

# Theory of jets

Mrinal Dasgupta

University of Manchester

QCD for the LHC, St. Andrews, August 22-26, 2011

- Introduction and jet definitions
  - QCD perturbation theory and jets.
  - IRC safety and jet algorithms
  - IRC safe jet definitions for hadron colliders.
- Properties of jets
  - Perturbative properties
  - Non-perturbative contributions (hadronisation, UE, pile up)
- Using jets at hadron colliders
  - Optimal  $R$  and new physics
  - Substructure and jet grooming
- Summary and outlook

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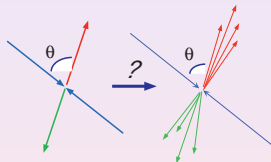
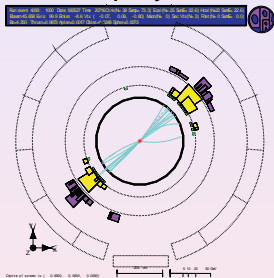
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# pQCD and jets

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QCD is a weird theory. Lagrangian involves **partons** which never make it to detectors. Measured final state involves collimated sprays of hadrons or **jets**.



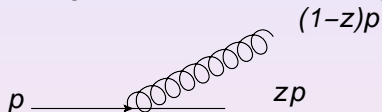
Luckily partons leave some footprints. The game of jet physics involves identifying those elusive partons.

Sterman TASI lectures

# Need for jets

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Need for jets arises from within the theory. Regulate IR divergences to make meaningful predictions in pQCD.

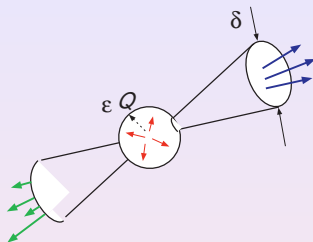


$$P = C_i \int \frac{\alpha_s((1-z)\theta)}{\pi} \frac{dz}{1-z} \frac{d\theta^2}{\theta^2}$$

Probability for extra particle production diverges in PT. For calcs. need to introduce energy and angular resolution.

# Early jet definitions

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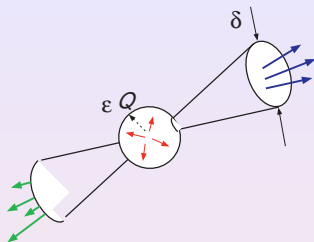
Define a dijet event by including anything below energy  $\epsilon$  or within angle  $\delta$  in dijet. **Sterman and Weinberg 1978**

Probability of particle production can be  $\mathcal{O}(1)$ . Probability of producing **extra jet** costs us  $\alpha_s$ . Jet cross-sections computable in pQCD. But we need IRC safe jet definition at **all orders**.



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# IRC safe hadron collider jet definitions

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- 1 Cone type : SISCONe (Seedless Infrared Safe Cone)  
Salam and Soyez 2007
- 2 Sequential Recombination based on a distance measure.
  - $k_t$  or Durham algorithm  
Catani et. al 1993, Ellis et. al 1993
  - Cambridge-Aachen  
Dokshitzer et. al 1997, Wobisch and Wengler 1998
  - Anti- $k_t$   
Cacciari, Salam, Soyez 2008.

# Sequential recombination algorithms

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Most common is inclusive  $k_t$  algorithm with distance measures

$$d_{ij} = \min(p_{t,i}^2, p_{t,j}^2) \frac{\Delta_{ij}}{R^2}, \quad \Delta_{ij} = (y_i - y_j)^2 + (\phi_i - \phi_j)^2$$
$$d_{iB} = p_{t,i}^2$$

Ellis and Soper 1993

All quantities defined wrt beam. Radius like parameter  $R$ .

- Find the smallest among  $d_{ij}$  and  $d_{iB}$ . If it is a  $d_{iB}$  call the object a jet and remove from list. If  $d_{ij}$  then merge  $i$  and  $j$ .
- Repeat until all particles are removed.

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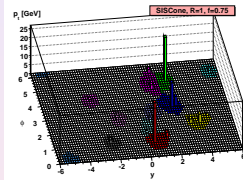
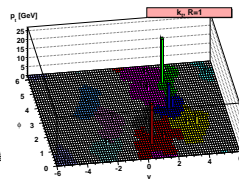
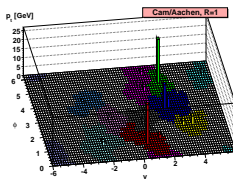
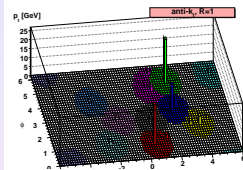
Belong to the  $k_t$  family with

$$d_{ij} = \min(p_{t,i}^{2p}, p_{t,j}^{2p}) \frac{\Delta_{ij}}{R^2}$$

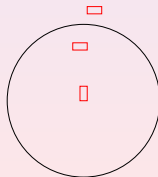
$p = 0$  is C/A algorithm while  $p = -1$  is the **anti- $k_t$**  algorithm. Note that C/A algorithm inverts **angular ordered shower** while anti- $k_t$  not closely related to QCD dynamics.

# Appearance of hadron collider jets

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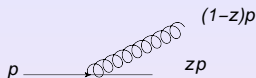


Salam “Towards Jetography” 2009



# Properties of jets at hadron colliders

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$$\langle \delta p_t \rangle_q = -\frac{C_F \alpha_s}{2\pi} p_t \int_{R^2} \frac{d\theta^2}{\theta^2} \frac{1+z^2}{1-z} \min[(1-z), z]$$

$$\langle \delta p_t \rangle_q = -C_F \frac{\alpha_s}{\pi} p_t \ln \frac{1}{R} \left( 2 \ln 2 - \frac{3}{8} \right)$$

$$\langle \delta p_t \rangle_g = -\frac{\alpha_s}{\pi} p_t \ln \frac{1}{R} \left[ C_A \left( 2 \ln 2 - \frac{43}{96} \right) + T_R n_f \frac{7}{48} \right]$$

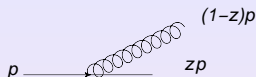
MD, Magnea and Salam 2008





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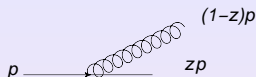
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To summarise:

$$\frac{\langle \delta p_t \rangle_q}{p_t} = -0.43 \alpha_s \ln \frac{1}{R}$$

$$\frac{\langle \delta p_t \rangle_g}{p_t} = -1.02 \alpha_s \ln \frac{1}{R}$$

For  $R = 0.4$  quark jet will have 5 percent less and gluon jet 11 percent less  $p_t$  than parent parton.

- Above results are subject to significant finite  $R$  and higher order changes.
- SISCONe has different recombination. Draw cone centred on  $p_1 + p_2$  and require one parton to fall outside it. Similar result with  $R_{kt} \sim 1.3 R_{\text{SIS}}$

MD, Magnea and Salam 2008

- Mean values

$$\langle M_j^2 \rangle_q \sim 0.16 \alpha_s R^2 P_t^2$$

$$\langle M_j^2 \rangle_g \sim 0.37 \alpha_s R^2 P_t^2$$

SISCONE results similar with  $R_{\text{SISCONE}} = 0.75R$ .

- Jet mass distribution Potentially significant logarithmic enhancements:

$$\frac{d\sigma}{dM^2} \sim \frac{\alpha_s}{M^2} \ln \frac{R^2 P_t^2}{M^2}.$$

Resummation? S.D. Ellis et.al 2010, Banfi, MD, Marzani, Khelifa Kerfa 2010

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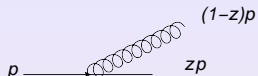
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# NP corrections - hadronisation

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Analytical calculations of hadronisation? Use Dokshitzer Webber model:

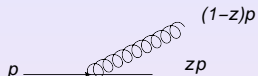
- Emit a soft **gluer** (a gluon that actually glues!) with  $k_t \sim \Lambda$ .
- Consider the change in jet energy  $-(1-z)p_t = -\frac{k_t}{\theta}$ .
- Apply the emission probability to compute the average

$$\langle \delta p_t \rangle_q = -C_F \int \frac{\alpha_s(k_t)}{\pi} \frac{dk_t}{k_t} \frac{d\theta^2}{\theta^2} \frac{k_t}{\theta}$$

for  $\theta > R$

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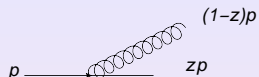
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for  $\theta > R$



We have

$$\langle \delta p_t \rangle_q = -\frac{2C_F}{\pi} \int_0^{\mu_I} \alpha_s(k_t) dk_t \times \frac{1}{R}$$

Take coupling integral from  $e^+e^-$  event shapes to get

$$\langle \delta p_t \rangle_q = \frac{-0.5\text{GeV}}{R}$$

For gluon jets change  $C_F \rightarrow C_A$ .

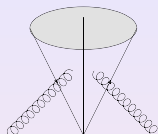
$$\langle \delta p_t \rangle_g = -\frac{1\text{GeV}}{R}$$

Striking singular dependence of hadronisation on  $R$ . Same for all algorithms!

MD, Magnea and Salam 2008

# UE contribution

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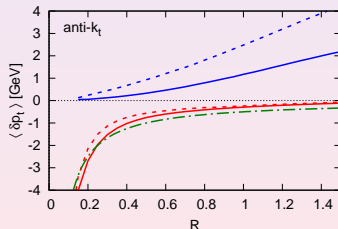
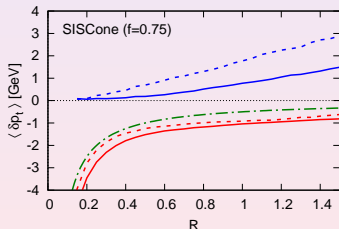
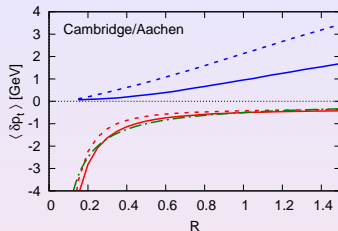
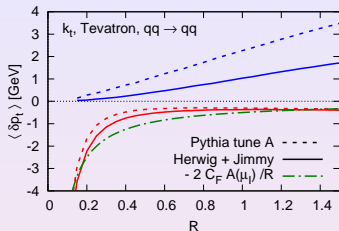
Contrast with underlying event contribution. Assume  $\Lambda_{\text{UE}}$  is energy per unit rapidity of soft UE particles.

$$\langle \delta p_t \rangle_{\text{UE}} = \Lambda_{\text{UE}} \int_{\eta^2 + \phi^2 < R^2} d\eta \frac{d\phi}{2\pi} = \Lambda_{\text{UE}} \frac{R^2}{2}$$

Has a regular dependence on  $R$  (comes from jet area). For jet mass UE contribution goes as  $R^4$ . Similar effects from pile-up but order of magnitude larger at the LHC.

# Comparison to MC models

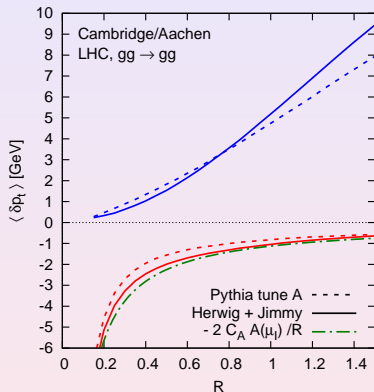
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Agreement with analytical predictions. Same result for all algorithms. UE different between MC models.

# Comparison with MC models

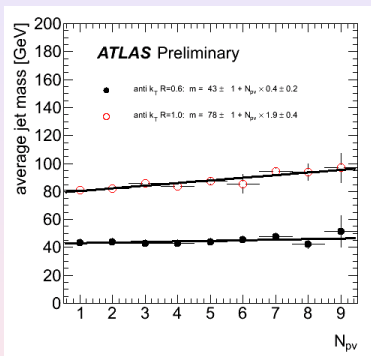
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At LHC underlying event is a large effect.

# Applications - comparison to data

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Ratio of slopes  $R = 4.58 \sim (1.0/0.6)^3$

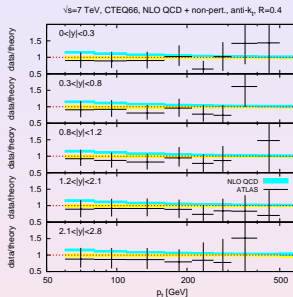
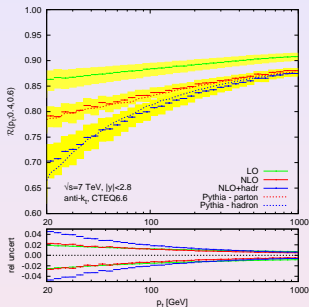
The  $R^3$  scaling is because

$$\delta m = \sqrt{m^2 + \delta m^2} - m \approx \frac{\delta m^2}{2m}.$$

Since  $\delta m^2$  scales as  $R^4$  and  $m$  as  $R$  ( $43/78 \approx 0.55$ ) one gets an  $R^3$  behaviour.

# Applications-Comparison to data

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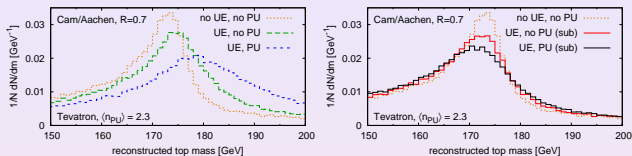


$$R = \frac{\frac{d\sigma}{dp_t}(R_1)}{\frac{d\sigma}{dp_t}(R_2)}$$

Soyez 2010

# Applications - pile up subtraction

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Removal of pile-up crucial to quality of kinematic reconstructions.

$$p_{t,j} \rightarrow p_{t,j} - \rho A_j$$

Area dependence of UE and pile up behind FASTJET subtraction of UE and pile up. Event by event determination of pile-up with jet-by-jet subtraction based on area.

Cacciari and Salam 2007

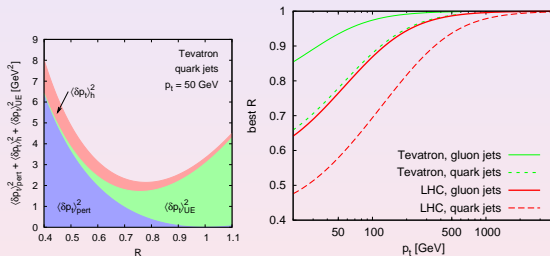


# Applications-optimal $R$ .

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Knowing  $R$  dependence gives rise to concept of optimal  $R$  values. Based on minimising

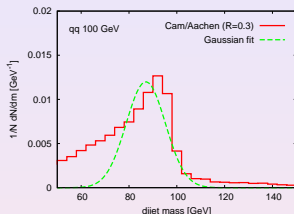
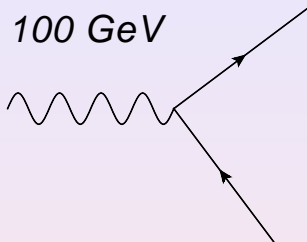
$$\langle \delta p_t^2 \rangle = \langle \delta p_t \rangle_h^2 + \langle \delta p_t \rangle_{UE}^2 + \langle \delta p_t \rangle_{PT}^2$$



At high  $p_t$  one should use a larger  $R$  - minimises perturbative effect. Likewise for gluon jets a larger  $R$  is suggested. For LHC smaller  $R$  values than Tevatron.

# Best $R$ for peak reconstruction

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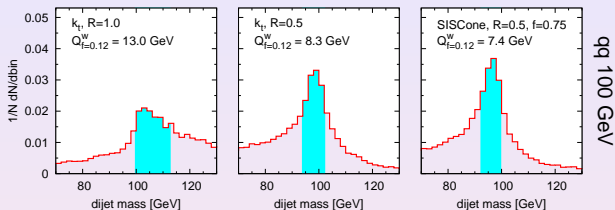


Can illustrate effect of finding best  $R$  on quality of kinematic reconstruction.

One can take a 100 GeV  $q\bar{q}$  resonance to illustrate this.

Need to define a measure of the quality of reconstruction.

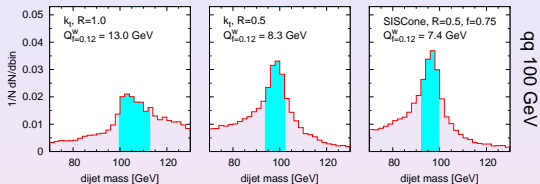
How to assess e.g peak width?



qq 100 GeV

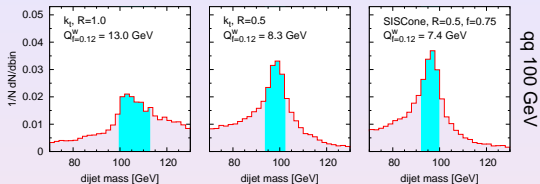
Define quality measure  $Q_{f=z}^w$  as the **width of the narrowest window which contains a specified fraction  $f = z$  of events**. Smaller  $Q$  corresponds to a better peak.

Salam, 2009



Compare different algorithms and choices of  $R$ .

For  $k_t$  algorithm a lower  $R$  value is favoured here suggesting the importance of the UE contribution. What may we expect when we move to a  $2 \text{ TeV}$   $g\bar{g}$  resonance? We learnt that at such high  $p_t$  and for gluon jets one should favour a larger  $R$ .

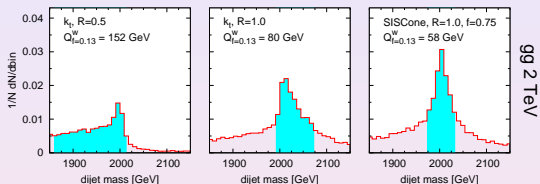


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# 2 TeV gg resonance

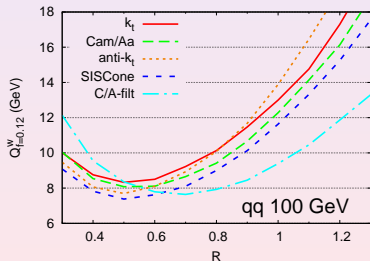
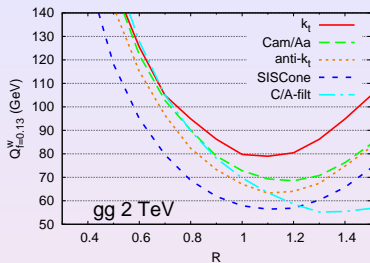
Mrinal Dasgupta



Here  $R = 0.5$  would be a bad choice. Larger  $R$  is favoured as expected. SISCONE seems to perform markedly better than  $k_t$  in this case.

# Comparing algorithms

Mrinal Dasgupta



Optimal  $R$  doesn't vary too much across algorithms.  $Q$  does even for optimal  $R$ .

# Applications -boosted objects and substructure

Mrinal  
Dasgupta

Highly boosted objects such as high  $p_T$  Higgs decay to products which have **narrow opening angle**. Can end up in single jet.

Recall

$$M^2 = z(1 - z)p_t^2\theta_{12}^2$$

For  $R \geq \frac{M}{\sqrt{z(1-z)}p_t}$  we will get a single jet. For  $p_t \sim 500$  GeV,  $M \sim 100$  GeV  $R \geq 0.6$  implies that 75 percent of such decays will be clustered to a jet.



# Jet substructure

Mrinal  
Dasgupta

Invariant mass distribution is first clue to identity of jet.  
Significant issue arises of QCD jet backgrounds.

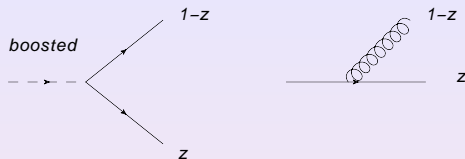
$$\frac{1}{\sigma} \frac{d\sigma}{dM^2} \sim \frac{1}{M^2} \alpha_s \ln \frac{R^2 p_t^2}{M^2}$$

For  $p_t \gg M$  this can be significant contamination even at masses of a 100 GeV.

Remove QCD background and optimise the construction of the mass.

# Substructure techniques

Mrinal Dasgupta



To distinguish jets from QCD from those from heavy particle decays it pays to **look at jet substructure**.

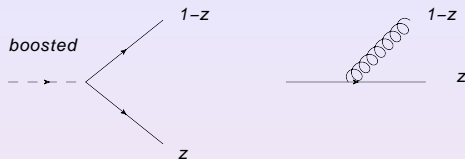
QCD splitting functions different from those for EW bosons like Higgs.

$P(z) \propto \frac{1+z^2}{1-z}$  favours soft emission while for Higgs there is a uniform distribution  $\phi(z) \propto 1$ . Looking at energy sharing within the jet gives a clue to its origin. Since QCD jets dramatically favour large  $z$  cutting on  $z$  will reduce background.

Seymour 1993, Butterworth et.al 1994, Butterworth et. al 2008

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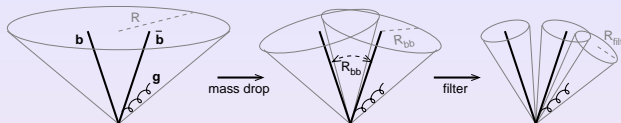
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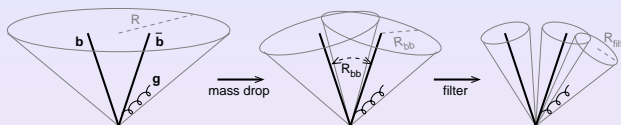
# Filtering

Mrinal Dasgupta



Various substructure techniques proposed e.g filtering, pruning, trimming. Essentially similar ideas but important differences of detail. Example - filtering with Cambridge-Aachen algorithm for Higgs production in association with a vector boson. One goes through the following steps

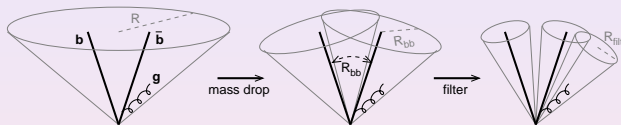
- Undo last step of algorithm so that jet  $j$  splits into  $j_1$  and  $j_2$  where  $m_{j_1} > m_{j_2}$ .
- If there was significant mass-drop  $m_{j_1} < \mu m_j$  and splitting is not very asymmetric  $y_{ij} > y_{cut}$  then  $j$  is taken to be in heavy particle neighbourhood and one exits the loop.



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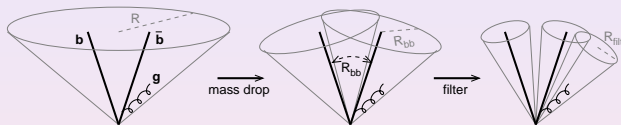
- Otherwise one redefines  $j$  to be  $j_1$  and reverts to step 1. Final jet  $j$  considered as Higgs candidate if both  $j_1$  and  $j_2$  have  $b$  tags.



Due to angular ordering jet  $j$  will contain nearly all radiation from  $b\bar{b}$ . But note that UE contribution  $\propto R^4$ .

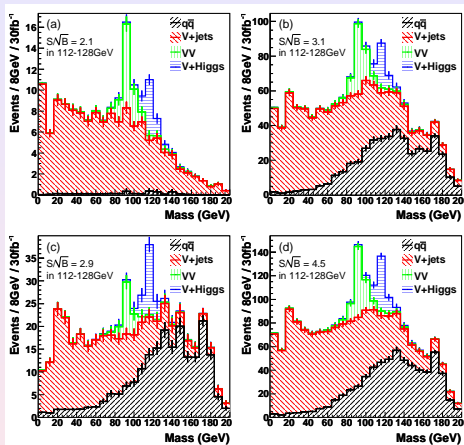
Rerun algorithm on a smaller scale to keep only 3 hardest subjets. Reduce UE but keep dominant PT radiation.

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An unpromising channel rescued.



Other techniques aimed at reducing contamination and eliminating background:

- Pruning Ellis, Vermillion, Walsh 2009
- Trimming Krohn, Thaler, Wang 2009

**Common issues:** Introduce extra parameters in jet finding which need to be tuned

For more details and recent developments see:  
<http://boost2011.org>

- Significant progress in defining, speeding up and understanding jets.
- New ideas aimed at optimizing jet studies in the context of discoveries. Optimal  $R$ , pile up subtraction are examples.
- Substructure techniques developed at an enormous rate in context of boosted heavy particle searches.
- Fast flexible tools for jet analyses available for use (FastJET, SpartyJet)

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