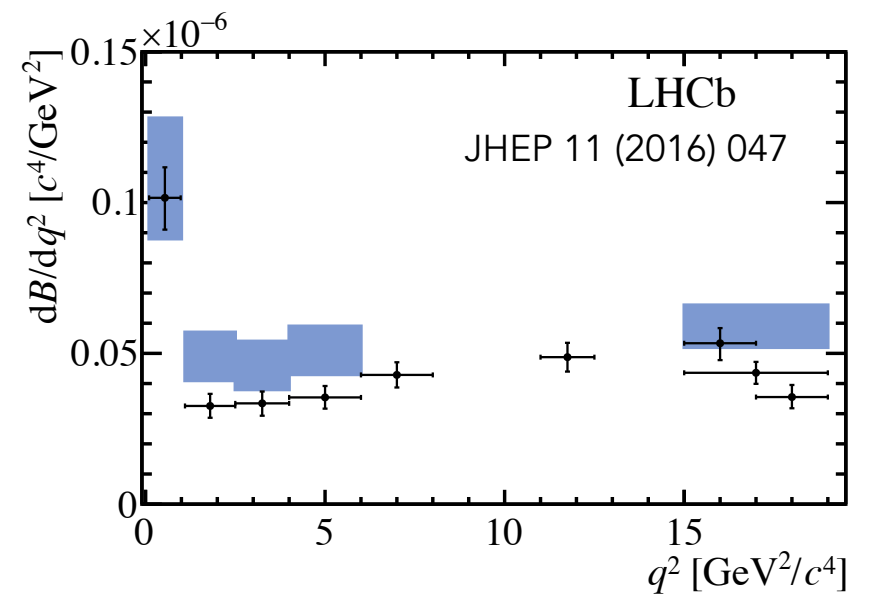


A recent example : $\text{BR}(B_s \rightarrow \phi \mu\mu)$



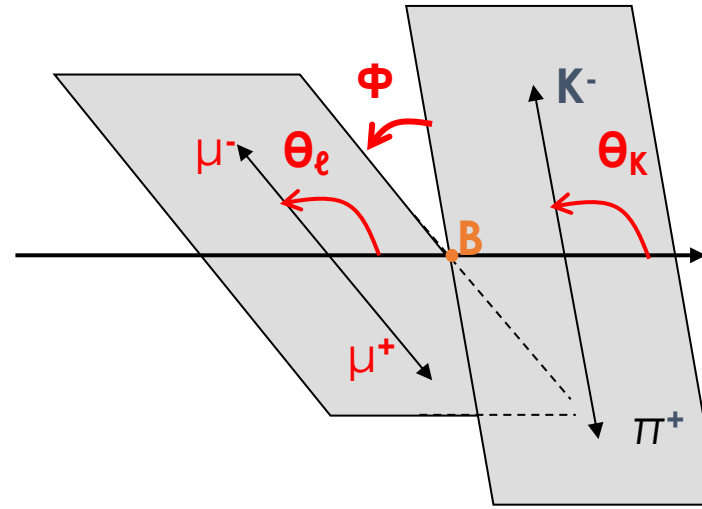
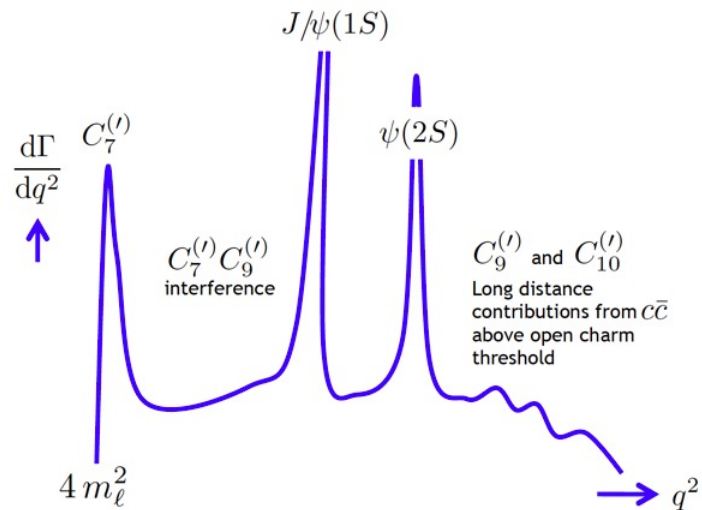
[arXiv:2105.14007](https://arxiv.org/abs/2105.14007)

$\text{BR}(B_d \rightarrow K^{*0} \mu\mu)$



4 particles final state
System described by:

- $q^2 = M^2(\ell \ell)$
- 3 angles



$$\frac{d^4\Gamma[\bar{B}^0 \rightarrow \bar{K}^{*0} \mu^+ \mu^-]}{dq^2 d\vec{\Omega}} = \frac{9}{32\pi} \sum_i I_i(q^2) f_i(\vec{\Omega})$$

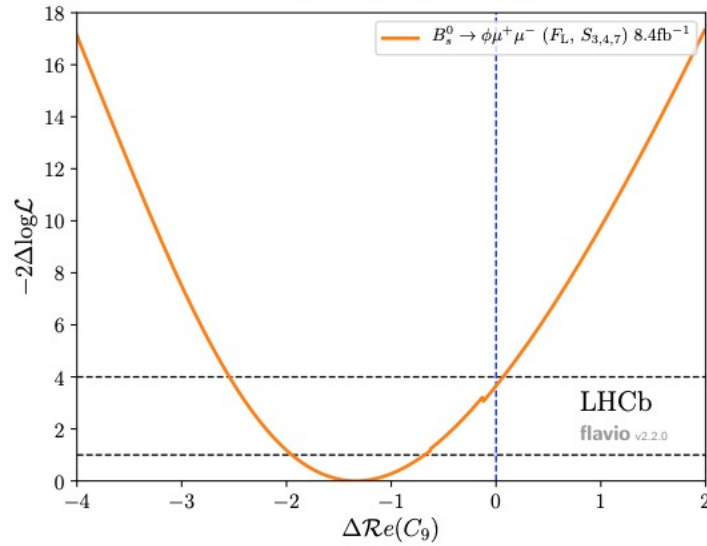
$$\frac{d^4\bar{\Gamma}[B^0 \rightarrow K^{*0} \mu^+ \mu^-]}{dq^2 d\vec{\Omega}} = \frac{9}{32\pi} \sum_i \bar{I}_i(q^2) f_i(\vec{\Omega})$$

+ S-wave component

the three $B \rightarrow V \mu\mu$ angular analyses consistently favour a negative shift in $\Delta\text{Re}(C_9)$

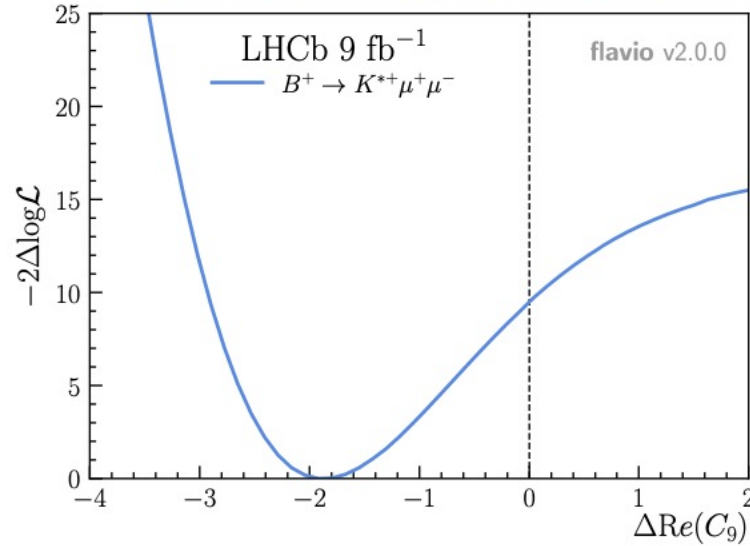
$$B_s^0 \rightarrow \phi \mu^+ \mu^-$$

[PAPER-2021-014]



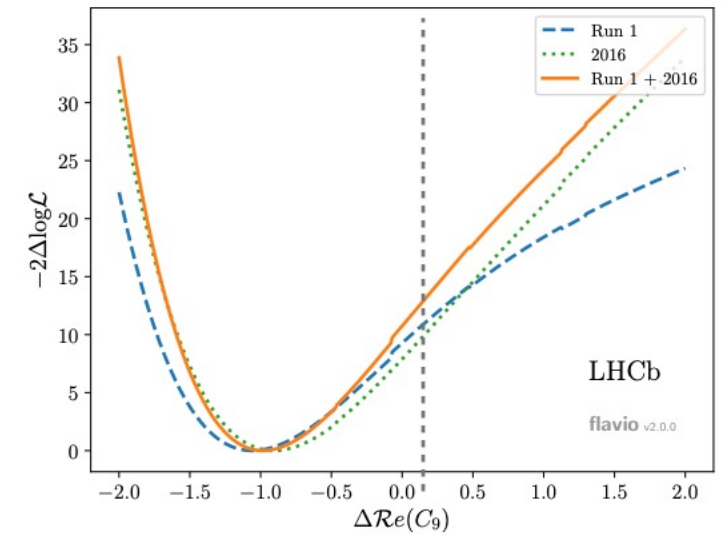
$$B^+ \rightarrow K^{*+} \mu^+ \mu^-$$

[PAPER-2020-041] / PRL 126 (2021) 161802



$$B^0 \rightarrow K^{*0} \mu^+ \mu^-$$

[PAPER-2020-002] / PRL 125 (2020) 011802



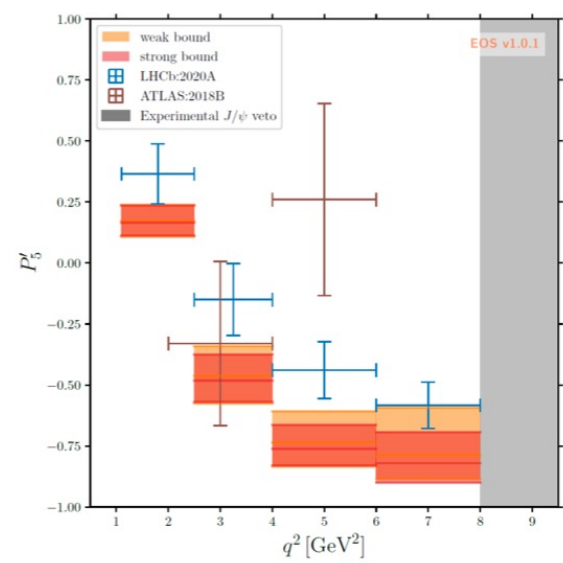
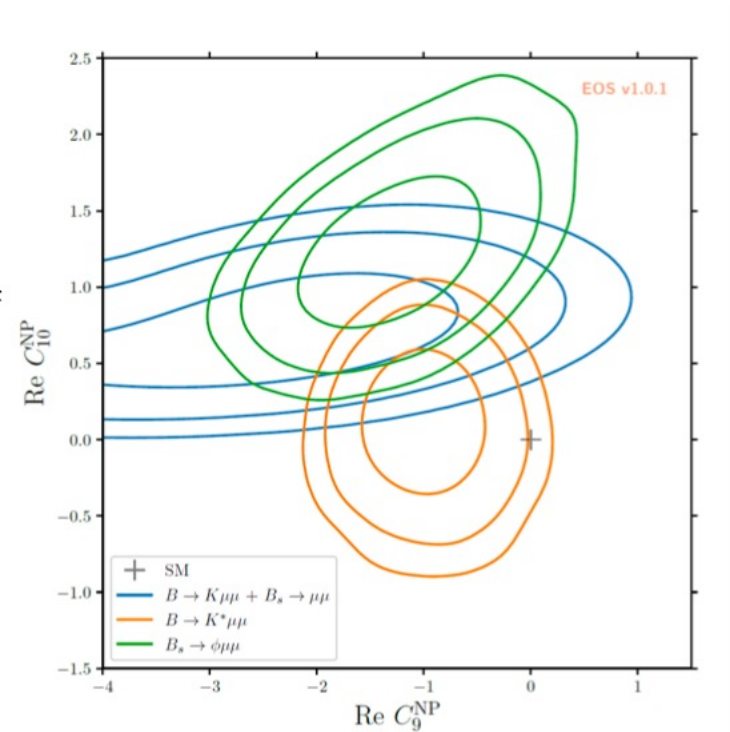
2017 – 2018 data to be added

Still a lot of theoretical work on-going to improve the precision of the predictions

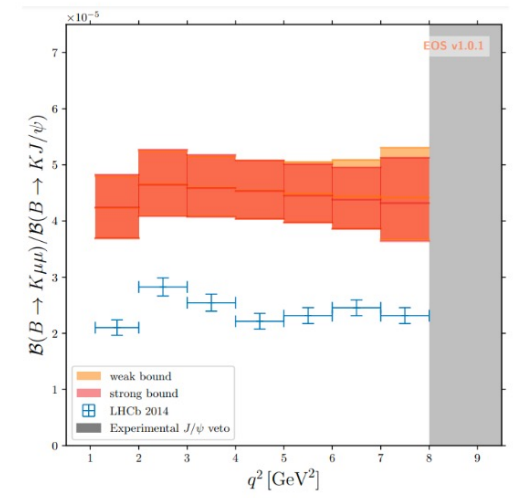
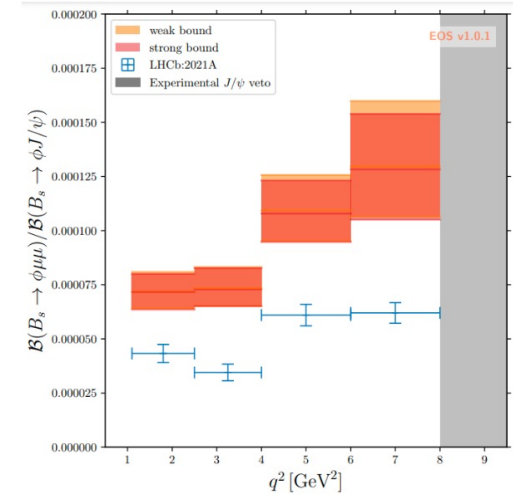
See talks from Tuesday morning

example : <https://moriond.in2p3.fr/QCD/2022/TuesdayAfternoon/Gubernari.pdf>

Branching ratios



2017 – 2018 data to be added for $K^{*0} \mu\mu$



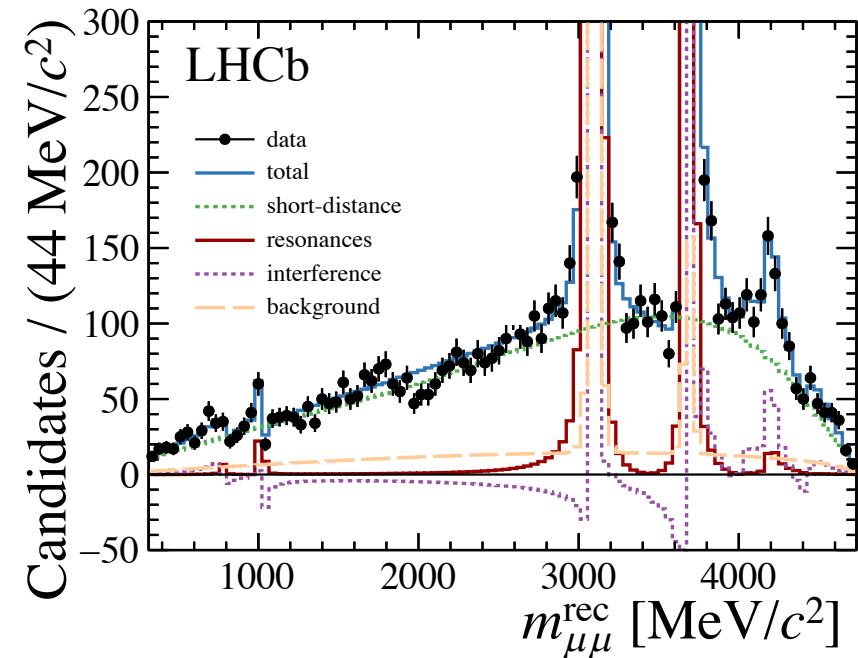
Is most of the tension coming from BR observables ?

What could we do more with the data we have at hand ?

See talk from Rafael & Tom

- Standard analyses :
 - more q^2 bins (coming with larger samples)
 - analyse the full Run1+Run2 datasets (not yet done for $K\mu\mu$, $K^{*0}\mu\mu$, $\Lambda\mu\mu$, ...)
 - extract all accessible observables (CP)

- $K\mu\mu$: analyse the full q^2 spectrum at once (<https://arxiv.org/abs/1612.06764>) to measure the phase difference between the short and long distance amplitudes



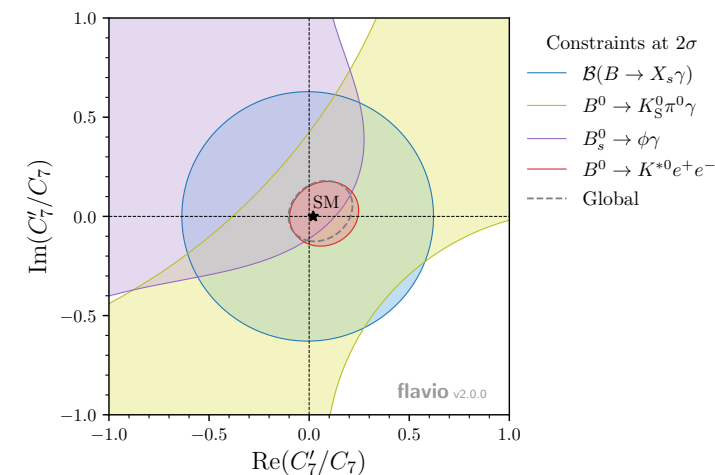
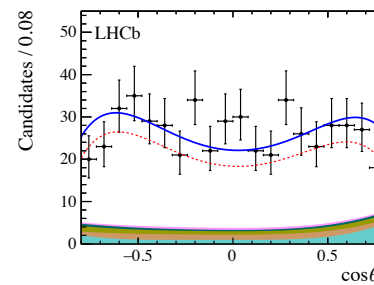
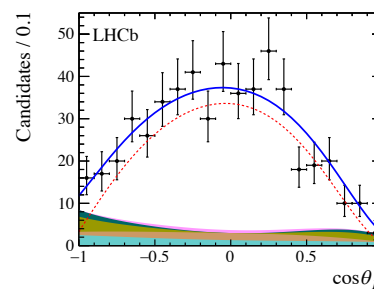
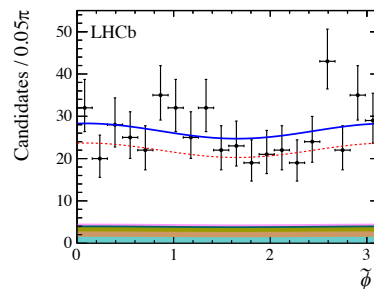
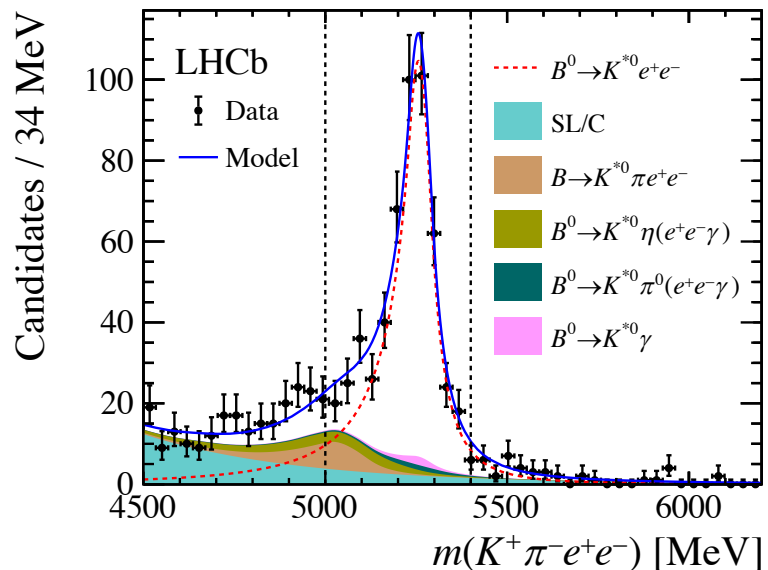
- and ...
 - Full q^2 analysis also for $K^{*0}\mu\mu$ (but more challenging)
 - Unbinned angular fit over the full q^2 spectrum \rightarrow distinguish between NP and cc loops.

Where do we stand for $b \rightarrow s ee$ channels and what could we do more ?

See talks from
Rafael & Tom
Yasmine & Gianluca

Not a lot (yet) of experimental information :

- R ratios only $K, K^{*0}, \rho K, K^{*+}, K_s$
 - statistically (very) limited, not full data sample analysed yet
 - hadronic resonances ($K\pi\pi, \rho K, \dots$) still not studied
- one angular analysis (K^*ee) at $q^2 < .25$ focussing on the photon pole.



Full data sample

Explore the high- q^2 region (which is exp. different from the other q^2 bins)

Angular analyses to be performed (eventually some constraints using the muon channels)

... → Combined amplitude fit

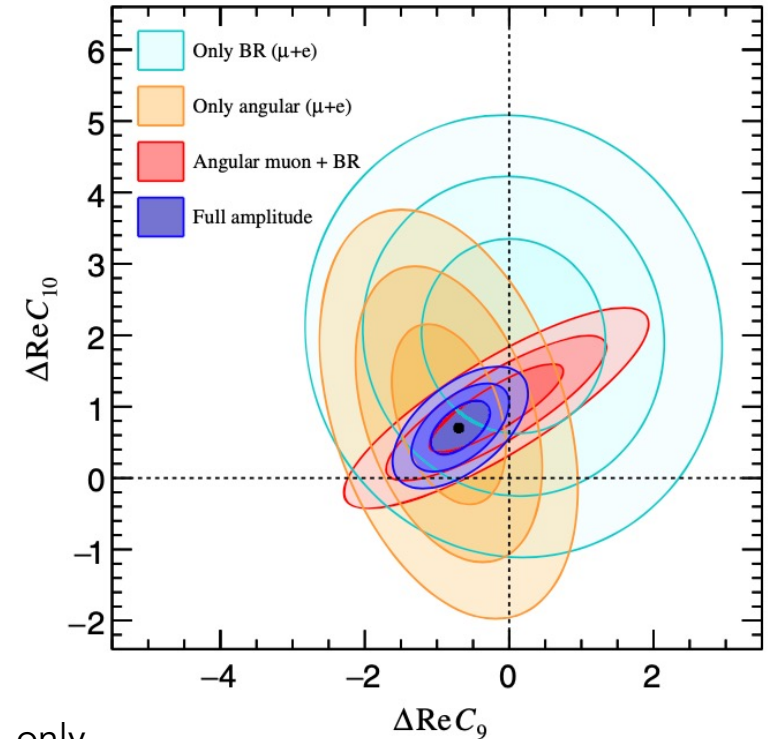
$$\mathcal{A}_\lambda^{L,R} = \mathcal{N}_\lambda \left\{ (C_9 \mp C_{10}) \mathcal{F}_\lambda(q^2) + \frac{2m_b M_B}{q^2} \left[C_7 \mathcal{F}_\lambda^T(q^2) - 16\pi^2 \frac{M_B}{m_b} \mathcal{H}_\lambda(q^2) \right] \right\}$$

↙ ↘
↙ ↘

Local form factors

Non local ($c\bar{c}$)

A.Mauri et al Phys. Rev. D 99, 013007 (2019)



NP scenario : μ -only

Cross-checks which could/should be done:

- R measurement where we know the answer (validate the MC corrections and efficiencies computations) ($D_s \rightarrow \phi(\rightarrow \ell\ell) \pi$), but also $B \rightarrow D\ell \nu$, $\ell=e/\mu$).
- Use the photon pole region (assumed to be SM-dominated)
 - $\left[\frac{\mathcal{B}(B^0 \rightarrow K^{*0} e^+ e^-)}{\mathcal{B}(B^0 \rightarrow K^{*0} \gamma)} \right]$
 - Angular analyses (difference between B_s and B_d)
different dependence on C'_7 and C_7 due to mixing

<https://arxiv.org/abs/1502.05509>

Electron channels

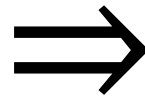
- BR : many analyses not (yet) performed (samples, q^2 ..)
- angular : analyses not (yet) performed (q^2 ..)
- statistics (still) scarce
- experimentally challenging, still learning !
- are we using in the best way the photon-pole region ?

I just need
the main ideas



Muon channels

- BR and angular : experimentally mature field
- switching to (very) complex analyses to better constraint theoretical nuisance parameters



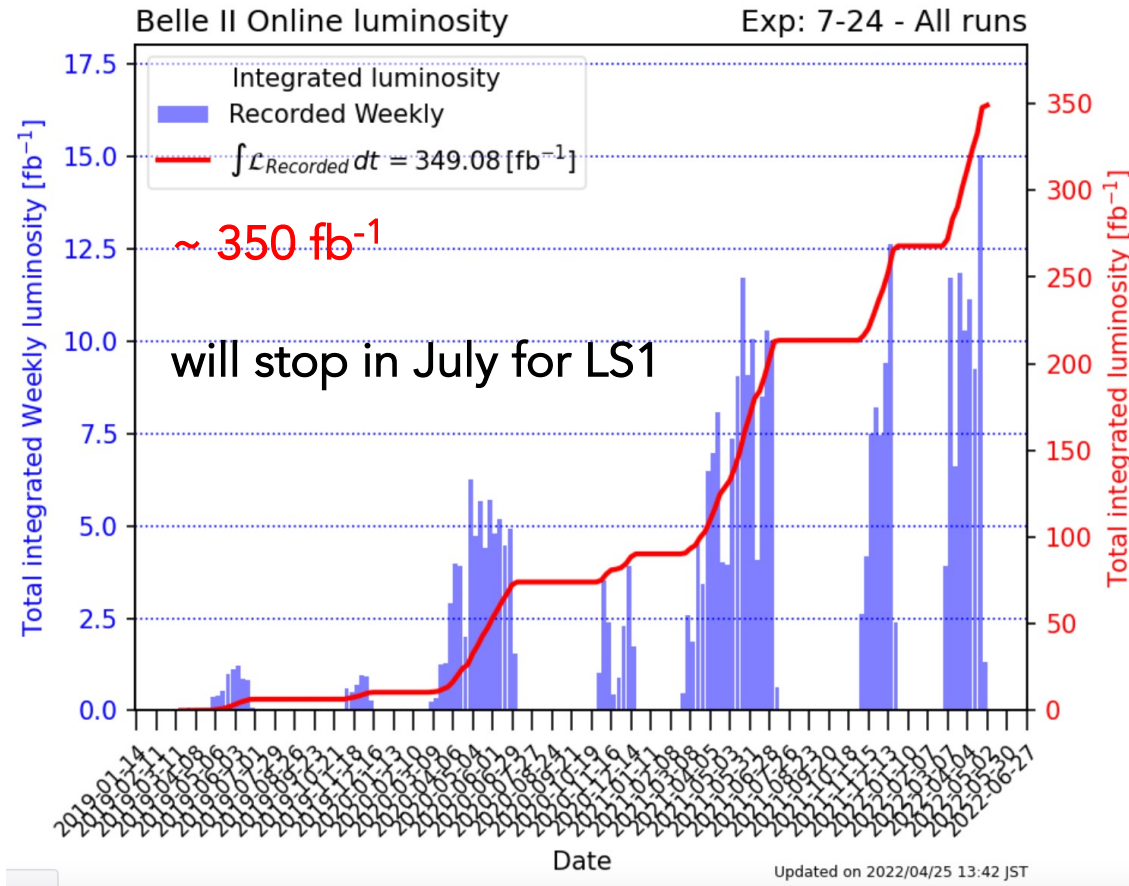
LFU

- Many R ratios not yet measured
- ... and no angular analyses yet

and then ?



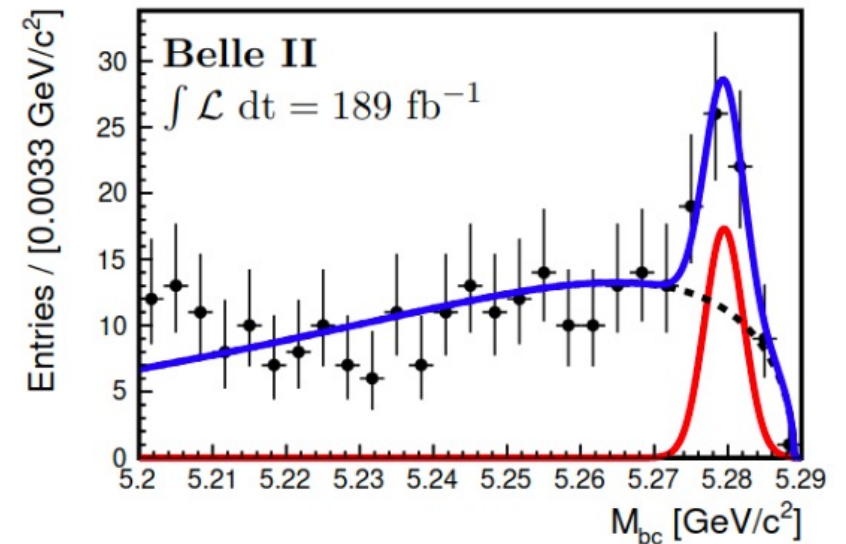
Belle-II starts to collect a significant amount of data



$b \rightarrow s \ell \ell$ channels seen !

See talk from Yasmine & Gianluca

Maximilian Welsch @Moriond QCD2022



$M(ee) > 0.14 \text{ GeV}$

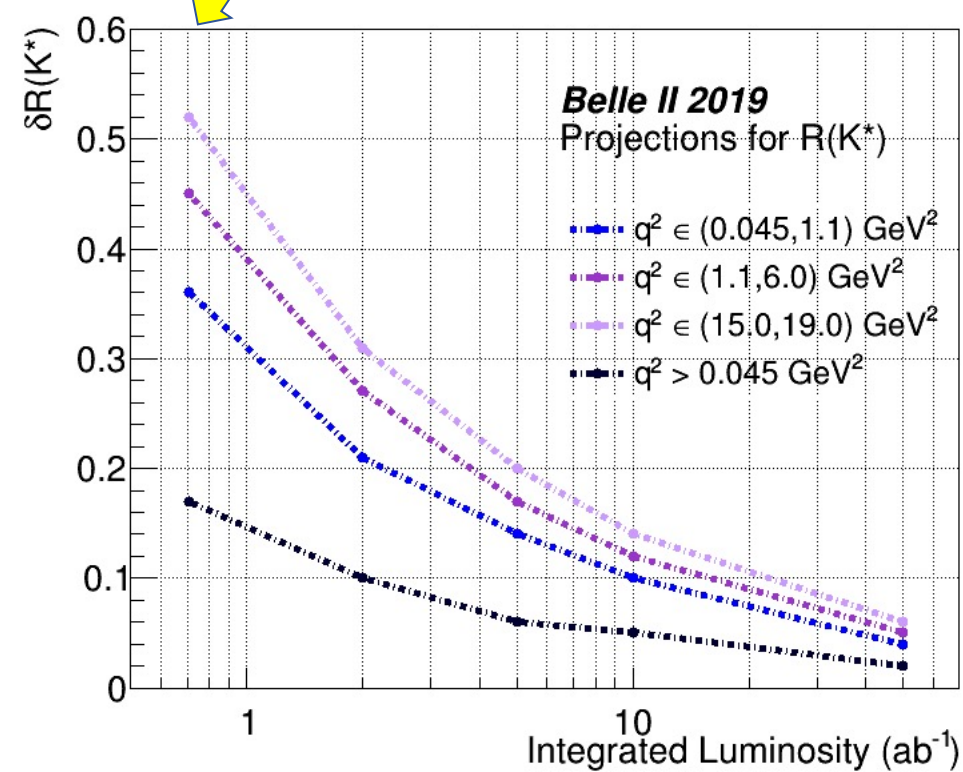
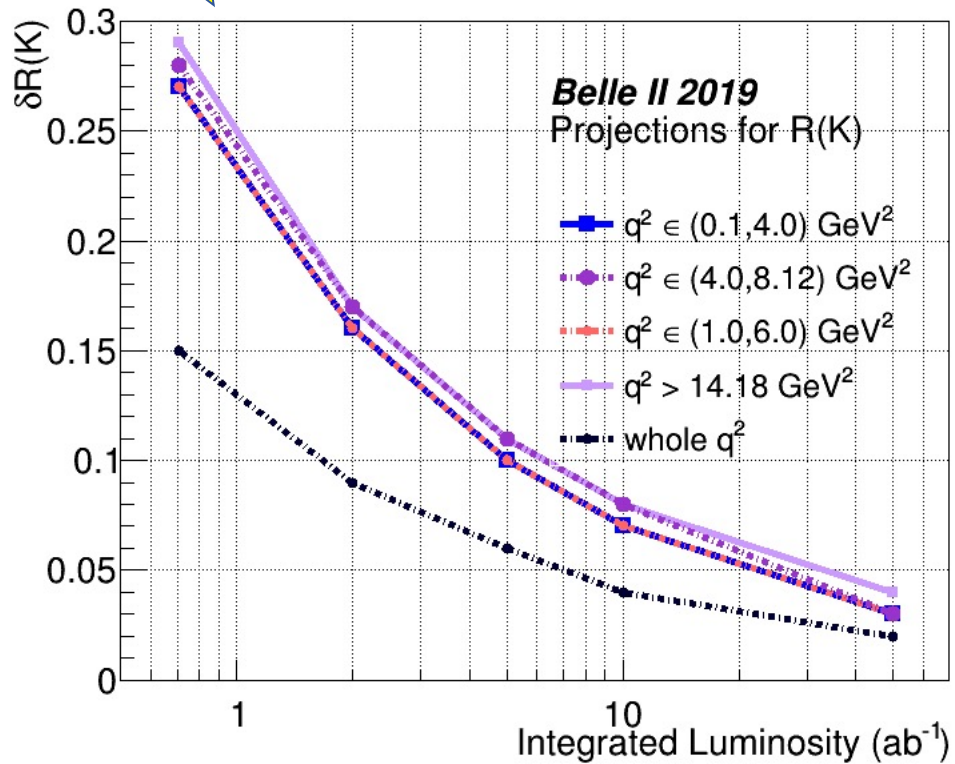
$189 \text{ fb}^{-1} : \sim 35 \text{ evts}$

J/Psi and Psi(2S) excluded

$$\mathcal{B}(B \rightarrow K^* \mu^+ \mu^-) = (1.28 \pm 0.29_{-0.07}^{+0.08}) \times 10^{-6} \quad (\text{PDG: } (1.06 \pm 0.09) \times 10^{-6})$$

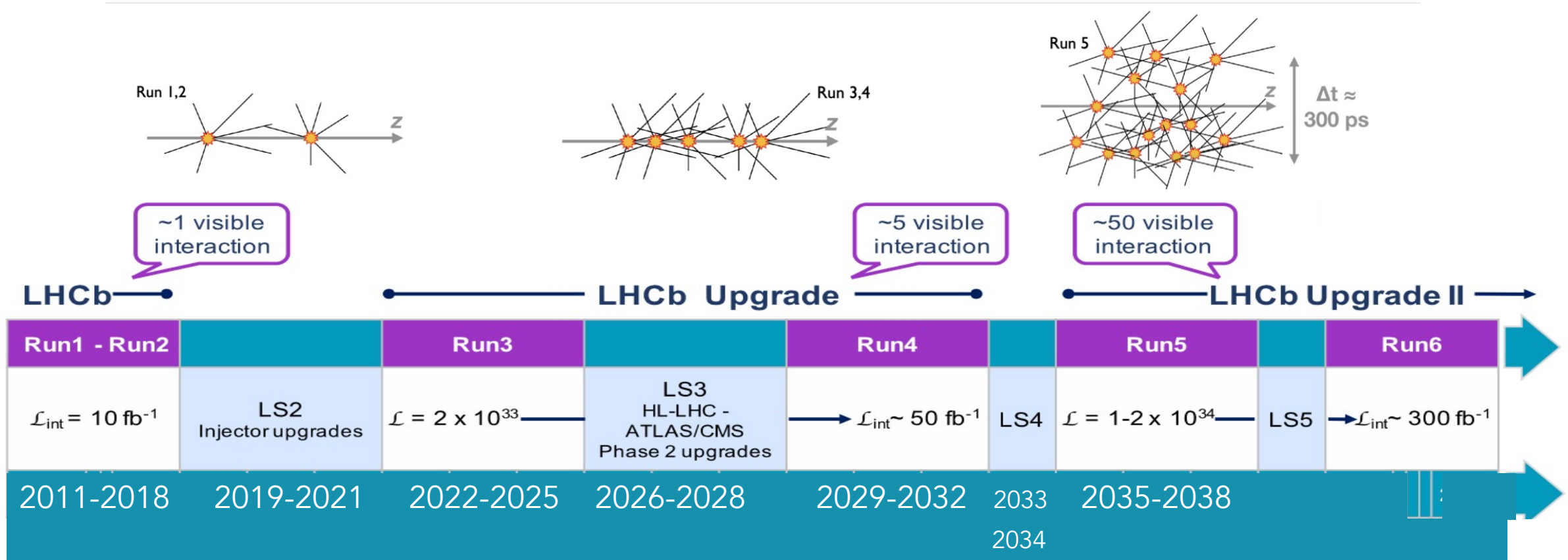
$$\mathcal{B}(B \rightarrow K^* e^+ e^-) = (1.04 \pm 0.48_{-0.09}^{+0.09}) \times 10^{-6} \quad (\text{PDG: } (1.19 \pm 0.20) \times 10^{-6})$$

this summer (been optimistic) ?



→ interesting information in 2025 ?

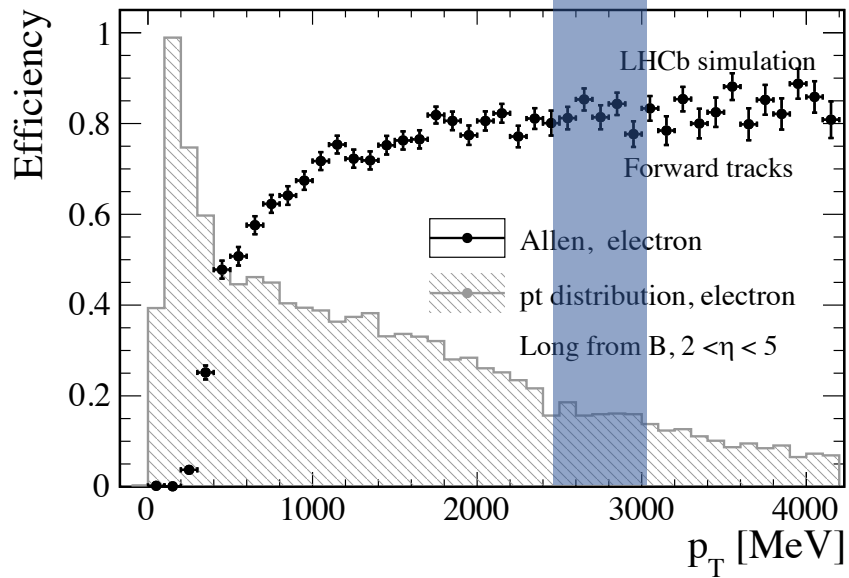
LHC schedule



23 fb^{-1}

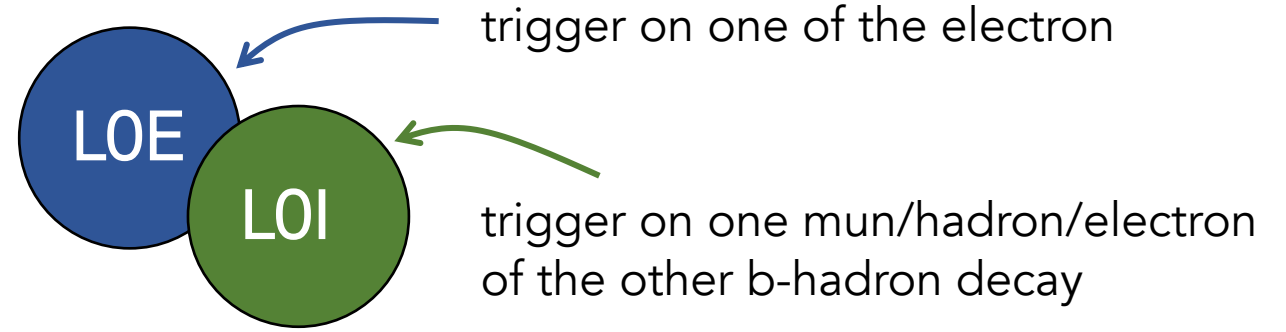
50 fb^{-1}

Run2 L0 Electron threshold



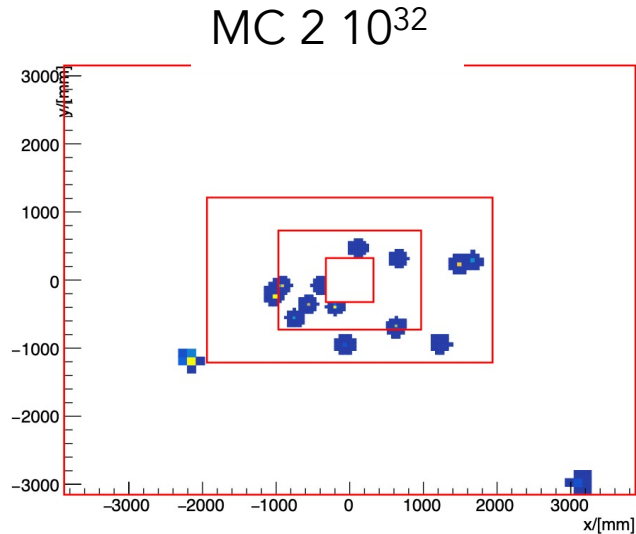
We will trigger much more directly on electrons

→ get rid of the Run1-Run2 'trick' :

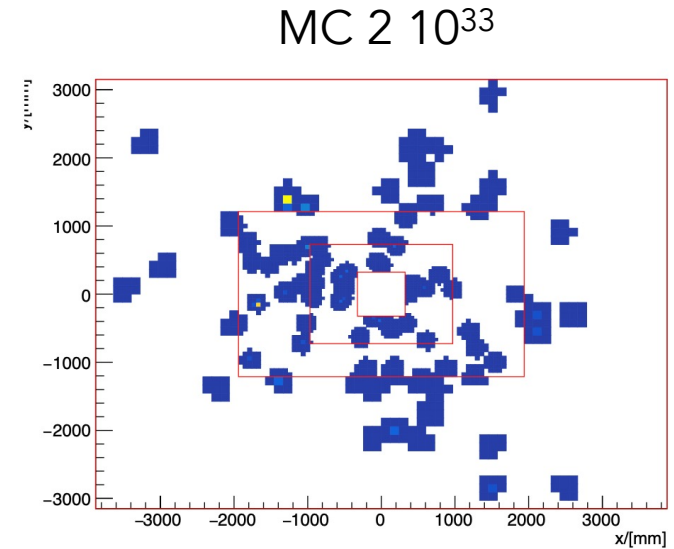


NB : LHCb have conservatively assumed that the trigger efficiency will not change for $b \rightarrow s \ell \ell$

Life during Run3 and Run4 will probably be challenging ...



in fact 4×10^{32} during Run1 and Run2



and a new detector for tracking !

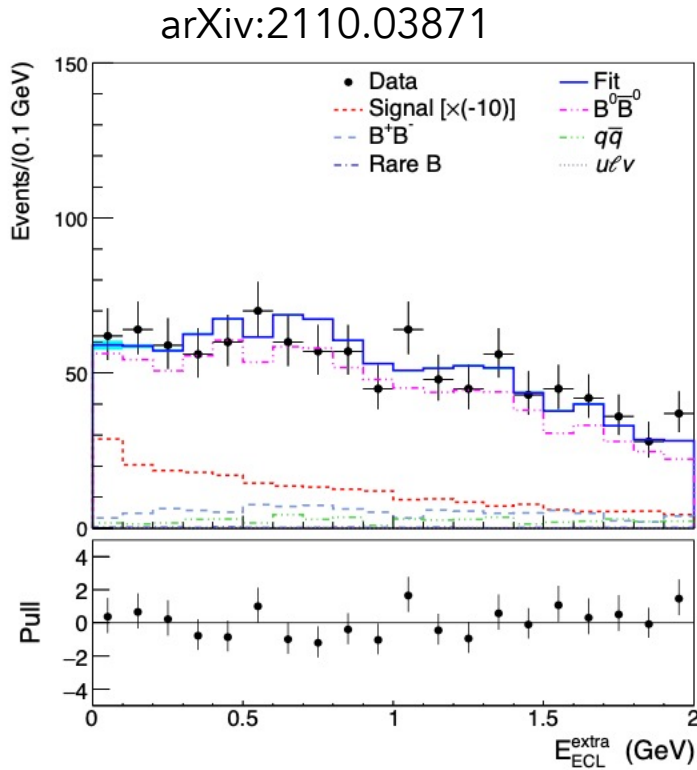
electrons : \Rightarrow ~~$\times \int \mathcal{L} dt$~~ ?

.....but we have learnt a lot with the data of Run1 and Run2 !

Additional modes : example #1 $B \rightarrow K^* \tau \tau$

Belle data : 0.7 ab^{-1}

FCCee for precise measurements

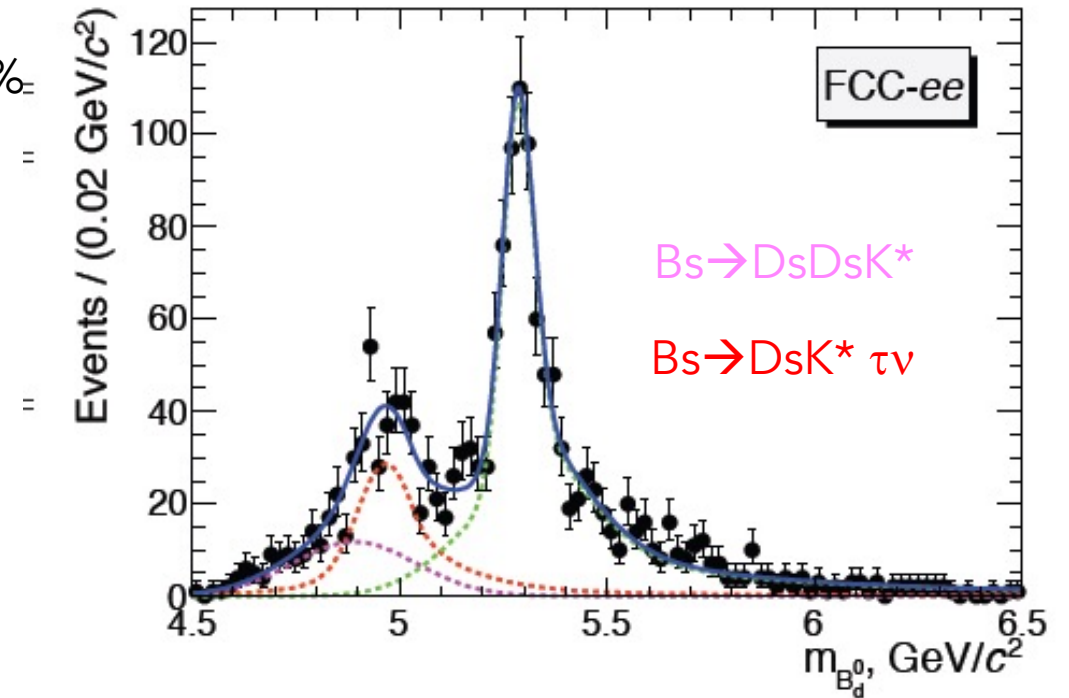


$\tau \rightarrow 1 \text{ prong } (e, \mu, \pi)$

Efficiency $\sim 1.2 \cdot 10^{-5}$

$\text{BR}(B^0 \rightarrow K^{0*} \tau \tau) < 2 \cdot 10^{-3} @ 90\%$

arXiv:1705.11106



$10^{13} Z^0$ and SM BR assumed

Improved analyses techniques

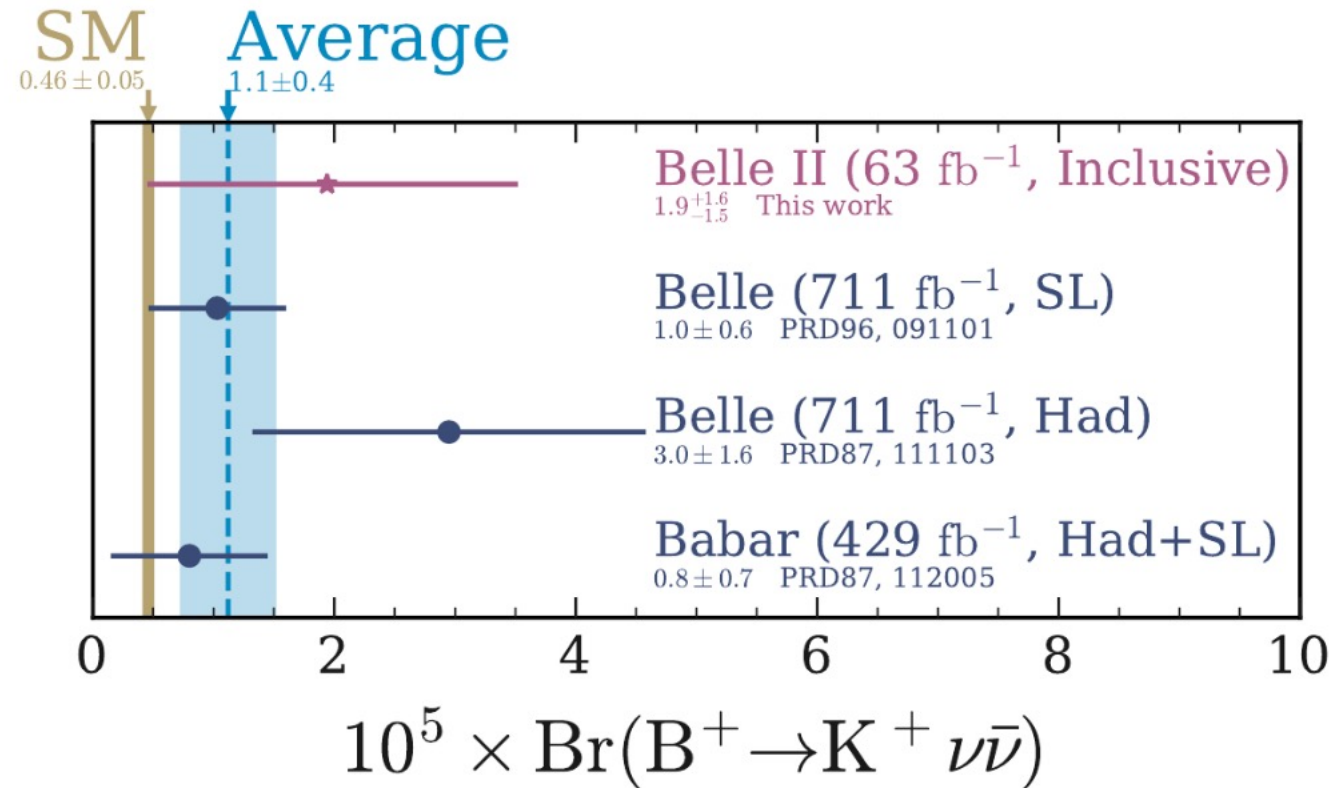
and LHCb ?

See talk from Lakshan & Hanae

Additional modes : example #2 $B \rightarrow K^{(*)} \nu \nu$

[PRL 127, 181802 (2021)]

More powerful analysis technique



Clean SM computation (no charm loop contributions)

Interesting to constraint NP (eg arXiv:2005.03734)

$$\text{Compare } \frac{\text{BR}(B \rightarrow K^{(*)} \nu \nu)}{\text{BR}(B \rightarrow K^{(*)} \ell \ell)}$$

Summary



- A lot of hard work and a lot of interesting & intriguing results
- More data and more challenging analyses to come

See talk from Wolfgang
& Michael

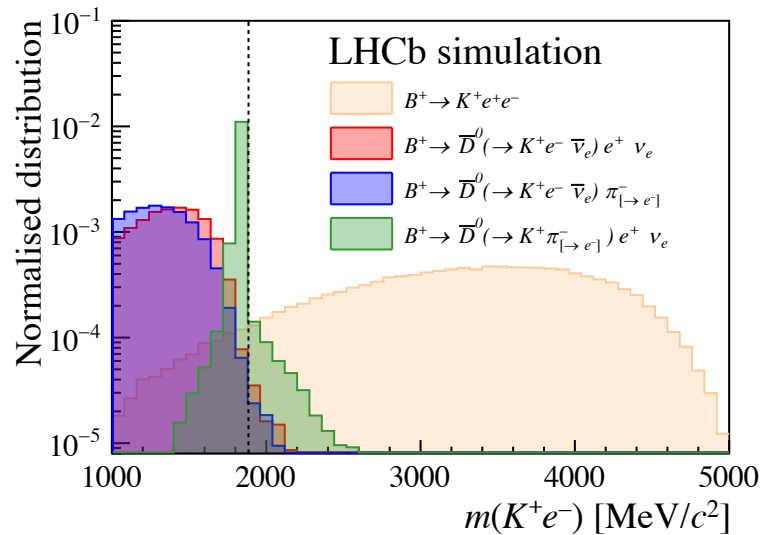
- During Run3 we will start playing (more seriously) with $b \rightarrow d \ell \ell$:
 - but more issues with loops (cc & uu)
 - would it be interesting to try to relate information from $\Lambda_b \rightarrow \Lambda (1520) \ell \ell$ and $\Lambda_b \rightarrow N^*(\rho\pi) \ell \ell$?
 - Let's be crazy : does it make any sense to use B_c decays ?
 - forgetting about statistical issues $B_c \rightarrow D^{*+} \ell \ell$ may be a very clean way to access $b \rightarrow d \ell \ell$ for the $PS \rightarrow V \ell \ell$ case.

back-up slides

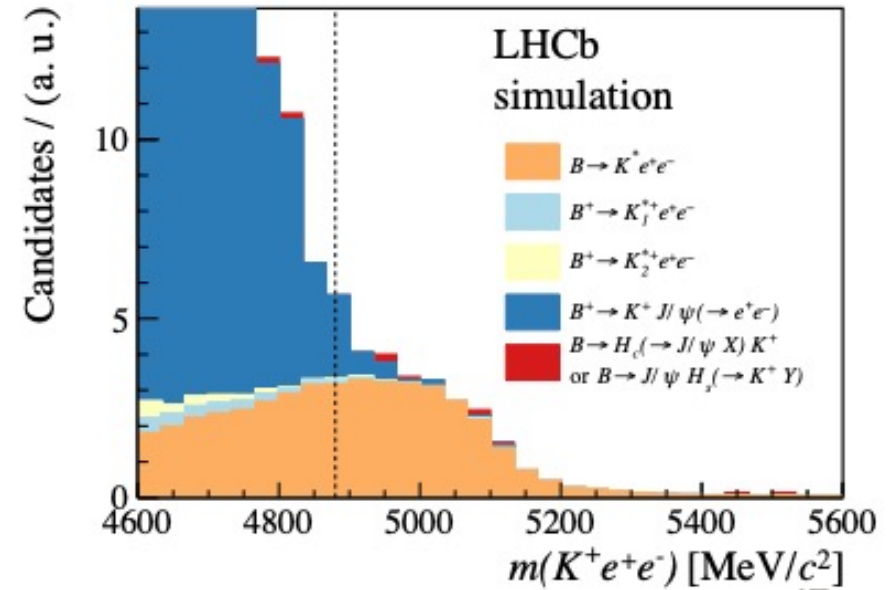
B → Kee case :

arXiv:2103.11769

semileptonic backgrounds veto:



backgrounds (simulation) :



from <https://indico.cern.ch/event/1055780/>