

Review on Quarkonium Physics

recent progress

many outstanding issues for the future



Pietro Colangelo - INFN - Bari - Italy
EuroFlavour08
Durham, UK, 22-27 September 2008

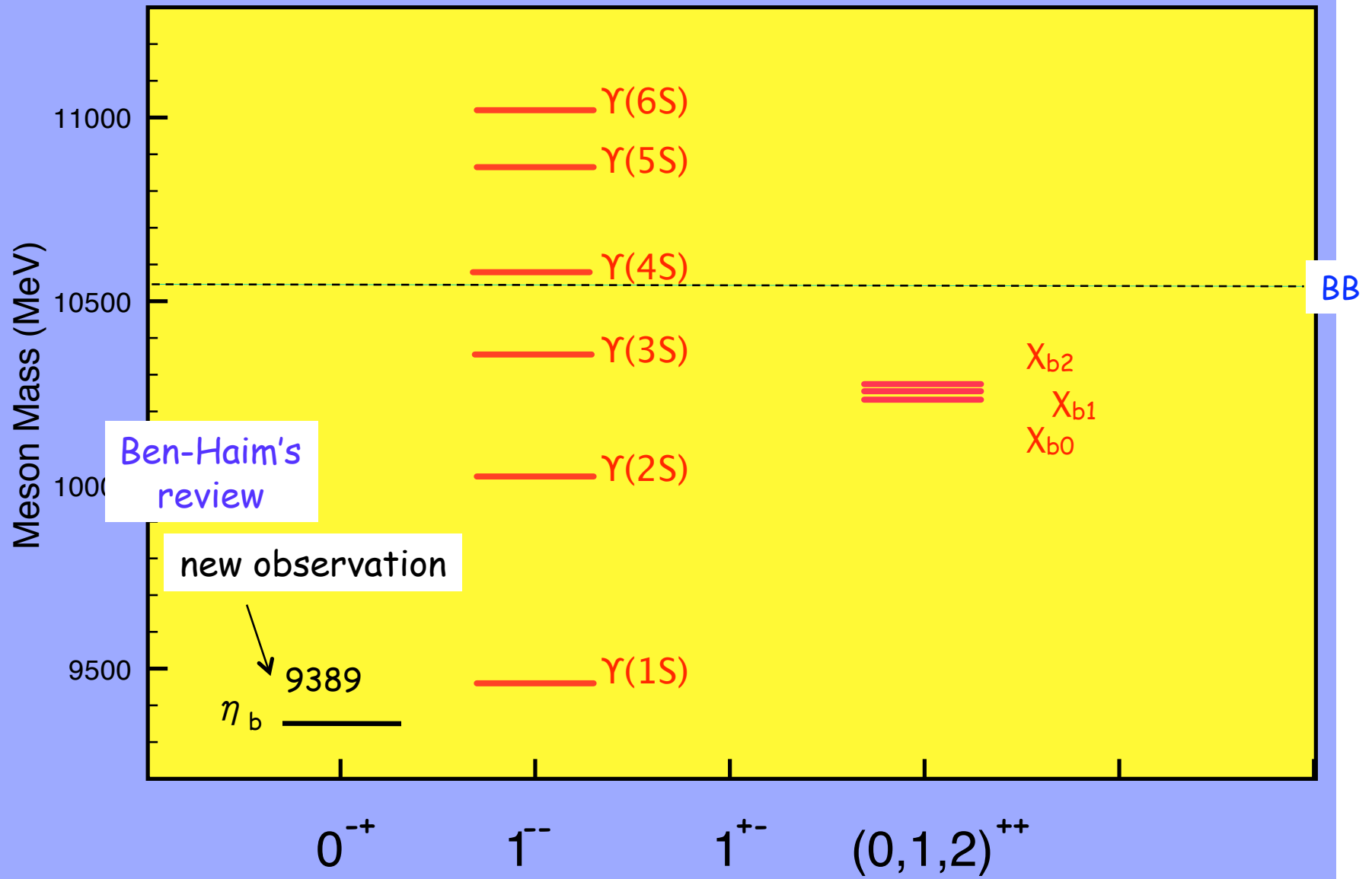


Phenomenology:

- News in bottomonium and charmonium
- Problems

Theory:

- Progress in Effective Theories
- Determination of Standard Model parameters



BaBar 2008

$Y(3S) \rightarrow \eta_b \gamma$

$$M(\eta_b) = 9388_{-2.3}^{+3.1} \pm 2.7 \text{ MeV}$$

$$M(Y(1S)) - M(\eta_b) = 71.4_{-3.1}^{+2.3} \pm 2.7 \text{ MeV}$$

| | $M_{Y(1S)} - M_{\eta_b}$ [MeV] | | | Ref |
|-------------------|--------------------------------|---|-----|---|
| lattice NRQCD | 19 | – | 100 | Bali (2000) El-Khadra (1995) et al |
| lattice potential | 60 | – | 110 | Bali (1997) |
| pQCD | 36 | – | 55 | Brambilla (2001) |
| 1/m expansion | 34 | – | 114 | Narison (1995) |
| potential model | 57 | – | 141 | Rosner, Barnes, Eichten, Ebert et al. (1994-2000) |

TH:

Liao & Manke 2002

Recksiegel & Sumino 2004

Ebert, Faustov & Galkin 2003

Kniehl et al, 2004

Nardulli et al, 2007



$$M(Y(1S)) - M(\eta_b) \stackrel{TH}{=} 35 - 60 \text{ MeV}$$

- hyperfine splitting slightly larger than predicted:
refinement needed in theory analyses

- input for an independent determination of $\alpha_s(M_{Y(1S)})$ and m_b

- possibility of observing η_b decays: $\eta_b \rightarrow \Upsilon \Upsilon$

analysis based on heavy quark spin symmetry

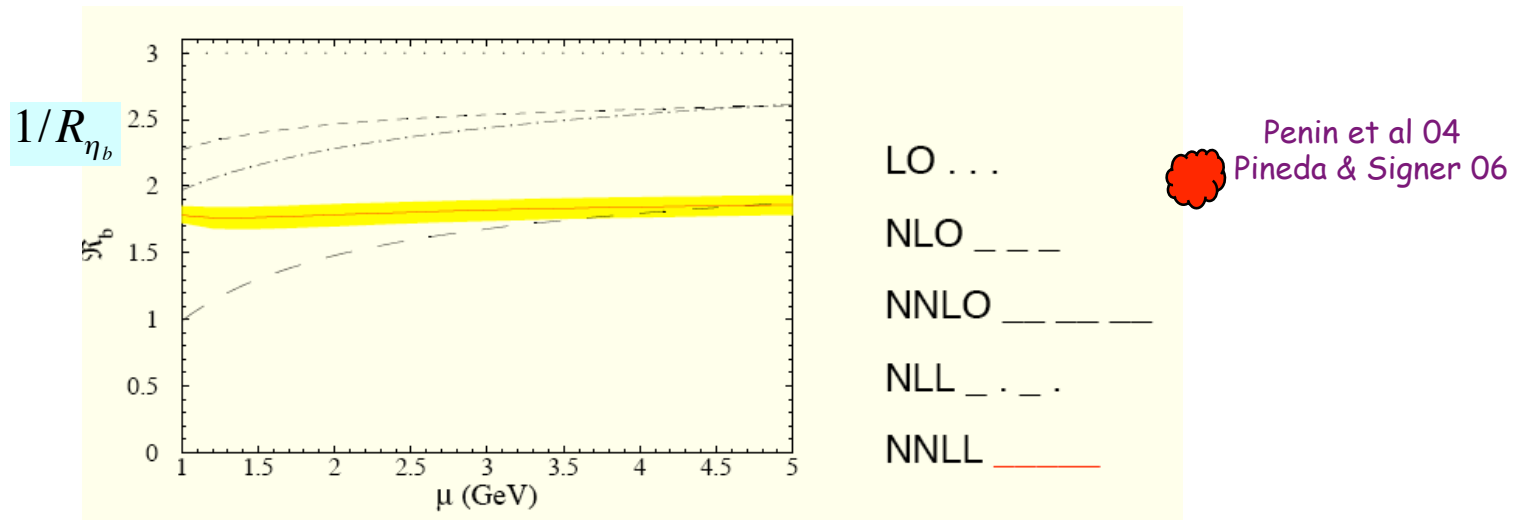
Lansberg & Pham 07 

$$R_{\eta_b} = \frac{\Gamma_{\gamma\gamma}(\eta_b)}{\Gamma_{\ell\bar{\ell}}(\Upsilon)} = 3 Q_b^2 \frac{M_\Upsilon}{M_{\eta_b}} \left(1 + \frac{\alpha_s}{\pi} \frac{(\pi^2 - 4)}{3} \right)$$

| $\Gamma_{\gamma\gamma}$ | This paper | Sch. [22] | Lak. [17] | Ack. [23] | Kim [24] | Ahm. [25] | Mün. [26] | Eb. [27] | God. [18] | Fab. [28] | Pen. [19] |
|-------------------------|------------|-----------|-----------|-----------|--------------|-----------|--------------|----------|-----------|---------------|--------------|
| η_b | 560 | 460 | 230 | 170 | 384 ± 47 | 520 | 220 ± 40 | 350 | 214 | 466 ± 101 | 659 ± 92 |
| η'_b | 269 | 200 | 70 | - | 191 ± 25 | - | 110 ± 20 | 150 | 121 | - | - |
| η''_b | 208 | - | 40 | - | - | - | 84 ± 12 | 100 | 90.6 | - | - |

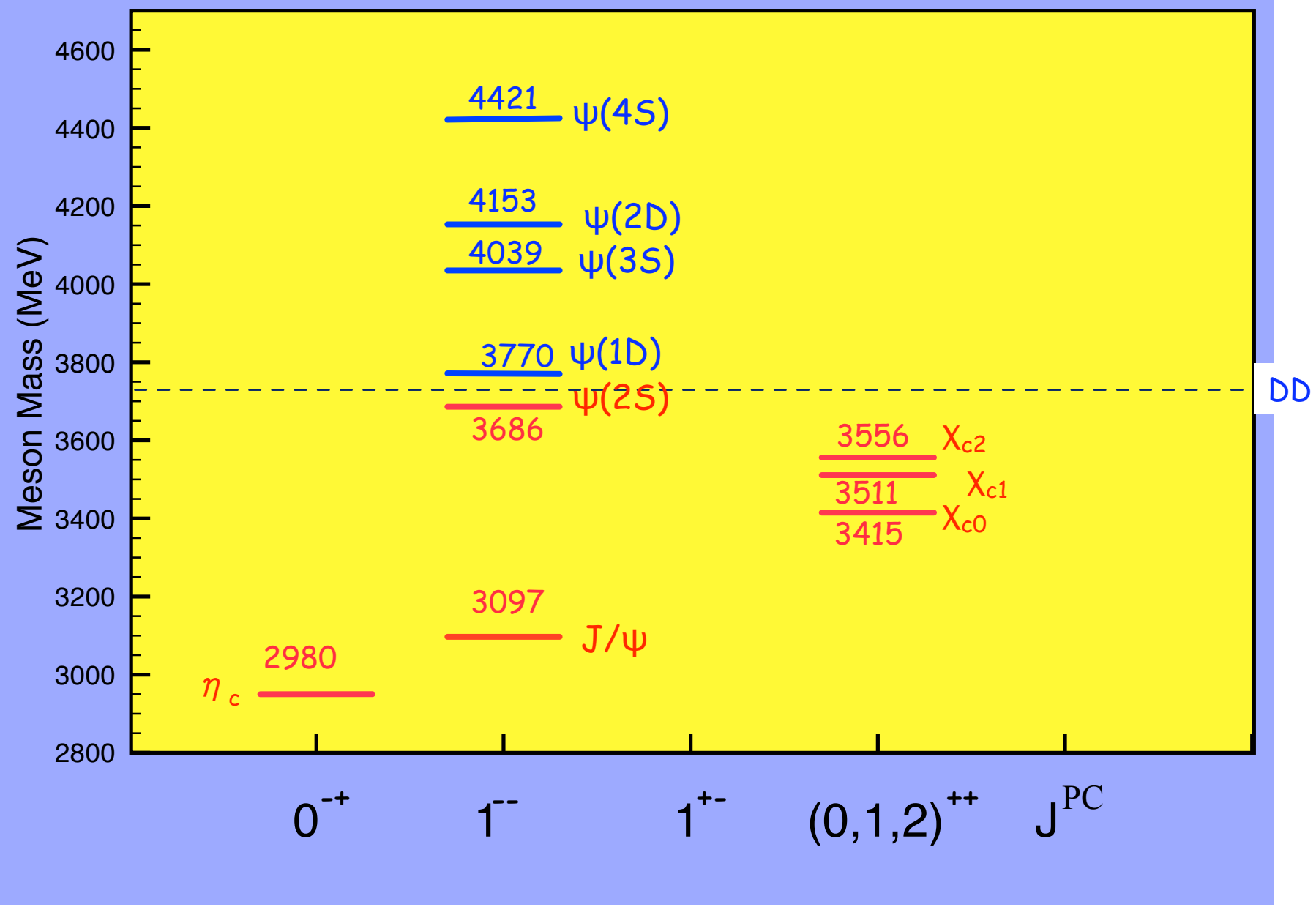
TABLE I: Summary of theoretical predictions for $\Gamma_{\gamma\gamma}(\eta_b)$, $\Gamma_{\gamma\gamma}(\eta'_b)$ and $\Gamma_{\gamma\gamma}(\eta''_b)$. (All values are in units of eV).

$1/m_b$ corrections to be determined



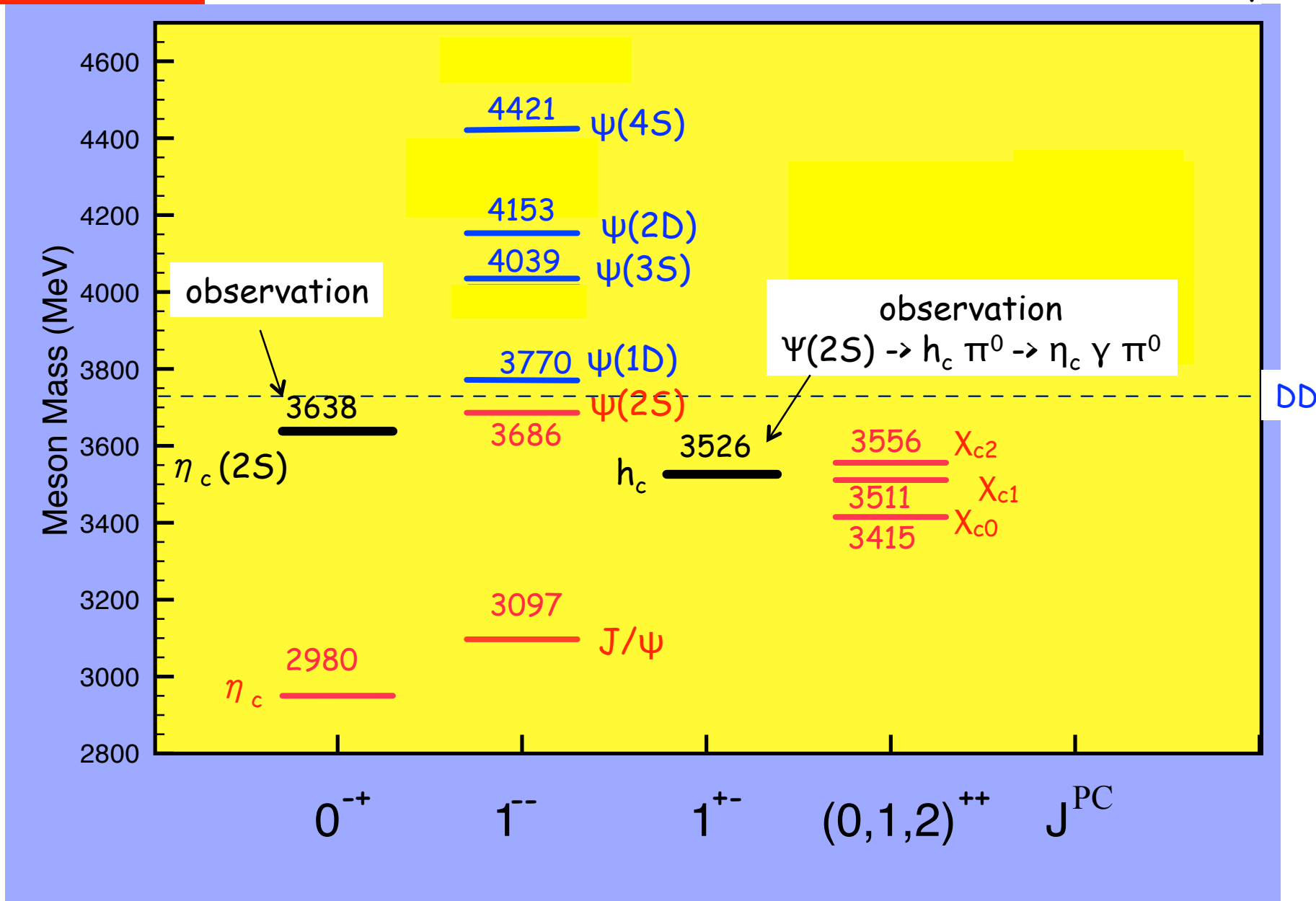
charmonium

PDG 2000



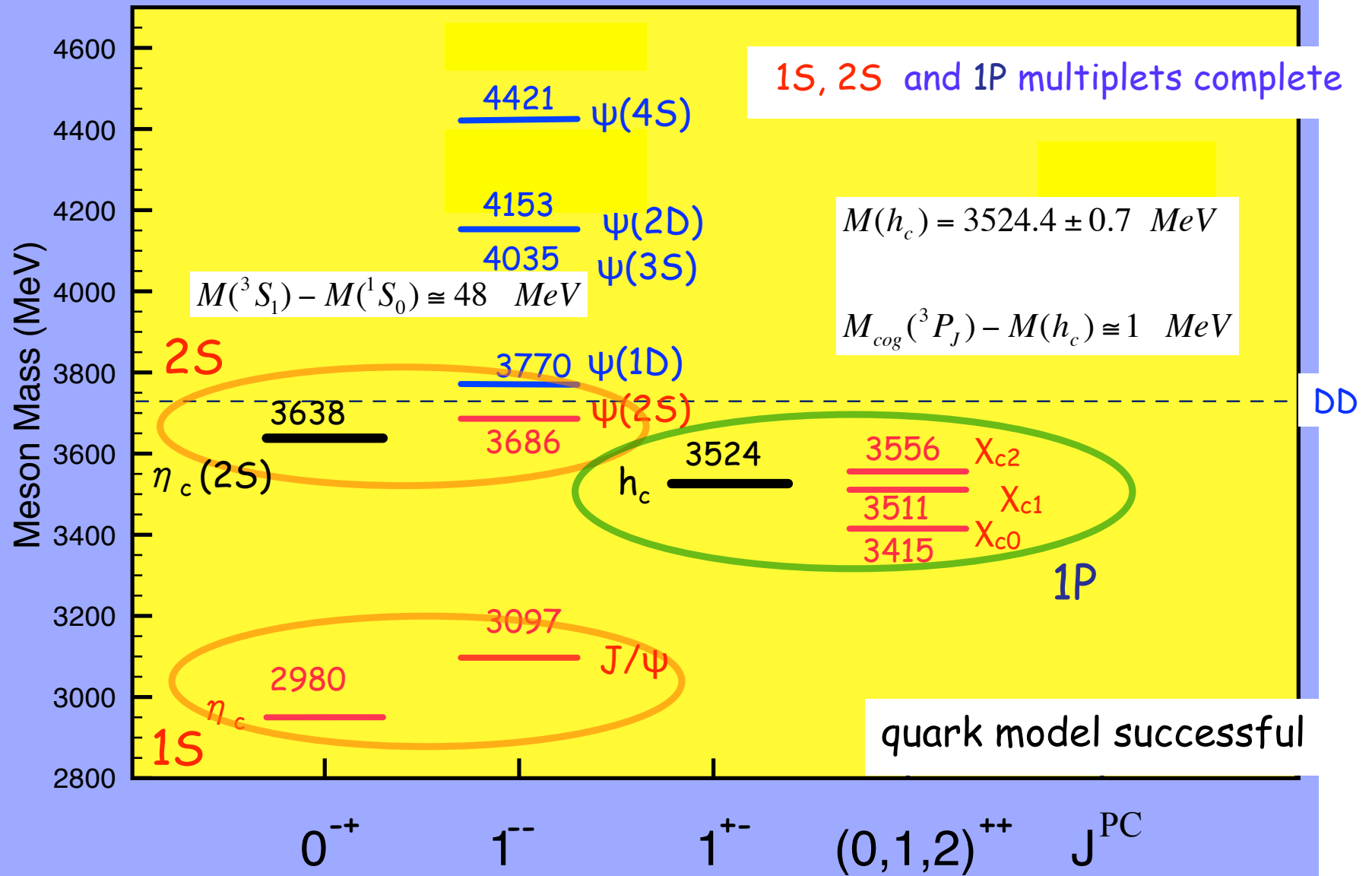
charmonium

PDG 2008+B factory data



charmonium

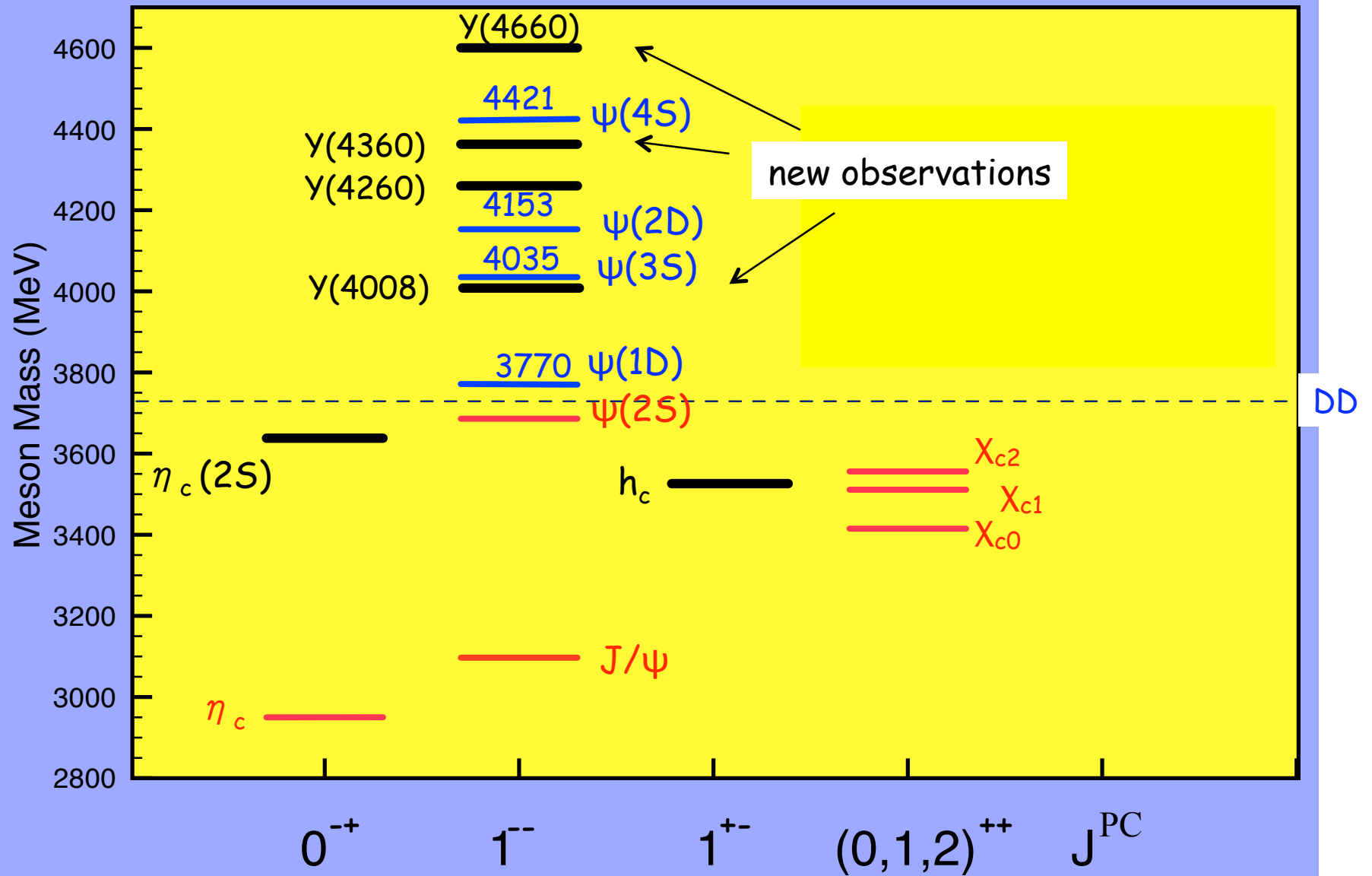
PDG 2008+B factory data



charmonium

four new 1^- states

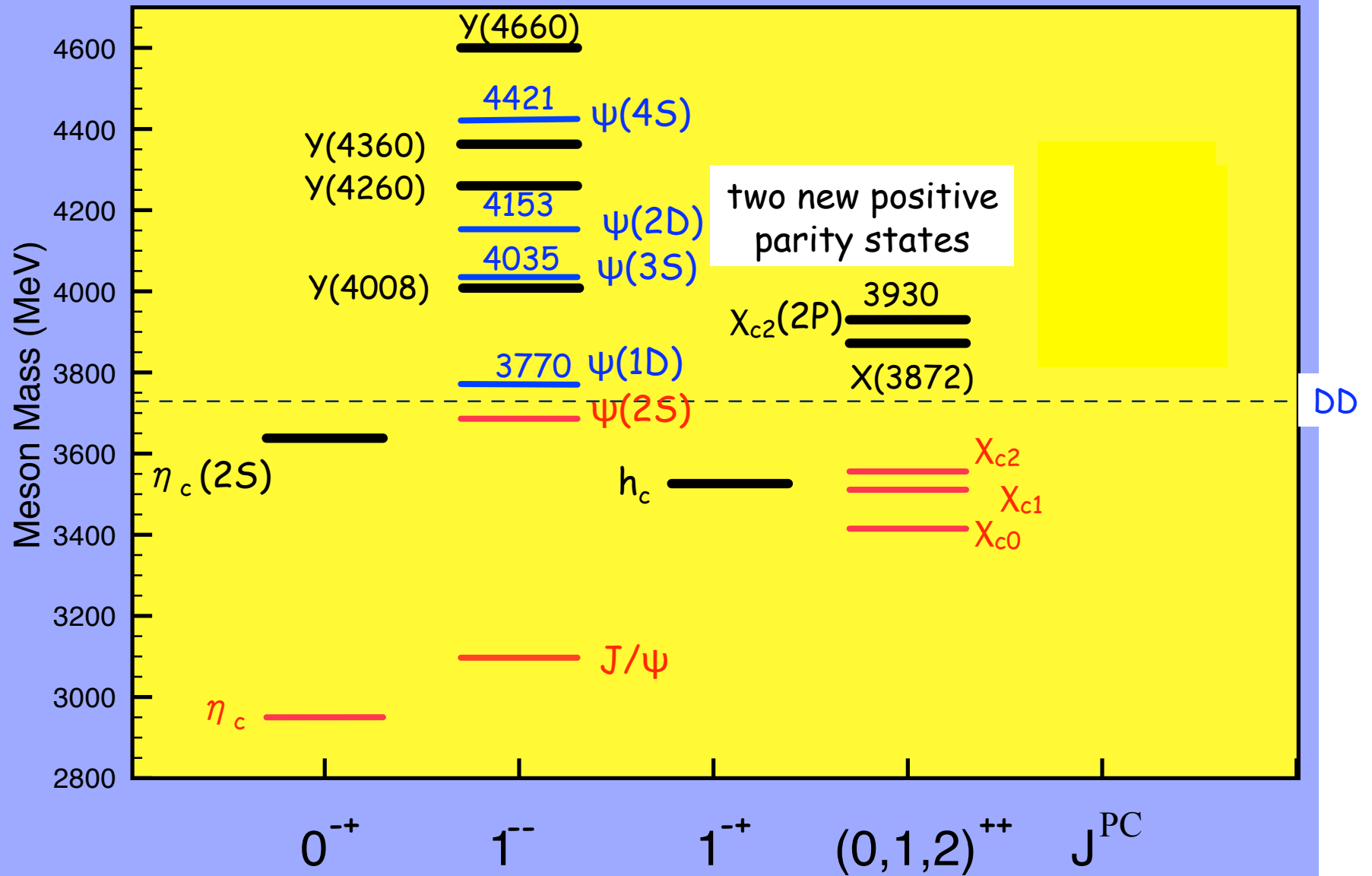
PDG 2008+B factory data



charmonium

four new 1^- states

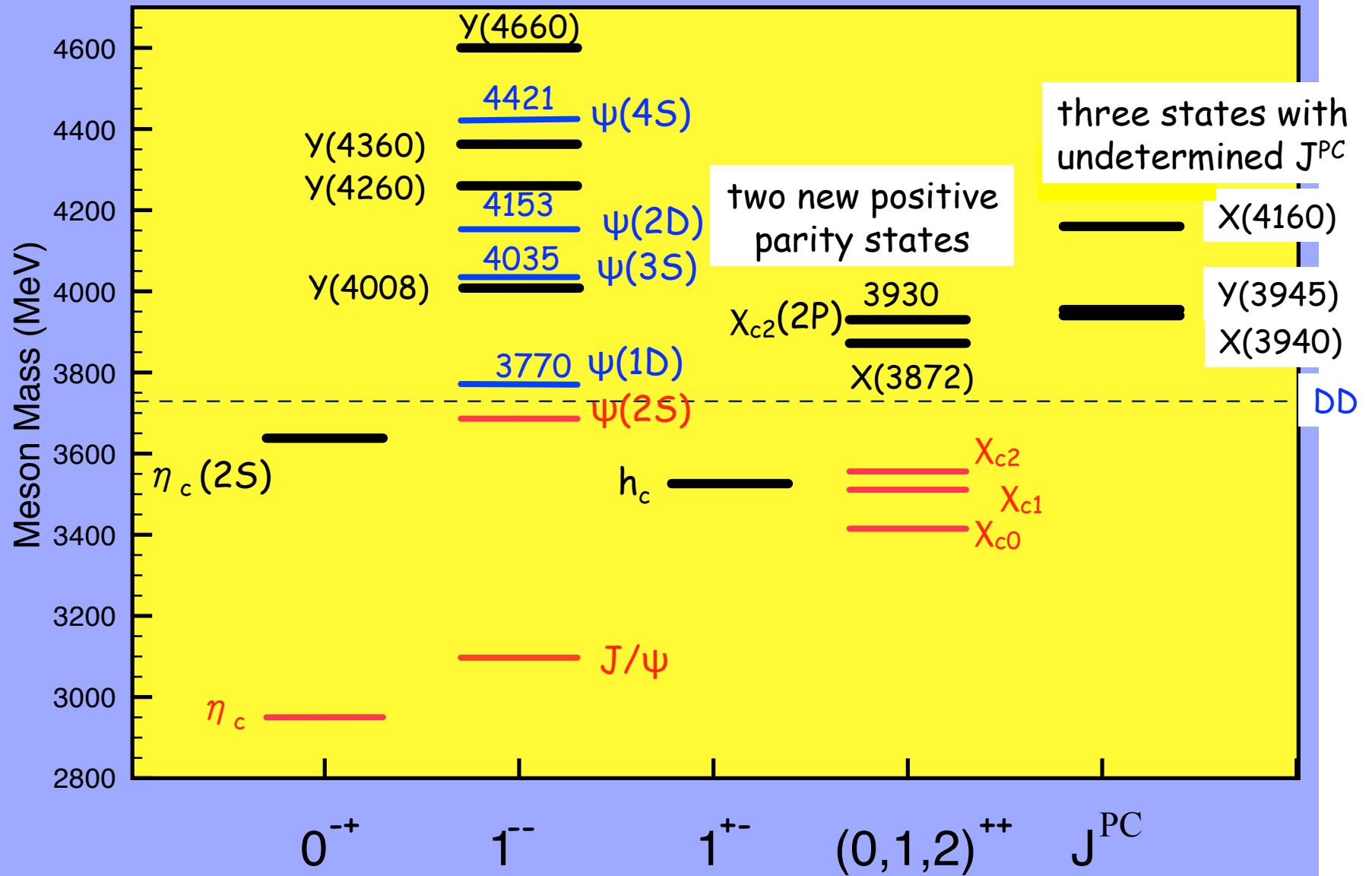
PDG 2008+B factory data



charmonium

four new 1^- states

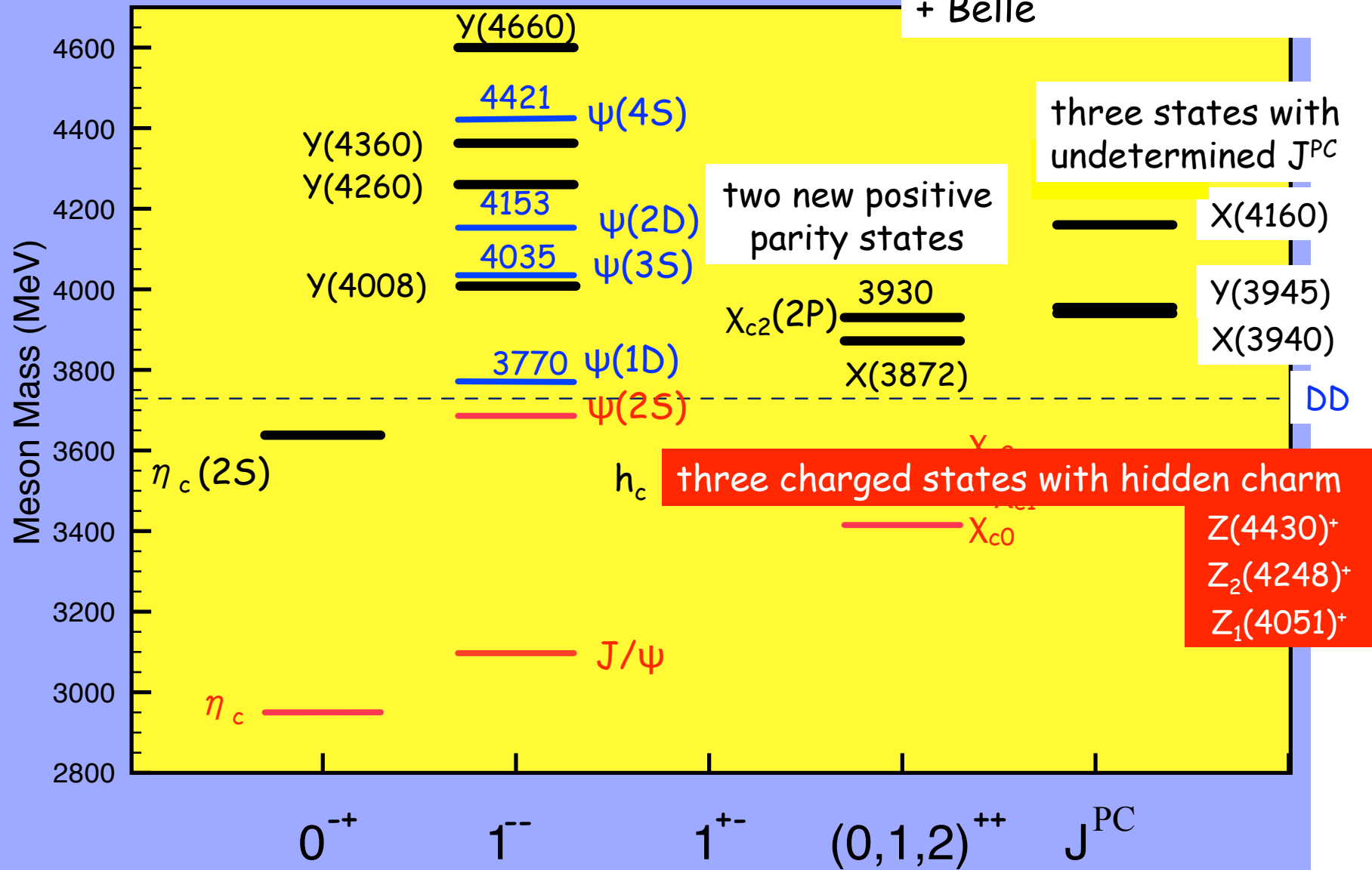
PDG 2008+B factory data



charmonium

four new 1^- states

PDG 2008+B factory data + Belle



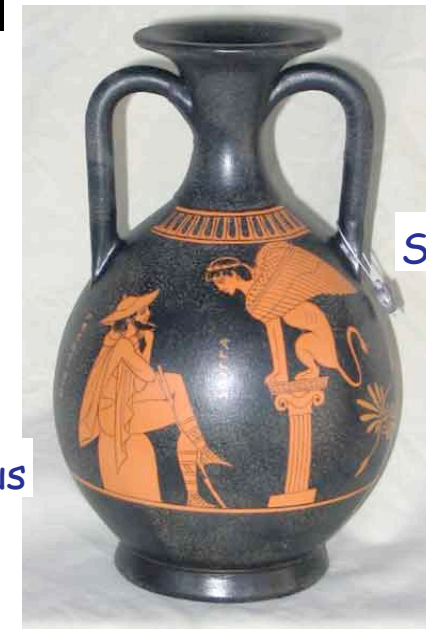
the simple theoretical scheme represented by the quark model cannot account for all these particles

instead of dealing with a game designed to test knowledge and skill



← quarkonium
↓

we are facing an enigma



Sphinx

Oedipus

Problem n. 1:

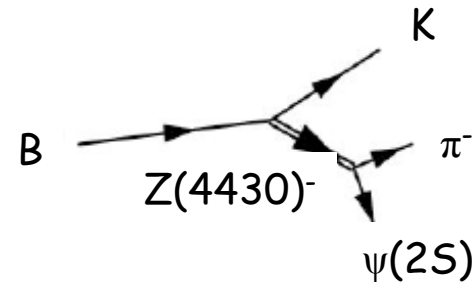
charged mesons with hidden charm $Z(4430)^+$ $Z_2(4248)^+$ $Z_1(4051)^+$

Belle Collaboration

$Z(4430)^+$ Dalitz plot analysis of $B \rightarrow Z^- K$, $Z^- \rightarrow \psi(2S) \pi^-$ (PRL 100, 142001 (2008))

$$M = 4433 \pm 4 \pm 2 \text{ MeV}$$

$$\Gamma = 45 \pm 22 \pm 33 \text{ MeV}$$



$Z_1(4051)^+$ **$Z_2(4248)^+$**

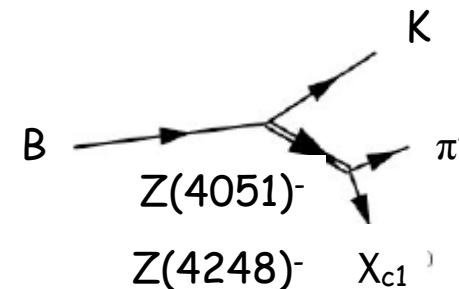
Dalitz plot analysis of $B \rightarrow Z^- K$, $Z^- \rightarrow \chi_{c1} \pi^-$ (ArXiv:0806.4098)

$$M_1 = 4051 \pm 14 \pm 46 \text{ MeV}$$

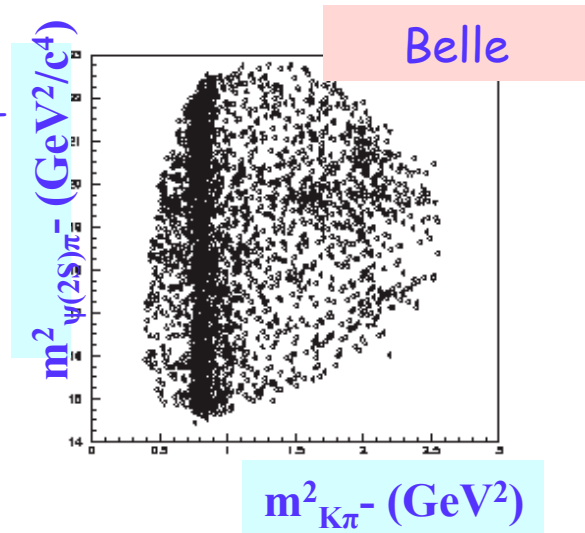
$$\Gamma_1 = 82 \pm 27 \pm 52 \text{ MeV}$$

$$M_2 = 4248 \pm 53 \pm 184 \text{ MeV}$$

$$\Gamma_2 = 177 \pm 67 \pm 322 \text{ MeV}$$

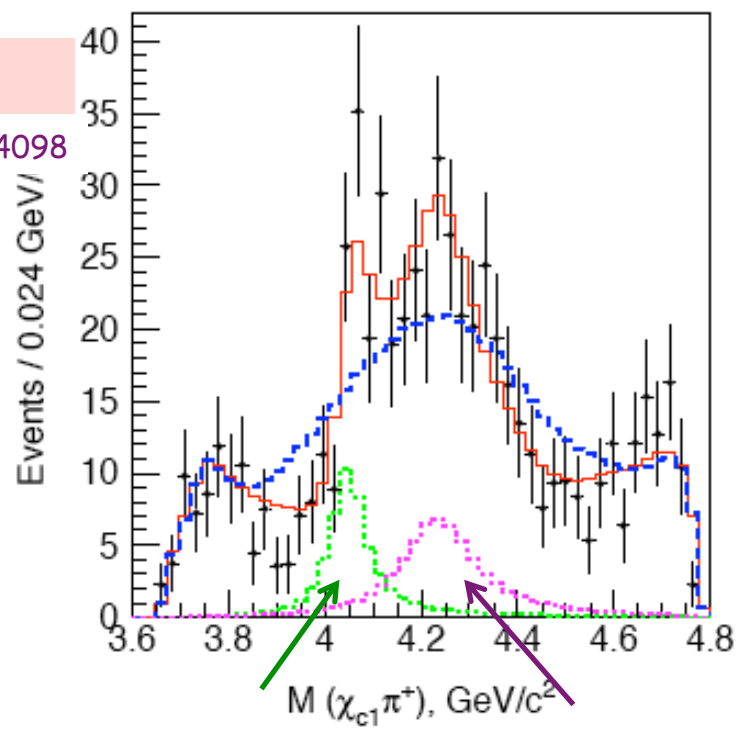


peak found in $B \rightarrow K \psi(2S) \pi^-$
 attributed to $Z^- \rightarrow \psi(2S) \pi^-$



structures observed in $B \rightarrow K \chi_{c1} \pi^-$
 attributed to $Z_{1,2}^- \rightarrow \chi_{c1} \pi^-$

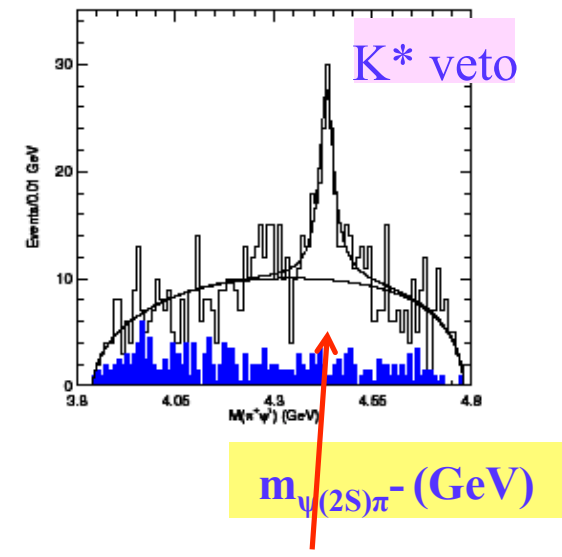
Belle
 ArXiv:0806.4098



$Z_1(4051)^+$

$Z_2(4248)^+$

$B \rightarrow K Z^- \rightarrow K \chi_{c1} \pi^-$



$Z(4430)^+$

PRL 100, 142001 (2008)

Problem n. 1:

charged mesons with hidden charm $Z(4430)^+$ $Z_2(4248)^+$ $Z_1(4051)^+$

evidence of exotic meson?

- the existence of exotic (non $\bar{Q}Q$) mesons has been argued long ago
- candidates in the light quark sector
- quark content of $Z(4430)^+$: $(c\bar{c}u\bar{d})$

Interpretations proposed by several authors:

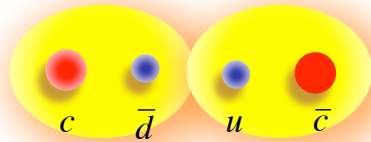
- bound state of two heavy-light diquarks (tetraquark)
(first radial excitation of the lightest 1^+ tetraquark)

$$q\bar{q} \Rightarrow Q_D \bar{Q}_D$$

$Q_D \equiv$ diquark, two quarks bound in color 3^*

$$\text{spin 0 diquark } [qq]_0 \Rightarrow \varepsilon_{ijk} \varepsilon_{\alpha\beta\gamma} \bar{q}_C^{j\beta} \gamma_5 q^{k\gamma}$$

- bound state of one axial and one vector meson with open charm (molecule)



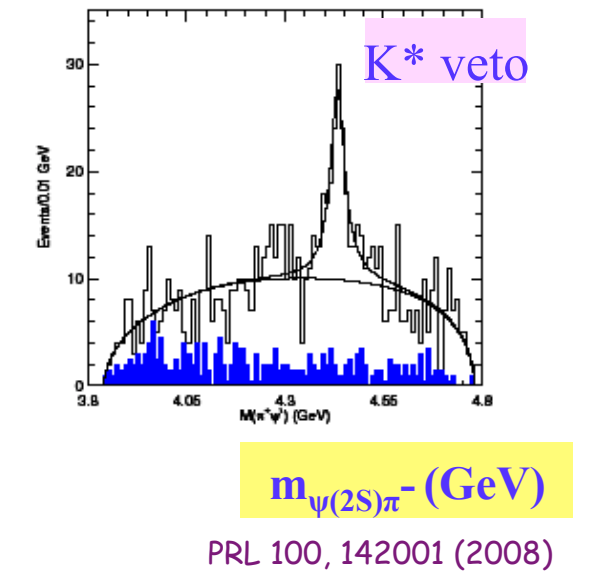
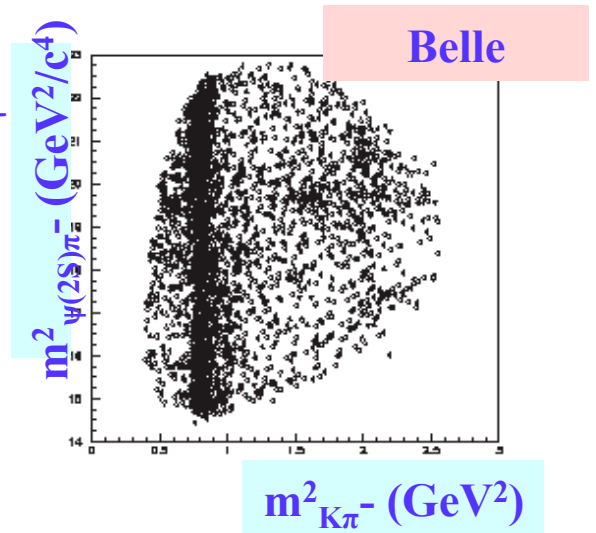
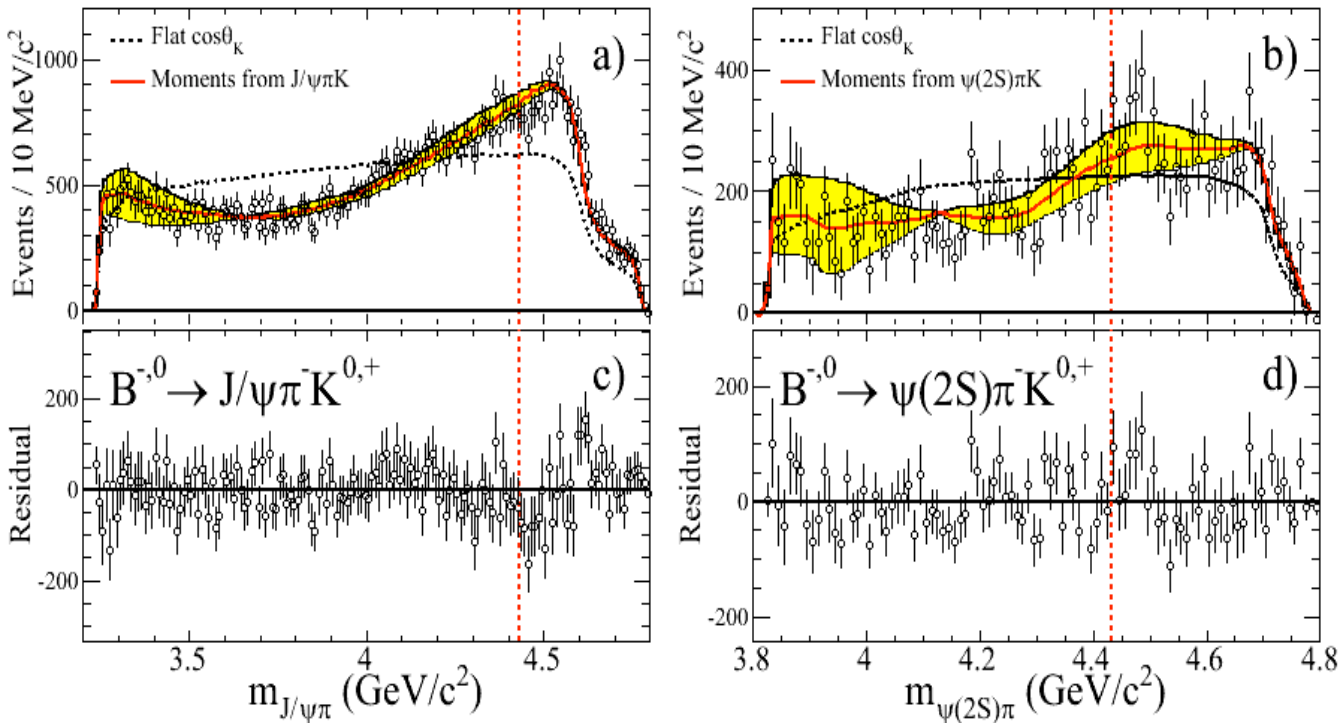
- non exotic effect: cusp of one axial and one vector meson with open charm

Z(4430)⁺

peak found in $B \rightarrow K \psi(2S) \pi^-$
 attributed to $Z^- \rightarrow \psi(2S) \pi^-$

Signal not confirmed by BaBar in the Dalitz plot
 of the same process

the measured $K\pi$ background in $B \rightarrow K J/\psi \pi^-$
 $B \rightarrow K \psi(2S) \pi^-$ used in the analysis
 (Mokhtar (BaBar), ICHEP2008)



BABAR preliminary

PRL 100, 142001 (2008)

Problem n. 1:

charged mesons with hidden charm $Z(4430)^+$ $Z_2(4248)^+$ $Z_1(4051)^+$

evidence of exotic structures or experimental artifacts ?

The formulation of a theory of multiquark/multihadron configurations is an outstanding issue

A data-driven point of view is at present unavoidable: models are used to interpret the experimental results

The observation of charged states with hidden charm must be confirmed; nevertheless, the possibility of having discovered the hint of a new spectroscopy is a strong reason for further studies

→ go to charmonium

warning: exotic recipes to construct models should be avoided...

like this one...

FIRST WITCH

Round about the cauldron go;
In the poison'd entrails throw.
Toad, that under cold stone
Days and nights has thirty-one
Swelter'd venom sleeping got,
Boil thou first i' the charmed pot.

ALL

Double, double toil and trouble;
Fire burn, and cauldron bubble.

SECOND WITCH

Fillet of a fenny snake,
In the cauldron boil and bake;
Eye of newt and toe of frog,
Wool of bat and tongue of dog,
Adder's fork and blind-worm's sting,
Lizard's leg and owlet's wing,
For a charm of powerful trouble,
Like a hell-broth boil and bubble.

ALL

Double, double toil and trouble;
Fire burn and cauldron bubble.

THIRD WITCH

Scale of dragon, tooth of wolf,
Witches' mummy, maw and gulf
Of the ravin'd salt-sea shark,
Root of hemlock digg'd i' the dark,
Liver of blaspheming Jew,
Gall of goat, and slips of yew
Silver'd in the moon's eclipse,
Nose of Turk and Tartar's lips,
Finger of birth-strangled babe
Ditch-deliver'd by a drab,
Make the gruel thick and slab:
Add thereto a tiger's chaudron,
For the ingredients of our cauldron.

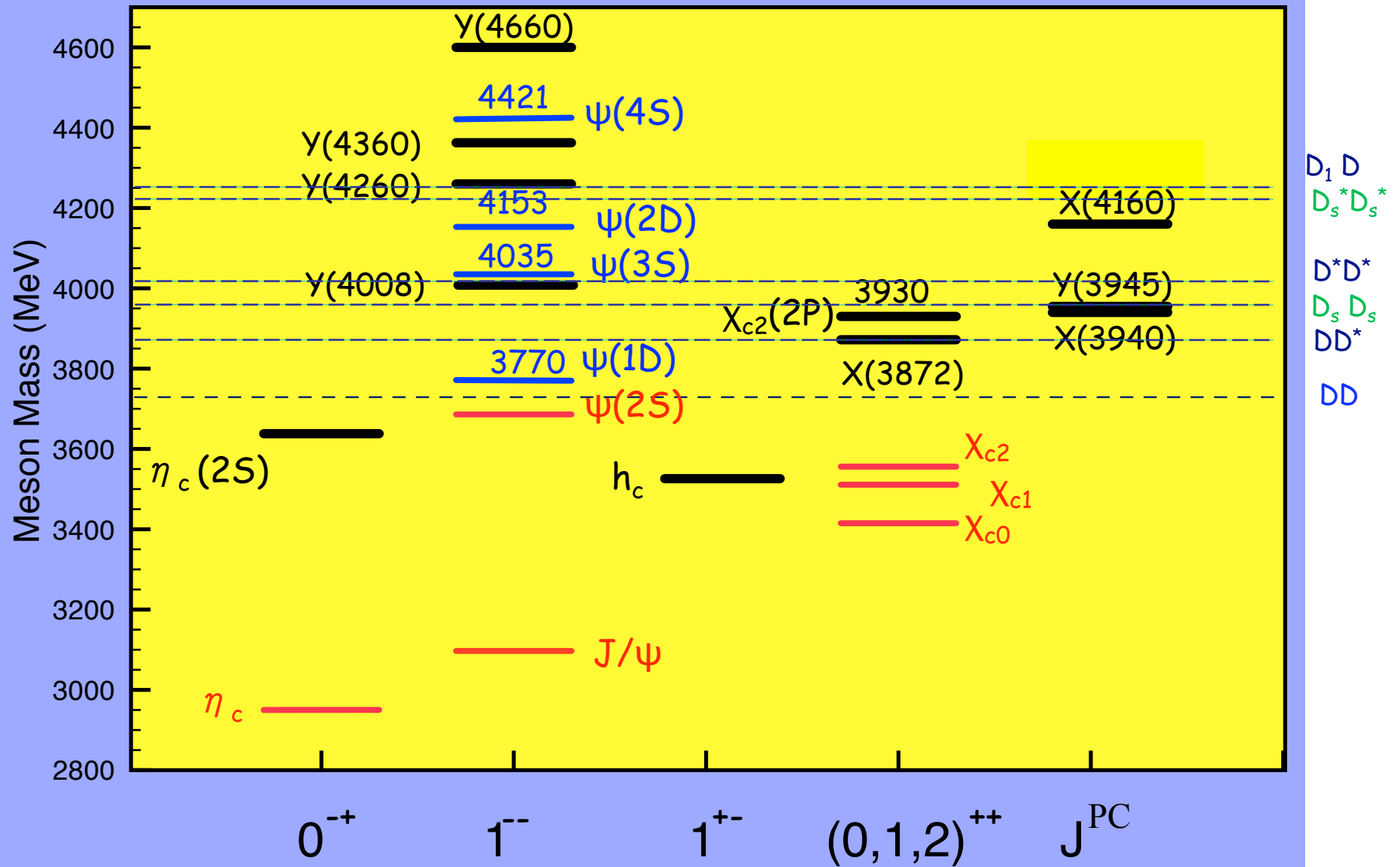
ALL

Double, double toil and trouble;
Fire burn and cauldron bubble.

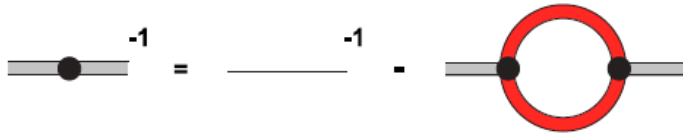
SECOND WITCH

Cool it with a baboon's blood,
Then the charm is firm and good.

Macbeth, act 4, scene 1



new states found in the region of open charm production thresholds
 threshold effects important: can distort the spectrum



effects of open or nearby closed channels
on the masses
(not included in simple quark models)

| Name | State $n^{2S+1}L_J$ | Experimental Mass MeV | Potential Mass MeV | Γ_{hadrons} MeV | Δm_{BW} MeV | Δm_{pole} MeV |
|-------------|------------------------|--------------------------|-----------------------|----------------------------------|------------------------|---------------------------------|
| η_c | 1^1S_0 | 2980 ± 1 | 2982 | – | – | – |
| J/ψ | 1^3S_1 | 3096.9 | 3090 | – | – | – |
| η'_c | 2^1S_0 | 3638 ± 4 | 3630 | – | -10 | -10 |
| ψ' | 2^3S_1 | 3686.1 | 3672 | – | -9 | -9 |
| h_c | 2^1P_1 | 3525.9 | 3516 | – | -2 | -2 |
| χ_{c0} | 2^3P_0 | 3414.8 | 3424 | – | -9 | -9 |
| χ_{c1} | 2^3P_1 | 3510.7 | 3505 | – | -16 | -16 |
| χ_{c2} | 2^3P_2 | 3556.2 | 3556 | – | -6 | -6 |
| η''_c | 3^1S_0 | 3943 ± 6 | 4043 | 80^a | -45 | -58 |
| ψ''' | 3^3S_1 | 4039 ± 1 | 4072 | 80 ± 10^b | -36 | -41 |
| | 3^1P_1 | – | 3934 | 87^a | -5 | -12 |
| | 3^3P_0 | – | 3852 | 30^a | -70 | -70 |
| | 3^3P_1 | – | 3925 | 168^a | -66 | -29 |
| | 3^3P_2 | – | 3972 | 80^a | -55 | -48 |
| ψ'' | 3^1D_2 | – | 3799 | – | – | – |
| | 3^3D_1 | 3771 ± 2 | 3785 | 23 ± 3^b | -40 | -40 |
| | 3^3D_2 | – | 3800 | – | – | – |
| | 3^3D_3 | – | 3806 | – | – | – |

Pennington & Wilson 08



$D\bar{D}$

sizeable effects



$D\bar{D}$

Problem n. 2: X(3872)

CDF, D0, BaBar, Belle

- ✱ narrow structure in $J/\psi \pi^+ \pi^-$ mass distribution
- ✱ $\pi^+ \pi^-$ spectrum peaked at large mass
- ✱ no evidence of charged partners X^-, X^+

✱ $B(B^0 \rightarrow K^0 X) / B(B^+ \rightarrow K^+ X) = 0.50 \pm 0.30 \pm 0.05$

✱ not observed in e^+e^-

✱ $\frac{B(X \rightarrow J/\psi \pi^+ \pi^- \pi^0)}{B(X \rightarrow J/\psi \pi^+ \pi^-)} = 1.0 \pm 0.4 \pm 0.3$ G-parity violation

✱ $\frac{B(X \rightarrow J/\psi \gamma)}{B(X \rightarrow J/\psi \pi^+ \pi^-)} = 0.14 \pm 0.05$ C=+1

✱ most likely $J^P = 1^{++}$

✱ signal in $X \rightarrow D^0 \bar{D}^0 \pi^0$
(mass higher by 3.5 MeV)

✱ observed in $X \rightarrow \psi(2S)\gamma$

$$B(B^\pm \rightarrow K^\pm X) B(X \rightarrow \psi(2S)\gamma) = (9.9 \pm 2.9 \pm 0.9) \times 10^{-6}$$

$$B(B^\pm \rightarrow K^\pm X) B(X \rightarrow J/\psi \gamma) = (2.8 \pm 0.8 \pm 0.2) \times 10^{-6}$$

$$M(X) = 3871.4 \pm 0.6 \text{ MeV}$$

$$\Gamma(X) < 2.3 \text{ MeV (90\% CL)}$$

$$\left[\Gamma(X) = 3.0_{-2.3}^{+4.6} \pm 0.9 \text{ MeV} \right]$$

BaBar

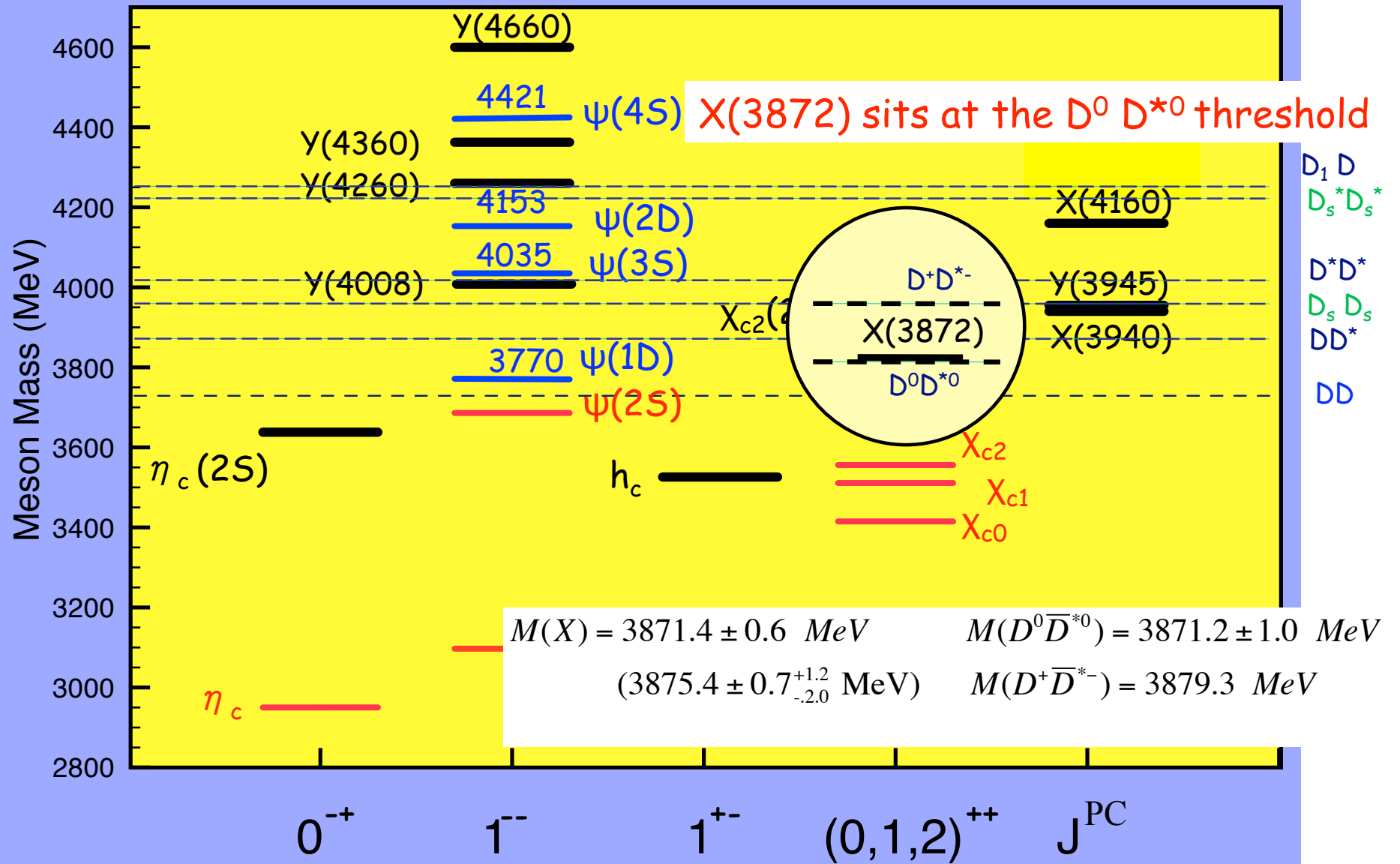
NEW

$$M(X) = 3875.4 \pm 0.7_{-2.0}^{+1.2} \text{ MeV}$$

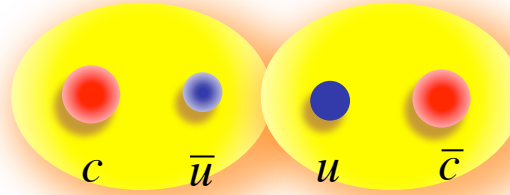
$$\frac{B(X \rightarrow D^0 \bar{D}^0 \pi^0)}{B(X \rightarrow J/\psi \pi^+ \pi^-)} = 9 \pm 4$$

Belle Coll., PRL97, 162002

BaBar, arXiv:0809.0042



X(3872): molecule ?



$$M(X) = 3871.4 \pm 0.6 \text{ MeV}$$

$$(3875.4 \pm 0.7^{+1.2}_{-2.0} \text{ MeV})$$

$$M(D^0 \bar{D}^{*0}) = 3871.2 \pm 1.0 \text{ MeV}$$

$$M(D^+ \bar{D}^{*-}) = 3879.3 \text{ MeV}$$

$$M(\rho^0 J/\psi) = 3867.9 \text{ MeV}$$

$$M(\omega J/\psi) = 3879.5 \text{ MeV}$$

X(3872) sits at the $\bar{D}^0 D^{*0}$ threshold

binding induced by light hadron exchange

no $D\bar{D}$ molecules

X essentially $D^0 \bar{D}^{*0} + \bar{D}^0 D^{*0}$ (S wave) molecule with $J^{PC} = 1^{++}$

$$|X\rangle = a|D^0 \bar{D}^{*0} + \bar{D}^0 D^{*0}\rangle + b|D^+ D^{*-} + D^- D^{*+}\rangle + \dots$$

- not definite I
- resonances in the modes $D^+ D^{*-}$ not observed \rightarrow repulsive interaction
- X_b (10604) expected at the B B^* threshold

Tornqvist 

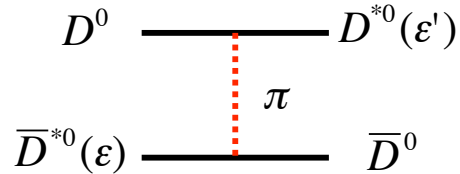
Voloshin

$X \rightarrow \bar{D}^0 D^0 \gamma$ dominant with respect to $X \rightarrow D^+ D^- \gamma$

- $X \rightarrow \chi_{c1} \pi$ expected

X(3872): charmonium option excluded ?

one π exchange produces no $\bar{D}^0 D^{*0}$ binding Suzuki

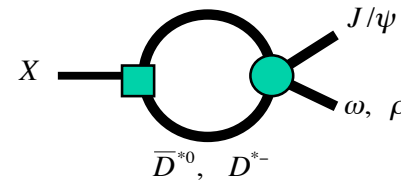


$$V(r) \approx -\frac{1}{3} g_{D^* D \pi}^2 (\epsilon \cdot \epsilon') \delta(r) + \dots$$

- Isospin breaking: severe ps suppression

$$\frac{B(X \rightarrow J/\psi \pi^+ \pi^- \pi^0)}{B(X \rightarrow J/\psi \pi^+ \pi^-)}_{D^0, D^+} \cong 1.0 \rightarrow \frac{A(X \rightarrow J/\psi \rho^0)}{B(X \rightarrow J/\psi \omega)} \cong 0.2$$

D^0, D^+ mass difference also violates isospin



- $B(B^0 \rightarrow XK^0) = B(B^- \rightarrow XK^-)$

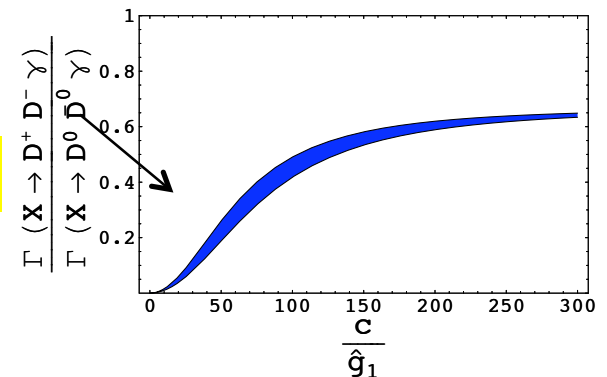
- $X \rightarrow \chi_{c1} \pi \pi$ expected



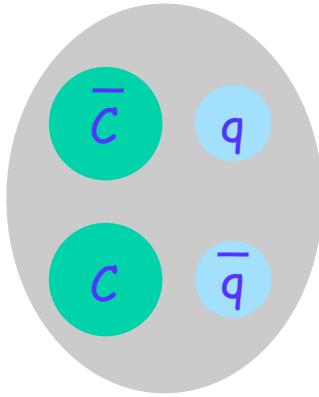
De Fazio et al.

$X \rightarrow D^0 D^0 \gamma$ dominant with respect to $X \rightarrow D^+ D^- \gamma$

- signal in $\bar{D}^0 D^0 \pi^0$ could be a manifestation of the same resonance Hanhart et al.



two different states X(3872) - X(3875) ?



natural (qualitatively predicted)
in a multiquark/multihadron picture

exp. measurement not conclusive (yet)

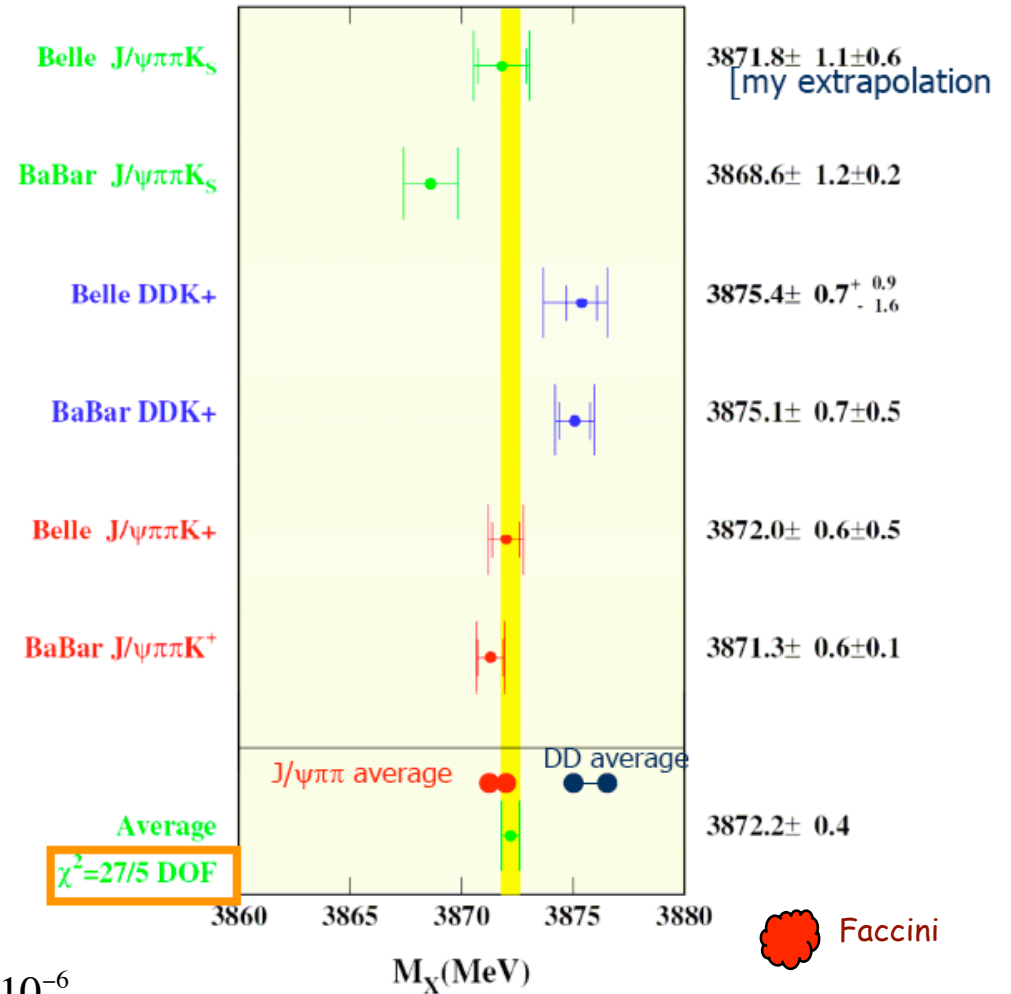
NEW

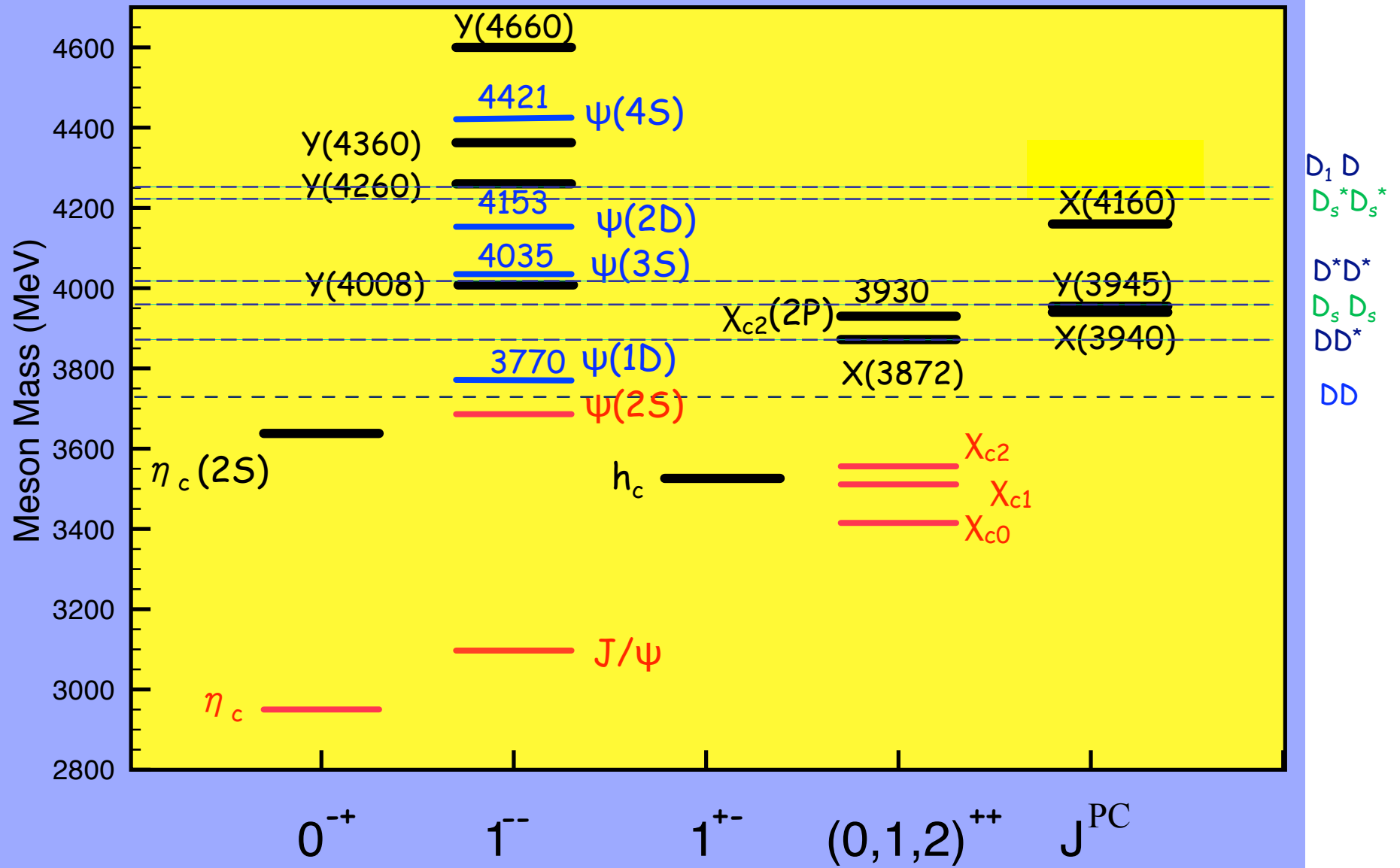
$$B(B^\pm \rightarrow K^\pm X) B(X \rightarrow \psi(2S)\gamma) = (9.9 \pm 2.9 \pm 0.9) \times 10^{-6}$$

$$B(B^\pm \rightarrow K^\pm X) B(X \rightarrow J/\psi\gamma) = (2.8 \pm 0.8 \pm 0.2) \times 10^{-6}$$

understandable on the basis of charmonium interpretation, but calculations in all scenarios are needed

X(3872) is a puzzling state





Problem n. 3: $\Upsilon(4008)$ $\Upsilon(4260)$ $\Upsilon(4360)$ $\Upsilon(4660)$

observed by Belle BaBar and Cleo in ISR events: $e^+ e^- \rightarrow \gamma \Upsilon$

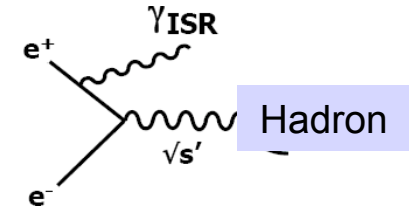
decays in J/ψ , $\psi(2S)$

$$\Upsilon(4008) \rightarrow J/\psi \pi^+ \pi^-$$

$$\Upsilon(4260) \rightarrow J/\psi \pi^+ \pi^-, J/\psi \pi^0 \pi^0, J/\psi K^+ K^-$$

$$\Upsilon(4360) \rightarrow \psi(2S) \pi^+ \pi^-$$

$$\Upsilon(4660) \rightarrow \psi(2S) \pi^+ \pi^-$$



no resonant peaks in $\sigma(e^+ e^-)$ $\sigma(e^+ e^- \rightarrow DD, DD^*, D^*D^*)$

Problem n. 3: $Y(4008)$ $Y(4260)$ $Y(4360)$ $Y(4660)$

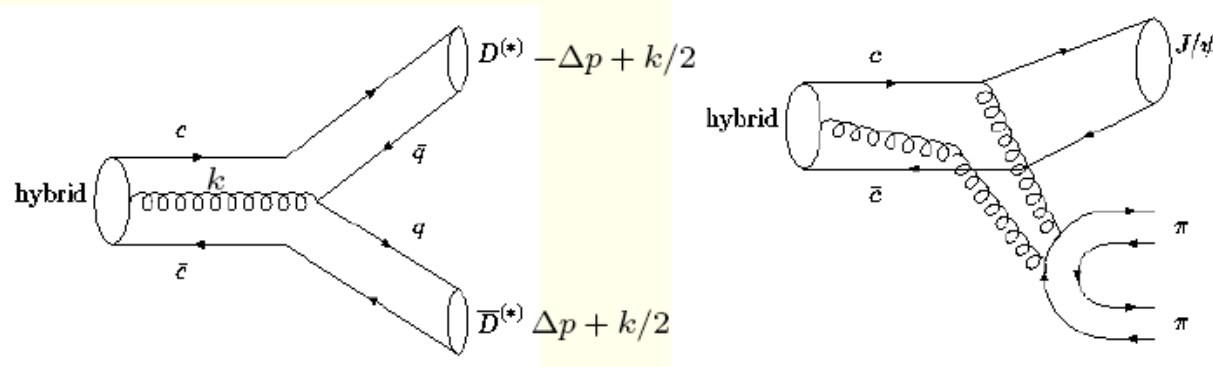
$Y(4260)$ hybrid $cc\bar{G}$ state ?

  Close, Page, Pene, Kou....

- cc 1^- hybrid at mass ~ 4.2 GeV expected (lattice QCD)
- large couplings to modes with closed flavour $\psi_h \rightarrow (c\bar{c})(gg) \rightarrow (c\bar{c})(\pi\pi, \dots)$
 $Y(4260) \rightarrow J/\psi \eta', \chi_{cJ} \eta'$
- decays in S wave + P wave open charm states expected
 $Y(4260) \rightarrow D D'_1$ (Y below $D D_1$ threshold)

decays in DD and D^*D^* forbidden at leading order

Pene, Kou....



corresponding state expected in the $b\bar{b}$ system: Belle observes an anomalous enhancement in $Y(1S) \pi^+ \pi^-$ at 10870 MeV

Y(4260) as a candidate $(\bar{c}\bar{s})(cs)$ tetraquark

(two scalar diquarks with $L=1$)

Y(4260) $\rightarrow D_s \bar{D}_s$ expected

partners with other light quarks not observed



Maiani et al.

observation in $D_s D_s$ or $D D'_1$ could discriminate

Issues:

- Interpretations only for Y(4260)
- Are all new vector mesons alike?
- Comprehensive analysis needed

If exotic $\bar{c}\bar{c}$ mesons exist, then exotic $\bar{b}\bar{b}$ mesons probably also exist

challenge for theory: predict their properties

challenge for experimentalists: discover them

A short digression:

News in the open charm sector

$D_{sJ}(2700)$

$D_{sJ}(2860)$

$D_{sJ}(2700)$

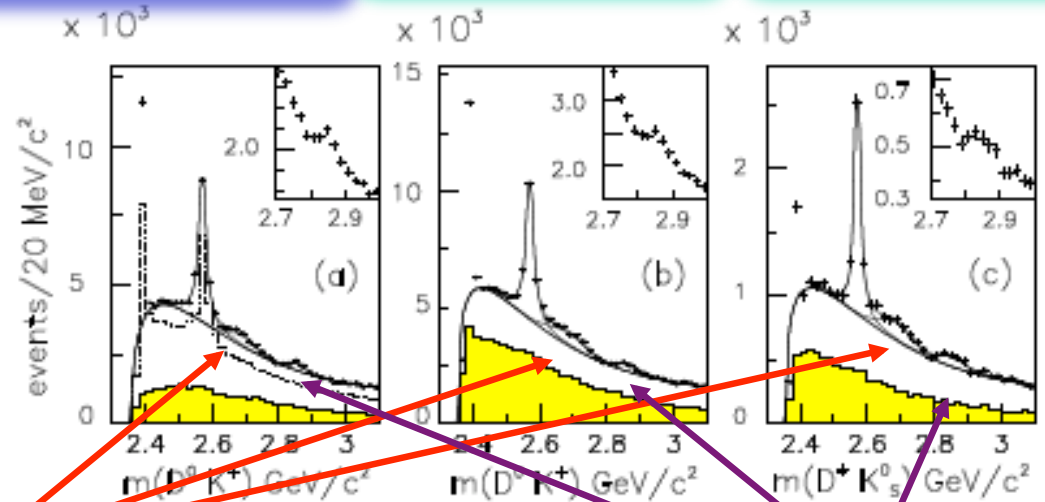
$e^+ e^- \rightarrow D K X$

with $DK = D^0 K^+$ and $D^+ K_S$

BaBar Coll., PRL 97 (06) 222061

$M = 2688 \pm 4 \pm 4 \text{ MeV}$

$\Gamma = 112 \pm 7 \pm 36 \text{ MeV}$



$D_{sJ}(2700)$

$D_{sJ}(2860)$

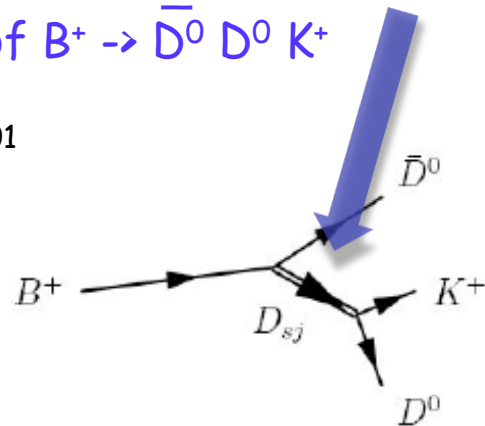
Dalitz plot analysis of $B^+ \rightarrow \bar{D}^0 D^0 K^+$

Belle Coll., PRL 100 (08) 092001

$M = 2708 \pm 9_{-10}^{+11} \text{ MeV}$

$\Gamma = 108 \pm 23_{-31}^{+36} \text{ MeV}$

$J^P = 1^-$



$D_{sJ}(2860)$

BaBar

$e^+ e^- \rightarrow D K X$

with $DK = D^0 K^+$ and $D^+ K_S$

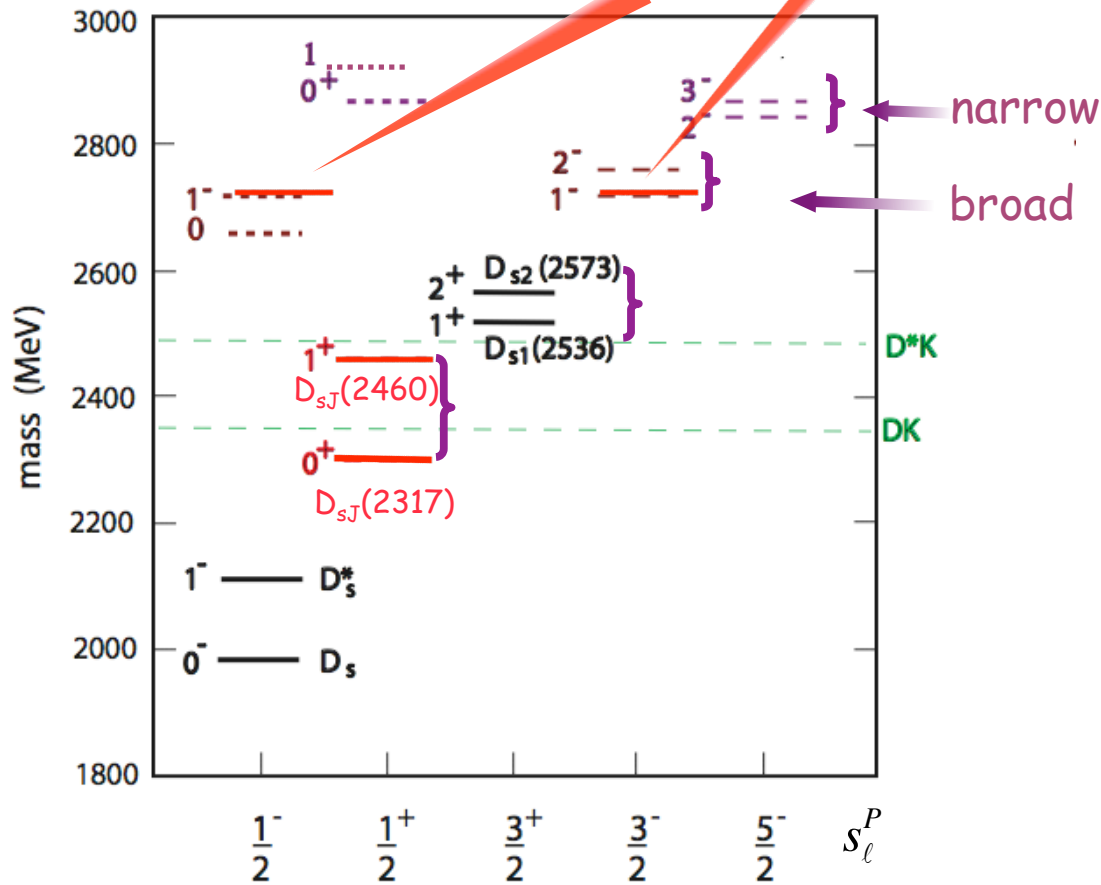
$M = 2856.6 \pm 1.5 \pm 5.0 \text{ MeV}$

$\Gamma = 47 \pm 7 \pm 10 \text{ MeV}$

$D_{sJ}(2700)$

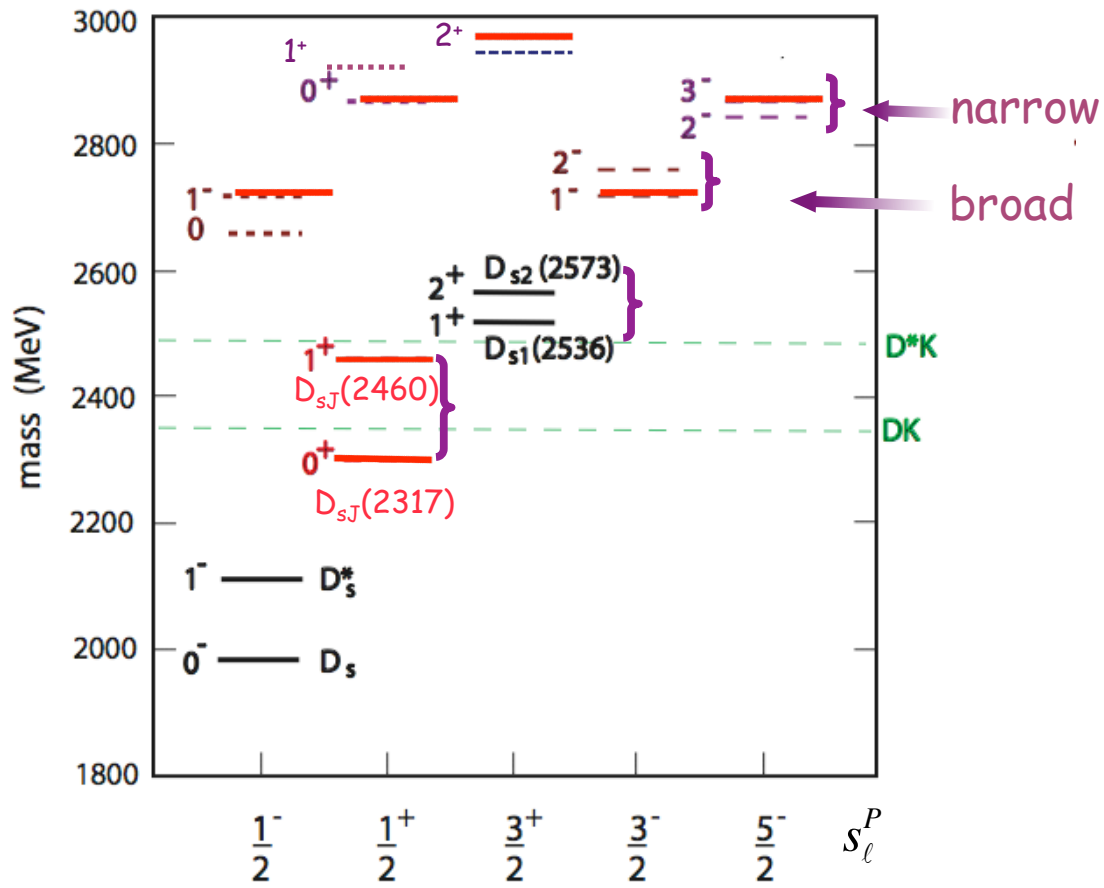
$c \bar{s}$ mesons

possibilities for $J^P = 1^-$



$D_{sJ}(2860)$

$c \bar{s}$ mesons



natural parity (seen in DK)

$D_{sJ}(2700)$

$$R_1 = \frac{\Gamma(D_{sJ} \rightarrow D^*K)}{\Gamma(D_{sJ} \rightarrow DK)}$$

$$R_2 = \frac{\Gamma(D_{sJ} \rightarrow D_s\eta)}{\Gamma(D_{sJ} \rightarrow DK)}$$

$$R_3 = \frac{\Gamma(D_{sJ} \rightarrow D_s^*\eta)}{\Gamma(D_{sJ} \rightarrow DK)}$$

sizeable differences

TABLE I. Ratios R_i for $D_{sJ}(2700)$ identified as D_s^{*l} or D_{s1}^* .

| | $R_1 \times 10^2$ | $R_2 \times 10^2$ | $R_3 \times 10^2$ |
|------------|-------------------|-------------------|-------------------|
| D_s^{*l} | 91 ± 4 | 20 ± 1 | 5 ± 2 |
| D_{s1}^* | 4.3 ± 0.2 | 16.3 ± 0.9 | 0.18 ± 0.07 |

$$D_s^{*l} : s_\ell^P = \frac{1^-}{2}$$

$$D_{s1}^* : s_\ell^P = \frac{3^-}{2}$$

$D_{sJ}(2860)$

Table 2: Predicted ratios $\frac{\Gamma(D_{sJ} \rightarrow D^*K)}{\Gamma(D_{sJ} \rightarrow DK)}$ and $\frac{\Gamma(D_{sJ} \rightarrow D_s\eta)}{\Gamma(D_{sJ} \rightarrow DK)}$ for the various assignment of quantum numbers to $D_{sJ}(2860)$. For DK we mean the sum $DK = D^0K^+ + D^+K_S^0$.

| $D_{sJ}(2860)$ | $D_{sJ}(2860) \rightarrow DK$ | $\frac{\Gamma(D_{sJ} \rightarrow D^*K)}{\Gamma(D_{sJ} \rightarrow DK)}$ | $\frac{\Gamma(D_{sJ} \rightarrow D_s\eta)}{\Gamma(D_{sJ} \rightarrow DK)}$ |
|--|--------------------------------|---|--|
| $s_\ell^P = \frac{1^-}{2}, J^P = 1^-, n = 1$ | p-wave | 1.23 | 0.27 |
| $s_\ell^P = \frac{1^+}{2}, J^P = 0^+, n = 1$ | s-wave | 0 | 0.34 |
| $s_\ell^P = \frac{3^+}{2}, J^P = 2^+, n = 1$ | d-wave | 0.63 | 0.19 |
| $s_\ell^P = \frac{3^-}{2}, J^P = 1^-, n = 0$ | p-wave | 0.06 | 0.23 |
| $s_\ell^P = \frac{5^-}{2}, J^P = 3^-, n = 0$ | f -wave | 0.39 | 0.13 |

D^*K forbidden

D^*K allowed

$J^P = 0^+$ radial excitation

Van Beveren et al., Close et al,

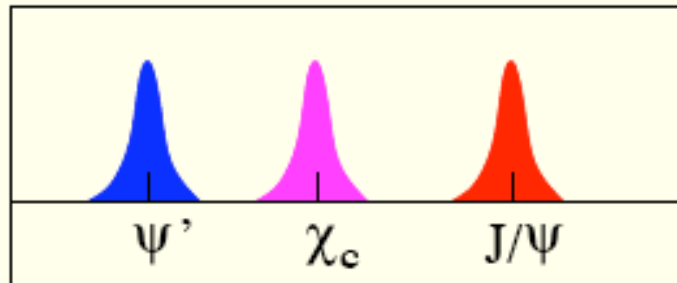
$J^P = 3^-$

Nicotri et al.

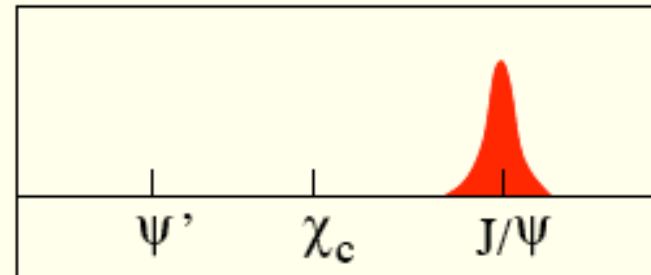
crucial mode : D^*K

Progress in quarkonium effective theories: from zero to finite temperature

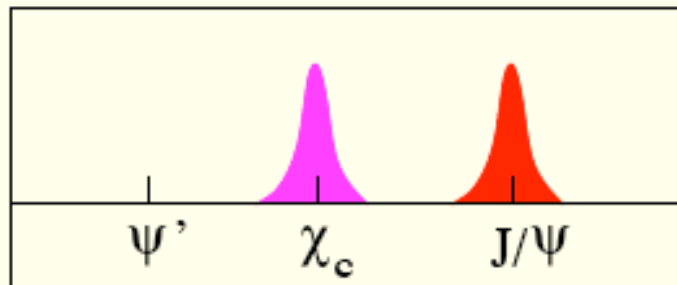
charmonium spectra at different temperatures



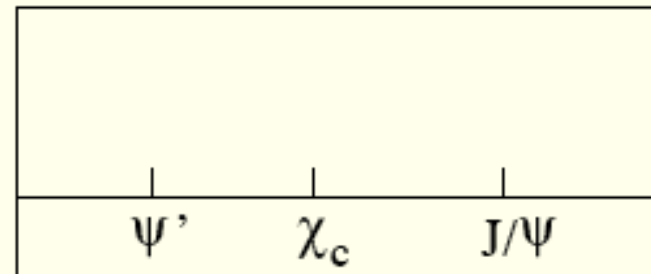
$T < T_c$



$T > T_c$



$T \sim T_c$



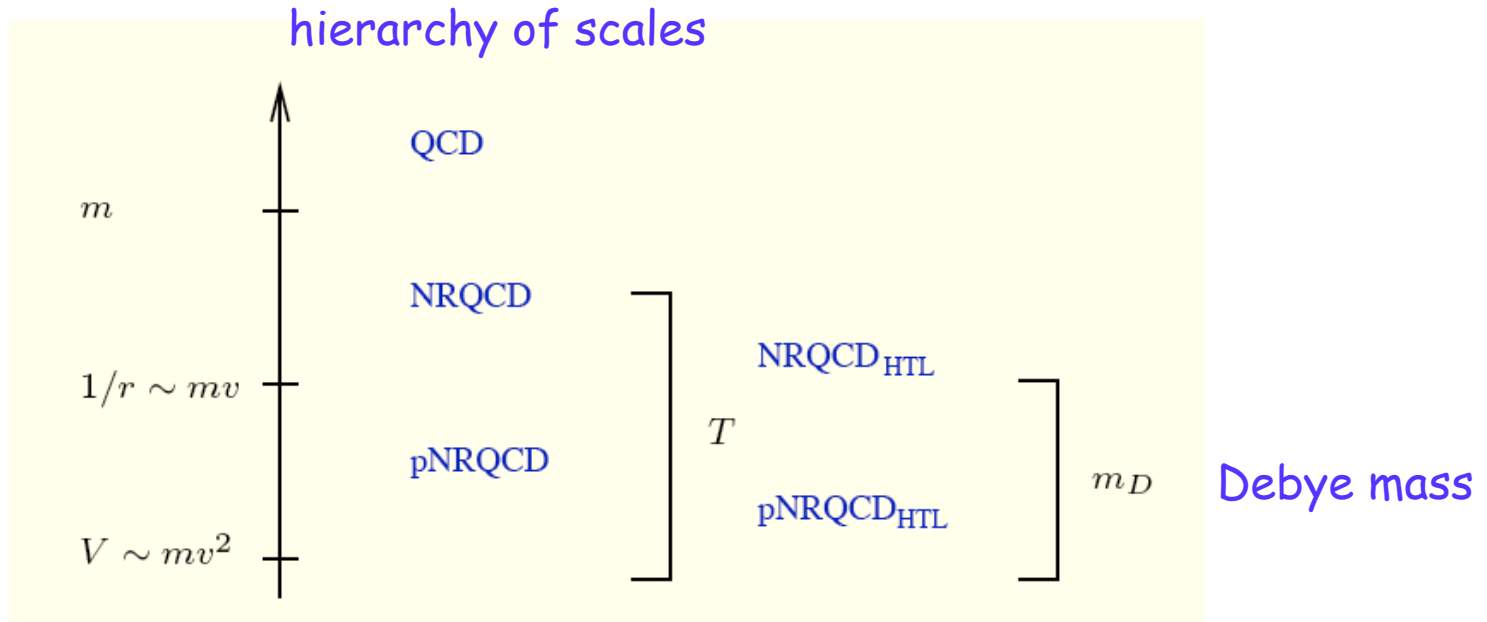
$T \gg T_c$

Satz

Progress in quarkonium effective theories: from zero to finite temperature



Brambilla Pineda Soto Vairo et al



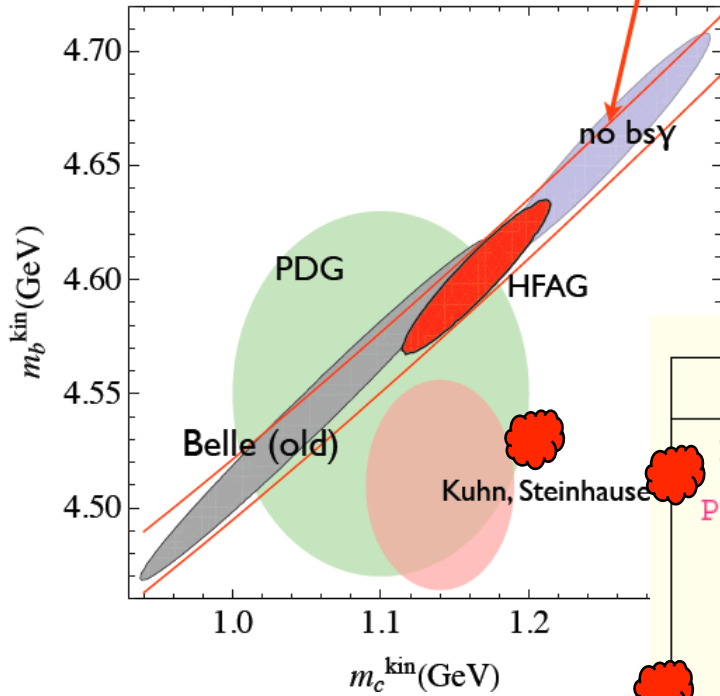
- real time evolution of a static quark-antiquark pair in a medium of light quarks and gluons at $T \neq 0$
- potential between two static sources

connection with the Physics programmes at RHIC and LHC

outstanding issue: determination of Standard Model parameters

Gambino @ CKM2008

Constant values of s.l. width at fixed V_{cb}



inclusive B semileptonic decays: tests of consistency within the Standard Model need improved determination of the heavy quark masses

m_b and m_c from heavy quark analyses → Mateu's talk

| reference | order | $\bar{m}_b(\bar{m}_b)$ (GeV) |
|----------------------|--------------------------------|------------------------------|
| Brambilla et al 01 | NNLO +charm ($\Upsilon(1S)$) | $4.190 \pm 0.020 \pm 0.025$ |
| Penin Steinhauser 02 | NNLO* ($\Upsilon(1S)$) | 4.346 ± 0.070 |
| Lee 03 | NNLO* ($\Upsilon(1S)$) | 4.20 ± 0.04 |
| Contreras et al 03 | NNLO* ($\Upsilon(1S)$) | 4.241 ± 0.070 |
| Pineda Signer 06 | NNLL* high moments SR | 4.19 ± 0.06 |
| reference | order | $\bar{m}_c(\bar{m}_c)$ (GeV) |
| Brambilla et al 01 | NNLO (J/ψ) | 1.24 ± 0.020 |
| Eidemüller 02 | NNLO high moments SR | 1.19 ± 0.11 |

$\Gamma(Y(1S) \rightarrow \gamma X) / \Gamma(Y(1S) \rightarrow X)$ at NLO

$$\alpha_s(M_Z) = 0.119^{+0.006}_{-0.005}$$

$$\alpha_s(M_{Y(1S)}) = 0.184^{+0.015}_{-0.014}$$

Brambilla Garcia Soto Vairo 07



Conclusions

- Quarkonium keeps a key role for understanding the strong dynamics
- A wealth of new experimental observations
- Many results (new states) challenge theory
- Progress in the effective theories
- Access to Standard Model parameters
- Researchers belonging to many nodes of the network heavily involved