



MC support tools 2026
17 Mar. 2026
Durham



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StringSpinner: adding spin to Pythia hadronization

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Trieste University and INFN
Lund University

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StringSpinner: adding spin to Pythia hadronization

Why spin effects in hadronization?

challenging and fun!

connected to studies of 3D partonic structure of nucleons

lot of data

DIS (COMPASS, HERMES, JLAB)

e^+e^- (BELLE, BABAR, BESIII)

pp (RHIC)

new experiments

EIC, JLAB@22 GeV, LHCSpin

Spin in Pythia by StringSpinner

PYTHIA 8

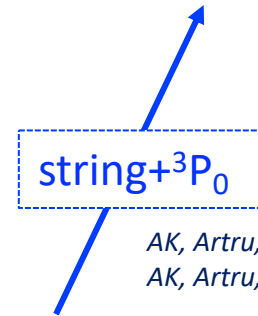
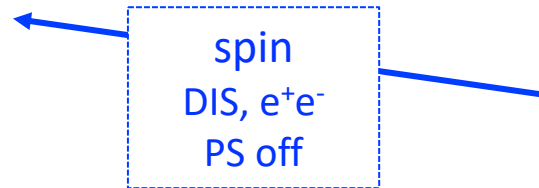


DIS, e^+e^- , pp, pA, ..

StringSpinner (C++, Fortran)

<https://gitlab.com/albikerbizi/stringspinner>

AK, L. Lönnblad CPC 2023 DIS
AK, L. Lönnblad, in preparation DIS, e^+e^-



spin effects in hadronization

- Collins effect
- 2h asymmetry
- polarizing FF
- jet handedness
- jet functions.
- ...

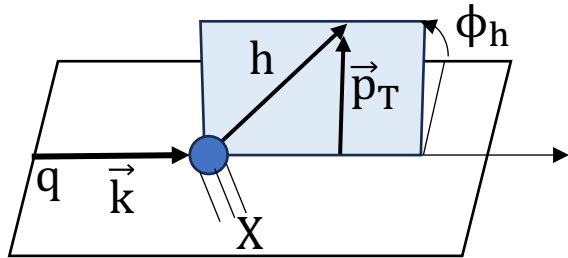
AK, Artru, Martin, PRD 2021
AK, Artru, PRD 2024, PRD 2026

«The spin effect» in hadronization

□ Collins effect in the fragmentation of transversely polarized quarks

Collins, NPB 396, 161 (1993)

$$z = p^+ / k^+$$



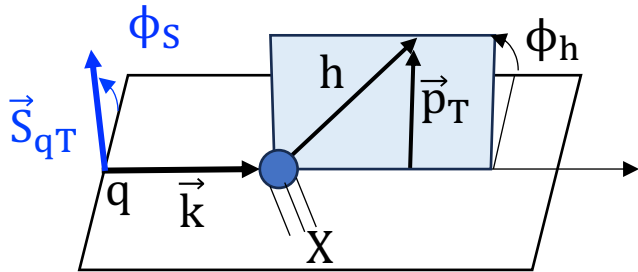
$$D_{q^\uparrow \rightarrow h+X}(z, \vec{p}_T) = D_{1q}^h(z, p_T^2)$$

«The spin effect» in hadronization

□ Collins effect in the fragmentation of transversely polarized quarks

$$z = p^+ / k^+$$

Collins, NPB 396, 161 (1993)



Collins fragmentation
function (FF)

$$D_{q^\uparrow \rightarrow h+X}(z, \vec{p}_T) = D_{1q}^h(z, p_T^2) + \frac{H_{1q}^{h\perp}(z, p_T^2)}{zM_h} \vec{S}_{qT} \cdot \hat{k} \times \vec{p}_T$$

□ Asymmetric azimuthal distribution

sensitive to the quark transverse polarization \rightarrow quark polarimetry!

□ Appears in different processes:

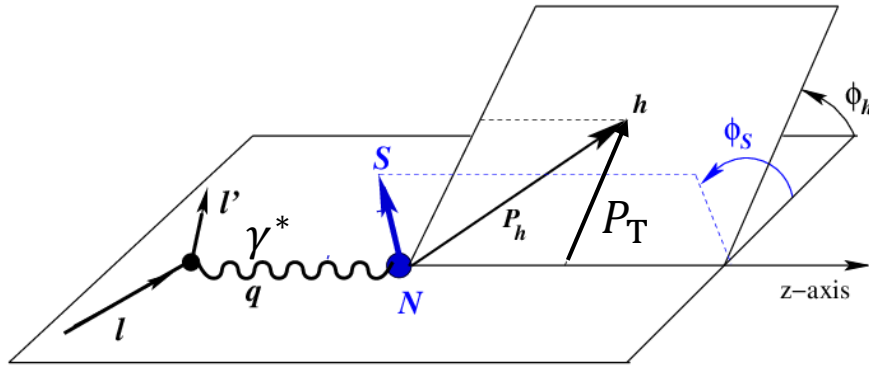
semi-inclusive DIS (SIDIS)

$e^+e^- \rightarrow$ hadrons

$pp \rightarrow hX$

Collins effect in SIDIS: the Collins asymmetry

- Asymmetry in the azimuthal distribution of the observed hadrons in DIS



$$\phi_{\text{Coll}} = \phi_h + \phi_s - \pi$$

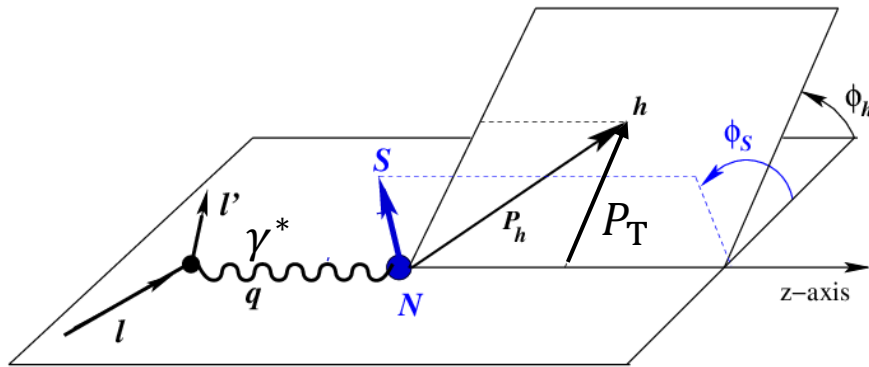
$$d\sigma^h \propto 1 + D_{NN} |\vec{S}_T| A_{\text{Coll}} \sin \phi_{\text{Coll}} + \dots$$

$$A_{\text{Coll}} \simeq \frac{\sum_q e_q^2 h_1^q \otimes H_{1q}^{\perp h}}{\sum_q e_q^2 f_1^q \otimes D_{1q}^h}$$

Transversity PDF $h_1^q \rightarrow$ transverse spin of quarks in a transversely polarized nucleon

Collins effect in SIDIS: the Collins asymmetry

- Asymmetry in the azimuthal distribution of the observed hadrons in DIS



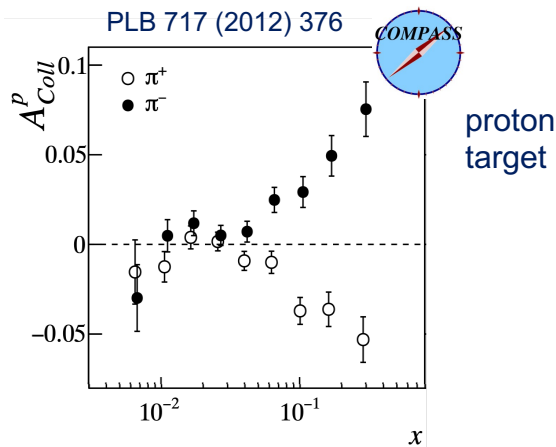
$$\phi_{\text{Coll}} = \phi_h + \phi_S - \pi$$

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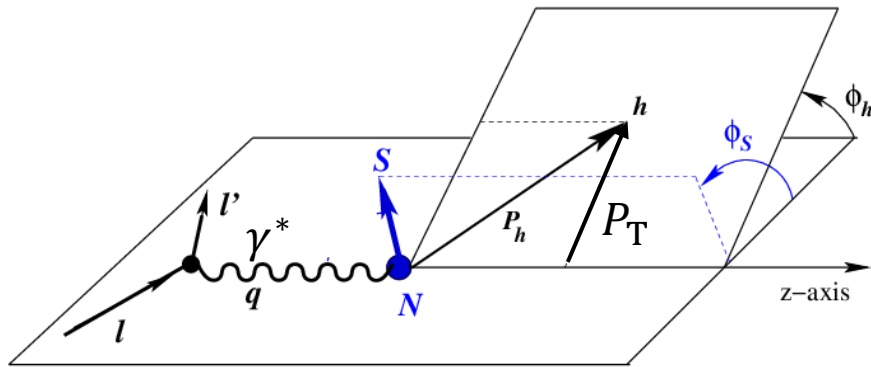
Transversity PDF $h_1^q \rightarrow$ transverse spin of quarks in a transversely polarized nucleon

- A_{Coll} measured by different experiments (HERMES, COMPASS, JLAB)



Collins effect in SIDIS: the Collins asymmetry

- Asymmetry in the azimuthal distribution of the observed hadrons in DIS



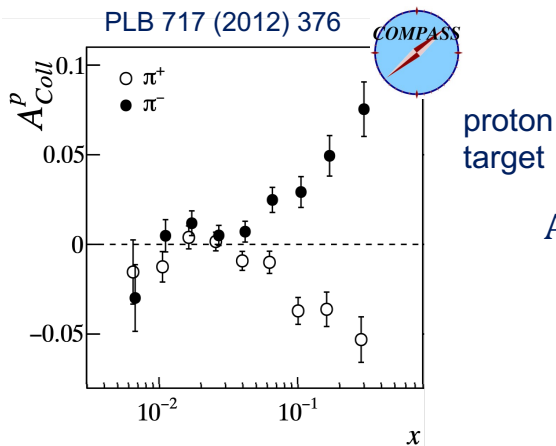
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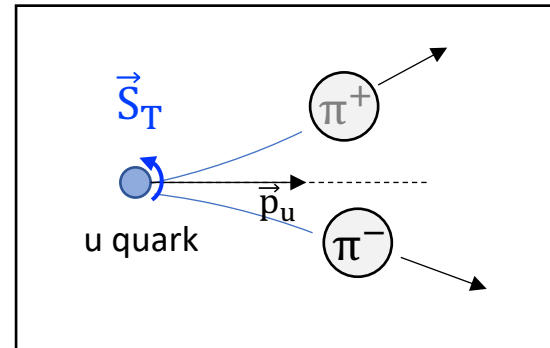
$$A_{\text{Coll}} \simeq \frac{\sum_q e_q^2 h_1^q \otimes H_{1q}^{\perp h}}{\sum_q e_q^2 f_1^q \otimes D_{1q}^h}$$

Transversity PDF $h_1^q \rightarrow$ transverse spin of quarks in a transversely polarized nucleon

- A_{Coll} measured by different experiments (HERMES, COMPASS, JLAB)



$$A_{\text{Coll}}^p(x) \simeq \frac{h_1^u}{f_1^u} \times \frac{H_{1q}^{\perp h}}{D_{1q}^h}$$

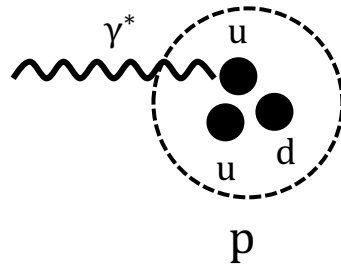


The model for the spin effects: string+ 3P_0

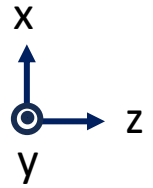
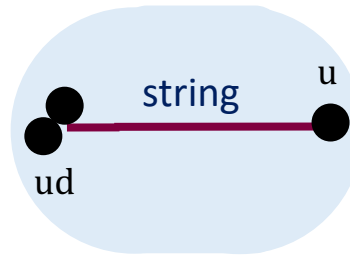
X. Artru [Dubna SPIN 2009], arXiv:1001.1061

AK, X. Artru, A. Martin, PRD 104, 114038 (2021)

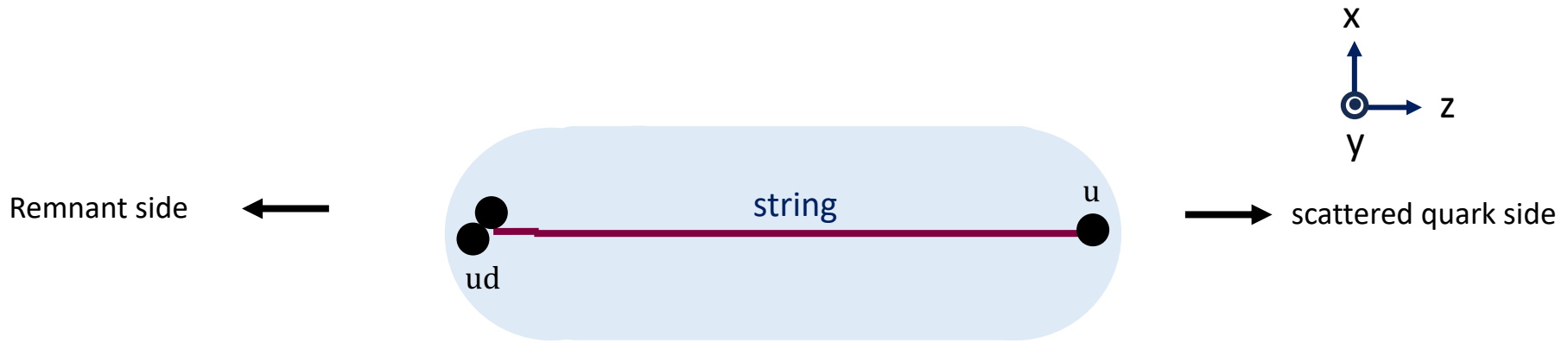
String breaking



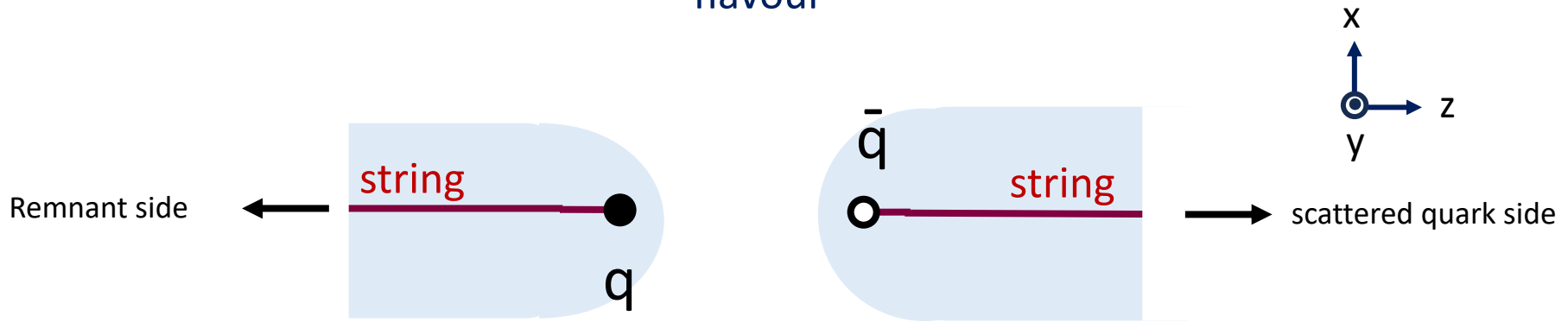
String breaking



String breaking



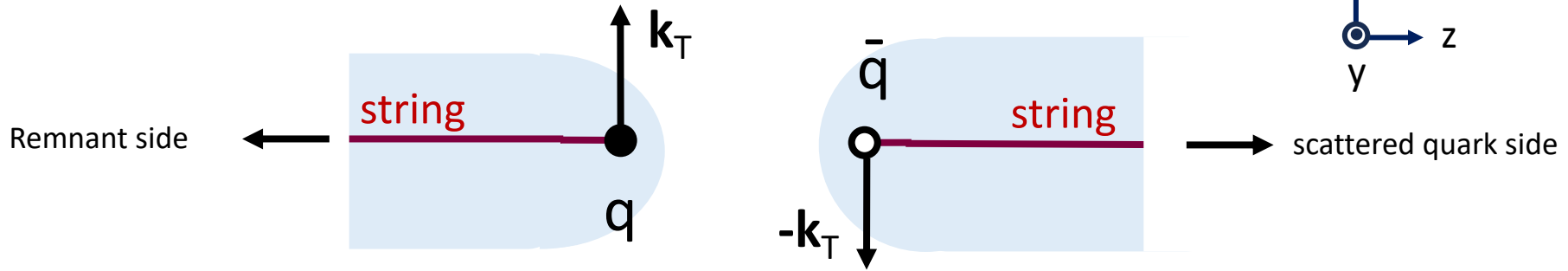
String breaking flavour



String breaking via $q\bar{q}$ tunneling
u, d, s quarks produced

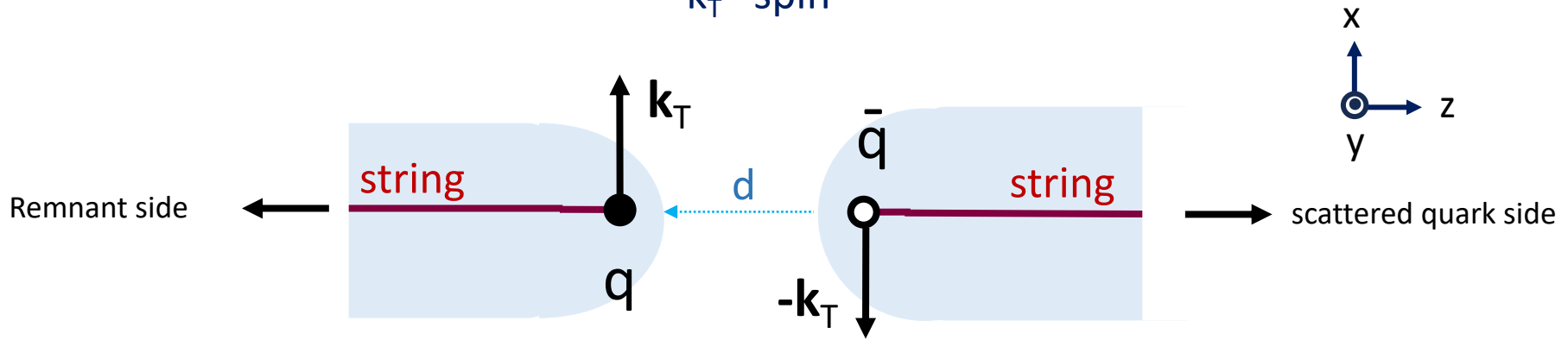
String breaking

k_T



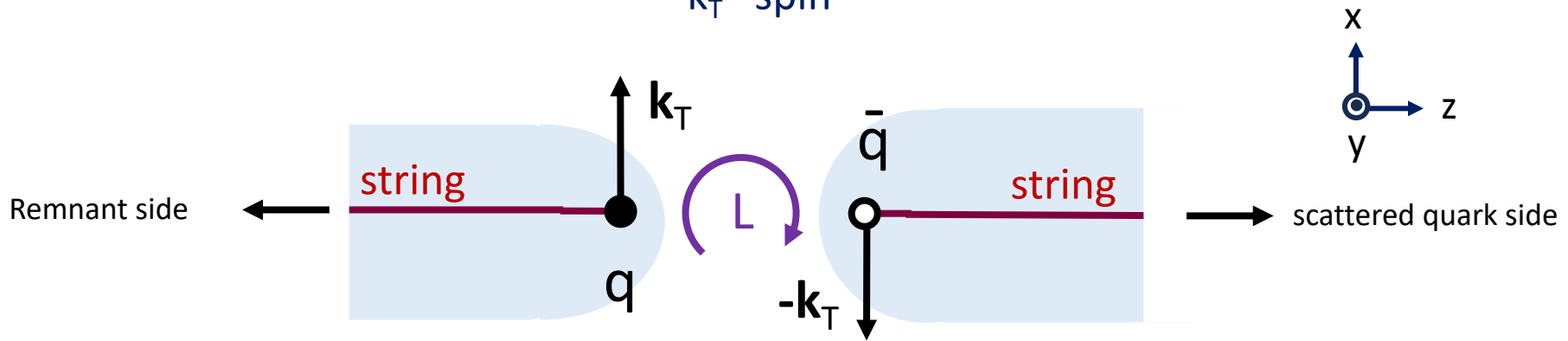
Local conservation of k_T
+ exponential damping [Schwinger mechanism]

String breaking k_T - spin



The pair is produced at a distance d

String breaking k_T - spin



The pair is produced at a distance d

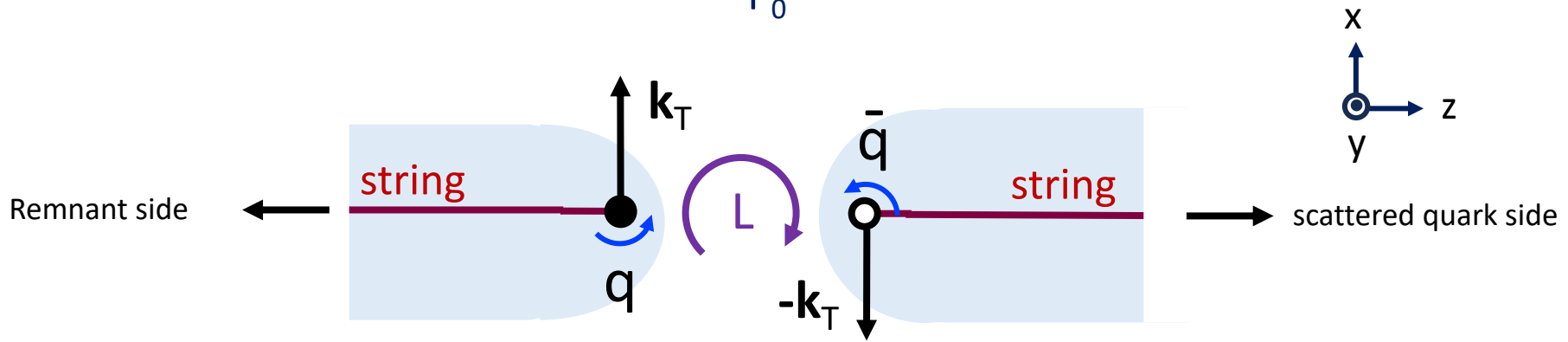
$$\vec{L} = \vec{d} \times \vec{k}_T \neq \vec{0}$$

Local conservation of angular momentum

$$\vec{S} = \vec{S}_q + \vec{S}_{\bar{q}} \neq \vec{0}$$

String breaking

3P_0



The pair is produced at a distance d

$$\vec{L} = \vec{d} \times \vec{k}_T \neq \vec{0}$$

Local conservation of angular momentum

$$\vec{S} = \vec{S}_q + \vec{S}_{\bar{q}} \neq \vec{0}$$

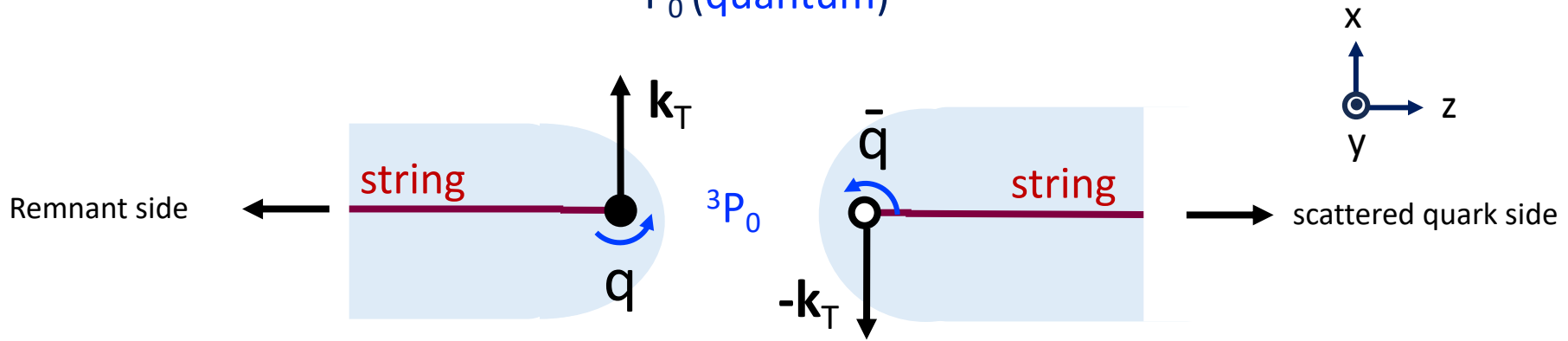
therefore

$$\vec{J} = \vec{L} + \vec{S} = \vec{0}$$

$L=1, S=1$

$q\bar{q}$ in the relative 3P_0 state
spin!

String breaking 3P_0 (quantum)



spin- k_T correlation described by
“propagator” (2x2)

$$\Delta_q = \mu + \sigma_z \boldsymbol{\sigma}_T \cdot \mathbf{k}_T$$

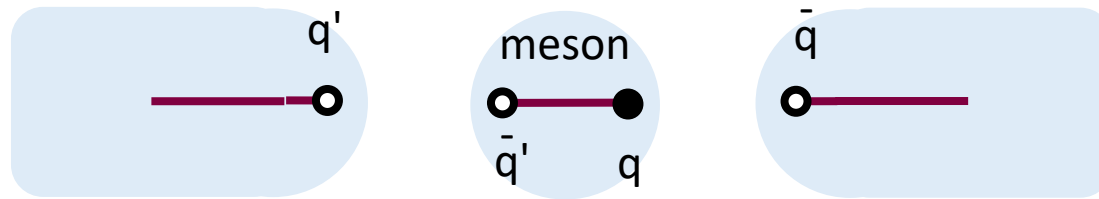
“complex mass” μ

2 free parameters
 $\text{Re}(\mu), \text{Im}(\mu)$

AK, X. Artru, Z. Belghobsi, F. Bradamante, A. Martin, PRD 97 (2018) 7, 074010

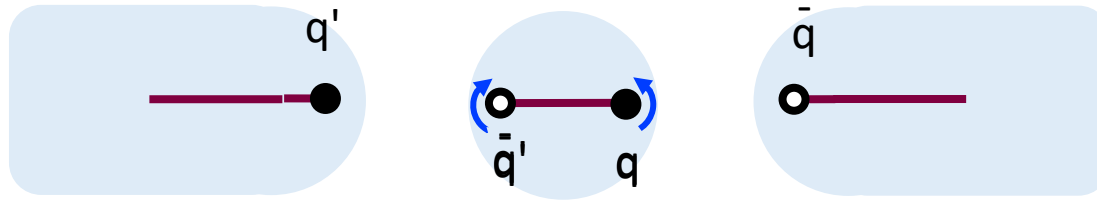
Meson production

two successive string breakings



Pseudoscalar meson (PM) or vector meson (VM)
with probability PM: VM \simeq 1: 1

Meson production PM (quantum)



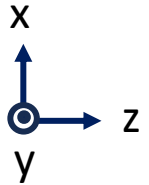
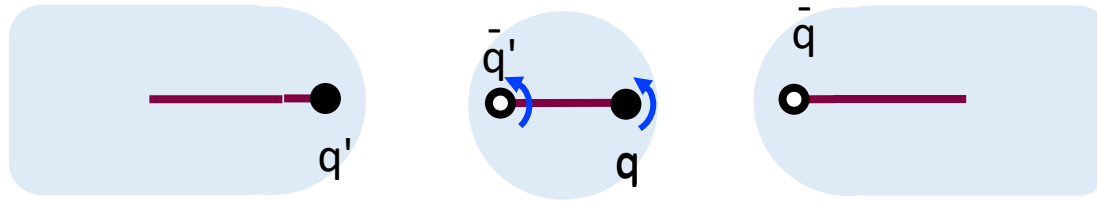
Pseudoscalar meson (PM) or vector meson (VM)
spin given by coupling (2x2)

$$\Gamma_{h=PM} = \sigma_z$$

no new free parameters

Meson production

VM (quantum)



Pseudoscalar meson (PM) or vector meson (VM)

spin given by coupling (2x2)

$$\Gamma_{h=VM} = G_T \vec{\sigma}_T \sigma_z \cdot \vec{V}_T^* + G_L 1V_L^*$$

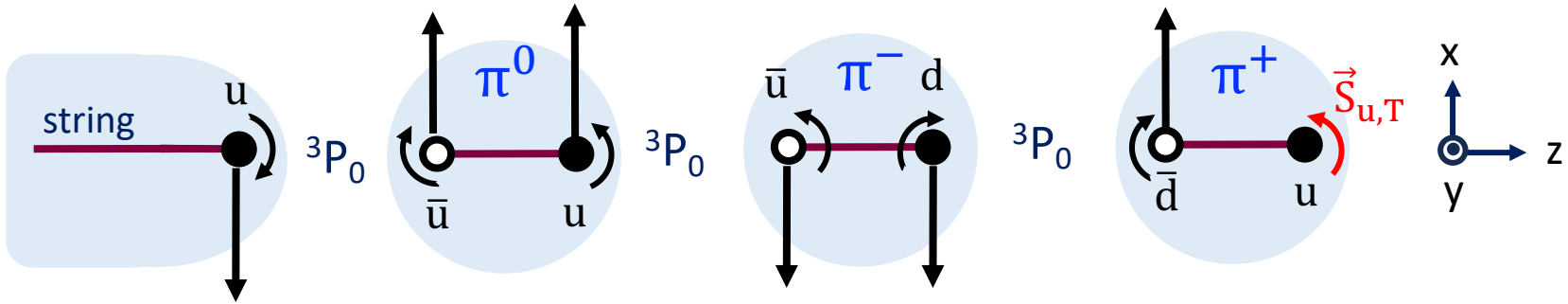
2 new free parameters:

1. Probability VM has Longitudinal Polarization $f_L = \left| \frac{G_L}{G_T} \right|^2 / \left[2 + \left| \frac{G_L}{G_T} \right|^2 \right]$
2. Interference between L and T polarizations $\theta_{LT} = \arg G_L / G_T$

AK, X. Artru, A. Martin, PRD 104 (2021) 11, 114038

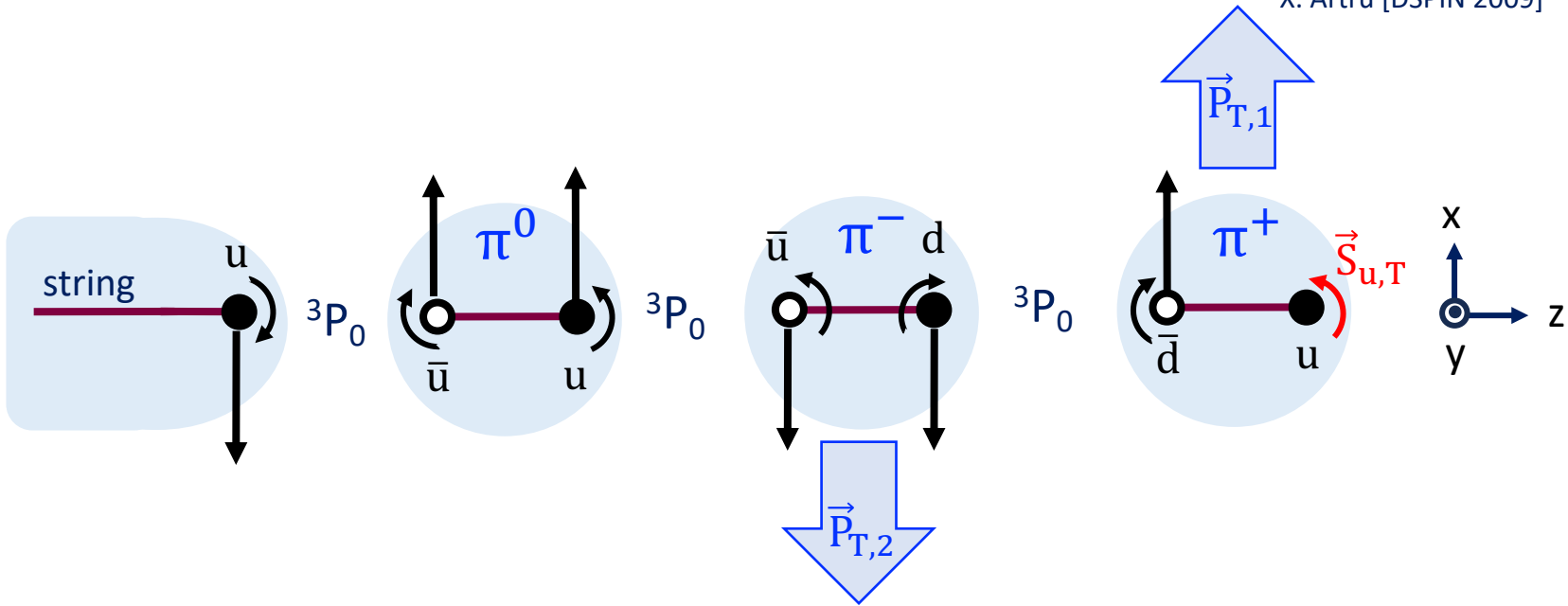
Spin correlations in hadronization

X. Artru [DSPIN 2009]

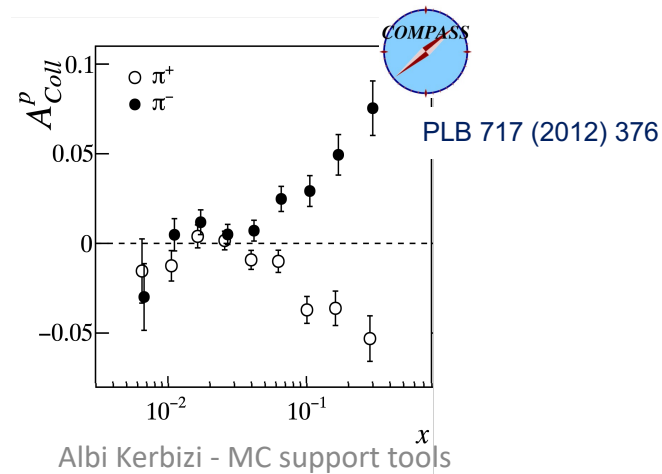


Spin correlations in hadronization

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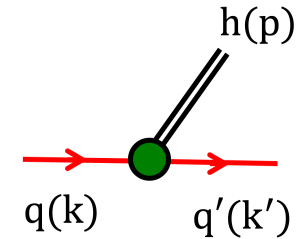


Collins effect of opposite sign for π^+ and π^-



"quantum" string + 3P_0

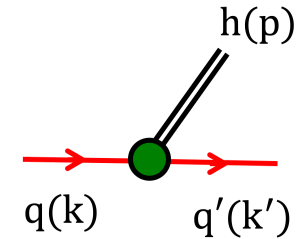
Quark splitting matrix: Lund string fragmentation \otimes spin



$$T_{q',h,q} \propto C_{q',h,q} \overset{\text{Pythia}}{D_h(M^2)} \left(\frac{1 - Z_+}{\epsilon_h^2} \right)^{\frac{a}{2}} \exp \left[-\frac{b_L \epsilon_h^2}{2Z_+} \right] N_a^{-\frac{1}{2}} (\epsilon_h^2) e^{-\frac{b_T k'^2}{2}}$$

"quantum" string + 3P_0

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$$T_{q',h,q} \propto \overset{\text{Pythia}}{C_{q',h,q}} D_h(M^2) \left(\frac{1 - Z_+}{\epsilon_h^2} \right)^{\frac{a}{2}} \exp \left[-\frac{b_L \epsilon_h^2}{2Z_+} \right] N_a^{-\frac{1}{2}} (\epsilon_h^2) e^{-\frac{b_T k_T'^2}{2}}$$

$$\otimes [\mu + \sigma_z \sigma_T \cdot \mathbf{k}'_T]$$

3P_0 string breaking

$$\Gamma_{h,s_h}$$

q-h-q' coupling

4 free parameters:

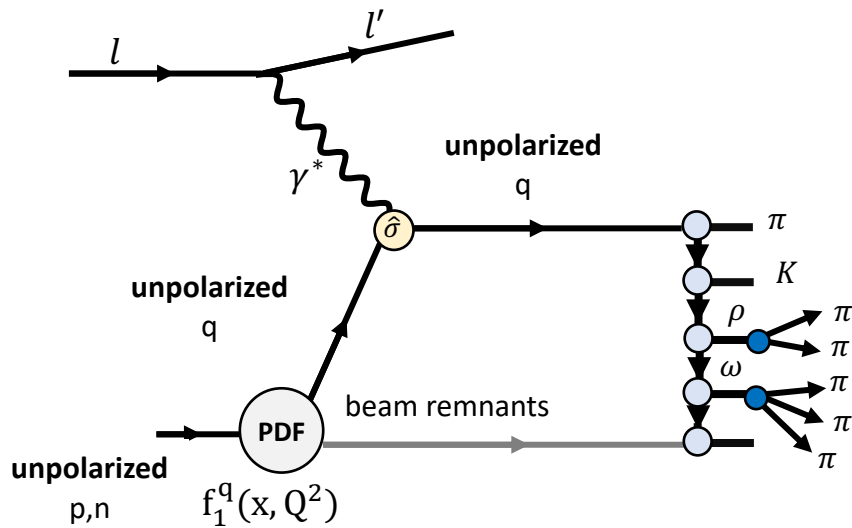
$\text{Re}(\mu)$, $\text{Im}(\mu)$, f_L , θ_{LT}

Implementation in Pythia for DIS

*AK, L. Lönnblad, CPC 272 (2022) 108234;
CPC 292 (2023) 108886*

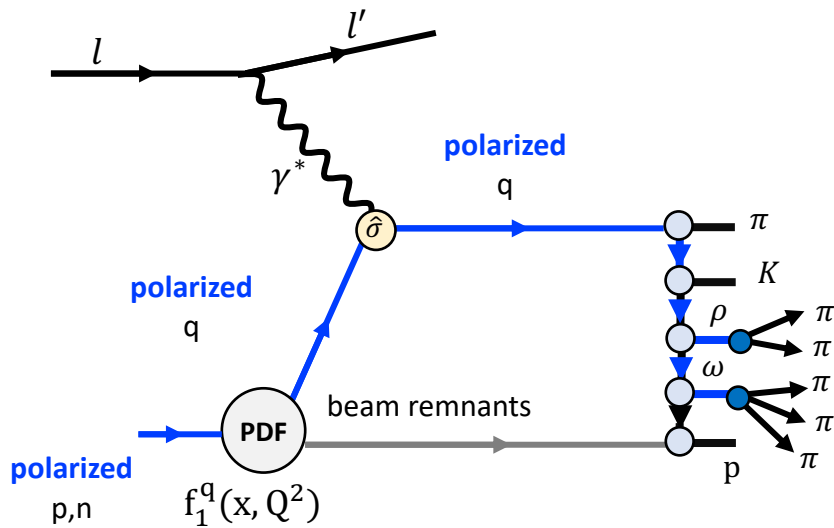
Spin in Pythia for DIS: StringSpinner

- ❑ Pythia sets up PDFs, generates hard scattering and ties string
- ❑ Trace endpoint quark polarization starting from target
- ❑ Apply string+ 3P_0



Spin in Pythia for DIS: StringSpinner

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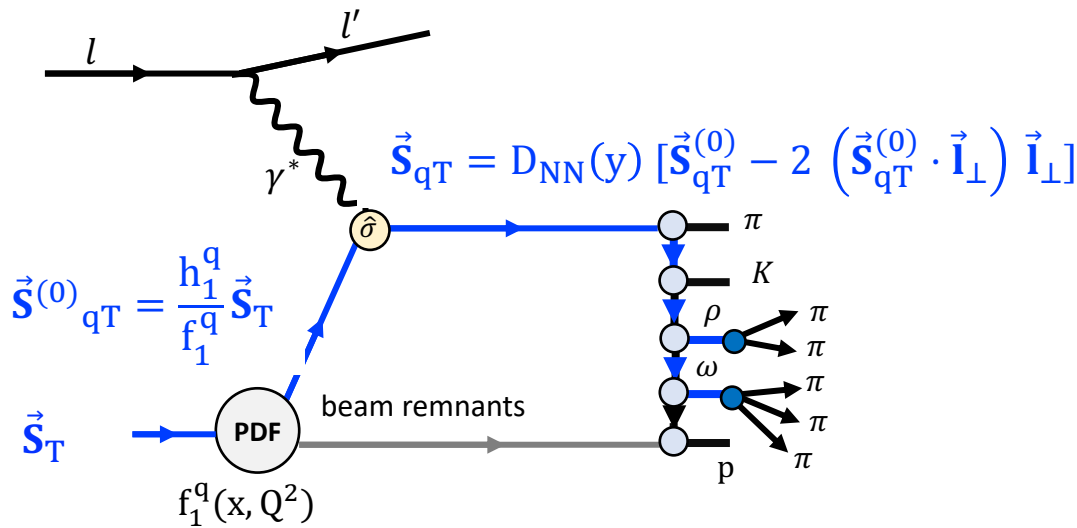


Transversity $h_1^q(x)$
or arbitrary polarization of quarks

AK, L. Lönnblad, CPC **272** (2022) 108234;
CPC **292** (2023) 108886

Spin in Pythia for DIS: StringSpinner

- Pythia sets up PDFs, generates hard scattering and ties string
- Trace endpoint quark polarization starting from target
- Apply string+ 3P_0

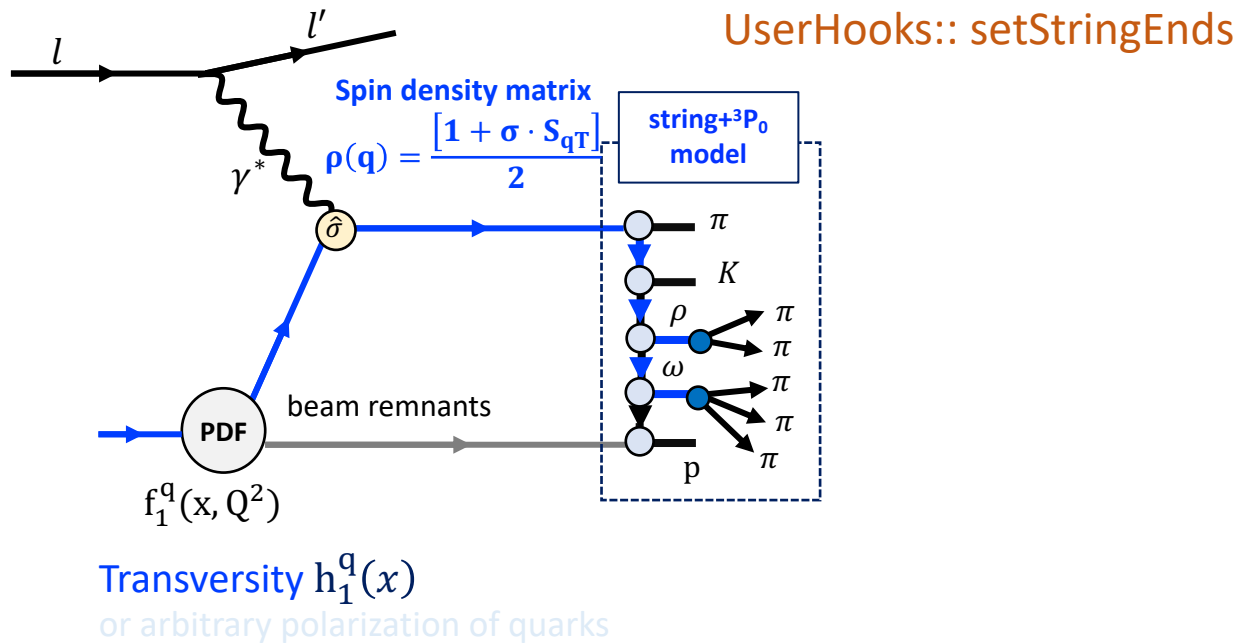


Transversity $h_1^q(x)$
or arbitrary polarization of quarks

AK, L. Lönnblad, CPC **272** (2022) 108234;
CPC **292** (2023) 108886

Spin in Pythia for DIS: StringSpinner

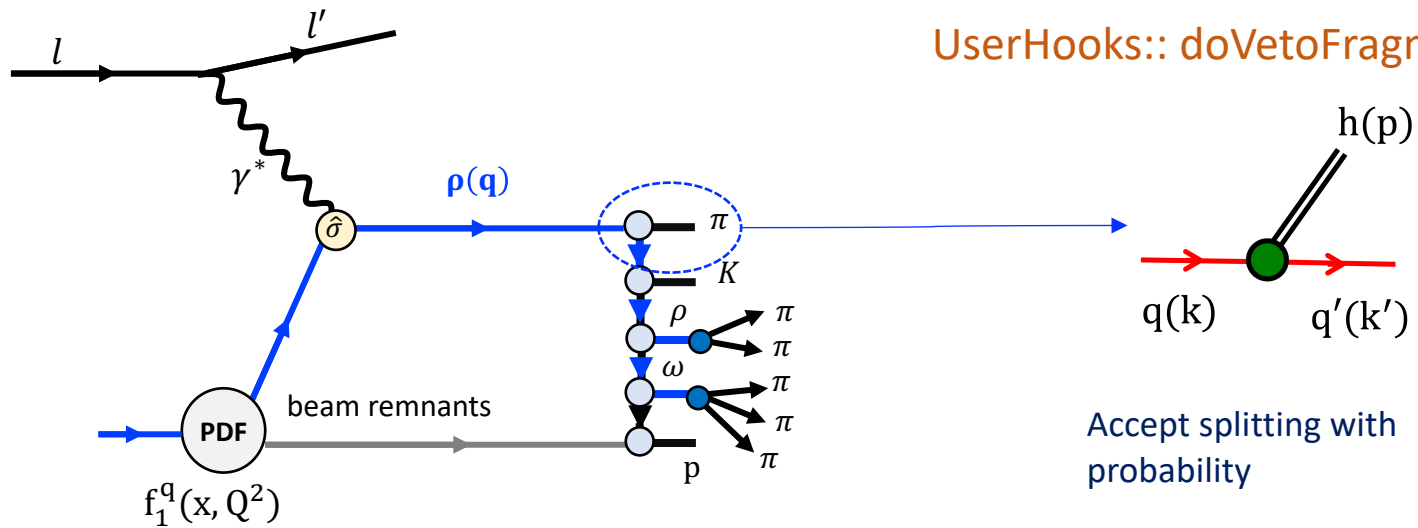
- Pythia sets up PDFs, generates hard scattering and ties string
- Trace endpoint quark polarization starting from target
- Apply string+³P₀



AK, L. Lönnblad, CPC **272** (2022) 108234;
 CPC **292** (2023) 108886

Spin in Pythia for DIS: StringSpinner

- Pythia sets up PDFs, generates hard scattering and ties string
- Trace endpoint quark polarization starting from target
- Apply string+ 3P_0



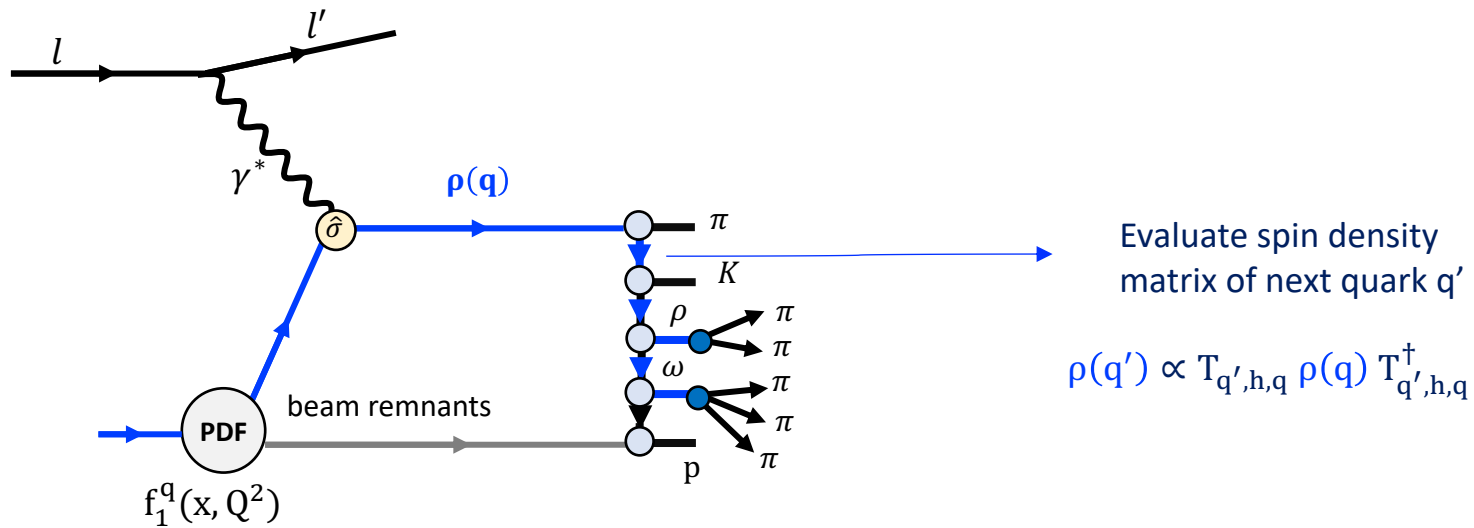
UserHooks::doVetoFragmentation

Accept splitting with probability

$$w = \frac{dP_{\text{spin}}(q \rightarrow h + q')}{dP_{\text{no spin}}(q \rightarrow h + q')} = \frac{\text{Tr}_{q'} T_{q',h,q} \rho(q) T_{q',h,q}^\dagger}{\frac{1}{2} \text{Tr}_{q'} T_{q',h,q} T_{q',h,q}^\dagger}$$

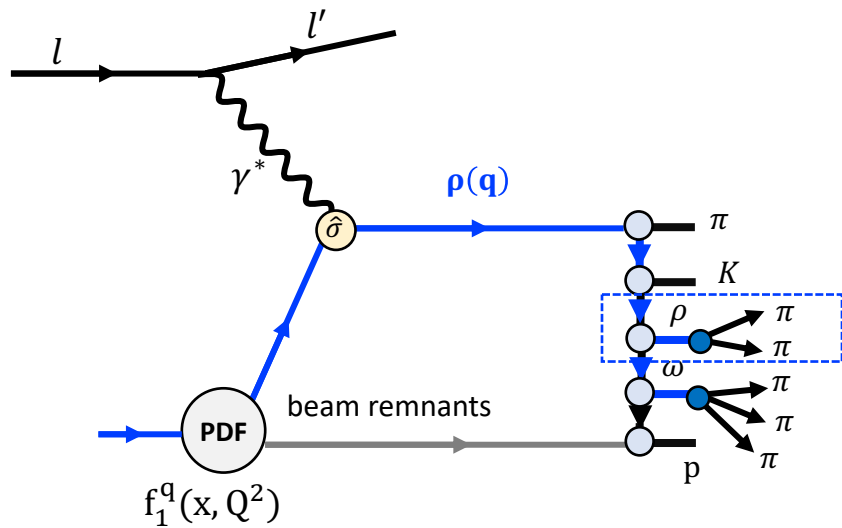
Spin in Pythia for DIS: StringSpinner

- Pythia sets up PDFs, generates hard scattering and ties string
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Spin in Pythia for DIS: StringSpinner

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- ❑ Trace endpoint quark polarization starting from target
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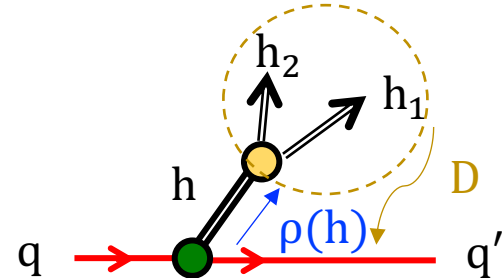


DecayHandler class

branching ratios, decay channel from Pythia
angular distributions externally

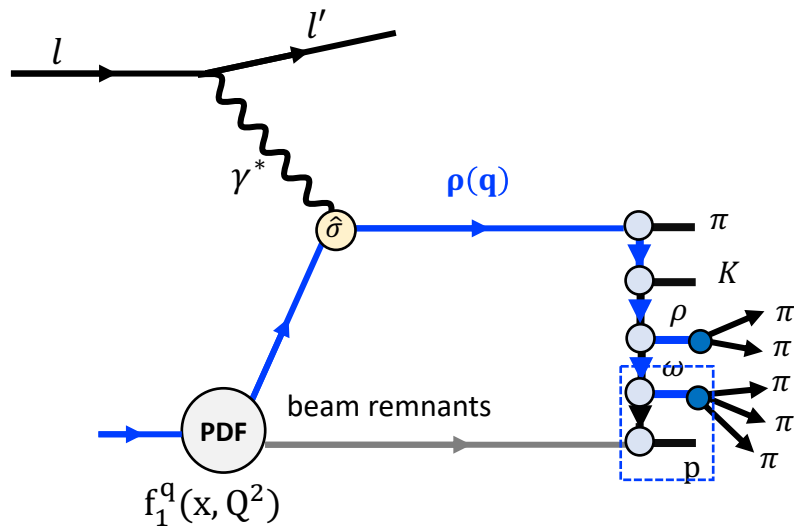
Collins-Kowles recipe (see backup)

- i) calculate $\rho(h)$
- ii) decay h polarized
- iii) return a decay matrix D



Spin in Pythia for DIS: StringSpinner

- ❑ Pythia sets up PDFs, generates hard scattering and ties string
- ❑ Trace endpoint quark polarization starting from target
- ❑ Apply string+ 3P_0



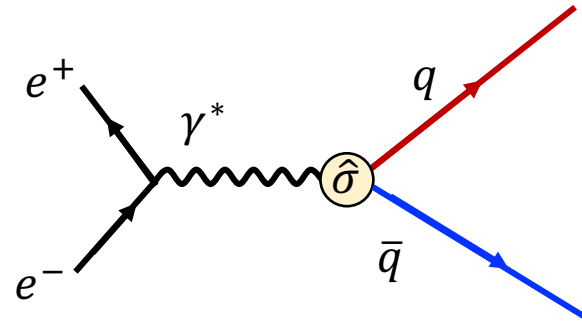
UserHooks::
doVetoFragmentation/doVetoFinalTwo
for the final two hadrons

Implementation in Pythia for e^+e^-

AK, X. Artru, PRD 109 (2024) 5, 05402

AK, L. Lönnblad, A. Martin, PRD 110 (2024) 7, 074029

Recursive recipe for e^+e^-



Steps:

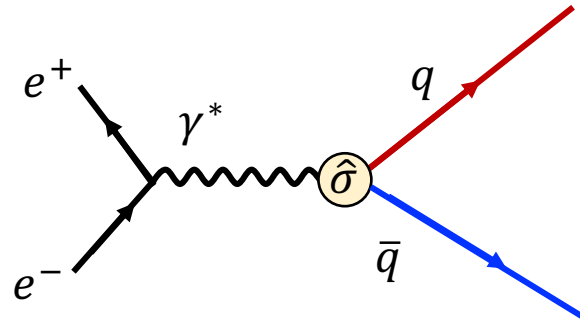
1. Hard scattering
2. Joint spin density matrix
3. Hadron emission from q
4. Update density matrix
5. Hadron emission from \bar{q}
6. Exit condition

Recursive recipe for e^+e^-

Steps:

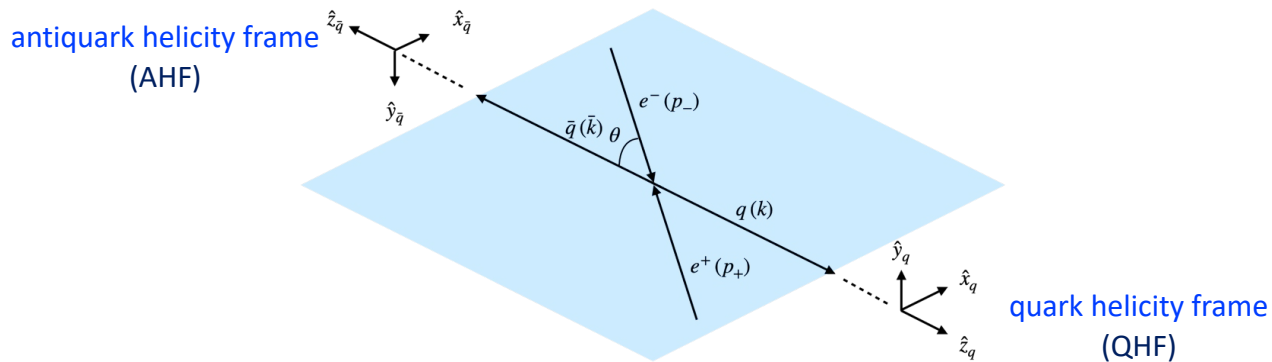
1. Hard scattering

2. Joint spin density matrix
3. Hadron emission from q
4. Update density matrix
5. Hadron emission from \bar{q}
6. Exit condition



Set up the scattering $e^+e^- \rightarrow q\bar{q}$ in the c.m.s

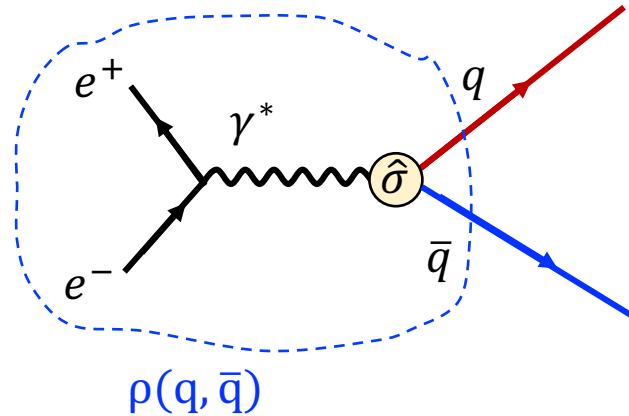
generate the quark flavors and kinematics using differential cross section



Recursive recipe for e^+e^-

Steps:

1. Hard scattering
- 2. Joint spin density matrix**
3. Hadron emission from q
4. Update density matrix
5. Hadron emission from \bar{q}
6. Exit condition



□ Set up the **joint spin density matrix** of the $q\bar{q}$ pair

$$\rho(q, \bar{q}) = C_{\alpha\beta}^{q\bar{q}} \sigma_q^\alpha \otimes \sigma_{\bar{q}}^\beta$$

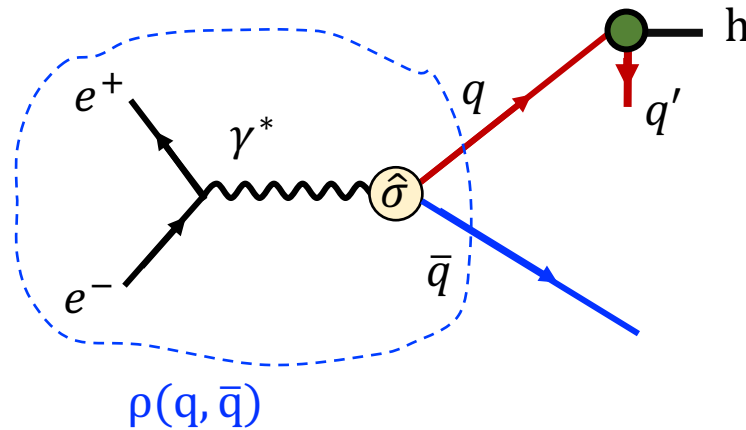
correlation coefficients
Pauli matrices along QHF and AHF

$\alpha = 0, x_q, y_q, z_q$
 $\beta = 0, x_{\bar{q}}, y_{\bar{q}}, z_{\bar{q}}$

For γ^* exchange

$$\rho(q, \bar{q}) \propto 1_q \otimes 1_{\bar{q}} - \sigma_q^z \otimes \sigma_{\bar{q}}^z + \frac{\sin^2\theta}{1+\cos^2\theta} [\sigma_q^x \otimes \sigma_{\bar{q}}^x + \sigma_q^y \otimes \sigma_{\bar{q}}^y]$$

Recursive recipe for e^+e^-



Steps:

1. Hard scattering
2. Joint spin density matrix
- 3. Hadron emission from q**
4. Update density matrix
5. Hadron emission from \bar{q}
6. Exit condition

- Emit the first hadron using the **splitting function** (emission probability density)

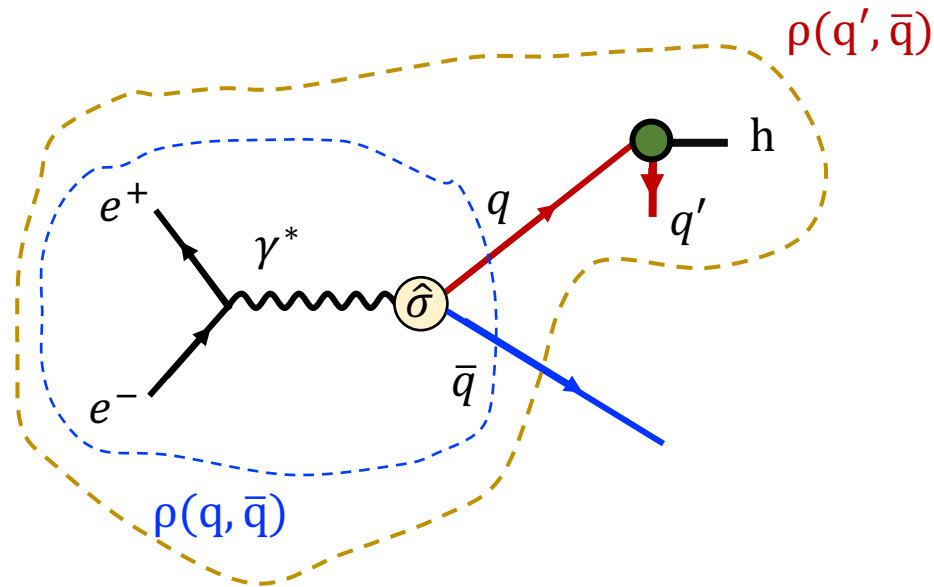
$$\frac{dP(q \rightarrow h + q'; q\bar{q})}{dZ_+ Z_+^{-1} d^2 p_T} = \text{Tr}_{q'\bar{q}} \mathbf{T}_{q',h,q} \rho(q, \bar{q}) \mathbf{T}_{q',h,q}^\dagger = F_{q',h,q}(Z_+, \mathbf{p}_T; \mathbf{k}_T, C^{q\bar{q}})$$

$$\mathbf{T}_{q',h,q} \equiv \mathbf{T}_{q',h,q} \otimes 1_{\bar{q}}$$

in the QHF

- For VM emission need also to handle the polarized decay
→ backup

Recursive recipe for e^+e^-



Steps:

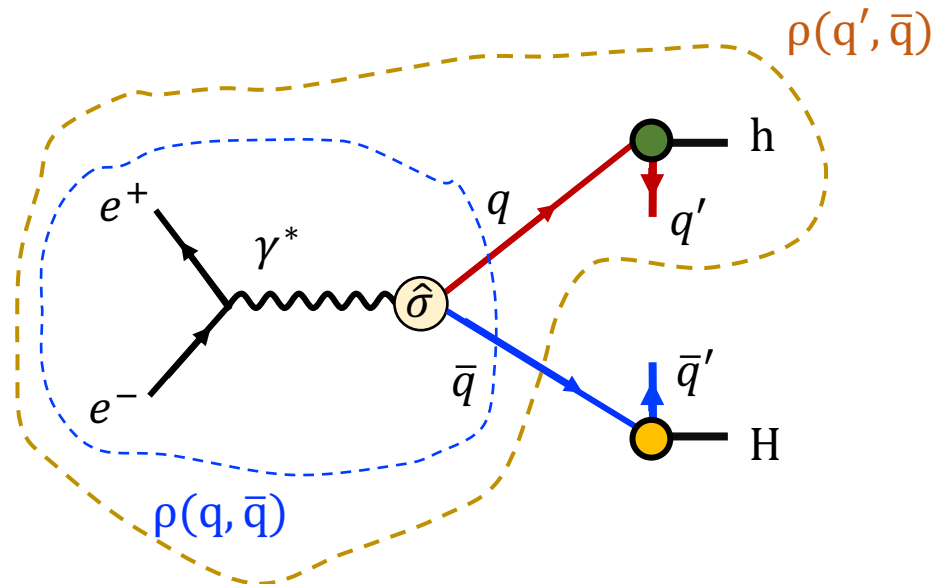
1. Hard scattering
2. Joint spin density matrix
3. Hadron emission from q
- 4. Update density matrix**
5. Hadron emission from \bar{q}
6. Exit condition

□ Evaluate the spin density matrix $\rho(q', \bar{q})$

$$\rho(q', \bar{q}) = \mathbf{T}_{q', h, q} \rho(q, \bar{q}) \mathbf{T}_{q', h, q}^\dagger$$

includes the information on the emission of h

Recursive recipe for e^+e^-



Steps:

1. Hard scattering
2. Joint spin density matrix
3. Hadron emission from q
4. Update density matrix
- 5. Hadron emission from \bar{q}**
6. Exit condition

□ Emit a hadron from the \bar{q} side using the splitting function

$$\frac{dP(\bar{q} \rightarrow H + \bar{q}'; q'\bar{q})}{dZ_- Z_-^{-1} d^2P_T} = \text{Tr}_{q'\bar{q}'} \mathbf{T}_{\bar{q}', H, \bar{q}} \rho(q', \bar{q}) \mathbf{T}_{q', H, \bar{q}}^\dagger = F_{\bar{q}', H, \bar{q}}(Z_-, P_T; \bar{\mathbf{k}}_T, C^{q'\bar{q}})$$

Depend on the azimuthal angle h

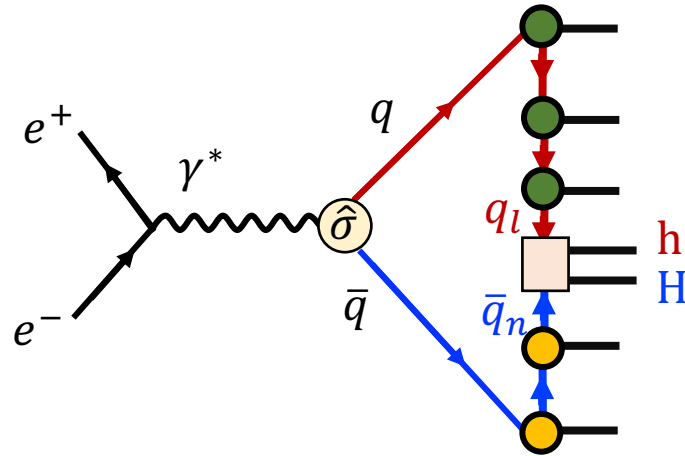
↓

Expressed in the AHF

conditional probability of emitting H , having emitted h
 → correlations between the transverse momenta

[Collins NPB, 304:794–804, 1988, Knowles NPB, 310:571–588, 1988]

Recursive recipe for e^+e^-



Steps:

1. Hard scattering
2. Joint spin density matrix
3. Hadron emission from q
4. Update density matrix
5. Hadron emission from \bar{q}
- 6. Exit condition**

[AK, X. Artru, PRD 109 (2024) 5, 054029]

- Iterate until the exit condition is called and the last quark pair is hadronized
more details in PRD 109 (2024) 5, 054029

Tuning of StringSpinner

with A. Buckley, C. Gutschow, L. Lönnblad (ongoing)

Tuning of StringSpinner: procedure

❑ Sample $\vec{p}_i = (\text{Re}(\mu), \text{Im}(\mu), f_L, \theta_{LT})_i$ (100 times)

- for each \vec{p}_i

run Pythia+StringSpinner

calculate observables $O_1, O_2 \dots$ (Collins, 2h asymmetries)

❑ Parametrize $O_b^{\text{MC}}(\vec{p})$ as function of \vec{p} for each bin b

❑ Minimize

$$X^2 = \sum_O \sum_b \frac{(O_b^{\text{MC}}(\vec{p}) - O_b^{\text{D}})^2}{\sigma_{O_b^{\text{MC}}}^2 + \sigma_{O_b^{\text{D}}}^2}$$

❑ Obtain \vec{p}_{tune}

PROFESSOR 2

A. Buckley et al., EPJ C 65 (2010) 331-357

Tuning of StringSpinner: data

☐ SIDIS with p^\uparrow target

Collins asymmetries

COMPASS

π^\pm, K^\pm, K^0 PLB 717 (2012) 376

ρ^0 PLB 843 (2023) 137950

HERMES

π^\pm, K^\pm, π^0 PLB 693 (2010) 11

2h asymmetries

COMPASS

$\pi\pi, \pi K, KK$ PLB 845 (2023) 138155

HERMES

$\pi\pi$ JHEP 06 (2008) 017

☐ e^+e^- annihilation

Collins asymmetries

BELLE $A_{12}^{UL(UC)}$ $\pi\pi$ PRD 100, 092008 (2019)

BELLE $A_{12}^{UL(UC)}, A_0^{UL(UC)}$ $\pi\pi$ PRD 78, 032011 (2008)

BABAR $A_0^{UL(UC)}(P_{T0})$ $\pi\pi$ PRD 90, 052003 (2014)

$A_{12}^{UL(UC)}$ $\pi\pi, \pi K, KK$ PRD 92, 111101(R) (2015)

$A_0^{UL(UC)}$ $\pi\pi, \pi K, KK$ PRD 92, 111101(R) (2015)

Tuning of StringSpinner: data

□ SIDIS with p^\uparrow target

Collins asymmetries

COMPASS

π^\pm, K^\pm, K^0

ρ^0

HERMES

π^\pm, K^\pm, π^0

2h asymmetries

COMPASS

$\pi\pi, \pi K, KK$

HERMES

$\pi\pi$

□ e^+e^- annihilation

Collins asymmetries

BELLE $A_{12}^{UL(UC)}$ $\pi\pi$

BELLE $A_{12}^{UL(UC)}, A_0^{UL(UC)}$ $\pi\pi$

BABAR $A_0^{UL(UC)}(P_{T0})$ $\pi\pi$

$A_{12}^{UL(UC)}$ $\pi\pi, \pi K, KK$

$A_0^{UL(UC)}$ $\pi\pi, \pi K, KK$

Tune

~ 680 data points
 $\chi^2/ndf \sim 2.2$

$\text{Re}(\mu) = 0.11$
 $\text{Im}(\mu) = 0.33$

$f_L = 0.83$

$\theta_{LT} = 0.09$

preliminary

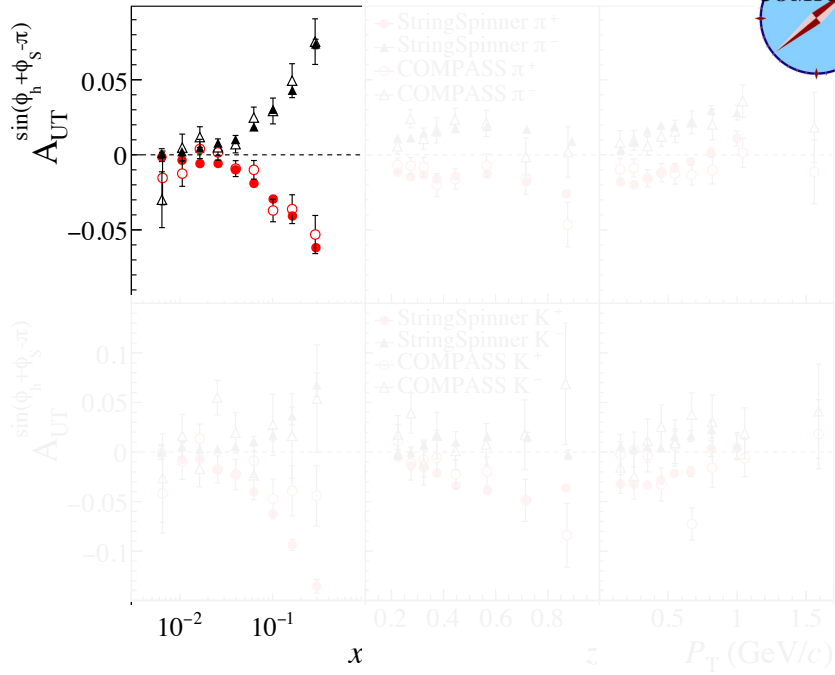
Results from the tune

with A. Buckley, C. Gutschow, L. Lönnblad (ongoing)

TSA in SIDIS: Collins



PLB 717 (2012) 376

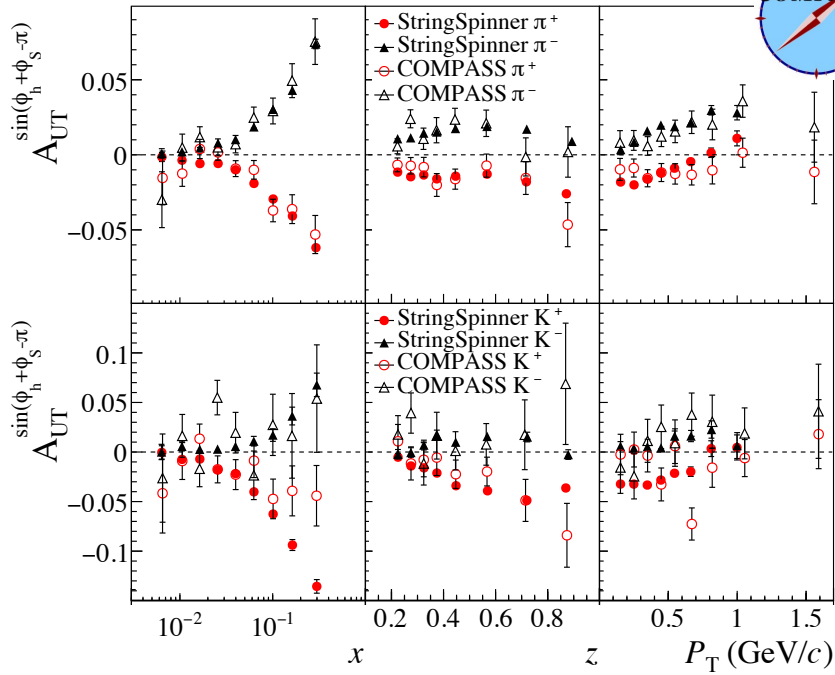


Collins asymmetry @ COMPASS

TSA in SIDIS: Collins

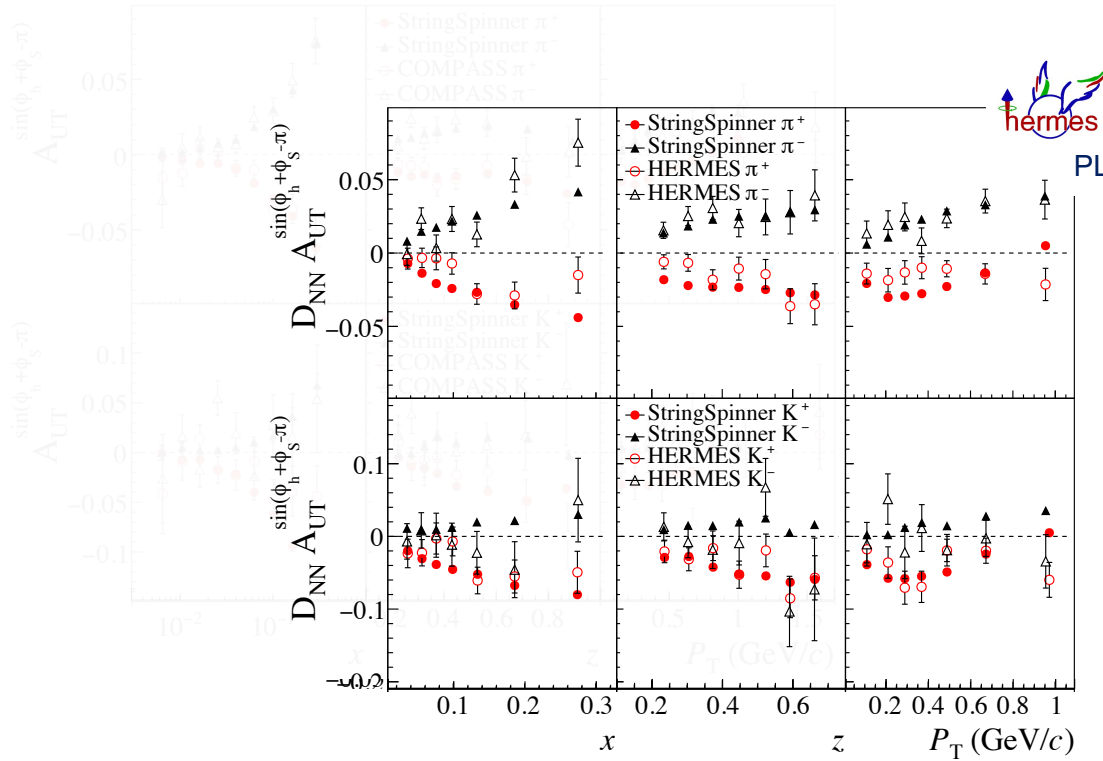


PLB 717 (2012) 376



Collins asymmetry @ COMPASS

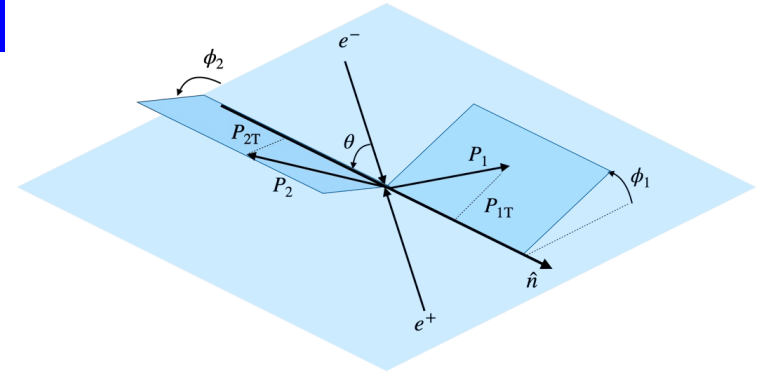
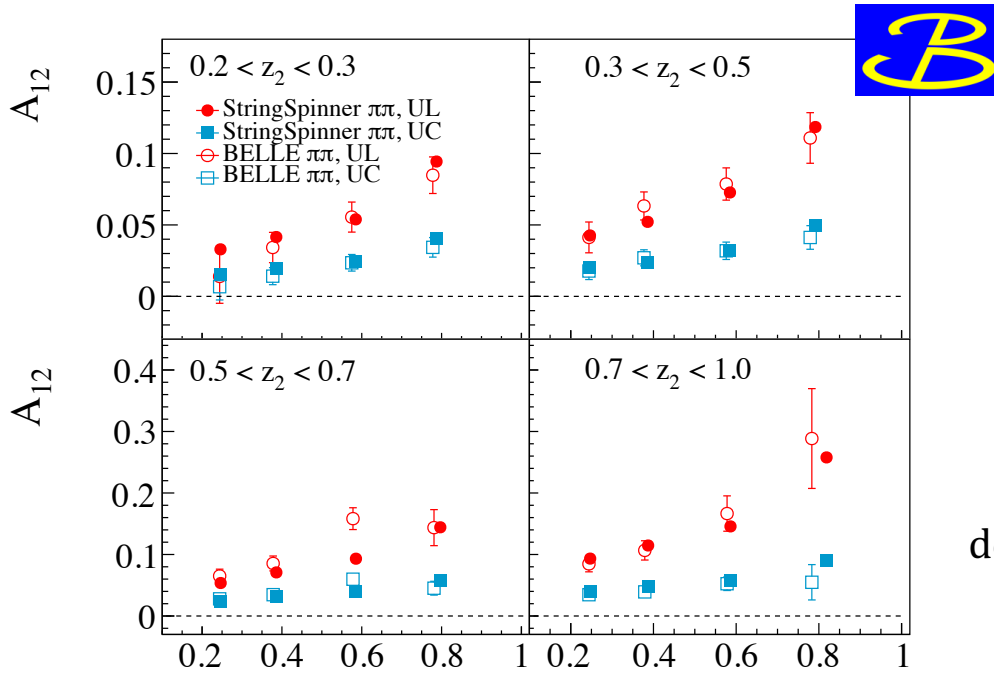
TSA in SIDIS: Collins



PLB 693 2010) 11

Collins asymmetry @ HERMES

e^+e^- : Collins

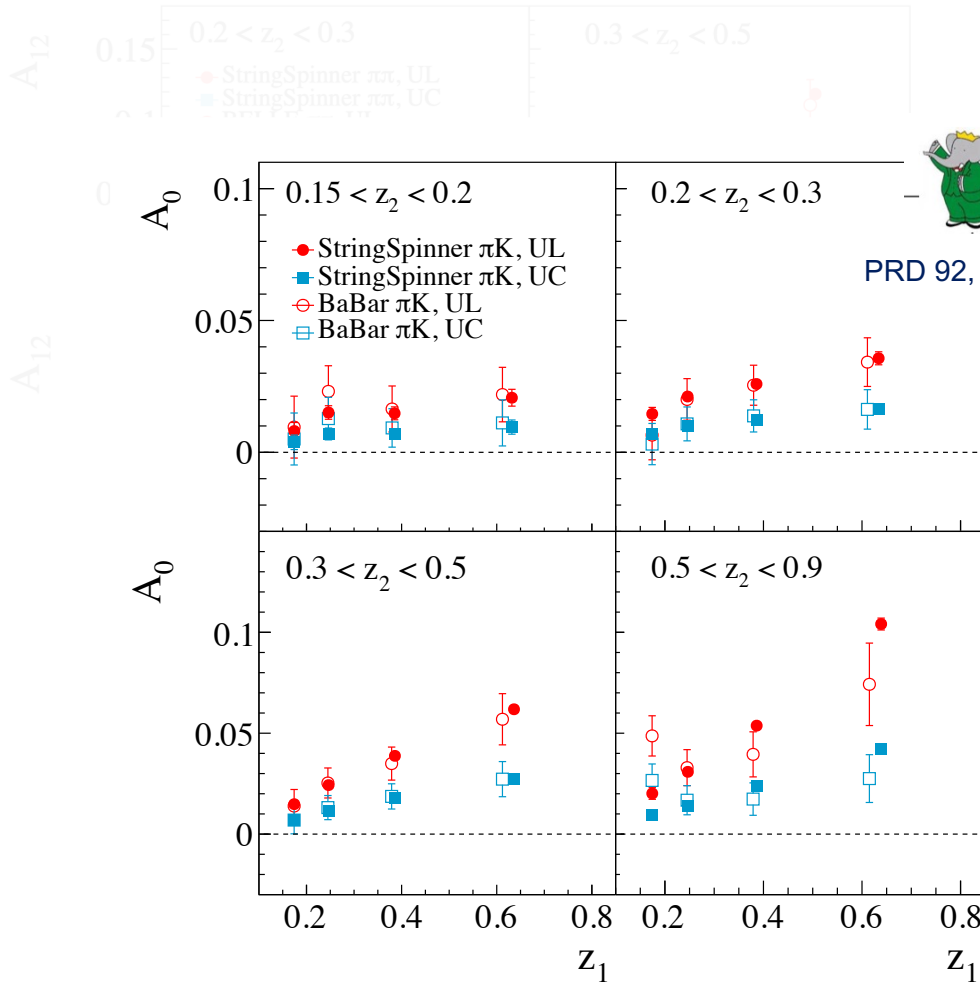


$$d\sigma^{h_1 h_2} \propto 1 + \hat{a}_{NN}(\theta) A_{12} \cos(\phi_1 + \phi_2) + \dots$$

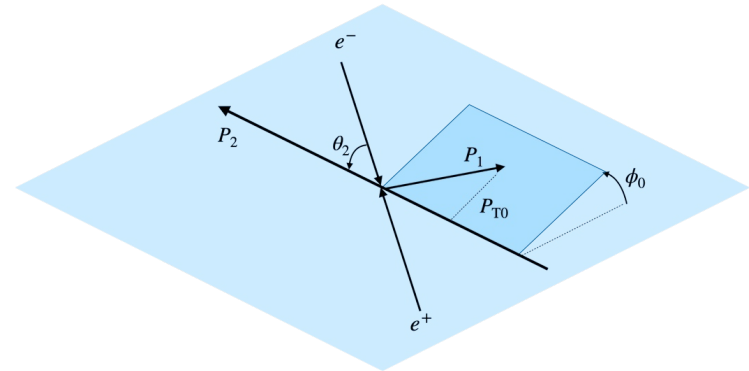
$$A_{12} \simeq \frac{\sum_q e_q^2 H_{1q}^{\perp h_1} \times H_{1q}^{\perp h_2}}{\sum_q e_q^2 D_{1q}^{h_1} \times D_{1q}^{h_2}}$$

Back-to-back pions @ BELLE

e^+e^- : Collins



Back-to-back pions and kaons @ BABAR



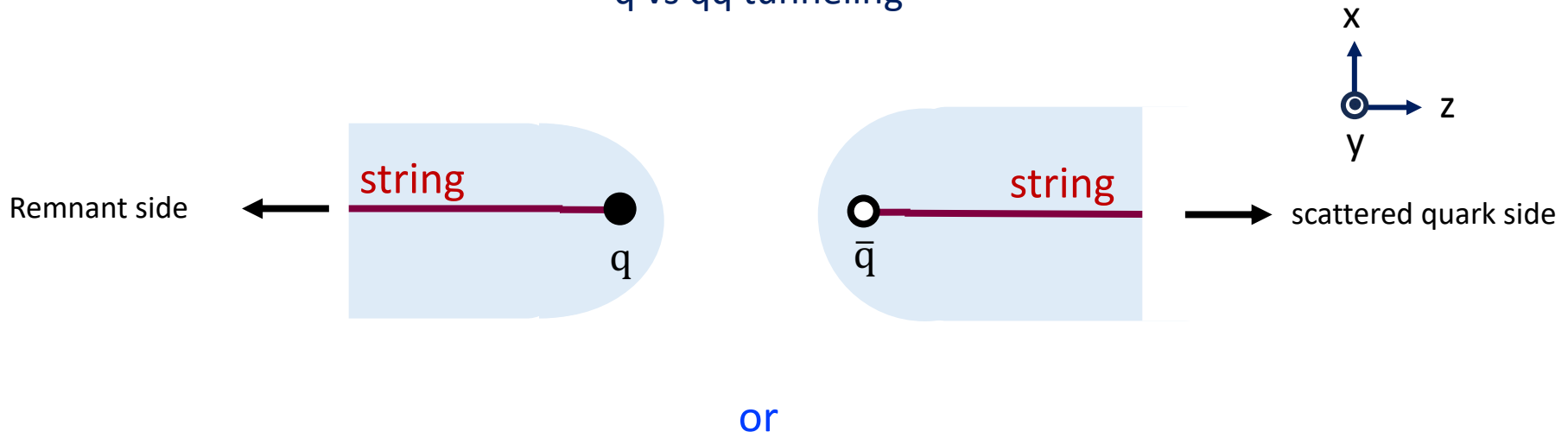
$$d\sigma^{h_1 h_2} \propto 1 + \hat{a}_{NN}(\theta_2) A_0 \cos(2\phi_0) + \dots$$

$$A_0 \simeq \frac{\sum_q e_q^2 C[w H_{1q}^{\perp h_1} \times H_{1q}^{\perp h_2}]}{\sum_q e_q^2 C[D_{1q}^{h_1} \times D_{1q}^{h_2}]}$$

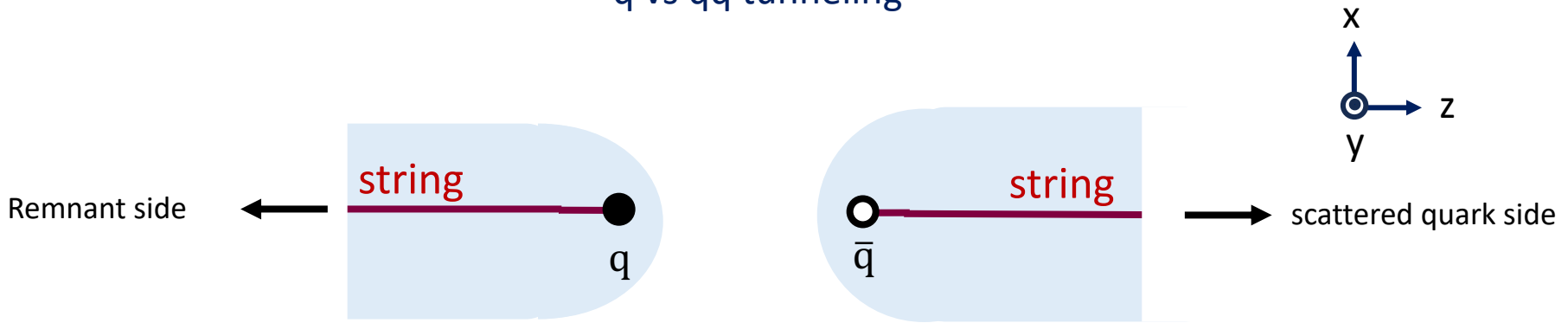
Production of spin-1/2 baryons

AK, X. Artru, PRD 113 (2026) 3, 034007

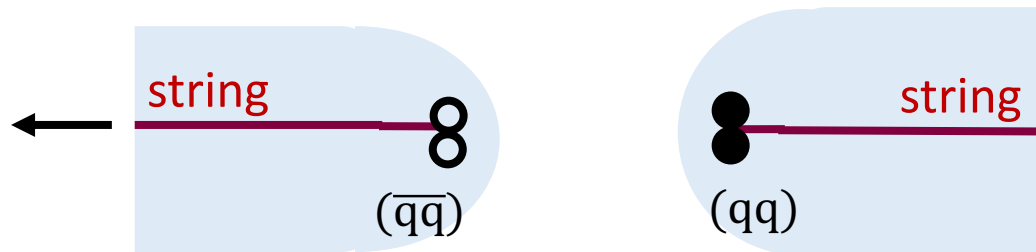
String breaking q vs qq tunneling



String breaking q vs qq tunneling



or

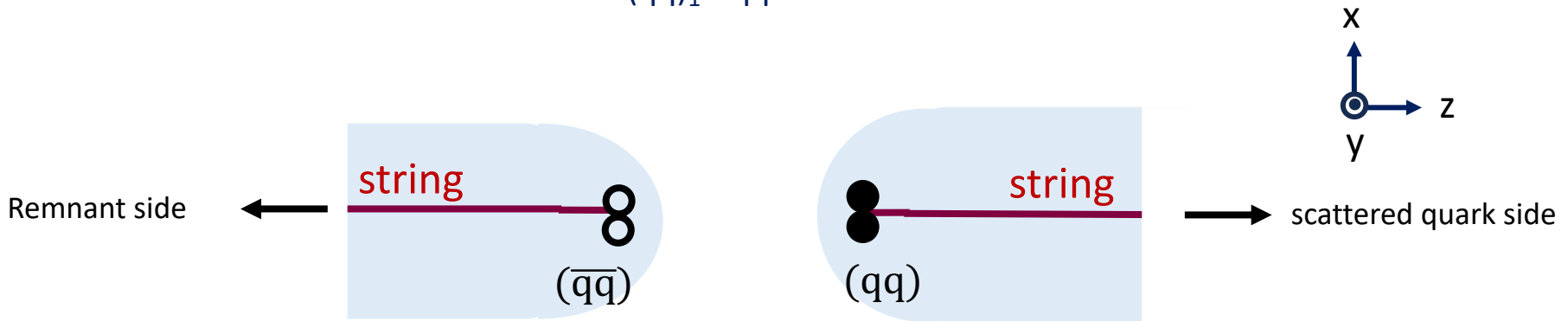


diquark tunneling suppressed w.r.t quark tunneling

$$\frac{P_{qq}}{P_q} \approx 0.1$$

Pythia 8

String breaking (qq)₁ suppression

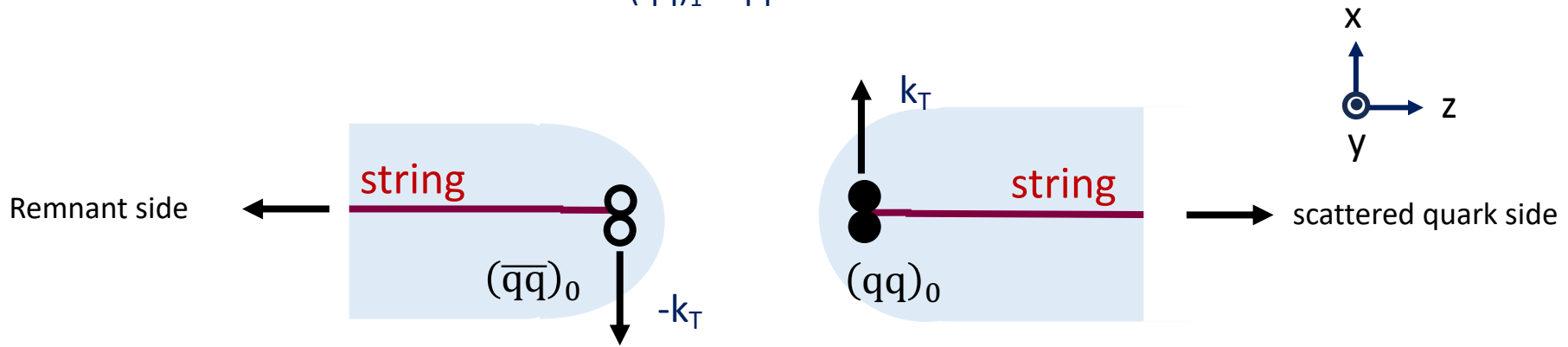


Suppression of spin-1 diquarks

$$\frac{P_{(qq)_1}}{P_{(qq)_0}} \approx 0.03$$

Pythia 8

String breaking (qq)₁ suppression

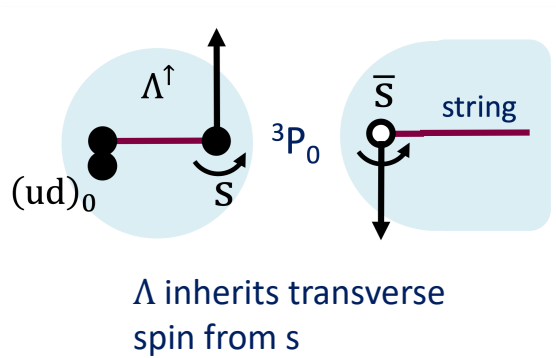
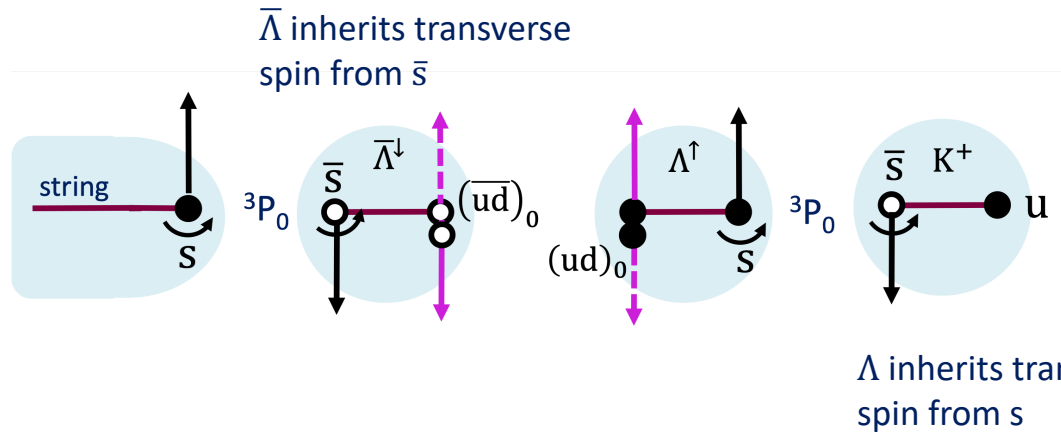


Local conservation of k_T for $(qq)_0$

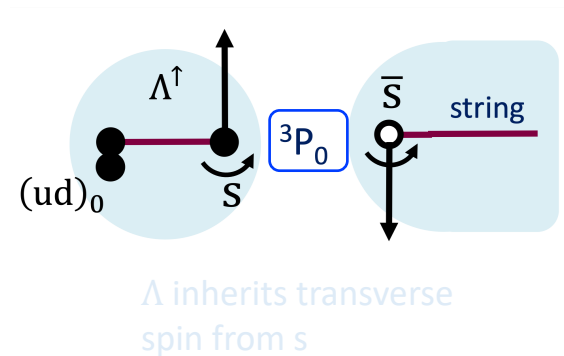
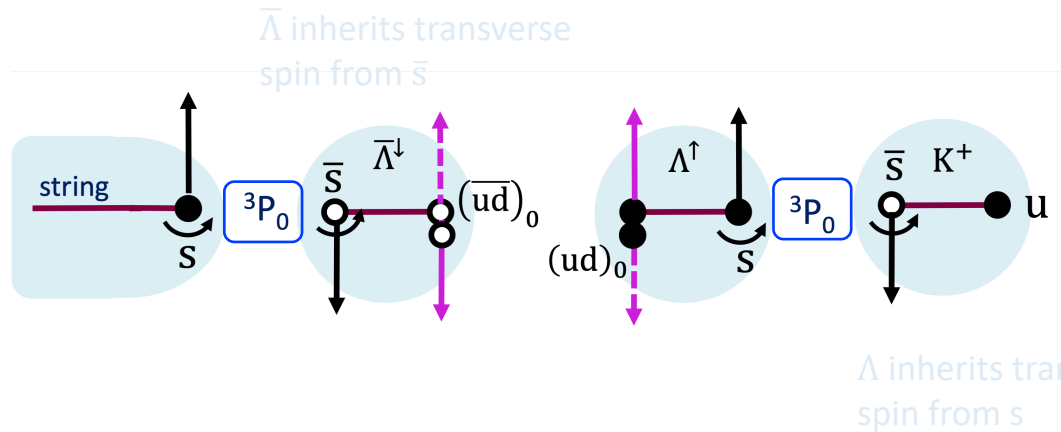
Local conservation of $\vec{J} = \vec{L} + \vec{S}$ for $(qq)_1$

⁵D₀ mechanism *AK, X. Artru, PRD 113 (2026) 3, 034007*

Hyperon production



Hyperon production



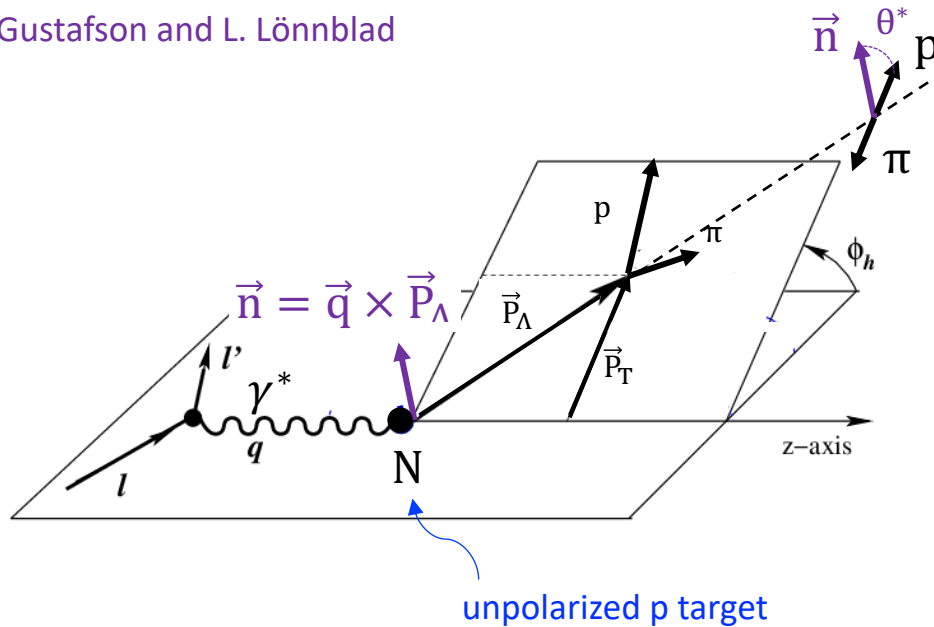
3P_0 breakings \rightarrow spin parameters from Collins effect!

\sim negative x_F
TFR

All this implemented in StringSpinner... (not public yet)

Spontaneous polarization of Λ and $\bar{\Lambda}$

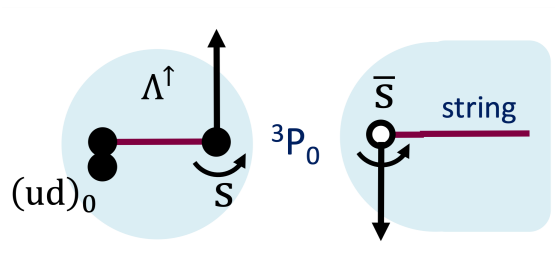
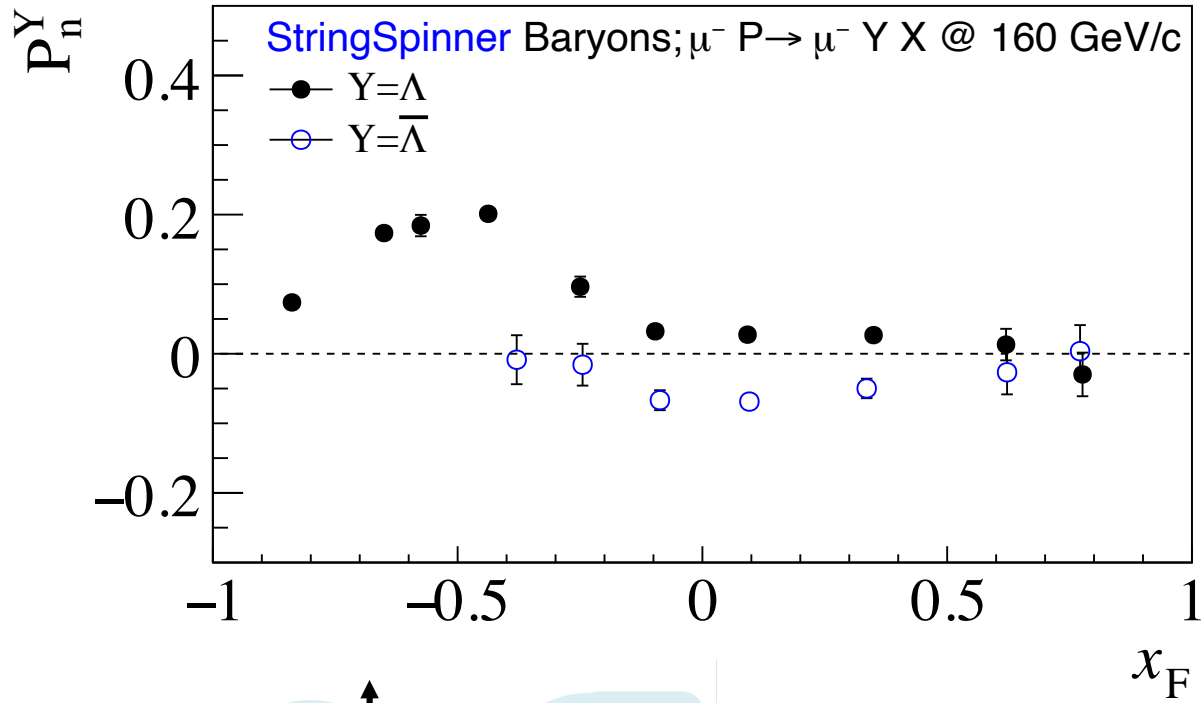
with G. Gustafson and L. Lönnblad



Extracted from the angular distribution of the decay proton in the Λ rest frame

$$\frac{dN_p}{d\cos\theta^*} \propto 1 + \alpha_Y P_n^Y \cos\theta^* \quad \alpha_\Lambda \approx 0.73, \alpha_{\bar{\Lambda}} \approx -0.76 \quad [\text{PDG}]$$

Λ, Λ̄ production in the TFR in DIS: spontaneous polarization



Conclusions

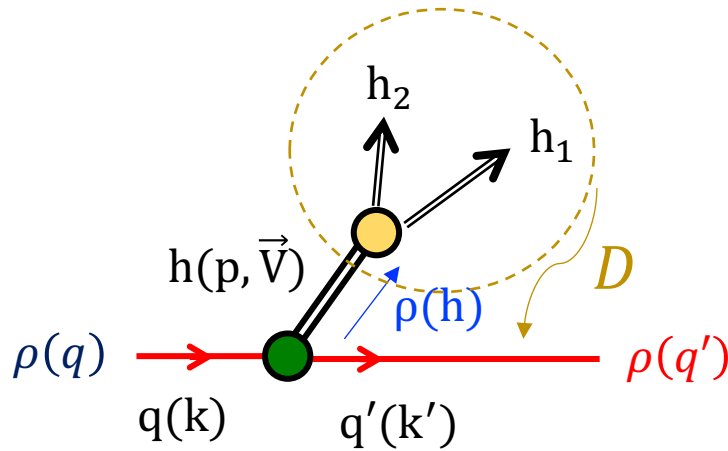
- ❑ Spin in Pythia via StringSpinner, using string+ 3P_0
- ❑ Applied to DIS and e^+e^-
tuning ongoing, results promising
- ❑ Baryon production included recently using a diquark based model
- ❑ String+ 3P_0 and StringSpinner under active development
connection of spin effects between PS and hadronization...

we aim at preparing a MC with spin effects in all stages of the event generation

Backup

Vector meson emission in string+ 3P_0

AK, Artru, Martin, PRD 104, 114038 (2021)



Emission probability

$$dP(q \rightarrow h + q') = \text{Tr} \sum_{\vec{V}} T_{q',h,q}^{\vec{V}} \rho(q) T_{q',h,q}^{\vec{V}\dagger} dZZ^{-1} d^2\mathbf{p}_T$$

Density matrix of VM

$$\rho_{ab}(h) = T_{q',h,q}^a \rho(q) T_{q',h,q}^{b\dagger}$$

Decay of the VM

$$dN/d\Omega \propto M_{\text{decay}}(h \rightarrow h_1 h_2 \dots) \rho(h) M_{\text{decay}}^\dagger(h \rightarrow h_1 h_2 \dots)$$

Decay matrix

$$D = M_{\text{decay}}(h \rightarrow h_1 h_2 \dots) M_{\text{decay}}^\dagger(h \rightarrow h_1 h_2 \dots)$$

Collins '88, Knowles, '88

Propagation of quark spin

$$\rho(q') = T_{q',h,q}^a \rho(q) T_{q',h,q}^{b\dagger} D_{ba}(p_1, p_2, \dots) / \text{Tr}[\dots]$$