Dark matter detection with atomic spectroscopy

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Contents

Generalised hydrogen interactions

Pair absorption

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• Gravitional evidence for dark matter on many scales



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- Gravitional evidence for dark matter on many scales
- Estimated to make up ~27% of the universe
- Microscopic nature completely unknown
- How do we search for it?



Cryogenic detectors



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- Spin precession experiments



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• Sensitive to new physics!

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• In general:

$$\mathcal{R}(r) = \frac{1}{r^n} e^{-mr}$$

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$$\mathcal{H}_{\text{int}} = \mathcal{H}_{\text{int}}(\psi_e, A_\mu, \phi, \dots)$$

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- What if we want to sum over polarisations?





 (n, j, ℓ, m) - (n',j',ℓ',m') -CINCO



 $\langle |\mathcal{M}_{fi}|^2
angle_{m,m'}$ (n, j, ℓ, m) - (n', j', ℓ', m') CINCO $\gamma^{\mu}, \gamma^{\mu}\gamma^5$ -





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$$\Gamma_{\rm pair} \sim \rho_{\rm DM}^2 \sim 1/m_{\rm DM}^2$$

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- Example:
$$1s_{1/2} \to 2s_{1/2}$$

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$$\eta_{\nu} = \frac{n_{\nu}}{n_{\nu,0}}$$





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- Pair absorption particularly sensitive at small masses



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- Able to constrain electroweak axial and scalar couplings



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- Pair absorption particularly sensitive at small masses
- Able to constrain electroweak axial and scalar couplings
- Also capable of constraining the $C\nu B$

Thank you! Questions?