## Recent results & future perspectives in <u>Kaon Physics</u>

#### Gino Isidori





## Introduction

Despite K mesons have been discovered more than 50 years ago, Kaon physics is still a very active and interesting field (as demonstrated by the interesting talks and lively discussion we recently had at Kaon 2007...)

For reasons of time, in this talk I will briefly overview status & prospects only in two sectors of this interesting field:

- K<sub>13</sub> & K<sub>12</sub> decays [V<sub>us</sub>, lepton universality] present & near future from the exp. point of view
- Rare FCNC decays [NP searches via  $K \rightarrow \pi \nu \nu$ ] the mid/long-term perspective

## Part I

Recent progress in K<sub>13</sub> & K<sub>12</sub> decays

#### • Motivation

What's behind precise measurements of  $K_{12}$  &  $K_{13}$  decays?

$$\mathcal{L}_{\text{eff}} = \underbrace{\mathcal{L}_{\text{gauge}}(A_{i}, \psi_{i}) + \mathcal{L}_{\text{Higgs}}(\phi_{i}, A_{i}, \psi_{i})}_{\text{Higgs}}$$

$$\mathcal{L}_{\text{c.c.}} = (g/\sqrt{2}) W_{\mu}^{+} \overline{u}_{L}^{i} (V_{\text{CKM}})_{ij} \gamma^{\mu} d_{L}^{j} + \text{h.c.}$$

The universality of g & the unitarity of  $V_{CKM}$  holds also beyond the SM if the gauge symmetry is respected [Appelquist-Carrazone]

#### • Motivation

What's behind precise measurements of  $K_{12}$  &  $K_{13}$  decays?

$$\mathcal{L}_{\text{eff}} = \underbrace{\mathcal{L}_{\text{gauge}}(A_{i}, \psi_{i}) + \mathcal{L}_{\text{Higgs}}(\phi_{i}, A_{i}, \psi_{i})}_{\Psi} + \sum_{d \geq 5} \frac{c_{n}}{\Lambda^{d-4}} O_{n}^{d} (\phi_{i}, A_{i}, \psi_{i}) - \underbrace{\mathcal{L}_{\text{c.c.}}}_{\text{c.c.}} = (g/\sqrt{2}) W_{\mu}^{+} \overline{u}_{L}^{i} (V_{\text{CKM}})_{ij} \gamma^{\mu} d_{L}^{j} + \text{h.c.}$$

The universality of g & the unitarity of  $V_{CKM}$  holds also beyond the SM if the gauge symmetry is respected [Appelquist-Carrazone]

However, thanks to the s.s.b. of the  $SU(2)\times U(1)$  group, what we measure at low energy is *not necessarily* only the gauge coupling of the W boson:

$$\mathcal{L}_{\text{c.c.-eff.}} = G_{\text{eff}} \left( u^{i} \Gamma_{\text{A}} d^{j} \right) \left( l^{k} \Gamma_{\text{B}} v^{l} \right) + \text{h.c.}$$

$$\text{eff. } \underline{\text{dimensional coupling}} \text{coupling}$$

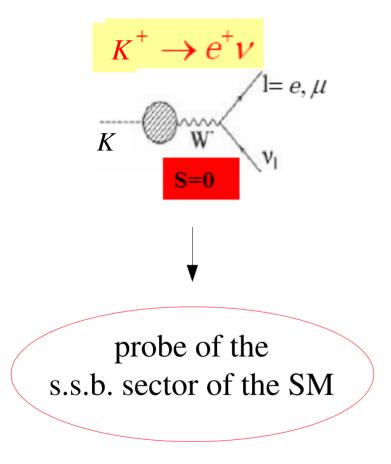
$$\underline{\text{potentially sensitive to NP}} \qquad G_{\text{eff}} \sim \frac{g^{2} V_{ij} \delta^{kl}}{M_{W}^{2}} + \frac{c_{n}}{\Lambda^{2}}$$

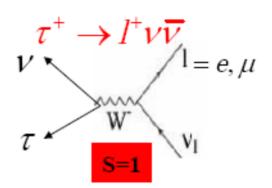
The comparison of different effective Fermi couplings ( $G_{eff}$ ) is a way to probe/constrain NP effects:

$$\begin{array}{lll} \mu \to e & G_{\mu} = 1.166371(6) \times 10^{-5} \ GeV^{-2} \\ & \tau \to \mu & G_{\tau} = 1.1678(26) \times 10^{-5} \ GeV^{-2} \\ & \alpha + M_{w} + s_{w} \\ [\text{e.w. precision tests}] & G_{\text{e.w.}} = 1.1655(12) \times 10^{-5} \ GeV^{-2} \\ & u \to d, s, b \\ [\text{CKM unitarity}] & G_{\text{CKM}} = 1.1658(04) \times 10^{-5} \ GeV^{-2} \\ & & \bullet \\$$

Vus @ below 1% compettive with e.w. precision tests!

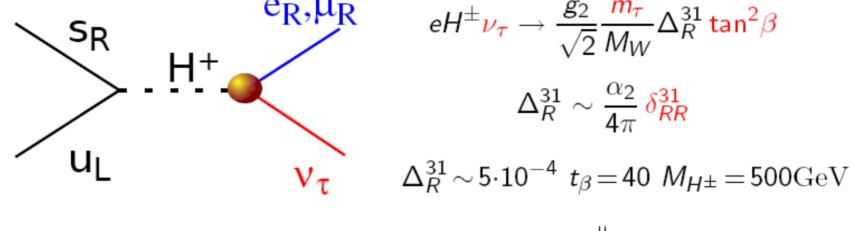
The most popular/exciting NP scenario which could affect c.c. semileptonic decays is the possibility of LFV effects modifying the  $\mu$ /e ratio in  $K_{12}$ 





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$$R_K^{LFV} = \frac{\sum_i K \to e\nu_i}{\sum_i K \to \mu\nu_i} \simeq \frac{\Gamma_{SM}(K \to e\nu_e) + \Gamma(K \to e\nu_\tau)}{\Gamma_{SM}(K \to \mu\nu_\mu)} , \quad i = e, \mu, \tau$$



$$\Delta au_{K\ SUSY}^{e-\mu} \simeq \left(rac{m_K^4}{M_{H^\pm}^4}
ight) \left(rac{m_ au^2}{m_e^2}
ight) |\Delta_R^{31}|^2 an^6eta pprox 10^{-2}$$

Masiero Paradisi Petronzio '06

key ingredeints for visible effects in SUSY:

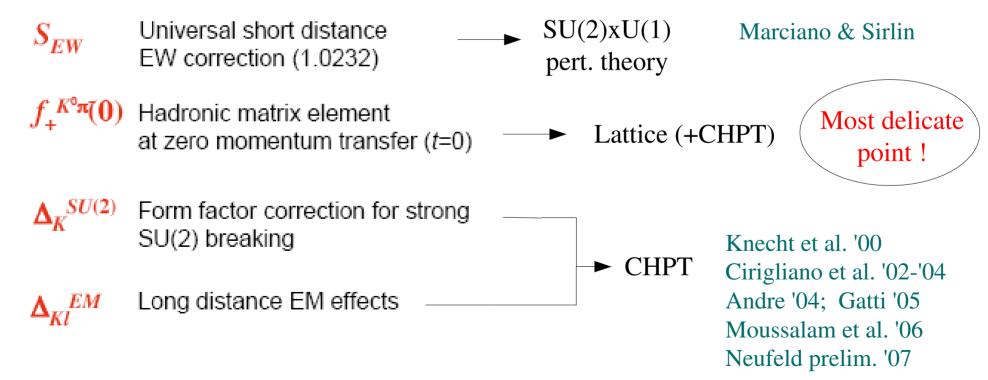
- Large tan  $\beta$ ,  $M_H < 1 TeV$
- Large LFV slepton minxings,  $\delta_{3j} \sim \mathcal{O}(1)$ , ( m<sub>SUSY</sub> $\geq 1 \text{TeV}$ )

• The determination of Vus

$$\Gamma(K_{l3(\gamma)}) = \frac{C_K^2 G_F^{2} M_K^{5}}{192 \pi^3} S_{EW} |V_{us}|^2 |f_+^{K^0 \pi^-}(0)|^2 I_{Kl}(\lambda) (1 + 2\Delta_K^{SU(2)} + 2\Delta_{Kl}^{EM})$$

with 
$$K = K^+$$
,  $K^0$ ;  $l = e$ ,  $\mu$  and  $C_K^{-2} = 1/2$  for  $K^+$ , 1 for  $K^0$ 

## Inputs from theory:



## • The determination of Vus

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## Inputs from theory:

S<sub>EW</sub> Universal short distance EW correction (1.0232)

 $f_{+}^{K^0\pi}(0)$  Hadronic matrix element at zero momentum transfer (t=0)

 $\Delta_K^{SU(2)}$  Form factor correction for strong SU(2) breaking

 $\Delta_{Kl}^{EM}$  Long distance EM effects

## Inputs from experiment:

 $\Gamma(K_{l3(\gamma)})$  Branching ratios with well determined treatment of radiative decays; lifetimes

 $I_{Kl}(\lambda)$  Phase space integral: λs parameterize form factor dependence on t:

 $K_{e3}$ : only  $\lambda_+$  (or  $\lambda_+$  '  $\lambda_+$  ")

 $K_{\mu3}$ : need  $\lambda_+$  and  $\lambda_0$ 

Several new results in the last 2 years

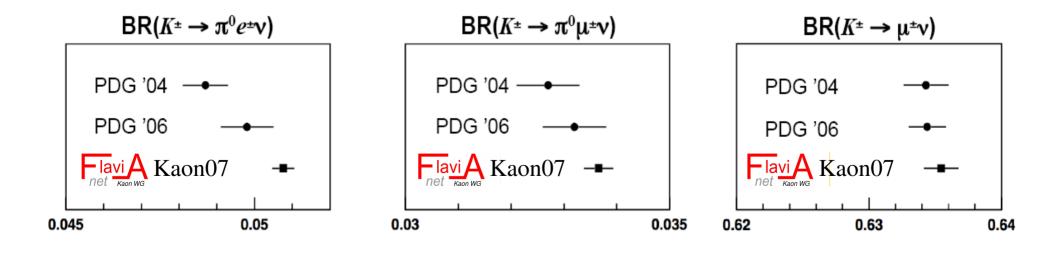
KTeV KLOE NA48 ISTRA+ E865

Several experimental inputs contribute to the determination of  $V_{us}f_{+}(0)$ 

[ semileptonic BR's + lifetime's + all leading BR's to check BR's unitarity + various sets of slopes ]

These measurements have non-trivial correlation which is crucial to take into account  $\Rightarrow$  *Flavianet Kaon WG* [analog of HFAG for B physics]

## e.g.: Evolution of $K^{\pm}$ BRs





## $|V_{us}|f_{+}(0)$ from $K_{l3}$ data

Approx. contrib. to % err from:

0.214 0.216	0.218 0.23	2		% err	BR	τ	Δ	Int
	-	$K_L e3$	0.21638(55)	0.25	0.09	0.19	0.10	0.10
		$K_L\mu 3$	0.21678(67)	0.31	0.10	0.18	0.15	0.15
		$K_{S}e3$	0.21554(142)	0.66	0.65	0.03	0.10	0.10
	•	K±e3	0.21746(85)	0.39	0.29	0.09	0.24	0.09
			0.21810(114)	0.52	0.42	0.09	0.26	0.15
0.214 0.216	0.218 0.22	2						

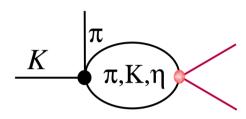
Average:  $|V_{us}| f_{+}(0) = 0.21668(45)$   $\chi^2/ndf = 2.74/4 (60\%)$ 

$$\Delta^{SU(2)}_{\text{exp}} = 2.86(38)\%$$

$$[\Delta^{SU(2)}_{th} = 2.31(22)\%]$$

What do we know about  $[f_{+}(0) - 1]$ ?

- no linear corrections in  $(m_s m_u)$  [Ademollo-Gatto, '64]
- Within CHPT:  $f_{+}(0) = 1 + f_{4} + f_{6} + \dots$ 
  - $O(p^4)$ : finite non-polynomial term induced by meson loops  $[\sim m_P \log m_P \Rightarrow \sim (m_s m_u)^2/m_s]$  small compared to naïve expectations:  $f_4 = -2.3 \%$



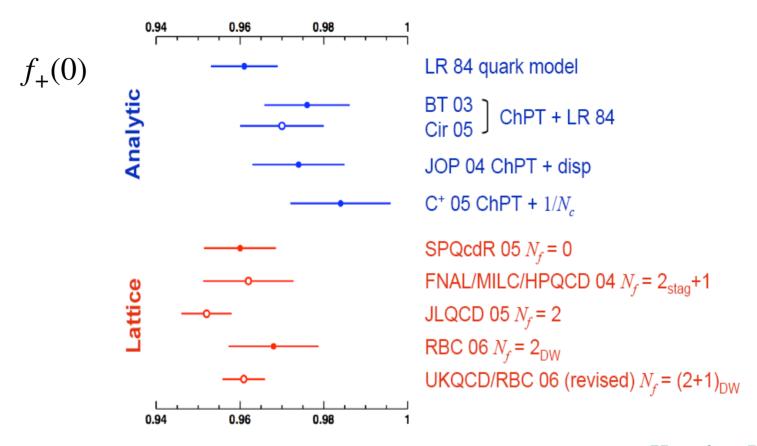
Leutwyler & Roos '84

 $O(p^6)$ : appearance of  $(m_s-m_u)^2/\Lambda^4_\chi$  (unknown) local terms  $\to$  <u>irreducible error</u> for analytic approaches [Bijnens Talavera '03, Cirigliano et al. '05]



Possible to reach errors < 1% with Lattice QCD measuring directly  $[f_{+}(0) -1]$  or  $[f_{+}(0) -1-f_{4}]$ 

Becirevic et al. '05



## unquenched calculations:

Kaneko, Juttner

@ Kaon '07

## follow strategy proposed in the quenched calculation

	$N_f$	action	a[fm]	L[fm]	$M_{PS}[MeV]$
JLQCD (2005)	2	clover	0.09	1.8	≳ 550
RBC (2006)	2	domain-wall	0.12	1.9	$\gtrsim 490$
MILC (2005)	3	KS (d=clover)	0.12	2.5	≥ 500
RBC+UKQCD (2007)	3	domain-wall	0.12	1.9, 2.9	≥ 300

Lattice inputs play an even more important role in the extraction of  $V_{IIS}$  from  $K_{I2}$ :

$$\frac{\Gamma(K_{\mu 2+n\gamma})}{\Gamma(\pi_{\mu 2+n\gamma})} = \frac{V_{us}^{2}}{V_{ud}^{2}} \times \frac{f_{K}^{2}}{f_{\pi}^{2}} \times \frac{M_{K}^{2} (1-m_{\mu}^{2}/M_{K}^{2})}{M_{\pi}^{2} (1-m_{\mu}^{2}/M_{\pi}^{2})} \times [1+\delta_{e.m.}]$$

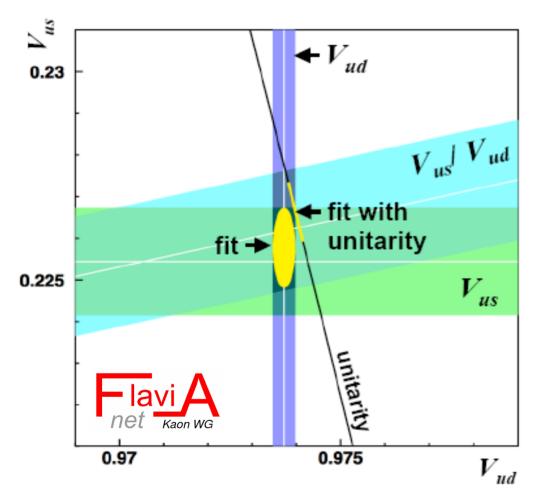
- Non-trivial to reach 1% accuracy [no Ademollo-Gatto protection]  $\sigma[SU(3)-brk] \sim 5\%$
- No competition from non-Lattice approaches

$$f_{K}/f_{\pi} = 1.208(2)(^{+7}_{-14})$$
MILC '05

 $N_{f} = (2+1)_{\text{stag}} \text{ [MILC ]}$ 

UKQCD+HPQCD '07

# $f_{+}(0)$ from UKQCD/RBC '06 $|V_{us}| = 0.2254(13)$ from *Kl*3



This is a highly non-trivial constraint for NP models...

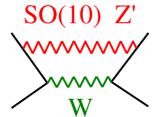
Fit results, no constraint:

$$V_{ud}$$
 = 0.97372(26)  
 $V_{us}$  = 0.2258(10)  
 $\chi^2/\text{ndf}$  = 0.142/1 (70%)

Fit results, unitarity constraint:

$$V_{ud} = 0.97398(17)$$
  
 $V_{us} = 0.2266(7)$   
 $\chi^2/\text{ndf} = 1.92/2 (38\%)$ 

Agreement with unitarity 0.9σ



 $\rightarrow$  M<sub>Z'</sub> > 1.2 TeV

• The lepton-universality tests in  $K_{l2}$ 

Two new preliminary results on the rare  $K_{e2}$  mode:

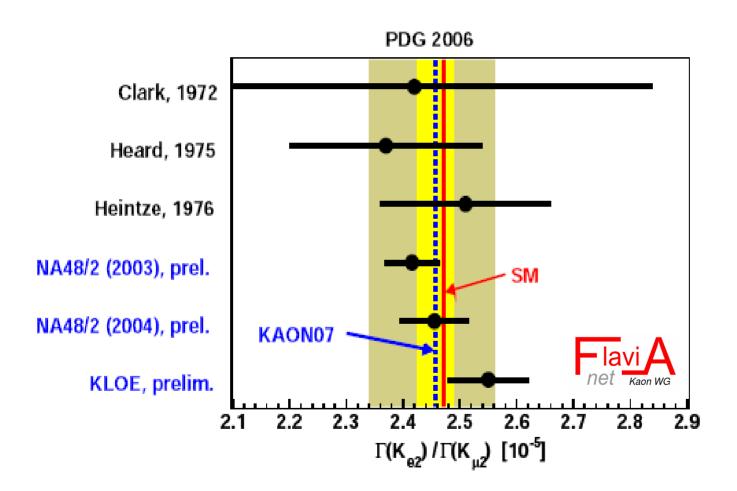
- NA48/2 (2004 data), presented at KAON07:
  - About 4000 signal events from special minimum bias trigger.
  - Small systematics, except background. (measured from data → large statistical uncertainty in syst. error.)
  - Completely uncorrelated with 2003 measurement.

$$\Gamma(K_{e2})/\Gamma(K_{\mu 2}) = (2.455 \pm 0.045 \pm 0.041) \times 10^{-5}$$

- KLOE, presented at KAON07:
  - About 8000 signal events from 1.7 fb<sup>-1</sup>.
  - Statistics dominated by MC, conservative systematics estimation.

$$\Gamma(K_{e2})/\Gamma(K_{\mu 2}) = (2.55 \pm 0.05 \pm 0.05) \times 10^{-5}$$

It is a difficult measurement (dangerous backgrounds from  $K_{\mu 2}$  &  $K_{e2\gamma}$ ) which already provides interesting constraints on (realistic) NP models:



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## Limit on LFV in $H^{\pm}$ coupling:

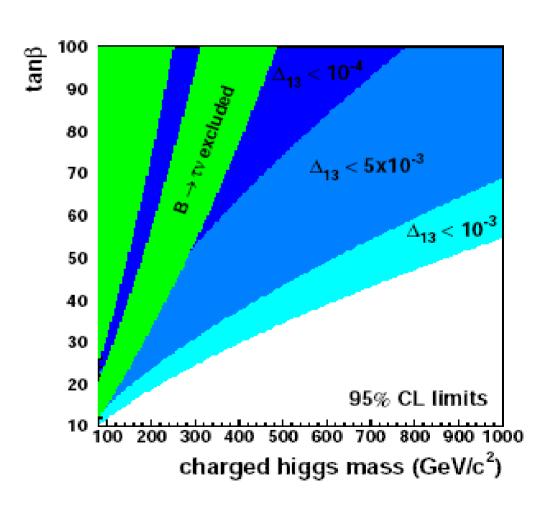
(Masiero, Paradisi, Petronzio, PRD 74, 2006)

LFV Yukawa coupling:

$$l\mathrm{H}^{\pm}\nu_{\tau} \rightarrow \frac{\mathrm{\mathbf{g_2}}}{\sqrt{2}} \frac{\mathrm{\mathbf{m_{\tau}}}}{\mathrm{\mathbf{M_W}}} \, \Delta_{\mathbf{13}} \, \tan^2 \beta$$

$$\Delta_{3j} \sim \frac{\alpha_2}{4\pi} \, \delta_{3j}$$
 slepton flavour-mixing angle

More stringent than present constraints from  $B \rightarrow \tau \nu$  if  $|\delta_{3i}| > 0.1$ 



#### The near-future prospects are very promising:

#### **KLOE**

- Has  $\sim 20\%$  more data on tape.
- Another  $\sim 3000$  events with other reconstruction method.
- Improve MC statistics & systematics
- $\implies$  Should arrive at  $\sigma_{\rm rel}(\mathbf{R}_{\mathbf{K}}) \sim \pm 1\%$ .

#### P-326: (also known as NA48/3)

- Similar setup as for NA48/2 (2004) prel. measurement, use of most parts of existing NA48 apparatus.
- Plan: 4 months (June-October 2007) run period  $\implies$  Collect  $\sim 150\,000\,K_{e2}$  decays.
- $\implies$  Goal to reach  $\sigma_{\rm rel}(\mathbf{R}_{\mathbf{K}}) \sim \pm 0.3\%$ .

## Part II

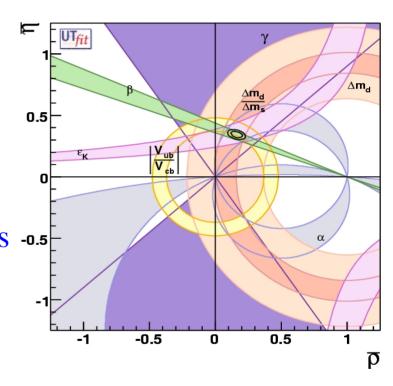
Rare FCNC decays

• Motivation

Why are we (still) interested in rare K decays?

 Neither to measure again CKM matrix elements [already well determined from other processes]

Nor to find direct evidences of new particles -0.5 [very likely that there are new particles in additions to the SM ones, but they are naturally around or a above the <u>TeV scale</u>]

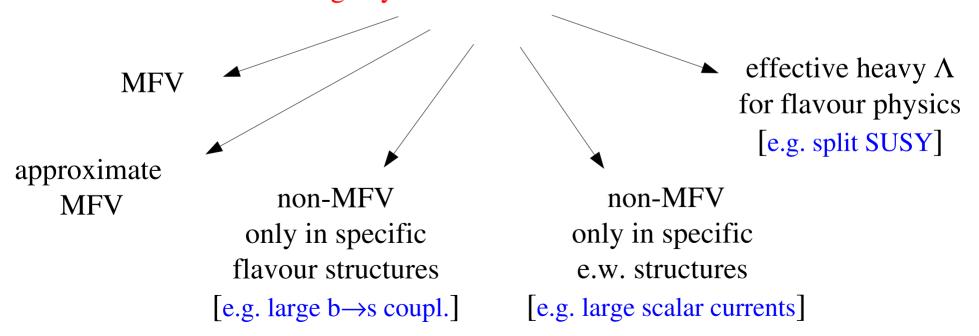


The information coming form rare K decays is a key element to understand the *flavour structure* of *physics beyond the SM* 

$$\mathscr{L}_{\text{eff}} = \mathscr{L}_{\text{gauge}}(A_i, \psi_i) + \mathscr{L}_{\text{Higgs}}(\phi_i, A_i, \psi_i) + \sum_{d \geq 5} \left( \frac{c_n}{\Lambda^{d-4}} O_n^d (\phi_i, A_i, \psi_i) \right)$$

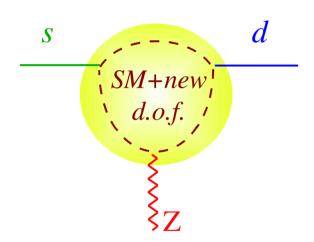
While we know quite well the flavour structure of the SM (or the low-energy limit of the theory), we have only started to investigate the flavour structure of the new degrees of freedom (which realistically will show up around the TeV scale).

This strucutre is highly non generic (otherwise we would have already seen NP effects), but the mechanism which protect flavour symmetry breaking beyond the SM is still unknown



$$\mathscr{L}_{\text{eff}} = \mathscr{L}_{\text{gauge}}(A_{i}, \psi_{i}) + \mathscr{L}_{\text{Higgs}}(\phi_{i}, A_{i}, \psi_{i}) + \sum_{d \geq 5} \left( \frac{c_{n}}{\Lambda^{d-4}} O_{n}^{d} (\phi_{i}, A_{i}, \psi_{i}) \right)$$

• Rare FCNC decays  $[q_i \rightarrow q_j + \gamma, l^+l^-, vv]$  are ideal probes of possible new terms:



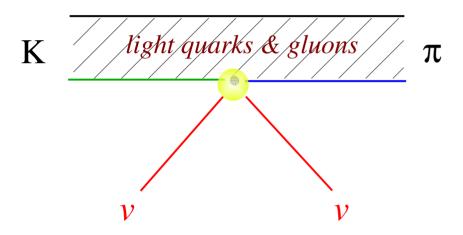
- No SM tree-level contribution
- Strong suppression within the SM because of CKM hierarchy
- Predicted with high precision within the SM at the short-distance level

$$A(s \to d)_{\text{short}} \sim c_{\text{SM}} \frac{y_t^2 V_{\text{ts}}^* V_{\text{td}}}{16 \pi^2 M_W^2} + c_{\text{new}} \frac{\Delta_{\text{sd}}}{\Lambda^2}$$

Enhanced sensitivity to the *flavour structure* of *physics beyond the SM* 

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• Rare FCNC decays  $[q_i \rightarrow q_j + \gamma, l^+l^-, vv]$  are ideal probes of possible new terms:



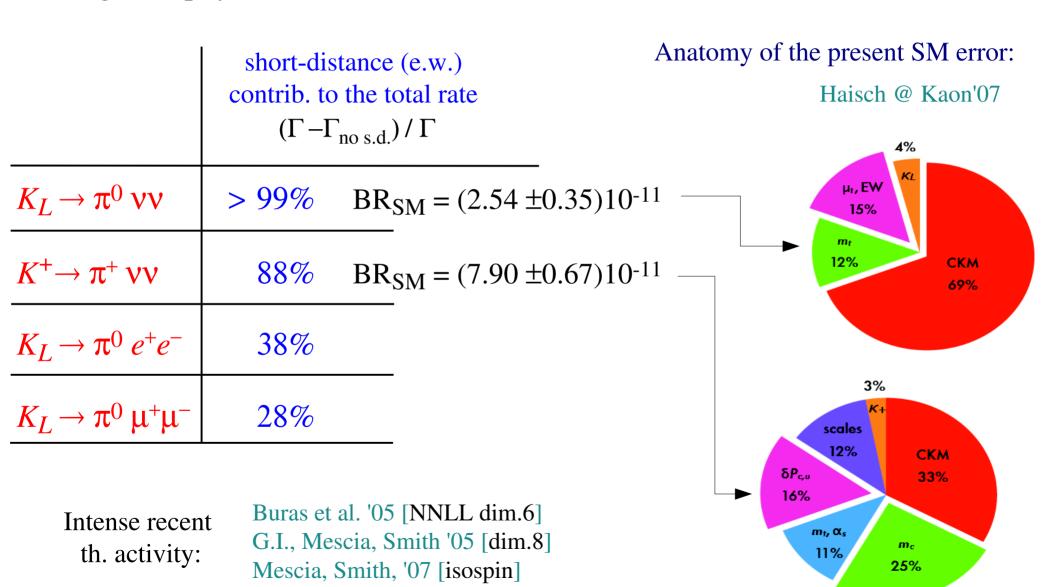
- No SM tree-level contribution
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$$A(K \to \pi VV) = f \left( c_{SM} \frac{y_t^2 V_{ts}^* V_{td}}{16 \pi^2 M_W^2} + c_{new} \frac{\Delta_{sd}}{\Lambda^2} ; \delta_{long} \right)$$

Sensitivity to new-physics controlled by:

- How precisely we can compute the hadronic amplitude
- How much the amplitude is determined by dynamics around the electroweak scale (short distances)

The two  $K \rightarrow \pi \nu \nu$  modes represent a unique opportunity which has almost no analog in B physics:



• Rare K decays beyond SM

#### Two basic scenarios:

**Minimal Flavour Violation** 

flavour symmetry broken only by the (SM) Yukawa couplings

New sources of Flavour Symmetry

breaking around the TeV scale

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Rare K decays beyond SM

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flavour symmetry broken only by the (SM) Yukawa couplings



- 1
- Small deviations (10-20%) from the SM
- Stringent correlations among the two  $K \to \pi \nu \nu$  modes and a few rare B decays  $[B \to K \nu \nu, B_{s,d} \to l^+ l^-]$

$$\Gamma(K^{+} \rightarrow \pi^{+} \nu\nu) = |(c_{SM} + c_{NP})V_{ts}^{*}V_{td} + \delta_{long}|^{2}$$

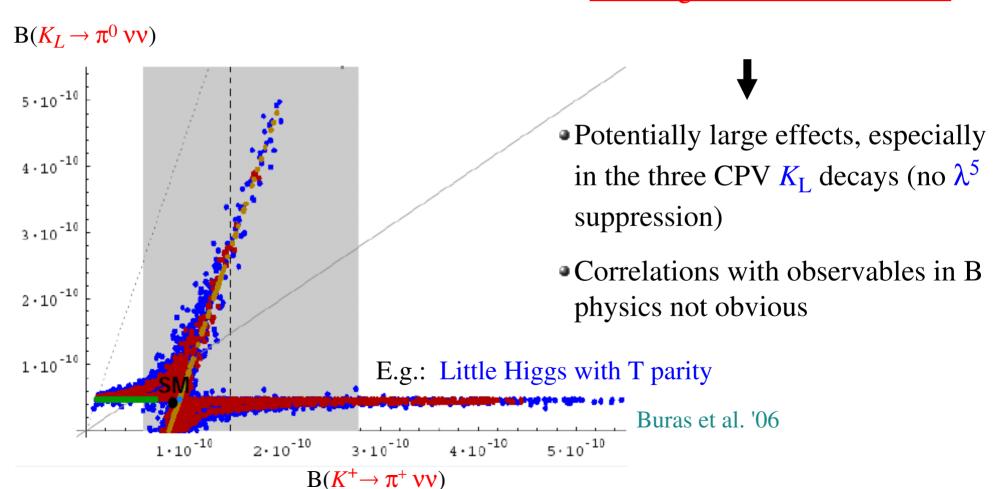
$$\Gamma(K_L \to \pi^0 \text{ VV}) = \text{Im}[(c_{SM} + c_{NP})V_{ts}^*V_{td} + \delta_{long}]^2 = (c_{SM} + c_{NP})^2 \text{Im}[V_{ts}^*V_{td}]^2$$

### Rare K decays beyond SM

#### Two basic scenarios:

Minimal Flavour Violation

New sources of Flavour Symmetry
breaking around the TeV scale



Rare K decays beyond SM

#### Two basic scenarios:

#### Minimal Flavour Violation

flavour symmetry broken only by the (SM) Yukawa couplings



- Small deviations (10-20%) from SM
- Stringent correlations among the two  $K \to \pi \nu \nu$  modes and a few rare B decays  $[B \to K \nu \nu, B_{s,d} \to l^+ l^-]$

A precise exp. info on one of the two  $K \rightarrow \pi VV$  modes is a key ingredient to verify or disproof the MFV hypothesis New sources of Flavour Symmetry
breaking around the TeV scale



- Potentially large effects, especially in the three CPV  $K_L$  decays (no  $\lambda^5$  suppression)
- Correlations with observables in B physics not obvious

In presence of sizable non-MFV couplings mandatory to explore also the  $K_L \to \pi \ ll$  modes

• Rare K decays beyond SM

A specific (popular) example:  $K \rightarrow \pi \nu \nu$  in the MSSM.

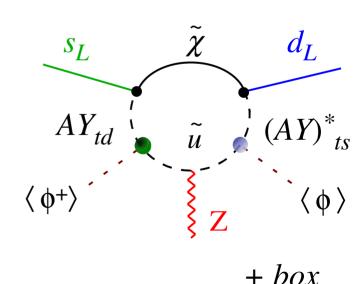
#### Main features:

- •Gluino-type amplitudes essentially negligible  $\Rightarrow$  reduced sensitivity to LL, RR and LR-down type mixings [contrary to  $\varepsilon_{\rm K}$ ,  $B \to X_s \gamma$ ,  $\Delta M_{\rm Bd}$ ]
- Appreciable deviations from SM induced only by chargino -- up-squark diagrams

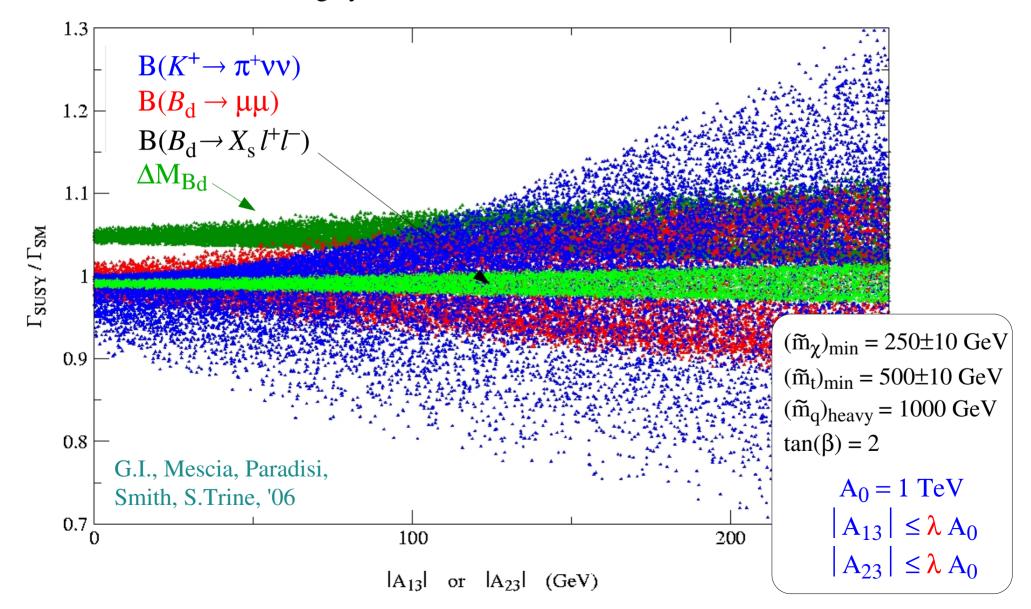


 $K \rightarrow \pi \nu \nu$  decays are the <u>best probe</u> of the flavour structure of the <u>up-type trilinear terms</u> <u>which are still largely unknown:</u>

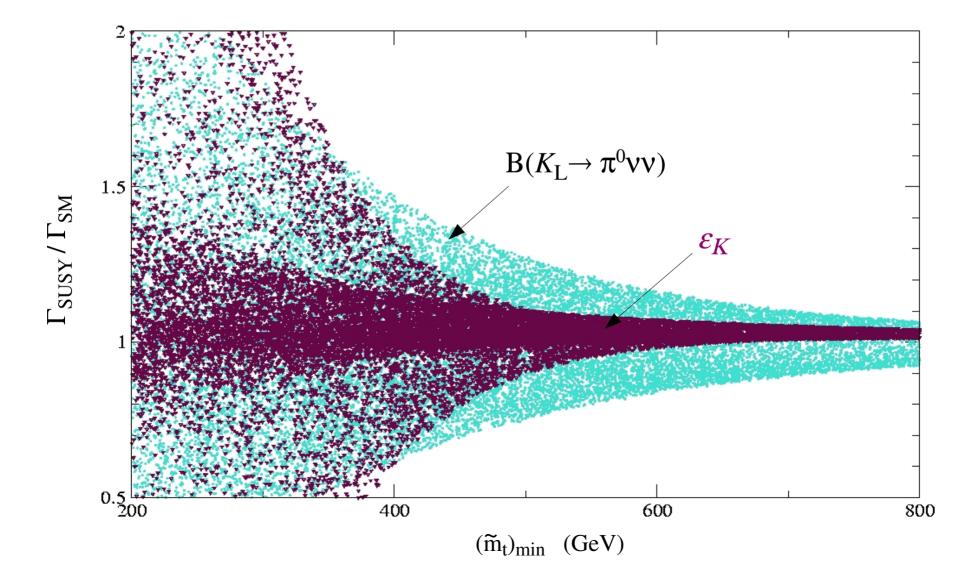
$$\mathscr{L}_{soft} \subset (A^{\mathbf{U}} \mathbf{Y}^{\mathbf{U}})_{ij} \tilde{\mathbf{Q}}_{L}^{i} \tilde{\mathbf{U}}_{R}^{j} \phi$$



- \*Non-standard effects induced by chargino-squarks amplitudes largely dominant in  $K \rightarrow \pi \nu \nu$  with respect to similar effects in B physics
- **★**The A terms are still largely unconstrained



- \*At fixed magnitude of the A terms, there is a larger room for deviations from the SM in the CPV observables  $\Rightarrow$  great interest of  $K_L \rightarrow \pi^0 \nu \nu$
- \*Slower decoupling of penguins  $(K \to \pi \nu \nu)$  with respect to boxes  $(\Delta F=2)$

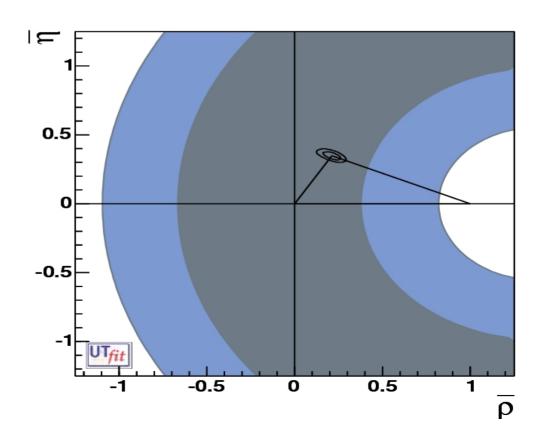


## Experimental prospects

Unfortunately the present experimental knowledge of these decay modes is still very limited:

BR(
$$K^+ \to \pi^+ \nu \nu$$
)<sup>exp</sup> =  $(1.47^{+1.30}_{-0.89}) \times 10^{-10}$  3 events [BNL E787/E949]

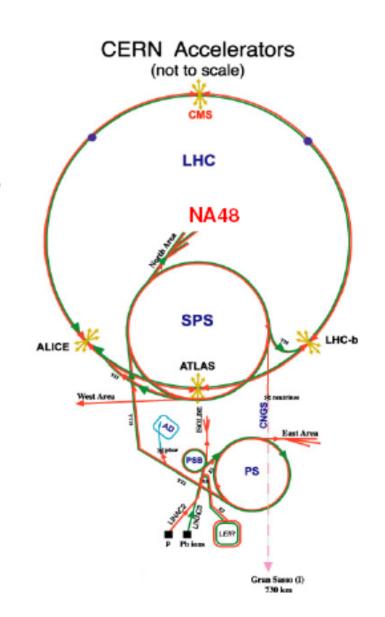
It's shame for the flavour physics community that essentially no progress on this measurement has occurred since 2002...



Hopefully, the situation should substantially improve with the CERN proposal on  $K^+ \rightarrow \pi^+ \nu \nu$  ...



- P-326 experiment: Measurement of the B(K+ $\rightarrow$ π+νν) with a ~10% accuracy (+ other physics opportunities)
- General design: Mostly defined. Overall simulation and performances under review.
- <u>R&D program</u>: Well advanced: construction of detector prototypes and test in progress (in some cases completed). Important results by the end of 2007.
- We propose a new experiment able to reach a ~10<sup>-12</sup> sensitivity per event at an existing machine and employing the infrastructures of an existing experiment. [CERN-SPSC-P-326, 11/06/2005]



Hopefully, the situation should substantially improve with the CERN proposal on  $K^+ \to \pi^+ \nu \nu$  ...and the JPARC proposal on  $K_I \to \pi^0 \nu \nu$ 

- J-PARC E14 experiment aims at First Observation of  $K_{\rm L} \to \pi^0 \nu \nu$ (upgrade of KEK-E391a detector)
- •E14 submitted a proposal to PAC (program advisory committee).

  - →1<sup>st</sup>-stage scientific approval. →2<sup>nd</sup> stage process is in progress

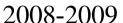
#### **Schedule**

#### 2007:

- \*Engineering design of beam-line completed.
- \*KTeV CsI's will be started to move to J-PARC.
- →Many R&D's are in progress.

2008: beam-line construction will be scheduled.

→Dec, 2008: First commissioning of slow beam extract. measuring the beam-line performances



\*Assembling of Detector system.



2010: First Engineering Run or/and Physics Run.

## Conclusions

I briefly illustrated some relevant aspects of kaon physics, but the field is much more rich

[ππ phase shifts & QCD vacuum, search for T and/or CPT violations, tests of Lattice & CHPT...]



future kaon programs centered on <u>rare K decays</u>
offers one of the
<u>most interesting future perspective in flavour physics</u>