

General Introduction into 4th Family Model & Phenomenology

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“Flavor & the 4th Family”
IPPP, Durham; 09/14/11

Outline

- Motivation
- Parameters & constraints on 4G
- Possible hints

Repercussions 4

- DEWSB
- Baryogenesis
- DM
- High intensity Expts
- Colliders
- Summary

Motivation [1]

- Seen 3; why not 4?
- Enhanced prospects for DEWSB
- [Holdom('86); Bardeen et al ('90); Hung & Isidori('97); Hung & Xiong('11)].....
- Enhanced prospects for baryogenesis
[Jarlskog & Stora('88); Branco et al('98);
Hou('08)]

Motivation [II]

- NFC: built in.....Recall this is a **very serious** problem for almost all BSMs
- **Cannot be just simple SM4: DM link?**
[See e.g. Volovik('03); Lee, Liu & AS ('11)]
- **Readily accounts for B-CP-anomalies**
[A.S et al ('08; '10); Buras et al ('10)]
- **Accounts also for AFB(tt)**
[Davoudiasl,McElmurry & A S]

May be the best reason

- My license plate: udcstbgz (since '89 NY)
- Used to be OSCILL8 (before '89 in CA)

“SM4”: *a revisit*

- Inspired by classic works on “SSB w/o fundamental scalars” by Cornwall and Norton [’73], studied with Norton and students Carpenter & Siegemund-Broka, role of heavy quarks in DEWSB in [87-90]
- potential of B-physics for SM4 studied extensively with George Hou~86-88

Annals of The New York Academy of Sciences Volume 578

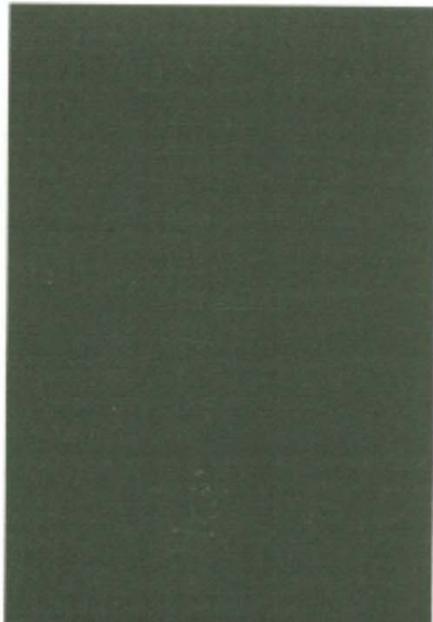
CIRCA 1989
(UCLA)

1ST
~1987

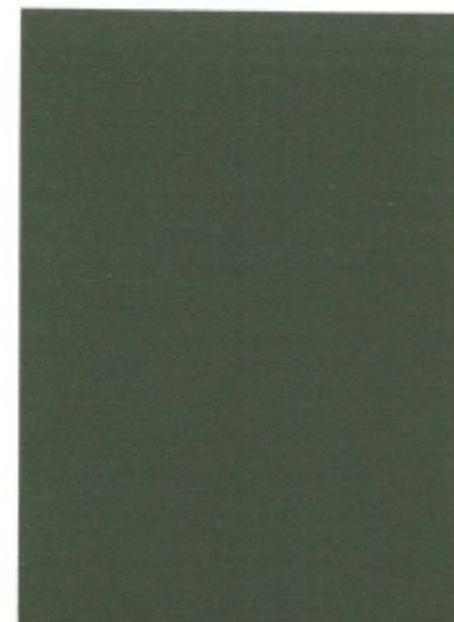
The Fourth Family of Quarks and Leptons

Second International Symposium

Editors
DAVID B. CLINE • AMARJIT SONI



Flavor & 4G; IPPP DURHAM



A. Soni

Parameters & Constraints on 4G

- In the simplest version (SM4) there are quarks t' , b' and leptons L_4 , ν_4
- KM “theorem” tells us that every linearly independent set of 3 generations has a phase; so there will be 2 new CP-odd phases (total 3).
- The 4X4 CKM-mixing matrix will also have 3 new real parameters (total 6)
- As far as masses go, LEPII told us that 4 G charged lepton, neutrino, quarks have to be at least around 100 GeV

VCKM4

- Bearing in mind that rare B-decays are very sensitive to 4 G effects and the hierarchical structure of the Wolfenstein representation , we extend to 4X4 case

NAND+S '10

-

$$V_{us} = \lambda, \quad V_{cb} = A\lambda^2, \quad V_{ub} = A\lambda^3 C e^{-i\delta_{ub}},$$

$$V_{t's} = -Q\lambda^2 e^{i\delta_{t's}}, \quad V_{t'd} = -P\lambda^3 e^{i\delta_{t'd}}, \quad V_{t'b} = -r\lambda, \quad (1)$$

$$\begin{pmatrix}
1 - \frac{\lambda^2}{2} + \mathcal{O}(\lambda^4) & \lambda & A\lambda^3 Ce^{-i\delta_{ub}} & P\lambda^3 e^{-i\delta_{t'd}} \\
-\lambda + \mathcal{O}(\lambda^5) & 1 - \frac{\lambda^2}{2} + O(\lambda^4) & A\lambda^2 & Q\lambda^2 e^{-i\delta_{t's}} \\
A\lambda^3(1 - Ce^{i\delta_{ub}}) & -A\lambda^2 - Qr\lambda^3 e^{i\delta_{t's}} & 1 - \frac{r^2\lambda^2}{2} + \mathcal{O}(\lambda^4) & r\lambda + \mathcal{O}(\lambda^4) \\
-Pr\lambda^4 e^{i\delta_{t'd}} & +A\lambda^4 \left(\frac{1}{2} - Ce^{i\delta_{ub}} \right) & & \\
+\frac{1}{2}AC\lambda^5 e^{i\delta_{ub}} + \mathcal{O}(\lambda^7) & +\mathcal{O}(\lambda^6) & & \\
-P\lambda^3 e^{i\delta_{t'd}} & -Q\lambda^2 e^{i\delta_{t's}} & -r\lambda & 1 - \frac{r^2\lambda^2}{2} + \mathcal{O}(\lambda^4)
\end{pmatrix}.$$

Use K, B, D ...experimental info such as b-> s gamma, b-> s ll, Delta Ms(Md), εK,
 $K^+ \rightarrow \pi^+ \nu\nu$[Nandi and A. S, arXiv: 1011.6091]

SEE SOUMITRA NANDI's talk

TABLE III. Allowed ranges of the CKM4 parameters obtained from our analysis.

Parameter	Allowed range	Parameter	Allowed range
λ	0.2205 ± 0.0018	$ V_{t'b} $	<0.12
C	$0.32 \rightarrow 0.42$	$ V_{t'd} $	<0.05
A	$0.825 \rightarrow 0.865$	$ V_{t's} $	<0.11
γ	$(73 \pm 13)^\circ$	$ V_{ub'} $	<0.05
r	<0.5	$ V_{cb'} $	<0.11
P	<5.0	$ \lambda_{db}^{t'} $	<0.002
Q	<2.5	$ \lambda_{sb}^{t'} $	<0.01
		$ \lambda_{uc}^{b'} $	<0.0025

Electroweak precision tests[EWPT]

- Provide important constraints on SM4
(see talk by Juergen Rohrwild for details).
- Here we'll simply note that due EWPT in SM4 mass difference of t' , b' needs to be less than ~ 70 GeV.

That prejudice suggests in SM4 prominent modes are $t' \rightarrow b W$; $b' \rightarrow t W$

HINTS of CKM breaking

Based on Enrico Lunghi+AS

0707.0212; 0803.4340; 0903.5059; 0912.0002
JHEP ↗ PLB
JHEP ↙ PLB
1010.6069 ↗ PRL
PLB II ↘

Important to Examine only DeltaF=2 observables:Leave out Vub
 $\sin 2 \beta = 0.87 \pm .09$ {Lunghi+AS, hep-ph/08034340}
(became possible only due significantly reduced error in B_K)

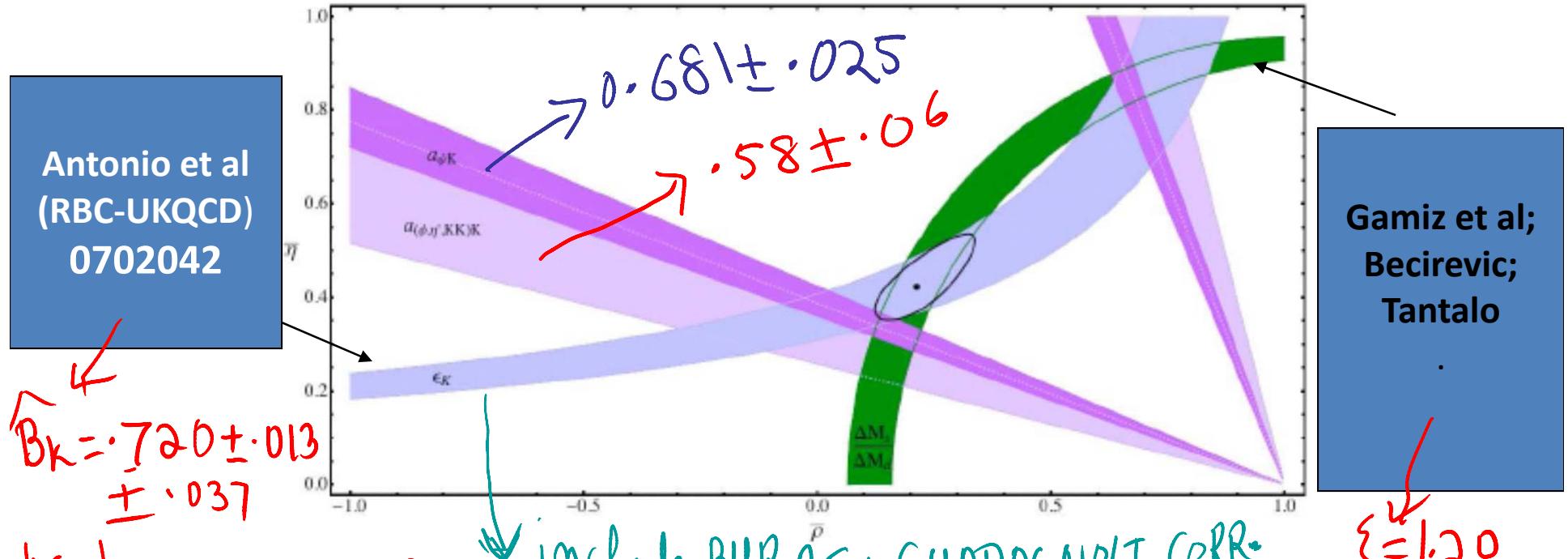


FIG. 1: Unitarity triangle fit in the SM. All constraints are imposed at the 68% C.L.. The solid contour is obtained using the constraints from ϵ_K and $\Delta M_{B_s}/\Delta M_{B_d}$. The regions allowed by $a_{\psi K}$ and $a_{(\phi+\eta'+2K_s)K_s}$ are superimposed.

2.1-2.7 σ - deviation from the directly measured values of $\sin 2 \beta$
Flavor & 4G; IPPP DURHAM A.
requires careful follow-up Soni

Continuing saga of Vub

- For past many years exclusive & inclusive show discrepancy (Latest; gotten worse)
- $\text{Exc} \sim (29.7 +3.1) \times 10^{-4}$
- $\text{Inc} \sim (40.1+2.7+4.0) \times 10^{-4}$

Lattice
e.g. $B \rightarrow \pi l \bar{l}$)
 $B \rightarrow X_u l \bar{l}$
continuum

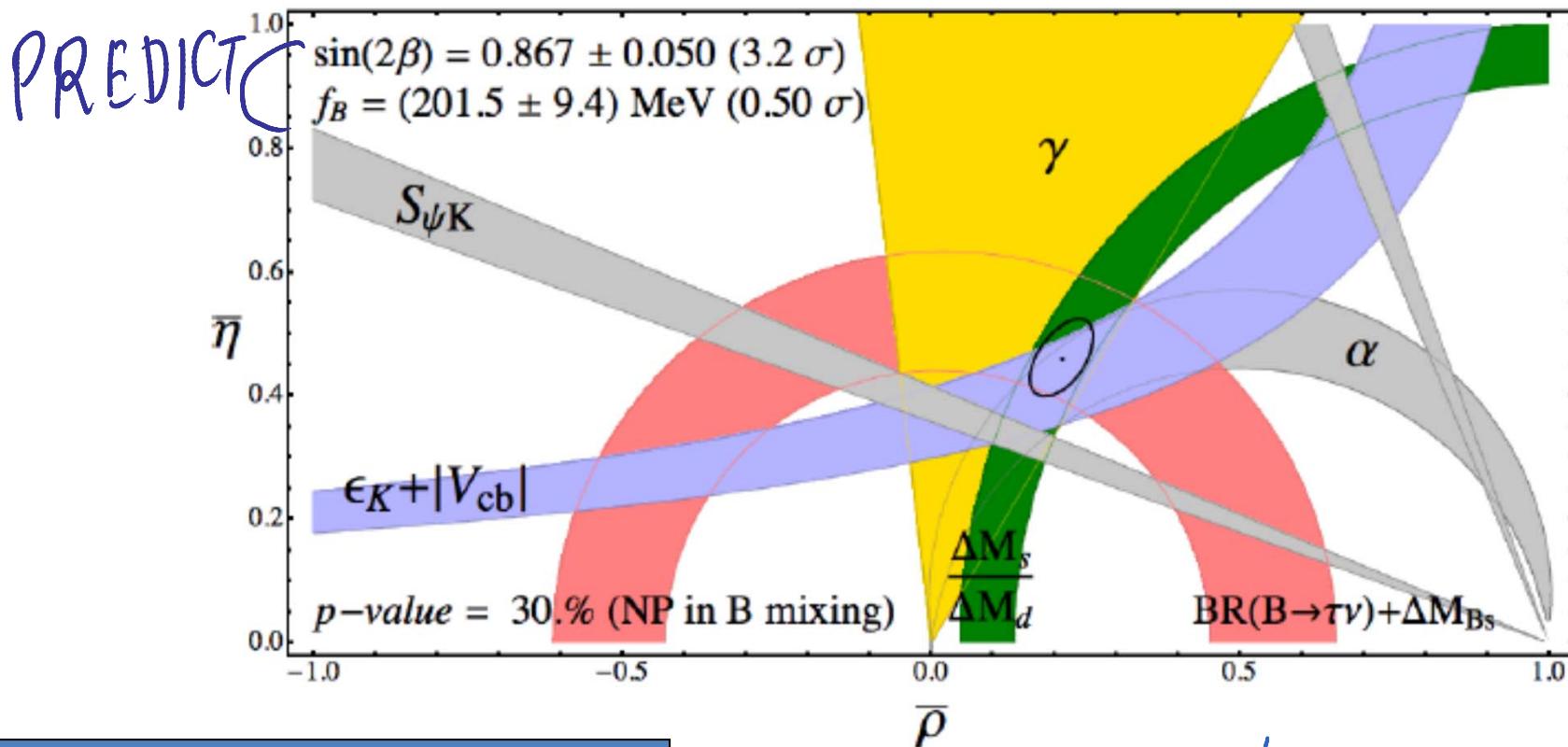
-> *Let's try NOT use Vub: initiated in '08*

(EL&AS'08)...Not just for the above reason

ONLY BECAME VIABLE DUE TO SIGNIFICANT BETTER BK

UPDATE 2010

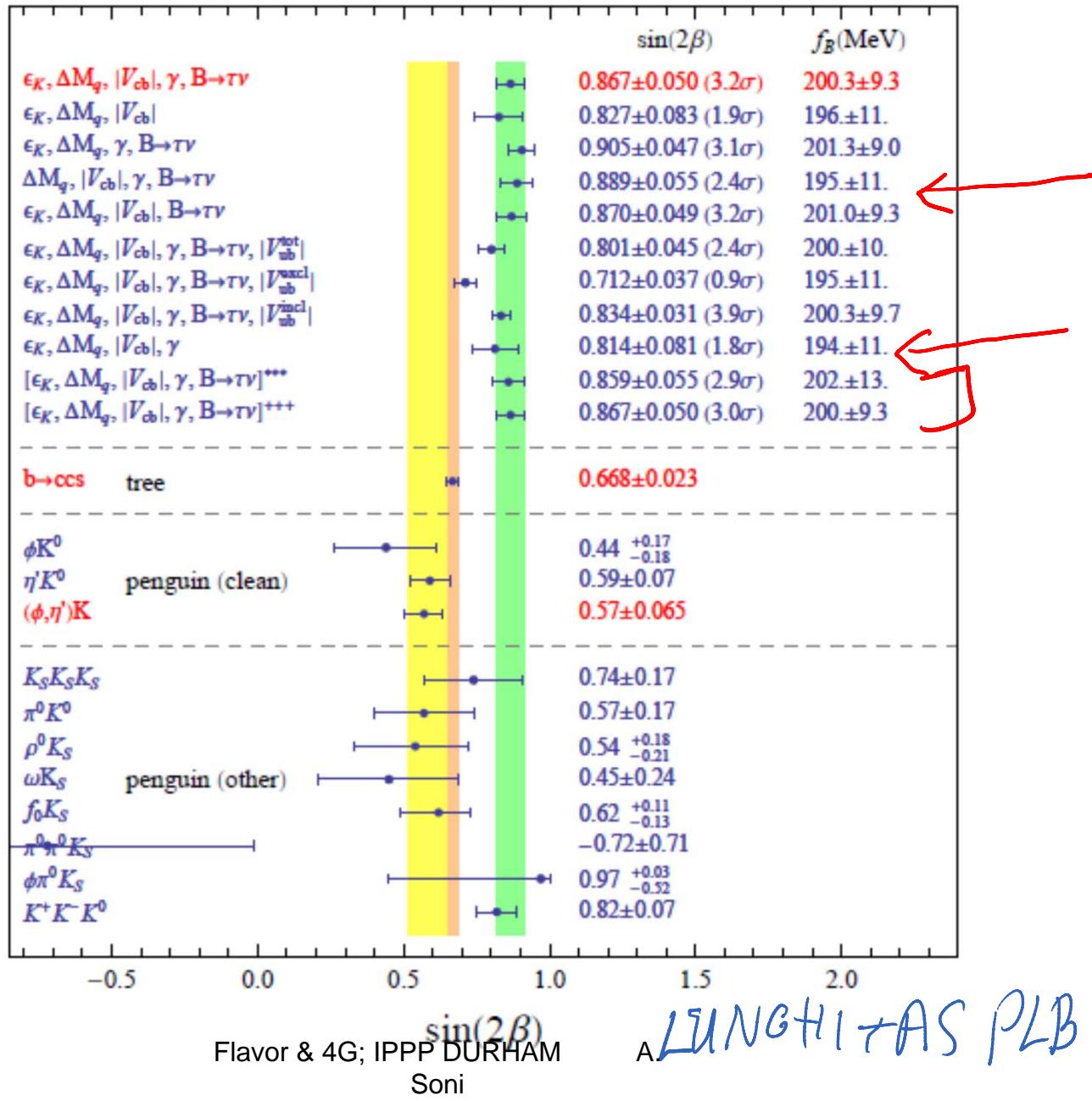
INPUTS: ϵ_K , $\Delta M_{B_s}/\Delta M_{B_d}$, $\Delta M_{B_s}) \chi, B \rightarrow \bar{c} \bar{s}$



Predict $\sin 2\beta$ & f_B

LUGHITAS PLB' ||

"GOLD" ←
 penguin
 dominated



Flavor & 4G; IPPP DURHAM
Soni

A LENGTH AS PLB /

INPUT

$\sin 2\beta$ {

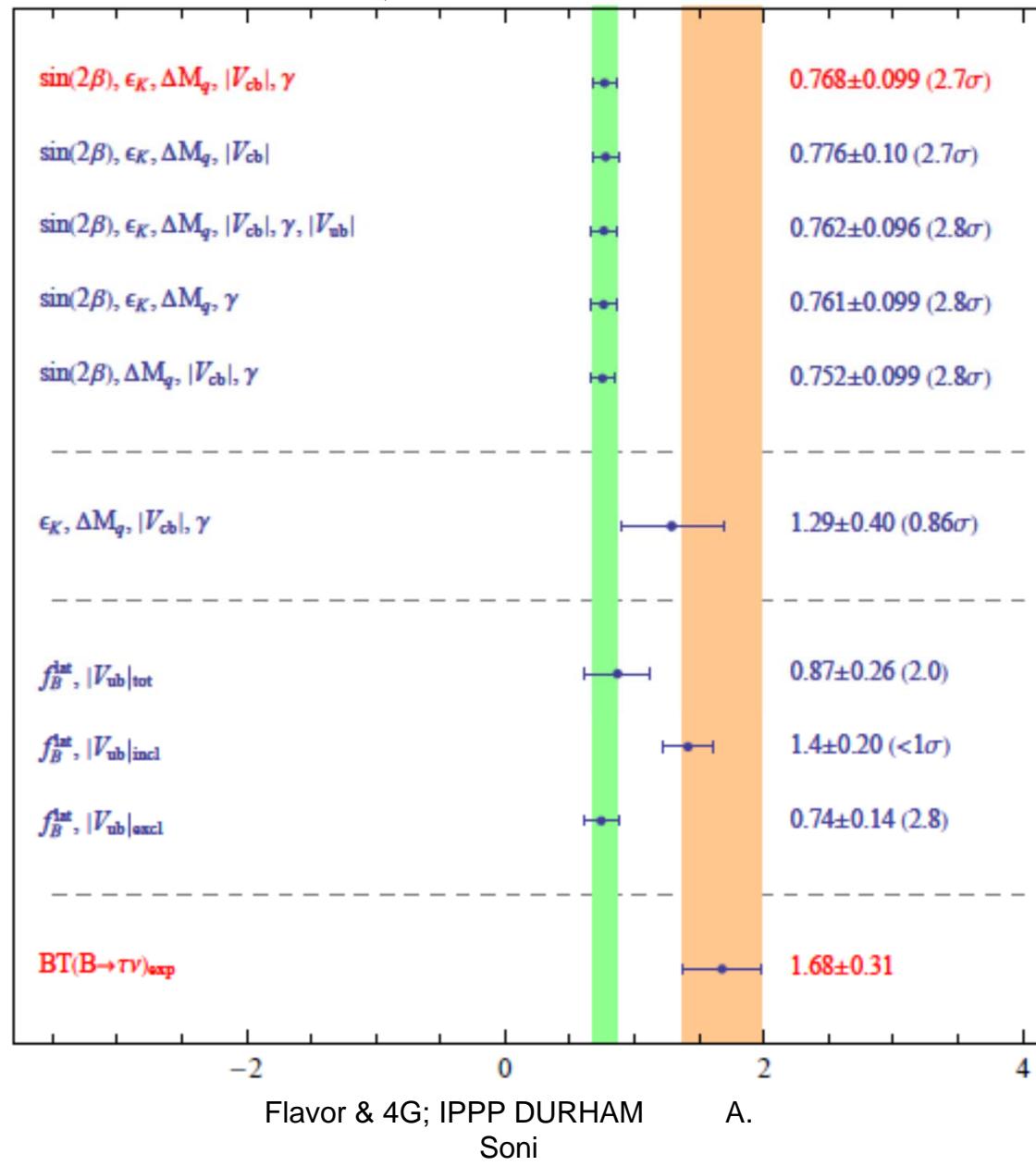
NO $\sin 2\beta$

$BR(B \rightarrow \tau \nu) \times 10^4$

Derivation

7,2,76

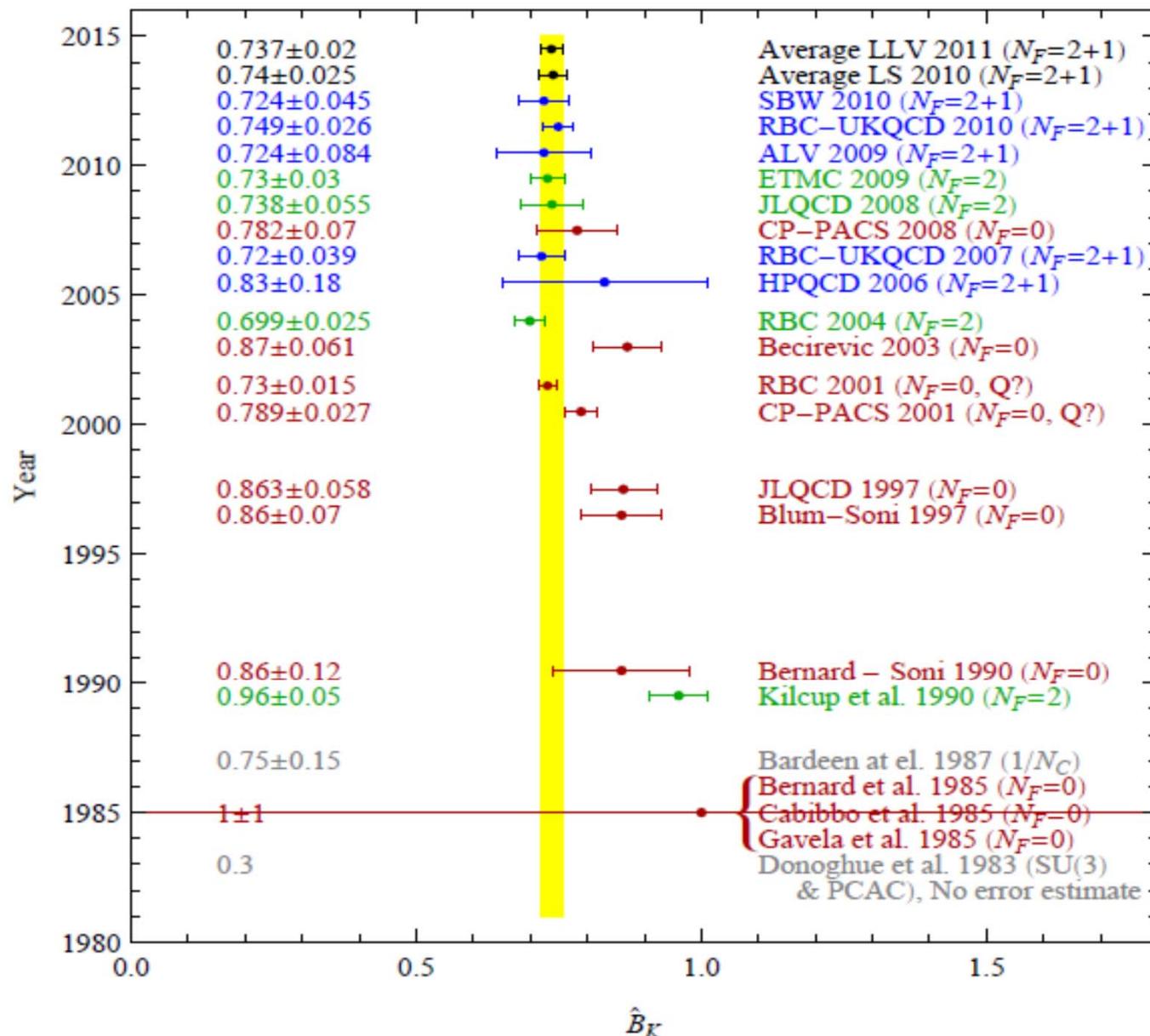
~ 0.96



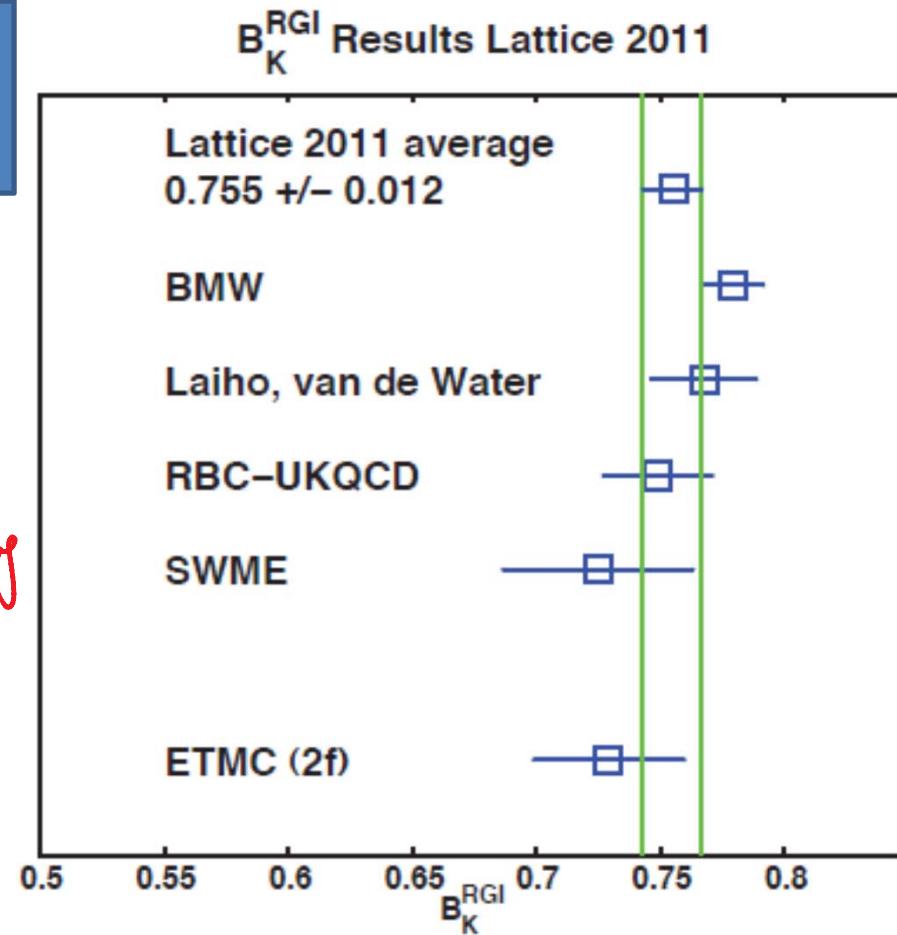
In a nutshell

- Bulk of NP effects is in Bd,Bs mixing & in $\sin 2\beta$ {CONFIRMS our 2008 findings}
- Bulk of NP NOT in $B \rightarrow \tau\nu$, or in ε_K [Presence of subdominant effects therein certainly possible]
- Many, many checks for robustness of the conclusions
- DIFFICULT to RECONCILE RESULTS with CKM-SM

A BRIEF \sim 25 years history of B_K



Several Lattice groups using completely diff. methods reporting B_K with total cma $\leq 3\%$!

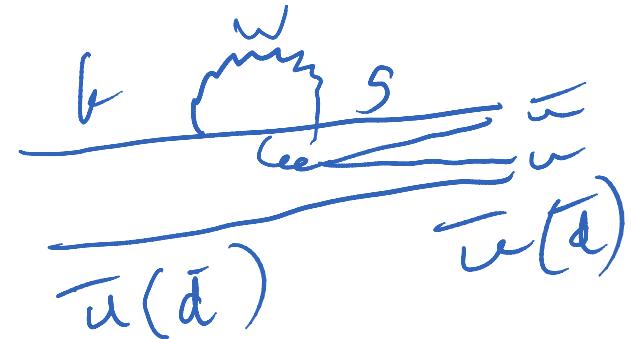


HUGE STRIDES
IN LATTICE
CALCULATION OF
 B_K !

- Average the four 2+1 flavor calculations presented
- Except for BMW, all are preliminary, although all groups have recently published B_K results from earlier datasets, so preliminary work should be fairly reliable.

See also recent summary by FLAG working group of FLAVIANNET (arXiv:1011.4408)
They quote $\hat{B}_K = 0.759(20)$ for $N_f = 2+1$
Soni

Delta K pi



•

$$A_{CP}(B^- \rightarrow K^-\pi^0) - A_{CP}(\bar{B}^0 \rightarrow K^-\pi^+)$$

EXPT $\sim 5\% - (-9\%)$

" $\sim 14.8 \pm 2.8\%$

LUNGHI + AS '09 2.8 ± 2.8

Numerous tests to check stability under large variation of inputs.

Possibilities for DEWSB

Burdman & Rold arXiv: 0710.0623

WARPED SPACE

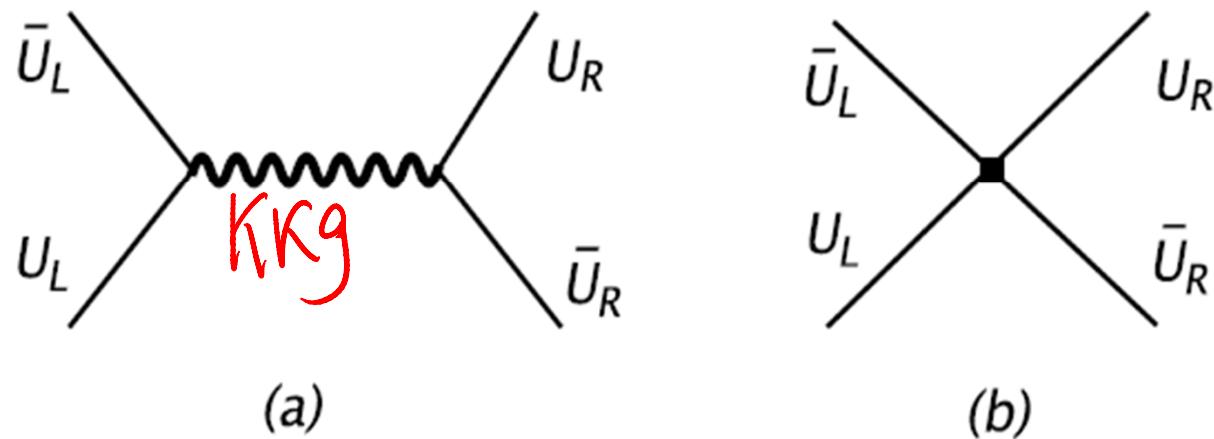


Figure 1: Two contributions to four-fermion interactions of the up-type fourth-generation quark: (a) from the interactions with a KK gluon; (b) from the four-fermion interactions induced by the bulk operators of (2.11).

$$\langle \bar{U}_L U_R \rangle_{fo} \quad m_u \sim 600-700 \text{ GeV}$$
$$m_h \sim 2m_u$$

HEAVY fourth family cannot co-exist with light Higgs

Higgs description loses meaning

- $m_{t', b'} \approx 600$ GeV close to the unitarity upper bound
- Goldstone bosons of electroweak symmetry breaking couple strongly to t' , b' , so strong interactions unitarize WW scattering

Higgs is no longer needed



- strong interactions can also be responsible for the Goldstone bosons
- a fermion condensate replaces the Higgs vev
- so where do quark and lepton masses come from?

$$\langle \bar{\Psi} \Psi \rangle = \Lambda_{ew}^3$$

$$\frac{1}{\Lambda_{fl}^2} \bar{\Psi} \Psi \bar{\psi} \psi$$

$$m_\psi = \frac{\Lambda_{ew}^3}{\Lambda_{fl}^2}$$

BOB HOLDOM

Heavy 4th Generation's scenario

PQ Hung

What can a heavy 4th generation do?

- A heavy Higgs-4th Yukawa system can give rise to **condensates** and **bound states** of 4th generation fermions \Rightarrow Implications on the **vacuum structure** of the SM and the **number of Higgs doublets** (a mixture of fundamental and composites)
- The appearance of **quasi-fixed points** in the **2-loop approximation** at a scale $\Lambda_{FP} \sim O(TeV)$ hints at a possible **scale-invariant** theory above Λ_{FP} .

CAN NOT BE JUST SM4

- Neutrino4 must be very heavy [LEP, Fermilab]
- D0,CDF mt' , $mb' > 350\text{GeV}$ [bounds in SM4]
- 4G fermions very likely play important role
IN DEWSB -> likely a strongly coupled 4G
- Generic 2HDMmodels [see Bar-Shalom,
Nandi and A. S '11] suggest significant
differences in search strategies from SM4
and constraints of oblique parameters

Baryogenesis

- For SM3, there is unique CP invariance
[Jarlskog '87]

$$\begin{aligned} J &= \text{Im} \det[M_u M_u^\dagger M_d M_d^\dagger] \\ &= 2(m_t^2 - m_u^2)(m_t^2 - m_c^2)(m_c^2 - m_u^2) \\ &\quad (m_b^2 - m_d^2)(m_b^2 - m_s^2)(m_s^2 - m_d^2) A \end{aligned}$$

Area of unit

⇒ exceedingly small ~~if~~ if of
small masses

$J/\sqrt{2} \approx 10^{-20}$!

In 4G models

$$J_{234} = 2(m_{t'}^2 - m_t^2)(m_{t'}^2 - m_c^2)(m_t^2 - m_c^2) \\ (m_{b'}^2 - m_b^2)(m_{b'}^2 - m_s^2)(m_b^2 - m_s^2) A_{234}$$

$\frac{J_{234}}{J} \sim 10^{16} \quad !!$
SHOULD FACILITATE SIGNIFICANTLY

But SM4 simple Higgs not good 4 phase
transition ; 2 HDM needed [CDINET+KUSENKO]

DM possibilities in 4G models

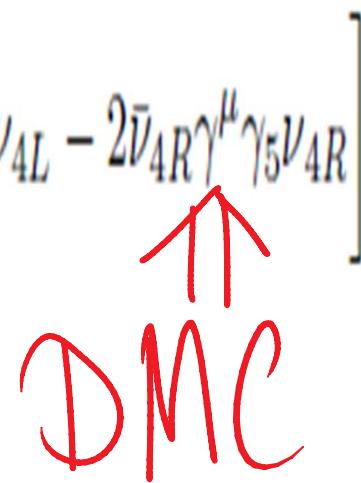
- Lee,Liu, AS arXiv: 1105.3490 [c also Volovik hep-ph/0310006]
- Link heaviness of ν_4 with new abelian gauge interaction: $B - 4 L4$ distinguishing it from SM3 neutrinos
- Just a heavy ν_4 in SM4 is NOT a viable DMcandidate ...conflicts with direct detection bounds[CDMS & XENON} both for Dirac (spin independent) or Majorana (spin dependent) cases [XENON 10]

New B - χiL gauge symmetry for 4G

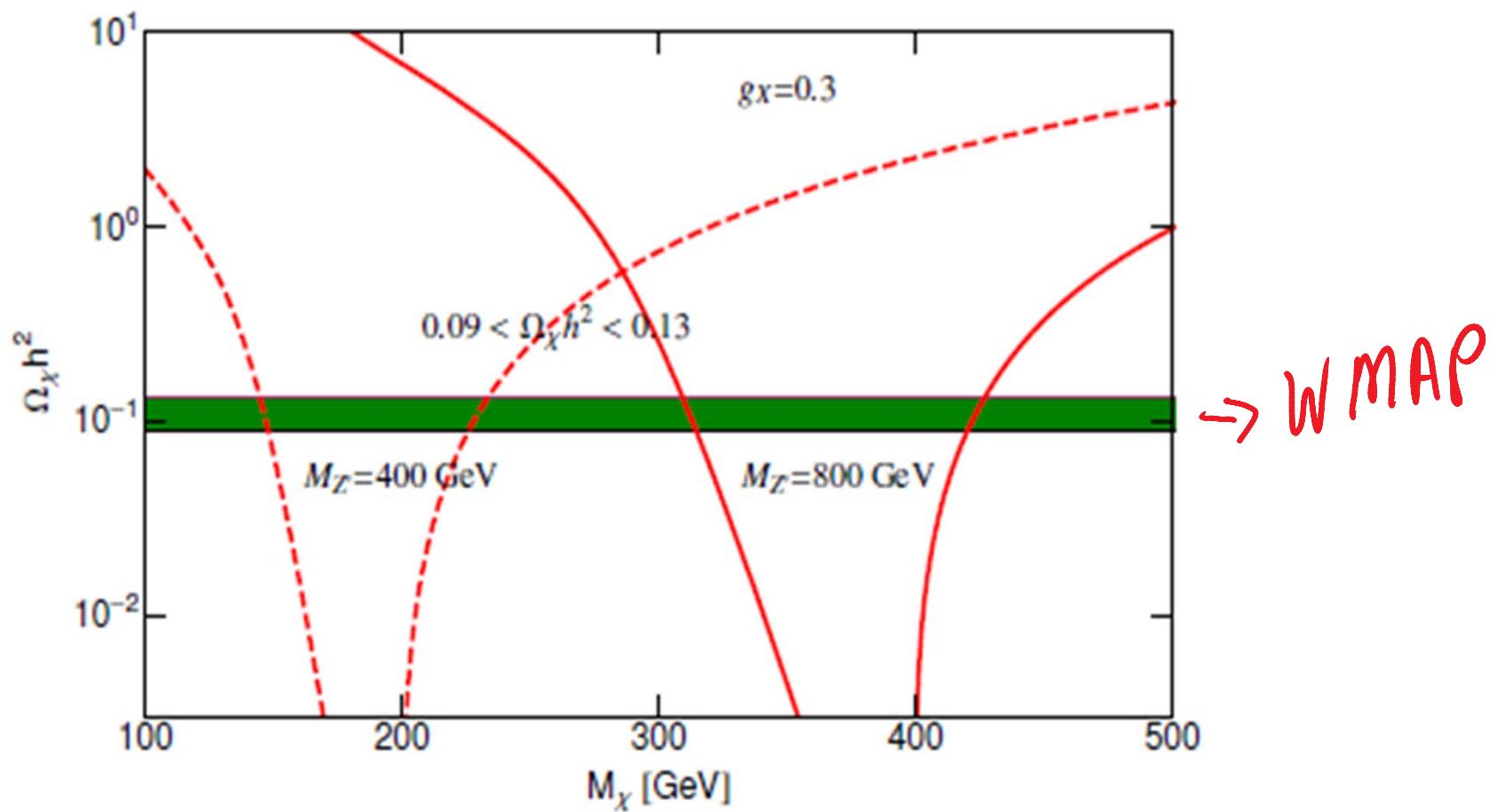
- [its similar to earlier 3G studies: Ma
arXiv:9709.474; Lee & Ma, 1001.0768]
- Relevant effective new interaction is:

$$\mathcal{L}_{\text{int}}^{Z'} = g_X Z'_\mu \left[\frac{1}{6} \bar{q} \gamma^\mu q - 2 \bar{e}_4 \gamma^\mu e_4 - 2 \bar{\nu}_{4L} \gamma^\mu \gamma_5 \nu_{4L} - 2 \bar{\nu}_{4R} \gamma^\mu \gamma_5 \nu_{4R} \right]$$

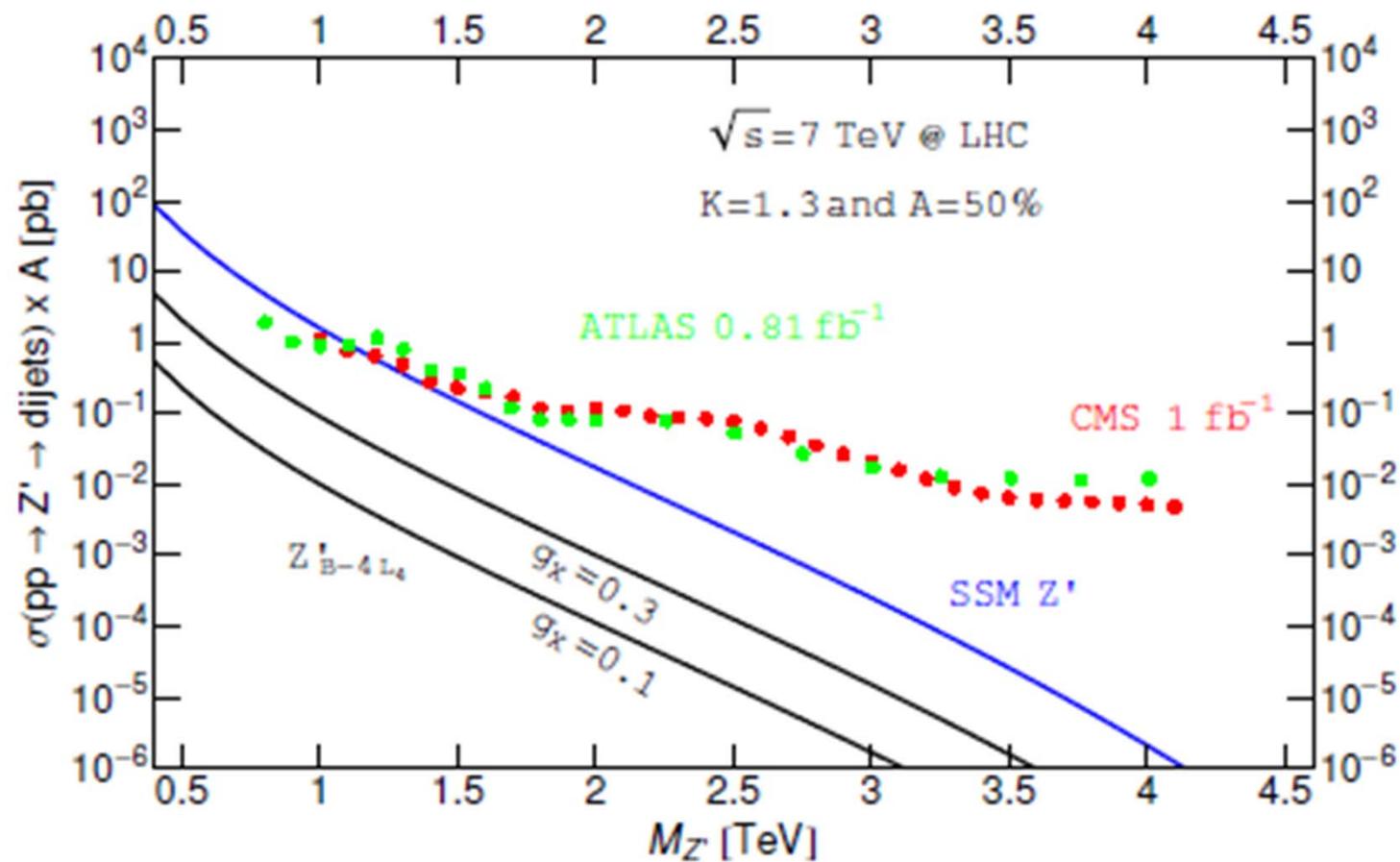
NOTE: (almost) leptophobic Z'
Also couples rather weakly to
quarks



RELIC DENSITY VS DM MASS



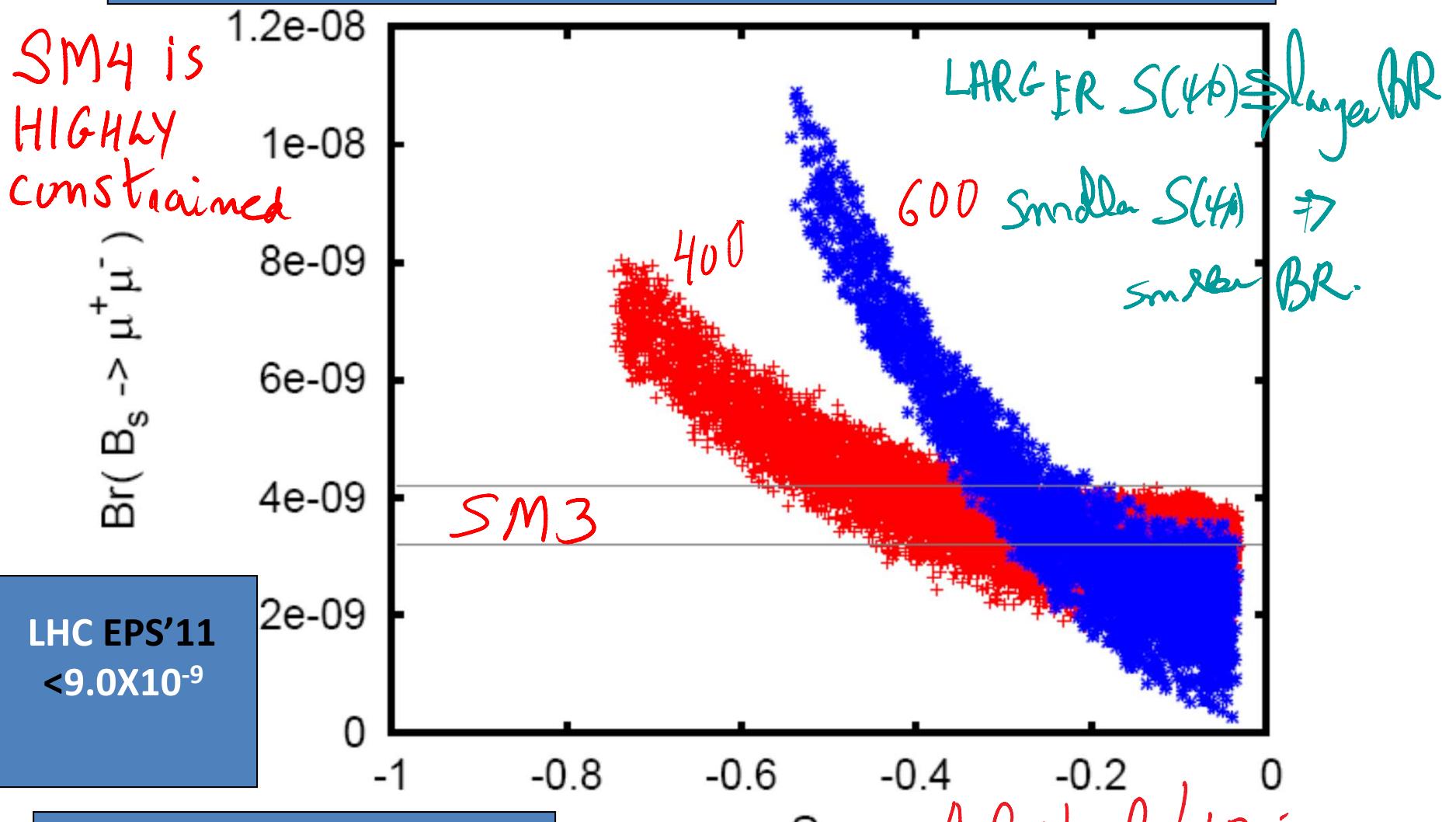
LHC Searches NOT Yet Sensitive



Implications for High Intensity Experiments

- Effects on CP-conserving observables are expected to be small.[e.g $b \rightarrow s \gamma$; $b \rightarrow l^+ l^-$]
- A very nice exception is $B_s \rightarrow \mu^+ \mu^-$
- CP-violating observables are more susceptible due to the 2 new phases.
- Using null observables of SM3 is a good idea.. [see e.g. Gershon & AS hep-ph/0607230]
- Here are some candidates: $B_s \rightarrow \psi \phi$, $B(B_s) \rightarrow X(X_s) l \bar{\nu}$, $D^0 \rightarrow \phi \pi^0$, $\eta' \rho$, $k_s \omega$; $K_L \rightarrow \pi^0 \nu \bar{\nu}$, ϵ'/ϵ
- May also appear as deviation from $\sin^2 \beta$

Br($B_s \rightarrow \mu\mu$): a very clean process
IMPORTANT Correlation with $S(\psi\phi)$

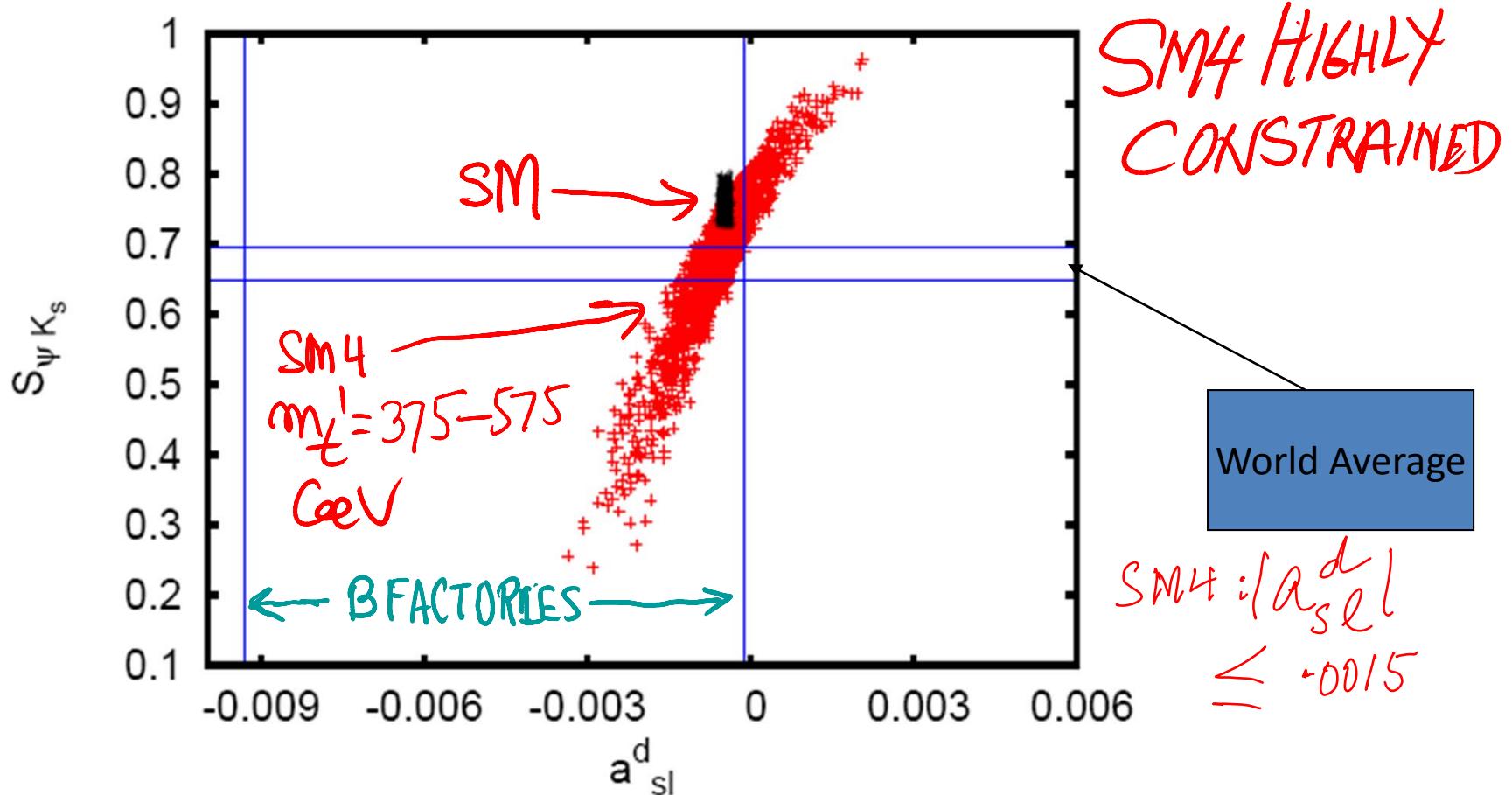


SM4 may increase or decrease
Br by $\sim O(3)$

avor & 4G; IPPP DURHAM
Soni

A. S. et al /10;
A. BURAS et al /10

Predicted range of $S(\psi K_s)$ in SM4 (with $m_t' = 400$ GeV) is (shown in red) compared with the experimentally measured value via the ψK_s mode (1 sigma error) and with the SM (1 sigma)

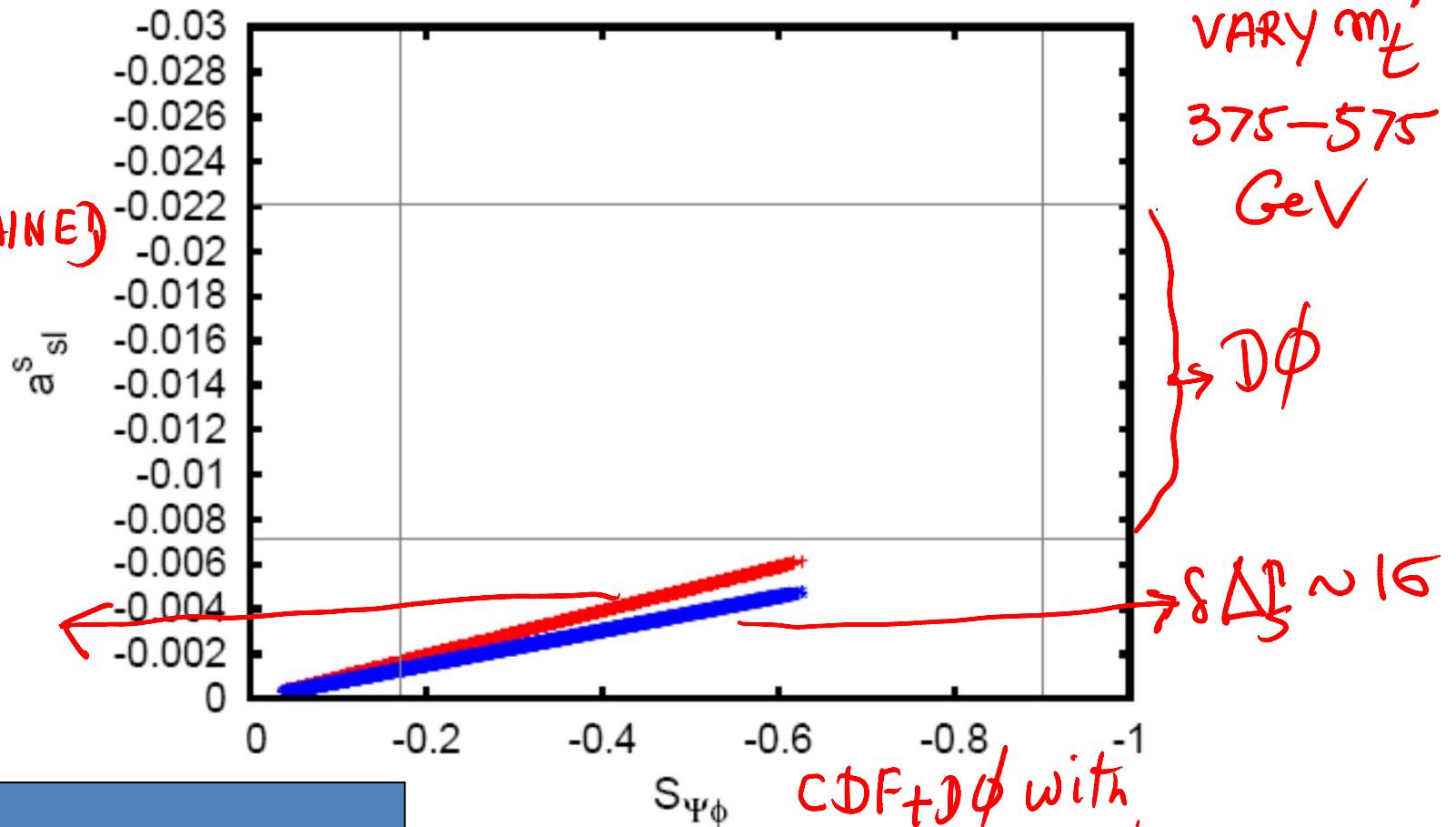


SM4 seems to predict $\sin^2 \beta$ around 0.70 with an error of about 0.06;
 S. Nandi and A.S, 1011.6091

Recent D0 result is vertical axis and combined D0, CDF each
 For SM4 error on Delta_Gamma_s is increased
 by a factor of two resulting in ~50% increase in a_sl^s

SM4 is
 HIGHLY
 CONSTRAINED

$\delta\Delta\Gamma_s \sim$
 26

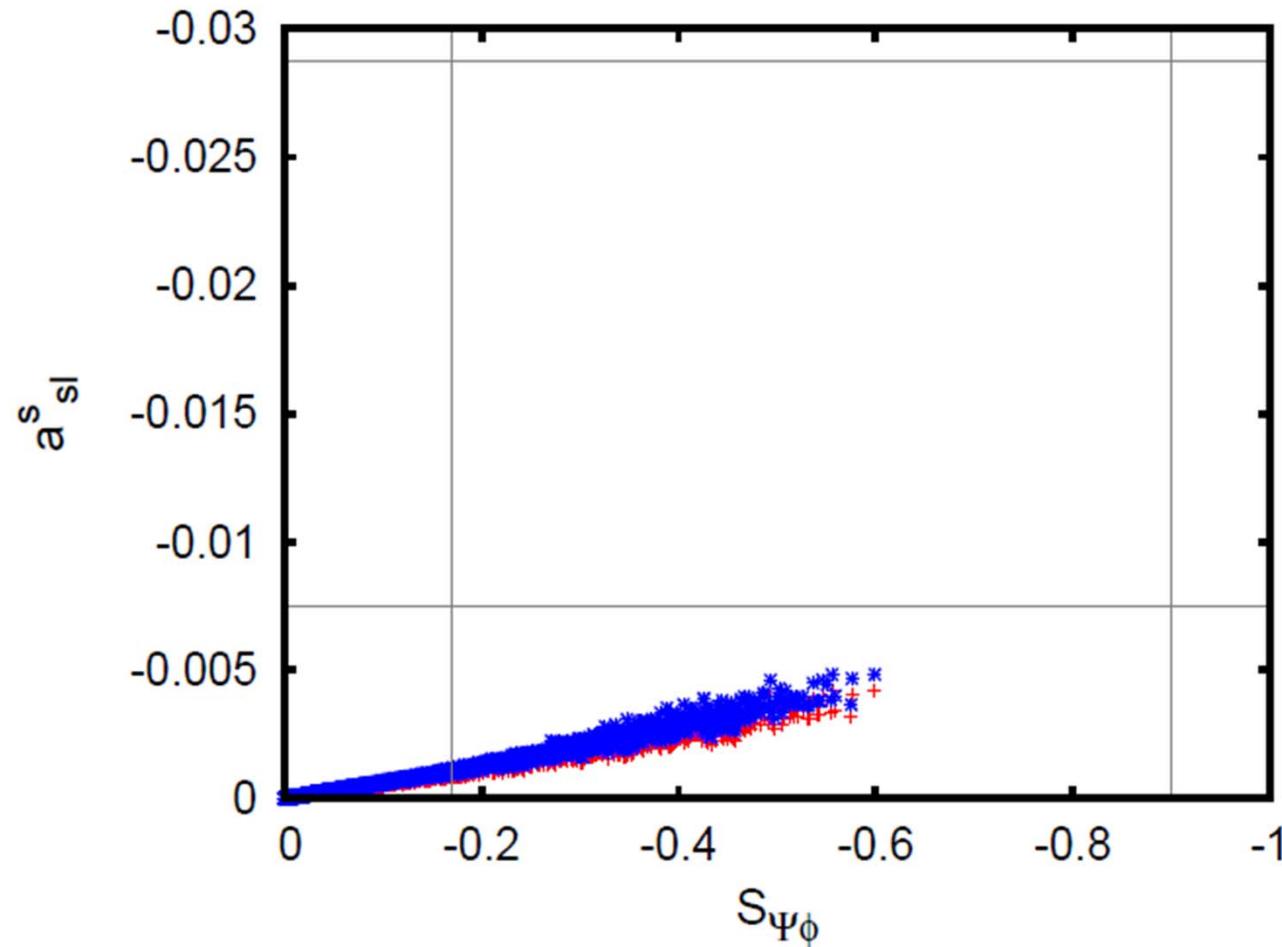


S.Nandi and A.S, 1011.6091

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 Soni

A.

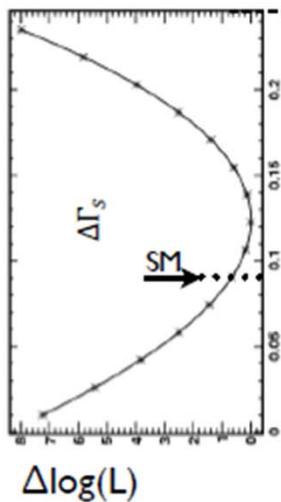
D0 update '11



$$\frac{\Delta \Gamma}{\Gamma} = 16 \text{ RED}$$
$$= 26 \text{ BLUE}$$

$B_s \rightarrow J/\psi \varphi$: $\Delta\Gamma_s$ vs. ϕ_s

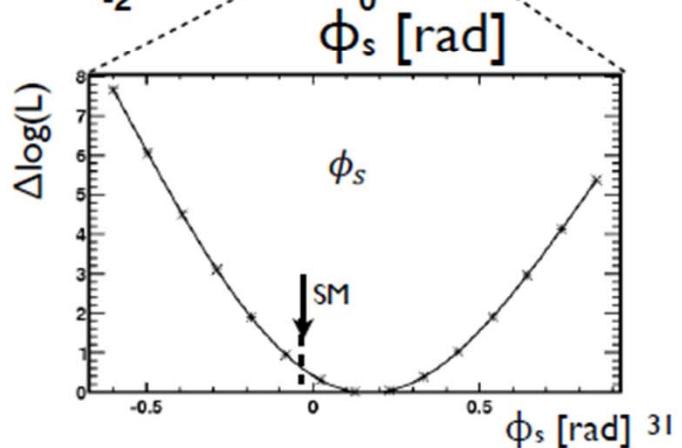
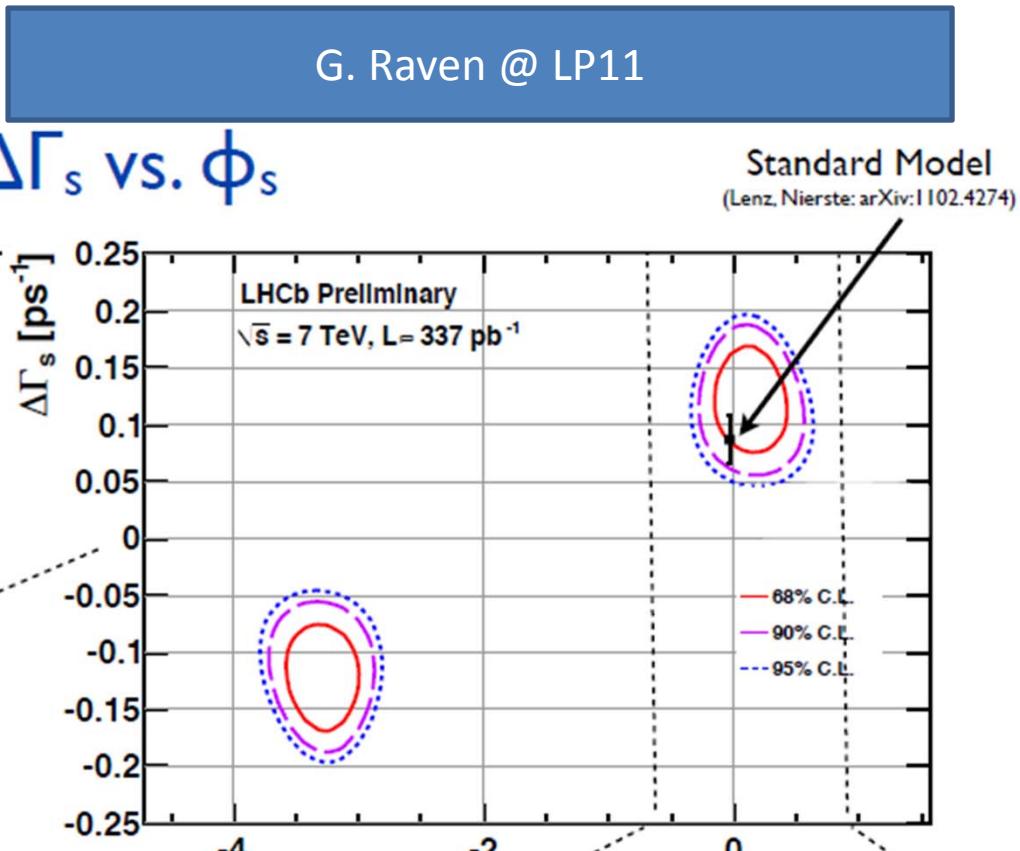
LHCb-CONF-2011-49

Most precise measurement of ϕ_s

- $\phi_s = 0.13 \pm 0.18 \text{ (stat)} \pm 0.07 \text{ (syst)} \text{ rad}$
- Consistent with SM

4 σ Evidence for $\Delta\Gamma_s \neq 0$:

- $\Delta\Gamma_s = 0.123 \pm 0.029 \text{ (stat)} \pm 0.008 \text{ (syst)} \text{ ps}^{-1}$
- $\Gamma_s = 0.656 \pm 0.009 \text{ (stat)} \pm 0.008 \text{ (syst)} \text{ ps}^{-1}$



(Sin2beta)tree vs (sin2beta)penguin

- The other hint is that b-> s penguin transitions have a non-vanishing BSM phase.
- Cleanest modes (eta' Ks, phi Ks) seem to show smaller value $\sim 0.59 - 0.56$
- Central value for several other modes is smaller than 0.68 [and of course practically all are well below the theory prediction ~ 0.85]

Note $\sin 42 \text{ deg} = 0.67$

$\sin 35 \text{ deg} = 0.59$ NEED TO TARGET such
small deviation

$$SM: \phi_s \sim -0.04 \pm 0.02$$

$\approx 0.1 \text{ rad}$

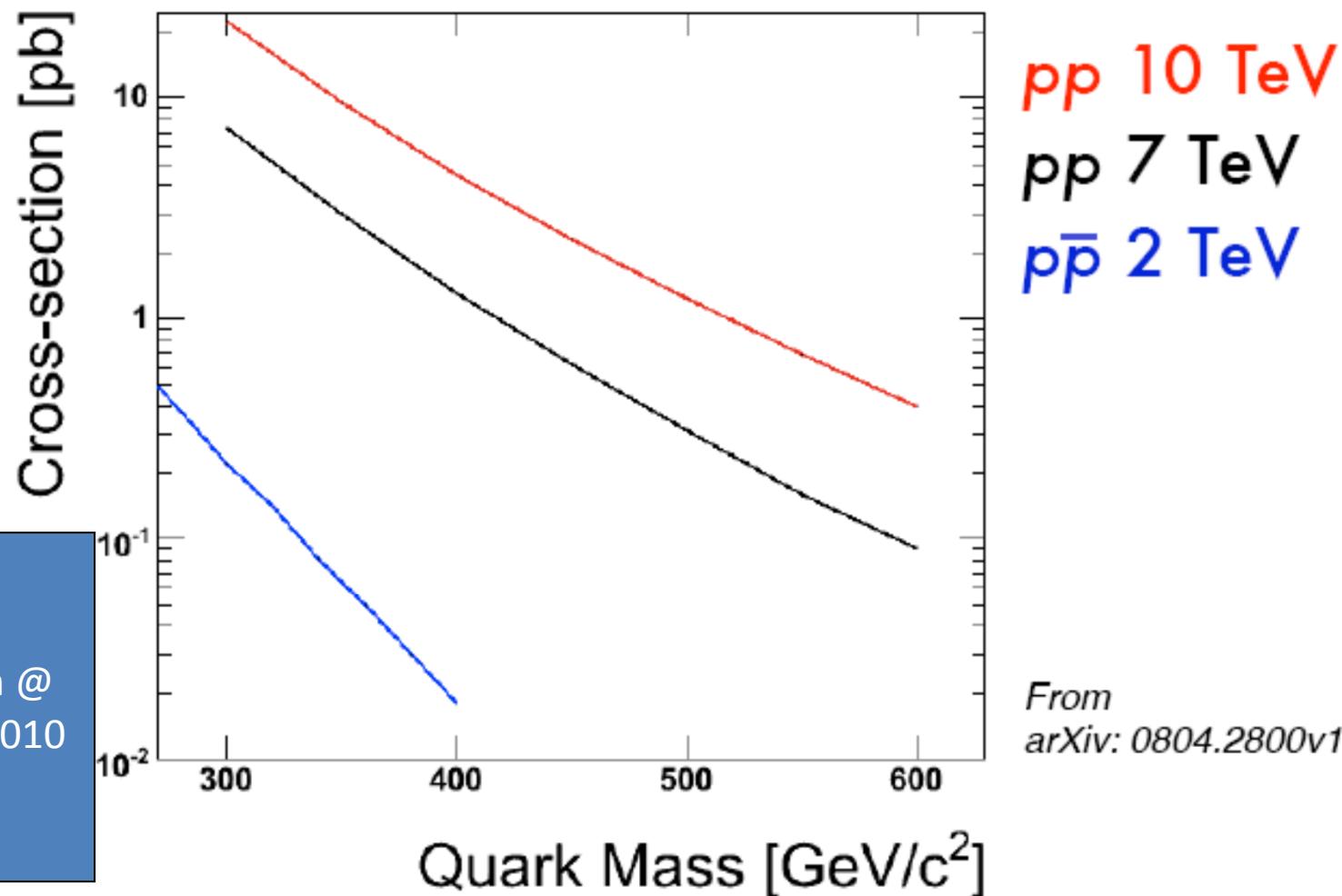
**“....but we have only just
got started”, G Raven at
LP11**

A sentiment I enthusiastically share

@ colliders

Cross-sections

LHC has much larger rates for heavy quarks

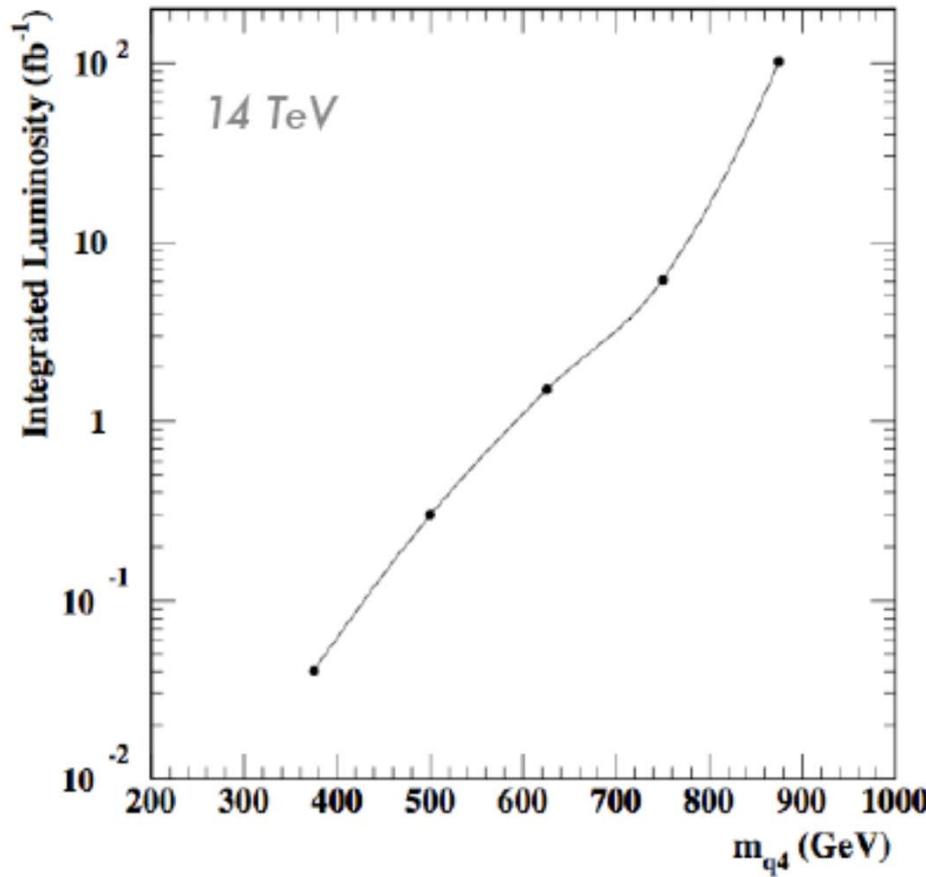


Whiteson @
NTU Jan2010

From
arXiv: 0804.2800v1

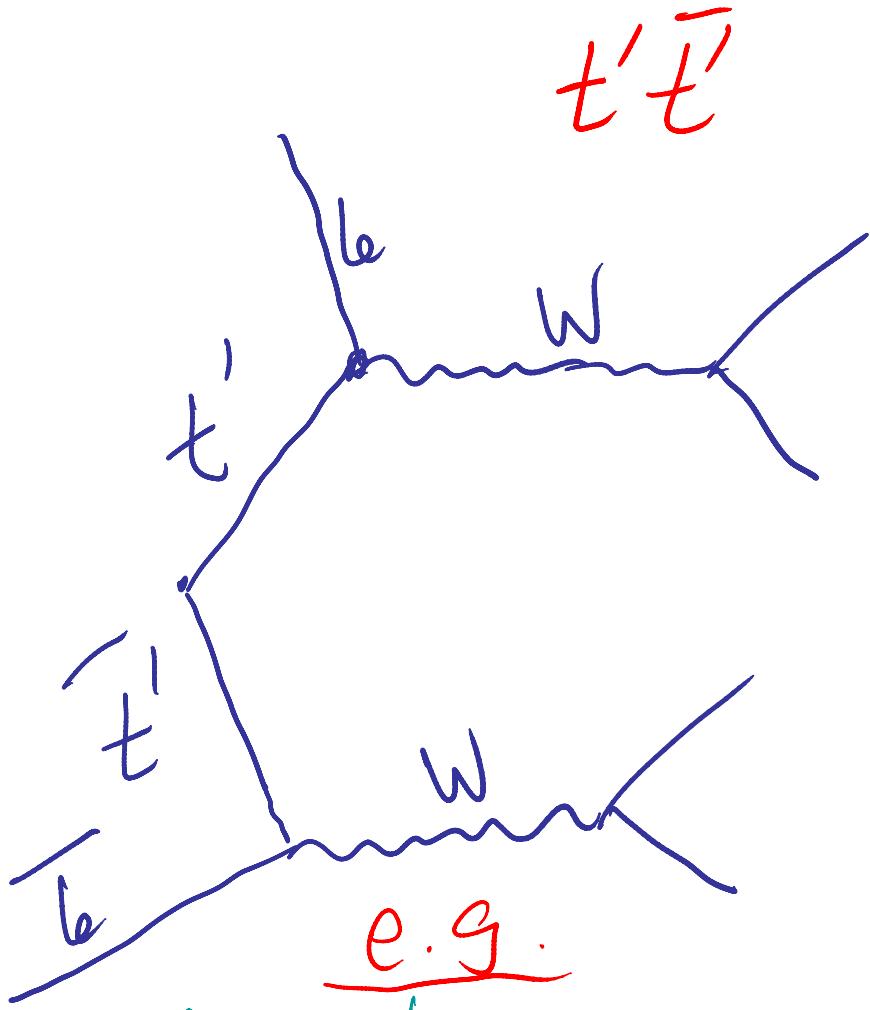
Sensitivity

5 σ discovery



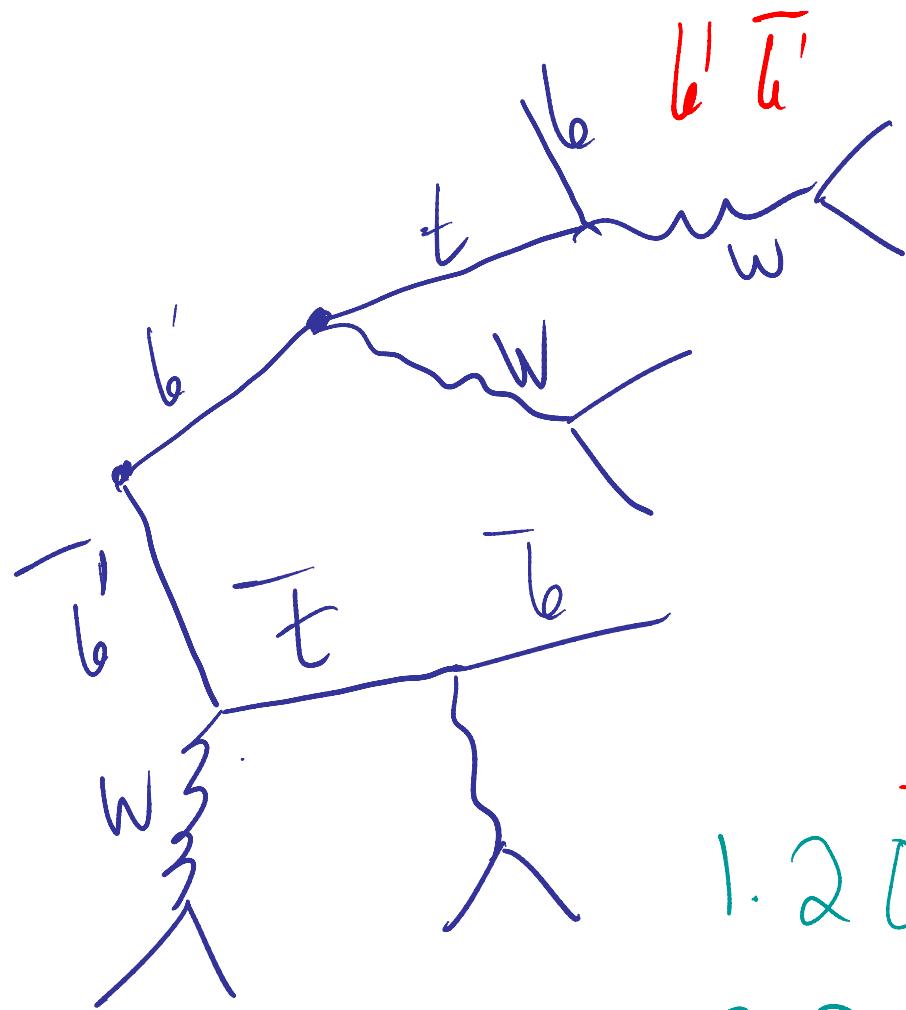
Whiteson@NTU, Jan 2010

From ATLAS SN-ATLAS-2008-069



I 20sl, 2 b_g , MET

II 1l, 2 b_g , MET, W_{jj}



e.g.

1. 2 D_{SL}, 2_S, W_{JJ}W_{JJ}, MET
2. 2 S_{SL}, 2_S, W_{JJ}W_{JJ}, MET
3. l_L, 2_S, W_{JJ}W_{JJ}W_{JJ}, MET

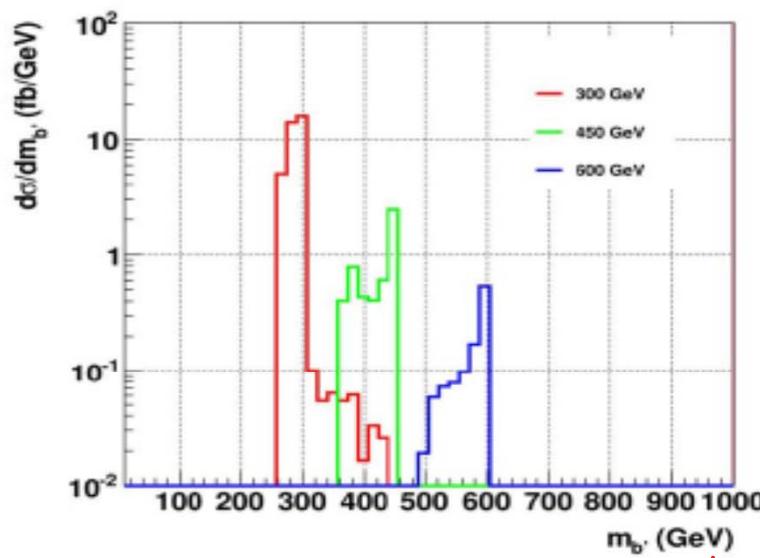
Detection of 4G [SM4] quarks

[Atwood, Gupta, AS'11,arXiv:1104.3874]

- An important feature: To a rather good approximation, pair production is near threshold . Using this feature showed robust signals:
 - 1) Single lepton
 - 2) Opposite sign leptons
 - 3) Same sign dileptonsAll 3 viable

Search for 4th generation at hadron colliders

- Large production rates at the LHC
 - $b' \rightarrow tW$ gives same sign leptons, plus jets, E_T^{miss}
 - Small Standard Model background
 - Can reconstruct b' mass



14 TeV
1/fb

An illustrative example

Atwood, Gupta, Soni, arXiv:1104.3874

Experimental bounds

- CDF, D0 and CMS have looked for t' , b' assuming simple SM4 decay patterns.
- CDF: $mb' > 338$ GeV; $mt' > 358$ GeV
- D0:
- CMS (LHC7, 34/pb): mb' between 255 GeV & 361 GeV excluded @ 95%CL.
- ATLAS [UCI group actively involved] talk by Michael Werth

Theory bounds (prejudice)

- Chanowitz, Furman, Hinchliffe ('78-79) showed perturbative unitarity requires quark mass $< \sim 550$ GeV; leptons $< \sim 1$ TeV

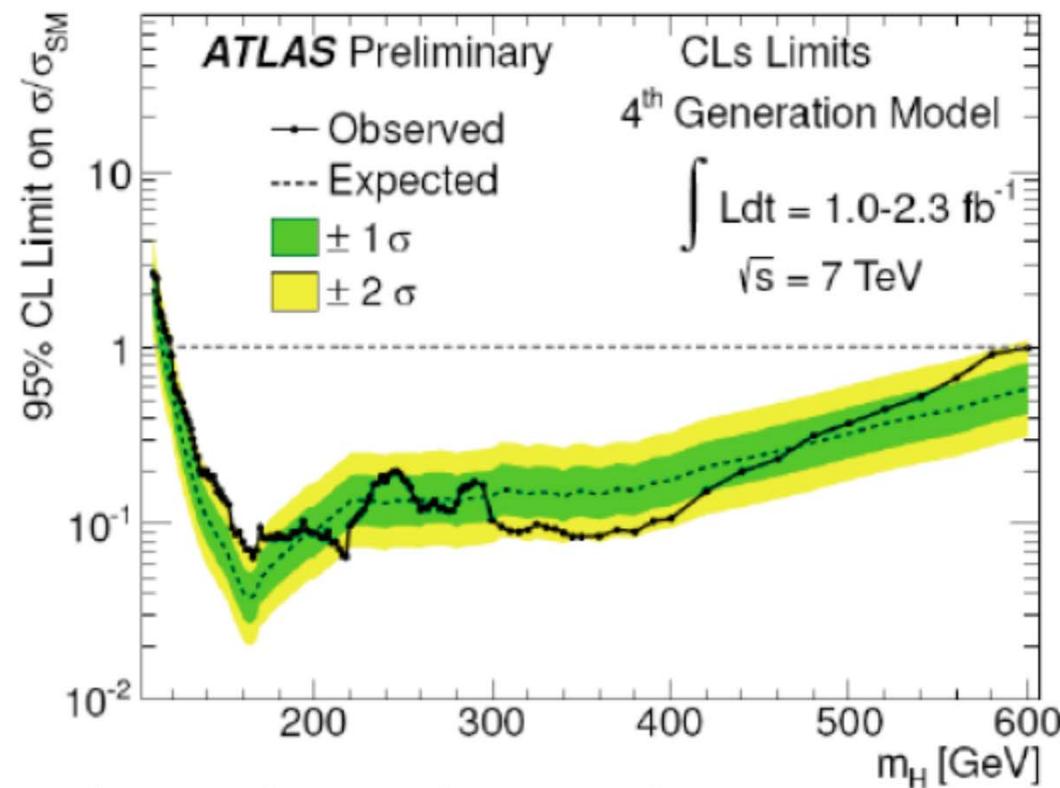
Important Caveat: Nature cares less above perturbation theory than many of us [e.g. QCD]

[In fact strong coupling could lead to DEWSB]

Cannot be simple SM4

- Even if a 4th generation exists it is unlikely to be a simple replica of SM3:
- Neutrino mass provides a strong clue
- DM possibility and baryogenesis both strongly suggest 4G not in SM4
- Highly implausible that heavy quarks will not be used for DEWSB.....mH tends to be heavy in these models
- Simple SM4 light higgs seems strongly disfavored by data

Higgs limits assuming a 4th generation of quarks and leptons:



Other exotic fermions are still alive and interesting, but the sequential 4th generation is in deep trouble!

See Xian-Jiang He

Flavor & 4G, IPPP DURHAM

A. Soni

4G2HDM:LEET for DEWSB

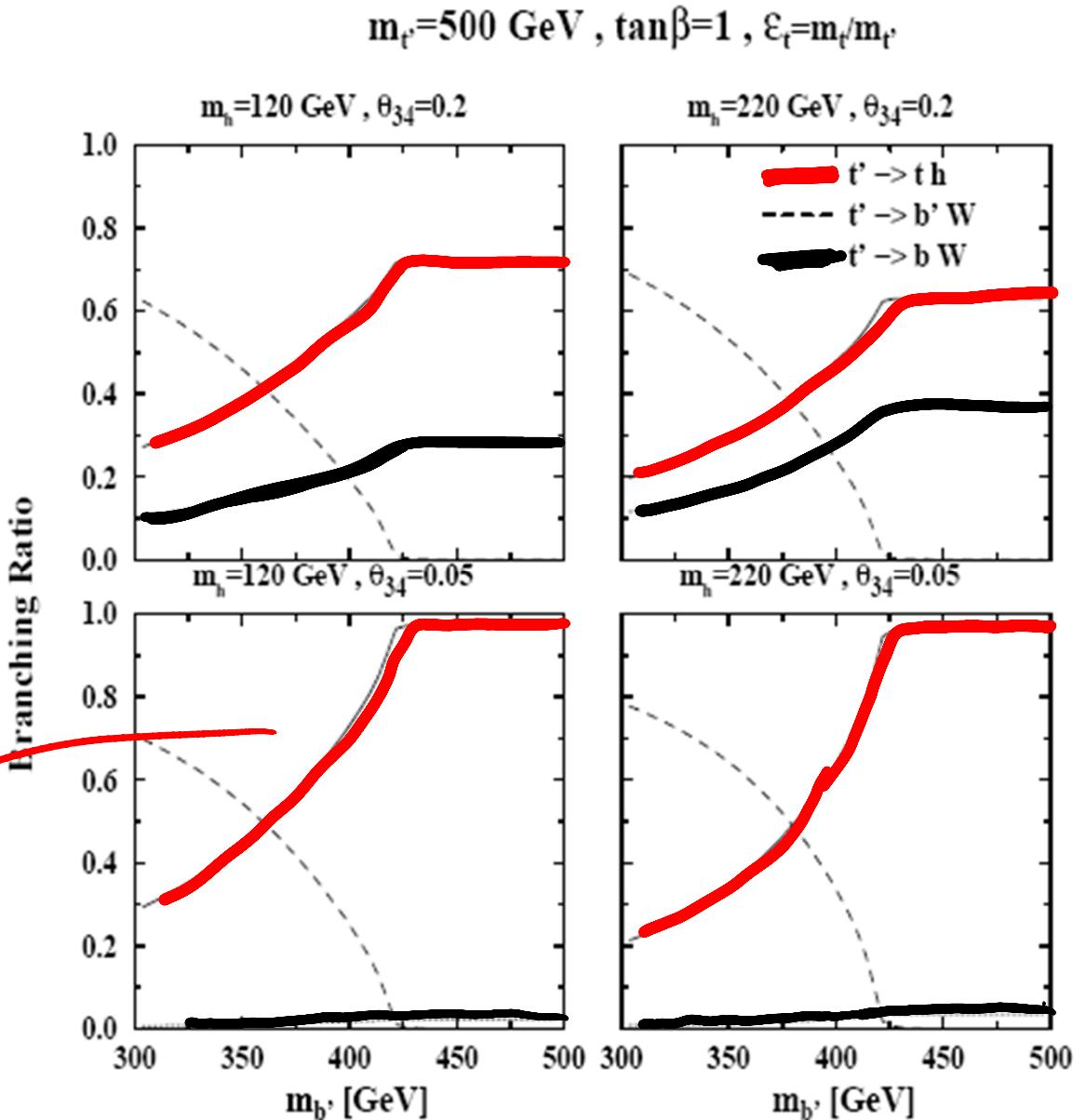
[Bar-Shalom,Nandi, A.S '11, arXiv:1105.6095]
see also He & Valencia: arXiv:1108:0222

- **2 Higgs doublet model for the 4th ; 2nd doublet with $v_2/v_1 \gg 1$ couples only to 4th gen**
- **FCNC only among 3rd and 4th gen**
- **Significant modifications to t', b' decays**
- **$t' \rightarrow t h, b h^+$ very large BR, similarly for b'**
- **Requires modification to search strategies**
- **Can account for tt FB asymmetry**

t' decay pattern

t' decays:

$BR(t' \rightarrow t h) \sim 1$

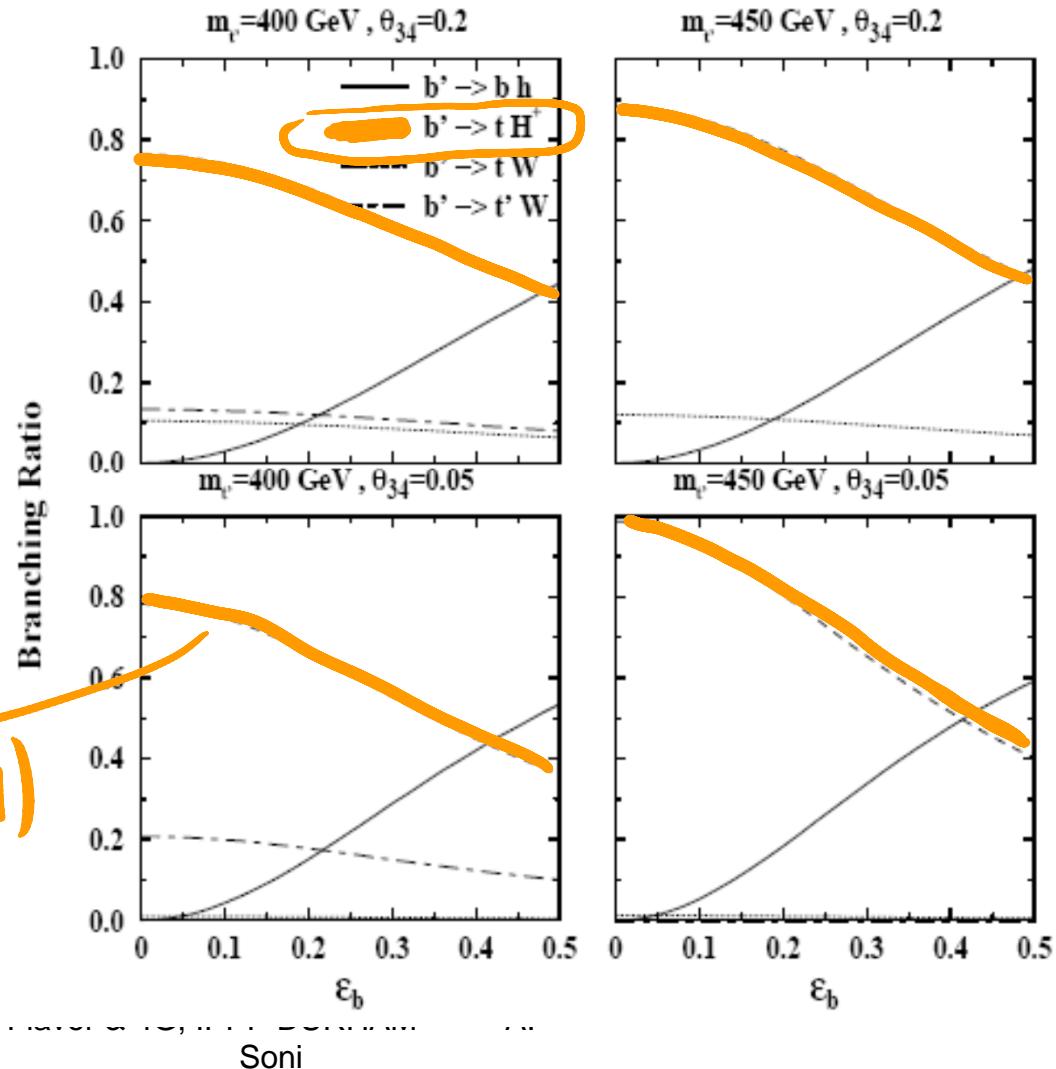


b' decay pattern

$m_{b'}=500 \text{ GeV}$, $m_h=220 \text{ GeV}$, $m_{H^+}=300 \text{ GeV}$, $\tan\beta=1$, $\varepsilon_t=m_t/m_{t'}$

b' decays:

$$BR(b' \rightarrow t H^+) \sim \mathcal{O}(1)$$



Bar-Shalom @
BNL

Soni

4G2HDM: significantly alleviates EWPC on 4G

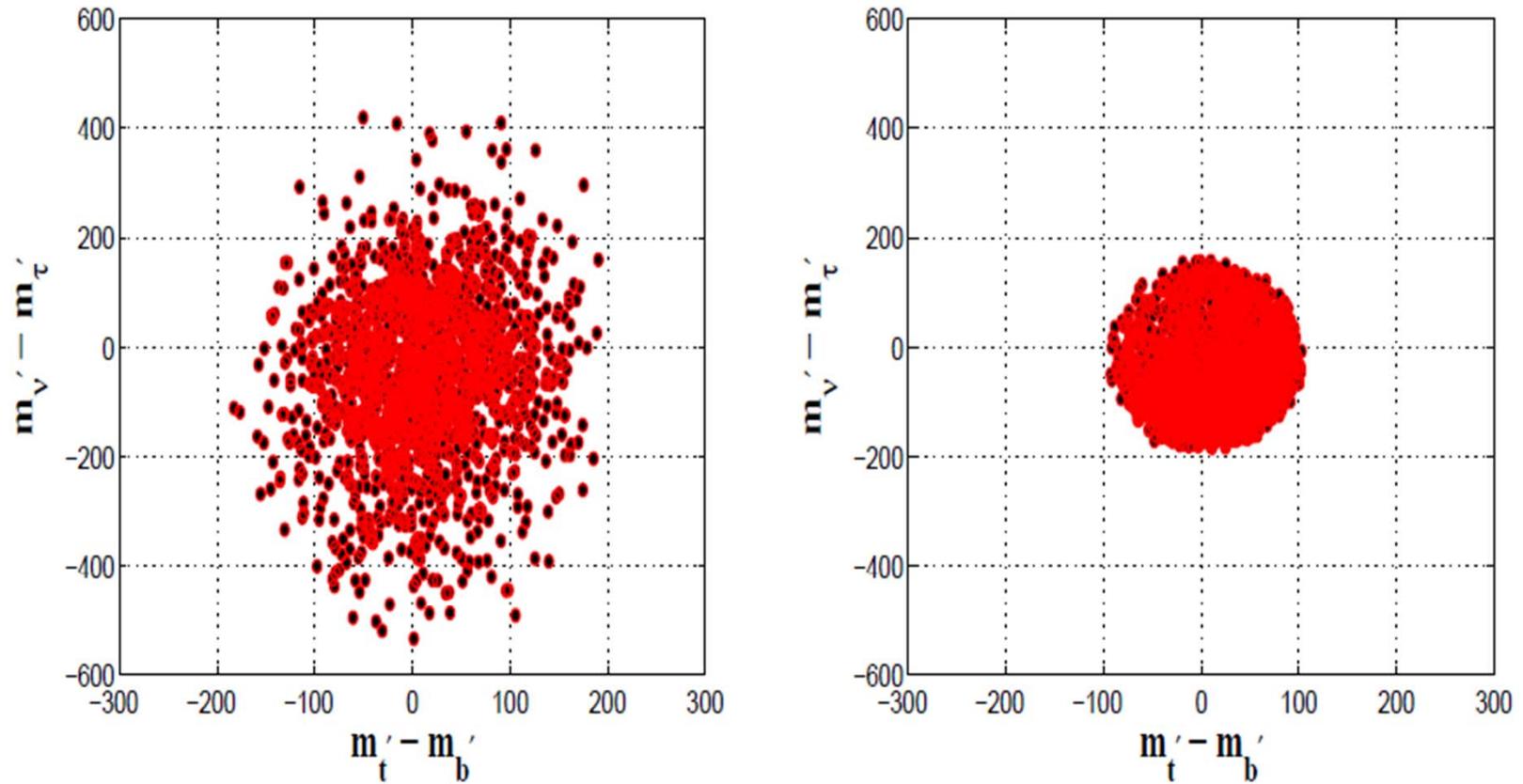


FIG. 13: Allowed regions in the $\Delta m_{q'} - \Delta m_{\ell'}$ plane within the 95% CL contour in the S-T plane, for the 4G2HDMs (left) and for the SM4 (right). The data points are varied as in Fig. 11.

Top pair FB asymmetry from strongly coupled 4G quarks

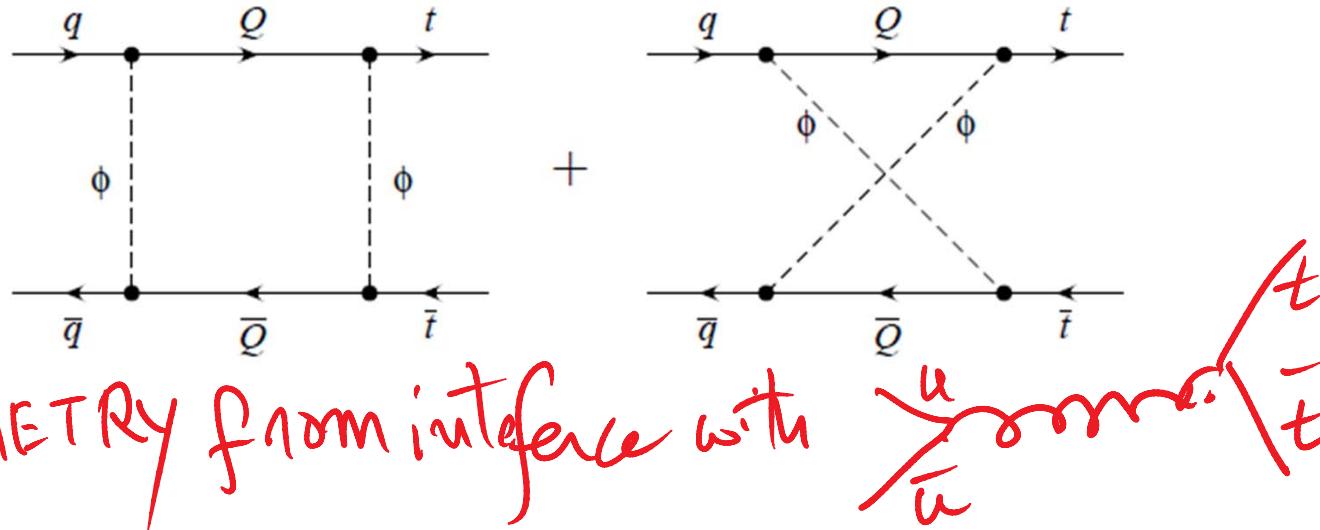
- [Davoudiasl, McElmurry and AS arXiv:1108.1173]
- CDF has been reporting ~2 sigma deviation from SM in the integrated asymm. And in the high invariant top pair mass about 3.5 sigma deviation from SM:
 - 0.158 ± 0.075 vs 0.058 ± 0.009
 - For high (>450 GeV), 0.475 ± 0.114 vs 0.088 ± 0.013
 - NEW (EPS'11) D0 finds similar integrated asymmetry (a bit more significant than CDF); in the high mass region they see some increase but not so pronounced

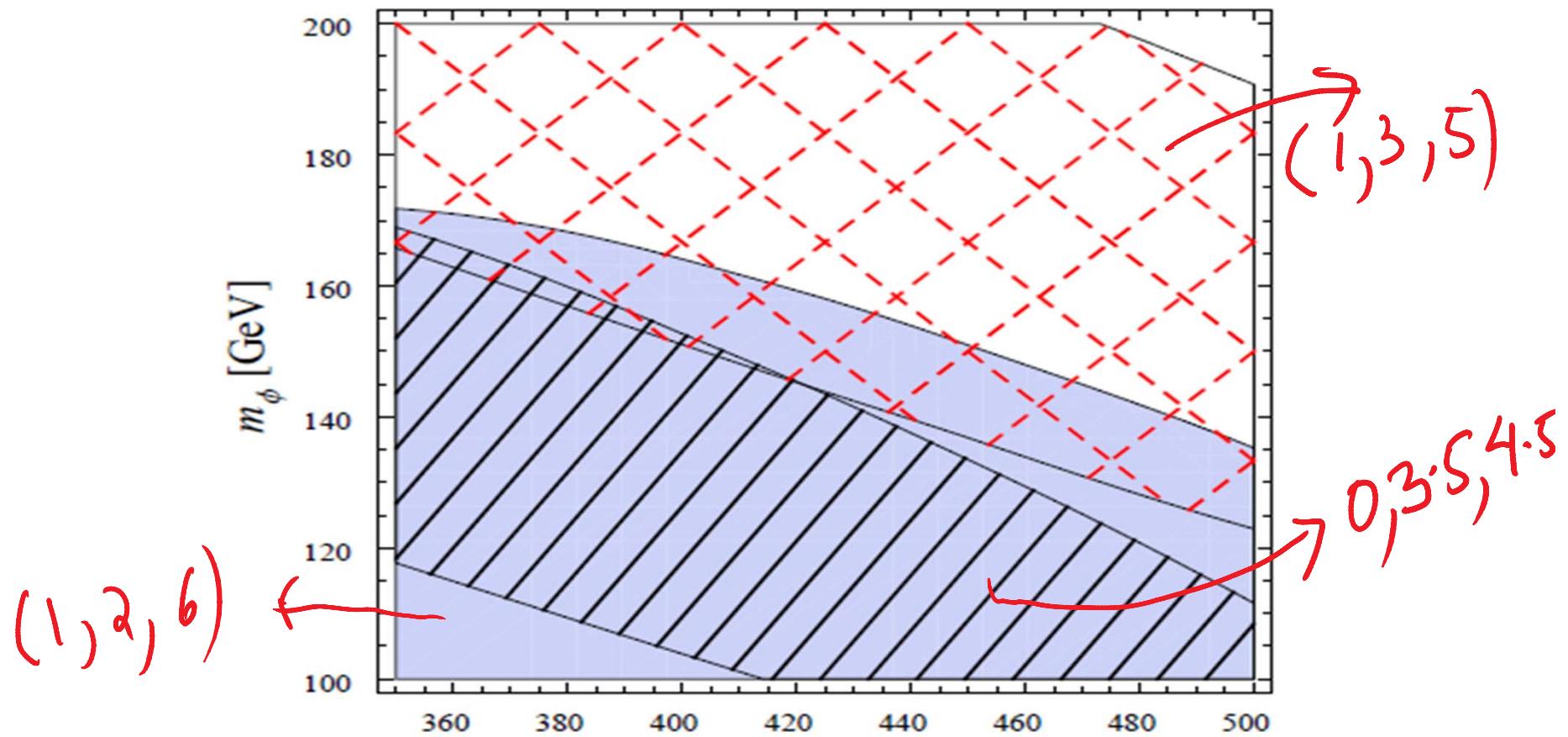
We consider a simple toy 4G model with [FC] scalars

$$\mathcal{L} \supset \lambda_{ut'} \phi^0 \bar{u} t' + \lambda_{ub'} \phi^+ \bar{u} b' + \lambda_{dt'} \phi^- \bar{d} t'$$

$$+ \lambda_{db'} \phi^0 \bar{d} b' + \lambda_{tt'} \phi^0 \bar{t} t' + \lambda_{tb'} \phi^+ \bar{t} b' + \text{H.C.},$$

NOTE $t' \rightarrow t$ φ DOMINANT Not $t' \rightarrow b$ W





ALLOWED parameter $\{m_Q \text{ [GeV]}, \lambda_u, \lambda_d, \lambda_t\}$ space

FIG. 3: Regions of parameter space that yield 2σ agreement with the CDF results [1], as well as agreement with the $t\bar{t}$ total cross section within 30%, for $(\lambda_u, \lambda_d, \lambda_t) = (1, 2, 6)$ (shaded), for $(\lambda_u, \lambda_d, \lambda_t) = (0, 3.5, 4.5)$ (hatched) and for $(\lambda_u, \lambda_d, \lambda_t) = (1, 3, 5)$ (cross-hatched).

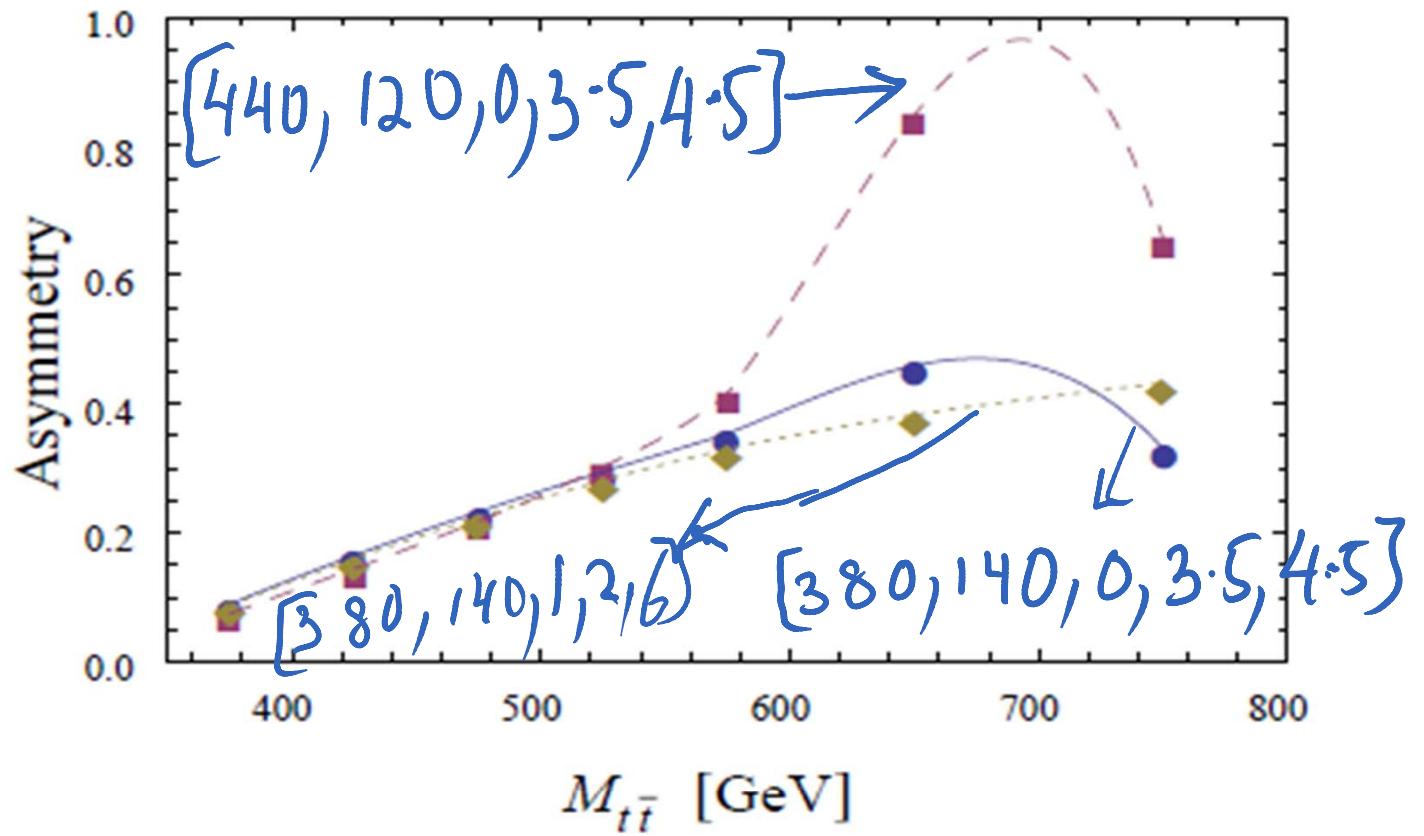


FIG. 4: Asymmetry as a function of the invariant mass $M_{t\bar{t}}$ for $(m_Q, m_\phi, \lambda_u, \lambda_d, \lambda_t) = (380 \text{ GeV}, 140 \text{ GeV}, 0, 3.5, 4.5)$ (solid), $(380 \text{ GeV}, 140 \text{ GeV}, 1, 2, 6)$ (dashed), and $(440 \text{ GeV}, 120 \text{ GeV}, 0, 3.5, 4.5)$ (dotted).

DIAGNOSTIC Power of ASYM VS MASS

Summary

- 4G extensions of SM3 should be seriously considered
- It is highly unlikely to be just SM4
- Heavier 4G quarks can trigger DEWSB and consequently can be a simpler solution to hierarchy problem w/o the need for multitude of new parameters
- It facilitates significantly baryogenesis over SM3
- Opens up new avenues for DM
- Unlike almost all BSM models, 4G extension need not cause flavor or CP problem
- ($\text{Sin}2\beta$)tree less than SM3 and ($\sin2\beta$)penguin less than both, may be hints of 4G
- AFB ($t\bar{t}$) may be a hint of a strongly coupled 4G
- Experimental searches for $t' \rightarrow t h$, $b' \rightarrow t h^{+-}$ should be given a high priority [in addition to conventional modes]

XTRAS

Brookhaven Forum 2011

A First Glimpse of the Tera Scale



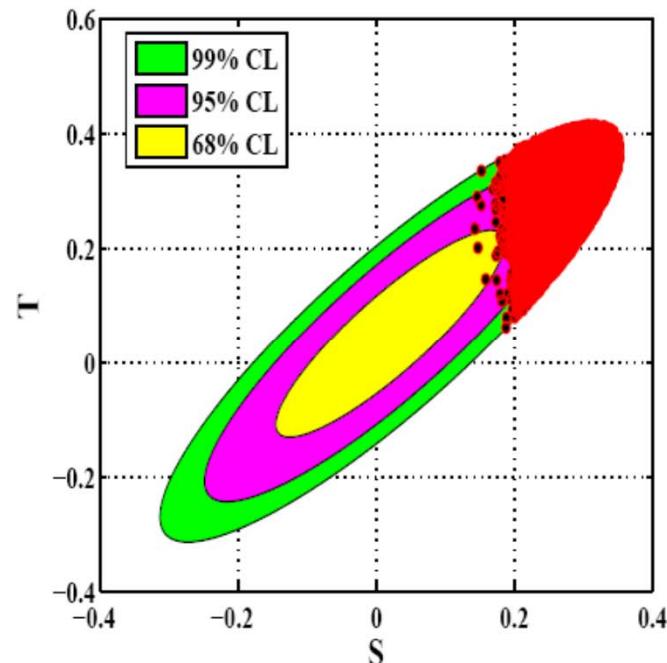
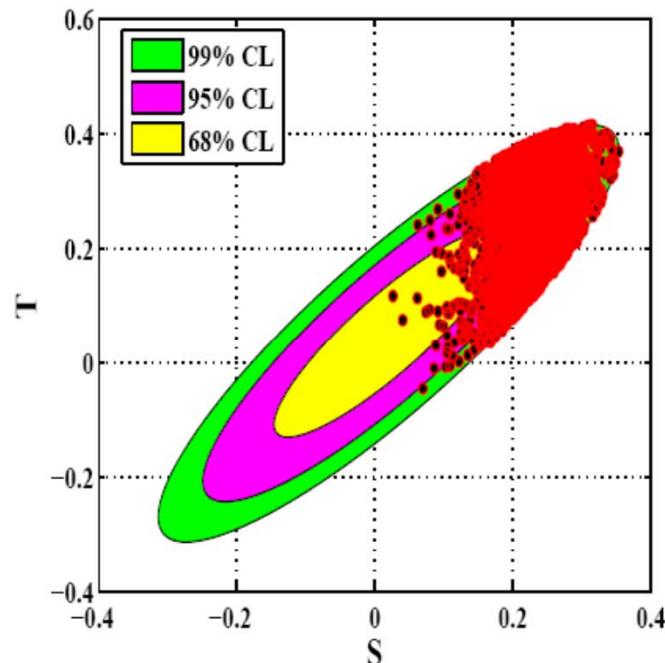
Random scans of free-parameters:

$$0 \leq \alpha \leq 2\pi \quad \tan \beta \leq 30, \quad \theta_{34} \leq 0.3$$

$$100 \text{ GeV} \leq m_h \leq 1 \text{ TeV} \quad 100 \text{ GeV} \leq m_A \leq 1 \text{ TeV} \quad m_h \leq m_H \leq 1.5 \text{ TeV}$$

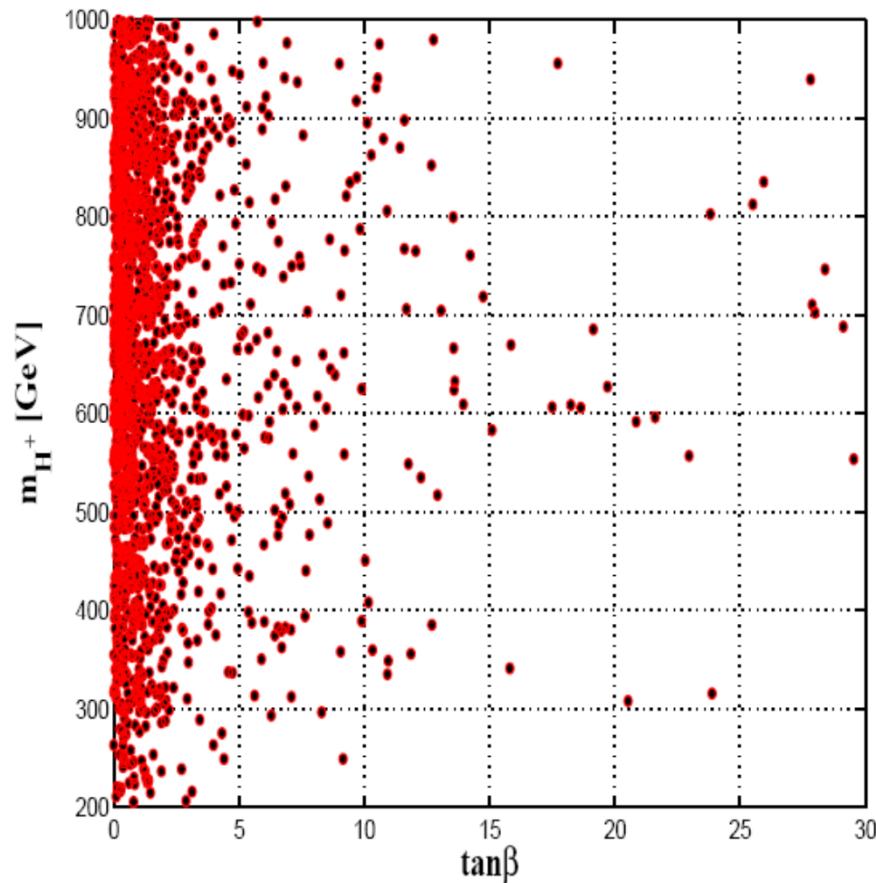
$$400 \text{ GeV} \leq m_{t'}, m_{b'} \leq 600 \text{ GeV}$$

$$100 \text{ GeV} \leq m_{\nu'}, m_{\tau'} \leq 1.2 \text{ TeV}$$



Order of magnitude more points within 68%CL contour in 4G2HDMs

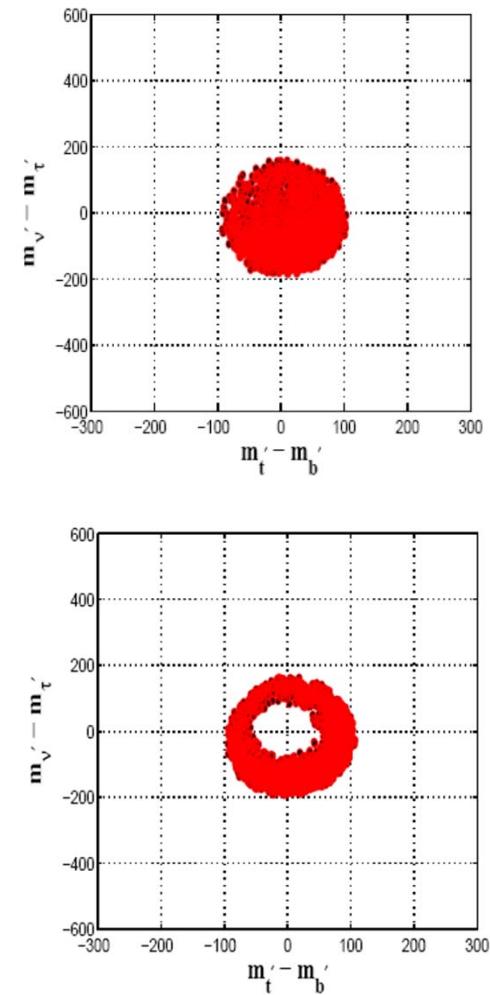
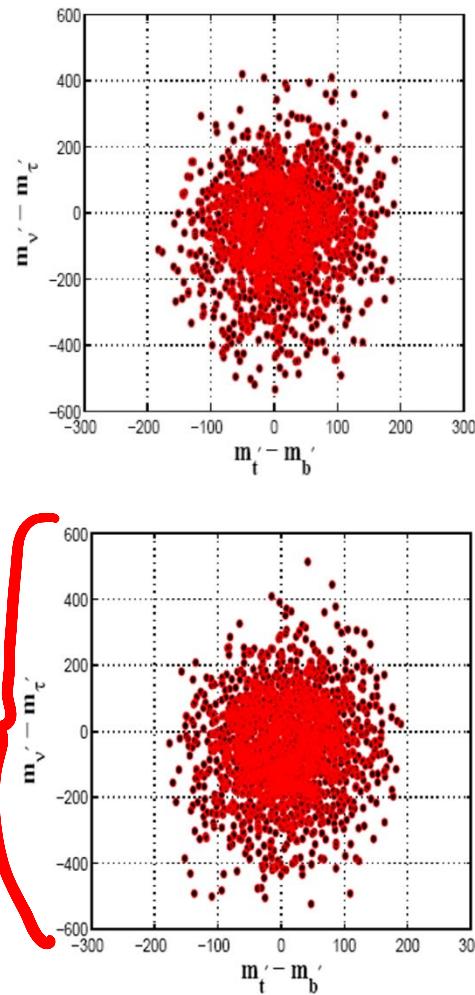
S-T & the M_{H^+} - $\tan\beta$ plane



Favors: low $\tan\beta \sim O(\text{few})$

S-T & quark-lepton mass splitting:

"3+1" case ($\theta_{34} = 0$)



$\Delta m_q, \Delta m_l \rightarrow 0$ allowed also for $\theta_{34} \sim O(0.1)$

⇒ Isospin breaking required (to compensate for effects of extra fermions and Higgs particles) provided by Higgs sector; more room for a light Higgs ...

Special/interesting points that survive combined constraints from EWPD & flavor physics

e.g., for $\tan\beta=1$:

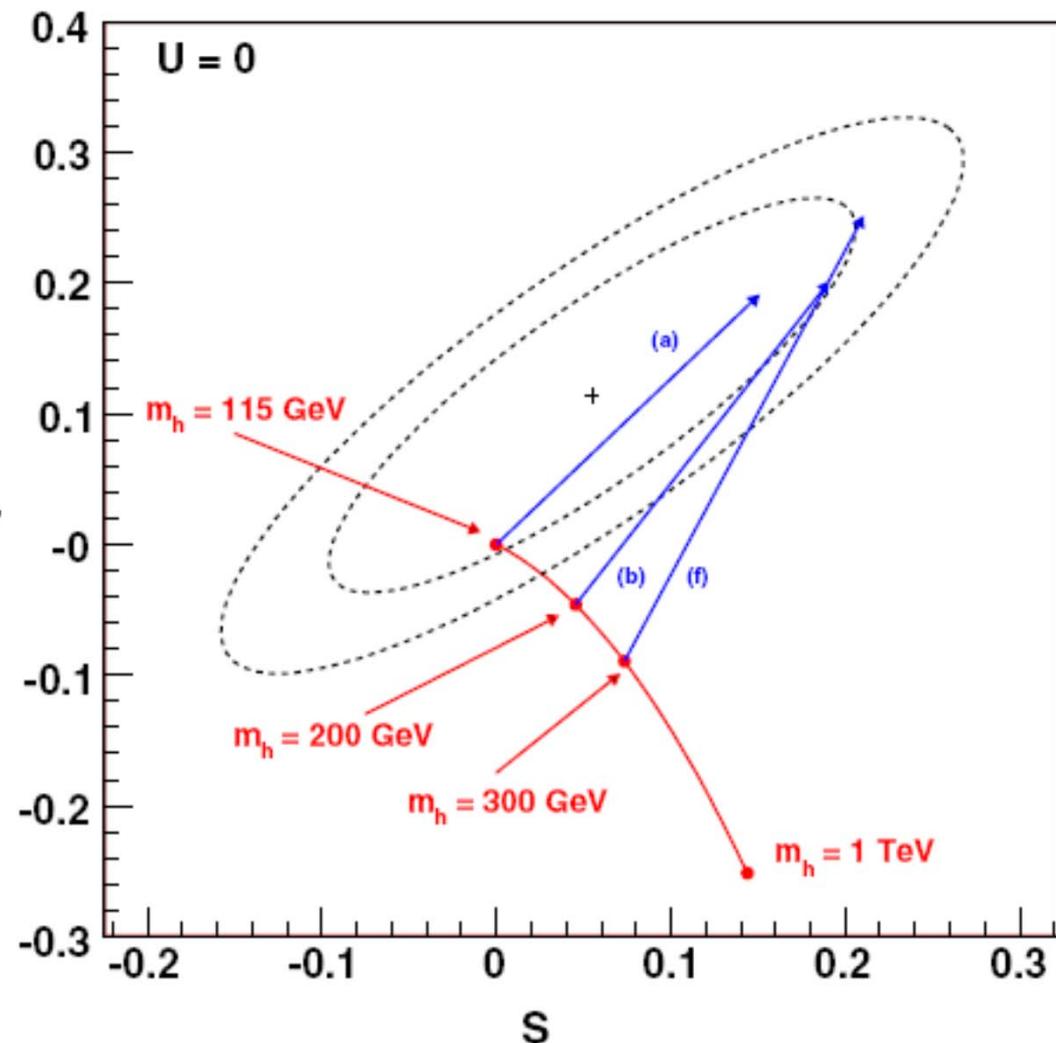
Point #	Model	$\tan\beta = 1, \epsilon_t = m_t/m_{t'}$										
		$m_{t'}$	$m_{b'}$	$m_{\nu'}$	$m_{\tau'}$	m_h	m_A	m_H	m_{H^+}	$\sin\theta_{34}$	α	
1	4G2HDM-I,II,III	542	358	144	462	260	296	1357	654	0.153	0.74π	
2	4G2HDM-I	511	353	426	455	261	296	1075	428	0.09	0.705π	
3	4G2HDM-I,II,III	548	372	413	434	199	272	1088	707	0.063	1.88π	
4	4G2HDM-I	367	525	829	993	347	491	1227	681	0.011	1.82π	
5	4G2HDM-I	356	537	121	310	675	238	1306	542	0.056	0.97π	
6	4G2HDM-I	440	456	619	634	169	332	405	479	0.082	0.82π	
7 ^a	4G2HDM-I,II,III	526	534	403	420	152	875	550	461	0.007	0.87π	
8	4G2HDM-I	416	510	370	536	216	153	1032	333	0.14	0.96π	
9	4G2HDM-II,III	520	369	738	744	102	882	238	781	0.129	1.28π	
10	4G2HDM-I	500	450	302	414	220	793	1001	750	0.05	$\pi/2$	
11	4G2HDM-I	500	450	424	410	120	597	1479	750	0.2	$\pi/2$	
12	4G2HDM-I	500	450	147	127	350	716	506	400	0.05	$\pi/2$	
13 ^b)	4G2HDM-I	450	500	225	235	220	782	303	300	0.2	$\pi/2$	

$$\text{BR}(t' \rightarrow th) \sim \mathcal{O}(1)$$

$$\text{BR}(b' \rightarrow tH^+) \sim \mathcal{O}(1)$$

Knibbs, Plehn,
Spannowsky
& Tait,
PRD 107

LEP EW Constraints on $m_{t'}$ $m_{b'}, m_H$



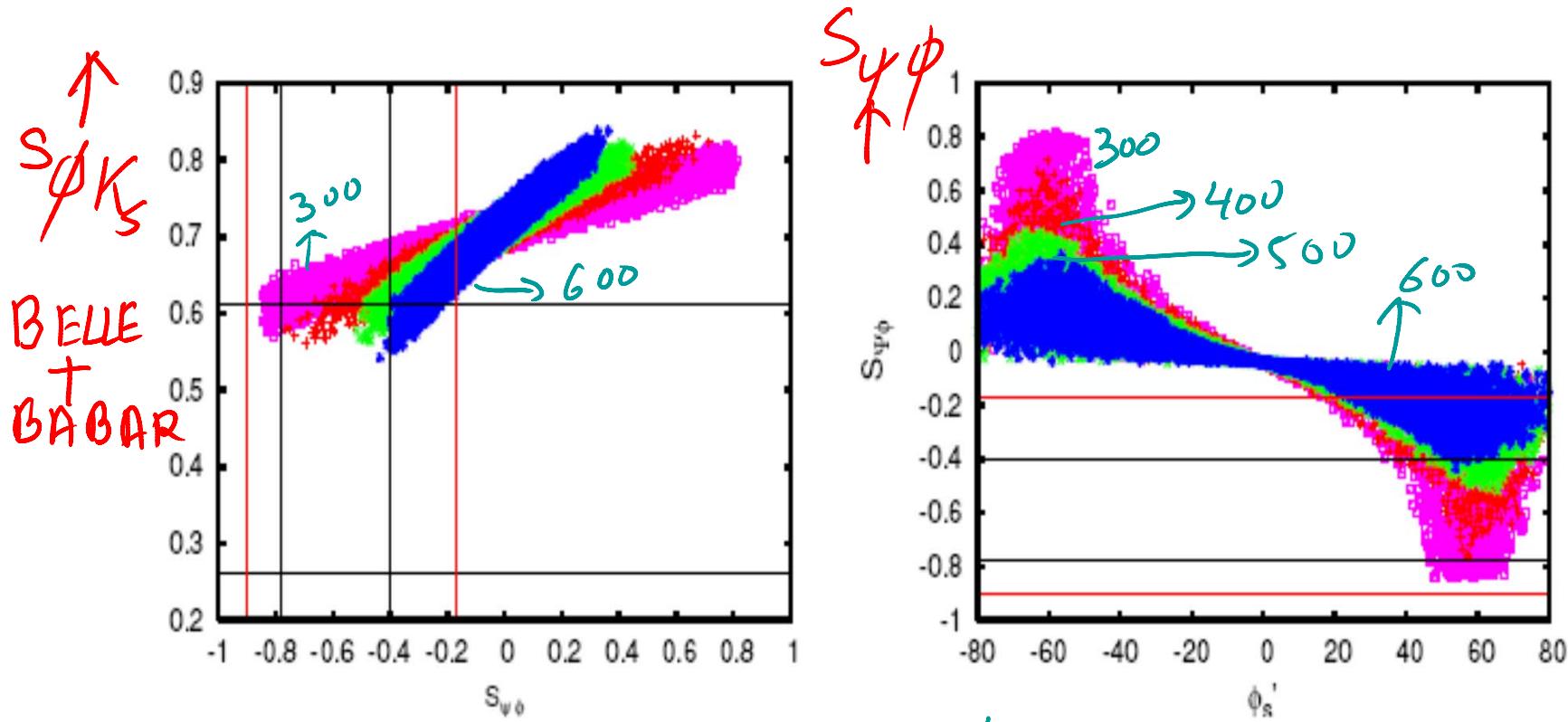
C also:
Novikov,
Rozanov,
Vysotsky,
0904.4570
& earlier
works

4th family is not inconsistent with LEP EWPC
See also M. Chanowitz, arXiv:0903.3570;
1007.0043; Erler abd Langacker 1003.3211

TABLE I. Examples of the total contributions to ΔS and ΔT from a fourth generation. The lepton masses are fixed to $m_{\nu_4} = 100$ GeV and $m_{\ell_4} = 155$ GeV, giving $\Delta S_{\nu\ell} = 0.00$ and $\Delta T_{\nu\ell} = 0.05$. The best fit to data is $(S, T) = (0.06, 0.11)$ [35]. The standard model is normalized to $(0, 0)$ for $m_t = 170.9$ GeV and $m_H = 115$ GeV. All points are within the 68% C.L. contour defined by the LEP EWWG [35].

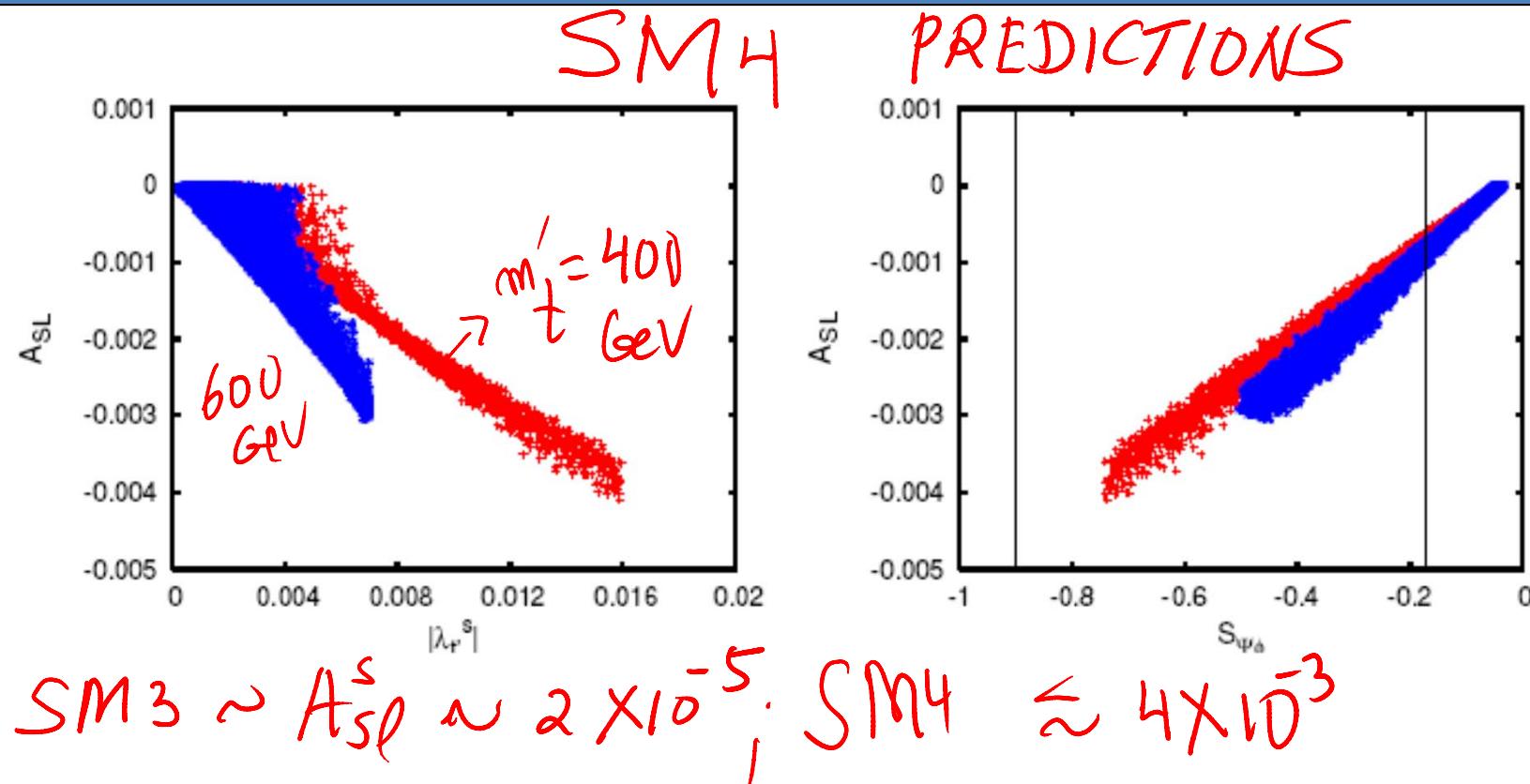
Parameter set	m_{u_4}	m_{d_4}	m_H	ΔS_{tot}	ΔT_{tot}
(a)	310	260	115	0.15	0.19
(b)	320	260	200	0.19	0.20
(c)	330	260	300	0.21	0.22
(d)	400	350	115	0.15	0.19
(e)	400	340	200	0.19	0.20
(f)	400	325	300	0.21	0.25

A. S et al 0807.1971; 1002.0595 {Note constraints from S,T, b \rightarrow s gamma, K \rightarrow pi nu nuare all included}



$\rightarrow S_{\psi\phi}$
 $CDF + D\phi'$ DATA tends to
 favor $m/\sim 400 - 600$ GeV ϕ'_s

Semi-leptonic asymmetry ($B_s \rightarrow X_s l \bar{\nu}$) PREDICTION given in
arXiv: 1002.0595 [Used here $\Delta_{\Gamma_s} = 0.096 \pm .039$ from
Lenz and Nierste'07]



Recently D0 (V M Abazov et al, arXiv: 1005.2757) reported
 $a_{sl}^s = -0.0146 \pm 0.0075$

$ V_{cb} _{\text{excl}} = (39.0 \pm 1.2)10^{-3}$	$\eta_1 = 1.51 \pm 0.24$ [18]
$ V_{cb} _{\text{incl}} = (41.31 \pm 0.76)10^{-3}$	$\eta_2 = 0.5765 \pm 0.0065$ [19]
$ V_{cb} _{\text{tot}} = (40.43 \pm 0.86)10^{-3}$	$\eta_3 = 0.494 \pm 0.046$ [20, 21]
$ V_{ub} _{\text{excl}} = (29.7 \pm 3.1)10^{-4}$	$\eta_B = 0.551 \pm 0.007$ [22]
$ V_{ub} _{\text{incl}} = (40.1 \pm 2.7 \pm 4.0)10^{-4}$	$\xi = 1.23 \pm 0.04$ [23, 24]
$ V_{ub} _{\text{tot}} = (32.7 \pm 4.7)10^{-4}$	$\lambda = 0.2255 \pm 0.0007$
$\Delta m_{B_d} = (0.507 \pm 0.005) \text{ ps}^{-1}$	$\alpha = (89.5 \pm 4.3)^\circ$
$\Delta m_{B_s} = (17.77 \pm 0.12) \text{ ps}^{-1}$	$\kappa_\epsilon = 0.94 \pm 0.02$ [25–27]
$S_{\psi K_S} = 0.668 \pm 0.023$ [28]	$\gamma = (74 \pm 11)^\circ$
$m_c(m_c) = (1.268 \pm 0.009) \text{ GeV}$	$\hat{B}_K = 0.740 \pm 0.025$
$m_{t,pole} = (172.4 \pm 1.2) \text{ GeV}$	$f_K = (155.8 \pm 1.7) \text{ MeV}$
$f_{B_s} \sqrt{\hat{B}_s} = (276 \pm 19) \text{ MeV}$ [23]	$\varepsilon_K = (2.229 \pm 0.012)10^{-3}$
$f_B = (208 \pm 8) \text{ MeV}$ [23, 24] ^a	$\hat{B}_d = 1.26 \pm 0.10$ [23, 24]
$\mathcal{B}_{B \rightarrow \tau\nu} = (1.68 \pm 0.31) \times 10^{-4}$ [30–32]	

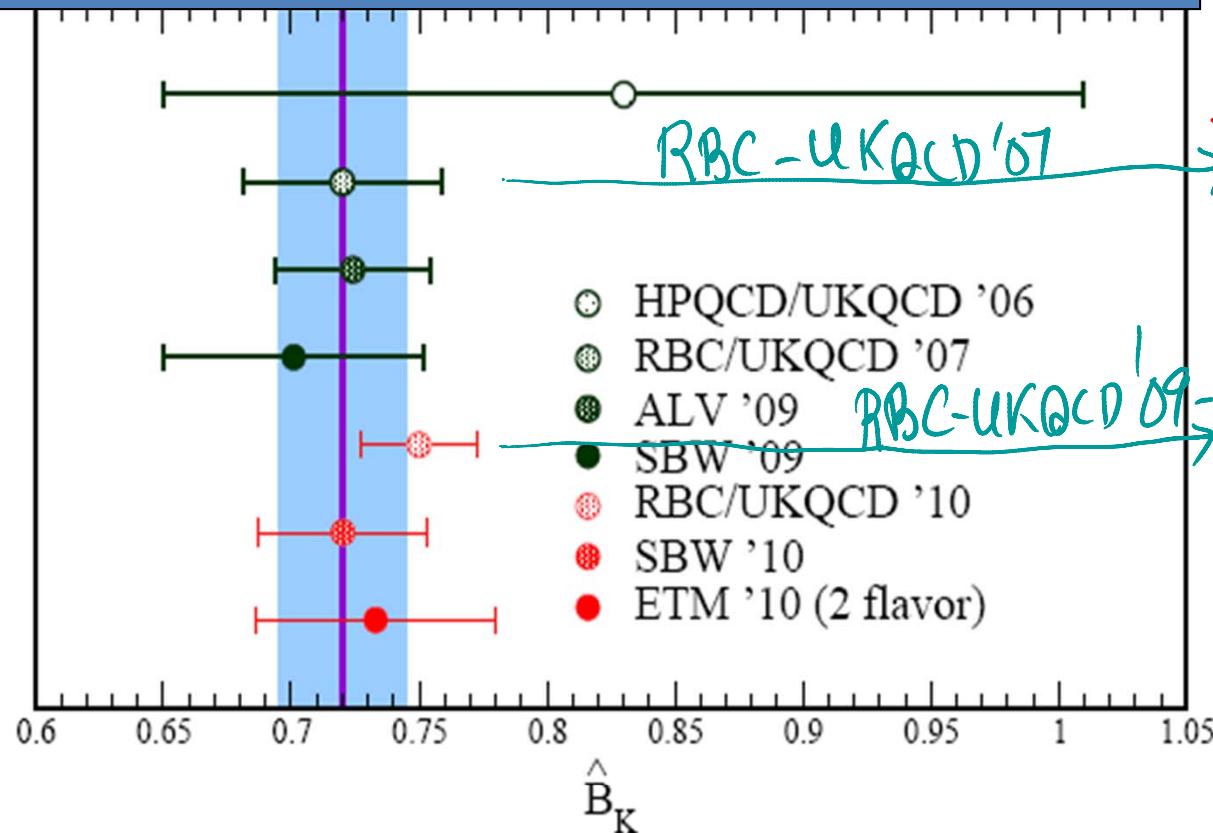
^aOur value of f_B reflects the change in the overall scale (r_1) recently adopted by the Fermilab/MILC and HPQCD collaborations [29]

→ As in 2008 we ASSERT again V_{ub} cannot be used!

B_K

Jack LAIHO & LATTICE /10

Several diff, collabs; diff discretizations, systematics...



USED by L+S '08

$$0.720 \pm 0.013 \pm 0.037$$

$$0.750 \pm 0.007 \pm 0.026$$

Total ERROR

$$\sim 3.6\%$$

$$0.740 \pm 0.025$$

CKM FITTER 2010 USE

$\delta_{\text{Stat}} \approx 5.9\%$; $\delta_{\text{Syst}} \approx 9.3\%!!$

MANDI + AS '10

TABLE I. Inputs that we use in order to constrain the SM4 parameter space, when not explicitly stated, we take the inputs from Particle Data Group [7]; for the lattice inputs see also [6].

$B_K = 0.740 \pm 0.025$ [35–37]	$R_{bb} = 0.216 \pm 0.001$
$f_{bd}\sqrt{B_{bd}} = 0.224 \pm 0.015$ GeV [38,39]	$ V_{ub} = (32.8 \pm 2.6) \times 10^{-4}$ ^a
$\xi = 1.232 \pm 0.042$ [38,39]	$ V_{cb} = (40.86 \pm 1.0) \times 10^{-3}$
$\eta_c = 1.51 \pm 0.24$ [40]	$\gamma = (73.0 \pm 13.0)^\circ$
$\eta_t = 0.5765 \pm 0.0065$ [41]	$\mathcal{BR}(B \rightarrow X_s \gamma) = (3.55 \pm 0.25) \times 10^{-4}$
$\eta_{ct} = 0.494 \pm 0.046$ [42]	$\mathcal{BR}(B \rightarrow X_s \ell^+ \ell^-) = (0.44 \pm 0.12) \times 10^{-6}$
$\Delta M_s = (17.77 \pm 0.12)$ ps ⁻¹	$\mathcal{BR}(K^+ \rightarrow \pi^+ \nu \bar{\nu}) = (0.147^{+0.130}_{-0.089}) \times 10^{-9}$
$\Delta M_d = (0.507 \pm 0.005)$ ps ⁻¹	$\mathcal{BR}(B \rightarrow X_c \ell \nu) = (10.61 \pm 0.17) \times 10^{-2}$
$ \epsilon_k \times 10^3 = 2.32 \pm 0.007$	$T_4 = 0.11 \pm 0.14$
$\kappa_\epsilon = 0.94 \pm 0.02$ [43] ^b	$m_t(m_t) = (163.5 \pm 1.7)$ GeV

^aIt is the weighted average of $V_{ub}^{\text{inl}} = (40.1 \pm 2.7 \pm 4.0) \times 10^{-4}$ and $V_{ub}^{\text{exl}} = (29.7 \pm 3.1) \times 10^{-4}$. In our numerical work to follow, we increase the error on $|V_{ub}|$ by 50% and take the total error to be around 12% because of the appreciable disagreement between the two determinations.

^bWe tacitly assume that κ_ϵ in SM4 is approximately the same as in SM3.