

Neutrino Oscillations in Daya Bay from a *pheno* point of view

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The Three Neutrino Problem

The reason for the Daya Bay experiment

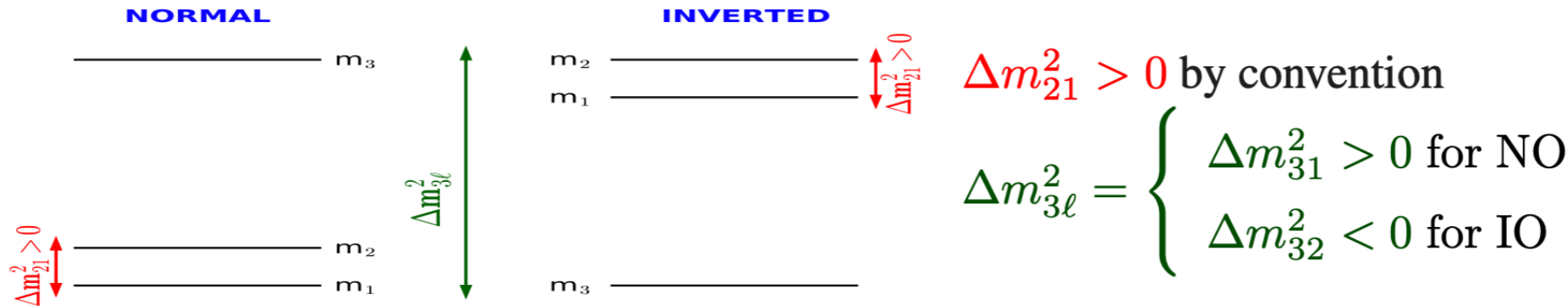
Looking back 20 years: The year 2004

3ν Flavour Parameters

- For for 3 ν's : 3 Mixing angles + 1 Dirac Phase + 2 Majorana Phases

$$U_{\text{LEP}} = \begin{pmatrix} 1 & 0 & 0 \\ 0 & c_{23} & s_{23} \\ 0 & -s_{23} & c_{23} \end{pmatrix} \begin{pmatrix} c_{13} & 0 & s_{13}e^{i\delta_{\text{CP}}} \\ 0 & 1 & 0 \\ -s_{13}e^{-i\delta_{\text{CP}}} & 0 & c_{13} \end{pmatrix} \begin{pmatrix} c_{21} & s_{12} & 0 \\ -s_{12} & c_{12} & 0 \\ 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} e^{i\phi_1} & 0 & 0 \\ 0 & e^{i\phi_2} & 0 \\ 0 & 0 & 1 \end{pmatrix}$$

- Convention: $0 \leq \theta_{ij} \leq 90^\circ$ $0 \leq \delta \leq 360^\circ \Rightarrow 2$ Orderings

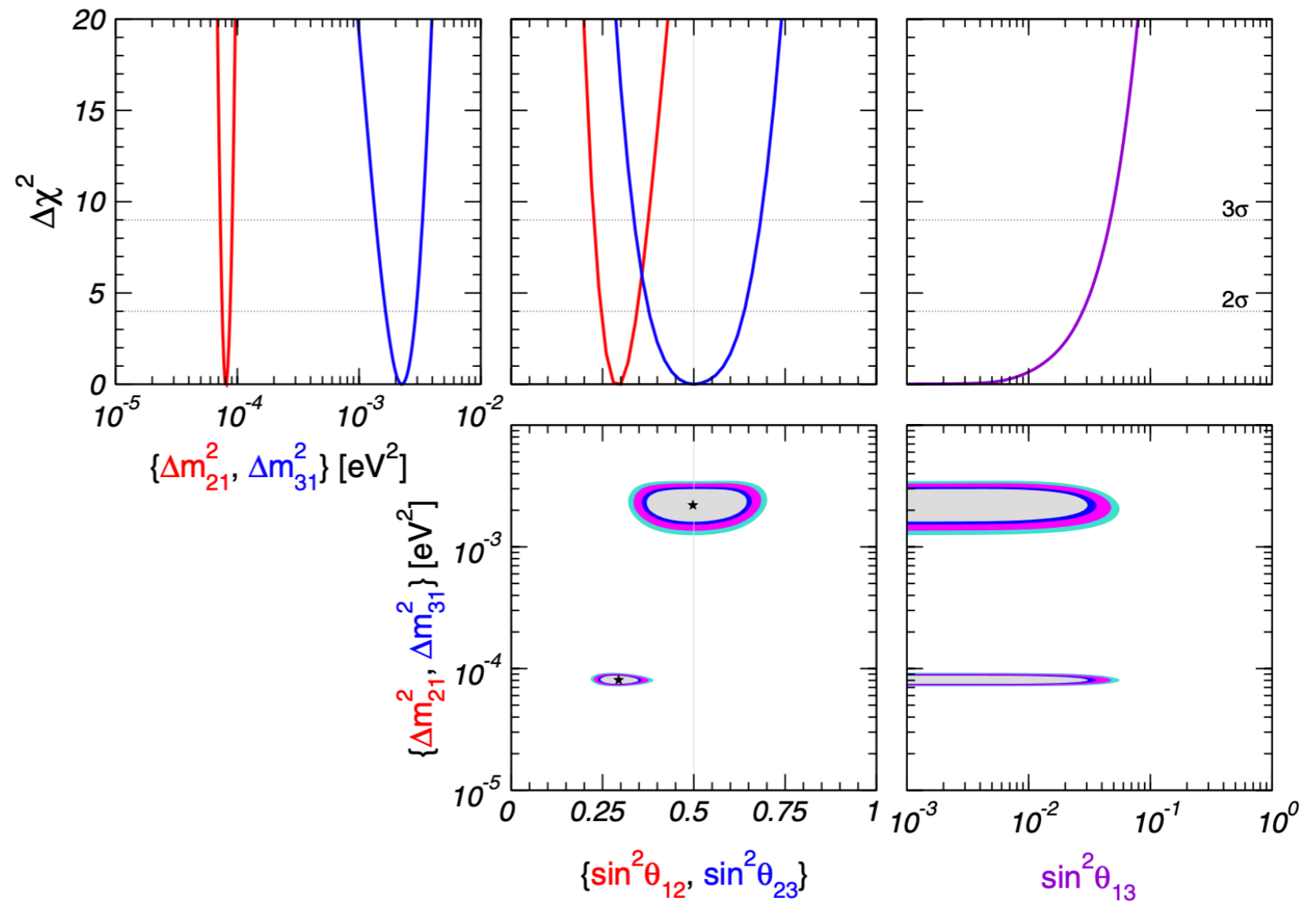


Experiment	Dominant	Important	Additional
Solar Experiments	θ_{12}	Δm_{21}^2	θ_{13}
Reactor LBL (KamLAND)	Δm_{21}^2	θ_{12}	θ_{13}
Reactor MBL (Daya Bay, Reno, D-Chooz)	$\theta_{13}, \Delta m_{3\ell}^2$		
Atmospheric Experiments (SK, IC)	θ_{23}	$\Delta m_{3\ell}^2$	$\theta_{13}, \delta_{\text{CP}}$
Acc LBL ν_μ Disapp (Minos, T2K, NOvA)	$\Delta m_{3\ell}^2, \theta_{23}$		
Acc LBL ν_e App (Minos, T2K, NOvA)	δ_{CP}		θ_{13}

Looking back 20 years: The year 2004

Rather interesting things were happening with neutrino oscillations!

Status circa 05/2004

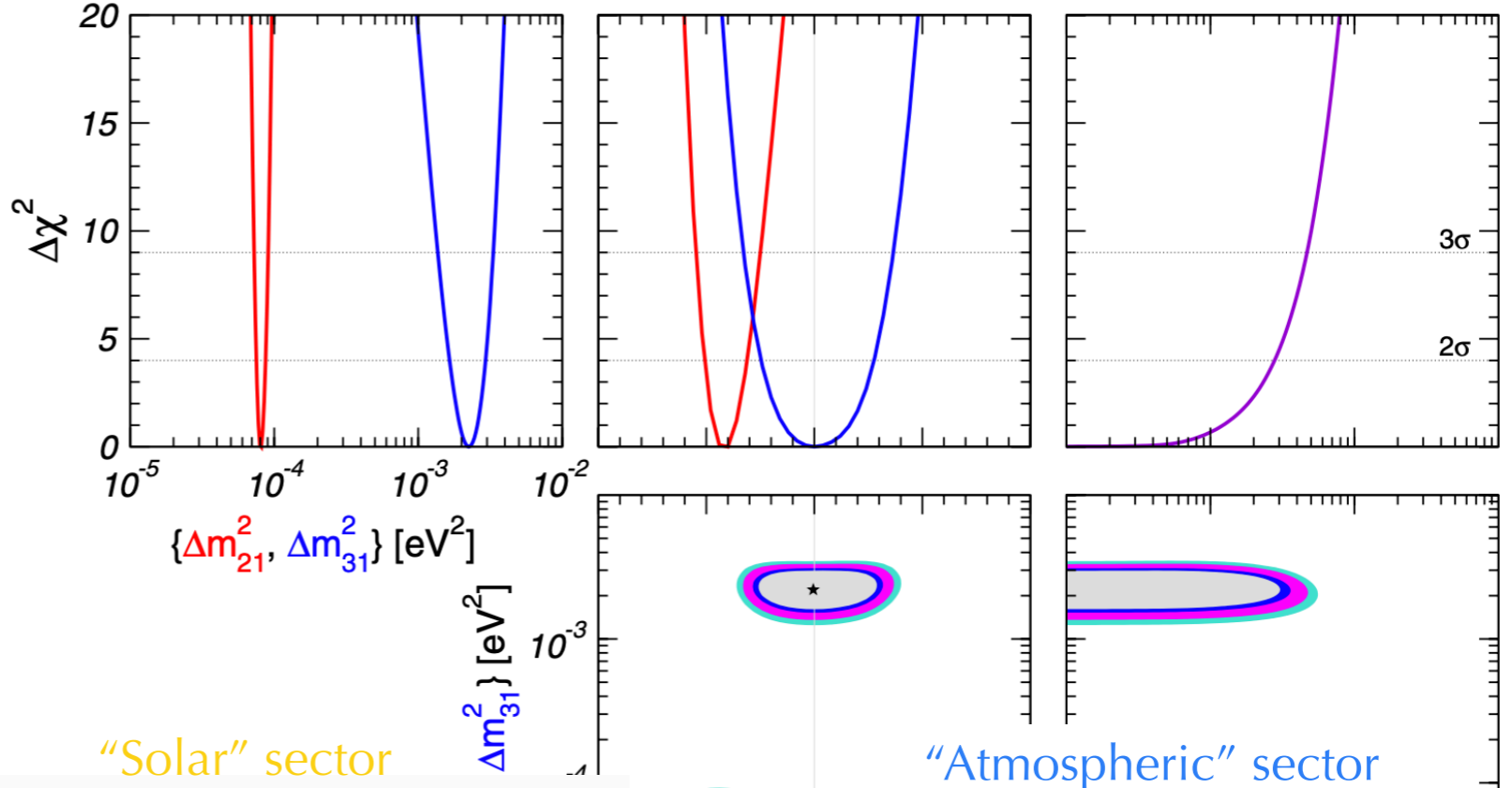


Maltoni et al,
New. J. Phys. 6, 122 (2004)

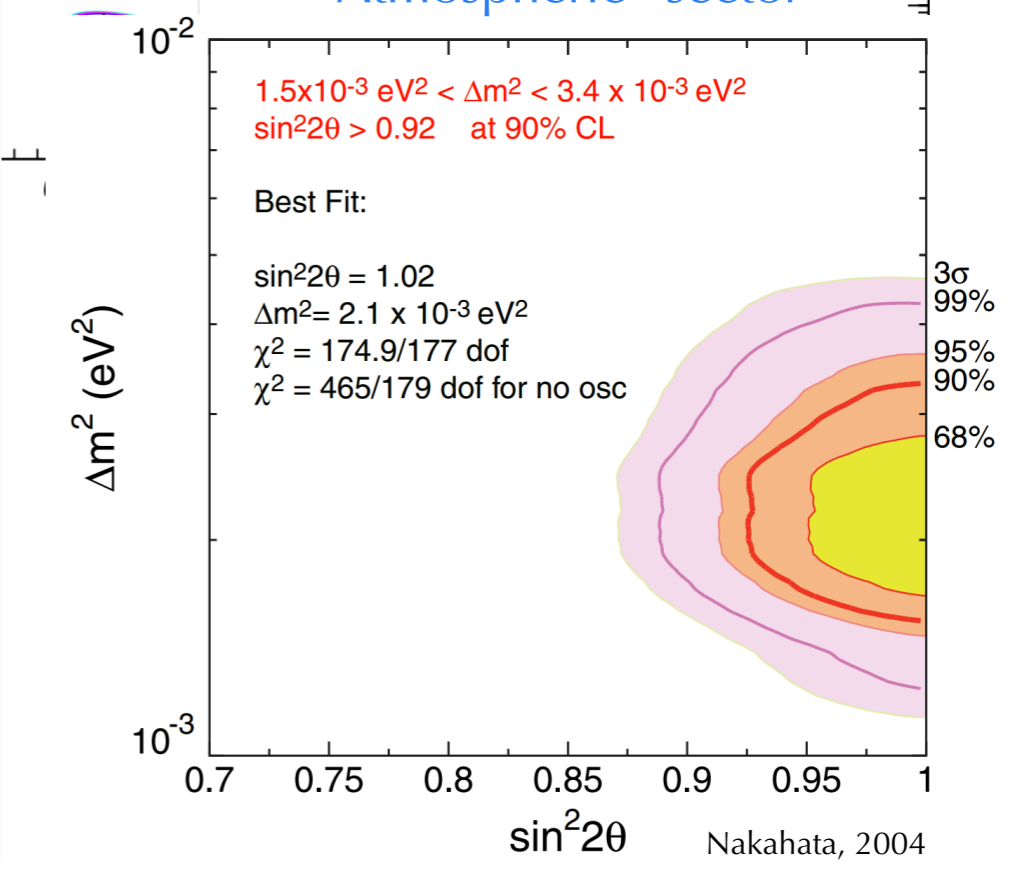
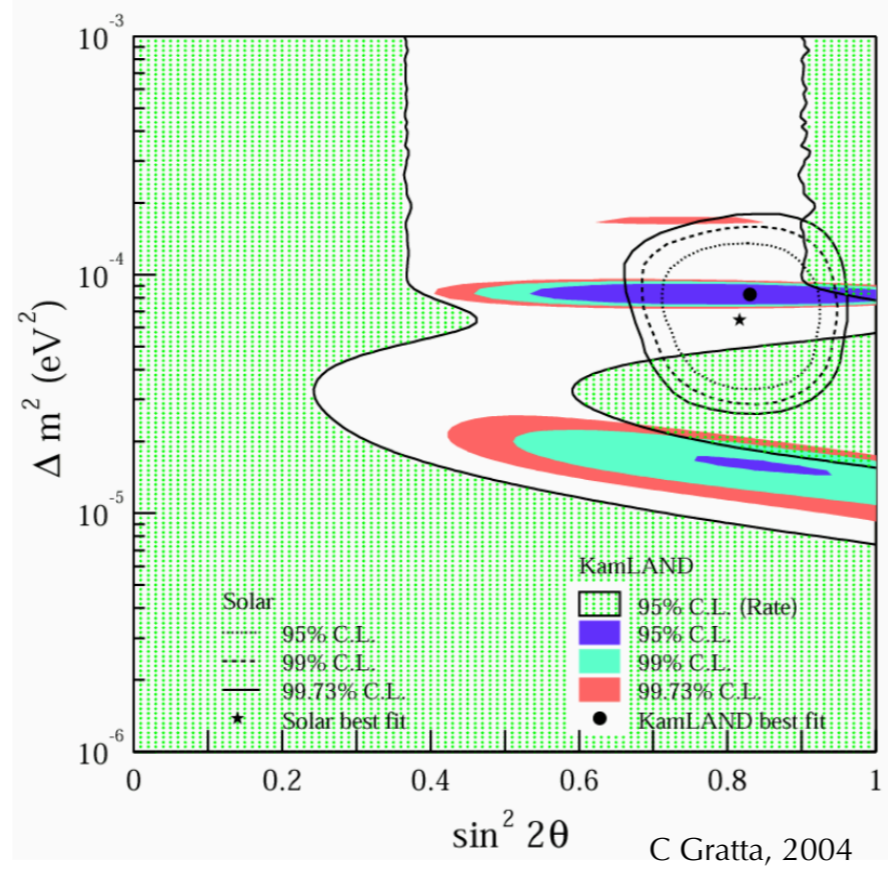
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Neutrino 2004
Paris



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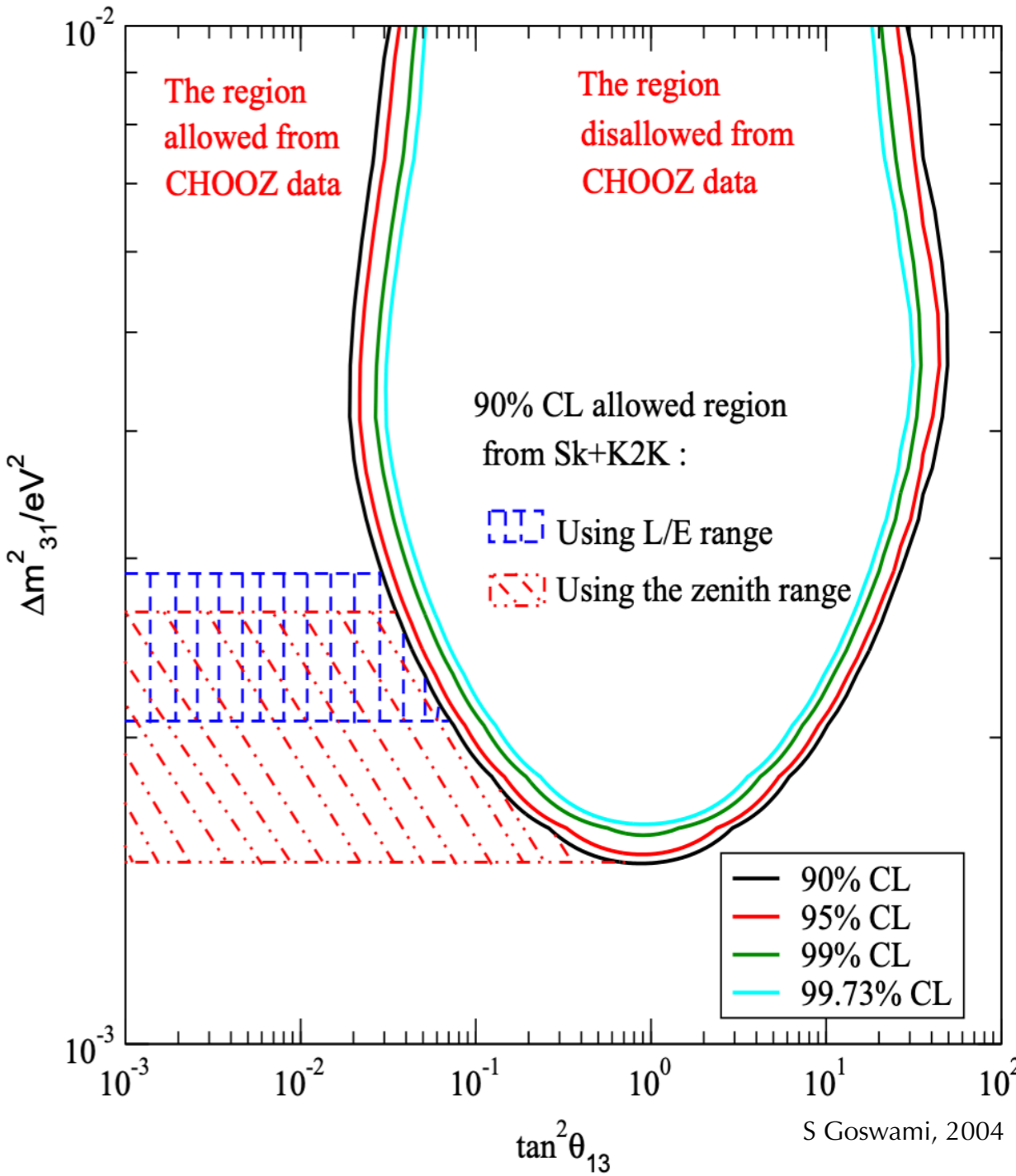
Reactor $\bar{\nu}_e$ disappearance
offer a window to
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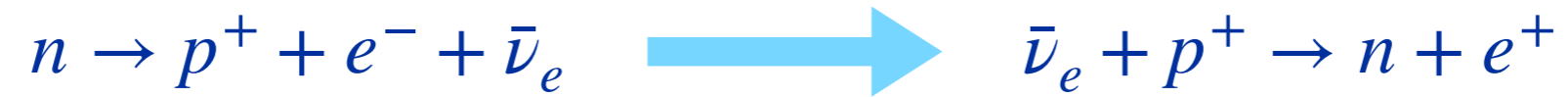
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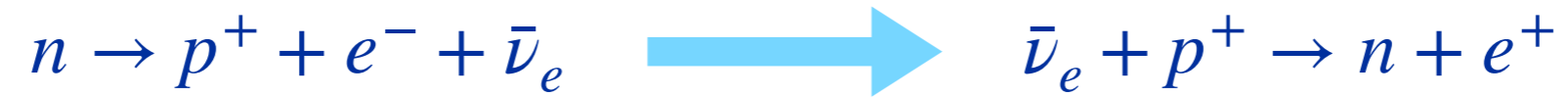
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Inverse Beta Decay

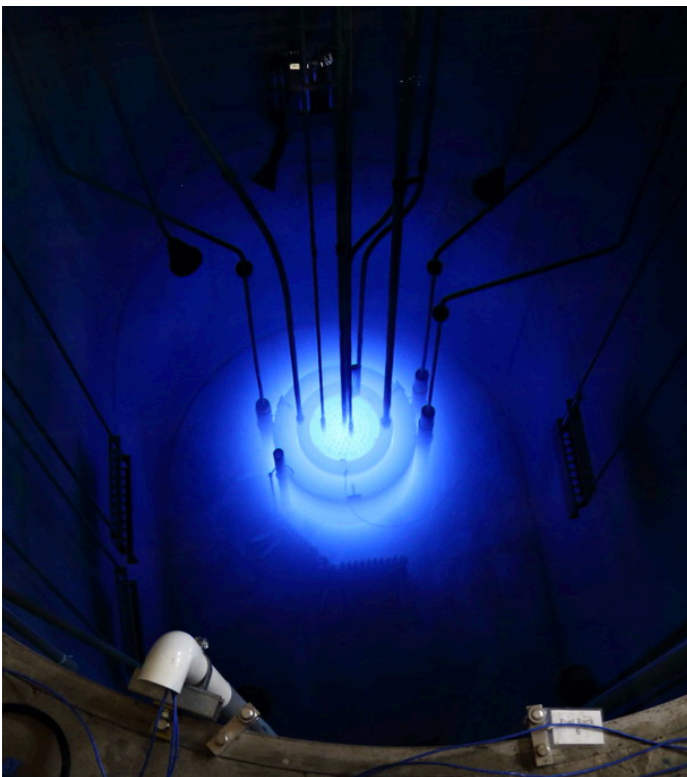


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$$\Phi_{\bar{\nu}} \sim 2 \times 10^{20} \text{ s}^{-1}/\text{GW}$$

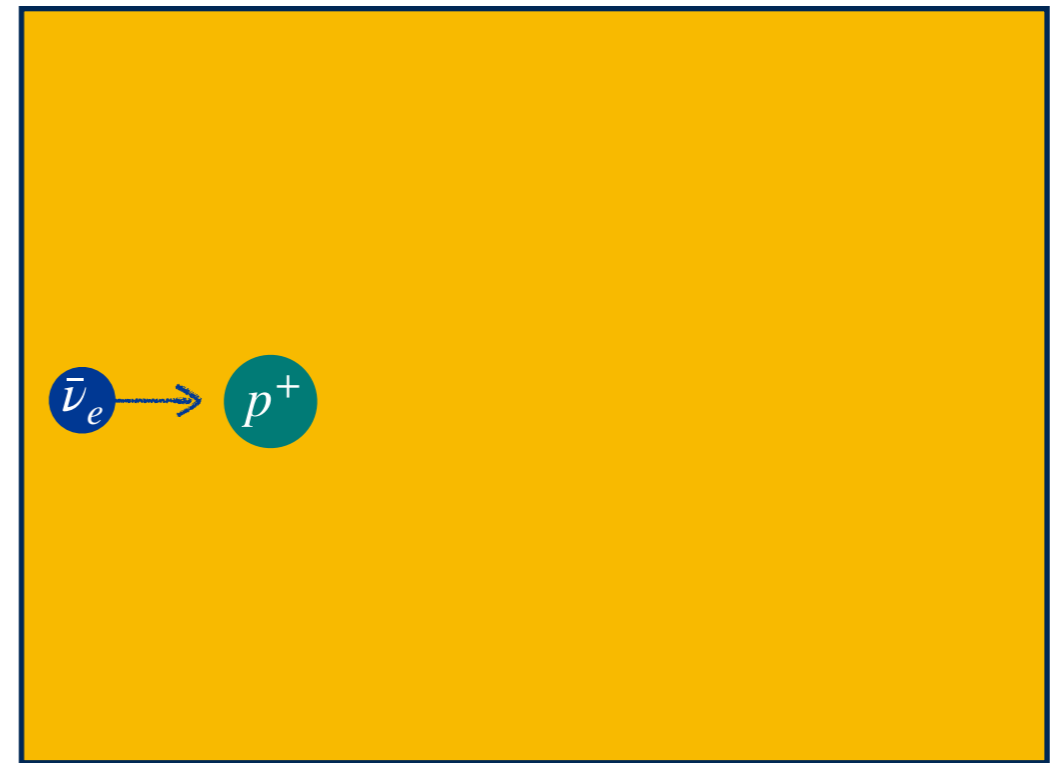
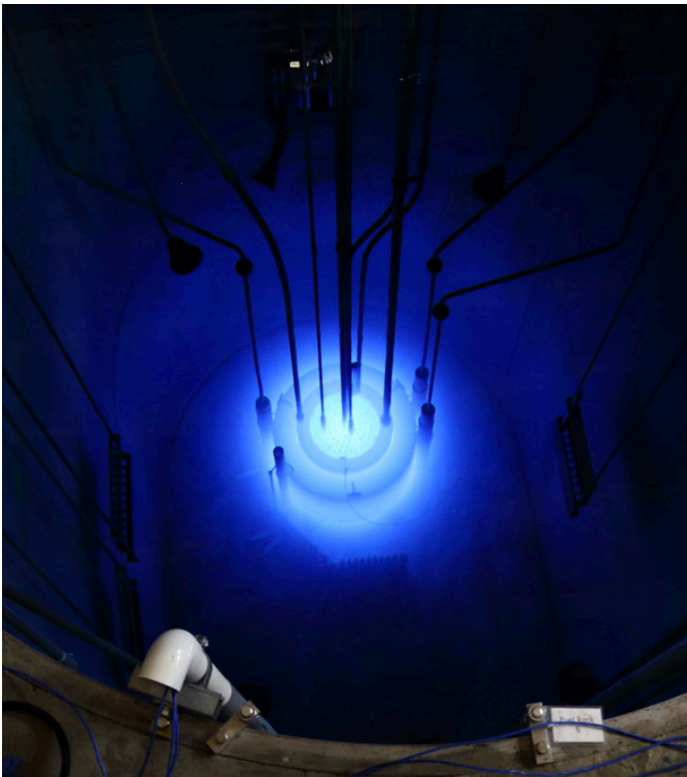


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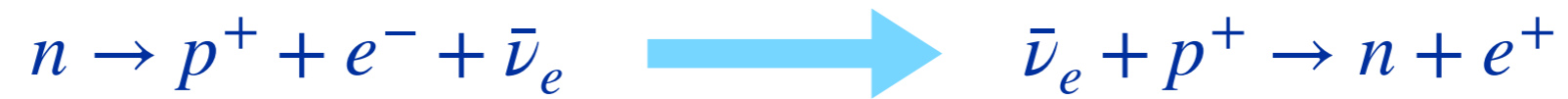


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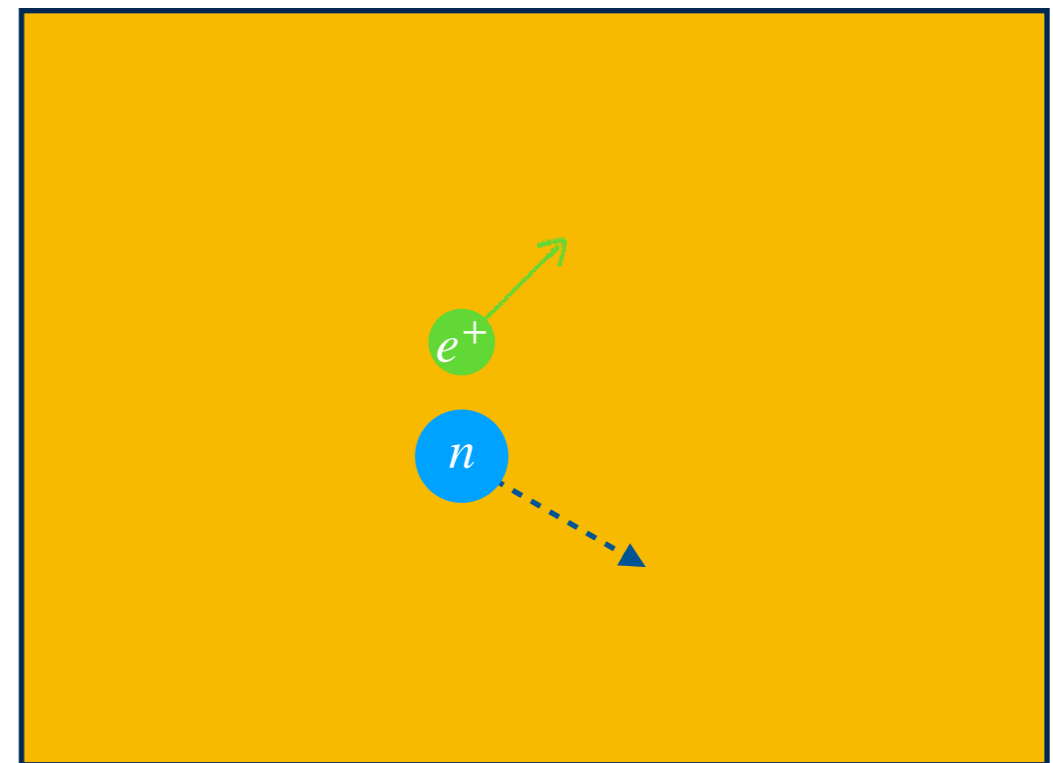
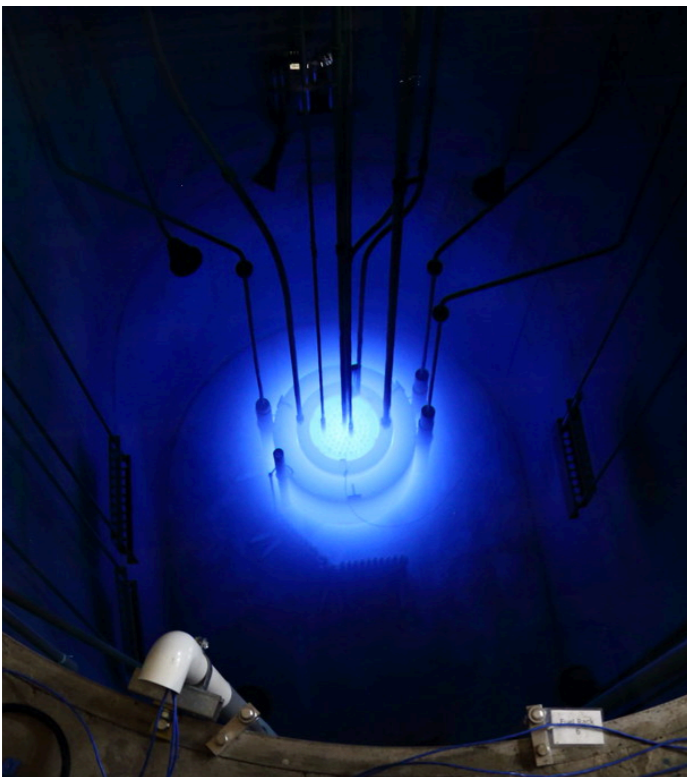


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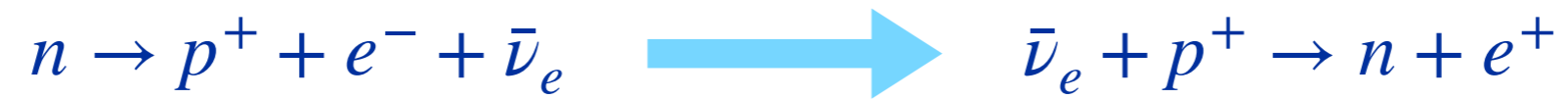


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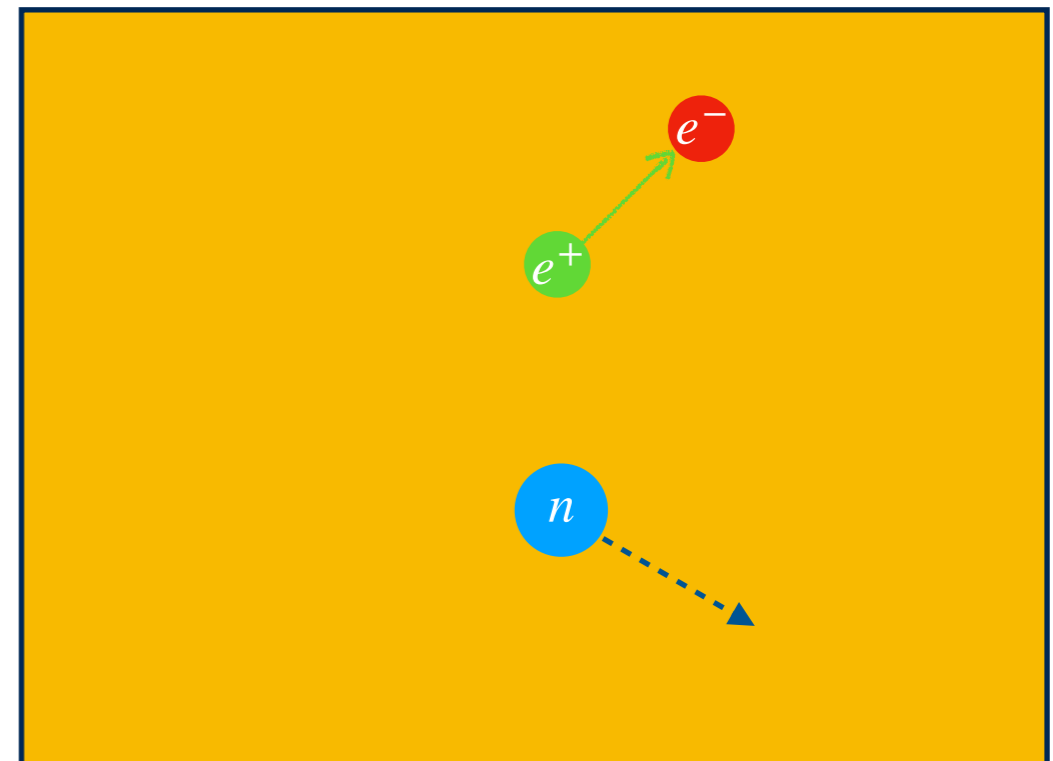
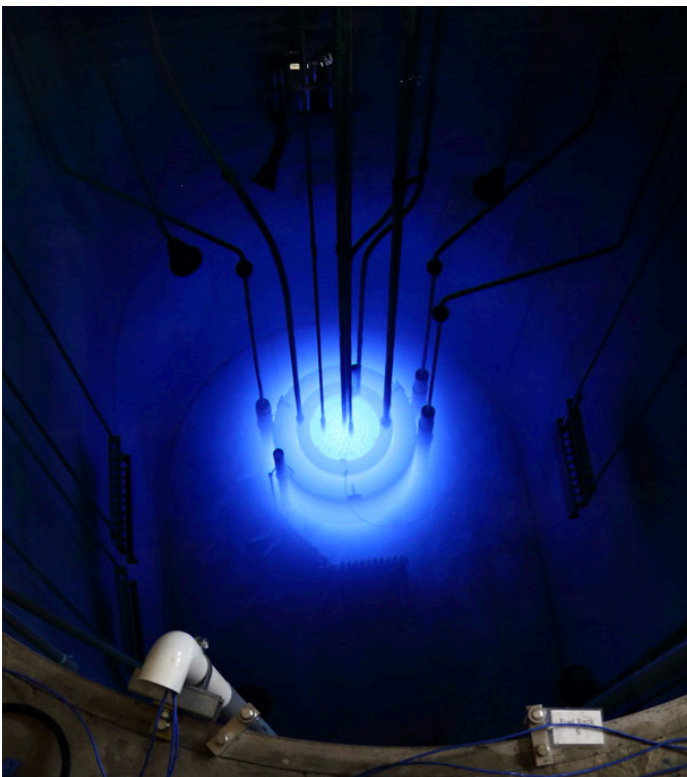


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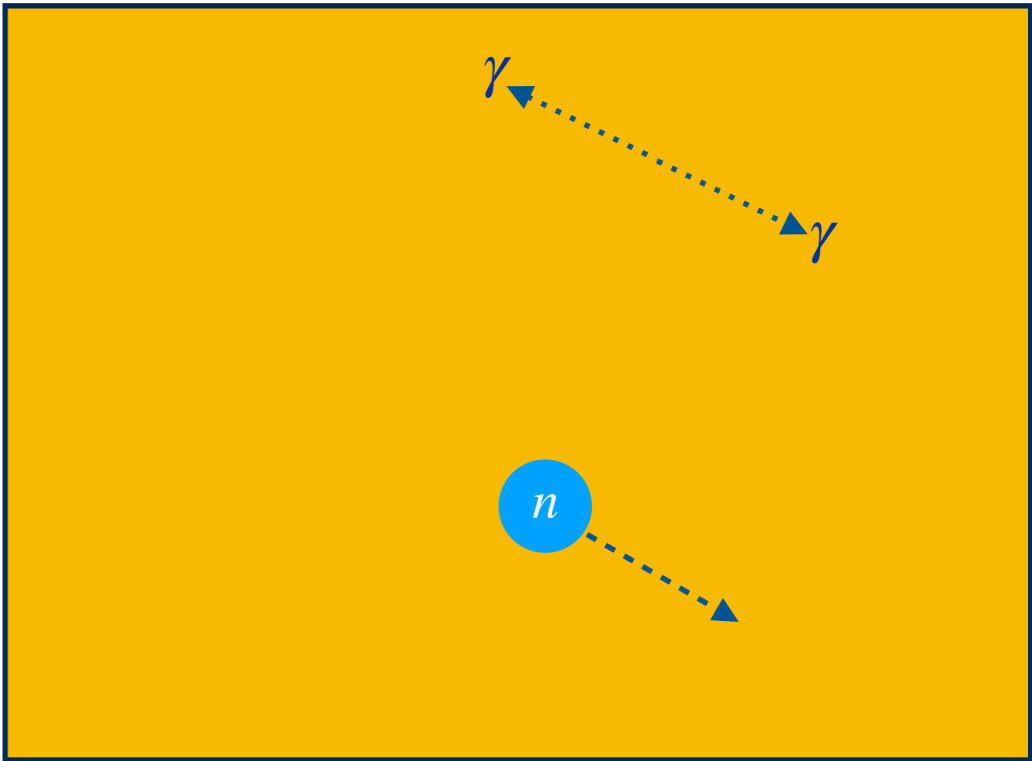
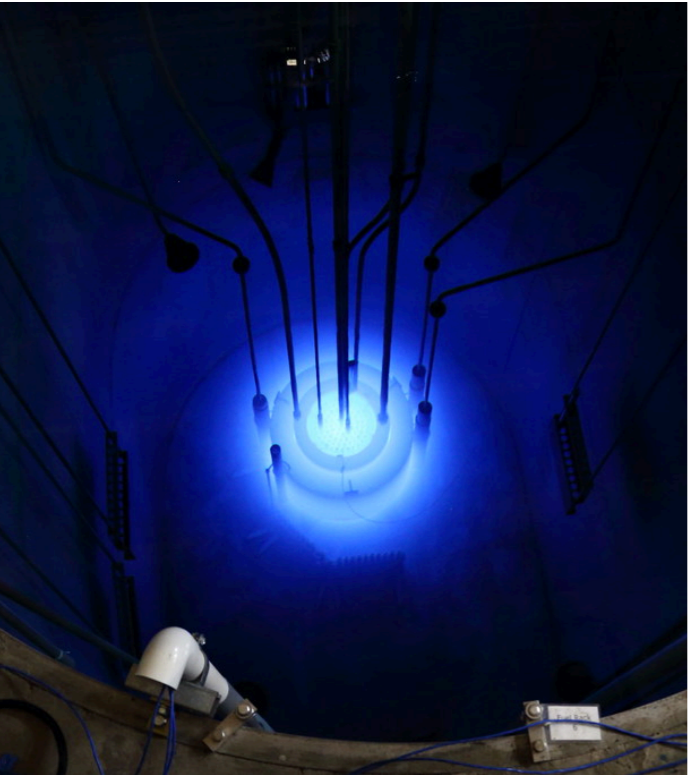


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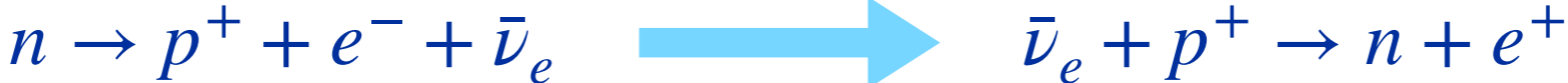


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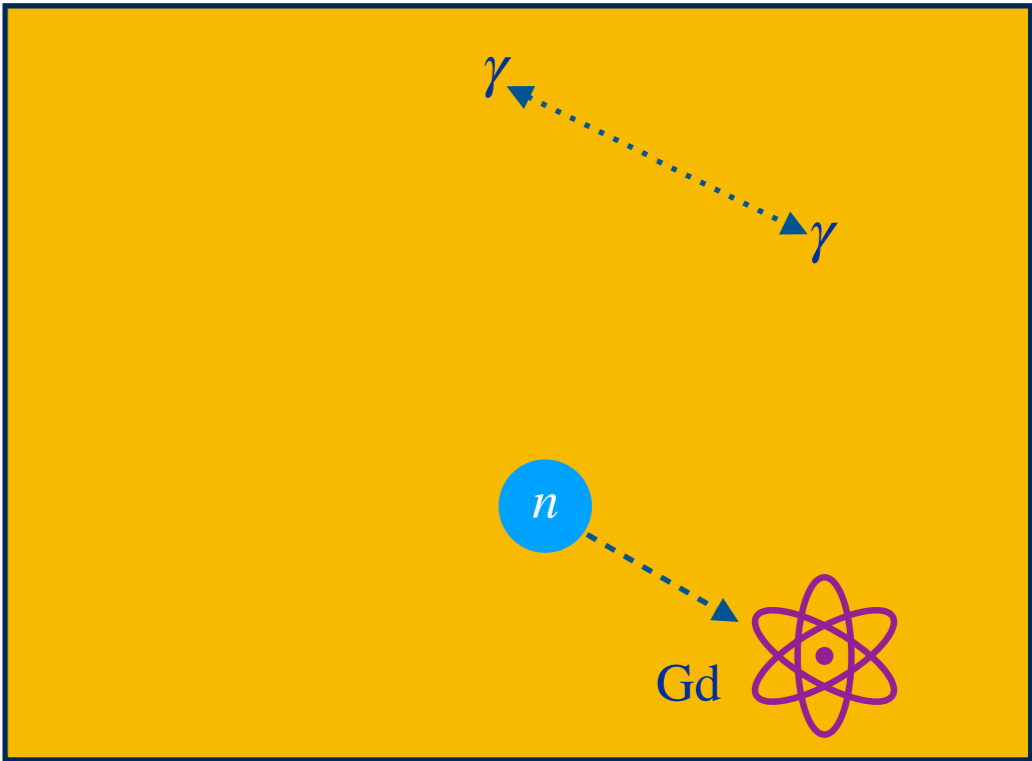
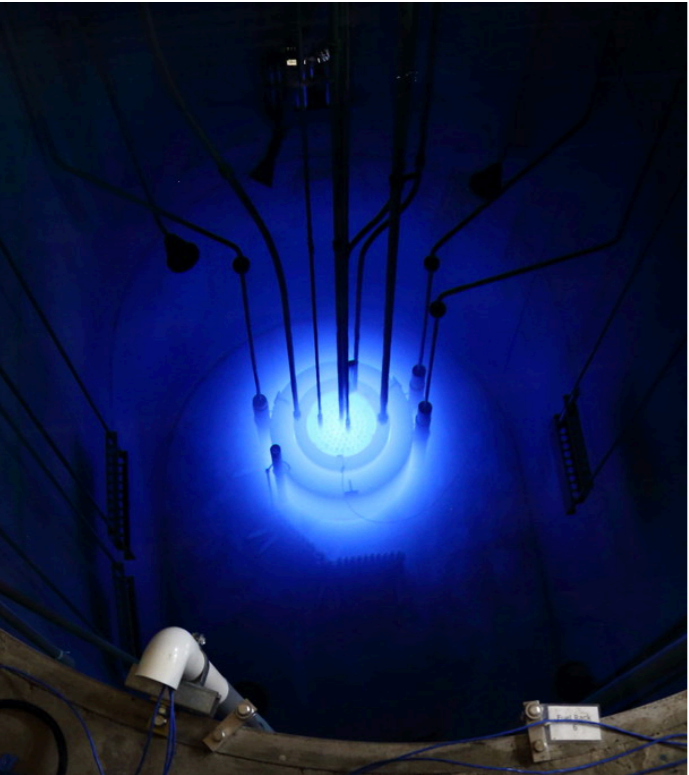


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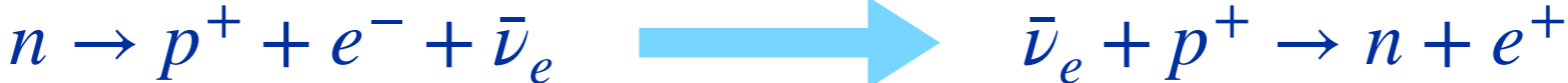


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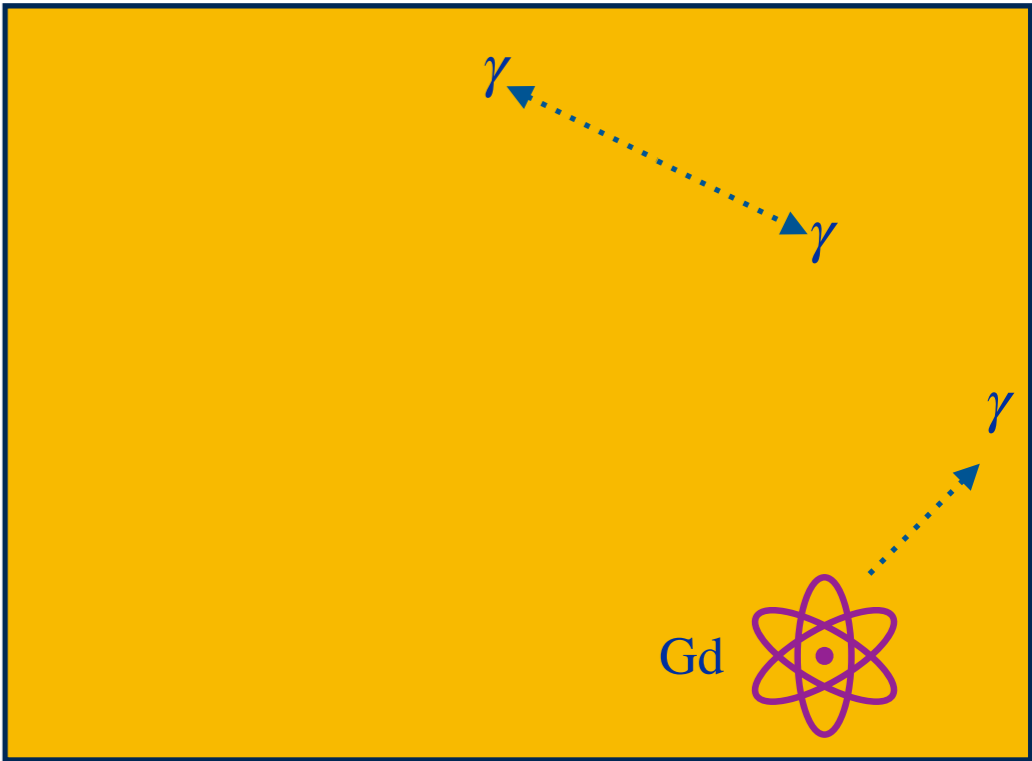
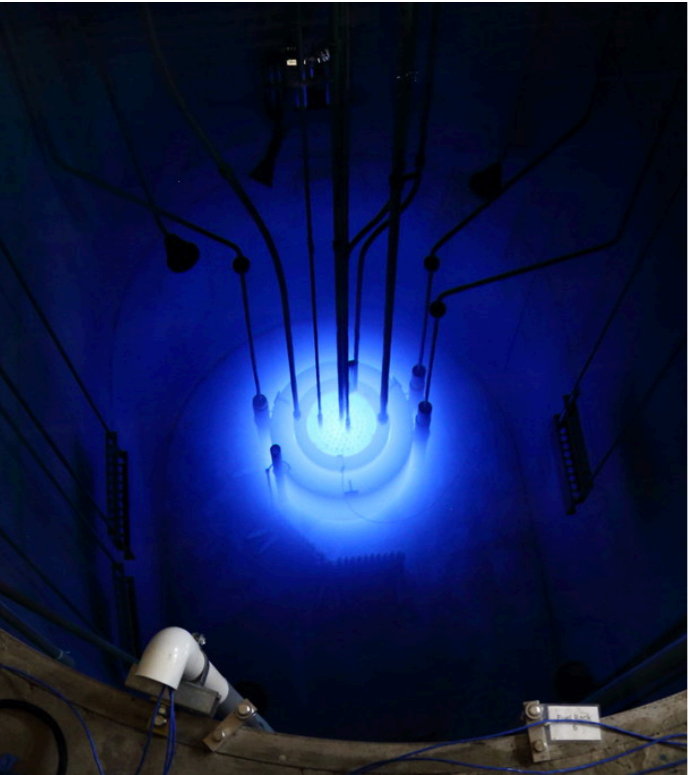


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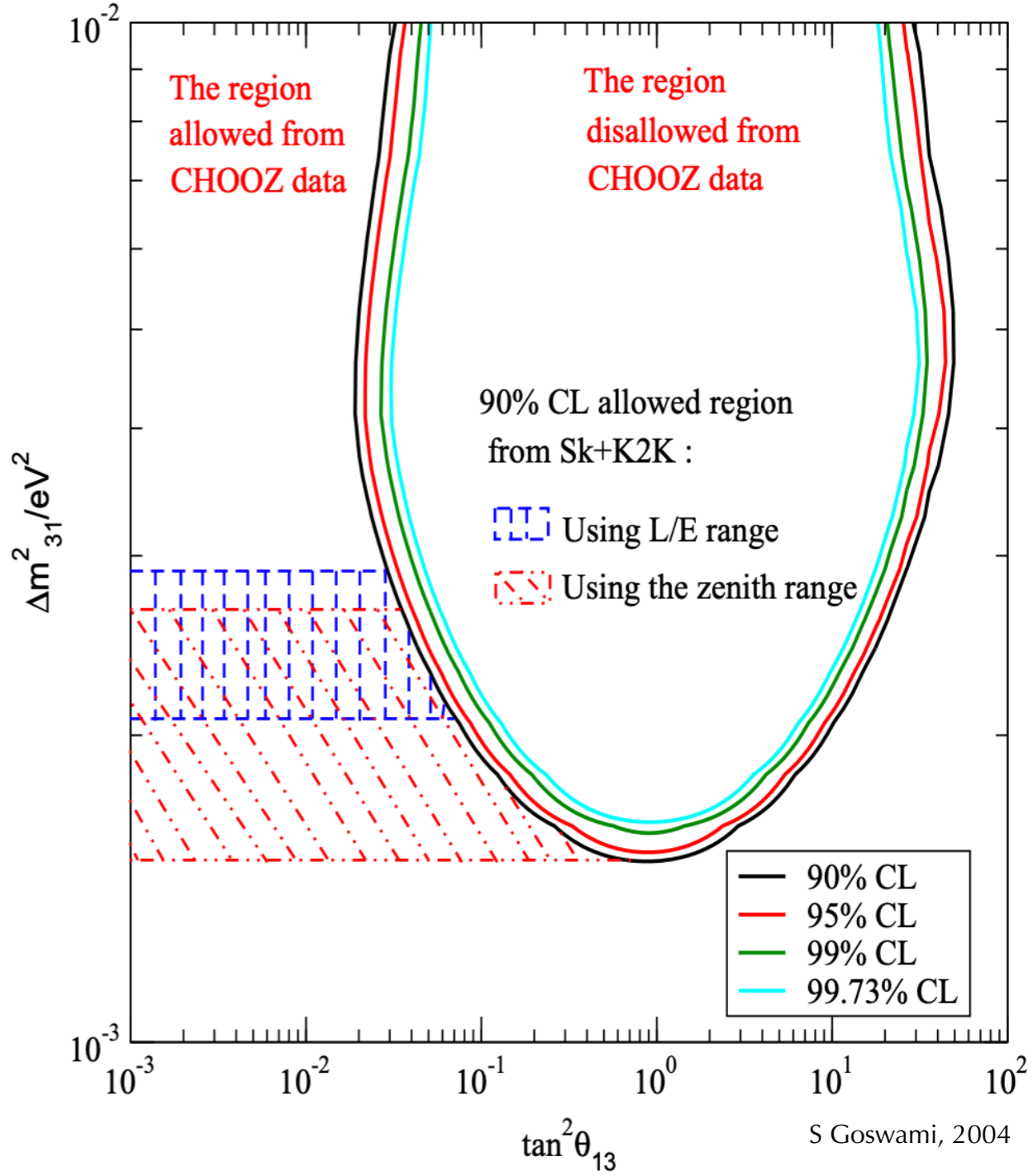
$$\Delta t \sim 30 \mu\text{s}$$

Looking back 20 years

Null results
from CHOOZ

What about θ_{13} ?

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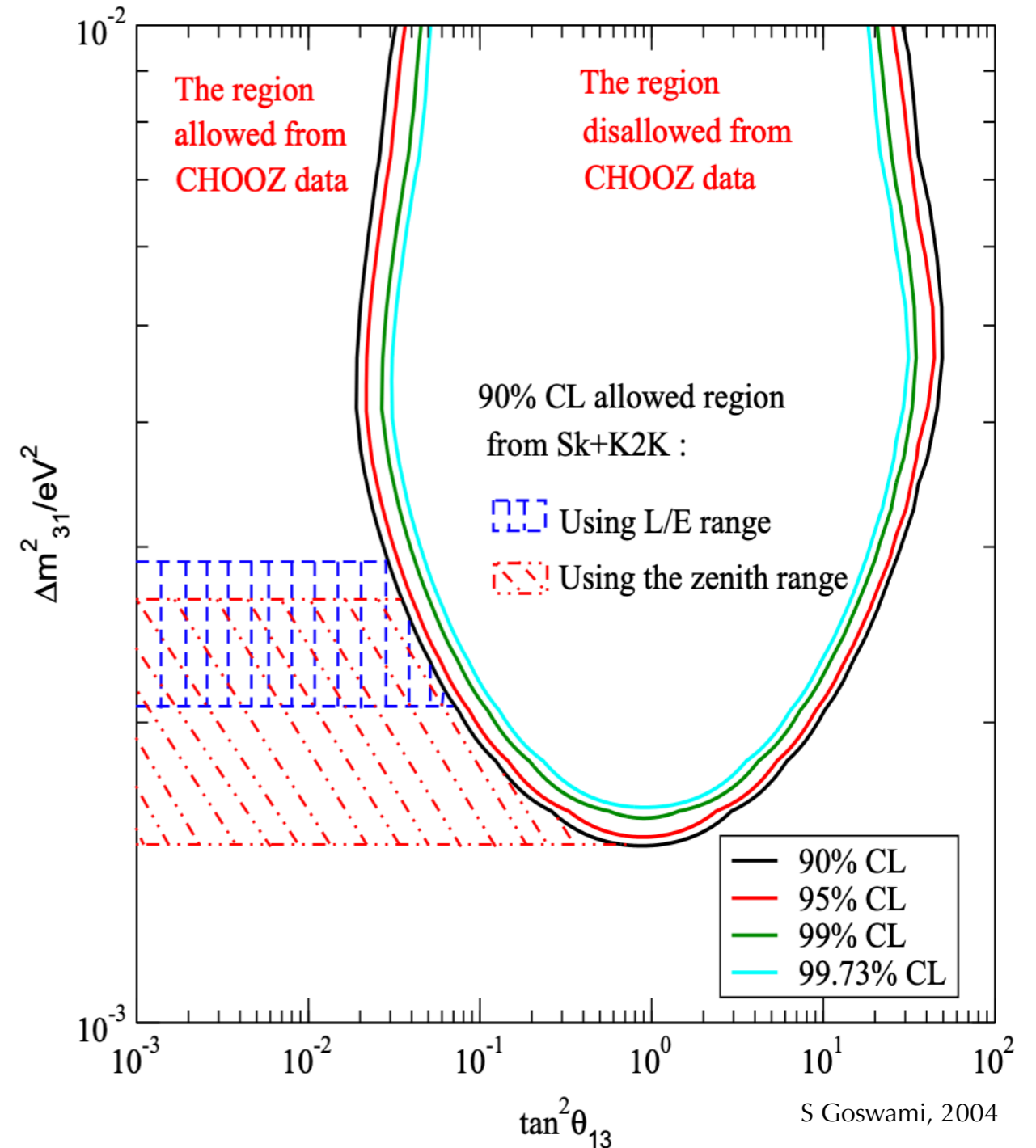
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- ❖ Total flux
- ❖ Cross sections
- ❖ Efficiencies
- ❖ Time dependence



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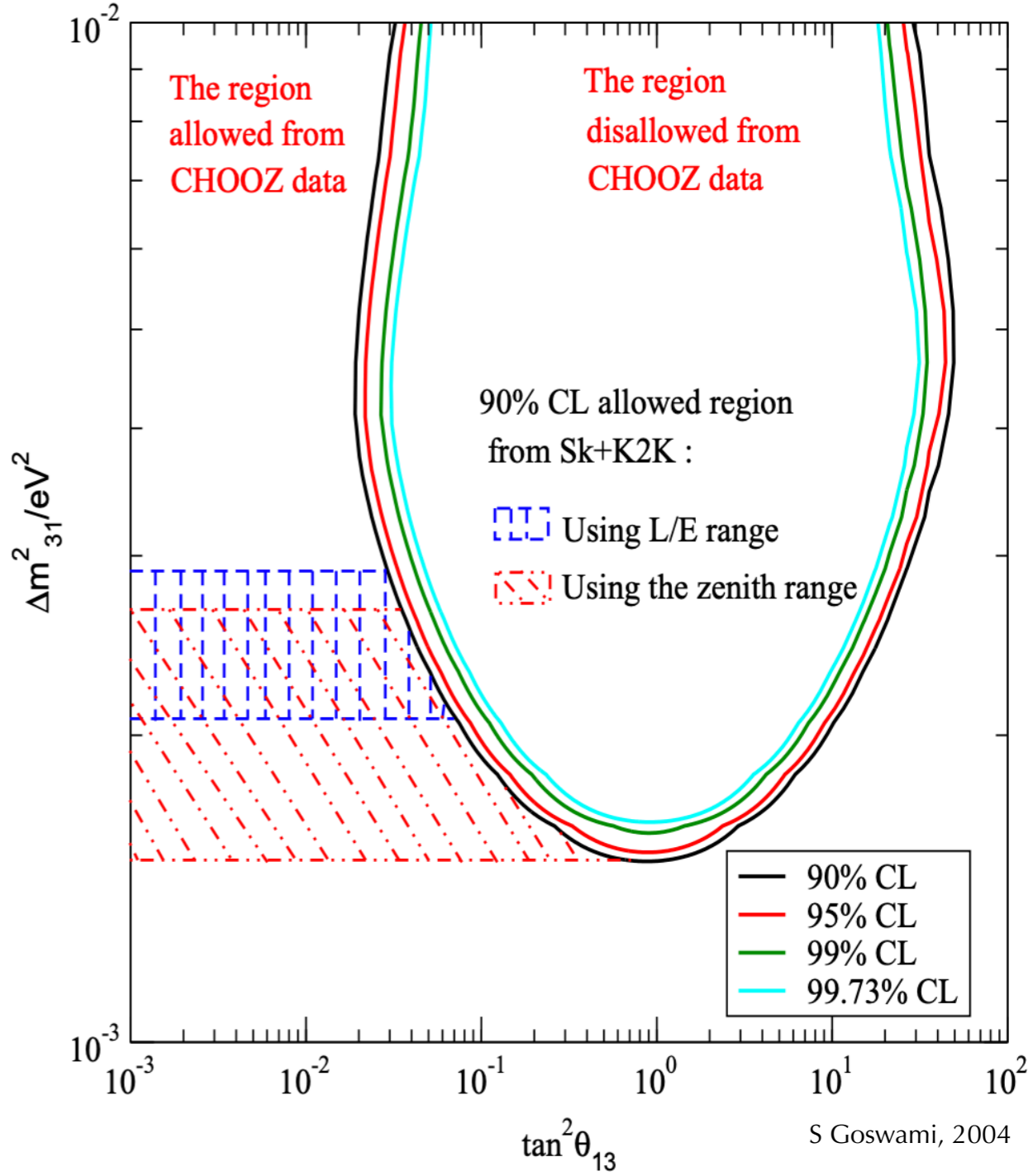
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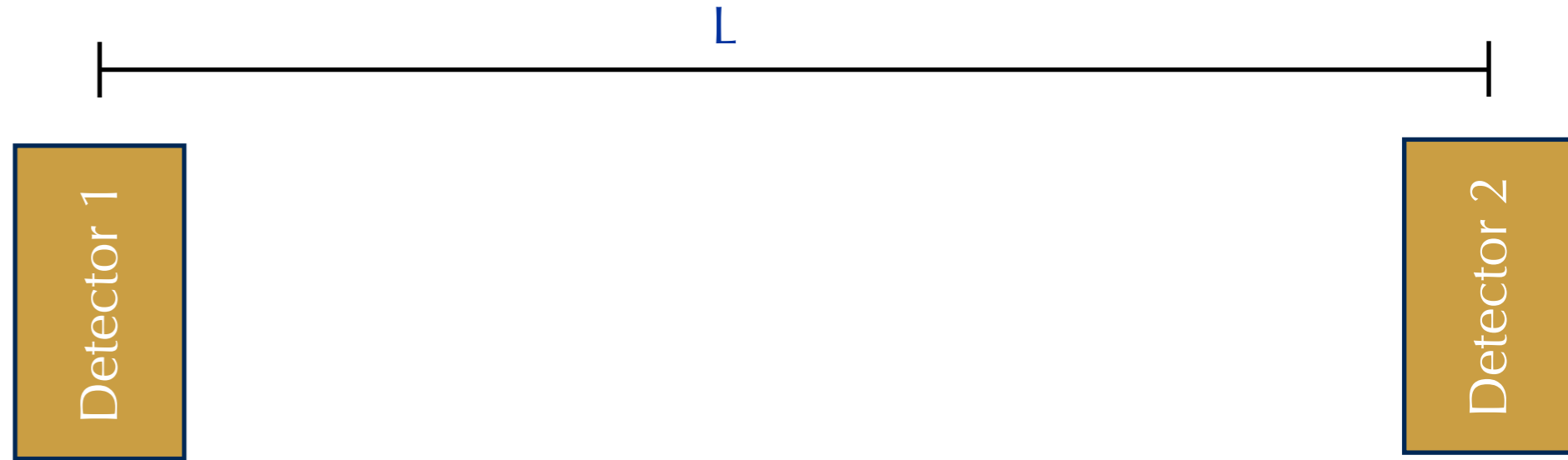
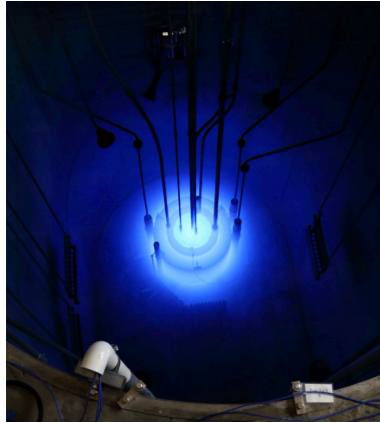
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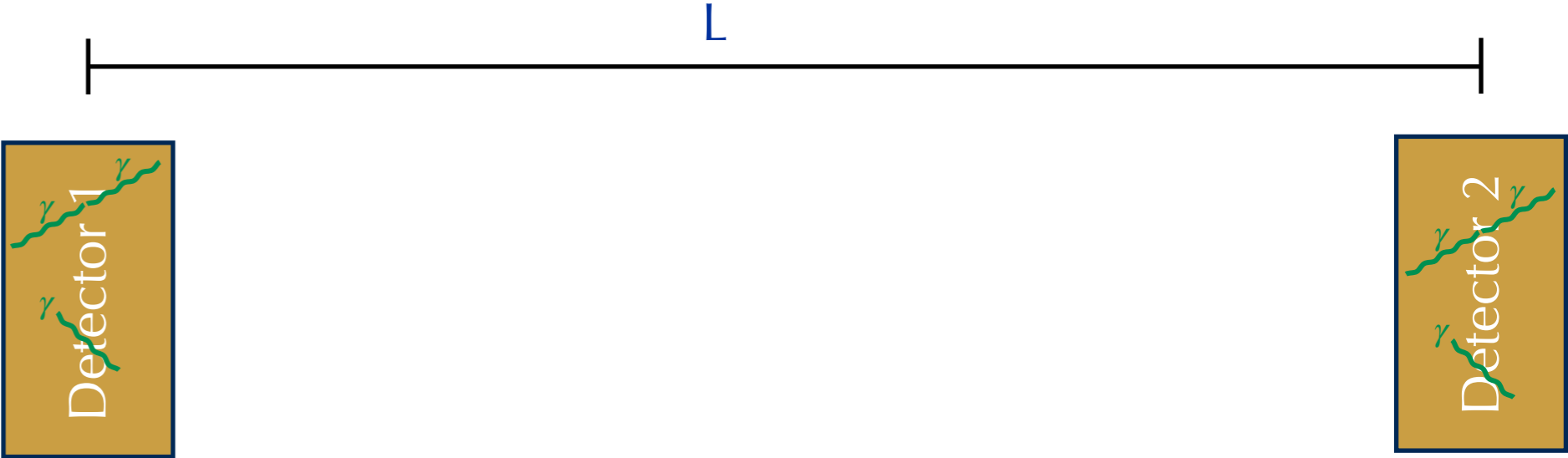
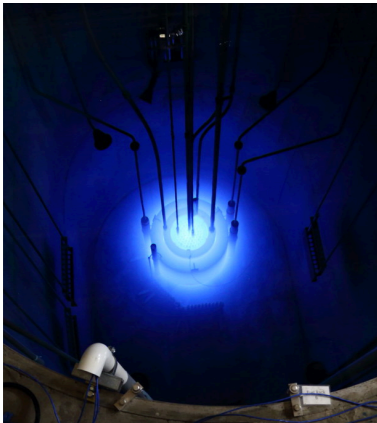
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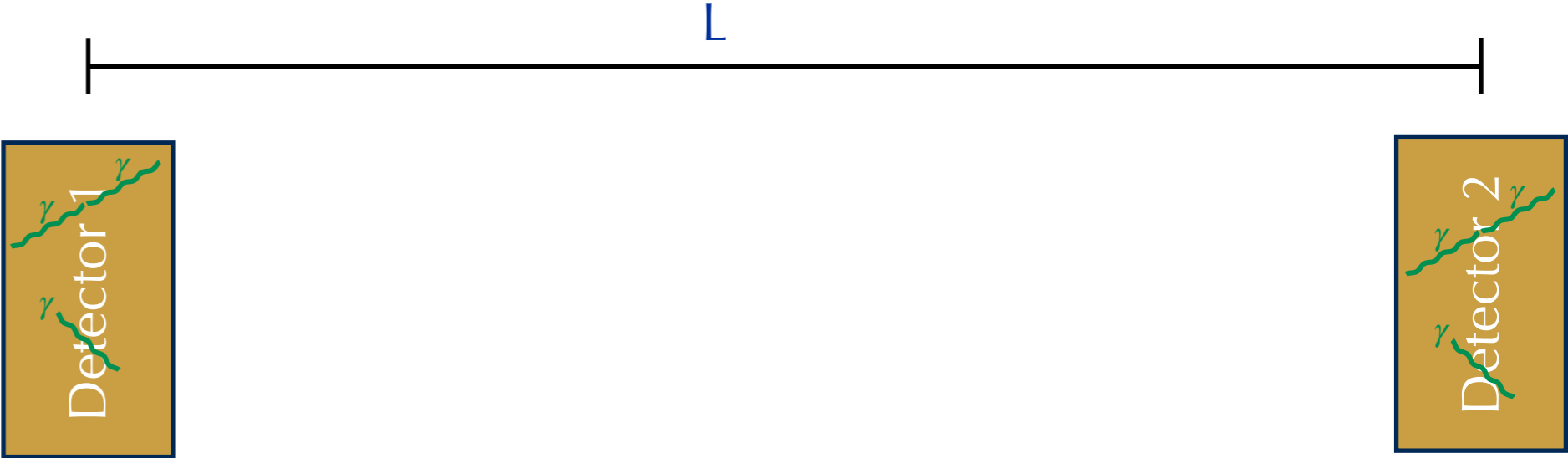
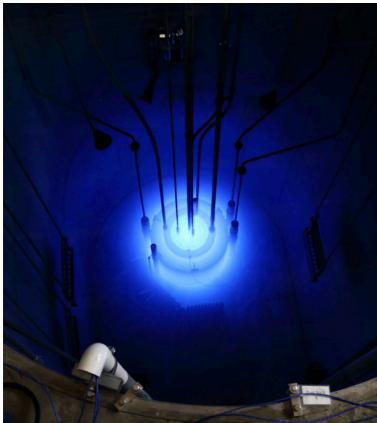
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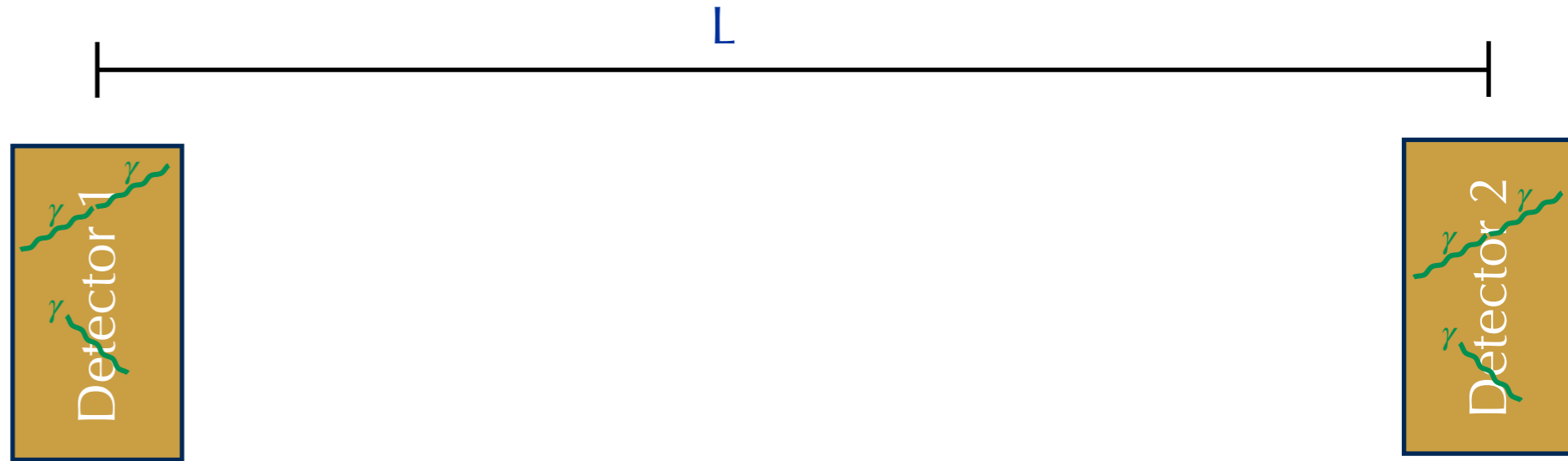
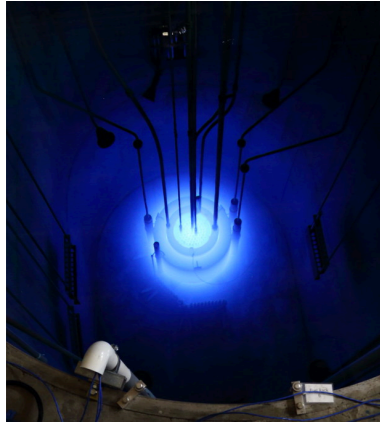
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$$\frac{\Phi_{\bar{\nu}_e}(L)}{\Phi_{\bar{\nu}_e}(0)} \longrightarrow P(\bar{\nu}_e \rightarrow \bar{\nu}_e)$$

Disappearance Probability

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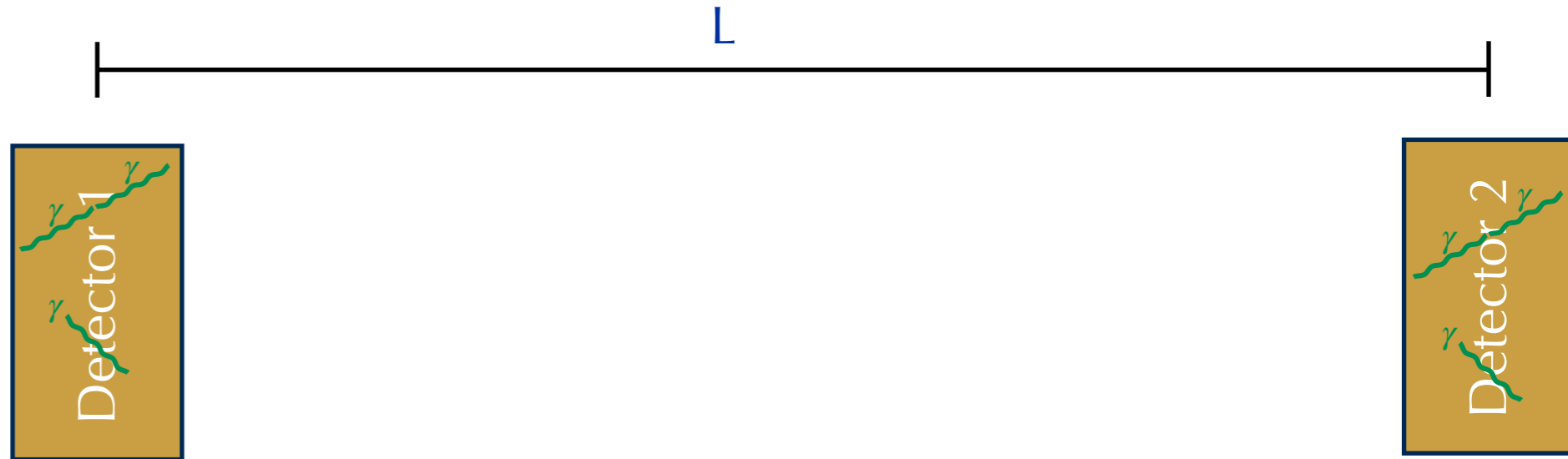
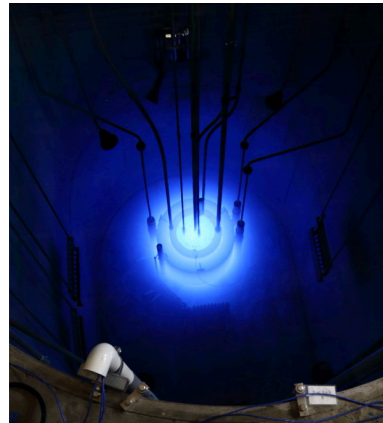
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In the 3- ν framework

$$P(\bar{\nu}_e \rightarrow \bar{\nu}_e) = 1 - \cos^4 \theta_{13} \sin^2 2\theta_{12} \sin^2 \Delta_{21} - \sin^2 2\theta_{13} (\cos^2 \theta_{12} \sin^2 \Delta_{31} + \sin^2 \theta_{12} \sin^2 \Delta_{32})$$

$$\Delta_{ij} = 1.267 \left(\frac{\Delta m_{ij}^2}{1 \text{ eV}^2} \right) \left(\frac{L}{1 \text{ m}} \right) \left(\frac{1 \text{ MeV}}{E_\nu} \right)$$

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Valid for $L/E \lesssim 1 \text{ km/MeV}$

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Nunokawa et al,
PRD 72, 013009 (2005)

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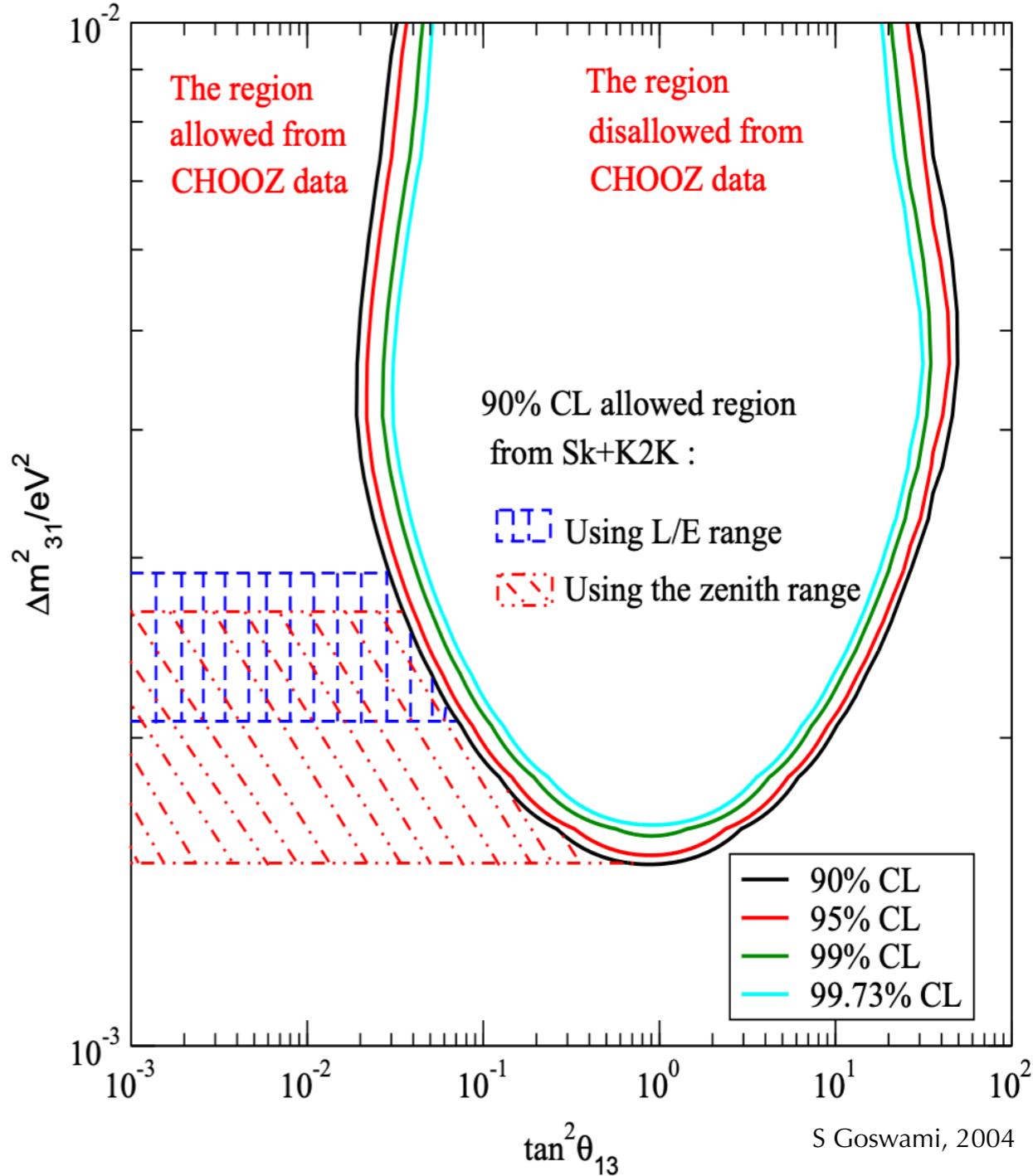
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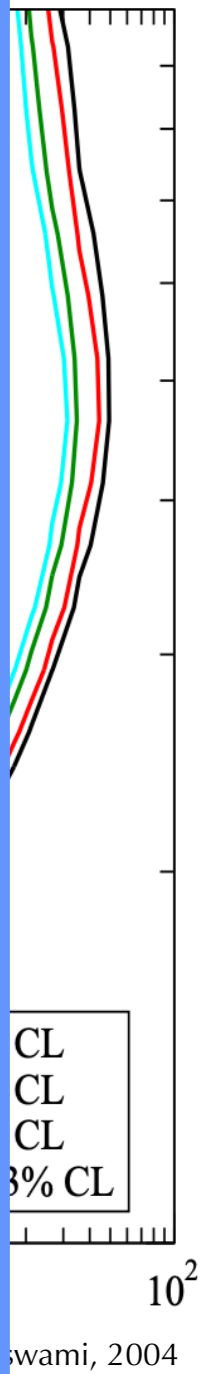


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Which site for the experiment ?



Main

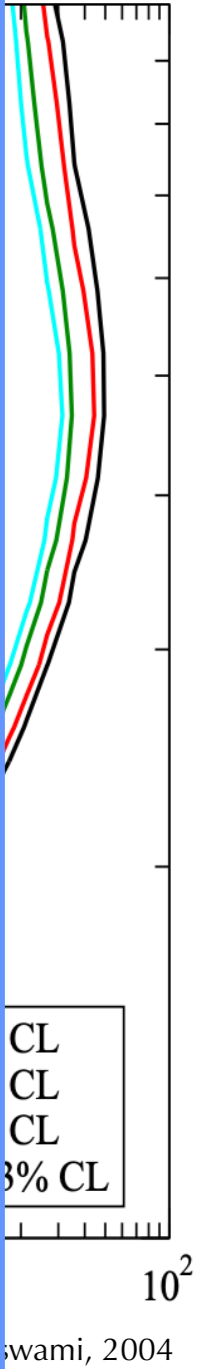
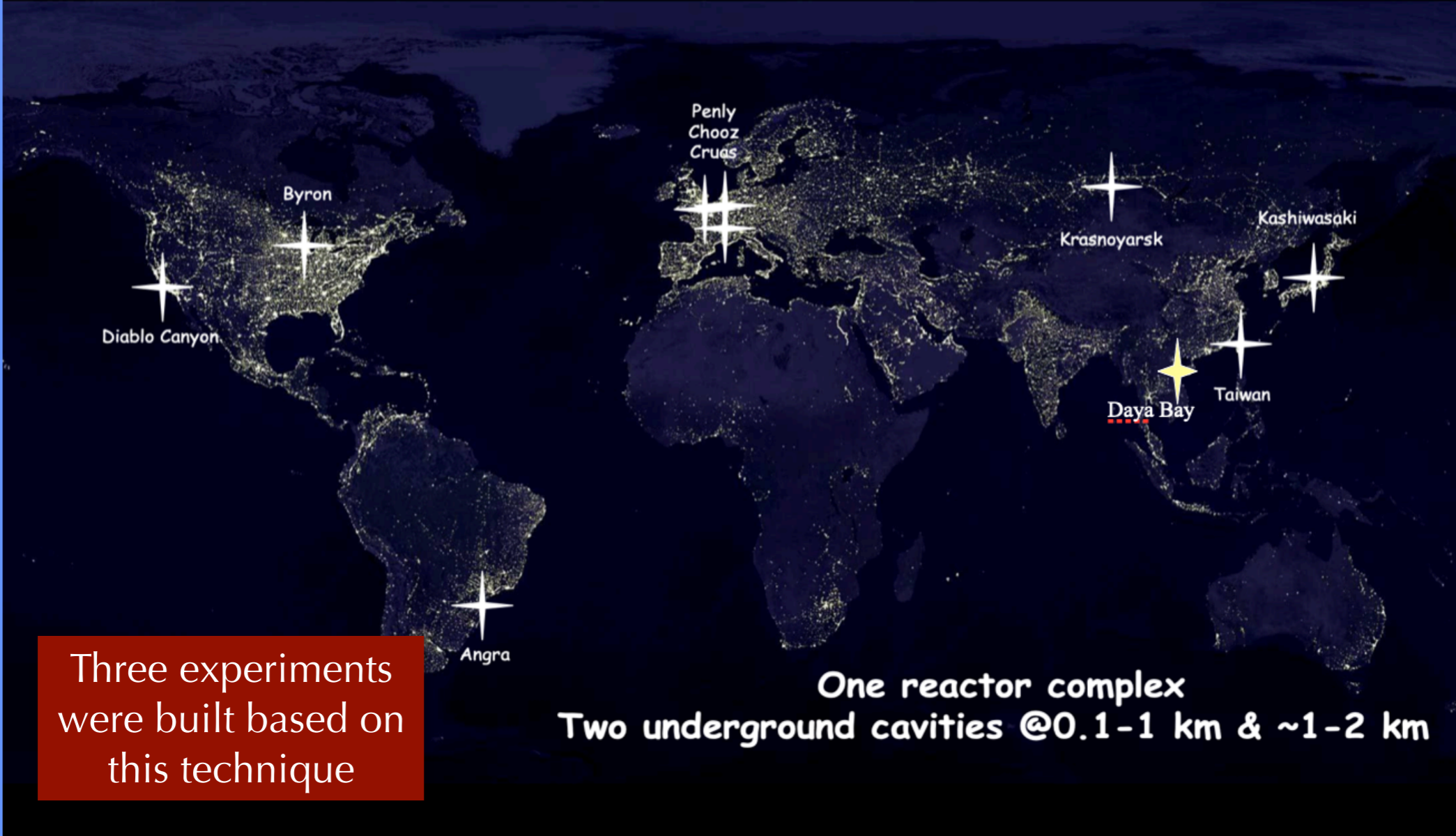
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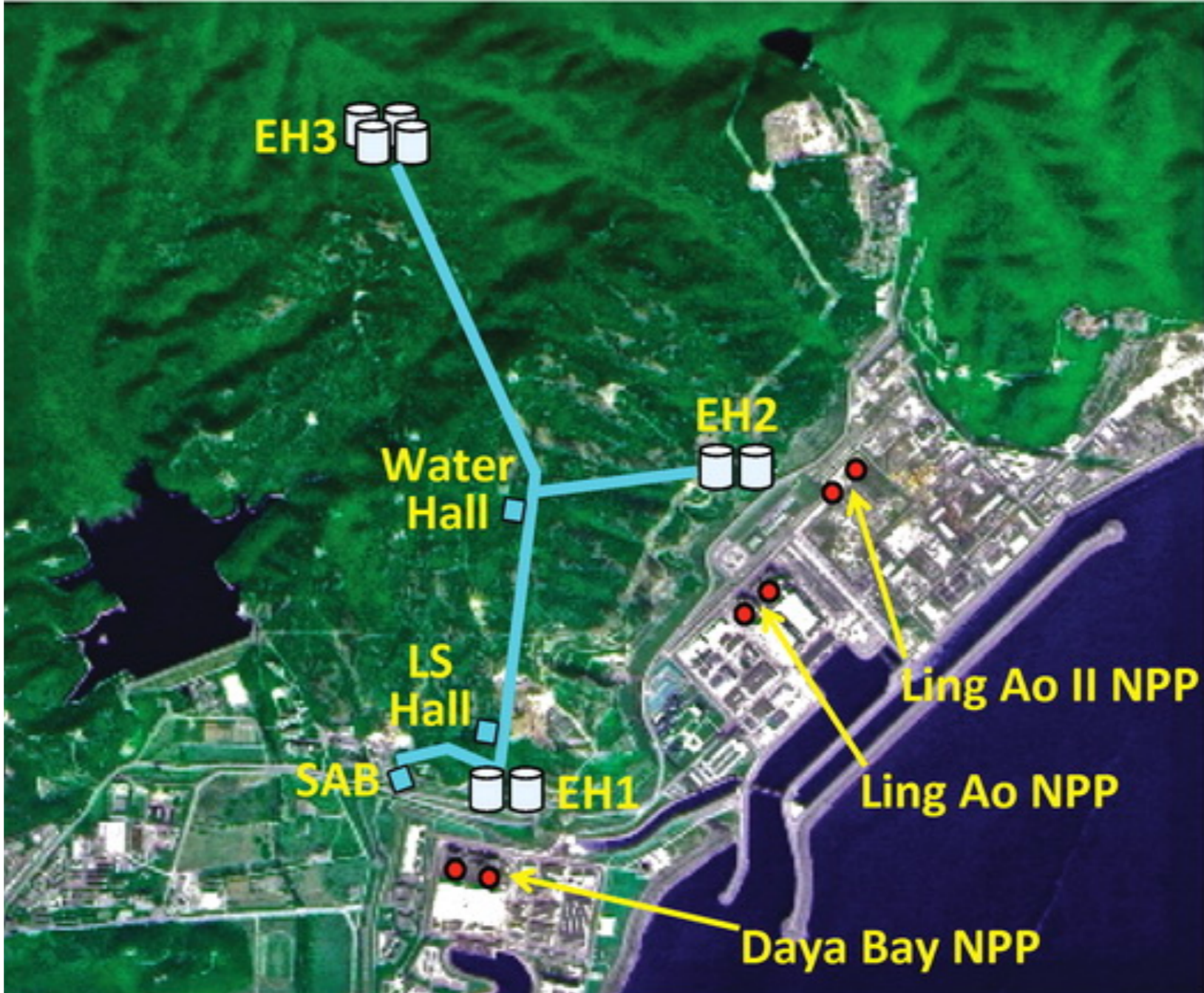
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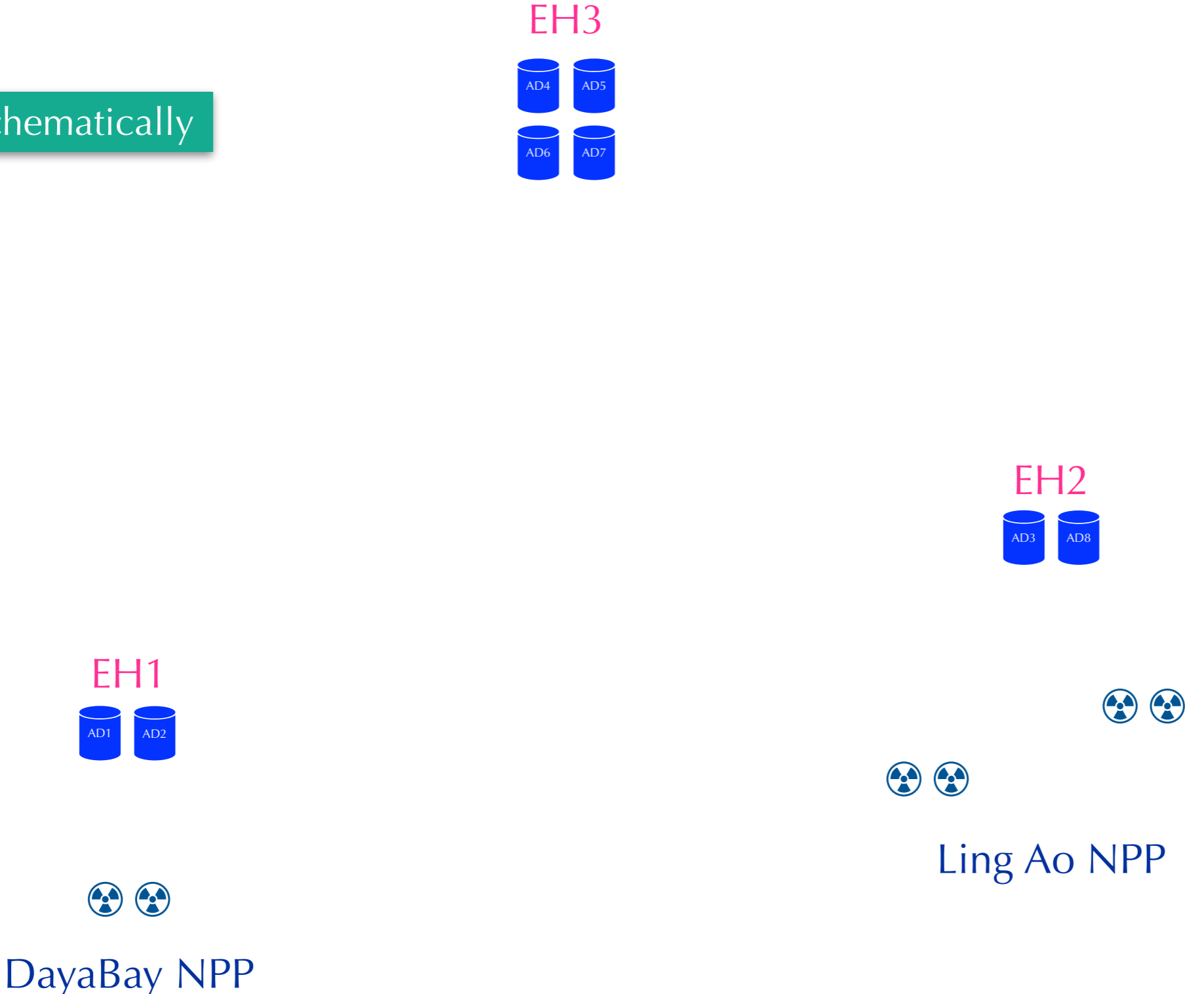


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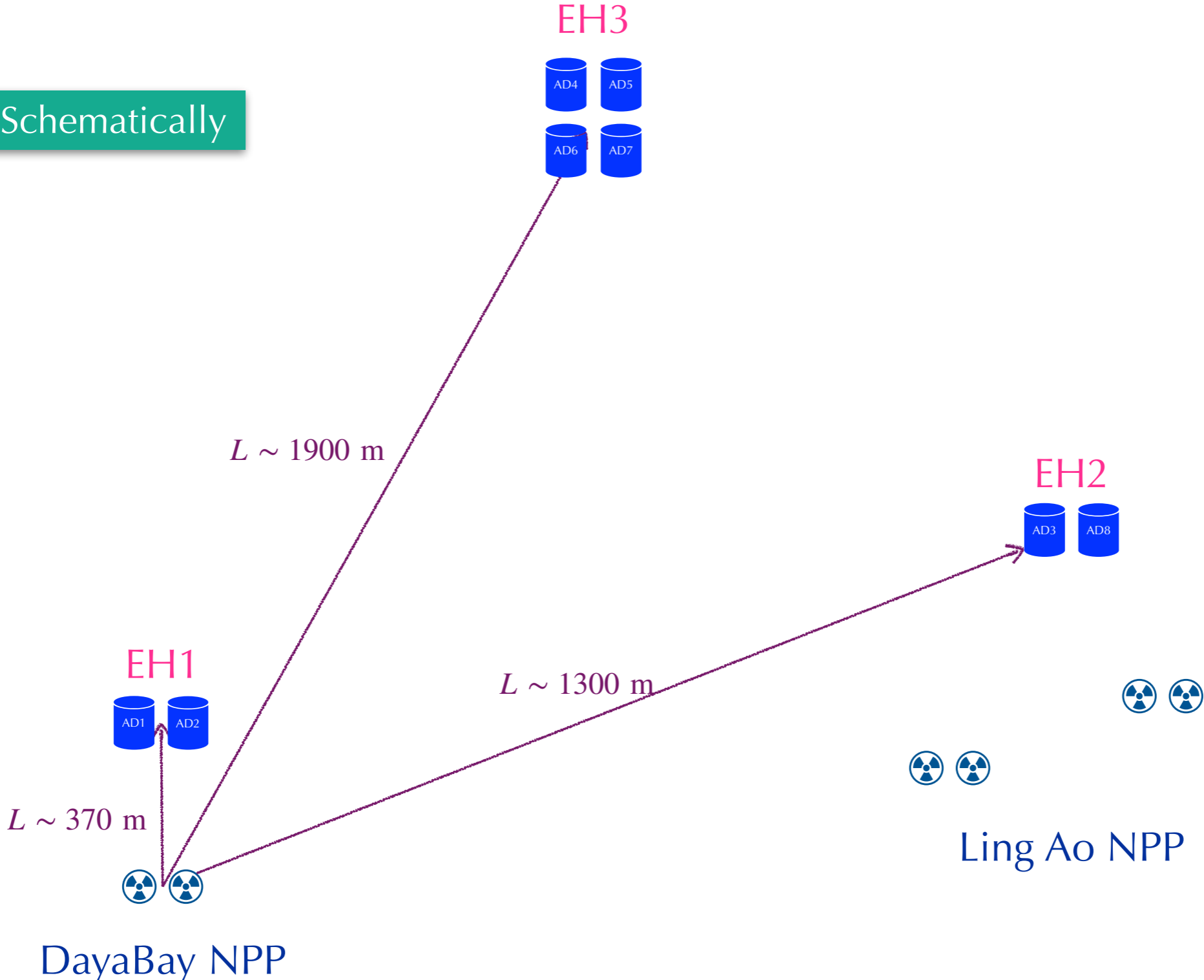
Daya Bay Experiment

Schematically



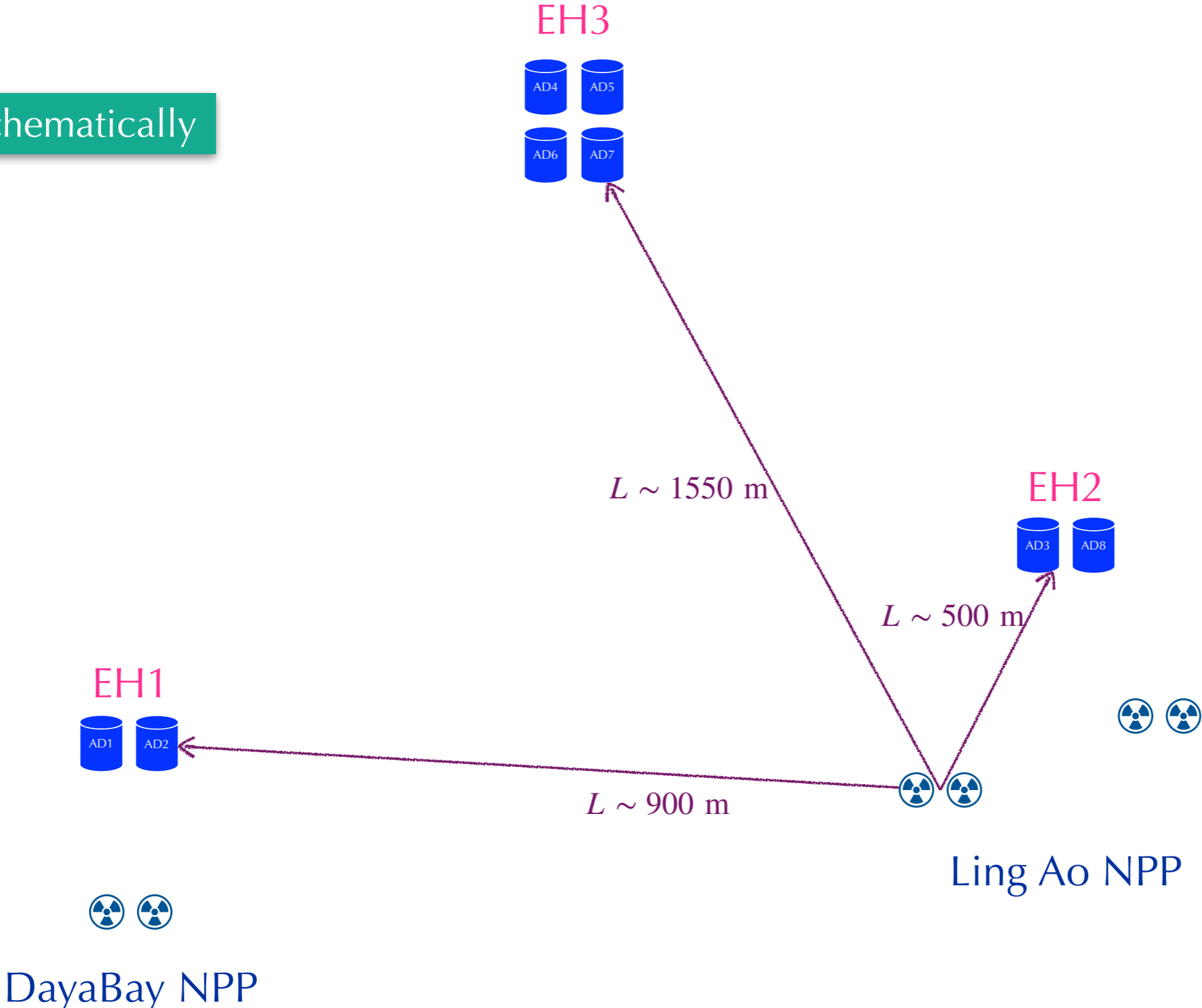
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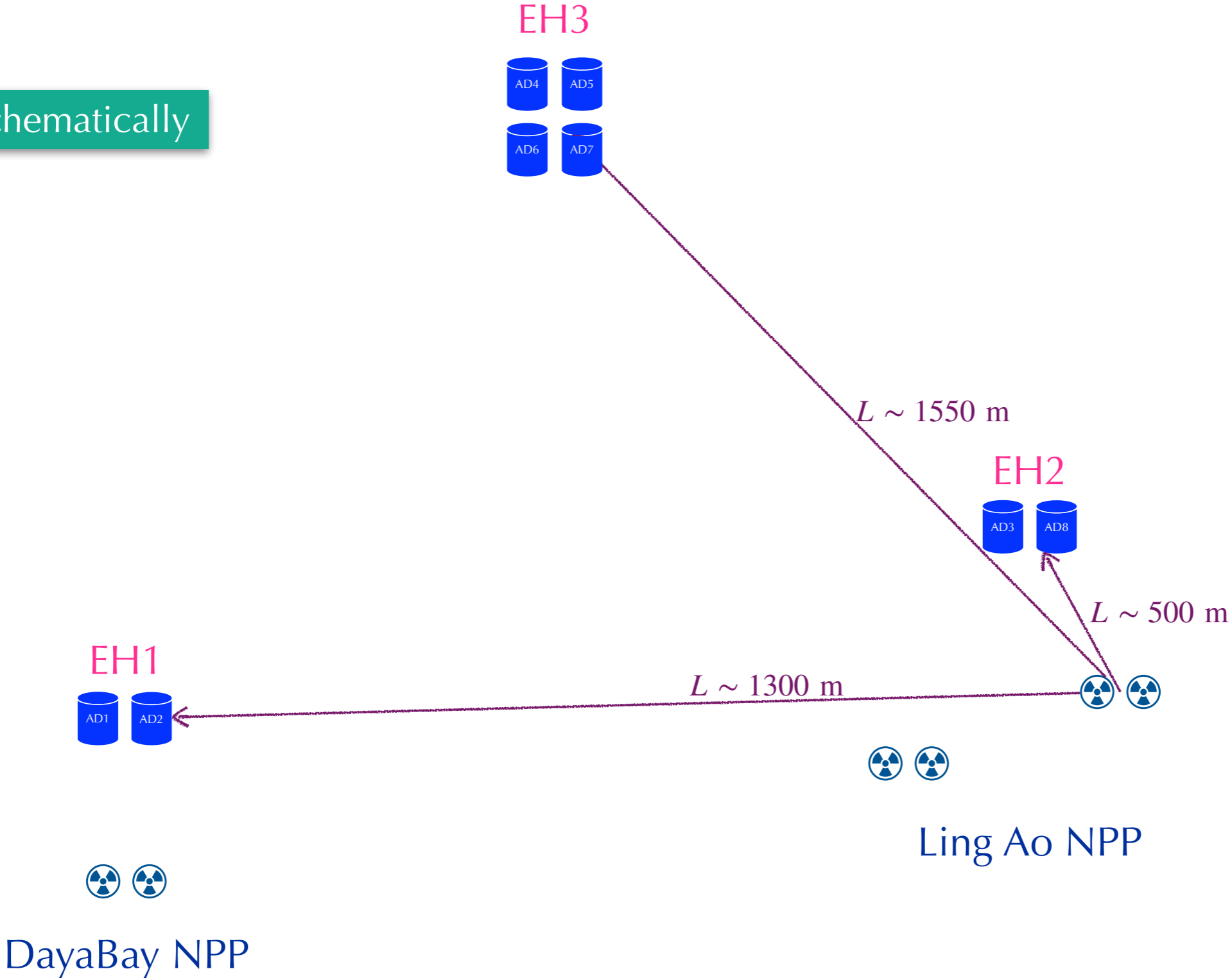
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Daya Bay Experiment

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The Year 2024

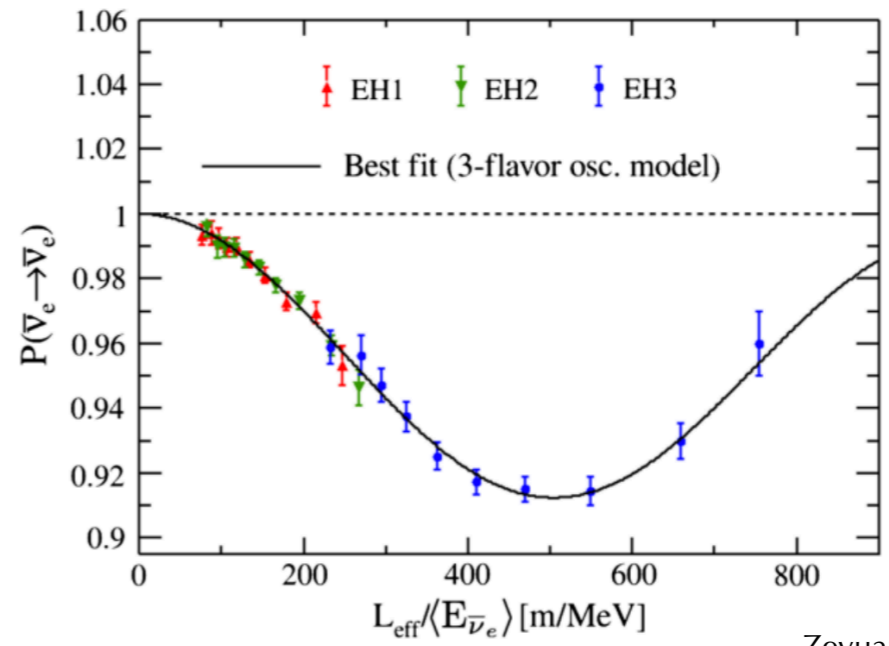
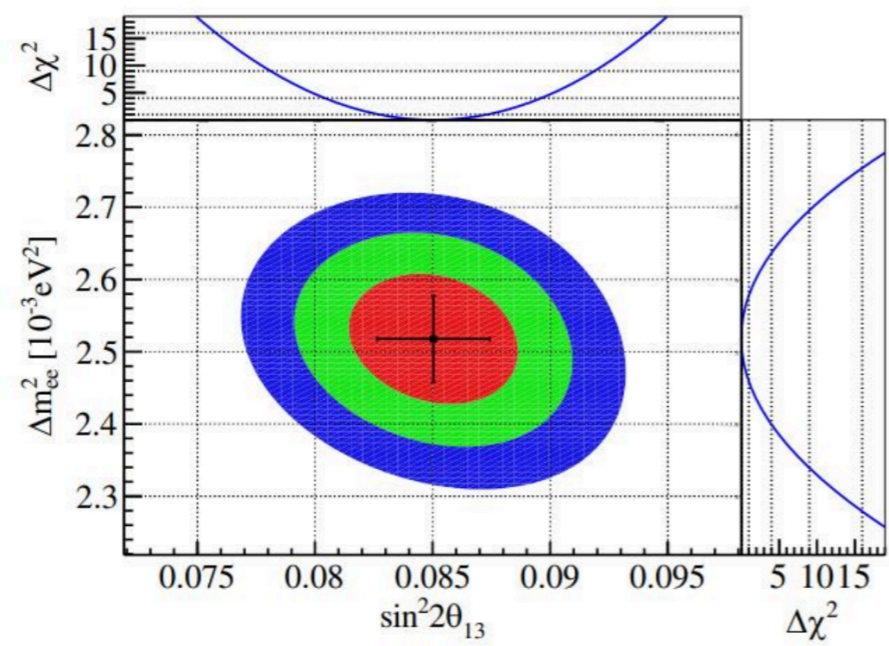
$\sin^2 2\theta_{13} = 0.0851 \pm 0.0024$

precision 2.8%

$\Delta m_{32}^2 = 2.466 \pm 0.060$ (NO) (-2.571 ± 0.060) (IO) $\times 10^{-3} \text{ eV}^2$

precision 2.4%

Systematics, mainly detector differences, contributed about 50% in the total error



Zeyuan Yu, 2004

Experiment	Configuration	Value	Precision
Daya Bay	nGd	0.0851 ± 0.0024	2.8%
	nH	$0.0759^{+0.0050}_{-0.0049}$	6.5%
	nGd+nH	0.0833 ± 0.0022	2.6%
RENO	nGd	$0.0920^{+0.0060}_{-0.0059}$	6.5%
	nH	0.082 ± 0.013	15.9%
Double Chooz	nGd+nH+nC	0.102 ± 0.012	11.8%
Reactor Average		0.0839 ± 0.0021	2.5%
T2K + NOνA	NO	$0.0892^{+0.0158}_{-0.0125}$	15.9%
	IO	$0.1008^{+0.0162}_{-0.0125}$	14.2%

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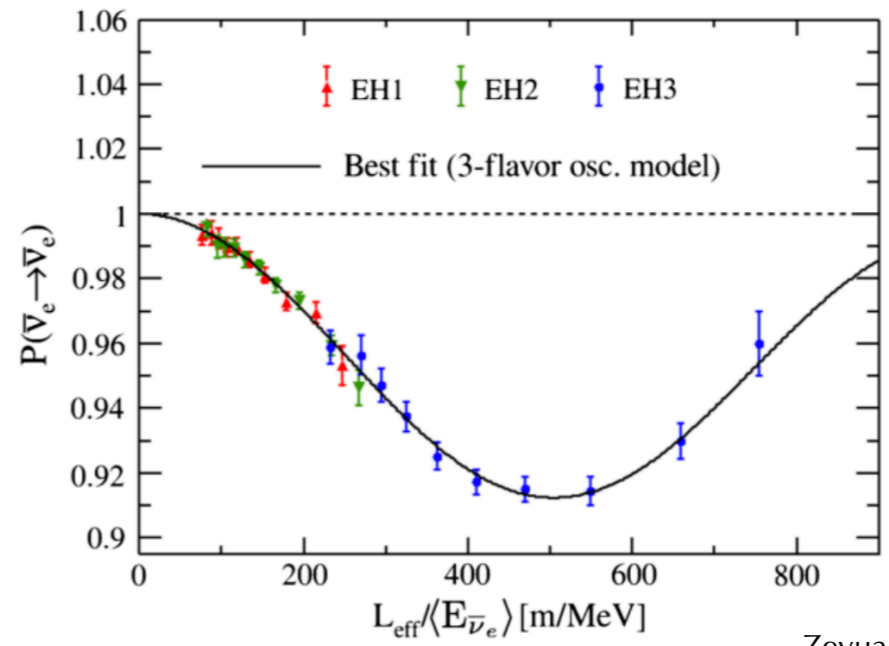
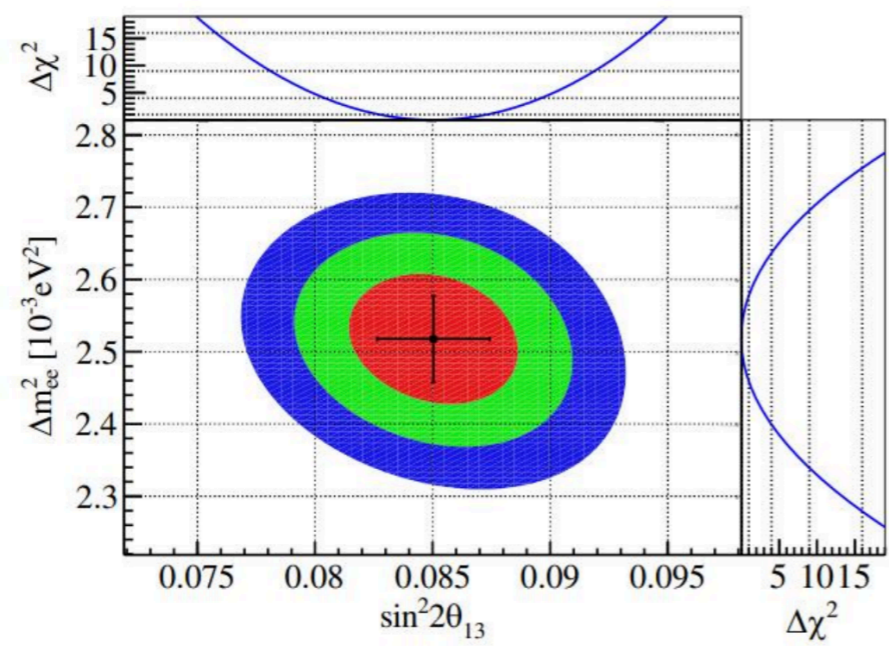
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Can we reproduce this result?

Our task: Reproduce the latest result on
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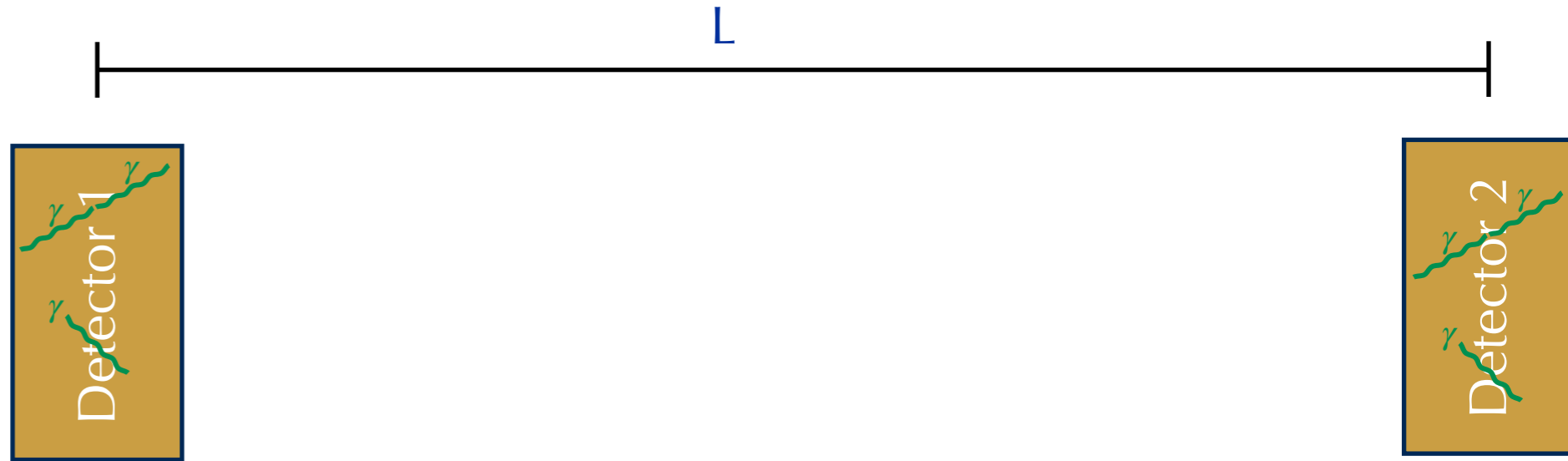
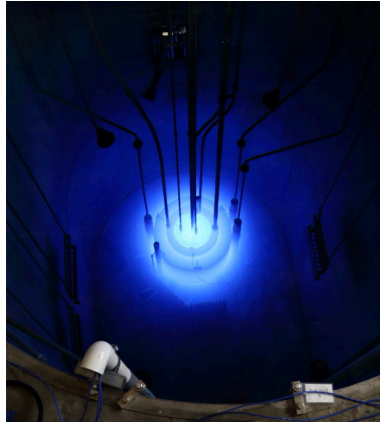
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References:

Daya Bay results: [1607.05378](#), [1610.04802](#), [2211.14988](#)

NuFit approach: [1811.05487](#)

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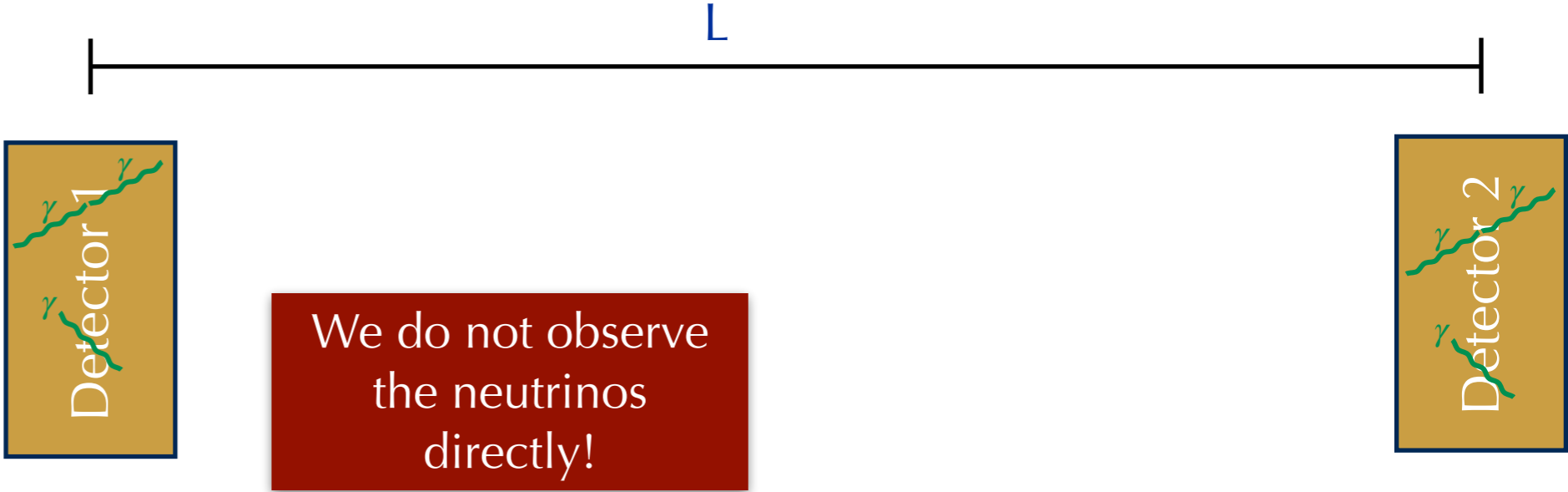
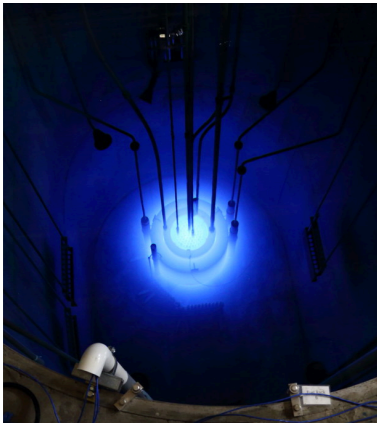
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PRD 72, 013009 (2005)

$$\Delta_{ij} = 1.267 \left(\frac{\Delta m_{ij}^2}{1 \text{ eV}^2} \right) \left(\frac{L}{1 \text{ m}} \right) \left(\frac{1 \text{ MeV}}{E_\nu} \right)$$

Neutrino oscillations with Reactor $\bar{\nu}_e$



~~$\bar{\nu}_e \rightarrow \bar{\nu}_e$~~ $\rightarrow P(\bar{\nu}_e \rightarrow \bar{\nu}_e)$ Disappearance Probability

In the 3- ν framework

$$P(\bar{\nu}_e \rightarrow \bar{\nu}_e) \approx 1 - \cos^4 \theta_{13} \sin^2 2\theta_{12} \sin^2 \Delta_{21} - \sin^2 2\theta_{13} \sin^2 \Delta_{ee}$$

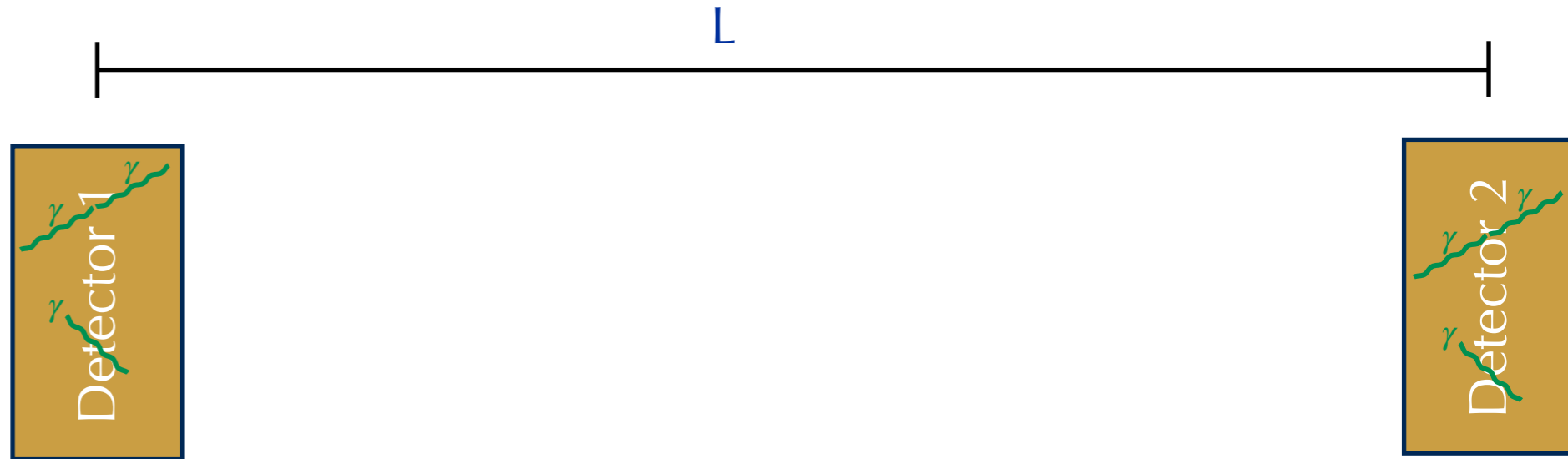
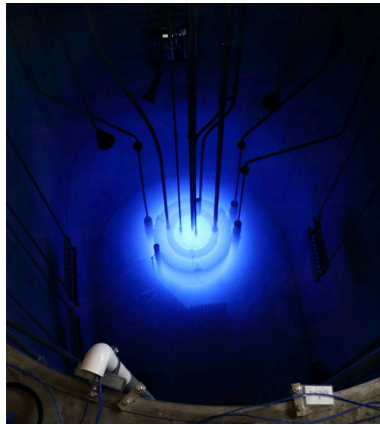
Valid for $L/E \lesssim 1 \text{ km/MeV}$

$$\Delta m_{ee}^2 = \cos^2 \theta_{12} \Delta m_{31}^2 + \sin^2 \theta_{12} \Delta m_{32}^2$$

$$\Delta_{ij} = 1.267 \left(\frac{\Delta m_{ij}^2}{1 \text{ eV}^2} \right) \left(\frac{L}{1 \text{ m}} \right) \left(\frac{1 \text{ MeV}}{E_\nu} \right)$$

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Neutrino oscillations with Reactor $\bar{\nu}_e$



$$\frac{N_{\text{IBD}}(L)}{N_{\text{IBD}}(0)} \longrightarrow P(\bar{\nu}_e \rightarrow \bar{\nu}_e) \quad \text{Disappearance Probability}$$

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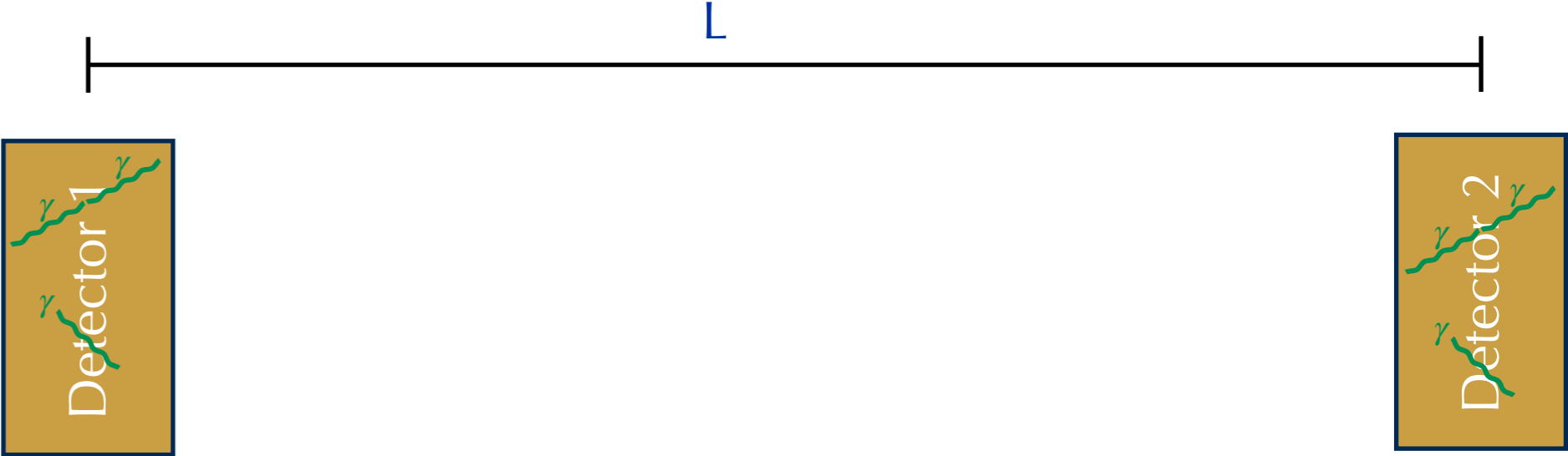
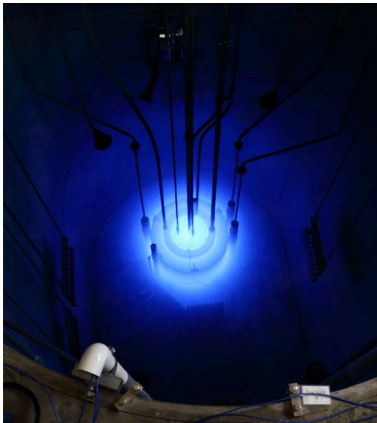
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Neutrino oscillations with Reactor $\bar{\nu}_e$



IBD events

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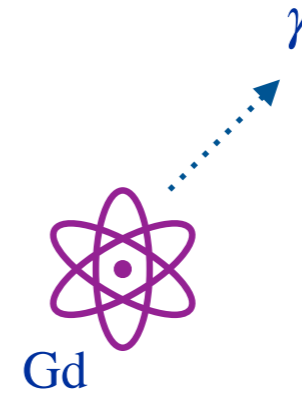
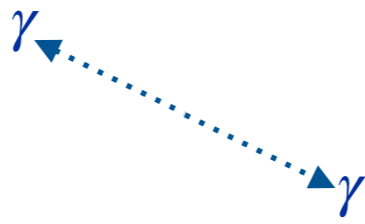
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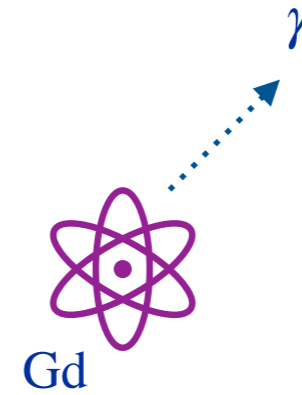
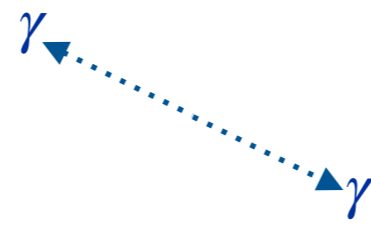
IBD Events



IBD Events



IBD Events



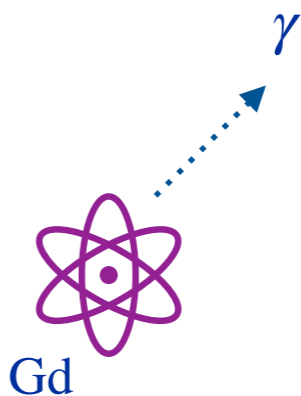
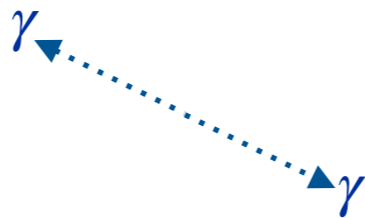
Detector measures the photons total energy

Events will be as function of the "prompt" energy

Kinematics:

$$\begin{aligned} E_{\text{prompt}} &\approx T_{e^+} + 2m_e \\ &\approx E_{\bar{\nu}} - (m_n - m_p - m_e) = E_{\bar{\nu}} - 0.78 \text{ MeV} \end{aligned}$$

IBD Events



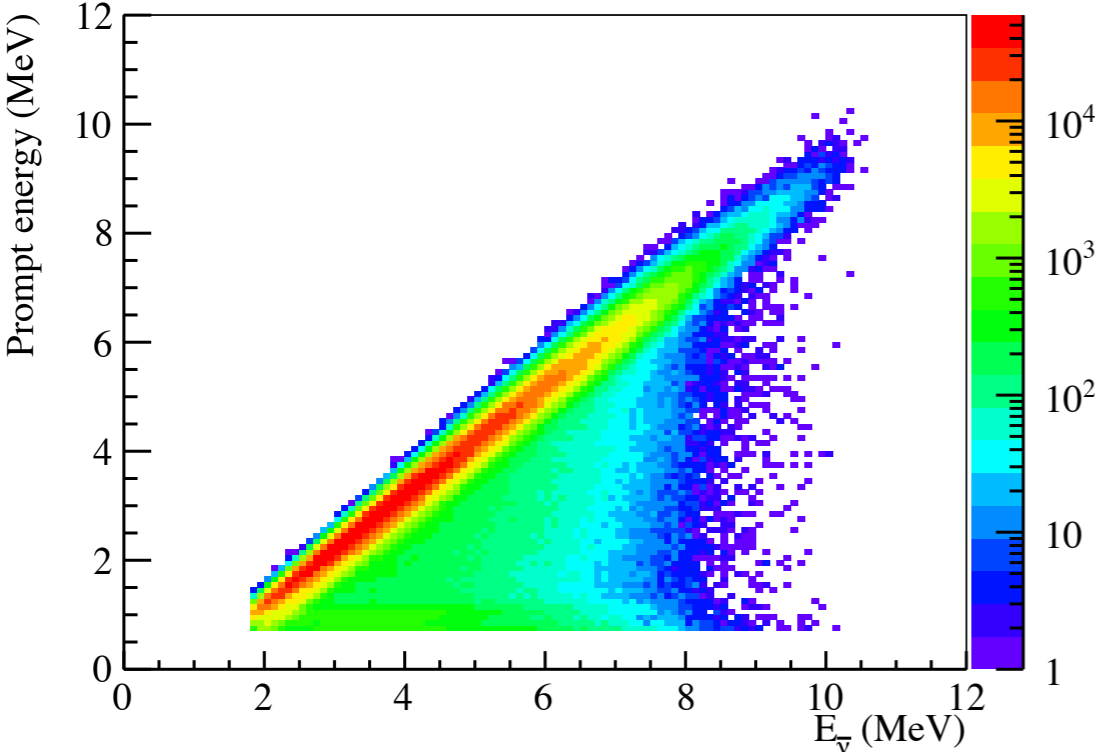
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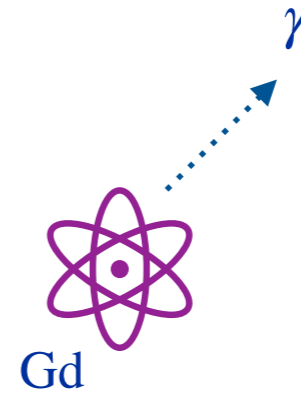
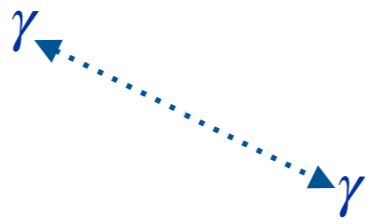
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However, detector effects will affect the reconstruction of prompt energies



IBD Events



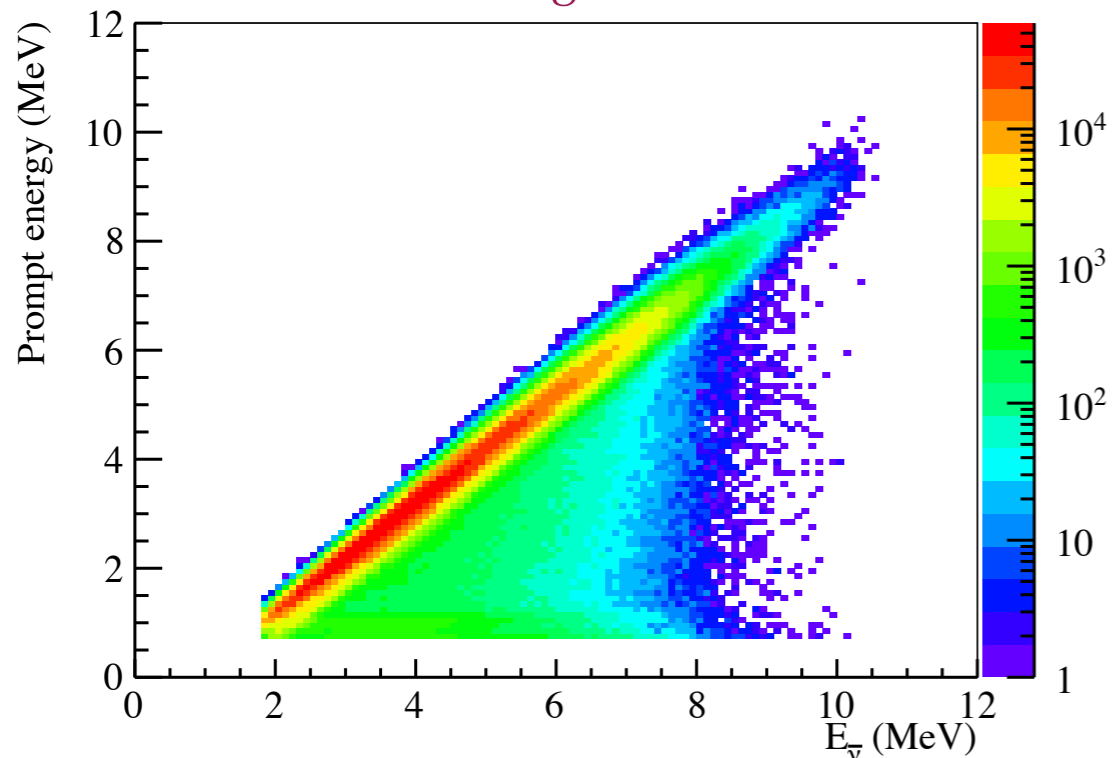
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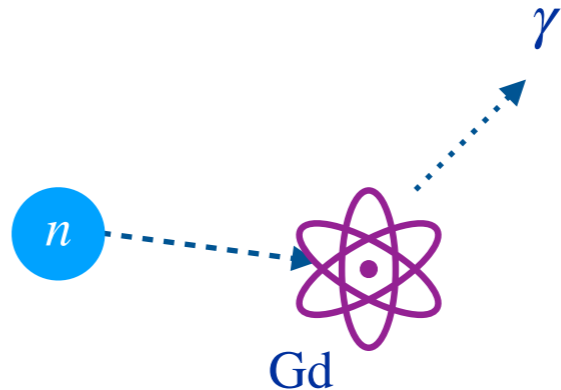
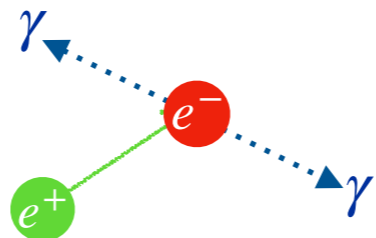
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$$\approx E_{\bar{\nu}} - (m_n - m_p - m_e) = E_{\bar{\nu}} - 0.78 \text{ MeV}$$

However, detector effects will affect the reconstruction of prompt energies



Luckily, the DayaBay collaboration has provided data as function of *true* prompt energy

IBD Events



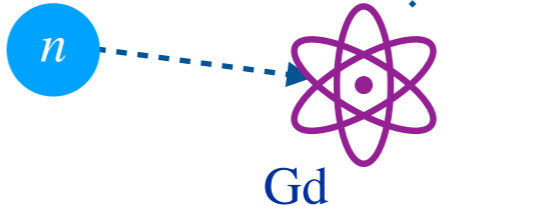
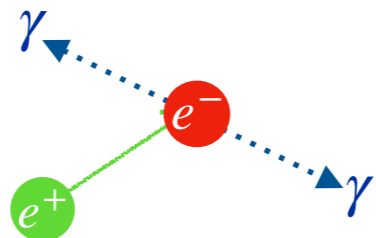
Detector measures the photons total energy

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Events at detector d during period p in the prompt energy bin b :

$$N_{pdb} = \mathcal{N}_{pd} \epsilon_d \sum_{r=\text{reactors}} \int_{E_b}^{E_{b+1}} dE_{\text{prompt}} \frac{d\phi_{rd}(\bar{\nu}_e)}{dE_\nu} P(\bar{\nu}_e \rightarrow \bar{\nu}_e; L_{dr}) \sigma_{\text{IBC}}(E_\nu)$$

IBD Events



Detector measures the photons total energy

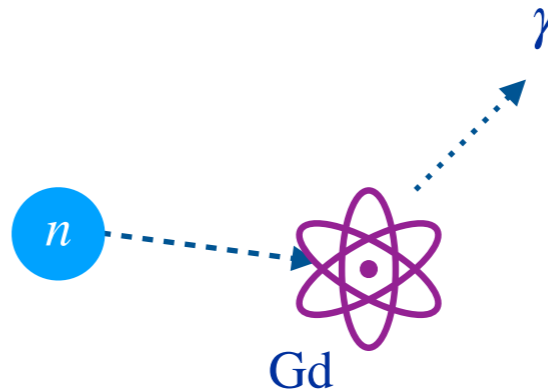
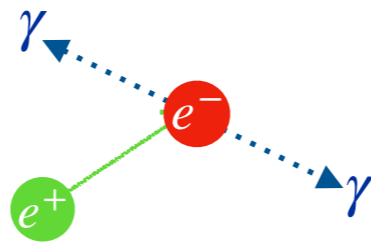
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Neutrino flux

IBD Events



Detector measures the photons total energy

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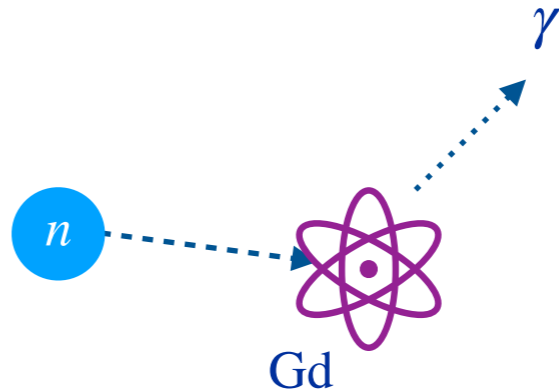
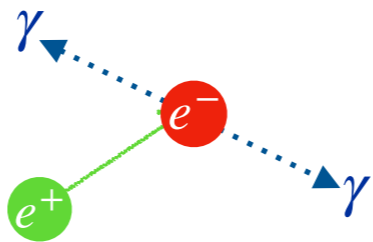
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Neutrino flux

IBD cross section

IBD Events



Detector measures the photons total energy

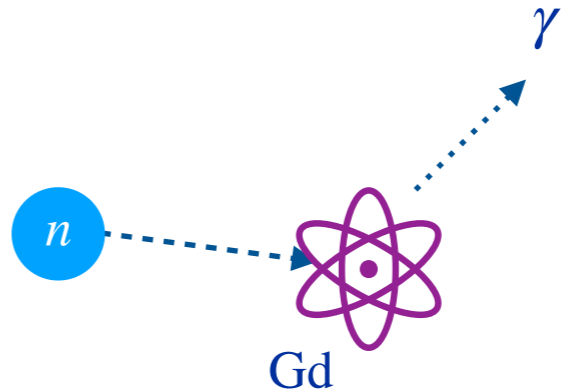
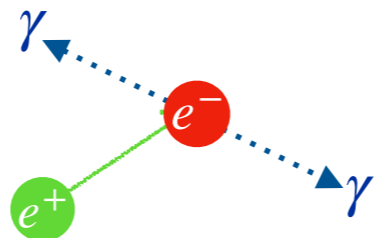
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Exposure
Neutrino flux
IBD cross section

IBD Events



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Exposure Efficiency Neutrino flux IBD cross section

Ingredients: IBD Cross Section

$$\sigma(E_\nu) = \frac{G_F^2 \cos^2 \theta_C}{\pi} (f^2 + 3g^2) E_{e^+} p_{e^+}$$

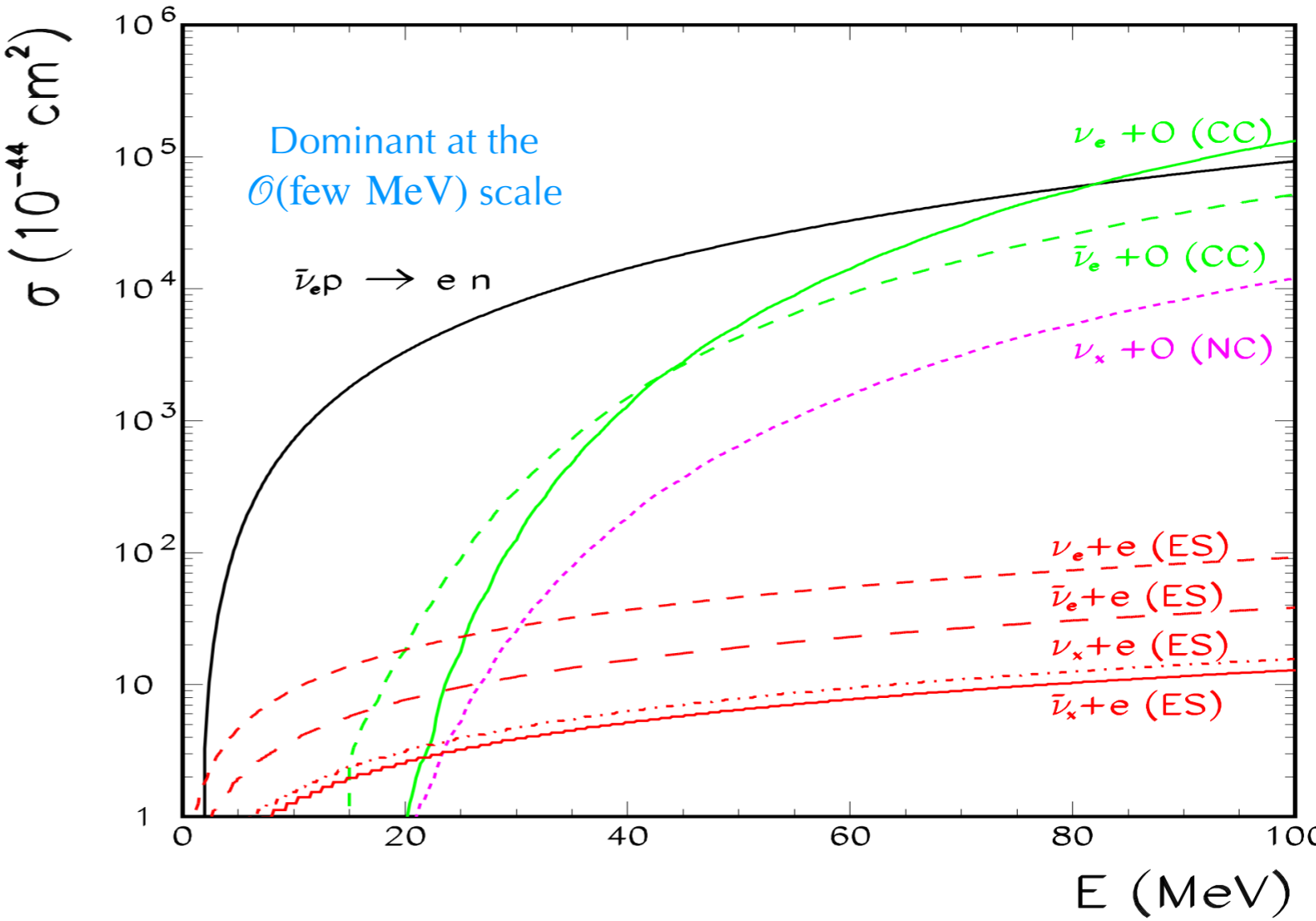
$$f = 1, g = 1.26$$

E_{e^+} : Total energy

$$E_{e^+} = E_\nu - (m_n - m_p)$$

Additional corrections:

- ❖ Expansion in powers of $1/m_n$



Skadhauge, Zukanovich Funchal
JCAP 0704:014,2007

Vogel, Beacom
PRD 60 (1999) 053003

Ingredients: Neutrino Flux



$$\frac{d\phi_{rd}(\bar{\nu}_e)}{dE_\nu} = \frac{W_{\text{th}}}{4\pi L_{rd}^2} \sum_{\text{isotopes}} \frac{p_i}{Q_i} S_i(E_\nu)$$

W_{th} → Thermal Power, $W_{\text{th}} = N_i Q_i$

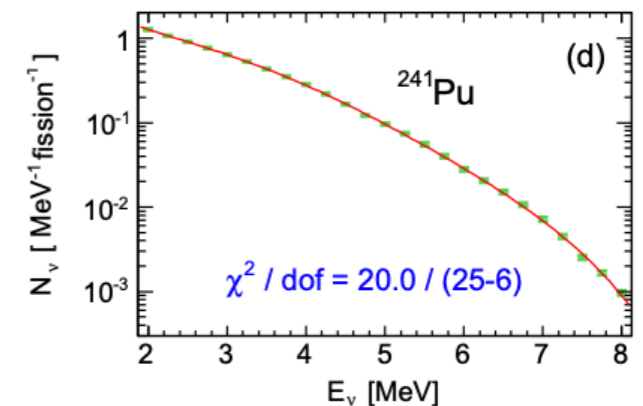
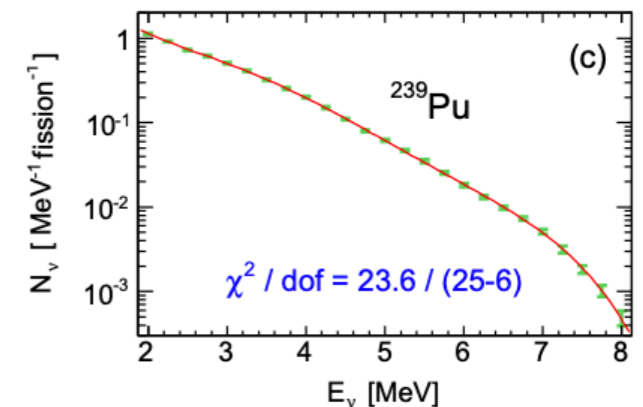
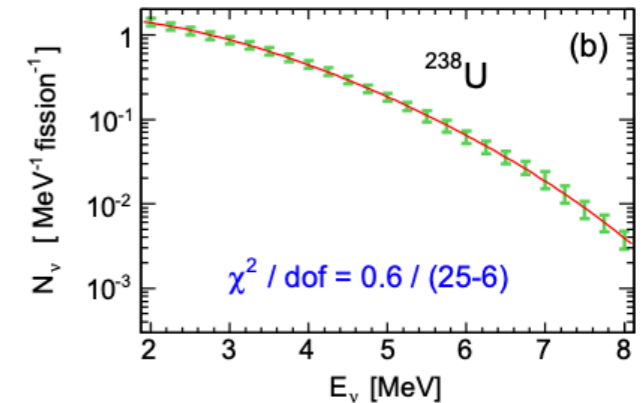
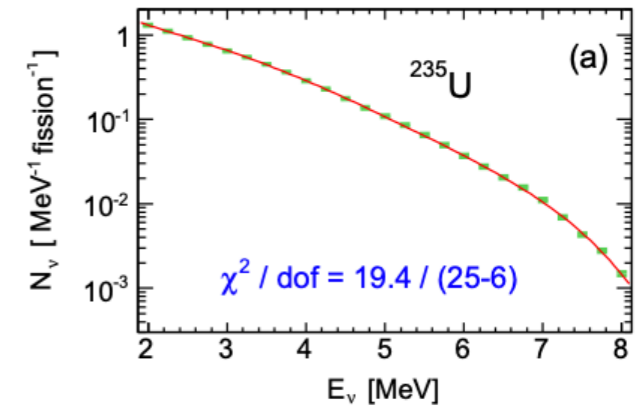
N_i → Number of fissions per s

Q_i → Energy released per isotope

p_i → Power fraction

$S_i(E_\nu)$ → Antineutrino spectrum per fission

We will use the interpolated formulae for $S_i(E_\nu)$ from Huber-Mueller (HM)



Huber, [PRC84:024617\(2011\)](#)
Mueller et al, [PRC83:054615\(2011\)](#)

Ingredients: Neutrino Flux — 2

Thermal power for
Daya Bay and Ling Ao
NPPs?

	Reactor					
	D1	D2	L1	L2	L3	L4
\overline{W}_{th}^{6AD}	2.082	2.874	2.516	2.554	2.825	1.976
\overline{W}_{th}^{8AD}	2.514	2.447	2.566	2.519	2.519	2.550

In GWs

DB Collaboration,
PRD 95, 072006 (2017)
[1610.04802](#)

Power fractions?

Reactor classes	^{235}U	^{238}U	^{239}Pu	^{241}Pu
PWR	0.538	0.078	0.328	0.056

Energy released per
isotope?

TABLE II. Energy released per fission Q_i for ^{235}U , ^{238}U , ^{239}Pu , and ^{241}Pu taken from Ma *et al.* [38].

Fissile isotope	Q_i (MeV)
^{235}U	202.36 ± 0.26
^{238}U	205.99 ± 0.52
^{239}Pu	211.12 ± 0.34
^{241}Pu	214.26 ± 0.33

Baldoncini et al,
PRD 91 (2015) 065002

Condiments: Efficiencies, DAQ time, ...

3 Different
periods of data
taking

DB Collaboration,
[2211.14988](#)

Condiments: Efficiencies, DAQ time, ...

3 Different periods of data taking

DB Collaboration,
2211.14988

	6AD 217 days	8AD 1524 days	7AD 1417 days
EH1	AD1, AD2	AD1, AD2	AD2
EH2	AD3	AD3, AD8	AD3, AD8
EH3	AD4, AD5, AD6	AD4, AD5, AD6, AD7	AD4, AD5, AD6, AD7

Condiments: Efficiencies, DAQ time, ...

3 Different periods of data taking

DB Collaboration, 2211.14988

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Efficiencies

	EH1		EH2		EH3			
	AD1	AD2	AD3	AD8	AD4	AD5	AD6	AD7
$\bar{\nu}_e$ candidates	794335	1442475	1328301	1216593	194949	195369	193334	180762
DAQ live time [days]	1535.111	2686.110	2689.880	2502.816	2689.156	2689.156	2689.156	2501.531
$\epsilon_\mu \times \epsilon_m$	0.7743	0.7716	0.8127	0.8105	0.9513	0.9514	0.9512	0.9513

Condiments: Efficiencies, DAQ time, ...

3 Different periods of data taking

DB Collaboration, 2211.14988

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→ Muon veto and multiplicity selection

Backgrounds

Instrumental

- ❖ PMTs emitting light

Uncorrelated

- ❖ Accidentals:
Events producing two photons within the time interval expected for an IBD

Correlated

- ❖ Muons
- ❖ Fast neutrons
- ❖ ${}^9\text{Li}$ and ${}^8\text{He}$
- ❖ ${}^{241}\text{Am} - {}^{13}\text{C}$ neutron sources
- ❖ (α, n) interactions
- ❖ High multiplicity signals

Accidentals [day^{-1}]	7.11 ± 0.01	6.76 ± 0.01	5.00 ± 0.00	4.85 ± 0.01	0.80 ± 0.00	0.77 ± 0.00	0.79 ± 0.00	0.66 ± 0.00
Fast n + muon-x [day^{-1}]	0.83 ± 0.17	0.96 ± 0.19	0.56 ± 0.11	0.56 ± 0.11	0.05 ± 0.01	0.05 ± 0.01	0.05 ± 0.01	0.05 ± 0.01
${}^9\text{Li}/{}^8\text{He}$ [$\text{AD}^{-1} \text{ day}^{-1}$]	2.92 ± 0.78		2.45 ± 0.57		0.26 ± 0.04			
${}^{241}\text{Am}-{}^{13}\text{C}$ [day^{-1}]	0.16 ± 0.07	0.13 ± 0.06	0.12 ± 0.05	0.11 ± 0.05	0.04 ± 0.02	0.04 ± 0.02	0.04 ± 0.02	0.03 ± 0.01
${}^{13}\text{C}(\alpha, n){}^{16}\text{O}$ [day^{-1}]	0.08 ± 0.04	0.06 ± 0.03	0.04 ± 0.02	0.06 ± 0.03	0.04 ± 0.02	0.04 ± 0.02	0.03 ± 0.02	0.04 ± 0.02

DB Collaboration,
2211.14988

Backgrounds

Instrumental

- ❖ PMTs emitting light

Uncorrelated

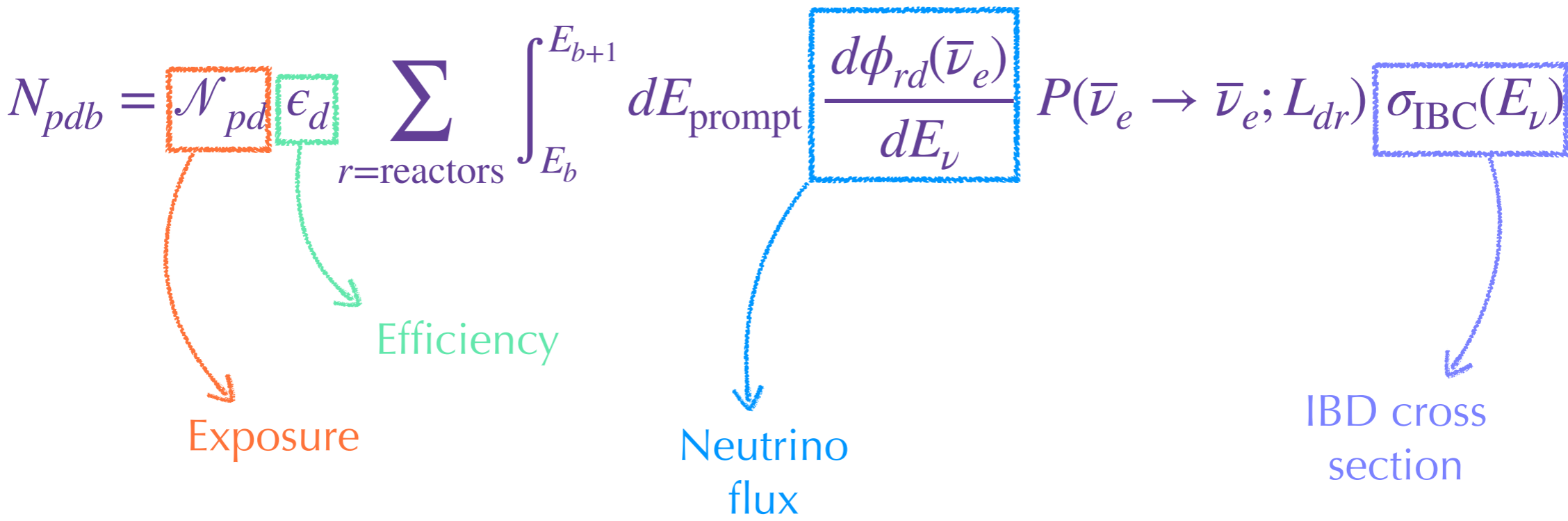
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Putting Things Together



Putting Things Together

$$N_{pdb} = \mathcal{N}_{pd} \epsilon_d \sum_{r=\text{reactors}} \int_{E_b}^{E_{b+1}} dE_{\text{prompt}} \frac{d\phi_{rd}(\bar{\nu}_e)}{dE_\nu} P(\bar{\nu}_e \rightarrow \bar{\nu}_e; L_{dr}) \sigma_{\text{IBC}}(E_\nu)$$

Events at experimental hall eh during period p in the *true* prompt energy bin b :

$$N_{pb}^{eh} = \sum_{d=\text{detectors in EH}_{eh} \text{ during period } p} N_{pdb}$$

Putting Things Together

$$N_{pdb} = \mathcal{N}_{pd} \epsilon_d \sum_{r=\text{reactors}} \int_{E_b}^{E_{b+1}} dE_{\text{prompt}} \frac{d\phi_{rd}(\bar{\nu}_e)}{dE_\nu} P(\bar{\nu}_e \rightarrow \bar{\nu}_e; L_{dr}) \sigma_{\text{IBC}}(E_\nu)$$

Events at experimental hall *eh* during period *p* in the true prompt energy bin *b*:

$$N_{pb}^{eh} = \sum_{d=\text{detectors in EH}_{eh} \text{ during period } p} N_{pdb}$$

We will provide you all these quantities!

Putting Things Together

As there is some information we don't know about the data taking, we take a ratio of the events to the EH1 to perform the analysis

χ^2 analysis, including systematic uncertainties

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χ^2 analysis, including systematic uncertainties

$$\chi^2(\sin^2 \theta_{13}, \Delta m_{ee}^2; \vec{\alpha}) = \sum_{p=\text{periods}} \sum_{b=\text{bins}} \left[\frac{1}{(\sigma_{pb}^{21})^2} \left(\frac{O_{pb}^2 - (1 + \alpha_{Bp}^2)B_{pb}^2}{O_{pb}^1 - (1 + \alpha_{Bp}^2)B_{pb}^1} - (1 + \alpha_{ep}^{21}) \frac{N_{pb}^2}{N_{pb}^1} \right)^2 + \frac{1}{(\sigma_{pb}^{31})^2} \left(\frac{O_{pb}^3 - (1 + \alpha_{Bp}^3)B_{pb}^3}{O_{pb}^1 - (1 + \alpha_{Bp}^1)B_{pb}^1} - (1 + \alpha_{ep}^{31}) \frac{N_{pb}^3}{N_{pb}^1} \right)^2 \right]$$

We will follow an approach similar to NuFit's [1811.05487](#)

Putting Things Together

As there is some information we don't know about the data taking, we take a ratio of the events to the EH1 to perform the analysis

χ^2 analysis, including systematic uncertainties

Observed minus background in EH2

$$\chi^2(\sin^2 \theta_{13}, \Delta m_{ee}^2; \vec{\alpha}) = \sum_{p=\text{periods}} \sum_{b=\text{bins}} \left[\frac{1}{(\sigma_{pb}^{21})^2} \left(\frac{O_{pb}^2 - (1 + \alpha_{Bp}^2)B_{pb}^2}{O_{pb}^1 - (1 + \alpha_{Bp}^2)B_{pb}^1} - (1 + \alpha_{ep}^{21}) \frac{N_{pb}^2}{N_{pb}^1} \right)^2 + \frac{1}{(\sigma_{pb}^{31})^2} \left(\frac{O_{pb}^3 - (1 + \alpha_{Bp}^3)B_{pb}^3}{O_{pb}^1 - (1 + \alpha_{Bp}^1)B_{pb}^1} - (1 + \alpha_{ep}^{31}) \frac{N_{pb}^3}{N_{pb}^1} \right)^2 \right]$$

We will follow an approach similar to NuFit's [1811.05487](#)

Putting Things Together

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Error related to observed minus background ratio

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Error related to observed minus background ratio

Systematic uncertainty related to background at EH1 During period p

We will follow an approach similar to NuFit's [1811.05487](#)

Putting Things Together

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χ^2 analysis, including systematic uncertainties

Observed minus background in EH2

Expected events in EH2, depending on $\sin^2 2\theta_{13}, \Delta m_{ee}^2$

$$\chi^2(\sin^2 \theta_{13}, \Delta m_{ee}^2; \vec{\alpha}) = \sum_{p=\text{periods}} \sum_{b=\text{bins}} \left[\frac{1}{(\sigma_{pb}^{21})^2} \left(\frac{O_{pb}^2 - (1 + \alpha_{Bp}^2)B_{pb}^2}{O_{pb}^1 - (1 + \alpha_{Bp}^2)B_{pb}^1} - (1 + \alpha_{ep}^{21}) \frac{N_{pb}^2}{N_{pb}^1} \right)^2 + \frac{1}{(\sigma_{pb}^{31})^2} \left(\frac{O_{pb}^3 - (1 + \alpha_{Bp}^3)B_{pb}^3}{O_{pb}^1 - (1 + \alpha_{Bp}^1)B_{pb}^1} - (1 + \alpha_{ep}^{31}) \frac{N_{pb}^3}{N_{pb}^1} \right)^2 \right]$$

Error related to observed minus background ratio

Systematic uncertainty related to background at EH1 During period p

Systematic uncertainty related to detector efficiency at EH1 During period p

We will follow an approach similar to NuFit's [1811.05487](#)

Putting Things Together

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$$\chi^2(\sin^2 \theta_{13}, \Delta m_{ee}^2; \vec{\alpha}) = \sum_{p=\text{periods}} \sum_{b=\text{bins}} \left[\frac{1}{(\sigma_{pb}^{21})^2} \left(\frac{O_{pb}^2 - (1 + \alpha_{Bp}^2)B_{pb}^2}{O_{pb}^1 - (1 + \alpha_{Bp}^2)B_{pb}^1} - (1 + \alpha_{ep}^{21}) \frac{N_{pb}^2}{N_{pb}^1} \right)^2 + \frac{1}{(\sigma_{pb}^{31})^2} \left(\frac{O_{pb}^3 - (1 + \alpha_{Bp}^3)B_{pb}^3}{O_{pb}^1 - (1 + \alpha_{Bp}^1)B_{pb}^1} - (1 + \alpha_{ep}^{31}) \frac{N_{pb}^3}{N_{pb}^1} \right)^2 \right]$$

Observed minus background in EH2

Expected events in EH2, depending on $\sin^2 2\theta_{13}, \Delta m_{ee}^2$

Error related to observed minus background ratio

Systematic uncertainty related to background at EH1 During period p

Systematic uncertainty related to detector efficiency at EH1 During period p

As $\vec{\alpha} = \{\alpha_{(B,\epsilon)p}^{eh}\}$ are nuisance parameters, we need to marginalise over them

$$\chi_{\text{mar}}^2 = \min_{\vec{\alpha}} \chi^2(\sin^2 \theta_{13}, \Delta m_{ee}^2; \vec{\alpha})$$

We will follow an approach similar to NuFit's [1811.05487](#)

Your Task:

We assume you have knowledge of python and that each one of you have a laptop

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Access with your credentials, and then click on **Assignments**:

Released assignments	
dayabay_analysis	Fetch
neutrino_oscillations	Fetch
test	Fetch

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The screenshot shows a web interface with a navigation bar containing 'Files', 'Running', 'Clusters', 'Assignments', and 'Courses'. The 'Assignments' tab is active. Below the navigation bar, there is a dropdown menu for 'Released, downloaded, and submitted assignments for course:' and a refresh button. A table of 'Released assignments' is displayed with three rows: 'dayabay_analysis', 'neutrino_oscillations', and 'test'. Each row has a 'Fetch' button to its right. The 'dayabay_analysis' row and its 'Fetch' button are highlighted with a red border.

Released assignments	
dayabay_analysis	Fetch
neutrino_oscillations	Fetch
test	Fetch

Select **dayabay_analysis** by clicking Fetch

To do so:

After clicking “Fetch” this should appear:

Released, downloaded, and submitted assignments for course: 

Released assignments	
neutrino_oscillations	<input type="button" value="Fetch"/>
test	<input type="button" value="Fetch"/>

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dayabay_analysis ▾	<input type="button" value="Submit"/>
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To do so:

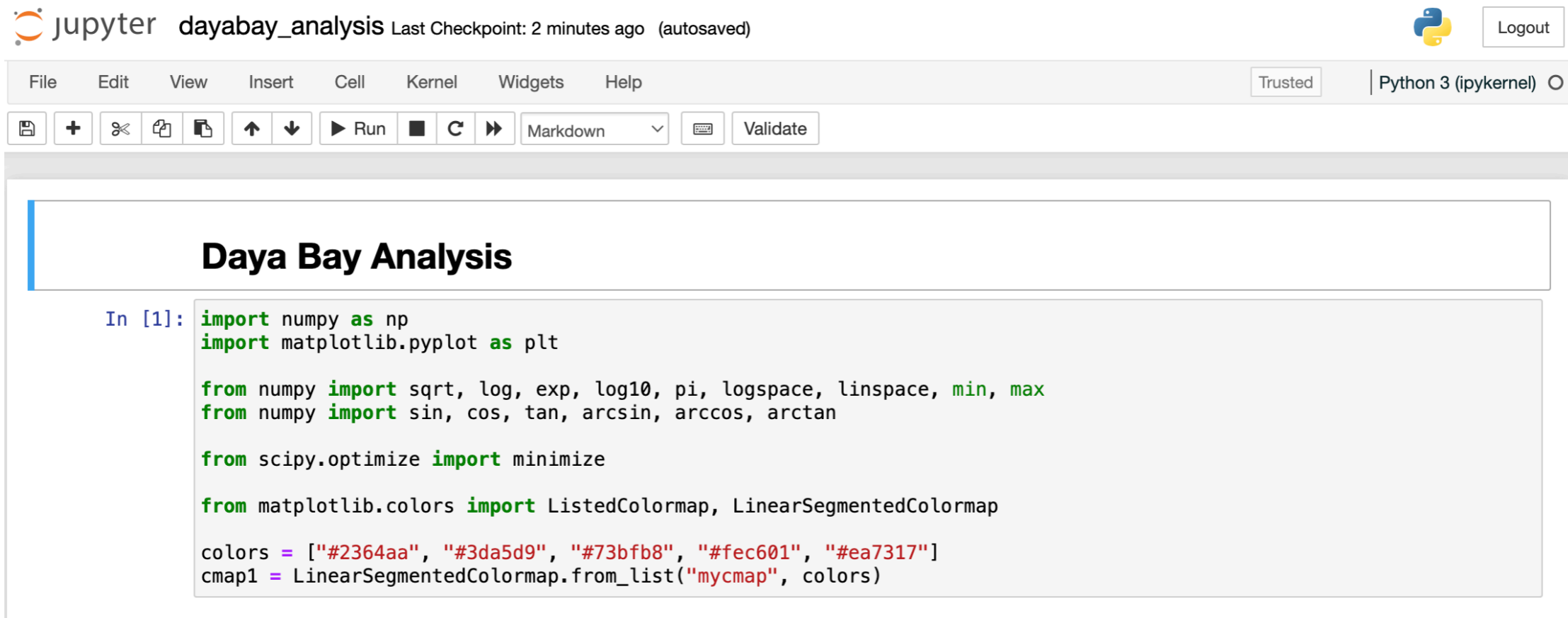
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The screenshot shows a Jupyter Notebook interface. At the top, it says "jupyter dayabay_analysis Last Checkpoint: 2 minutes ago (autosaved)". There is a "Logout" button and a Python logo. Below the header is a menu bar with "File", "Edit", "View", "Insert", "Cell", "Kernel", "Widgets", and "Help". To the right of the menu bar are "Trusted" and "Python 3 (ipykernel)". Below the menu bar is a toolbar with icons for file operations, a "Run" button, a "Validate" button, and a "Markdown" dropdown. The main content area has a title "Daya Bay Analysis" and a code cell with the following code:

```
In [1]: import numpy as np
import matplotlib.pyplot as plt

from numpy import sqrt, log, exp, log10, pi, logspace, linspace, min, max
from numpy import sin, cos, tan, arcsin, arccos, arctan

from scipy.optimize import minimize

from matplotlib.colors import ListedColormap, LinearSegmentedColormap

colors = ["#2364aa", "#3da5d9", "#73bfb8", "#fec601", "#ea7317"]
cmap1 = LinearSegmentedColormap.from_list("mycmap", colors)
```

What's already on the notebook

- ▶ Data provided by Daya Bay

```
#Tables containing observed and expected IBD spectra for EH1,2,3 as function of true prompt energy  
events_EH1 = np.loadtxt("./data/DayaBay_IBDPromptSpectrum_EH1_3158days.txt")  
events_EH2 = np.loadtxt("./data/DayaBay_IBDPromptSpectrum_EH2_3158days.txt")  
events_EH3 = np.loadtxt("./data/DayaBay_IBDPromptSpectrum_EH3_3158days.txt")
```

```
#Tables containing backgrounds for EH1,2,3 as function of true prompt energy  
EH1_bkg=np.loadtxt("./data/DayaBay_BackgroundSpectrum_EH1_3158days.txt")  
EH2_bkg=np.loadtxt("./data/DayaBay_BackgroundSpectrum_EH2_3158days.txt")  
EH3_bkg=np.loadtxt("./data/DayaBay_BackgroundSpectrum_EH3_3158days.txt")
```

- ▶ IBD cross-section

```
def sigma(Enu):  
    '''Total cross section, in cm^2'''
```

- ▶ Oscillation probability

```
def Pee(Enu, Lij, osc_pars): # Enu in MeV, Lij in m  
    sinsq_2th13, Dm2_ee = osc_pars
```

- ▶ Neutrino flux at a given EH

```
def flux_anue_Pee(Enu, pars): # We include here the oscillation probability  
    period, detector, reactor, sinsq_2th13, Dm2ee = pars
```

What's already on the notebook

```
# Detectors properties:
#           fiducial mass in kg, efficiency, detector-reactors distances in m

Detectors_dict = {'AD1': {'mass': 19941, 'eff': 0.7743,
                          'DB1': 362.38, 'DB2': 371.76, 'LA1': 903.47, 'LA2': 817.16, 'LA3': 1353.62, 'LA4': 1265.32},
                  'AD2': {'mass': 19967, 'eff': 0.7716,
                          'DB1': 357.94, 'DB2': 368.41, 'LA1': 903.35, 'LA2': 816.90, 'LA3': 1354.23, 'LA4': 1265.89},
                  'AD3': {'mass': 19891, 'eff': 0.8127,
                          'DB1': 1332.48, 'DB2': 1358.15, 'LA1': 467.57, 'LA2': 498.58, 'LA3': 557.58, 'LA4': 499.21},
                  'AD8': {'mass': 19944, 'eff': 0.8105,
                          'DB1': 1337.43, 'DB2': 1362.88, 'LA1': 472.97, 'LA2': 495.35, 'LA3': 558.71, 'LA4': 501.07},
                  'AD4': {'mass': 19917, 'eff': 0.9513,
                          'DB1': 1919.63, 'DB2': 1894.34, 'LA1': 1533.18, 'LA2': 1533.63, 'LA3': 1551.38, 'LA4': 1524.94},
                  'AD5': {'mass': 19989, 'eff': 0.9514,
                          'DB1': 1917.52, 'DB2': 1891.98, 'LA1': 1534.92, 'LA2': 1535.03, 'LA3': 1554.77, 'LA4': 1528.05},
                  'AD6': {'mass': 19892, 'eff': 0.9512,
                          'DB1': 1925.26, 'DB2': 1899.86, 'LA1': 1538.93, 'LA2': 1539.47, 'LA3': 1556.34, 'LA4': 1530.08},
                  'AD7': {'mass': 19931, 'eff': 0.9513,
                          'DB1': 1923.15, 'DB2': 1897.51, 'LA1': 1540.67, 'LA2': 1540.87, 'LA3': 1559.72, 'LA4': 1533.18}}
```

- ❖ **Mass:** detector mass in kg
- ❖ **Eff:** Efficiency associated with the detector
- ❖ **Reactors:** detector-reactor distance in m

What's already on the notebook

```
experiment_data = { '6AD' : {'exposure':217*24.*3600., # in seconds
                             'EH1':['AD1', 'AD2'],
                             'EH2':['AD3'],
                             'EH3':['AD4', 'AD5', 'AD6'],
                             'Wth':{'DB1':2082, 'DB2':2874, 'LA1':2516,
                                     'LA2':2554, 'LA3':2825, 'LA4':1976}},

                    '8AD' : {'exposure':1524*24.*3600., # in seconds
                             'EH1':['AD1', 'AD2'],
                             'EH2':['AD3', 'AD8'],
                             'EH3':['AD4', 'AD5', 'AD6', 'AD7'],
                             'Wth':{'DB1':2514, 'DB2':2447, 'LA1':2566,
                                     'LA2':2519, 'LA3':2519, 'LA4':2550}},

                    '7AD' : {'exposure':1417*24.*3600., # in seconds
                             'EH1':['AD2'],
                             'EH2':['AD3', 'AD8'],
                             'EH3':['AD4', 'AD5', 'AD6', 'AD7'],
                             'Wth':{'DB1':0.5*(2082+2514), 'DB2':0.5*(2874+2447),
                                     'LA1':0.5*(2516+2566), 'LA2':0.5*(2554+2519),
                                     'LA3':0.5*(2825+2519), 'LA4':0.5*(1976+2550)}}}
```

- ❖ Exposure: time of data taking in s
- ❖ EHx: Detectors present in period
- ❖ Wth: Average thermal power associated with each reactors

Note that for 7AD we take the W_{th} average of 6AD and 8AD as this information is not provided by the collaboration afaik

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Any question?

Let's get down to business!

Thanks!