



# Decoding the identity of the dark matter from Milky Way data

*Carlos S. Frenk*  
*Institute for Computational Cosmology,*  
*Durham*



# Non-baryonic dark matter candidates

Type	example	mass
hot	neutrino	a few eV
warm		keV-MeV
cold	axion neutralino	$10^{-5}$ eV - 100 GeV

# The dark matter power spectrum

$k^3 P(k)$

The linear power spectrum (“power per octave”)

Free streaming →

$$\lambda_{\text{cut}} \propto m_x^{-1}$$

for thermal relic

$$m_{\text{CDM}} \sim 100 \text{ GeV}$$

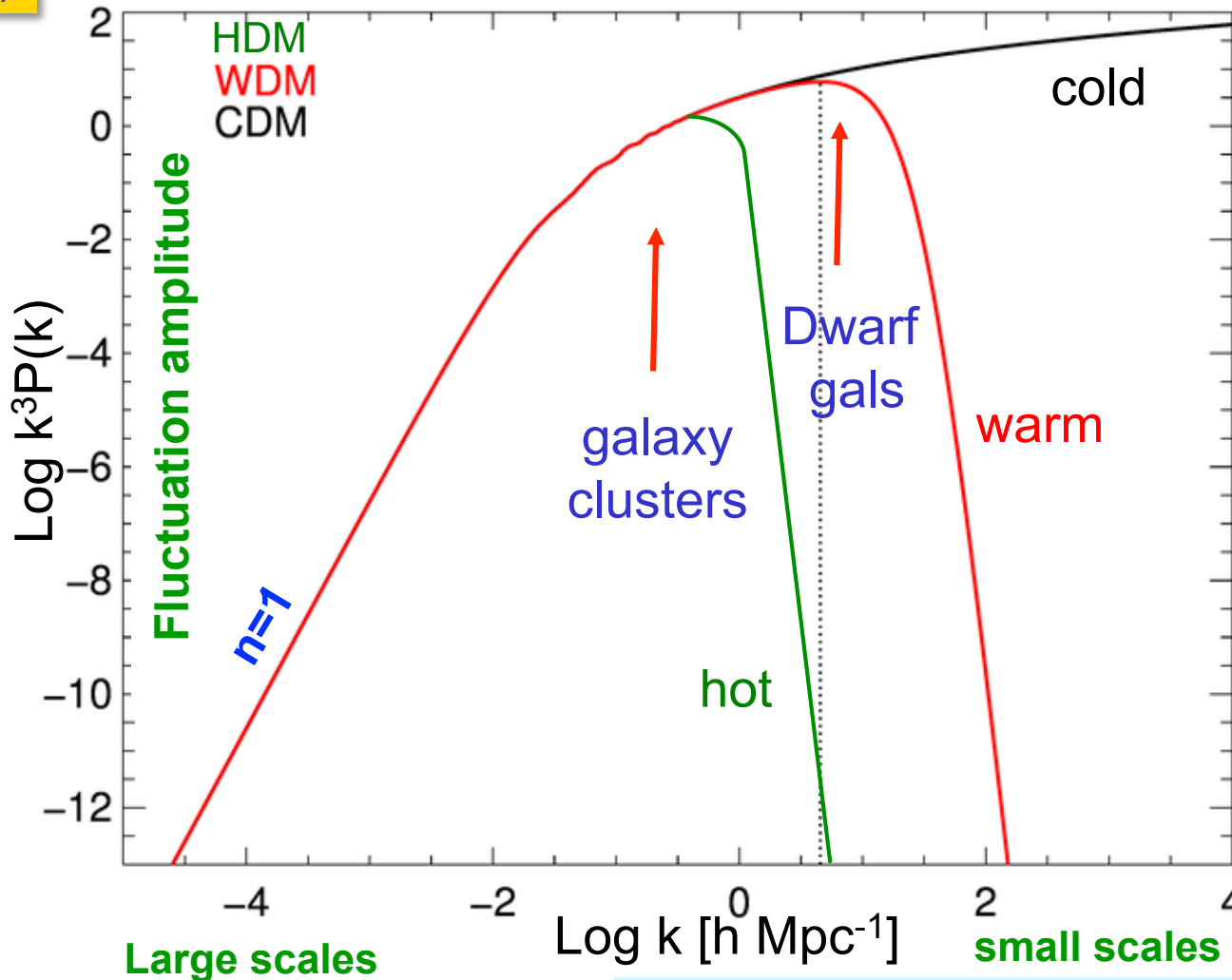
$$\text{susy}; M_{\text{cut}} \sim 10^{-6} M_{\odot}$$

$$m_{\text{WDM}} \sim \text{few keV}$$

$$\text{sterile } \nu; M_{\text{cut}} \sim 10^9 M_{\odot}$$

$$m_{\text{HDM}} \sim \text{few eV}$$

$$\text{light } \nu; M_{\text{cut}} \sim 10^{15} M_{\odot}$$

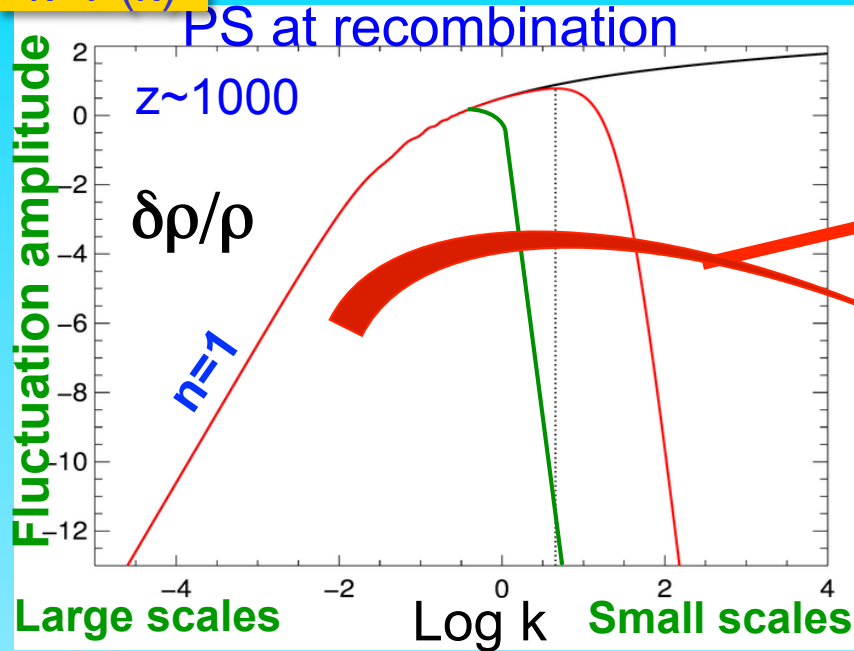




University of Durham

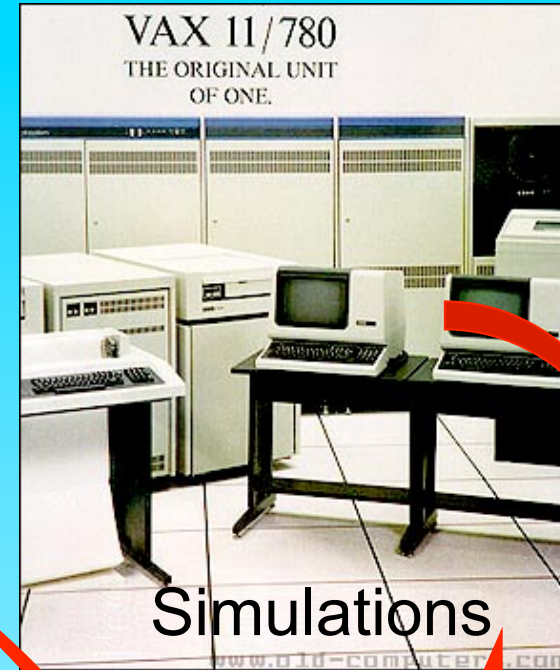
# The formation of cosmic structure

$k^3 P(k)$



$t=380,000$  yrs

$\delta\rho/\rho \sim 10^{-5}$



Supercomputer **simulations** are the best technique for calculating how small **primordial perturbations** grow into **galaxies** today

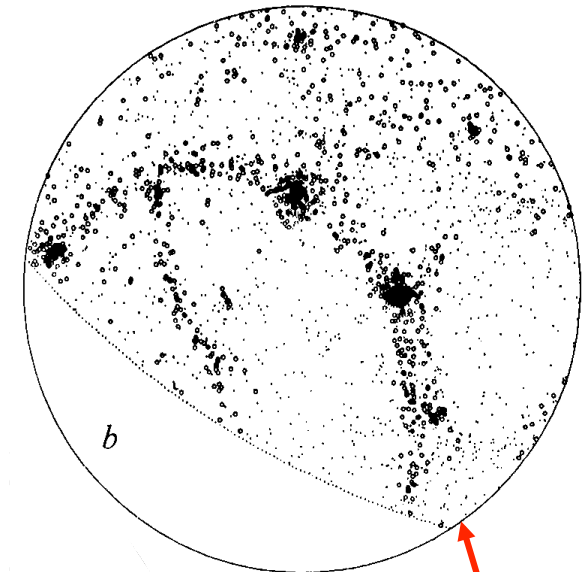
$t=14.1$  billion yrs

$\delta\rho/\rho \sim 1-10^6$





# Non-baryonic dark matter cosmologies



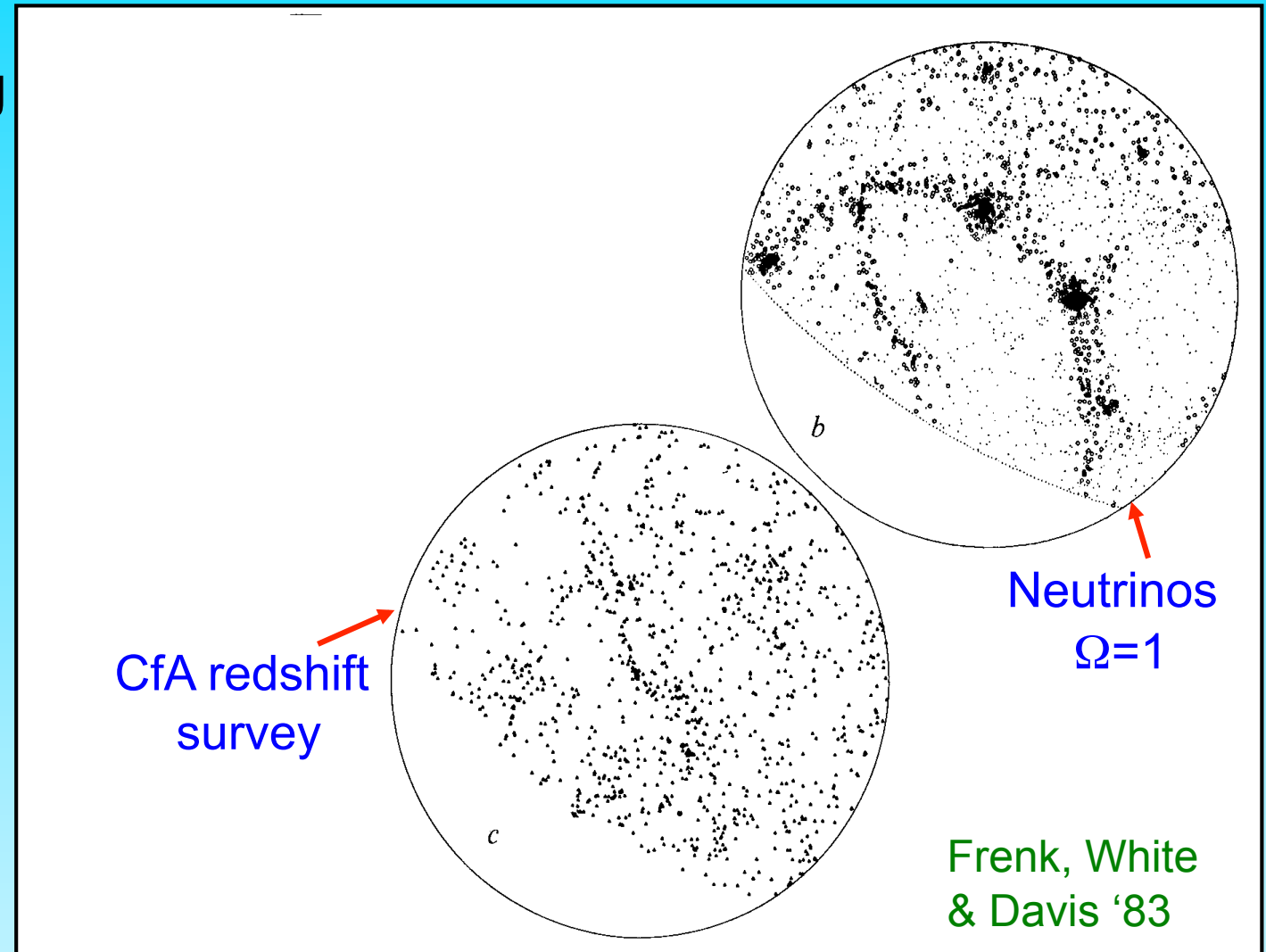
Neutrinos  
 $\Omega=1$

Frenk, White  
& Davis '83

# Non-baryonic dark matter cosmologies

Neutrino DM  $\rightarrow$   
unrealistic clust'ing

Neutrinos cannot  
make appreciable  
contribution to  $\Omega$   
 $\rightarrow m_\nu \ll 10 \text{ eV}$



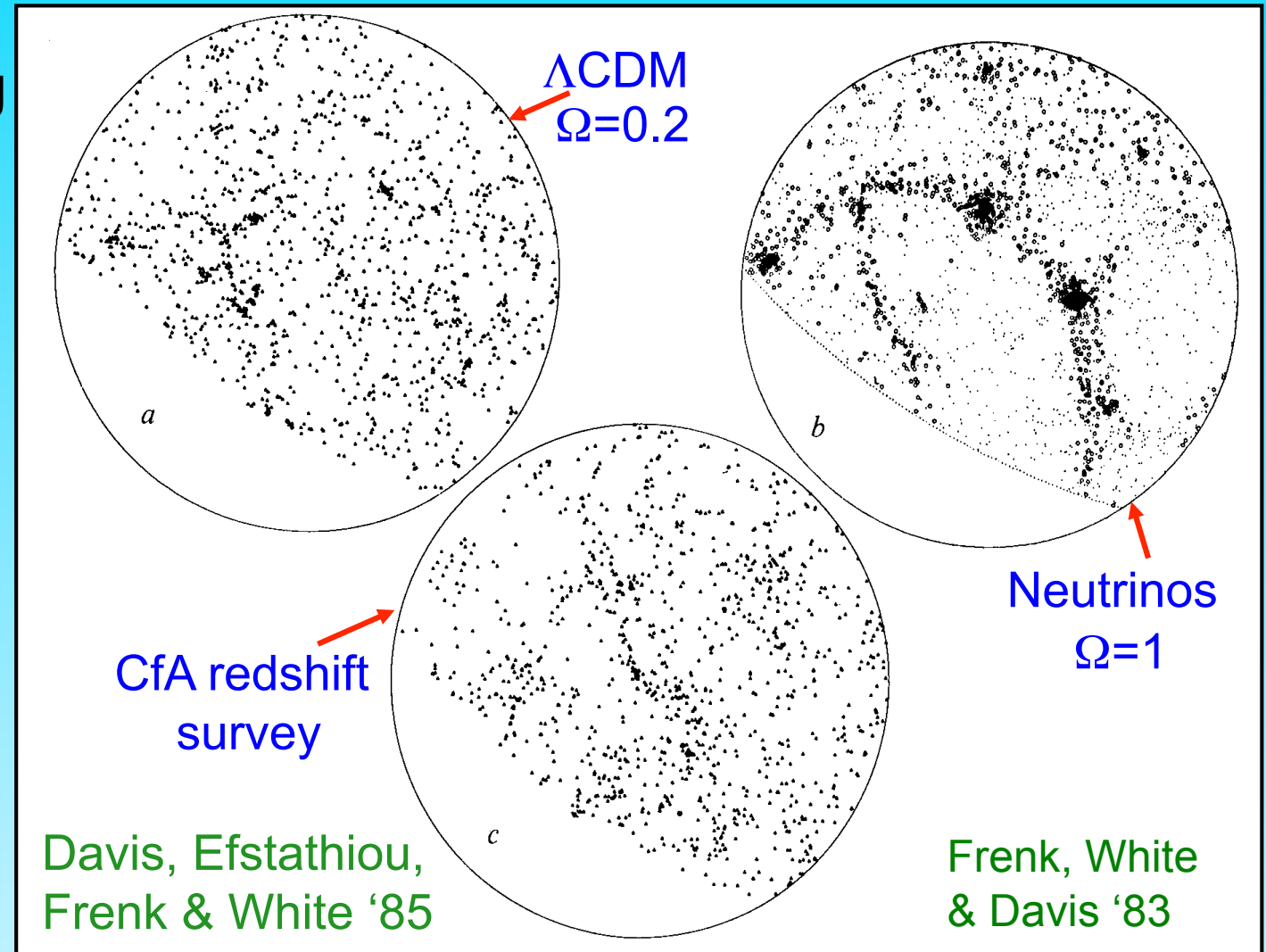
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Neutrino DM  $\rightarrow$   
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Early CDM N-body  
simulations gave  
promising results

In CDM structure  
forms hierarchically



# Non-baryonic dark matter candidates

Type                      example                      mass

hot	neutrino	a few eV
warm		keV-MeV
cold	axion neutralino	$10^{-5}$ eV- >100 GeV

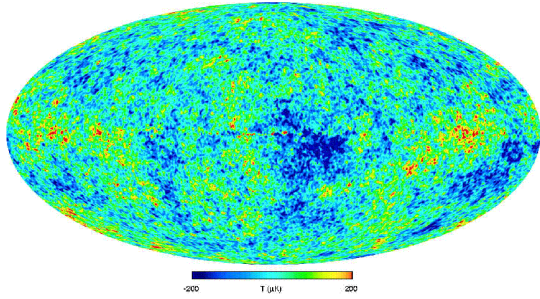


# Non-baryonic dark matter candidates

Type example mass

<del>hot</del>	<del>neutrino</del>	<del>a few eV</del>
warm	sterile neutrino majoron; KeVin	keV-MeV
→ cold	axion neutralino	$10^{-5}\text{eV}$ - >100 GeV

# The cosmic power spectrum: from the CMB to the 2dFGRS

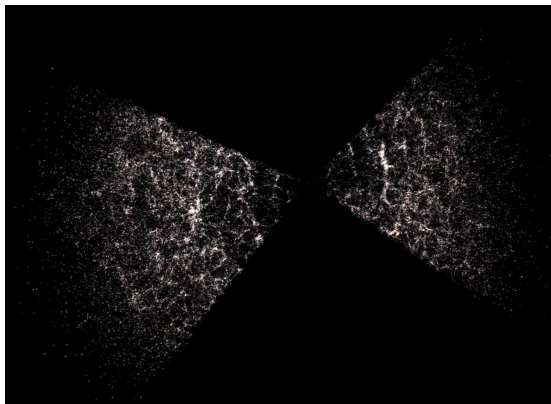


$z \sim 1000$

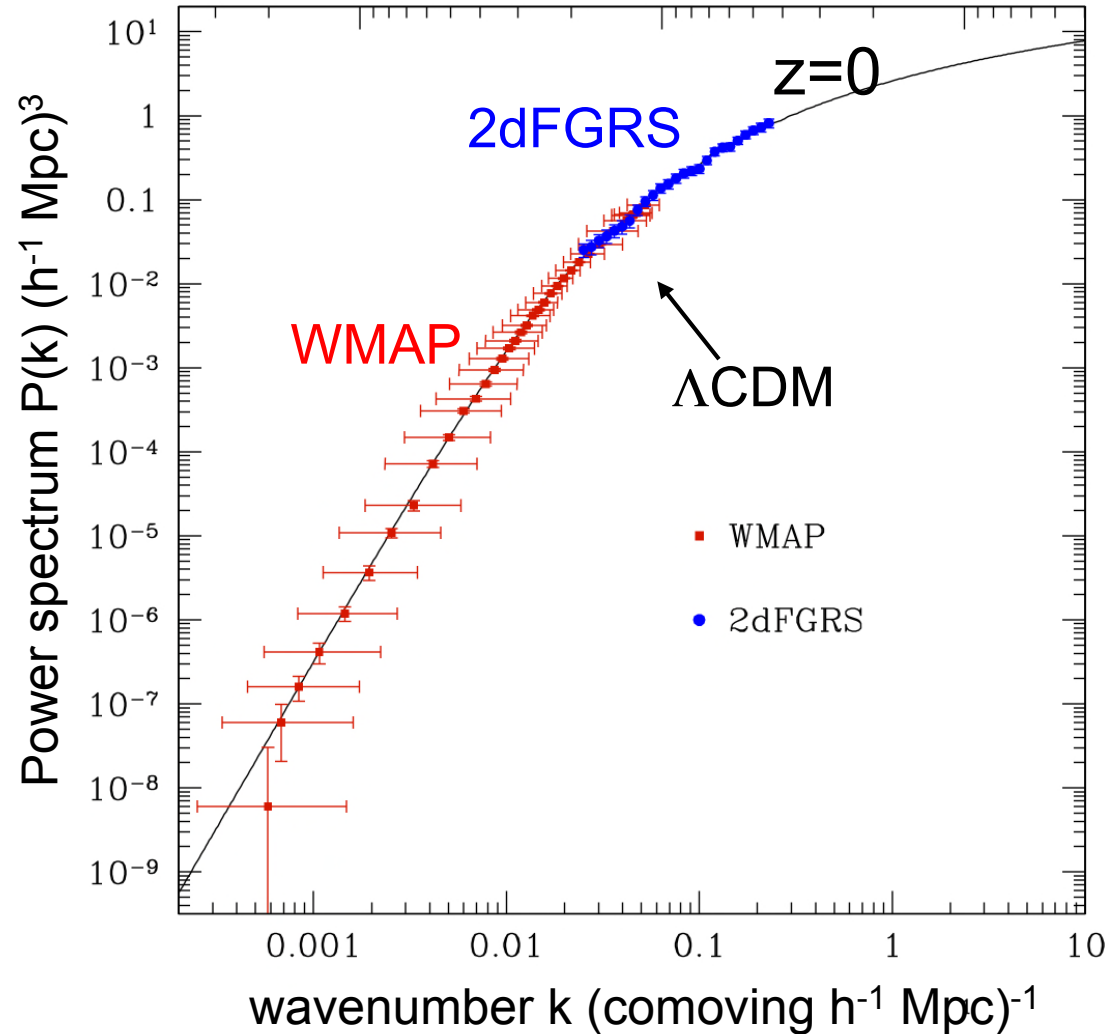
Log  $k^3 P(k)$

wavelength  $k^{-1}$  (comoving  $h^{-1}$  Mpc)

1 000      100      10



$z \sim 0$



⇒  $\Lambda$ CDM provides an excellent description of mass power spectrum from 10-1000 Mpc

Sanchez et al 06



# The cosmic power spectrum: from the CMB to the 2dFGRS

Free streaming  $\rightarrow$

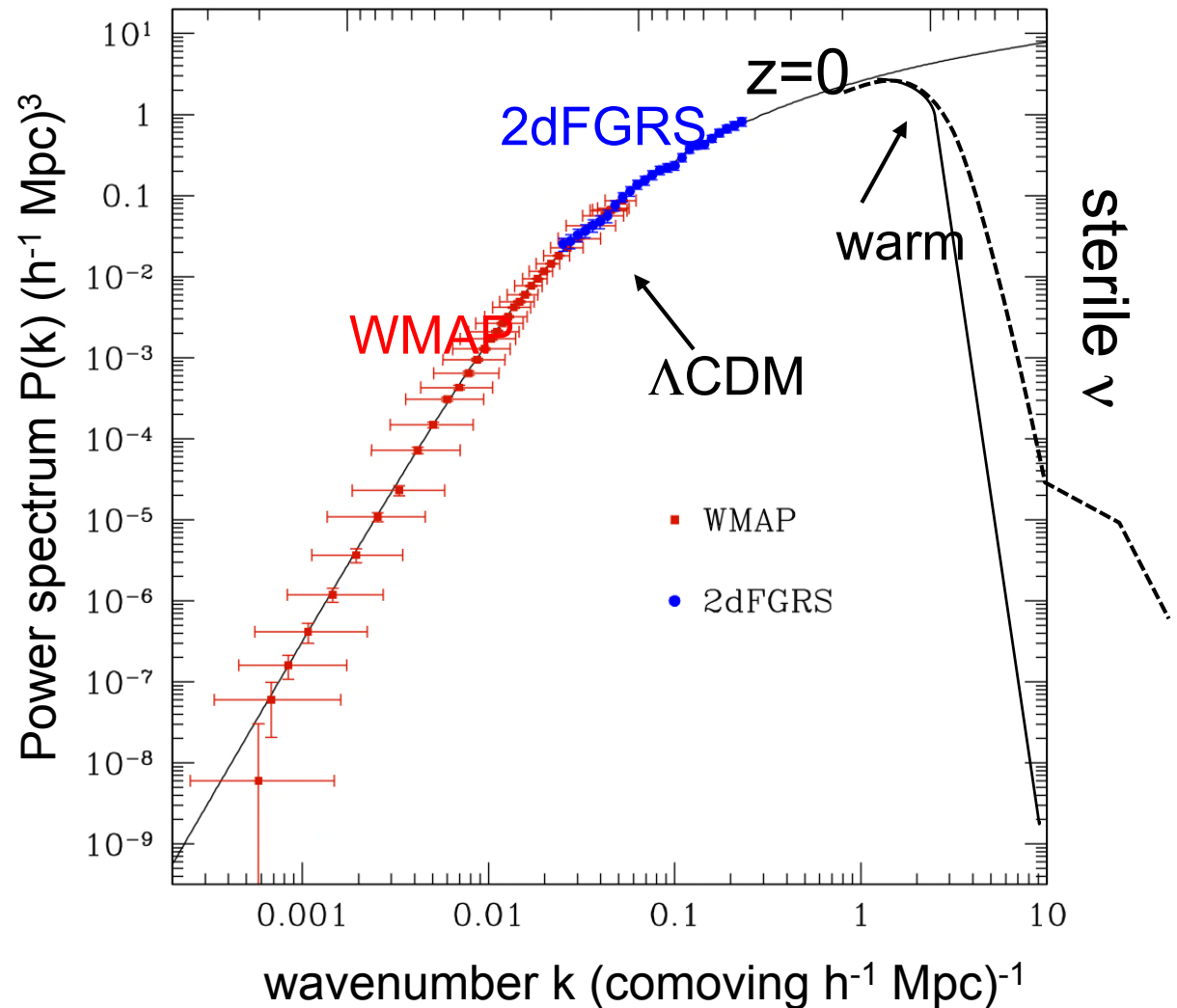
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for thermal relic

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susy;  $M_{\text{cut}} \sim 10^{-6} M_{\odot}$

$m_{\text{WDM}} \sim \text{few keV}$   
sterile  $\nu$ ;  $M_{\text{cut}} \sim 10^9 M_{\odot}$

Log  $k^3 P(k)$       wavelength  $k^{-1}$  (comoving  $h^{-1} \text{ Mpc}$ )





Astrophysical key to identity of dark matter:

→ Subgalactic scales

(strongly non-linear)

$z = 48.4$

$T = 0.05 \text{ Gyr}$

500 kpc





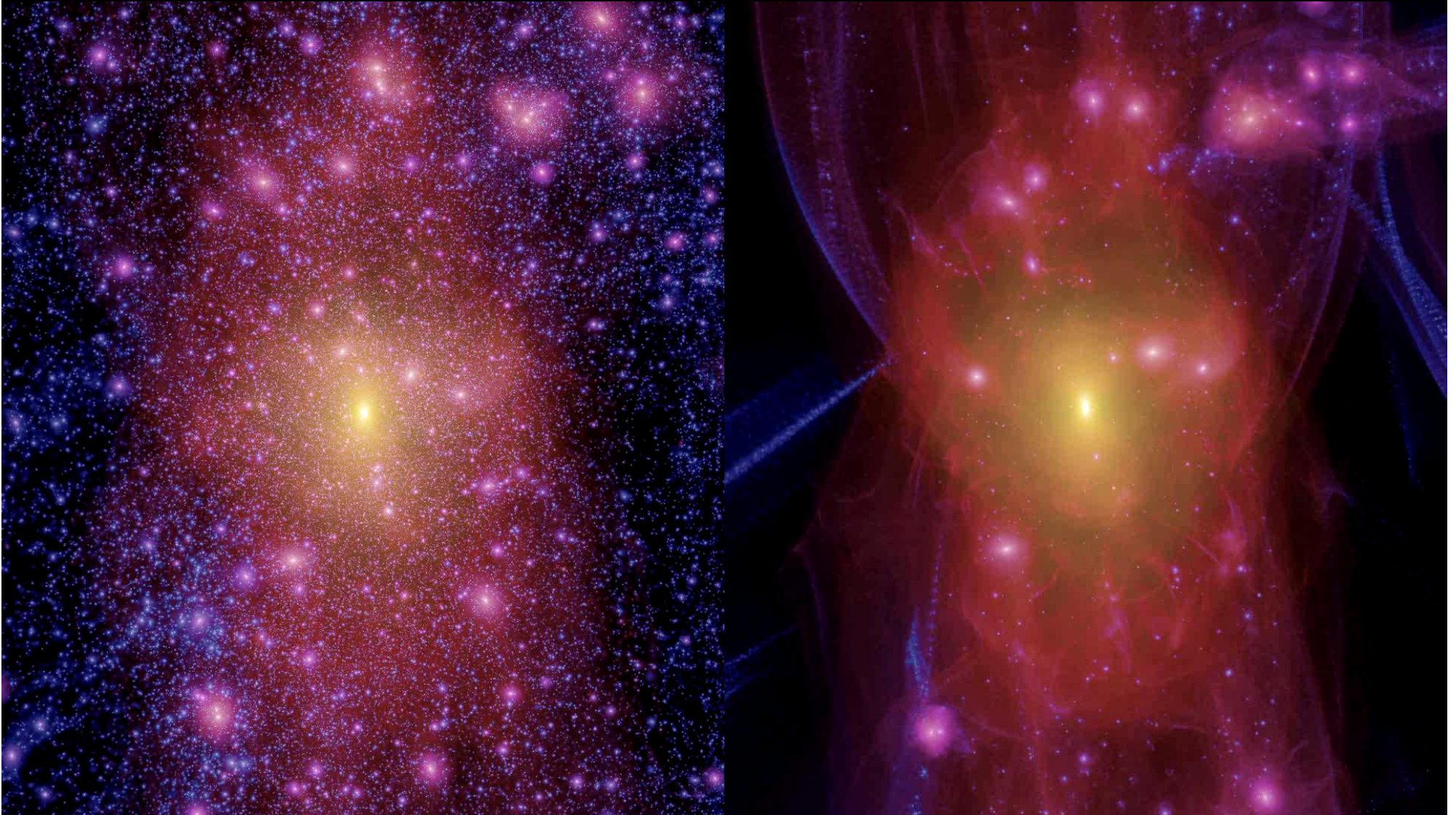
Gold Dark Matter

Warm Dark Matter

13.4 billion years ago

cold dark matter

warm dark matter

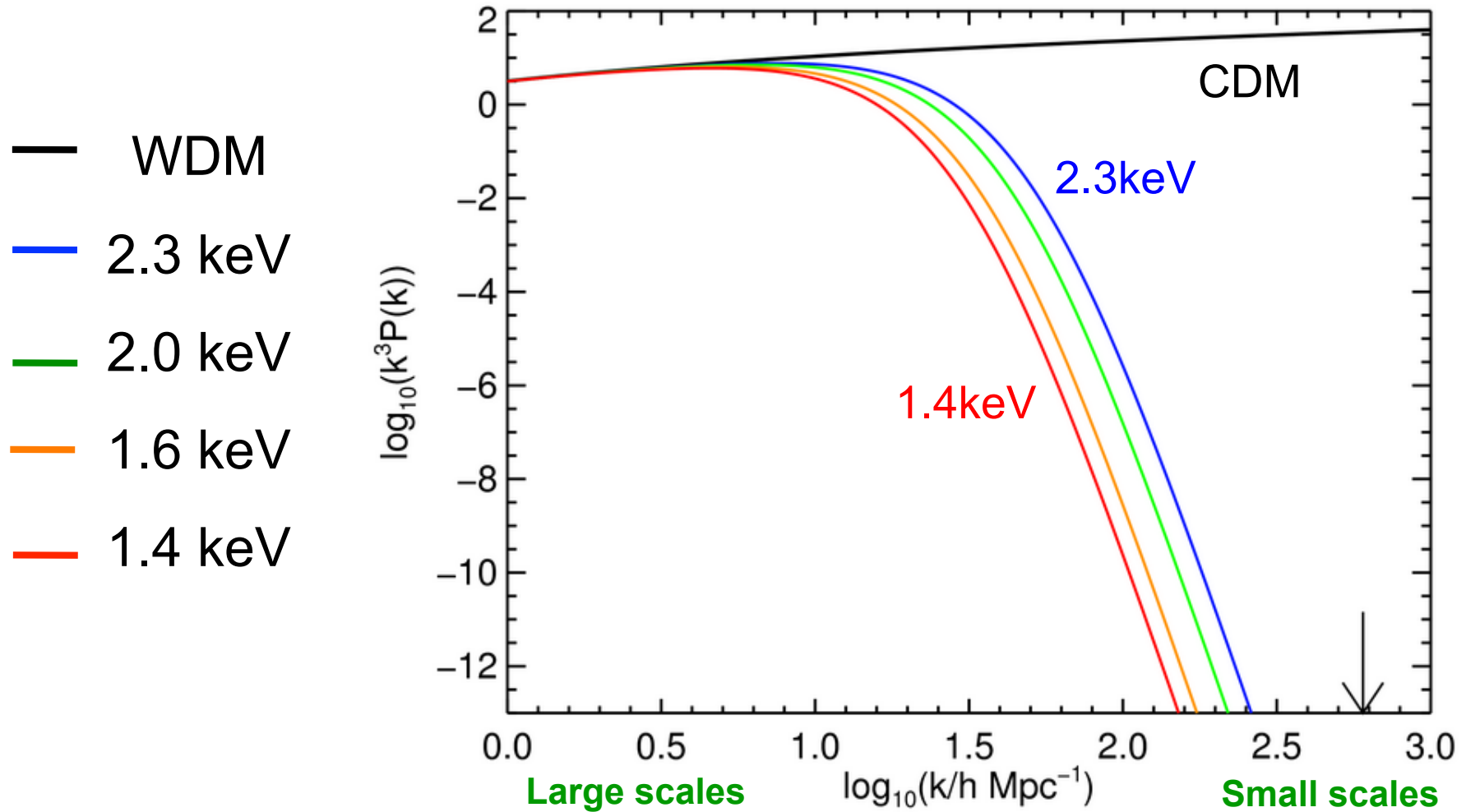


Lovell, Eke, Frenk, Gao, Jenkins, Wang, White, Theuns,  
BoyarSKI & Ruchayskiy '12



# Warm DM: different $\nu$ mass

The linear power spectrum (“power per octave”)

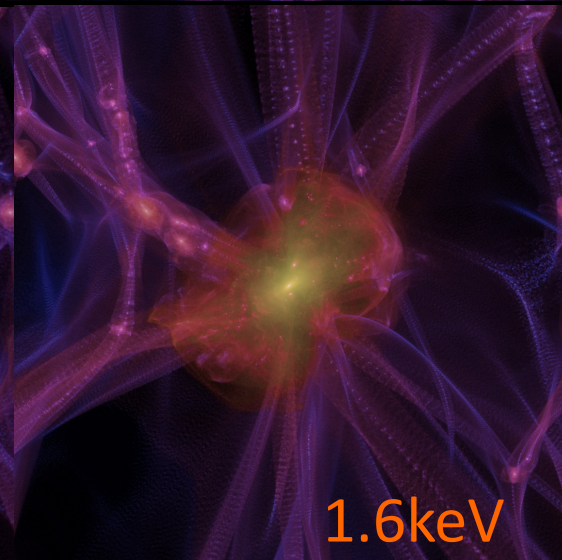
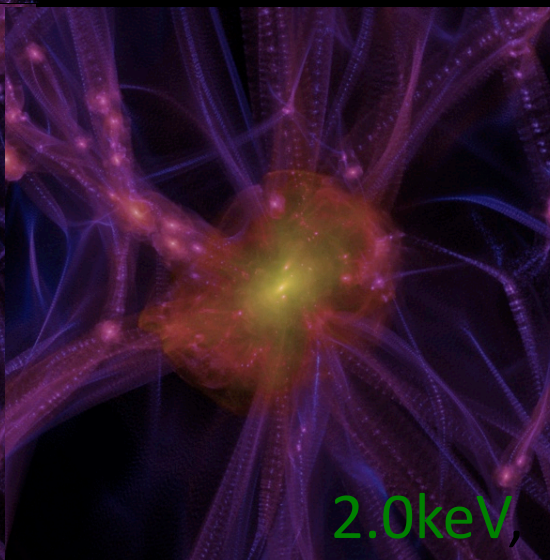
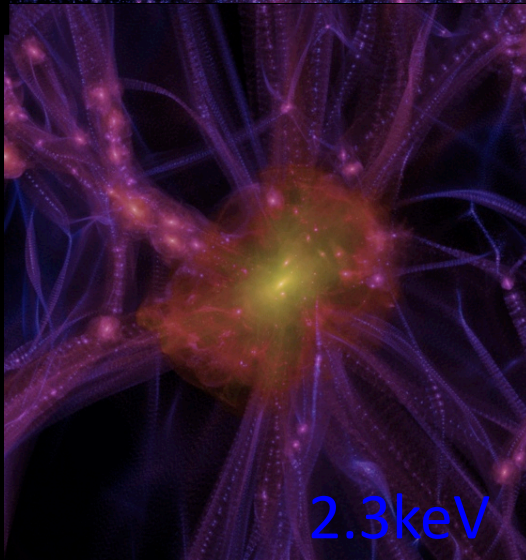
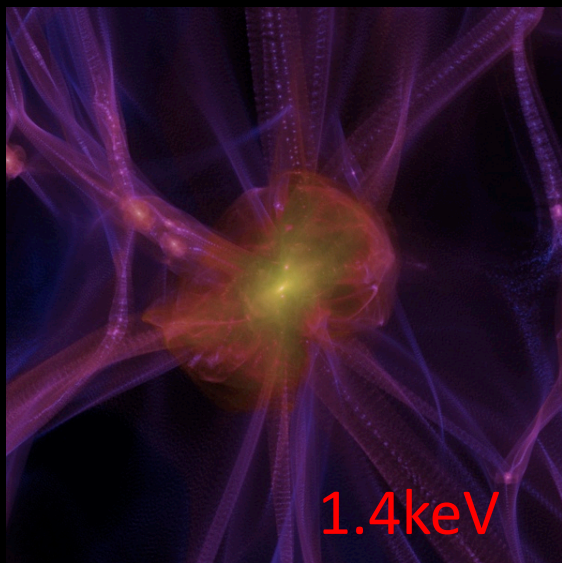
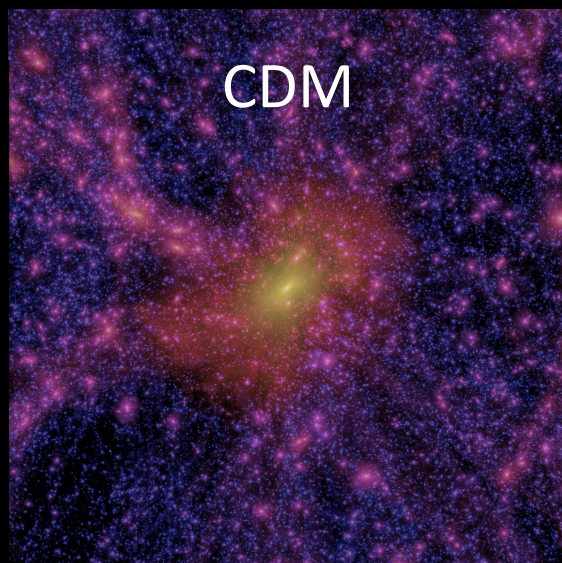




# Warm DM: different $\nu$ mass

$z=3$

- WDM
- 2.3 keV
- 2.0 keV
- 1.6 keV
- 1.4 keV



Simulations make 2 important predictions on galactic scales:

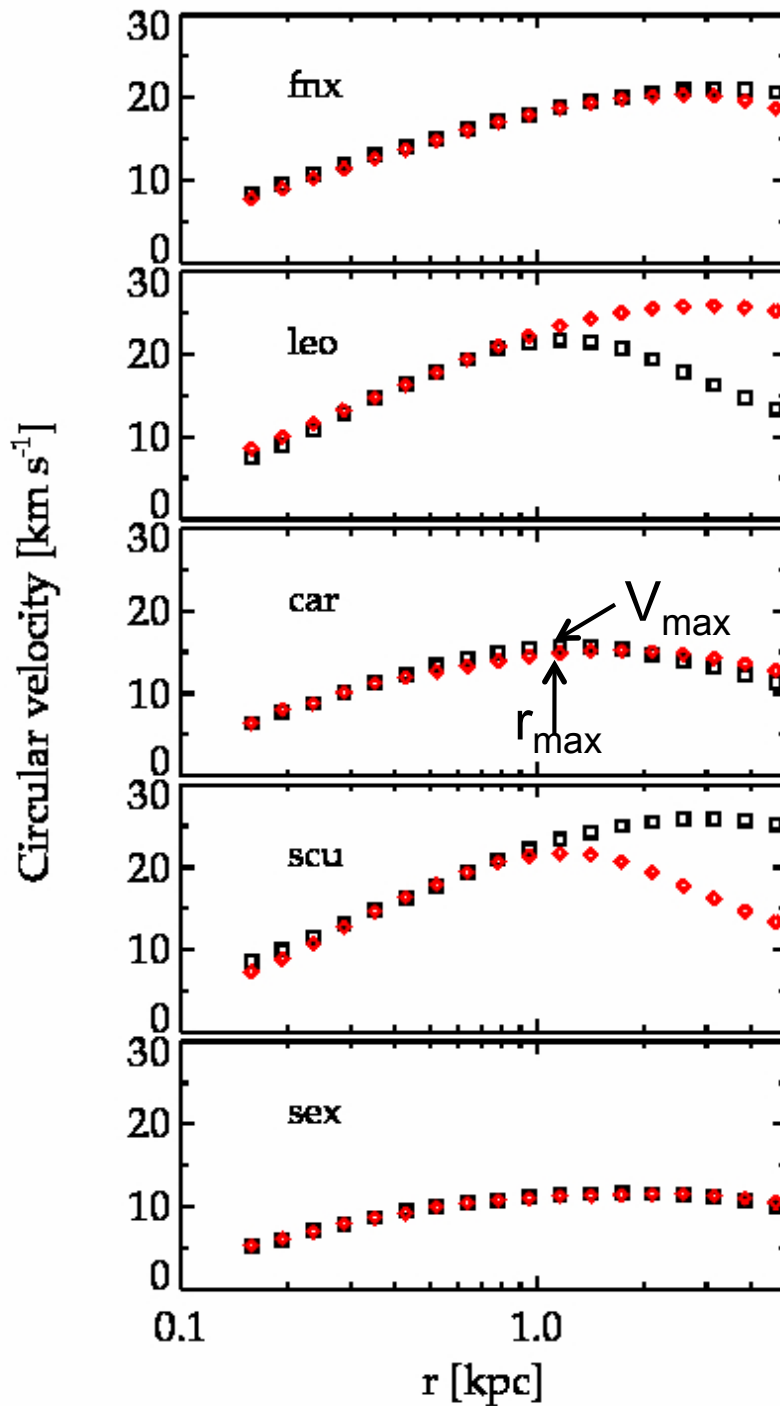
## Cold dark matter

- Large number of self-bound substructures (**10% of mass**) survive
- The main halo and its subhalos have “cuspy” density profiles

## Warm dark matter

- Far fewer self-bound substructures (**5% of mass**) survive
- Main halo profile identical to CDM; subhalos still “cuspy” but less concentrated than in CDM

# The structure of the Milky Way satellites



$$V_c = \sqrt{\frac{GM}{r}}$$

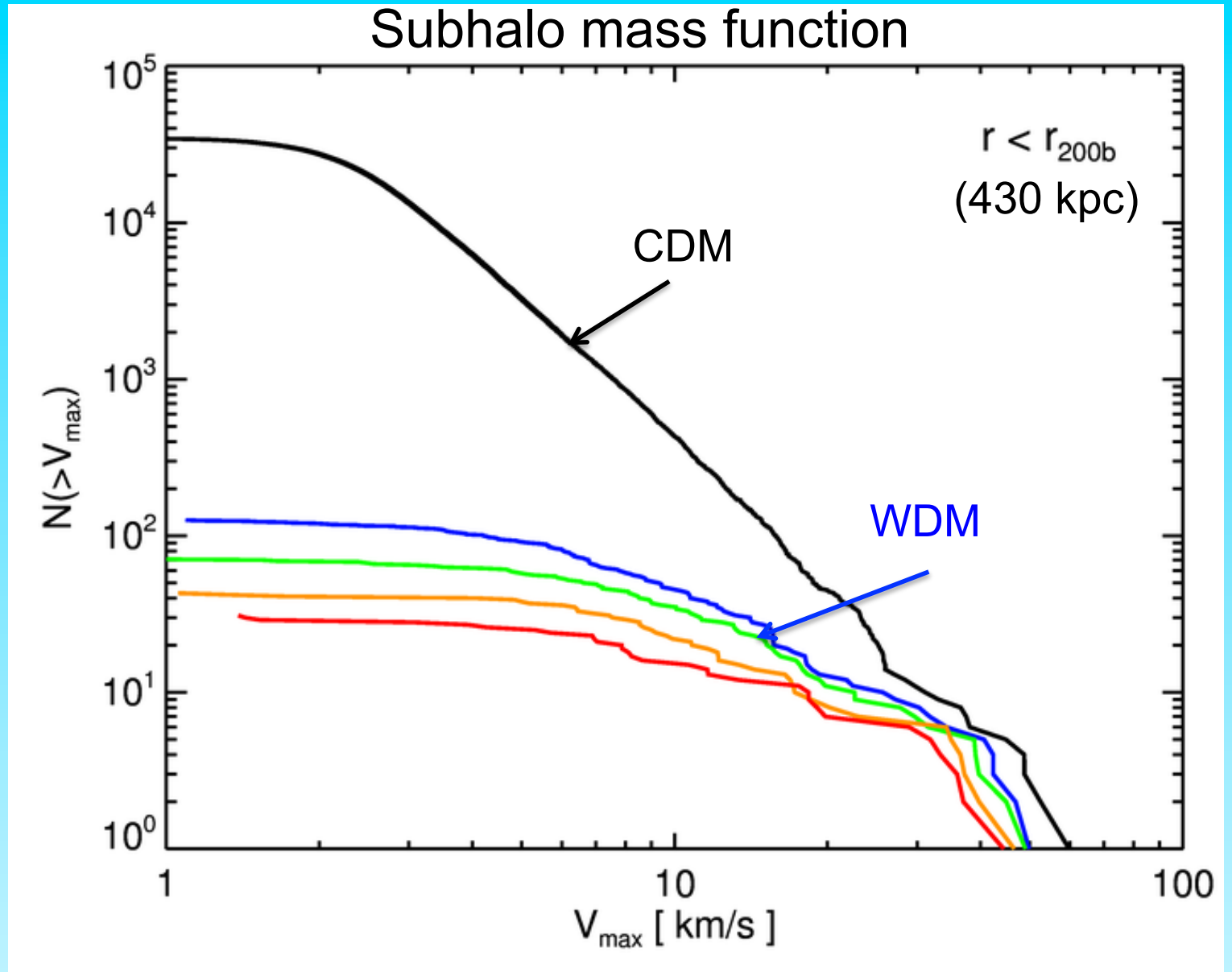
$$V_{\max} = \max V_c$$

Strigari, Frenk & White 2010

# The mass function of substructures

- WDM
- 2.3 keV
- 2.0 keV
- 1.6 keV
- 1.4 keV

No of suhalos  
 ↗ with  $m_{\text{WDM}}$

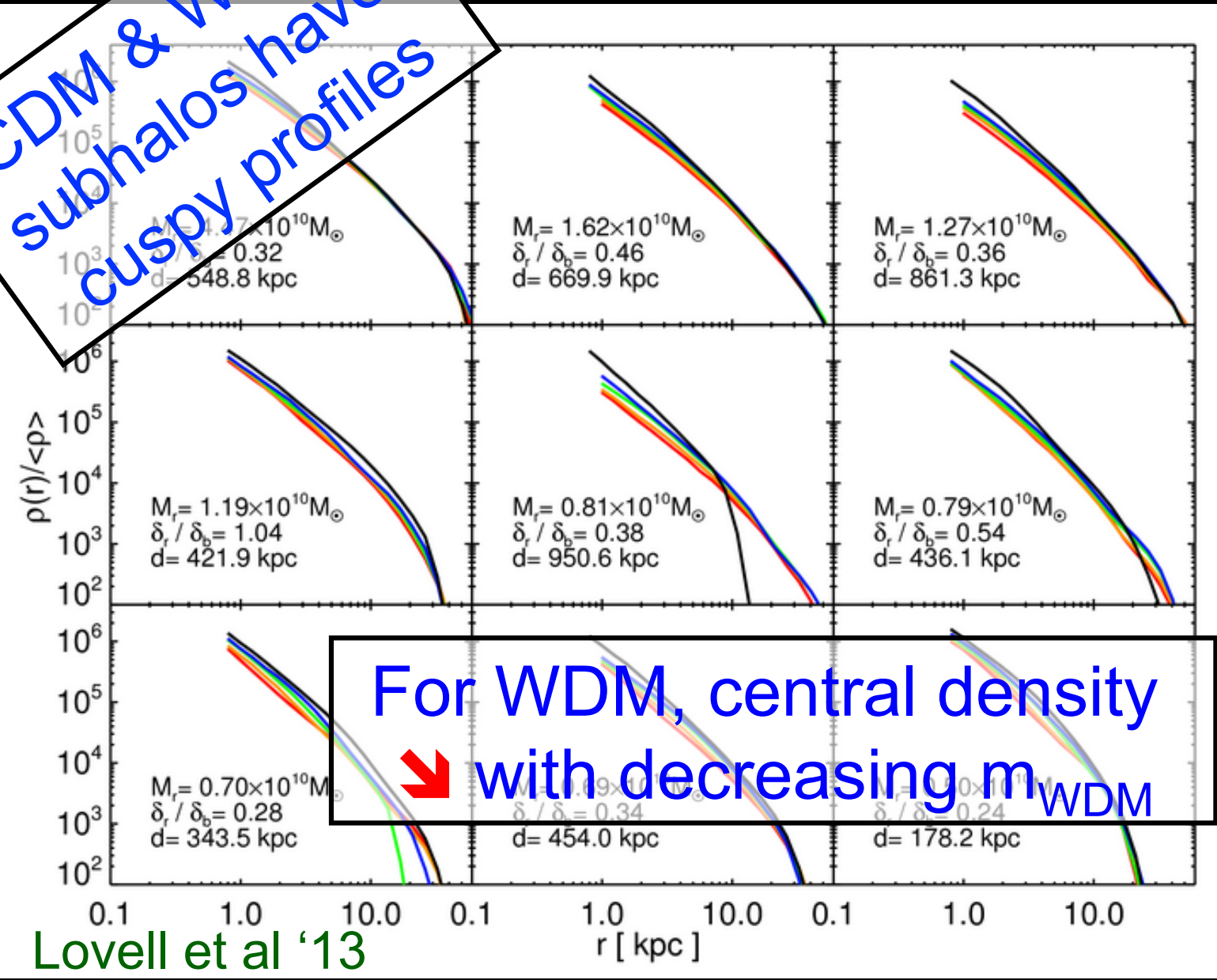




# Subhalo density profiles

CDM & WDM subhalos have cuspy profiles

- WDM
- 2.3 keV
  - 2.0 keV
  - 1.6 keV
  - 1.4 keV



For WDM, central density  $\downarrow$  with decreasing  $m_{\text{WDM}}$



How can we distinguish between CDM & WDM ?



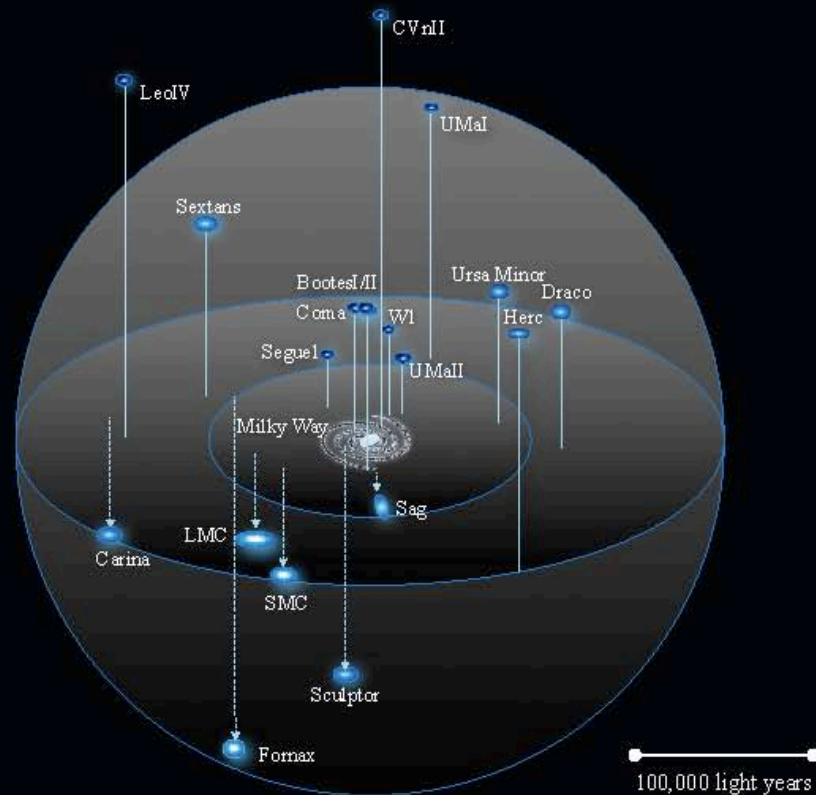


# Cosmology on small scales

- The number of satellites (the “satellite problem”)
- The structure of satellites (the “too-big-to-fail” problem)

# The satellites of the Milky Way

~25 satellites known  
in the MW







CDM simulations produce  $>10^5$  subhalos

~25 satellites known  
in the MW





Making a galaxy in a small halo is hard because:

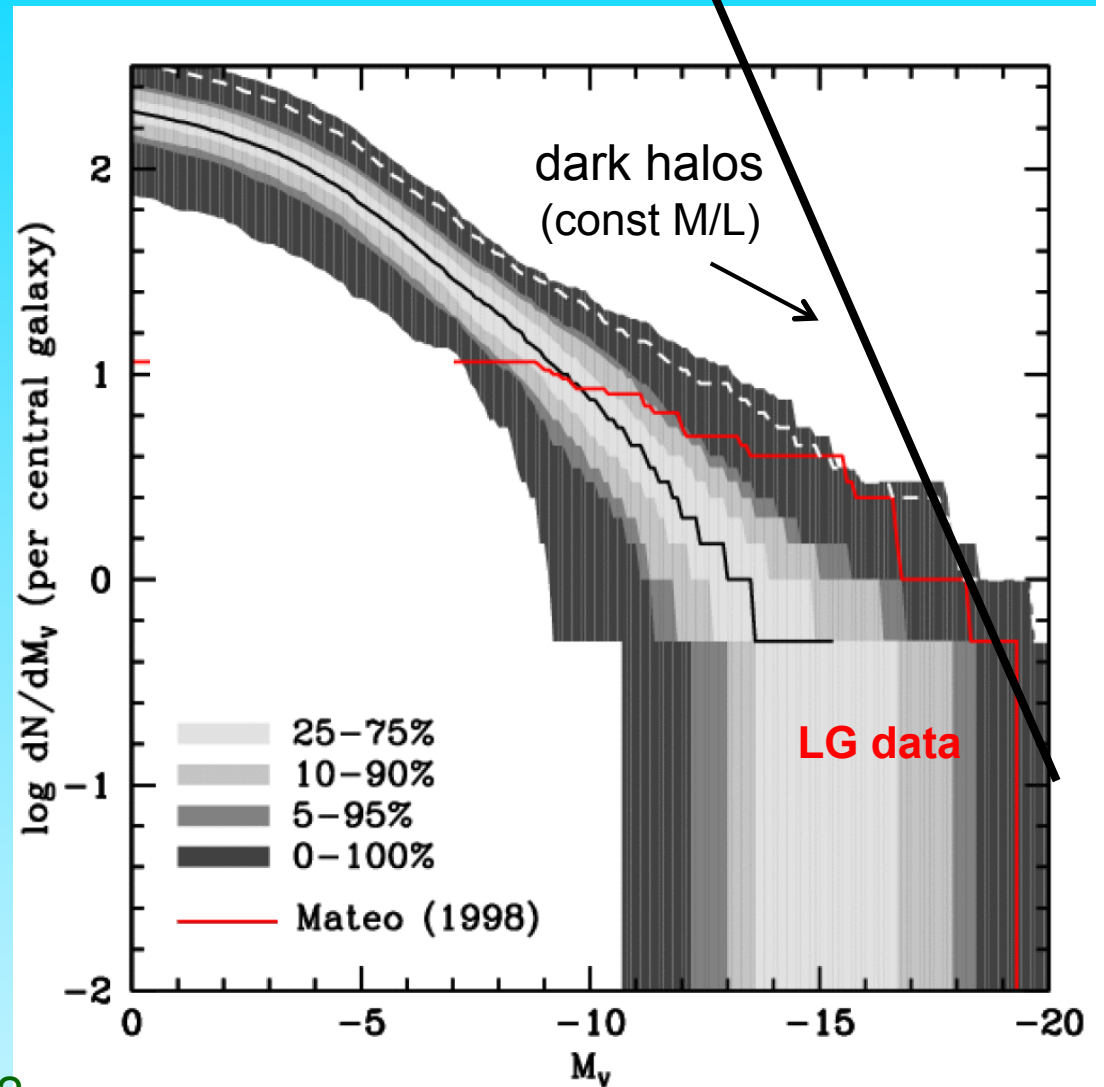
- Early reionization heats gas above  $T_{\text{vir}}$
- Supernovae feedback expels gas

Most subhalos never make a galaxy!



# Luminosity Function of Local Group Satellites

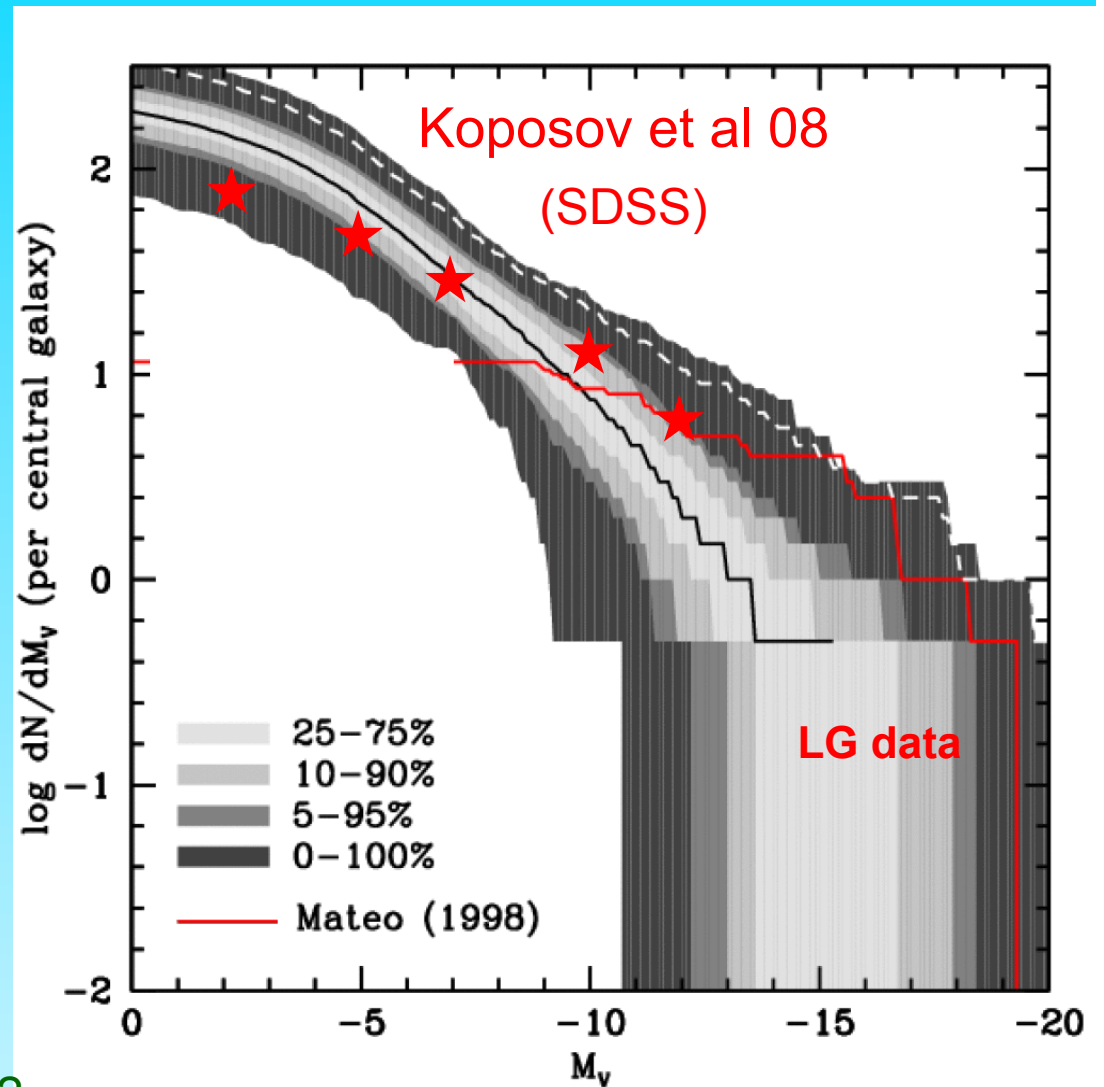
- Median model  $\rightarrow$  correct abund. of sats brighter than  $M_V = -9$  and  $V_{\text{cir}} > 12$  km/s
- Model predicts many, as yet undiscovered, faint satellites
- LMC/SMC should be rare ( $\sim 2\%$  of cases)



Benson, Frenk, Lacey, Baugh & Cole '02  
(see also Kauffman et al '93, Bullock et al '01)

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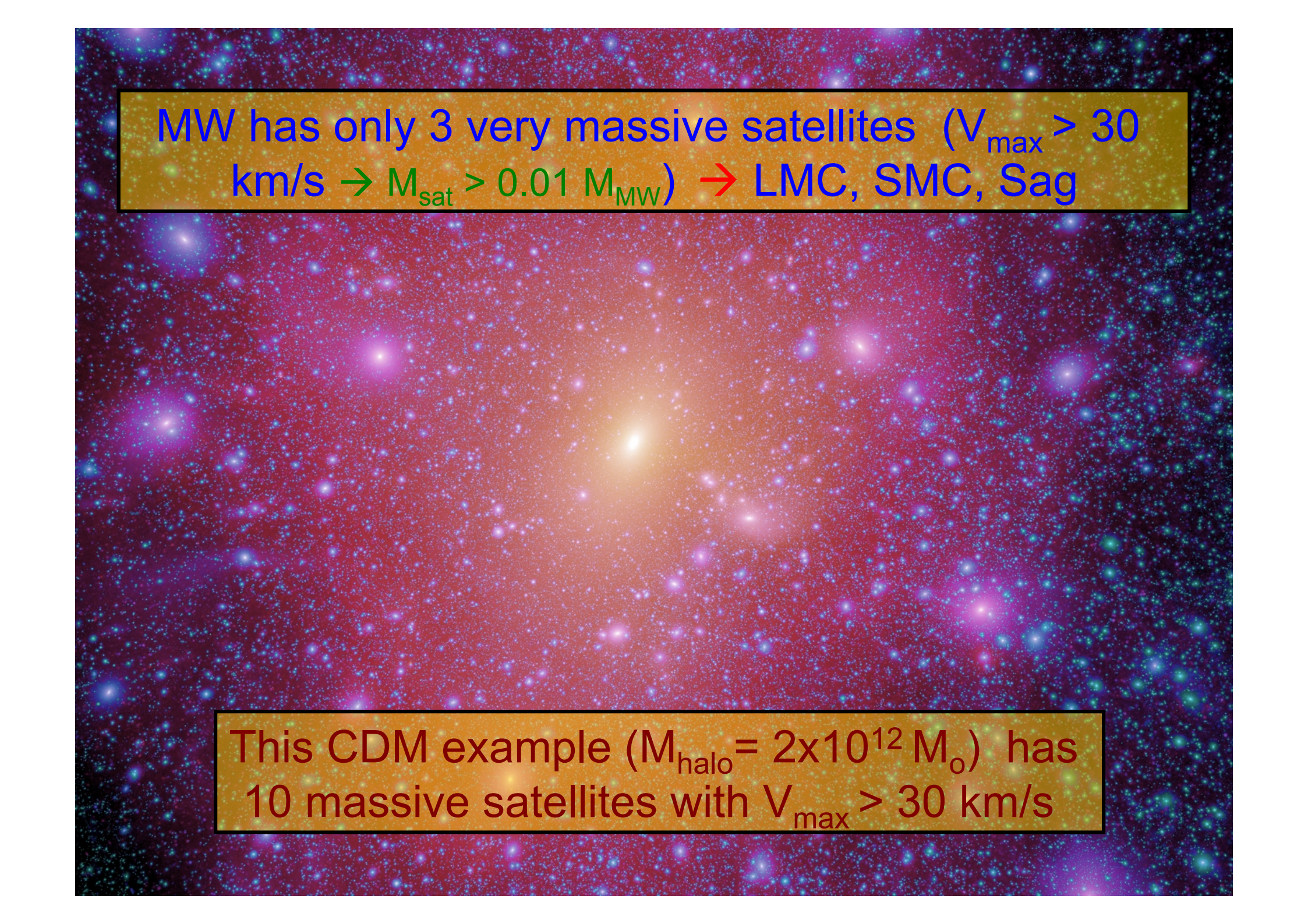




# Cosmology on small scales

- The number of satellites (the “satellite problem”)
- The structure of satellites (the “too-big-to-fail” problem)





MW has only 3 very massive satellites ( $V_{\max} > 30$   
km/s  $\rightarrow M_{\text{sat}} > 0.01 M_{\text{MW}}$ )  $\rightarrow$  LMC, SMC, Sag

This CDM example ( $M_{\text{halo}} = 2 \times 10^{12} M_{\odot}$ ) has  
10 massive satellites with  $V_{\max} > 30$  km/s



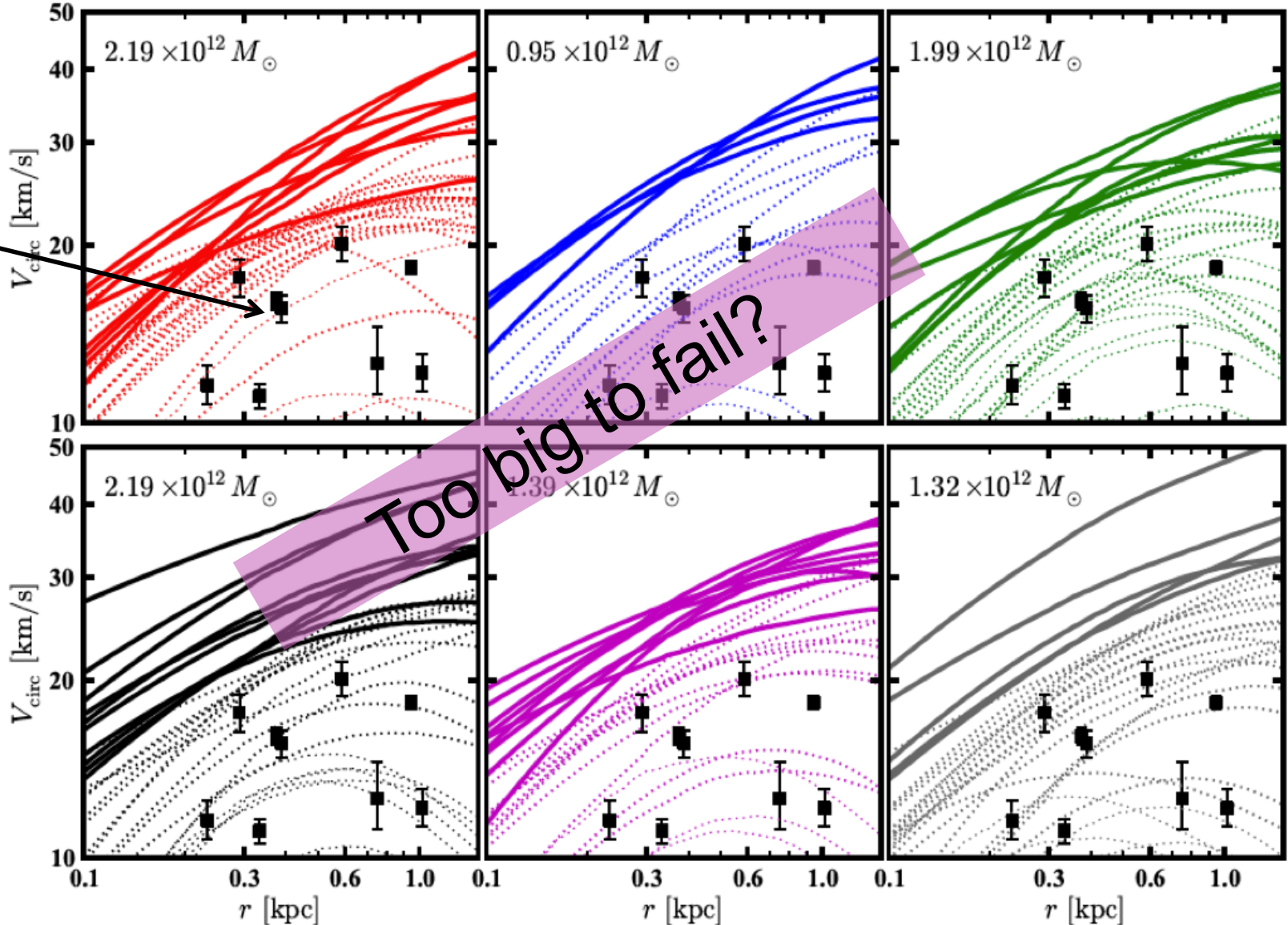
# Rotation curves of Aquarius subhalos

Boylan-Kolchin et al. '11

$$V_c = \sqrt{\frac{GM}{r}}$$

9 dwarf satellites of Milky Way:  
Mass within half-light radius

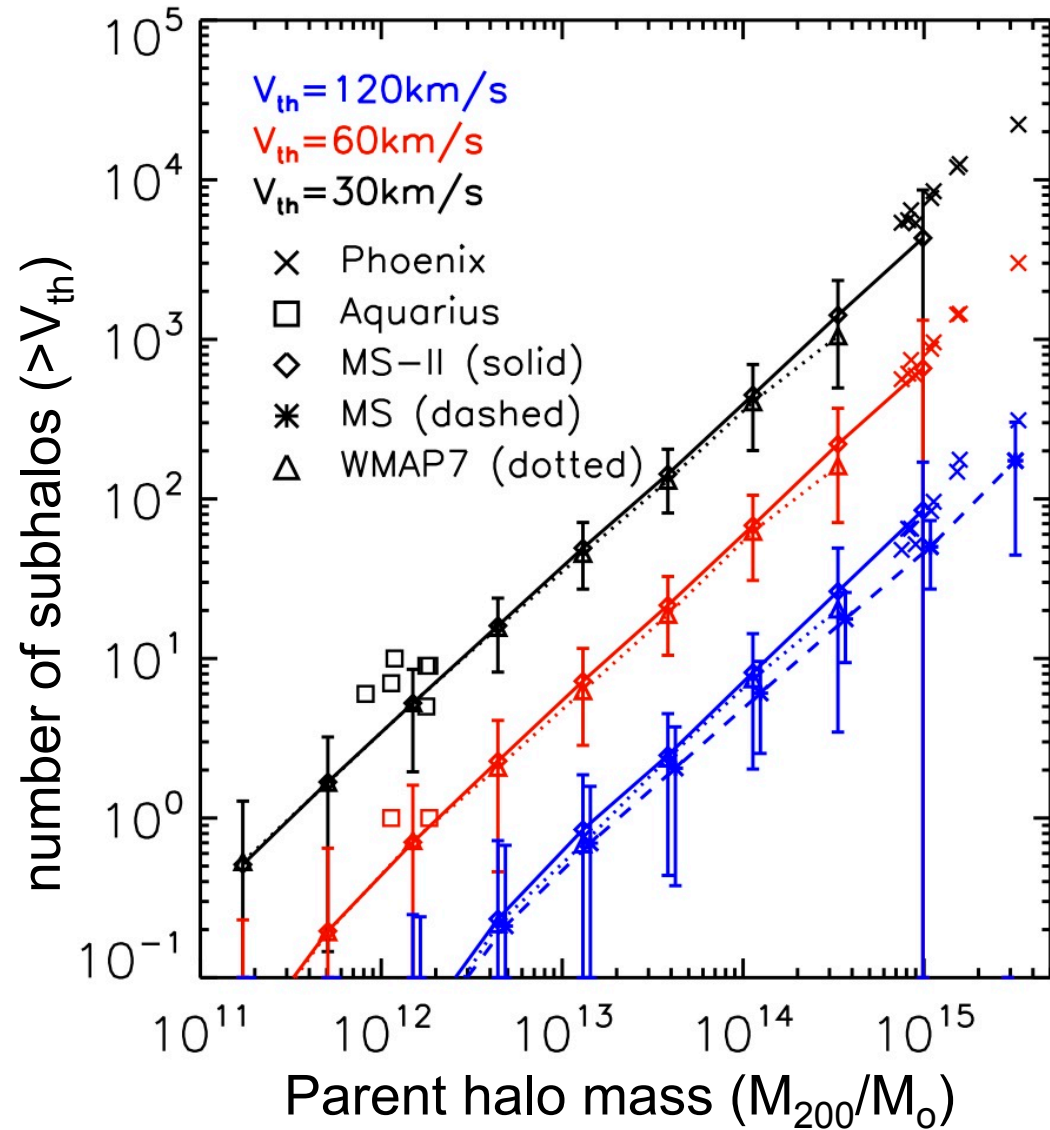
Excludes LMC, SMC, Sagittarius



# Number of massive subhalos

Number of massive subhalos increases rapidly with halo mass

→ Milky Way halo mass cannot be too large if CDM is right!



# Probability of massive subhalos

Probability of having no more than 3 subhalos with  $V_{\max} > 30 \text{ km/s}$

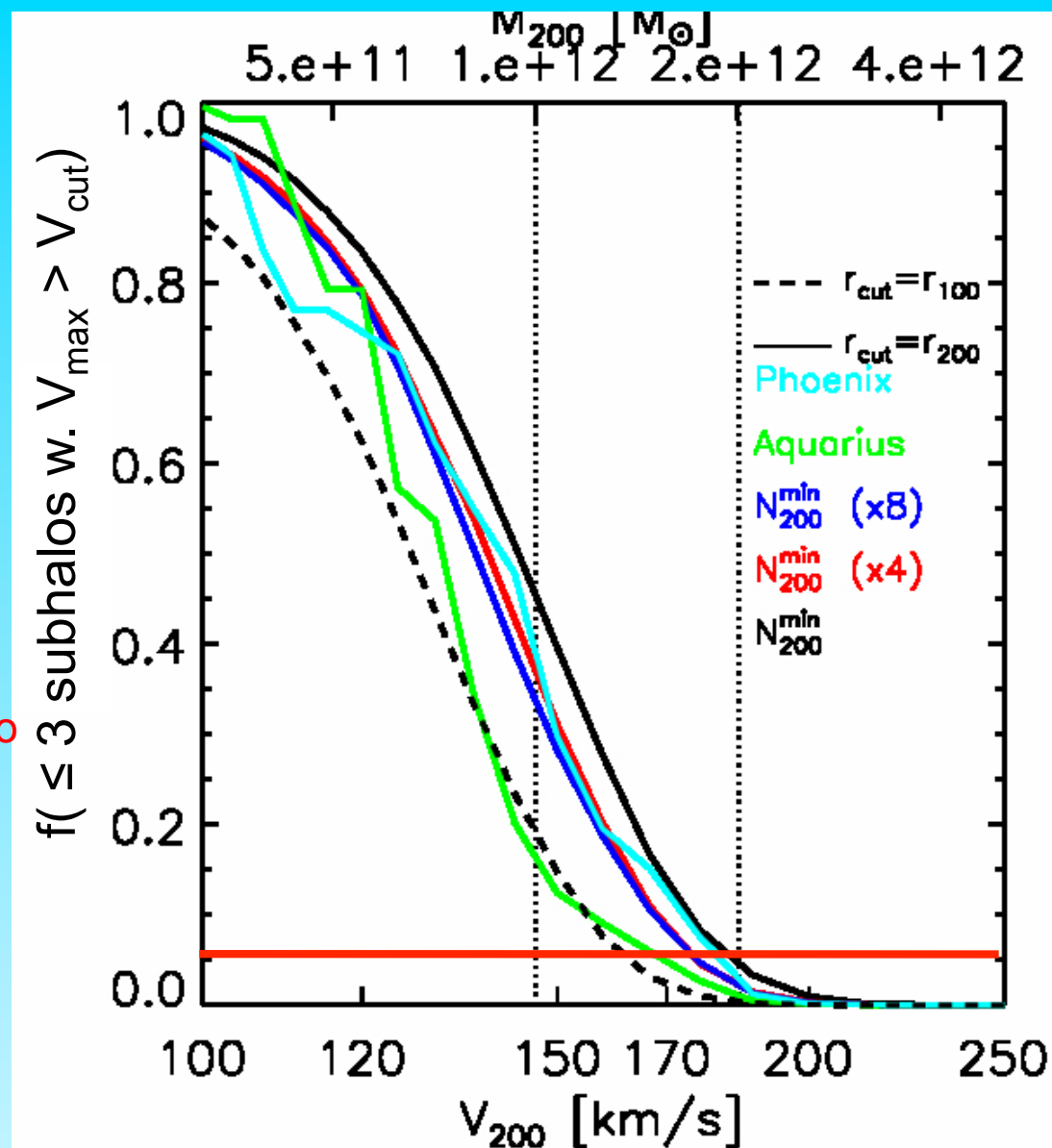
Depends strongly on  $M_{200}$  (and  $V_{\text{cut}}$ )

If mass of MW halo  $> 2 \times 10^{12} M_{\odot}$   
pure CDM is ruled out

CDM requires

$M_{\text{halo}} < 1.5 \times 10^{12} M_{\odot}$  (95% confidence)

Wang, Frenk, Navarro, Gao '12



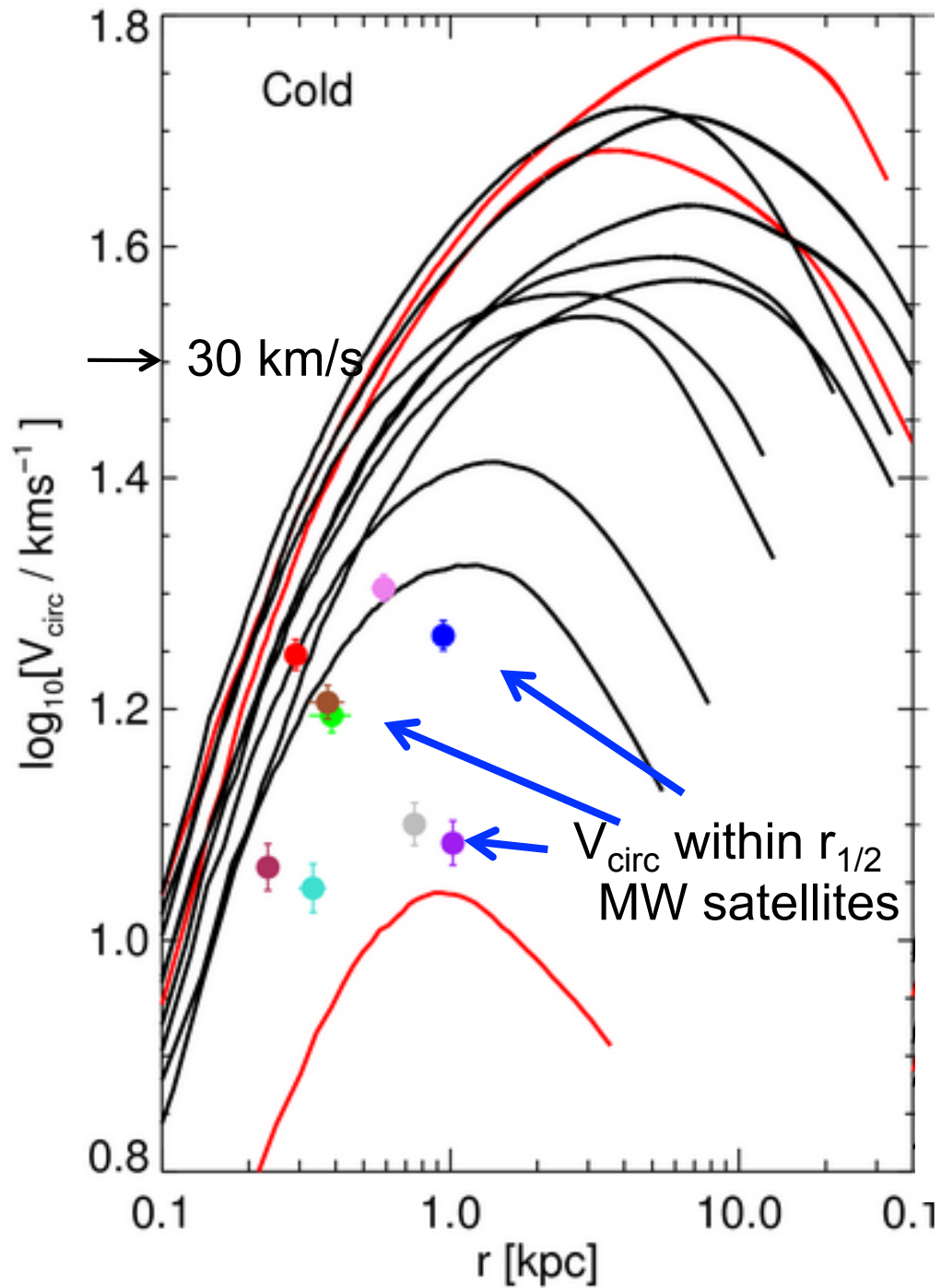




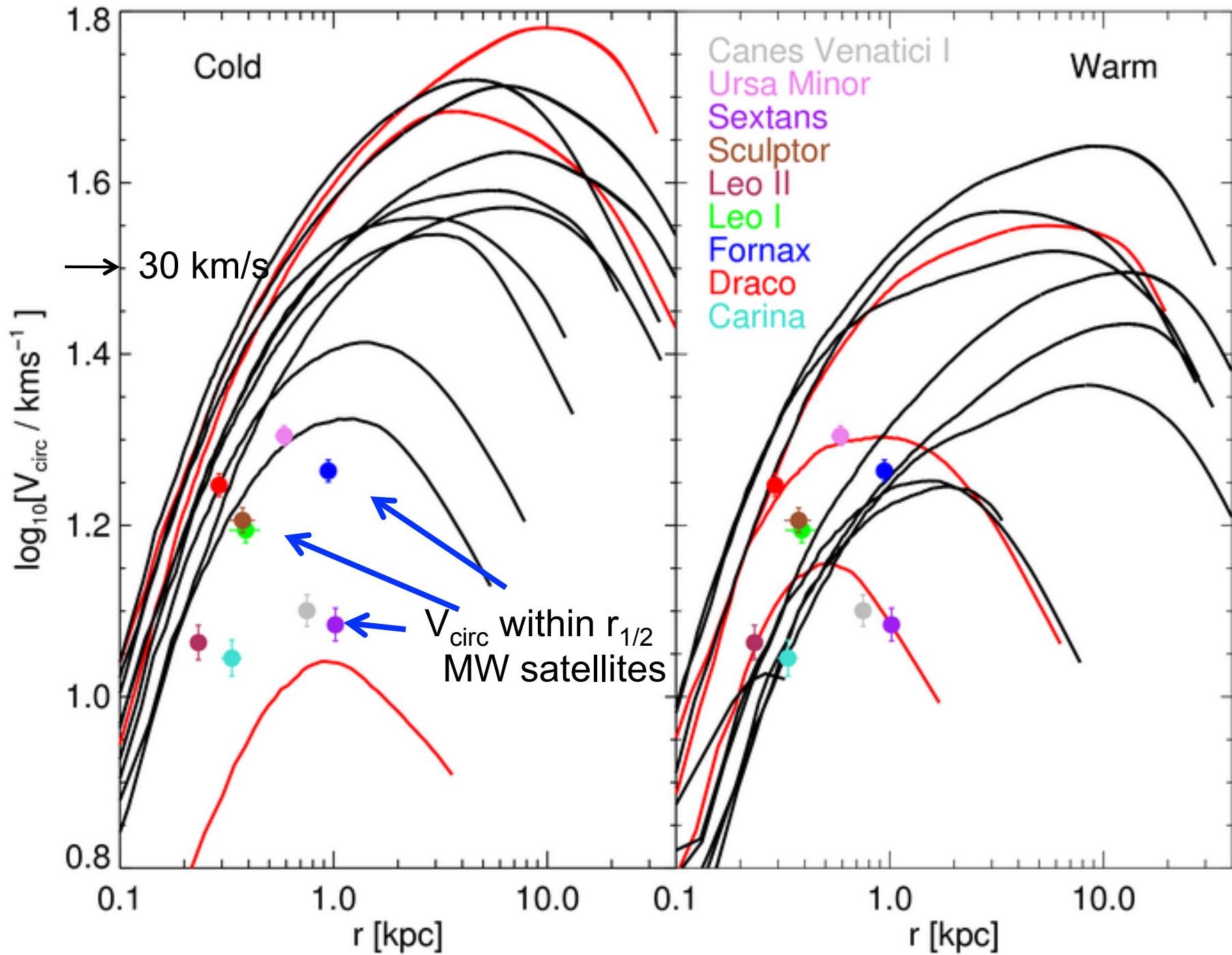
# Cosmology on small scales

- The number of satellites (the “satellite problem”)
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How about WDM?



Lovell, Eke, Frenk, Gao,  
Jenkins, Wang, White, Theuns,  
BoyarSKI & Ruchayskiy '11





# Cosmology on small scales

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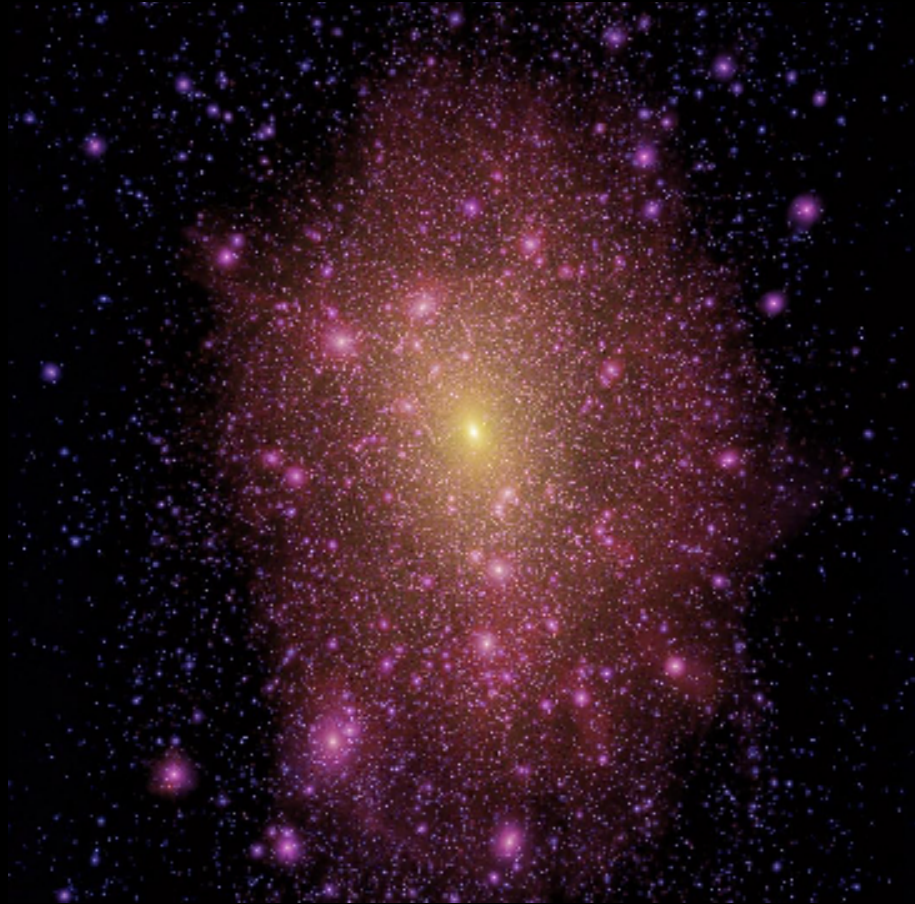
How about WDM?



# Tests of the nature of the DM

cold dark matter

warm dark matter

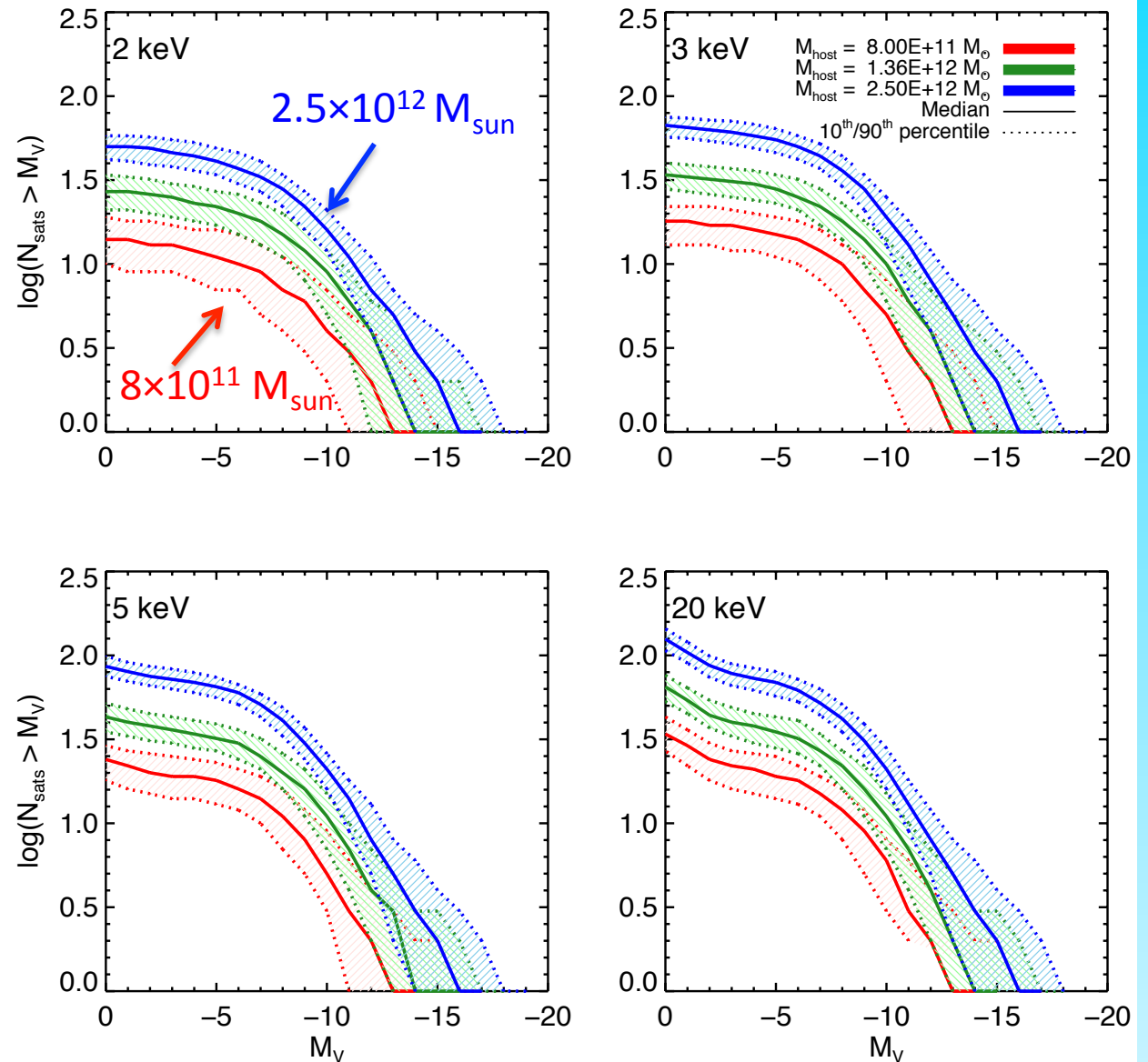


Lovell, Eke, Frenk, Gao, Jenkins, Wang, White, Theuns,  
Boyarski & Ruchayskiy '12

# Luminosity Function of Local Group Satellites in WDM

No of sats  $\nearrow$  with:

- host halo mass
- WDM particle mass

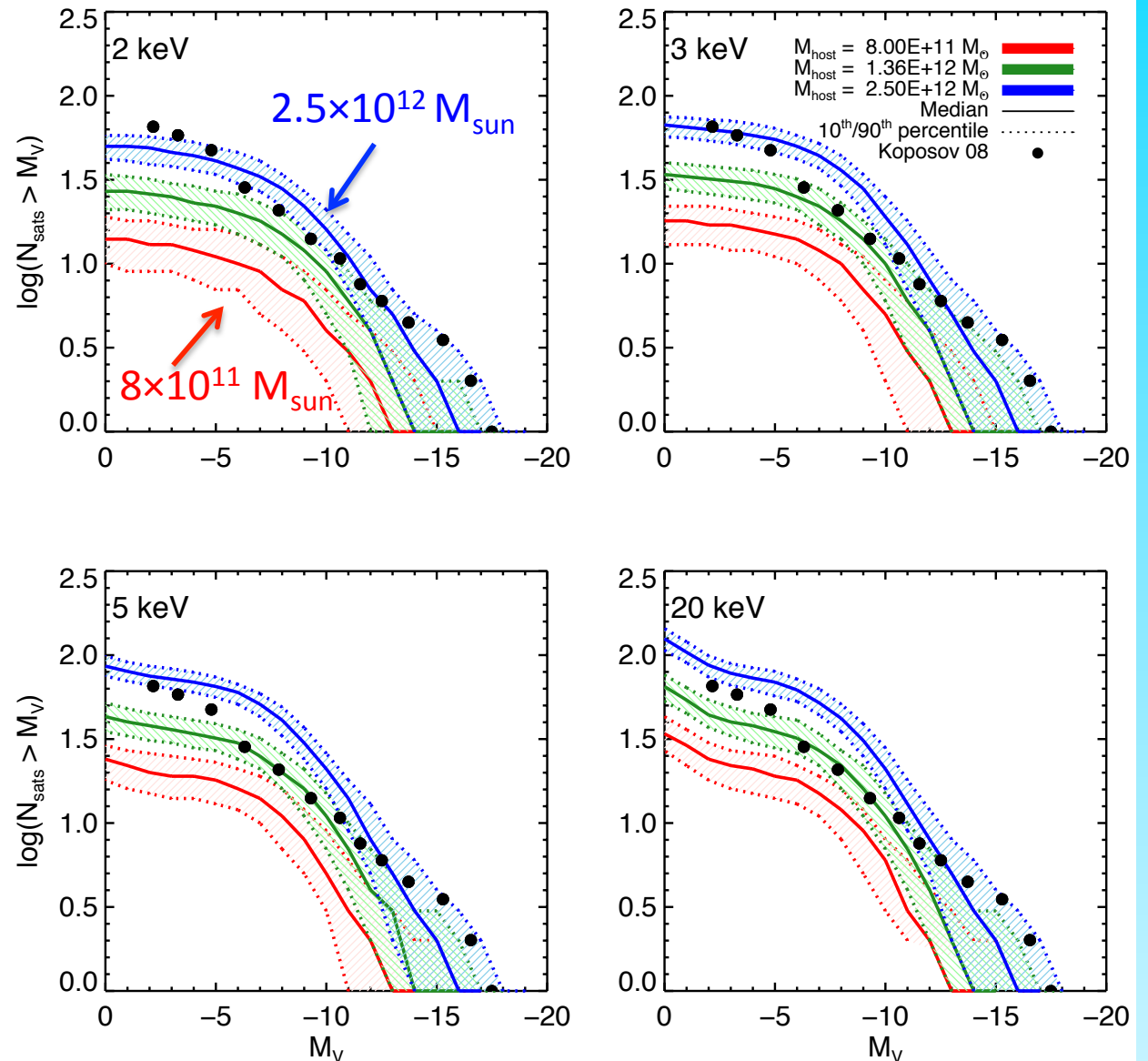




# Luminosity Function of Local Group Satellites in WDM

No of sats  $\nearrow$  with:

- host halo mass
- WDM particle mass



# Limits on WDM particle mass

For given  $m_{\text{wdm}}$  model must predict **at least** observed no of sats

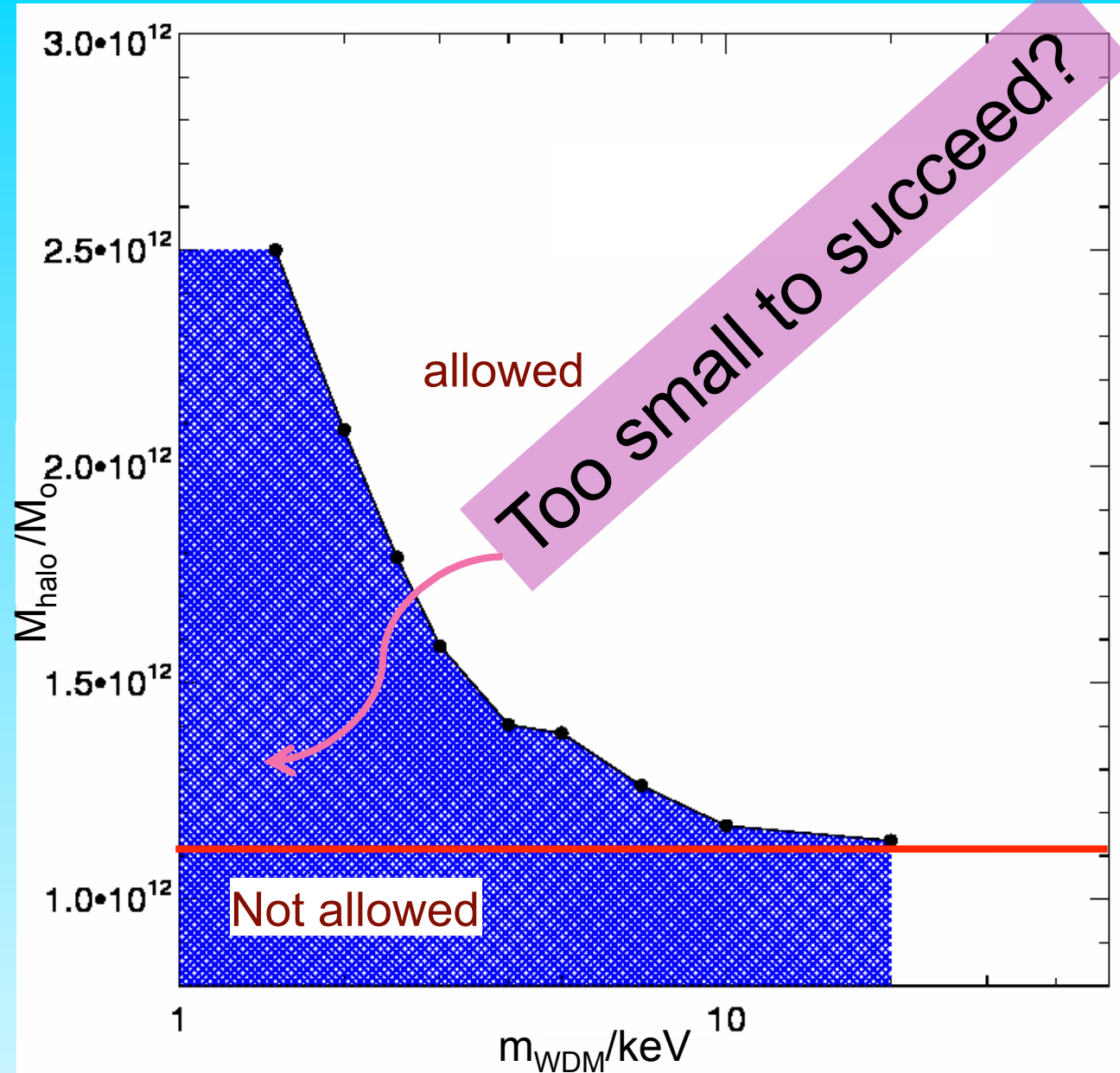
→ lower limit on  $m_{\text{wdm}}$

# Limits on WDM particle mass

Minimum halo mass consistent (95%) with observed no. of sats for given  $m_{\text{WDM}}$

For standard galaxy formation model, WDM ruled out if  $M_{\text{halo}} < 1.1 \times 10^{12} M_{\odot}$

Kennedy, Cole & Frenk '13



# Estimates of the MW halo mass

- Li & White  $\rightarrow M_{200} = 2.4 \times 10^{12} M_{\odot}$ ;  $M_{200} > 8 \times 10^{11} M_{\odot}$  at 95% CL
- Guo et al  $\rightarrow 8 \times 10^{11} M_{\odot} < M_{200} < 4.7 \times 10^{12} M_{\odot}$
- Deason et al  $\rightarrow 5 \times 10^{11} M_{\odot} < M_{150\text{kpc}} < 1 \times 10^{12} M_{\odot}$
- Xue et al  $\rightarrow 8 \times 10^{11} M_{\odot} < M_{100} < 1.3 \times 10^{12} M_{\odot}$
- Battaglia et al  $\rightarrow 6 \times 10^{11} M_{\odot} < M_{100} < 3 \times 10^{12} M_{\odot}$

# Constraints on CDM & WDM from the Milky Way satellites

With our standard assumptions: at 95% confidence

## Cold dark matter :

Ruled out unless  $M_{\text{halo}} < 1.5 \times 10^{12} M_{\odot}$

(from abundance of massive satellites)

Unless baryon effects are important

## Warm dark matter :

Ruled out unless  $M_{\text{halo}} > 1.2 \times 10^{12} M_{\odot}$

(from abundance of satellites)

From X-ray decay limit, for resonantly produced sterile vs

→ need  $m_{\text{WDM}} < 5\text{keV}$  and  $M_{\text{halo}} > 1.4 \times 10^{12} M_{\odot}$

## The cores of dwarf galaxy haloes

Julio F. Navarro,<sup>1,2★</sup> Vincent R. Eke<sup>2</sup> and Carlos S. Frenk<sup>2</sup>

<sup>1</sup>*Steward Observatory, The University of Arizona, Tucson, AZ 85721, USA*

<sup>2</sup>*Physics Department, University of Durham, South Road, Durham DH1 3LE*

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### ABSTRACT

We use  $N$ -body simulations to examine the effects of mass outflows on the density profiles of cold dark matter (CDM) haloes surrounding dwarf galaxies. In particular, we investigate the consequences of supernova-driven winds that expel a large fraction of the baryonic component from a dwarf galaxy disc after a vigorous episode of star formation. We show that this sudden loss of mass leads to the formation of a core in the dark matter density profile, although the original halo is modelled by a coreless (Hernquist) profile. The core radius thus created is a sensitive function of the mass and radius of the baryonic disc being blown up. The loss of a disc with mass and size consistent with primordial nucleosynthesis constraints and angular momentum considerations imprints a core radius that is only a small fraction of the original scalelength of the halo. These small perturbations are, however, enough to reconcile the rotation curves of dwarf irregulars with the density profiles of haloes formed in the standard CDM scenario.



Let baryons cool and condense to the galactic centre

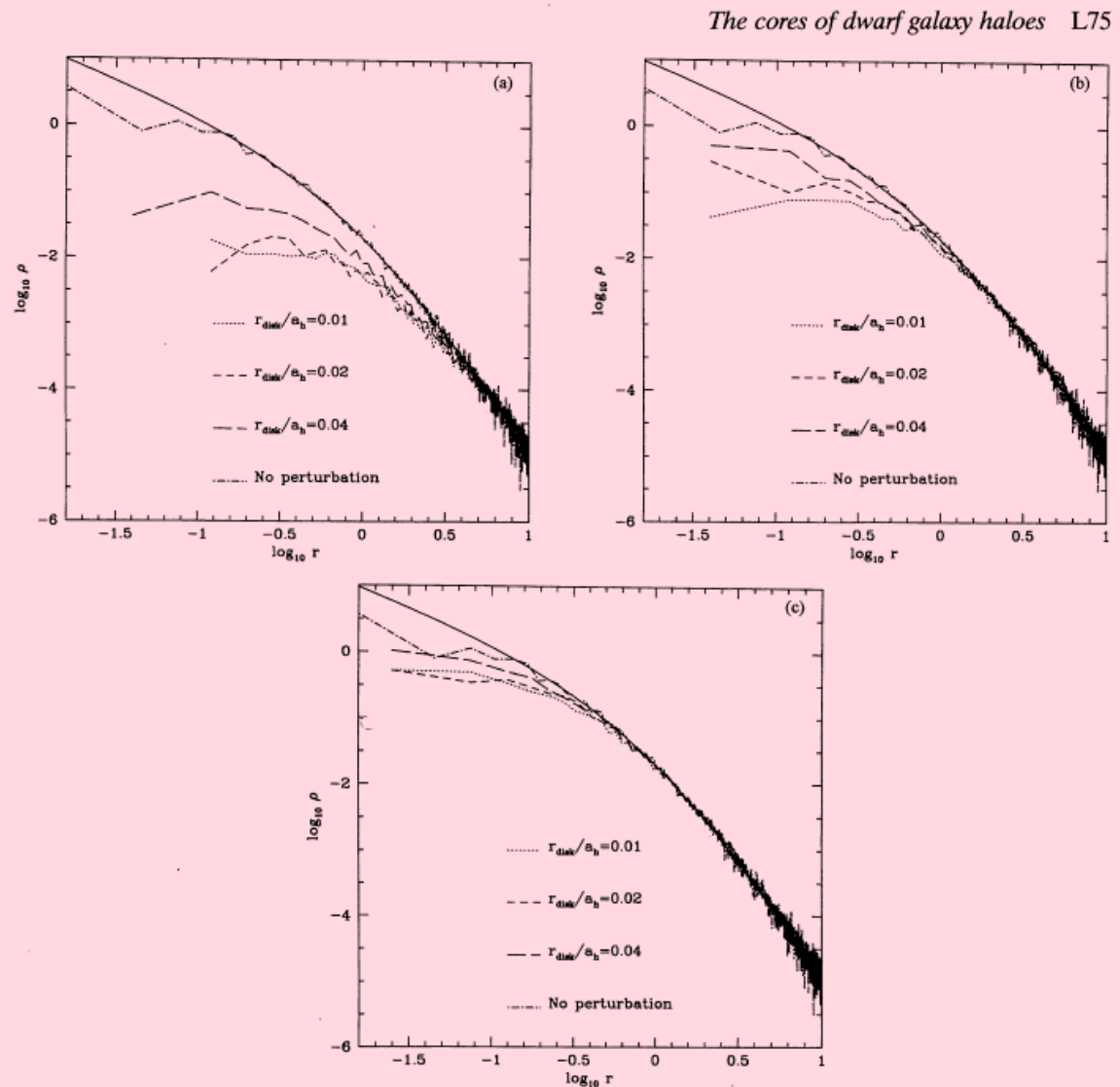
Rapid ejection of large fraction of gas during starburst can lead to a core in the halo dark matter density profile

Navarro, Eke, Frenk '96

Governato et al. '12

Pontzen & Governato '12

Brooks et al. '12



**Figure 3.** Equilibrium density profiles of haloes after removal of the disc. The solid line is the original Hernquist profile, common to all cases. The dot-dashed line is the equilibrium profile of the 10 000-particle realization of the Hernquist model run in isolation at  $t=200$ . (a)  $M_{\text{disc}}=0.2$ . (b)  $M_{\text{disc}}=0.1$ . (c)  $M_{\text{disc}}=0.05$ .

# DM & sats of the MW: conclusions

Abundance and kinematics of MW sats set strong constraints on nature of dark matter

Key properties of sat system:

- Luminosity function
- Abundance of most massive sats

Model	Sat Lum Fn	Massive sats	Comments
CDM	OK	$M_{\text{halo}} < 1.5 \times 10^{12} M_{\odot}$	Unless baryon effects reduce central density
WDM	$M_{\text{halo}} > 1.2 \times 10^{12} M_{\odot}$	OK	+ X-ray constraint $M_{\text{halo}} > 1.5 \times 10^{12} M_{\odot}$ $m_x < 5 \text{keV}$