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Rare B Decays
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Flavour Physics Forum
21 June 2007

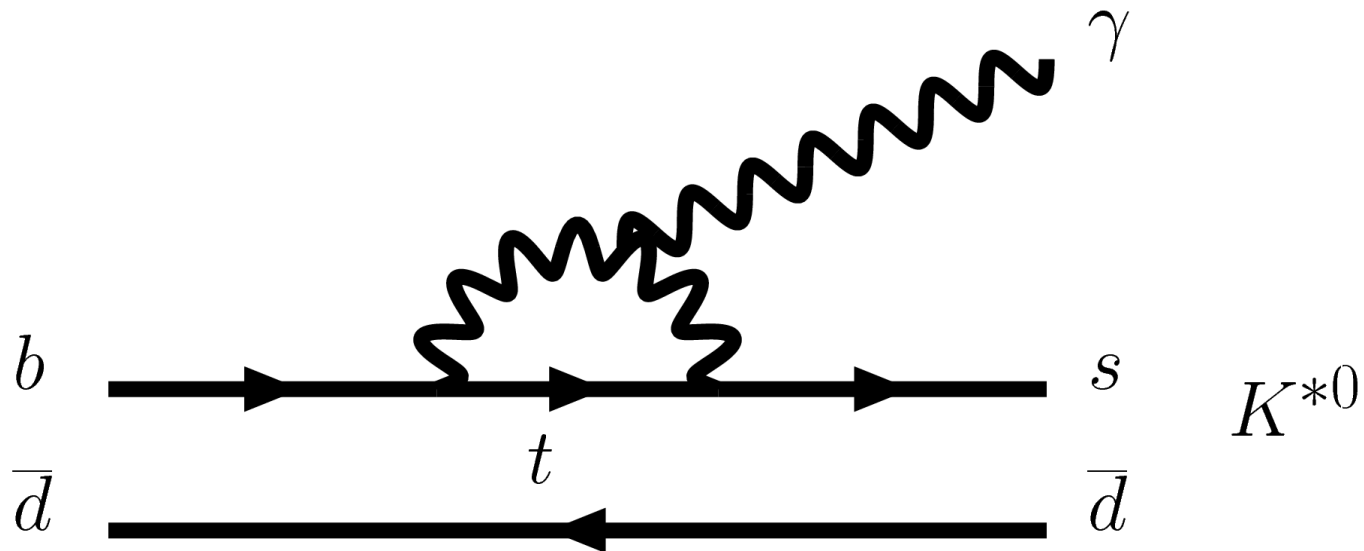
Outline

Motivation for investigating Rare B Decays

A brief history of Rare Decays

Some selected examples from current analysis

The prospect of Rare Decay analysis in the future



Rare decays

I will use the term *Rare B Decays* to mean

“FCNC penguin decays with electroweak Standard Model contributions”.

Model	B_d Unitarity	Time-dep. CPV	Rare B decay	Other signals
mSUGRA(moderate $\tan \beta$)	-	-	-	-
mSUGRA(large $\tan \beta$)	B_d mixing	-	$B \rightarrow (D)\tau\nu$ $b \rightarrow s\ell^+\ell^-$	$B_s \rightarrow \mu\mu$ B_s mixing
SUSY GUT with ν_R	-	$B \rightarrow \phi K_S$ $B \rightarrow K^*\gamma$	-	B_s mixing τ LFV, n EDM
Effective SUSY	B_d mixing	$B \rightarrow \phi K_S$	$A_{CP}^{b \rightarrow s\gamma}, b \rightarrow s\ell^+\ell^-$	B_s mixing
KK graviton exchange	-	-	$b \rightarrow s\ell^+\ell^-$	-
Split fermions in large extra dimensions	B_d mixing	-	$b \rightarrow s\ell^+\ell^-$	$K^0\bar{K}^0$ mixing $D^0\bar{D}^0$ mixing
Bulk fermions in warped extra dimensions	B_d mixing	$B \rightarrow \phi K_S$	$b \rightarrow s\ell^+\ell^-$	B_s mixing $D^0\bar{D}^0$ mixing
Universal extra dimensions	-	-	$b \rightarrow s\ell^+\ell^-$ $b \rightarrow s\gamma$	$K \rightarrow \pi\nu\bar{\nu}$

hep-ph/0503261

An effective theory for New Physics

$$\mathcal{L}_{\text{eff}} = \mathcal{L}_{\text{gauge}}(\mathbf{A}_i, \Psi_j; \mathbf{Y}, \mathbf{C}) + \mathcal{L}_{\text{Higgs}}(\mathbf{A}_i, \Psi_j, \phi; \langle \phi \rangle) +$$

$$\sum_{d>4} \frac{c^n}{\Lambda^{d-4}} O_n^d$$

O_n^d : All possible operators with heavy d.o.f

c^n : Parameters arising from New Physics

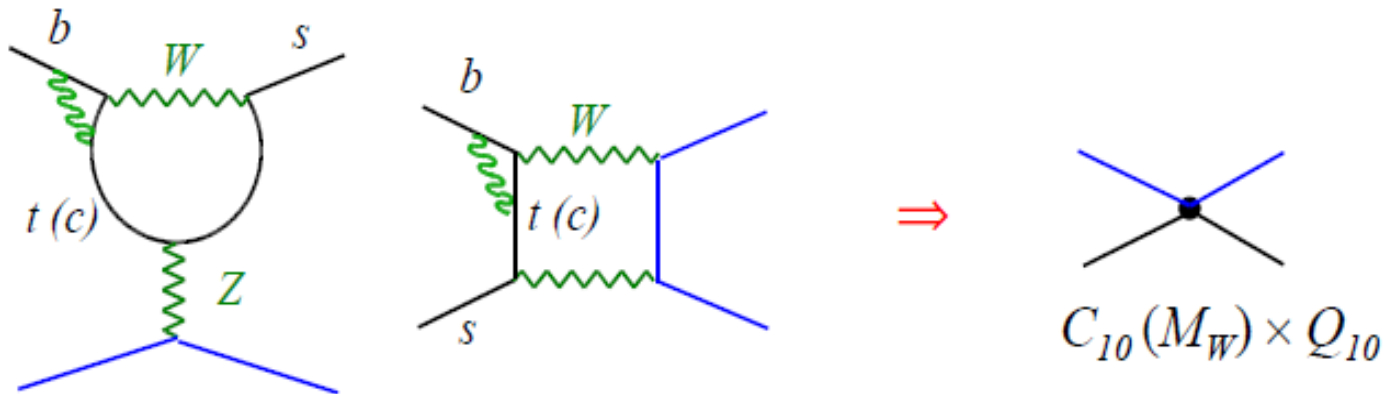
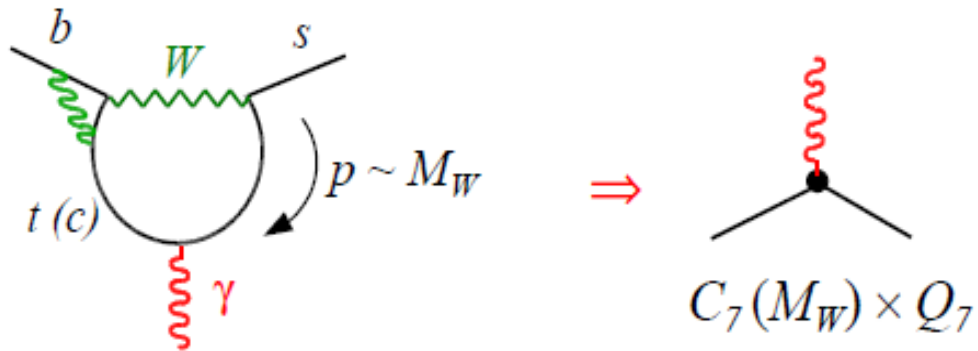
Λ : Energy scale of New Physics

Separate terms for left and right handed currents

Some left handed (C^7, C^{10}) are present through loops in the SM

All right handed currents represent NP.

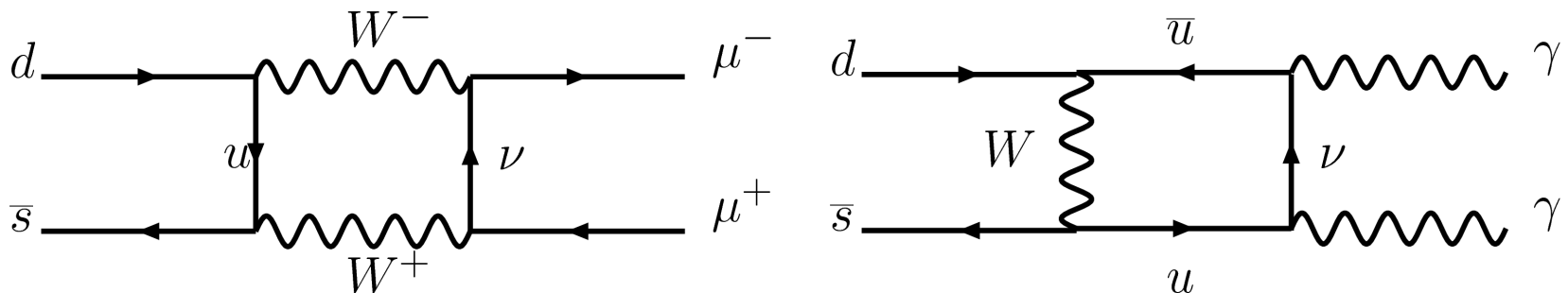
SM processes in higher order operators



Rare decays “saw” the c quark

Look at $K_L^0 \rightarrow \mu^+ \mu^-$

Naive expectation is for $K_L^0 \rightarrow \mu^+ \mu^-$ and $K_L^0 \rightarrow \gamma \gamma$ BR to be similar.



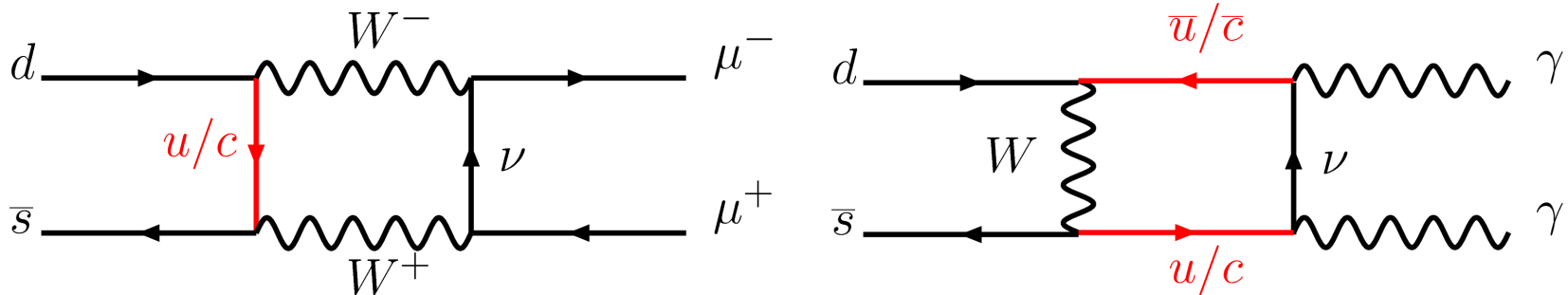
However, experimentally we observe

$$\Gamma(K_L^0 \rightarrow \mu^+ \mu^-) \approx 2 \cdot 10^{-5} \Gamma(K_L^0 \rightarrow \gamma \gamma)$$

Rare decays “saw” the c quark

Add a (at the time) hypothetical c quark

The GIM mechanism is creating amplitudes of the opposite sign.



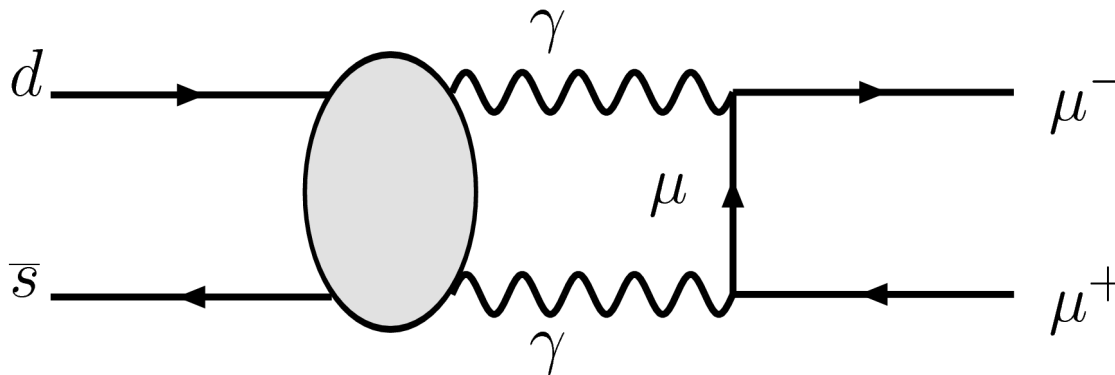
$K_L^0 \rightarrow \mu^+\mu^-$ heavily suppressed.

For $K_L^0 \rightarrow \gamma\gamma$ the u and c mass difference becomes important and amplitude almost unaffected.

Rare decays “saw” the c quark

Current understanding is that $K_L^0 \rightarrow \mu^+\mu^-$ is dominated by the 2-photon exchange.

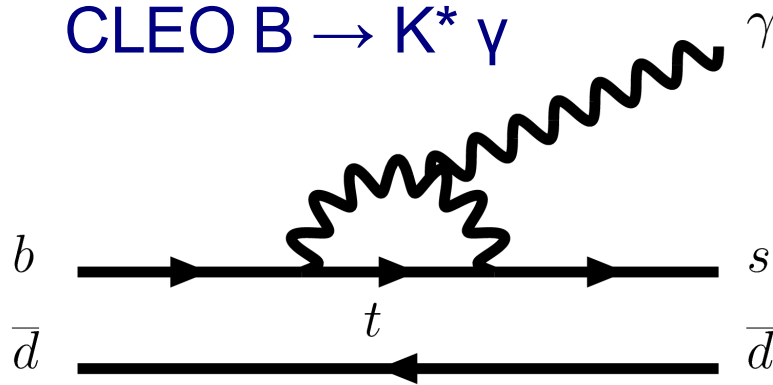
Phys Rev D10, 897 (1974)



Thus $K_L^0 \rightarrow \mu^+\mu^-$ suppressed at the α^2 level.

First penguin decay

CLEO $B \rightarrow K^* \gamma$



PRL 71,674

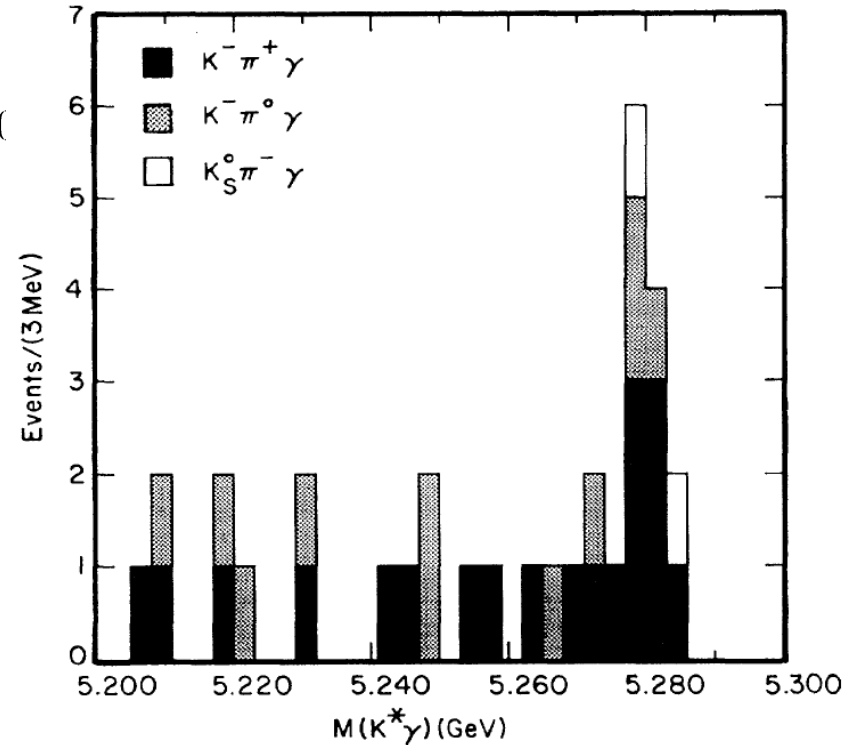
Analysis strategy

High energy photon

$$2.1 < E_\gamma < 2.9 \text{ GeV}$$

Rejection of π^0 candidates

Event shape criteria to reject non-B background.

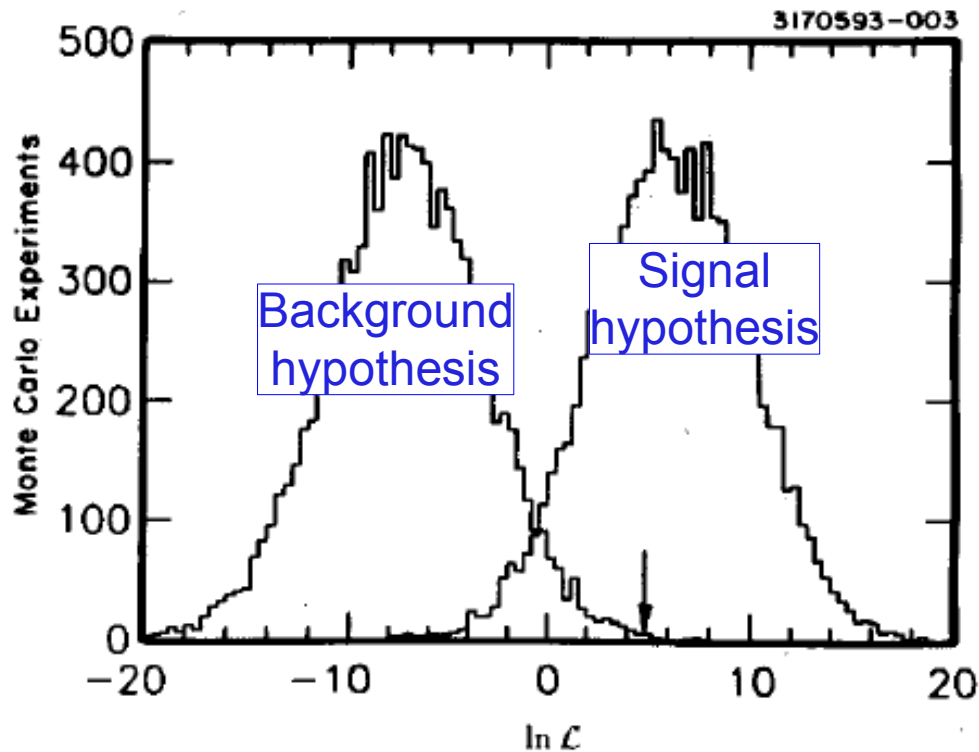


First penguin decay

Significance

Evaluated from likelihood distributions of signal and background samples

0.11% probability to be a background fluctuation.



First penguin decay

Huge increase in statistics for decay

Experiment	Year	Pub	Events	BR ($\times 10^{-6}$)
CLEO	1993	PRL 71,674	8	$45.5 \pm 7.0 \pm 3.4$
BELLE	2004	PR D69, 112001	474	$40.1 \pm 2.1 \pm 1.7$
BaBar	2004	PR D70, 112006	645	$39.2 \pm 2.0 \pm 2.4$
LHCb	2009?		68000	

Theoretical prediction of BR cannot match experimental precision

Look at inclusive decays

Look at other observables like CP violation and polarisation

Results from running experiments

At the moment results are dominated by the B-factories

Results from the Tevatron are also starting to arrive

Far too many results so will only highlight a few

The inclusive $b \rightarrow s \gamma$ for measurement of absolute BR

Time dependent CP violation measurement in $B_d \rightarrow K^{*0} \gamma$

Search for the decay $B_s \rightarrow \mu^+ \mu^-$

The $B \rightarrow K^* \gamma$ inclusive analysis

Phys.Rev.Lett.93:061803,2004 (BELLE, 140 fb^{-1})

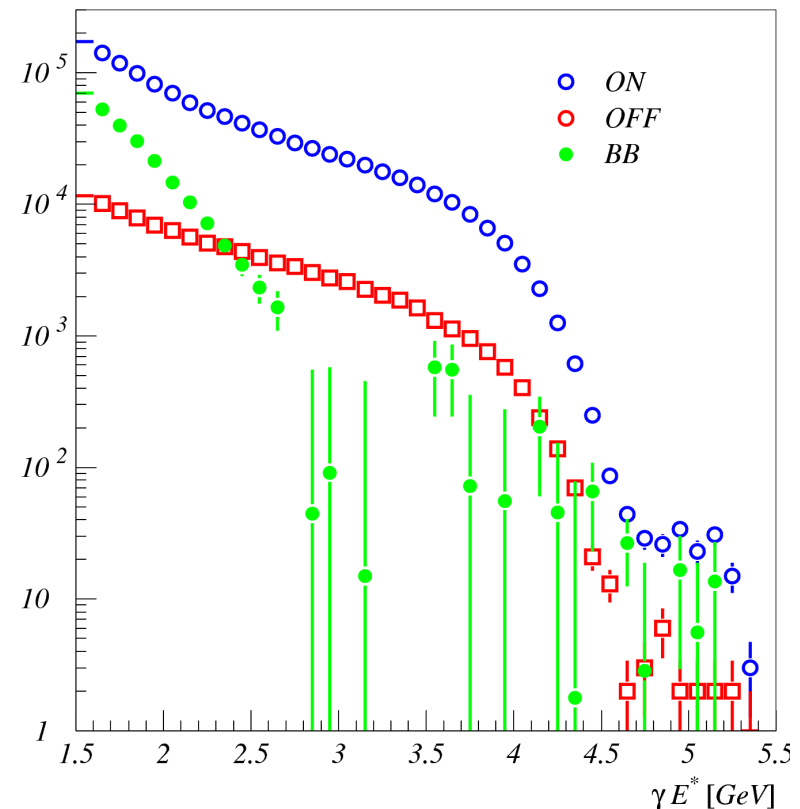
Challenge of analysis is the very large background from light quark events

Strategy

Subtract light quark background with off resonance sample

Use event shape for further rejection

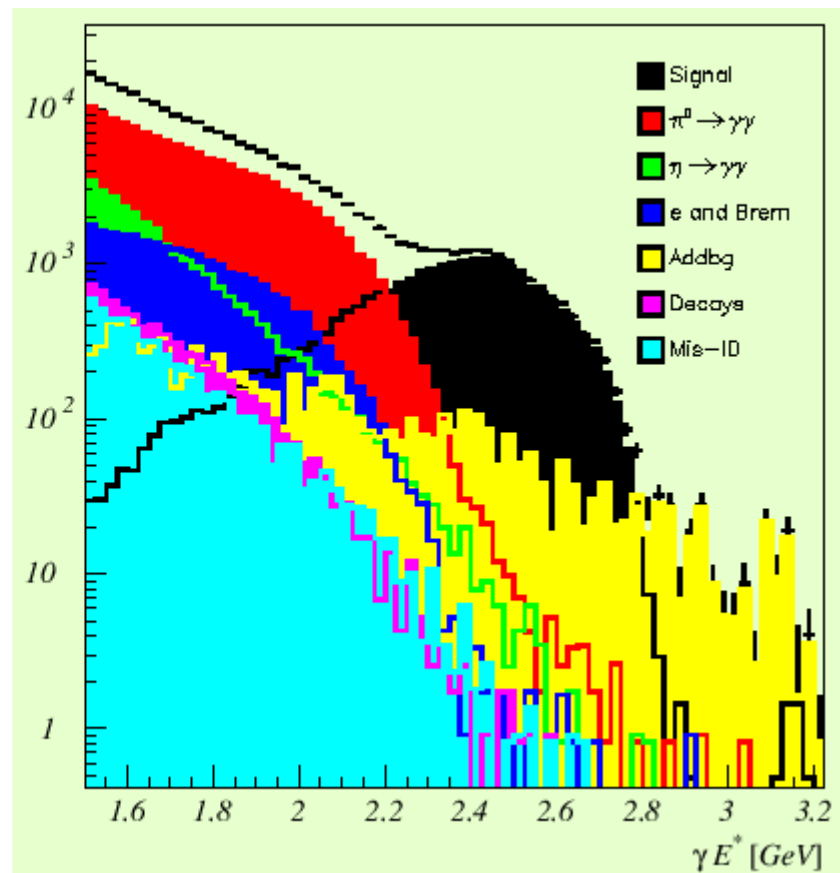
Apply veto on γ 's compatible with π^0 and η



The $B \rightarrow K^* \gamma$ inclusive analysis

Composition of background after off resonance subtraction

Signal	25%
Decays of π^0	52%
Decays of η	6%
e and Hadrons	8%
Bremsstrahlung	2%
Beam-gas	5%
Decays of $\omega(783)$	1%
Decays of J/ψ	1%
Other decays	1%



The $B \rightarrow K^* \gamma$ inclusive analysis

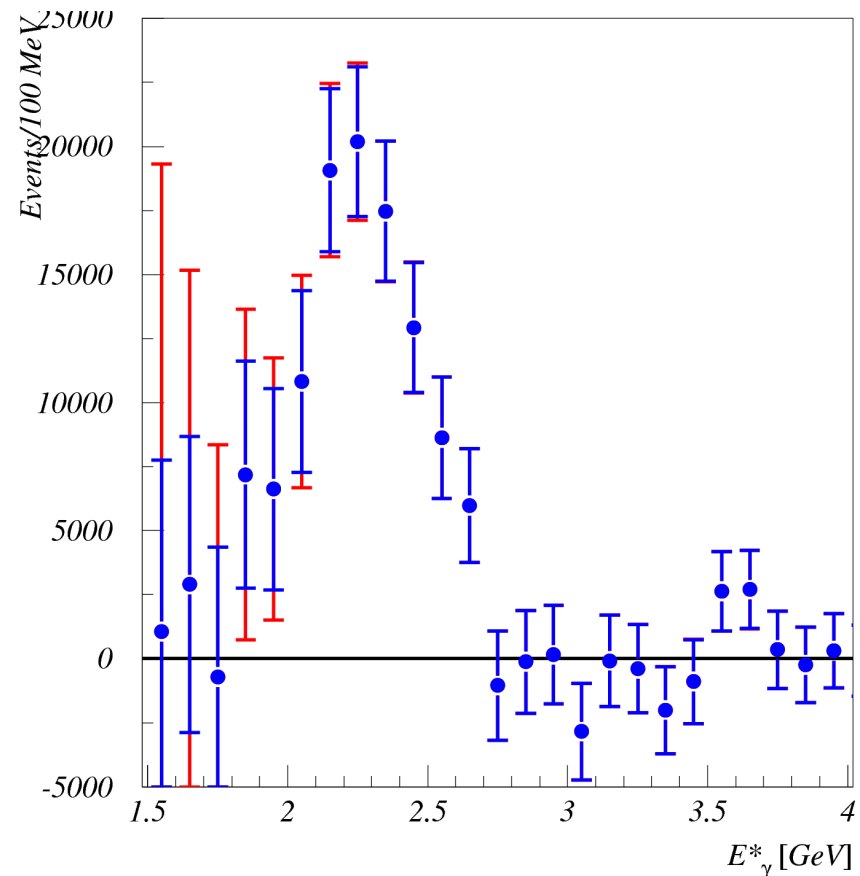
Final spectra for $1.8 < E_\gamma < 2.8$ GeV

$$\text{BR} = (3.55 \pm 0.32 \pm 0.30 \pm 0.10) \times 10^{-4}$$

Energy interval contains
95% of spectra

Spectra compatible with
zero above 2.8 GeV

Moments of distribution
measured as well

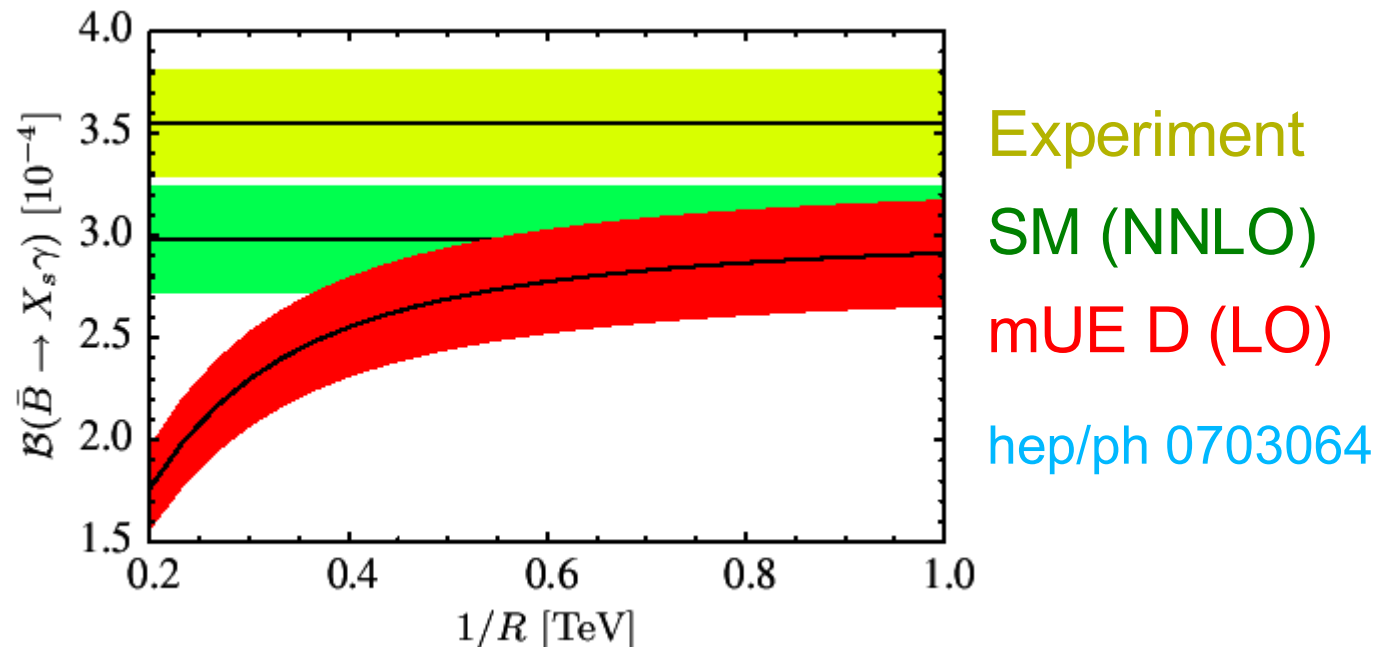


The $B \rightarrow K^* \gamma$ inclusive analysis

Many new physics models are heavily constrained by the inclusive BR.

The minimal Universal Extra Dimension (mUED) predicts a lower BR

Limits can be set on the compactification radius



CP violation in $B \rightarrow K^{*0} \gamma$

In the SM there is limited interference between

$$B_d \rightarrow K^{*0} \gamma \text{ and } \bar{B}_d \rightarrow \bar{K}^{*0} \gamma$$

First dominated by left handed photon, second by right

Only $O(m_s/m_b)$ effects, $S_{\text{th}} = -0.022 \pm 0.015$

Phys.Lett.B642:478-486,2006 (Ball & Zwicky)

Time dependent CP violation probes for right handed currents from new physics

Need to look at $K^{*0}/\bar{K}^{*0} \rightarrow K_s^0 \pi^0$ to have CP eigenstate

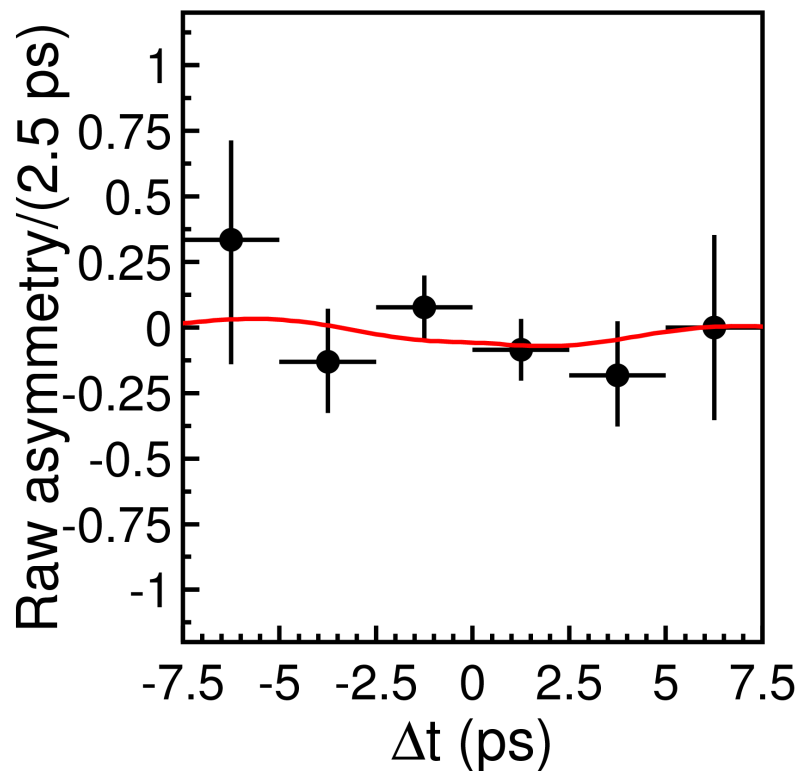
Challenge of analysis is the reconstruction of the signal vertex

Intersect the reconstructed K_s^0 with the Interaction Point

Use $B^0 \rightarrow J/\psi K_s^0$ as control sample after removing J/ψ .

CP violation in $B \rightarrow K^{*0} \gamma$

$$A_{\text{CP}}(t) = \frac{\Gamma(\bar{B}^0 \rightarrow K_s^0 \pi^0 \gamma) - \Gamma(B^0 \rightarrow K_s^0 \pi^0 \gamma)}{\Gamma(\bar{B}^0 \rightarrow K_s^0 \pi^0 \gamma) + \Gamma(B^0 \rightarrow K_s^0 \pi^0 \gamma)} = S \sin(\Delta m \Delta t) - C \cos(\Delta m \Delta t)$$



PR D74,111104(R) (BELLE)

$$S_{K^{*0}\gamma} = -0.32 \pm 0.35 \pm 0.05$$

$$C_{K^{*0}\gamma} = 0.20 \pm 0.20 \pm 0.06$$

Would still like factor 10
better resolution

Super B-factory will
eventually provide this.

The $b \rightarrow d$ penguin

Rate suppressed by factor 25
relative to $b \rightarrow s$ penguin

Assuming Unitarity give us

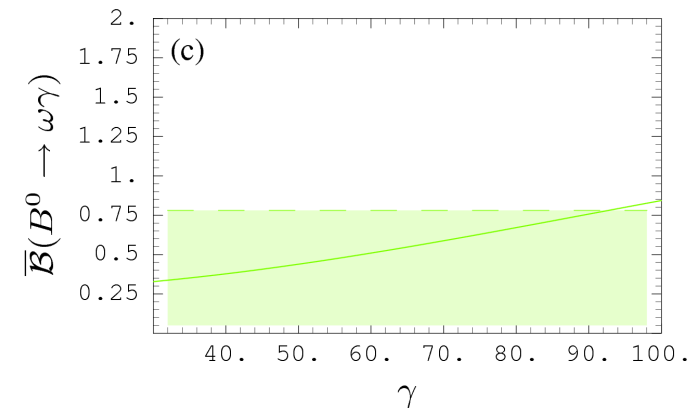
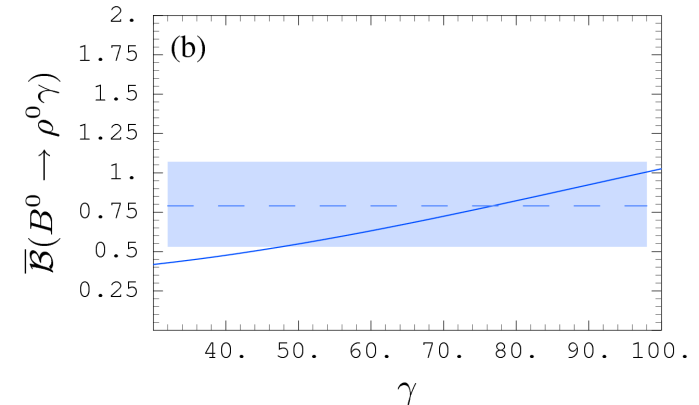
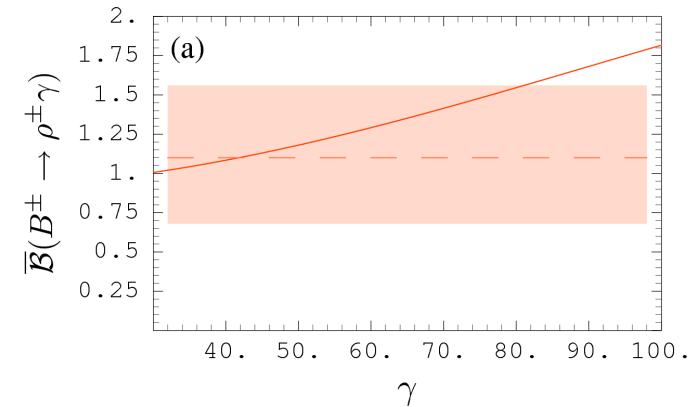
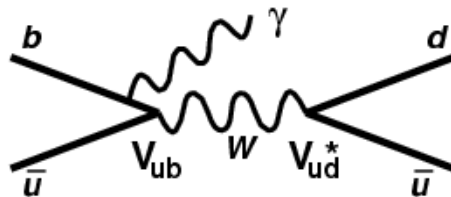
$$|V_{ts}/V_{td}|^2$$

CKM angle γ

Phys.Rev.D75:054004,2007,
Ball, Jones Zwicky

Small annihilation diagram for B^+
as well

Might give larger direct CP
violation ($\sim 10\%$)



The $b \rightarrow d$ penguin

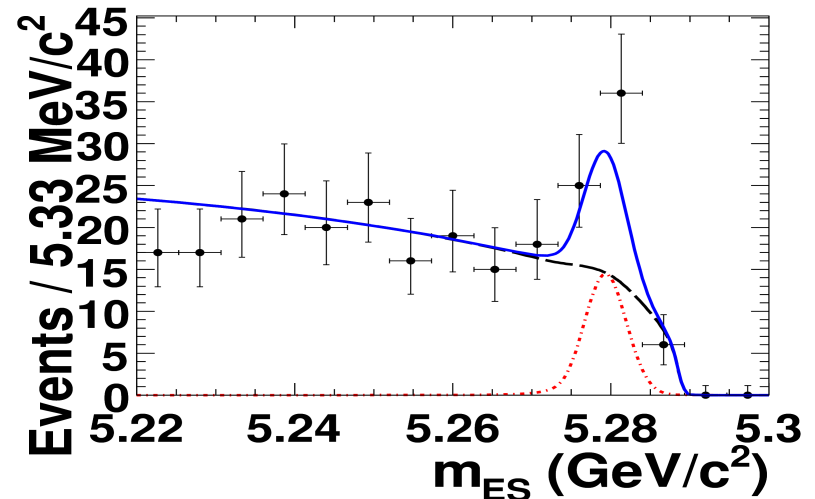
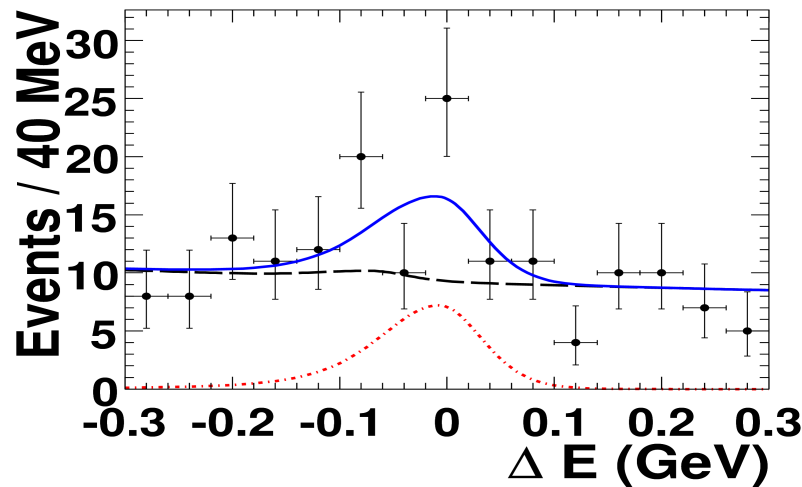
BaBar observation PRL 98, 151802 (2007)

Experimental challenges similar to $b \rightarrow s \gamma$

But in addition need to reject $B \rightarrow X_s \gamma$ by using PID

91 events (6.4σ significance).

$\text{BR}(B \rightarrow \rho/\omega \gamma) = (1.25 \pm 0.25 \pm 0.09) \times 10^{-6}$



$$\left| \frac{V_{td}}{V_{ts}} \right| = 0.207^{+0.028}_{-0.033}(\text{exp})^{+0.014}_{-0.015}(\text{th}) \quad \leftrightarrow \quad \gamma = (65.7^{+17.3}_{-20.7}(\text{exp})^{+8.9}_{-9.2}(\text{th}))^\circ$$

Phys.Rev.D75:054004,2007

$B_s \rightarrow \mu^+ \mu^-$

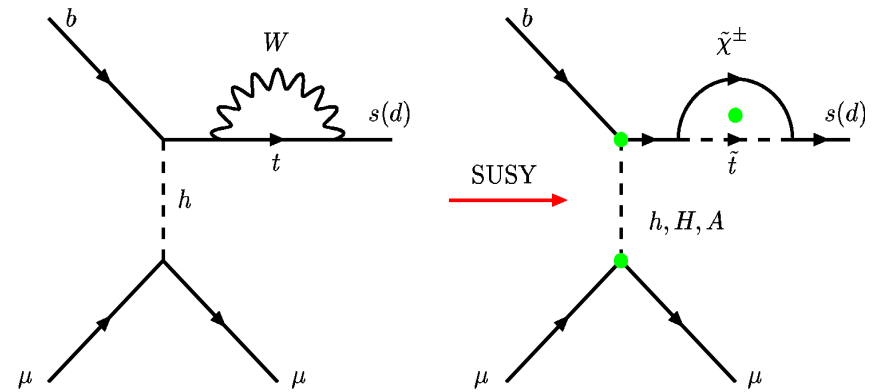
Cross sections for Higgs mediated processes in SUSY enhanced by factor $\tan^6 \beta$.

$$B(B_s \rightarrow \mu\mu) \sim 5 \times 10^{-7} \left(\frac{\tan \beta}{50}\right)^6 \left(\frac{300 \text{ GeV}}{M_A}\right)^4$$

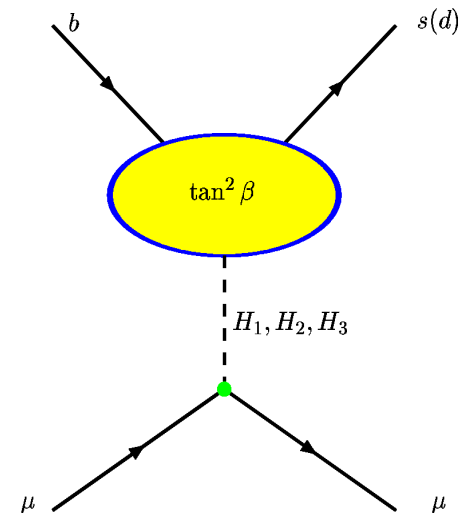
Turns the decay into sensitive SUSY probe.

At the same time SM prediction has very low uncertainty.

SM BR is $\sim 3.5 \cdot 10^{-9}$



Effective SUSY



Experimental limit on $BR(B_s \rightarrow \mu^+ \mu^-)$

Normalise decay to $B^+ \rightarrow J/\psi K^+$

$$BR(B_s \rightarrow \mu^+ \mu^-) = \frac{N_{B_s}}{N_{B^+}} \frac{\alpha_{B^+} \cdot \epsilon_{B^+}^{total}}{\alpha_{B_s} \cdot \epsilon_{B_s}^{total}} \frac{f_{b \rightarrow B^+}}{f_{b \rightarrow B_s}} BR(B^+ \rightarrow J/\psi K^+) BR(J/\psi \rightarrow \mu^+ \mu^-)$$

Select on same data and apply identical identification criteria

Results @ 90% CL

CDF (0.8 fb^{-1})

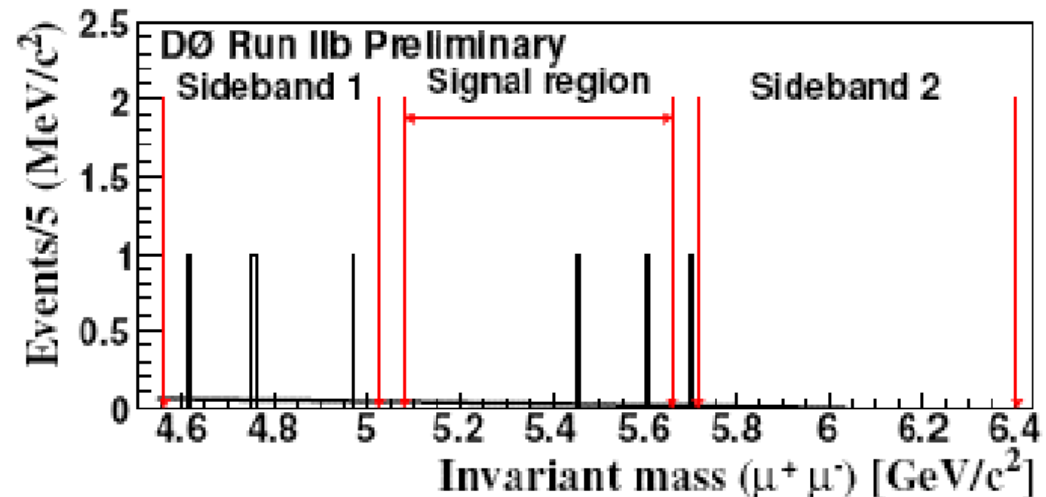
$$BR < 8.0 \times 10^{-8}$$

D0 (2 fb^{-1})

$$BR < 7.5 \times 10^{-8}$$

Limits about a factor 20
above SM prediction

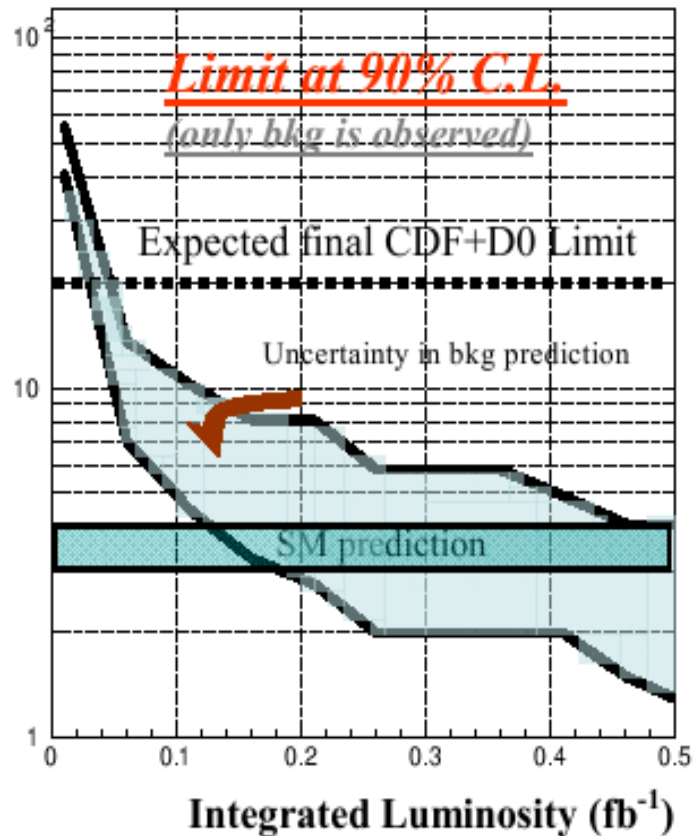
D0 : Expect 1.5 ± 0.3 , observe 2



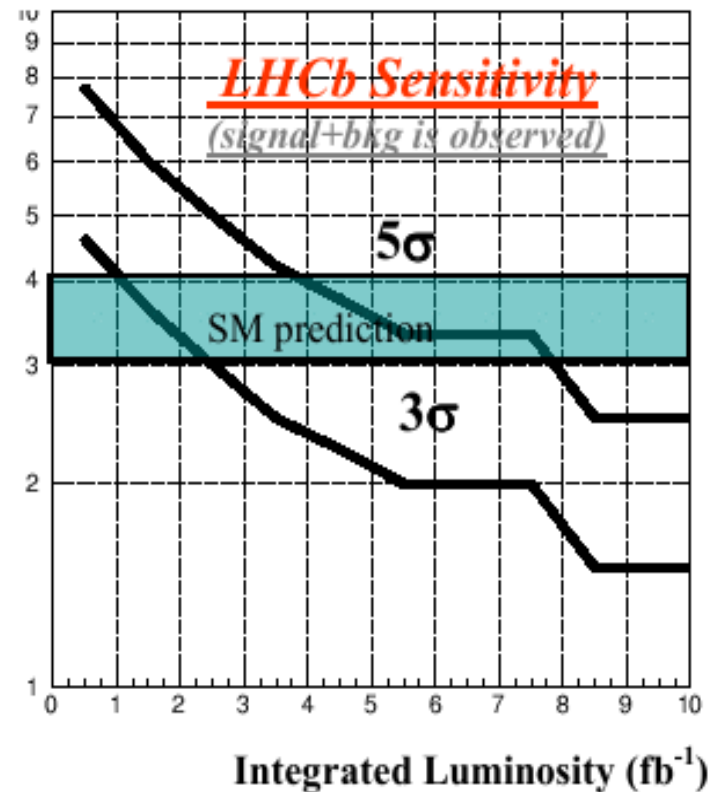
LHCb performance on $BR(B_s \rightarrow \mu^+ \mu^-)$

Will bring discovery and eventually precision measurement.

$BR(x10^{-9})$

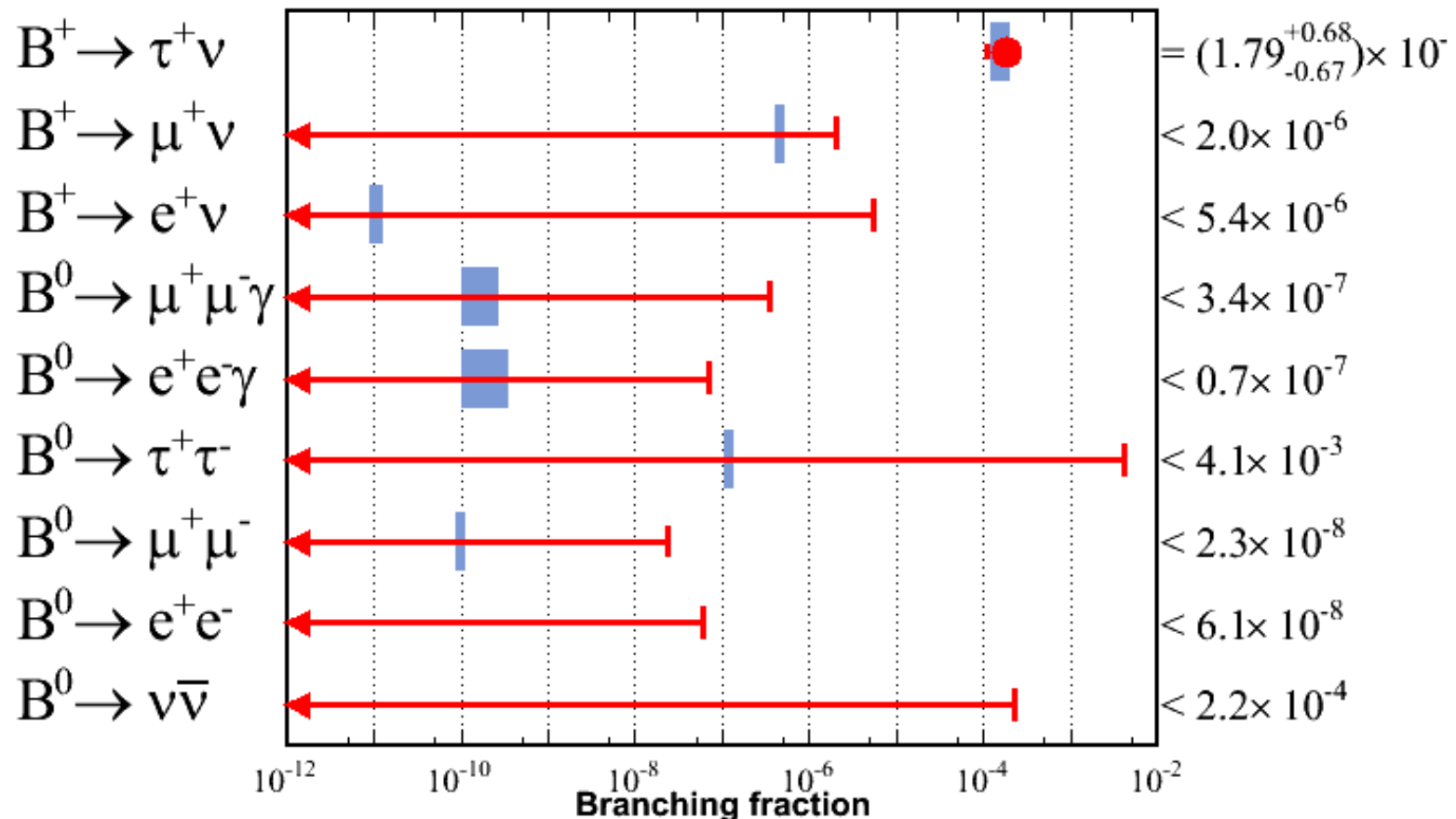


$BR(x10^{-9})$



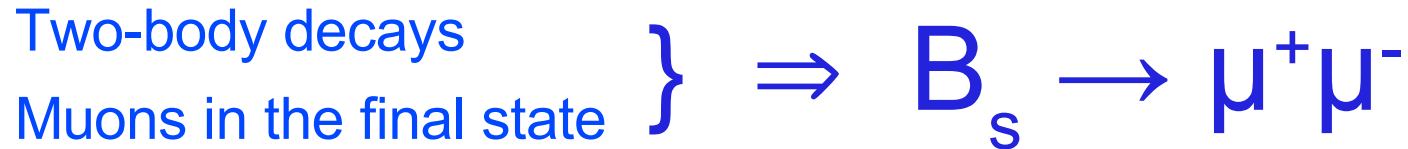
Rare decay searches

Comparison of current search limits and SM predictions



The strength of LHCb

The best



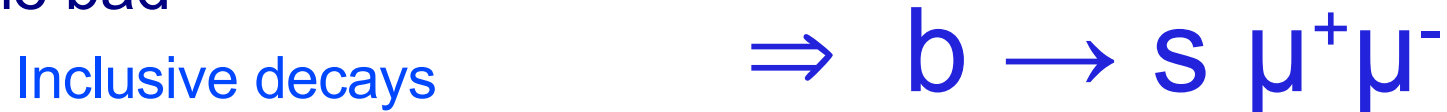
The good



The reasonable



The bad



The impossible



Many measurements from $B_d \rightarrow K^{*0} \mu^+ \mu^-$

Look at decay in terms of transversity amplitudes $A_{\perp}, A_{\parallel}, A_0$ for left and right handed currents.

Good variables with small theoretical error in the Standard Model are:

Forward backward asymmetry A_{FB} (small error on zero point)

$$A_T^{(1)}(s) = \frac{-2\text{Re}(A_{\parallel} A_{\perp}^*)}{|A_{\perp}|^2 + |A_{\parallel}|^2}, \quad A_T^{(2)}(s) = \frac{|A_{\perp}|^2 - |A_{\parallel}|^2}{|A_{\perp}|^2 + |A_{\parallel}|^2}.$$

Transverse asymmetries (insignificant error at $q^2 < 6 \text{ GeV}^2$):

$$F_L(s) = \frac{|A_0|^2}{|A_0|^2 + |A_{\parallel}|^2 + |A_{\perp}|^2}$$

Fraction of K^* polarization (small error):

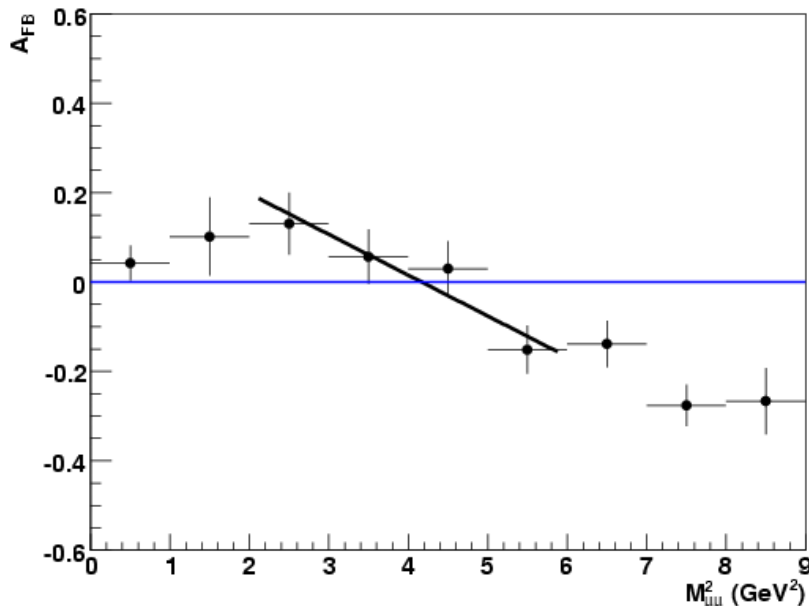
$B_d \rightarrow K^{*0} \mu^+ \mu^-$ in LHCb

Overall efficiency is 1.1% with a B/S~0.5

Yield in 2 fb^{-1} of above 7000 events expected

Background dominated by semi-leptonic B decays

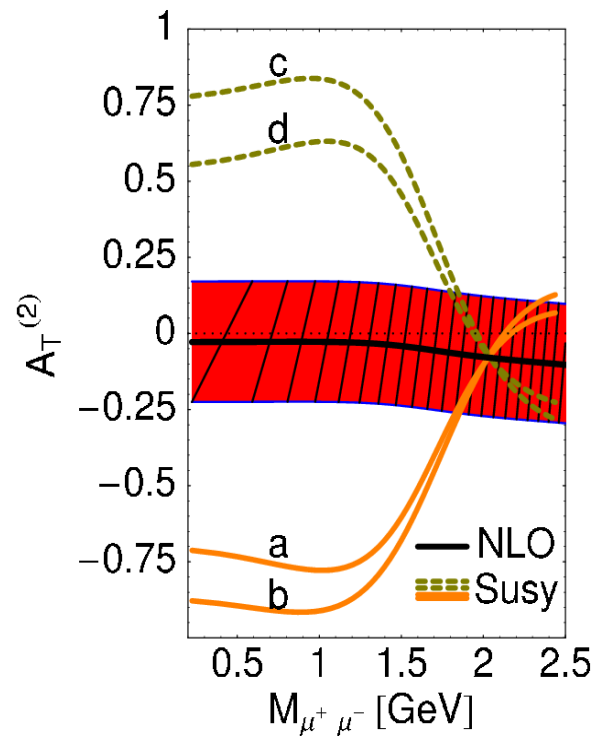
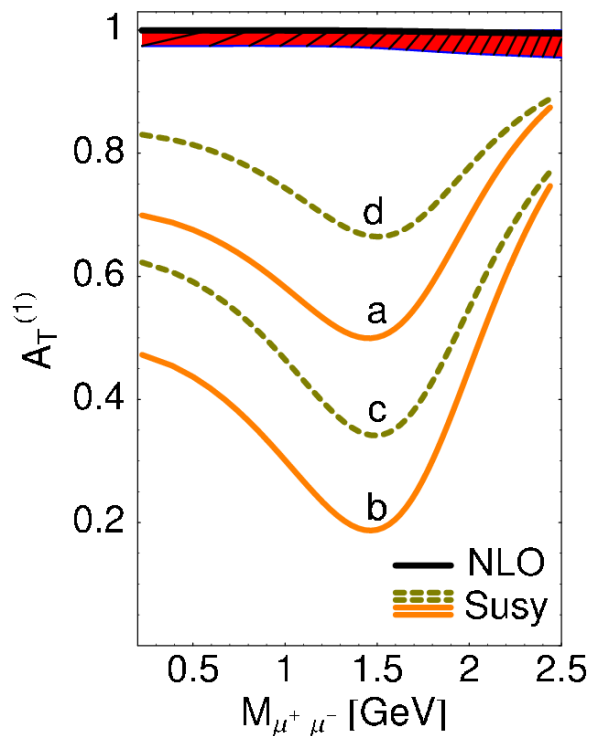
Resolution of 0.53 GeV^2 in zero point



$B_d \rightarrow K^{*0} \mu^+ \mu^-$ in LHCb

The transversity asymmetries are sensitive to new right handed currents.

As an example explore a set of MSSM models that all satisfy current experimental constraints

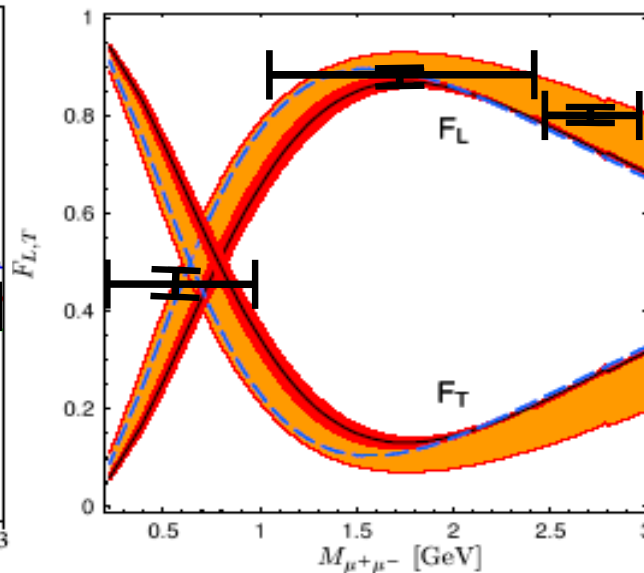
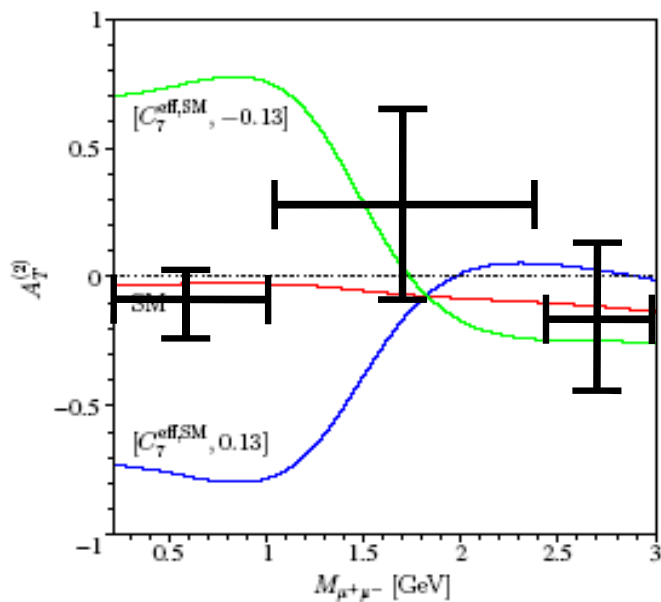


JHEP 0704, 058,
Lunghi, Matias

$B_d \rightarrow K^{*0} \mu^+ \mu^-$ in LHCb

Central q^2 region is favoured by theory

q^2 region (GeV^2/c^4)	A_{FB}		$A_T^{(2)}$		F_L	
	2 fb^{-1}	10 fb^{-1}	2 fb^{-1}	10 fb^{-1}	2 fb^{-1}	10 fb^{-1}
0.05 – 1.00	0.034	0.017	0.14	0.07	0.027	0.011
1.00 – 6.00	0.020	0.008	0.42	0.16	0.016	0.007
6.00 – 8.95	0.022	0.010	0.28	0.13	0.017	0.008



Result from
2 fb^{-1} toy MC

Use of B-beam in a Super B-factory

Take advantage of $Y(4S)$ production

Reconstruct very large sample of fully or partially B decays

Then look in remainder of event for signature of signal decay.

Search for invisible decays like $B \rightarrow \nu\nu$ possible.

Strategy currently used in BaBar and BELLE to set limit for $B \rightarrow K \nu\nu$ at $4 \cdot 10^{-5}$ level.

A Super B-factory should be able to see signal

Summary

Rare decays has a long history of providing hints for new physics

With current results strictest limits come from

Inclusive $b \rightarrow s \gamma$

Searches for $B_s \rightarrow \mu^+ \mu^-$

Future will bring

Long range of measurement for $B_d \rightarrow K^{*0} \mu^+ \mu^-$

CP violation and polarisation results for $B_d \rightarrow K^{*0} \gamma$

Observation and precise BR measurement of $B_s \rightarrow \mu^+ \mu^-$

And much more ...

Combination of all Rare Decay results will provide similar constraints to current CKM fits.