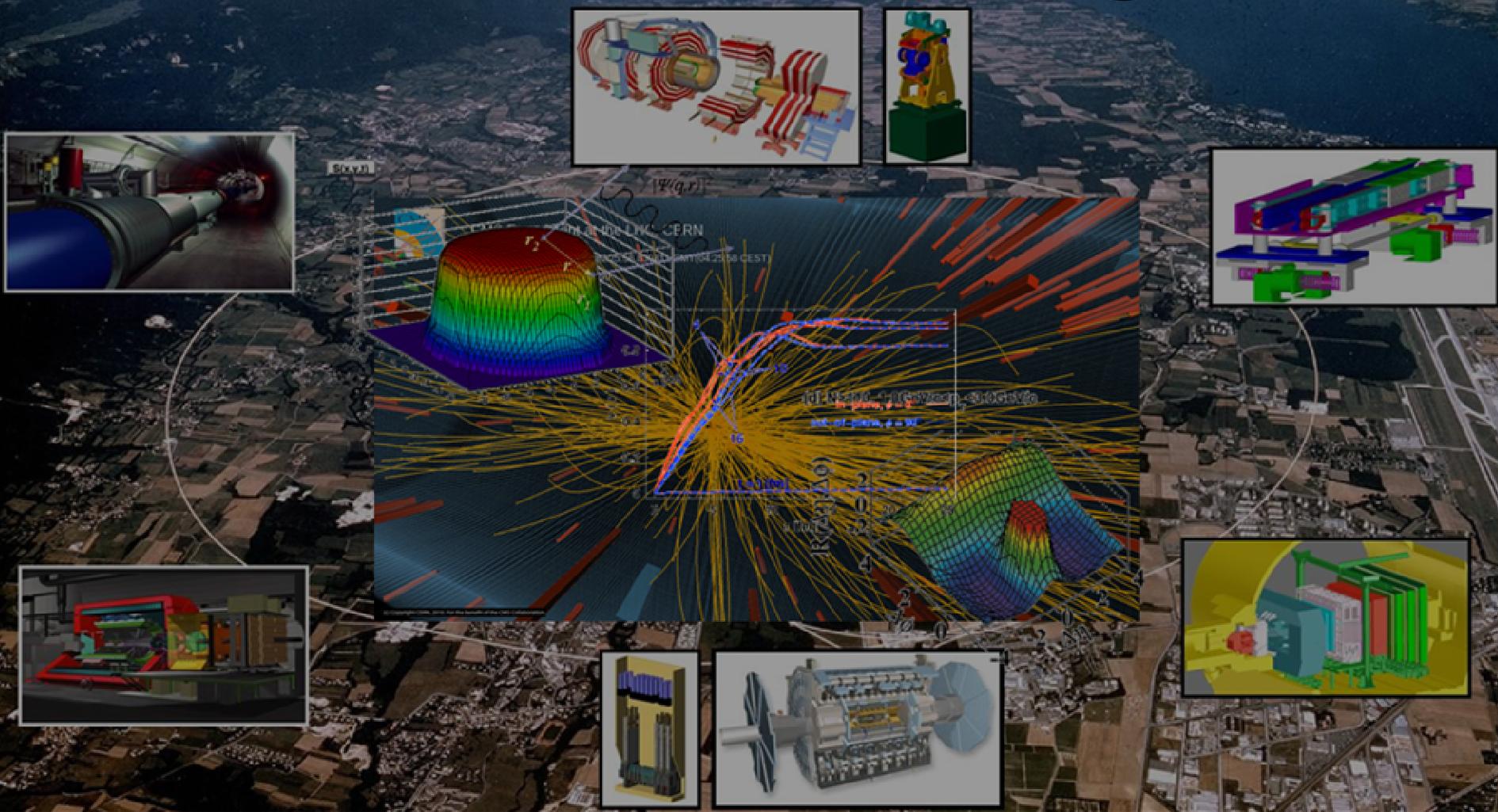


# Particle correlations @ LHC



Luca Perrozzi (INFN & Universita' di Padova - CERN)

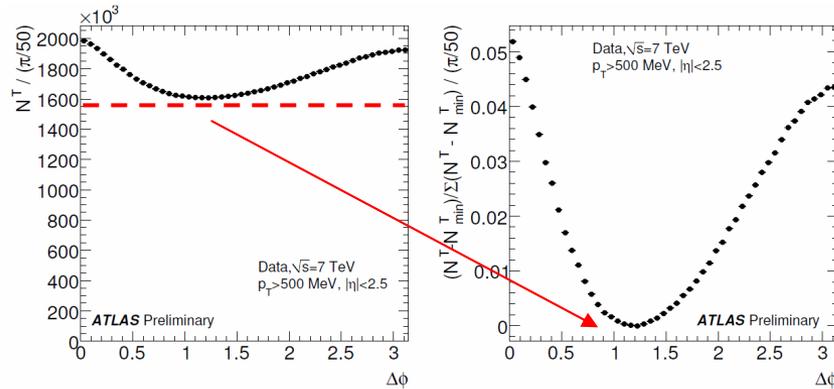
Standard Model @ LHC - Durham, 11<sup>th</sup>-14<sup>th</sup> April 2011

# Particle correlations @ LHC

- Correlations represent multipurpose tools to extract several useful information from data and give feedback to theoreticians/MC developers to overcome the non-perturbative nature of QCD
  - MC tuning
    - $\Delta\phi$
  - Characterize QCD @ LHC energies, study mechanism of hadronization and possible collective effects due to the high particle densities reached
    - $\Delta\eta$  vs  $\Delta\phi$
  - Study the creation and characteristics of the collective effects
    - Elliptic Flow
  - Study effective space-time structure of the hadron emission region
    - Bose-Einstein correlations

# MC tuning: $\Delta\phi$ correlations

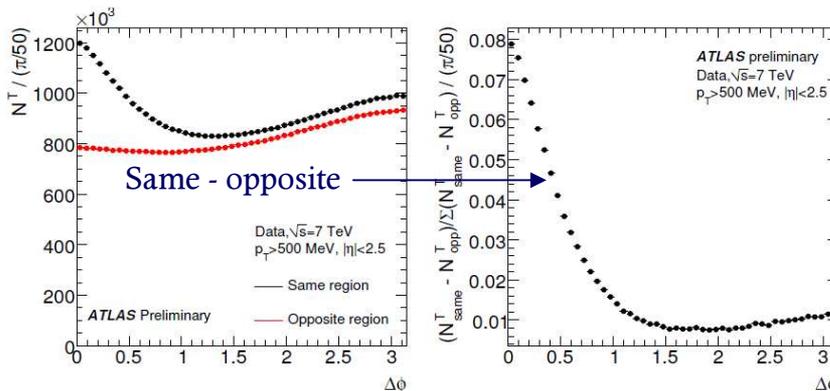
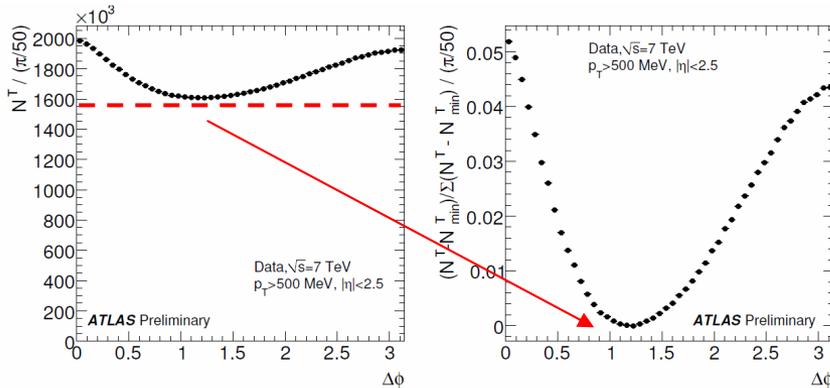
ATLAS-CONF-2010-082



- $\Delta\phi$  “crest shape”
  - Background subtracted distribution of azimuthal angular difference  $\Delta\phi$ , between the leading  $p_T$  particle and all the others

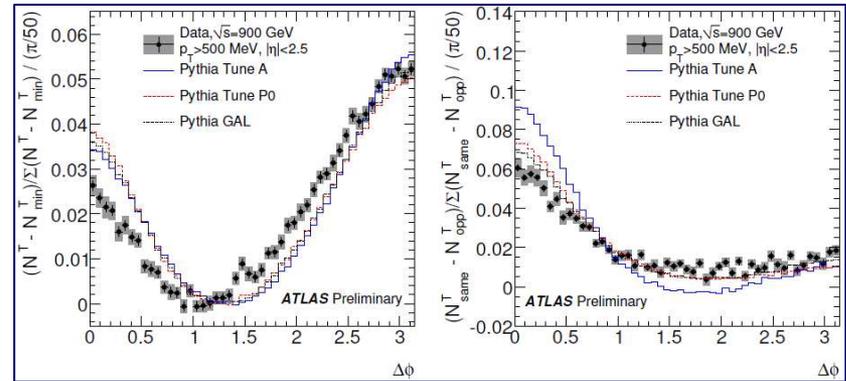
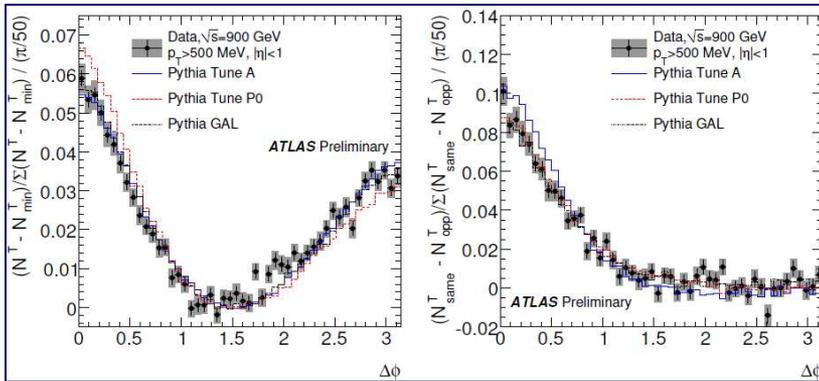
# MC tuning: $\Delta\phi$ correlations

ATLAS-CONF-2010-082

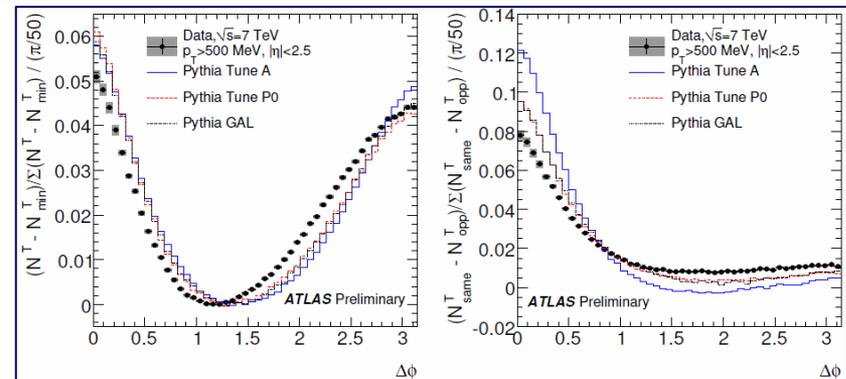
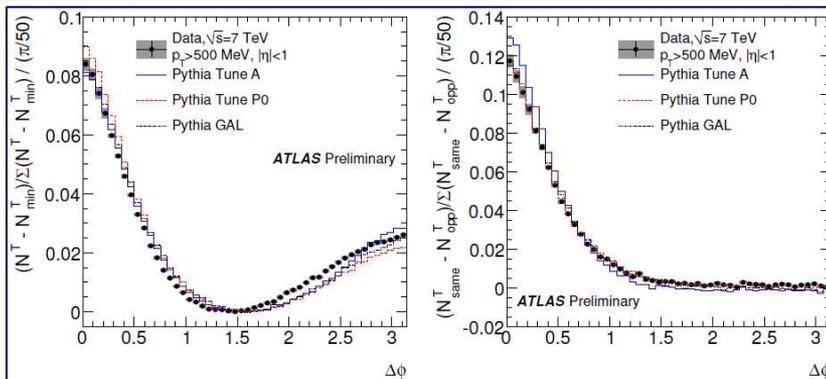


- $\Delta\phi$  “crest shape”
  - Background subtracted distribution of azimuthal angular difference  $\Delta\phi$ , between the leading  $p_T$  particle and all the others
- $\Delta\phi$  “same minus opposite”
  - Each event is divided into two  $\eta$  regions according to the  $\eta$  of the leading particle to create the  $\Delta\phi$  “same minus opposite” observable.
  - $\Delta\phi$  is divided for particles with  $\eta$  of the same sign as the leading particle and for particles with  $\eta$  of the opposite sign. The “opposite region” distribution is subtracted from the “same region” distribution and the resulting distribution is normalised to unit area.

# $\Delta\phi$ correlations

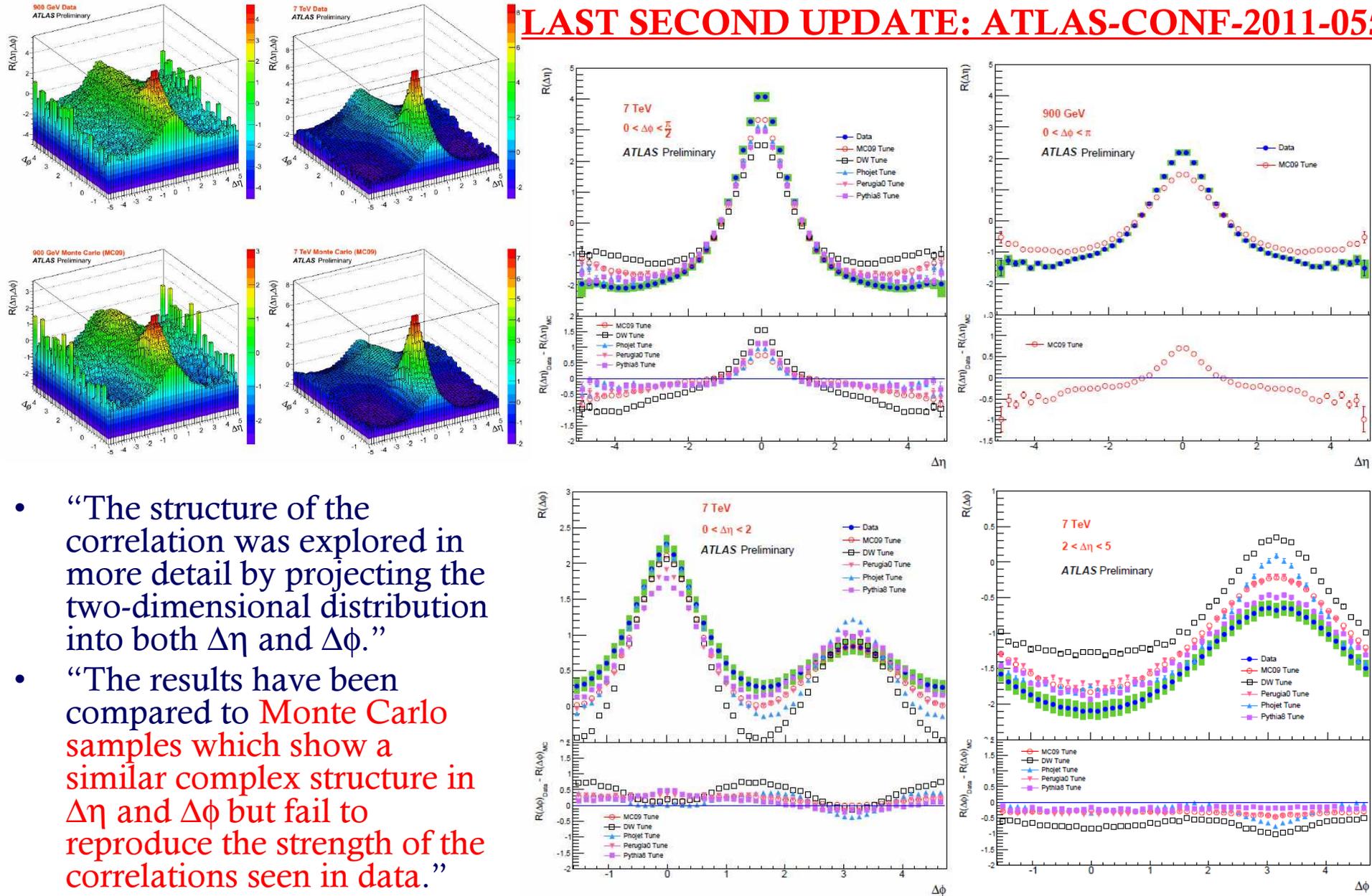


- The **best agreement** between data and theory curves in the region  $|\eta| < 1.0$ 
  - Not surprising since a lot of tunes use TeVatron data from CDF as input, which is limited to this range.
- The agreement is not perfect, especially in the crest shape at 7 TeV where the recoil peak shape is not well-modelled.
- **The further the  $\eta$  range is extended, the worse the match between data and theory**



# MC tuning: $\Delta\eta$ vs. $\Delta\phi$ correlations

LAST SECOND UPDATE: ATLAS-CONF-2011-055



- “The structure of the correlation was explored in more detail by projecting the two-dimensional distribution into both  $\Delta\eta$  and  $\Delta\phi$ .”
- “The results have been compared to Monte Carlo samples which show a similar complex structure in  $\Delta\eta$  and  $\Delta\phi$  but fail to reproduce the strength of the correlations seen in data.”

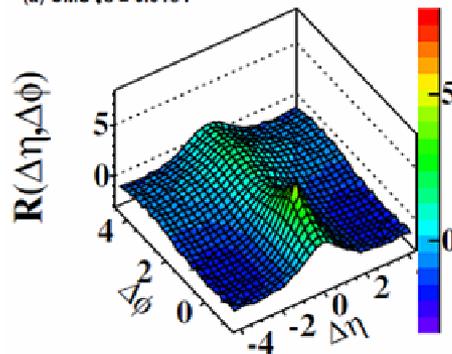
# Characterize QCD: $\Delta\eta$ vs $\Delta\phi$ correlations

- Multiparticle correlations have been measured for a broad range of collision energies and colliding systems with the goal of understanding the underlying mechanism of particle production

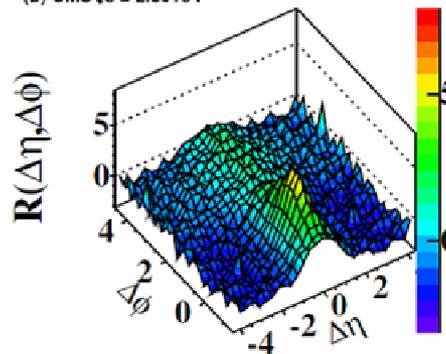
CMS - JHEP 1009:091,2010

CMS pp data

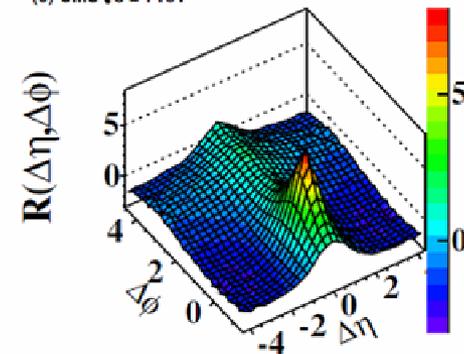
(a) CMS  $\sqrt{s} = 0.9\text{TeV}$



(b) CMS  $\sqrt{s} = 2.36\text{TeV}$

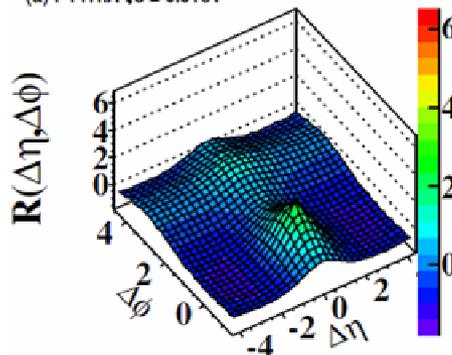


(c) CMS  $\sqrt{s} = 7\text{TeV}$

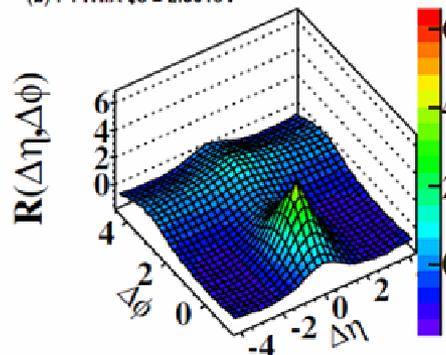


Pythia D6T MC

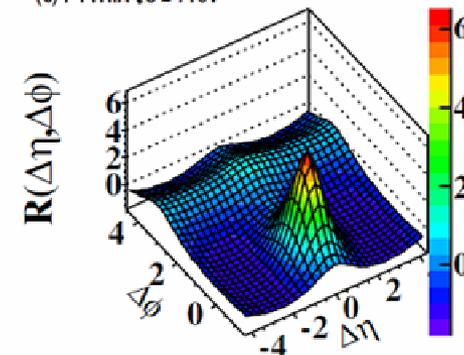
(a) PYTHIA  $\sqrt{s} = 0.9\text{TeV}$



(b) PYTHIA  $\sqrt{s} = 2.36\text{TeV}$



(c) PYTHIA  $\sqrt{s} = 7\text{TeV}$



# $\Delta\eta$ vs $\Delta\phi$ correlations

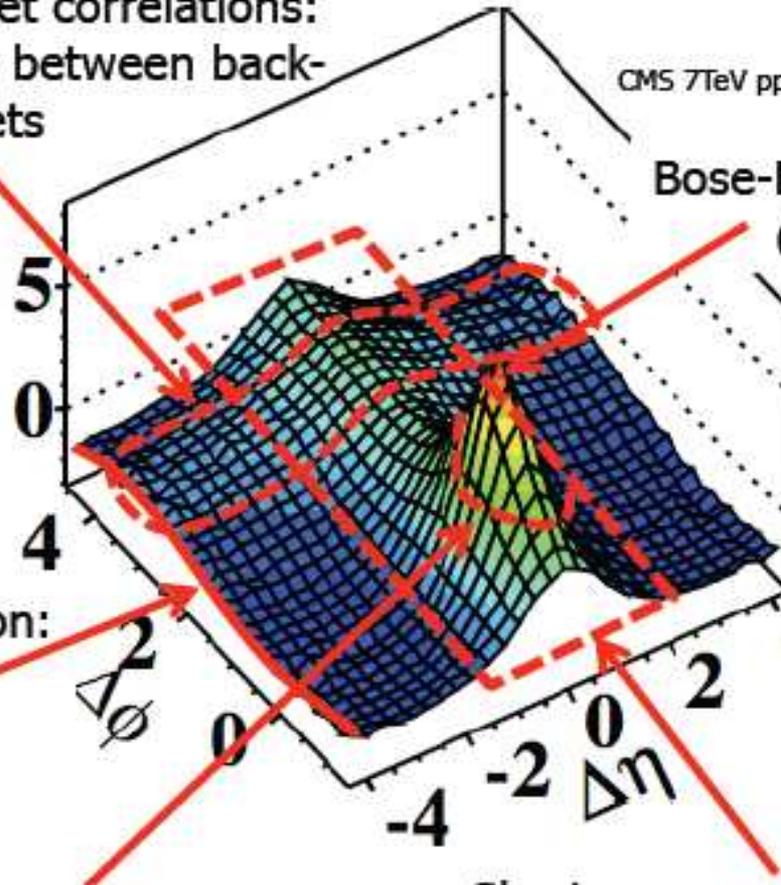
"Away-side" ( $\Delta\phi \sim \pi$ ) jet correlations:  
Correlation of particles between back-to-back jets

CMS 7TeV pp min bias

Bose-Einstein correlations:  
( $\Delta\phi, \Delta\eta$ )  $\sim$  (0,0)

$$R(\Delta\eta, \Delta\phi) = \left\langle (N-1) \left( \frac{S_N(\Delta\eta, \Delta\phi)}{B_N(\Delta\eta, \Delta\phi)} - 1 \right) \right\rangle_N$$

Momentum conservation:  
 $\sim -\cos(\Delta\phi)$



"Near-side" ( $\Delta\phi \sim 0$ ) jet peak:  
Correlation of particles  
within a single jet

Short-range correlations ( $\Delta\eta < 2$ ):  
Resonances, string fragmentation,  
"clusters"

# $\Delta\eta$ vs $\Delta\phi$ correlations

"Away-side" ( $\Delta\phi \sim \pi$ ) jet correlations:  
Correlation of particles between back-to-back jets

$$R(\Delta\eta, \Delta\phi) = \left\langle (N-1) \left( \frac{S_N(\Delta\eta, \Delta\phi)}{B_N(\Delta\eta, \Delta\phi)} - 1 \right) \right\rangle_N$$

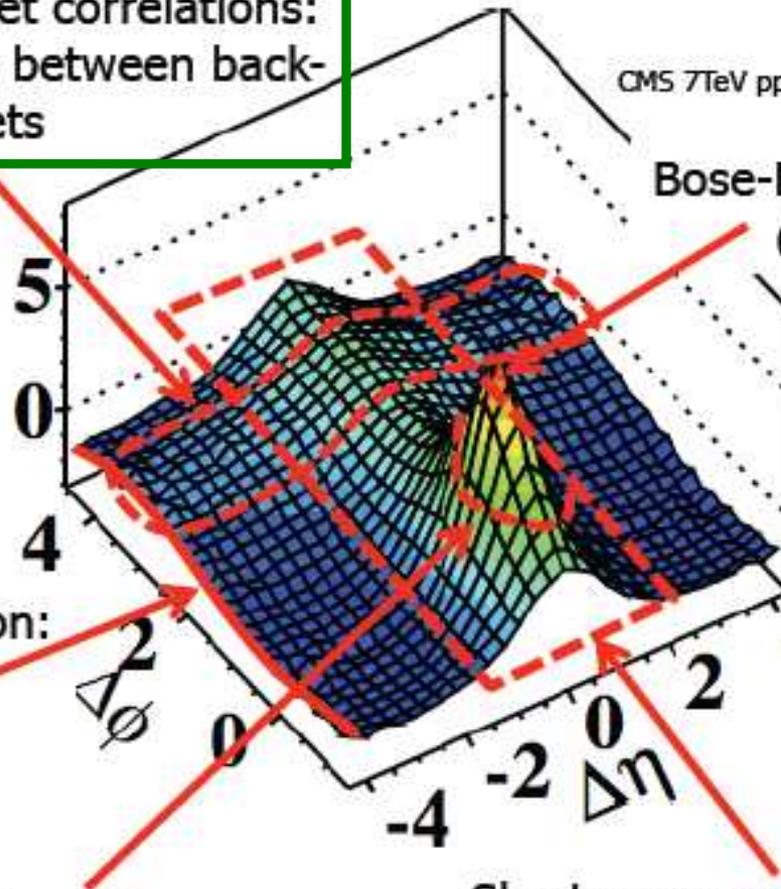
CMS 7TeV pp min bias

Bose-Einstein correlations:  
( $\Delta\phi, \Delta\eta$ )  $\sim$  (0,0)

Momentum conservation:  
 $\sim -\cos(\Delta\phi)$

"Near-side" ( $\Delta\phi \sim 0$ ) jet peak:  
Correlation of particles  
within a single jet

Short-range correlations ( $\Delta\eta < 2$ ):  
Resonances, string fragmentation,  
"clusters"



# $\Delta\eta$ vs $\Delta\phi$ correlations

"Away-side" ( $\Delta\phi \sim \pi$ ) jet correlations:  
Correlation of particles between back-to-back jets

CMS 7TeV pp min bias

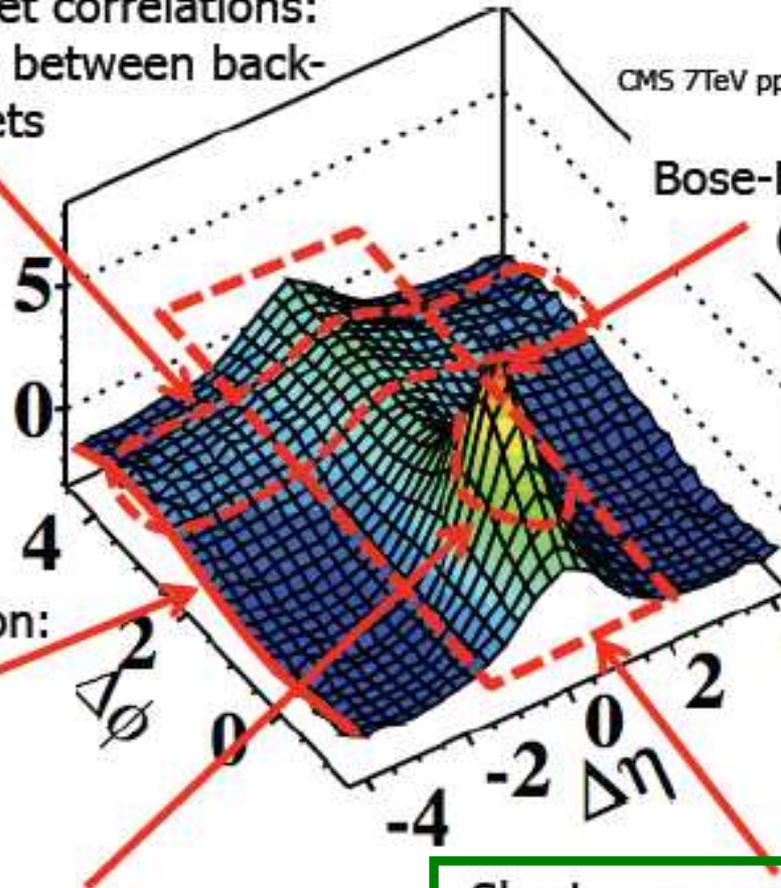
Bose-Einstein correlations:  
( $\Delta\phi, \Delta\eta$ )  $\sim$  (0,0)

$$R(\Delta\eta, \Delta\phi) = \left\langle (N-1) \left( \frac{S_N(\Delta\eta, \Delta\phi)}{B_N(\Delta\eta, \Delta\phi)} - 1 \right) \right\rangle_N$$

Momentum conservation:  
 $\sim -\cos(\Delta\phi)$

"Near-side" ( $\Delta\phi \sim 0$ ) jet peak:  
Correlation of particles within a single jet

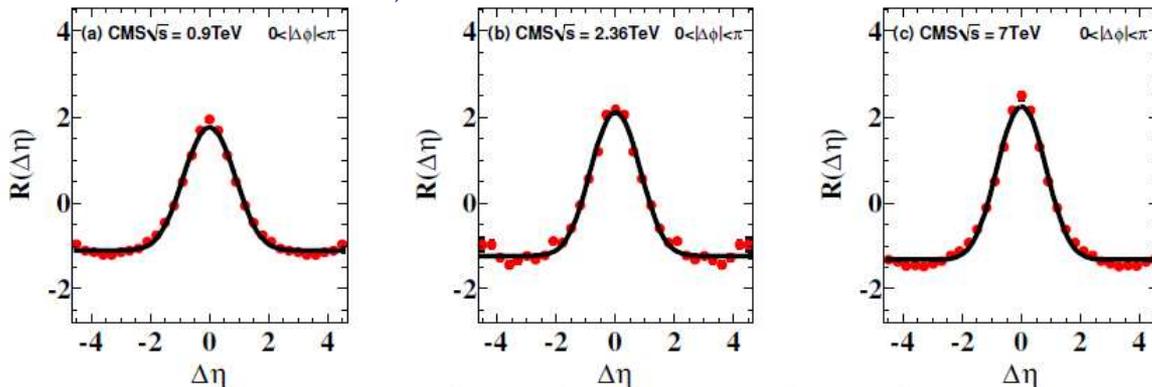
Short-range correlations ( $\Delta\eta < 2$ ):  
Resonances, string fragmentation,  
"clusters"



# $\Delta\eta$ vs $\Delta\phi$ correlations

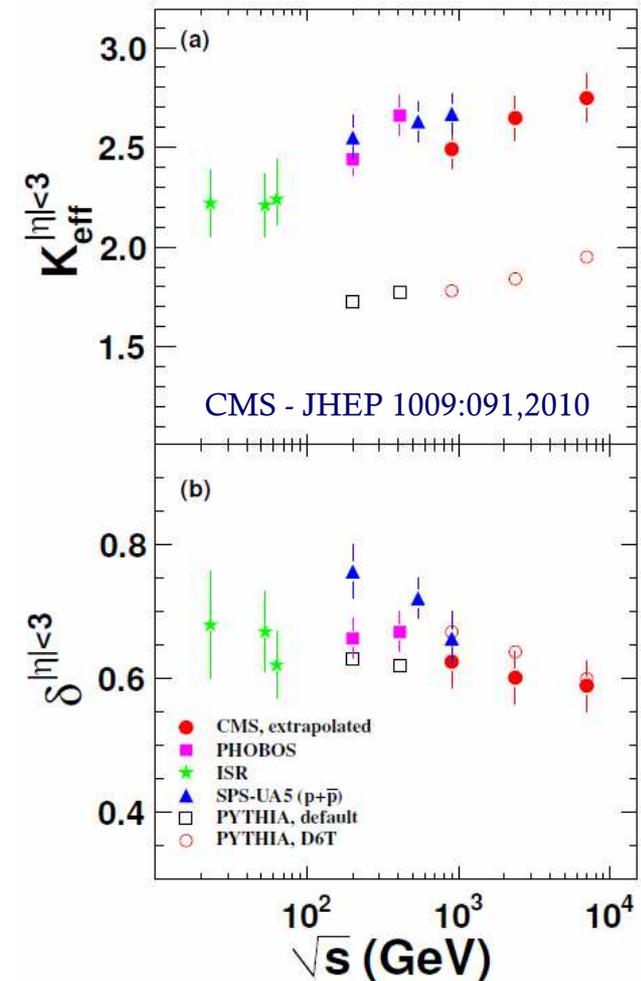
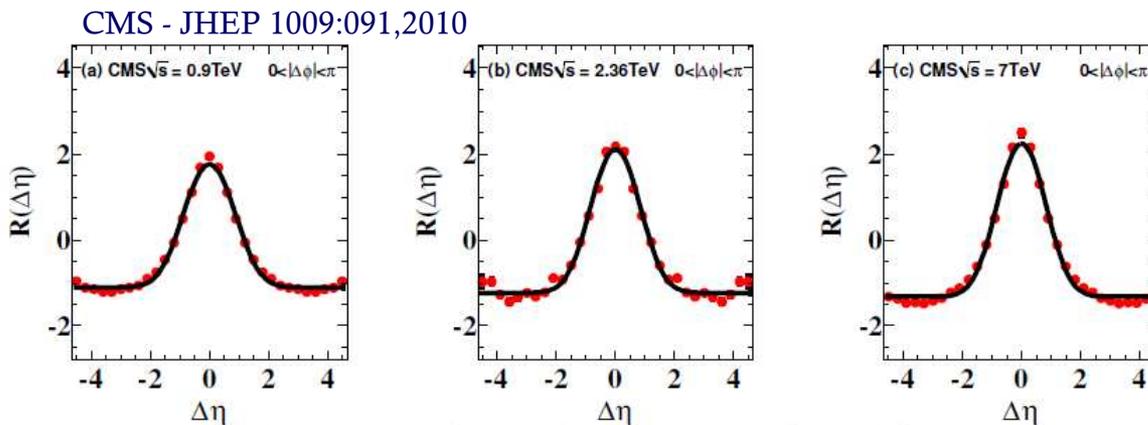
- Short-range correlations in  $\Delta\eta$ , studied in MinBias events, are characterized using a simple “independent cluster” parametrization  $R(\Delta\eta) = \alpha \left[ \frac{\Gamma(\Delta\eta)}{B(\Delta\eta)} - 1 \right]$  in order to quantify their strength (cluster size) and their extent in  $\eta$  (cluster decay width).

CMS - JHEP 1009:091,2010



# $\Delta\eta$ vs $\Delta\phi$ correlations

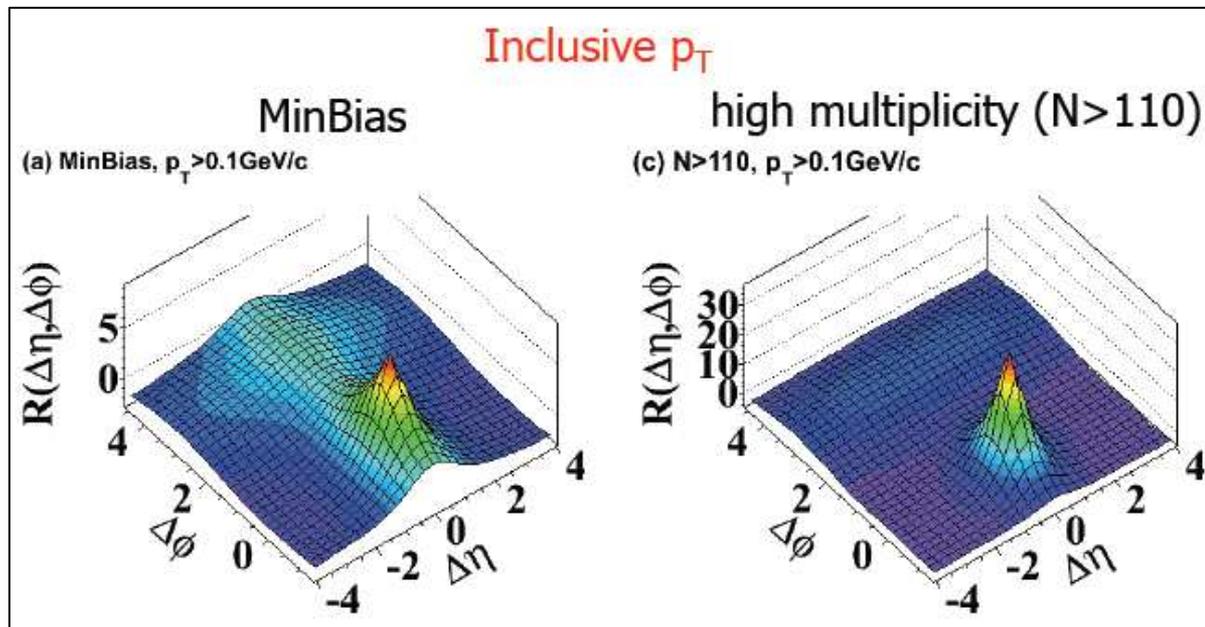
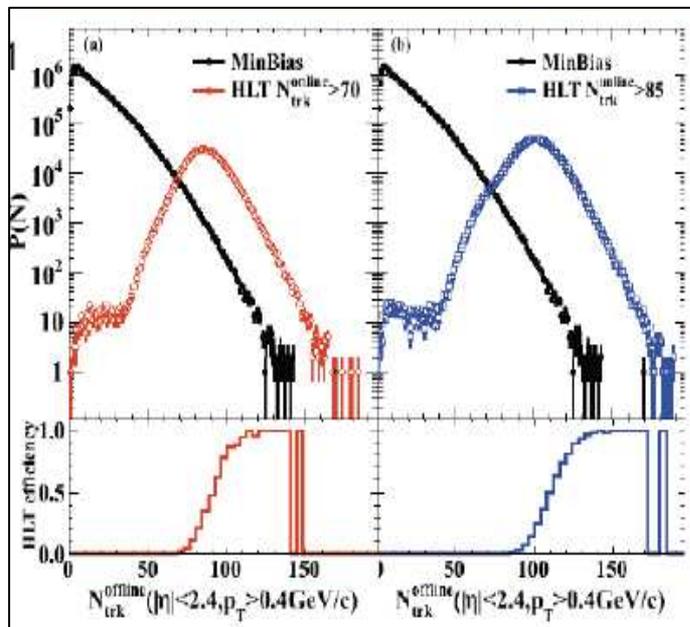
- Short-range correlations in  $\Delta\eta$ , studied in MinBias events, are characterized using a simple “independent cluster” parametrization  $R(\Delta\eta) = \alpha \left[ \frac{\Gamma(\Delta\eta)}{B(\Delta\eta)} - 1 \right]$  in order to quantify their strength (cluster size) and their extent in  $\eta$  (cluster decay width).



PYTHIA reproduces the energy dependence,  
 matches the cluster width  $\delta$  in data, underestimates the cluster size  $K_{\text{eff}}$

# High multiplicity trigger

- Thanks to the very flexible CMS trigger system it was possible to collect a sizeable sample of **very high multiplicity events**
- In these events:
  - There is **abundant jet production**
  - The **jet peak/away-side** correlations are **enhanced**



# MinBias vs high multiplicity events

- Cut off peak at (0,0) shows structure of away-side ridge (back-to-back jets)

CMS - JHEP 1009:091,2010

Intermediate  $p_T$ : 1-3 GeV/c

MinBias

(b) MinBias,  $1.0\text{GeV}/c < p_T < 3.0\text{GeV}/c$

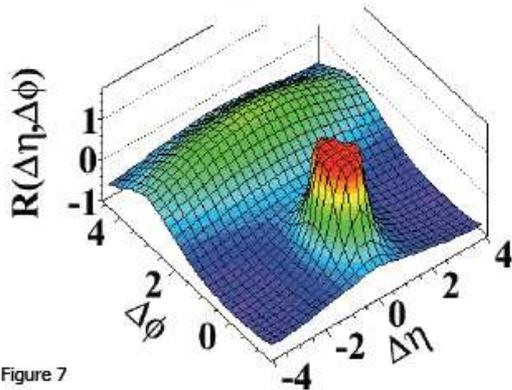
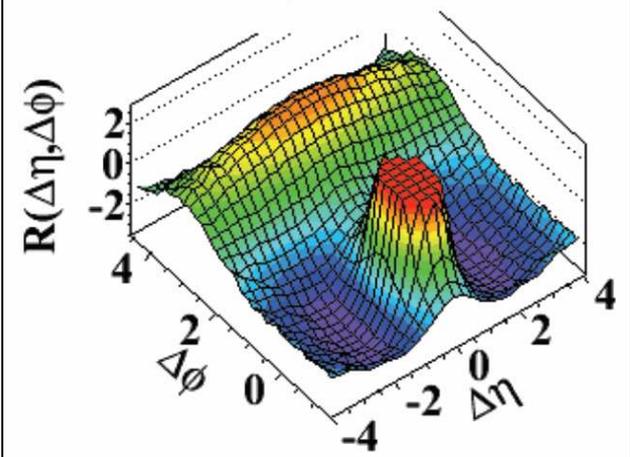


Figure 7

MC (Pythia8 ver.135)

High multiplicity ( $N > 110$ )

(d)  $N > 110$ ,  $1.0\text{GeV}/c < p_T < 3.0\text{GeV}/c$



# MinBias vs high multiplicity events

- Cut off peak at (0,0) shows structure of away-side ridge (back-to-back jets)
- Intermediate  $p_T$  range exhibit a **pronounced structure at large  $\Delta\eta$  around  $\Delta\phi \sim 0$**
- No such a structure is reproduced by MC (Pythia, Herwig, Madgraph)

CMS - JHEP 1009:091,2010

MC (Pythia8 ver.135)

Intermediate  $p_T$ : 1-3 GeV/c

MinBias

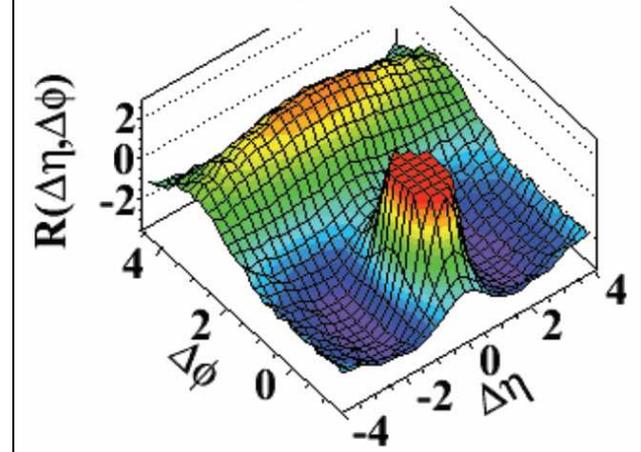
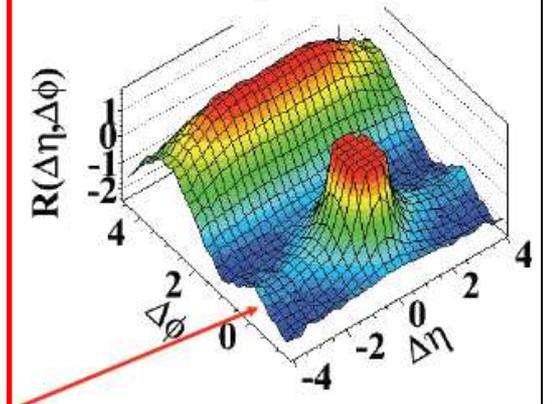
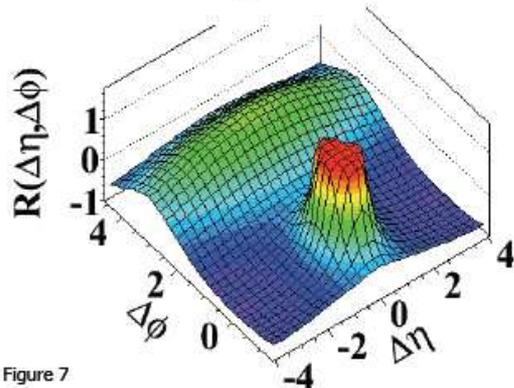
high multiplicity ( $N > 110$ )

High multiplicity ( $N > 110$ )

(b) MinBias,  $1.0 \text{ GeV}/c < p_T < 3.0 \text{ GeV}/c$

(d)  $N > 110$ ,  $1.0 \text{ GeV}/c < p_T < 3.0 \text{ GeV}/c$

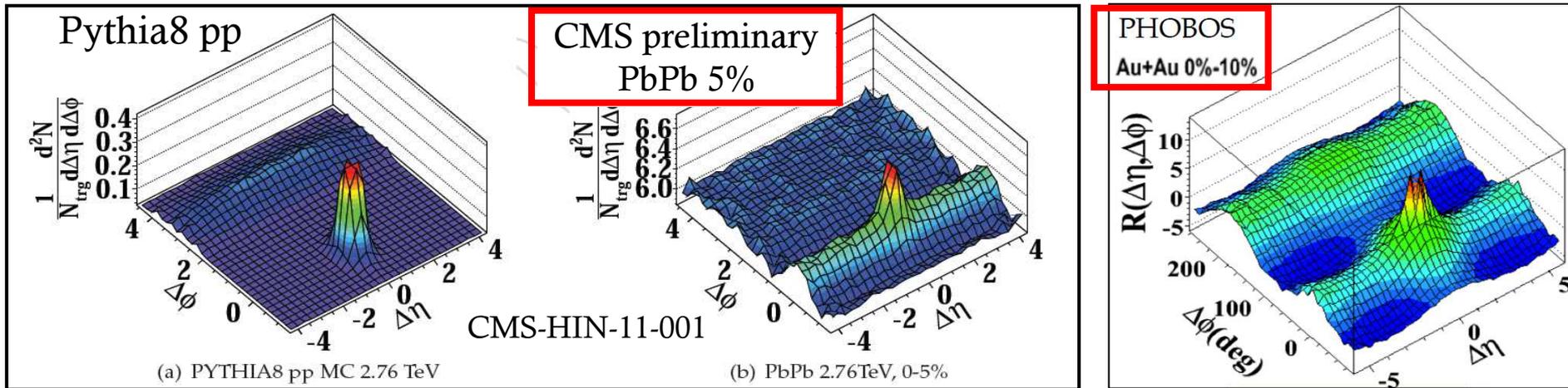
(d)  $N > 110$ ,  $1.0 \text{ GeV}/c < p_T < 3.0 \text{ GeV}/c$



Pronounced structure at large  $\Delta\eta$  around  $\Delta\phi \sim 0$  !

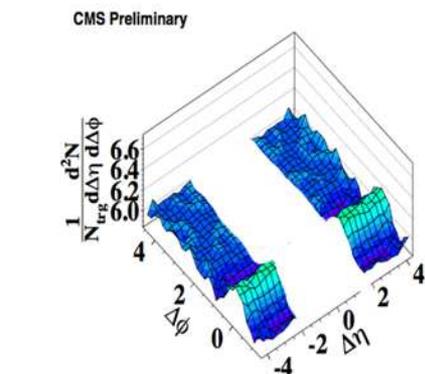
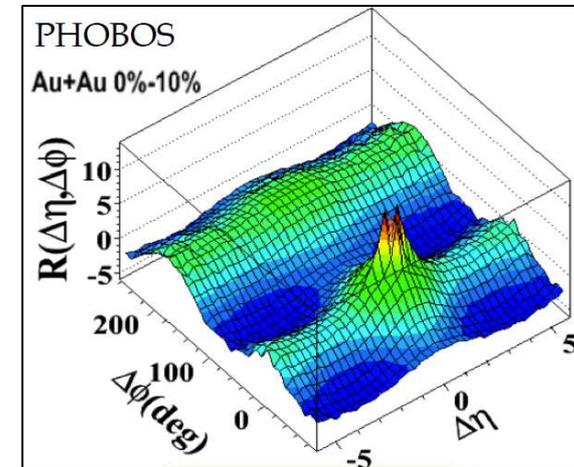
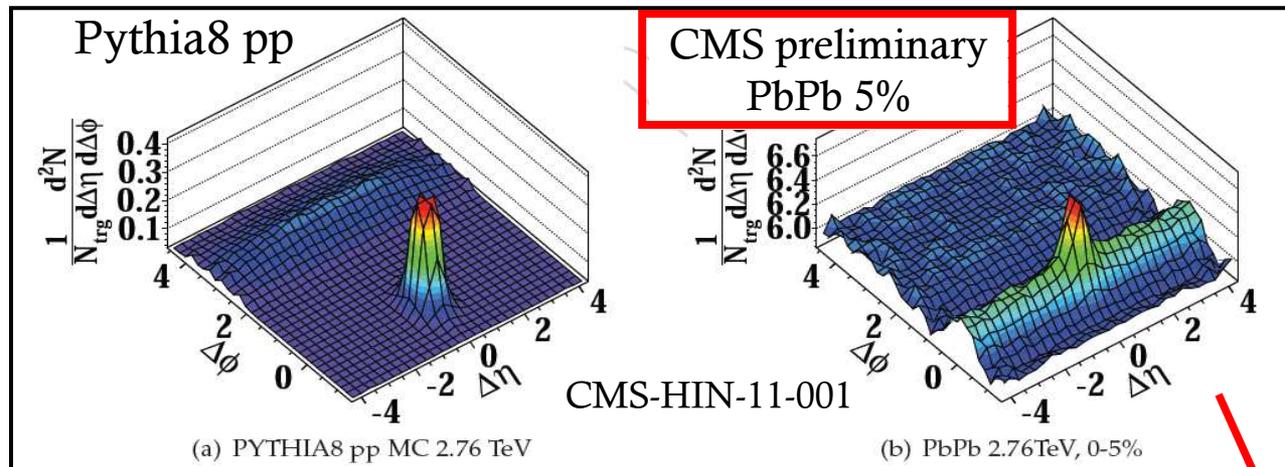
# The “ridge” in PbPb collisions

- The pronounced structure at large  $\Delta\eta$  around  $\Delta\phi\sim 0$ , usually called “**ridge**”, was discovered in long-range pseudorapidity correlations in central AuAu collisions at RHIC.
- In that case is expected to be an evidence of the development of **collective motion**, where matter is strongly interacting.

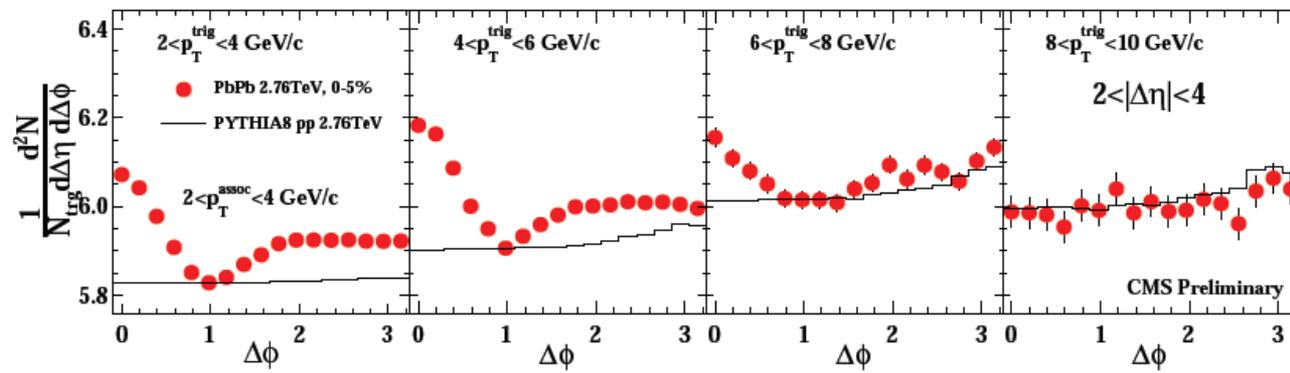


# The “ridge” in PbPb collisions

- The pronounced structure at large  $\Delta\eta$  around  $\Delta\phi\sim 0$ , usually called “**ridge**”, was discovered in long-range pseudorapidity correlations in central AuAu collisions at RHIC.
- In that case is expected to be an evidence of the development of **collective motion**, where matter is strongly interacting.

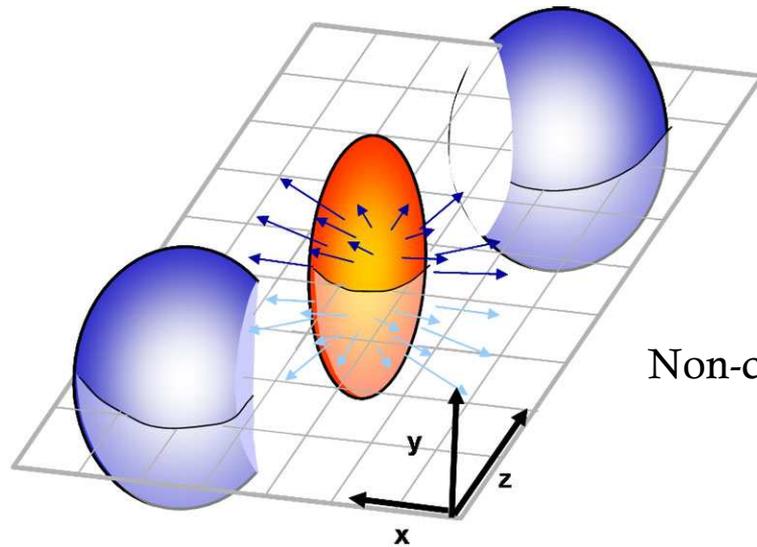


CMS-HIN-11-001



# Describing collectivity: hydrodynamics

- Hydrodynamics approach describes collective flow
  - common velocity of all particles
- The process drives the space-time evolution of the system
- The observables in the momentum sector: particle spectra, **elliptic flow** are well described with a variety of model parameters.

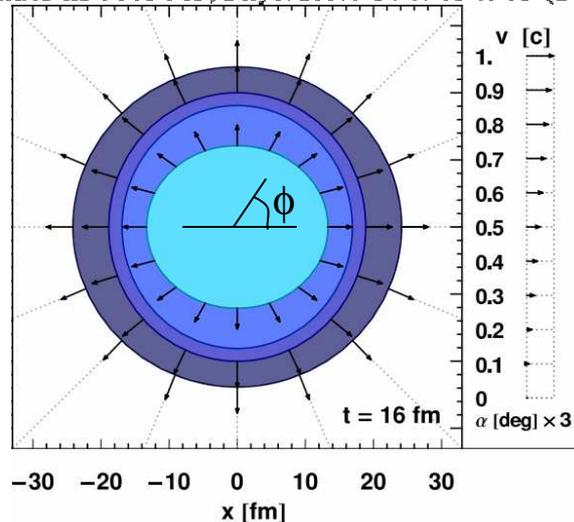


Non-central collision sketch

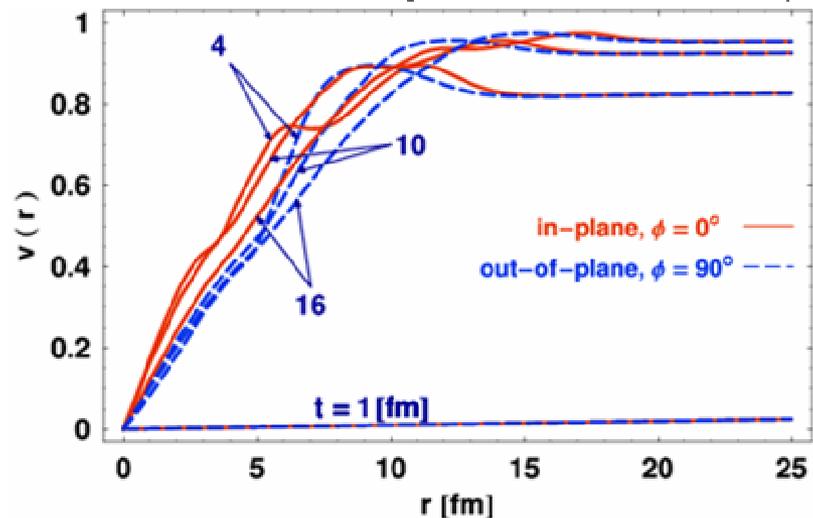
# Describing collectivity: hydrodynamics

- Hydrodynamics approach describes collective flow
  - common velocity of all particles
- The process drives the space-time evolution of the system
- The observables in the momentum sector: particle spectra, **elliptic flow** are well described with a variety of model parameters.

Chojnacki M., Florkowski W.  
nucl-th/0603065, Phys. Rev. C74: 034905 (2006)



Chojnacki M., Florkowski W.  
nucl-th/0603065, Phys. Rev. C74: 034905 (2006)



# Elliptic flow

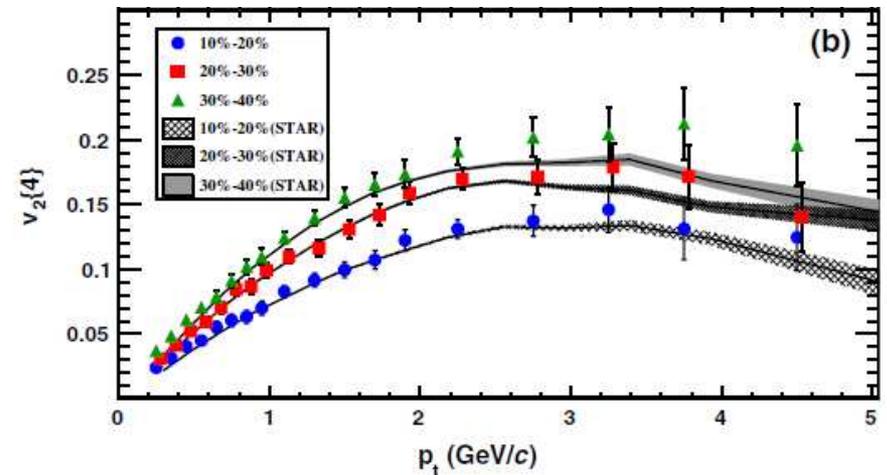
- The **second moment of the final state hadron azimuthal distribution is called elliptic flow**
  - it is a response of the dense system to the initial conditions and therefore **sensitive to the early and hot, strongly interacting phase of the evolution.**

$$E \frac{d^3 N}{d^3 p} = \frac{1}{2\pi} \frac{d^2 N}{p_t d p_t dy} \left( 1 + \sum_{n=1}^{\infty} 2v_n \cos[n(\phi - \Psi_R)] \right)$$

where  $E$  is the energy of the particle,  $p$  the momentum,  $p_t$  the transverse momentum,  $\phi$  the azimuthal angle,  $y$  the rapidity, and  $\Psi_R$  the reaction plane angle. The reaction plane is the plane defined by the beam axis  $z$  and the impact parameter direction.

- Using a **4-particle correlation** method, (averaged over transverse momentum and pseudorapidity) the elliptic flow signal  $v_2$  is found to be  $v_2 = 0.087 \pm 0.002(\text{stat}) \pm 0.003(\text{syst})$  in the 40%–50% centrality class.
- The differential elliptic flow  $v_2(p_t)$  reaches a maximum of 0.2 near  $p_t = 3 \text{ GeV}/c$ .
- Compared to RHIC Au-Au collisions at  $\sqrt{s}_{NN} = 200 \text{ GeV}$ , the **elliptic flow increases by about 30% due to harder  $p_t$  spectrum**, differential results are found to be consistent

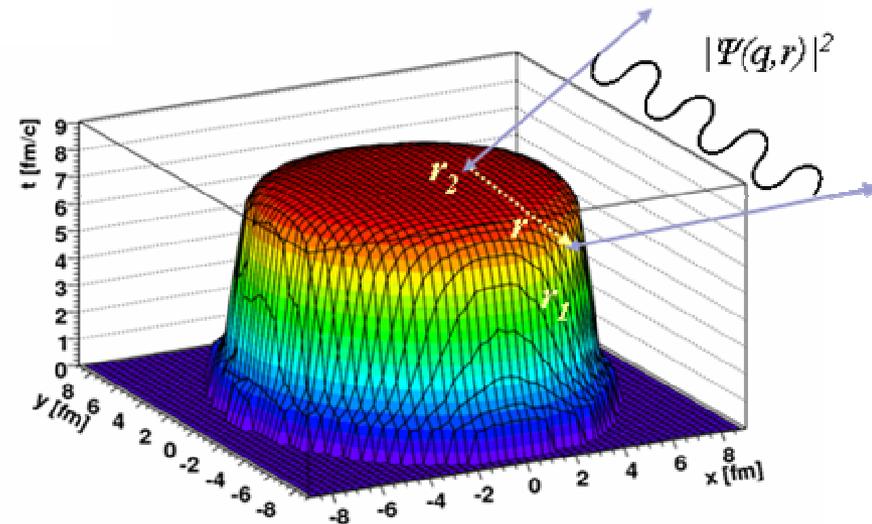
ALICE - arXiv:1011.3914



(b)  $v_2\{4\}(p_t)$  for various centralities compared to STAR measurements. The data points in the 20%–30% centrality bin are shifted in  $p_t$  for visibility.

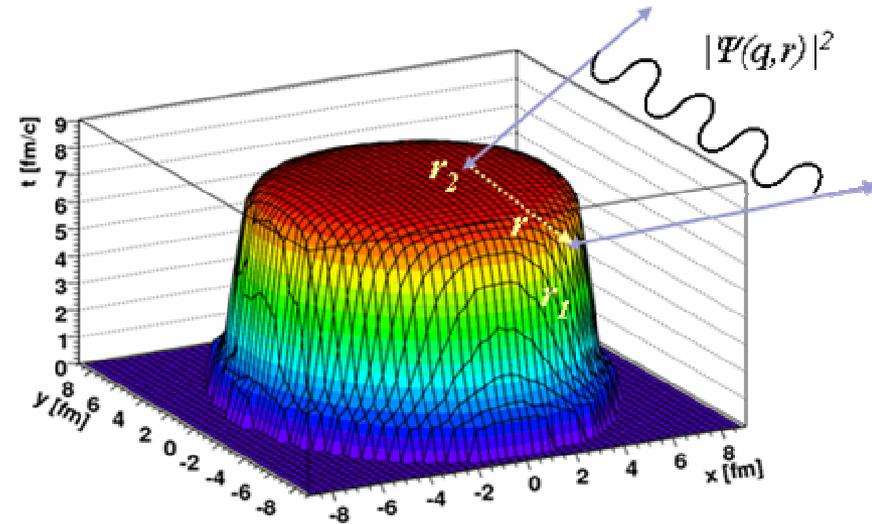
# Measuring space-time extent: femtoscopy

- Femtoscopy uses the correlation between two particles which arises from quantum statistics symmetrization (Bose-Einstein correlation, BEC or HBT)
- The correlation is reflected in the pair wave function  $\Psi$  as an enhancement of same-sign charged particles with small relative four-momentum.
- Is it possible to learn about the space-time structure of the source by measuring the correlation function of the particles.



# Measuring space-time extent: femtoscopy

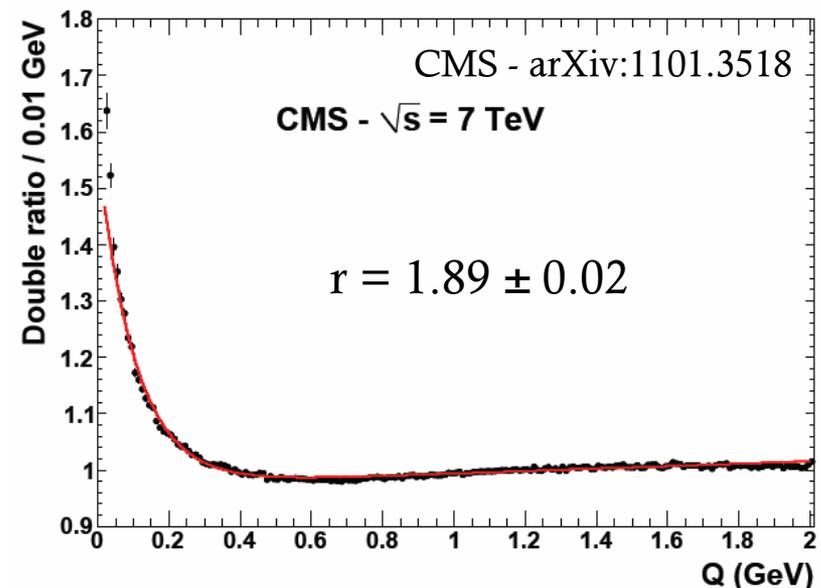
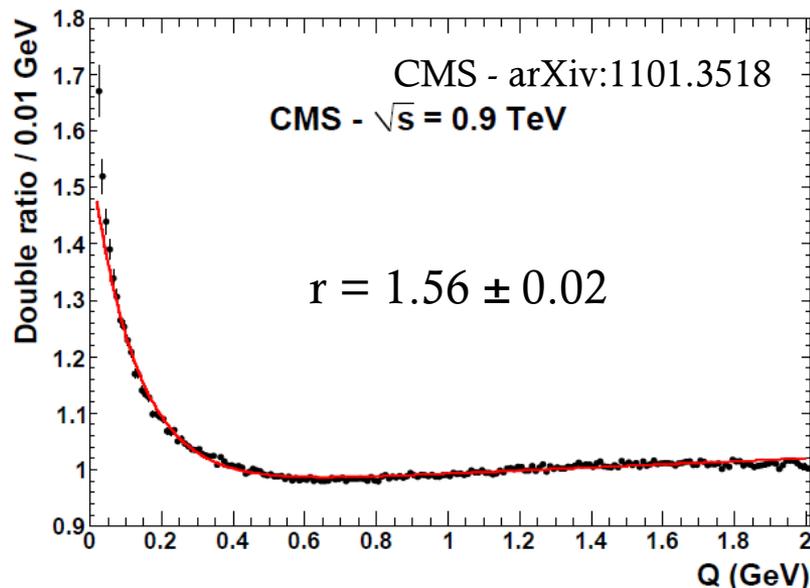
- Femtoscopy uses the correlation between two particles which arises from quantum statistics symmetrization (Bose-Einstein correlation, BEC or HBT)
- The correlation is reflected in the pair wave function  $\Psi$  as an enhancement of same-sign charged particles with small relative four-momentum.
- Is it possible to learn about the space-time structure of the source by measuring the correlation function of the particles.
- Experimentally the proximity in phase space between final-state particles is quantified by the Lorentz-invariant quantity  $Q = \sqrt{-(p_1 - p_2)^2} = \sqrt{M^2 - 4m_\pi^2}$  which is then fitted with the parametrization  $R(Q) = C \cdot [1 + \lambda \Omega(Qr)] \cdot (1 + \delta Q)$ 
  - $\Omega$  is often phenomenologically parameterized as  $\Omega(Qr) = e^{-(Qr)^2}$  or  $\Omega(Qr) = e^{-(Qr)}$ 
    - $r$  is the effective size of the source
    - $\lambda$  measures the “strength” of BEC
    - $\delta$  accounts for long-distance correlations
    - $C$  is a normalization factor.



# Determination of BEC parameters

- Fits to the correlation function (using exponential  $\Omega$  form) performed on CMS data at different energies lead to different  $r$  values

$\sqrt{s}$	$\chi^2/N_{\text{dof}}$	C	$\lambda$	r (fm)	$\delta$ ( $10^{-2} \text{ GeV}^{-1}$ )
0.9 TeV	2.5	$0.965 \pm 0.001$	$0.616 \pm 0.011$	$1.56 \pm 0.02$	$2.8 \pm 0.1$
7 TeV	3.8	$0.971 \pm 0.001$	$0.618 \pm 0.009$	$1.89 \pm 0.02$	$2.2 \pm 0.1$

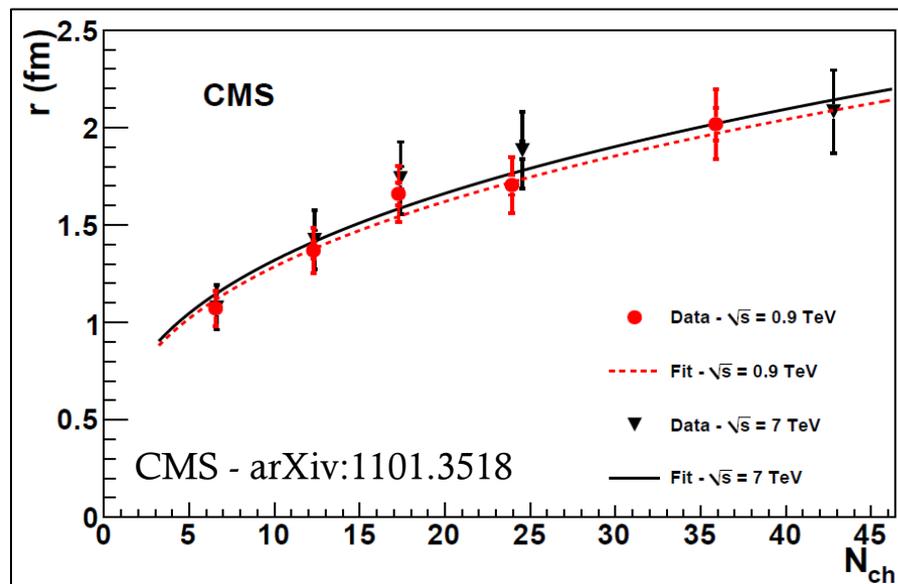


# Determination of BEC parameters

- Fits to the correlation function (using exponential  $\Omega$  form) performed on CMS data at different energies lead to different  $r$  values

$\sqrt{s}$	$\chi^2/N_{\text{dof}}$	C	$\lambda$	r (fm)	$\delta$ ( $10^{-2} \text{ GeV}^{-1}$ )
0.9 TeV	2.5	$0.965 \pm 0.001$	$0.616 \pm 0.011$	$1.56 \pm 0.02$	$2.8 \pm 0.1$
7 TeV	3.8	$0.971 \pm 0.001$	$0.618 \pm 0.009$	$1.89 \pm 0.02$	$2.2 \pm 0.1$

- However both CMS and ALICE show that the scaling of  $r$  is dominated by the different mean values of the charged-particle multiplicities in the event ( $N_{\text{ch}}$ ) and  $k_T$  (pair momentum), defined as  $k_T = |\mathbf{p}_{T,1} + \mathbf{p}_{T,2}|/2$ .
  - The scaling as a function of  $N_{\text{ch}}$  is well described by the function  $r(N_{\text{ch}}) = a \cdot (N_{\text{ch}})^{1/3}$
  - Inside the  $N_{\text{ch}}$  and  $k_T$  bins the results are consistent



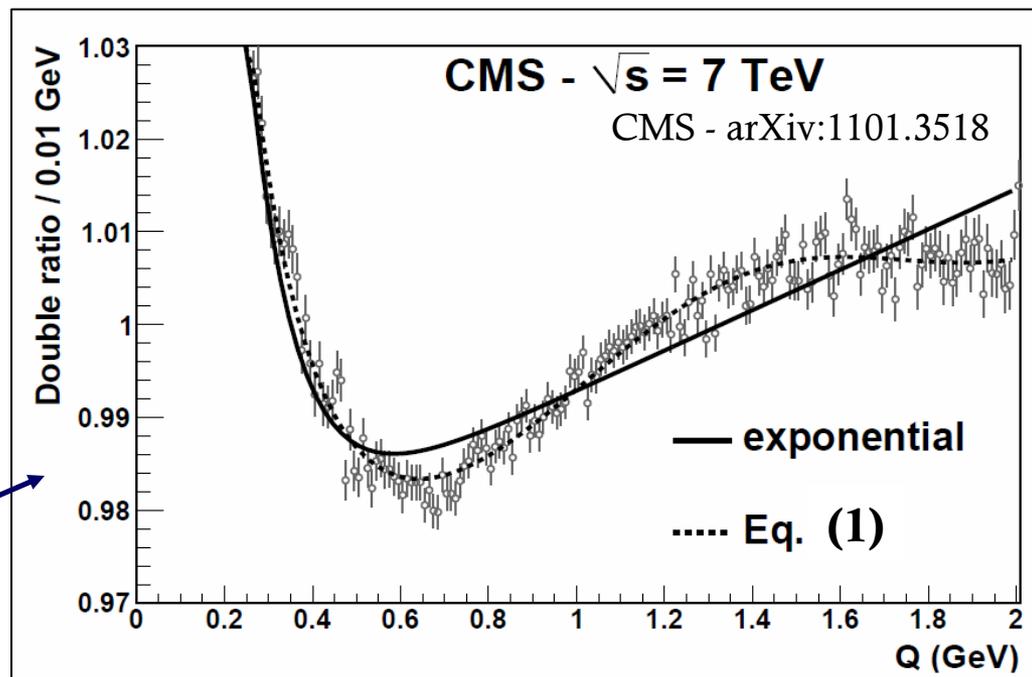
# BEC fitting functions

- The  $\Omega$  functions used in literature to fit the BEC distribution, are not able to provide a good description of the  $R$  distributions
  - mainly due to an anticorrelation effect in the  $Q$  distribution just above the signal region (dip with  $R < 1$ )
- Such a dip was observed in  $e^+e^-$  collisions at LEP by the L3 collaboration.
  - an alternative parameterization for  $R(Q)$  has been proposed:

$$R(Q) = C \cdot \left[ 1 + \lambda \left( \cos[(r_0 Q)^2 + \tan(\alpha\pi/4)(Qr)^\alpha] \cdot e^{-(Qr)^\alpha} \right) \right] \cdot (1 + \delta Q) \quad (1)$$

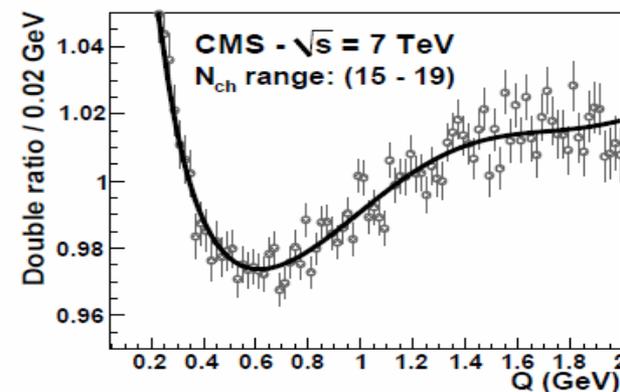
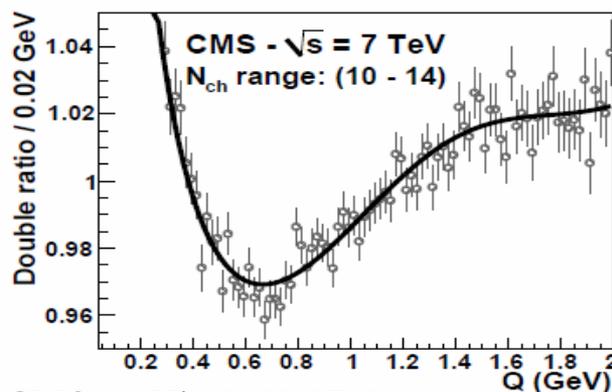
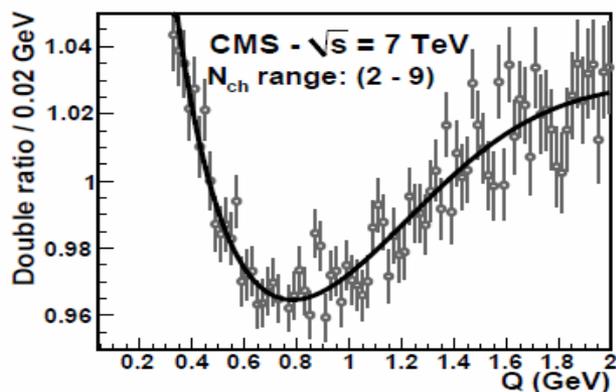
- $r_0$  is related to the proper time of the onset of particle production,  $r$  enters in both the exponential and the oscillation factors.
- Fits with Eq. (1) are of very good quality, ( $\chi^2/N_{\text{dof}} \sim 1$ ) at both energies (0.9 and 7 TeV)

PS: note the enlarged Y scale

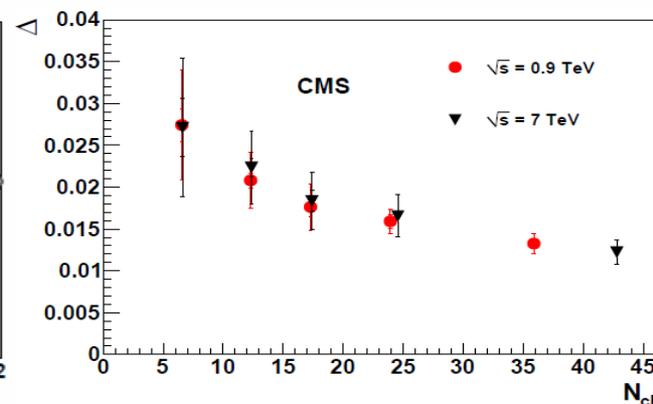
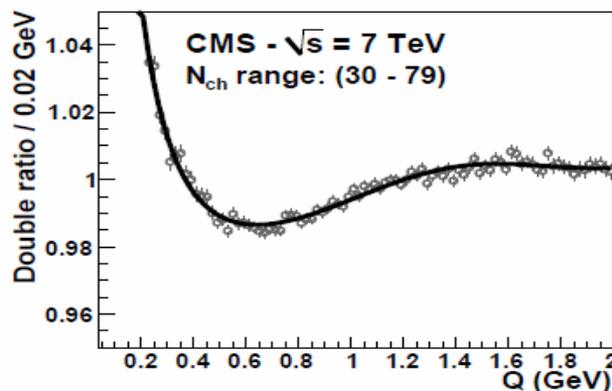
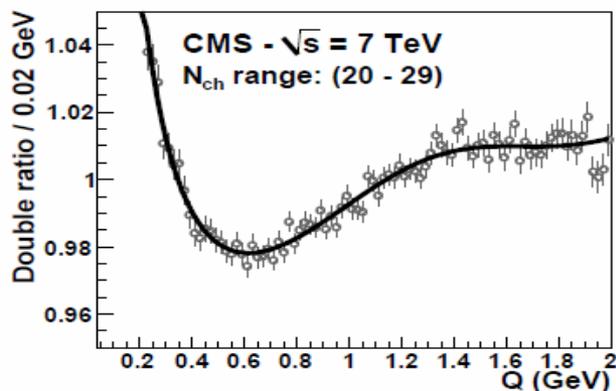


# BEC fitting functions

- The **depth of the dip** in the anticorrelation region is measured as the difference  $\Delta$  between the baseline curve defined as  $C \cdot (1 + \delta Q)$  and the minimum of  $R$  fitted with Eq. (1).
- The depths are found to **decrease with  $N_{ch}$**  consistently for the two centre-of-mass energies.



CMS - arXiv:1101.3518

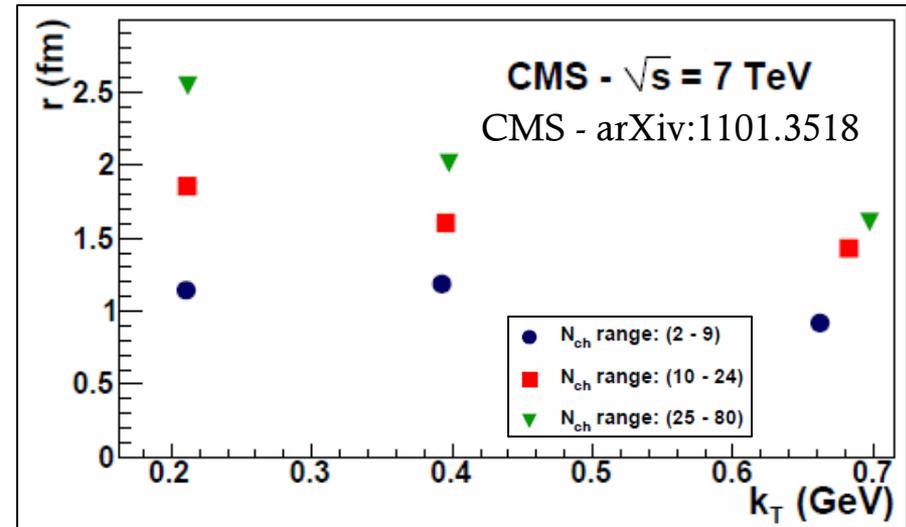
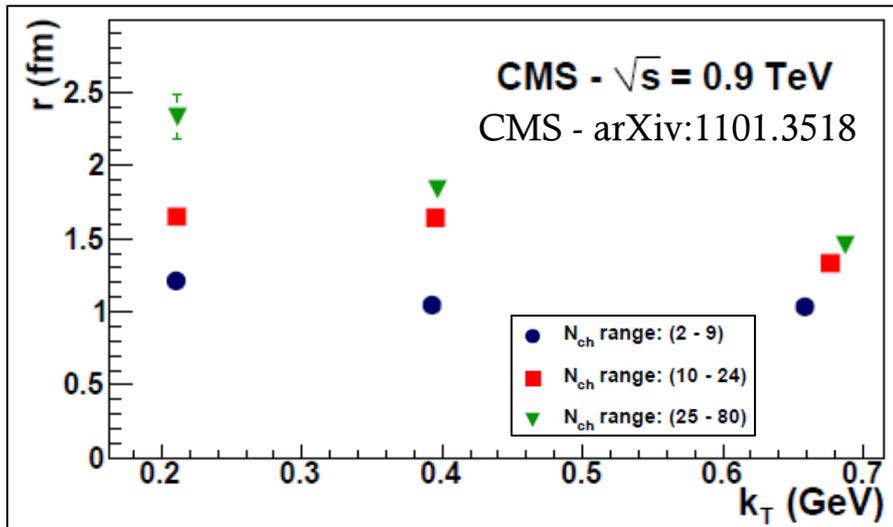


# $N_{\text{ch}}$ and $k_{\text{T}}$ dependence with exponential $\Omega$

- The BEC is studied as a function of both charged-particle multiplicity in the event,  $N_{\text{ch}}$ , and of the **pair average transverse momentum  $k_{\text{T}}$** 
  - a **dependence on  $k_{\text{T}}$**  has been observed at the Tevatron and at RHIC in Heavy Ion collisions, where it is **associated with the system collective expansion**.

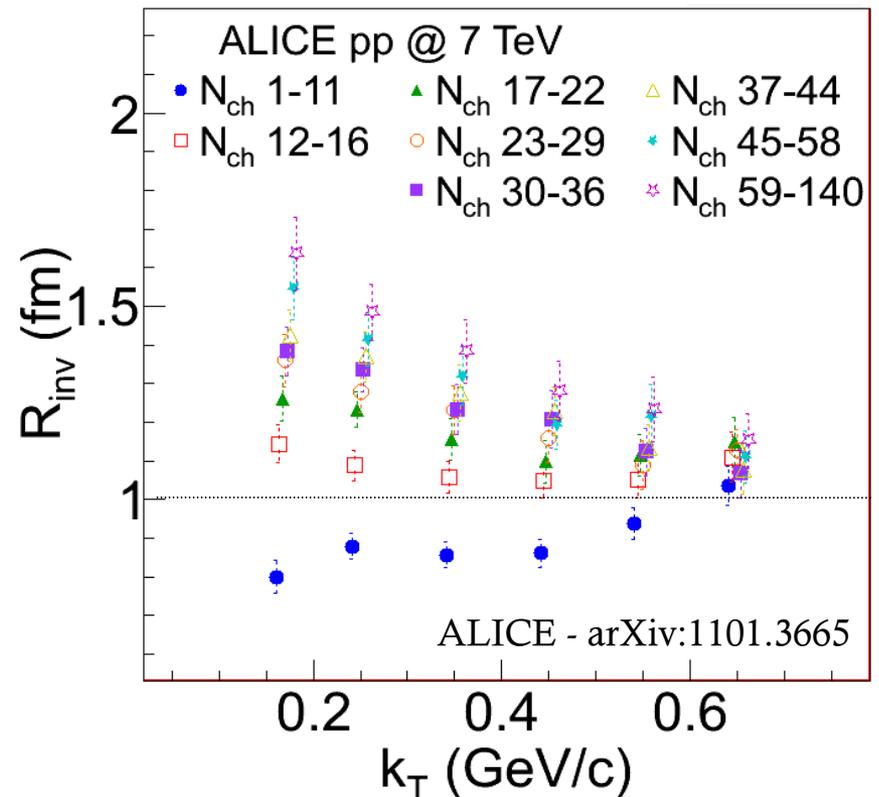
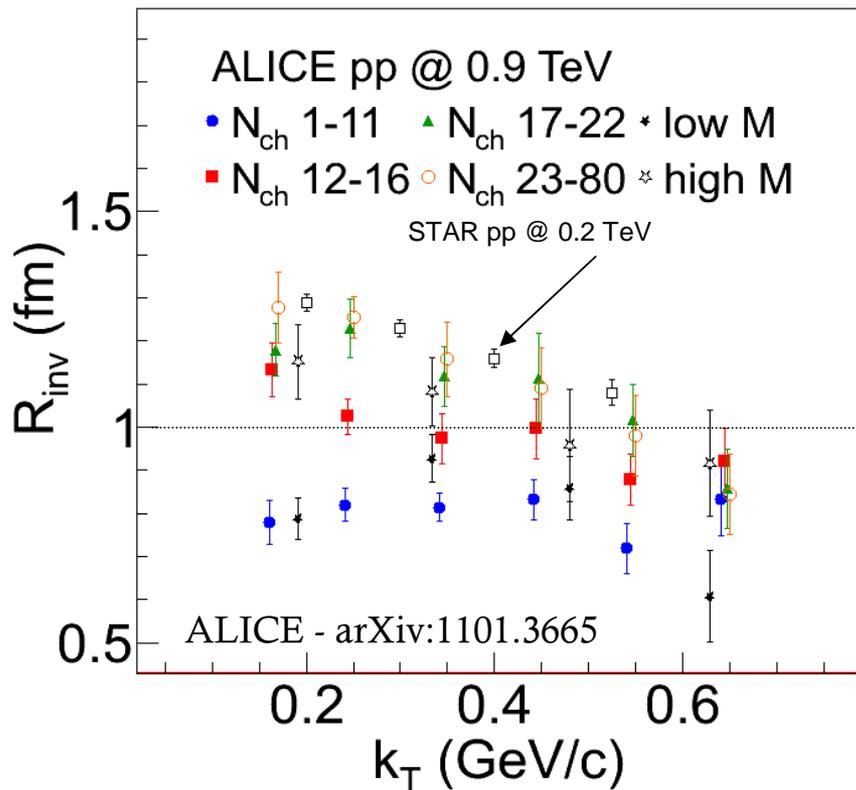
# $N_{ch}$ and $k_T$ dependence with exponential $\Omega$

- The BEC is studied as a function of both charged-particle multiplicity in the event,  $N_{ch}$ , and of the **pair average transverse momentum  $k_T$** 
  - a **dependence on  $k_T$**  has been observed at the Tevatron and at RHIC in Heavy Ion collisions, where it is **associated with the system collective expansion**.
- Using the usual exponential  $\Omega$  parameterization, the **effective radius  $r$** :
  - is observed to increase with multiplicity
  - at low multiplicity, is approximately independent of  $k_T$
  - **decreases with  $k_T$  as  $N_{ch}$  increases**
- Alternative fitting functions give consistent trend results

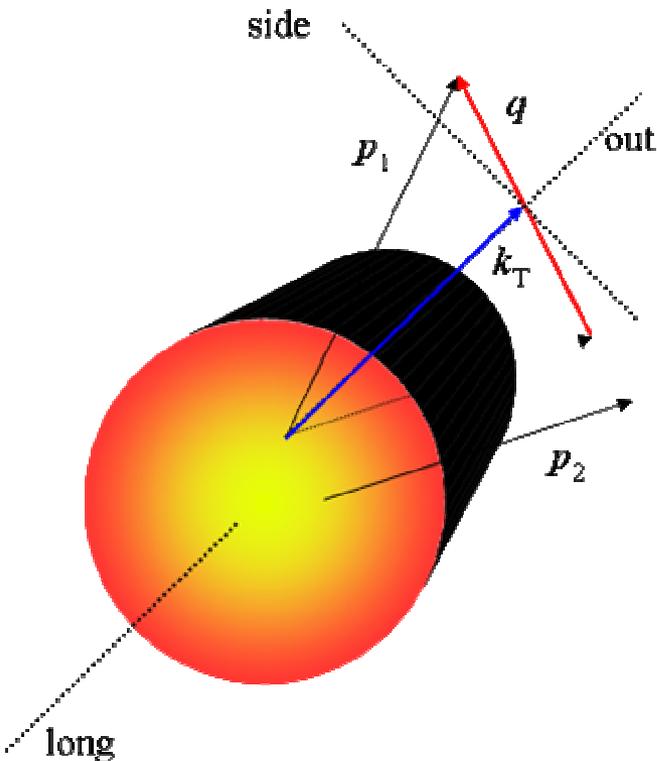


# $N_{ch}$ and $k_T$ dependence with Gaussian $\Omega$

- Using Gaussian  $\Omega$  form
  - At low multiplicity,  $r$  is approximately independent of  $k_T$
  - $r$  decreases with  $k_T$  as  $N_{ch}$  increases
    - consistent with CMS measurement



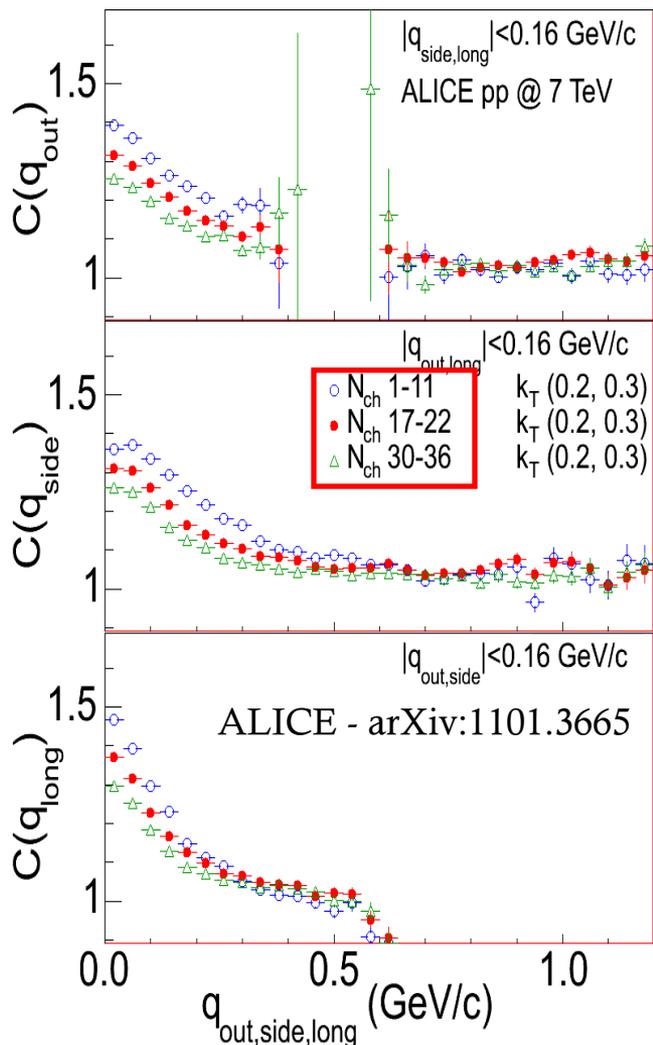
# BEC 3D: directions and reference frames



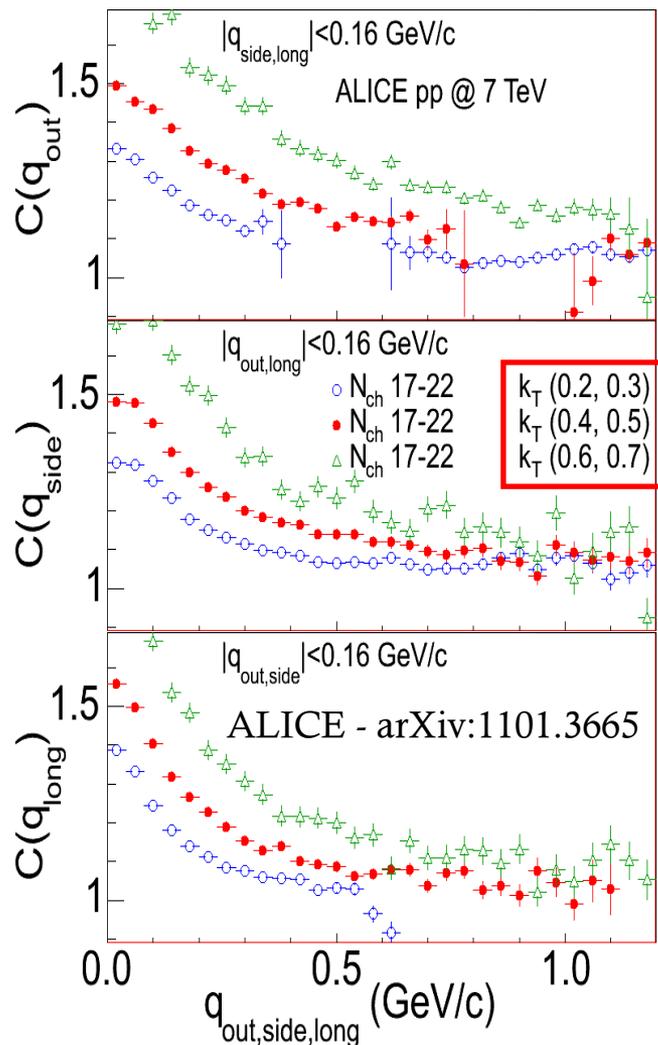
- **1-dimensional BEC** analysis vs. the invariant relative momentum  $Q$  (or  $q_{inv}$ ) can only extract system size averaged over all directions.
- In the **Longitudinally Co-Moving System in 3 directions**: *long* – the beam axis, *out* – the pair momentum, *side* – orthogonal to the others.
  - In LCMS the pair momentum in *long* vanishes.
  - Gives access to three system sizes in these directions separately.
  - Focus is on the transverse direction, where *side* is interpreted as “geometrical size” while *out* has additional components from emission duration.
  - *Long* is used to extract total evolution time.
- The 3-dimensional correlation is usually shown either as 1-dimensional slices along the axes
  - can be also shown as a set of spherical harmonics components

# $N_{ch}$ and $k_T$ dependence of the correlation function

Dependence of the radii on multiplicity visible, not strong



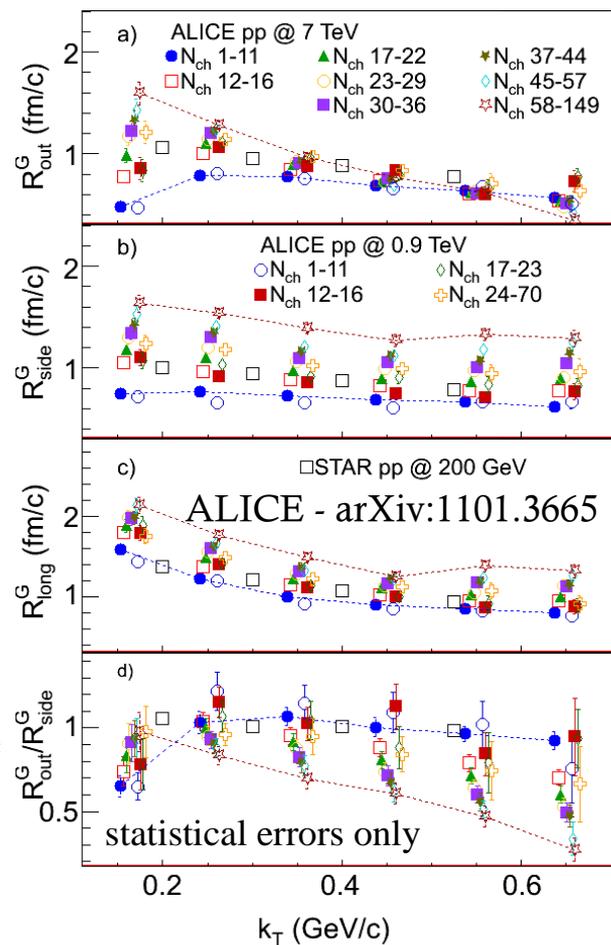
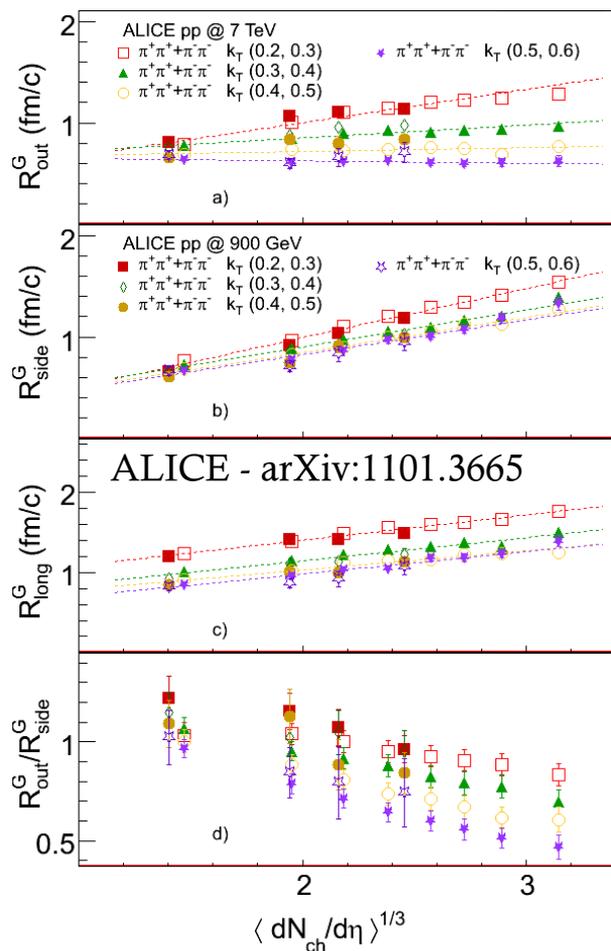
Dependence on  $k_T$  visible, stronger



# BEC radii in pp at 0.9 and 7 TeV

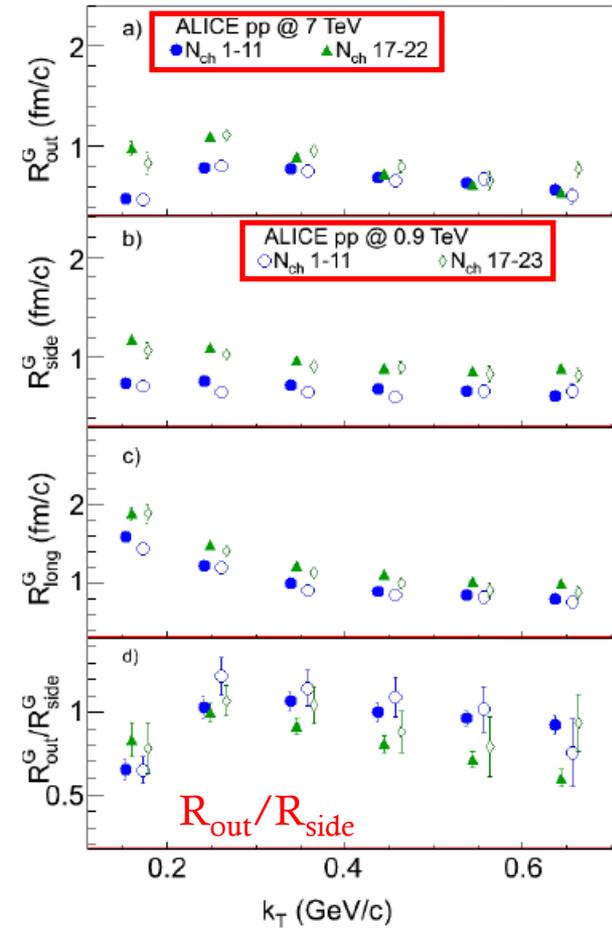
- Grow with multiplicity for all energies,
  - scaling linearly for each  $k_T$  bin

- Fall with  $k_T$ 
  - develops with multiplicity for  $R_{out}$
  - less pronounced for  $R_{side}$
  - very prominent for  $R_{long}$



# Summary of lessons learnt @ LHC

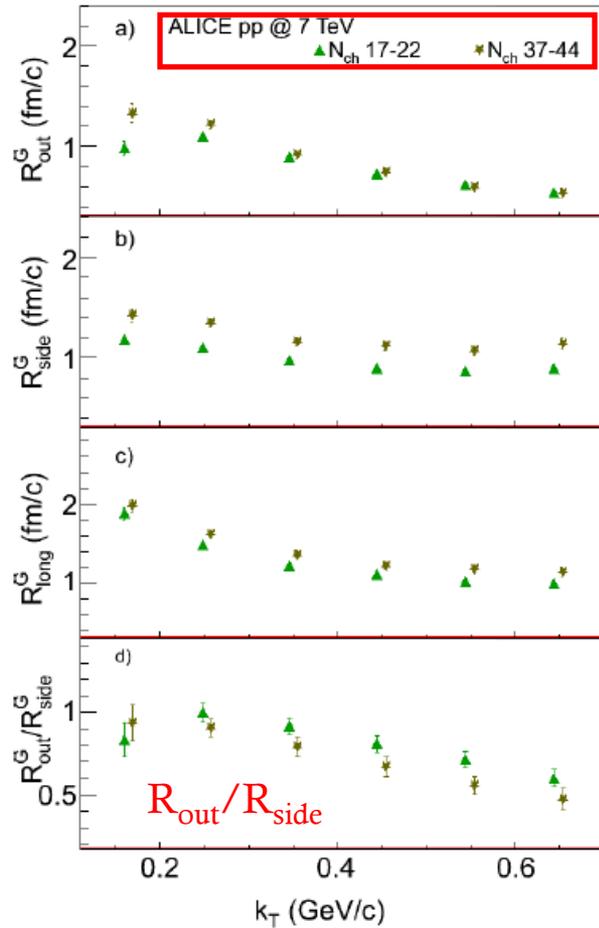
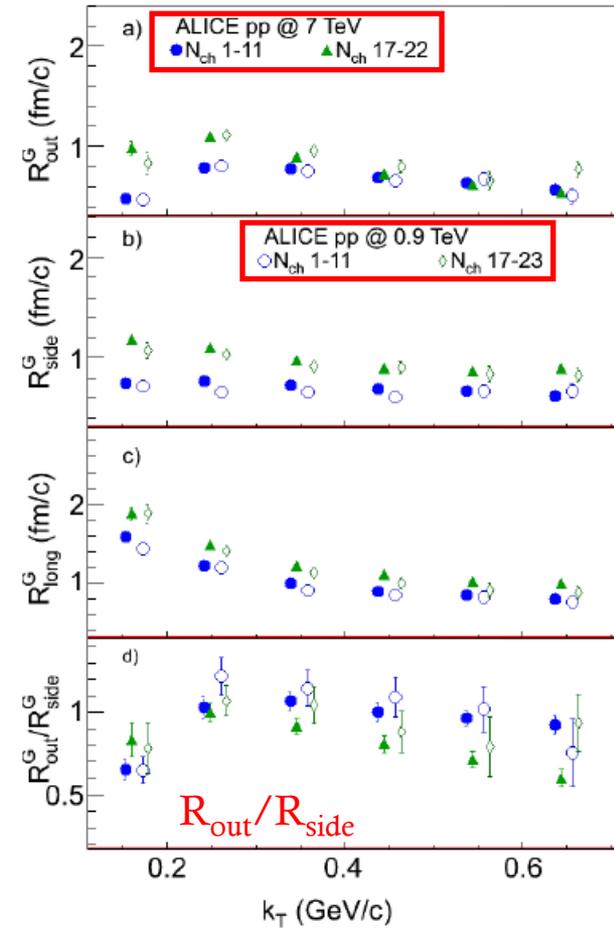
Collision energy  
independence



# Summary of lessons learnt @ LHC

Collision energy independence

Radius decreasing with pair momentum

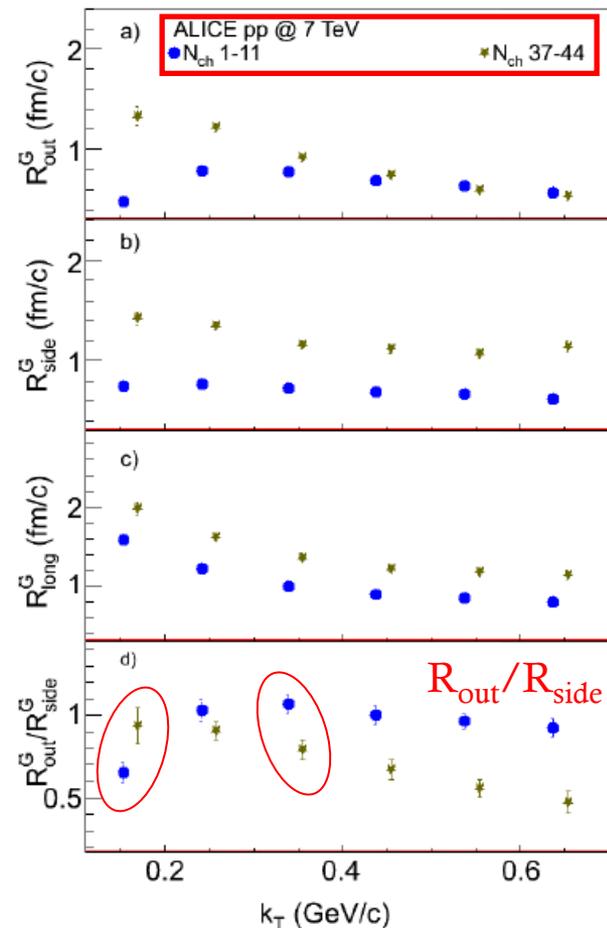
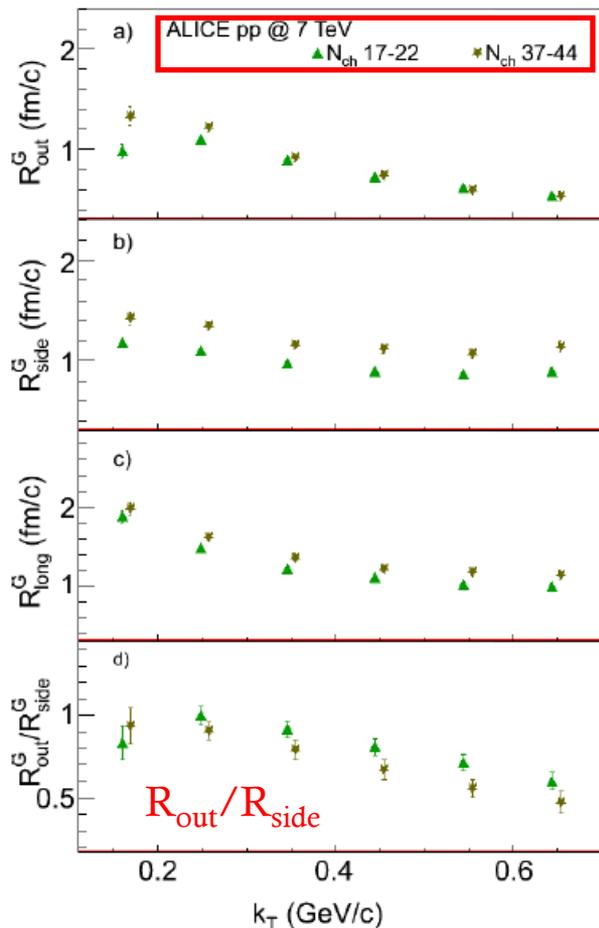
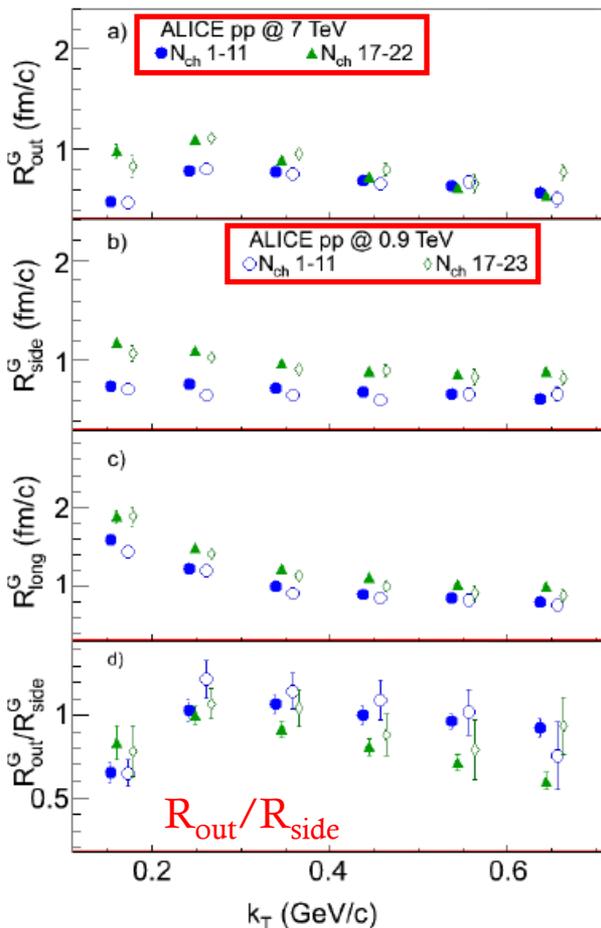


# Summary of lessons learnt @ LHC

Collision energy independence

Radius decreasing with pair momentum

Change of behavior with multiplicity



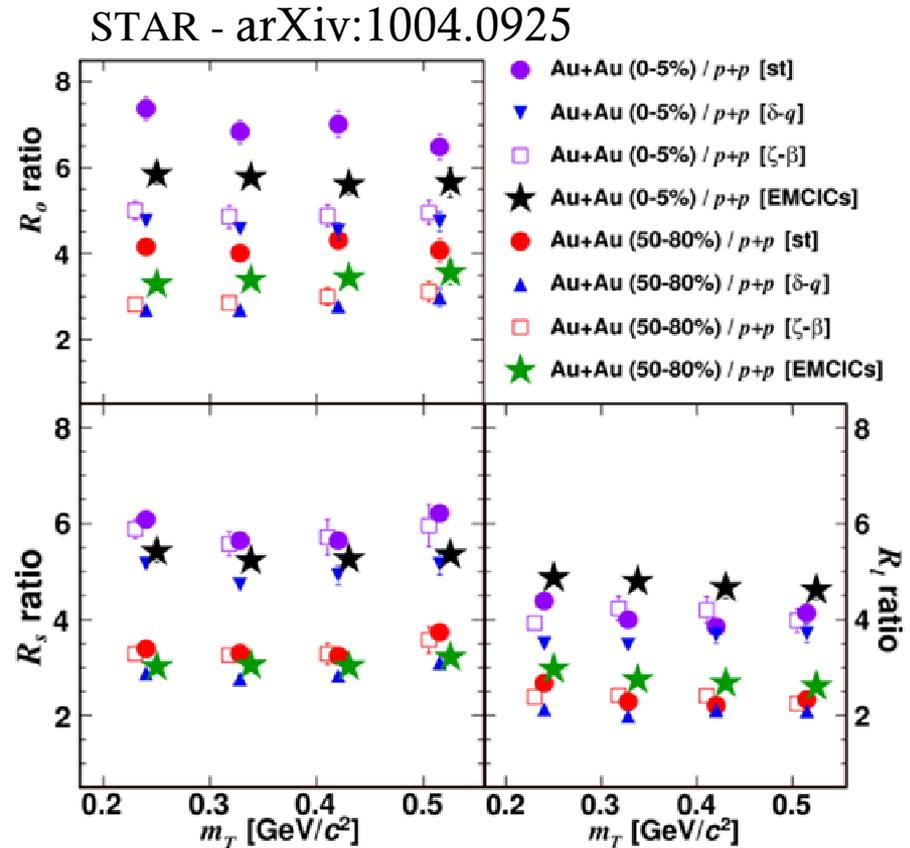
The different evolution of  $R_{out}$  and  $R_{side}$  wrt  $k_T$  is reflected in low  $R_{out}^G/R_{side}^G$  values  
 - this evolution was not observed in Heavy Ions collisions (no high multiplicity events)  
 - p+p vs. Heavy Ions scaling not obvious anymore

# pp vs. AuAu: puzzling scaling ...

- At RHIC in AuAu collisions, 3D radii are strongly dependent on  $m_T(\sim k_T)$ 
  - This is taken as a **signature of a flowing medium**

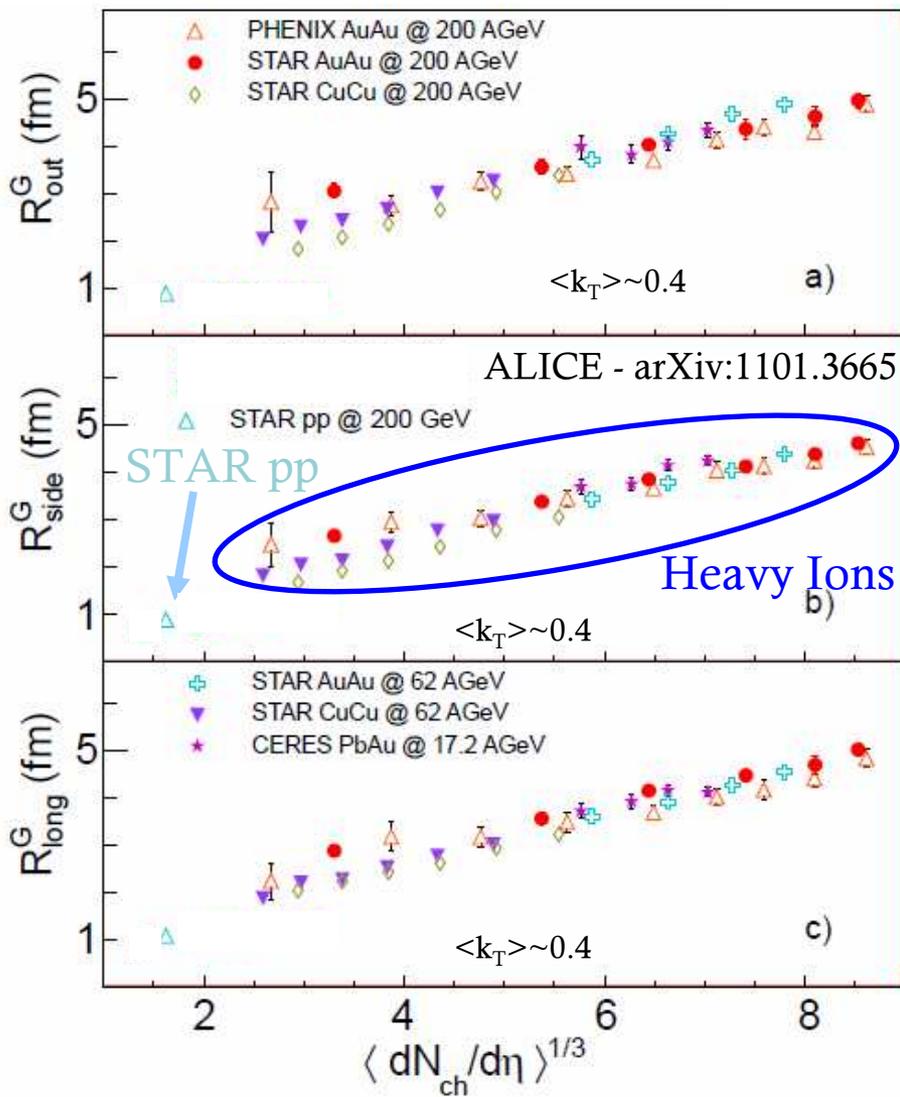
# pp vs. AuAu: puzzling scaling ...

- At RHIC in AuAu collisions, 3D radii are strongly dependent on  $m_T$  ( $\sim k_T$ )
  - This is taken as a **signature of a flowing medium**
- STAR reports that 3D BEC radii scale in pp in a way very similar to AuAu
  - They could not check the  $N_{ch}$  scaling dependence
- Is the scaling between pp and AuAu a signature of the **universal underlying physics mechanism** or a coincidence?



**NB: STAR scaling is measured by comparing different charged multiplicity bins between pp and Heavy Ions!!!**

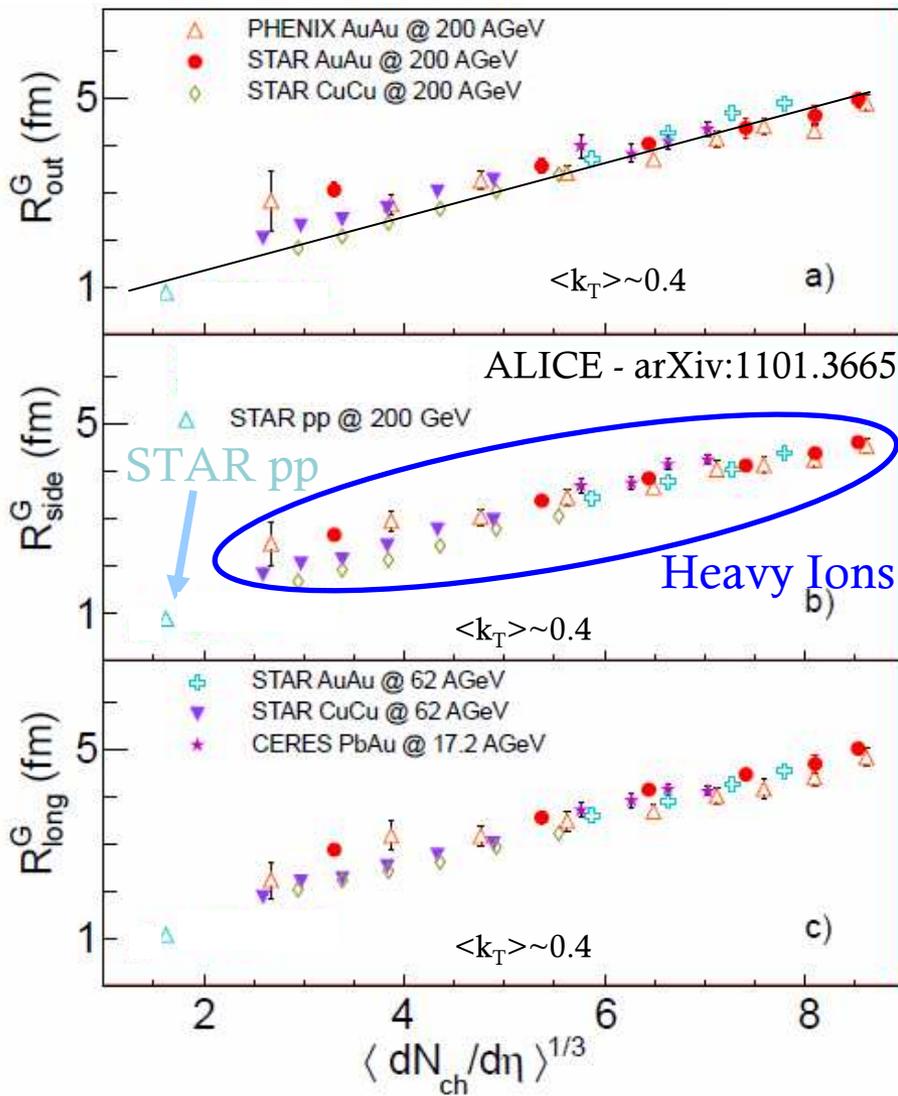
# pp vs. Heavy-Ions



- Both p+p and Heavy-ion RIHC data show a linear scaling with  $dN/d\eta^{1/3}$

FIG. 13. Gaussian radii as a function of  $\langle dN_{ch}/d\eta \rangle^{(1/3)}$ , for  $\sqrt{s} = 0.9$  TeV and 7 TeV, compared to the results from (heavy-)ion collisions at RHIC [32, 33] and SPS [34]. Panel a) shows  $R_{out}^G$ , b) shows  $R_{side}^G$ , c) shows  $R_{long}^G$ . All results are for  $\langle k_T \rangle = 0.4$  GeV/c, except the values from the PHENIX experiment, which are at  $\langle k_T \rangle = 0.45$  GeV/c.

# pp vs. Heavy-Ions



- Both p+p and Heavy-ion RIHC data show a linear scaling with  $dN/d\eta^{1/3}$ 
  - They seem to have the same offset and slope

FIG. 13. Gaussian radii as a function of  $\langle dN_{ch}/d\eta \rangle^{(1/3)}$ , for  $\sqrt{s} = 0.9$  TeV and 7 TeV, compared to the results from (heavy-)ion collisions at RHIC [32, 33] and SPS [34]. Panel a) shows  $R_{out}^G$ , b) shows  $R_{side}^G$ , c) shows  $R_{long}^G$ . All results are for  $\langle k_T \rangle = 0.4$  GeV/c, except the values from the PHENIX experiment, which are at  $\langle k_T \rangle = 0.45$  GeV/c.

# pp vs. Heavy-Ions

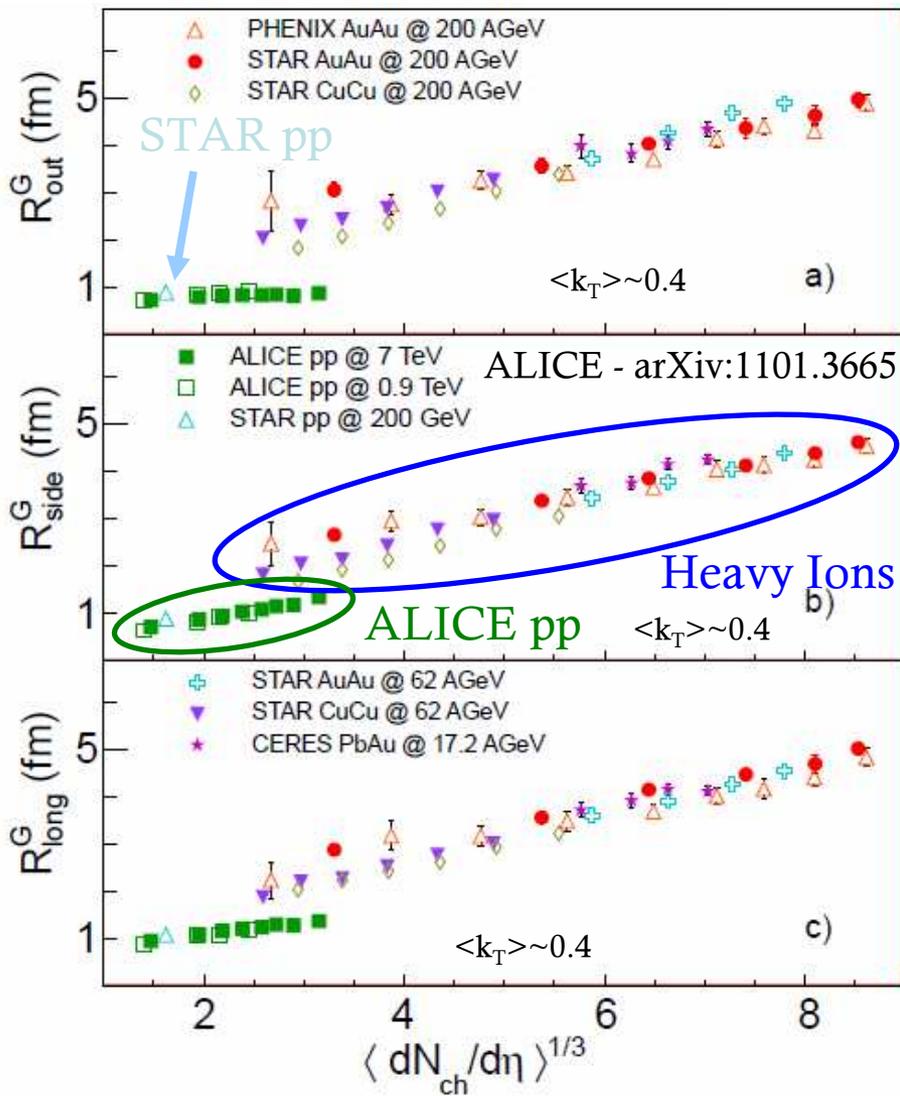


FIG. 13. Gaussian radii as a function of  $\langle dN_{ch}/d\eta \rangle^{(1/3)}$ , for  $\sqrt{s} = 0.9$  TeV and 7 TeV, compared to the results from (heavy-)ion collisions at RHIC [32, 33] and SPS [34]. Panel a) shows  $R_{out}^G$ , b) shows  $R_{side}^G$ , c) shows  $R_{long}^G$ . All results are for  $\langle k_T \rangle = 0.4$  GeV/c, except the values from the PHENIX experiment, which are at  $\langle k_T \rangle = 0.45$  GeV/c.

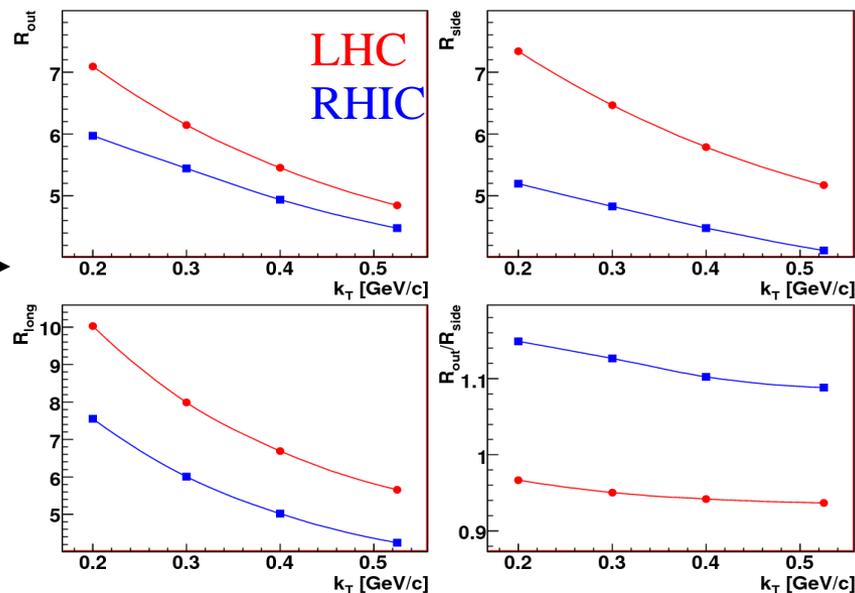
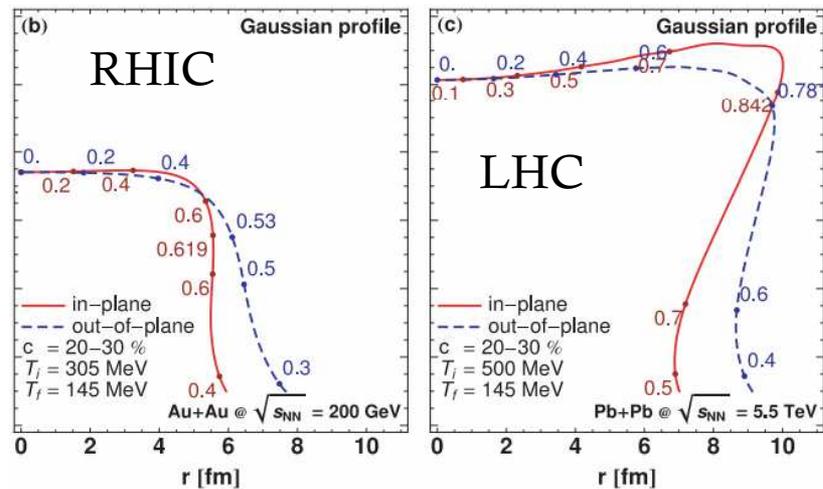
- Both p+p and Heavy-ion RHIC data show a linear scaling with  $dN/d\eta^{1/3}$ 
  - They seem to have the same offset and slope
- Using LHC data is it possible to compare pp and Heavy Ions at same  $dN_{ch}/d\eta$  for the first time
  - The scaling seems to be violated especially in the out direction
- Initial geometry ( $N_{nucleons}$ ) seem to play a role in the final freeze-out shape
- Final answer (?) with ratio of pp @ LHC with Heavy Ions @ LHC
  - Same detector
  - Same systematics

# Predictions for Heavy Ions at LHC

- Specific predictions for LHC in Heavy Ions (PbPb @ 2.76 TeV):
  - steeper  $m_T$  dependence of the system size from larger flow,
  - longer evolution gives larger size and the reversal of the azimuthal anisotropy in space-time.
  - $R_{out}/R_{side}$  ratio smaller than at RHIC
    - due to a longer evolution time the freeze-out shape changes from inside-out to outside-in.

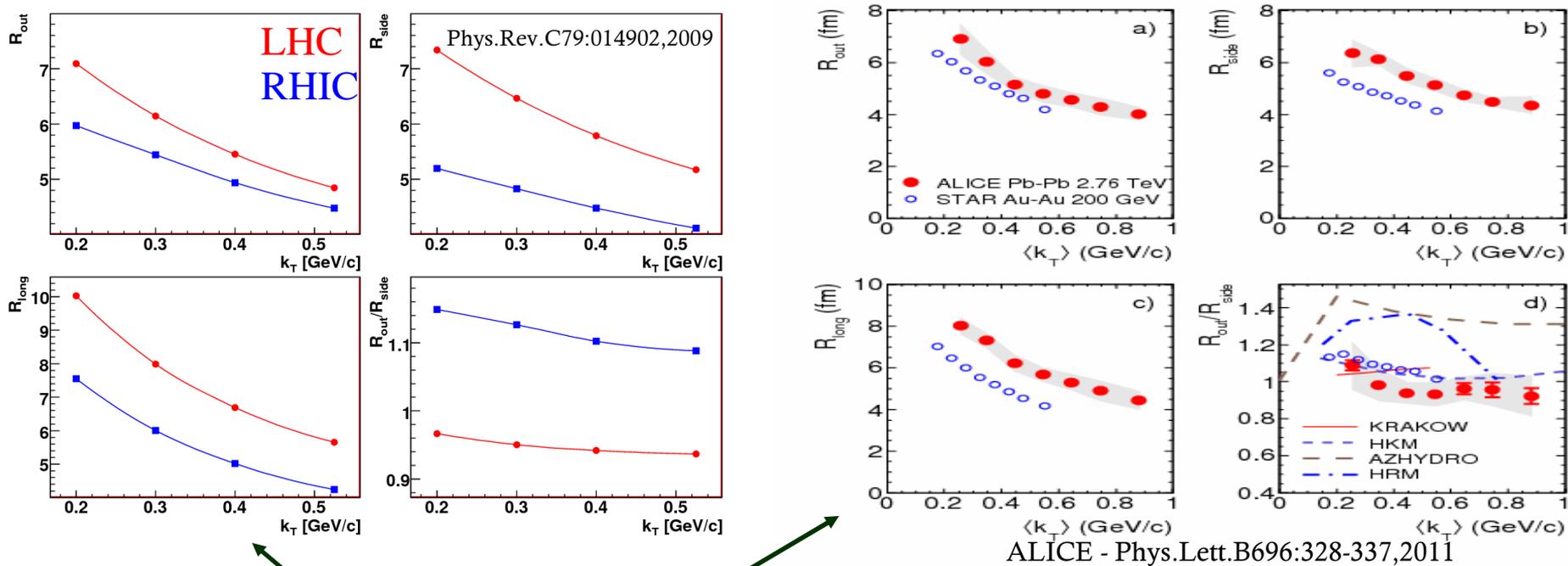
Phys.Rev.C79:014902,2009

Phys.Rev.C79:014902,2009



# First results with Pb+Pb @ LHC

- First analysis performed in Pb+Pb at LHC with top 5% central events
  - limited sample of events recorded at the beginning of November 2010
- All the expected trends are observed:
  - Overall increase of the radii as compared to RHIC
  - Strong dependence of the radii on  $k_T$
  - $R_{out}/R_{side}$  ratio smaller than the one at RHIC



ALICE - Phys.Lett.B696:328-337,2011

Figure 2: Pion HBT radii for the 5% most central Pb–Pb collisions at  $\sqrt{s_{NN}} = 2.76$  TeV, as function of  $\langle k_T \rangle$  (red filled dots). The shaded bands represent the systematic errors. For comparison, parameters for Au–Au collisions at  $\sqrt{s_{NN}} = 200$  GeV [30] are shown as blue open circles. (The combined, statistical and systematic, errors on these measurements are below 4%.) The lines show model predictions (see text).

From predictions to data

# Energy dependence in Pb+Pb at LHC

- Clear increase of the emitting region size and the system lifetime between the largest system to date (central full energy RHIC) and the central LHC.
  - The “quark-gluon plasma”, if produced, lives longer and in a significantly bigger volume.
- The dependence with energy follows the multiplicity scaling
  - Will be tested in more detail with the full centrality dependence

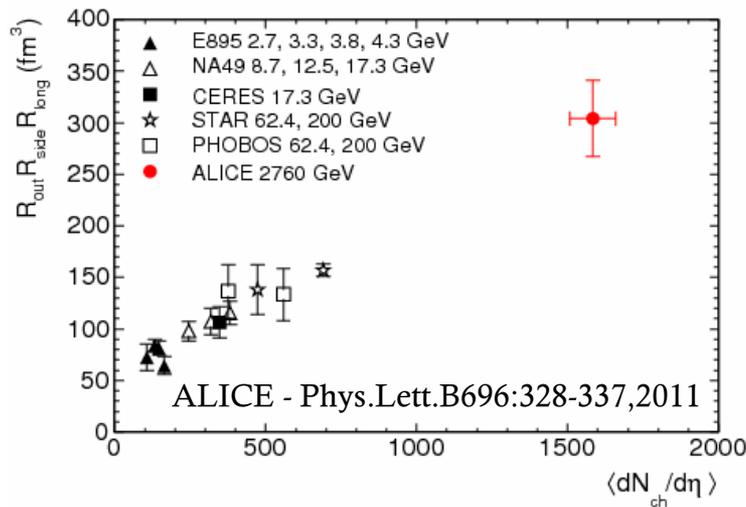


Figure 4: Product of the three pion HBT radii at  $k_T = 0.3$  GeV/c. The ALICE result (red filled dot) is compared to those obtained for central gold and lead collisions at lower energies at the AGS [35], SPS [36, 37, 38], and RHIC [39, 40, 41, 42, 30, 43].

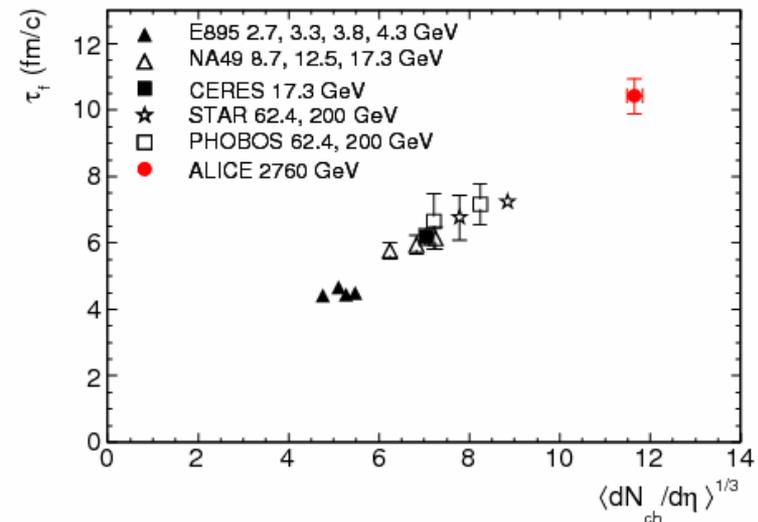


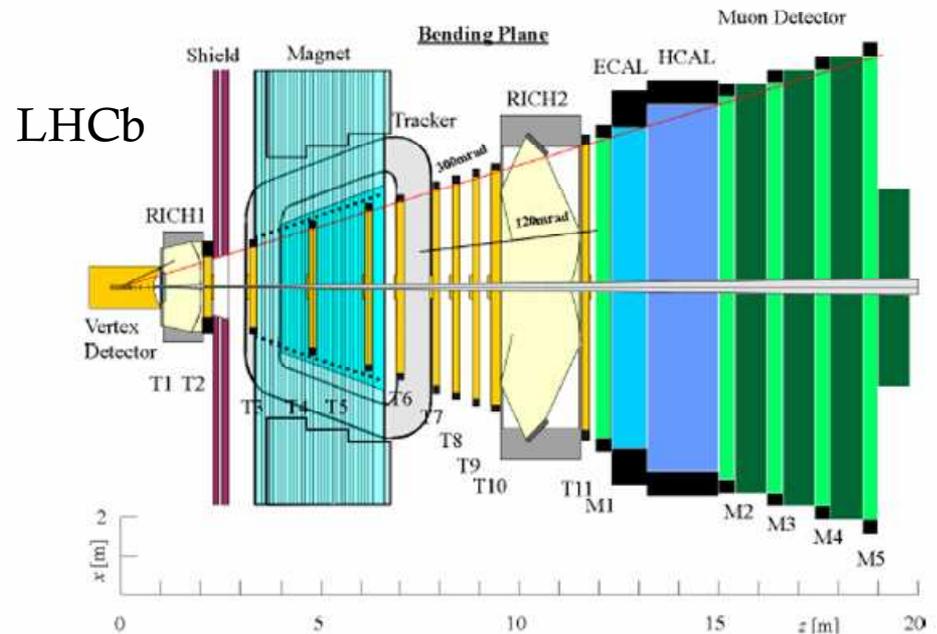
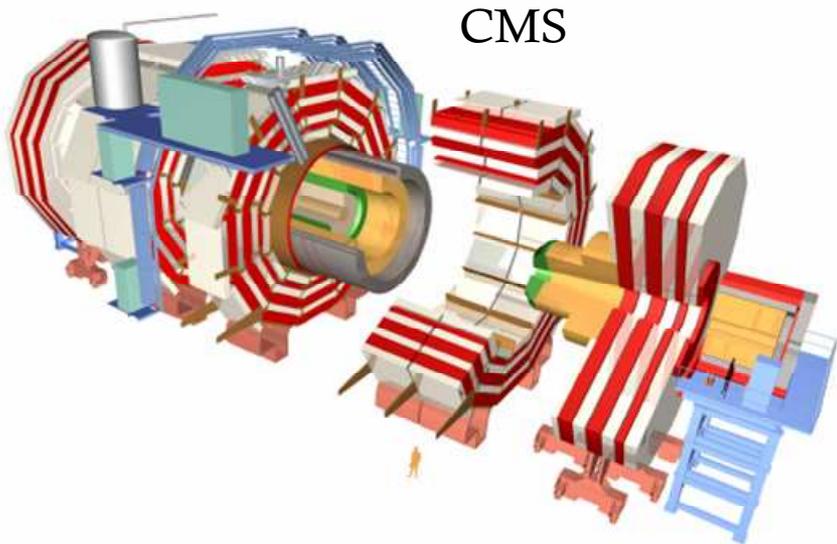
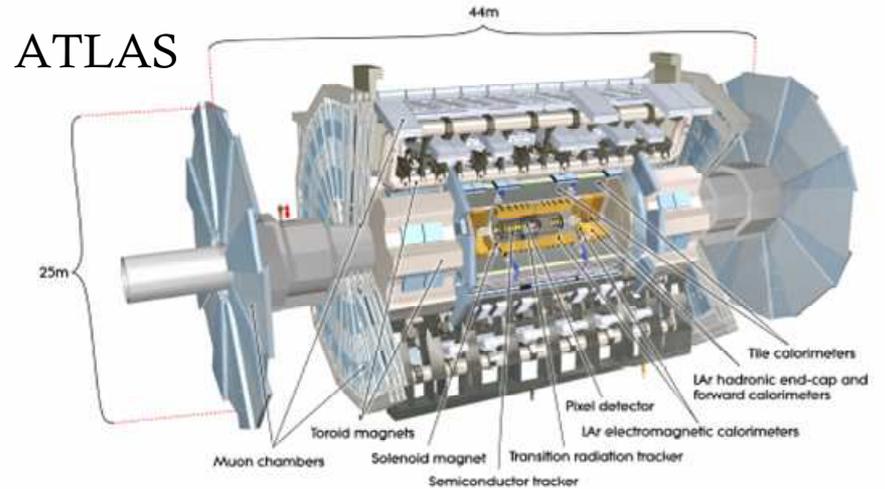
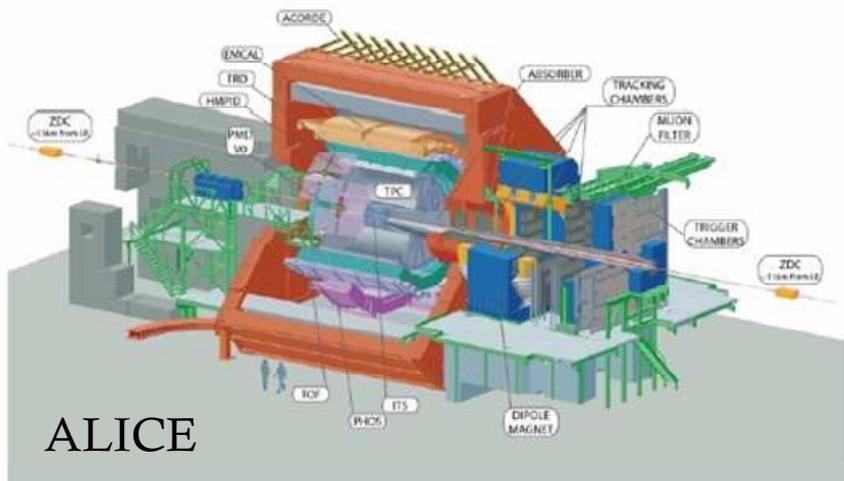
Figure 5: The decoupling time extracted from  $R_{long}(k_T)$ . The ALICE result (red filled dot) is compared to those obtained for central gold and lead collisions at lower energies at the AGS [35], SPS [36, 37, 38], and RHIC [39, 40, 41, 42, 30, 43].

# Conclusions

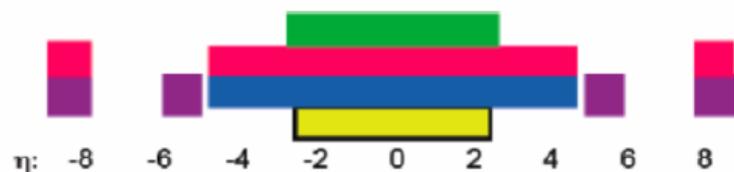
- LHC experiments are able to measure a **variety of particle correlations with both pp and PbPb collisions** at very high energies:
  - $(\Delta\eta, \Delta\phi)$
  - Elliptic flow
  - Bose-Einstein correlations
- These measurements are providing several piece of informations necessary to **study the properties of formation and evolution of hadron source**
- Very high multiplicity events in **pp collision show features that are somehow similar to Heavy Ions collisions**
  - More studies are needed to better establish the real nature of the underlying processes
  - The comparison of LHC data recorded with pp and Heavy Ions at the same energy (2.76 TeV) could bring some further light to answer this question

# Backup

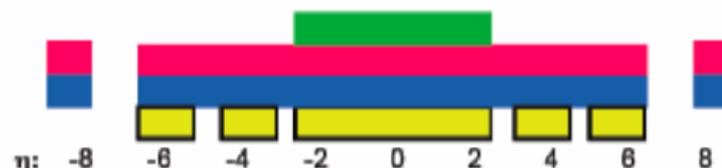
# LHC detectors



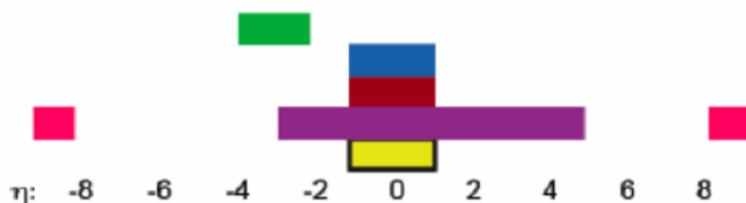
# LHC detector acceptances



ATLAS



CMS



ALICE



LHCb

ATLAS and CMS are general-purpose, fully  $4\pi$  detectors.

ALICE has a central tracker comparable in  $\eta$  range to ATLAS and CMS.

LHCb is an entirely forward, one-sided detector, with a forward-facing tracker geometry.

# Inclusive Correlation Technique –Wei Li

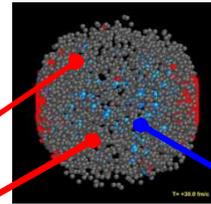
Signal distribution:

Event 1

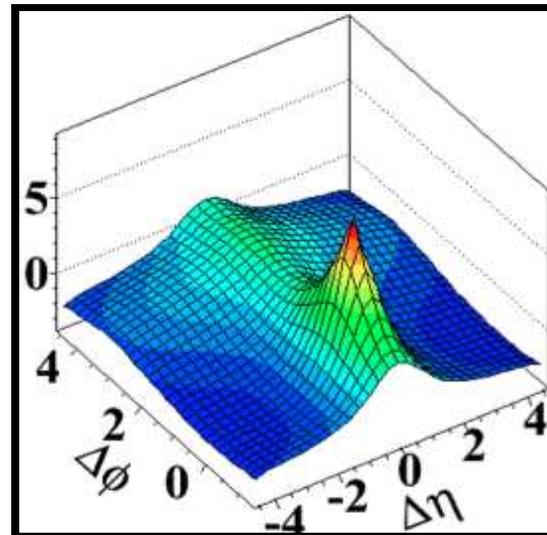
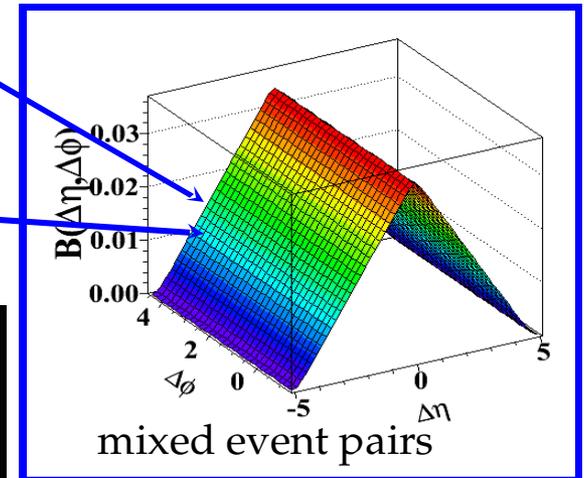
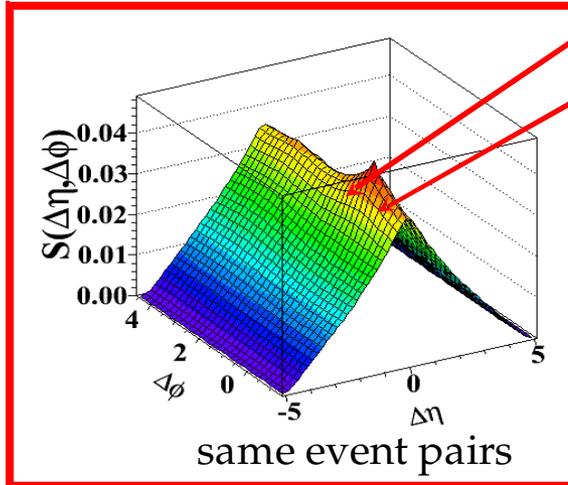
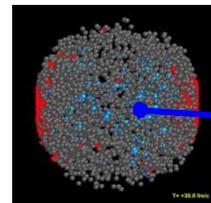
Background distribution:

$$S_N(\Delta\eta, \Delta\phi) = \frac{1}{N(N-1)} \frac{d^2 N^{signal}}{d\Delta\eta d\Delta\phi}$$

$$B_N(\Delta\eta, \Delta\phi) = \frac{1}{N^2} \frac{d^2 N^{bkg}}{d\Delta\eta d\Delta\phi}$$



Event 2



$$\Delta\eta = \eta_1 - \eta_2$$

$$\Delta\phi = \phi_1 - \phi_2$$

CMS 7 TeV pp

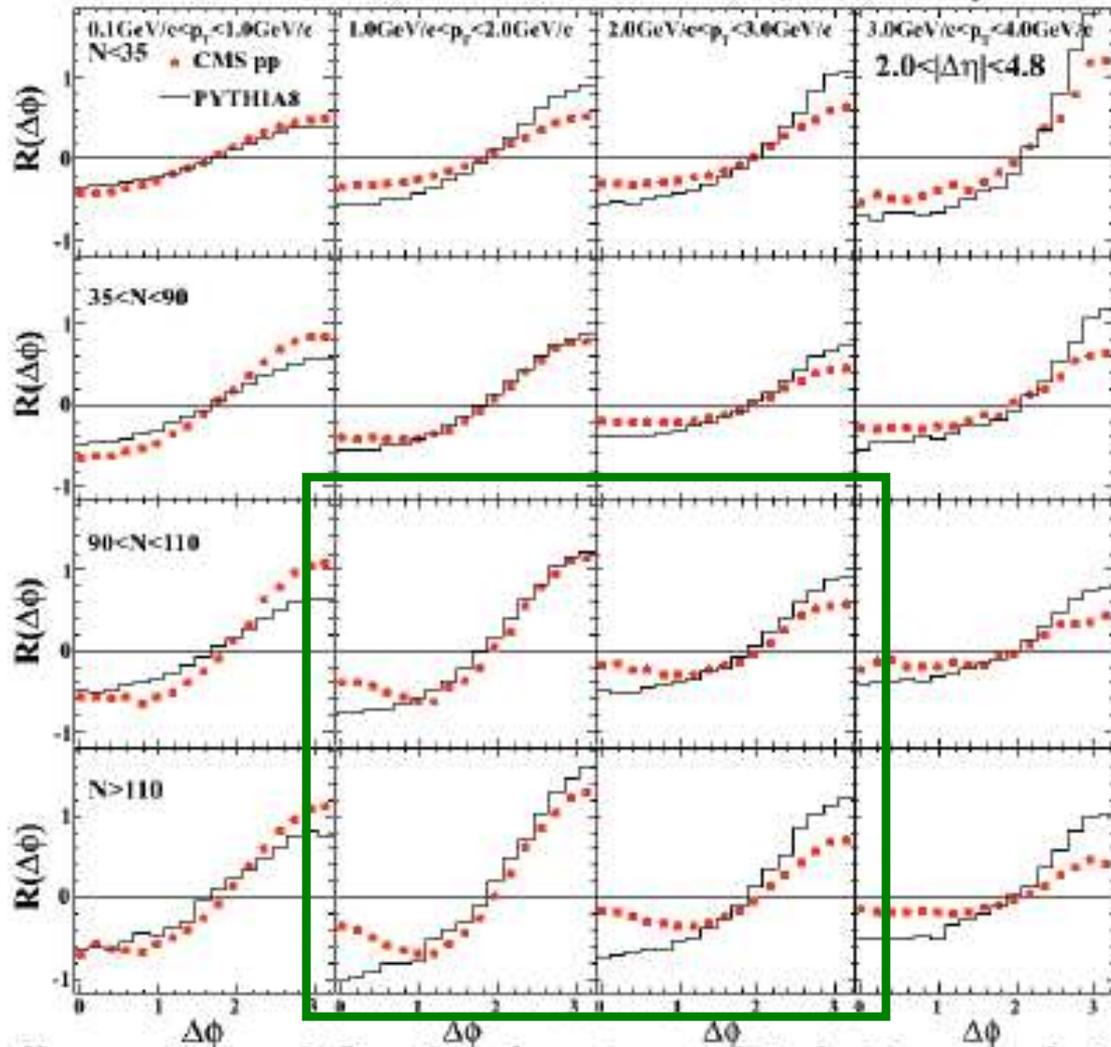
pT-inclusive two-particle angular correlations in Minimum Bias collisions

$$R(\Delta\eta, \Delta\phi) = \left\langle (N-1) \left( \frac{S_N(\Delta\eta, \Delta\phi)}{B_N(\Delta\eta, \Delta\phi)} - 1 \right) \right\rangle_N$$

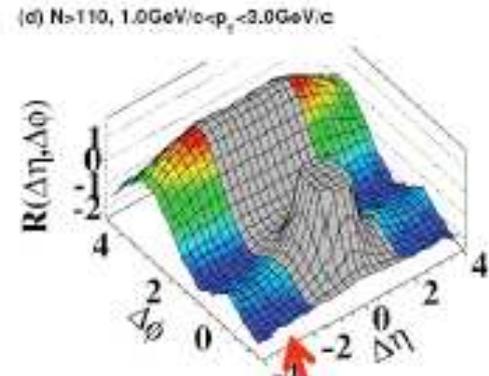
# pp: Characterizing the ridge

Increasing  $p_T$  →

Increasing multiplicity ↓



CMS 7 TeV pp



Project  $|\Delta\eta| > 2$  onto  $\Delta\phi$

CMS - JHEP 1009:091,2010

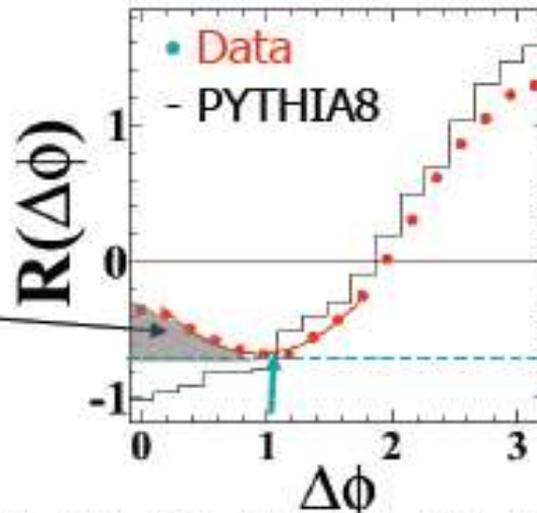
“Ridge” maximal for highest multiplicity and  $1 < p_T < 3$  GeV/c

# pp: Characterizing the ridge

Zero Yield At Minimum (ZYAM)

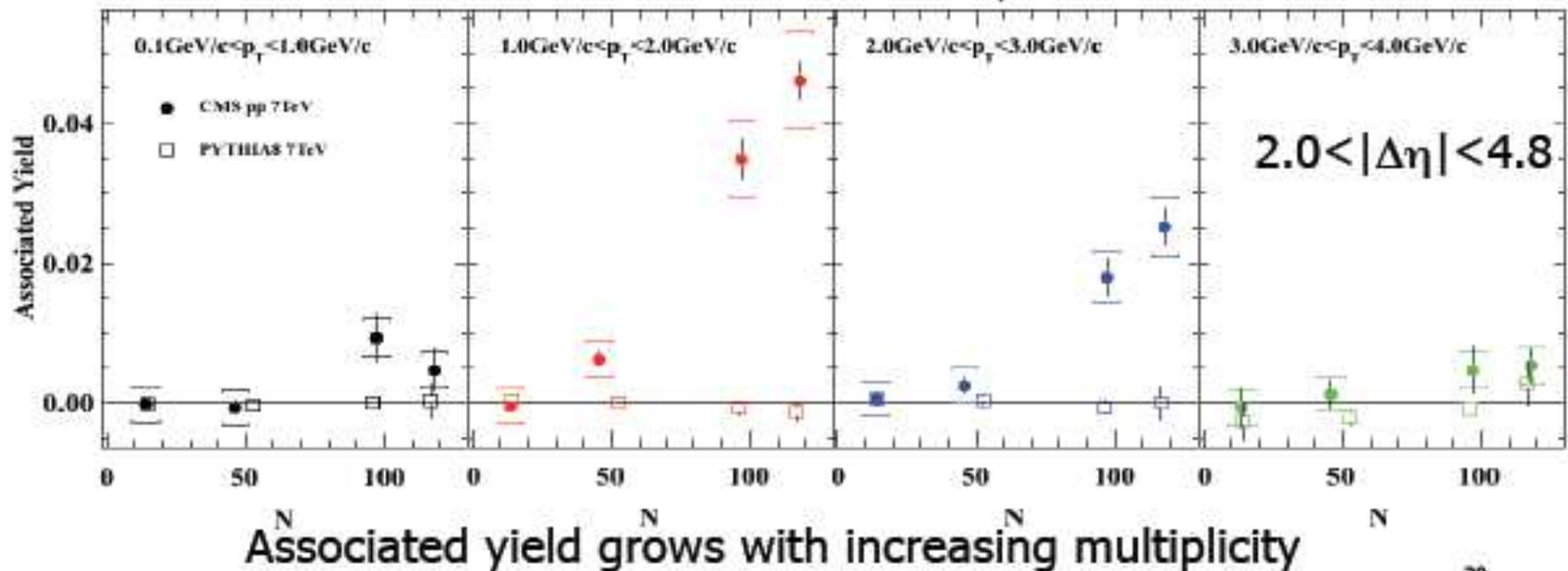
CMS - JHEP 1009:091,2010

Associated yield:  
correlated multiplicity per particle



$N > 110$   
 $2.0 < |\Delta\eta| < 4.8$   
 $1 \text{ GeV}/c < p_T < 2 \text{ GeV}/c$

CMS 7 TeV pp



20

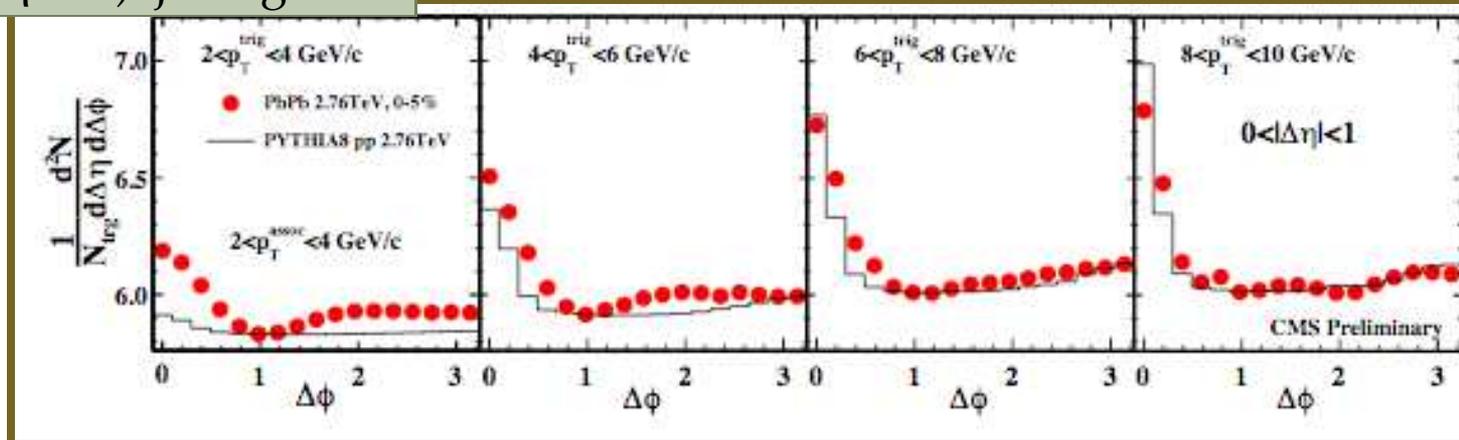
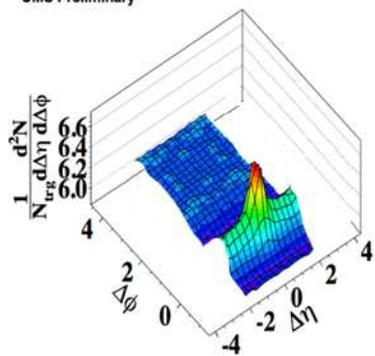
# CMS pp ridge interpretations

- Comments on the CMS discovery of the "Ridge" in High Multiplicity pp collisions at LHC [arXiv:1009.4635]
- On the ridge-like structures in the nuclear and hadronic reactions [arXiv:1009.5229]
- The ridge in proton-proton collisions at the LHC [arXiv:1009.5295]
- Elliptic flow in proton-proton collisions at 7 TeV [arXiv:1010.0405]
- Towards a common origin of the elliptic flow, ridge and alignment [arXiv:1010.0918]
- Comparing the same-side "ridge" in CMS p-p angular correlations to RHIC p-p data [arXiv:1010.3048]
- On correlations in high-energy hadronic processes and the CMS ridge: A manifestation of quantum entanglement? [1010.4463]
- Angular Correlations in Gluon Production at High Energy [arXiv:1012.3398]
- The "Ridge" in Proton-Proton Scattering at 7 TeV [arXiv:1011.0375]
- Soft ridge in proton-proton collisions [arXiv:1102.3258]
- Ridge Formation Induced by Jets in  $pp$  Collisions at 7 TeV [arXiv:1011.0965]
- Elliptic flow in pp-collisions at the LHC [arXiv:1103.0626]
- CMS ridge effect at LHC as a manifestation of bremsstrahlung of gluons due to the quark-anti-quark string formation [arXiv:1104.1283]

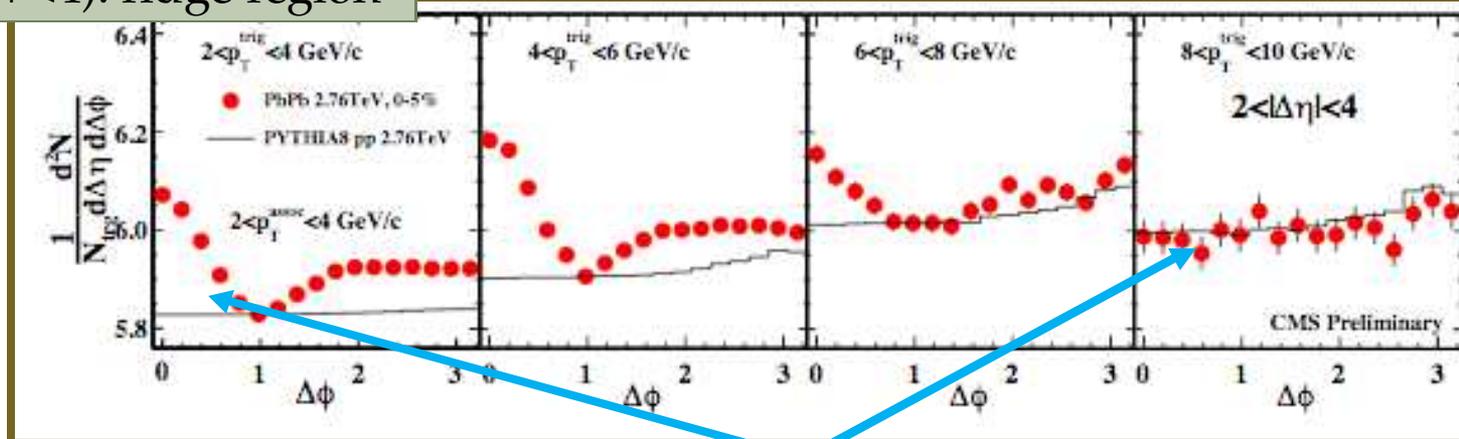
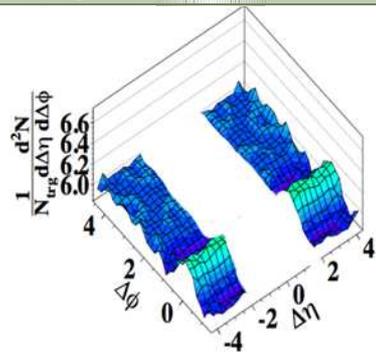
# PbPb Ridge – Integrated associated Yield

CMS – HIN-11-001

Short-range ( $0 < |\Delta\eta| < 1$ ): jet region



Long-range ( $2 < |\Delta\eta| < 4$ ): ridge region

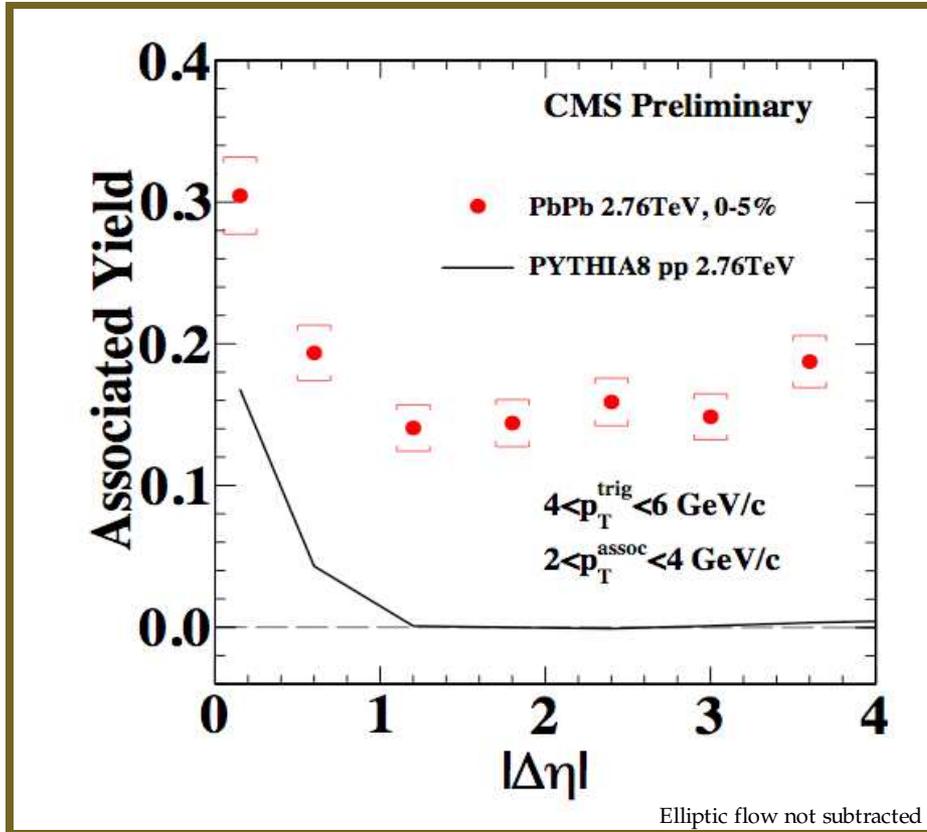


✓ Enhancement seems to disappear at high  $p_T$

# PbPb Ridge – Integrated associated Yield

Elliptic flow not subtracted

CMS – HIN-11-001

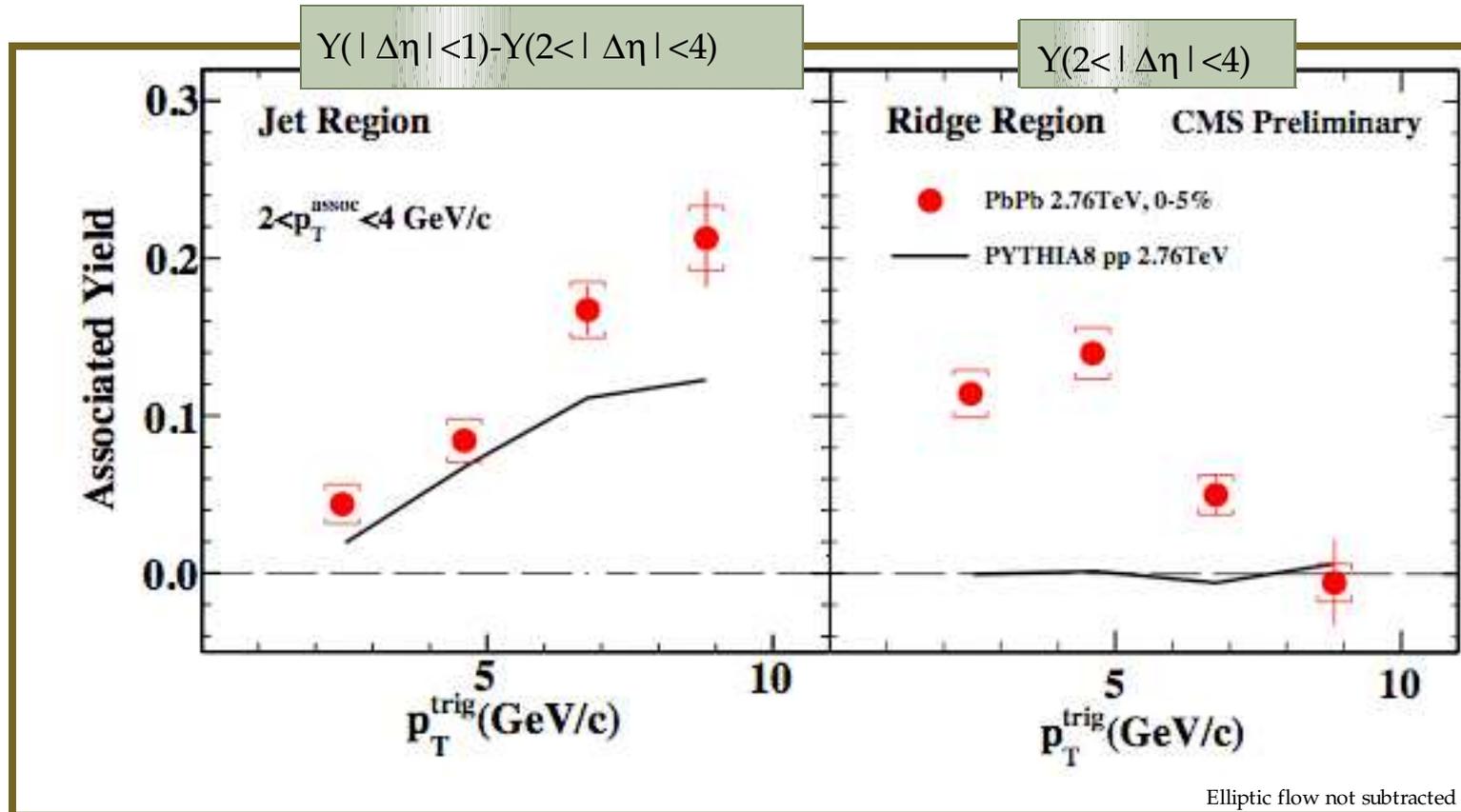


$\Delta\eta$  dependence of the near-side yield  
(measured in  $\Delta\eta$  slices of 0.6)

- ✓ Flat near-side ridge structure in PbPb for  $|\Delta\eta| > 1$
- ✓ Similar jet peak between PYTHIA8 and PbPb

# PbPb Ridge – Integrated associated Yield

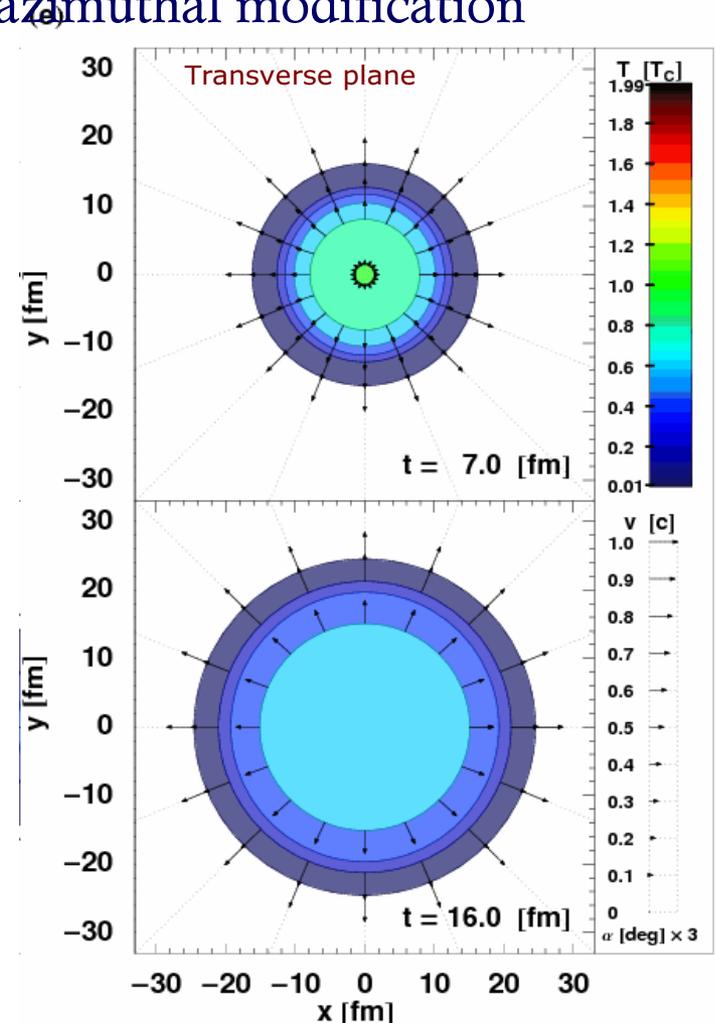
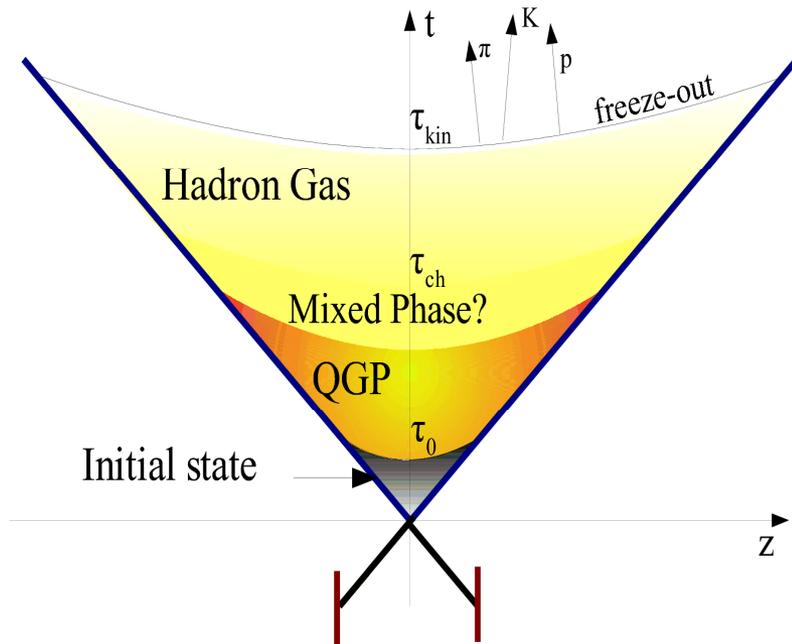
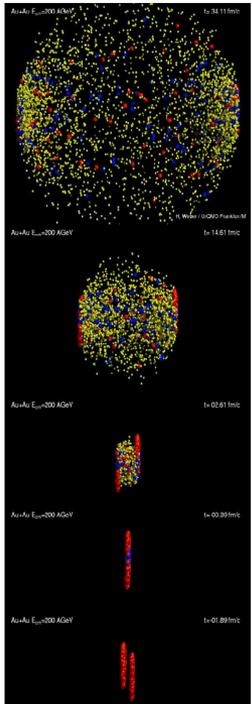
Associated Yield (Y) vs trigger  $p_T$  in jet and ridge region



CMS – HIN-11-001

# Heavy Ion collision evolution

- HIC is expected to go through a Quark Gluon Plasma phase, where matter is strongly interacting – resulting in the development of collective motion
- Radial flow dominates, with elliptic flow as azimuthal modification



# Centrality and $v_2$

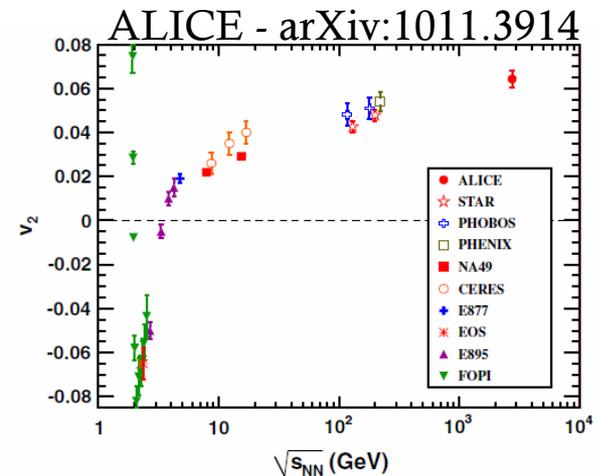
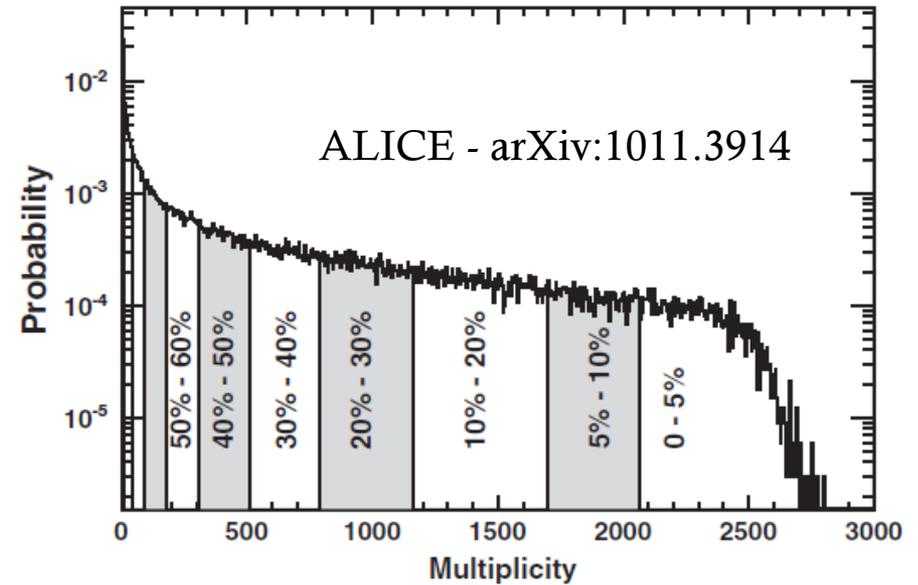
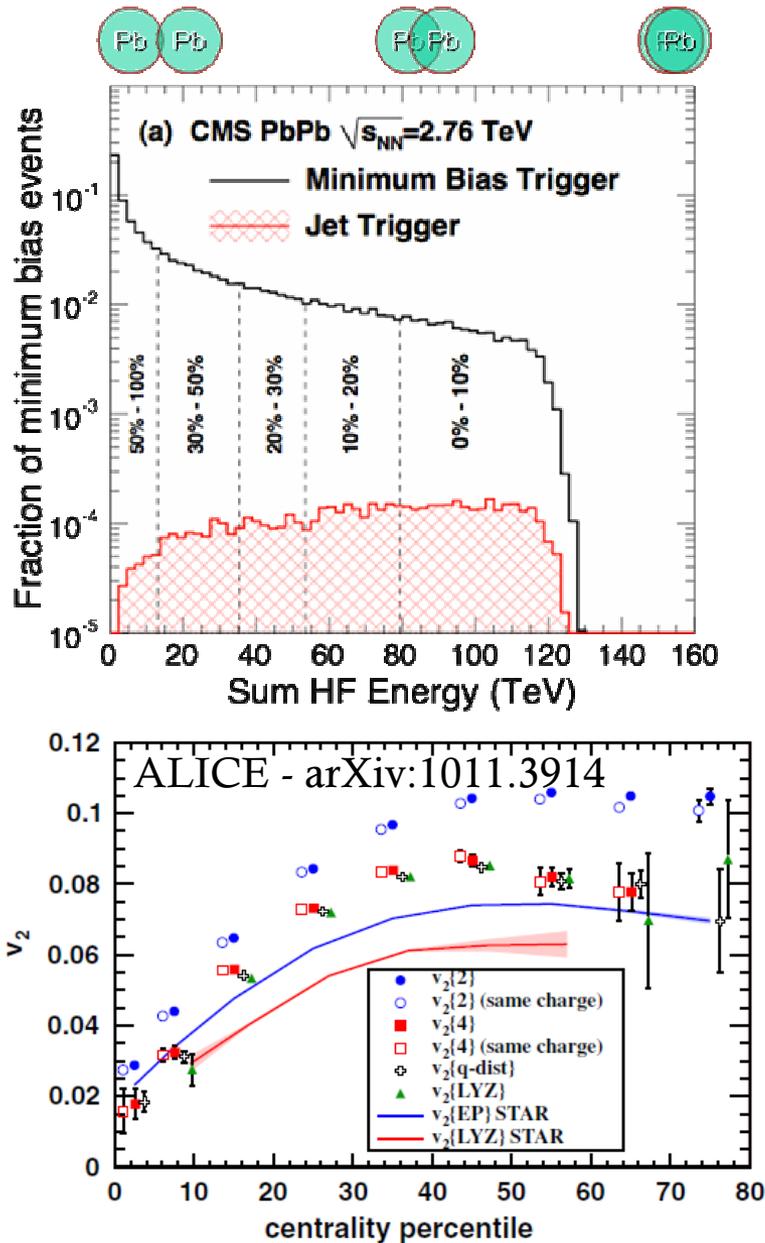
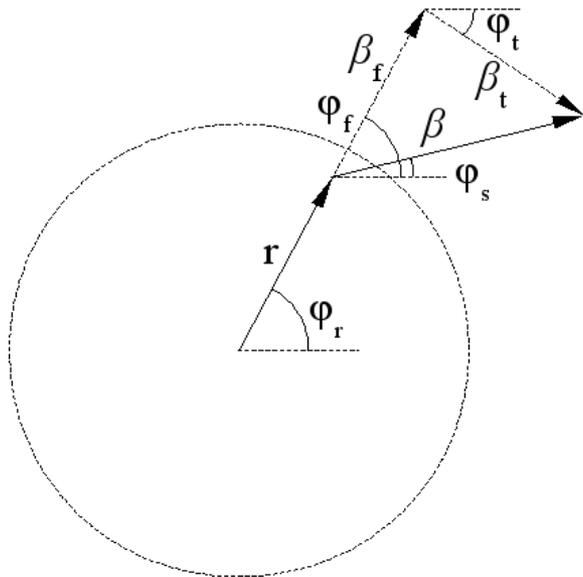
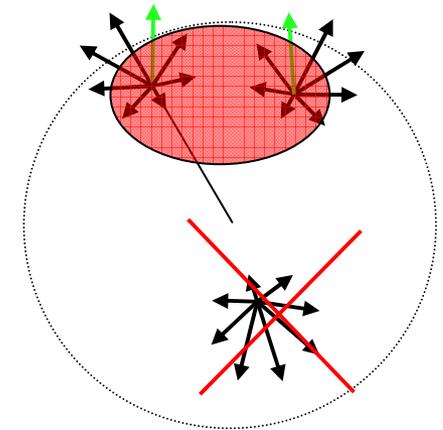
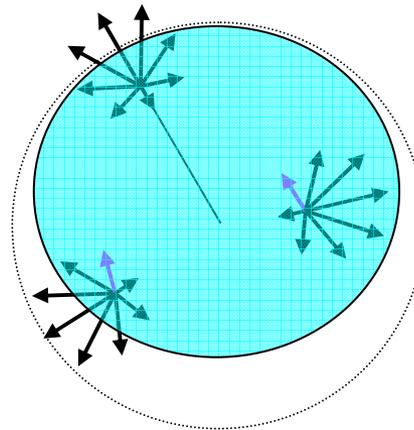
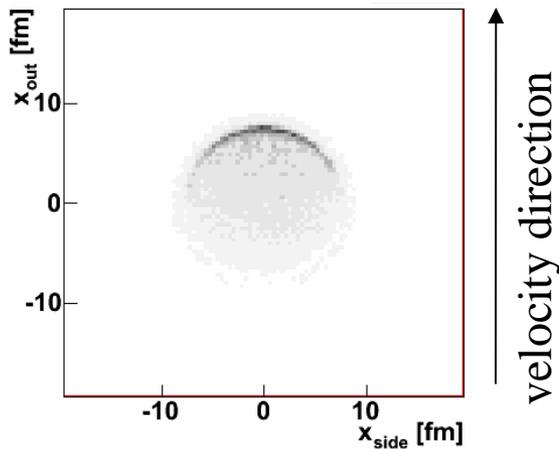


FIG. 4 (color online). Integrated elliptic flow at 2.76 TeV in Pb-Pb 20%–30% centrality class compared with results from lower energies taken at similar centralities [40,43].

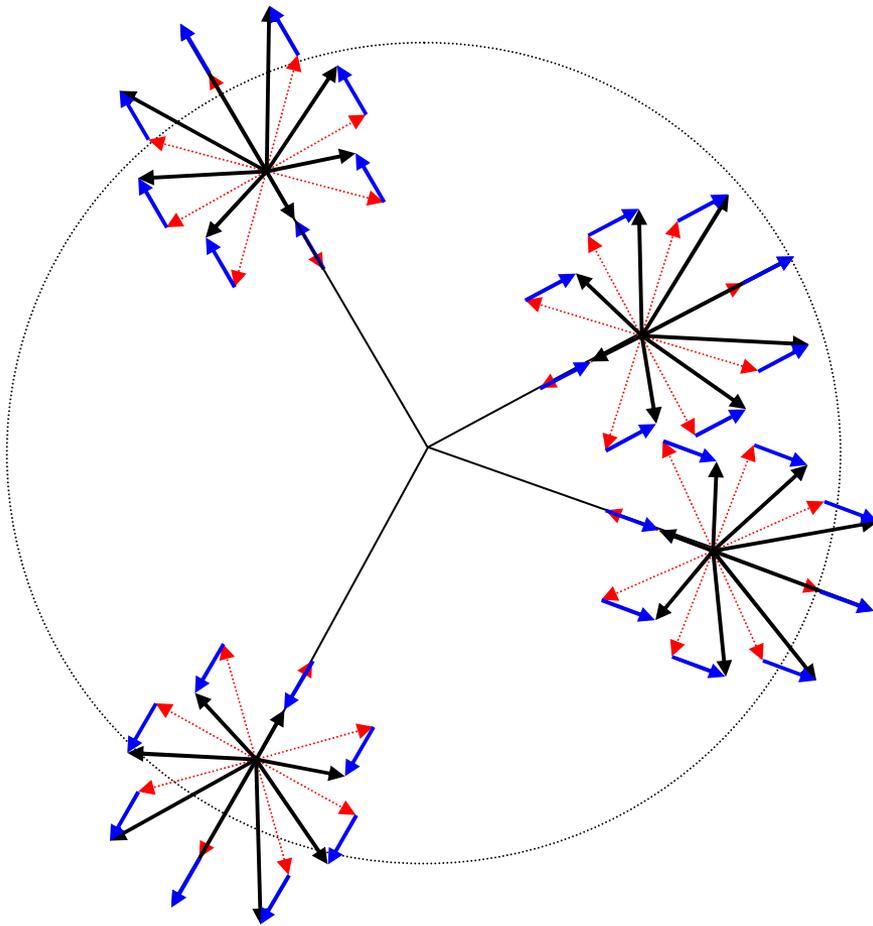
# Dynamics via momentum dependence



- A particle emitted from a medium will have a collective velocity  $\beta_f$  and a thermal (random) one  $\beta_t$
- As observed  $p_T$  grows, the region from where such particles can be emitted gets smaller and shifted to the outside of the source



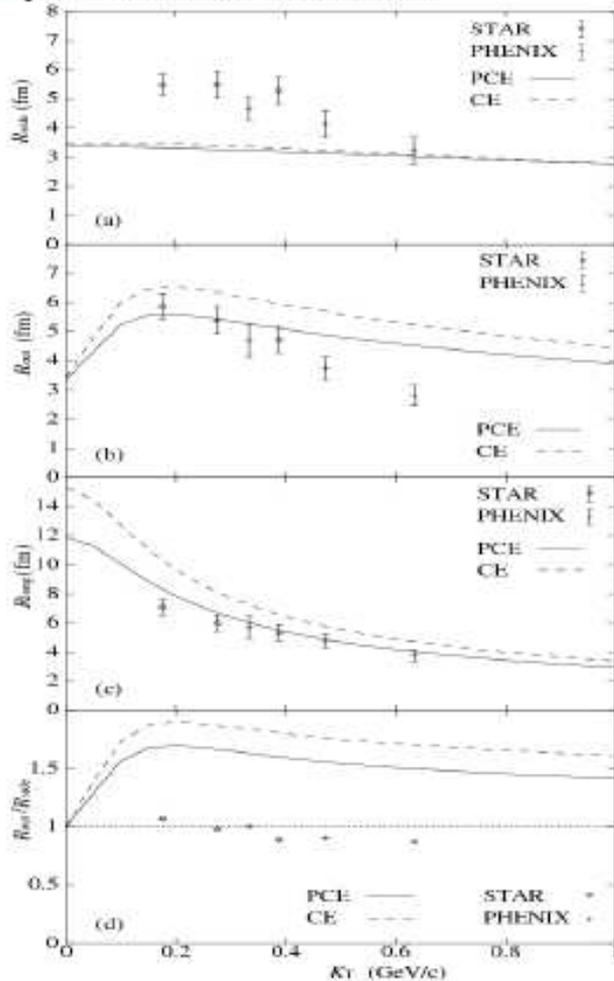
# Which collectivity do we seek?



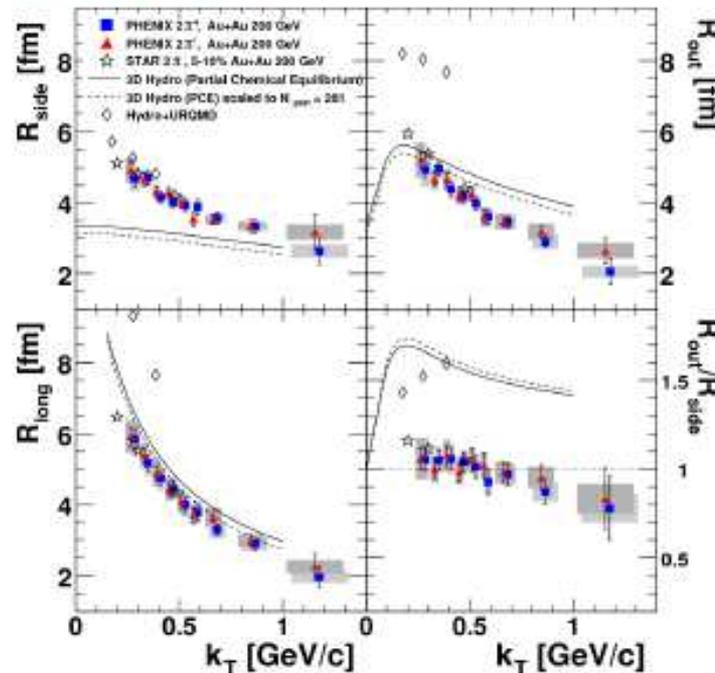
- A collective component is a “common” velocity for all particles emitted close to each other
- To that one adds “thermal” (random) velocity
- We expect specific “common” velocity – radial direction, pointing outwards from the center

# RHIC Hydro-HBT puzzle

T. Hirano, K. Tsuda, nucl-th/0205043  
 Phys.Rev.C66:054905,2002.



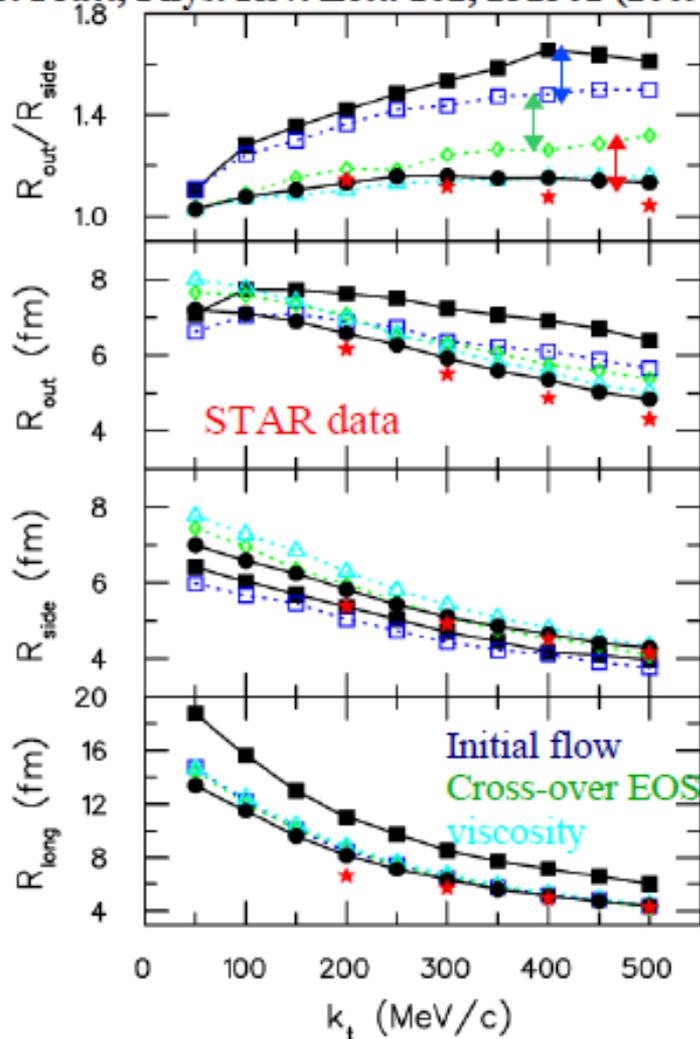
- First hydro calculations struggle to describe femtoscopic data: predicted too small  $R_{side}$ , too large  $R_{out}$  – too long emission duration
- No evidence of the first order phase transition



U. Heinz, P. Kolb,  
 hep-ph/0204061

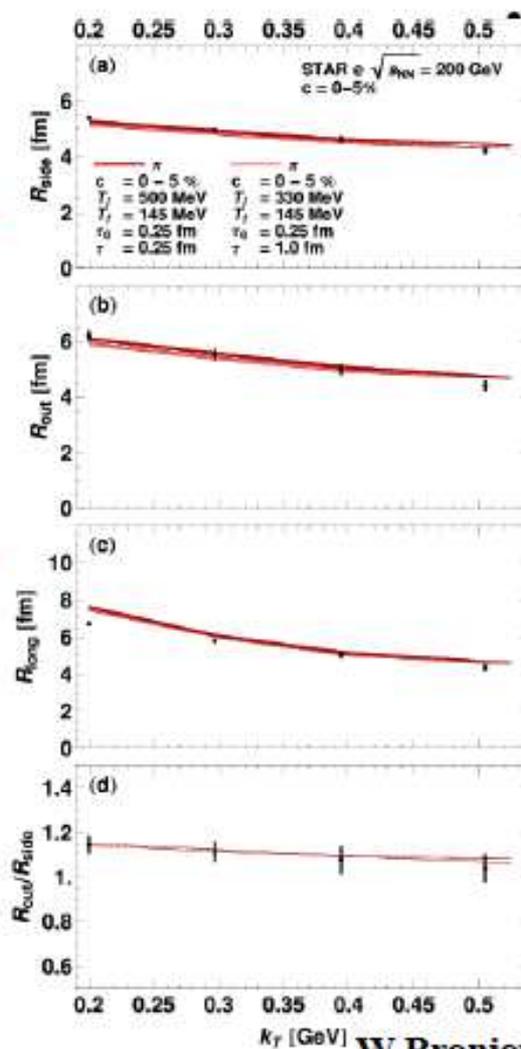
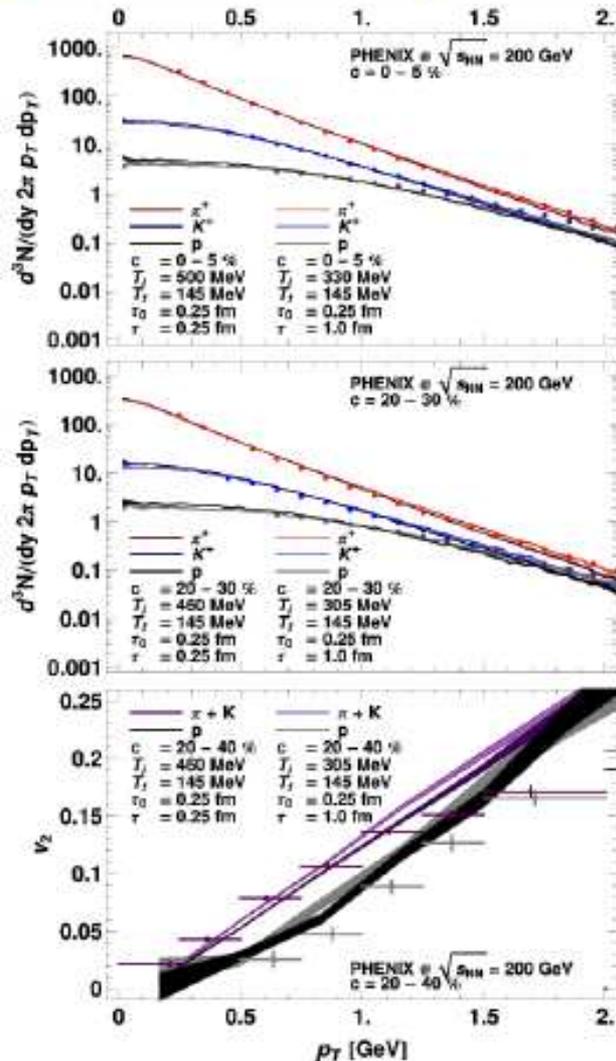
# Revisiting hydrodynamics assumptions

S. Pratt, Phys. Rev. Lett. 102, 232301 (2009)



- Data in the momentum sector ( $p_T$  spectra, elliptic flow) well described by hydrodynamics, why not in space-time?
- Usually initial conditions do not have initial flow at the start of hydrodynamics ( $\sim 1$  fm/c) – they should.
- Femtoscopy data rules out first order phase transition – smooth cross-over is needed
- Resonance propagation and decay as well as particle rescattering after freeze-out need to be taken into account: similar in effects to viscosity

# Description of the soft sector at RHIC



Dynamical model with hydrodynamical evolution, propagation of strong resonances

Reproduces spectra, elliptic flow and femtoscopy

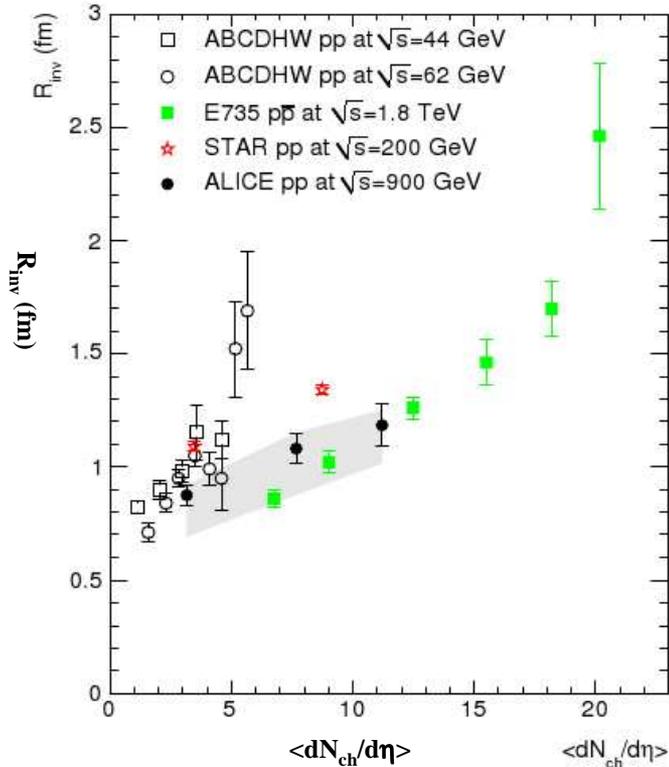
Initial flow, smooth cross-over phase transition, resonance treatment naturally included

RHIC HBT puzzle solved: soft sector data at RHIC understood in detail

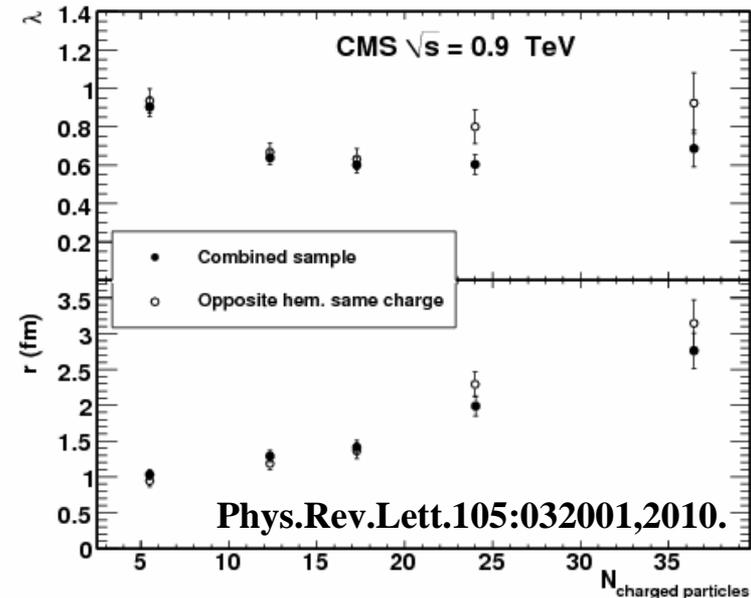
W.Broniowski, W.Florkowski, M.Chojnacki, AK  
 nucl-th/0801.4361; nucl-th/0710.5731

# First look at system size at 0.9 TeV

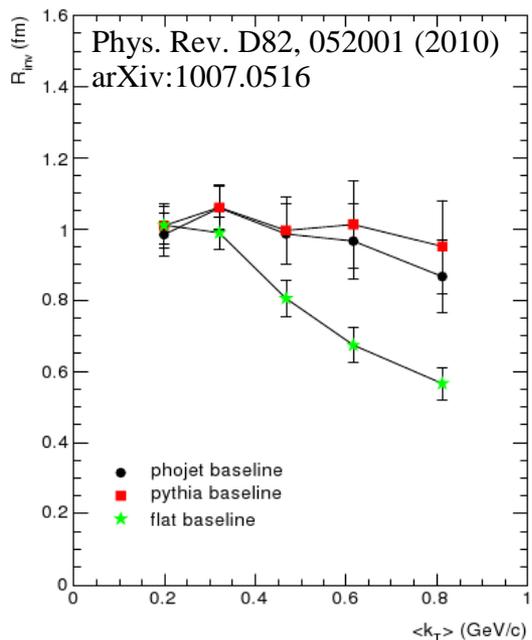
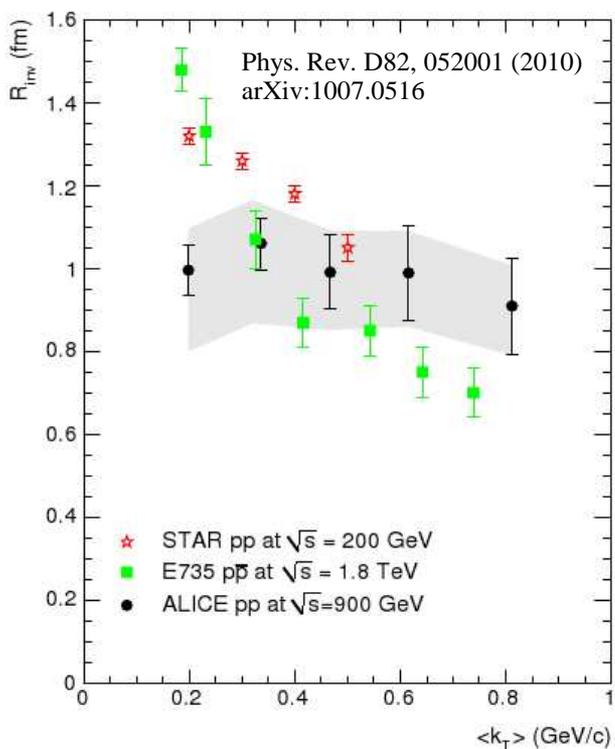
Phys. Rev. D82, 052001 (2010)  
arXiv:1007.0516



- Only  $\sim 250k$  minimum-bias triggered events
- growth of the system size with multiplicity observed
- ALICE results are given as a function of pseudorapidity density and can be compared to world systematics
- The observed trend is qualitatively similar to world data, but quantitative comparisons are complicated by large differences in experimental acceptances and analysis methods



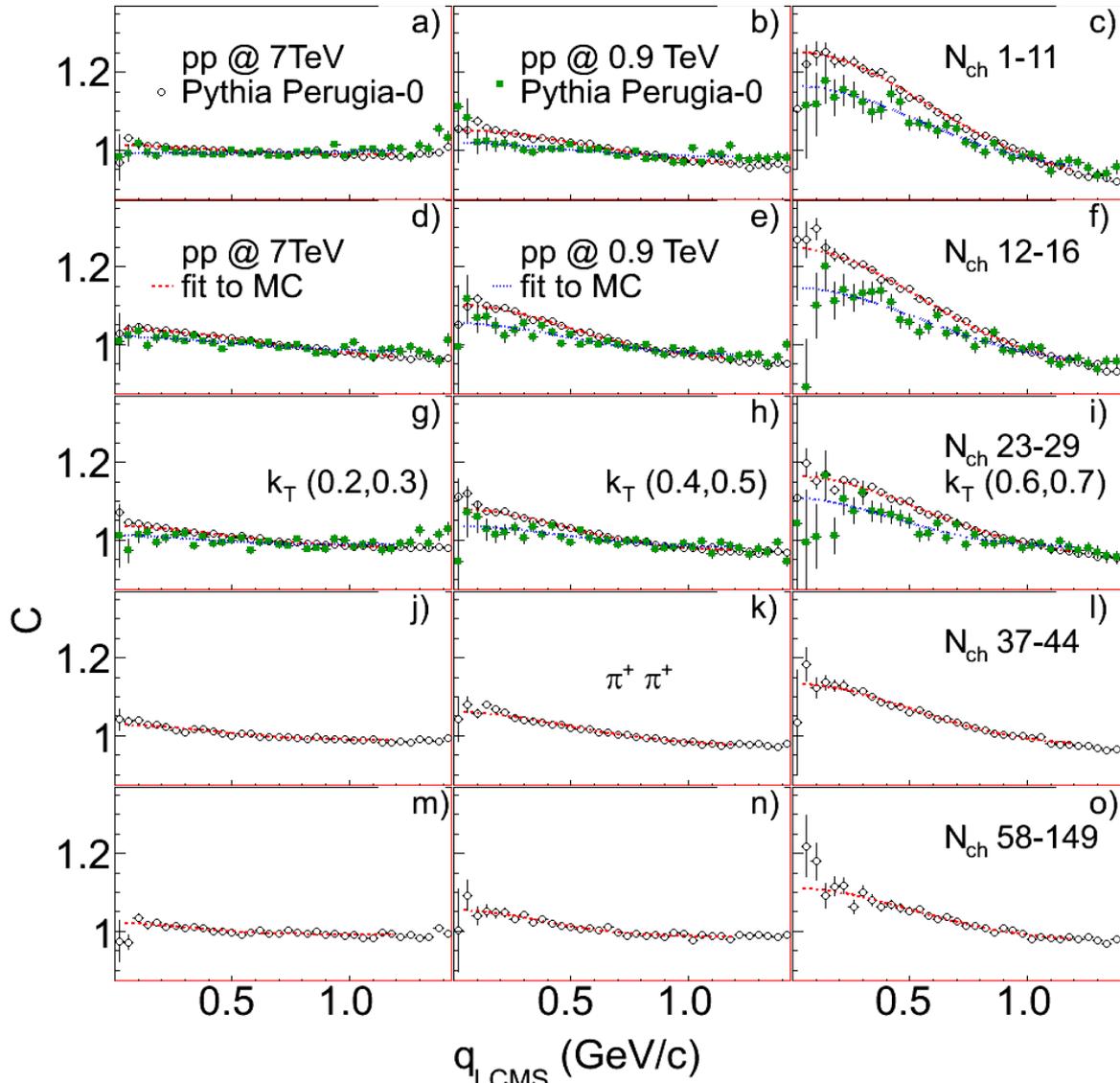
# Firtst look at pair momentum dependence



- First attempt in measuring pair momentum dependence limited by statistics and systematics
- Dominating systematic effect: appearance of “mini-jet” non-femtoscopic correlations at large  $p_T$
- Integrated  $R_{inv}$  shows flat behaviour, but only if the systematic effects are treated properly
- Discrepancy with data at lower (STAR) and higher (E735) energy is apparent, but acceptance (in particle momenta and event multiplicities) differs significantly

# BEC baseline in Pythia (Perugia-0)

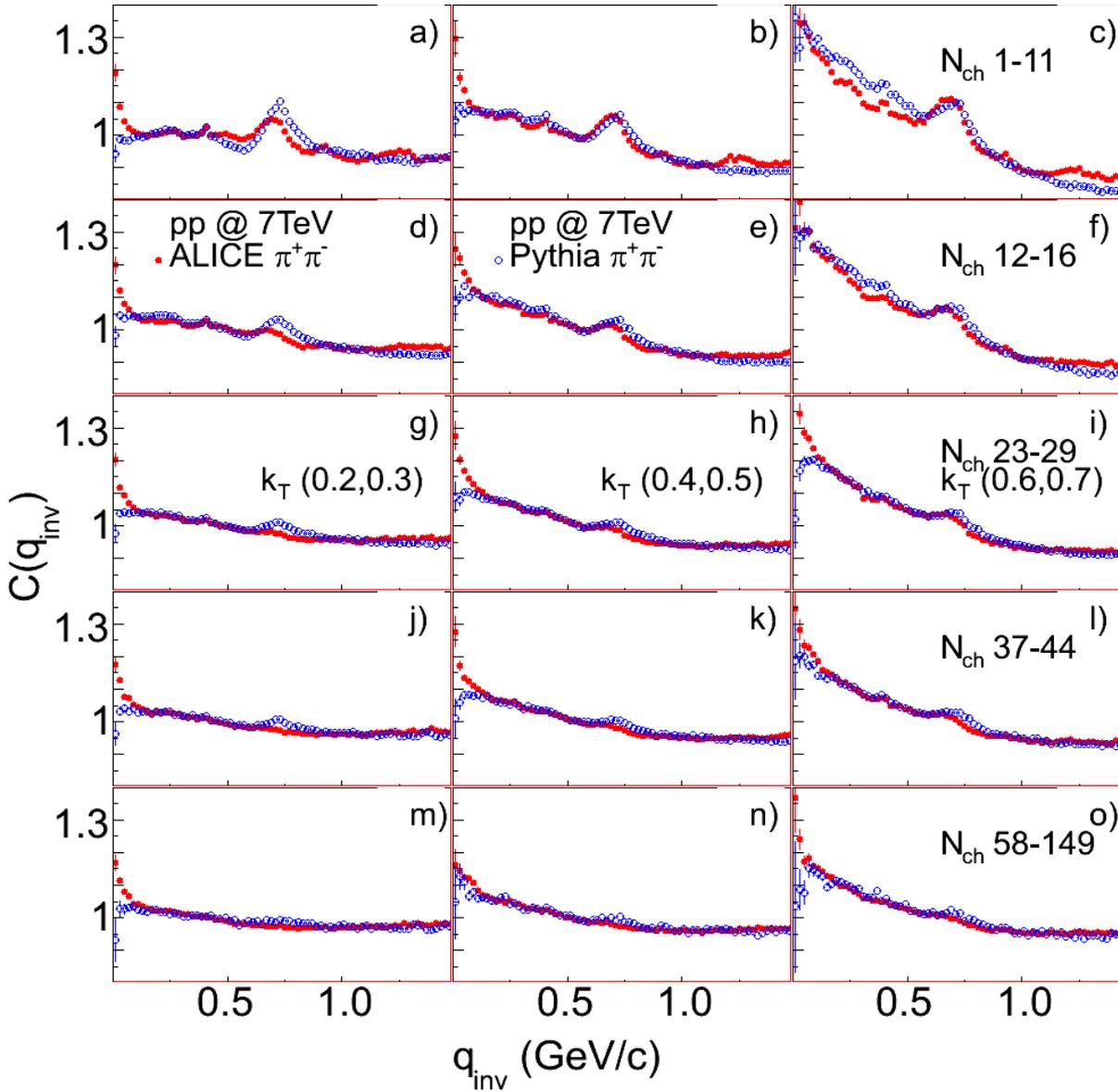
ALICE - CERN-PH-EP-2010-083



- Pythia Perugia-0 tune background fitted a 3D Gaussian peak with equal radii in LCMS
- Width of the peak varies by only 10% between multiplicity,  $k_{\text{T}}$  bins
- Height of the peak grows with  $k_{\text{T}}$ , falls with multiplicity
- Background at 0.9 TeV smaller than at 7 TeV

# Pythia baseline for unlike sign pairs

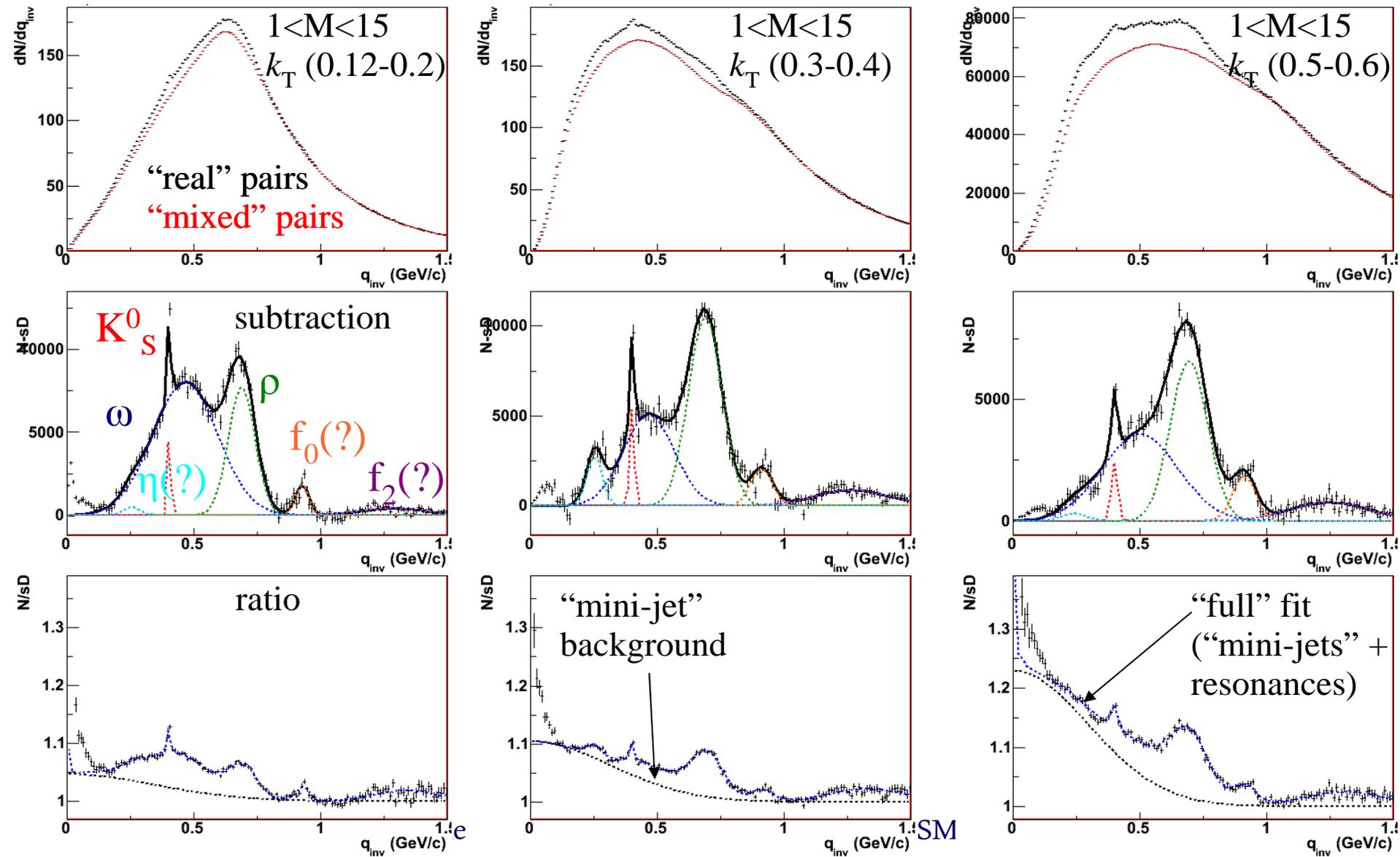
ALICE - CERN-PH-EP-2010-083



- Reasonable match between Pythia and data across multiplicity and  $k_T$  bins
- Visible resonance structures (non-id **not** a suitable background for identical pairs, and vice-versa)
- Details of resonance structure not reproduced – a limitation of resonance treatment in Pythia.

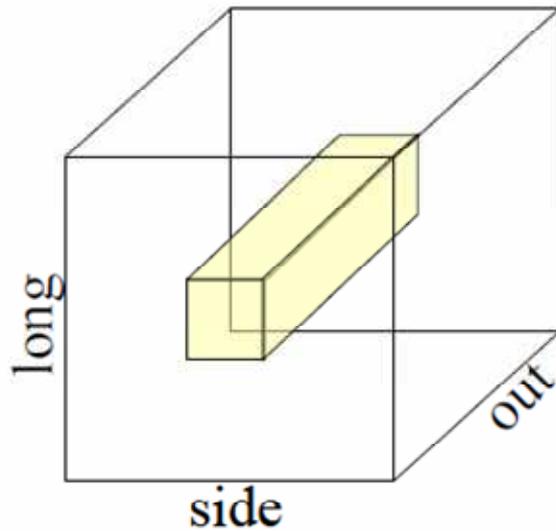
# Resonance structure in detail (data)

ALICE



# Representations of the correlation

- 3D space can be viewed via 1D projections or spherical harmonics
- Projections used traditionally
- Spherical harmonics have synergy with symmetries of the correlation

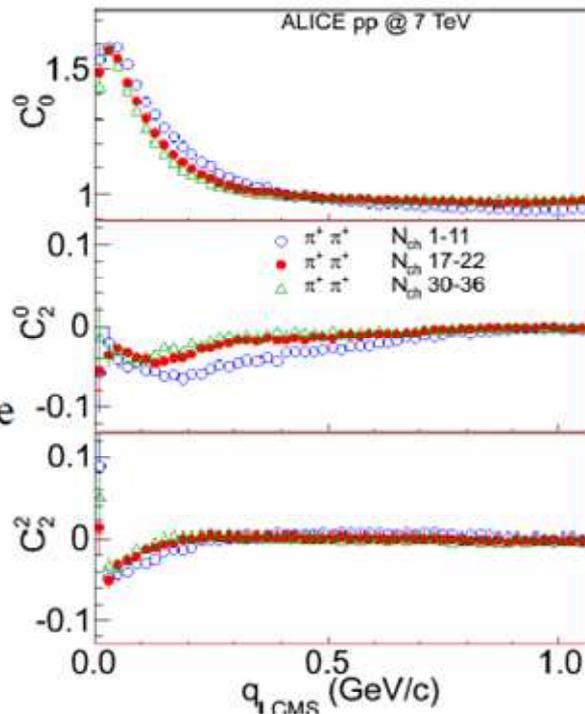


$$C_l^m = \int C(\vec{q}) Y_l^m(\vec{q})$$

$C_0^0$  - angle averaged  
similar to 1D CF

$C_2^0$  -  $\cos^2\theta$  weight  
longitudinal vs.  
transverse difference

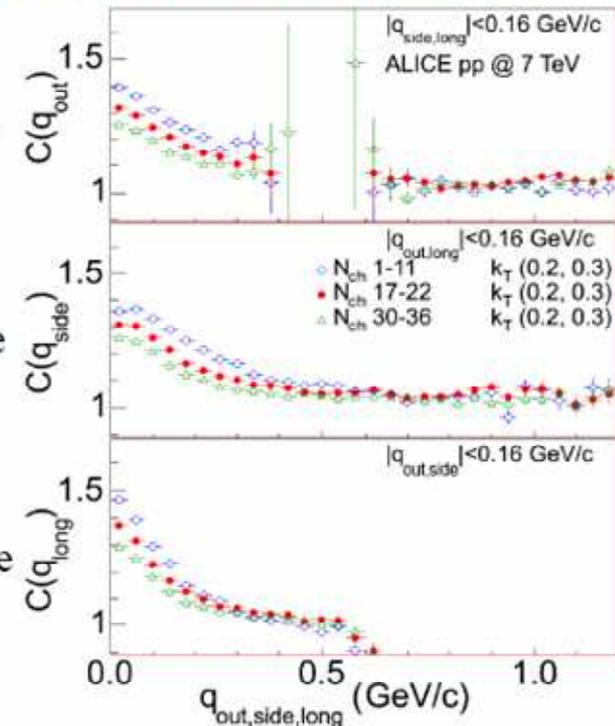
$C_2^2$  -  $\cos^2\phi$  weight  
out vs. side  
difference



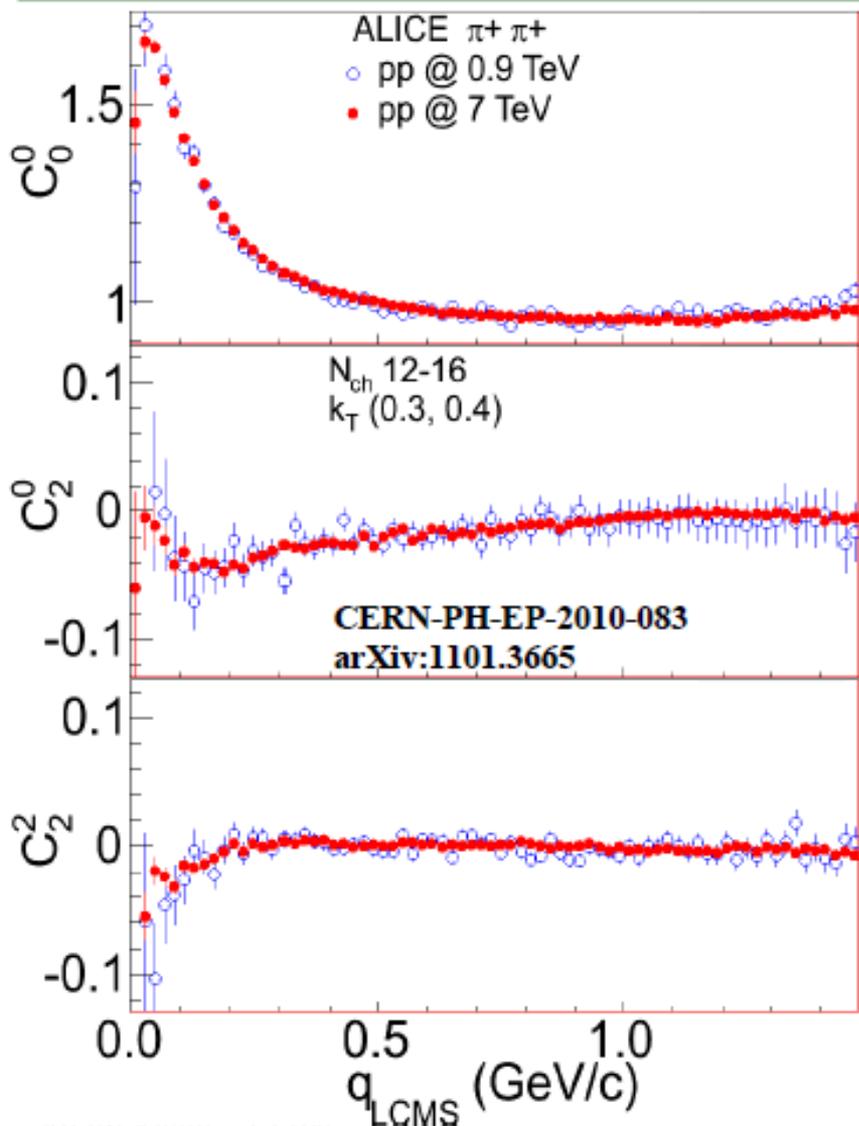
$C(q_{out})$   
out size

$C(q_{side})$   
side size

$C(q_{long})$   
long size

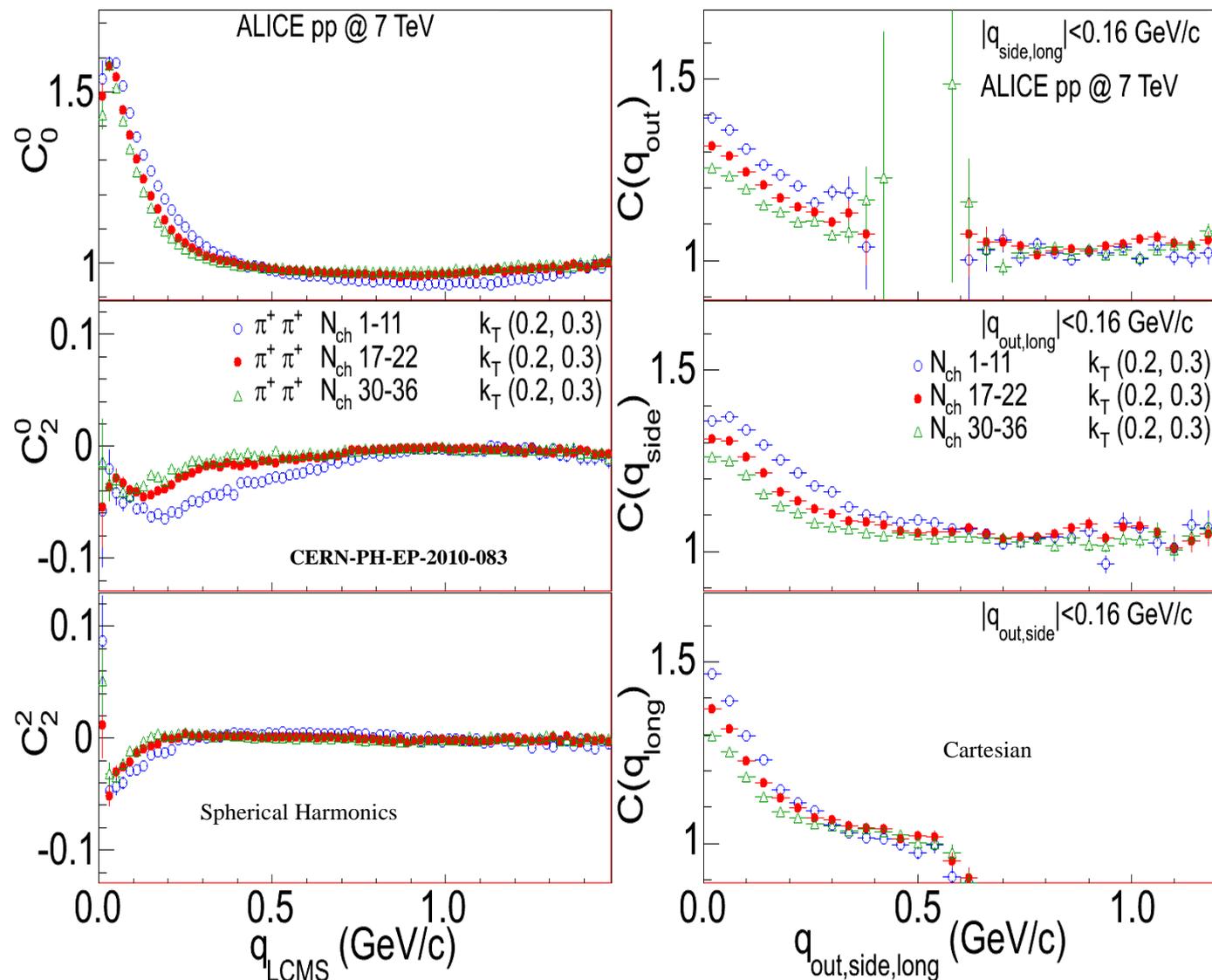


# Energy dependence of the correlation function



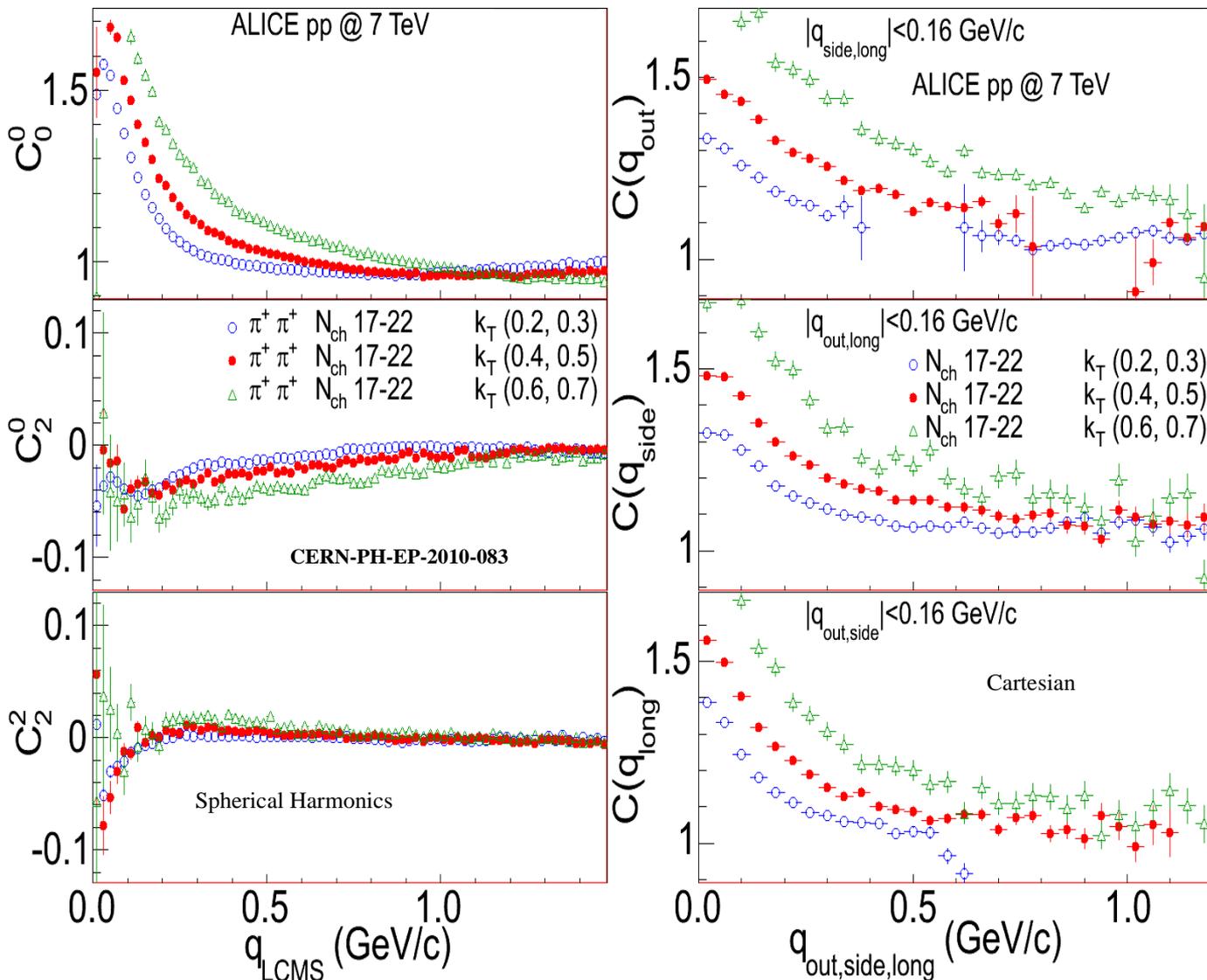
- Correlation functions for 0.9 TeV and 7 TeV, for same multiplicity and  $k_{\text{T}}$  bins similar
- 3D shape ( $C_2^0$  and  $C_2^2$  components) also consistent
- Checked all multiplicity/ $k_{\text{T}}$  bins - all show comparable similarity
- First important finding: the scaling variables are the total event multiplicity and pair momentum. Dependence on collision energy is small in comparison.

# Multiplicity dependence of the correlation function



- Dependence of the CF on multiplicity visible, not strong
- Large holes in the acceptance in certain  $k_T$  bins
- Consistent behavior for Spherical Harmonics and cartesian CFs

# $k_T$ dependence of the correlation function



- Dependence on  $k_T$  visible, stronger
- Acceptance holes in the CF depend directly on  $k_T$  (kinematics cut effect)
- Additional structures appear in the correlation at higher  $k_T$  ranges
- Extraction of the  $k_T$  dependence of the radii complicated by the need to account for the background

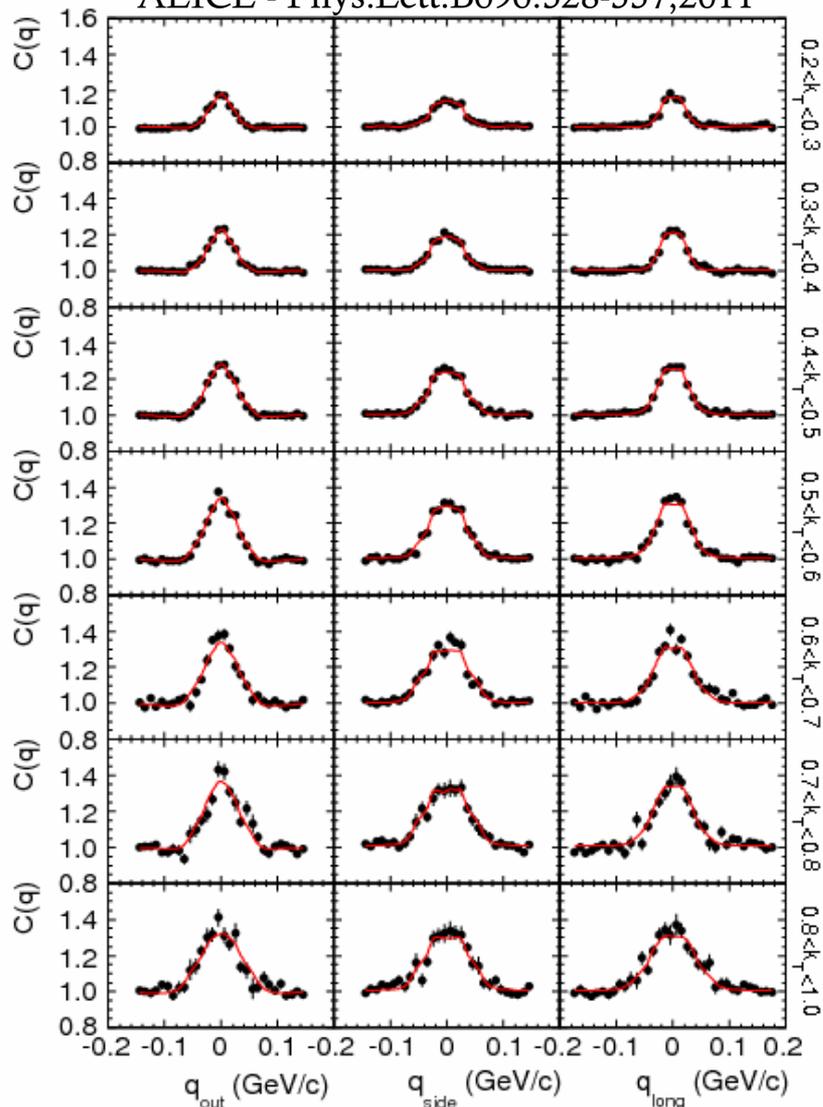
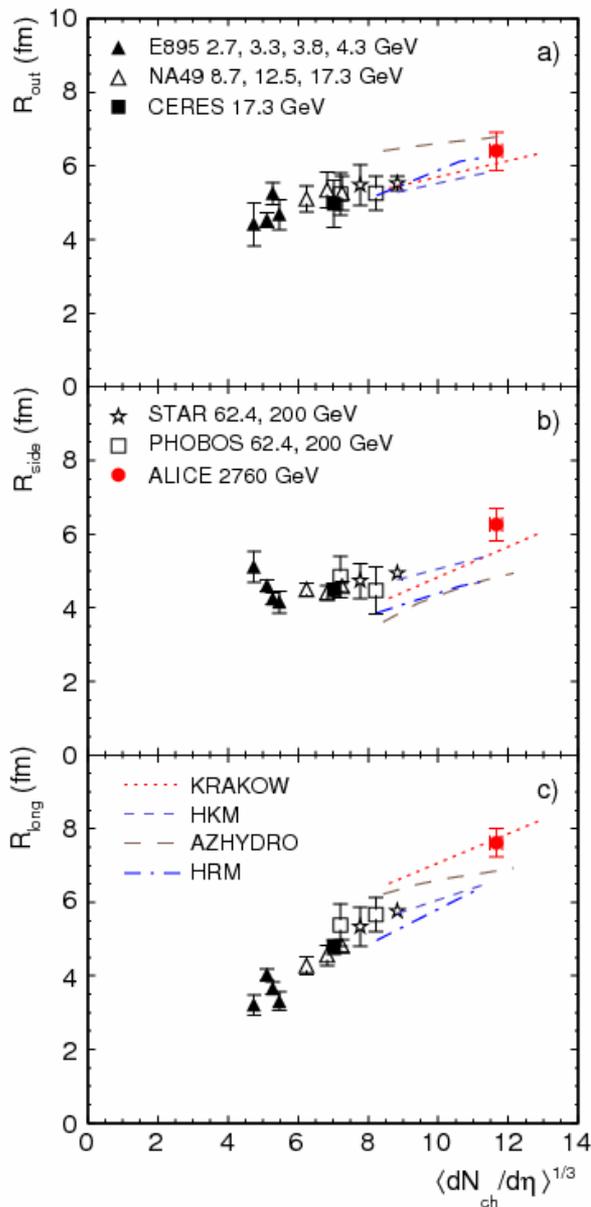


Figure 1: Projections of the three-dimensional  $\pi^- \pi^-$  correlation function (points) and of the respective fits (lines) for seven  $k_T$  intervals. When projecting on one axis the other two components were required to be within  $(-0.03, 0.03)$  GeV/c. The  $k_T$  range is indicated on the right hand side axis in GeV/c.

## BEC Correlations in Pb+Pb

- The correlation functions in Pb+Pb have been measured in the limited sample of events recorded at the beginning of November 2010
- First analysis was performed only for top 5% central events
- The pair momentum dependence was the main focus of the paper
- Specifically the fall of radii with pair momentum as well as the overall increase of radii as compared to RHIC was expected

# Comparing to models



ALICE - Phys.Lett.B696:328-337,2011

Figure 3: Pion HBT radii at  $k_T = 0.3$  GeV/c for the 5% most central Pb–Pb at  $\sqrt{s_{NN}} = 2.76$  TeV (red filled dot) and the radii obtained for central gold and lead collisions at lower energies at the AGS [35], SPS [36, 37, 38], and RHIC [39, 40, 41, 42, 30, 43]. Model predictions are shown as lines.

- The hydrodynamic models which were extensively tuned to reproduce the RHIC data work also at the LHC
- It is still not trivial to simultaneously reproduce the overall magnitude of the radii and the change between RHIC and the LHC.
- Only the models which introduce all the features important at RHIC (initial flow, cross-over phase transition, realistic equation of state, full inclusion of resonances) continue to work at the LHC.

# BEC@LHC feedback

- The results from p+p collisions were received with considerable interest by the community:

K.Werner et al., “*Evidence for Hydrodynamic Evolution in Proton-Proton Scattering at LHC Energies.*”, arXiv:1010.0400 [nucl-th]

AK, “*Signatures of collective flow in high multiplicity pp collisions.*”, arXiv:1012.1517 [nucl-th]

V.A. Schegelsky, A.D. Martin, M.G. Ryskin, V.A. Khoze, “*Pomeron universality from identical pion correlations*”, arXiv:1101.5520

- Interest in high-multiplicity measurements: interpreted as a collective system with strong expansion. Should be combined with other measurements for a stronger case.
- Energy independence interpreted as a signature of the Pomeron exchange mechanism.