and the Physics and Techniques of Even

R CH LU R D

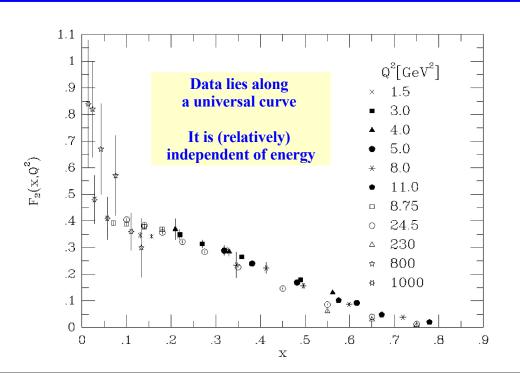
Introduction to the Parton Model and Perturbative

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The Scaling of the Proton Structure Function



Structure of the Proton

 $\int d\sigma \sim \frac{4\pi\alpha^2}{Q^2} \times 1$



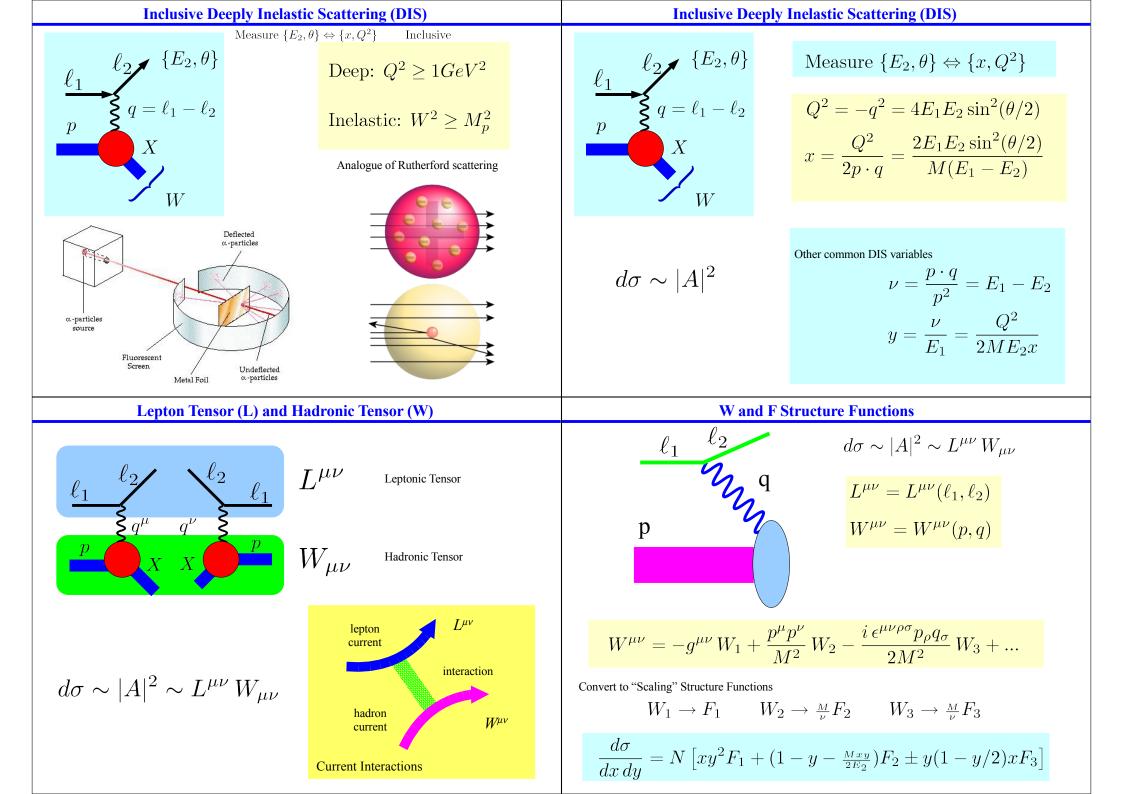
 Λ of order of the proton mass scale

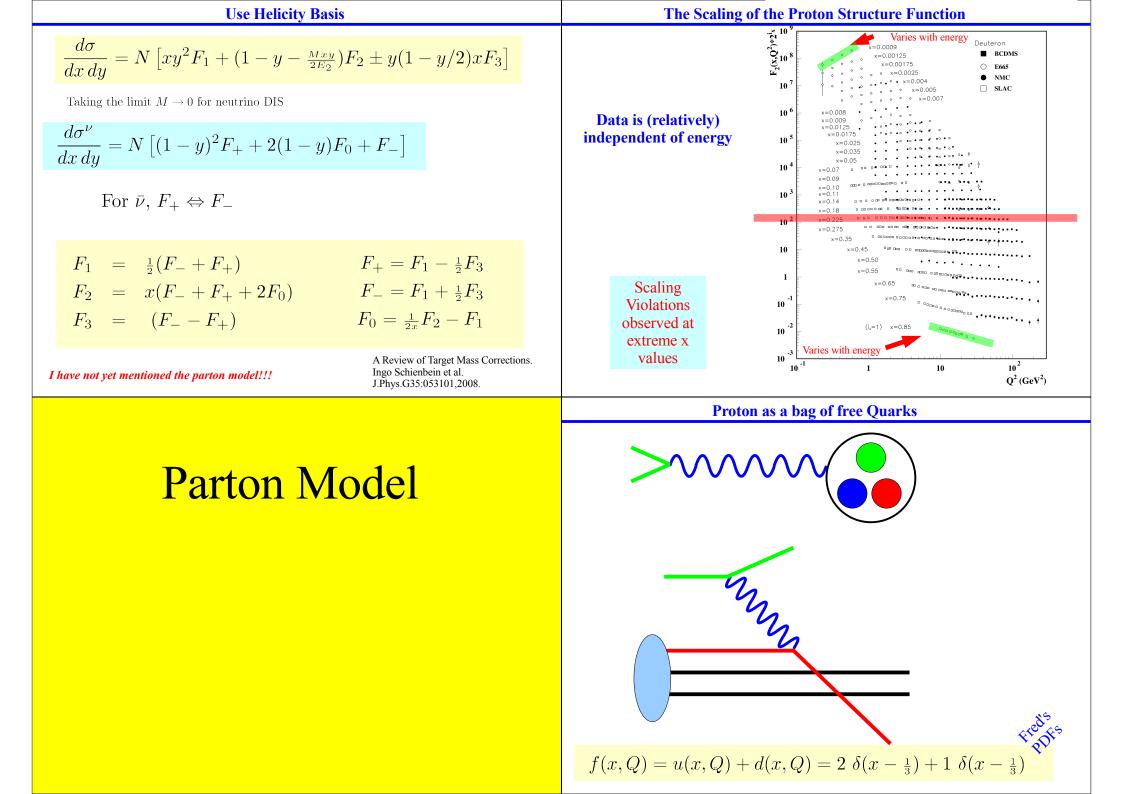
$$d\sigma \sim \frac{4\pi\alpha^2}{Q^2} \ \times \sum_i \ e_i^2$$

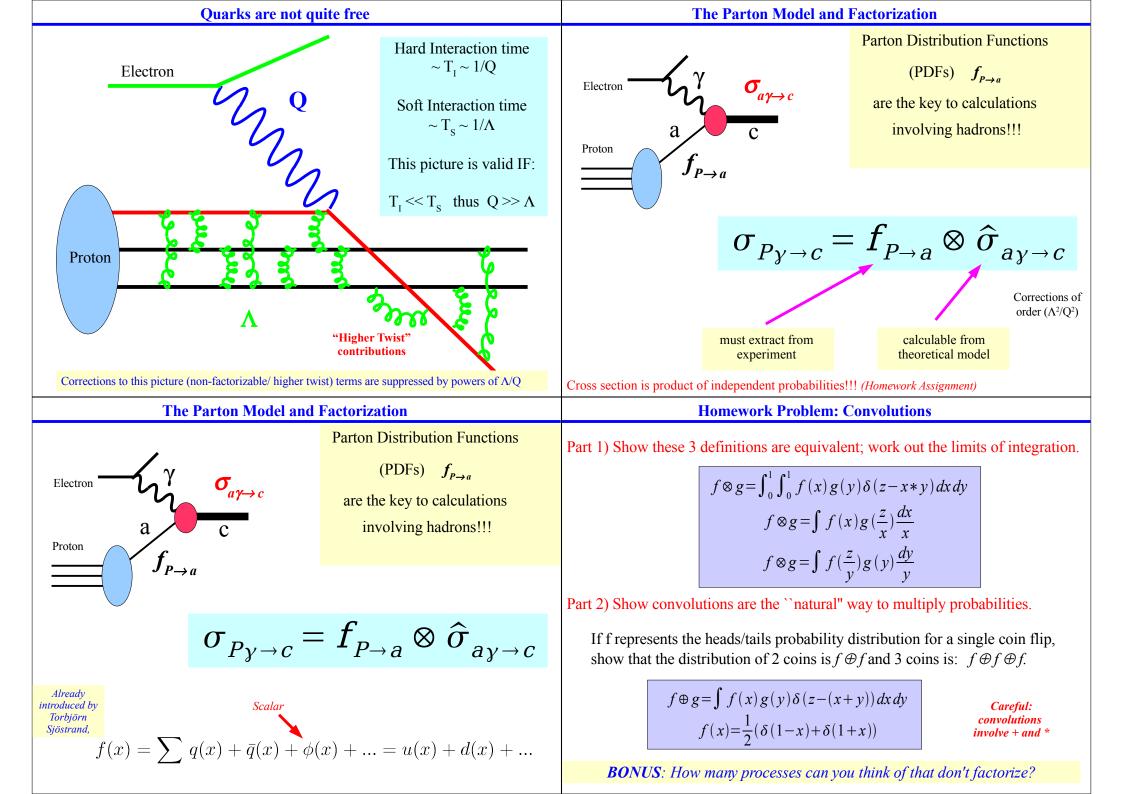
HOW TO CHARACTERIZE **THE PROTON**

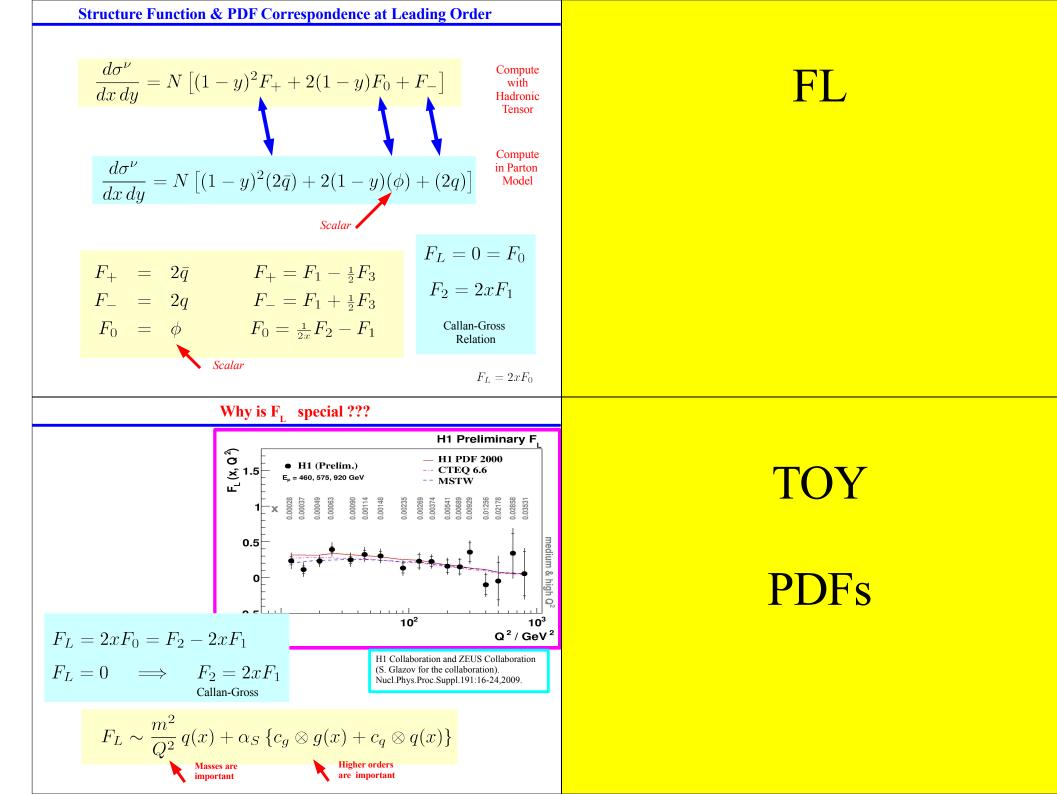
Deeply Inelastic Scattering (DIS)

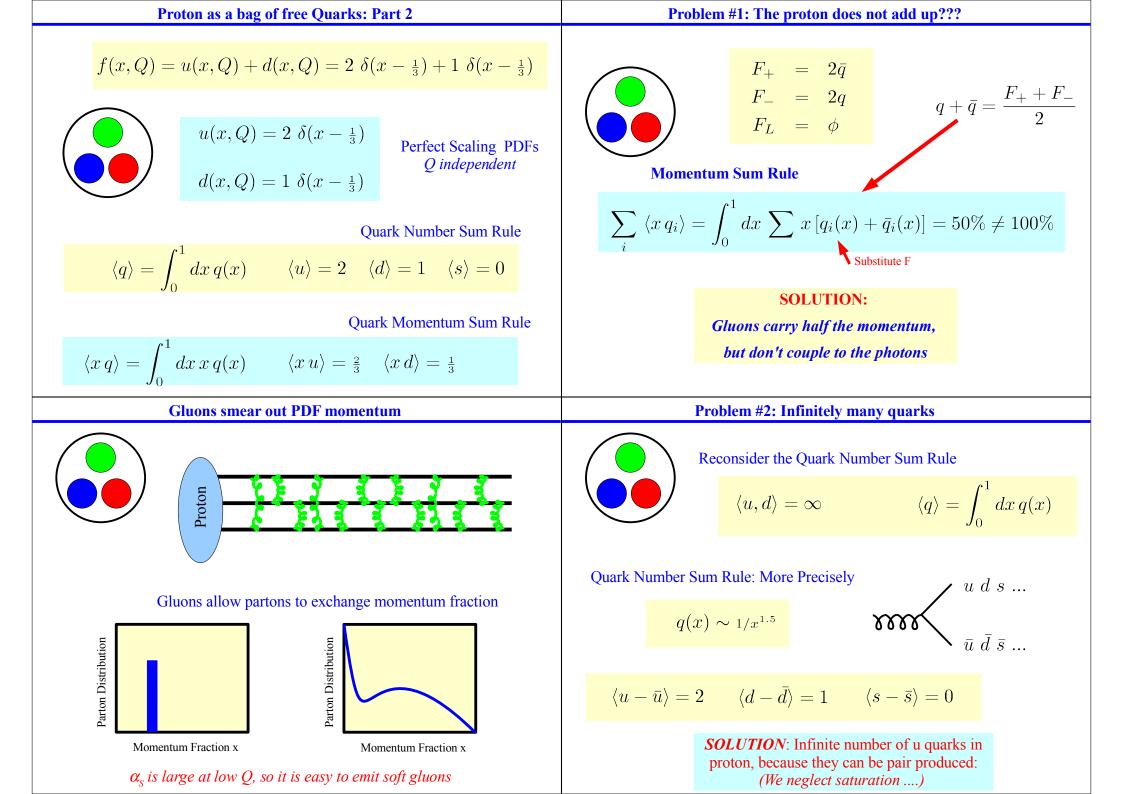
> Cf. lecture by **Burkhard Reisert**

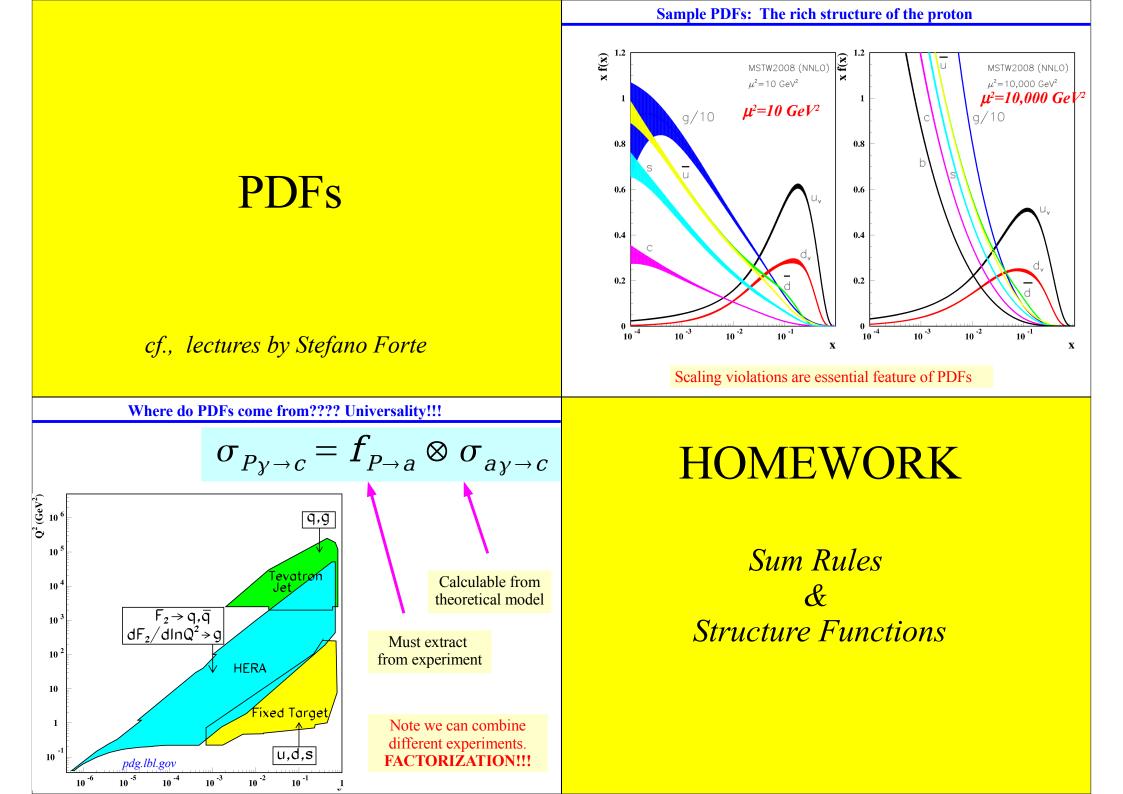








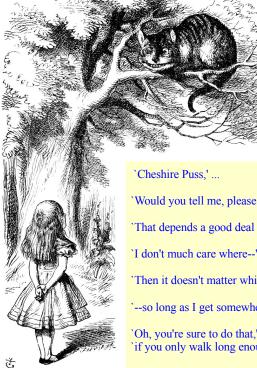




Homework: Part 1 Structure Functions & PDFs		Homework: Part 2 Sum Rules
$F_2^{ep} = \frac{4}{9}x \left[u + \bar{u} + c + \bar{c}\right]$	Verify:	<i>Verify:</i> <i>i.e., Check for typos</i>
$+ \frac{1}{9}x \left[d + \bar{d} + s + \bar{s}\right]$ $F_2^{en} = \frac{4}{9}x \left[d + \bar{d} + c + \bar{c}\right]$	i.e., Check for typos	Adler (1966) $\int_{0}^{1} \frac{dx}{2x} \left[F_{2}^{\nu n} - F_{2}^{\nu p} \right] = 1$
$\begin{array}{rcl} &+& \frac{1}{9}x \left[u + \bar{u} + s + \bar{s} \right] \\ F_{2}^{\nu p} &=& 2x \left[d + s + \bar{u} + \bar{c} \right] \end{array}$	We use these different observables to dis-entangle the flavor	Bjorken (1967) $\int_{0}^{1} \frac{dx}{2x} \left[F_{2}^{\bar{\nu}p} - F_{2}^{\nu p} \right] = 1$ Before the parton model was invented, these relations were observed.
$F_2^{\nu n} = 2x \left[u + s + \bar{d} + \bar{c} \right]$	structure of the PDfs	Can you understand them in the context of the
$F_2^{\bar{\nu}p} = 2x \left[u + c + \bar{d} + \bar{s} \right]$ $F_2^{\bar{\nu}n} = 2x \left[d + c + \bar{u} + \bar{s} \right]$	See talks by Jorge Morfin (Neutrinos) &	Gross Llewellyn-Smith $\int_0^1 dx \left[F_3^{\nu p} + F_3^{\bar{\nu}p}\right] = 6$ parton model?
$F_3^{\nu p} = 2 \left[d + s - \bar{u} - \bar{c} \right]$	Stefano Forte (PDFs)	Gottfried if $\bar{u} = \bar{d} \int_{1}^{1} dx \left[F_{2}^{ep} - F_{2}^{en} \right] = \frac{1}{3}$
$F_3^{\nu n} = 2\left[u+s-\bar{d}-\bar{c}\right]$		J_0 J_0
$F_3^{\bar{\nu}p} = 2\left[u+c-\bar{d}-\bar{s}\right]$	In the limit $ heta_{Cabibbo}=0$	Homework (19??) $\frac{5}{12}F_2^{\nu N} - F_2^{eN} = ?$ This one has been particularly important/controversial
$F_3^{\bar{\nu}n} = 2 \left[d + c - \bar{u} - \bar{s} \right]$	$m_c = 0$	(19??) $\frac{18}{18}F_2^{\mu} - F_2^{\nu} = ?$ This one has been particularly important/controversial

Evolution

What does the proton look like???



The answer is dependent upon the question

'Would you tell me, please, which way I ought to go from here?'

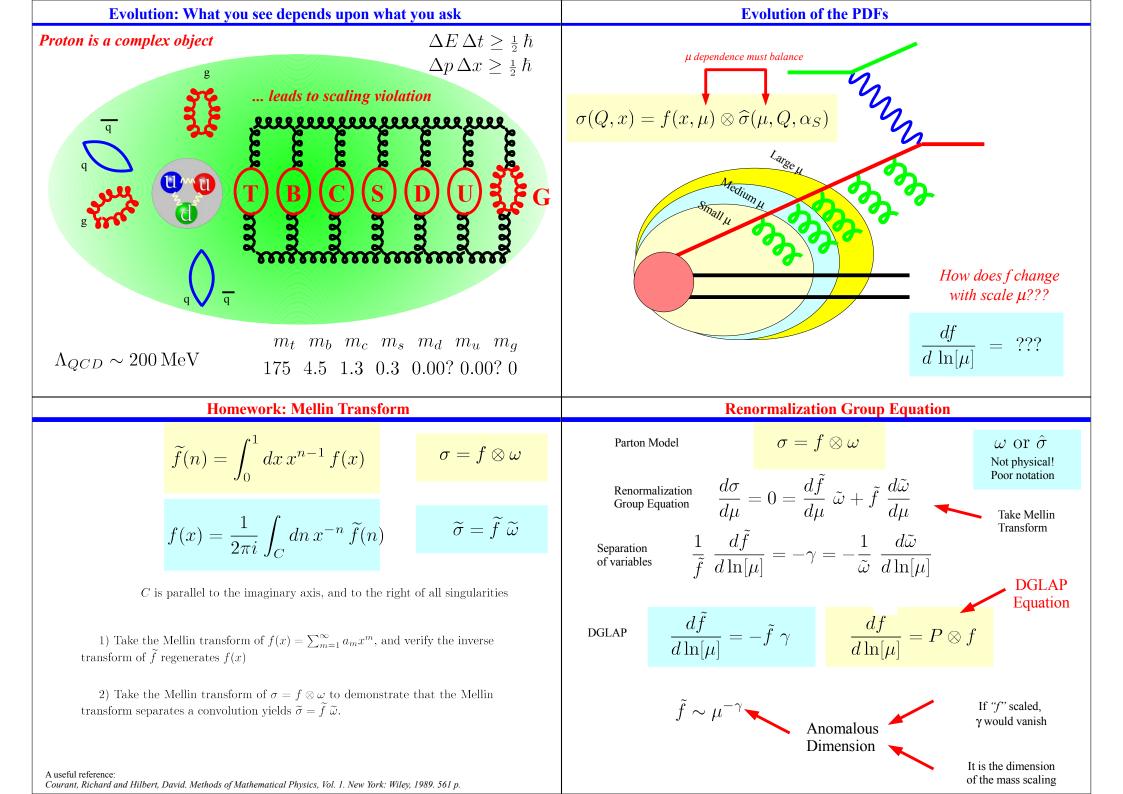
`That depends a good deal on where you want to get to,' said the Cat.

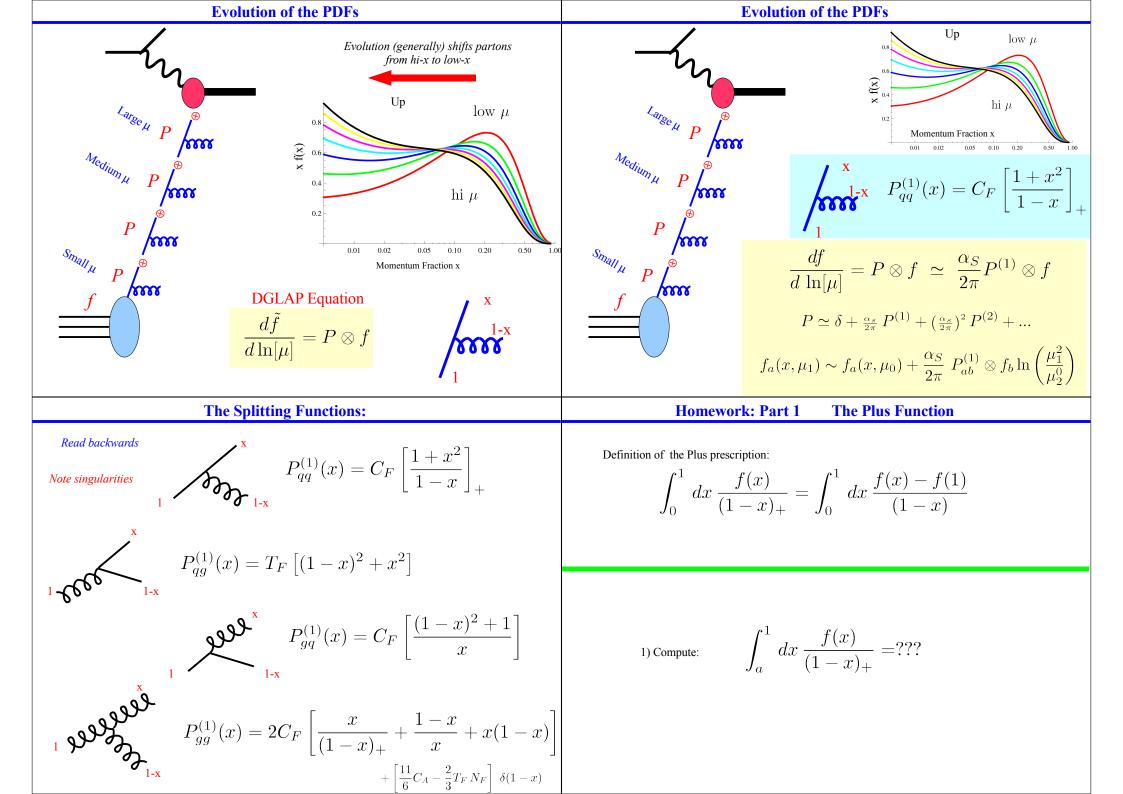
'I don't much care where--' said Alice.

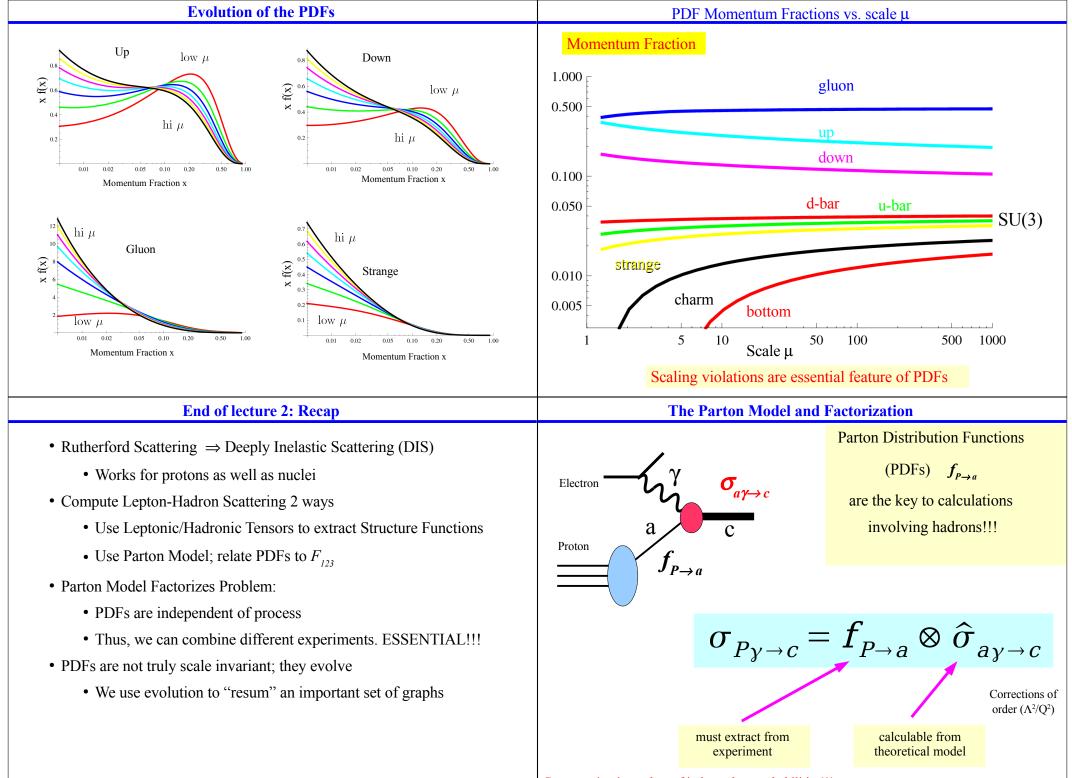
`Then it doesn't matter which way you go,' said the Cat.

`--so long as I get somewhere,' Alice added as an explanation.

`Oh, you're sure to do that,' said the Cat, `if you only walk long enough.'







Cross section is product of independent probabilities!!! (Homework Assignment)

END OF LECTURE 2