

# Molecular Modelling in Medicinal Chemistry

**Daniel Cole**

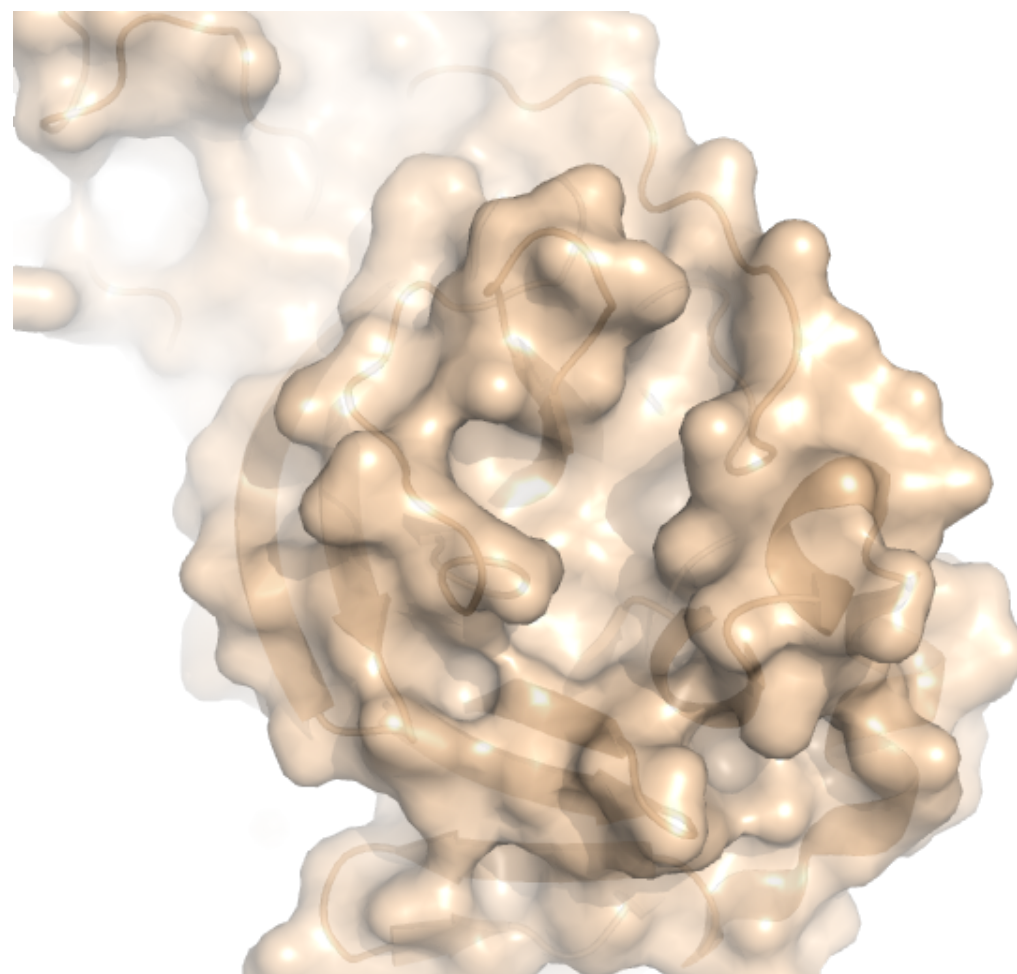
School of Natural and Environmental Sciences



# Problem: Organic Synthesis is Costly

## Computer-Aided Drug Design

- **Medicinal Chemistry**
  - Aim to design a molecule that binds to a target (usually a protein) with therapeutic benefit
- **Medicinal Chemistry is Expensive**
  - Estimated R&D costs of \$2bn
- **Multiple properties must be optimised at once**
  - Strength of binding (the right shape, suitable intermolecular interactions, ...)
  - Pharmacokinetics (including absorption, distribution, metabolism and excretion properties)
  - Suitable for computational design

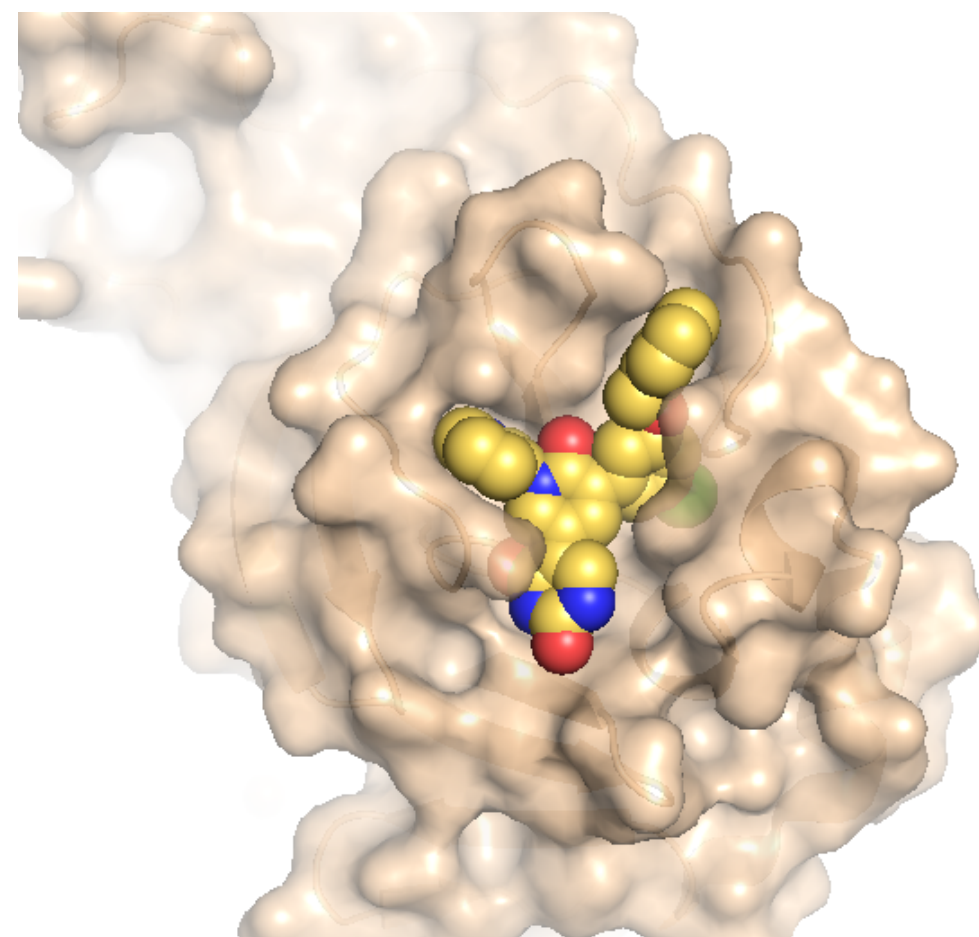




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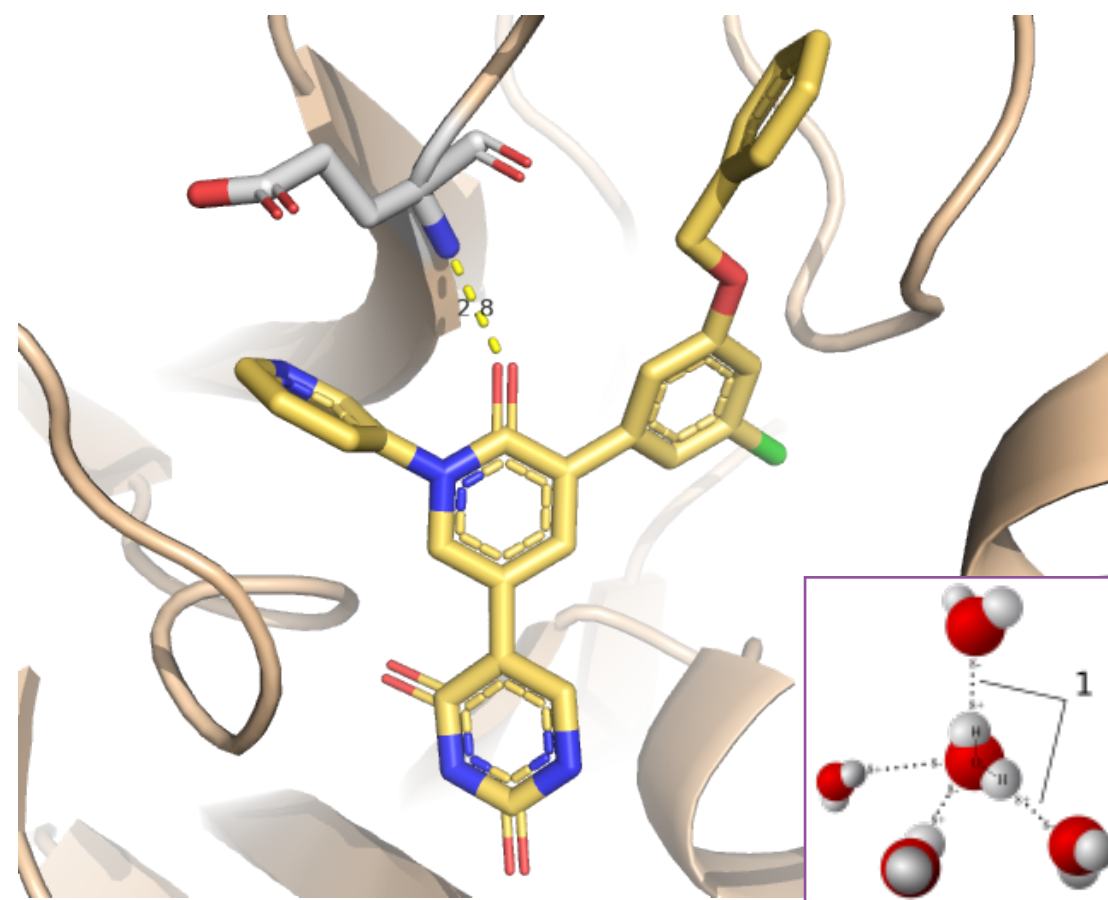
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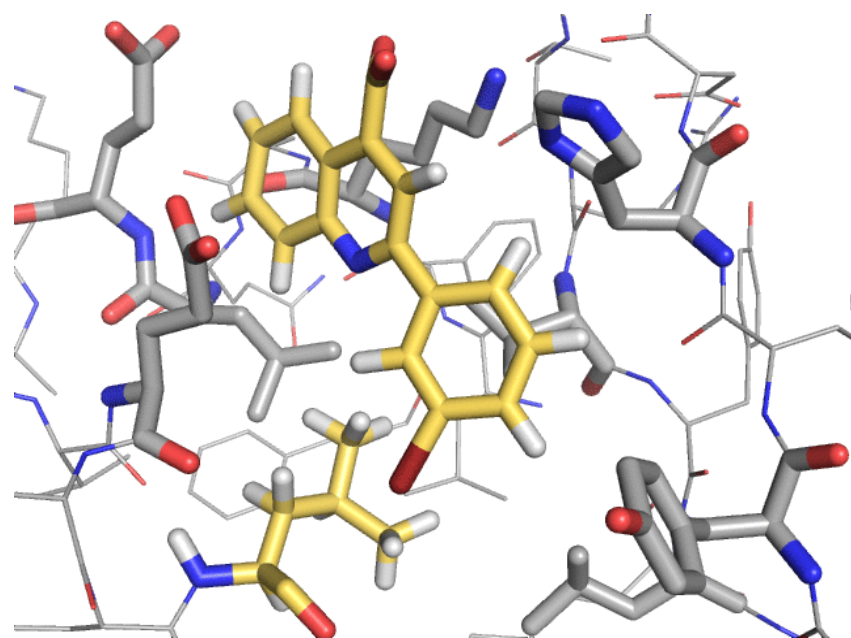


*Stabilised by e.g. hydrogen bonding interactions with the target*

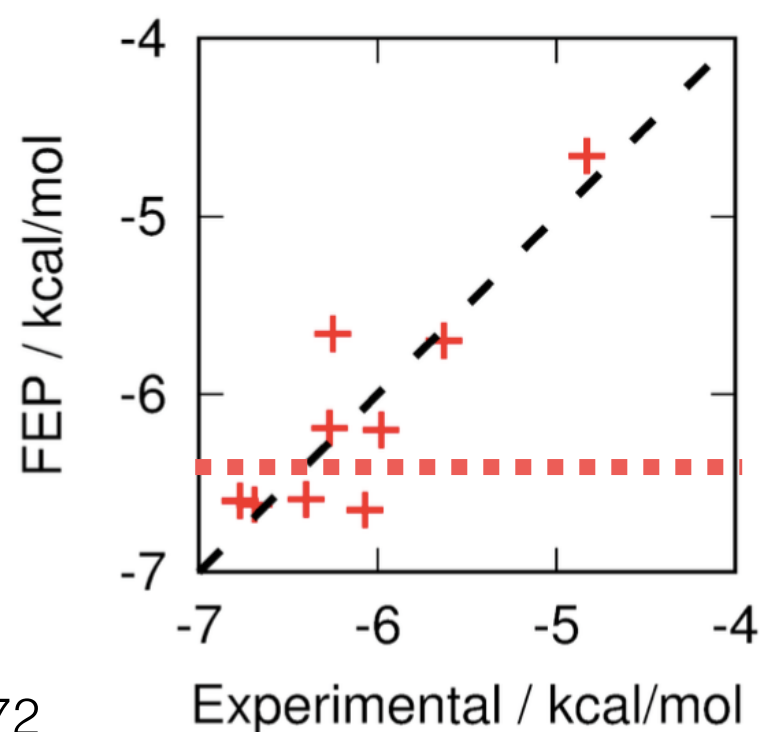
Need a computational model that can predict binding from structure

# Molecular Interactions & Dynamics

Free energy calculations based on molecular modelling fit this need.



Cole et al., *Chem. Commun.* **2017**, 53, 9372



**RMSE =  
0.32 kcal/mol**

Allow us to prioritise molecules for synthesis.

Methods are based around **molecular mechanics** and **force fields**...

# Molecular Mechanics

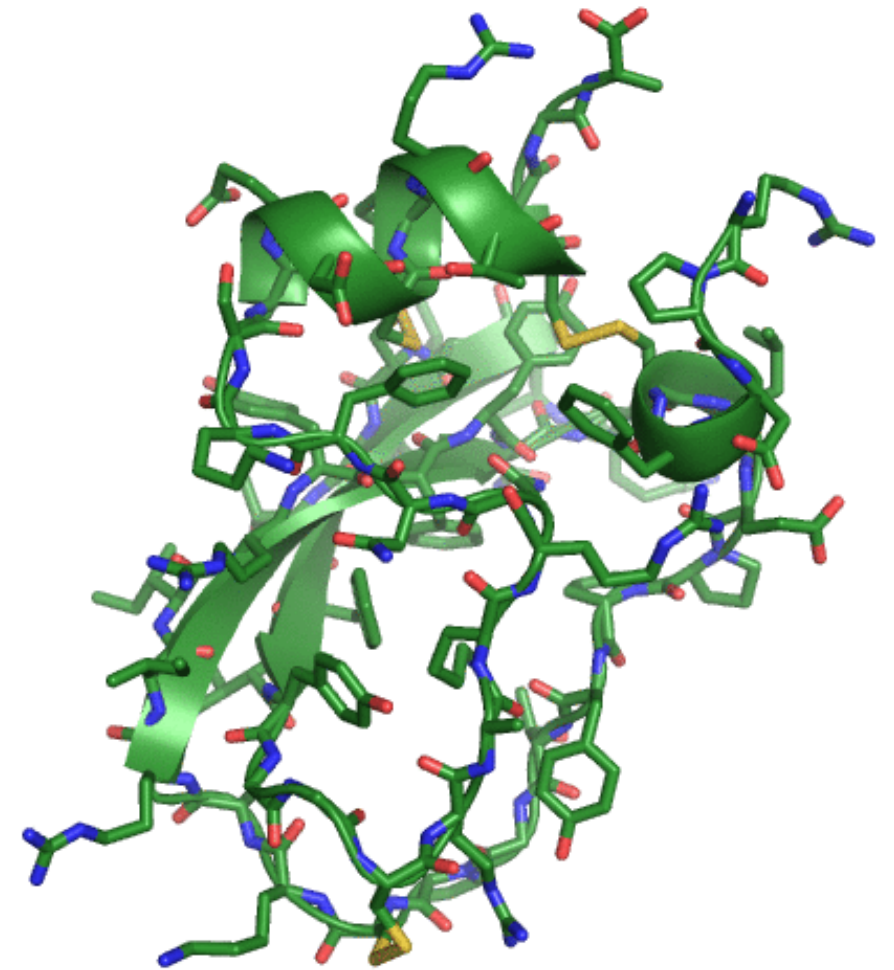
Molecular mechanics (MM) can complement experiment in many ways. At the simplest level, we can use molecular dynamics to ‘animate’ the system.

**How does it work?** If we know the structure at  $t=0$  and the forces on the atoms, we can integrate Newton’s 2nd law to find the positions at all later times:

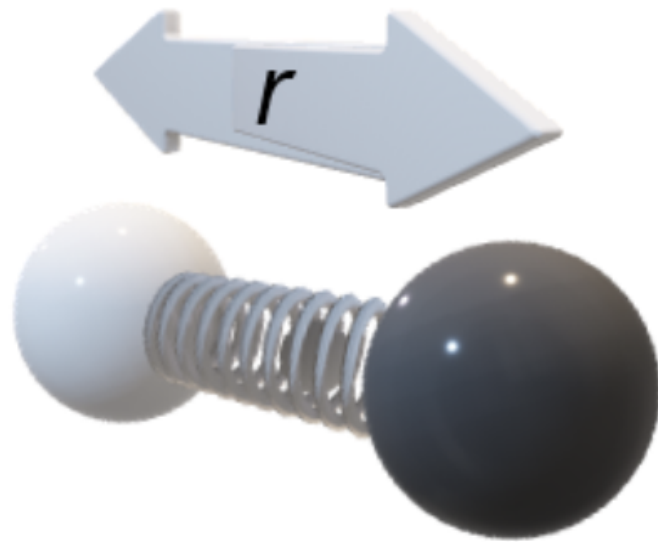
$$\mathbf{F}_i = m_i \mathbf{a}_i = m \frac{d^2 \mathbf{r}_i}{dt^2}$$

Time steps of 1fs ( $10^{-15}$  s) are required to model bond vibrations.

Simulations tend to be limited only by finite sampling ( $\mu$ s to ms) and accuracy of the forces.



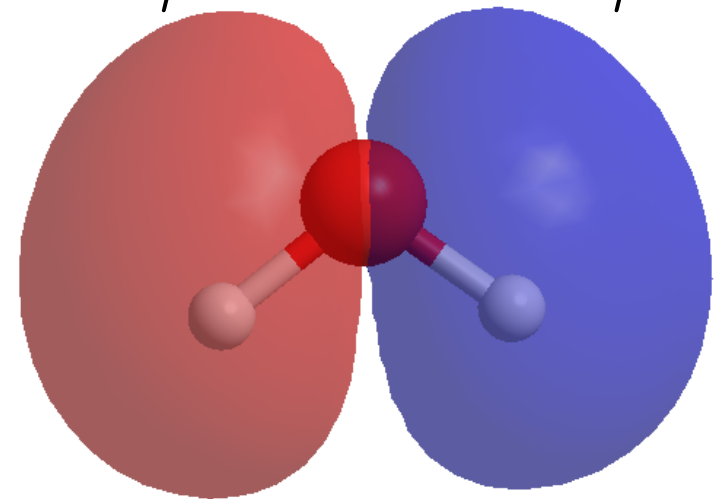
# Atomistic Modelling



## **Classical mechanics**

fast to run, large system sizes, not very accurate

$$\hat{H}\psi = E\psi$$

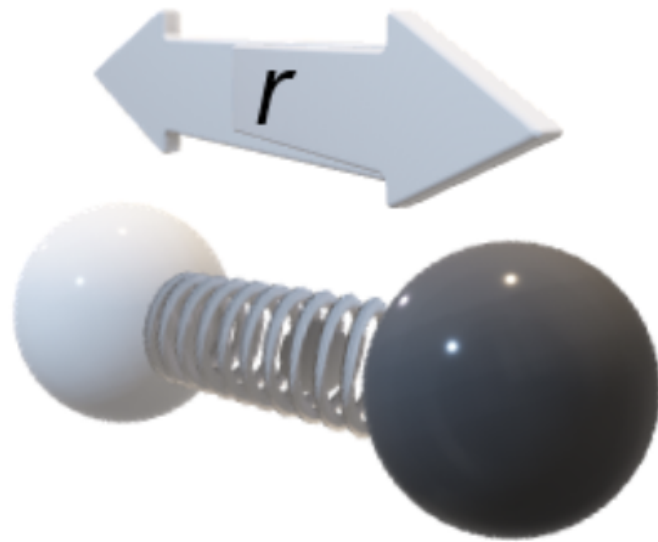


## **Quantum mechanics**

very accurate, small system sizes, very expensive to run

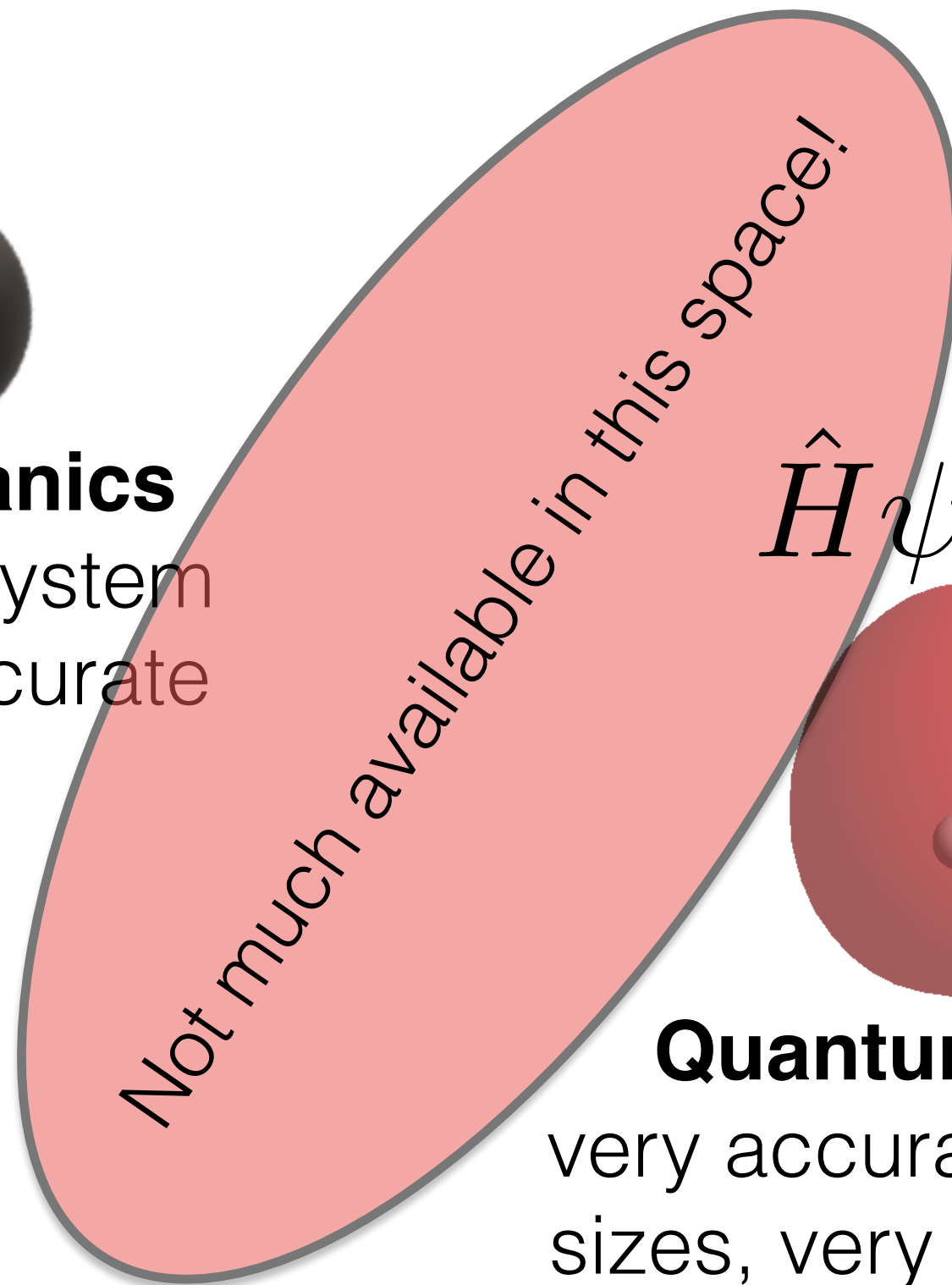


# Atomistic Modelling

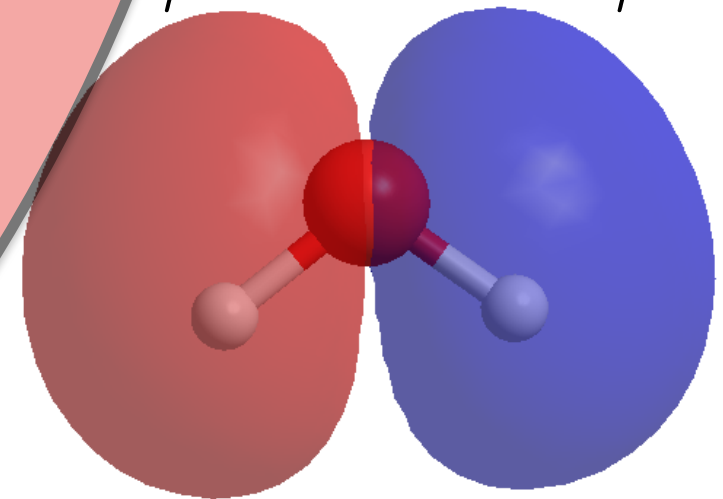


## Classical mechanics

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$$\hat{H}\psi = E\psi$$



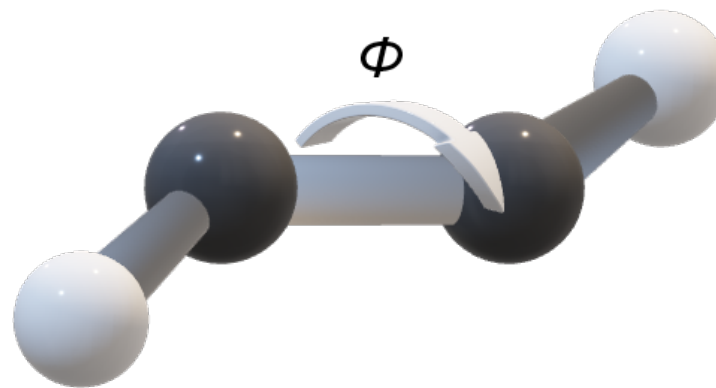
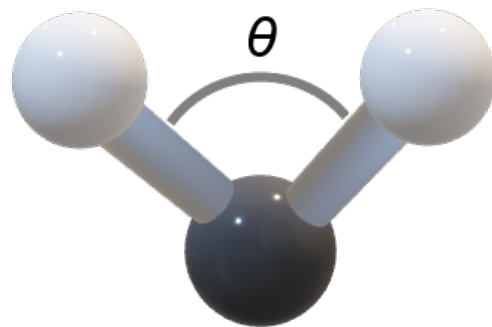
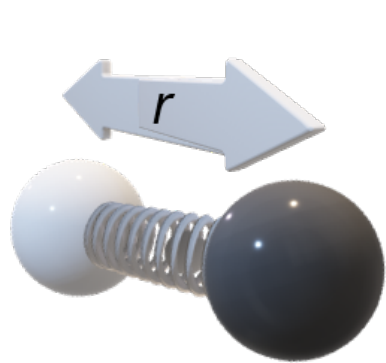
## Quantum mechanics

very accurate, small system sizes, very expensive to run



# Force Field

$$E_{Total} = \sum_{Bonds} K_r(r - r_0)^2 + \sum_{Angles} K_\theta(\theta - \theta_0)^2 + \sum_{Torsions} \frac{V_n}{2} [1 + \cos(n\Phi - \gamma)]$$



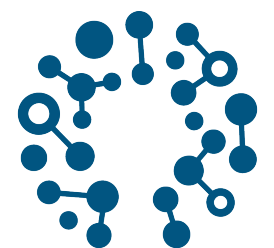
**Bonded  
(Intramolecular)  
Parameters**

$$+ \sum_{Non-Bonded} \left[ 4\epsilon_{ij} \left\{ \left( \frac{\sigma_{ij}}{r_{ij}} \right)^{12} - \left( \frac{\sigma_{ij}}{r_{ij}} \right)^6 \right\} + \frac{q_i q_j}{r_{ij}} \right]$$



**Non-Bonded  
(Intermolecular)  
Parameters**

*An open and collaborative approach to better force fields*



**open**  
forcefield

# Free Energy for Drug Discovery

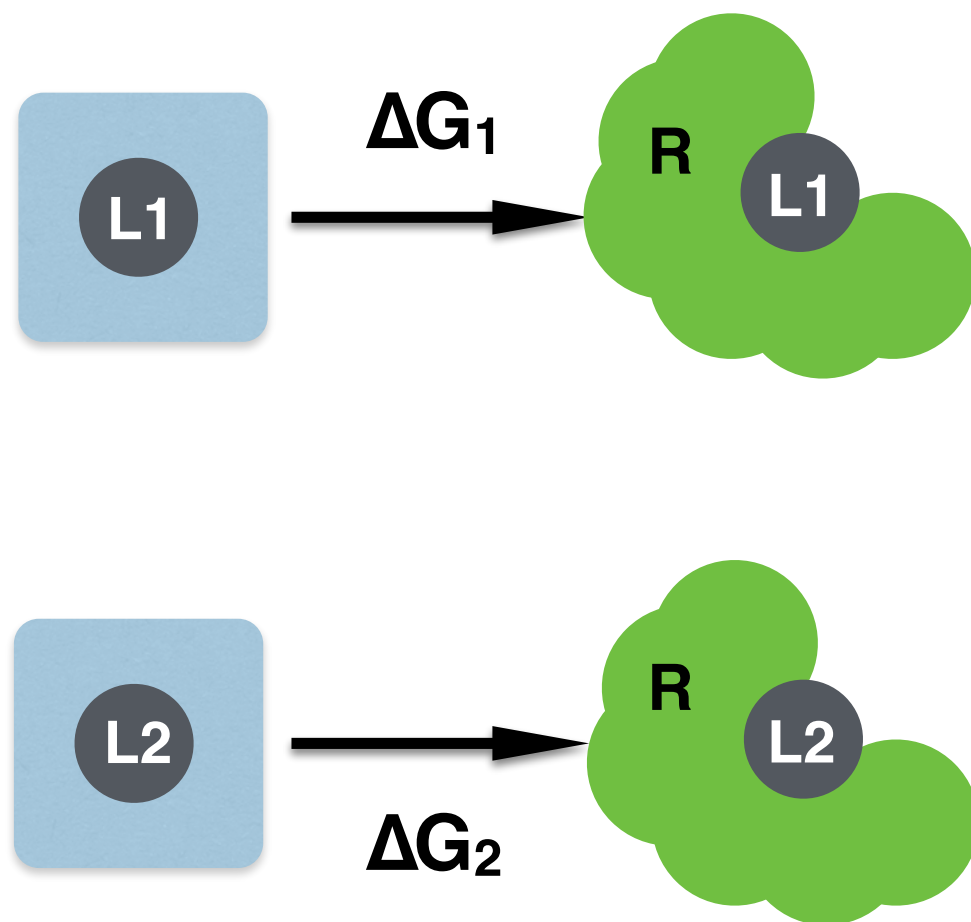


In lead optimisation studies, we are typically interested in optimising the target-ligand binding affinity.

In other words, we need to find the free energy difference between a small molecule (L1) in solution and bound to the protein (R).

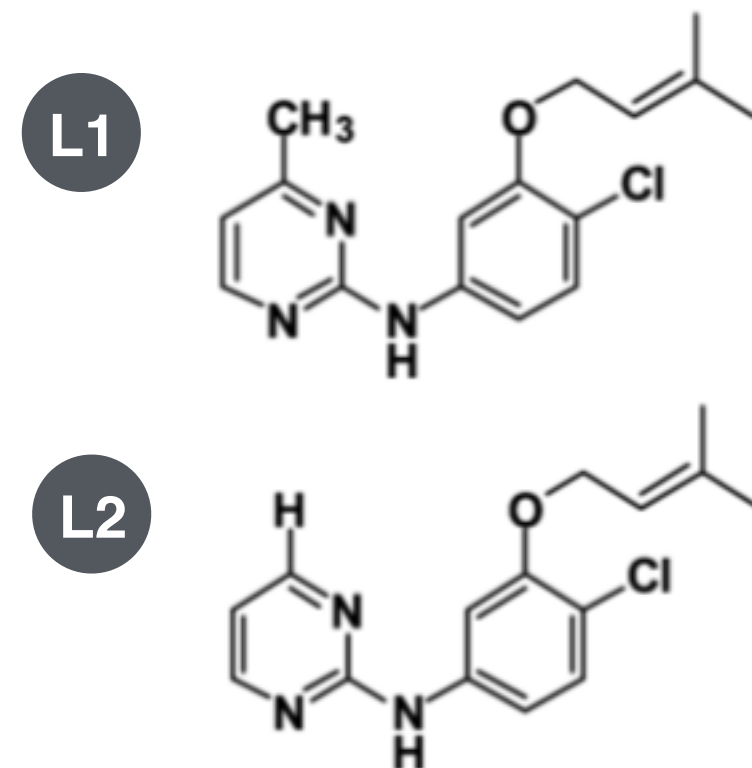
Free energy perturbation (FEP) theory provides a rigorous means to compute the binding free energy.

# FEP for Drug Discovery



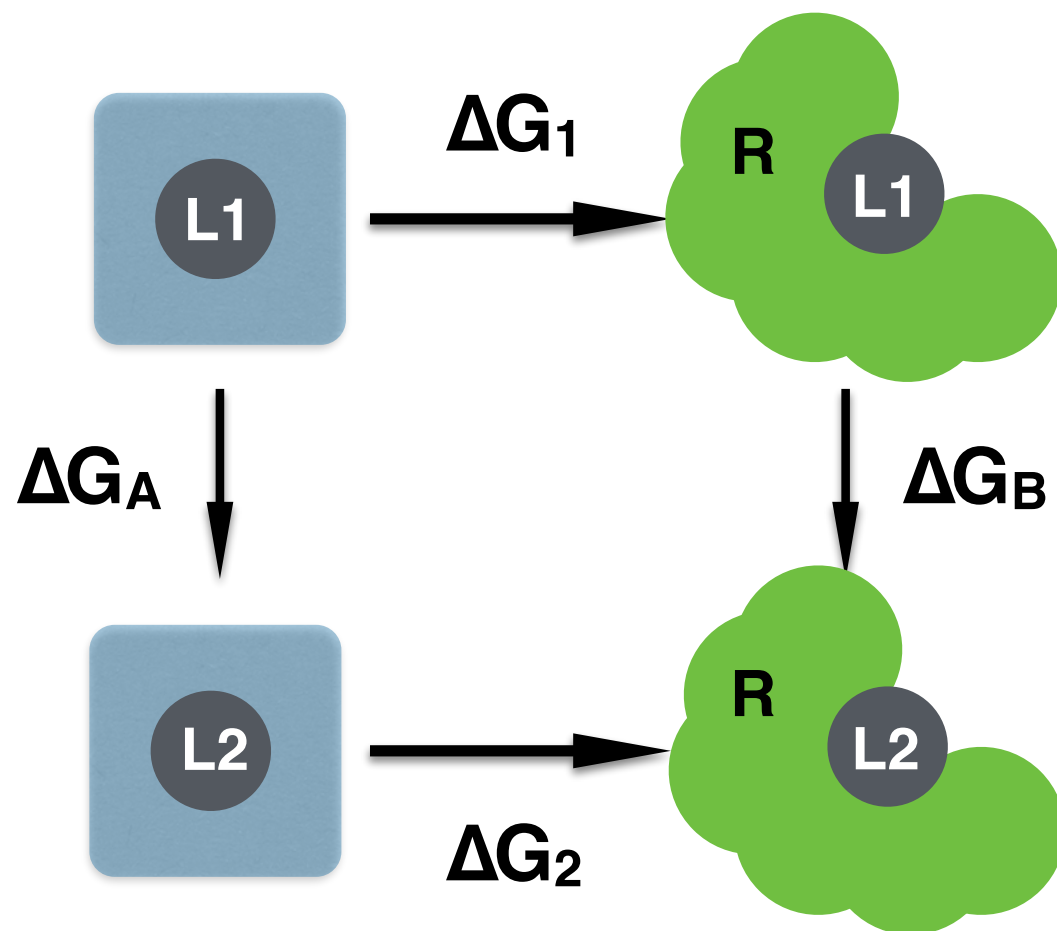
$$\Delta\Delta G = \Delta G_2 - \Delta G_1$$

For example:



If we have two similar molecules, then often we only need to compute the relative binding free energy  $\Delta\Delta G$ .

# FEP for Drug Discovery



The total free energy change around a closed loop is zero:

$$\Delta\Delta G = \Delta G_2 - \Delta G_1 = \Delta G_B - \Delta G_A$$

Free energy changes computed using Zwanzig equation:

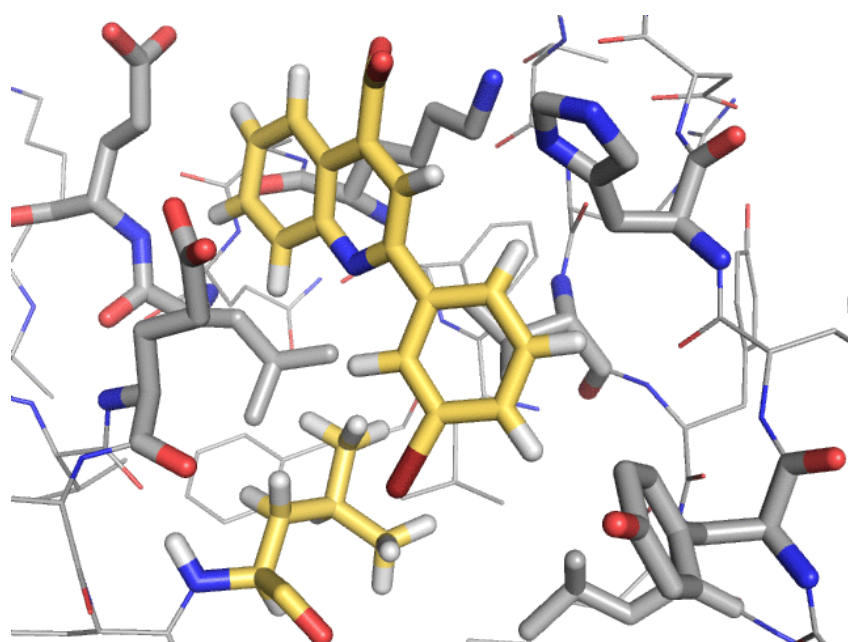
$$\Delta G_A = -kT \ln \left\langle \exp \left[ \frac{-(U_{L2} - U_{L1})}{kT} \right] \right\rangle_{L1}$$

We can use FEP to transform molecule L1 into molecule L2 in the protein and in water. Conformational sampling performed using force field.

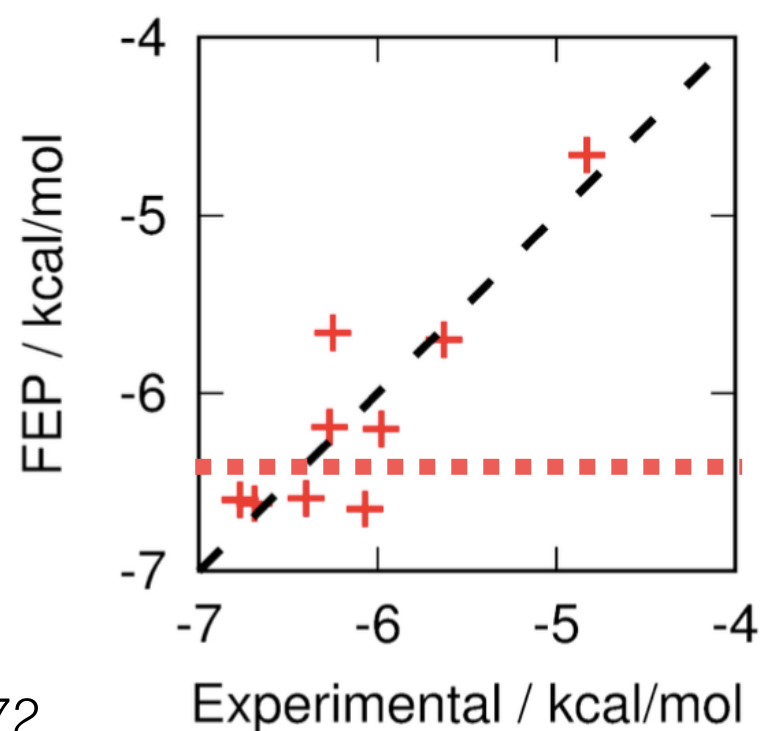


# Molecular Interactions & Dynamics

Free energy calculations based on molecular modelling allow us to prioritise molecules for synthesis.



Cole et al., *Chem. Commun.* **2017**, 53, 9372



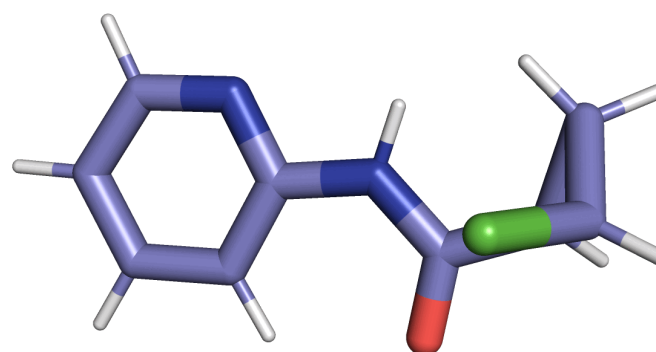
**RMSE =  
0.32 kcal/mol**

But accuracy is limited by the accuracy of the forces...

# Open Force Field BespokeFit

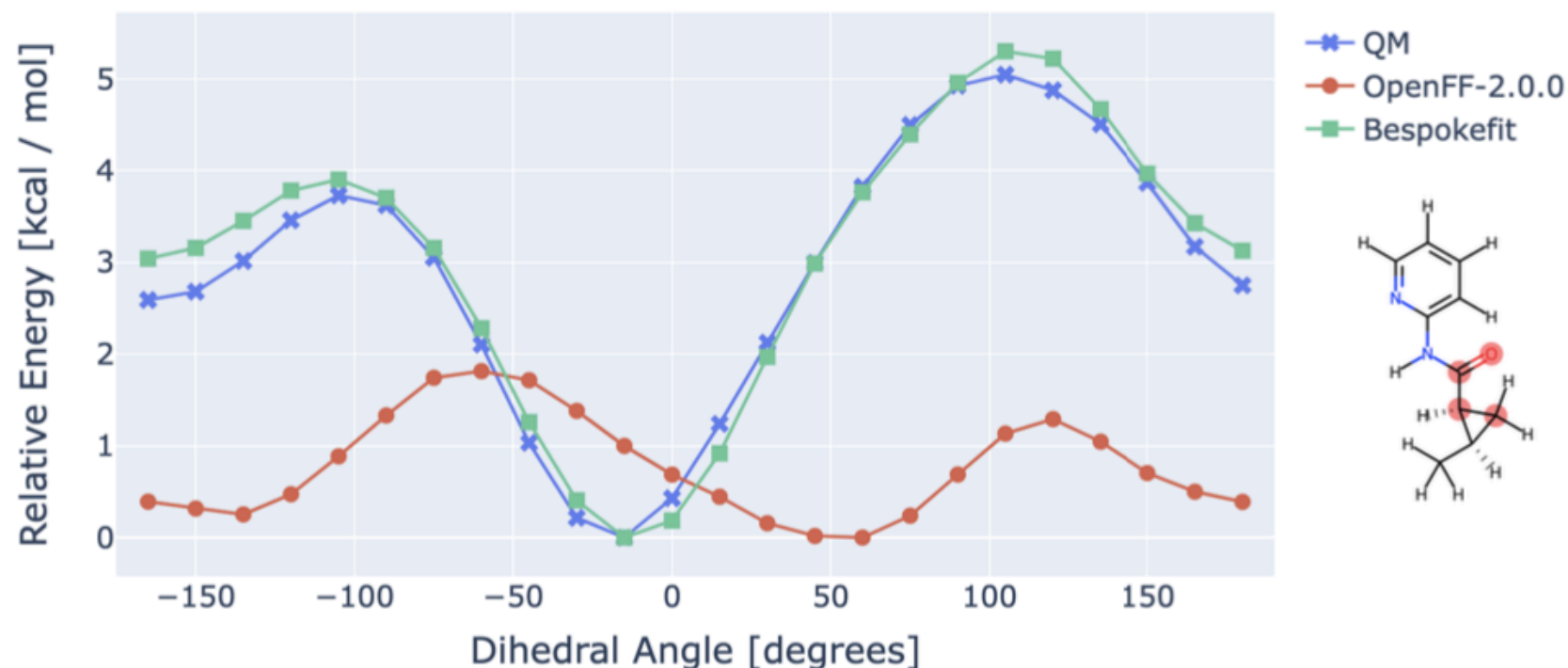
Accurate determination of molecular conformation is crucial in structure-based drug design.

Molecular conformation is largely determined by torsional rotation about flexible bonds.



Partnered with international industry-academic collaboration to deliver software solution.

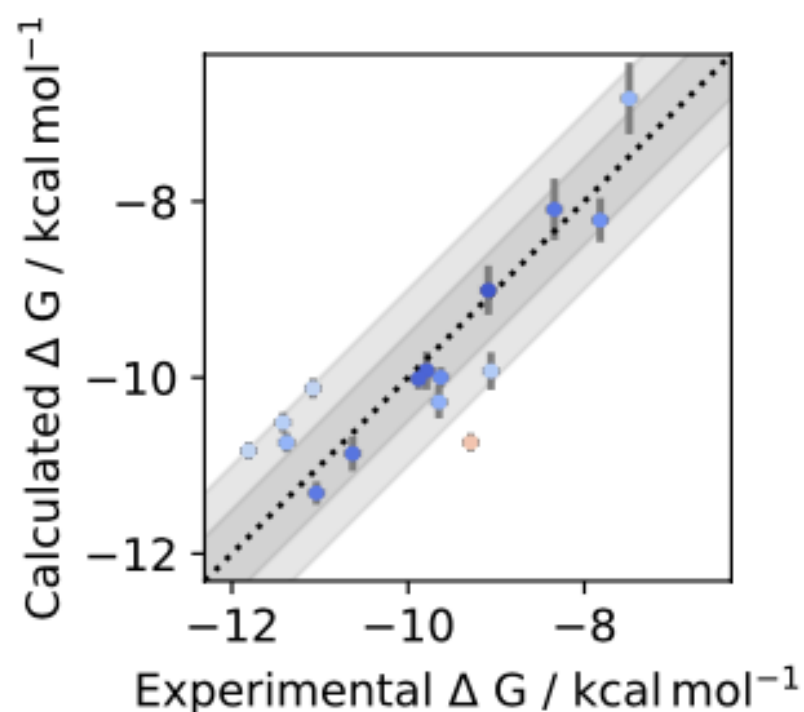
**OpenFF-BespokeFit** is an open, automated python package for torsion parameter fitting. Can make use of stored QM data.



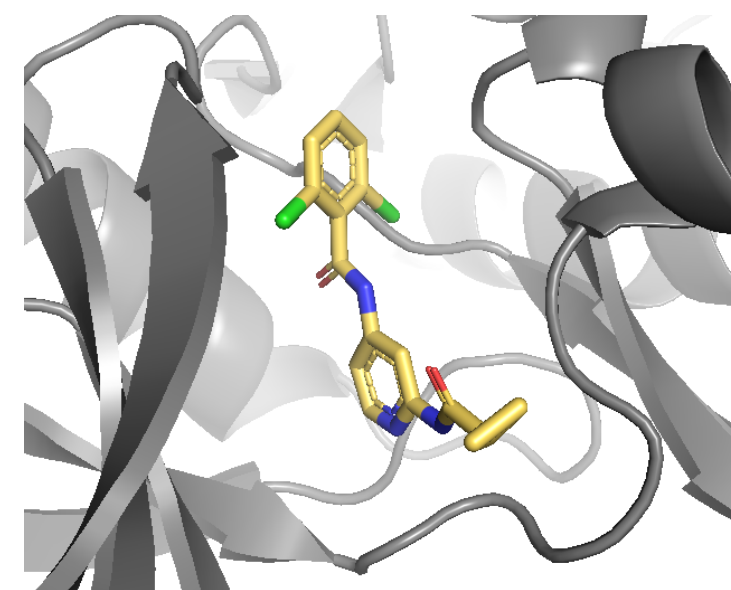
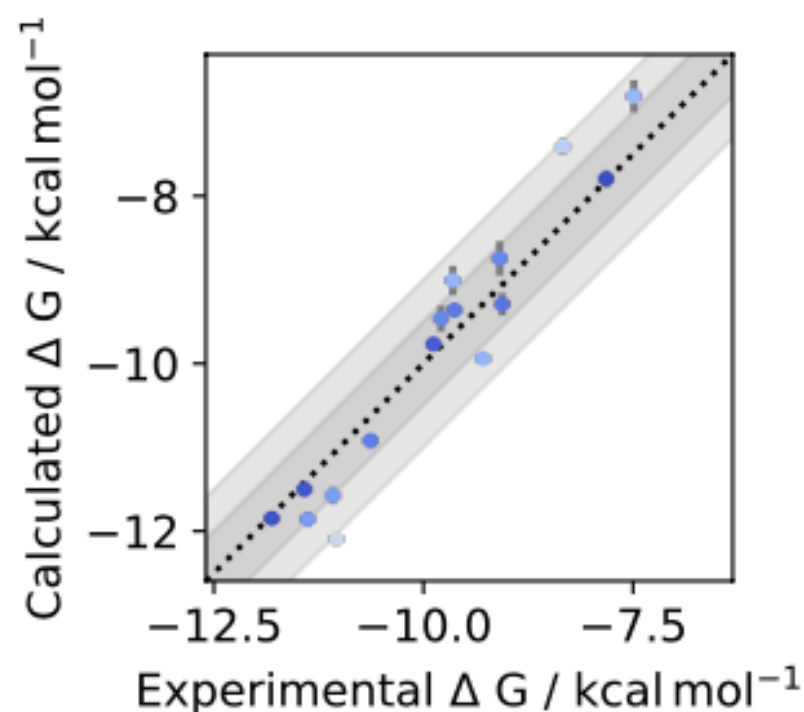
# Bespoke Dihedral Parameters Improve Accuracy

Bespoke torsion parameters improve relative binding free energies for series of TYK2 inhibitors, relative to OpenFF 'Parsley' force field.

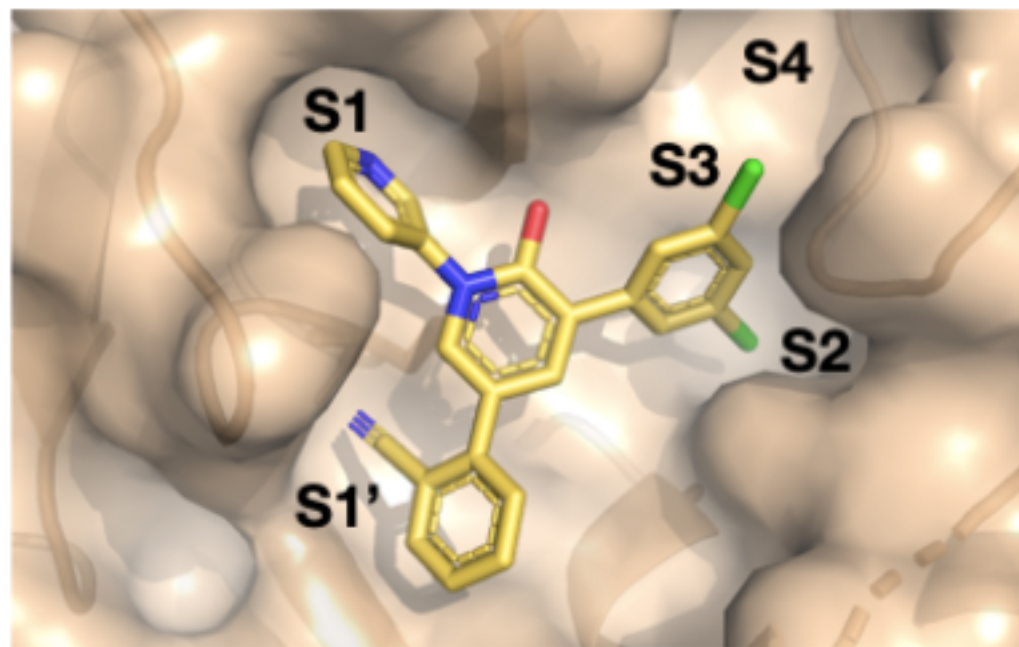
	OpenFF-1.3
	tyk2 (N = 16)
RMSE:	0.68 [95%: 0.51, 0.91]
MUE:	0.56 [95%: 0.39, 0.77]
R2:	0.72 [95%: 0.35, 0.87]
rho:	0.85 [95%: 0.63, 0.93]



	Bespoke default-1.3.0
	tyk2 (N = 16)
RMSE:	0.51 [95%: 0.35, 0.69]
MUE:	0.42 [95%: 0.28, 0.59]
R2:	0.93 [95%: 0.84, 0.97]
rho:	0.97 [95%: 0.92, 0.99]

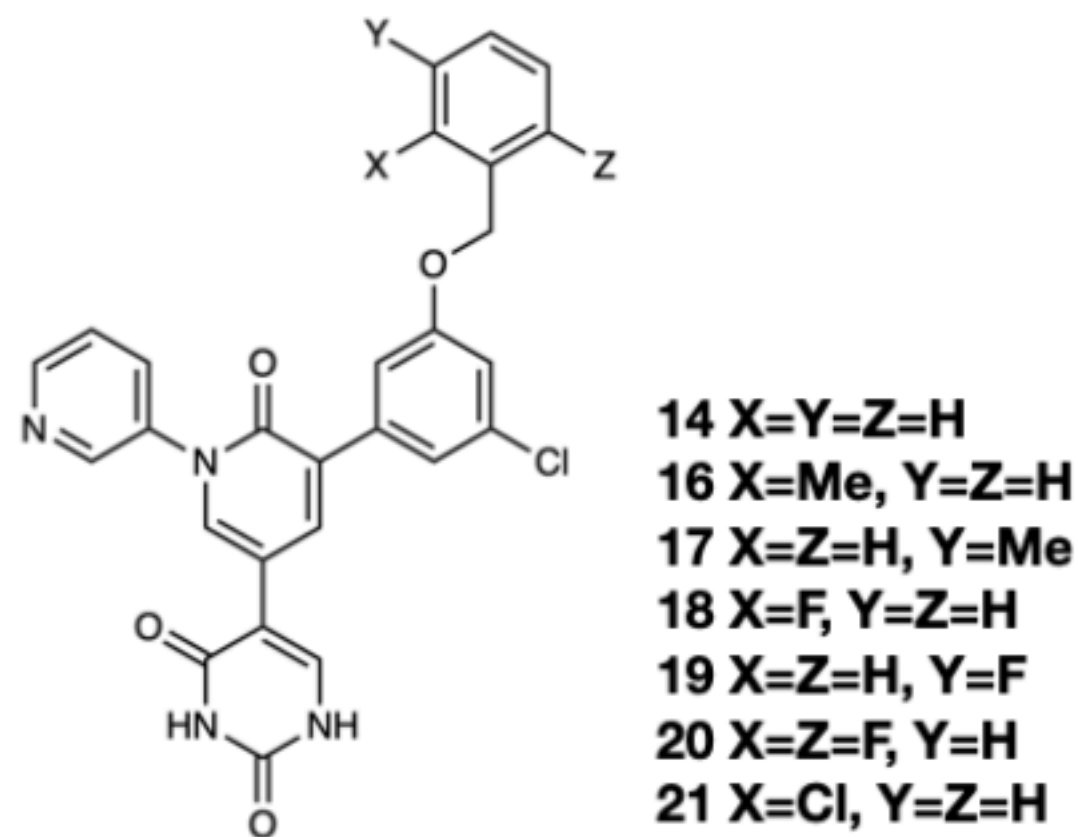
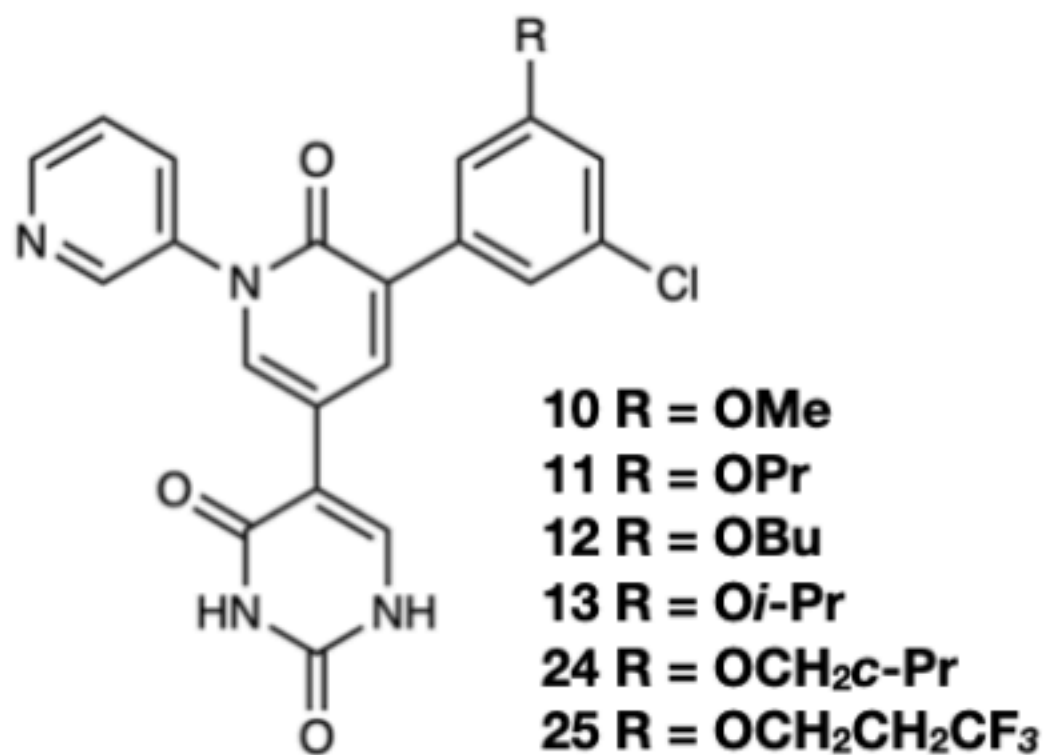


# Molecular Design Problem



**Typical problem:** design of inhibitors of the main protease of SARS-CoV-2 main protease.

**Lacking open, extensible software** for building and scoring designs.

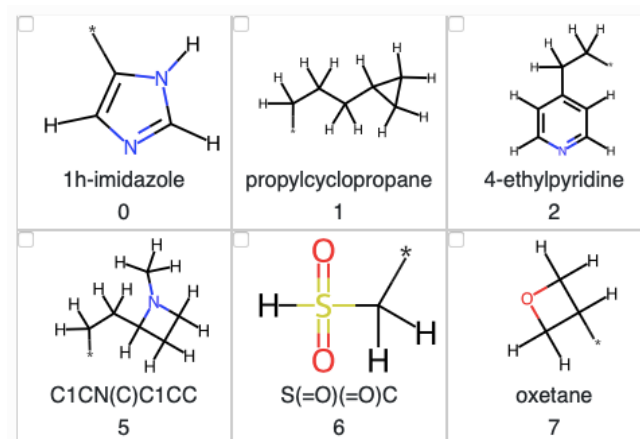




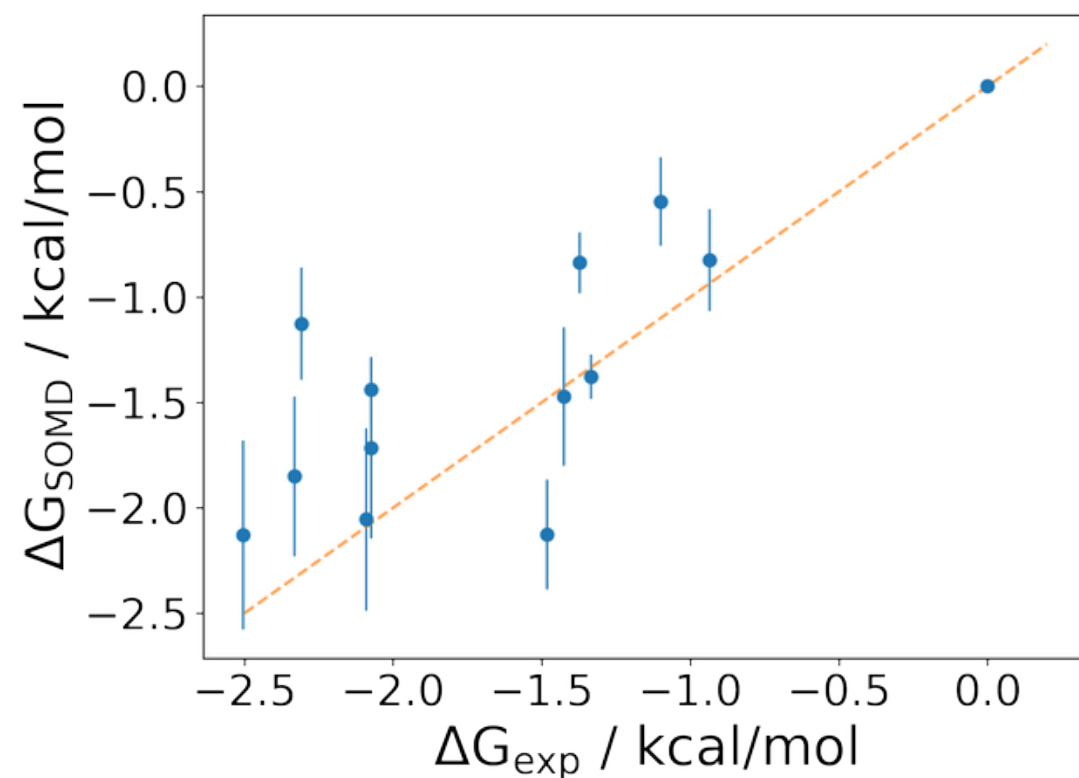
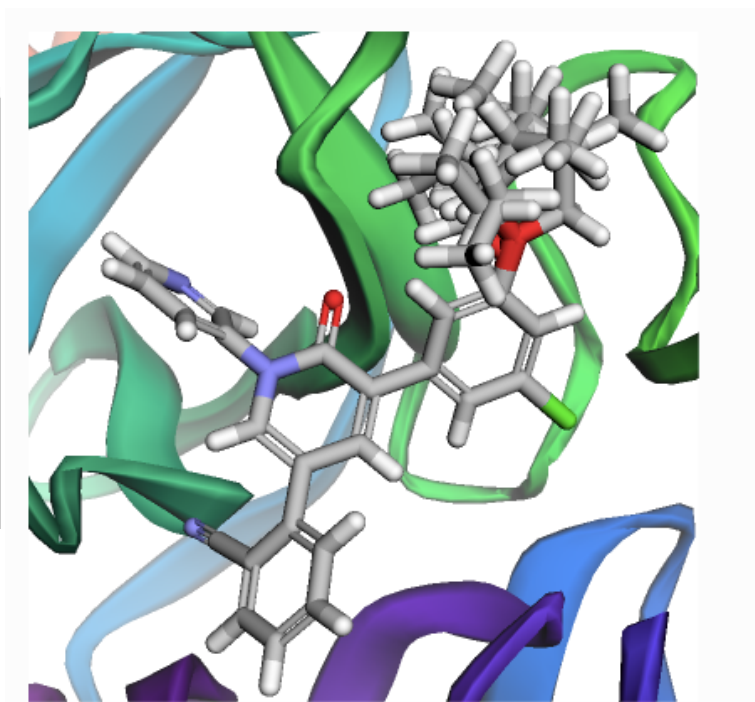
# Our Open Software Solution: FEGrow

An interactive, open source workflow for building congeneric series of ligands.

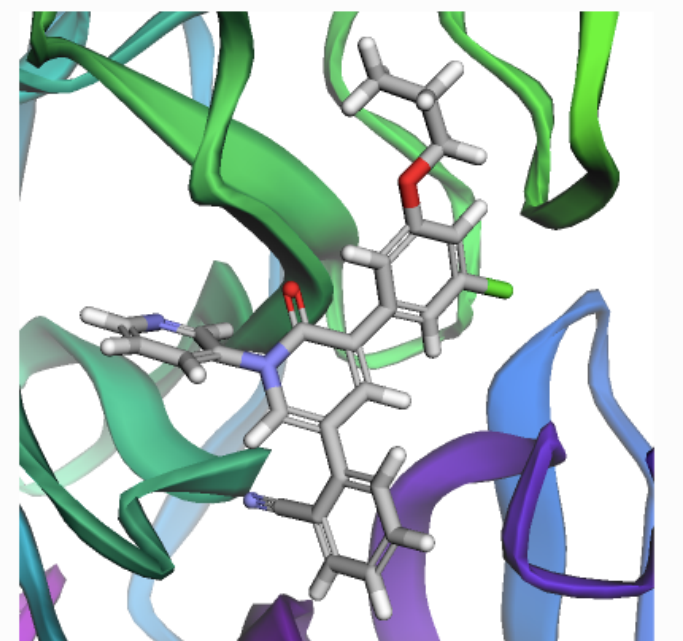
<https://github.com/cole-group/FEgrow>



**Build &  
Enumerate**



**Score**



**Optimise**

M Bieniek, B Cree, R Pirie, J Horton, N Tatum, D Cole, *Commun. Chem.*, **2022**, 5:136

<https://github.com/cole-group/FEgrow>

# Summary

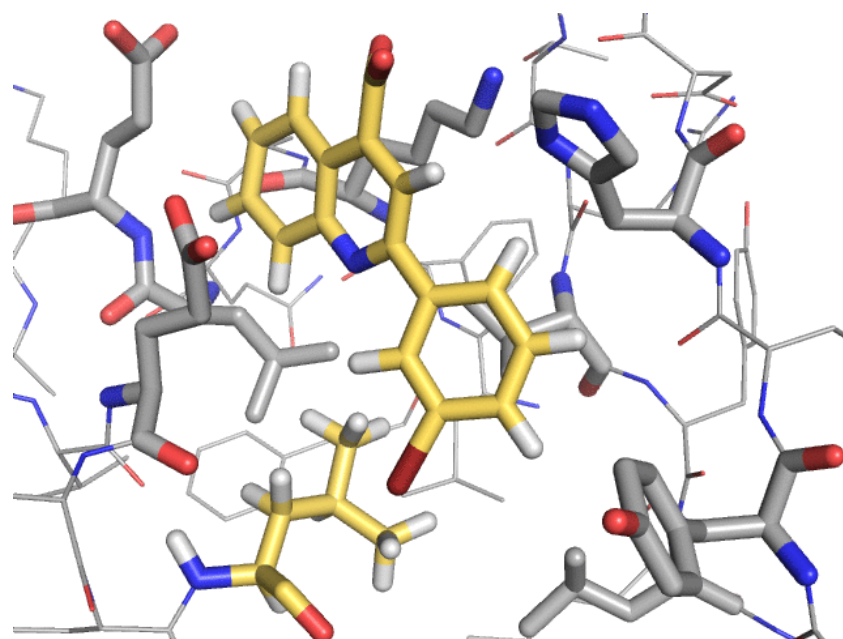
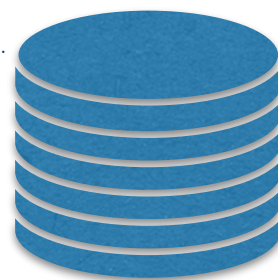
Our goals are to:

- 1) Develop better approximations to quantum mechanical modelling.
- 2) Produce software to automate this process.
- 3) Collect and analyse data to work at scale.
- 4) Deliver more accurate predictions for drug design.

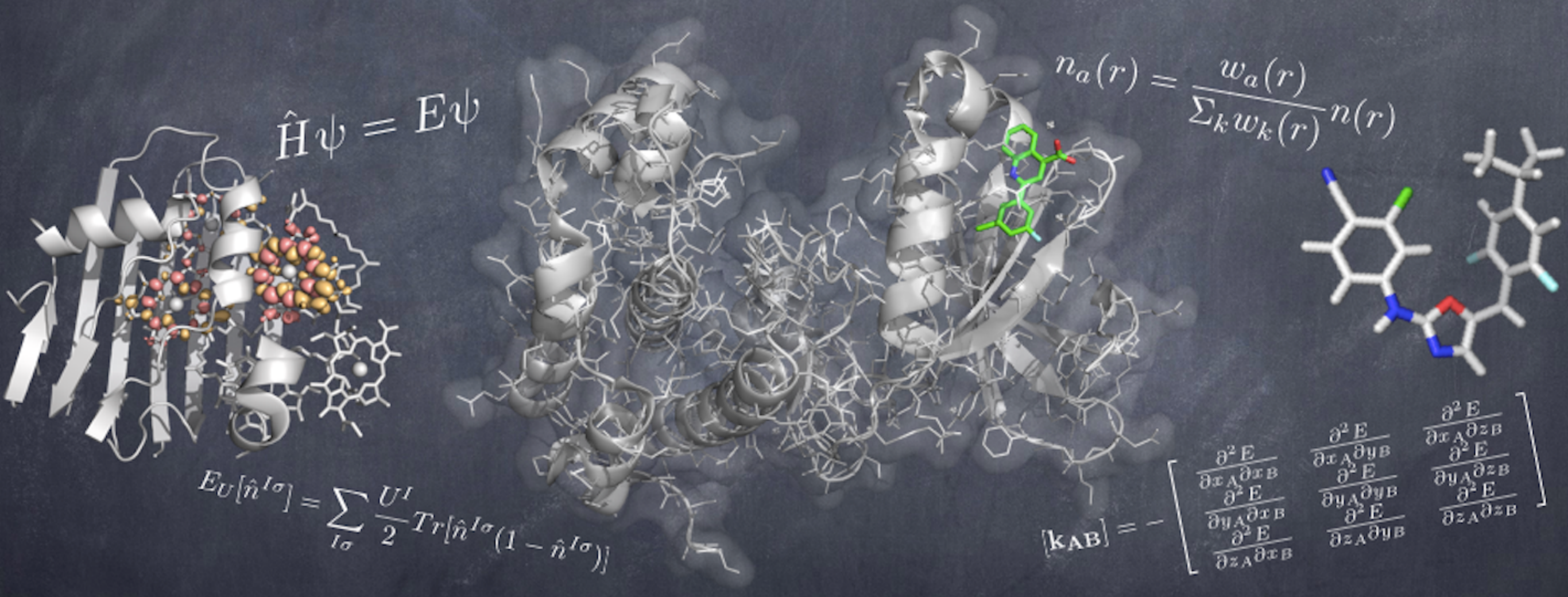
$$\hat{H}\psi = E\psi$$

$$\Delta G = -k_B T \ln \left\langle \exp \left( -\frac{\Delta U}{k_B T} \right) \right\rangle$$

```
def _calculate_lj_data(self, molecule: "Ligand") -> Dict[int, LJData]:  
    """  
    Use the AIM parameters to calculate a_i and b_i according to paper.  
    Calculations from paper have been combined and simplified for faster computation.  
    returns: Dict of the a_i, b_i and r_aim values needed for sigma/epsilon calculation.  
    """  
  
    lj_data = {}  
  
    for atom_index, atom in enumerate(molecule.atoms):  
        try:  
            atomic_symbol, atom_vol = atom.atomic_symbol, atom.aim.volume  
  
            # Find polar Hydrogens and allocate their new name: X  
            if atomic_symbol == "H":  
                bonded_index = atom.bonds[0]  
                if molecule.atoms[bonded_index].atomic_symbol in [  
                    "N",  
                    "O",  
                    "S",  
                ]:  
                    atomic_symbol = "X"
```







<https://blogs.ncl.ac.uk/danielcole/>

<https://github.com/cole-group/>



@ColeGroupNCL



Newcastle  
University

Thank you for your attention





# Molecular Dynamics

The method we use to **explore** the potential energy surface is called **molecular dynamics (MD)**.

You may also come across Monte Carlo methods. We will not have time to discuss them here.

The basis of molecular dynamics is Newton's second law of motion:

$$\mathbf{F}_i = m_i \mathbf{a}_i = m \frac{d^2 \mathbf{r}_i}{dt^2}$$

If we know the positions of the atoms  $\mathbf{r}_i$  at time  $t=0$ , then we can find the positions at all later times by integrating the force (from the force field).

This gives us a 'movie' of the system.

# Molecular Dynamics

$$\mathbf{F}_i = m_i \mathbf{a}_i = m \frac{d^2 \mathbf{r}_i}{dt^2}$$

If we know the positions of the atoms  $\mathbf{r}_i$  at time  $t=0$ , then we can find the positions at all later times by integrating the force (from the force field).

This gives us a ‘movie’ of the system.

How do we go about integrating the force with respect to time?  
We split time up into a series of small, discrete time steps  $\Delta t$  and make use of a Taylor series expansion:

$$f(x + \Delta x) = f(x) + \Delta x \frac{df}{dx} + \frac{1}{2} (\Delta x)^2 \frac{d^2 f}{dx^2} + \dots$$

# Verlet Algorithm

Applying the Taylor expansion to the positions of the particles:

$$r(t + \Delta t) = r(t) + \Delta t \frac{dr}{dt} + \frac{1}{2} (\Delta t)^2 \frac{d^2 r}{dt^2} + \dots$$

$$r(t - \Delta t) = r(t) - \Delta t \frac{dr}{dt} + \frac{1}{2} (\Delta t)^2 \frac{d^2 r}{dt^2} - \dots$$

Sum the two equations, and rearrange:

$$r(t + \Delta t) = 2r(t) - r(t - \Delta t) + (\Delta t)^2 \frac{d^2 r}{dt^2}$$

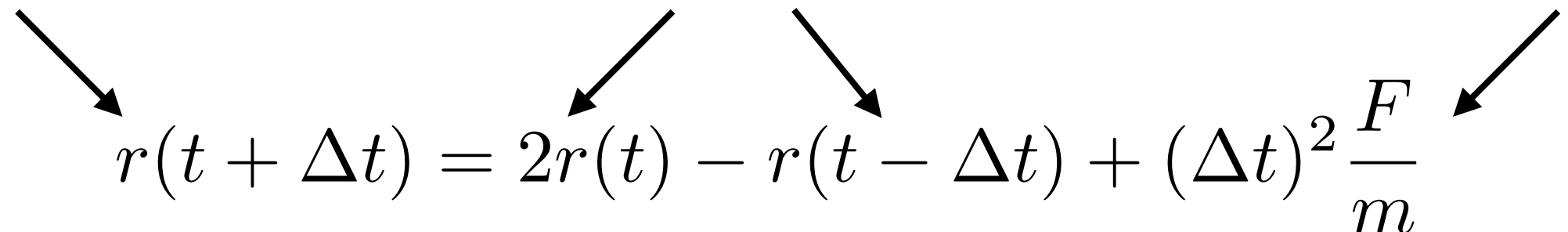
$$r(t + \Delta t) = 2r(t) - r(t - \Delta t) + (\Delta t)^2 \frac{F}{m}$$

# Verlet Algorithm

positions at  
next time

positions at  
previous times

Forces, mass  
of atoms


$$r(t + \Delta t) = 2r(t) - r(t - \Delta t) + (\Delta t)^2 \frac{F}{m}$$

This is the **Verlet algorithm**. It allows us to compute atomic positions at all later times, forever, from the initial coordinates and the force field.

The Taylor expansion relies on  $\Delta t$  being small.

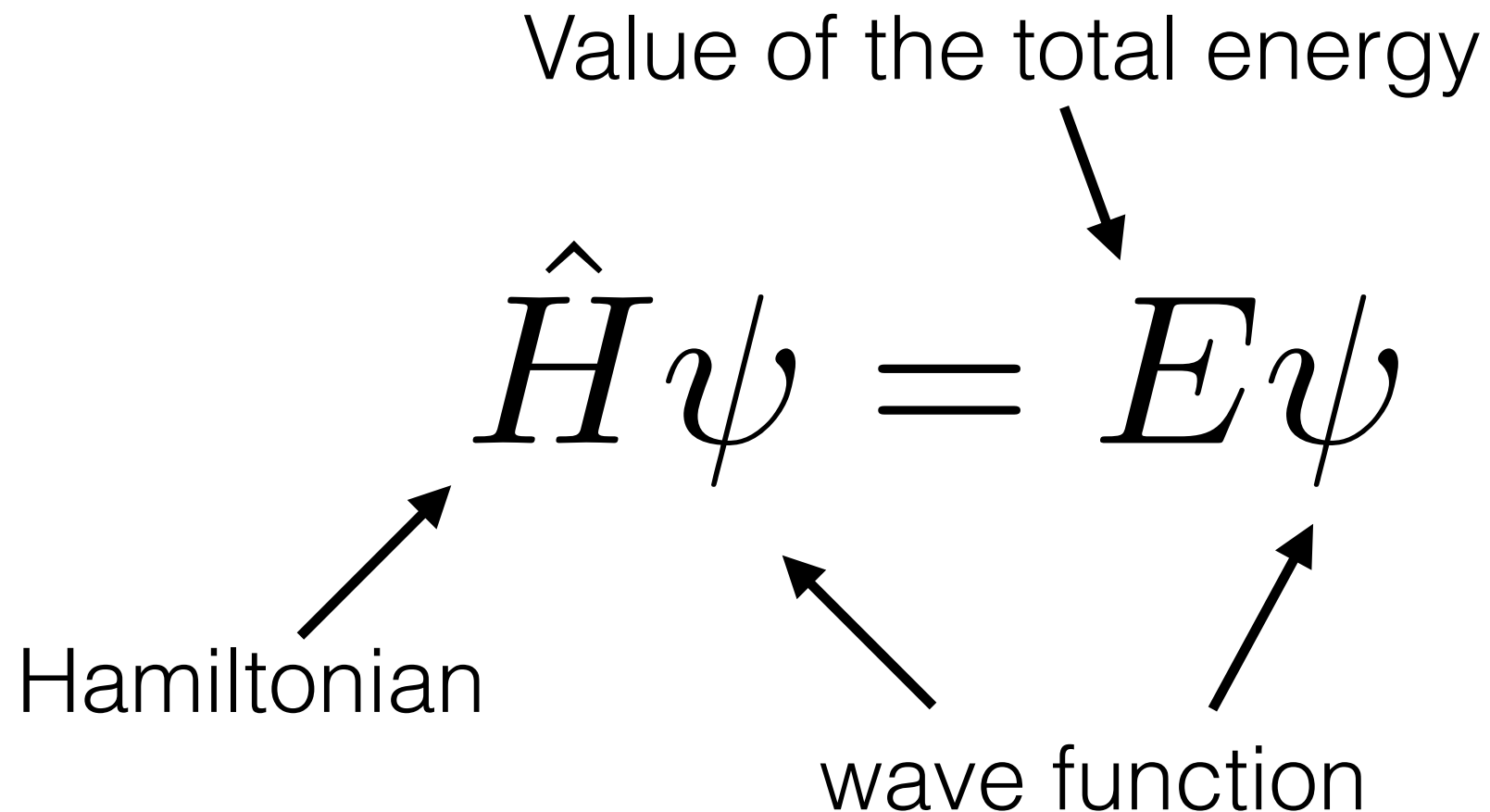
How small is small? Given the masses and forces involved,  $\Delta t$  is typically 1 femtosecond ( $10^{-15}$  seconds)!

So if we can perform around 100 energy evaluations per second on a cpu, we can simulate around 10 nanoseconds (10ns) per day — not a huge amount but enough to study many important processes.



# Schrödinger Equation

Value of the total energy



The diagram shows the Schrödinger equation  $\hat{H}\psi = E\psi$  centered on the slide. Three arrows point to its components: one from the label 'Hamiltonian' to the operator  $\hat{H}$ , one from the label 'wave function' to the symbol  $\psi$  on the left, and one from the label 'Value of the total energy' to the symbol  $E$  on the right.

$$\hat{H}\psi = E\psi$$

Hamiltonian

wave function

Solution of the Schrödinger equation tells us the **wave function** (where the electrons are) and the **total energy** of a configuration of atoms.

Goal is to find  $E$  and  $\psi$ , such that action of  $\hat{H}$  on  $\psi$  returns  $E\psi$ .