Dark Matter search using astrophysical observations: present status and future prospects

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## Introduction

• Cold Dark Matter (CDM):

provides  ${\sim}25\%$  of the energy density of the Universe

• Evidences only through gravitational effects:

galactic rotation curves, CMB anisotropy, structure formation, bullet clusters, etc.

•  $\Omega h^2 \simeq 0.12$ 

- The Standard Model (SM) of particle physics cannot explain CDM
- Candidates of CDM:
  - Thermal WIMPs (GeV-TeV)
  - Sub-GeV DM
  - PBHs
  - Ultralight bosonic DM
  - ....
- A variety of detection methods is needed to search for various DM candidates

# Searches for particle DM signal

#### • Collider searches:

search for the missing- $E_{\mathcal{T}}$  signal caused by the produced DM particles at the LHC

#### • Direct detection searches:

search for the recoil signal produced by the interactions of local DM particles with the targets inside terrestrial detectors

#### Indirect detection:

search for the products of the annihilation/decay of DM particles in DM-dense astrophysical systems

 $\Rightarrow$  An alternative search strategy for DM

## Indirect detection

- DM is concentrated in the form of halos surrounding galaxies
- Annihilation/decay of DM particles in a galactic halo (e.g., MW Galaxy, dwarf galaxies) can produce SM particles, which can lead to further cascades and produce γ, e<sup>±</sup>, p<sup>±</sup>, ν's, etc.



- Searches in various experiments:
  - $\gamma$ -rays: Fermi-LAT, HESS, etc.
  - 2  $e^+$ ,  $\bar{p}$ : AMS-02 (cosmic-ray), etc.
  - $\nu(\bar{\nu})$ : Super-K, IceCube, etc.
  - Planck (obsv. of CMB)

# Secondary particle flux from DM annihilation in an astrophysical system

• Source function:

$$\chi\chi \to \underbrace{\mathrm{SM}_1 \,\mathrm{S}\bar{\mathrm{M}}_2}_{f} \qquad \qquad Q_i^{annihilation}(E,r) = \langle \sigma v \rangle \left\{ \frac{\rho_{\chi}^2(r)}{2m_{\chi}^2} \right\} \left\{ \sum_f \frac{dN_f^i}{dE} B_f \right\}$$

 $\langle \sigma v \rangle$ : annihilation cross-section of DM particle  $\chi$ 

$$\frac{\rho_{\chi}^{2}(r)}{2m_{\chi}^{2}}$$
: number density of DM pairs

Annihilation channel f:  $\tau^+\tau^-$ ,  $\mu^+\mu^-$ ,  $e^+e^-$ ,  $t\bar{t}$ ,  $b\bar{b}$ ,  $q\bar{q}$ ,  $W^+W^-$ , ZZ,  $\gamma\gamma$ , gg, hh, Z $\gamma$ , Zh,  $\nu\bar{\nu}$ 

 $\begin{array}{l} \displaystyle \frac{dN_{f}^{i}}{dE}: & \mbox{spectrum of secondary particle } i \mbox{ produced per annihilation} \\ & [i \Rightarrow \gamma, \ e^{+}(e^{-}), \ \nu(\bar{\nu}), \ \mbox{etc.}] \end{array}$ 

# Indirect searches for WIMP DM

#### $\gamma$ -ray searches

- WIMP annihilations in a galactic halo produce  $\gamma$ -rays
- Fermi-LAT  $\gamma$ -ray observation of dwarf spheroidal (dSph) galaxies  $\rightarrow$  constrains GeV-TeV scale WIMPs



[Fermi-LAT, 2016] [Leane, *et al.*, PRD 98, 023016]

#### Cosmic-ray $e^+$ searches

- WIMP annihilations in the Milky Way (MW) produce  $e^{\pm}$
- $\bullet$   $e^{\pm}$  undergo diffusion and energy losses and ultimately reach the Earth
- AMS-02 measures cosmic-ray e<sup>+</sup> flux
  - $\rightarrow$  put upper limit on  $\langle\sigma\nu\rangle$  of GeV-TeV scale WIMPs



## CMB observation

- $\gamma$  and  $e^\pm$  from WIMP annihilations at high redshift
  - $\rightarrow$  modify the ionization history through energy injection
  - $\rightarrow$  perturb CMB anisotropies
- Planck measurement of CMB anisotropies
  - $\rightarrow$  upper limits on  $\langle \sigma v \rangle$



[Planck, 2015]

[Leane, et al., PRD 98, 023016]

## Going beyond the standard approach

- Thermal WIMP DM:  $\langle \sigma v \rangle_{\rm relic} \simeq 3 \times 10^{-26} \, {\rm cm}^3 \, {\rm s}^{-1}$  gives  $\Omega_{\chi} h^2 = 0.12$  $[\Omega_{\chi} h^2 \propto 1/\langle \sigma v \rangle]$ 
  - $\rightarrow$  A WIMP of mass  $m_{\chi}$  is allowed if the corresponding upper limit on total  $\langle \sigma \mathbf{v} \rangle > \langle \sigma \mathbf{v} \rangle_{\rm relic}$
- In a generic DM model, WIMP  $\chi$  may annihilate into multiple channels simultaneously with different branching fractions  $(B_f)$ 
  - $\rightarrow$  flux distributions are determined by  $B_f s$
  - $\rightarrow$  limits obtained for individual channels are not applicable
- Constraints obtained from different observations vary largely
  - $\rightarrow$  For a given channel,  $\langle\sigma\nu\rangle$  allowed by one observation may be ruled out by others
- A  $B_f$  independent upper limit on total  $\langle \sigma v \rangle$ , allowed by all observations, is needed

# Limit on total $\langle \sigma v \rangle$

- Fermi-LAT, AMS-02 and Planck data are used and  $B_f$  of each channel is arbitrarily varied (ensuring  $\sum_{\epsilon} B_f = 1$ )
  - ightarrow maximum allowed total  $\langle \sigma v 
    angle$  is obtained
  - ightarrow WIMPs of  $m_\chi \lesssim 20\,{
    m GeV}$  are excluded



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• WIMP annihilation into  $\nu \bar{\nu}$  is not considered

#### Neutrino observation constraints

• Super-Kamiokande, IceCube, ANTARES neutrino observations of the inner Galactic halo

[dominant background: atmospheric neutrinos]

ightarrow constrain  $\chi\chi
ightarrow 
uar{
u}$  for  $m_{\chi}\sim \mathcal{O}({
m GeV-TeV})$ 



[K. Dutta, A. Ghosh, AK, B. Mukhopadhyaya, arxiv:2212.09795]

## Constraints from Super-K low energy $\nu$ search

- Low energy (10 ~ 100 MeV) neutrino observation of Super-Kamiokande is used to search for diffuse supernovae neutrino background (DSNB) [dominant background: atmospheric neutrinos]
  - $\to$  this observation can also be used to constrain  $\chi\chi\to\nu\bar\nu$  for  $m_\chi\sim$  a few tens of MeV



# $\langle \sigma v \rangle$ of thermal WIMP: most general limit

• Arbitrary  $B_f$ 's are attributed to all channels including  $\nu \bar{\nu}$ , (ensuring  $\sum_f B_f = 1$ ) and data of neutrino observations are included

ightarrow upper limit on total  $\langle \sigma v \rangle$  substantially relaxes

 $\rightarrow$  all  $m_{\chi}$  values in the range 10 MeV - 100 TeV are allowed



[Constraint on standard thermal WIMP annihilating into SM particle pairs] [K. Dutta, A. Ghosh, AK, B. Mukhopadhyaya, arxiv:2212.09795] Indirect search for DM using radio waves (Prospects in upcoming radio telescopes)

# Radio synchrotron signal from DM



Radio telescopes on Earth



# $e^{\pm}$ source function & propagation

•  $e^{\pm}$  source function:

$$\chi\chi \to \underbrace{\mathrm{SM}_1 \, \mathrm{S}\bar{\mathrm{M}}_2}_{f} \qquad \qquad Q_e^{annihilation}(E,r) = \langle \sigma v \rangle \left\{ \frac{\rho_{\chi}^2(r)}{2m_{\chi}^2} \right\} \left\{ \sum_f \frac{dN_f^e}{dE} B_f \right\}$$

• Propagation of  $e^{\pm}$ :

$$D(E)\nabla^{2}\left(\frac{dn_{e}}{dE}\right) + \frac{\partial}{\partial E}\left(b(E)\frac{dn_{e}}{dE}\right) + Q_{e}(E,r) = 0$$

D(E): Diffusion term  $D(E) = D_0 (E/GeV)^{\gamma}$ ;  $D_0 \equiv$  diffusion coefficient b(E): Energy loss term [Inverse Compton, synchrotron, Coulomb interactions, Bremsstrahlung]

 $b_{synch}(E) \propto B^2 (E/GeV)^2$ ;  $B \equiv$  ambient magnetic field

# Synchrotron emission & predicted signal

• Synchrotron emissivity:

$$j_{synch}(r,\nu) = 2 \int_{m_e}^{m_{\chi}} dE \quad \frac{dn_e}{dE}(E,r) \underbrace{\underset{synch}{P_{synch}(E,B,\nu)}}_{synchrotron power}$$

- $B \equiv \text{ambient magnetic field} \\ \nu \equiv \text{frequency of the emitted radio flux}$
- Signal at observation:

$$S_{\nu}(\nu) = \frac{1}{4\pi} \int_{\Omega} d\Omega \int_{l.o.s.} dl \, j_{sync}(l,\nu)$$

- Local dwarf spheroidal (dSph) galaxies are promising candidates mainly due to:
  - High mass to light ratio
     ⇒ high dark matter content
  - $\bullet$  Close proximity ( $\lesssim 100$  kpc)
  - $\bullet$  Astrophysical processes (e.g., star formation) are well suppressed  $\Rightarrow$  low background

Australia Telescope Compact Array (ATCA) MeerKAT Australian SKA Pathfinder (ASKAP) Low-Frequency Array (LOFAR) Green Bank Telescope (GBT) Giant Metrewave Radio Telescope (GMRT) Murchison Widefield Array (MWA)

Upcoming: Square Kilometre Array (SKA)

# Square Kilometre Array (SKA)

- Upcoming radio telescope
- Large effective area
  - ⇒ High sensitivity (low rms noise level)

$$N_{
m rms} = rac{\sqrt{2} \, K_B \, T_{
m sys} / A_{
m eff}}{\sqrt{\Delta 
u \, t_{
m obs}}}$$

- $\Delta 
  u \equiv$  Band-width  $t_{
  m obs} \equiv$  observation time
- frequency range: 50 MHz – 50 GHz



[Braun, *et al.*, 2017]

 The wide frequency range and relatively high sensitivity make SKA useful in exploring DM in a wide mass range

# SKA detectability



SKA detectability threshold for a 100 hours of observation towards Draco dSph Diffusion coefficient  $D_0 = 3 \times 10^{28} \text{cm}^2 \text{s}^{-1}$ magnetic field  $B = 0.1 - 1 \ \mu G$ 

[AK, S. Mitra, B. Mukhopadhyaya, T.R. Choudhury, PRD 101, 023015 (2020)]

# Decaying DM at the SKA

- DM can be an unstable particle
- Its lifetime  $\tau_{\chi}$  (= 1/ $\Gamma$ ) must be much larger than the age of the Universe ( $t_U \sim 10^{17} \, \text{s}$ ), but it can still decay into SM particle pairs

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[K. Dutta, A. Ghosh, AK, B. Mukhopadhyaya, JCAP 09 (2022) 005]

# Sub-GeV DM at the SKA

## Radio signals from MeV DM

- MeV scale BSM particles are often proposed as viable candidates for DM
- Annihilation/decay of MeV DM particles inside a galaxy can produce mildly relativistic  $e^{\pm}$
- Synchrotron emission from MeV  $e^{\pm}$  are too weak (in frequency) to be detected in radio telescopes

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 Inverse Compton (IC) scattering of e<sup>±</sup> on CMB photons inside a galactic system produces relatively high frequency photon flux



• For MeV  $e^{\pm}$ , such photon flux fall (at least partially) inside the usual frequency range of radio telescopes like the SKA

#### IC flux from MeV DM: radio signal at the SKA



IC flux from Seg I dSph

• Independent of the ambient magnetic field B

[B. Dutta, AK, L. E. Strigari, JCAP 03 (2021) 011]

# SKA detectability



SKA threshold limits for detecting (in 100 h observation) DM induced IC flux from dSphs

#### • Independent of the ambient magnetic field B

[B. Dutta, AK, L. E. Strigari, JCAP 03 (2021) 011]

Dark Matter probes using compact stars

#### WIMP capture in celestial bodies

• Celestial bodies can accumulate DM particles in their interior due to their gravitational potential

Example: gravitational capture of WIMPs in the Sun

• Inside the celestial bodies (e.g. Sun) captured WIMPs can annihilate into SM particles

 $\chi\chi \rightarrow b\bar{b}, \, \tau^+\tau^-, W^+W^-, ... \Rightarrow \nu(\bar{\nu})$  [signal for neutrino telescopes]



## WIMP capture mechanism



- Inside the celestial body the incoming WIMPs is accelerated by the gravitational potential  $v_{\rm in} = \sqrt{u_{\rm asymptotic}^2 + v_{\rm esc}^2(r)}$
- The WIMP can scatter off a nucleus inside the celestial body (via the same interactions probed by Direct Detections)
- If its outgoing speed  $(v_{out})$  after the scattering is below  $v_{esc}(r)$ , the WIMP gets trapped into a gravitationally bound orbit
- The WIMP continues to scatter inside the celestial body and ultimately settles down in the core

# Inelastic Dark Matter (IDM)

- WIMP DM ( $\chi$ ) scatters off a nucleus (N) by making a transition to a slightly heavier state ( $\chi'$ ):  $\chi + N \rightarrow \chi' + N$
- $\chi$  and  $\chi'$  are close in mass:  $m_{\chi'} m_{\chi} \equiv \delta > 0$
- Elastic scattering  $[\chi + {\rm N} \rightarrow \chi + {\rm N}]$  is absent

[D. Smith and N. Weiner (PRD 64, 043502 (2001))]



• Kinetic energy of the incoming DM particle  $\chi$  should be large enough to overcome the mass splitting  $\delta$ 

$$\frac{1}{2} \mu_{\chi N} v_{in}^2 > \delta \qquad \Rightarrow v_{in} > \sqrt{\frac{2\delta}{\mu_{\chi N}}}$$
$$[\mu_{\chi N} \equiv \text{reduced mass} = \frac{m_{\chi} m_N}{m_{\chi} + m_N}]$$

# Inelastic Dark Matter (IDM)

• Direct detection:

 $v_{
m in} \lesssim$  800 km/s (Galactic escape velocity w.r.t the Earth frame)

 $\Rightarrow \delta \lesssim 200 \text{ keV}$  (for Xe based detectors)

#### • WIMP capture in the Sun:

The incoming WIMP is accelerated by the strong gravitational potential of the Sun before scattering;  $\nu_{\rm in} \lesssim 1600 \text{ km/s}$ 



- Compact stars have much larger steller densities compared to that of the Sun; [e.g., White Darves (WDs), Neutron stars (NSs)]
  - $\Rightarrow$  DM particles are gravitationally accelerated to very high speeds
  - $\Rightarrow$  IDM capture is possible for higher mass splitting  $\delta$
- Interior density of the heavier WDs (  $M_* \sim 1.4~M_\odot)$  can be  $10^8$  times larger than in the Sun
  - $\Rightarrow$  the incoming WIMP speed can reach up to a few 10<sup>4</sup> km/s
  - $\Rightarrow \delta \lesssim$  a few tens of MeV
- For NSs, the incoming WIMP speed can reach up to a few  $10^5$  km/s  $\Rightarrow \delta \lesssim$  a few hundreds of MeV
### WDs in M4 globular cluster

Hubble Space Telescope (HST) has observed many faint and cold WDs in the core of Messier 4 (M4), the closest globular cluster to the Earth ( $\sim$ 2 kpc)



[McCullough, et al. (PRD 81, 083520 (2010)); Bell, et al. (JCAP10(2021)083)]

# Annihilations of captured WIMPs can increase WD luminosities above the observed values

 $\Rightarrow$  It is possible to constrain the WIMP parameter space

## DM density in M4

Prediction for DM abundance in M4 relies on Galaxy formation models



The total estimated DM content that survives the tidal stripping is less than 1% of the original halo

 $\rightarrow$  consistent with the observed lack of DM in globular clusters

## Capture rate of IDM in WDs

• Optically-thin limit for capture: When the scattering cross-section is relatively small (i.e., scattering length larger than WD size)

$$C_{\rm opt-thin} = \frac{\rho_{\chi}}{m_{\chi}} \int_{0}^{R_{*}} dr \, 4\pi r^{2} \int_{0}^{\infty} du \, \frac{f(u)}{u} \, w \, \Omega(w, r) \, \Theta\left(\frac{1}{2}\mu_{\chi N}w^{2} - \delta\right)$$

$$\Omega(w, r) = \eta_{N}(r) \, w \, \Theta(E_{\rm max} - E_{\rm cap}) \int_{\max[E_{\rm min}, E_{\rm cap}]}^{E_{\rm max}} dE \, \frac{d\sigma[\chi + N \to \chi' + N]}{dE}$$
Nuclear density in WD  
(WD equation of state)

 $w = \sqrt{u^2 + v_{esc}^2(r)}$  (incoming WIMP speed before scattering  $= v_{in}$ ) u = asymptotic WIMP speed at large distance f(u) = WIMP speed distribution in M4  $\rightarrow$  Maxwell Boltzmann

Condition for IDM scattering:

 $\frac{1}{2}\mu_{\chi N}w^2 > \delta$ 

 $\frac{\text{Condition for capture:}}{E > E_{\text{cap}} = \frac{1}{2}m_{\chi}u^2 - \delta}$ (corresponds to  $v_{\text{out}} < v_{\text{esc}}(r)$ )

# Capture rate of IDM in WDs & the annihilation luminosity

 Geometrical limit for capture: When the cross-section is large, capture saturates to the geometrical limit (i.e., all the WIMPs crossing the WD star are captured)

$$C_{\rm geom} = \pi R_*^2 \left(\frac{\rho_{\chi}}{m_{\chi}}\right) \int_0^\infty du \, \frac{f(u)}{u} \, w^2(R_*)$$

- $C_* = \min[C_{\text{opt-thin}}, C_{\text{geom}}]$
- Inside WDs the captured WIMPs annihilate and produce SM particles
- Capture and annihilation processes equilibrate  $(\tau_{equilibrium} \ll t_{WD})$  $\Rightarrow \Gamma_{ann} = C_*/2$
- Almost all the energy injected by WIMP annihilations is absorbed in the WD star and increases its luminosity (true even for  $\nu$ 's in the final products of annihilations, if  $m_{\chi}$  is large)

$$L_{\chi} \simeq 2m_{\chi}\Gamma_{\rm ann} = m_{\chi}C_{*}$$

# Capture rate of IDM in WDs & the annihilation luminosity

Heavy WDs are mostly made of  ${}_{6}^{12}C$  or  ${}_{8}^{16}O$  $\Rightarrow$  WIMP capture in WDs is driven by Spin-Independent (SI) interaction



[A. Biswas, AK, H. Kim, S. Scopel, L. V. Sevilla, PRD 106, 083012 (2022)]

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#### WD exclusion for IDM

Excluded parameter space in  $\delta - \sigma_N$  plane (SI interaction) for IDM



Independent of  $m_y$ , when  $m_y >> m_{nucleus}$ 

[A. Biswas, AK, H. Kim, S. Scopel, L. V. Sevilla, PRD 106, 083012 (2022)]

#### A realization of IDM in Left-Right symmetric models (LRSM)

- Motivation: explain observed maximal parity violation in the SM
- the SM gauge group is enlarged to contain  $SU(2)_L$  and  $SU(2)_R$
- $SU(3) \times SU(2)_L \times SU(2)_R \times U(1)_{B-L} \rightarrow SU(3) \times SU(2)_L \times U(1)_Y \rightarrow SU(3) \times U(1)_{em}$

· 1	Minimal Left Right Symmetric Model		
$Y = T_B^3 + \frac{1}{2}(B - L)$	Matter	Generations	$SU(2)_L \times SU(2)_R \times U(1)_{B-L} \times SU(3)_C$
n 2 <sup>+</sup>	Fermions		
$Q = T_i^3 + Y$	$L_L$	3	(2, 1, -1, 1)
• · · · · · · · · · · · · · · · · · · ·	$L_R$	3	(1, 2, -1, 1)
$= T_L^3 + T_R^3 + \frac{1}{2}(B - L)$	$Q_L$	3	$(2,1,+rac{1}{3},3)$
	$Q_R$	3	$(1, 2, +\frac{1}{3}, 3)$
	Scalars		-
1 1 1	$\Phi$	1	$(2, \overline{2}, 0, 1)$
$\frac{1}{\sigma^2} = \frac{1}{\sigma^2} + \frac{1}{\sigma^2}$	$T_R$	1	(1, 3, +2, 1)
5Y $5R$ $5B-L$	$T_L$	1	(3, 1, +2, 1)
$\frac{1}{-} = \frac{1}{-} + \frac{1}{-}$	DM Candidates		
$e^2$ $g_1^2$ $g_2^2$	Fermion		
	$\Psi$	1	(2, 2, 0, 1)

• Left-right symmetry is broken at scale  $M_R$  by triplet  $T_R$  with vev  $v_R$  $\Rightarrow$  masses of  $Z_R$  and  $W_R$  are generated

• EW symmetry is broken by bi-doublet  $\Phi$  with vevs  $v_1$  and  $v_2$  $\Rightarrow$  masses of  $Z_L$  and  $W_L$  are generated (SM gauge bosons)

$$v_R \gg v_1, v_2 \, ; \ v_L \simeq 0 \qquad \qquad \sqrt{v_1^2 + v_2^2} = v \simeq 246 \ \text{GeV}$$

#### Bi-doublet fermionic DM

LRSM is minimally extended by adding a self-conjugate fermionic bi-doublet  $\boldsymbol{\Psi}$ 

$$\Psi = \begin{bmatrix} \psi^0 & \psi^+ \\ & \\ \psi^- & -(\psi^0)^c \end{bmatrix} \qquad (\tilde{\Psi} \equiv -\sigma_2 \Psi^c \sigma_2 = \Psi)$$

 $SU(2)_L \times SU(2)_R$  invariant Lagrangian for bi-doublet(BD)  $\Psi$ :

$$\mathcal{L}_{\mathrm{BD}} = rac{1}{2} \mathrm{Tr} \left[ \overline{\Psi} i \not\!\!{D} \Psi 
ight] - rac{1}{2} M_{\Psi} \mathrm{Tr} \left[ \overline{\Psi} \Psi 
ight]$$

covariant derivative:  $D_{\mu}\Psi = \partial_{\mu}\Psi - i\frac{g_{L}}{2}\sigma_{a}W_{L\mu}^{a}\Psi + i\frac{g_{R}}{2}\Psi\sigma_{a}W_{R\mu}^{a}$ 

$$\begin{aligned} \mathcal{L}_{\mathrm{BD}} &\in \quad \frac{g_L}{2} \left( \overline{\psi^0} \mathcal{W}_L^3 \psi^0 - \overline{\psi^-} \mathcal{W}_L^3 \psi^- + \sqrt{2} \ \overline{\psi^0} \mathcal{W}_L^+ \psi^- + \sqrt{2} \ \overline{\psi^-} \mathcal{W}_L^- \psi^0 \right) \\ &- \frac{g_R}{2} \left( \overline{\psi^0} \mathcal{W}_R^3 \psi^0 + \overline{\psi^-} \mathcal{W}_R^3 \psi^- + \sqrt{2} \ \overline{\psi^0} \mathcal{W}_R^- \psi^+ + \sqrt{2} \ \overline{\psi^+} \mathcal{W}_R^+ \psi^0 \right) \end{aligned}$$

#### Mass splitting in Bi-doublet fermionic DM

When  $\Phi$  acquires vevs,  $W_L^{\pm}$  and  $W_R^{\pm}$  mixing induces a  $\psi^0 \rightarrow (\psi^0)^c$  transition that generates a tiny off-diagonal Majorana mass term  $\delta M$ 



The Dirac fermion  $\Psi^0$  splits into two Majorana states  $\chi_1$  and  $\chi_2$ 

$$\chi_{1,2} = \frac{1}{\sqrt{2}} \left( \psi^0 \mp (\psi^0)^c \right)$$
$$m_{\chi_{1,2}} = M_{\Psi} \mp \delta M$$
$$\delta = m_{\chi_2} - m_{\chi_1} = 2\delta M$$

[Garcia-Cely, et al. (JCAP03(2016)021)]

 $\delta = \frac{g_L^2}{16\pi^2} \frac{g_R}{g_L} \sin(2\xi) M_{\Psi} \left[ f(r_{W_1}) - f(r_{W_2}) \right] = \delta(g_R, M_{\Psi}, M_{W_2})$ 

Loop function:  $f(r_V = M_V/M_{\Psi}) = 2 \int_0^1 dx (1+x) \log [x^2 + (1-x)r_V^2]$ 

### **Bi-doublet DM interaction**

$$\begin{aligned} \mathcal{L}_{\mathrm{BD}}^{\mathsf{NC}} &\in \quad \frac{g_L}{2} \left( \overline{\psi^0} \mathcal{W}_L^3 \psi^0 \right) - \frac{g_R}{2} \left( \overline{\psi^0} \mathcal{W}_R^3 \psi^0 \right) \\ &= \quad \frac{1}{2} \overline{\chi_1} \left( g_L \mathcal{W}_L^3 - g_R \mathcal{W}_R^3 \right) \chi_2 \end{aligned}$$

Only off-diagonal interaction term; no diagonal interaction term



Inelastic scattering (An explicit IDM realization)

lighter state  $(\chi_1)$  automatically stable

 $au(\chi_2 o \chi_1) \ll t_U$  [ $\chi_1$  dominant DM candidate ( $\chi$ )]

Large scattering cross-section

⇒ parameter space gets excluded unless scattering is kinematically forbidden by large mass splitting  $\delta$ [N.B.  $\delta = \delta(g_R, M_{\Psi}, M_{W_2})$ ]

#### WD luminosity induced by Bi-doublet IDM



[A. Biswas, AK, H. Kim, S. Scopel, L. V. Sevilla, PRD 106, 083012 (2022)]

#### Exclusion on LRSM parameter space



[A. Biswas, AK, H. Kim, S. Scopel, L. V. Sevilla, PRD 106, 083012 (2022)]

• WD bounds exclude all cosmologically viable parameter space (for  $g_R = g_L$ )

## Exclusion on LRSM parameter space (for $g_R > g_L$ )

To recover cosmologically viable parameter space one needs to increase  $\delta$  (at fixed  $m_{\chi}$  and  $M_{W_2})$ 

 $\Rightarrow$  increase  $g_R$  (i.e.,  $g_R>g_L)$  , ~ since  $\delta \propto g_R$  (at fixed  $m_\chi$  and  $M_{W_2})$ 



[A. Biswas, AK, H. Kim, S. Scopel, L. V. Sevilla, PRD 106, 083012 (2022)]

# Summary

- Astrophysical observations can provide useful ways to reveal the nature of DM interactions
- Existing data put strong constraints on thermal WIMPs for annihilation into specific channels
- However, a general analysis using all existing data still allows standard thermal WIMPs over the entire mass range 10 MeV 100 TeV
- Indirect searches of DM through radio observations can play important role in DM phenomenology
- The upcoming radio telescope SKA can probe the DM parameter space for a wide range of DM mass
- With just about 100 hours of observation the SKA can probe the DM parameter space beyond the reach of existing experiments
- The SKA is sensitive to the MeV DM signals for the parameter space that is allowed by existing data

## Summary

- Observation of compact stars can be useful for constraining DM
- We use the luminosities of low-temperature heavy WDs observed by HST in the core of M4 globular cluster to improve the existing constraints on Inelastic Dark Matter (IDM)
- WD data can exclude the inelastic mass splitting  $\delta \lesssim$  a few tens of MeV (for Direct Detection  $\delta \lesssim 200$  keV; for capture in the Sun  $\delta \lesssim 600$  keV)
- We apply such constraint to a specific IDM scenario: LRSM + Bi-doublet fermion DM
  - $\rightarrow$  WD bounds significantly reduce the cosmologically viable parameter space of such scenario, and require  $g_R > g_L$
- In more compact objects like neutron stars, IDM scattering can be active up to  $\delta\simeq$  a few hundreds of MeV
  - ⇒ future observations of neutron stars (e.g., by James Webb Space Telescope) with temperatures  $\lesssim$  a few thousand Kelvin would rule out the full parameter space of LRSM bi-doublet DM

# **Thank You**

**Backup slides** 

#### $\gamma$ -ray searches

- WIMP annihilations in a galactic halo produce  $\gamma\text{-rays}$
- $\bullet\,$  Fermi-LAT  $\gamma\text{-ray}$  observation of dwarf spheroidal (dSph) galaxies

 $\rightarrow$  constrains GeV-TeV scale WIMPs



#### $\gamma$ -ray searches

- WIMP annihilations in a galactic halo produce  $\gamma\text{-rays}$
- Fermi-LAT  $\gamma$ -ray observation of dwarf spheroidal (dSph) galaxies  $\rightarrow$  constrains GeV-TeV scale WIMPs
- H.E.S.S  $\gamma$ -ray observation of inner Galactic halo

 $\rightarrow$  give stronger constraints for multi-TeV WIMPs



• Fermi-LAT:

 $\rightarrow$  Integrated photon energy flux in the energy bin  $[E_{\rm min}, E_{\rm max}]$  for the  $\it i\text{-th}$  dSph,

$$\Phi_{E\,i} = \frac{\langle \sigma v \rangle J_i}{8\pi \, m_\chi^2} \int_{E_{\min}}^{E_{\max}} \sum_f B_f \frac{dN_f}{dE_\gamma} \, E_\gamma \, dE_\gamma,$$

 $\rightarrow$  Modified joint likelihood:

$$ilde{\mathcal{L}}_{ ext{joint}}(\mu) \ = \ \prod_i \mathcal{L}_i(\mu | \mathcal{D}_i) imes rac{1}{\ln(10) J_i \sqrt{2\pi} \sigma_i} e^{-\left(\log_{10}(J_i) - \log_{10}(J_i^{ ext{pred}})
ight)^2 / 2\sigma_i^2},$$

 $\rightarrow$  Extremized to obtain 95% C.L. upper limit on  $\langle \sigma v \rangle$ 

#### $\gamma$ -ray lmits

• H.E.S.S:

 $\rightarrow$  Signal events from *i*-th ON(OFF) region:

$$\begin{split} N_{i,\mathrm{ON(OFF)}}^{S} &= \frac{\langle \sigma v \rangle J_{i,\mathrm{ON(OFF)}}}{8\pi m_{\chi}^{2}} T_{\mathrm{obs}} \\ &\times \int_{E_{\mathrm{th}}}^{m_{\chi}} \int_{0}^{\infty} dE_{\gamma}' dE_{\gamma} \sum_{f} B_{f} \frac{dN_{f}}{dE_{\gamma}}(E_{\gamma}) A_{\mathrm{eff}}(E_{\gamma}) R(E_{\gamma}, E_{\gamma}'), \end{split}$$

 $\rightarrow$  Constructed likelihood function:

$$\mathcal{L} = \prod_{i} \frac{(N_{i,\mathrm{ON}}^{S} + N_{i}^{B})^{N_{\mathrm{ON},i}}}{N_{\mathrm{ON},i}!} e^{-(N_{i,\mathrm{ON}}^{S} + N_{i}^{B})} \times \frac{(N_{i,\mathrm{OFF}}^{S} + N_{i}^{B})^{N_{\mathrm{OFF},i}}}{N_{\mathrm{OFF},i}!} e^{-(N_{i,\mathrm{OFF}}^{S} + N_{i}^{B})},$$

 $\rightarrow$  Extremized to obtain 95% C.L. upper limit on  $\langle \sigma v \rangle$ 

# $e^{\pm}$ propagation through MW

•  $e^{\pm}$  propagate through MW following the diffusion-loss eq:

$$\frac{\partial N_i}{\partial t} = \vec{\nabla} . (D\vec{\nabla})N_i + \frac{\partial}{\partial p}(b(p,\vec{r}))N_i + Q_i(p,\vec{r}) + \sum_{j>i} \beta n_{gas}(\vec{r})\sigma_{ji}N_j - \beta n_{gas}(\vec{r})\sigma_i^{in}(E_k)N_i,$$

$$D = D_0 e^{|z|/z_t} \left( rac{
ho}{
ho_0} 
ight)^{\delta}$$
: Diffusion term,

 $b(p, \vec{r})$ : Energy loss term,  $Q_{\chi}(p, r, z) = \frac{\rho_{\chi}^2(r) \langle \sigma v \rangle}{2m_{\chi}^2} \sum_f B_f \frac{dN_f}{dE_{e^{\pm}}}$ : DM contribution,

•  $ho_{\chi}(r)$ : NFW with  $ho_{\odot}=0.25\,{
m GeVcm^{-3}}$ 

- Diffusion-loss eq is solved using DRAGON to obtain  $e^+$  flux at Earth
- The signal is combined with a polynomial background and fitted against the AMS-02  $e^+$  data to obtain the 95% C.L. upper limit on  $\langle \sigma v \rangle$

• CMB:

 $\rightarrow$  Planck 2015 data put constraints on thermal WIMPs:

$$\epsilon_{
m eff}(m_\chi) rac{\langle \sigma v 
angle}{m_\chi} \lesssim 4.1 imes 10^{-28} \, {
m cm^3 \, s^{-1} \, GeV^{-1}}$$

 $\rightarrow$  weighted efficiency factor:

$$\epsilon_{\rm eff}(m_{\chi}) = \frac{1}{2m_{\chi}} \int_0^{m_{\chi}} \sum_f \left( 2\epsilon_{e^{\pm}} B_f \frac{dN_f}{dE_{e^{\pm}}} E_{e^{\pm}} dE_{e^{\pm}} + \epsilon_{\gamma} B_f \frac{dN_f}{dE_{\gamma}} E_{\gamma} dE_{\gamma} \right)$$

 $\rightarrow \epsilon_{e^{\pm}}$  is energy injection efficiency for  $e^{\pm}$  and  $\epsilon_{\gamma}$  is that for photons

• H.E.S.S GC data strengthens the constraints for  $m_\chi\gtrsim 200\,{
m GeV}$ 



[K. Dutta, A. Ghosh, AK, B. Mukhopadhyaya, arxiv:2212.09795]

- Super-Kamiokande:
  - A. Neutrino observation from galactic halo is used for GeV-TeV scale  ${\sf WIMPs}$
  - $\rightarrow$  35° ON region around GC and 35° OFF region opposite to GC
  - $\rightarrow$  upper limit on (N\_{\rm ON} N\_{\rm OFF}) is used to obtain constraints
  - **B.** Low energy  $\nu$  observation data has been used to constrain 10 100 MeV WIMPs
  - $\rightarrow$  signals obtained via inverse-  $\beta$  decay:  $\bar{\nu}_e + p \rightarrow n + e^+$
  - $\rightarrow$  Four different backgrounds:
    - 1. Atmospheric  $u_{\mu}$  induced  $\mu^{\pm}$  decay at rest and give  $e^{\pm}$
    - 2. Atmospheric  $\nu_e$  induced  $e^{\pm}$
    - 3. Atmospheric  $\nu_e$  via NC give low-energy  $\nu_e$  which give  $e^{\pm}$
    - 4. Atmospheric  $u_{\mu}$  via NC give extra  $\mu/\pi$ , which decay into  $e^{\pm}$
  - $\rightarrow$  All four backgrounds and the signal are fitted against the data to derive constraints

#### Neutrino telescope constraints

• IceCube and ANTARES:

 $\rightarrow$  Number of signal events in the *i*-th bin:

$$N_i^5 = rac{\langle \sigma v \rangle J_i}{8\pi m_\chi^2} T_{
m obs} \int_0^{m_\chi} \sum_f B_f \left( rac{dN_f}{dE_\nu} A_{
m eff}(E_\nu) dE_
u + rac{dN_f}{dE_{ar 
u}} A_{
m eff}(E_{ar 
u}) dE_{ar 
u} 
ight),$$

 $\rightarrow$  Likelihood function is constructed:

$$\mathcal{L}(\mu) = \prod_{i} \frac{\left(n_{\text{obs}}^{\text{tot}}(\mu f_{s}^{i} + (1-\mu) f_{B}^{i})\right)^{n_{\text{obs},i}}}{n_{\text{obs},i}!} e^{-n_{\text{obs}}^{\text{tot}}(\mu f_{s}^{i} + (1-\mu) f_{B}^{i})}$$

where  $f_s^i = N_i^S / \sum_i N_i^S$ ,  $f_B^i = N_i^B / \sum_i N_i^B$ .

 $ightarrow \mathcal{L}(\mu)$  is extremized to obtain  $\mu_{95\%}$ , which gives  $\langle \sigma v \rangle_{95\%}$ 

[Albert, *et al.*, PRD 102, 082002]



# Decaying DM

- DM can decay into SM particle pairs  $\rightarrow$  fluxes of  $\gamma$ ,  $e^-(e^+)$ , u(ar
  u)
- Source function for DM decay:

$$\chi \to \underbrace{\mathrm{SM}_1 \, \mathrm{S}\bar{\mathrm{M}}_2}_{f} \qquad \qquad Q_i^{decay}(E, r) = \Gamma\left\{\frac{\rho_{\chi}(r)}{m_{\chi}}\right\}\left\{\sum_f \frac{dN_f^i}{dE}B_f\right\}$$

$$Q_{i}^{annihilation}(E,r) = \langle \sigma v \rangle \left\{ \frac{\rho_{\chi}^{2}(r)}{2m_{\chi}^{2}} \right\} \left\{ \sum_{f} \frac{dN_{f}^{i}}{dE} B_{f} \right\}$$

 $\label{eq:Gamma} \ensuremath{\mathsf{\Gamma}}\xspace: \ensuremath{\mathsf{decaywidth}}\xspace \ensuremath{\mathsf{of}}\xspace \ensuremath{\mathsf{DM}}\xspace \ensuremath{\mathsf{particle}}\xspace \ensuremath{\mathcal{X}}\xspace \ensuremath{\mathsf{decaywidth}}\xspace \ensuremath{}\xspace \ensuremath{}\xspace$ 

 $\frac{
ho_{\chi}(r)}{m_{\chi}}$ : number density of DM particles

decay channel f:  $b\bar{b}, \tau^+\tau^-, W^+W^-, ...$ 

 $B_f$ : branching fraction for channel f

 $\frac{dN_{f}^{i}}{dE}$ : spectrum of secondary particle *i* produced per decay

#### Decaying DM: present status

• Non-observations of DM decay induced fluxes of  $\gamma$ ,  $e^-(e^+)$ ,  $\nu(\bar{\nu})$  in exisiting observations give constriants on DM parameter space



Fermi-LAT IGRB, AMS-02  $e^+$ , Planck CMB and Super-Kamiokande atmospheric neutrino data have been used

[considering all possible 2-body SM decay channels (including  $\chi \rightarrow \nu \bar{\nu}$ )] [K. Dutta, A. Ghosh, AK, B. Mukhopadhyaya, JCAP 09 (2022) 005] • Choices for the dSph DM density profile:

$$\rho_{\chi}^{NFW}(r) = \frac{\rho_s}{\left(\frac{r}{r_s}\right)^{\delta} \left(1 + \frac{r}{r_s}\right)^{3-\delta}}, \quad \delta = 1$$

$$\rho_{\chi}^{Einasto}(r) = \rho_s \exp\left\{-\frac{2}{\alpha}\left[\left(\frac{r}{r_s}\right)^{\alpha} - 1\right]\right\}, \quad \alpha \simeq 0.3$$

$$\rho_{\chi}^{Burkert}(r) = \frac{\rho_s}{\left(1 + \frac{r}{r_s}\right)\left(1 + \left(\frac{r}{r_s}\right)^2\right)}$$

$$N_{rms} \propto rac{{{{\cal K}_B}\,{{\cal T}_{sys}}}}{{\sqrt {\Delta t}}\,{{\cal A}_{eff}}}$$

 $A_{eff}$ : Effective area of the radio telescope

 $\Delta t$ : Observation time

T<sub>sys</sub>: System Temperature

 $T_{sys}$  includes CMB, galactic, atmospheric, ground radiation, antenna receiver contributions etc.



- Various theoretical arguments predict  $B \approx \mu G$  in nearby dSphs
- $D_0$  can be as low as  $\approx 10^{26} {\rm cm}^2 {\rm s}^{-1}$ or can be as high as  $\approx 10^{30} - 10^{31} {\rm cm}^2 {\rm s}^{-1}$
- $D_0 \approx 10^{28} {\rm cm}^2 {\rm s}^{-1}$  for the Milky Way

## Detectability in the $B, D_0$ plane

Independent knowledge of  $m_{\chi}$  and  $\langle \sigma v \rangle$  can enable one to identify the viable regions of astrophysical parameters of a dSph



Limits in the  $B - D_0$  plane to observe DM annihilation induced radio signals at SKA (100 hours) from Draco dSph  $(m_{\chi} \text{ and } \langle \sigma v \rangle \text{ are consistent with cosmic-ray antiproton observation})$ 

[AK, S. Mitra, B. Mukhopadhyaya, T.R. Choudhury, PRD 101, 023015 (2020)]

## Mechanism of producing IC signal

Source function:

$$Q_e^{annihilation}(E,r) = \langle \sigma v \rangle \left\{ \frac{\rho_{\chi}^2(r)}{2m_{\chi}^2} \right\} \left\{ \frac{dN^e}{dE} \right\} \qquad [\chi \chi \to e^+ e^-]$$

or,

$$Q_e^{decay}(E,r) = \Gamma\left\{\frac{\rho_{\chi}(r)}{m_{\chi}}\right\}\left\{\frac{dN^e}{dE}\right\} \qquad \qquad [\chi \to e^+e^-]$$

• Propagation:

$$D(E)\nabla^{2}\left(\frac{dn}{dE}\right) + \frac{\partial}{\partial E}\left(b(E)\frac{dn}{dE}\right) + Q_{e}(E,r) = 0$$

IC flux:

$$S_{\nu}(\nu) = rac{1}{4\pi} \int d\Omega \int_{\mathrm{los}} dl \left( 2 \int dE rac{dn}{dE} P_{\mathrm{IC}} 
ight)$$

Primordial black hole (PBH) DM at the SKA

# Search for PBH DM using SKA

- PBHs can contribute to the observed DM abundance of the universe  $({\it M}_{\rm PBH}\gtrsim 10^{15}~{\rm g})$
- PBHs in the mass range  $10^{15}-10^{17}$  g can produce MeV  $e^{\pm}$  via Hawking radiation
- SKA probe of the corresponding IC flux can help to constrain the PBH fraction of the total DM density ( $f_{PBH} \equiv \Omega_{PBH}/\Omega_{DM}$ )


## Ultralight bosonic DM at the SKA

## Search for Axion/ALP cold dark matter





SKA observation of local dSphs

[Caputo, *et al.* (PRD 98, 083024 (2018))]



## Interstellar Medium

[Kelley, et al. (ApJL 845 L4 (2017))]

## Search for relativistic axions



SKA (100 h) observation of Seg I dSph

[AK, T. Kumar, S. Roy, J. Zupan (2212.04647)]