

Introduction to Jet Finding and Jetography (2)

Gavin Salam

CERN, Princeton University and LPTHE/Paris (CNRS)

2011 IPMU-YITP School and Workshop
on Monte Carlo Tools for LHC

Yukawa Institute for Theoretical Physics, Kyoto University, Japan
September 2011

A full set of IRC-safe jet algorithms

Generalise inclusive-type sequential recombination with

$$d_{ij} = \min(k_{ti}^{2p}, k_{tj}^{2p}) \Delta R_{ij}^2 / R^2 \quad d_{iB} = k_{ti}^{2p}$$

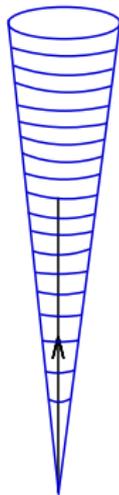
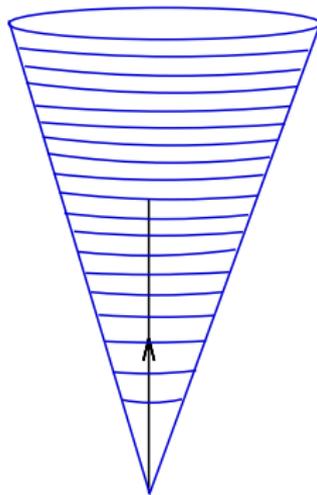
	Alg. name	Comment	time
$p = 1$	k_t CDOSTW '91-93; ES '93	Hierarchical in rel. k_t	$N \ln N$ exp.
$p = 0$	Cambridge/Aachen Dok, Leder, Moretti, Webber '97 Wengler, Wobisch '98	Hierarchical in angle Scan multiple R at once \leftrightarrow QCD angular ordering	$N \ln N$
$p = -1$	anti- k_t Cacciari, GPS, Soyez '08 \sim reverse- k_t Delsart	Hierarchy meaningless, jets like CMS cone (IC-PR)	$N^{3/2}$
SC-SM	SISCone GPS Soyez '07 + Tevatron run II '00	Replaces JetClu, ATLAS MidPoint (xC-SM) cones	$N^2 \ln N$ exp.

*Compromise between having a limited set of algs.
and a good range of complementary properties*

Towards an understanding of jets

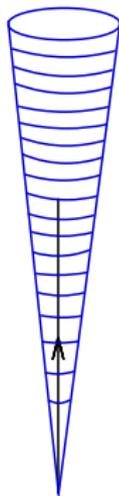
How a jet is and isn't like a parton —
quantitatively

And how this relationship is affected by the jet
radius

Small jet radius**Large jet radius**

single parton @ LO: **jet radius irrelevant**

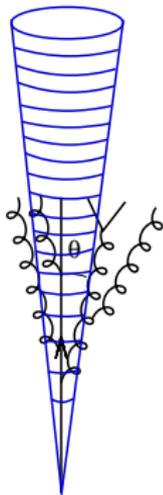
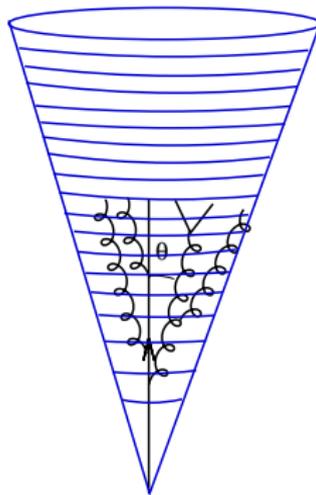
Small jet radius



single part

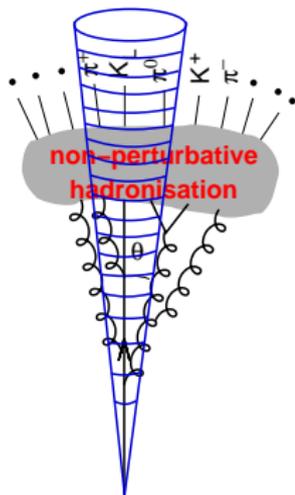
Large jet radius



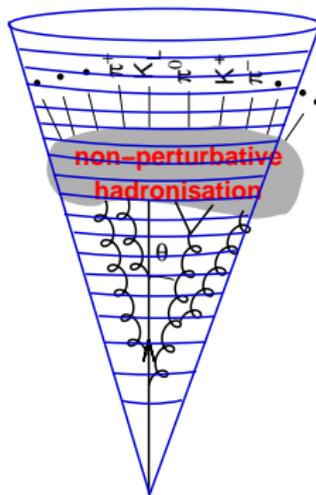
Small jet radius**Large jet radius**

perturbative fragmentation: **large jet radius better**
(it captures more)

Small jet radius

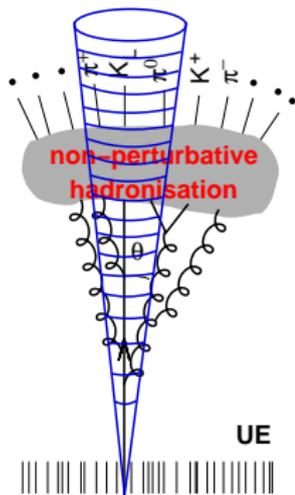


Large jet radius

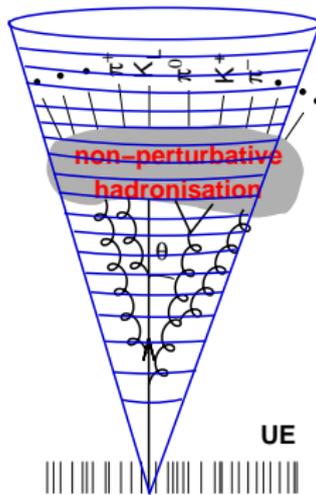


non-perturbative fragmentation: **large jet radius better**
(it captures more)

Small jet radius

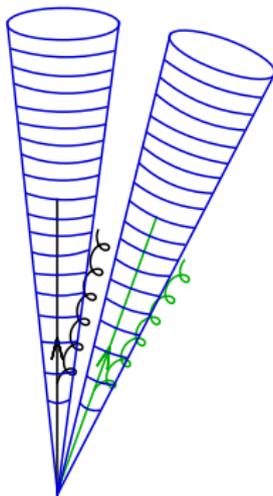


Large jet radius

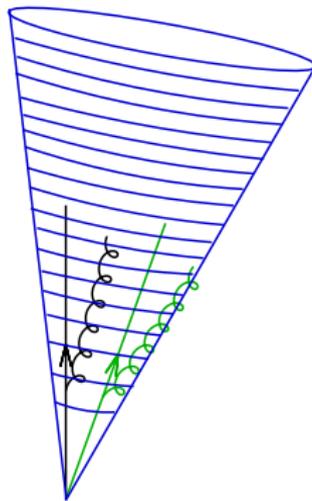


underlying ev. & pileup “noise”: **small jet radius better**
(it captures less)

Small jet radius



Large jet radius



multi-hard-parton events: **small jet radius better**
(it resolves partons more effectively)

Parton p_t v. jet p_t

3 physical effects:

1. Gluon radiation from the parton
2. Hadronisation
3. Underlying Event

One important consideration:

Whether the parton is a quark or a gluon
[quarks radiate with colour factor $C_F = 4/3$
gluons radiate with colour factor $C_A = 3$]

The question's dangerous: a "parton" is an ambiguous concept

Three limits can help you:

- ▶ Threshold limit e.g. de Florian & Vogelsang '07
- ▶ Parton from color-neutral object decay (Z')
- ▶ Small- R (radius) limit for jet

One simple result (small- R limit)

$$\frac{\langle p_{t,jet} - p_{t,parton} \rangle}{p_t} = \frac{\alpha_s}{\pi} \ln R \times \begin{cases} 1.01 C_F & \text{quarks} \\ 0.94 C_A + 0.07 n_f & \text{gluons} \end{cases} + \mathcal{O}(\alpha_s)$$

only $\mathcal{O}(\alpha_s)$ depends on algorithm & process
cf. Dasgupta, Magnea & GPS '07

Hadronisation: the “parton-shower” → hadrons transition

Method:

- ▶ “infrared finite α_s ” à la Dokshitzer & Webber '95
- ▶ **prediction** based on e^+e^- event shape data
- ▶ could have been deduced from old work Korchemsky & Sterman '95
Seymour '97

Main result

$$\langle p_{t,jet} - p_{t,parton-shower} \rangle \simeq -\frac{0.4 \text{ GeV}}{R} \times \begin{cases} C_F & \text{quarks} \\ C_A & \text{gluons} \end{cases}$$

cf. Dasgupta, Magnea & GPS '07
coefficient holds for anti- k_t ; see Dasgupta & Delenda '09 for k_t alg.

“Naive” prediction (UE \simeq colour dipole between pp):

$$\Delta p_t \simeq 0.4 \text{ GeV} \times \frac{R^2}{2} \times \begin{cases} C_F & q\bar{q} \text{ dipole} \\ C_A & \text{gluon dipole} \end{cases}$$

Modern Monte Carlo tunes tell you ($\sqrt{s} = 7 \text{ TeV}$):

$$\Delta p_t \simeq \mathbf{8 \text{ GeV}} \times \frac{R^2}{2} \simeq 1.2 \text{ GeV} \times (\pi R^2)$$

This big coefficient motivates special effort to understand interplay between jet algorithm and UE: “jet areas”

How does coefficient depend on algorithm?

How does it depend on jet p_t ? How does it fluctuate?

cf. Cacciari, GPS & Soyez '08

“Naive” prediction (UE \simeq colour dipole between pp):

$$\Delta p_t \simeq 0.4 \text{ GeV} \times \frac{R^2}{2} \times \begin{cases} C_F & q\bar{q} \text{ dipole} \\ C_A & \text{gluon dipole} \end{cases}$$

Modern Monte Carlo tunes tell you ($\sqrt{s} = 7 \text{ TeV}$):

$$\Delta p_t \simeq \mathbf{8 \text{ GeV}} \times \frac{R^2}{2} \simeq 1.2 \text{ GeV} \times (\pi R^2)$$

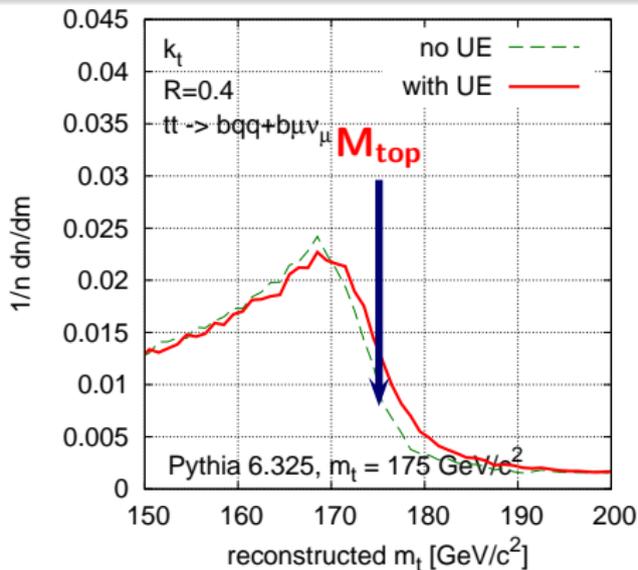
This big coefficient motivates special effort to understand interplay between jet algorithm and UE: “jet areas”

How does coefficient depend on algorithm?

How does it depend on jet p_t ? How does it fluctuate?

cf. Cacciari, GPS & Soyez '08

A qualitative example: top reconstruction



Game: measure top mass to 1 GeV

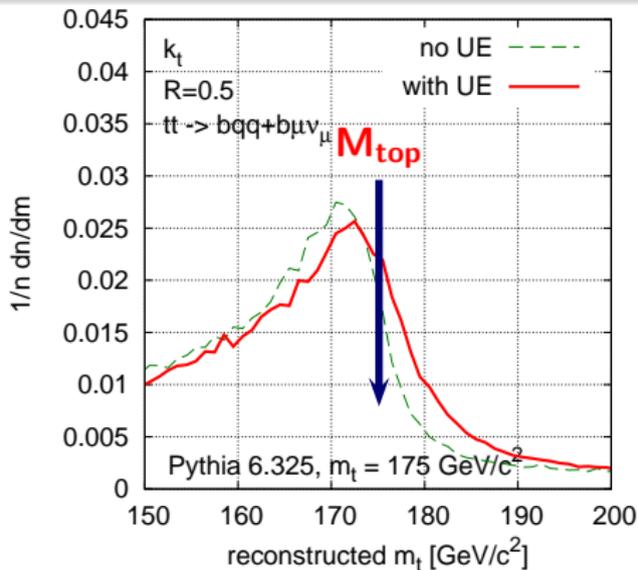
example for Tevatron
 $m_t = 175 \text{ GeV}$

► Small R : lose 6 GeV to PT radiation and hadronisation, UE and pileup irrelevant

► Large R : hadronisation and PT radiation leave mass at $\sim 175 \text{ GeV}$, UE adds 2 – 4 GeV

Is the final top mass (after W jet-energy-scale and Monte Carlo unfolding) independent of R used to measure jets?

Flexibility in jet finding gives powerful cross-check of systematic effects
 cf. Seymour & Tevin '06



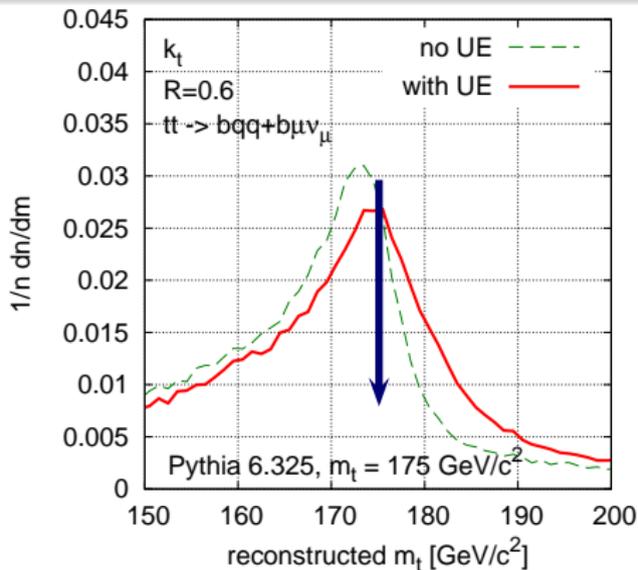
Game: measure top mass to 1 GeV

example for Tevatron
 $m_t = 175 \text{ GeV}$

- ▶ Small R : lose 6 GeV to PT radiation and hadronisation, UE and pileup irrelevant
- ▶ Large R : hadronisation and PT radiation leave mass at $\sim 175 \text{ GeV}$, UE adds 2 – 4 GeV.

Is the final top mass (after W jet-energy-scale and Monte Carlo unfolding) independent of R used to measure jets?

Flexibility in jet finding gives powerful cross-check of systematic effects
 cf. Seymour & Tevlin '06



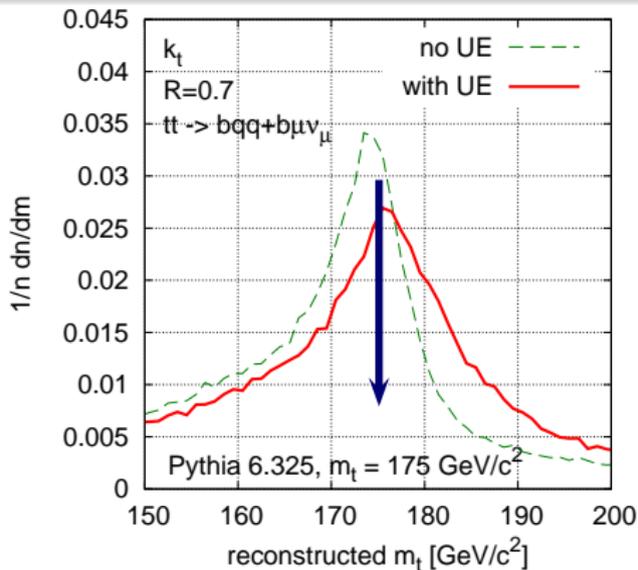
Game: measure top mass to 1 GeV

example for Tevatron
 $m_t = 175 \text{ GeV}$

- ▶ Small R : lose 6 GeV to PT radiation and hadronisation, UE and pileup irrelevant
- ▶ Large R : hadronisation and PT radiation leave mass at $\sim 175 \text{ GeV}$, UE adds 2 – 4 GeV.

Is the final top mass (after W jet-energy-scale and Monte Carlo unfolding) independent of R used to measure jets?

Flexibility in jet finding gives powerful cross-check of systematic effects
 cf. Seymour & Tevlin '06



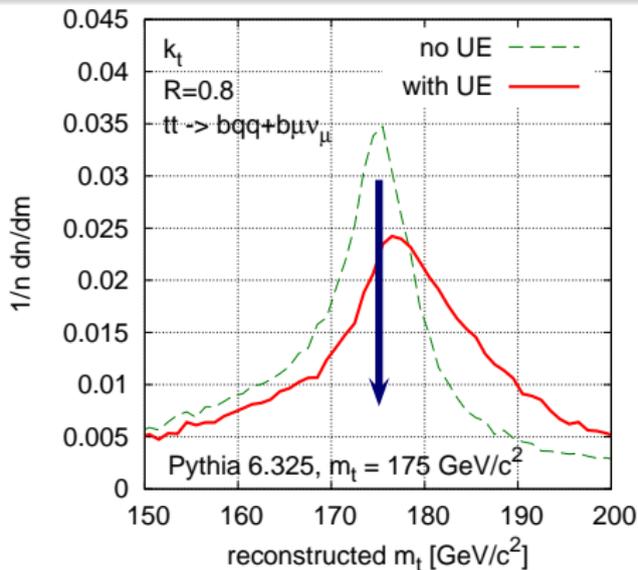
Game: measure top mass to 1 GeV

example for Tevatron
 $m_t = 175 \text{ GeV}$

- ▶ Small R : lose 6 GeV to PT radiation and hadronisation, UE and pileup irrelevant
- ▶ Large R : hadronisation and PT radiation leave mass at $\sim 175 \text{ GeV}$, UE adds 2 – 4 GeV.

Is the final top mass (after W jet-energy-scale and Monte Carlo unfolding) independent of R used to measure jets?

Flexibility in jet finding gives powerful cross-check of systematic effects
 cf. Seymour & Tevlin '06



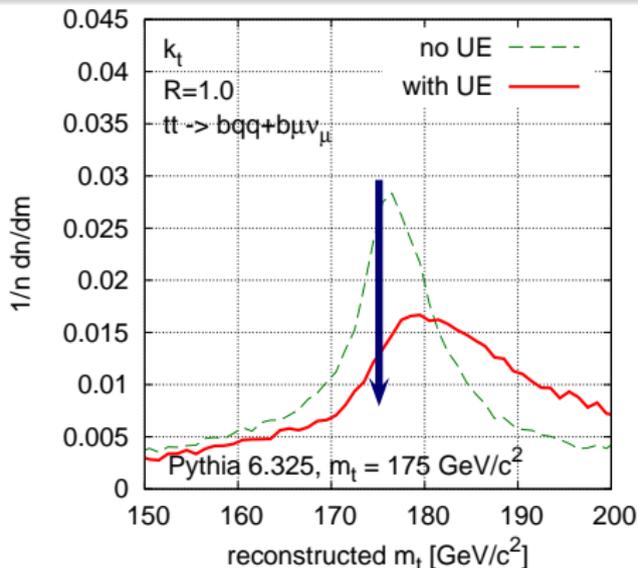
Game: measure top mass to 1 GeV

example for Tevatron
 $m_t = 175$ GeV

- ▶ Small R : lose 6 GeV to PT radiation and hadronisation, UE and pileup irrelevant
- ▶ Large R : hadronisation and PT radiation leave mass at ~ 175 GeV, UE adds 2 – 4 GeV.

Is the final top mass (after W jet-energy-scale and Monte Carlo unfolding) independent of R used to measure jets?

Flexibility in jet finding gives powerful cross-check of systematic effects
 cf. Seymour & Tevlin '06



Game: measure top mass to 1 GeV

example for Tevatron
 $m_t = 175$ GeV

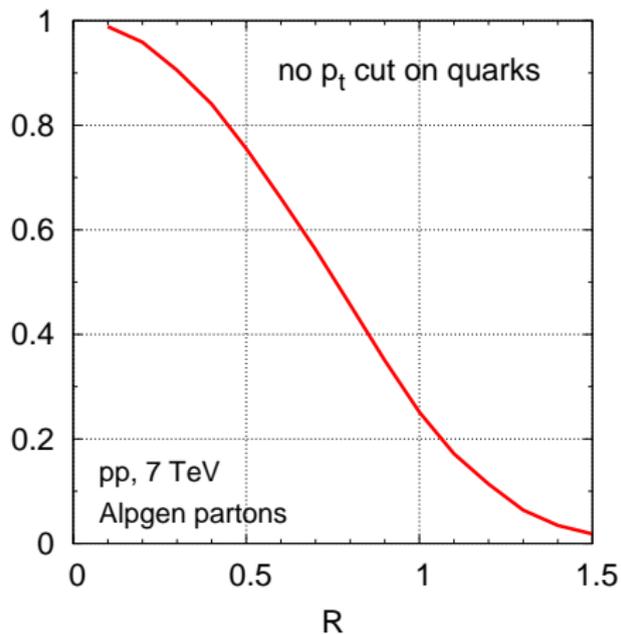
- ▶ Small R : lose 6 GeV to PT radiation and hadronisation, UE and pileup irrelevant
- ▶ Large R : hadronisation and PT radiation leave mass at ~ 175 GeV, UE adds 2 – 4 GeV.

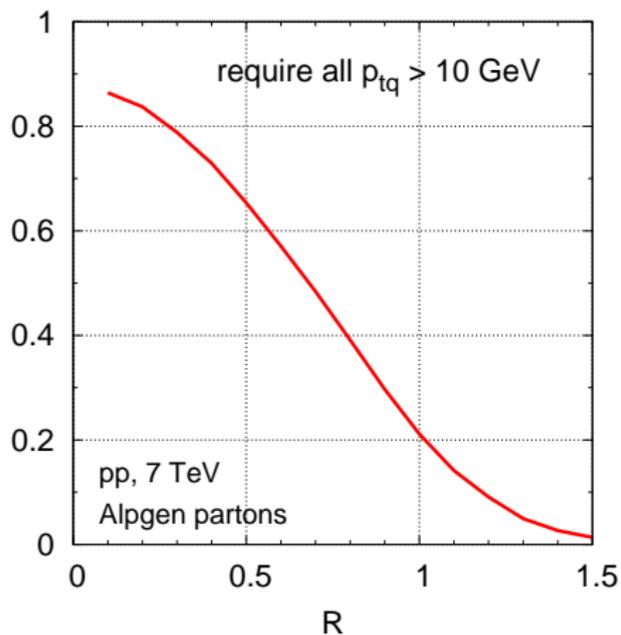
Is the final top mass (after W jet-energy-scale and Monte Carlo unfolding) independent of R used to measure jets?

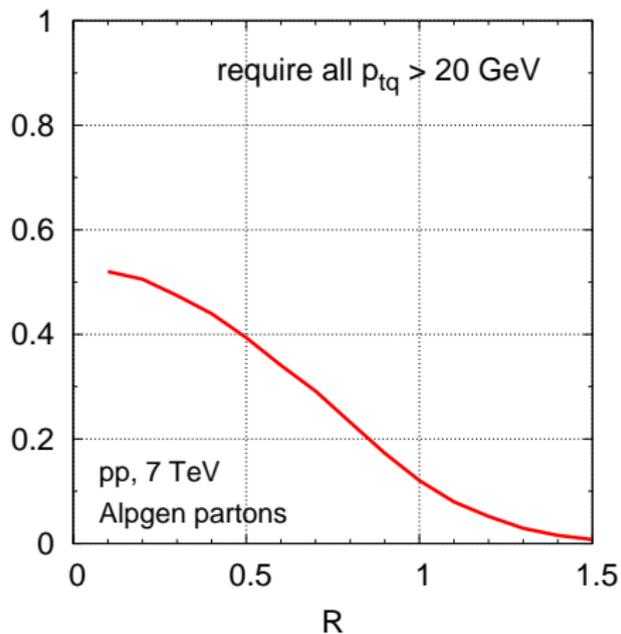
Flexibility in jet finding gives powerful cross-check of systematic effects
 cf. Seymour & Tevlin '06

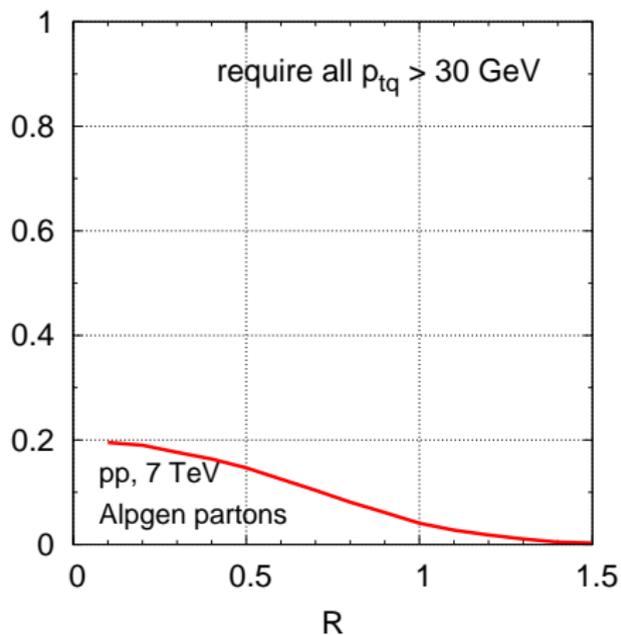
Alpgen $pp \rightarrow t\bar{t} \rightarrow 6q$

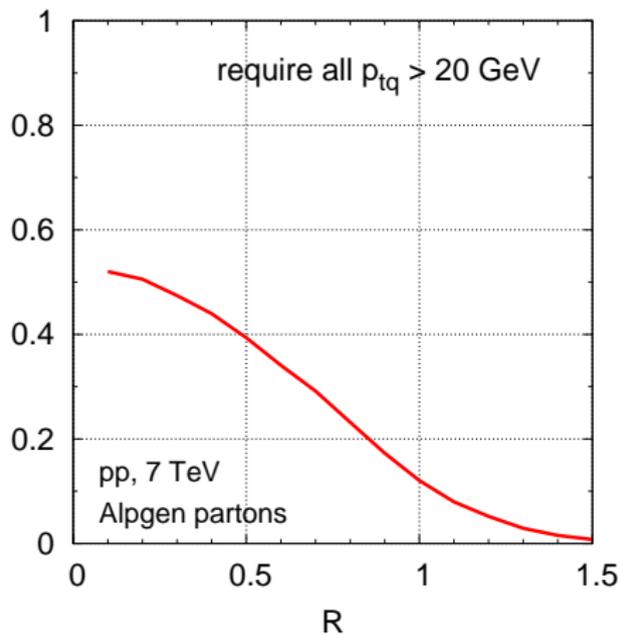
fraction of $pp \rightarrow t\bar{t} \rightarrow 6q$ events with all $R_{qq} > R$



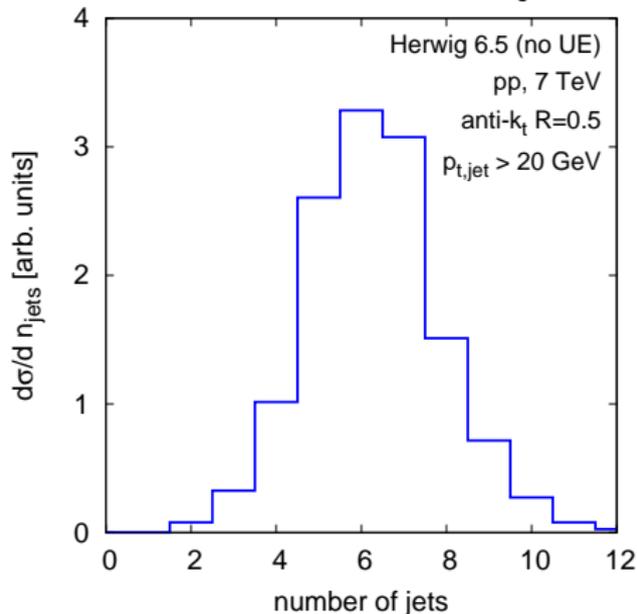
Alpgen $pp \rightarrow t\bar{t} \rightarrow 6q$ fraction of $pp \rightarrow t\bar{t} \rightarrow 6q$ events with all $R_{qq} > R$ 

Alpgen $pp \rightarrow t\bar{t} \rightarrow 6q$ fraction of $pp \rightarrow t\bar{t} \rightarrow 6q$ events with all $R_{qq} > R$ 

Alpgen $pp \rightarrow t\bar{t} \rightarrow 6q$ fraction of $pp \rightarrow t\bar{t} \rightarrow 6q$ events with all $R_{qq} > R$ 

Alpgen $pp \rightarrow t\bar{t} \rightarrow 6q$ fraction of $pp \rightarrow t\bar{t} \rightarrow 6q$ events with all $R_{qq} > R$ **Herwig $pp \rightarrow t\bar{t} \rightarrow \text{hadrons}$**

Distribution of number of jets



Using our understanding to help discover a dijet resonance, $q\bar{q} \rightarrow X \rightarrow q\bar{q}$.

E.g. to reconstruct $m_X \sim (p_{tq} + p_{t\bar{q}})$

PT radiation:

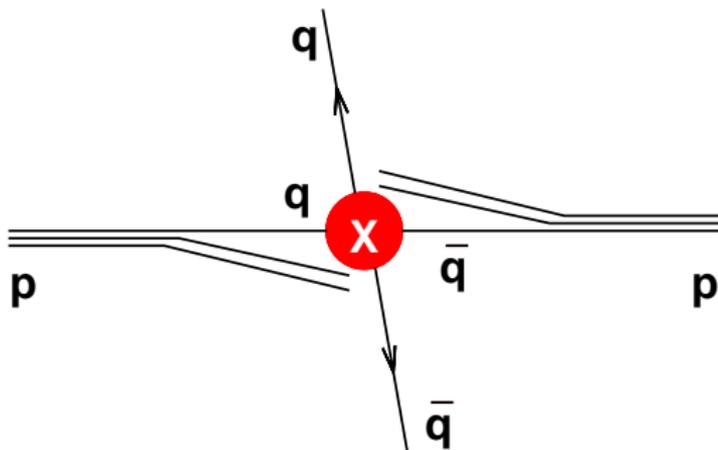
$$q : \langle \Delta p_t \rangle \simeq \frac{\alpha_s C_F}{\pi} p_t \ln R$$

Hadronisation:

$$q : \langle \Delta p_t \rangle \simeq -\frac{C_F}{R} \cdot 0.4 \text{ GeV}$$

Underlying event:

$$q, g : \langle \Delta p_t \rangle \simeq \frac{R^2}{2} \cdot 2.5 - 15 \text{ GeV}$$



Minimise fluctuations in p_t

Use crude approximation:

$$\langle \Delta p_t^2 \rangle \simeq \langle \Delta p_t \rangle^2$$

in small- R limit (!)

NB: full calc, correct fluct: Soyez '10

PT radiation:

$$q : \quad \langle \Delta p_t \rangle \simeq \frac{\alpha_s C_F}{\pi} p_t \ln R$$

Hadronisation:

$$q : \quad \langle \Delta p_t \rangle \simeq -\frac{C_F}{R} \cdot 0.4 \text{ GeV}$$

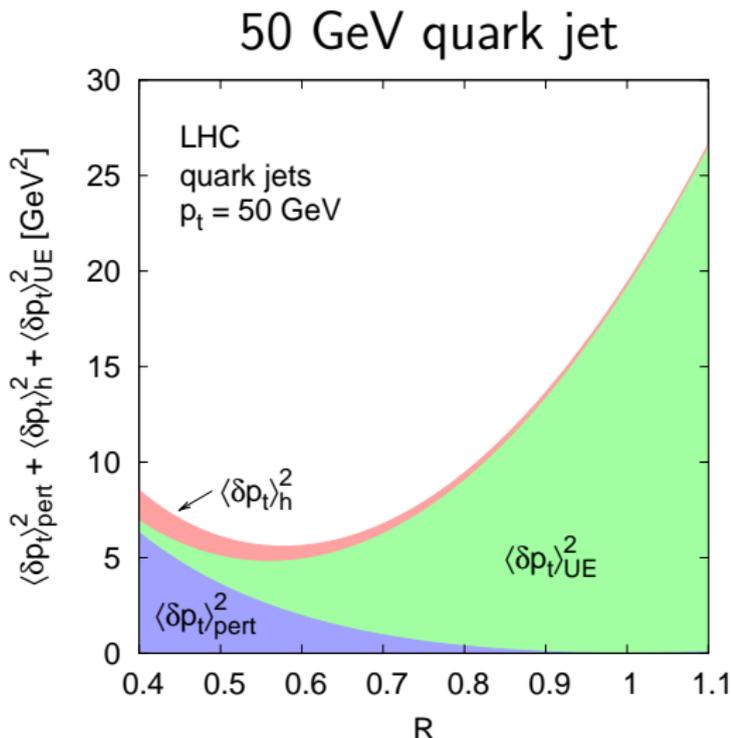
Underlying event:

$$q, g : \quad \langle \Delta p_t \rangle \simeq \frac{R^2}{2} \cdot 2.5 - 15 \text{ GeV}$$

Minimise fluctuations in p_t

Use crude approximation:

$$\langle \Delta p_t^2 \rangle \simeq \langle \Delta p_t \rangle^2$$



PT radiation:

$$q : \quad \langle \Delta p_t \rangle \simeq \frac{\alpha_s C_F}{\pi} p_t \ln R$$

Hadronisation:

$$q : \quad \langle \Delta p_t \rangle \simeq -\frac{C_F}{R} \cdot 0.4 \text{ GeV}$$

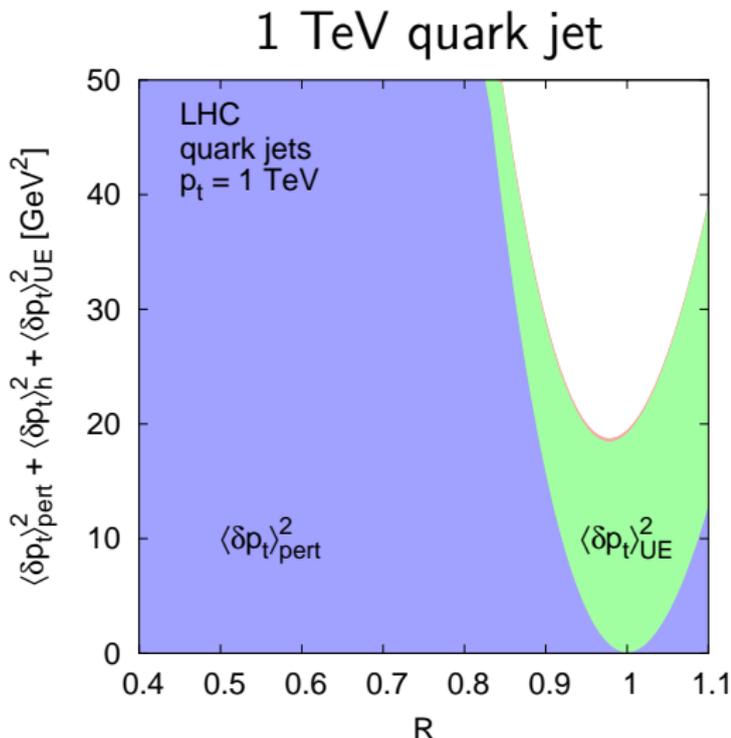
Underlying event:

$$q, g : \quad \langle \Delta p_t \rangle \simeq \frac{R^2}{2} \cdot 2.5 - 15 \text{ GeV}$$

Minimise fluctuations in p_t

Use crude approximation:

$$\langle \Delta p_t^2 \rangle \simeq \langle \Delta p_t \rangle^2$$

in small- R limit (!)

NB: full calc, correct fluct: Soyez '10

PT radiation:

$$q : \langle \Delta p_t \rangle \simeq \frac{\alpha_s C_F}{\pi} p_t \ln R$$

Had

$q :$ At low p_t , small R limits relative impact of UE
 At high p_t , perturbative effects dominate over non-perturbative $\rightarrow R_{best} \sim 1$.

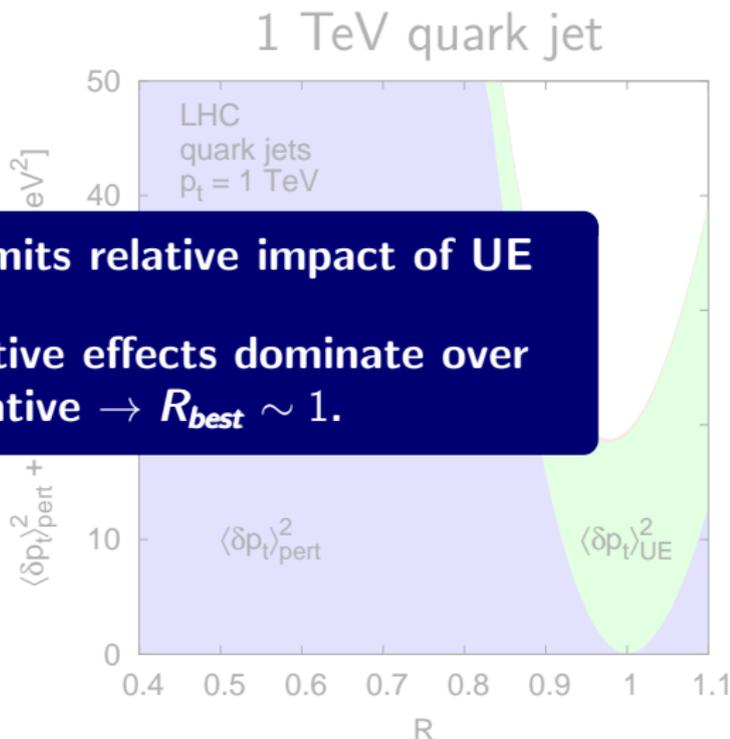
Underlying event:

$$q, g : \langle \Delta p_t \rangle \simeq \frac{R^2}{2} \cdot 2.5 - 15 \text{ GeV}$$

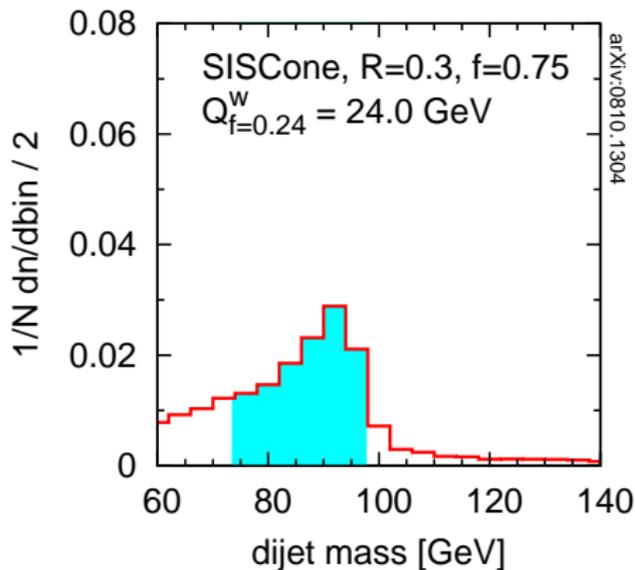
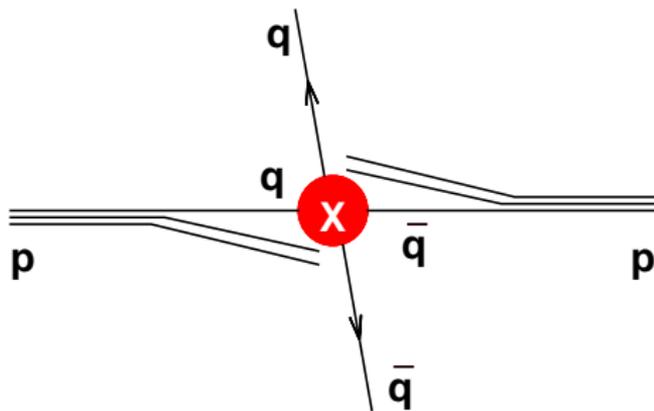
Minimise fluctuations in p_t

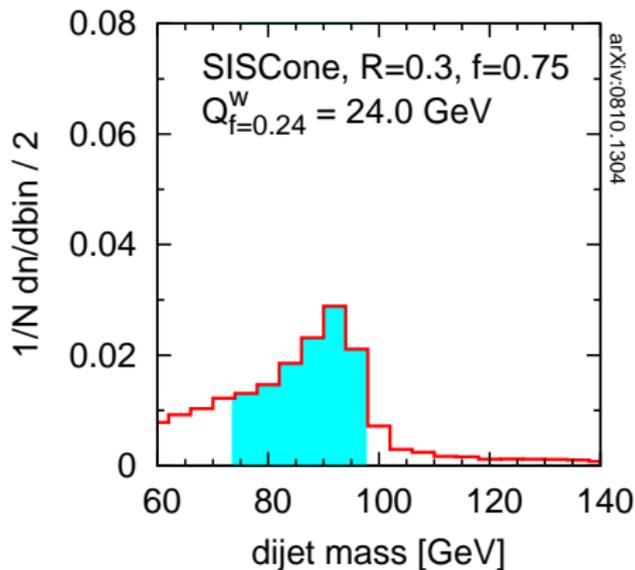
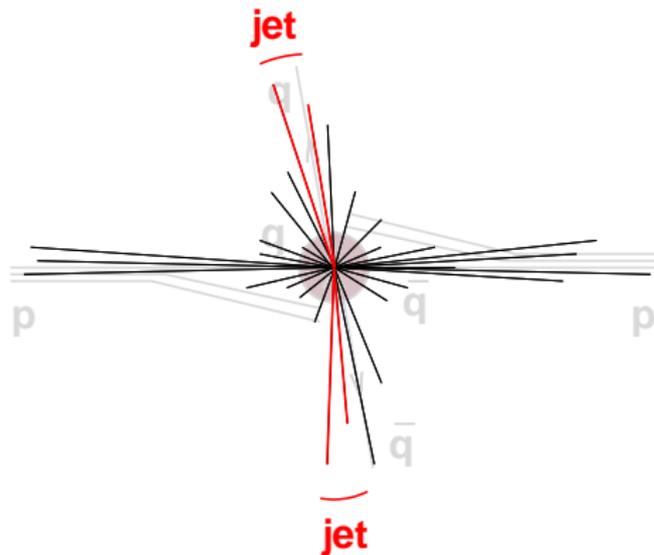
Use crude approximation:

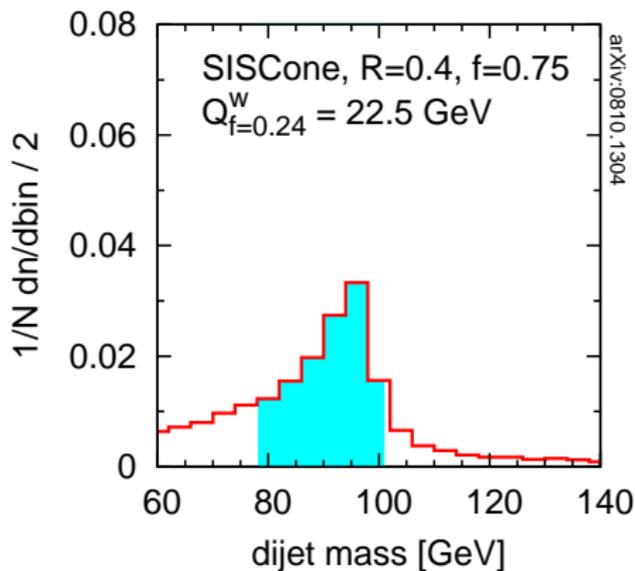
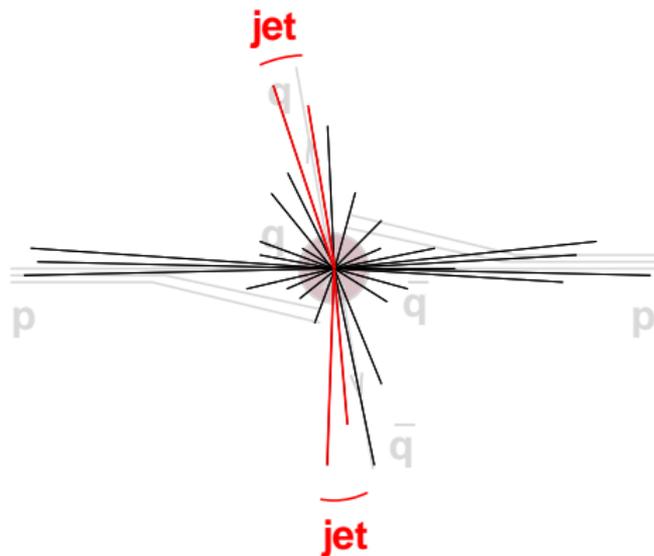
$$\langle \Delta p_t^2 \rangle \simeq \langle \Delta p_t \rangle^2$$

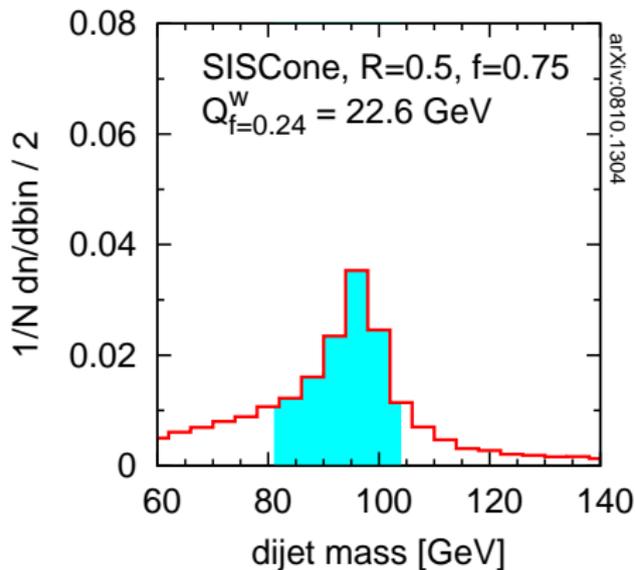
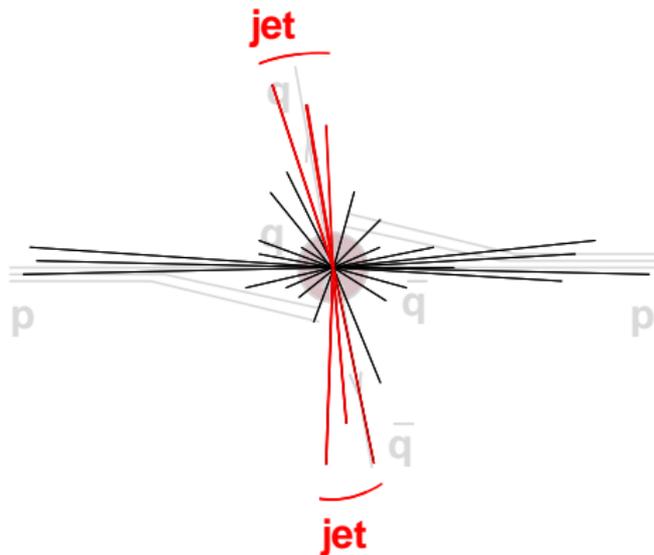
in small- R limit (!)

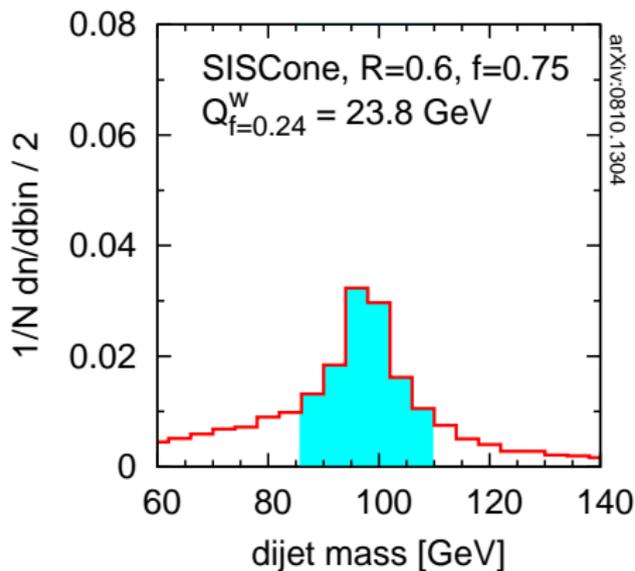
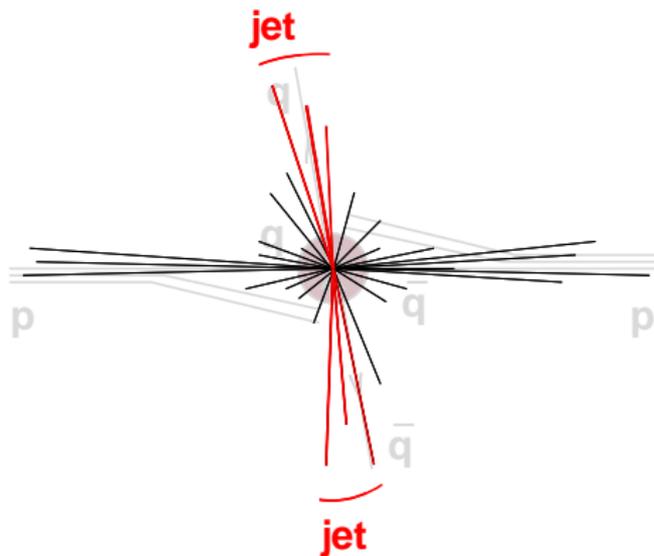
NB: full calc, correct fluct: Soyez '10

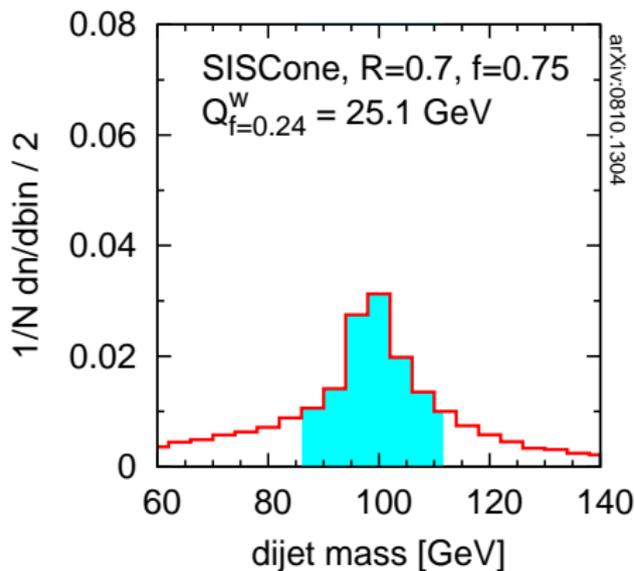
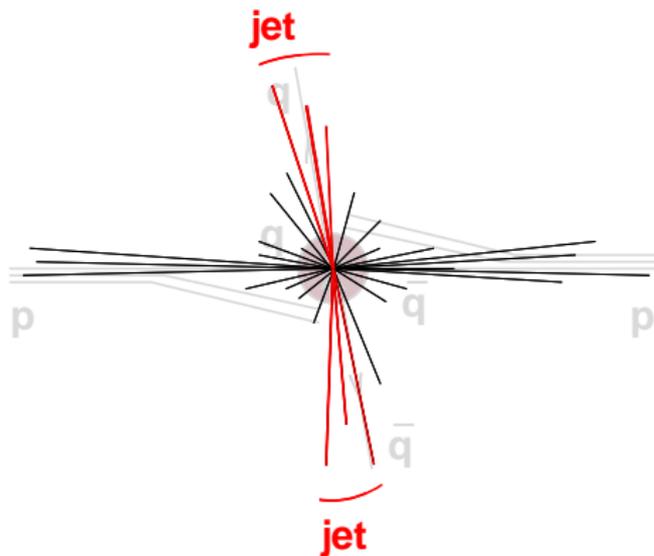
$R = 0.3$ $qq, M = 100 \text{ GeV}$ Resonance X \rightarrow dijets

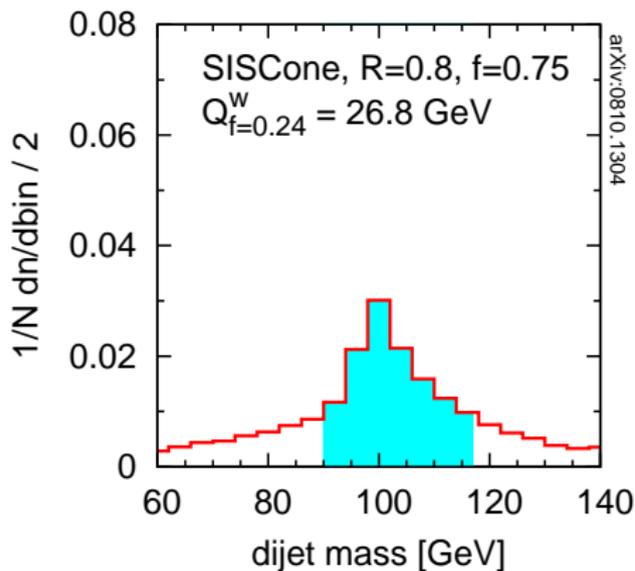
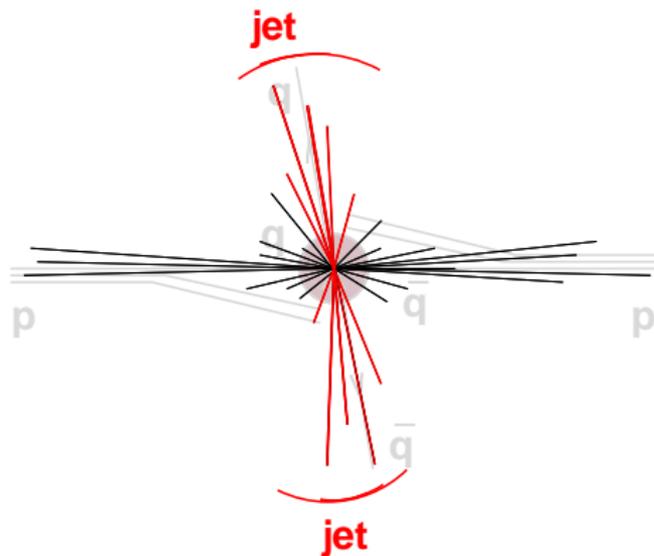
$R = 0.3$ qq, $M = 100$ GeVResonance X \rightarrow dijets

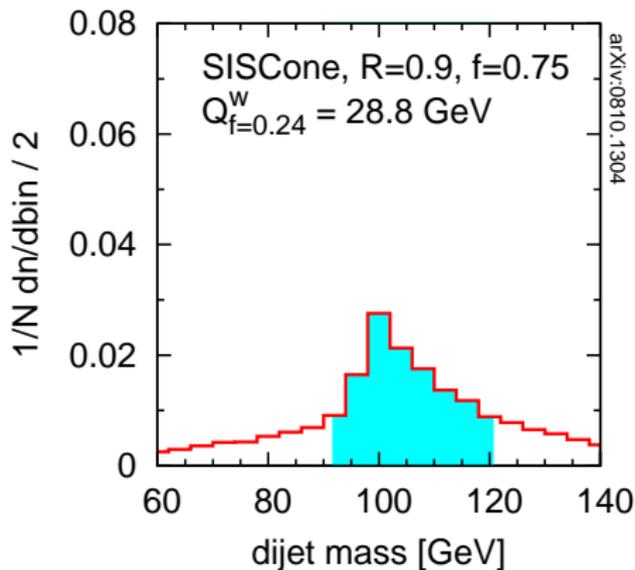
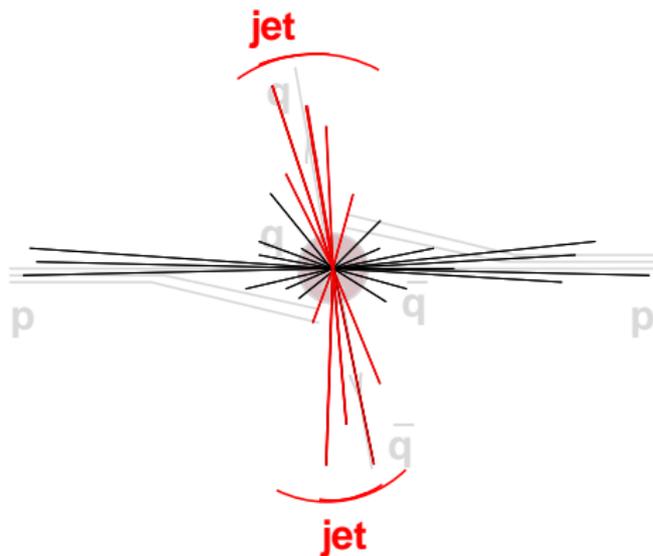
$R = 0.4$ $qq, M = 100 \text{ GeV}$ Resonance $X \rightarrow$ dijets

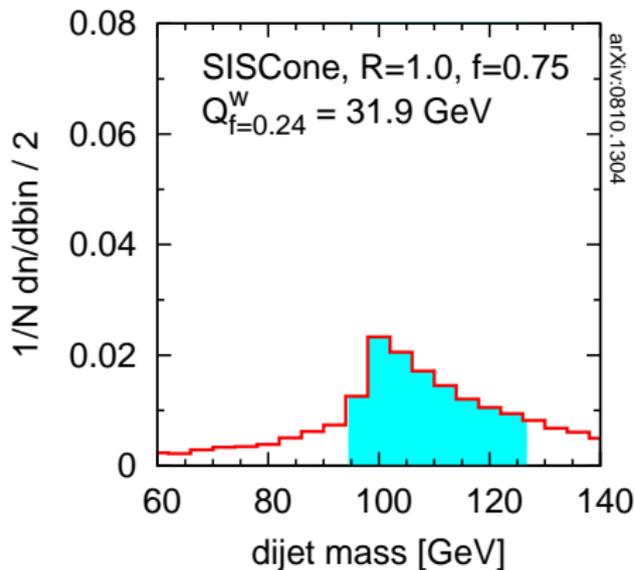
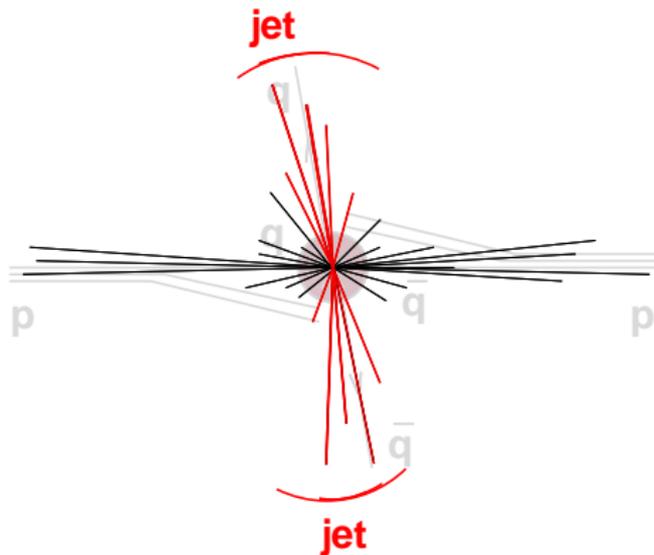
$R = 0.5$ qq, $M = 100$ GeVResonance X \rightarrow dijets

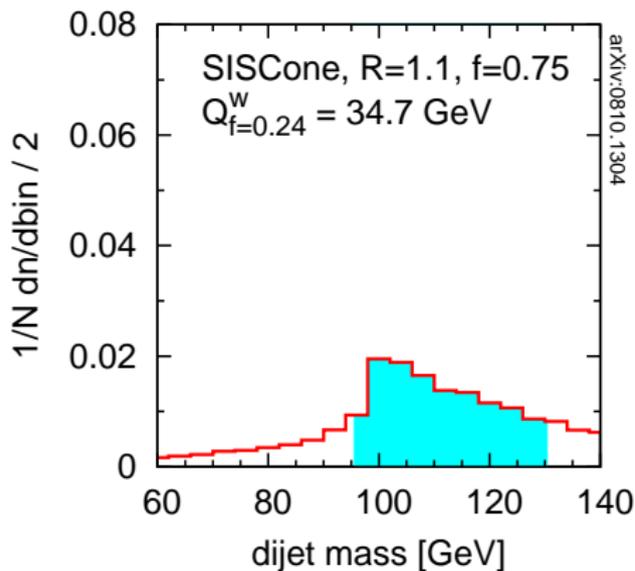
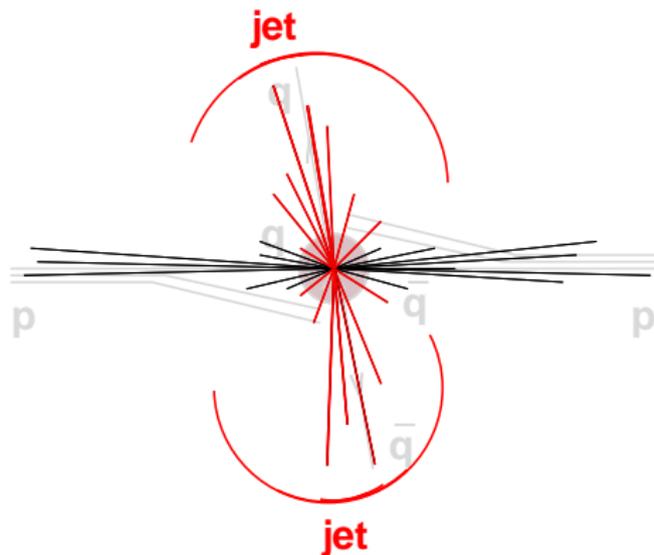
$R = 0.6$ qq, $M = 100$ GeVResonance X \rightarrow dijets

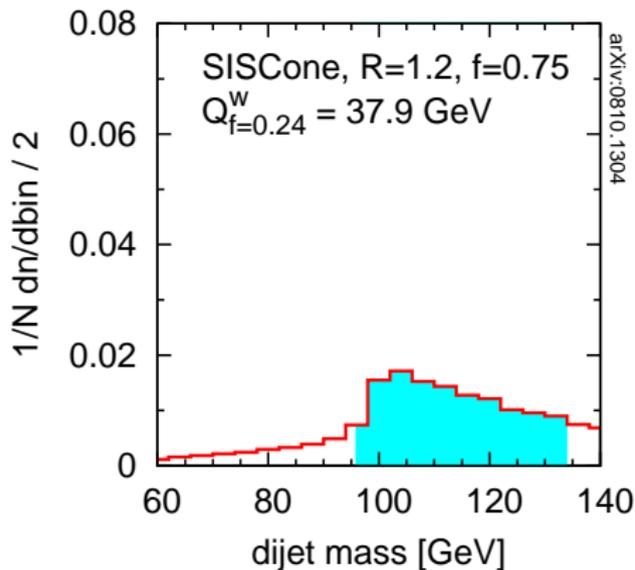
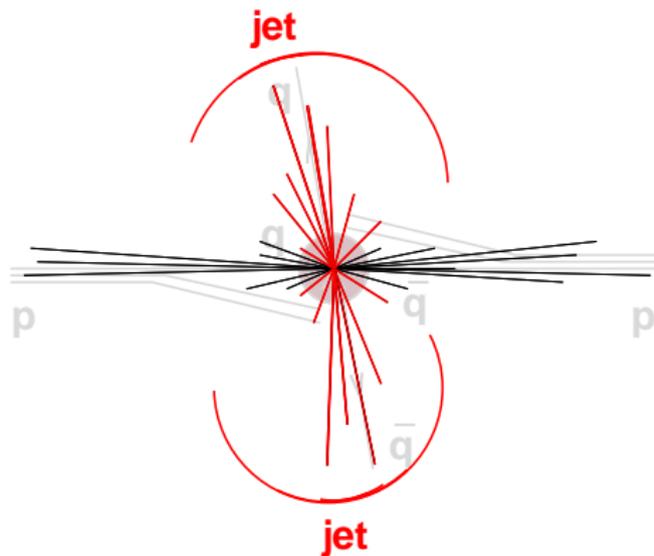
$R = 0.7$ qq, $M = 100$ GeVResonance X \rightarrow dijets

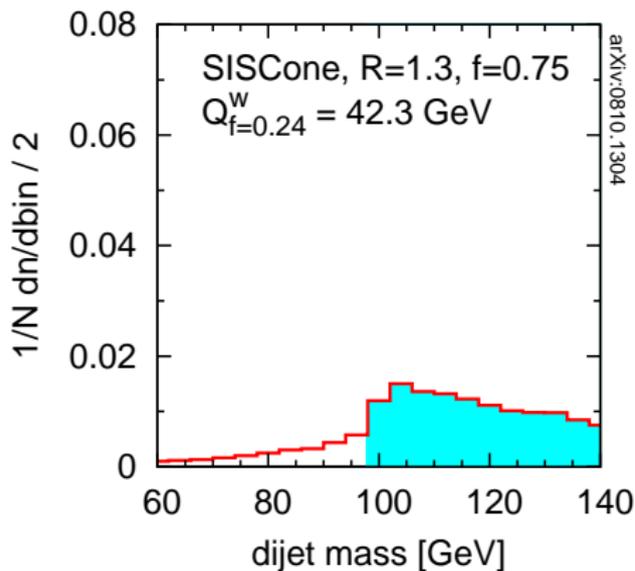
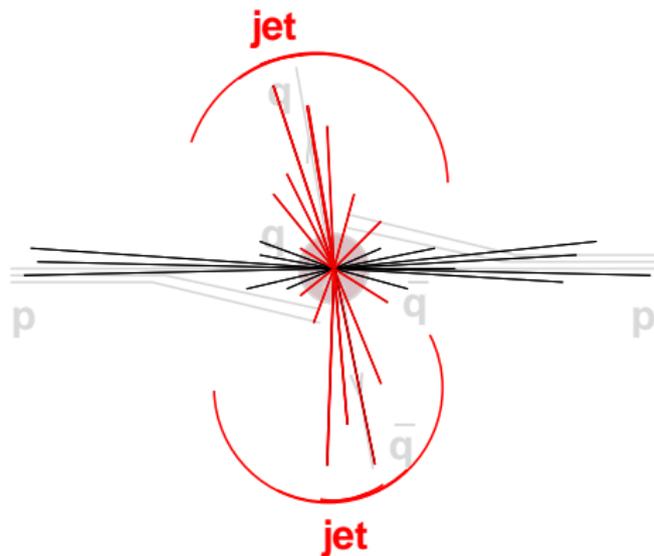
$R = 0.8$ qq, $M = 100$ GeVResonance X \rightarrow dijets

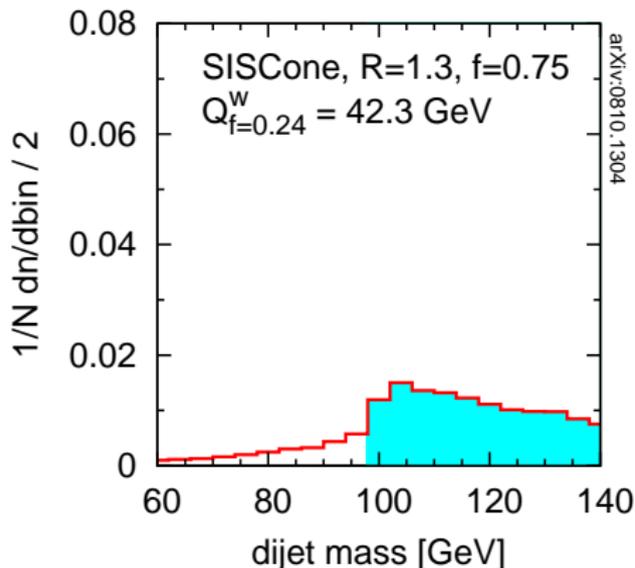
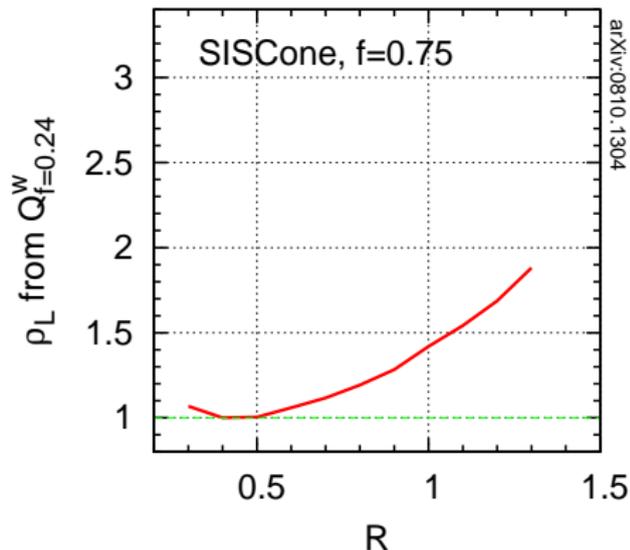
$R = 0.9$ qq, $M = 100$ GeVResonance X \rightarrow dijets

$R = 1.0$ $qq, M = 100 \text{ GeV}$ Resonance X \rightarrow dijets

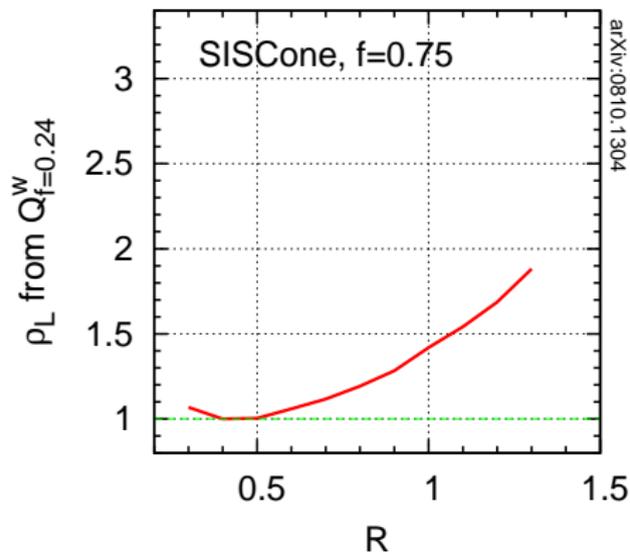
$R = 1.1$ $qq, M = 100 \text{ GeV}$ Resonance X \rightarrow dijets

$R = 1.2$ $qq, M = 100 \text{ GeV}$ Resonance $X \rightarrow$ dijets

$R = 1.3$ $qq, M = 100 \text{ GeV}$ Resonance X \rightarrow dijets

$R = 1.3$ qq, $M = 100$ GeVqq, $M = 100$ GeV

After scanning, summarise “quality” v. R . Minimum \equiv BEST
 picture not so different from crude analytical estimate

$m_{q\bar{q}} = 100 \text{ GeV}$ $q\bar{q}, M = 100 \text{ GeV}$ Best R is at minimum of curve

- Best R depends strongly on mass of system

- Increases with mass

- can reproduce this analytically

Soyez '10

Message received by CMS: they combine all $R = 0.5$ jets ($p_t > 10 \text{ GeV}$) within $\Delta R = 1.1$ of two hardest to improve resolution.

ATLAS '11 still just use $R = 0.6$

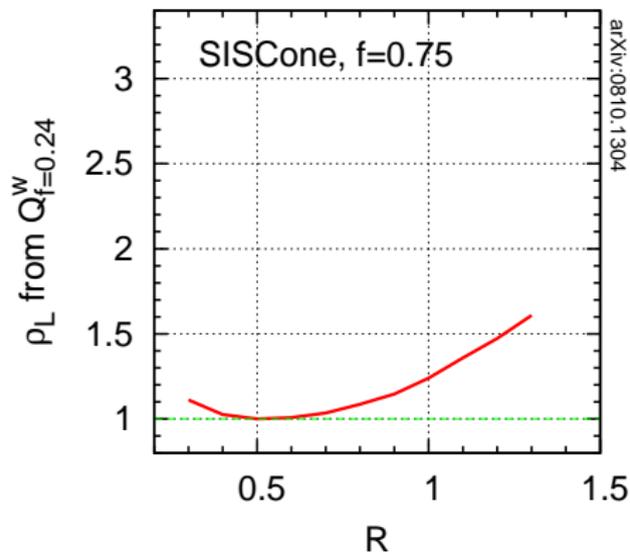
NB: 100,000 plots for various jet algorithms, narrow $q\bar{q}$ and $g\bar{g}$ resonances from <http://quality.fastjet.fr>

Cacciari, Rojo, GPS & Soyez '08

Other related work: Krohn, Thaler & Wang '09

$m_{q\bar{q}} = 150 \text{ GeV}$

$q\bar{q}, M = 150 \text{ GeV}$



Best R is at minimum of curve

► Best R depends strongly on mass of system

► Increases with mass

can reproduce this analytically

Soyez '10

Message received by CMS: they combine all $R = 0.5$ jets ($p_t > 10 \text{ GeV}$) within $\Delta R = 1.1$ of two hardest to improve resolution.

ATLAS '11 still just use $R = 0.6$

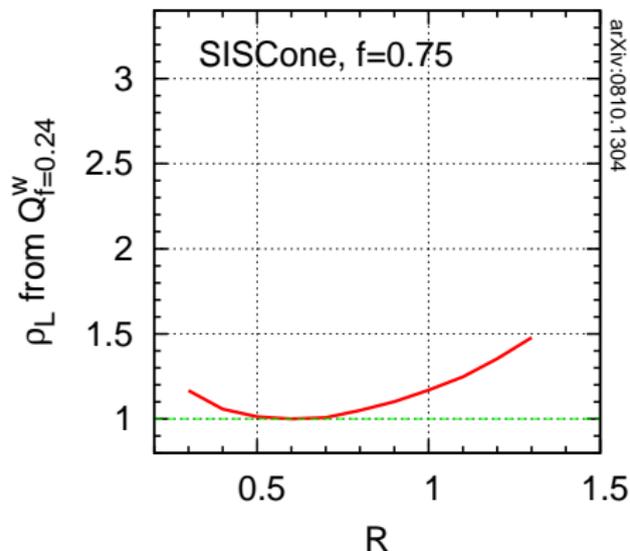
NB: 100,000 plots for various jet algorithms, narrow $q\bar{q}$ and $g\bar{g}$ resonances from <http://quality.fastjet.fr>

Cacciari, Rojo, GPS & Soyez '08

Other related work: Krohn, Thaler & Wang '09

$$m_{q\bar{q}} = 200 \text{ GeV}$$

$$q\bar{q}, M = 200 \text{ GeV}$$



Best R is at minimum of curve

➤ Best R depends strongly on mass of system

➤ Increases with mass

can reproduce this analytically

Soyez '10

Message received by CMS: they combine all $R = 0.5$ jets ($p_t > 10 \text{ GeV}$) within $\Delta R = 1.1$ of two hardest to improve resolution.

ATLAS '11 still just use $R = 0.6$

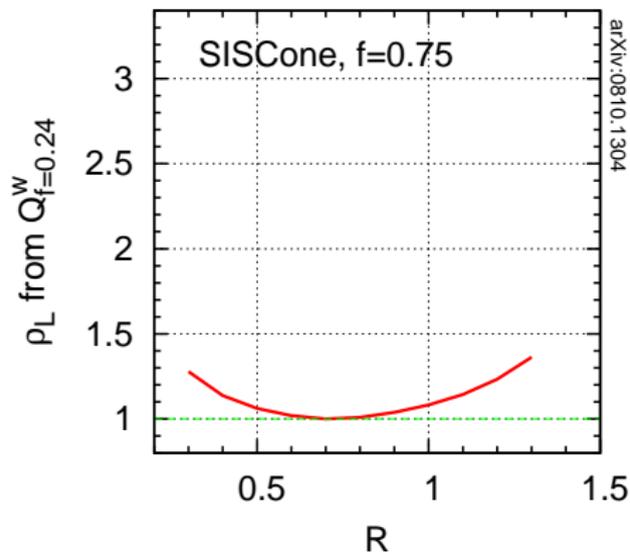
NB: 100,000 plots for various jet algorithms, narrow $q\bar{q}$ and $g\bar{g}$ resonances from <http://quality.fastjet.fr>

Cacciari, Rojo, GPS & Soyez '08

Other related work: Krohn, Thaler & Wang '09

$$m_{q\bar{q}} = 300 \text{ GeV}$$

$$q\bar{q}, M = 300 \text{ GeV}$$



Best R is at minimum of curve

➤ Best R depends strongly on mass of system

➤ Increases with mass

can reproduce this analytically

Soyez '10

Message received by CMS: they combine all $R = 0.5$ jets ($p_t > 10 \text{ GeV}$) within $\Delta R = 1.1$ of two hardest to improve resolution.

ATLAS '11 still just use $R = 0.6$

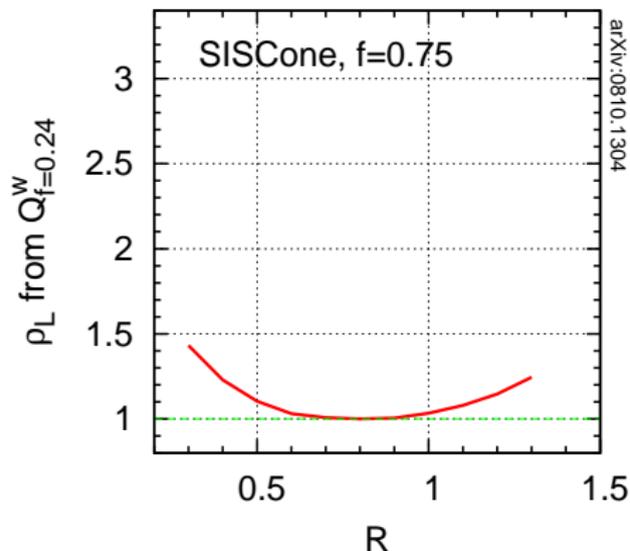
NB: 100,000 plots for various jet algorithms, narrow $q\bar{q}$ and $g\bar{g}$ resonances from <http://quality.fastjet.fr>

Cacciari, Rojo, GPS & Soyez '08

Other related work: Krohn, Thaler & Wang '09

$m_{q\bar{q}} = 500 \text{ GeV}$

$q\bar{q}, M = 500 \text{ GeV}$



Best R is at minimum of curve

➤ Best R depends strongly on mass of system

➤ Increases with mass

can reproduce this analytically

Soyez '10

Message received by CMS: they combine all $R = 0.5$ jets ($p_t > 10 \text{ GeV}$) within $\Delta R = 1.1$ of two hardest to improve resolution.

ATLAS '11 still just use $R = 0.6$

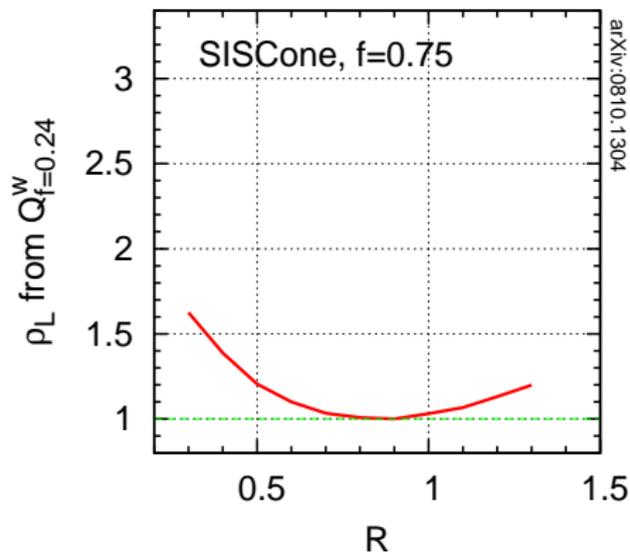
NB: 100,000 plots for various jet algorithms, narrow $q\bar{q}$ and $g\bar{g}$ resonances from <http://quality.fastjet.fr>

Cacciari, Rojo, GPS & Soyez '08

Other related work: Krohn, Thaler & Wang '09

$$m_{q\bar{q}} = 700 \text{ GeV}$$

$$q\bar{q}, M = 700 \text{ GeV}$$



Best R is at minimum of curve

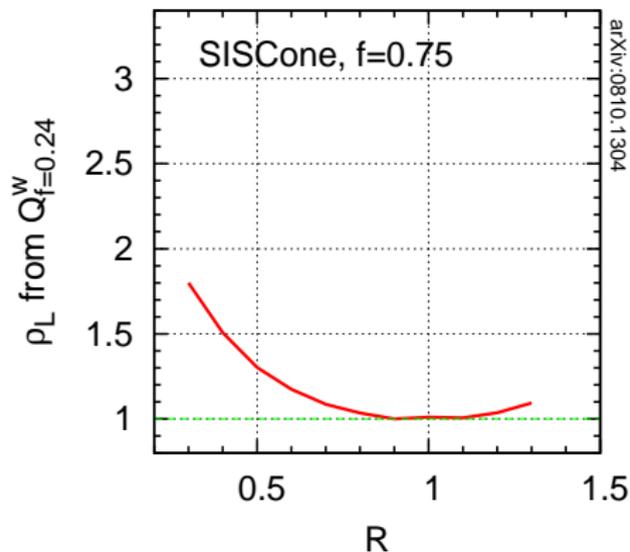
- ▶ Best R depends strongly on mass of system
 - ▶ Increases with mass
- can reproduce this analytically
Soyez '10

Message received by CMS: they combine all $R = 0.5$ jets ($p_t > 10 \text{ GeV}$) within $\Delta R = 1.1$ of two hardest to improve resolution.

ATLAS '11 still just use $R = 0.6$

NB: 100,000 plots for various jet algorithms, narrow $q\bar{q}$ and $g\bar{g}$ resonances from <http://quality.fastjet.fr> Cacciari, Rojo, GPS & Soyez '08

Other related work: Krohn, Thaler & Wang '09

$m_{q\bar{q}} = 1000 \text{ GeV}$ $q\bar{q}, M = 1000 \text{ GeV}$ Best R is at minimum of curve

- ▶ Best R depends strongly on mass of system
- ▶ Increases with mass
can reproduce this analytically
Soyez '10

Message received by CMS: they combine all $R = 0.5$ jets ($p_t > 10 \text{ GeV}$) within $\Delta R = 1.1$ of two hardest to improve resolution.

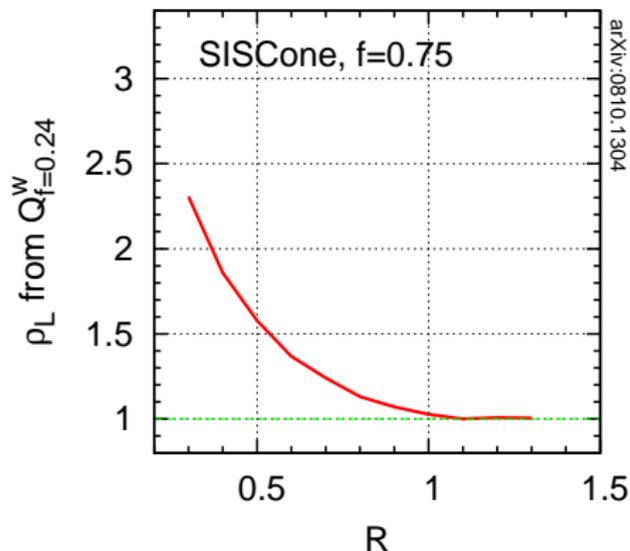
ATLAS '11 still just use $R = 0.6$

NB: 100,000 plots for various jet algorithms, narrow $q\bar{q}$ and $g\bar{g}$ resonances from <http://quality.fastjet.fr> Cacciari, Rojo, GPS & Soyez '08

Other related work: Krohn, Thaler & Wang '09

$m_{q\bar{q}} = 2000 \text{ GeV}$

$q\bar{q}, M = 2000 \text{ GeV}$



Best R is at minimum of curve

- ▶ Best R depends strongly on mass of system
- ▶ Increases with mass
can reproduce this analytically
Soyez '10

Message received by CMS: they combine all $R = 0.5$ jets ($p_t > 10 \text{ GeV}$) within $\Delta R = 1.1$ of two hardest to improve resolution.

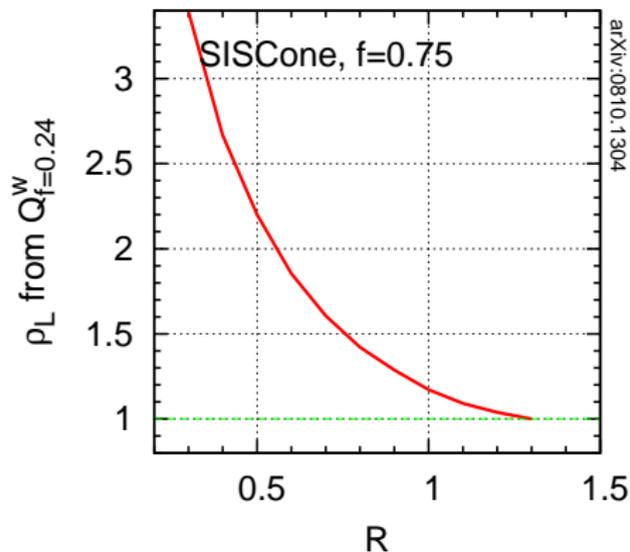
ATLAS '11 still just use $R = 0.6$

NB: 100,000 plots for various jet algorithms, narrow $q\bar{q}$ and $g\bar{g}$ resonances from <http://quality.fastjet.fr> Cacciari, Rojo, GPS & Soyez '08

Other related work: Krohn, Thaler & Wang '09

$m_{q\bar{q}} = 4000 \text{ GeV}$

$q\bar{q}, M = 4000 \text{ GeV}$



Best R is at minimum of curve

- ▶ Best R depends strongly on mass of system
- ▶ Increases with mass

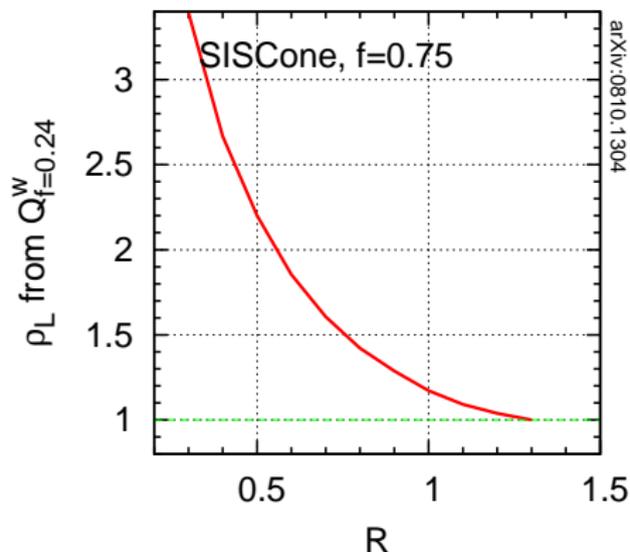
can reproduce this analytically
Soyez '10

Message received by CMS: they combine all $R = 0.5$ jets ($p_t > 10 \text{ GeV}$) within $\Delta R = 1.1$ of two hardest to improve resolution.

ATLAS '11 still just use $R = 0.6$

NB: 100,000 plots for various jet algorithms, narrow $q\bar{q}$ and $g\bar{g}$ resonances from <http://quality.fastjet.fr> Cacciari, Rojo, GPS & Soyez '08

Other related work: Krohn, Thaler & Wang '09

$m_{q\bar{q}} = 4000 \text{ GeV}$ $q\bar{q}, M = 4000 \text{ GeV}$ Best R is at minimum of curve

- ▶ Best R depends strongly on mass of system
- ▶ Increases with mass

can reproduce this analytically
Soyez '10

Message received by CMS: they combine all $R = 0.5$ jets ($p_t > 10 \text{ GeV}$) within $\Delta R = 1.1$ of two hardest to improve resolution.

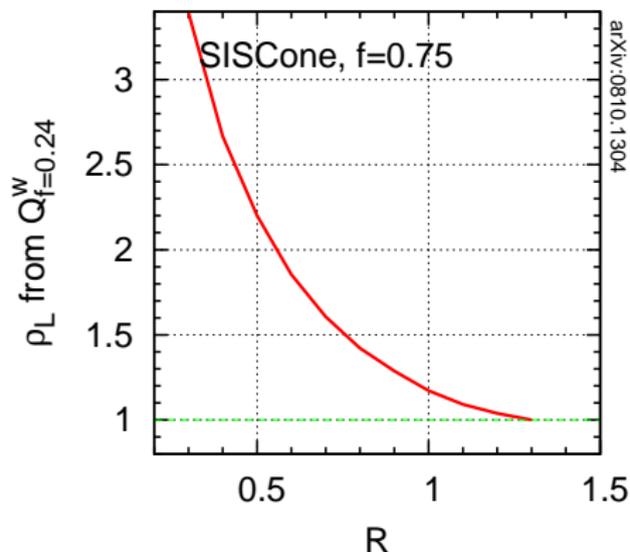
ATLAS '11 still just use $R = 0.6$

NB: 100,000 plots for various jet algorithms, narrow $q\bar{q}$ and $g\bar{g}$ resonances from <http://quality.fastjet.fr> Cacciari, Rojo, GPS & Soyez '08

Other related work: Krohn, Thaler & Wang '09

$m_{q\bar{q}} = 4000 \text{ GeV}$

$q\bar{q}, M = 4000 \text{ GeV}$



Best R is at minimum of curve

- ▶ Best R depends strongly on mass of system
- ▶ Increases with mass

can reproduce this analytically
Soyez '10

Message received by CMS: they combine all $R = 0.5$ jets ($p_t > 10 \text{ GeV}$) within $\Delta R = 1.1$ of two hardest to improve resolution.

ATLAS '11 still just use $R = 0.6$

NB: 100,000 plots for various jet algorithms, narrow $q\bar{q}$ and $g\bar{g}$ resonances from <http://quality.fastjet.fr>

Cacciari, Rojo, GPS & Soyez '08

Other related work: Krohn, Thaler & Wang '09

File Edit View History Bookmarks Tools Help

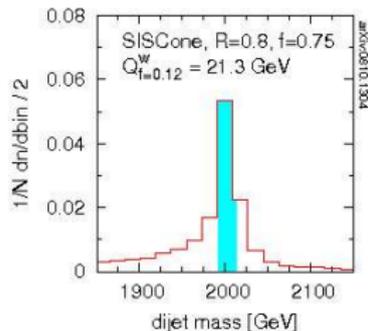
http://www.lpthe.jussieu.fr/~salam/jet-quality/

Testing jet definitions: qq & gg c...

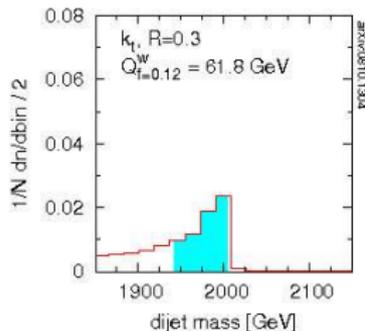
Testing jet definitions: qq & gg cases

by M. Cacciari, J. Rojo, G.P. Salam and G. Soyez, arXiv:0810.1304

qq, M = 2000 GeV



qq, M = 2000 GeV



This page is intended to help visualize how the choice of jet definition impacts a dijet invariant mass reconstruction at LHC.

The controls fall into 4 groups:

- the jet definition
- the binning and quality measures
- the jet-type (quark, gluon) and mass scale
- pileup and subtraction

The events were simulated with Pythia 6.4 (DWT tune) and reconstructed with FastJet 2.3.

For more information, view and listen to the **flash demo**, or click on individual terms.

This page has been tested with Firefox v2 and v3, IE7, Safari v3, Opera v9.5, Chrome 0.2.

Reset

 k_t C/A anti- k_t SIScone C/A-filt

 R = 0.8
 $Q_{f=z}^W$ $Q_{f=z}^{1/xV_M}$ x 2

 rebin = 2
 qq gg

 mass = 2000

 pileup: none 0.05 0.25 mb^{-1}/ev
 k_t C/A anti- k_t SIScone C/A-filt

 R = 0.3
 $Q_{f=z}^W$ $Q_{f=z}^{1/xV_M}$ x 2

 rebin = 2
 qq gg

 mass = 2000

 pileup: none 0.05 0.25 mb^{-1}/ev

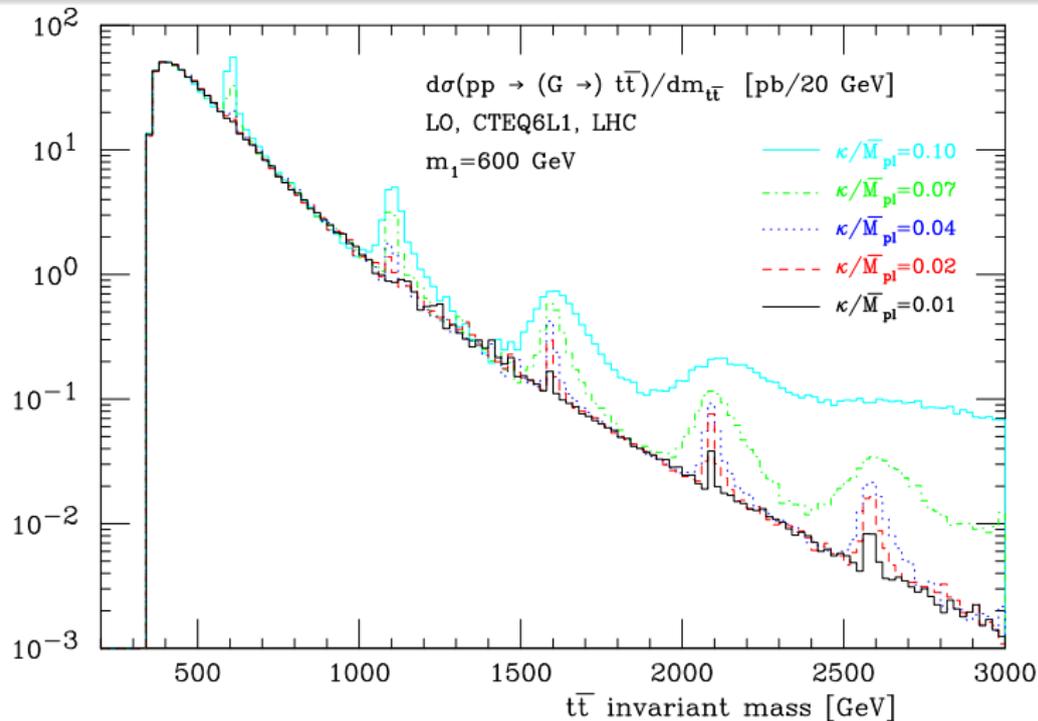
Fat jets

boosted massive hadronically decaying objects

E.g. when a known particle, W , Z or a top \rightarrow a single jet
or a new particle, Higgs, gluino, neutralino \rightarrow a single jet

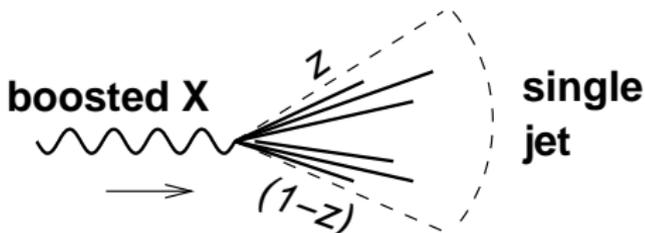
This will be common for electroweak-scale objects at LHC:

$$m_W, m_t \ll 14 \text{ TeV}$$

E.g. $X \rightarrow t\bar{t}$ resonances of varying difficulty

RS KK resonances $\rightarrow t\bar{t}$, from Frederix & Maltoni, 0712.2355

NB: QCD dijet spectrum is $\sim 10^3$ times $t\bar{t}$

Hadronically decaying EW boson at high $p_t \neq$ two jets

$$R \gtrsim \frac{m}{p_t} \frac{1}{\sqrt{z(1-z)}}$$

Rules of thumb:

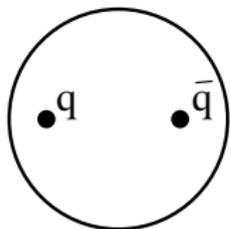
$$m = 100 \text{ GeV}, p_t = 500 \text{ GeV}$$

▶ $R < \frac{2m}{p_t}$: always resolve **two** jets

$$R < 0.4$$

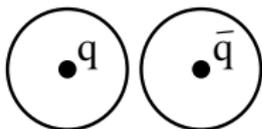
▶ $R \gtrsim \frac{3m}{p_t}$: resolve **one** jet in $\sim 75\%$ of cases ($\frac{1}{8} < z < \frac{7}{8}$)

$$R \gtrsim 0.6$$



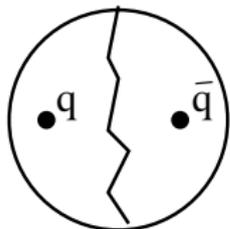
Select on the jet mass with one large (cone) jet

Can be subject to large bkgds
[high- p_t jets have significant masses]



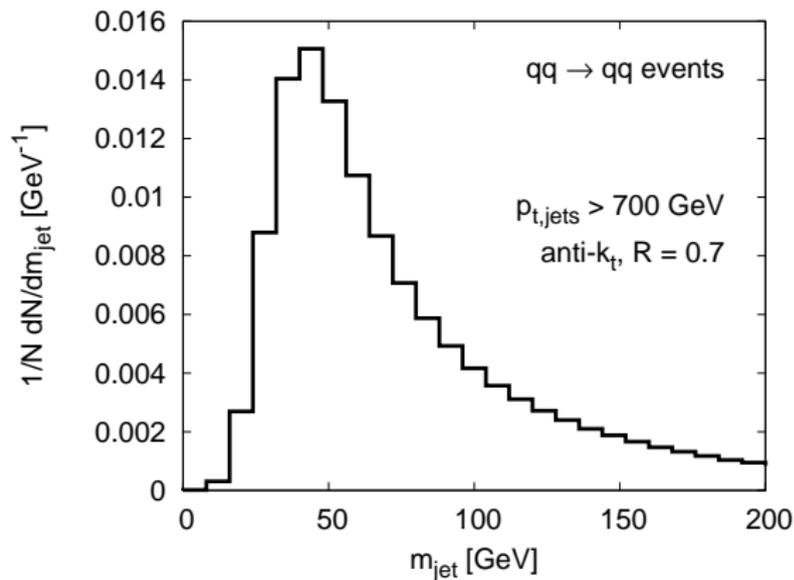
Choose a small jet size (R) so as to resolve two jets

Easier to reject background
if you actually see substructure
[NB: must manually put in “right” radius]



Take a large jet and split it in two

Let jet algorithm establish correct division

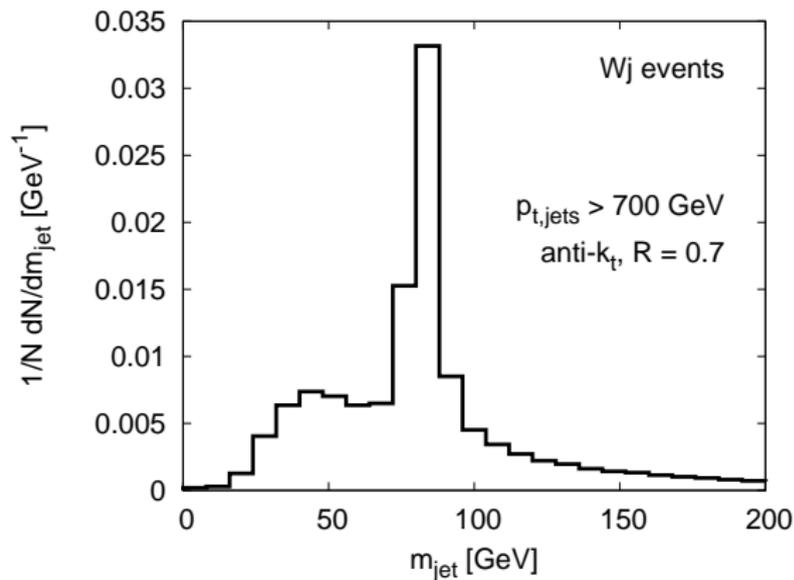


Look at jet mass distribution for two leading jets in

- ▶ $qq \rightarrow qq$ events
- ▶ $pp \rightarrow W + \text{jet}$ events
- ▶ a mixture of the two

In roughly sensible proportions

Jet mass gives clear sign of massive particles inside the jet;

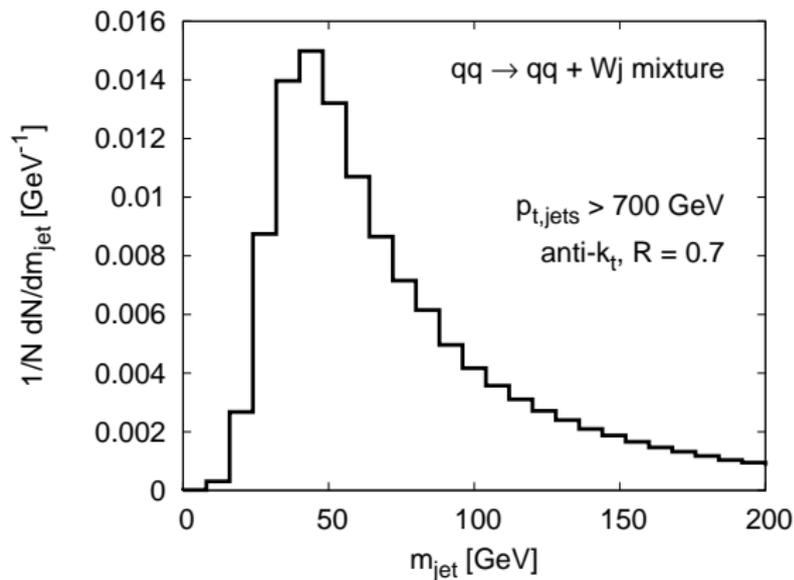


Look at jet mass distribution for two leading jets in

- ▶ $qq \rightarrow qq$ events
- ▶ $pp \rightarrow W + \text{jet}$ events
- ▶ a mixture of the two

In roughly sensible proportions

Jet mass gives clear sign of massive particles inside the jet;

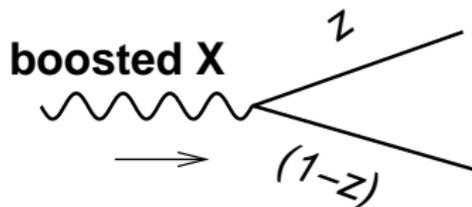


Look at jet mass distribution for two leading jets in

- ▶ $qq \rightarrow qq$ events
- ▶ $pp \rightarrow W + \text{jet}$ events
- ▶ a mixture of the two

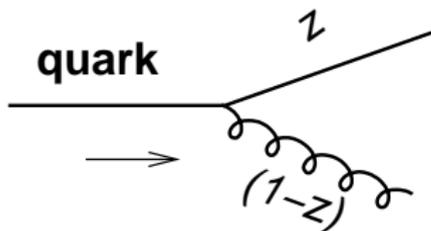
In roughly sensible proportions

Jet mass gives clear sign of massive particles inside the jet; but QCD jets are massive too — must learn to reject them

Signal

Splitting probability for Higgs:

$$P(z) \propto 1$$

Background

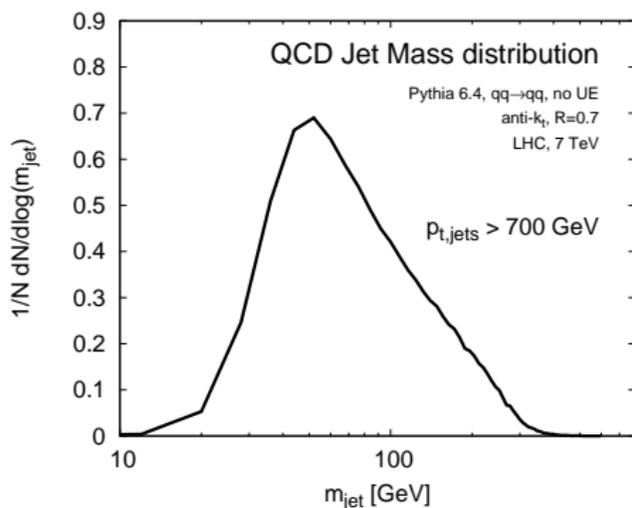
Splitting probability for quark:

$$P(z) \propto \frac{1+z^2}{1-z}$$

$1/(1-z)$ divergence enhances background

Remove divergence in bkdg with cut on z
 Can choose cut analytically so as to maximise S/\sqrt{B}

Originally: cut on (related) k_t -distance
 Butterworth, Cox & Forshaw '02



QCD jet mass distribution has the approximate

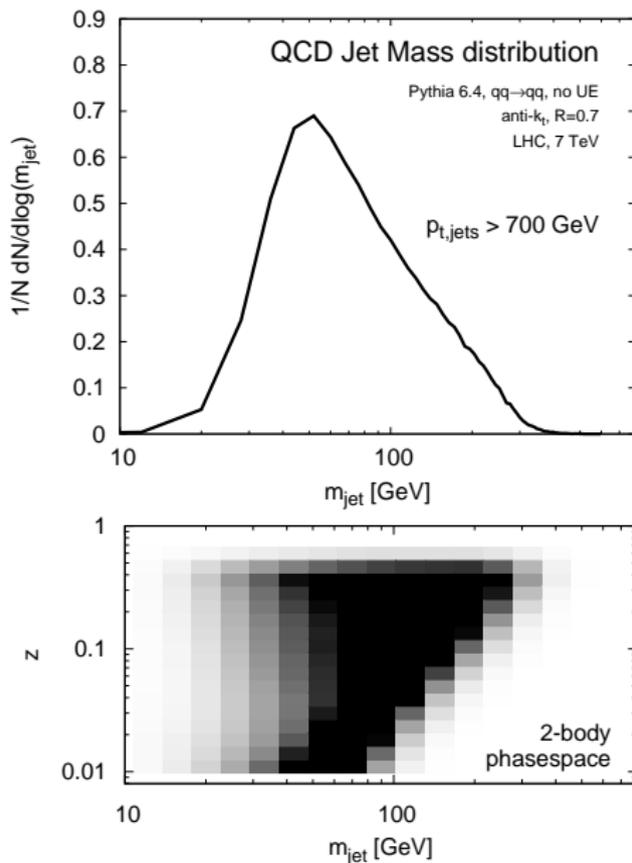
$$\frac{dN}{d \ln m} \sim \alpha_s \ln \frac{p_t R}{m} \times \text{Sudakov}$$

Work from '80s and '90s
+ Almeida et al '08

The logarithm comes from integral over soft divergence of QCD:

$$\int \frac{1}{2} \frac{dz}{\frac{m^2}{p_t^2 R^2} z}$$

A hard cut on z reduces QCD background & simplifies its shape



QCD jet mass distribution has the approximate

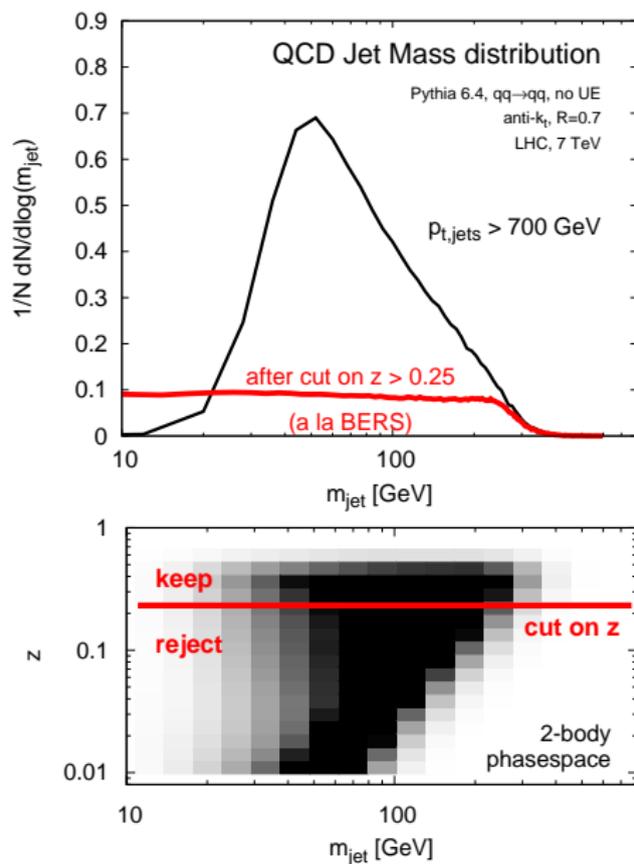
$$\frac{dN}{d \ln m} \sim \alpha_s \ln \frac{p_t R}{m} \times \text{Sudakov}$$

Work from '80s and '90s
+ Almeida et al '08

The logarithm comes from integral over soft divergence of QCD:

$$\int^{\frac{1}{2}} \frac{dz}{z} \frac{m^2}{p_t^2 R^2}$$

A hard cut on z reduces QCD background & simplifies its shape



QCD jet mass distribution has the approximate

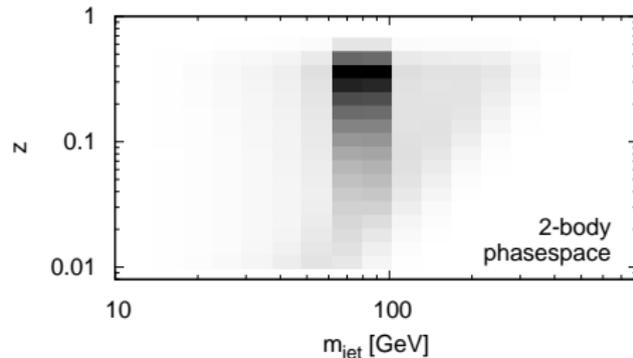
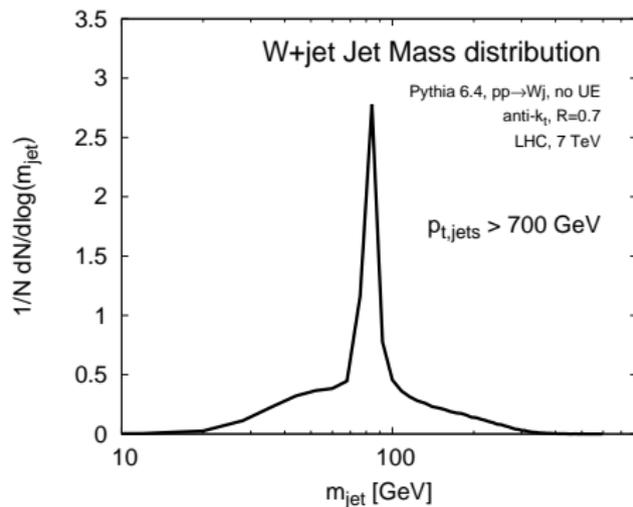
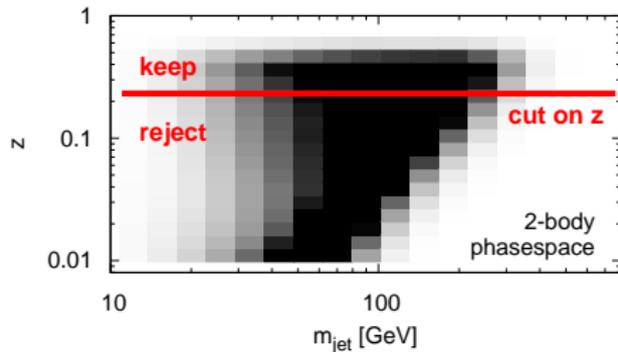
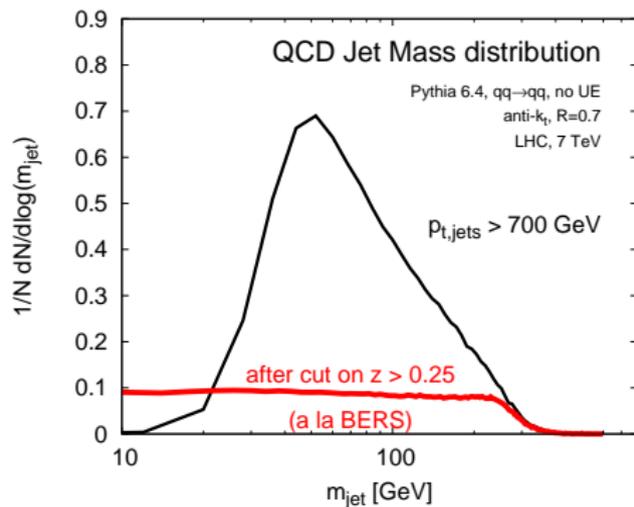
$$\frac{dN}{d \ln m} \sim \alpha_s \ln \frac{p_t R}{m} \times \text{Sudakov}$$

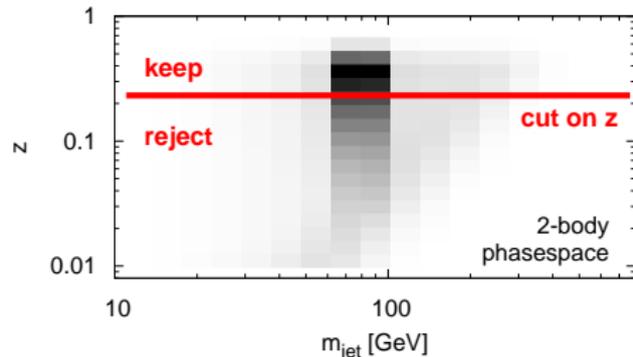
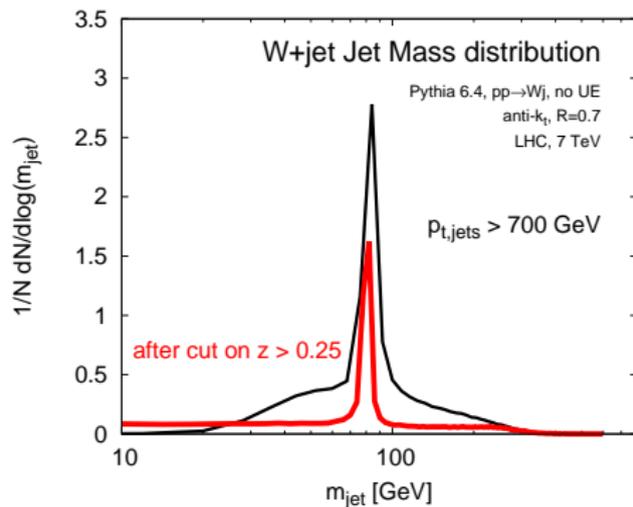
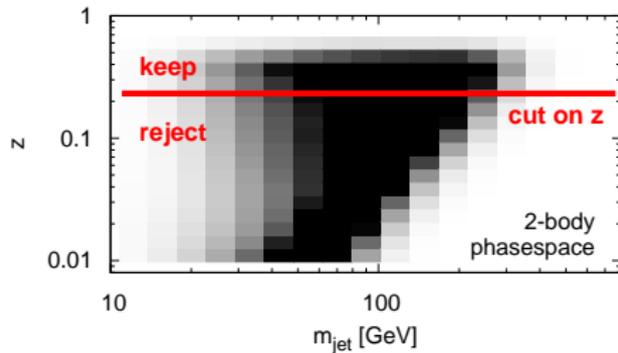
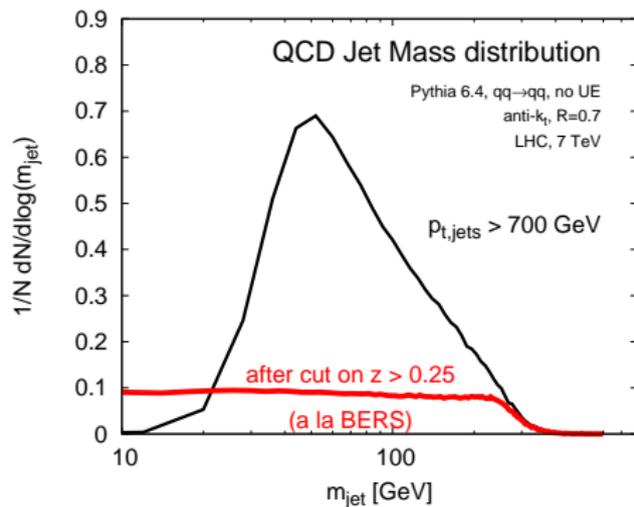
Work from '80s and '90s
+ Almeida et al '08

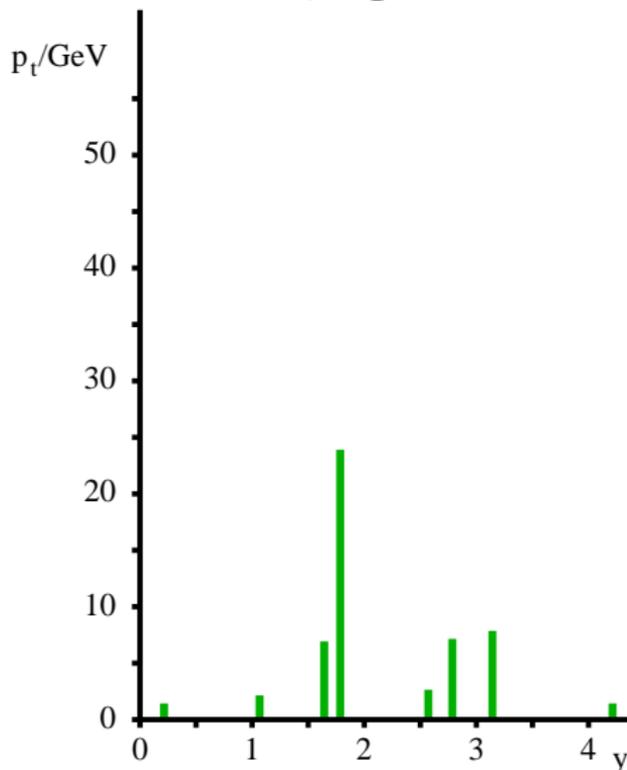
The logarithm comes from integral over soft divergence of QCD:

$$\int^{\frac{1}{2}} \frac{dz}{\frac{m^2}{p_t^2 R^2} z}$$

A hard cut on z reduces QCD background & simplifies its shape

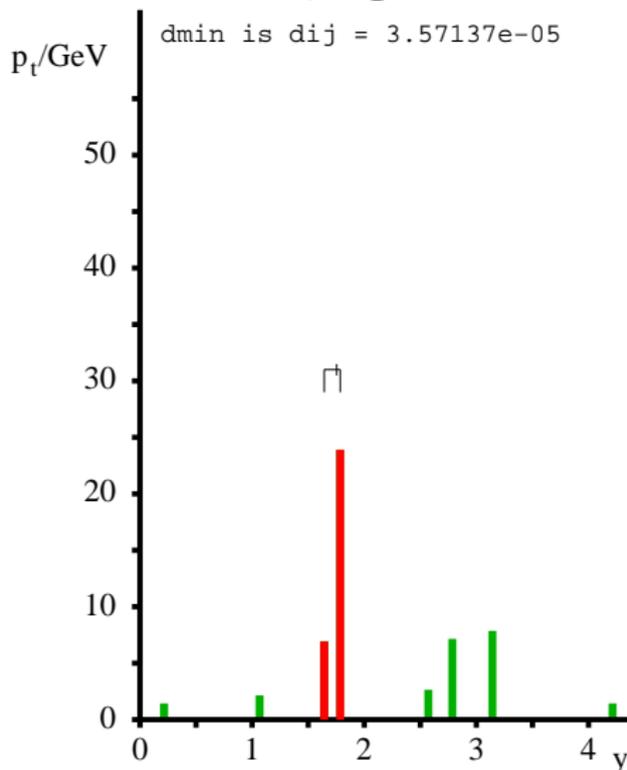




anti- k_t algorithm

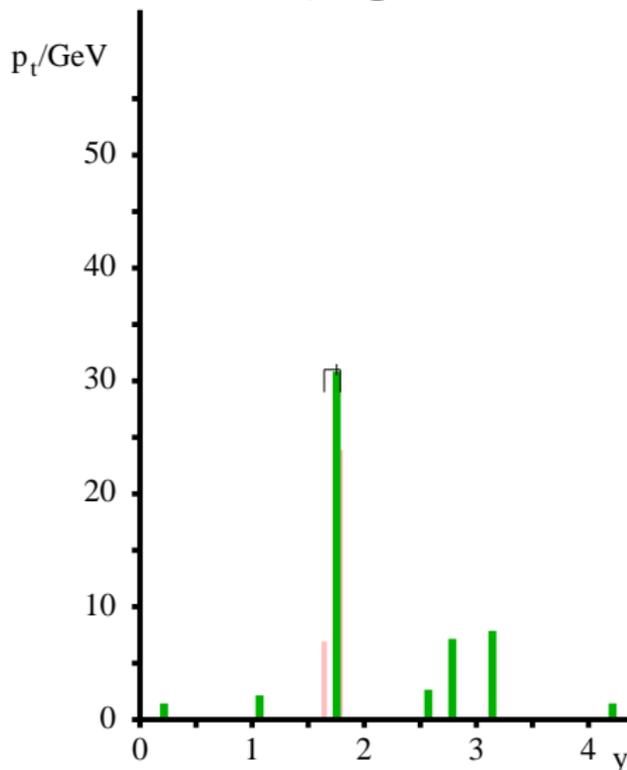
How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

anti- k_t algorithm d_{\min} is $d_{ij} = 3.57137e-05$ 

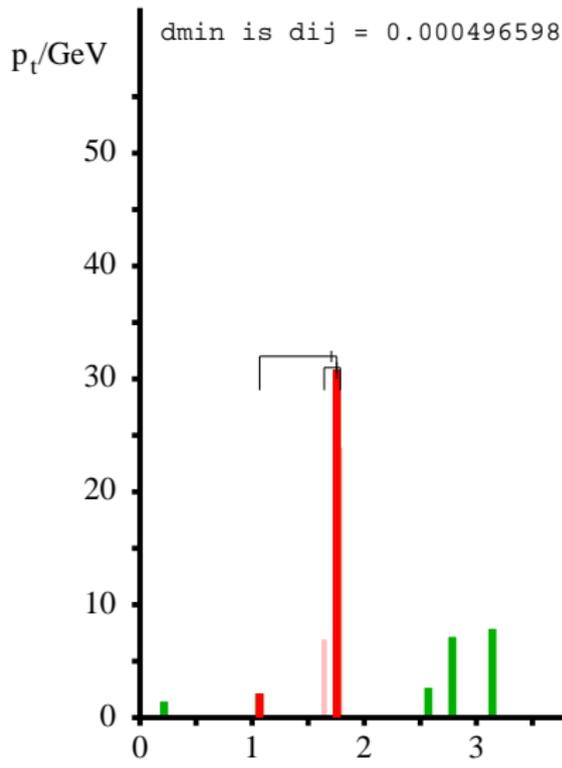
How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

anti- k_t algorithm

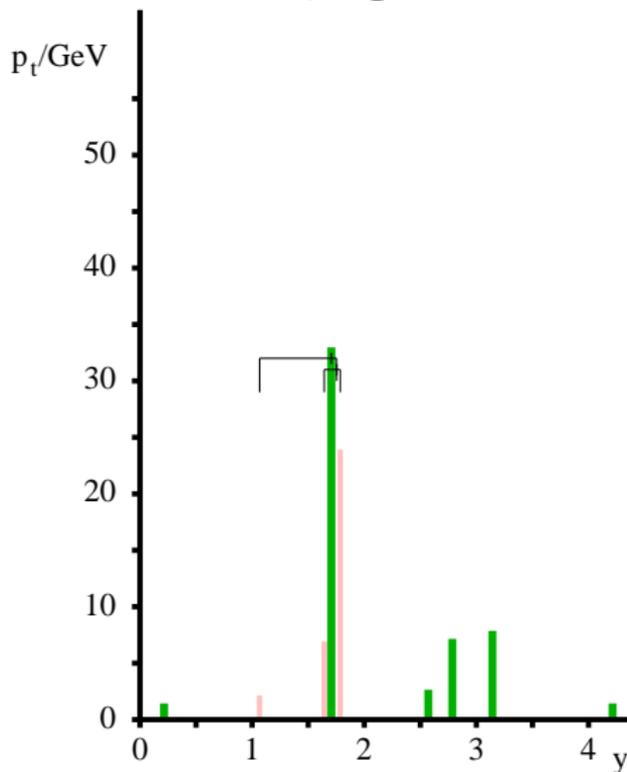
How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

anti- k_t algorithm

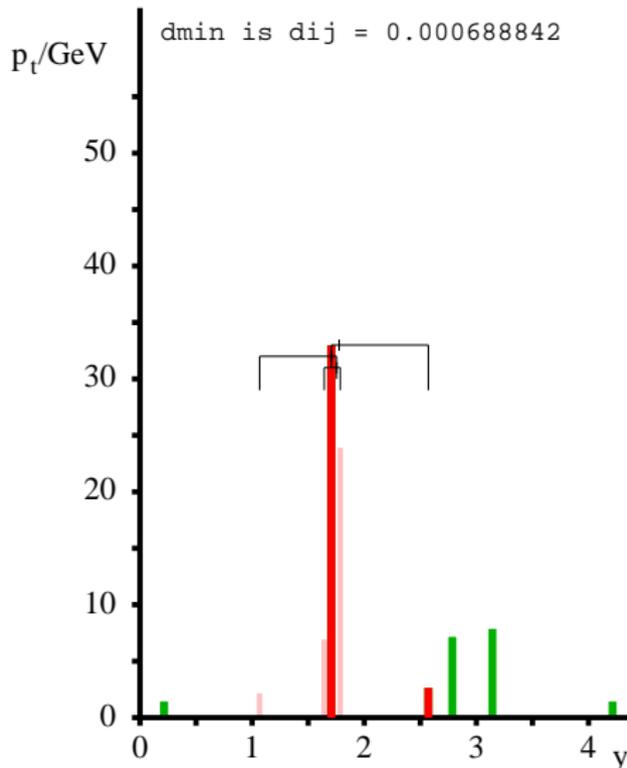
How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

anti- k_t algorithm

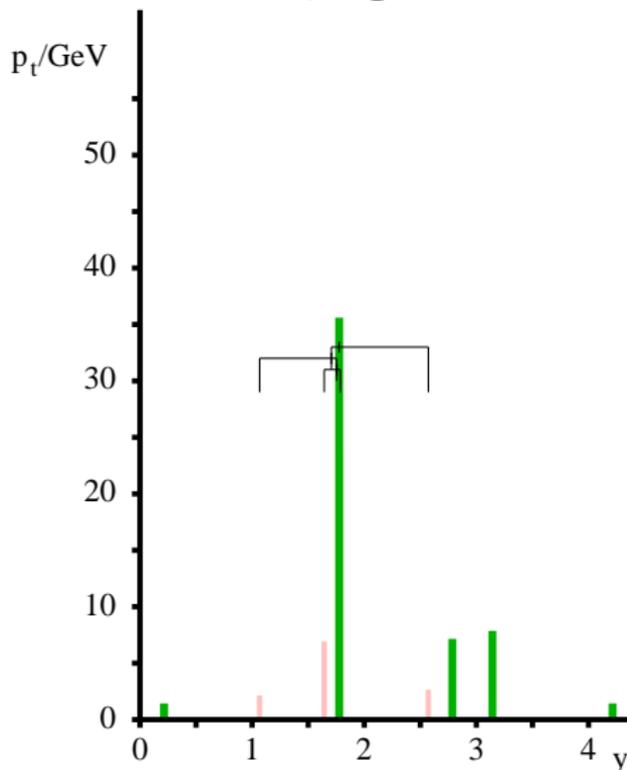
How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

anti- k_t algorithm

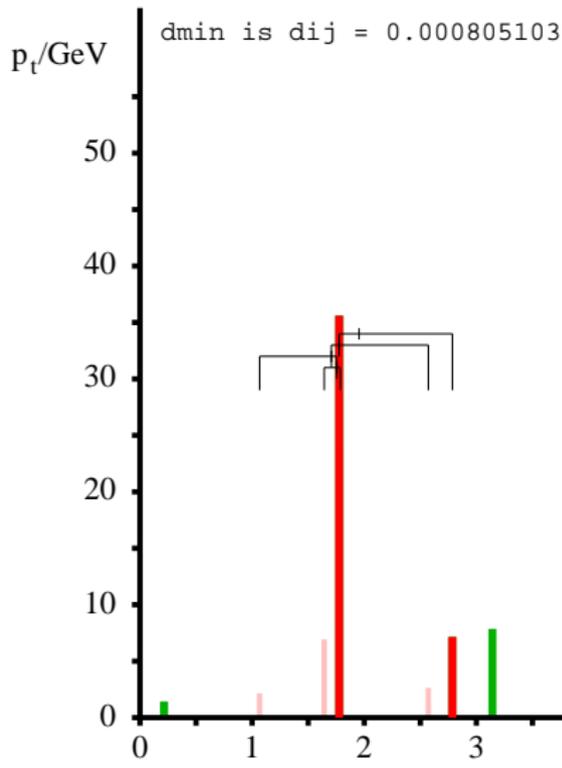
How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

anti- k_t algorithm

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

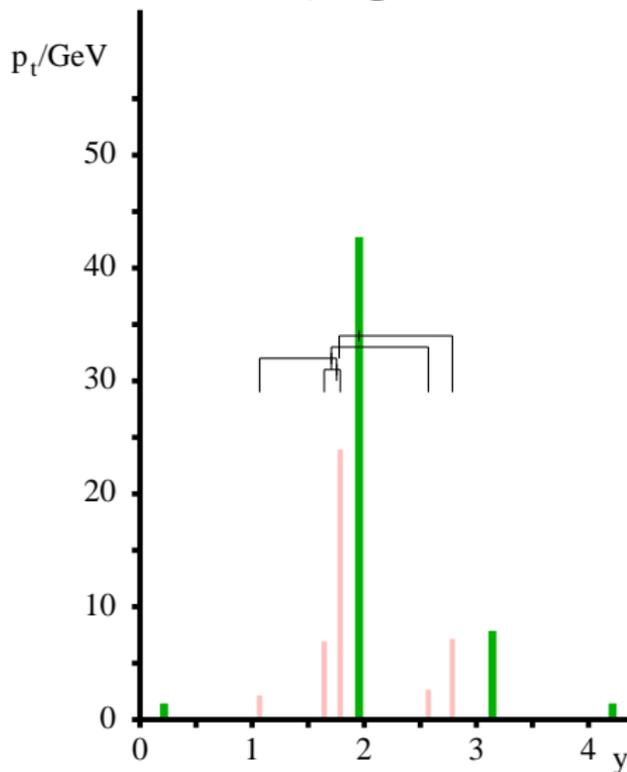
This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

anti- k_t algorithm

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

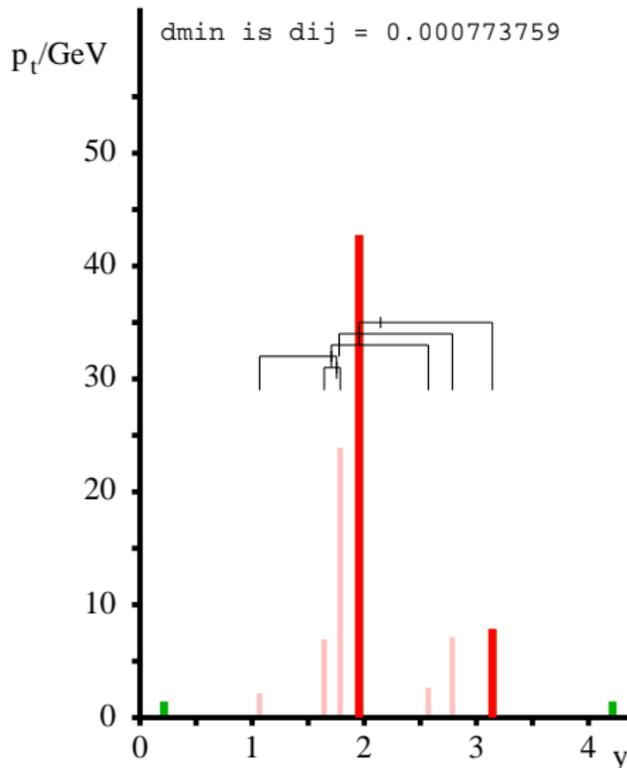
Anti- k_t gradually makes its way through the secondary blob \rightarrow no clear identification of substructure associated with 2nd parton.

anti- k_t algorithm

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

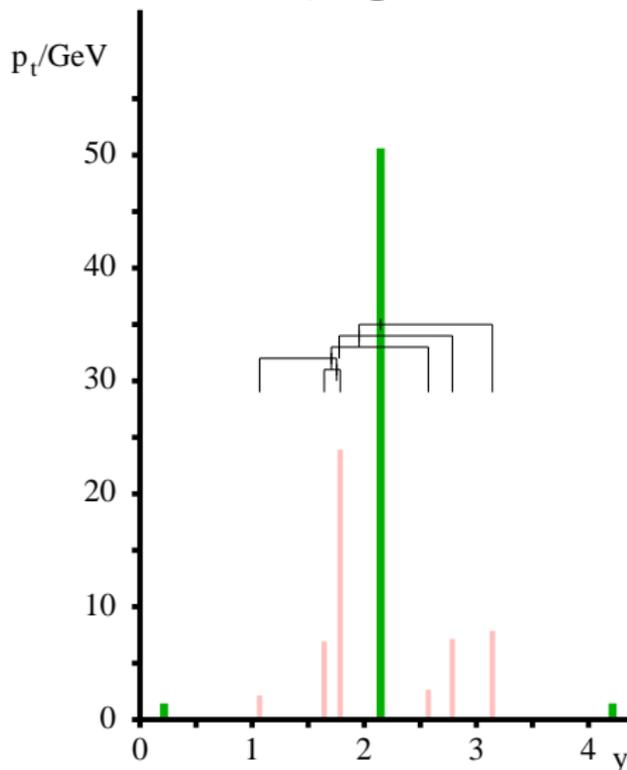
Anti- k_t gradually makes its way through the secondary blob \rightarrow no clear identification of substructure associated with 2nd parton.

anti- k_t algorithm

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

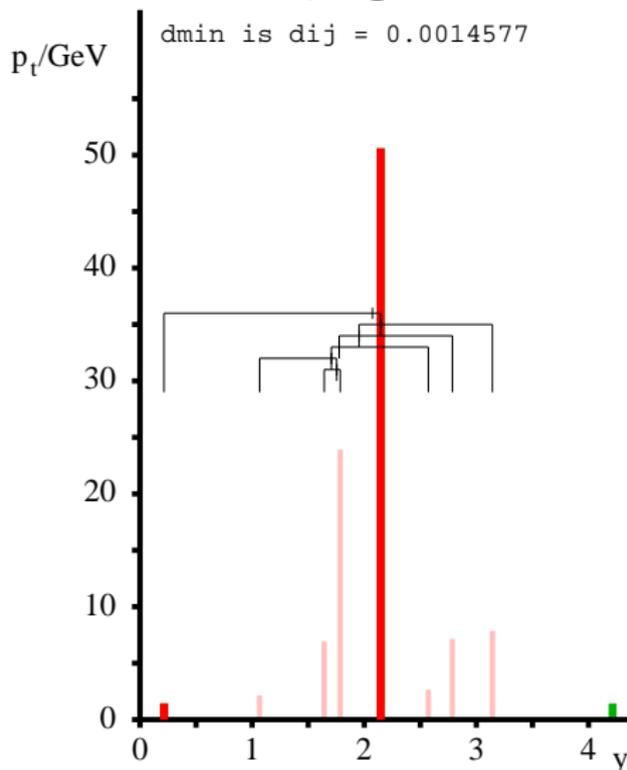
Anti- k_t gradually makes its way through the secondary blob \rightarrow no clear identification of substructure associated with 2nd parton.

anti- k_t algorithm

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

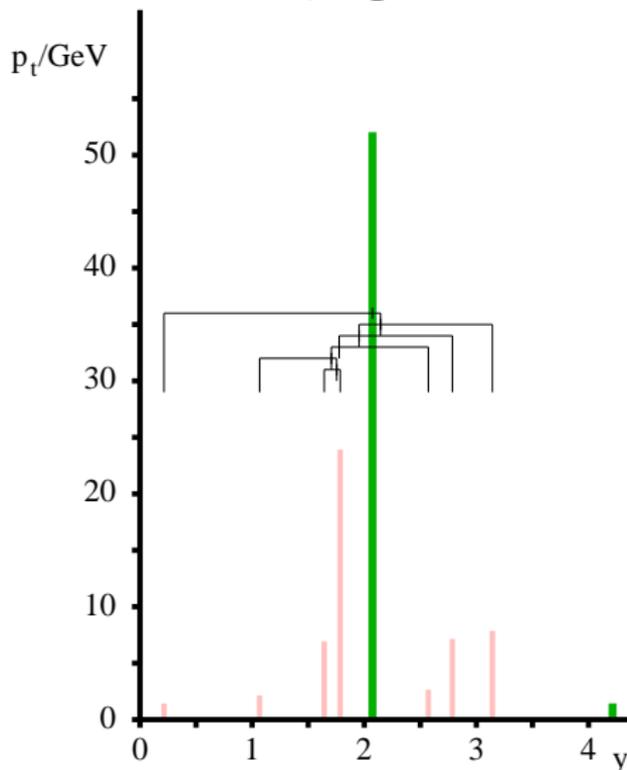
Anti- k_t gradually makes its way through the secondary blob \rightarrow no clear identification of substructure associated with 2nd parton.

anti- k_t algorithm

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

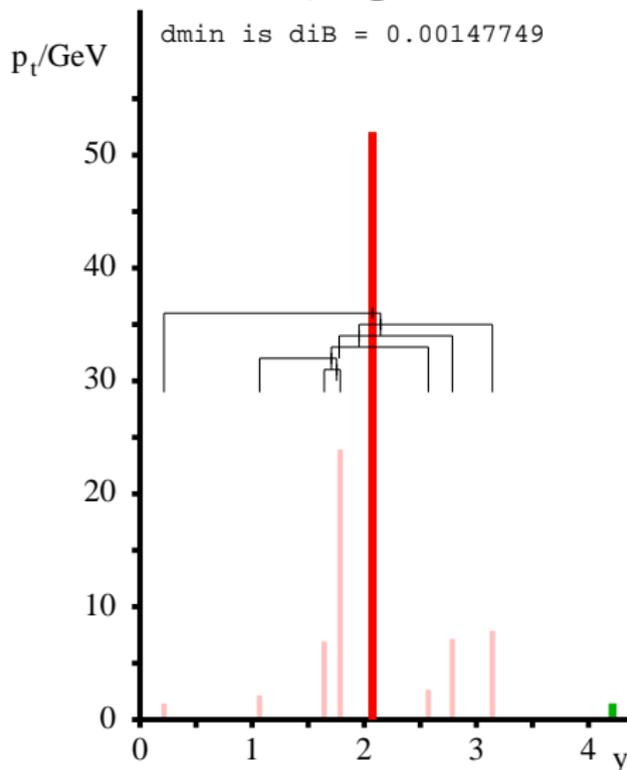
Anti- k_t gradually makes its way through the secondary blob \rightarrow no clear identification of substructure associated with 2nd parton.

anti- k_t algorithm

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

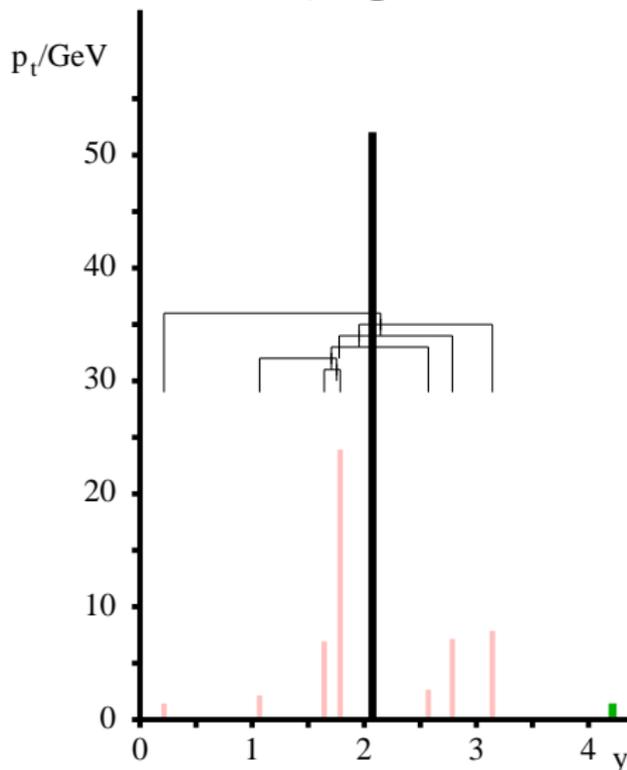
Anti- k_t gradually makes its way through the secondary blob \rightarrow no clear identification of substructure associated with 2nd parton.

anti- k_t algorithm

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

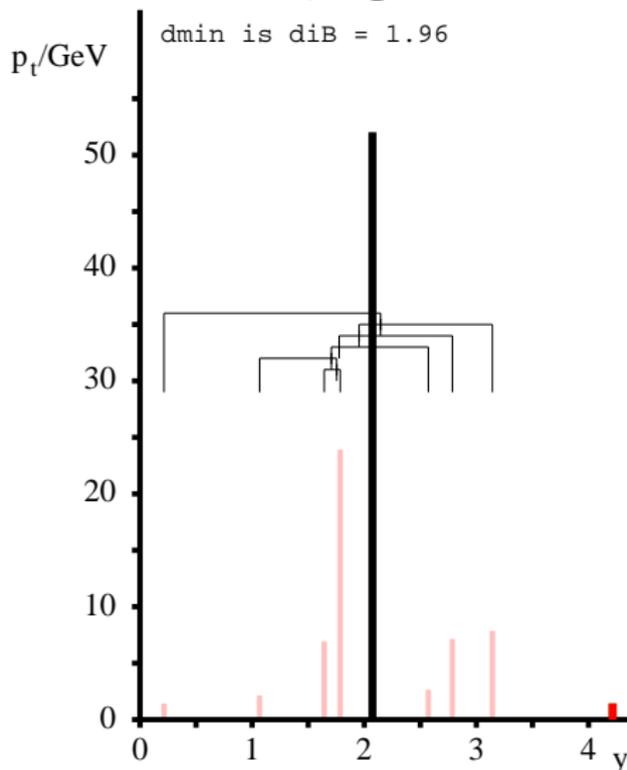
Anti- k_t gradually makes its way through the secondary blob \rightarrow no clear identification of substructure associated with 2nd parton.

anti- k_t algorithm

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

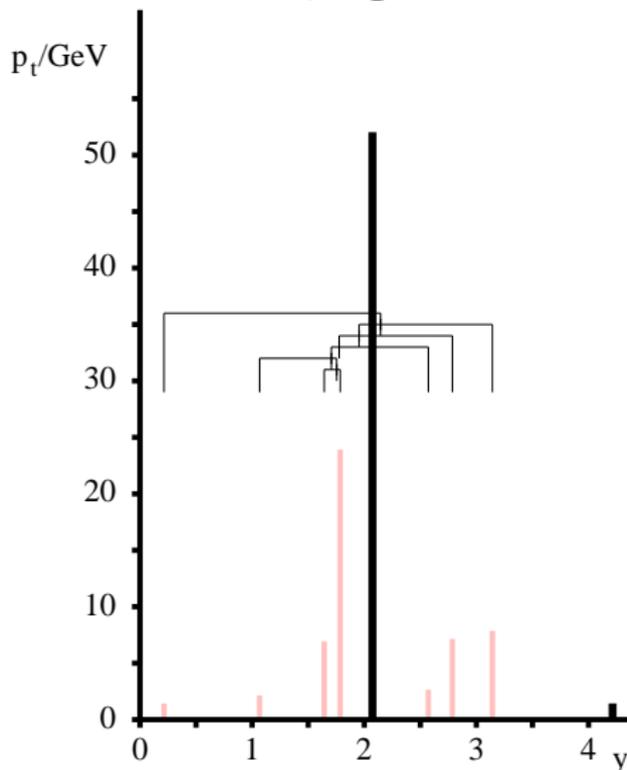
Anti- k_t gradually makes its way through the secondary blob \rightarrow no clear identification of substructure associated with 2nd parton.

anti- k_t algorithm

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

Anti- k_t gradually makes its way through the secondary blob \rightarrow no clear identification of substructure associated with 2nd parton.

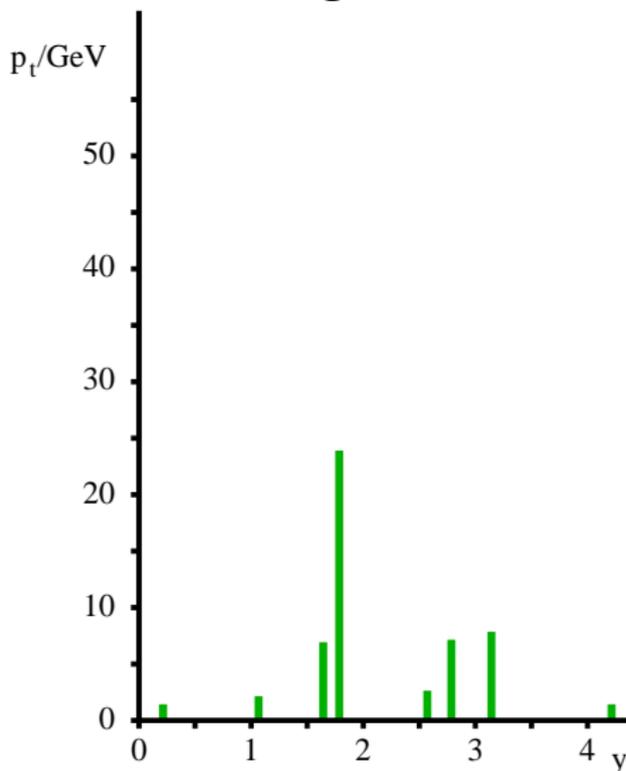
anti- k_t algorithm

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

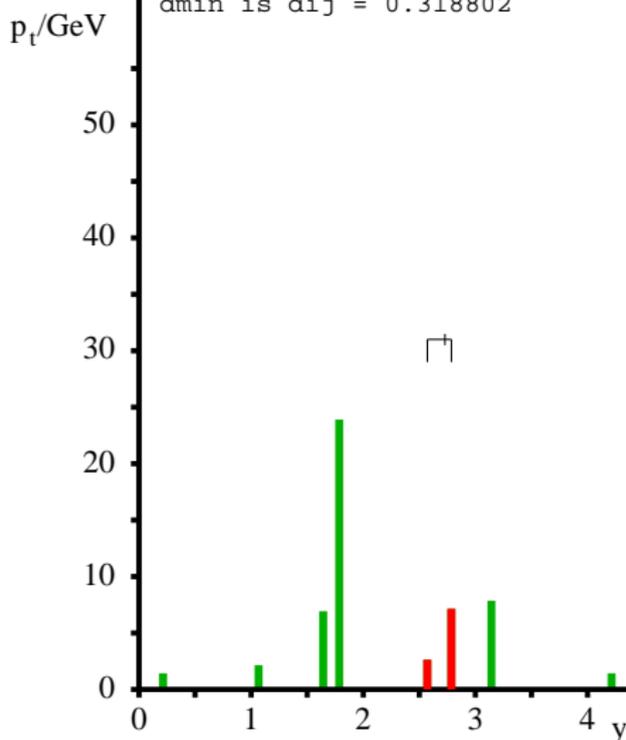
Anti- k_t gradually makes its way through the secondary blob \rightarrow no clear identification of substructure associated with 2nd parton.

k_t algorithm



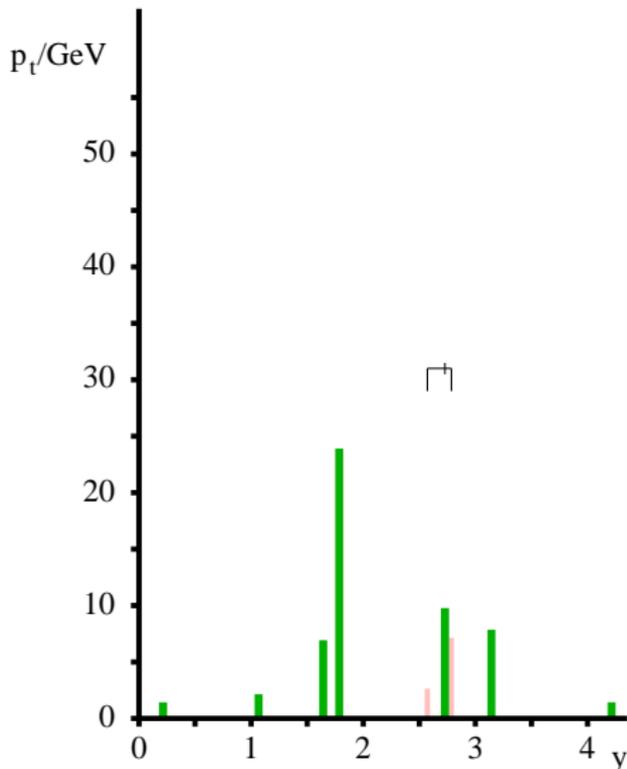
How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

k_t algorithm d_{\min} is $d_{ij} = 0.318802$ 

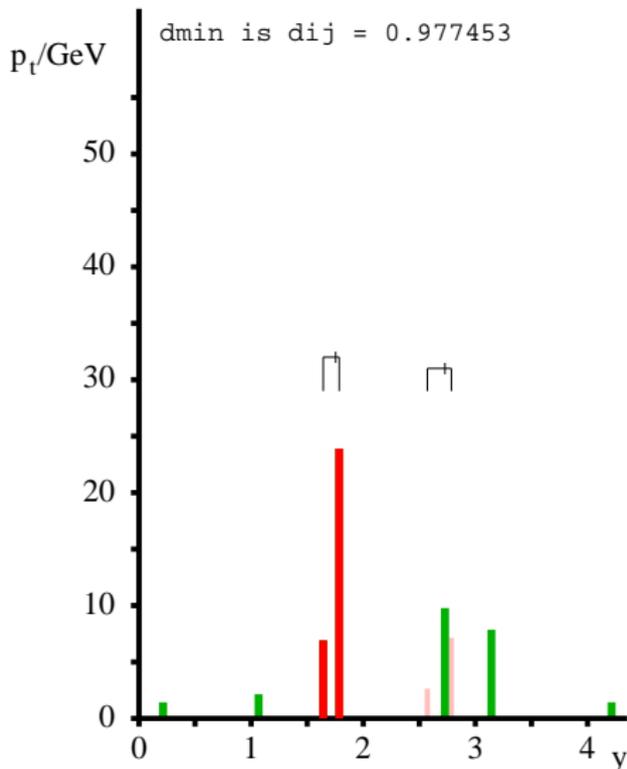
How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

k_t algorithm

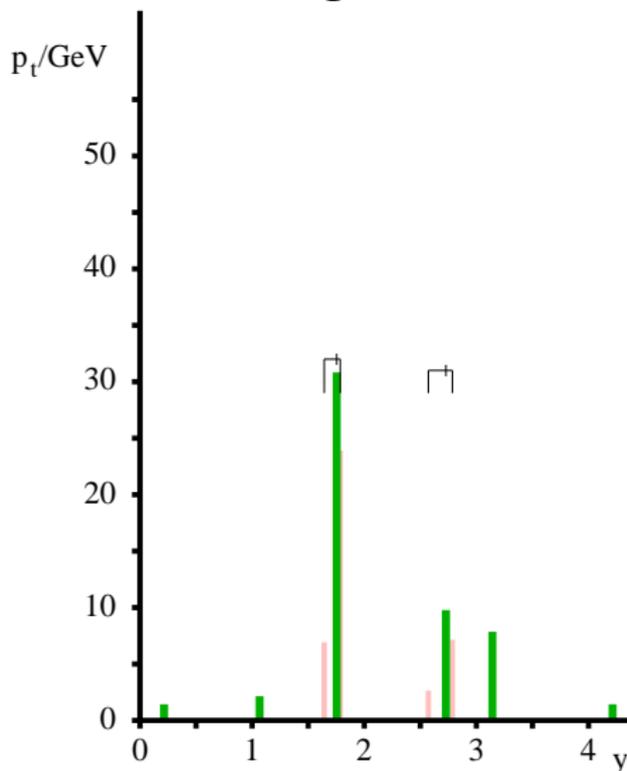
How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

k_t algorithm d_{\min} is $d_{ij} = 0.977453$ 

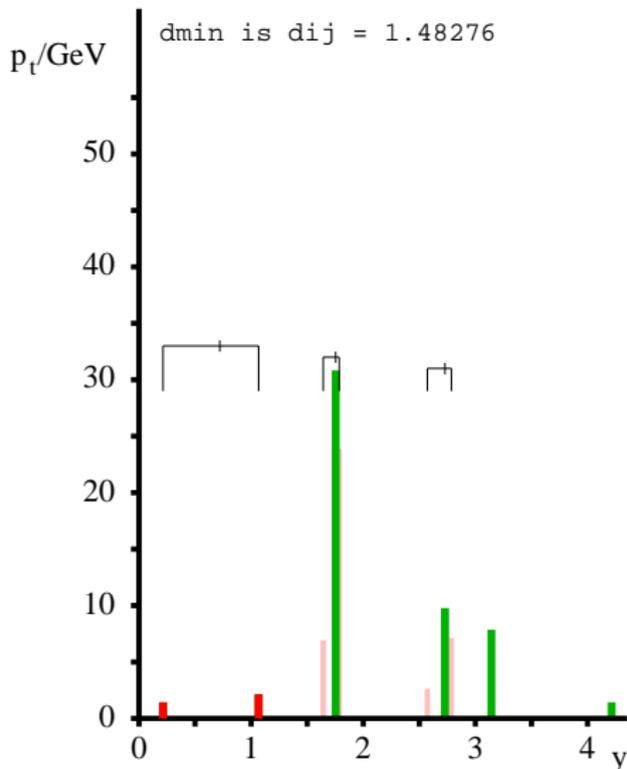
How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

k_t algorithm

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

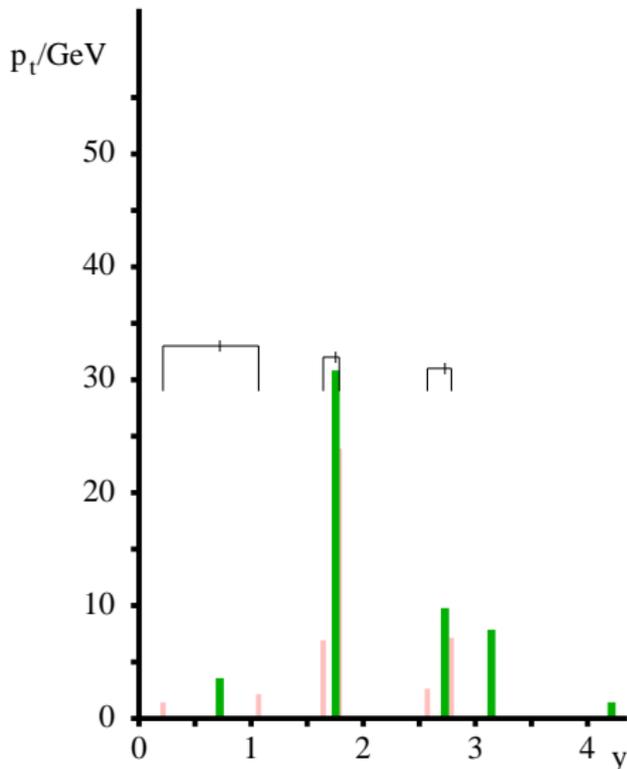
This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

k_t algorithm d_{\min} is $d_{ij} = 1.48276$ 

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

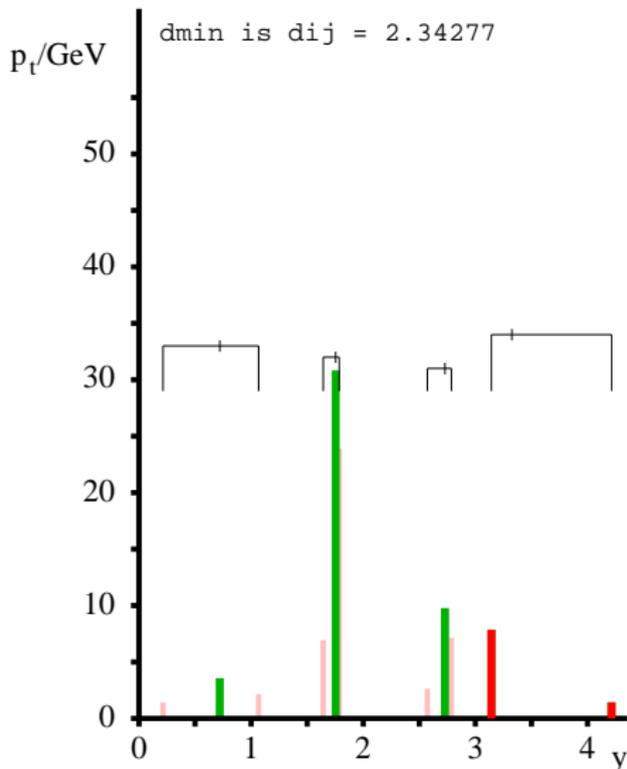
k_t clusters soft “junk” early on in the clustering

k_t algorithm

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

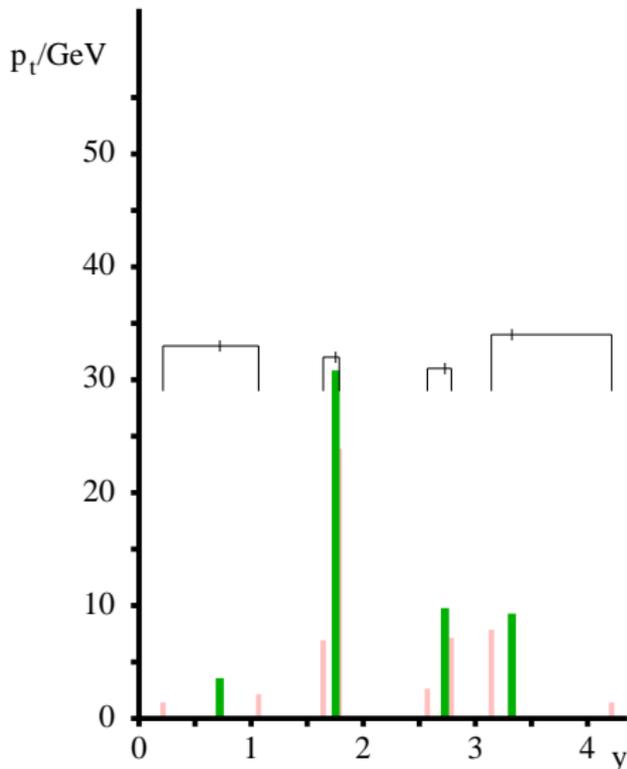
k_t clusters soft “junk” early on in the clustering

k_t algorithm d_{\min} is $d_{ij} = 2.34277$ 

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

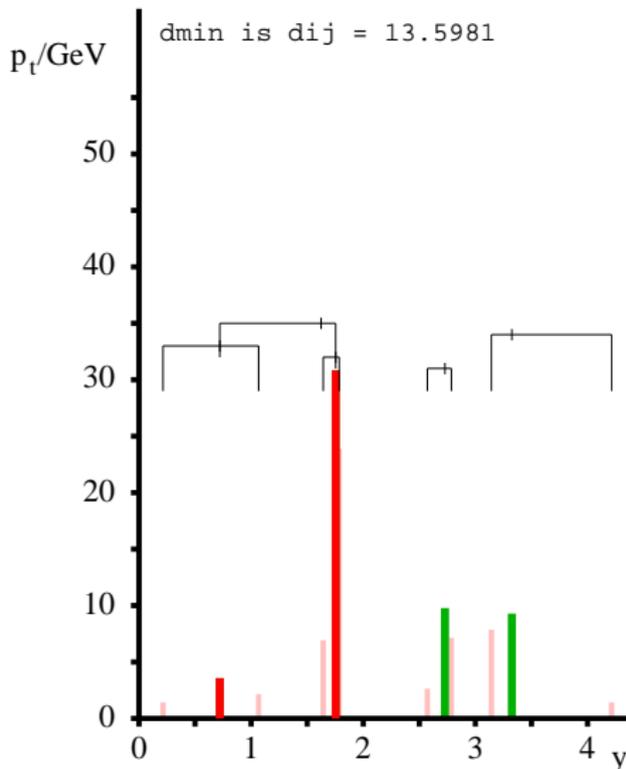
k_t clusters soft “junk” early on in the clustering

k_t algorithm

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

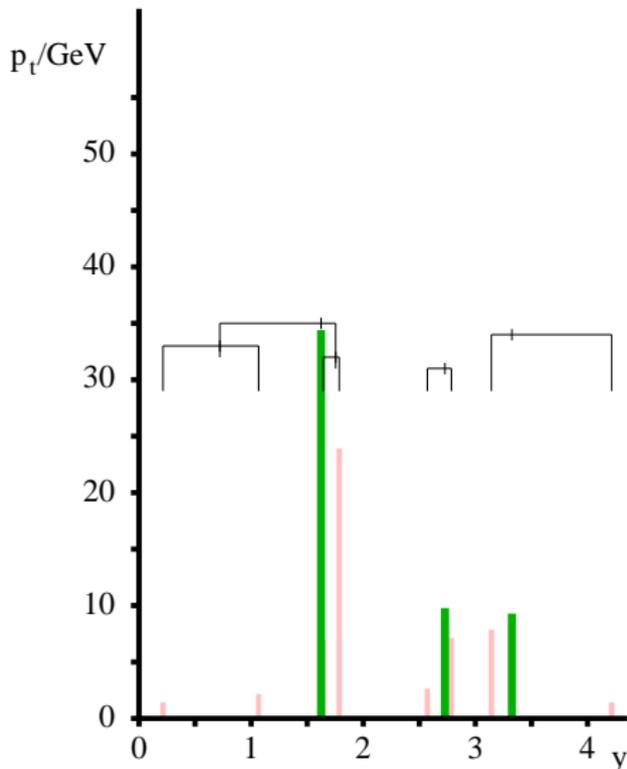
k_t clusters soft “junk” early on in the clustering

k_t algorithm d_{\min} is $d_{ij} = 13.5981$ 

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

k_t clusters soft “junk” early on in the clustering

k_t algorithm

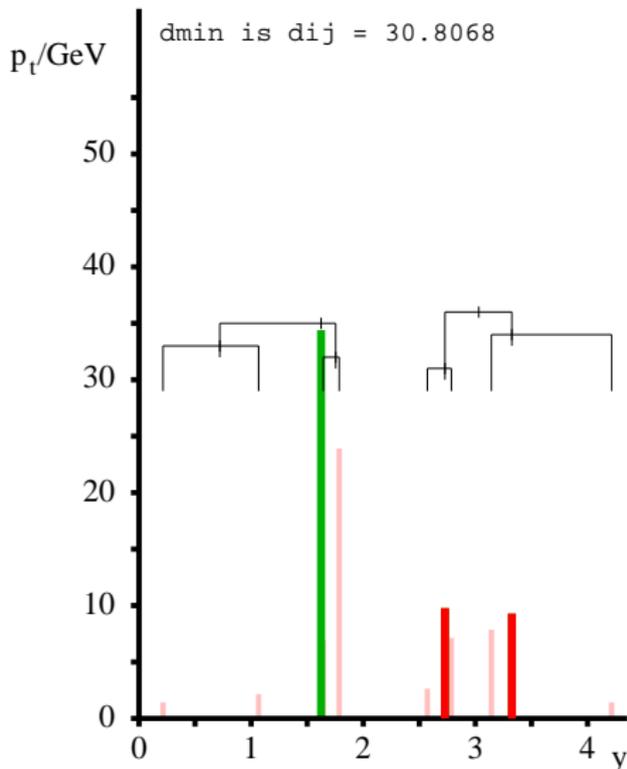
How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

k_t clusters soft “junk” early on in the clustering

k_t algorithm

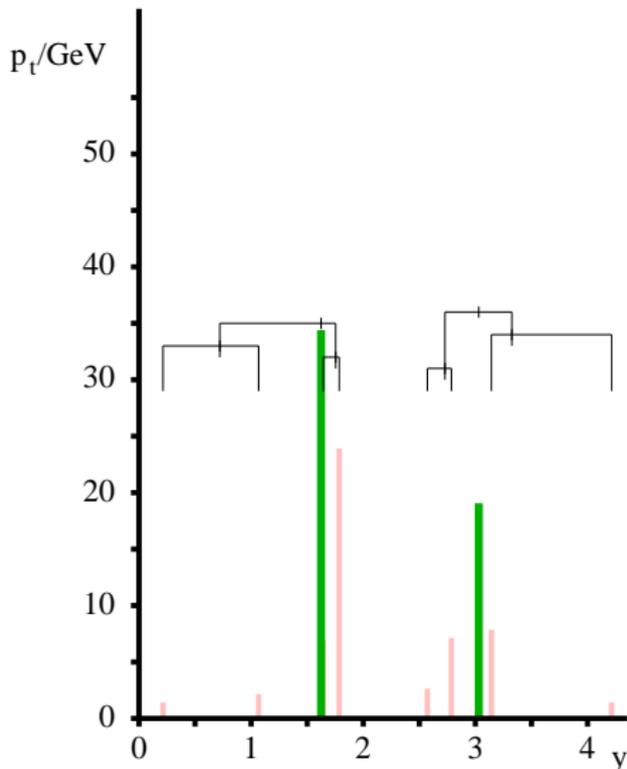
dmin is dij = 30.8068



How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

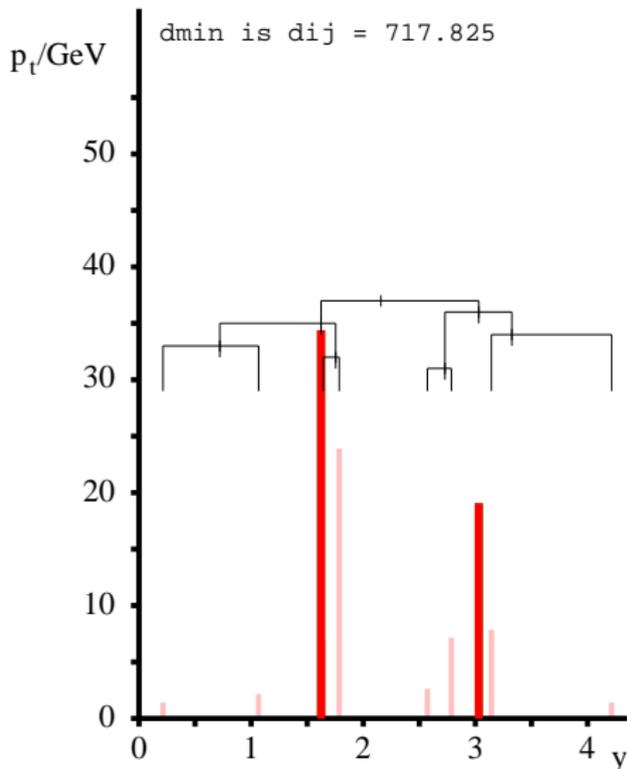
k_t clusters soft “junk” early on in the clustering

k_t algorithm

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

k_t clusters soft “junk” early on in the clustering

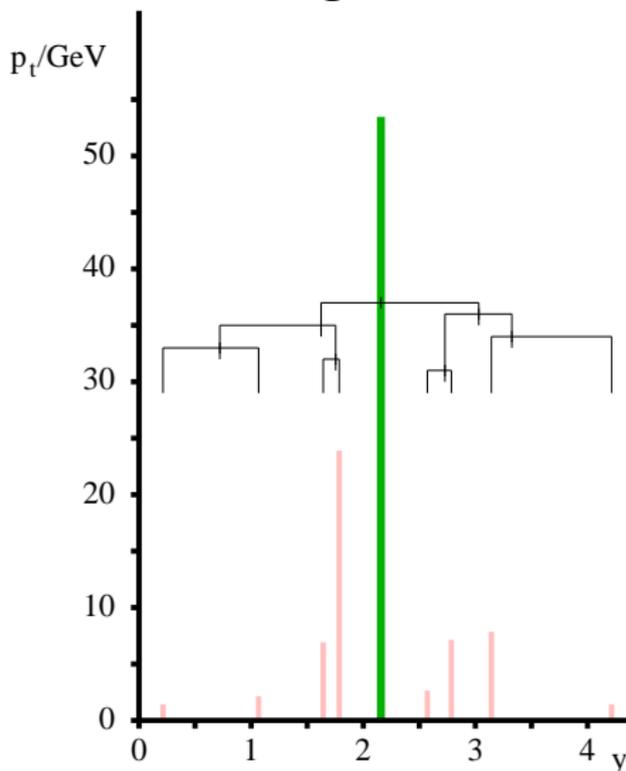
k_t algorithm d_{\min} is $d_{ij} = 717.825$ 

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

k_t clusters soft “junk” early on in the clustering

Its last step is to merge two hard pieces. Easily undone to identify underlying kinematics

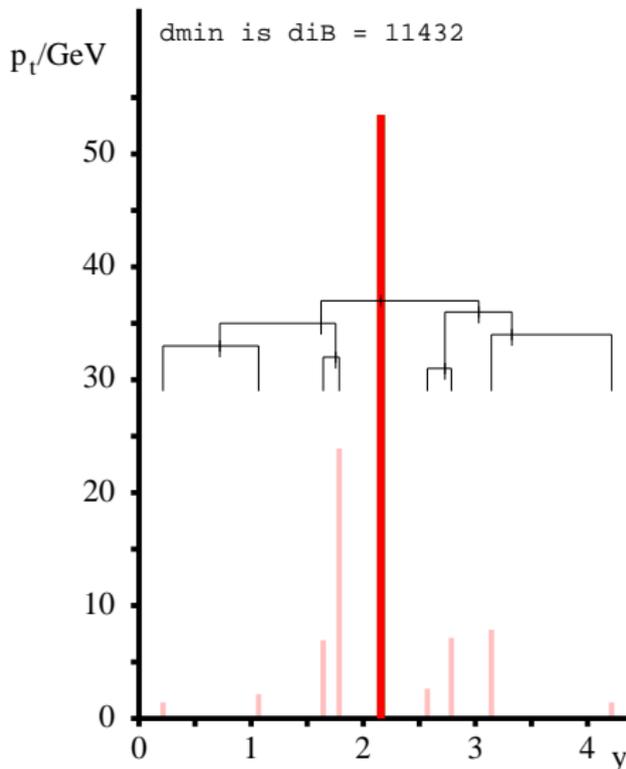
k_t algorithm

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

k_t clusters soft “junk” early on in the clustering

Its last step is to merge two hard pieces. Easily undone to identify underlying kinematics

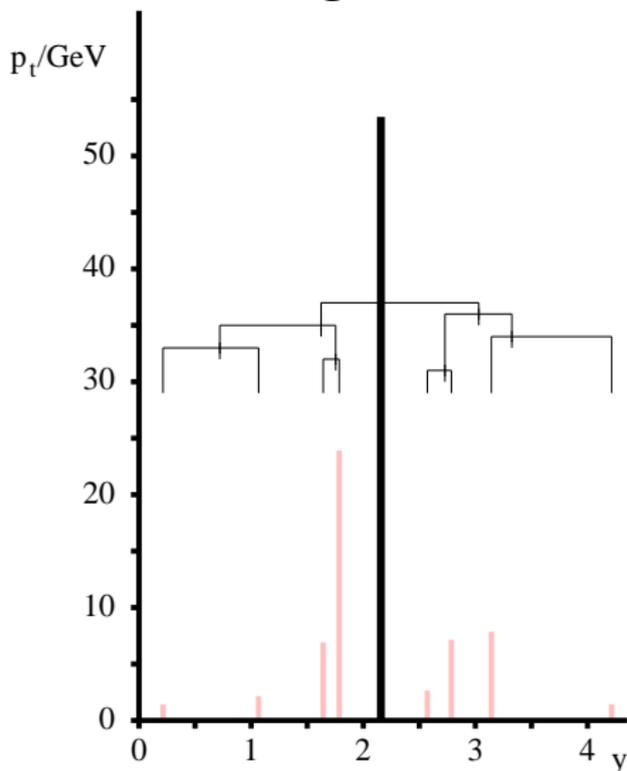
k_t algorithm d_{\min} is diB = 11432

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

k_t clusters soft “junk” early on in the clustering

Its last step is to merge two hard pieces. Easily undone to identify underlying kinematics

k_t algorithm

How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

This is crucial for identifying the kinematic variables of the partons in the jet (e.g. z).

k_t clusters soft “junk” early on in the clustering

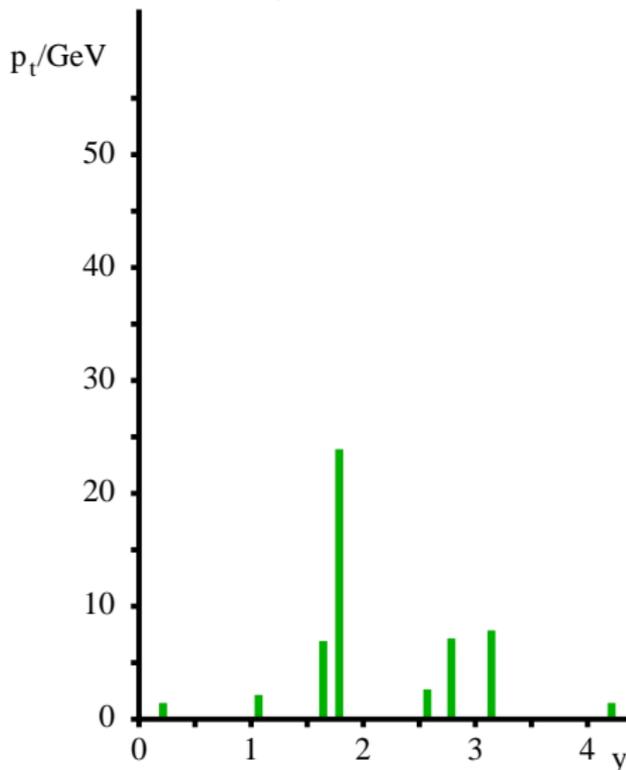
Its last step is to merge two hard pieces. Easily undone to identify underlying kinematics

This meant it was the first algorithm to be used for jet substructure.

Seymour '93

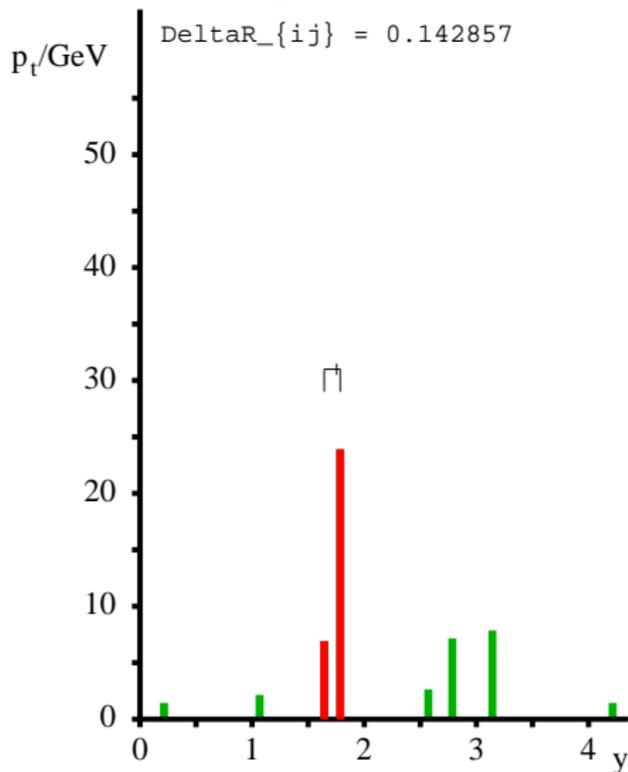
Butterworth, Cox & Forshaw '02

Cambridge/Aachen algorithm



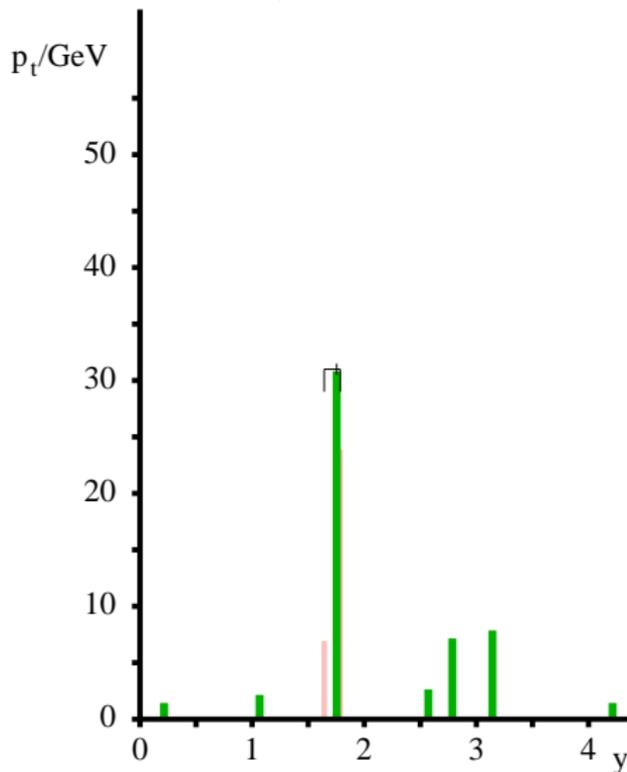
How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

Cambridge/Aachen algorithm



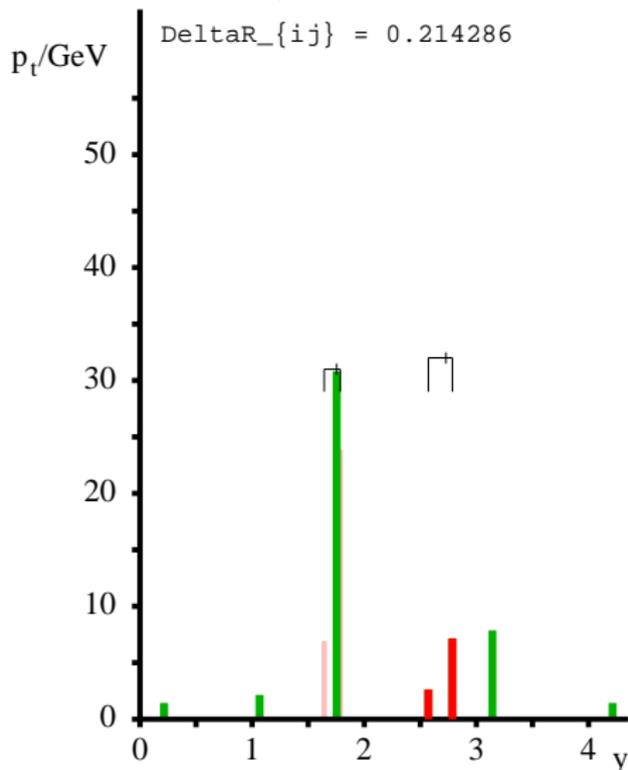
How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

Cambridge/Aachen algorithm



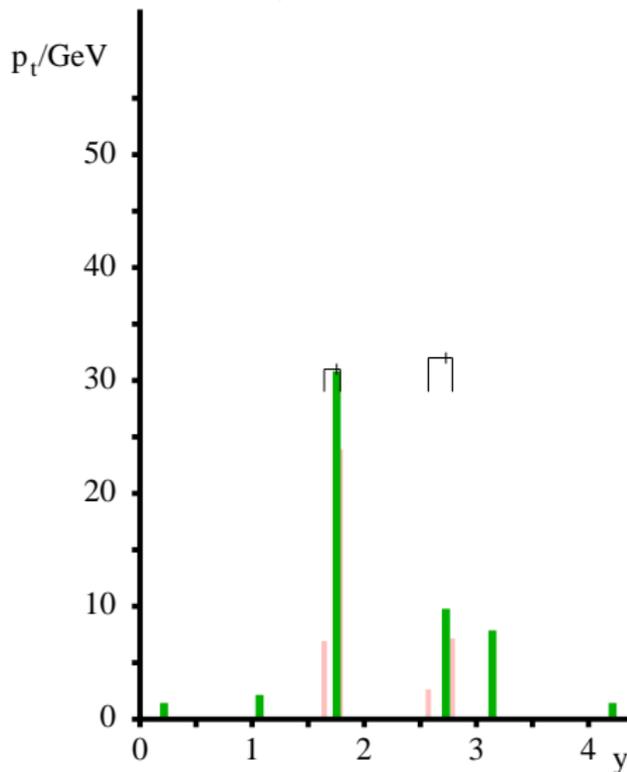
How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

Cambridge/Aachen algorithm



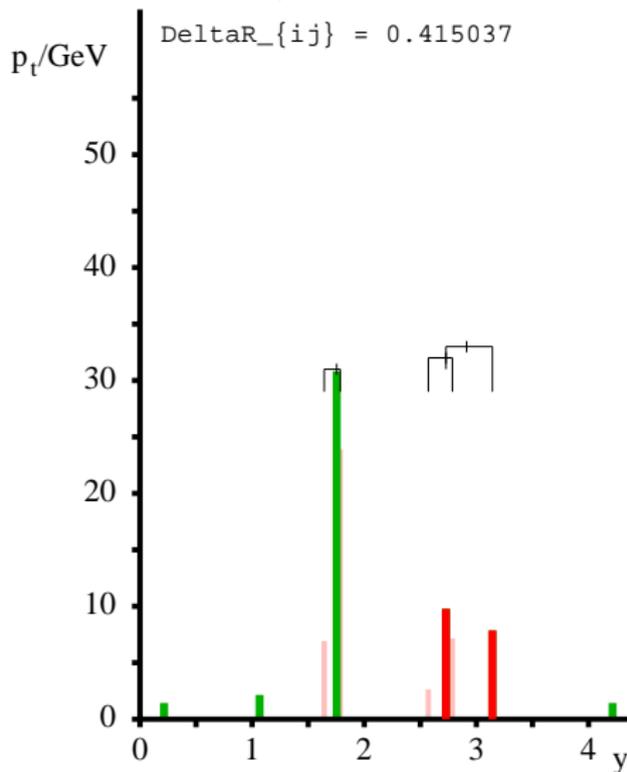
How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

Cambridge/Aachen algorithm



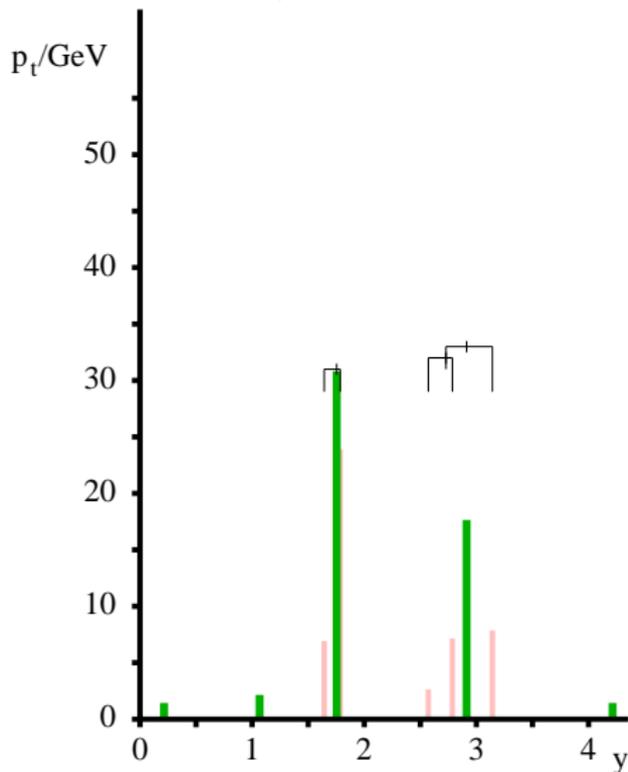
How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

Cambridge/Aachen algorithm



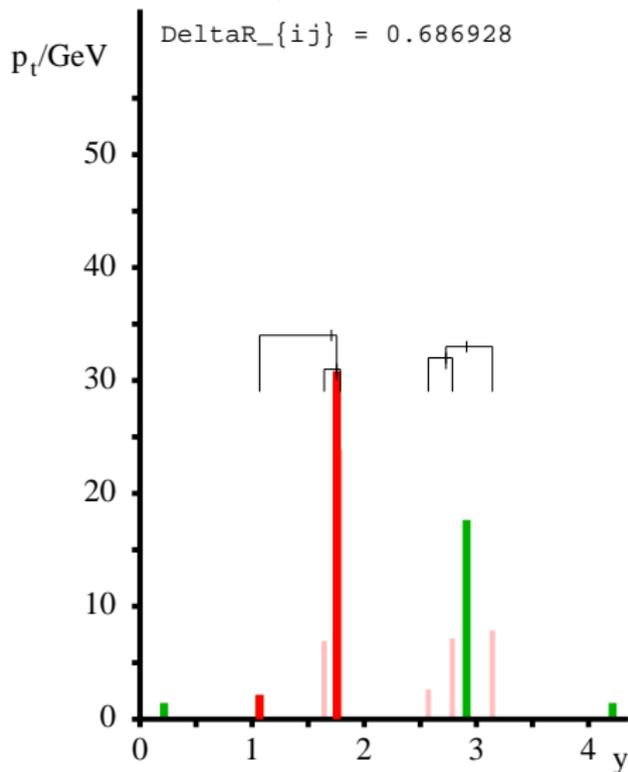
How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

Cambridge/Aachen algorithm



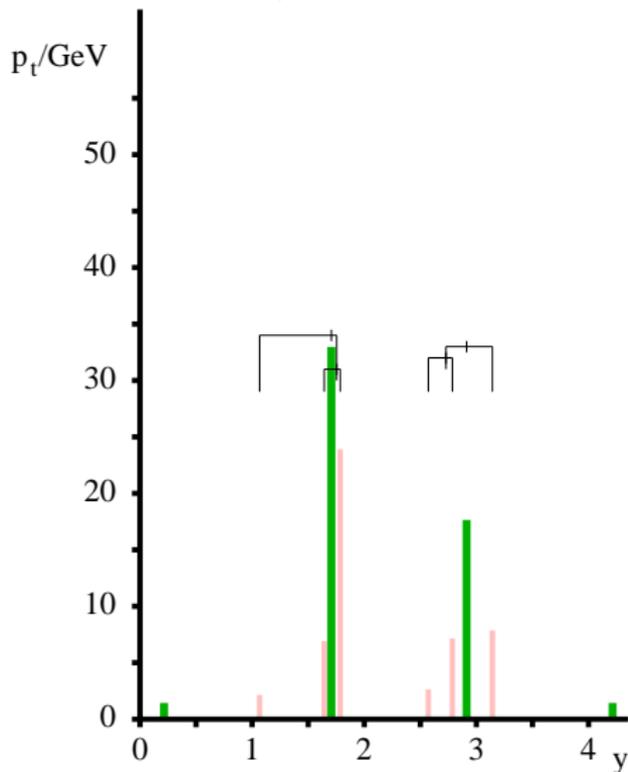
How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

Cambridge/Aachen algorithm



How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

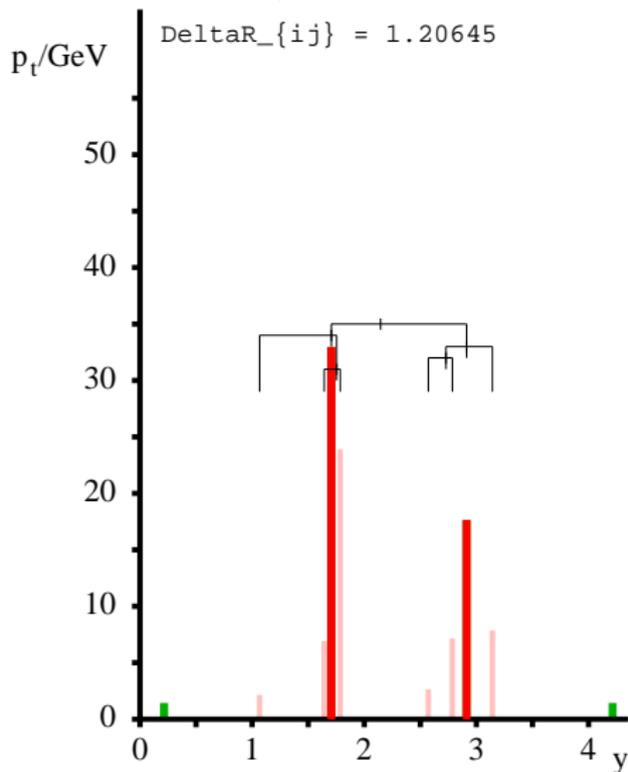
Cambridge/Aachen algorithm



How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

C/A identifies two hard blobs with limited soft contamination

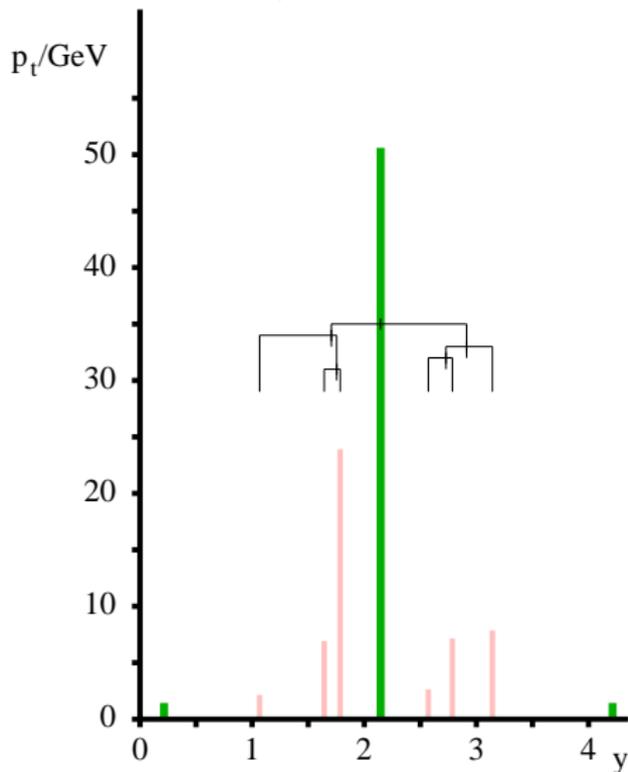
Cambridge/Aachen algorithm



How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

C/A identifies two hard blobs with limited soft contamination, **joins them**

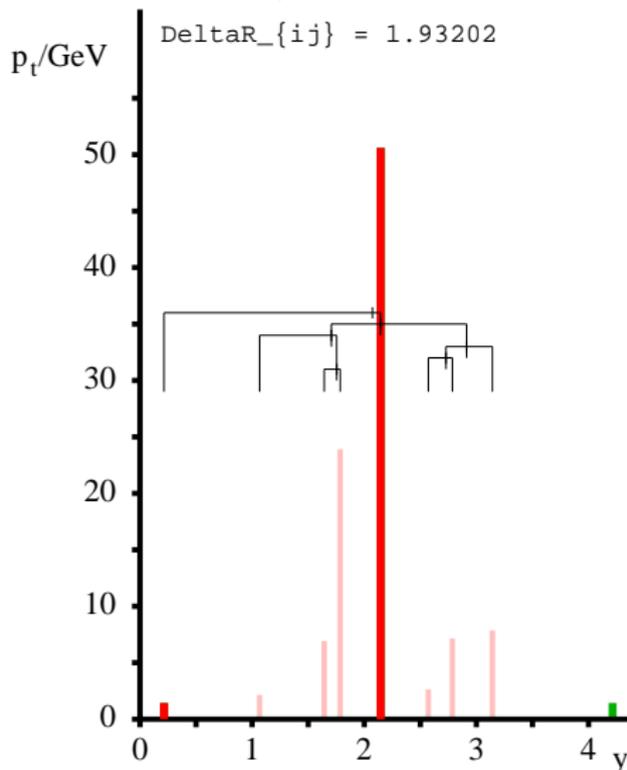
Cambridge/Aachen algorithm



How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

C/A identifies two hard blobs with limited soft contamination, joins them

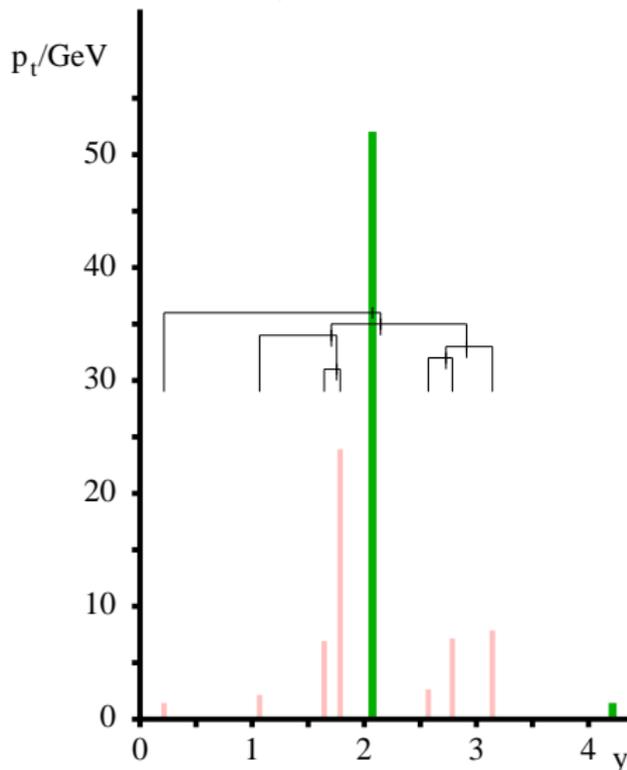
Cambridge/Aachen algorithm



How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

C/A identifies two hard blobs with limited soft contamination, joins them, and then adds in remaining soft junk

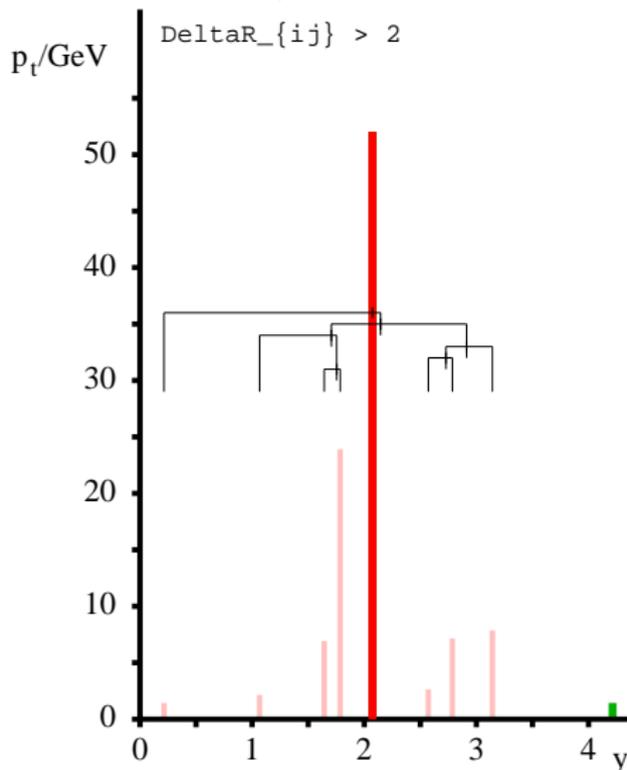
Cambridge/Aachen algorithm



How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

C/A identifies two hard blobs with limited soft contamination, joins them, and then adds in remaining soft junk

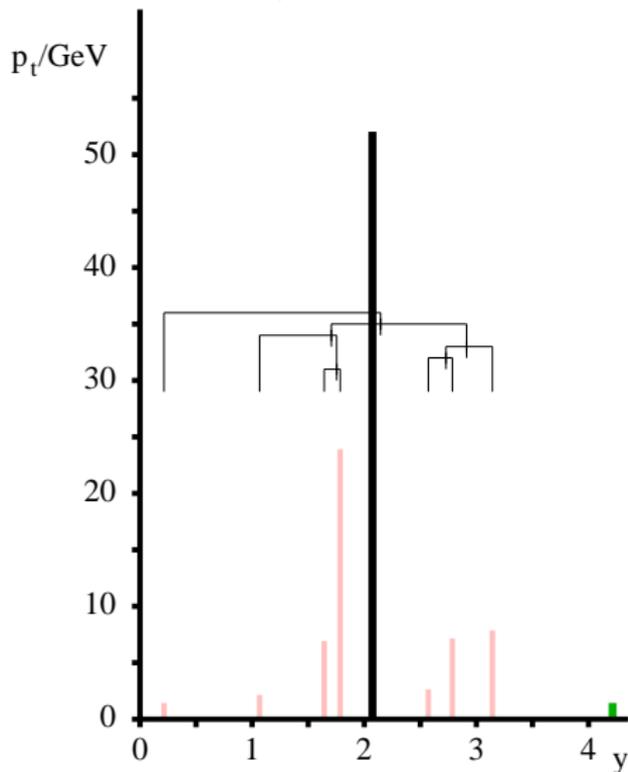
Cambridge/Aachen algorithm



How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

C/A identifies two hard blobs with limited soft contamination, joins them, and then adds in remaining soft junk

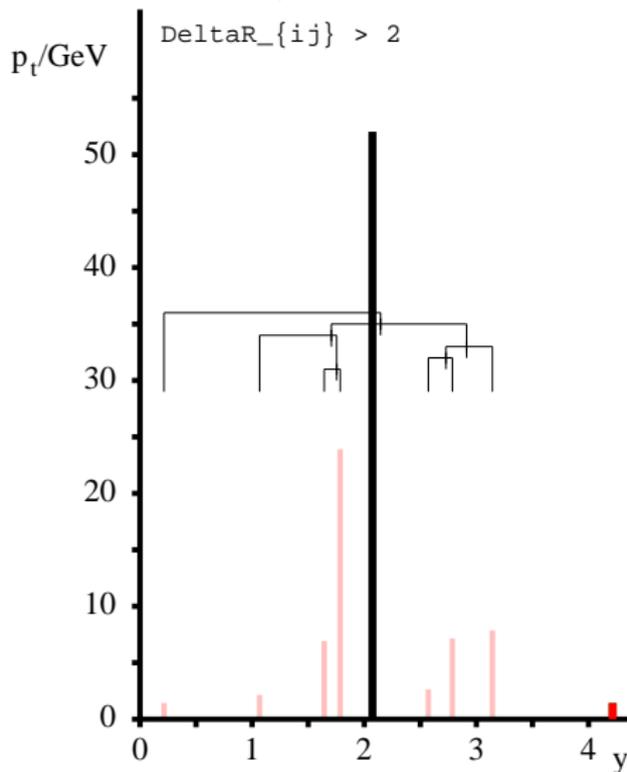
Cambridge/Aachen algorithm



How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

C/A identifies two hard blobs with limited soft contamination, joins them, and then adds in remaining soft junk

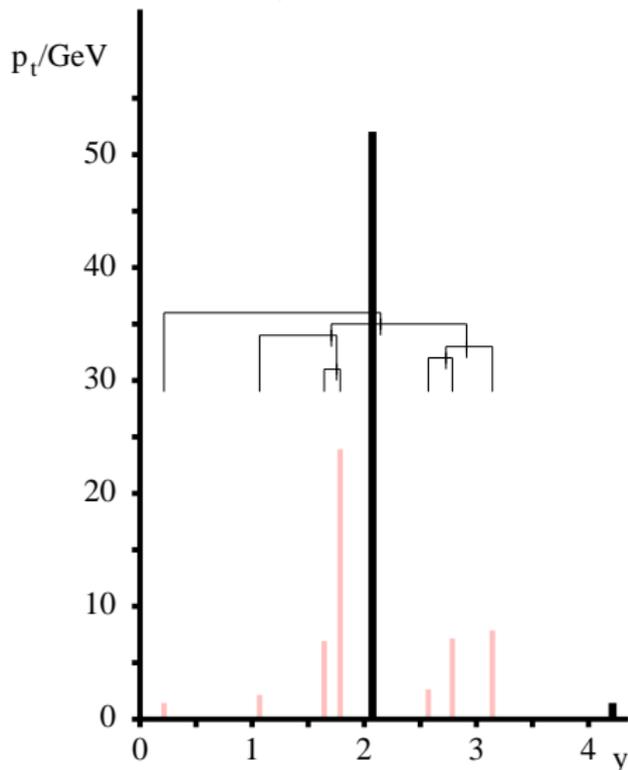
Cambridge/Aachen algorithm



How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

C/A identifies two hard blobs with limited soft contamination, joins them, and then adds in remaining soft junk

Cambridge/Aachen algorithm



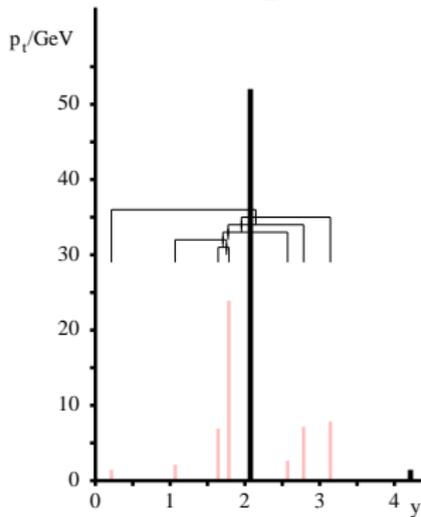
How well can an algorithm identify the “blobs” of energy inside a jet that come from different partons?

C/A identifies two hard blobs with limited soft contamination, joins them, and then adds in remaining soft junk

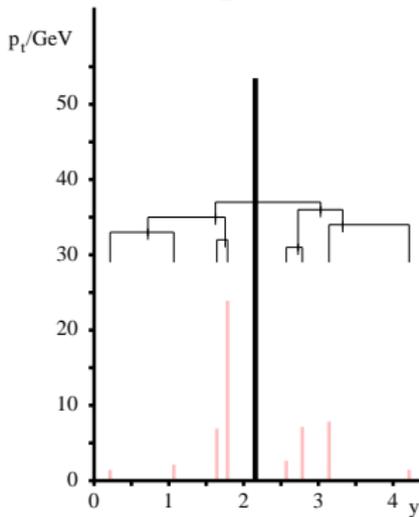
The interesting substructure is buried inside the clustering sequence — **it's less contaminated by soft junk, but needs to be pulled out with special techniques**

Butterworth, Davison, Rubin & GPS '08
 Kaplan, Schwartz, Reherman & Tweedie '08
 Butterworth, Ellis, Rubin & GPS '09
 Ellis, Vermilion & Walsh '09

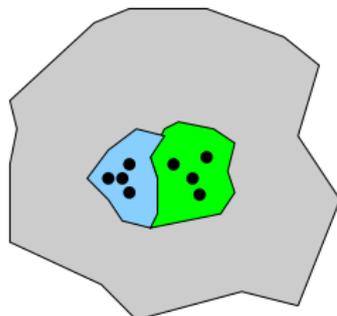
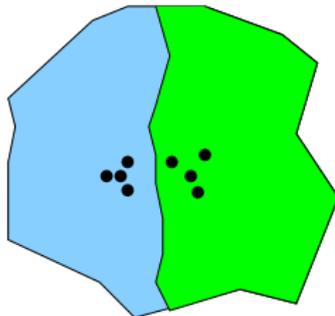
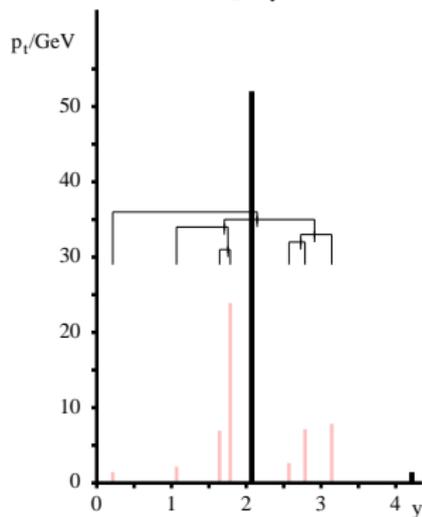
anti- k_t algorithm

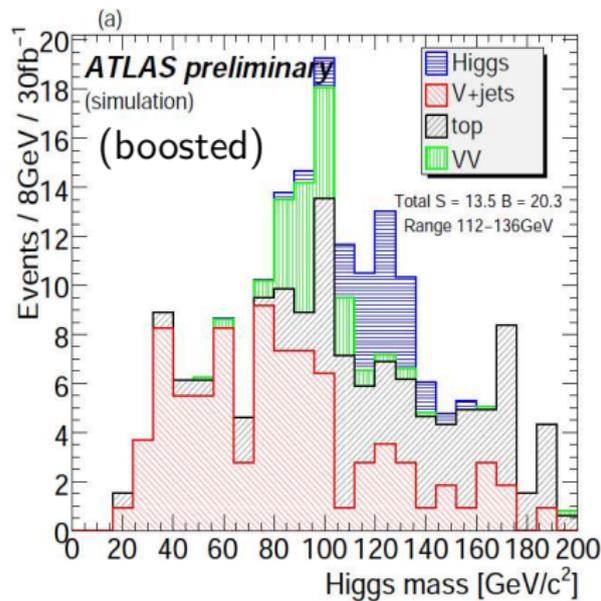
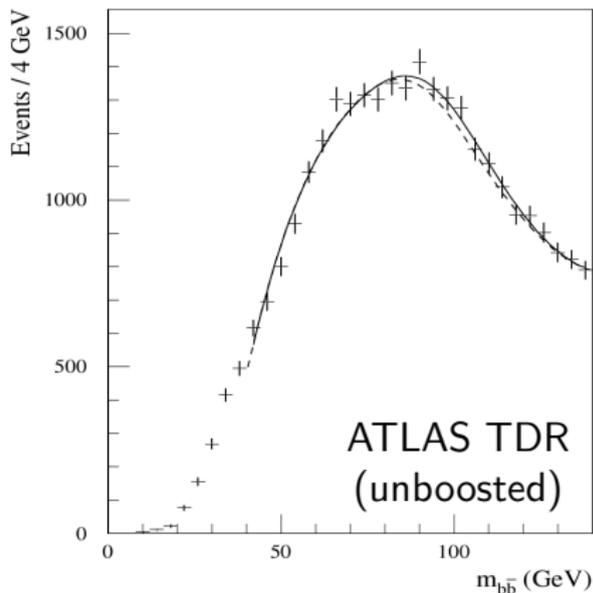


k_t algorithm

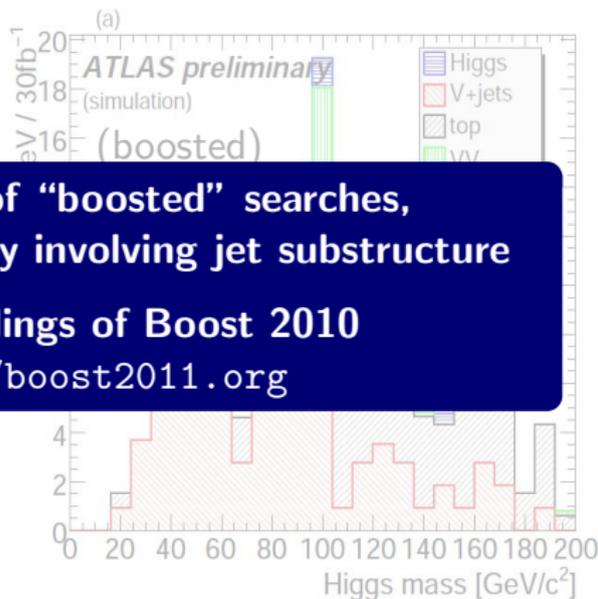


Cambridge/Aachen



Search for main decay of light Higgs boson in $W/Z+H$, $H \rightarrow b\bar{b}$ 

restricting search to $p_{tH} > 200$ GeV
 using the method from Butterworth, Davison, Rubin & GPS '08

Search for main decay of light Higgs boson in $W/Z+H$, $H \rightarrow b\bar{b}$ 

One of many applications of “boosted” searches, using variety of techniques, many involving jet substructure

See proceedings proceedings of Boost 2010 and talks at <http://boost2011.org>



restricting search to $p_{tH} > 200 \text{ GeV}$

using the method from Butterworth, Davison, Rubin & GPS '08

Closing

LHC events will cover 2 orders of magnitude in jet p_t

Flexibility in the choice of jet definitions has potential to bring significant gains

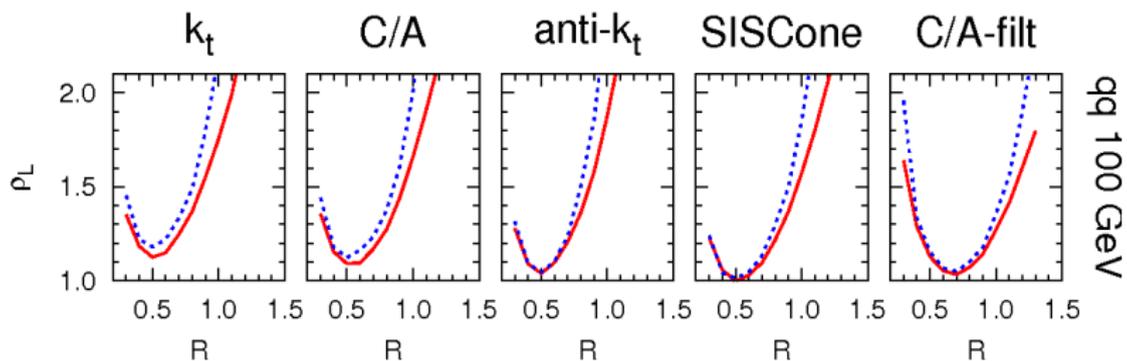
[there is no unique best definition;
anti- k_t with $R = 0.5$ or 0.6 will sometimes be far from optimal]

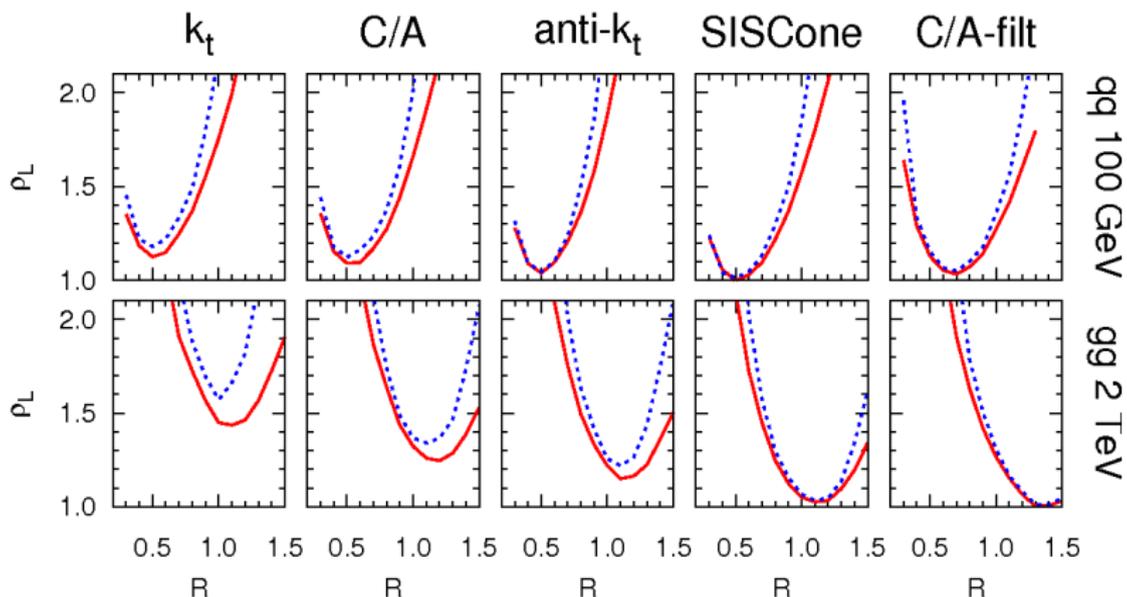
EW-scale particles are “light” relative to the TeV scale

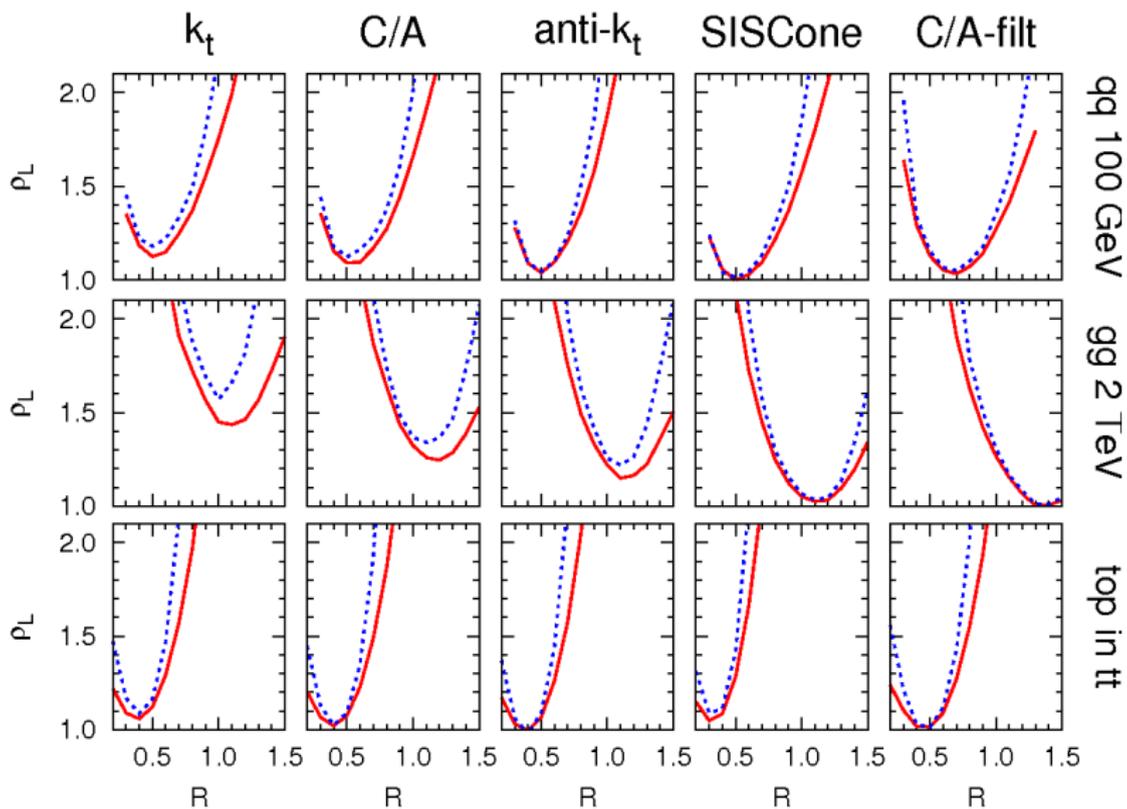
Using the full power of jet algorithms & their substructure helps pull out signals that might otherwise be missed

[currently a very active research field]

EXTRAS







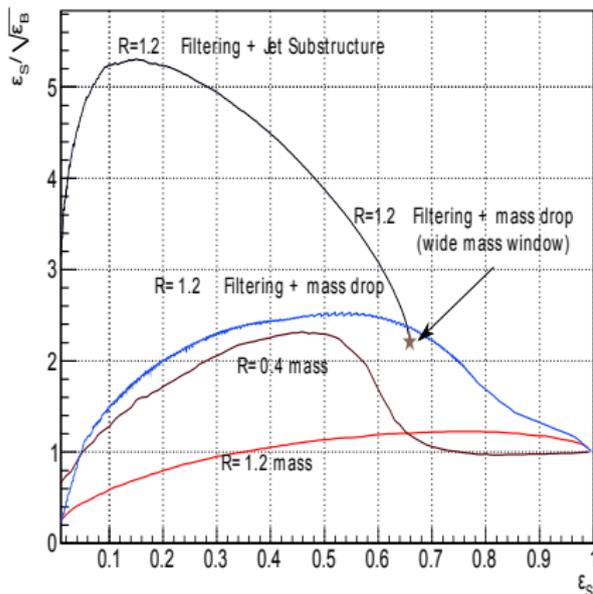
- ▶ Using matrix-element methods for the substructure Done analytically
Soper & Spannowsky '11
Most "physically interesting"
- ▶ Using jet shapes. E.g. subjettiness: break a jet into subjets 1, 2, ... N

$$S_N = \frac{1}{p_t} \sum_i p_{ti} \min(\delta R_{i1}, \dots, \delta R_{iN})$$

J-H Kim '10; Thaler & Van Tilburg '10

- ▶ Using boosted decision trees
Cui, Han & Schwartz '10; seems powerful

Cui et al BDT v. BRDS



Biggest improvements are to be had at moderate signal efficiencies

Conclusion from Boost 2010 comparison study of top taggers
The method to be adopted depends on the signal efficiency you want

Pileup

high $p_t \rightarrow$ requires high lumi \rightarrow high pileup

28/03/2011

LHC 8:30 meeting

2011 Records



3.5 TeV

Items in red are records set in the past week

Peak Stable Luminosity Delivered	2.49x10 ³²	Fill 1645	11/03/22, 17:12
Maximum Peak Events per Bunch Crossing	13.08	Fill 1644	11/03/22, 02:20
Maximum Average Events per Bunch Crossing	8.93	Fill 1644	11/03/22, 02:20

$\gtrsim 10$ events per bunch crossing
 $\mathcal{O}(10 \text{ GeV})$ of extra p_t per jet, with large fluctuations

$$p_{t,jet}^{\text{subtracted}} = p_{t,jet} - \rho \times A_{jet}$$

Cacciari, GPS & Soyez '08

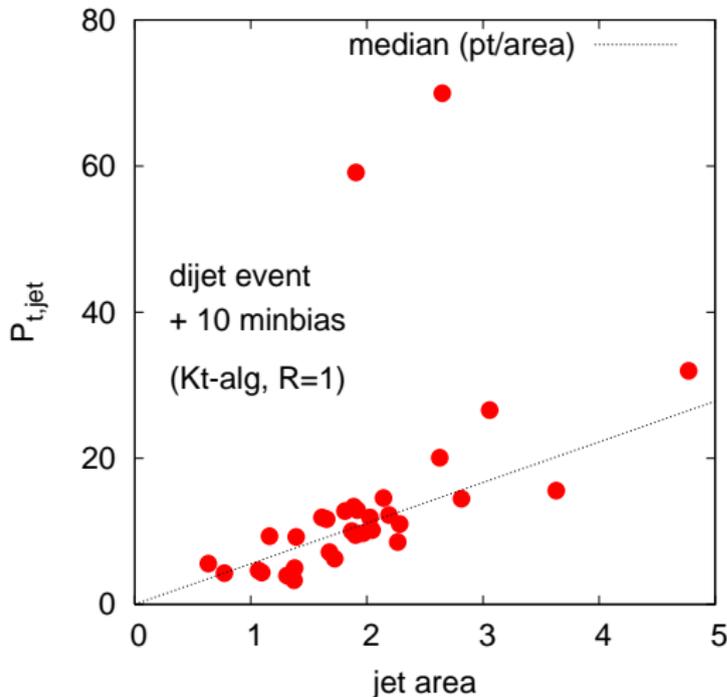
A_{jet} = jet area

ρ = p_t per unit area from pileup
(or “background”)

This procedure is intended to be common to pp ($\rho \sim 1-2$ GeV), pp with pileup ($\rho \sim 2-15$ GeV) and Heavy-Ion collisions ($\rho \sim 100-300$ GeV)

**As proposed so far: jet-by-jet area determination,
event-by-event ρ determination**

IN A SINGLE EVENT



Most jets in event are “background”

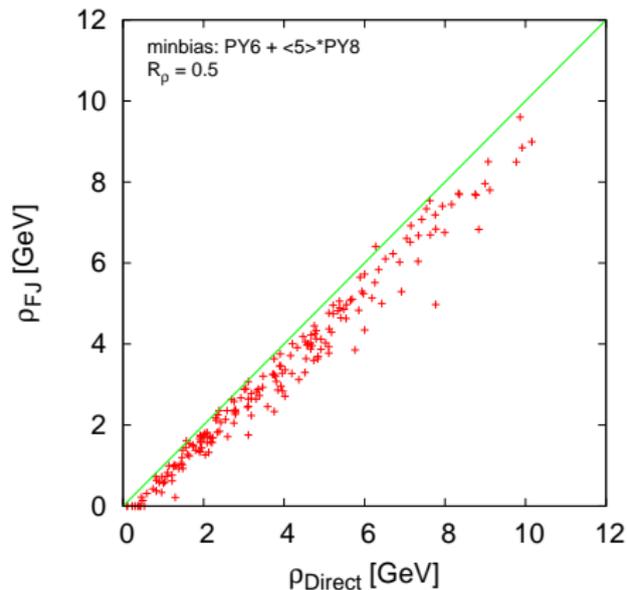
Their p_t is correlated with their area.

Estimate ρ :

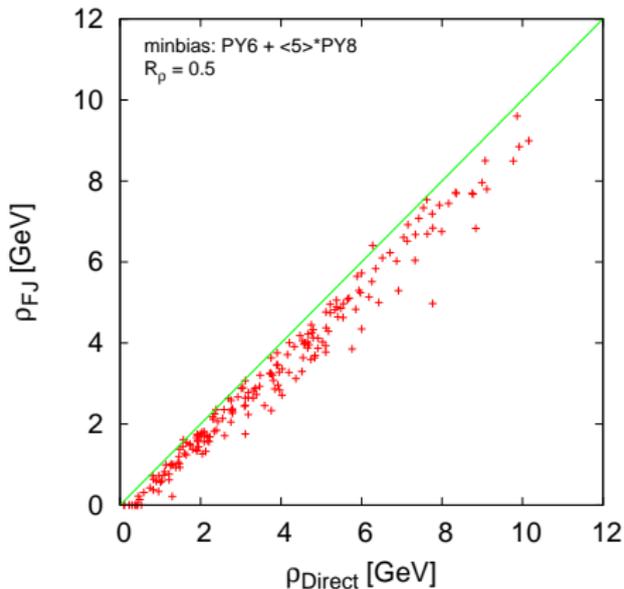
$$\rho \simeq \text{median}_{\{jets\}} \left[\frac{p_{t,jet}}{A_{jet}} \right]$$

Median limits bias
 from hard jets
 Cacciari & GPS '07

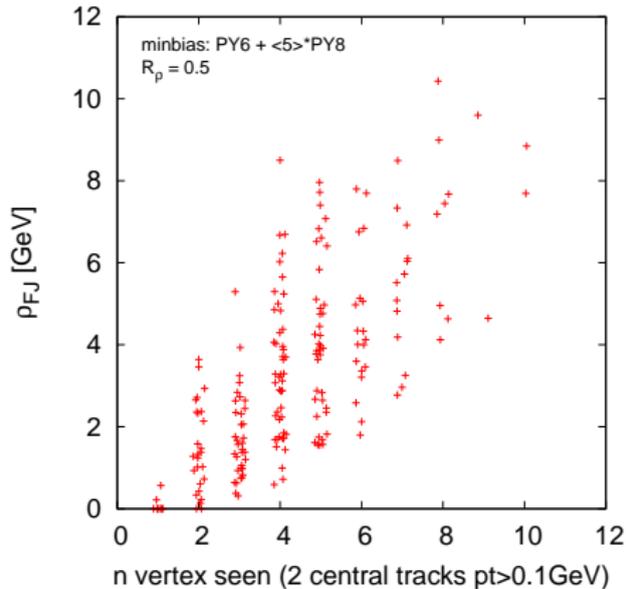
Compare FastJet median ρ to Monte Carlo truth (ρ_{Direct})



Compare FastJet median ρ to Monte Carlo truth (ρ_{Direct})



Works much better than counting primary vertices



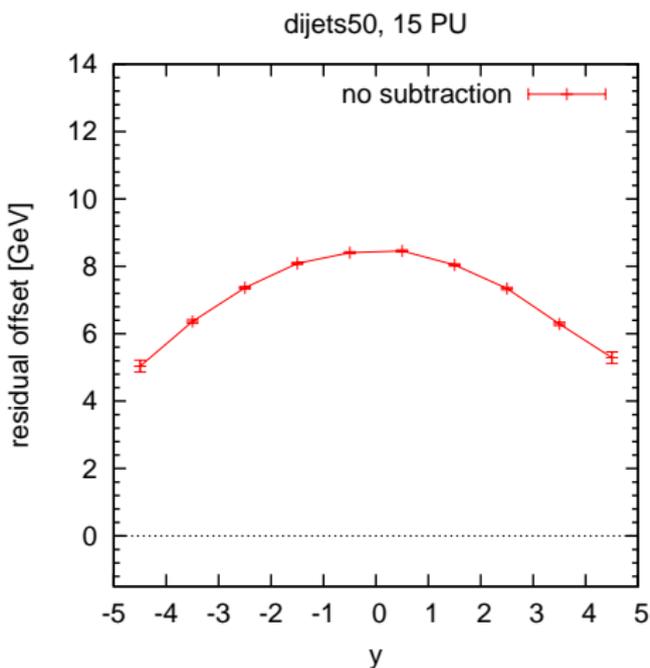
The original method assumed rapidity dependence was small

- ▶ In some sense it is, $\lesssim 1.5$ GeV
- ▶ Measure ρ globally, and include a rapidity-dependent rescaling

$$p_t^{sub} = p_t - f(y)\rho A$$

determine $f(y)$ from min-bias

- ▶ Measure ρ "locally" in strips of $|\Delta y| < 1.5$



Conclusion: global ρ determination with fixed rapidity-dependent rescaling is probably the most effective choice

The original method assumed rapidity dependence was small

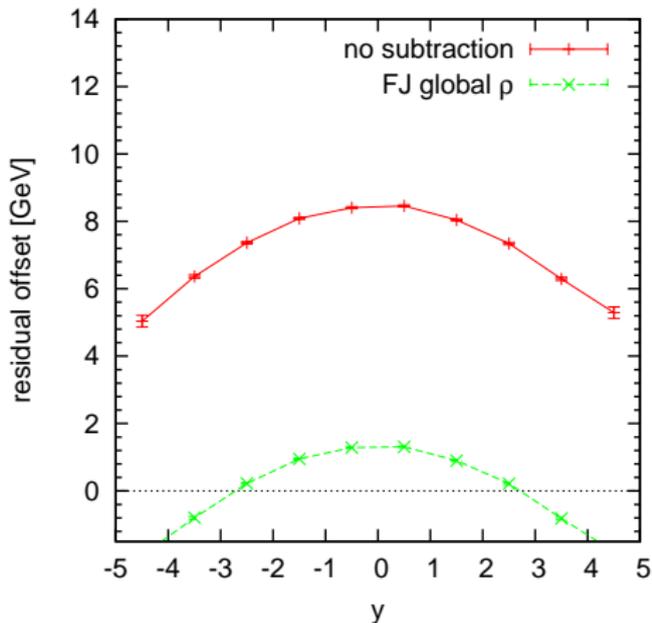
- ▶ In some sense it is, $\lesssim 1.5$ GeV
- ▶ Measure ρ globally, and include a rapidity-dependent rescaling

$$p_t^{sub} = p_t - f(y)\rho A$$

determine $f(y)$ from min-bias

- ▶ Measure ρ “locally” in strips of $|\Delta y| < 1.5$

dijets50, 15 PU



Conclusion: global ρ determination with fixed rapidity-dependent rescaling is probably the most effective choice

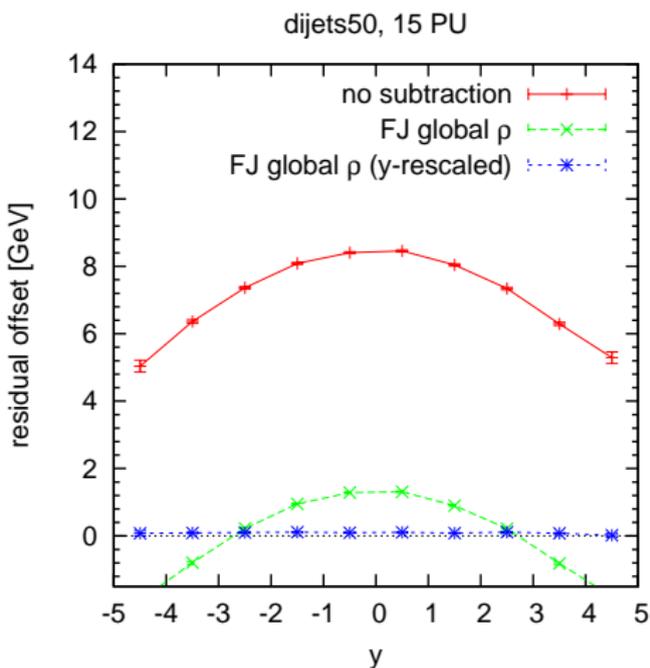
The original method assumed rapidity dependence was small

- ▶ In some sense it is, $\lesssim 1.5$ GeV
- ▶ Measure ρ globally, and include a rapidity-dependent rescaling

$$p_t^{sub} = p_t - f(y)\rho A$$

determine $f(y)$ from min-bias

- ▶ Measure ρ "locally" in strips of $|\Delta y| < 1.5$



Conclusion: global ρ determination with fixed rapidity-dependent rescaling is probably the most effective choice

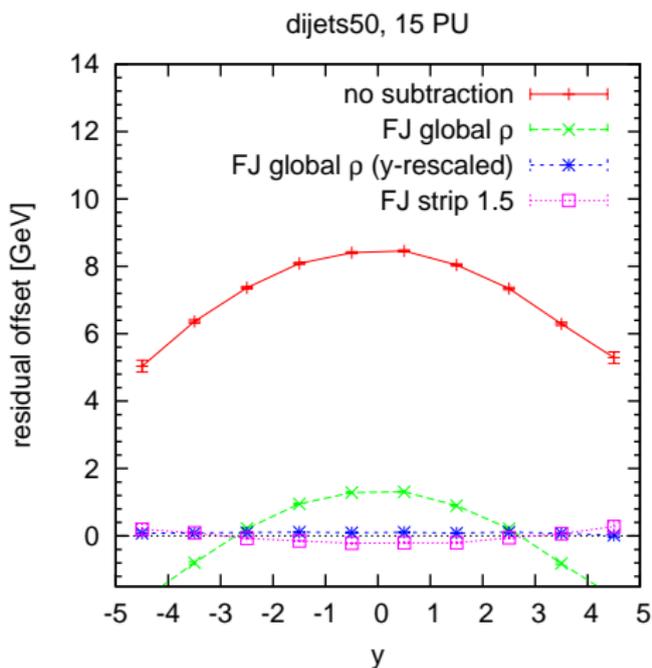
The original method assumed rapidity dependence was small

- ▶ In some sense it is, $\lesssim 1.5$ GeV
- ▶ Measure ρ globally, and include a rapidity-dependent rescaling

$$p_t^{sub} = p_t - f(y)\rho A$$

determine $f(y)$ from min-bias

- ▶ Measure ρ “locally” in strips of $|\Delta y| < 1.5$



Conclusion: global ρ determination with fixed rapidity-dependent rescaling is probably the most effective choice

The original method assumed rapidity dependence was small

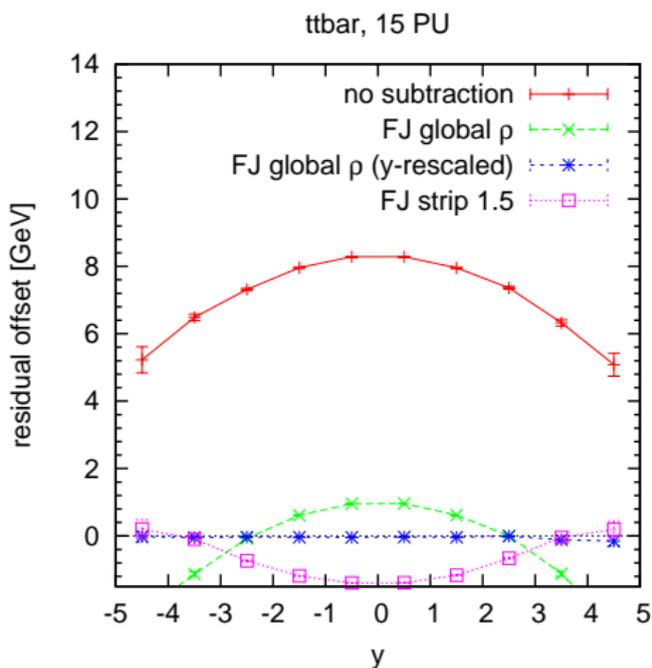
- ▶ In some sense it is, $\lesssim 1.5$ GeV
- ▶ Measure ρ globally, and include a rapidity-dependent rescaling

$$p_t^{sub} = p_t - f(y)\rho A$$

determine $f(y)$ from min-bias

- ▶ Measure ρ “locally” in strips of $|\Delta y| < 1.5$

But lower number of total jets more biased by hard jets (e.g. $t\bar{t}$)



Conclusion: global ρ determination with fixed rapidity-dependent rescaling is probably the most effective choice

The original method assumed rapidity dependence was small

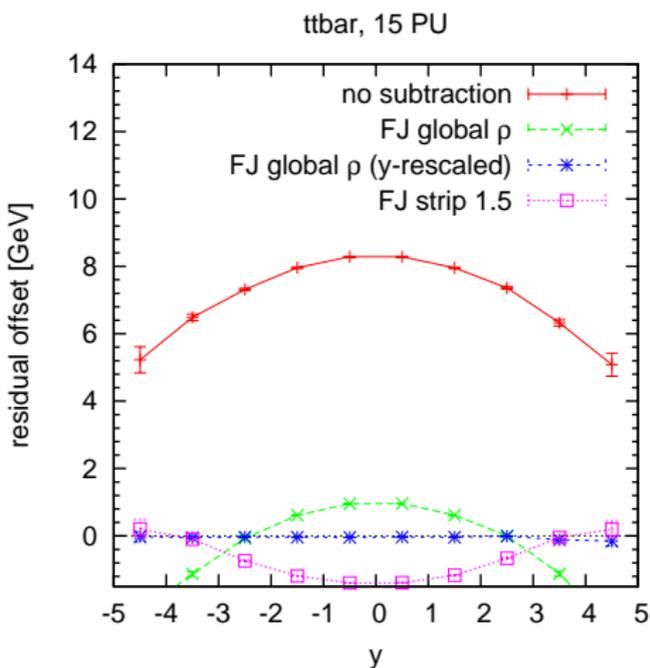
- ▶ In some sense it is, $\lesssim 1.5$ GeV
- ▶ Measure ρ globally, and include a rapidity-dependent rescaling

$$p_t^{sub} = p_t - f(y)\rho A$$

determine $f(y)$ from min-bias

- ▶ Measure ρ “locally” in strips of $|\Delta y| < 1.5$

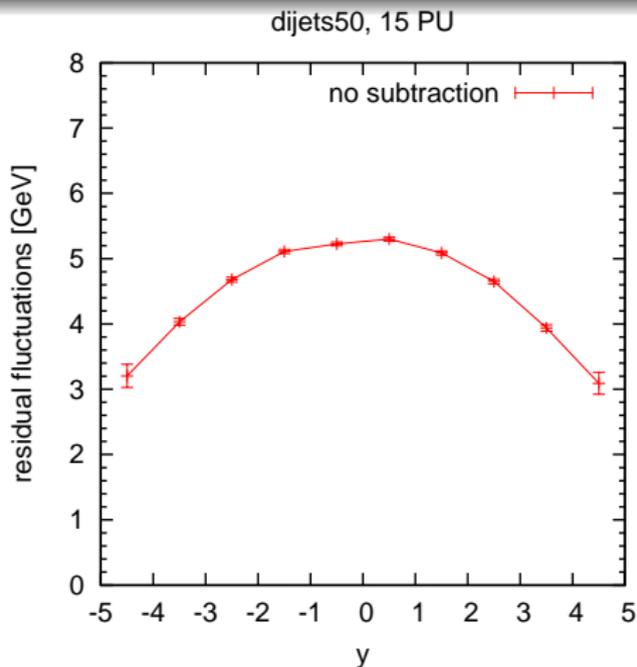
But lower number of total jets more biased by hard jets (e.g. $t\bar{t}$)



Conclusion: global ρ determination with fixed rapidity-dependent rescaling is probably the most effective choice

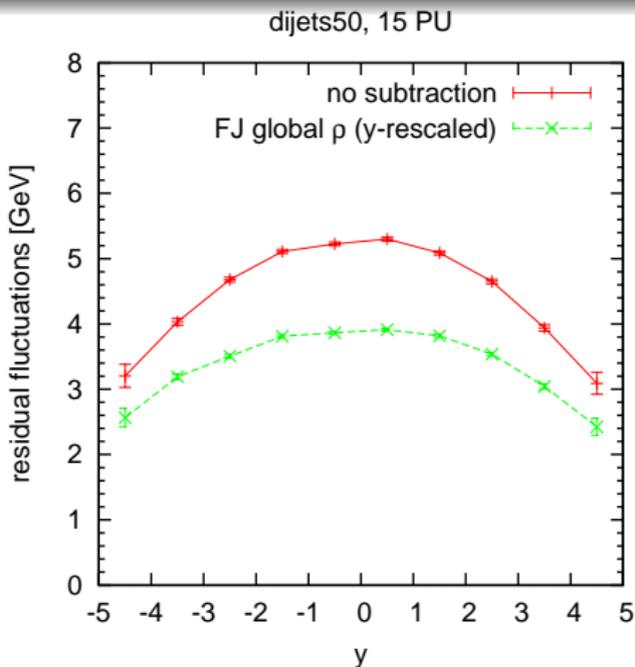
Dispersion of offset gives another measure of the subtraction “quality”

- ▶ several GeV without subtraction
- ▶ only partially reduced with FJ subtraction
- ▶ alternative: use PF to remove PU charged tracks in each jet if PU is in-time
- ▶ scaling PU charged track in the jet to correct also for neutrals



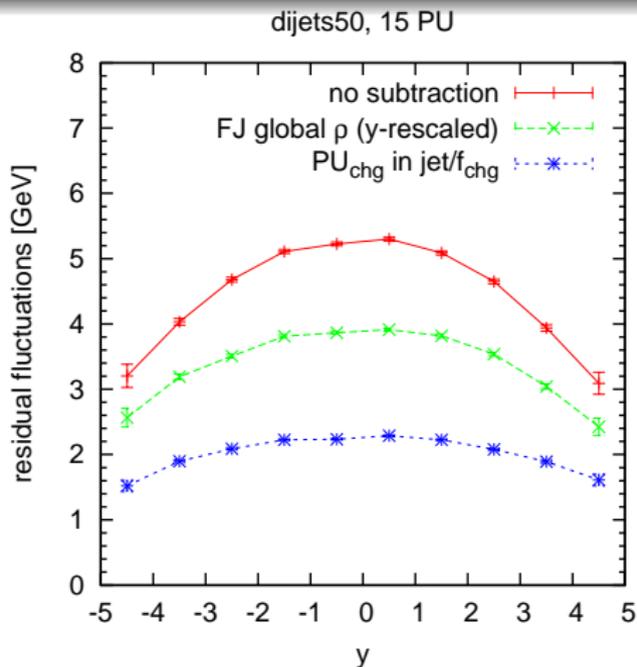
Dispersion of offset gives another measure of the subtraction “quality”

- ▶ several GeV without subtraction
- ▶ only partially reduced with FJ subtraction
- ▶ alternative: use PF to remove PU charged tracks in each jet if PU is in-time
- ▶ scaling PU charged track in the jet to correct also for neutrals
- ▶ or supplementing with FJ subtraction for the neutrals better still



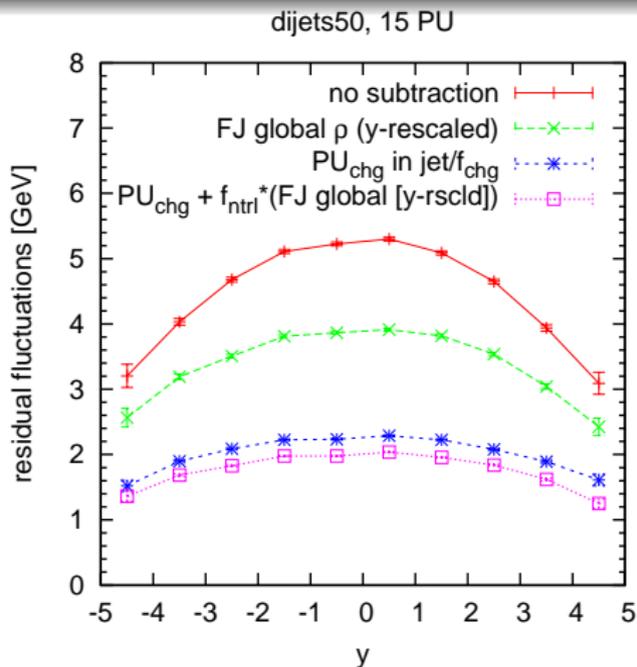
Dispersion of offset gives another measure of the subtraction “quality”

- ▶ several GeV without subtraction
- ▶ only partially reduced with FJ subtraction
- ▶ alternative: use PF to remove PU charged tracks in each jet
if PU is in-time
- ▶ scaling PU charged track in the jet to correct also for neutrals
- ▶ or supplementing with FJ subtraction for the neutrals
better still



Dispersion of offset gives another measure of the subtraction “quality”

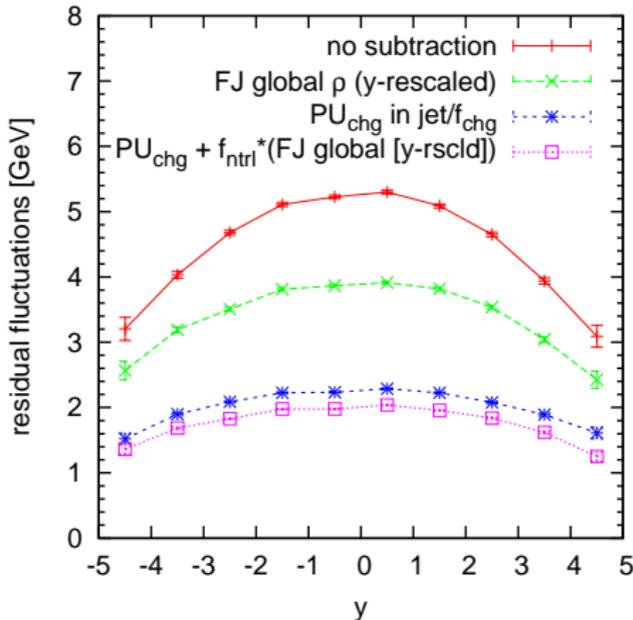
- ▶ several GeV without subtraction
- ▶ only partially reduced with FJ subtraction
- ▶ alternative: use PF to remove PU charged tracks in each jet
if PU is in-time
- ▶ scaling PU charged track in the jet to correct also for neutrals
- ▶ or supplementing with FJ subtraction for the neutrals
better still



Dispersion of offset gives another measure of the subtraction “quality”

- ▶ several GeV without subtraction
- ▶ only partially reduced with FJ subtraction
- ▶ alternative: use PF to remove PU charged tracks in each jet
if PU is in-time
- ▶ scaling PU charged track in the jet to correct also for neutrals
- ▶ or supplementing with FJ subtraction for the neutrals
better still

dijets50, 15 PU



Direct knowledge of PU from tracks
can be beneficial

Detector impact harder to judge

Fat-jet studies need more than just the jet p_t . E.g. **jet mass**

There are methods to limit PU sensitivity of jet masses.

Filtering: Butterworth et al '08

Pruning: Ellis et al '09

Trimming: Thaler et al '09

4-vector subtraction can also help

$$p_\mu^{(sub)} = p_\mu - f(y)\rho A_\mu$$

“Automatically” corrects mass
as long as hadron masses set to zero

Many more things can be corrected for PU beyond jet p_t
Tests are still in v. early stages / drawing board

Fat-jet studies need more than just the jet p_t . E.g. **jet mass**

There are methods to limit PU sensitivity of jet masses.

Filtering: Butterworth et al '08

Pruning: Ellis et al '09

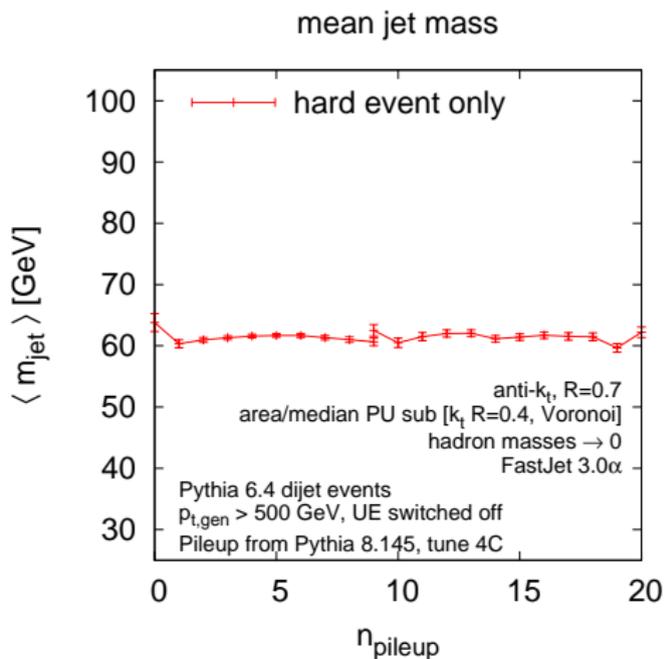
Trimming: Thaler et al '09

4-vector subtraction can also help

$$p_{\mu}^{(sub)} = p_{\mu} - f(y)\rho A_{\mu}$$

“Automatically” corrects mass

as long as hadron masses set to zero



Many more things can be corrected for PU beyond jet p_t
 Tests are still in v. early stages / drawing board

Fat-jet studies need more than just the jet p_t . E.g. **jet mass**

There are methods to limit PU sensitivity of jet masses.

Filtering: Butterworth et al '08

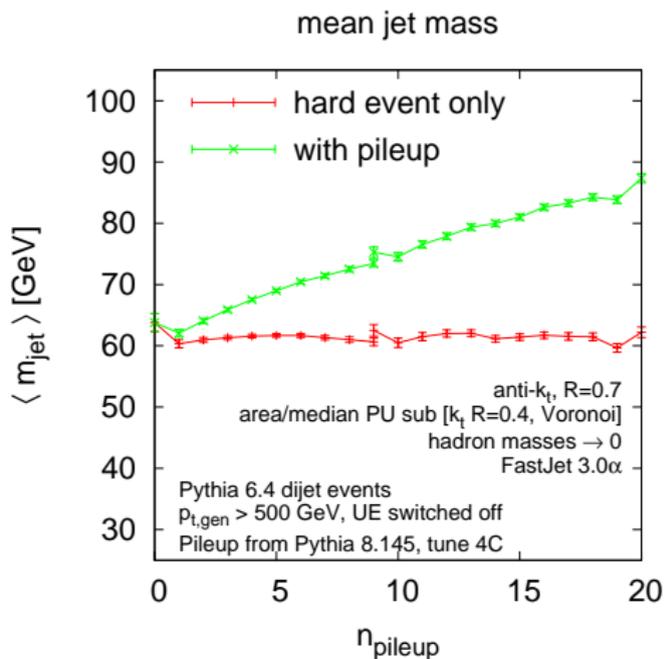
Pruning: Ellis et al '09

Trimming: Thaler et al '09

4-vector subtraction can also help

$$p_{\mu}^{(sub)} = p_{\mu} - f(y)\rho A_{\mu}$$

“Automatically” corrects mass
 as long as hadron masses set to zero



Many more things can be corrected for PU beyond jet p_t
 Tests are still in v. early stages / drawing board

Fat-jet studies need more than just the jet p_t . E.g. **jet mass**

There are methods to limit PU sensitivity of jet masses.

Filtering: Butterworth et al '08

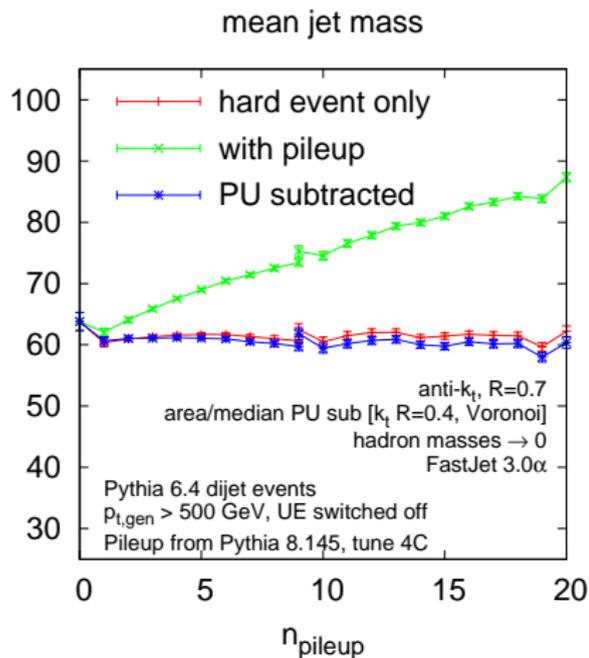
Pruning: Ellis et al '09

Trimming: Thaler et al '09

4-vector subtraction can also help

$$p_{\mu}^{(sub)} = p_{\mu} - f(y)\rho A_{\mu}$$

“Automatically” corrects mass
 as long as hadron masses set to zero



Many more things can be corrected for PU beyond jet p_t
 Tests are still in v. early stages / drawing board

Fat-jet studies need more than just the jet p_t . E.g. **jet mass**

There are methods to limit PU sensitivity of jet masses.

Filtering: Butterworth et al '08

Pruning: Ellis et al '09

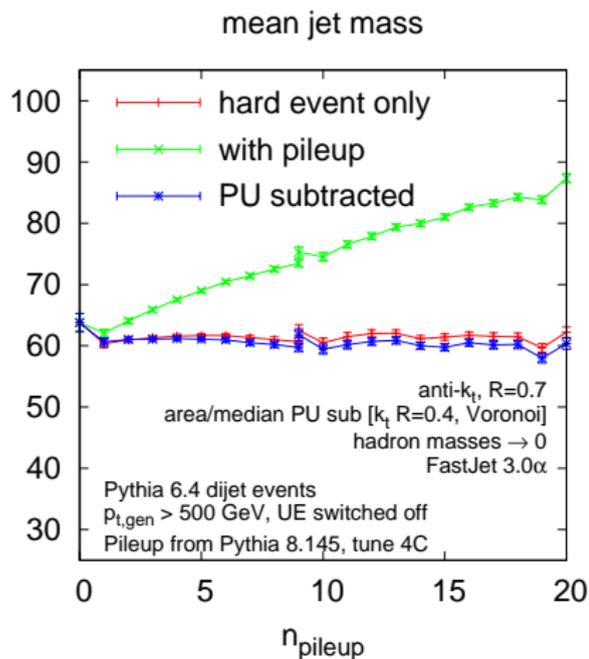
Trimming: Thaler et al '09

4-vector subtraction can also help

$$p_{\mu}^{(sub)} = p_{\mu} - f(y)\rho A_{\mu}$$

“Automatically” corrects mass

as long as hadron masses set to zero



Many more things can be corrected for PU beyond jet p_t
 Tests are still in v. early stages / drawing board