

# Towards $H+2j$ at NNLO

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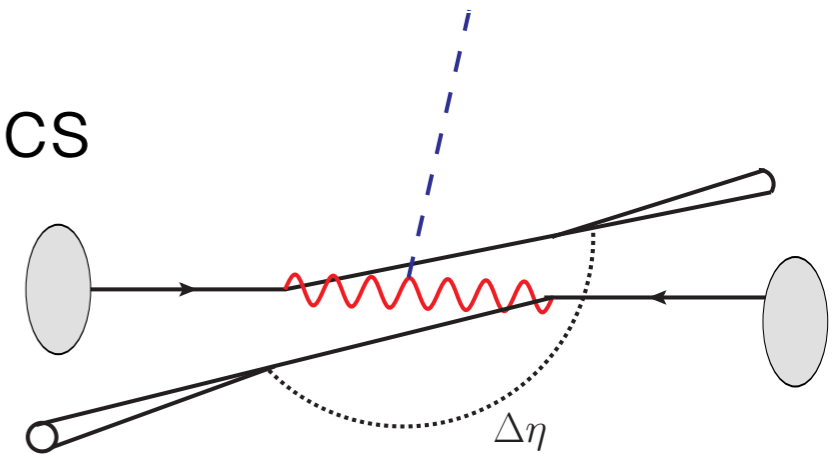


**MC@NNLO**

# H+2j Motivation

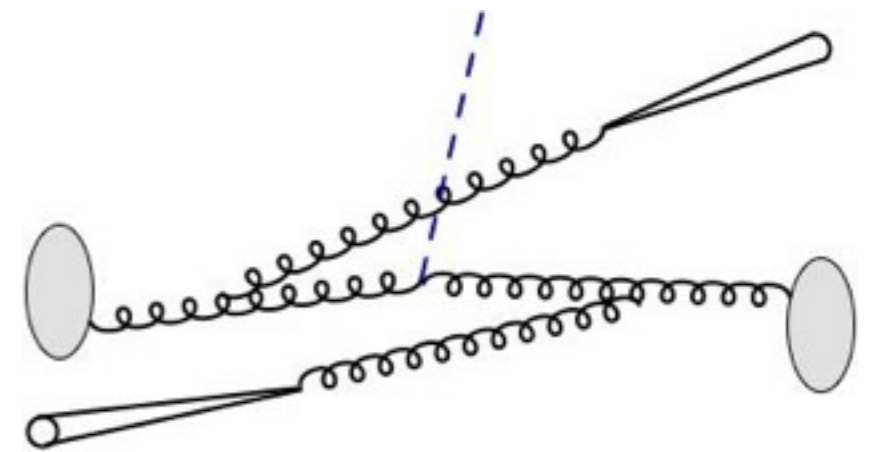
VBF channel very important for Higgs physics

- ~10% of gluon fusion H production
- sensitive to HWW & HZZ couplings, CP
- clear experimental signature (separated jets etc)



Gluon fusion H+2j contaminates signal

- ~25% contamination after VBF cuts
- only known at NLO



# NNLO Subtraction

Unphysical intermediate quantities are divergent

- need to regulate with RR, RV and VV subtraction terms

$$\begin{aligned}d\sigma_{ab,NNLO} &= \int_{\Phi_{m+2}} d\sigma_{ab,NNLO}^{RR} \\ &+ \int_{\Phi_{m+1}} d\sigma_{ab,NNLO}^{RV} + d\sigma_{ab,NNLO}^{MF,1} \\ &+ \int_{\Phi_m} d\sigma_{ab,NNLO}^{VV} + d\sigma_{ab,NNLO}^{MF,2}\end{aligned}$$

# NNLO Subtraction

Unphysical intermediate quantities are divergent,

- need to regulate with RR, RV and VV subtraction terms

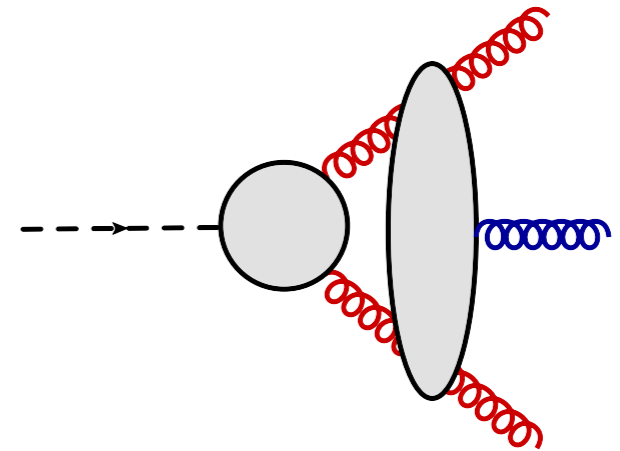
$$\begin{aligned} d\sigma_{ab,NNLO} = & \int_{\Phi_{m+2}} \left[ d\sigma_{ab,NNLO}^{RR} - d\sigma_{ab,NNLO}^S \right] \\ & + \int_{\Phi_{m+1}} \left[ d\sigma_{ab,NNLO}^{RV} - d\sigma_{ab,NNLO}^T \right] \\ & + \int_{\Phi_m} \left[ d\sigma_{ab,NNLO}^{VV} - d\sigma_{ab,NNLO}^U \right] \end{aligned}$$

IR subtracted cross section is numerically integrable in 4-D

# Antenna Subtraction

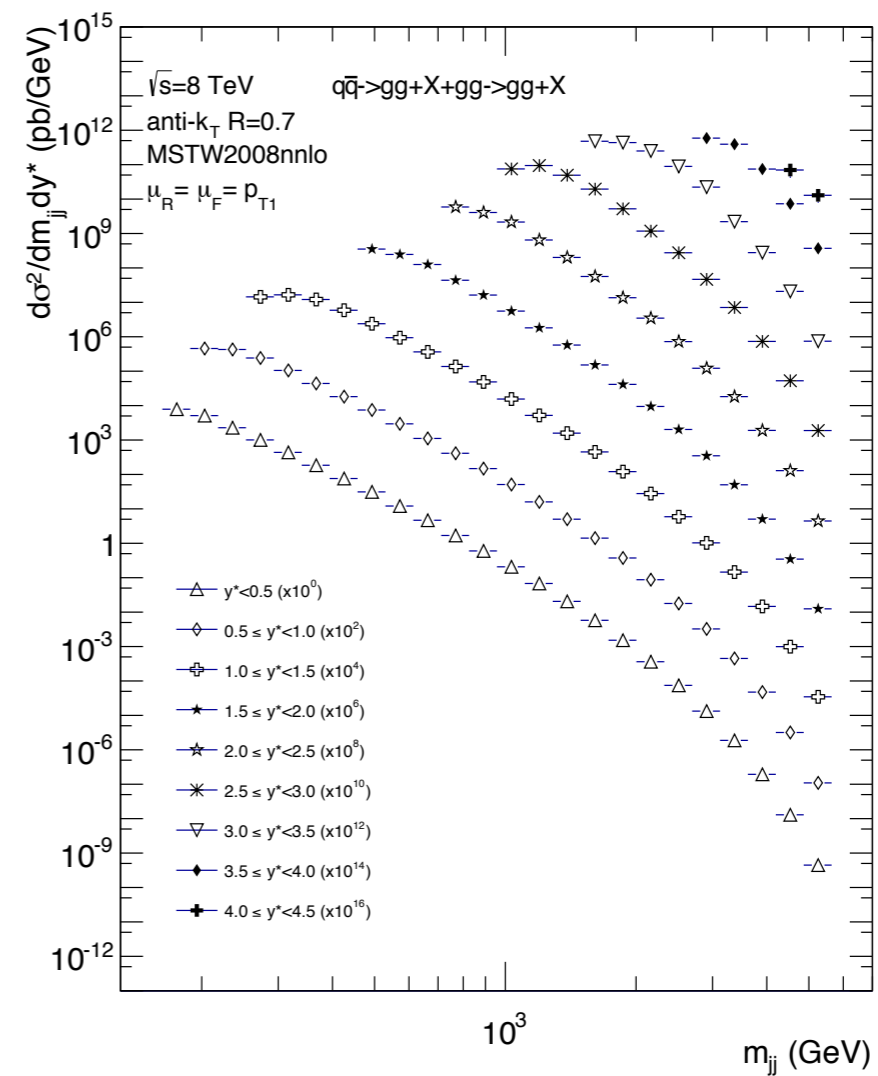
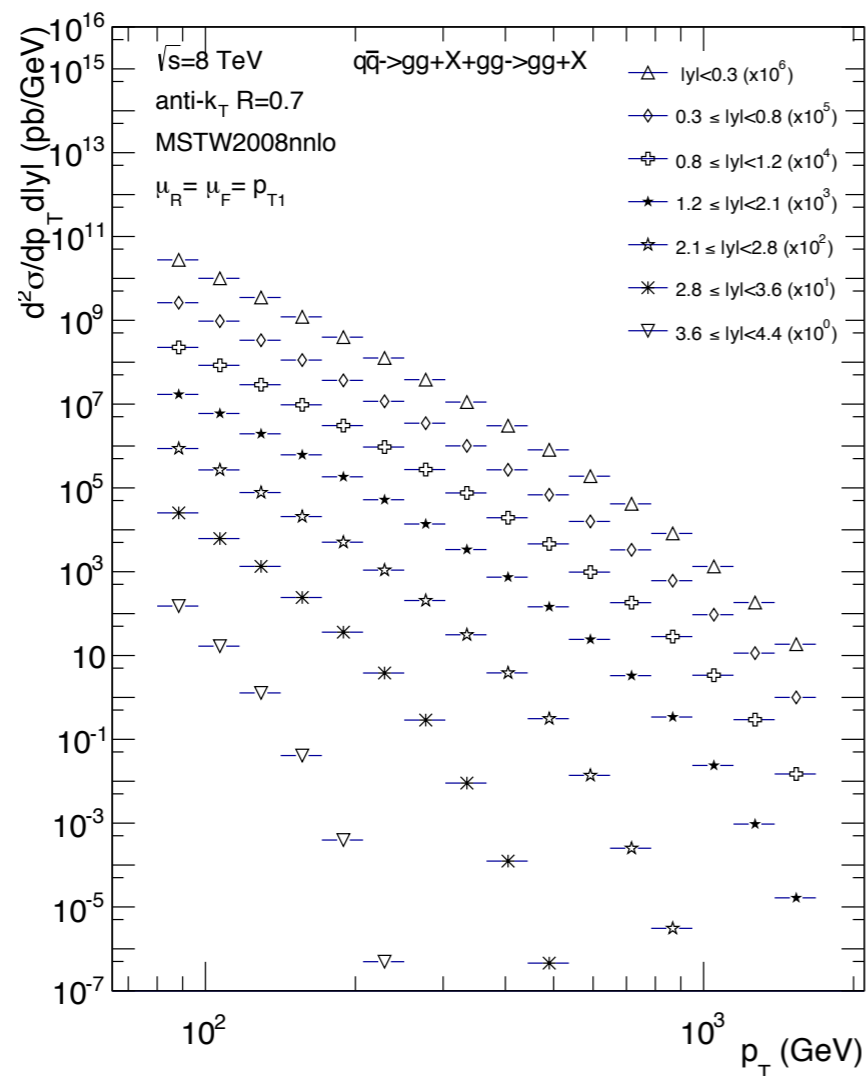
Construct subtraction term from *antennae*

- built from matrix elements
- regulate multiple unresolved limits
- integrated antennae cancel virtual poles *analytically*
- can deal with initial-state colour and many ( $> 1$ ) jets
- already used for  $e^+e^- \rightarrow 3j$ ,  $pp \rightarrow 2j$ ,  $pp \rightarrow H+j$



# Dijet production

“Gluons only” channel complete at NNLO



# Process Independence

Adding in a Higgs... from  $2j$  to  $H+2j$

- infrared singularity/divergence structure the same
- process dependence in reduced matrix elements
- helicity summed amplitudes share symmetry properties (DWI, cyclicity, reflection)

$$f_3^0(i, j, k) A_5^0(1, 2, (\widetilde{ij}), (\widetilde{jk}), l) \rightarrow f_3^0(i, j, k) A_5^0(1, 2, (\widetilde{ij}), (\widetilde{jk}), l; H)$$

# What We Can Do

Tree-level amplitudes known for arbitrary legs [Dixon, Glover, Khoze 2004]

- $H+6g$  needed for RR matrix elements
- RR subtraction term known from dijets

One-loop  $H+4g$  known analytically [Badger, Glover, Mastrolia, Williams 2009]

- needed for 1-loop reduced matrix elements in RV
- RV subtraction term known from dijets

Two-loop singularity structure known [Catani 1998]

- VV subtraction term known, cancels known pole structure



# What We Need

## One-loop H+5g amplitudes

- used recently for H+3j NLO [Cullen et al 2013]
- one-loop provider or full analytic results?

## Two-loop H+4g amplitudes

- much recent progress in 2-loop amplitudes
- two-loop provider? Speed issues
- challenge shifted back to multi-loop computation

# Summary

- $H+2j$  signal phenomenologically interesting
- antenna subtraction method versatile and general
- can reuse known dijet subtraction terms at no cost
- all gluons-only  $H+2j$  subtraction terms known
- focus shifting back to 2-loop integrals