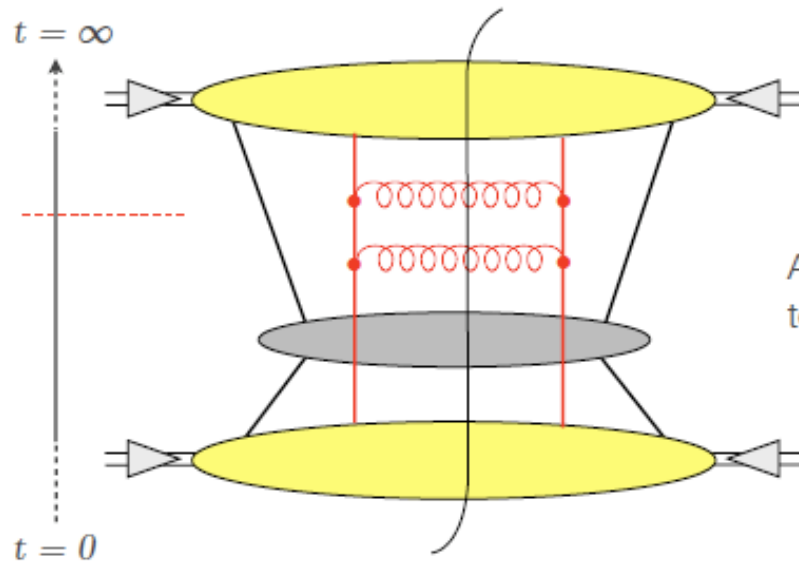


So we just need another tune to fit the data, don't we?

# Multi Parton Interaction

Zoltan Nagy



We need this at least at leading color level.

$$\mathcal{H}_{\text{MI}}(t) = \left(\frac{\alpha_s}{2\pi}\right)^2 \mathcal{O}(e^t)$$

Actually the real scaling is weaker due to the *power suppression*:

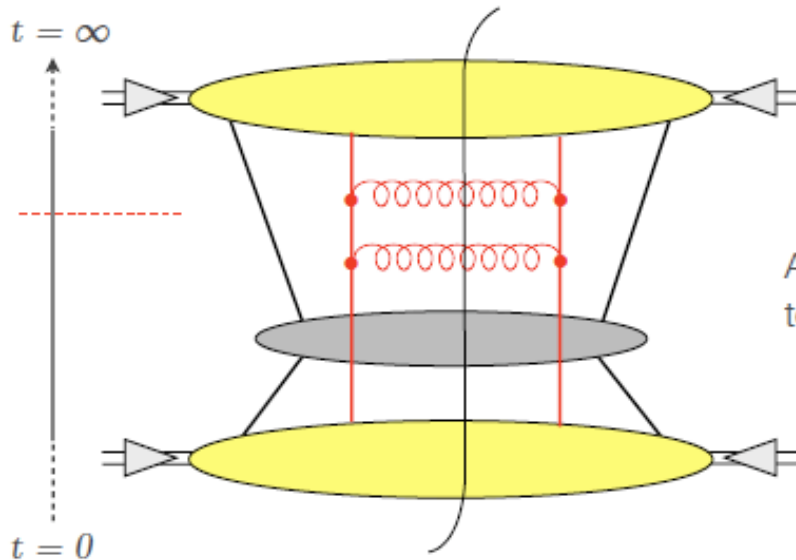
$$e^{t-t_0} \sim \frac{\Lambda_{\text{QCD}}^2}{p_{\perp}^2}$$

- This is important in the very small  $p_T$  regions and negligible in the large  $p_T$  regions but it is hard to tell how important in the intermediate region. **The cumulative effect could be sizable.**
- Important to note that this is a kind of **NLO contributions**. Thus, compared to the standard shower this is also suppressed by an extra power of  $\alpha_s$ .
- Requires **multi parton PDF (mPDF)**.
- Implemented in **HERWIG & PYTHIA**. (No "proper" mPDF implemented.)

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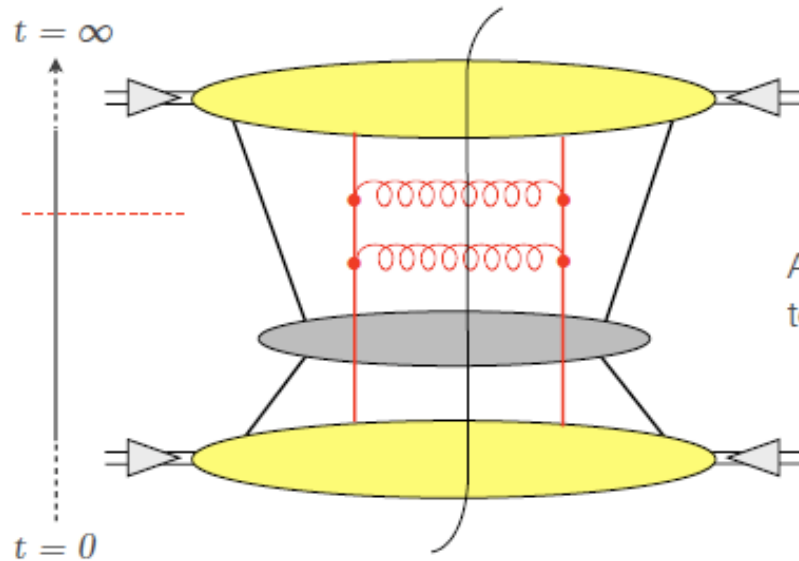
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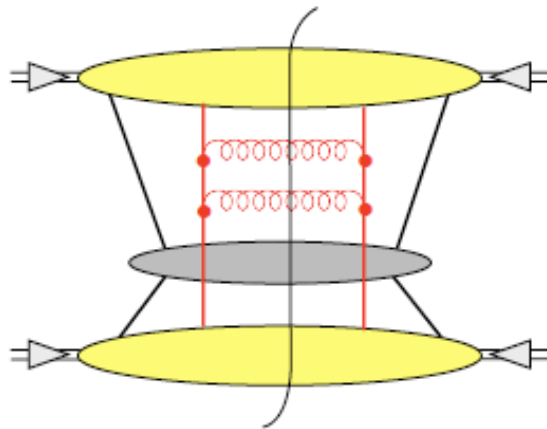
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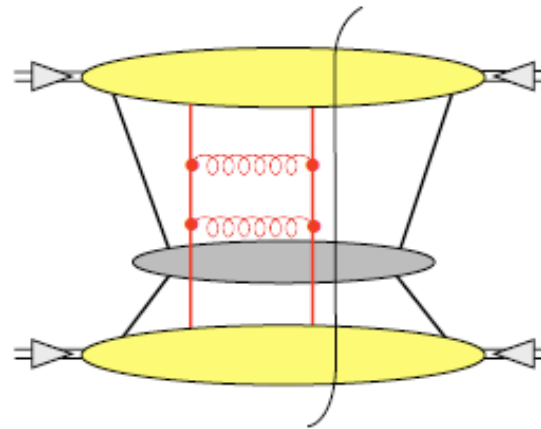
# MPI: Coulomb Gluon

Zoltan Nagy

In the MPI part the “resolvable” radiation comes from extra  $2 \rightarrow 2$  scattering. This is very singular in the low  $p_T$  region. This singularity must be cancelled by the corresponding virtual graphs.



Real  $2 \rightarrow 2$  scattering adds two extra jets



Corresponding virtual graph.

This is a forward elastic scattering contribution. It can produce Coulomb gluon term  $\Rightarrow$  *Color reconnection effect*

Colour reconnection effects are important when comparing MC predictions to data

$$U(t, t') = \mathbb{T} \exp \left\{ \int_t^{t'} d\tau \left[ \mathcal{H}_I(\tau) - \mathcal{V}_I(\tau) + \sum_{\beta=MI, JI, \dots} \{ \mathcal{H}_\beta(\tau) - \mathcal{V}_\beta(\tau) \} \right] \right\}$$

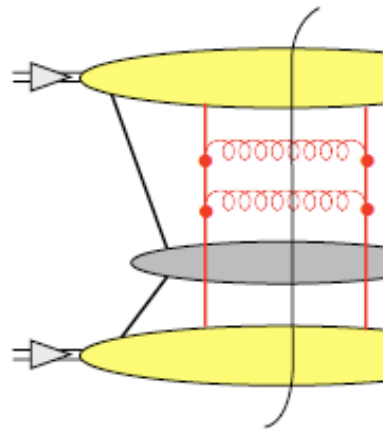
*Single radiations*  
(IRS & FSR)
*Everything else*

So we just need another tune to fit the data, don't we?

# MPI: Coulomb Gluon

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Real  $2 \rightarrow 2$  scattering adds two extra jets

- Multiple Interaction is very complicated from theory point of view.
- There are MC tool available mostly based on some tunable models (Color reconnection, simple mPDF assumption,...)
- Running of the mPDF, modeling mPDF
- Some perturbative effects are not included in our MC (Coulomb gluon,...)
- Lack of theorems (factorization,...)

Corresponding virtual graph.

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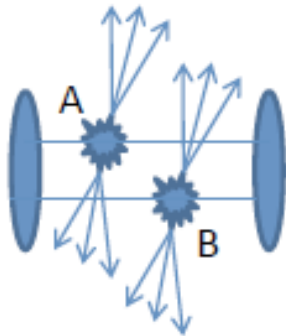
reconnection  
are  
when  
MC  
predictions to data

*Pythia and Herwig put this graph into a simple probabilistic framework and exponentiate the extra  $2 \rightarrow 2$  process.*

# Do we have a good understanding of MPIs and mPDFs?

Battlefield restricted to Double Parton Scattering

Jo Gaunt



Assuming only the factorisation of the hard processes A and B, the DPS cross section may be written as:

$$\sigma_D^{(A,B)} = \frac{m}{2} \sum_{i,j,k,l} \int \overbrace{\Gamma_h^{ik}(x_1, x_2, \mathbf{b}; Q_A, Q_B) \Gamma_h^{jl}(x'_1, x'_2, \mathbf{b}; Q_A, Q_B)}^{\text{Two-parton generalised PDF (2pGPD)}} \times \underbrace{\hat{\sigma}_{ij}^A(x_1, x'_1) \hat{\sigma}_{kl}^B(x_2, x'_2)}_{\text{Parton level cross sections}} dx_1 dx'_1 dx_2 dx'_2 d^2\mathbf{b}$$

Assumption:

$$\Gamma_h^{ik}(x_1, x_2, b; Q_A, Q_B) = D_h^{ik}(x_1, x_2; Q_A, Q_B) F_k^i(b)$$

Double parton distribution functions (dPDFs)

Parton pair density in transverse space

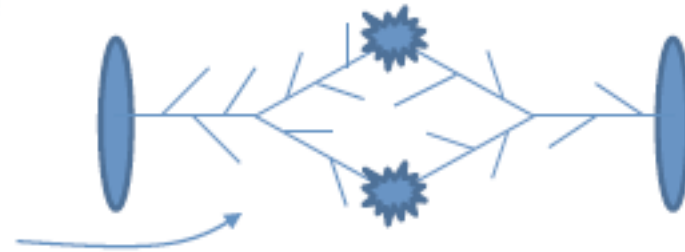
“dPDF framework”, used in phenomenology

→ longitudinal-transverse factorization also in MCs

# Do we have a good understanding of MPIs and mPDFs?

Jo Gaunt

Evolution equations for dPDFs known,  
would give contributions to DPS cross  
sections of the sort:

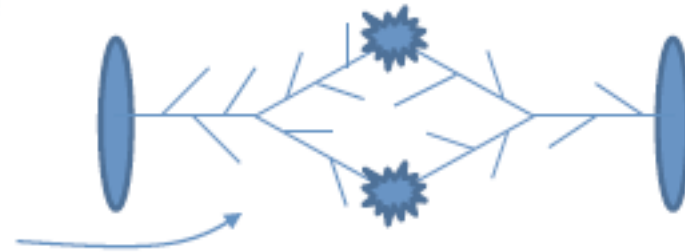


According to dPDF the diagram should contribute a DGLAP log but well known  
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According to dPDF the diagram should contribute a DGLAP log but well known box diagram contributions, e.g. for  $gg \rightarrow ZZ$ , are finite!

- In general, all diagrams with the “DPS-singularity” give only integrable contributions to the cross section: this is a correction to a single scattering process
- The apparent inconsistency due to the transverse-longitudinal factorization assumption: the dPDF framework breaks down!



# Do we have a good understanding of MPIs and mPDFs?

Evolution equations for dPDFs known

Jo Gaunt

Under dPDF framework, there is a part of the DPS cross section that comes from multiplying two accumulated sPDF feed contributions together. Pictorially this piece looks like this:



According to dPDF the diagrams are finite! DGLAP log but the well known are finite!

- In general, all diagrams with two hard scales contribute to the cross section: this is a
- The apparent inconsistency of the dPDF framework is a natural assumption: the dPDF frame

- Impact on phenomenology – definition of DPS cross section?
- DPS at high  $p_T$  will be measured: another test of MPI models in MCs
- mPDFs and mPDFs running in MC?
- Interference effects in flavour, spin and colour?

# What is the impact of soft QCD corrections on jet physics?

Mrinal Dasgupta

## Jet physics at hadron colliders

to jets

Mrinal  
Dasgupta

Traditional approach restricted to MC event generators. BUT

- MC (many tunable parameters) does not reflect **understanding** of physics of hadronisation. Analytical models can.
- MC studies do not provide any detailed **parametric** understanding of NP effects. How much  $p_t$  from UE vs hadronisation? As a function of jet flavour,  $p_t$ , size?

# What is the impact of soft QCD corrections on jet physics?

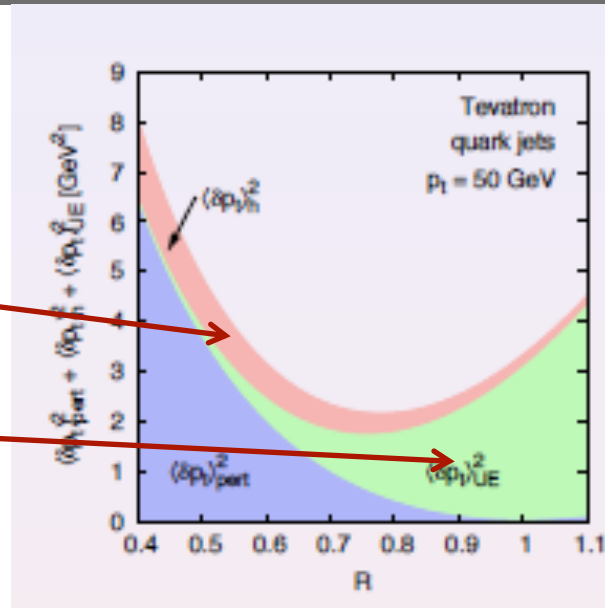
Mrinal Dasgupta

Hadronization

$$\langle \delta p_t \rangle_h \sim -1/R$$

Underlying Event

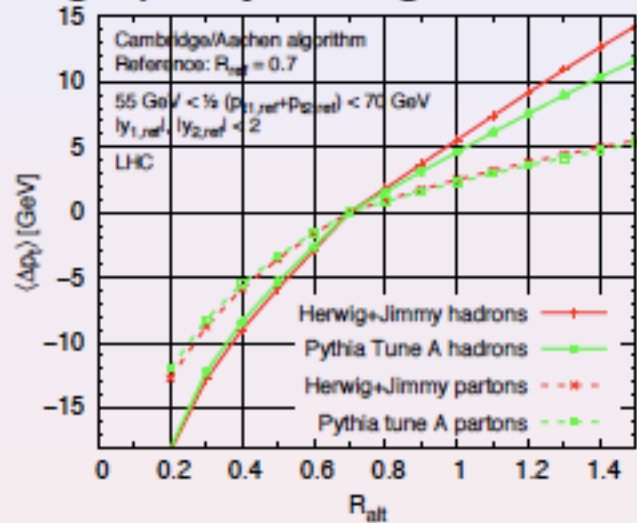
$$\langle \delta p_t \rangle_{UE} \sim R^2$$



$$\langle \delta p_t^2 \rangle = \langle \delta p_t \rangle_h^2 + \langle \delta p_t \rangle_{UE}^2 + \langle \delta p_t \rangle_{PT}^2$$

- Optimal  $R$  has been shown to be theoretically very valuable. Can the idea be exploited in practice given experimental limitations?
- Currently we have ATLAS with anti- $k_t$  algorithm and  $R = 0.4$  and  $R = 0.6$ . CMS have  $R = 0.5$  and  $R = 0.7$ . At least one value in common would have been useful? Do these values cover sufficient range given that optimal  $R$  in some cases has  $R > 1$ .

Already seen some applications to data. One further idea could be to directly extract the scale of UE from data. Study e.g  $\delta p_t$  by using a reference and alternative jet



An example of measurement particularly sensitive to UE modelling?  
But beware, difficult measurement! (track jets?)

$$\langle \delta p_t \rangle = \langle \delta p_t \rangle_{\text{NLO}} - 2 \langle C_i \rangle \left( \frac{1}{R_{alt}} - \frac{1}{R_{ref}} \right) \mathcal{A}(\mu_I)$$

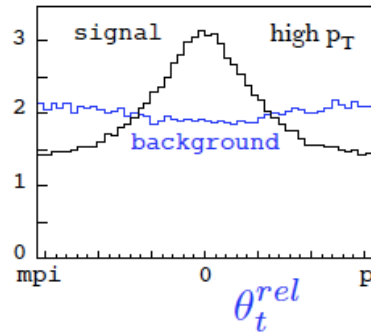
$$+ (R_{alt} J_1(R_{alt}) - R_{ref} J_1(R_{ref})) \Lambda_{UE}$$

# What would be the impact of soft QCD effects on (feasibility of some) LHC searches?

Jet-pull method: identification of hard subprocess from studying colour flow

**Simone Marzani**

Expect:



$pp \rightarrow ZH \rightarrow Zb\bar{b}$

$pp \rightarrow Zb\bar{b}$

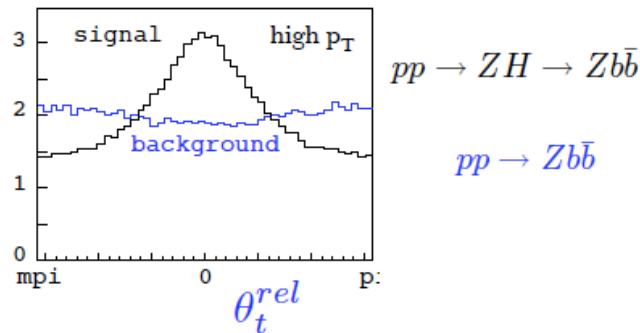
Gallicchio and Schwartz  
arXiv:1001.5027

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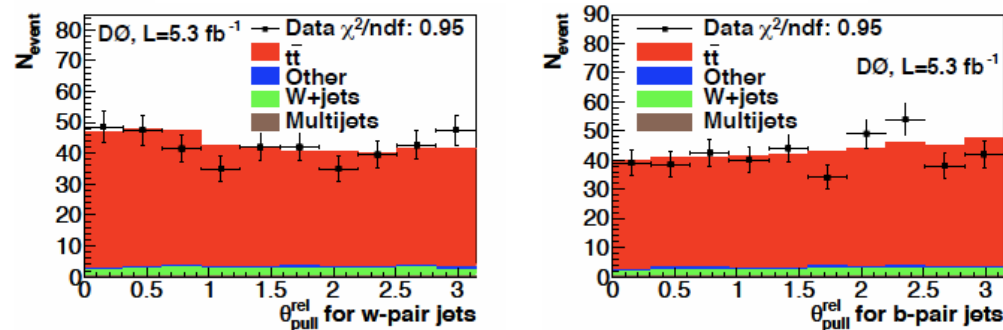
Expect:



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But get:

$$p\bar{p} \rightarrow t\bar{t} \rightarrow WbW\bar{b} \rightarrow l\nu j\bar{j}b\bar{b}$$



D0 collaboration  
arXiv:1101.0648

- Tough measurement: UE contamination
- Are things going to be worse at the LHC with pile-up?

# The DIPSY alternative

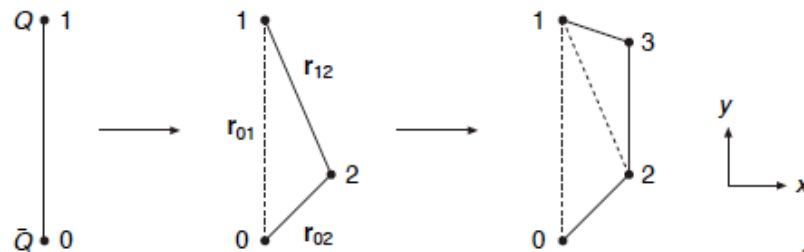
DIPSY = Dipole Event Generator

Gösta Gustafson

## Small $x$ evolution

Mueller Dipole Model:

Formulation of LL BFKL in transverse coordinate space



$$\text{Emission probability: } \frac{d\mathcal{P}}{dy} = \frac{\bar{\alpha}}{2\pi} d^2\mathbf{r}_2 \frac{r_{01}^2}{r_{02}^2 r_{12}^2}$$

It includes:

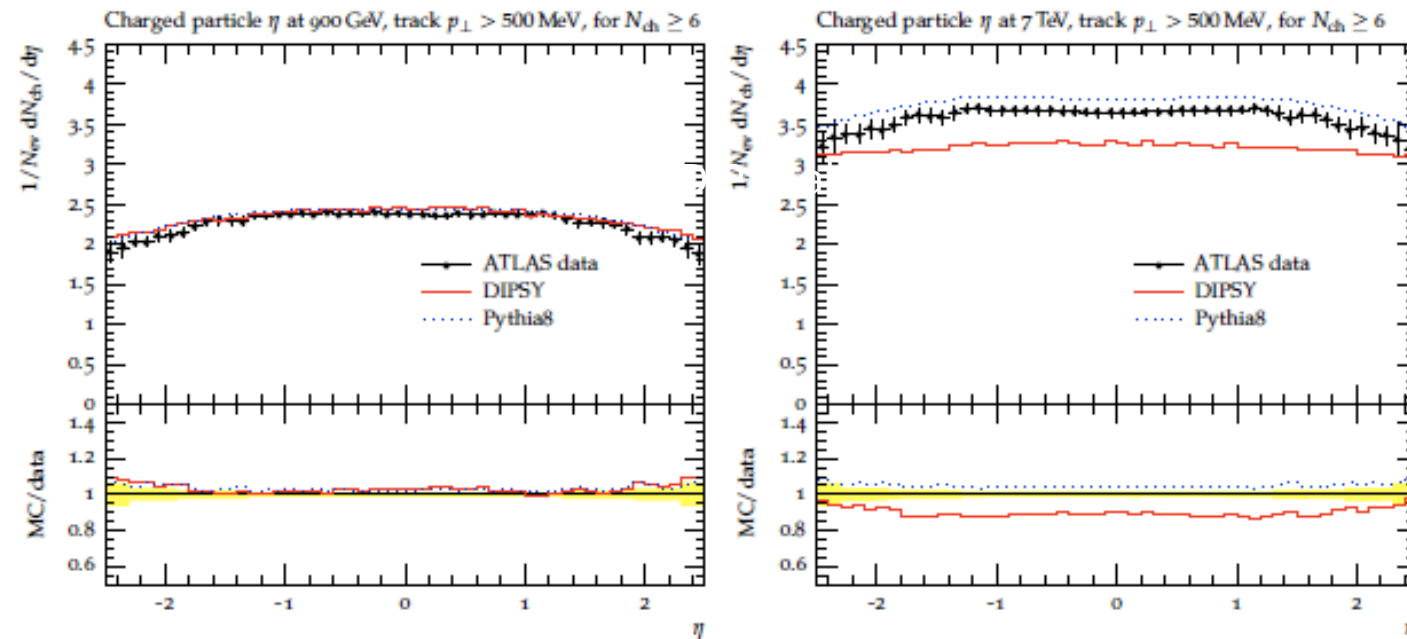
- ▶ important non-leading effects in BFKL
- ▶ saturation within the evolution
- ▶ confinement
- ▶ fluctuations and correlations
- ▶ MC implementation
- ▶ also nucleus collisions

# The DIPSY alternative

Gösta Gustafson

## Comparisons to ATLAS data

$\eta$  distrib. of charged particles at 0.9 and 7 TeV



[arXiv:1103.4321]

Fair description of exclusive final states: MB and UE



## C Questions and problems to be studied further

- ▶ **Fluctuations**  
Understand the relation between Good–Walker and Regge Asymmetries like triangular flow,  $v_3$ , in  $pp$ ,  $pA$ ,  $AA$ , DIS
- ▶ **Correlations**  
*e.g* dependence of  $\sigma_{\text{eff}}$  on  $Q^2$ ,  $s$ , and  $\eta$
- ▶ **Final states in diffraction**  
Min. bias and underlying events (ISR: stringlike)
- ▶ **Effects of colour**  
Soft colour reconnection: needed in PYTHIA, gap events?  
Pomeron mixing
- ▶ **Can diffraction be well defined?**  
Is it possible (in theory) to separate diffraction from inelastic events with gap?

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Is it possible (in theory)  
inelastic events with gap

$$\sigma_{\text{eff}}^{-1} = \int d^2b F(b,..)F(b,..)$$

from DIPSY

**Effective cross section:**  $\sigma_{(A,B)}^D \equiv \frac{1}{(1+\delta_{AB})} \frac{\sigma_A^S \sigma_B^S}{\sigma_{\text{eff}}}$

$\sigma_{\text{eff}}$  depends strongly on  $Q^2$  for fixed  $\sqrt{s}$

$Q_1^2, Q_2^2$ [GeV <sup>2</sup> ], $x_1, x_2$				$\sigma_{\text{eff}}$ [mb]	$\int F$
1.5 TeV, midrapidity					
10	10	0.001	0.001	35.3	1.09
10 <sup>3</sup>	10 <sup>3</sup>	0.01	0.01	23.1	1.06
15 TeV, midrapidity					
10	10	0.0001	0.0001	40.4	1.11
10 <sup>3</sup>	10 <sup>3</sup>	0.001	0.001	26.3	1.07
10 <sup>5</sup>	10 <sup>5</sup>	0.01	0.01	19.6	1.03

Stronger correlations for larger  $Q^2$

# Summary of the soft QCD working group

## Within this working group:

- Proposed: new measurements
- Emphasized: need to compare data with *various available* MC models\* / identify measurements which cannot be well described by all MCs/tunes
- Highlighted: many theoretical issues / open questions in the description of soft QCD
- The real big question:

Are we happy with the current status? Is tuning the end of the story?

*Certainly not satisfactory from the theory point of view...*

\*i.e. Sherpa

# Summary of the soft QCD working group cntd.

Open call to both theory and experiment:

Is there a need for more measurements? Can we come up with measurements sensitive to particular aspects of soft QCD (hadronization, MPI, non-perturbative)?

**Proposals need to be made now!**

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**Many thanks to all the speakers and contributors!**