



ANUBIS Workshop  
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# LLPs from meson decays: reinterpreting searches for ANUBIS

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[2302.03216] JHEP05(2023)031

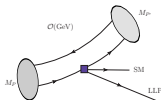


# Motivation

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## Theoretical perspective.

- LLPs (such as HNLs or ALPs) at the GeV scale might be produced in **meson decays**.



## Experimental searches.

- A specific model is typically selected to present the search results.
- Reinterpreting the data to constrain other models often requires detailed analysis information, which may not always be available.

**Is it possible to perform reinterpretation of LLPs from meson decays without running simulation?**

# Reinterpretation method



# Reinterpretation method

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Bounds on  
base model:  
Minimal 3+1 HNLs



Recast bounds on  
1) HNLs in EFT  
2) ALPs

**Theoretical input:** calculation of production number of LLPs in the model, LLP decay length, BR into final visible states in the detector.

**Conditions** to be fulfilled:

- 1) **LLP large decay length limit:**  $\lambda_{\text{dec}} = \beta\gamma c\tau \gg L(\text{IP-detector})$ .
- 2) **Similar kinematics** of LLPs in the different models.

# Reinterpretation method

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Experiments set exclusion limits based on number of signal events:

$$N_S = N_{\text{LLP}} \cdot \varepsilon \cdot \text{BR}(\text{LLP} \rightarrow \text{vis}^*)$$

$N_{\text{LLP}}$  : #LLPs produced in meson decays

$\varepsilon$  : detector efficiency  $\times$  acceptance

\*Visible final states required by DV searches.

Detector acceptance in the limit  $\lambda_{\text{dec}} \gg L$  (condition ①):

$$\begin{aligned} \varepsilon \propto P[\text{decay}] &\sim e^{-L/\lambda_{\text{dec}}} \cdot \left(1 - e^{-\Delta L/\lambda_{\text{dec}}}\right) \\ &\approx \Delta L/\lambda_{\text{dec}} = \Delta L \cdot \Gamma_{\text{tot}}/(\beta\gamma c\hbar) \end{aligned}$$

$$\lambda_{\text{dec}} = \beta\gamma c\hbar/\Gamma_{\text{tot}}$$

# Reinterpretation method

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$N_S$  in the large decay length limit:

- Base model

$$N_S \propto N_{\text{LLP}} \cdot \Gamma_{\text{tot}} \cdot \text{BR}(\text{LLP} \rightarrow \text{vis}) = N_{\text{LLP}} \cdot \Gamma_{\text{vis}}$$

- Reinterpreted model

$$N'_S \propto N'_{\text{LLP}'} \cdot \Gamma'_{\text{vis}}$$

Considering LLPs have similar kinematics (condition ②):

$$\frac{N_S}{N'_S} \approx \frac{N_{\text{LLP}}}{N'_{\text{LLP}'}} \frac{\Gamma_{\text{vis}}}{\Gamma'_{\text{vis}}} \xrightarrow{N_S=N'_S} \boxed{\Gamma'_{\text{vis}} \approx \Gamma_{\text{vis}} \frac{N_{\text{LLP}}}{N'_{\text{LLP}'}}}$$

# Base model

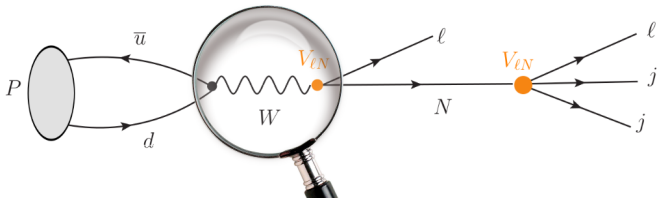
HNLs in the minimal scenario

# HNLs in the 3+1 minimal scenario

One HNL,  $N$ , that mixes with the active neutrinos  $\nu_\ell$ . EW interactions:

$$\mathcal{L}_{\min} = -\frac{g}{\sqrt{2}} V_{\ell N} (\bar{\ell} \gamma^\mu N_R^c) W_\mu - \frac{g}{2 \cos \theta_W} U_{\ell i} V_{\ell N}^* (\bar{N}_R^c \gamma^\mu \nu_{iL}) Z_\mu + \text{h.c.}$$

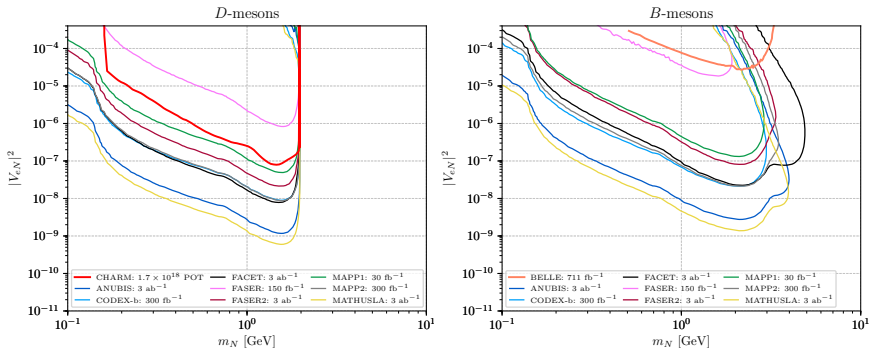
HNL production and decay are governed by  $m_N, V_{\ell N}$ .



Compute  $N_{\text{HNL}}$  from meson decays and  $\Gamma_{\text{vis}}$ . Bondarenko et al [1805.08567](#)



# Bounds on the 3+1 minimal scenario



- Leading bounds in this mass range come from [CHARM](#) and [Belle](#).
- Far detector projections\* ( $N_S = 3$ ). [de Vries et al 1905.08699](#)

\*ANUBIS simulation result using first detector geometry proposal.

# Reinterpreted models

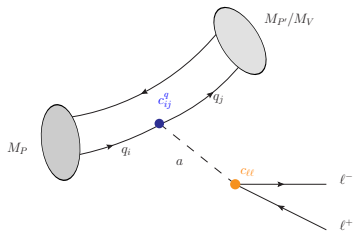
ALPs

# ALPs in EFT

ALPs are pseudo-Goldstone bosons associated to a spontaneously broken (approximate) global symmetry.

Low-energy Lagrangian up to  $d = 5$ : [Bauer et al 2012.12272 1708.00443](#)

$$\mathcal{L}_{\text{ALP}} = \frac{1}{2} \partial_\mu a \partial^\mu a - \frac{1}{2} m_a^2 a^2 + \partial_\mu a \left[ \sum_q c_{ij}^q \bar{q}_i \gamma^\mu q_j + \sum_\ell \frac{c_{\ell\ell}}{2} \bar{\ell} \gamma^\mu \gamma^5 \ell \right]$$



**To-do:** Compute

- $\Gamma'_{\text{vis}} = \Gamma(a \rightarrow \ell^+ \ell^-)$
- $N'_{\text{ALP}} = N_M \cdot \text{BR}(M \rightarrow M' + a)$

# ALPs in EFT: theoretical input

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- ALP decay width:

$$\Gamma(a \rightarrow \ell^+ \ell^-) = \frac{c_{\ell\ell}^2}{8\pi} m_a m_\ell^2 \sqrt{1 - \frac{4m_\ell^2}{m_a^2}}$$

- ALP production in two-body meson decays:

$$\Gamma(P \rightarrow P' a) = f \frac{|c_{ij}^q|^2}{64\pi} \left| F_0^{P \rightarrow P'}(m_a^2) \right|^2 m_P^3 \left( 1 - \frac{m_{P'}^2}{m_P^2} \right)^2 \lambda^{1/2} \left( \frac{m_{P'}^2}{m_P^2}, \frac{m_a^2}{m_P^2} \right)$$

$$\Gamma(P \rightarrow V a) = g \frac{|c_{ij}^q|^2}{64\pi} \left| A_0^{P \rightarrow V}(m_a^2) \right|^2 m_P^3 \lambda^{3/2} \left( \frac{m_V^2}{m_P^2}, \frac{m_a^2}{m_P^2} \right)$$

$$\lambda(x, y) = 1 + x^2 + y^2 - 2x - 2y - 2xy$$

$F_0^{P \rightarrow P'}$ ,  $A_0^{P \rightarrow V}$ : form factors.

$f$ ,  $g$ : numerical factors.

See section 4.2 [[2302.03216](#)]

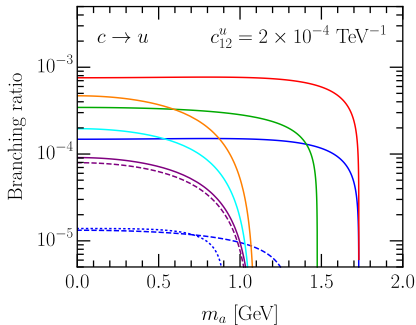
Bauer et al [2110.10698](#)

# ALPs in EFT: Benchmarks

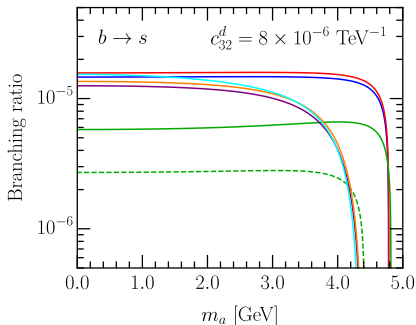
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Benchmark	$P_{\text{prod}}^{ij}$	$P_{\text{decay}}$	Production modes	Decay modes
ALP-D	$c_{12}^u$	$c_{ee}$	$D \rightarrow \pi + a$ $D \rightarrow \eta^{(\prime)} + a$ $D \rightarrow \rho + a$ $D \rightarrow \omega + a$ $D_s \rightarrow K^{(*)} + a$	$a \rightarrow e^+ + e^-$
ALP-B	$c_{32}^d$	$c_{ee}$	$B \rightarrow K^{(*)} + a$ $B_s \rightarrow \eta^{(\prime)} + a$ $B_s \rightarrow \phi + a$	$a \rightarrow e^+ + e^-$

- Experimental limits on the decay BRs of  $D^0 \rightarrow \pi^0 \nu \bar{\nu}$  and  $B \rightarrow K \nu \bar{\nu}$  put upper bounds on  $c_{12}^u$  and  $c_{32}^d$ .
- Bounds on  $c_{ee}$  from [E137](#) and [supernovae](#).



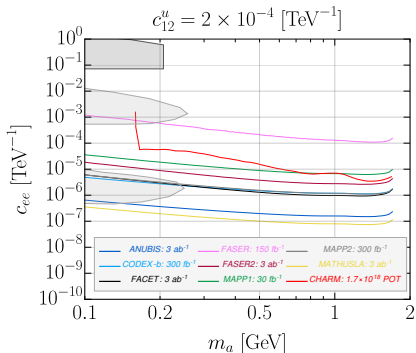
- $D^0 \rightarrow \pi^0 + a$
- - -  $D^0 \rightarrow \eta + a$
- ⋯  $D^0 \rightarrow \eta' + a$
- $D^+ \rightarrow \pi^+ + a$
- $D_s^+ \rightarrow K^+ + a$
- $D^0 \rightarrow \rho^0 + a$
- - -  $D^0 \rightarrow \omega + a$
- $D^+ \rightarrow \rho^+ + a$
- $D_s^+ \rightarrow K^{*+} + a$



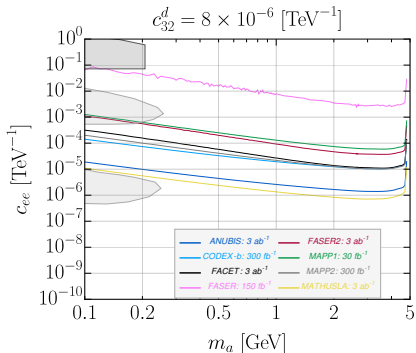
- $B^0 \rightarrow K^0 + a$
- $B^+ \rightarrow K^+ + a$
- $B_s^0 \rightarrow \eta + a$
- - -  $B_s^0 \rightarrow \eta' + a$
- $B^0 \rightarrow K^{*0} + a$
- $B^+ \rightarrow K^{*+} + a$
- $B_s^0 \rightarrow \phi + a$

# ALPs in EFT

## • ALP-D



## • ALP-B



# Summary

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We propose a **reinterpretation method** for searches of **LLPs produced in meson decays**  $\rightarrow$  recast sensitivities for ANUBIS.

- No simulation required as long as:
  - ① LLPs are in the large decay length regime,
  - ② LLPs possess similar kinematics.
- **Advantages:** not restricted by LLP spins.  
**Drawbacks:** prompt-regime bounds cannot be obtained.
- Applicable to other scenarios:
  - ✎ LLPs produced in  $K$  or  $\pi$  decays.
  - ✎ LLPs decaying into  $\mu$ ,  $\tau$  or hadrons.



**Backup slides**

# HNLs in EFT

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If we extend the SM by GeV-scale HNLs, the suitable framework for describing new physics at low energies (meson decays) is  $N_R$ LEFT.

$$\mathcal{L}_{N_R\text{LEFT}} = \mathcal{L}_{\text{ren}} + \sum_{d \geq 5} \sum_i c_i^{(d)} \mathcal{O}_i^{(d)} \quad c_i^{(d)} \propto v^{(4-d)}$$

Relevant operators at  $d = 6$ :

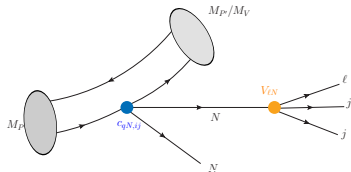
Pair- $N_R$ operators (LNC)	
$\mathcal{O}_{dN}^{V,RR}$	$(\bar{d}_R \gamma_\mu d_R) (\bar{N}_R \gamma^\mu N_R)$
$\mathcal{O}_{uN}^{V,RR}$	$(\bar{u}_R \gamma_\mu u_R) (\bar{N}_R \gamma^\mu N_R)$
$\mathcal{O}_{dN}^{V,LR}$	$(\bar{d}_L \gamma_\mu d_L) (\bar{N}_R \gamma^\mu N_R)$
$\mathcal{O}_{uN}^{V,LR}$	$(\bar{u}_L \gamma_\mu u_L) (\bar{N}_R \gamma^\mu N_R)$

Single- $N_R$ operators (LNC)	
$\mathcal{O}_{udeN}^{V,RR}$	$(\bar{u}_R \gamma_\mu d_R) (\bar{e}_R \gamma^\mu N_R)$
$\mathcal{O}_{udeN}^{V,LR}$	$(\bar{u}_L \gamma_\mu d_L) (\bar{e}_R \gamma^\mu N_R)$
$\mathcal{O}_{udeN}^{S,RR}$	$(\bar{u}_L d_R) (\bar{e}_L N_R)$
$\mathcal{O}_{udeN}^{T,RR}$	$(\bar{u}_L \sigma_{\mu\nu} d_R) (\bar{e}_L \sigma^{\mu\nu} N_R)$
$\mathcal{O}_{udeN}^{S,LR}$	$(\bar{u}_R d_L) (\bar{e}_L N_R)$

$N_R$ LEFT phenomenology: Beltrán et al [2210.02461](#), de Vries et al [1905.08699](#)

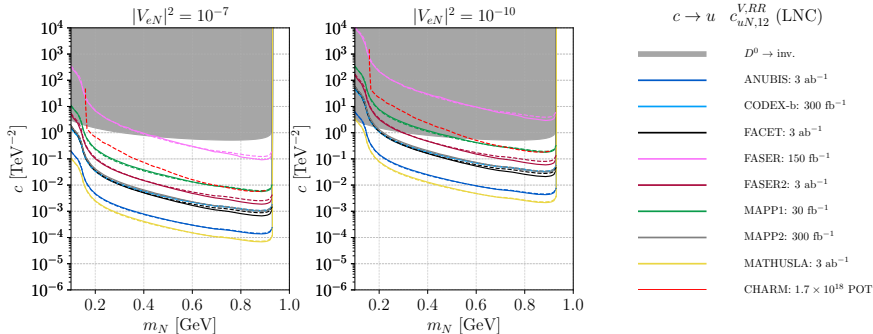
HNL effective portals: Fernández-Martínez et al [2304.06772](#)

# HNLs in EFT: pair- $N_R$ operators

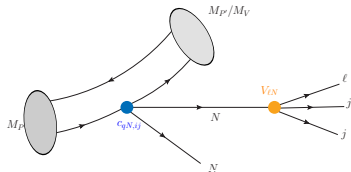


Benchmarks	Production	Decay
2HNL-D1	$c_{uN,12}^{V,RR}$	$V_{eN}$
2HNL-B1	$c_{dN,31}^{V,RR}$	$V_{eN}$

## • 2HNL-D1

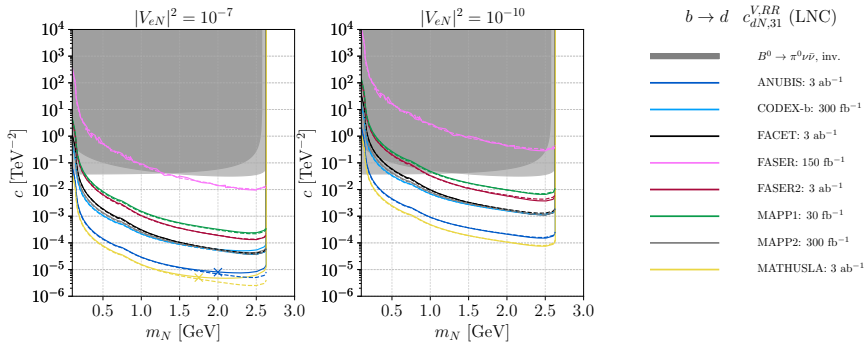


# HNLs in EFT: pair- $N_R$ operators



Benchmarks	Production	Decay
2HNL-D1	$c_{uN,12}^{V,RR}$	$V_{eN}$
2HNL-B1	$c_{dN,31}^{V,RR}$	$V_{eN}$

## • 2HNL-B1



# HNLs in EFT: single- $N_R$ operators

Benchmarks	$P_{\text{prod}}^{ij}$	$P_{\text{decay}}^{kl}$
Leptoquark	$C_{\text{SRR}}^{13} = 4C_{\text{TRR}}^{13}$	$C_{\text{SRR}}^{11} = 4C_{\text{TRR}}^{11}$
VLR	$C_{\text{VLR}}^{13}$	$C_{\text{VLR}}^{11}$

$$v^2 c_{udeN,ij}^X \approx C_X^{ij}$$

