

Onto higher precision in Sherpa

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Outline

- Motivation: Why higher orders?
- Warm-up: Multijet merging
 - Algorithm
 - Results with Sherpa
- Powheg and beyond
 - Summary of the method
 - Automation in Sherpa
 - MENLOPS
- Summary

Motivation: Why higher orders?

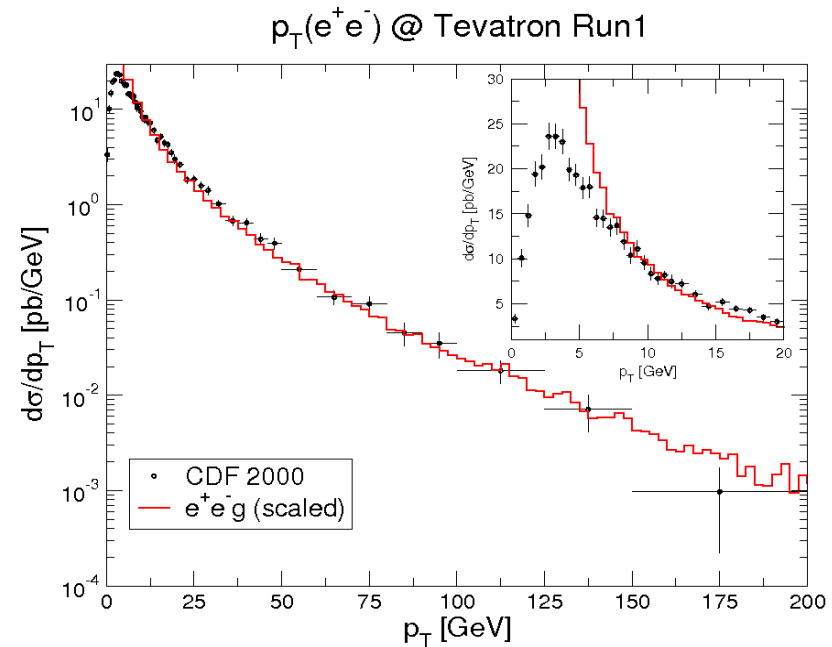
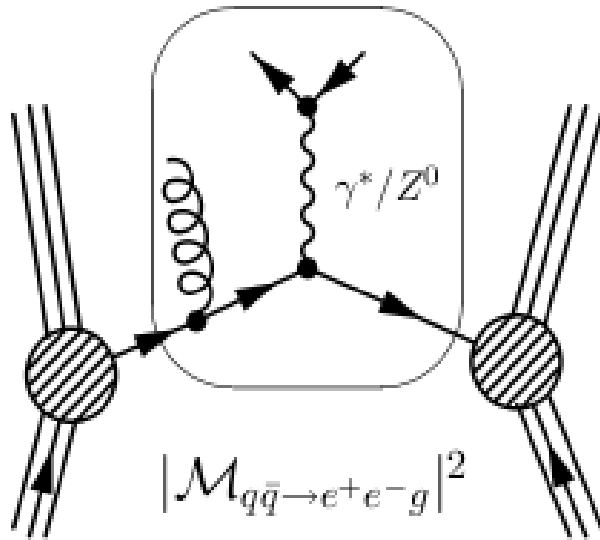
- In standard collinear factorisation, the total cross section is calculated as

$$\sigma_{pp \rightarrow N}(Q^2) = \sum_{a,b} \int dx_a dx_b g_a(x_a, Q^2) g_b(x_b, Q^2) |\mathcal{M}_{ab \rightarrow N}|^2 d\Phi_N$$

- Matrix element $|\mathcal{M}_{ab \rightarrow N}|^2$ encodes fundamental physics
(quantum interferences, off-shell effects etc.)
- It accounts correctly for high- p_T phenomena
- Possible: systematic improvements through higher orders in pert. expansion
- But: Poor accuracy in soft and collinear regions of phase space
(Resummation of large logarithms important)
- Only few (<10) partons in final state
- Non-trivial link to hadronisation

Motivation (cont'd)

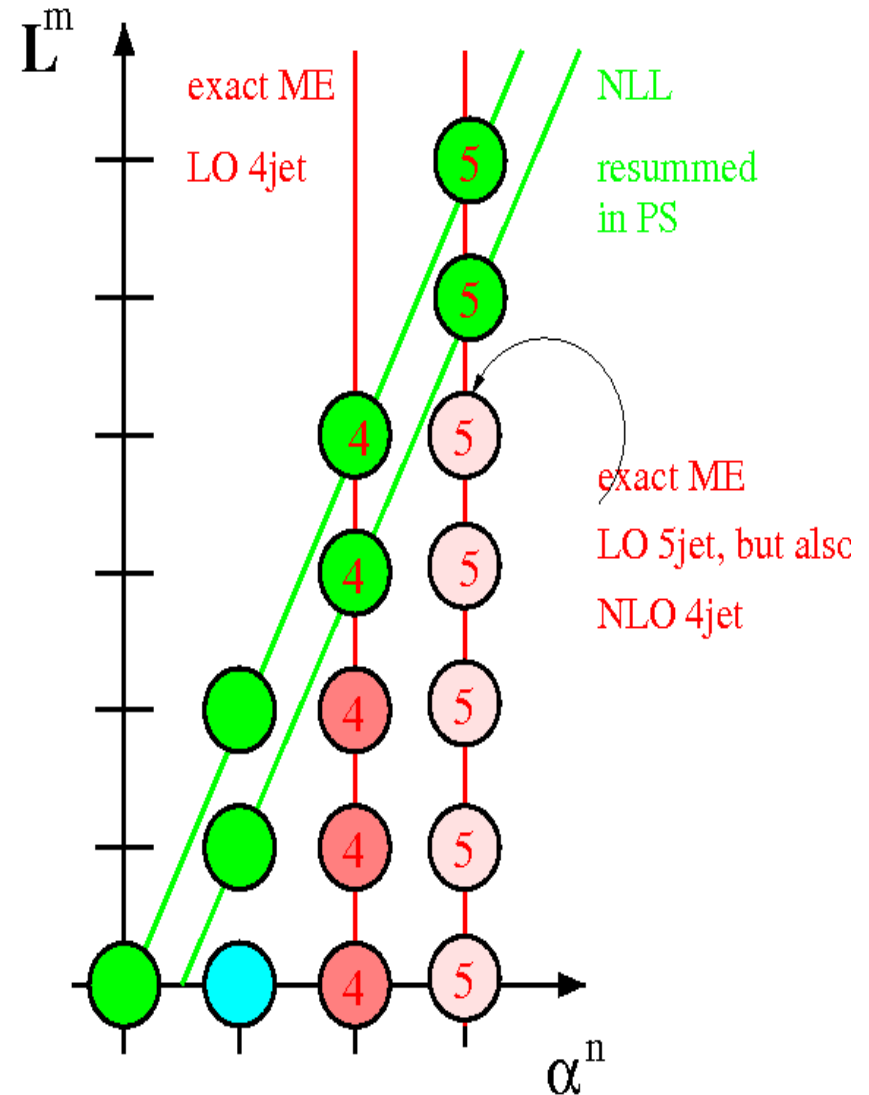
- Example: Transverse momentum of Z boson in hadron-hadron collisions



- $|\mathcal{M}_{q\bar{q}\rightarrow e^+e^-g}|^2 \sim |\mathcal{M}_{q\bar{q}\rightarrow e^+e^-}|^2 \frac{\alpha_S(\mu_R^2)}{p_T^2} \rightsquigarrow \sigma_{pp\rightarrow e^+e^-g} \sim \sigma_{pp\rightarrow e^+e^-} \alpha_S(\mu_R^2) \log \frac{p_T^{\max}}{p_T^{\min}}$
- Integration over p_T yields **large logs**, related to **divergence in ME**
- Divergence needs to be **regularised** and **logs resummed**
- Note: **Universal IR structure** \rightarrow **universal log structure** \rightarrow **parton shower**
(parton shower as simple trick to achieve the log-resummation)

Motivation (cont'd)

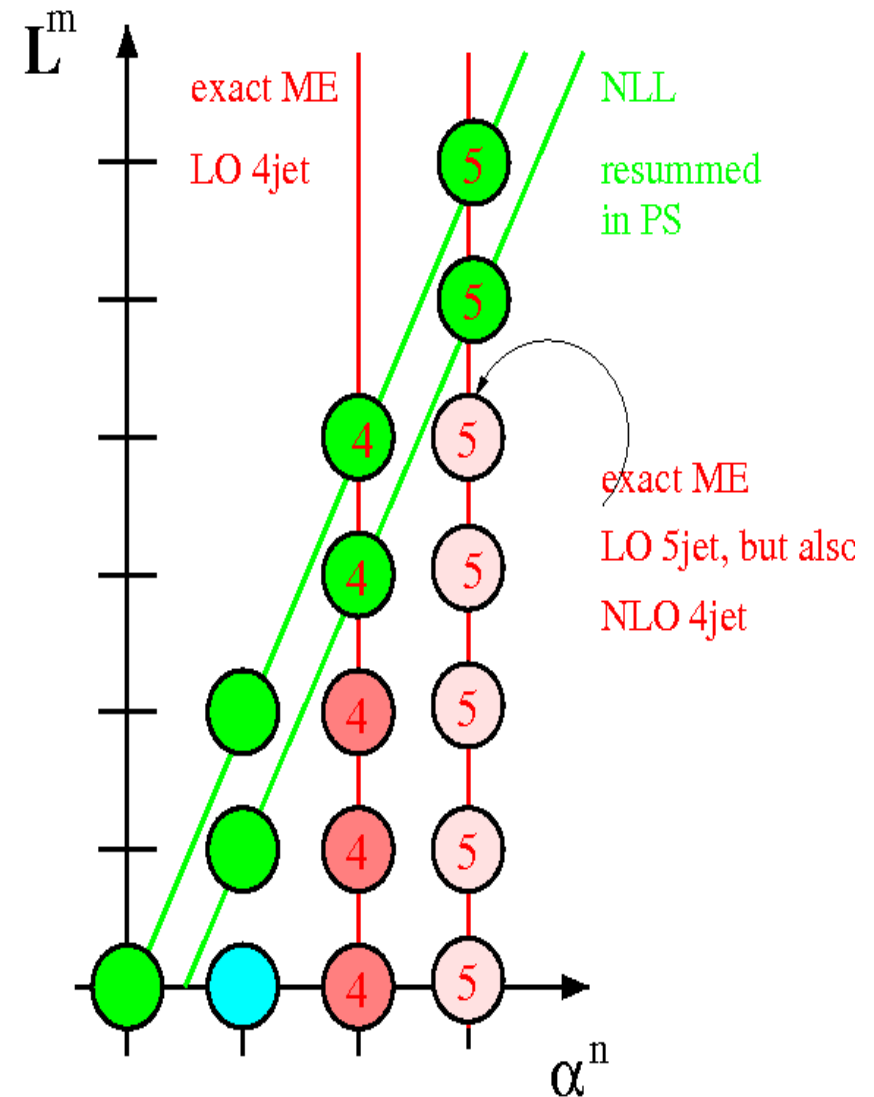
- Parton shower a **probabilistic method of resumming the large logs**
- It will **not account for higher-order corrections to rates**
- It will **not provide a reliable estimate for hard scattering.**
(and power showers as in Pythia are not very systematic)
- Must combine parton shower with exact higher-order calculations.
- Two methods:
 - **Multijet merging** and
 - **NLO matching**



Multijet merging

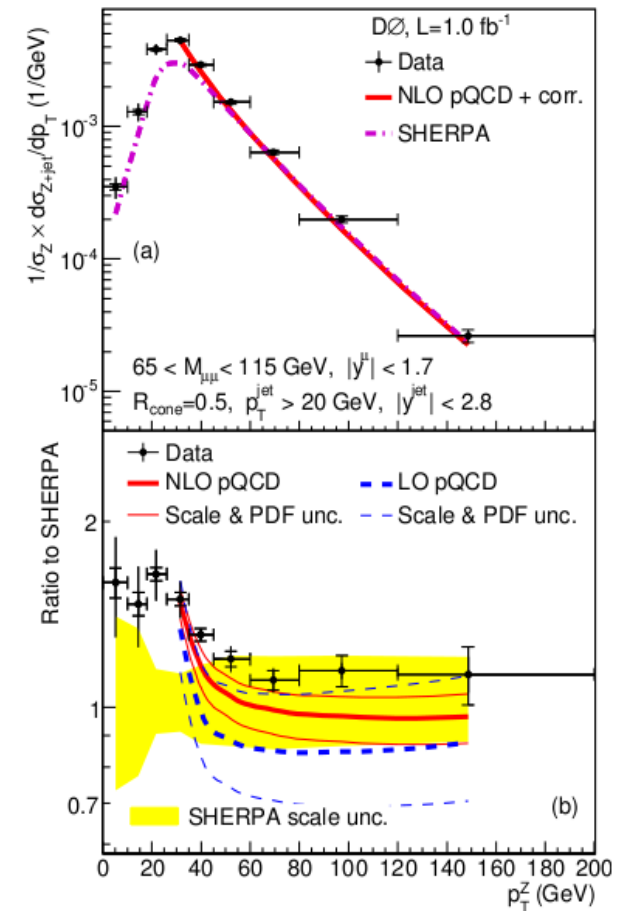
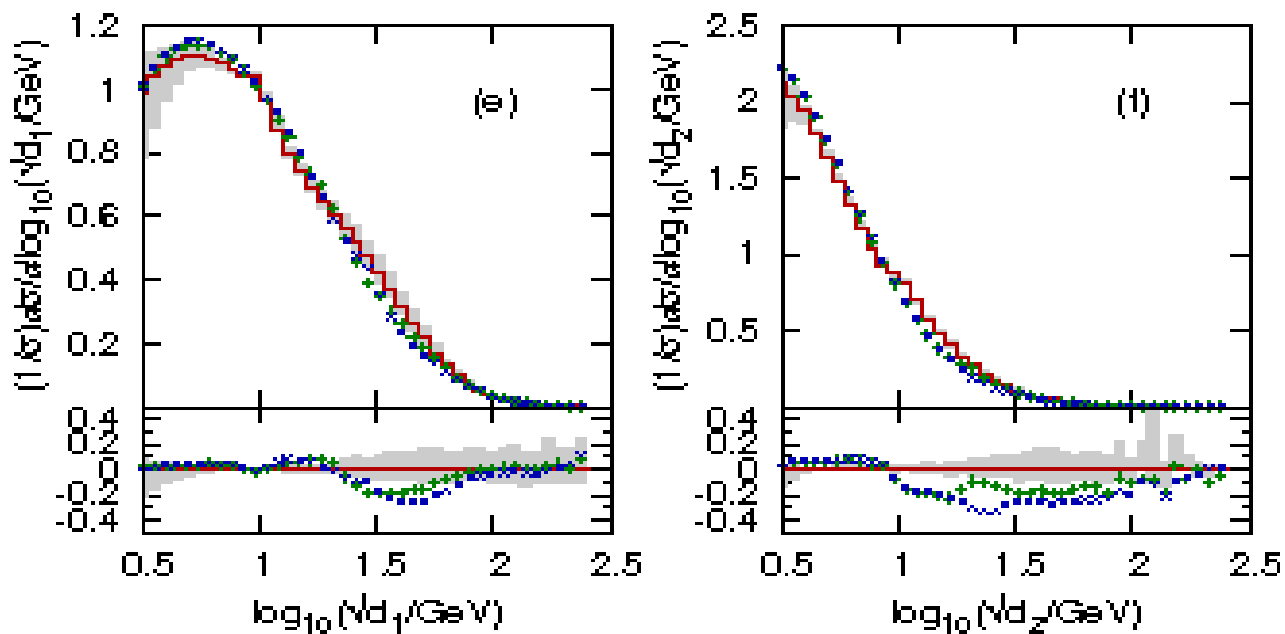
Multijet merging: General thoughts

- Want to combine without double-counting
 - large logs of parton shower with
 - exact LO matrix elements
 - for towers of jet multiplicities
- Algorithm
 - To avoid the double-counting divide the phase space in two regimes: **Jet-evolution** and **jet-production**
(this adds a parameter, Q_{cut})
 - Preserve accuracy of parton shower
 - Reweight the **matrix elements**
 - Veto/truncate the **parton shower**



Multijet merging in Sherpa:

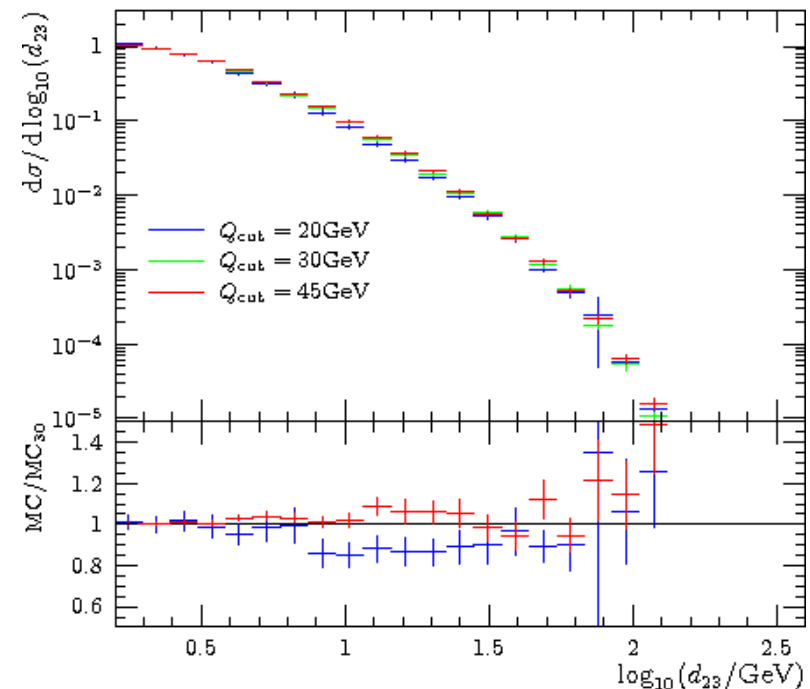
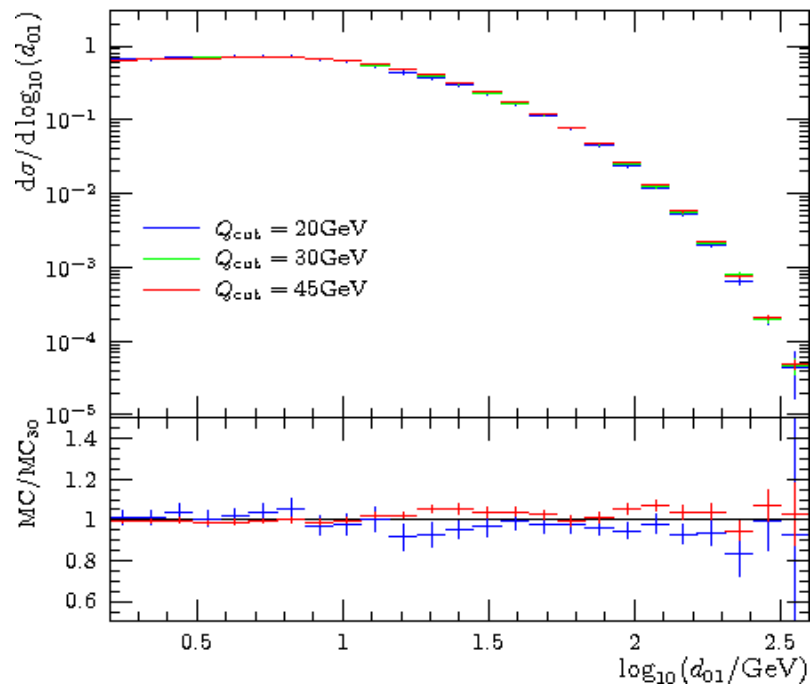
- Method has been pioneered for about 10 years in Sherpa
- New algorithm as described before from version 1.2
- Some example results for Sherpa 1.1.3 with old merging algorithm (analytical Sudakov form factors in ME regime)



Multijet merging in Sherpa:

(Hoeche, Krauss, Schumann & Siegert, JHEP 0905:053 (2009))

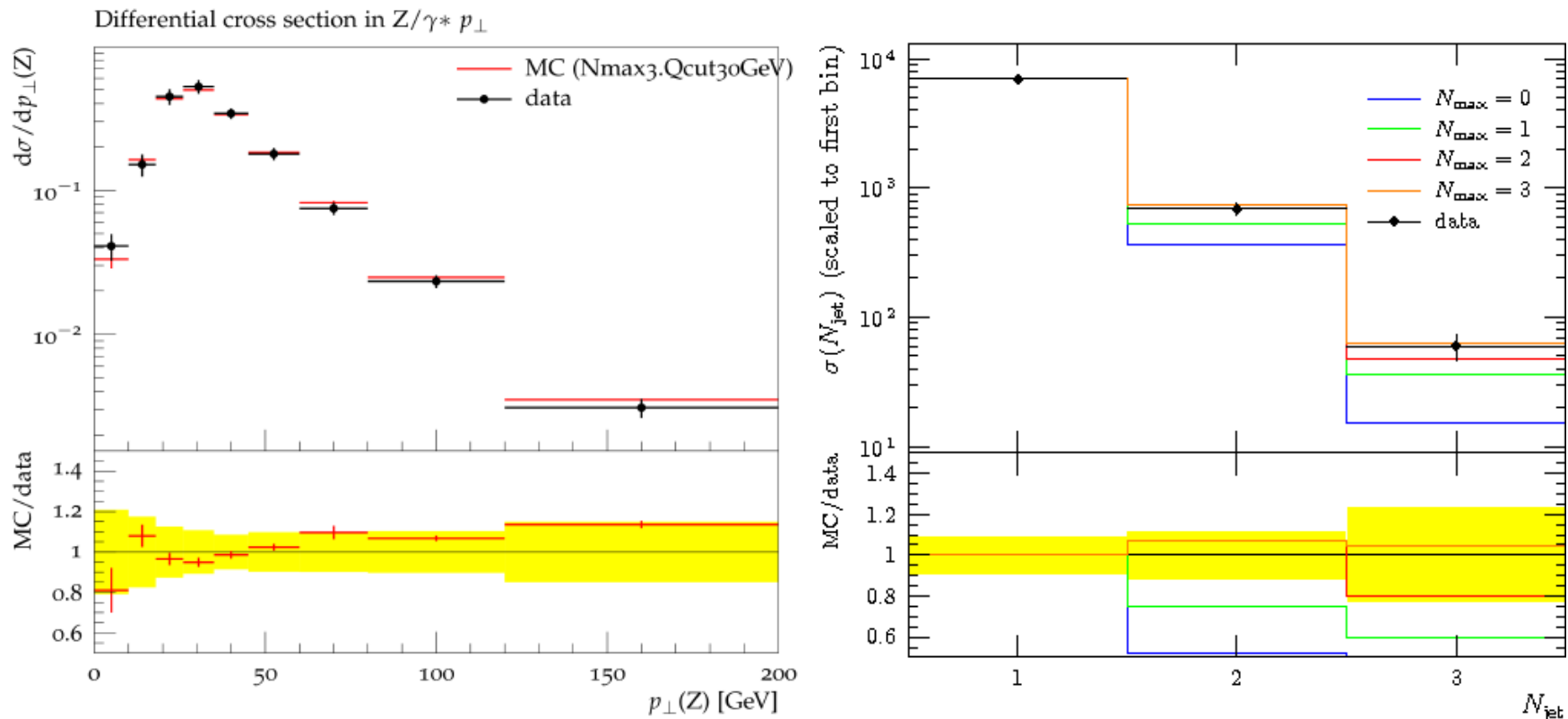
- New improved formalism, **greatly reduced merging systematics**
 - Sherpa 1.2: $<15\%$ for $Q_{\text{cut}} [20, 50]$ GeV,
 - Old algorithm in Sherpa 1.1 was better than 20%
(up to 40% in extreme bins – see previous slide)
- Shown to **preserve formal accuracy of parton shower**, i.e. shower logarithms are correctly accounted for; (MLM algorithm does not do that)



Multijet merging in Sherpa:

(Hoeche, Krauss, Schumann & Siebert, JHEP 0905:053 (2009))

- Typically, Sherpa 1.2 and upwards describes Tevatron data very well:

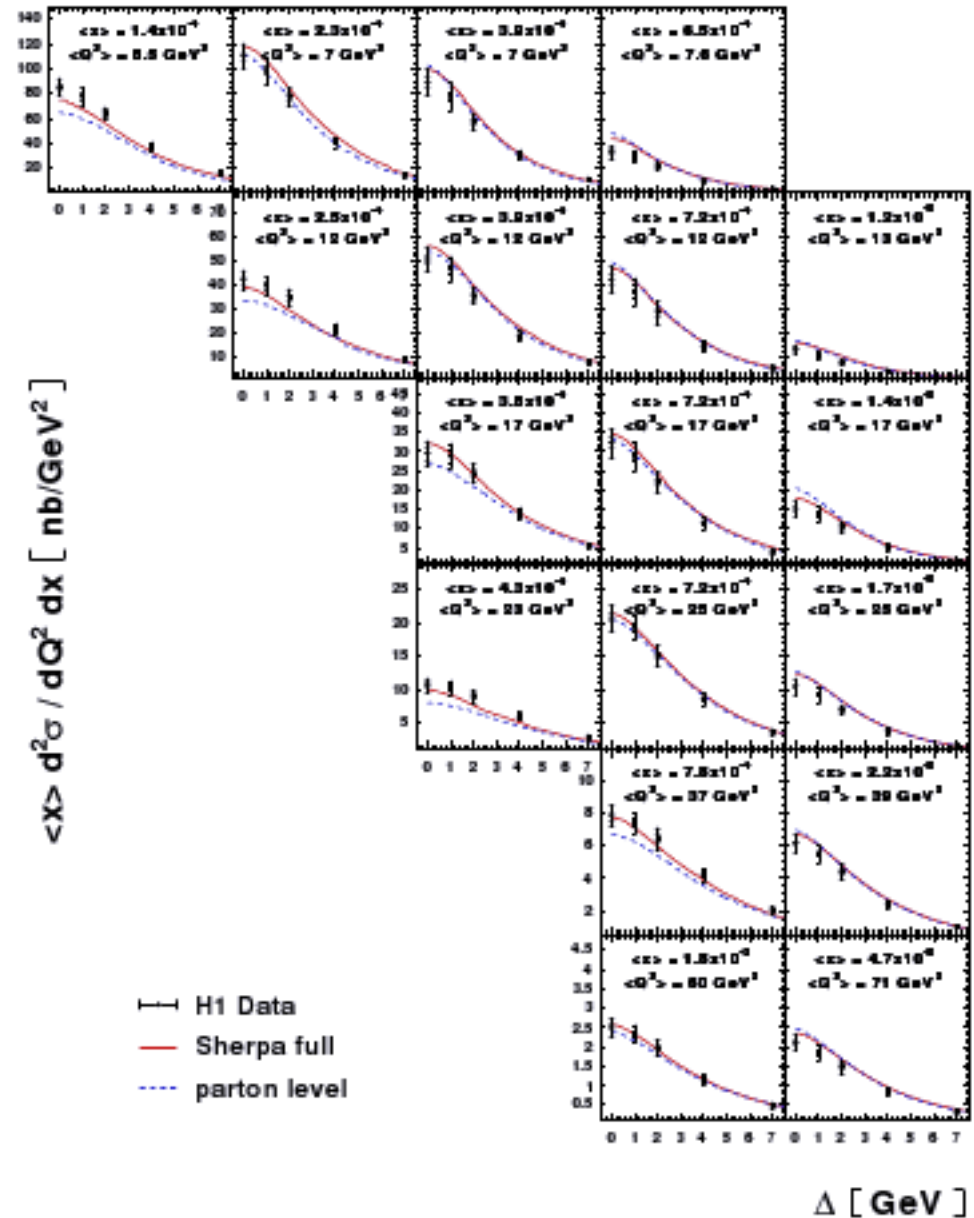
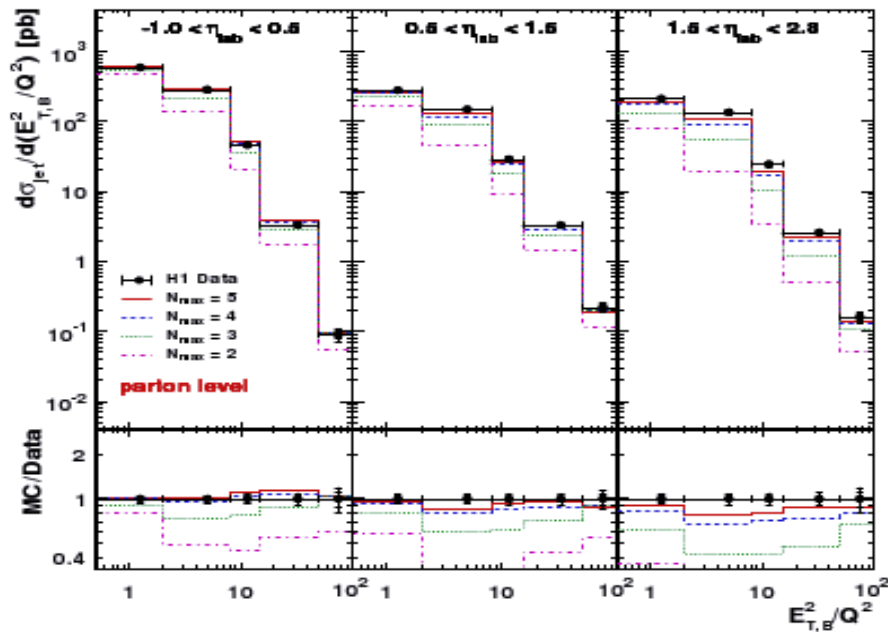


- Similar quality also for other observables and processes like W+jets.

Some results in DIS

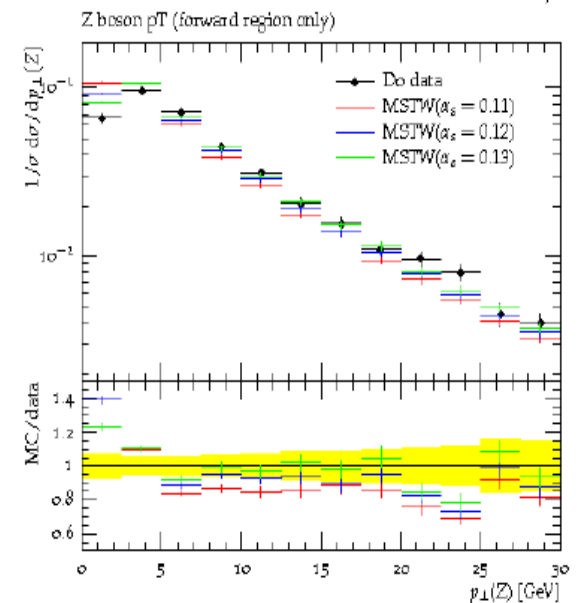
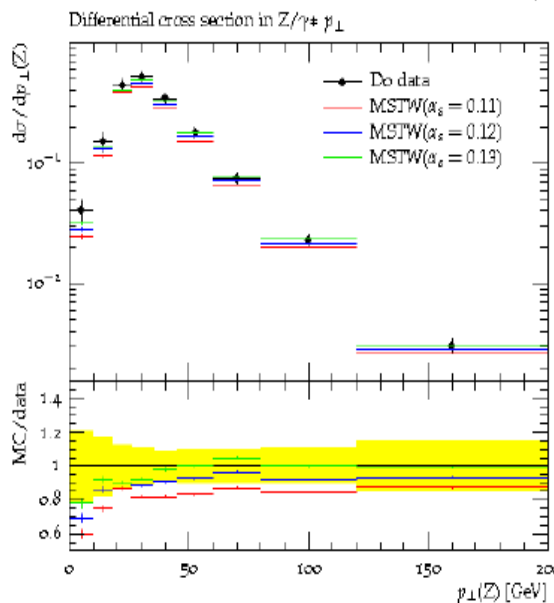
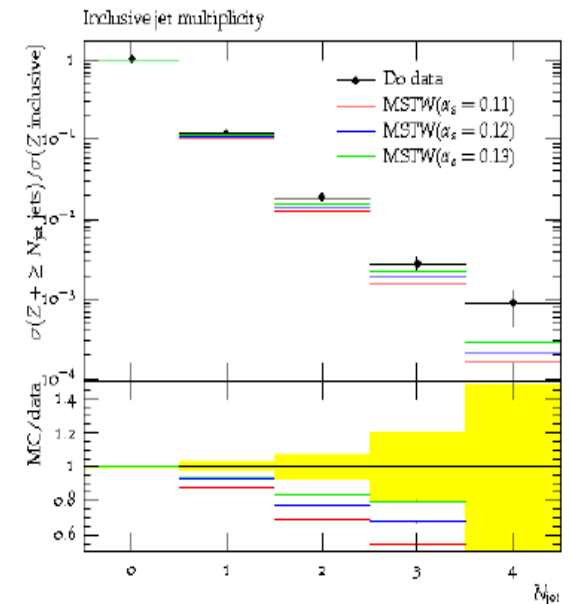
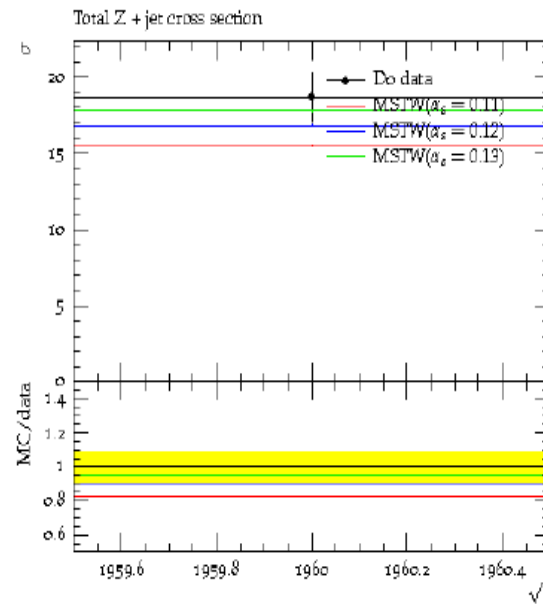
(Carli, Gehrmann & Hoeche EPJC 67 (2010) 73)

- Inclusive jet and dijet at low-x production, pt-distributions.
- Typically not well described by perturbative Monte Carlo



Merging in Sherpa – Impact of α_s

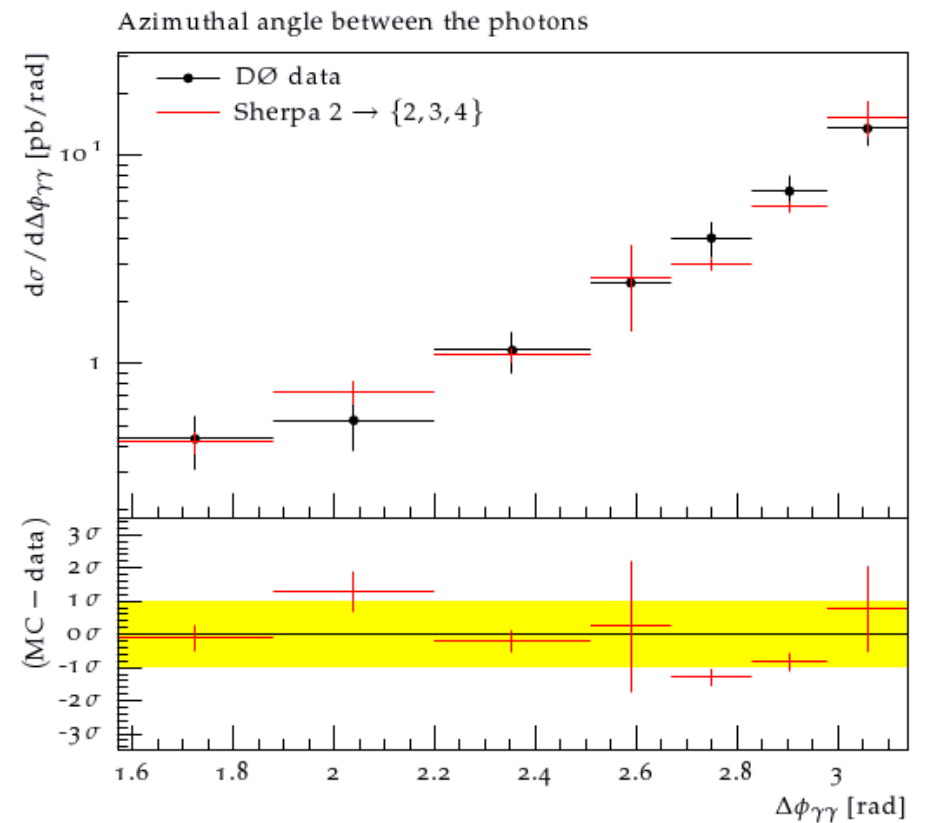
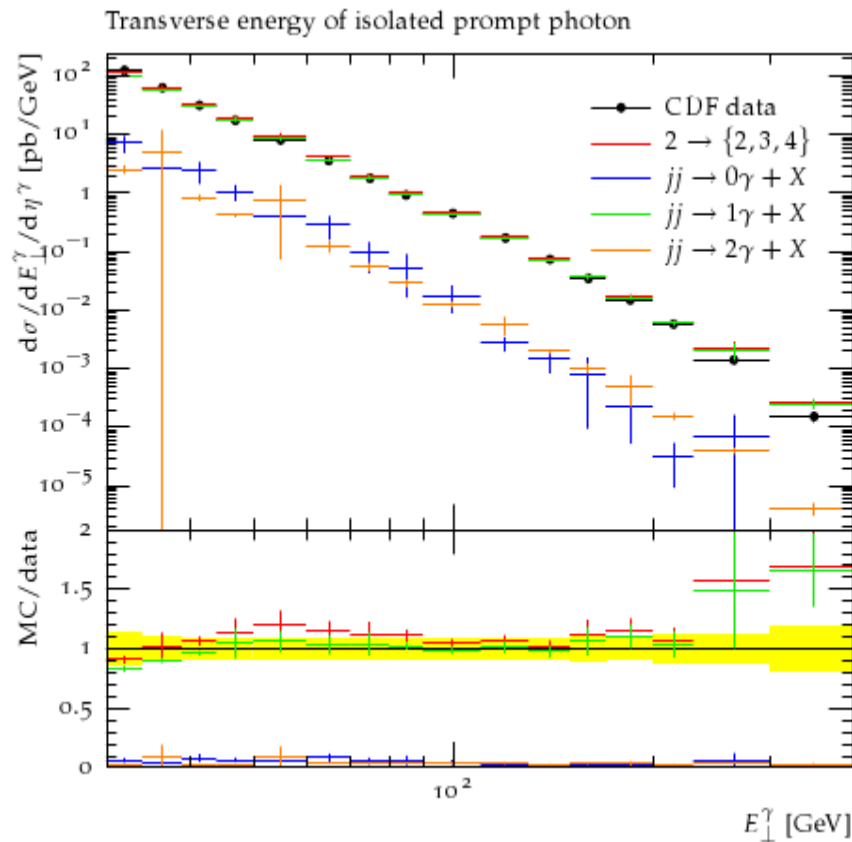
- In contrast to, e.g., Pythia, there is **only one strong coupling constant in Sherpa**, fixed by the PDF.
- I believe this is the **only truly consistent choice**, especially in view of treating higher order corrections in multijet merging and NLO matching.
- Therefore: Clear and immediate impact on observables.
- Therefore: Will provide **tunes for different PDFs**, including those with different values of strong coupling; this will allow for **meaningful systematic error estimates**



Multijet merging with photons:

(Hoeche, Schumann & Siegert, PRD 81 (2009), 034026)

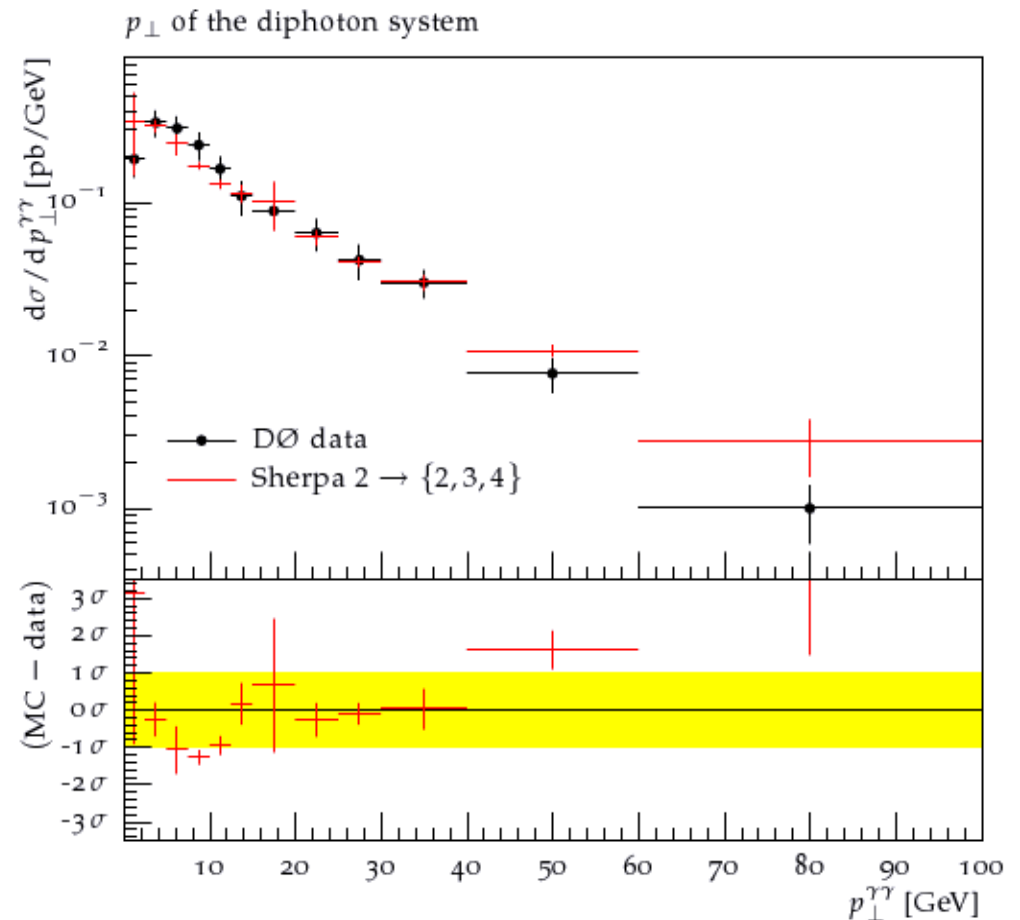
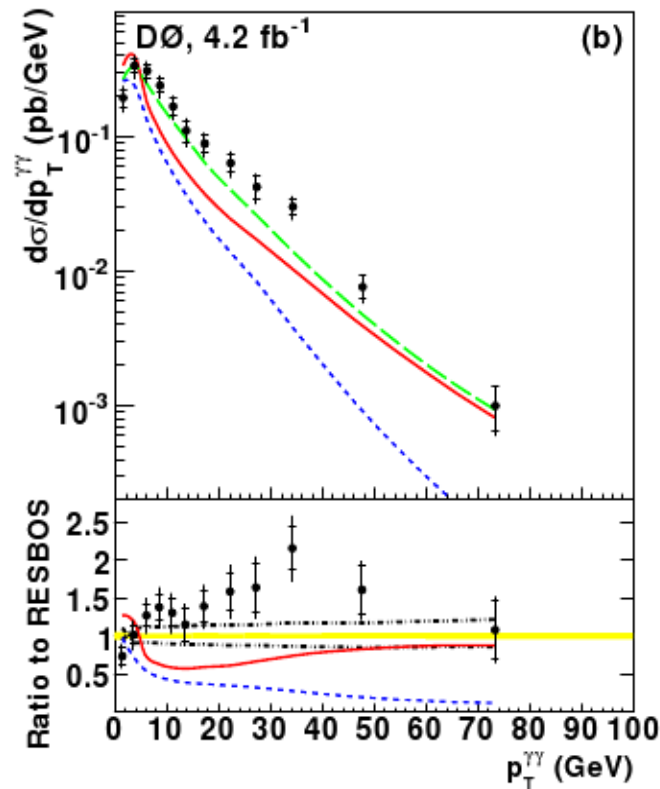
- Recently extended method also to photons.
- Example results:



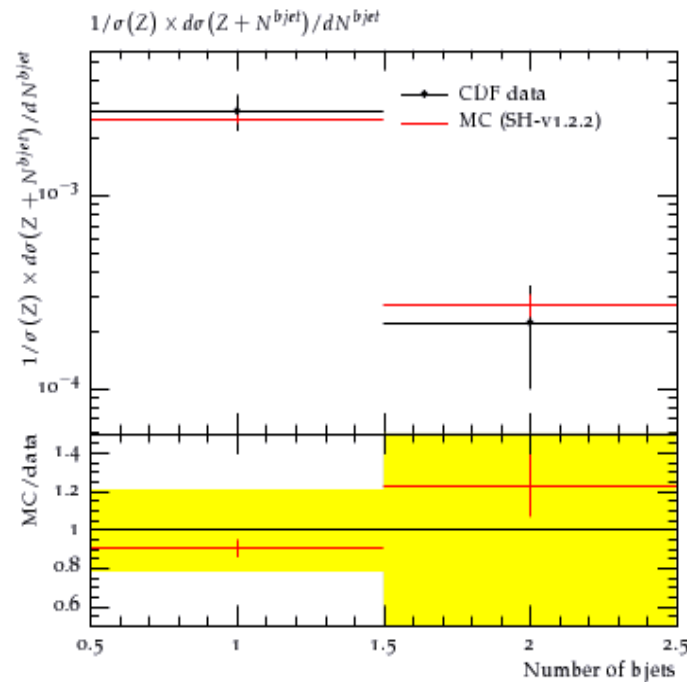
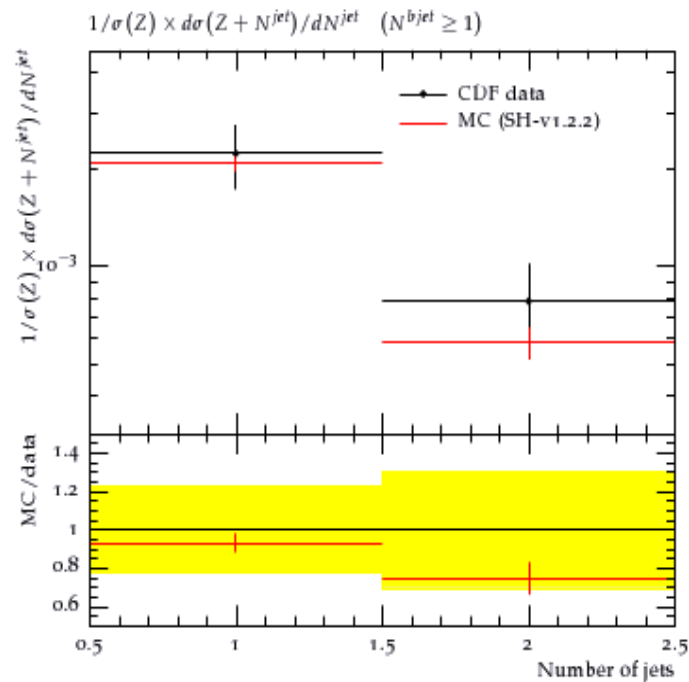
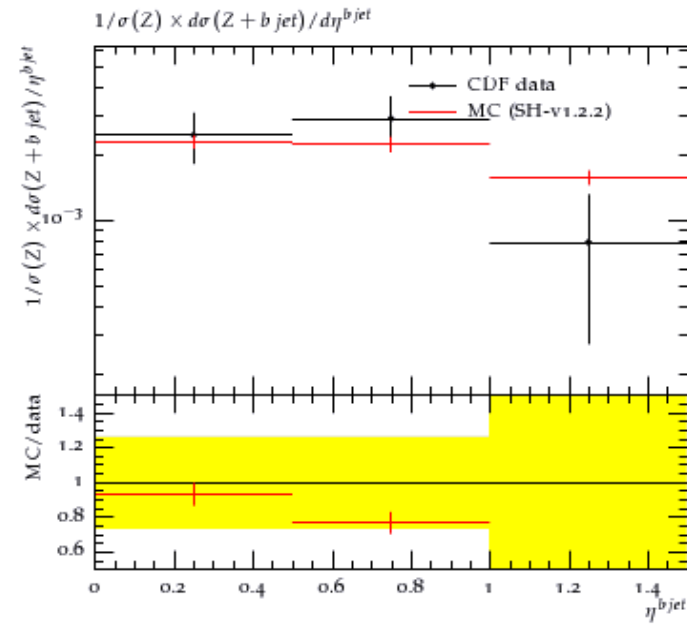
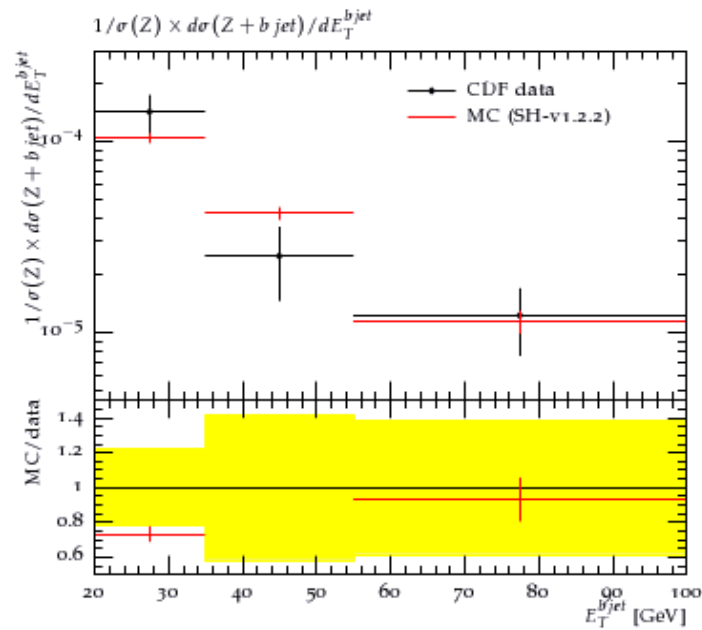
Multijet merging with photons:

(Hoeche, Schumann & Siegert, PRD 81 (2009), 034026)

- Compare with other codes: DiPhox, ResBos, Pythia
- Sherpa: merged $2 \rightarrow \{2, 3, 4\}$ plus $gg \rightarrow \gamma\gamma$ box



Multijet merging with heavy flavours:



NLO matching

Aside: Matrix elements in Sherpa

Three kinds of matrix elements:

- Since 1.2.0: **Comix** - mainly SM, can handle up to 8-10 final state particles
(implementations for BSM-relevant methods have low priority in Comix.)
- **Amegic++** - SM & BSM generator, up to 6 final state particles
(development stalled, will eventually move to Comix.)
- Specific, hard-coded ME's at LO and NLO.
- Using **Comix** makes Sherpa even **easier to handle**:
 - no more libraries written out to be compiled in intermediate step.
- **Sherpa/Amegic++** support **FeynRules**
 - a tool to generate Feynman rules directly from Lagrangians
(a new standard to propagate BSM models?)

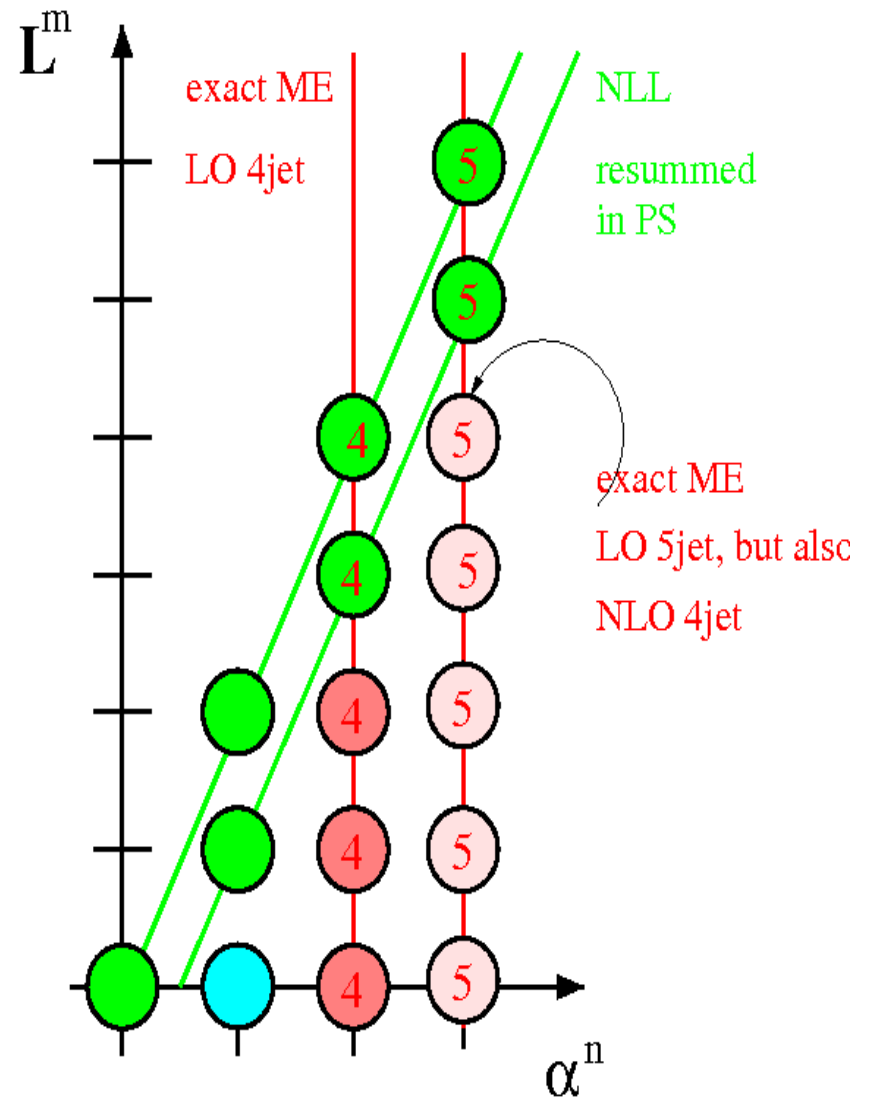
Aside: Some NLO stuff in Sherpa

- Sherpa was the first code to **automate Catani-Seymour subtraction kernels**
- Method to isolate IR divergences in real-emission part of NLO correction (consists of two parts: the actual subtraction term S , acting on the real emission bit R , and the term to be added to the virtual bit V)
- By now extensively used by the **Blackhat** collaboration, some state-of-the-art results (W+3,4 jets and Z+3,4 jets) done as **Blackhat+Sherpa**
- Nice connection to parton shower: Sherpa's new default shower bases on the same phase-space mappings
- This made the automation of the **Powheg method in Sherpa** quite straightforward – first processes in release 1.3.0

(Expect a full release Sherpa 2.0. α in the next few months)

NLO matching: General thoughts

- Want to combine without double-counting
 - large logs of parton shower with
 - exact NLO matrix element
 - for one core process
- Algorithm (Powheg)
 - To avoid double-counting of NLO emission **correct first (hardest) emission to ME** accuracy with R/B
 - This is **identical to the good old ME reweighting procedure**
 - To retain NLO normalisation start with suitably weighted core configurations (**NLO-weighted Born configs**)



Comparison of ME+PS, Powheg and MENLOPS

$$\begin{aligned}
 d\sigma^{\text{POWHEG}} &= d\phi_B \bar{\mathcal{B}}(\phi_B) \left[\bar{\Delta}(p_{\perp, \min}) + \int_{p_{\perp, \min}} d\Phi_{R|B} \frac{\mathcal{R}(\phi_R)}{\mathcal{B}(\phi_B)} \bar{\Delta}(p_{\perp}) \right] \\
 d\sigma^{\text{MEPS}} &= d\phi_B \mathcal{B}(\phi_B) \left[\Delta(p_{\perp, \min}) + \int_{p_{\perp, \min}}^{Q_{\text{cut}}} d\Phi_{R|B} \mathcal{K}(\phi_{R|B}) \Delta(p_{\perp}) \right. \\
 &\quad \left. + \int_{Q_{\text{cut}}} d\Phi_{R|B} \frac{\mathcal{R}(\phi_R)}{\mathcal{B}(\phi_B)} \Delta(p_{\perp}) \right]
 \end{aligned}$$

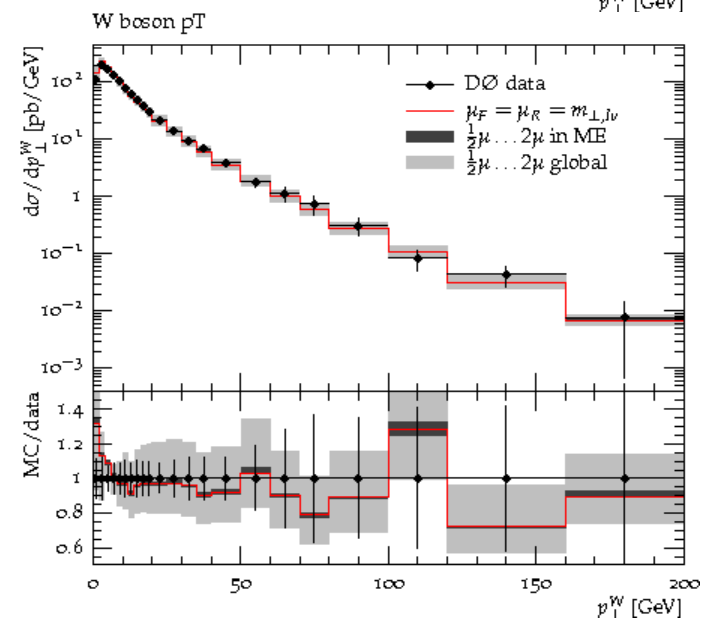
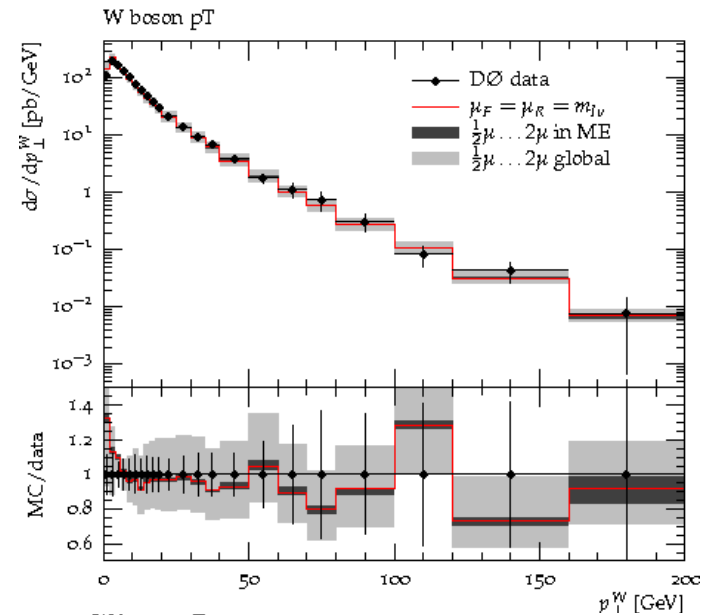
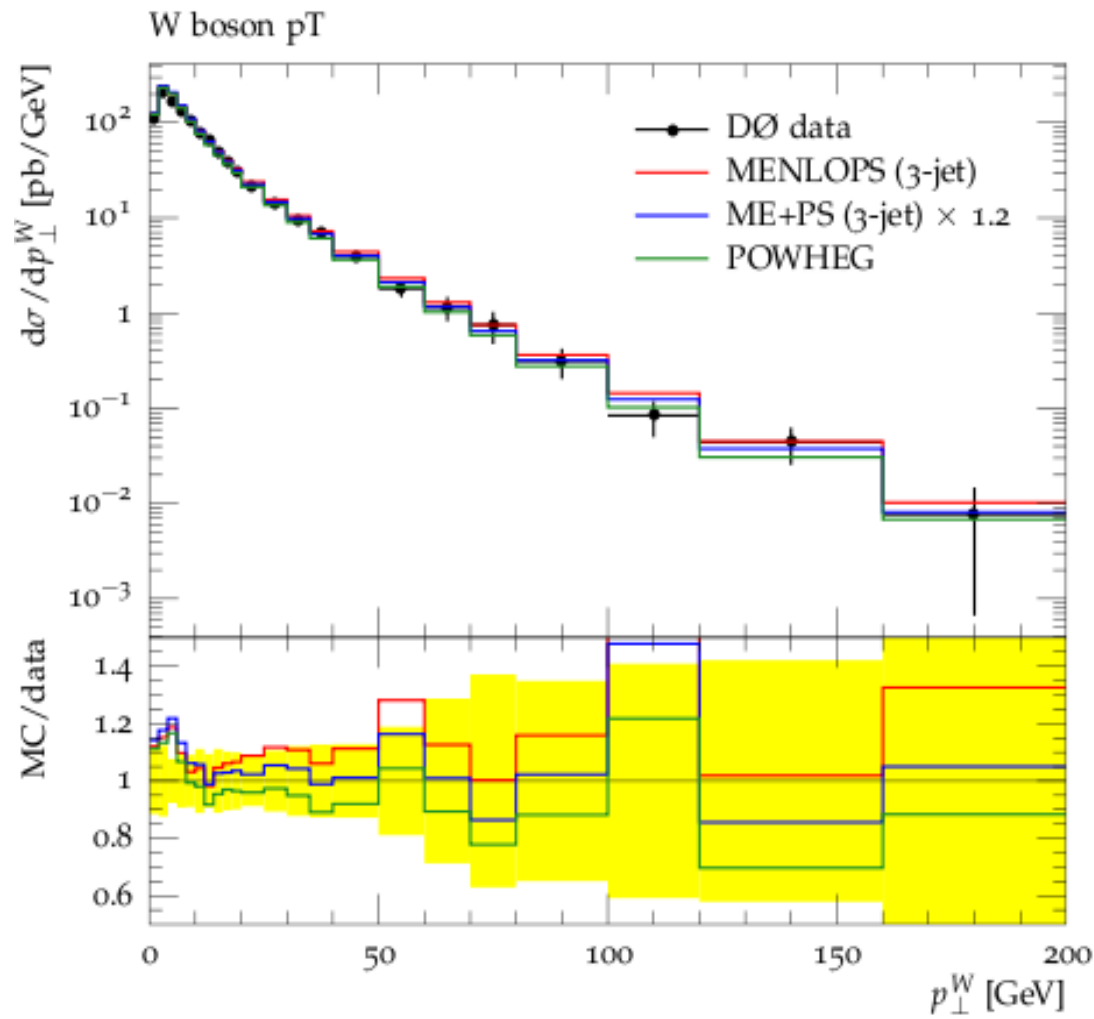
- Form of NLO cross sections for both methods nearly identical.
- Most notably NLO vs. LO normalisation ($\bar{\mathcal{B}}$ vs. \mathcal{B}), but also argument of Sudakov form factors (\mathcal{R}/\mathcal{B} vs. splitting kernels \mathcal{K}) in different regions of phase space (jet production vs. jet evolution)

MENLOPS for first emission

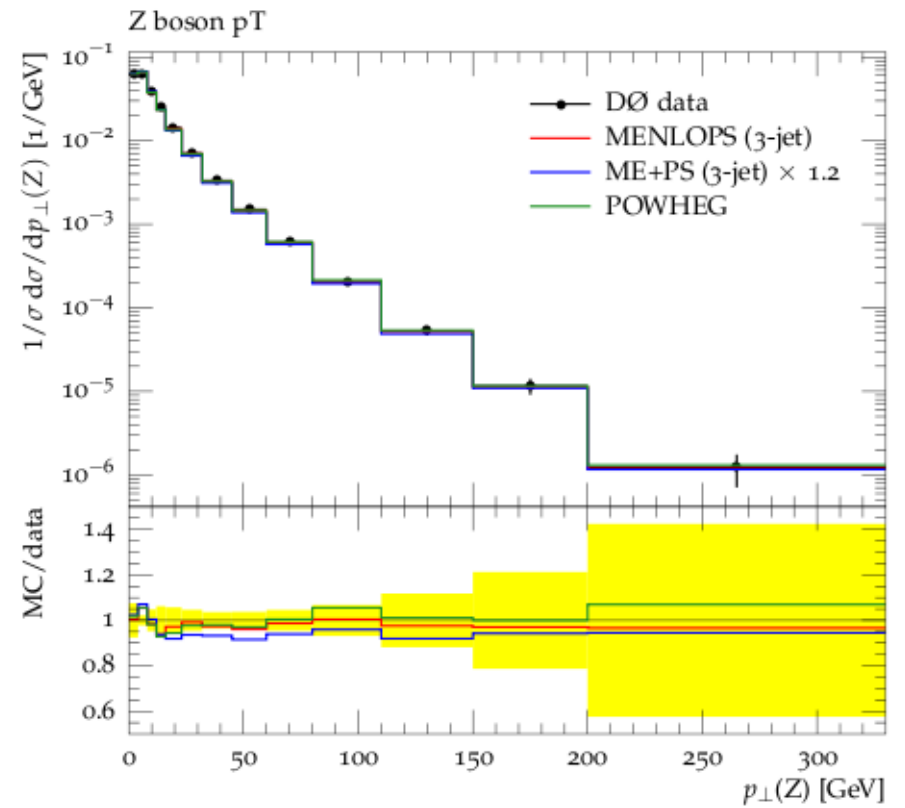
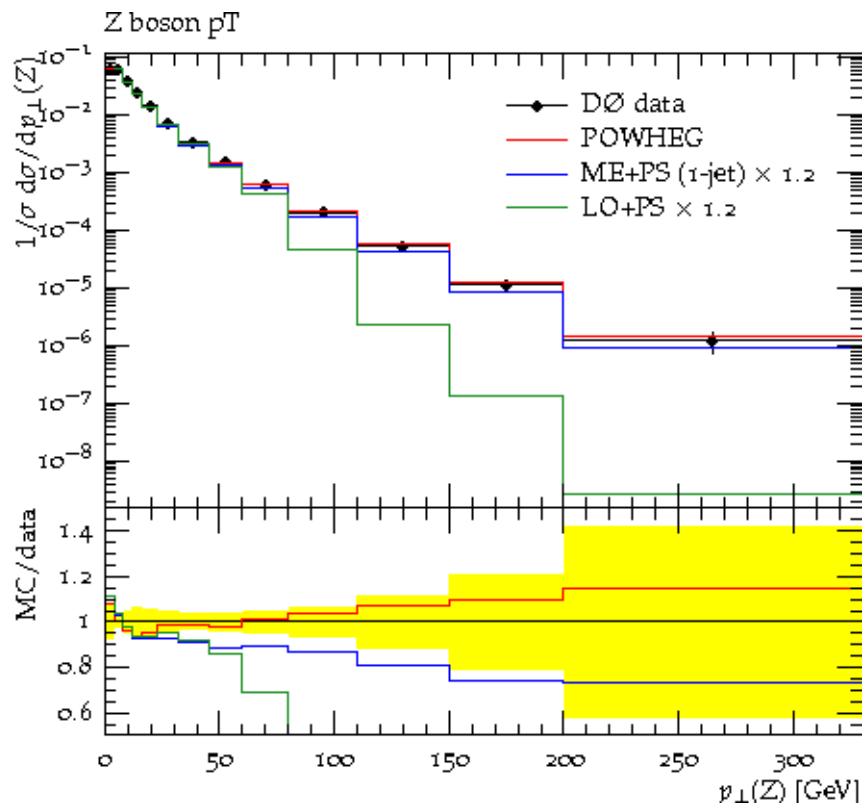
- To combine (MENLOPS): Cluster multijet configuration back to a Born-level configuration, where NLO accuracy is implemented, reweight the emerging Born-level expression with the NLO-reweighted term.

$$d\sigma^{\text{MENLOPS}} = d\phi_B \bar{\mathcal{B}}(\phi_B) \left[\bar{\Delta}(p_{\perp, \text{min}}) + \int_{p_{\perp, \text{min}}}^{Q_{\text{cut}}} d\Phi_{R|B} \frac{\mathcal{R}(\phi_R)}{\mathcal{B}(\phi_B)} \bar{\Delta}(p_{\perp}) \right. \\ \left. + \int_{Q_{\text{cut}}} d\Phi_{R|B} \frac{\mathcal{R}(\phi_R)}{\mathcal{B}(\phi_B)} \Delta(p_{\perp}) \right]$$

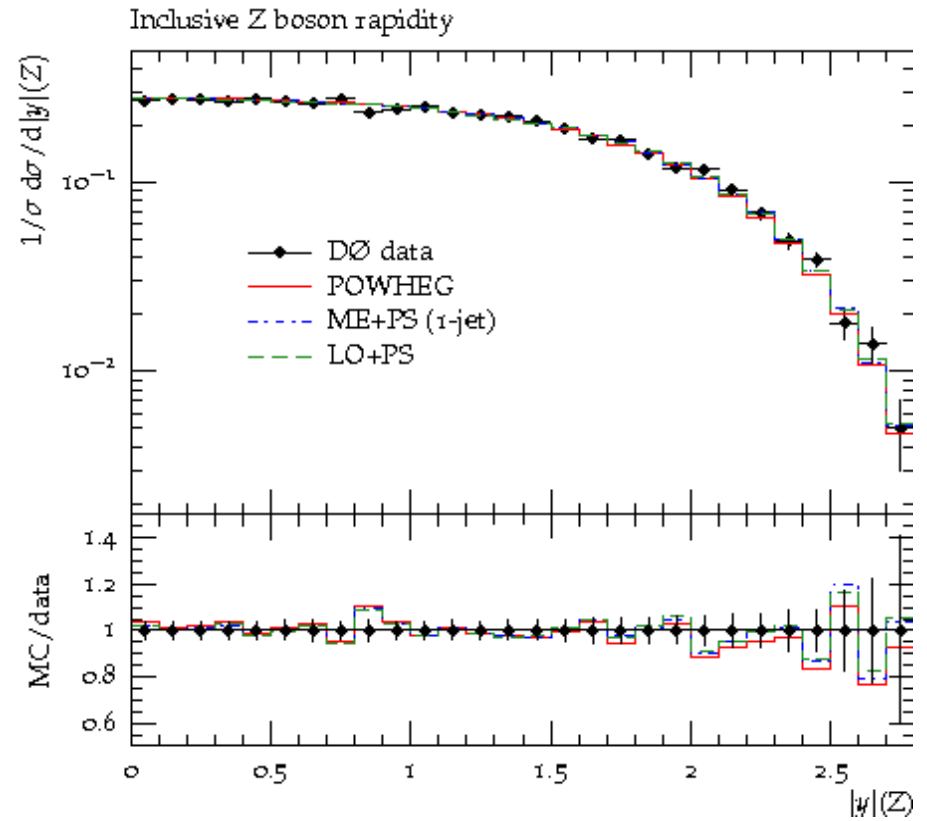
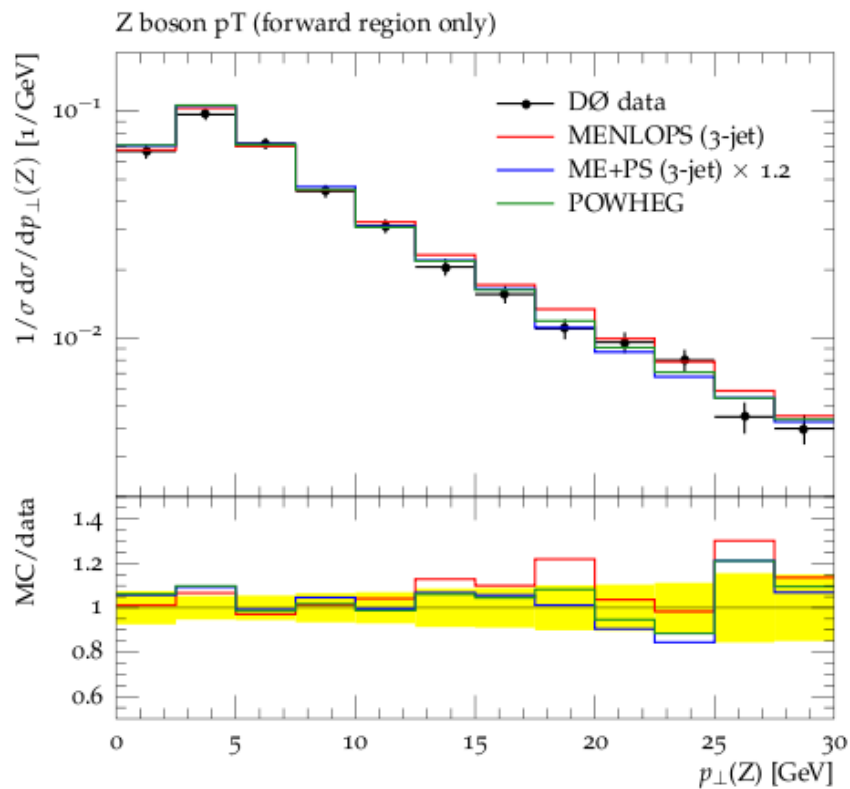
p_T^W at Tevatron: playing with scales



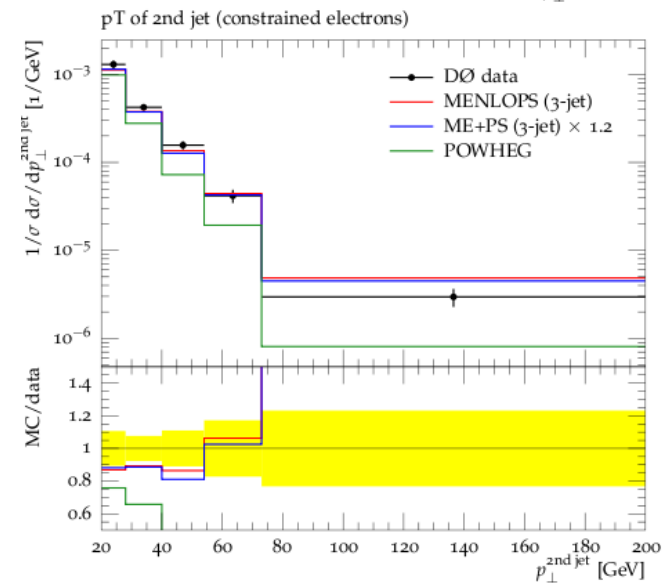
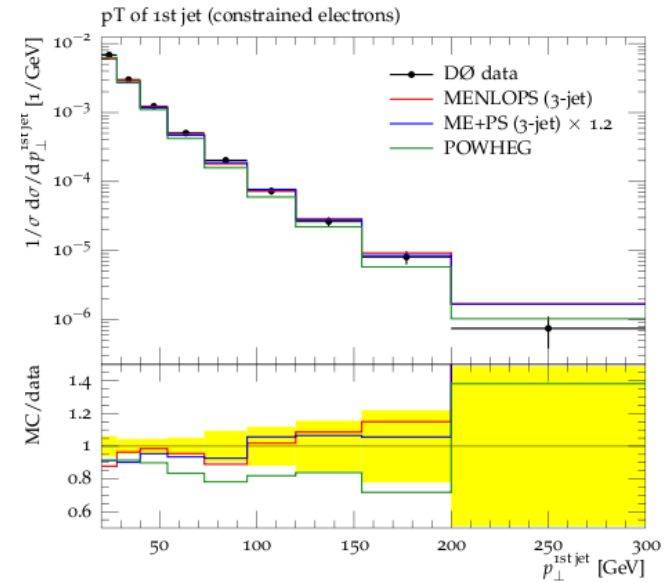
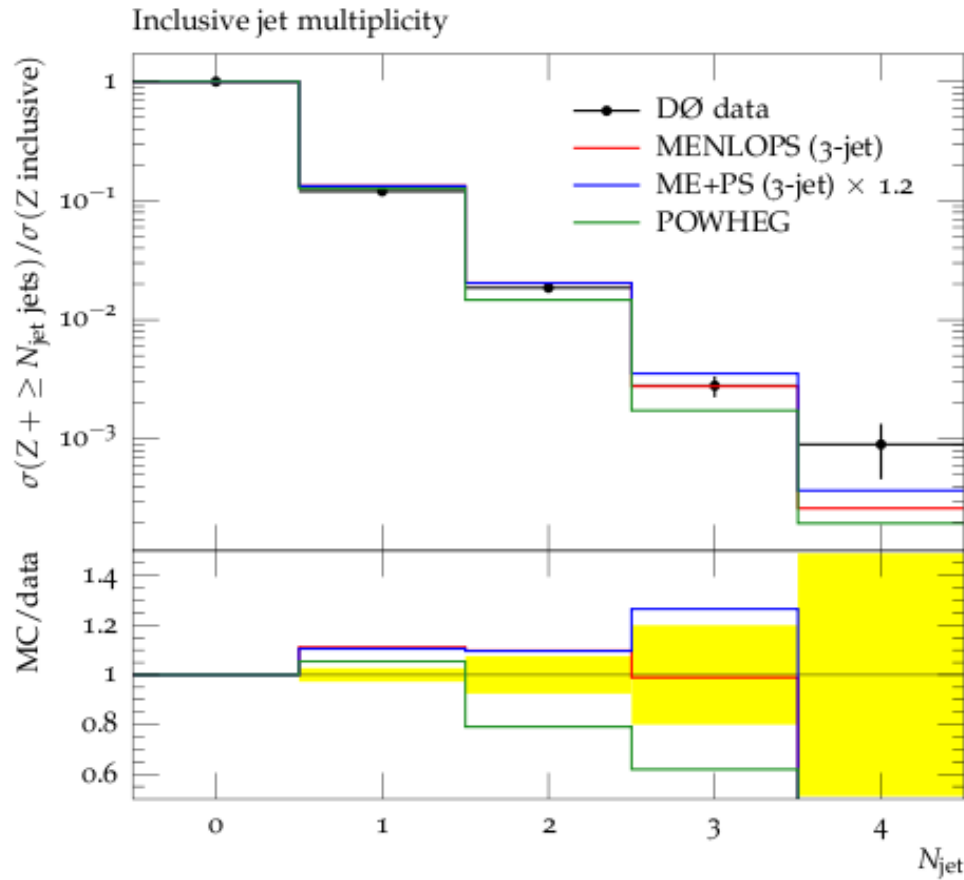
p_T^Z at Tevatron



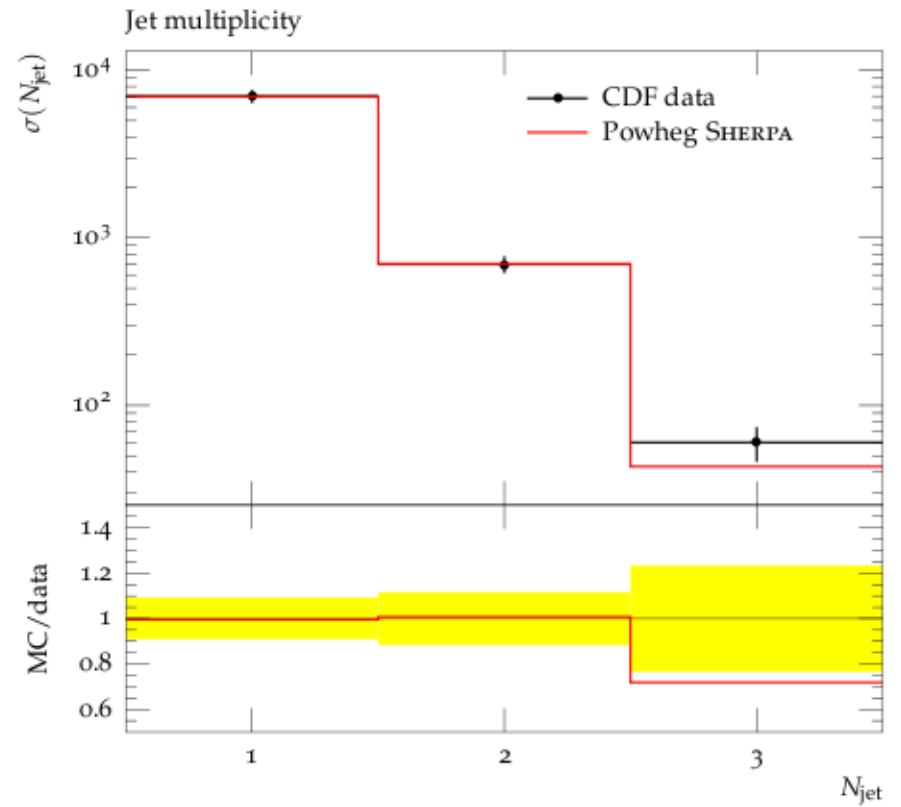
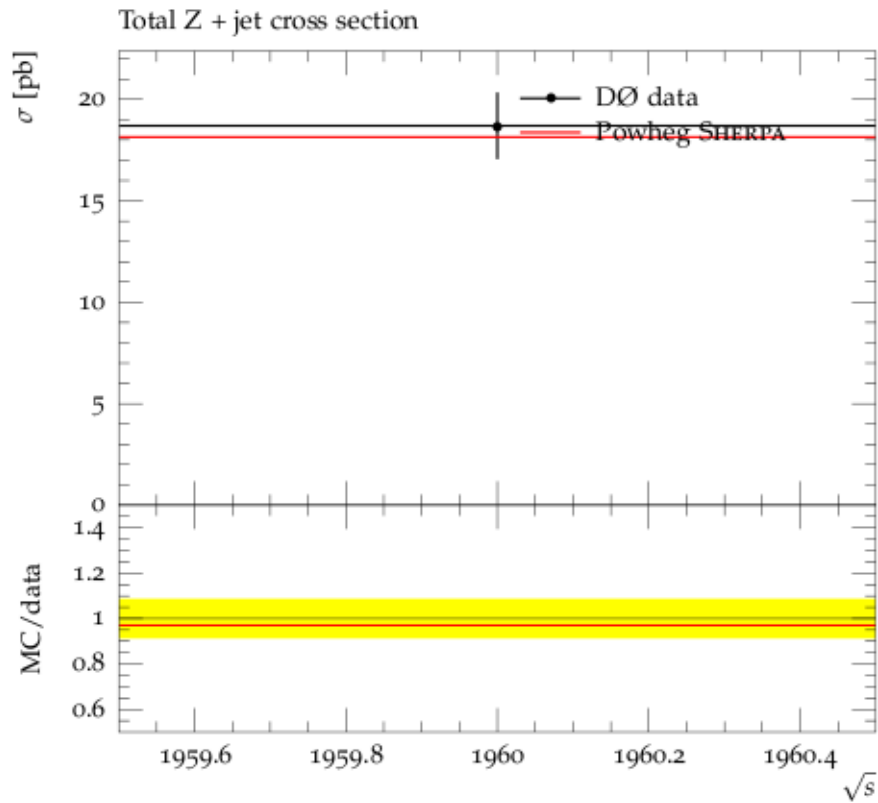
p_T^Z (forward) and y^Z at Tevatron



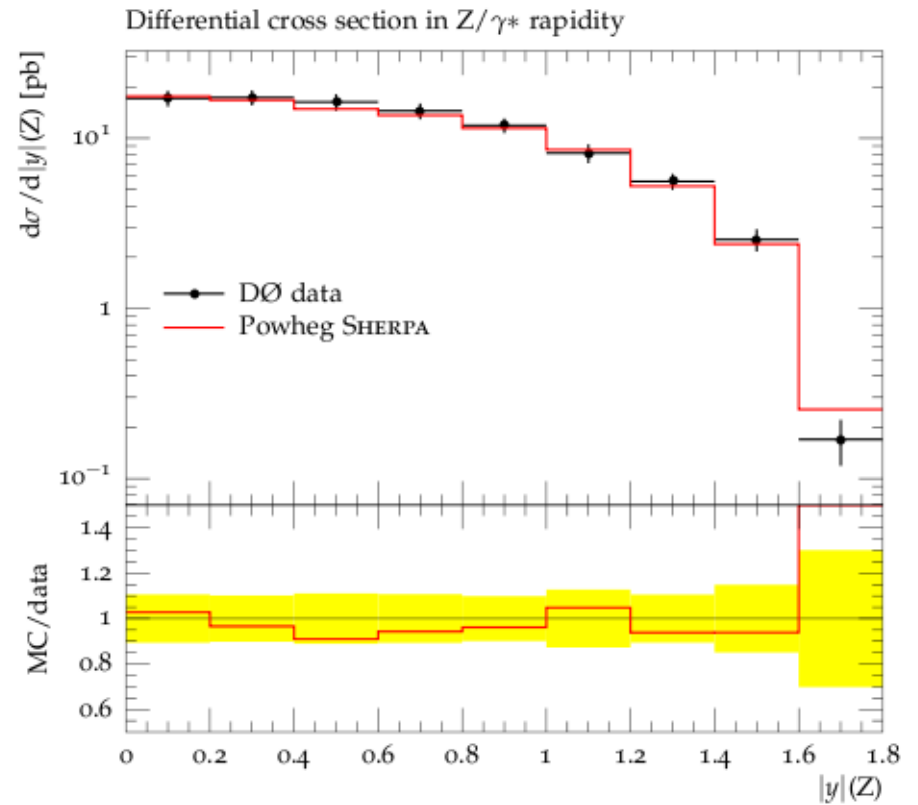
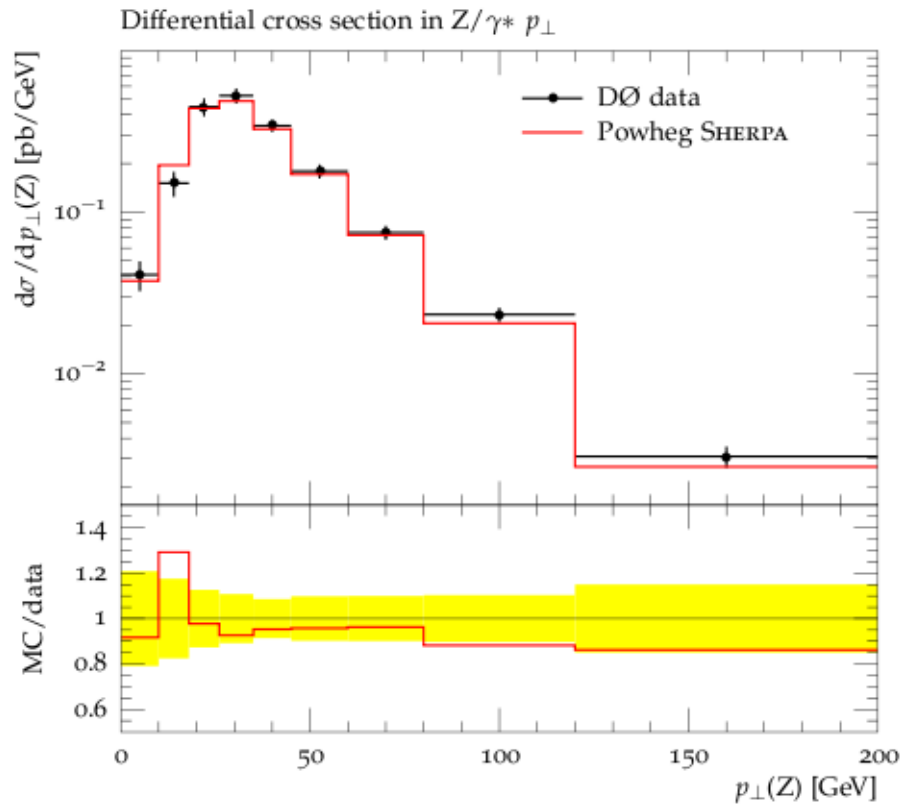
Z production at Tevatron: jets



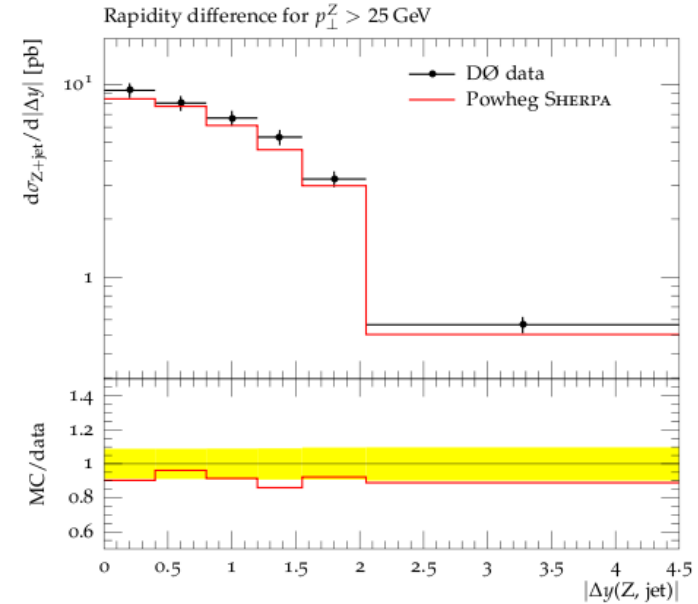
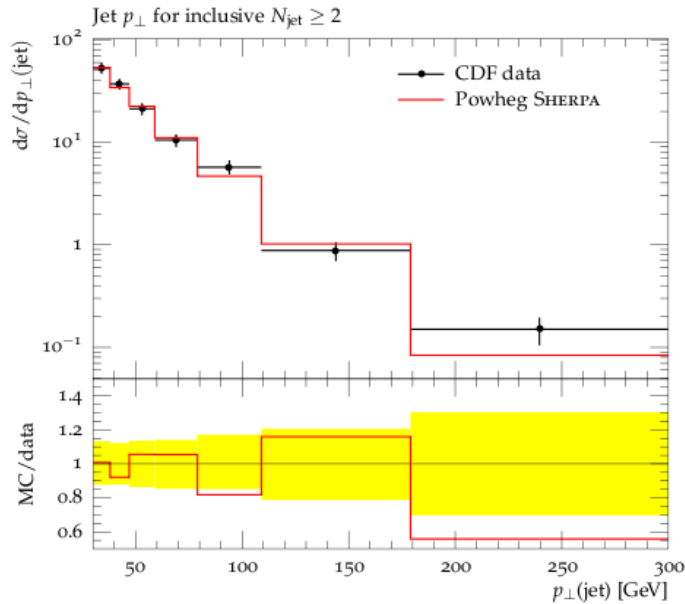
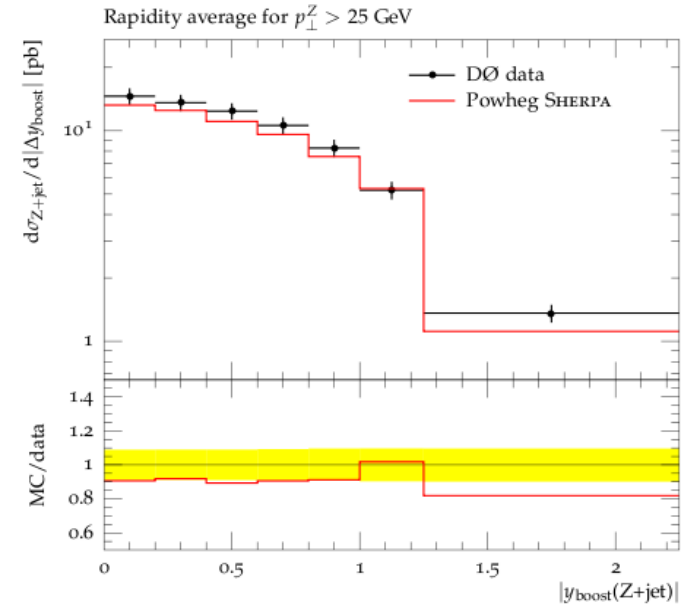
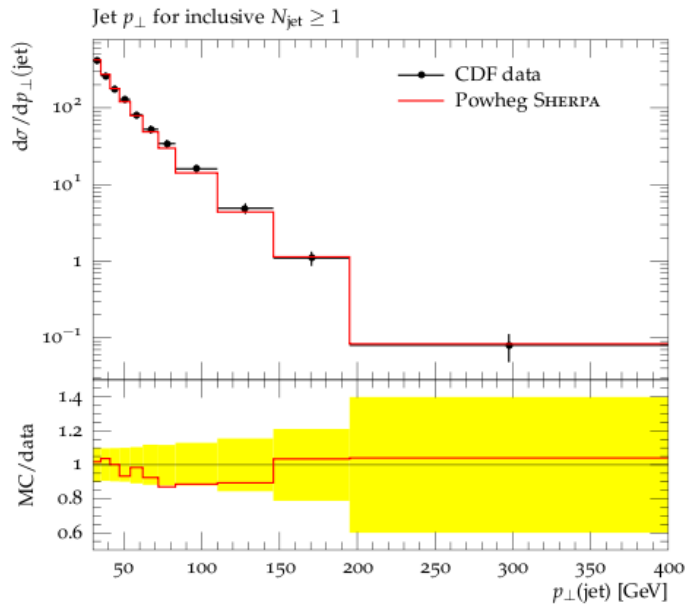
Z+j production at Tevatron



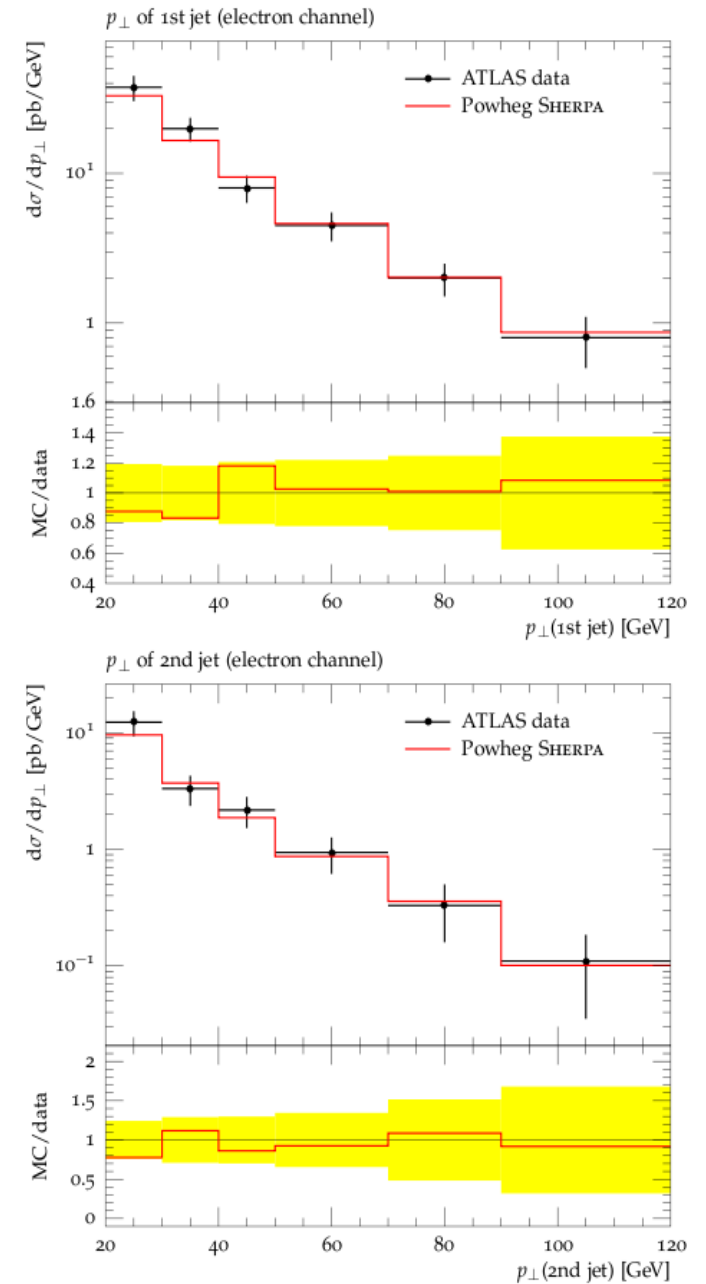
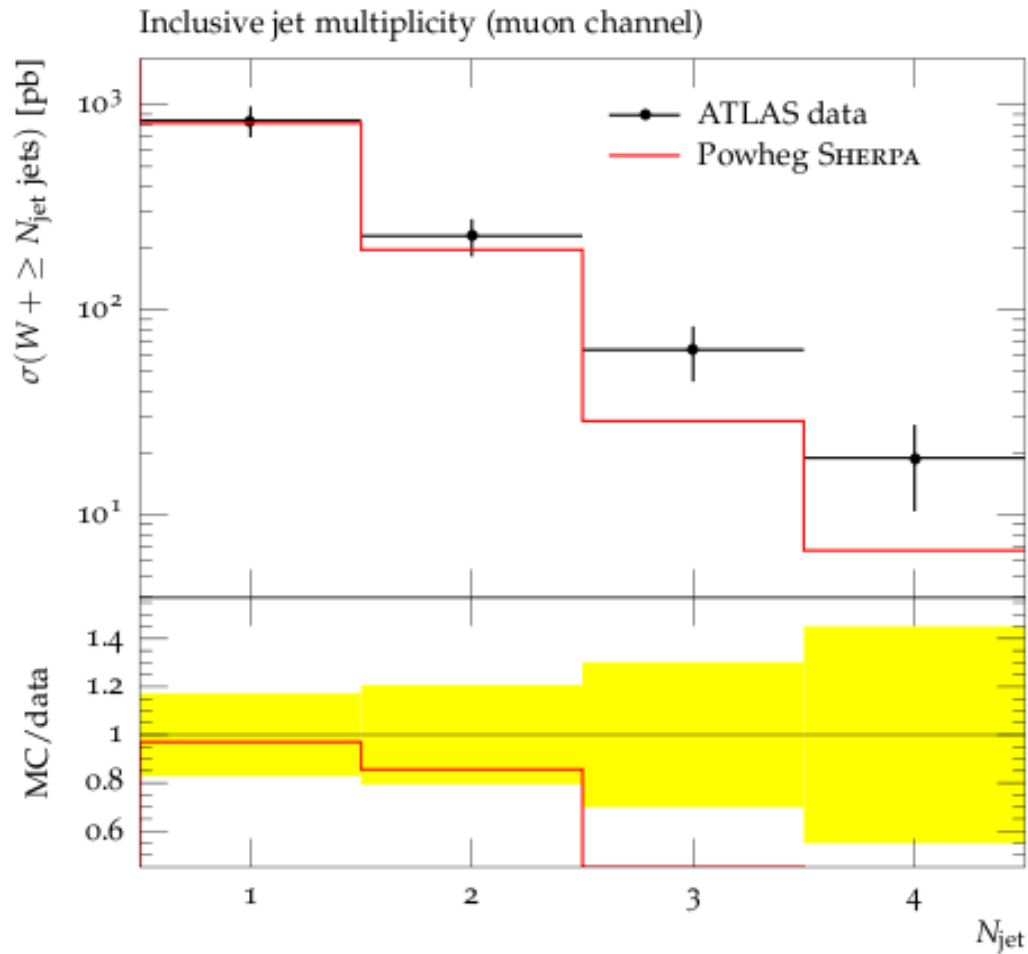
Z+j production at Tevatron



Z+j production at Tevatron: jets



W+j production at LHC



Conclusions and Outlook:

- Merging and matching methods extremely powerful tools, but some care needs to be taken:
 - Note that codes such as Alpgen, Helac, and Madgraph inherit α_s and to some extent scale choices from underlying event generator – may lead to inconsistencies and deserves careful studies (see talks during V+jet workshop at IPPP on this topic)
- Especially event generators **Herwig++** and **Sherpa** made huge progress towards embedding HO accuracy in a systematic way, first steps also in **Pythia8** (W+jets, by Lonnblad & Prestel)
- Full automation of Powheg method for trivial processes in Sherpa successful (need only virtual ME), work on non-trivial processes started.
- **MENLOPS method** will become the standard for simulations, incorporating the best of both worlds (merging and matching).
- Systematic multijet merging at NLO for hadronic collisions in reach

Sherpa status:

- Construction started in late 1990's, mainly through diploma and PhD theses.
- Up to date: 7 PhD theses and 12 diploma theses finished, in total around 50 man-years of code development and physics improvement.
- First release in 2002: Proof-of-concept version Sherpa 1.0 by now 1.3.0.
- Structure very modular, essentially bottom-up as design principle.
- **Focus on perturbative aspects, especially multi-jet merging.**
- By now: **Two independent matrix element generators, a new shower, an independent version of cluster hadronization, an independent implementation of Pythia's old UE model, elaborate hadron decays, & QED final state radiation.**
- **Current main focus: NLO accuracy in multijet merging.**
- In addition: **New, independent Minimum Bias and Underlying Event model under active development.**