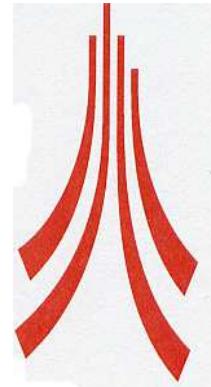




Onium polarisation and the $\mu 10$ trigger

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Introduction



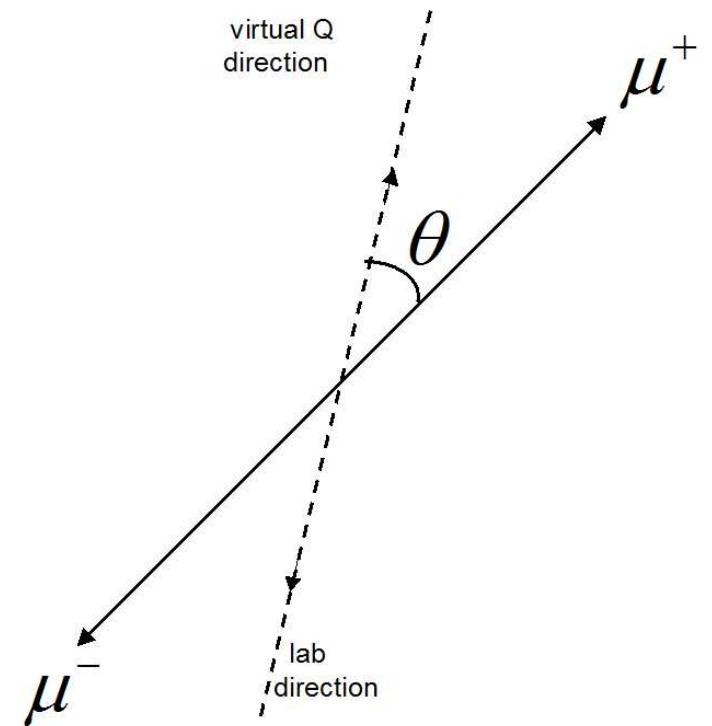
J/ψ and Υ polarisation measurement — a crucial test of production models

$$\frac{dN}{d \cos \theta^*} \sim 1 + \alpha \cos^2 \theta^*$$

- ❖ $\alpha = 0$ — unpolarised
- ❖ $\alpha = +1$ — transversely polarised (helicity ± 1)
- ❖ $\alpha = -1$ — longitudinally polarised (helicity 0)

Decay angle θ^* :

angle between the direction of μ^+ in onium decay frame and the direction of onium in lab frame



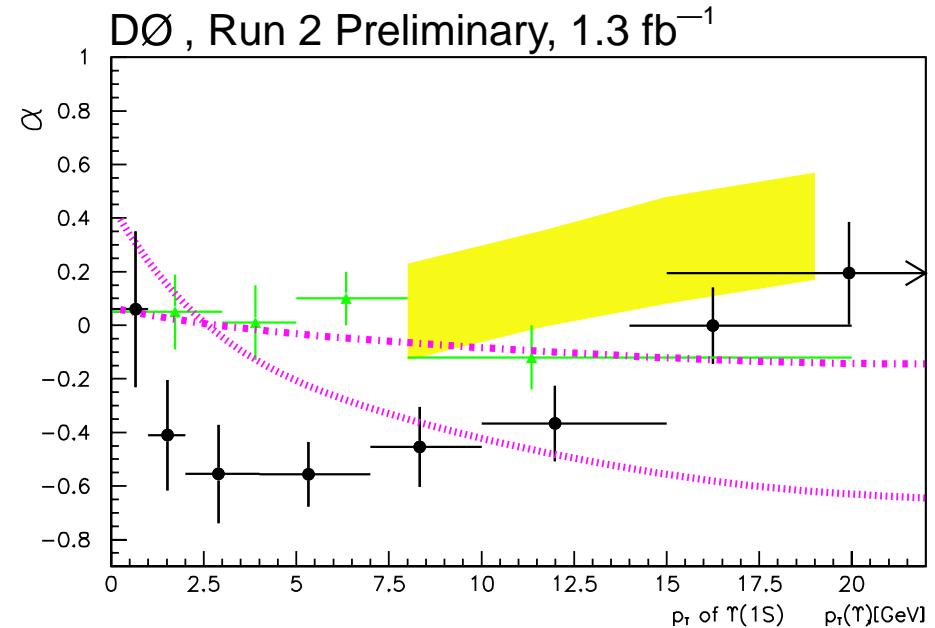
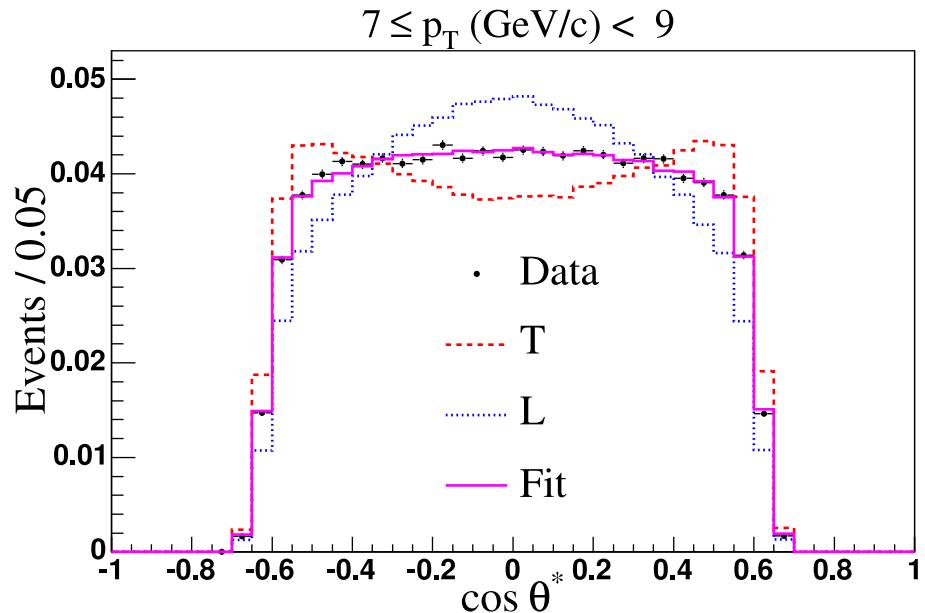


Problem?



So far, major disagreements between theoretical models

- ◆ Colour Octet Model — yellow band
 - ◆ k_T factorisation model — red lines
- and different experiments
- ◆ D0 — black points
 - ◆ CDF — green points



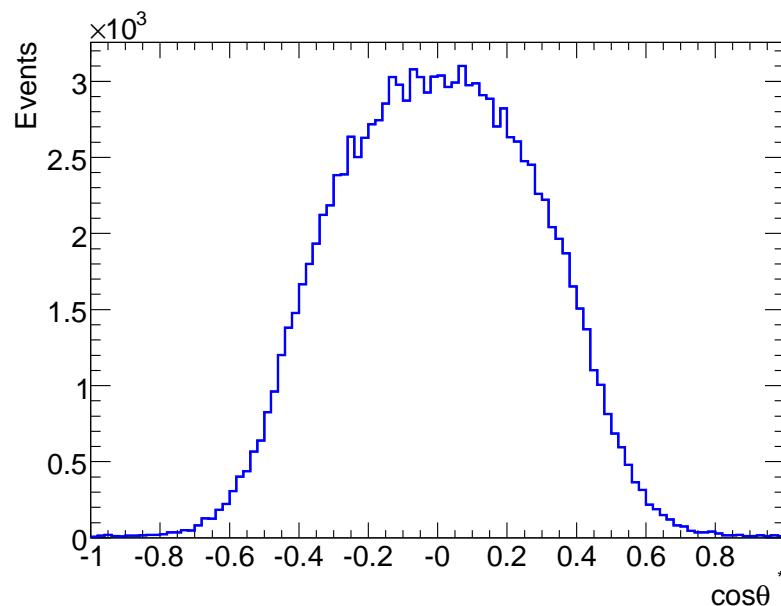
Main reason: large $|\cos \theta^*|$ not easily accessible
as trigger requires both muons to have high p_T



Dimuon kinematics in ATLAS case



- ❖ With a $\mu 6\mu 4$ trigger, P_T distribution of the J/ψ starts at about $6 + 4 = 10$ GeV
- ❖ Both muons from J/ψ decays have rather large P_T
- ❖ Allows for both muons to be identified
- ❖ BUT: restricts acceptance in polarization angle $\cos \theta^*$:

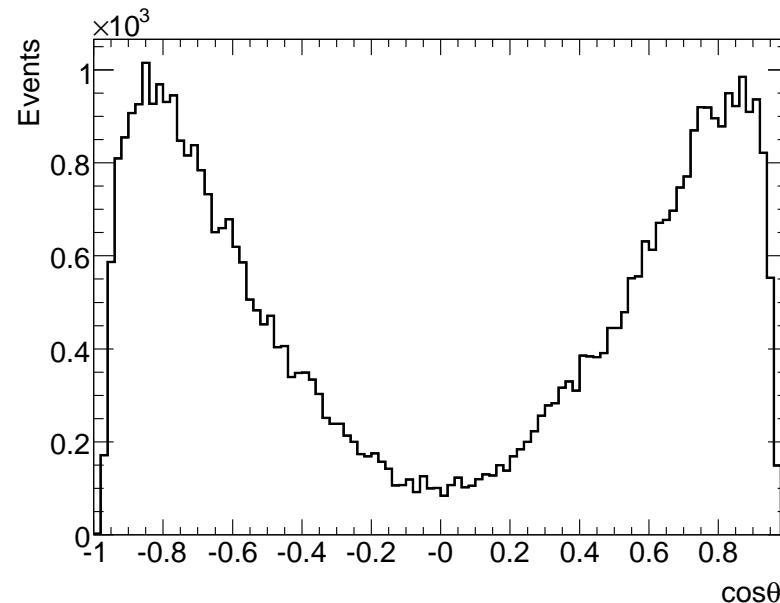


- ❖ At a fixed P_T of the J/ψ , a big fraction of the cross section is lost (up to 60 %)
- ❖ $|\cos \theta^*| = 1$ exactly means $p_1/p_2 \simeq (M_\psi/m_\mu)^2 \simeq 900$ (not very likely!)

J/ψ with a $\mu 10$ trigger



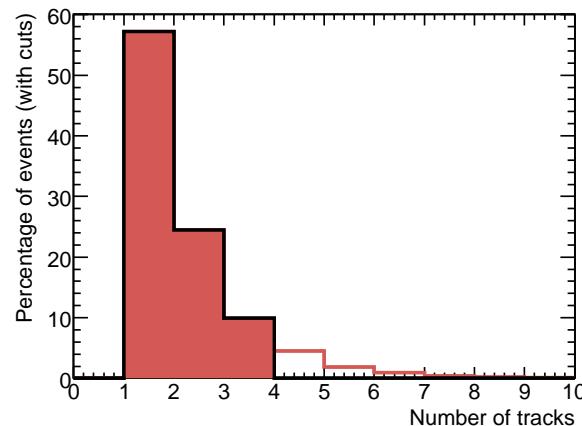
- ❖ In order to recover these “lost” J/ψ ’s, one needs one muon to be fast and the other to be slow.
- ❖ In order to complement the dimuon-triggered J/ψ sample, one could use the $\mu 10$ single muon trigger.
- ❖ The other muon is not identified - “just” a track with certain requirements.
- ❖ $J/\psi \rightarrow \mu 10 + \text{track}$ cross section comparable to the $\mu 6\mu 4$ one, with similar P_T dependence.
- ❖ Picks up configurations with large $\cos\theta^*$:



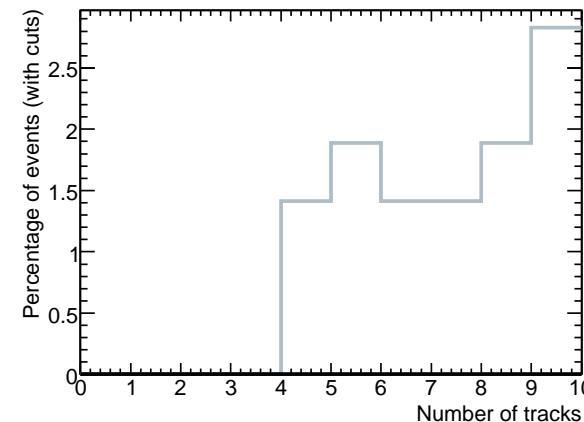
Background

- ◆ Background: decays in flight, $cc \rightarrow \mu X$, $bb \rightarrow \mu X$.
- ◆ The last one seems to be the biggest: $bb \rightarrow \mu 6 + X$ is $6.14 \text{ }\mu\text{b}$
 - cross section for $bb \rightarrow \mu 10 + X$ + at least one track in cone 0.8 is $1.06 \text{ }\mu\text{b}$
 - ... and $M_{\text{inv}}(\mu + \text{track}) > 2.5 \text{ GeV}$ and ($n_{\text{track}} = 1, 2 \text{ or } 3$) is 40 nb
 - Down to few nb if both tracks are required to come from primary vertex
- ◆ Signal ($J/\psi \rightarrow \mu 10 + \text{tracks}$) raw cross section with the same cuts is about 11 nb .
- ◆ Compared to ($J/\psi \rightarrow \mu 6 \mu 4$) raw cross section of about 14 nb .

prompt J/ψ



$bb \rightarrow \mu 10X$





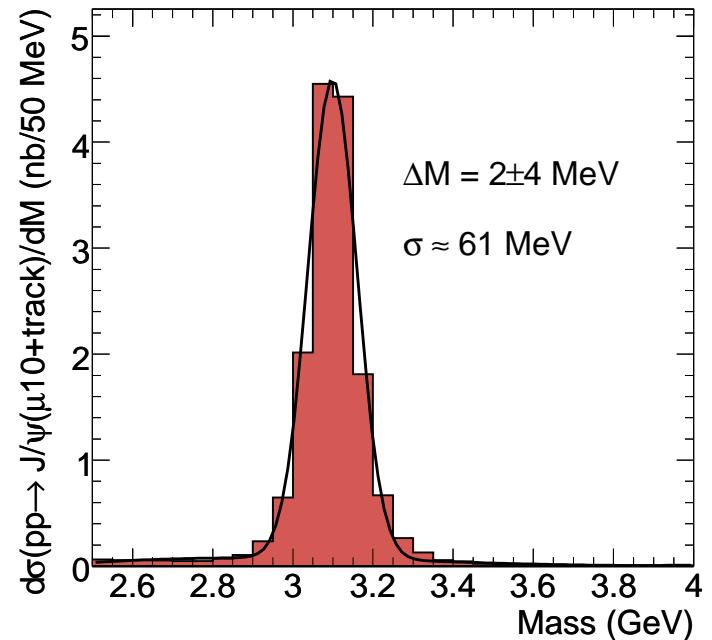
J/ ψ mass peak



Invariant mass of $\mu 10 +$ opposite sign track
within $R < 0.8$ cone, both from primary vtx:

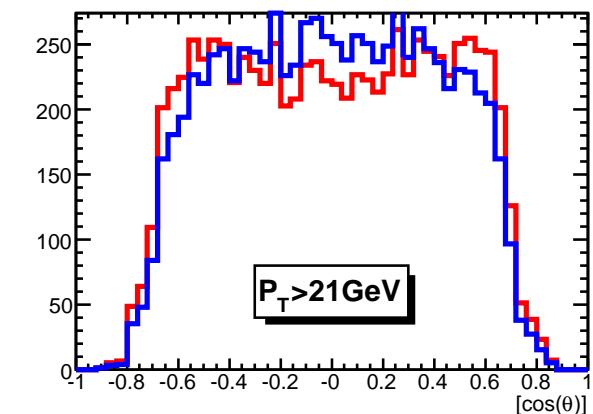
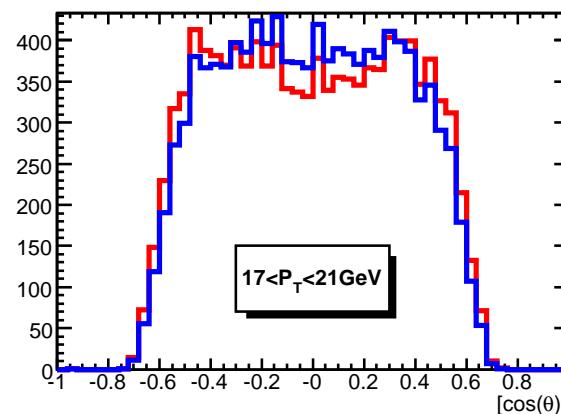
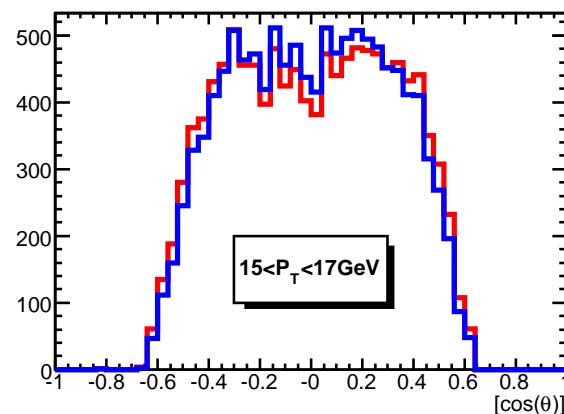
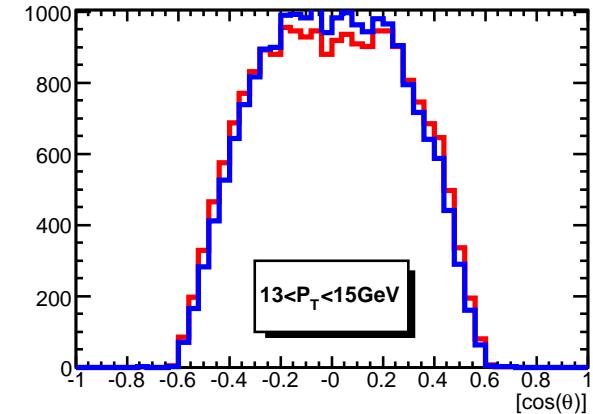
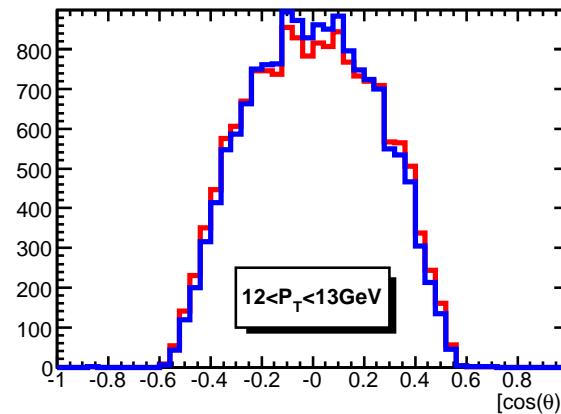
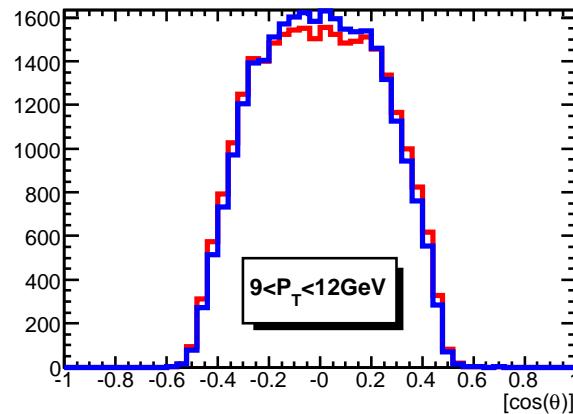
So, with the trigger “ $\mu 10 +$ tracks”:

- ❖ J/ ψ peak is well visible
- ❖ Combinatorial background is very low
- ❖ Background from beauty decays small
(vanished with simulated MC statistics)
- ❖ Complements nicely the dimuon-triggered sample
- ❖ Broadens the acceptance in $\cos \theta^*$
- ❖ Mass resolution almost as good as for $\mu 6 \mu 4$





J/ψ with $\mu 6\mu 4$: $\cos \theta^*$ distributions in p_T slices

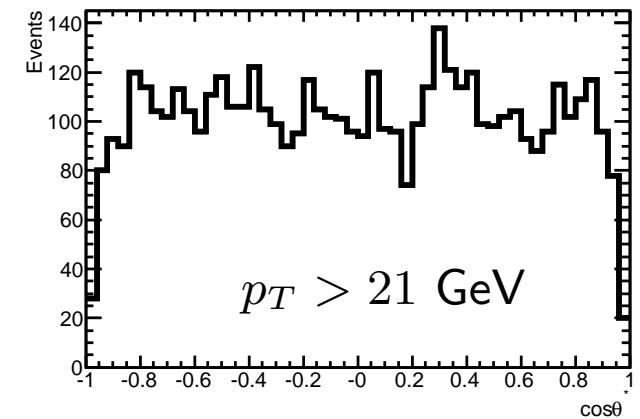
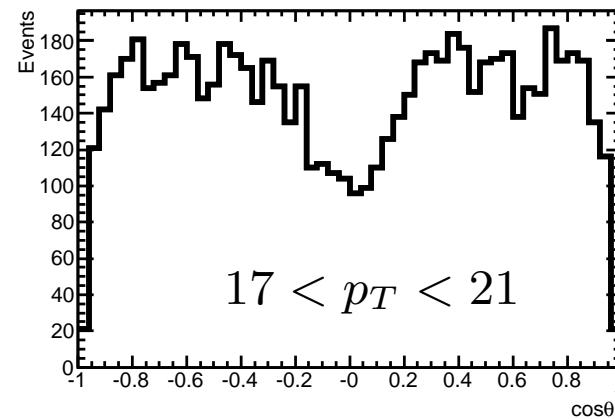
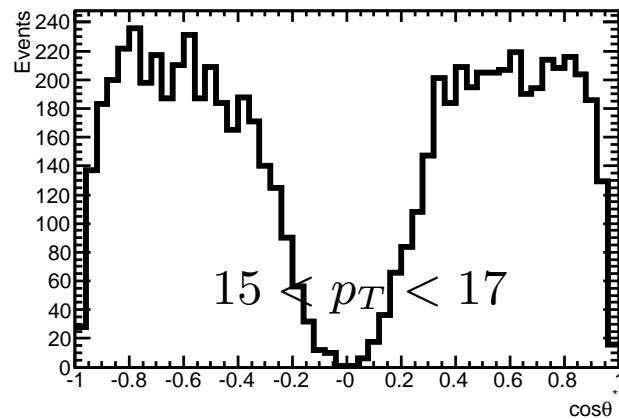
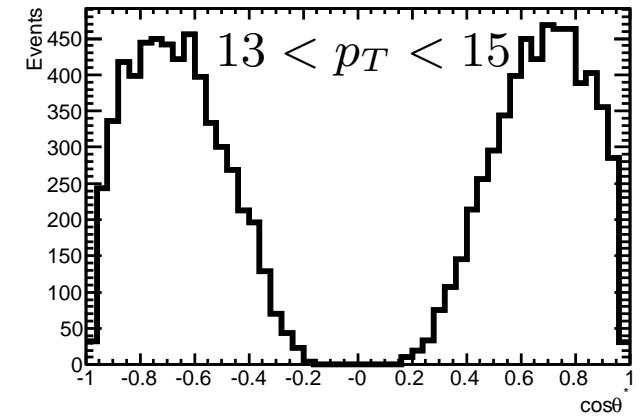
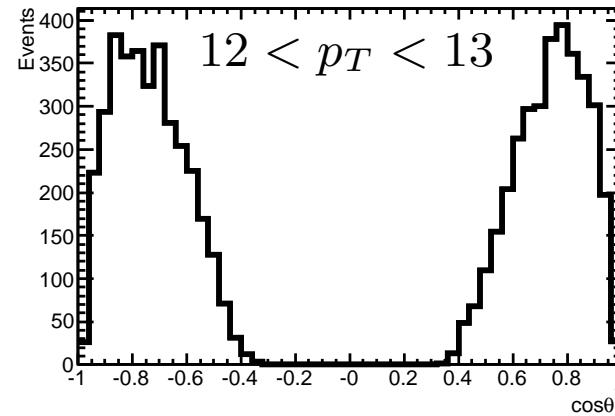
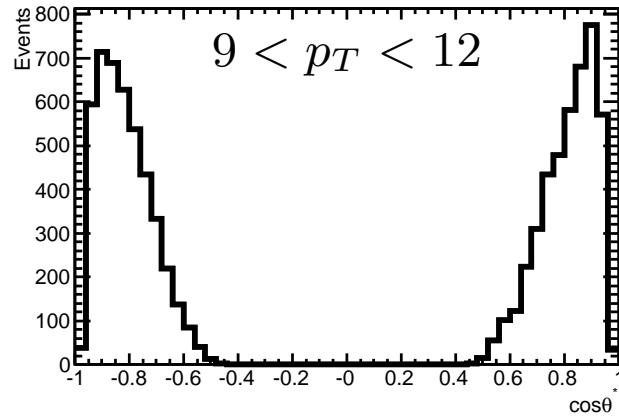


Blue: unpolarised (constant)

Red: transversely polarised ($1 + \cos^2 \theta^*$)



J/ψ with $\mu 10+$ track: $\cos \theta^*$ distributions in p_T slices



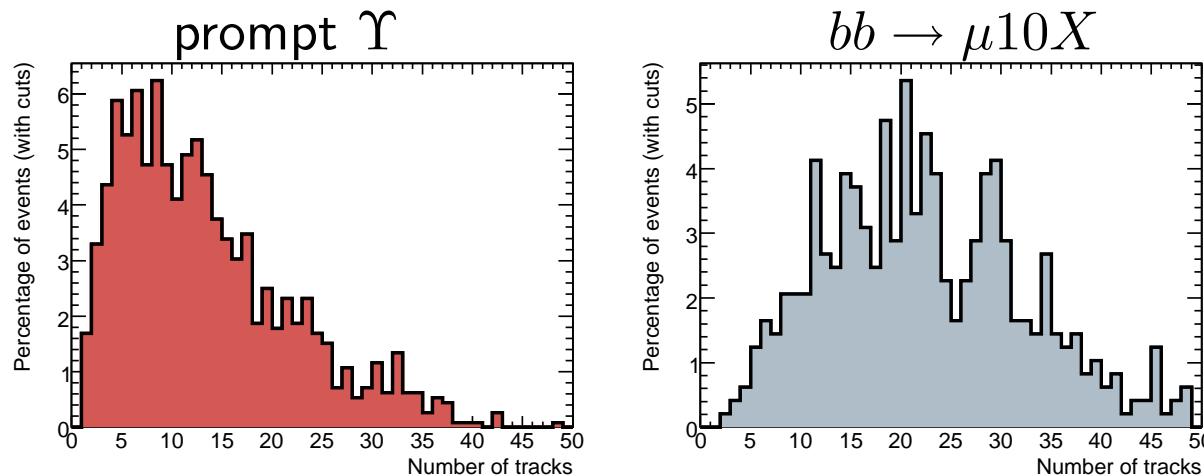
Unpolarised



How about Υ ?



- ❖ Same main backgrounds: decays in flight, $cc \rightarrow \mu X$, $bb \rightarrow \mu X$, the latter again expected to be the biggest.
- ❖ Higher mass, different decay kinematics: back-to-back now possible (but rare).
- ❖ If both $\mu 10$ and the track are required to come from the primary vertex, the background is dramatically reduced.
- ❖ Signal ($\Upsilon \rightarrow \mu 10 + \text{tracks}$) raw cross section is about 2.5 nb.
- ❖ Compared to ($\Upsilon \rightarrow \mu 6 \mu 4$) raw cross section of about 3 nb.
- ❖ Random combinations tend to have small mass, can survive without the cut on number of associated tracks:





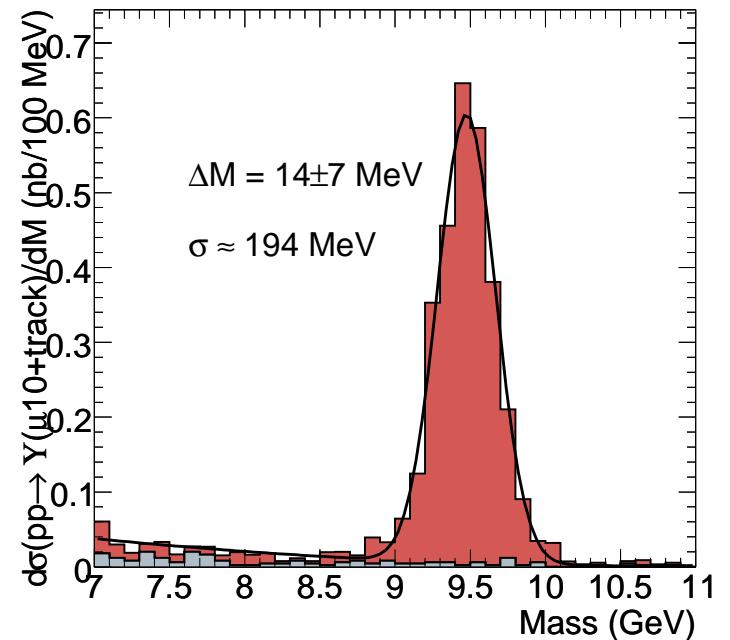
Υ mass peak



Invariant mass of $\mu 10 + \text{opposite sign track}$
within $R < 1.7$, both from primary vtx:

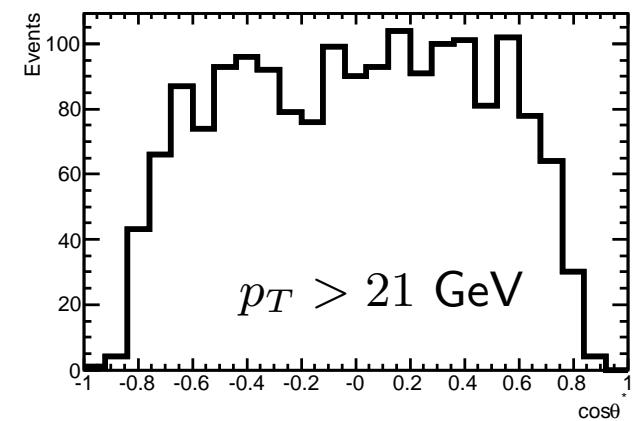
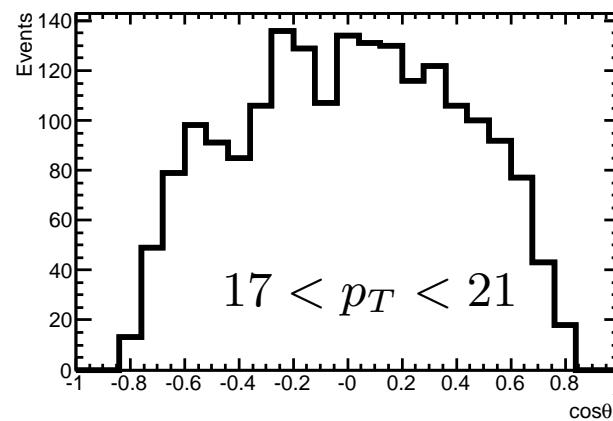
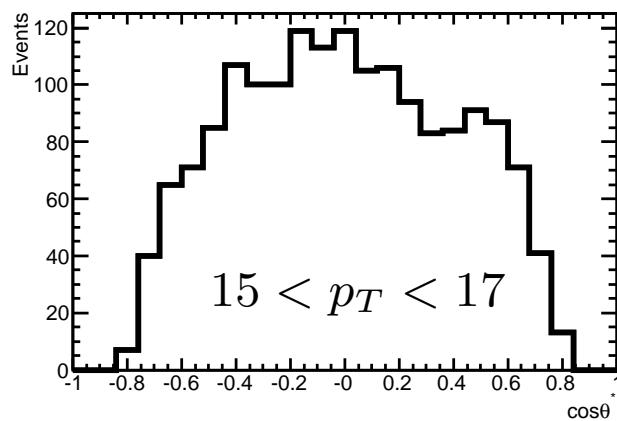
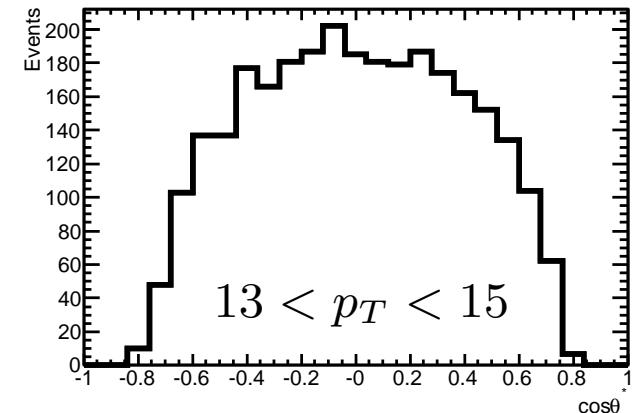
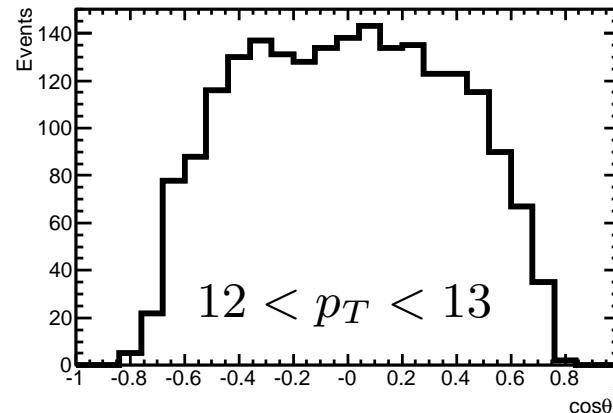
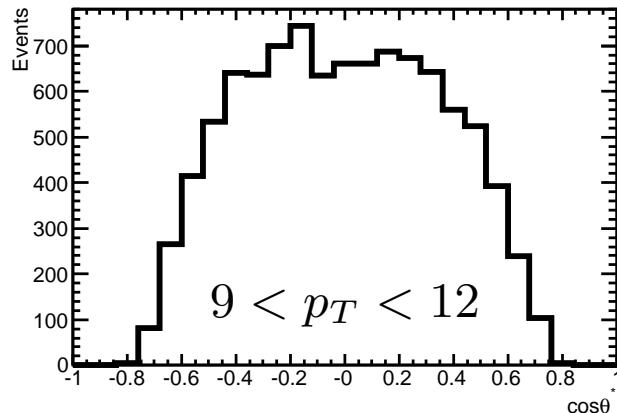
Here too, with the trigger “ $\mu 10 + \text{tracks}$ ”:

- ◆ Υ peak is well visible
- ◆ Combinatorial background is very low
- ◆ Background from beauty decays also very low
- ◆ Complements the dimuon-triggered sample
- ◆ Broadens the acceptance in $\cos \theta^*$
- ◆ Again, mass resolution almost as good as for the $\mu 6 \mu 4$ sample





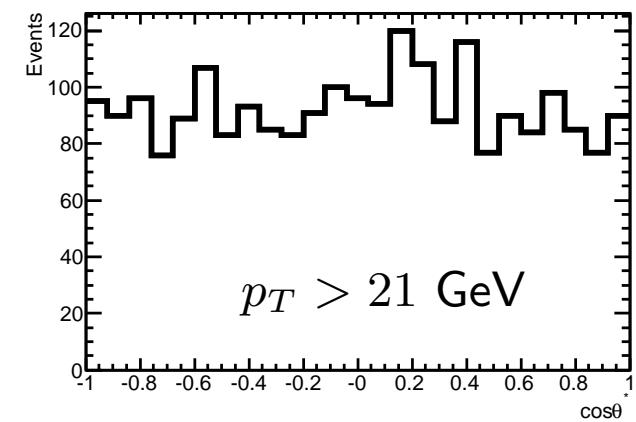
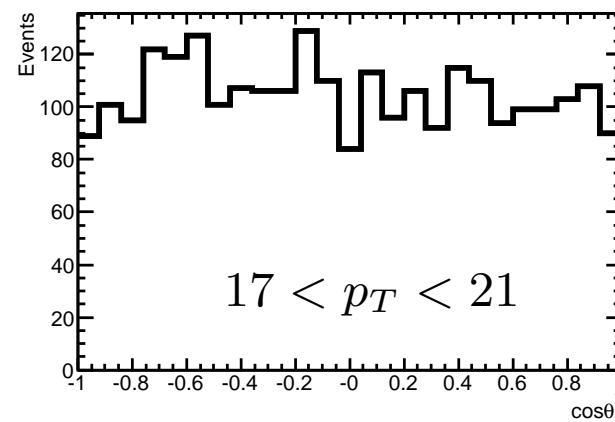
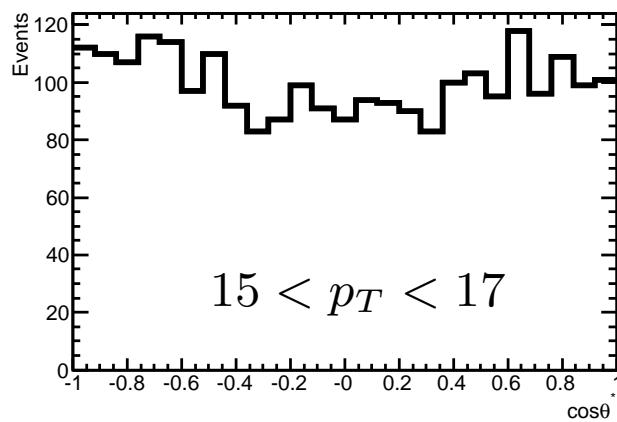
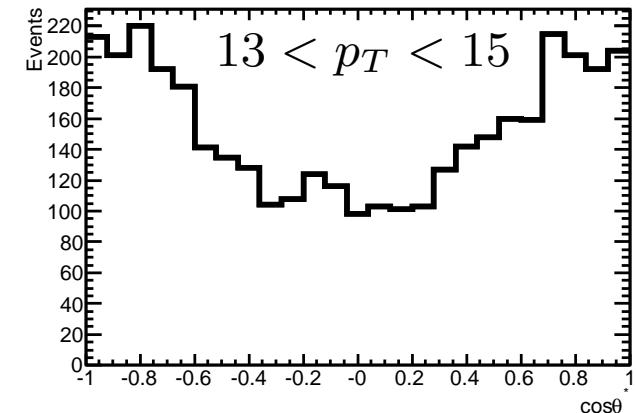
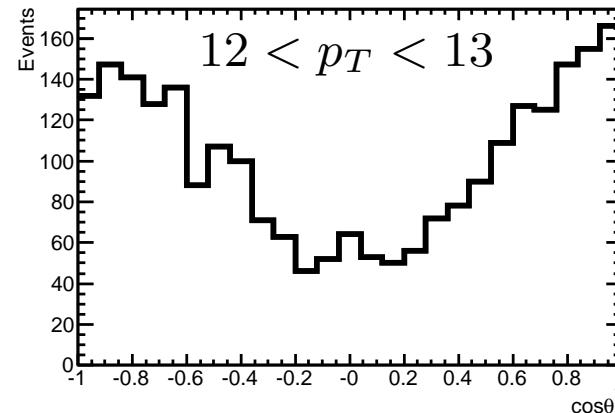
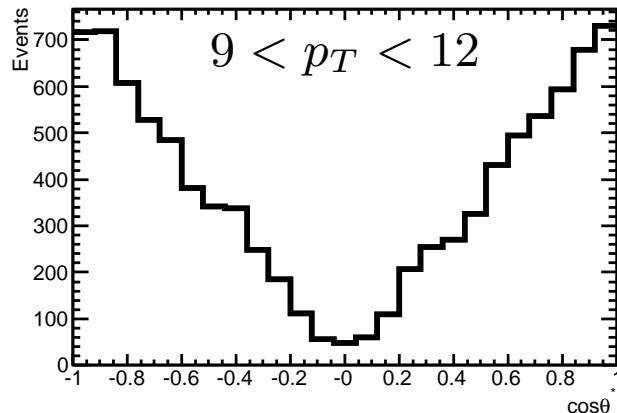
Υ with $\mu 6\mu 4$: $\cos \theta^*$ distributions in p_T slices



Unpolarised



γ with $\mu 10 + \text{track}$: $\cos \theta^*$ distributions in p_T slices



Unpolarised



Conclusions (so far)



- ❖ Samples of prompt onia from dimuon and single muon triggers complement each other nicely
- ❖ Almost full acceptance in $\cos\theta^*$, at least at high p_T of onia
- ❖ In polarisation measurements, same statistics within $|\cos\theta^*| < 0.9$ gives about 4 times smaller stat. errors (and *much* smaller sys. errors), than if made within $|\cos\theta^*| < 0.5$
- ❖ $\mu 10$ trigger provides largely independent samples of onia to cross-check efficiencies, cross sections, resolution, alignment etc.
- ❖ Onia from single muon triggers is becoming a vital part of mainstream onium analysis, available from day 1
- ❖ So far — mostly truth + limited simulations, more studies in progress
- ❖ MC statistics cannot possibly compete with real data, when it becomes available

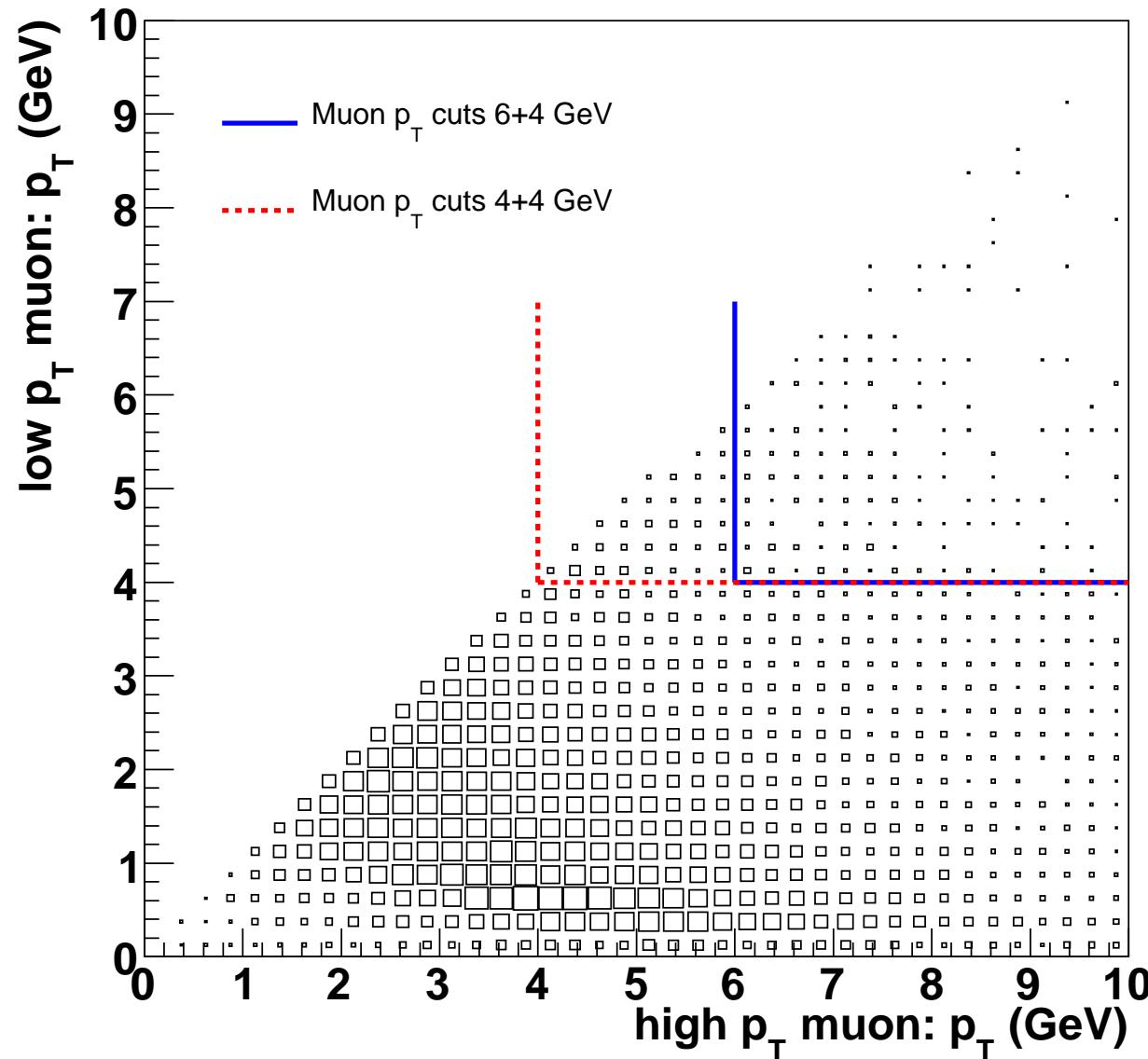


BACKUP SLIDES





J/ψ production, μ_1 vs μ_2 , Monte Carlo before trigger





γ production, $\mu 1$ vs $\mu 2$, Monte Carlo before trigger

