#### **PYTHIA 8 STATUS**

#### **Richard Corke**

Department of Astronomy and Theoretical Physics Lund University

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Richard Corke (Lund University)

#### **РYTHIA 8**

- PYTHIA 8 is the C++ rewrite of PYTHIA 6
- Some features removed, some not yet implemented
  - Independent fragmentation and mass-ordered showers removed
  - No ep,  $\gamma p$  and  $\gamma \gamma$  beam configurations



- Focus of new development; many new features not found in PYTHIA 6.4
  - Fully interleaved p⊥-ordered MPI/ISR/FSR evolution
  - Richer mix of underlying-event processes ( $\gamma$ , J/ $\psi$ , DY, ...)
  - Can select two hard interactions in the same event
  - Hard diffractive component (S. Navin)
  - $\tau$  lepton polarisation in production and decay (P. Ilten)
  - Updated decay data and LO PDF sets (T. Kasemets)

## Diffraction

- $\blacktriangleright$  Move from INEL/NSD  $\rightarrow$  INEL>0 datasets
  - Reproducible definitions!
  - Diffractive description more important
- Soft description same as in PYTHIA 6
  - Pomeron kicks out valence quark or gluon from the proton
- ▶ New high-mass diffractive framework using Ingelman-Schlein picture
  - "Diffraction in Pythia," S. Navin, arXiv:1005.3894 [hep-ph]
- Single diffraction
  - Proton emits Pomeron according to Pomerom PDF,  $f_{P/P}(x_P, t)$
  - Pomeron-proton collision using the full machinery of proton-proton collisions



Double diffraction: modelled as two Pomeron–proton collisions

## Diffraction

PYTHIA 8 and PHOJET agree quite well



Beate Heinemann, MB/UE Working Group

- Choice between 5 Pomeron PDFs
- Free parameter  $\sigma_{\mathbf{P}}$  needed to fix  $\langle n_{\text{int}} \rangle = \sigma_{\text{jet}} / \sigma_{\mathbf{P}}$
- Framework still needs more testing and tuning!

Interleaved evolution for ISR, FSR and MPI, all p⊥ ordered

$$\begin{array}{ll} \frac{\mathrm{d}\mathcal{P}}{\mathrm{d}\boldsymbol{p}_{\perp}} & = & \left( \frac{\mathrm{d}\mathcal{P}_{\mathrm{MPI}}}{\mathrm{d}\boldsymbol{p}_{\perp}} + \sum \frac{\mathrm{d}\mathcal{P}_{\mathrm{ISR}}}{\mathrm{d}\boldsymbol{p}_{\perp}} + \sum \frac{\mathrm{d}\mathcal{P}_{\mathrm{FSR}}}{\mathrm{d}\boldsymbol{p}_{\perp}} \right) \\ & \times & \exp\left( - \int_{\boldsymbol{p}_{\perp}}^{\boldsymbol{p}_{\perp \max}} \left( \frac{\mathrm{d}\mathcal{P}_{\mathrm{MPI}}}{\mathrm{d}\boldsymbol{p}_{\perp}'} + \sum \frac{\mathrm{d}\mathcal{P}_{\mathrm{ISR}}}{\mathrm{d}\boldsymbol{p}_{\perp}'} + \sum \frac{\mathrm{d}\mathcal{P}_{\mathrm{FSR}}}{\mathrm{d}\boldsymbol{p}_{\perp}'} \right) \mathrm{d}\boldsymbol{p}_{\perp}' \right) \end{array}$$

- ISR and MPI compete for beam momentum
- Hybrid approach to shower recoils:
  - FSR is dipole: nearest colour-connected neighbour
  - ISR is traditional: whole hard-scattering system affected (as ISR dipole gives wrong answer e.g. for p<sub>⊥Z</sub>)

Problems in describing the underlying event (PYTHIA 8.135)



- No longer a universal minimum bias and underlying event tune
- ISR and MPI already interleaved in PYTHIA 6.4; issue with FSR?

## **Interleaved FSR**

- Final-state parton may have colour partner in the initial state
- How to subdivide FSR and ISR in this kind of dipole?
- Large mass  $\rightarrow$  large rapidity range for emission



In dipole rest frame



Suppress final-state radiation in double-counted region

## Matrix element comparisons

- Study how well the parton shower fills the phase space
  - Eventual goal: full matching to  $2 \rightarrow 3$  real-emission matrix elements
  - Start with a comparison of the first shower emission
  - Would changing the shower starting scale give better agreement?



 $p_{\perp}\frac{\text{min}}{3} = 5.0 \,\text{GeV}, \ p_{\perp}\frac{\text{min}}{5} = 5.0 \,\text{GeV}, \ R_{\text{sep}} = 0.10$ 

- Good qualitative agreement
  - Best in soft and collinear regions
  - Accuracy degrades when jets are hard and widely separated
  - Large region of phase space well described
  - No indication for a change in starting scale

## **MPI** overview

- MPI framework one of the most important sources of tunable parameters
- ► Regularise cross section with p<sub>⊥0</sub> as free parameter

$$\frac{\mathrm{d}\hat{\sigma}}{\mathrm{d}\boldsymbol{p}_{\perp}^2} \propto \frac{\alpha_s^2(\boldsymbol{p}_{\perp}^2)}{\boldsymbol{p}_{\perp}^4} \rightarrow \frac{\alpha_s^2(\boldsymbol{p}_{\perp 0}^2 + \boldsymbol{p}_{\perp}^2)}{(\boldsymbol{p}_{\perp 0}^2 + \boldsymbol{p}_{\perp}^2)^2}$$

•  $p_{\perp 0}$  has energy dependence

$$p_{\perp 0}(E_{\mathrm{CM}}) = p_{\perp 0}^{\mathrm{ref}} imes \left(rac{E_{\mathrm{CM}}}{E_{\mathrm{CM}}^{\mathrm{ref}}}
ight)^{E_{\mathrm{CM}}^{\mathrm{pow}}}$$

- Impact parameter, b, with matter profile
  - Single Gaussian; no free parameters
  - Overlap function

$$\exp\left(-b^{{\cal E}_{\rm exp}^{\rm pow}}\right)$$

Double Gaussian

$$ho(\mathbf{r}) \propto rac{1-eta}{a_1^3} \exp\left(-rac{\mathbf{r}^2}{a_1^2}
ight) + rac{eta}{a_2^3} \exp\left(-rac{\mathbf{r}^2}{a_2^2}
ight)$$

 $\blacktriangleright$  Many partons produced close in space–time  $\rightarrow$  colour rearrangement

#### **Tevatron tunes**

- FSR and hadronisation tuned to LEP data (H. Hoeth)
- Identify key parameters and start with by-hand tune
- Rivet for comparisons against data
- ► Tunes 2C (CTEQ6L1) and 2M (MRST LO\*\*)



Unified MB/UE tune!

## LHC tunes

- Comparisons against early LHC UE/MB data
- Tevatron tunes give too little activity when compared against LHC data
- $\blacktriangleright\,$  Start with Tune 2C and vary only MPI parameters  $\rightarrow\,$  Tune 4C



- Gives reasonable agreement with LHC data
- More details: RC, T. Sjöstrand, JHEP 1103 (2011) 032.
- http://mcplots.cern.ch/ for more plots and generator comparisons

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Normally assume PDFs factorise in longitudinal and transverse space

 $f(x,r)=f(x)\rho(r)$ 

- Contradicts theoretical expectations?
  - BFKL, Balitsky-JIMWLK, Colour Glass Condensate ...
  - Mueller's dipole cascade (e.g. Lund DIPSY, study by Avsar)
  - Froissart-Martin  $\sigma_{tot} \propto \ln^2 s \rightarrow \text{Gribov theory } r_p \propto \ln(1/x)$
- Address this in inelastic non-diffractive events RC, T. Sjöstrand, JHEP 1105 (2011) 009.

$$\rho(r,x) \propto rac{1}{a^3(x)} \exp\left(-rac{r^2}{a^2(x)}\right) \quad ext{with} \quad a(x) = a_0 \left(1 + a_1 \ln rac{1}{x}\right)$$

- a<sub>1</sub> ≈ 0.15 tuned to rise of σ<sub>ND</sub>
   (Donnachie & Landshoff + Schuler & Sjöstrand)
- a₀ tuned to value of σ<sub>ND</sub> (dependent on PDFs, p<sub>⊥0</sub>, etc..)

▶ Tune 4C + *x*-dependent proton size + lower  $p_{\perp 0}$  → Tune 4Cx



- Consistent with minimum-bias and underlying-event data
- Parameter a<sub>1</sub> more constrained than other options?

- Differences in the underlying event accompanying hard processes
- With e.g. single Gaussian matter profile, Sudakov already saturated at scales above ~ 10 GeV
  - Same impact-parameter profile if hard process has scale 100 GeV or 1 TeV
- With x-dependence, collisions at large x likely to be at small b
  - Further large-to-medium-x MPIs are enhanced



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# **CKKW-L** merging

- Consistently combine higher-order tree-level matrix elements and parton shower description
- Leif Lönnblad and Stefan Prestel working to include CKKW-L merging
  - Reconstruct a shower history for the ME state
  - Trial showers to get Sudakov factor
  - Consistent inclusion of interleaved MPI



Article + code coming soon!

# **BSM** physics

- SLHA interface updated; QNUMBERS now supported
- Calculation of SUSY decay widths (N. Desai)
- R-hadronisation now integrated into PYTHIA 8
  - $\blacktriangleright$  Long-lived coloured particles e.g.  $\tilde{g}$  or  $\tilde{t}_1 \rightarrow {\ensuremath{\textit{R}}}\xspace$  hadrons
  - ► *R*-mesons ( $\tilde{g}q\bar{q}, \tilde{t}_1\bar{q}$ ), *R*-baryons ( $\tilde{g}qqq, \tilde{t}_1qq$ ) or glueballs ( $\tilde{g}g$ )
  - A.C. Kraan, Eur. Phys. J. C37 (2004) 91
     M. Fairbairn et al., Phys. Rep. 438 (2007) 1
     CMS, arXiv:1101.1645
- Hidden valley/secluded sector framework
  - New gauge groups at low energy scales, hidden by potential barrier or weak couplings (Strassler & Zurek)
  - Can pick Abelian U(1) or non-Abelian SU(N) gauge group
  - ▶ Different production mechanisms (e.g. massize Z', kinetic mixing, ...)
  - Interleaved shower in QCD, QED and HV sectors
  - ► Hadronisation in hidden SU(N) sector
  - L. Carloni & T. Sjöstrand, JHEP 09 (2010) 105
    - L. Carloni, J. Rathsman & T. Sjöstrand, JHEP 04 (2011) 091

### Hadron spectra

- Know that certain hadron flavours need more p<sub>⊥</sub>
- Latest  $\pi/K/p p_{\perp}$  spectra from LHC
  - ► ALICE 900 GeV inelastic events, |y| < 0.5, arXiv:1101.4110v3</p>
  - ALICE 7 TeV read from public talks (assume same acceptance as 900 GeV)
- Compare against PYTHIA 8



- Final-state hadron scattering
  - No need to significantly change particle composition, only (partial) collective flow?
  - Low-energy scatterings in CM frame and boost back
  - Higher masses take bigger kick, c.f. collective flow in heavy ion
  - Ideally assign production vertices to outgoing hadrons and follow path
- Simple model based on distance in  $y \phi$  space
  - High-p<sub>⊥</sub> hadrons in jets formed at later times and less likely to scatter
  - Scattering probability

$$m{P}_{ij} = (1 - \mathrm{e}^{-k\sigma^{\mathrm{el}}_{ij}(s)}) \max\left(0, \ 1 - rac{\Delta R^2_{ij}}{R^2_{\mathrm{max}}}
ight)$$

Order scatterings based on "relative transverse velocity"

$$\mathbf{v}_{\perp ij} = \left| \frac{\mathbf{p}_{\perp i}}{m_{\perp i}} - \frac{\mathbf{p}_{\perp j}}{m_{\perp j}} \right|$$

- Dominated by pions, so focus on  $\pi\pi$ ,  $\pi K$  and  $\pi p$
- Most scatterings close to threshold

Isospin partial-wave parameterisations (no Columb corrections)



- Results from simple model; try to boost  $K/\pi$  ratio
- Perform scattering after first round of hadron decays  $(\eta \rightarrow \pi)$

900 GeV



- Exact shape depends on how "soft" hadrons are picked
- Protons get too much of a kick

- Results from simple model; try to boost  $K/\pi$  ratio
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7 TeV



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- PYTHIA 6 is still supported, but no longer actively developed
- PYTHIA 8 is the natural successor
  - Number of new features available only in PYTHIA 8 continuing to grow
  - Starting to have competitive tunes
  - Welcome other tuning efforts (and reports on the outcome!)
  - Provide feedback; both negative and positive!
- Announcement list:

http://www.hepforge.org/lists/listinfo/pythia8-announce

Time integrated overlap

$$\tilde{\mathcal{O}}(b; x_1, x_2) = \frac{1}{\pi} \frac{1}{a^2(x_1) + a^2(x_2)} \exp\left(-\frac{b^2}{a^2(x_1) + a^2(x_2)}\right)$$

• Define  $\overline{n}(b)$  as average number of interactions at b

$$\overline{n}(b) = \sum_{i,j} \iiint \mathrm{d}x_1 \,\mathrm{d}x_2 \,\mathrm{d}p_{\perp}^2 f_i(x_1, p_{\perp}^2) f_j(x_2, p_{\perp}^2) \left. \frac{\mathrm{d}\hat{\sigma}_{ij}}{\mathrm{d}p_{\perp}^2} \right|_{\mathrm{reg}} \tilde{\mathcal{O}}(b; x_1, x_2)$$

Such that

$$\sigma_{\text{hard}} = \int \overline{n}(b) \, \mathrm{d}^2 b$$
  
$$\sigma_{\text{ND}} = \int P_{\text{int}} \, \mathrm{d}^2 b = \int \left(1 - e^{-\overline{n}(b)}\right) \, \mathrm{d}^2 b$$

Probability that a hadron is soft enough to scatter:

$$P_{\text{soft}} = \frac{N \exp\left(-\frac{p_{\perp}^2}{4\sigma_{\text{frag}}^2}\right)}{(1-k) \exp\left(-\frac{p_{\perp}^2}{4\sigma_{\text{frag}}^2}\right) + k \frac{p_{\perp 0}^{\rho}}{\left(p_{\perp 0}^2 + p_{\perp}^2\right)^{p/2}}}$$

•  $N \sim 1$ ,  $k \sim 0.5$  and  $p \sim 6$  for results

- Isospin partial-wave parameterisations:
  - >  $\pi\pi$  Froggatt and Petersen, Nucl. Phys. B129 (1977) 89-110
  - πK Estabrooks et. al., Nucl. Phys. B133 (1978) 490-524
  - πN GWU SAID WI08 solution
     SP06 Phys. Rev. C74 045205 (2006)
     WI08 http://gwdac.phys.gwu.edu/analysis/pin\_analysis.html