Light dark matter: from colliders to quantum sensors



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Overwhelming evidence for dark matter, but its mass scale is unknown



Rotation curves





gravitational lensing

Structure formation

Direct detection

Indirect detection



Collider searches



Direct detection

Indirect detection





Collider searches



Direct detection

Indirect detection





Collider searches





0°

-2.5°

Searches for dark matter with masses < 1-10 GeV require new strategies

What can we learn about dark matter in this mass range?

- Rare decays
- Long-lived particles
- Spin measurements
- Quantum sensors

Rare decays, especially rare meson decays are the best probes for axions with flavor-violating couplings

$$\mathcal{L}_{\text{ALP-f}} = \frac{\partial_{\mu}a}{2f_a} \,\bar{f}_i \gamma^{\mu} \big(C^V_{f_i f_j} + C^A_{f_i f_j} \gamma_5 \big) f_j$$

Even in absence of FV couplings they're induced by the SM





E.~Goudzovski et al.``New physics searches at kaon and hyperon factories", Rept. Prog. Phys. 86 (2023) no.1, 016201

If the axion decays, rare meson decays are even more powerful

$$\mathcal{L}_{\text{eff}}^{D \le 5} = \frac{1}{2} \left(\partial_{\mu} a \right) \left(\partial^{\mu} a \right) - \frac{m_{a,0}^2}{2} a^2 + c_{WW} \frac{\alpha_2}{4\pi} \frac{a}{f} W_{\mu\nu} \tilde{W}^{\mu\nu}$$

$$K_L \to \pi^0 e^+ e^-$$



Offer a unique test of the parameter space unconstrained by astrophysical, beam dump and collider searches



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The lifetime reach of LHC detectors is limited by their size and backgrounds





 10^{0}

 10^{1}

The most important target is the Higgs boson: only produced at the LHC!



 \overline{b}

b

 \overline{b}

LLP

LLF

H

g

 \mathcal{M}

500

The most important target is the Higgs boson: only produced at the LHC!





The 'lifetime reach' of LHC detectors is limited by their size and backgrounds



Pro-ANUBIS demonstrator installed during run 3 to show feasibility and understand backgrounds

Synchronised with ATLAS clock to provide an active veto





Measuring the spin of invisible states

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What if the ALP, dark photon is stable?

Angular distribution can distinguish tchannel from s-channel





MB, Erner, *Phys.Rev.D* 108 (2023) 11

Backgrounds for $e+e- \rightarrow X + \gamma$ at Belle II



MB, Erner, *Phys.Rev.D* 108 (2023) 11

Polarised beams eliminates background and distinguishes ALPelectron and photon interactions



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Polarised beams eliminates background and distinguishes ALPelectron and photon interactions



What if dark mathems very light? It behaves like a wave

$$a(x,t) = \frac{\sqrt{2\rho_{\rm DM}}}{m_a} \cos(\omega t - \delta)$$

Sketch of an atom in a wavelike DM background



$$\begin{array}{ll} \text{Mass is fixed by halo size} & m_a \gtrsim 10^{-22} \, \mathrm{eV} \\ \text{Amplitude is fixed by the dark} & \rho_a = \frac{1}{2} m_a^2 a_0^2 \stackrel{!}{=} \rho_{\mathrm{DM}} = 0.3 \frac{\mathrm{GeV}}{\mathrm{cm}^3} \\ \text{The angular frequency is determined} & \omega \sim m_a \\ \text{by the rest mass.} & & \\ \text{Small corrections from the kinetic energy} & \frac{\Delta \omega}{\omega} \sim \frac{m_a v^2/2}{m_a} \sim 10^{-6} \\ \text{Coherence time is set by the} & & \\ r_c = \frac{2\pi}{\Delta \omega} = \frac{2\pi}{m_a v^2} \approx \mathrm{1s} \left(\frac{\mathrm{MHz}}{m_a} \right) \end{array}$$

Resonant cavities

$$P_{a \to \gamma} = \frac{\alpha^2}{\pi^2} \frac{\left(c_{\gamma\gamma}^{\text{eff}}\right)^2}{f^2} \frac{\rho_{\text{DM}}}{m_a} B_0^2 V C \min(Q_L, Q_a)$$





Quadratic axion interactions allow to extend the parameter space

$$C_{\gamma} \frac{a^2}{4f^2} F_{\mu\nu} F^{\mu\nu} = C_{\gamma} \frac{a^2}{2f^2} (E^2 - B^2)$$





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$$P_{aa \to \gamma} \propto \left(\frac{C_{\gamma}}{f^2} \frac{\rho_{\rm DM}}{m_a}\right)^2 \left(B_0^2 + E_0^2\right) V C_{\phi} \min(Q_L, Q_a)$$

Standard model fields in this background

$$\mathcal{L} = -m_e \bar{\psi}_e \psi_e + g \, a \bar{\psi}_e \psi_e$$
$$= (-m_e + g a) \, \bar{\psi}_e \psi_e$$
$$= -m_e^{\text{eff}}(a) \, \bar{\psi}_e \psi_e$$

Can be described with time-dependent masses and coupling constants

$$m_e^{\text{eff}}(a) = m_e \left(1 + \frac{a_0}{m_e} \cos(\omega t - \delta)\right)$$

For axions these are quadratic interactions



Clocks and clock-cavity bounds

$$\frac{\delta\nu_{A/B}}{\nu_{A/B}} = k_{\alpha}\frac{\delta\alpha}{\alpha} + k_e\left(\frac{\delta m_e}{m_e} - \frac{\delta m_p}{m_p}\right) + k_q\left(\frac{\delta m_q}{m_q} - \frac{\delta\Lambda_{\rm QCD}}{\Lambda_{\rm QCD}}\right)$$

Unique sensitivity to ultra-light states via precision measurements of transition frequencies





Ion clocks

$$\frac{\delta\nu_{A/B}}{\nu_{A/B}} = k_{\alpha}\frac{\delta\alpha}{\alpha} + k_e\left(\frac{\delta m_e}{m_e} - \frac{\delta m_p}{m_p}\right) + k_q\left(\frac{\delta m_q}{m_q} - \frac{\delta\Lambda_{\rm QCD}}{\Lambda_{\rm QCD}}\right)$$

Laser interferometers

Atom interferometers

$$\Phi_s = 4\,\overline{\omega_a}n\Delta r\sin^2\left(m_aT\right)$$







Another way to observe dark matter is via absorption



Depending on the quantum numbers of the dark matter states these can be forbidden transitions

Software to automate the calculation of the overlap integrals and transition rates covering all dark matter candidates is now available

Summary

Searches for light dark matter and mediators require new strategies beyond established searches

Rare meson decays, polarised beams, future detectors and quantum sensors explore complementary scenarios that are hard or impossible to test otherwise