

# Benchmarks in Flavour Physics

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Merriam-Webster's Online Dictionary

## benchmark

2 entries found for **benchmark**.

To select an entry, click on it.

benchmark[1,noun]  
benchmark[2,transitive verb]

Go

Main Entry: **1 bench·mark** 

Pronunciation: 'bench-"märk

Function: *noun*

**1 usually bench mark** : a mark on a permanent object indicating elevation and serving as a reference in topographic surveys and tidal observations

**2 a** : a point of reference from which measurements may be made **b** : something that serves as a standard by which others may be measured or judged **c** : a standardized problem or test that serves as a basis for evaluation or comparison (as of computer system performance)



Web Results 1 - 10 of about 336,000 for **flavour benchmark**. (0.09 seconds)

[MacBook Pro "Santa Rosa" - 3D Gaming](#)

real world speed test results for performance minded Macintosh users.

[www.barefeats.com/santarosa.html](#) - 31k - [Cached](#) - [Similar pages](#)

[WG2:B/D/K decays](#)

collider phenomenology with **flavor benchmarks** (studies with Tools at CMS, ATLAS) [20] (Heinemeyer, Polesello, Buchmueller) ...

[flavlhc.kek.jp/cernWS\\_0507/WG2/WG2.html](#) - 8k - [Cached](#) - [Similar pages](#)

## WG2 chapter for the CERN yellow report:

[WG2 Yellow Book planning, updated in the October meeting \(pdf\)](#)

[Instructions on the WG2 chapter for the CERN yellow report](#)

### 3. New Physics in Benchmark Channels [122]

#### ◦ Benchmark channels:

- **Radiative Penguin Decays** [10] (Gambino, Golutvin)
- **Electroweak Penguin Decays** [15] (Feldmann, Berryhill)
- **Neutrino modes** [10] (Grossman, Iijima)
- **Very rare decays** [12] (Nierste, Smizanska)
- **UT angles (tree-dominated)** [15] (Soni, Bona, Trabelsi, Wilkinson)
- **Bs-Bsbar mixing** [10] (Lubicz, van Huten)
- **b->s and b->d hadronic transitions** [10] (Ciuchini, Muheim)
- **Kaon decays** [10] (Buras, Komatsubara)
- **Charm decays** [20] (Fajfer, Asner)

more or less everything is included

# Benchmarks as interesting measurements

Observable	$B$ factories ( $2 \text{ ab}^{-1}$ )	Super $B$ ( $75 \text{ ab}^{-1}$ )
$\sin(2\beta) (J/\psi K^0)$	0.018	0.005 (†)
$\cos(2\beta) (J/\psi K^{*0})$	0.30	0.05
$\sin(2\beta) (Dh^0)$	0.10	0.02
$\cos(2\beta) (Dh^0)$	0.20	0.04
$S(J/\psi \pi^0)$	0.10	0.02
$S(D^+D^-)$	0.20	0.03
$S(\phi K^0)$	0.13	0.02 (*)
$S(\eta' K^0)$	0.05	0.01 (*)
$S(K_S K_S K_S)$	0.15	0.02 (*)
$S(K_S \pi^0)$	0.15	0.02 (*)
$S(\omega K_S)$	0.17	0.03 (*)
$S(f_0 K_S)$	0.12	0.02 (*)
$\gamma (B \rightarrow DK, D \rightarrow CP \text{ eigenstates})$	$\sim 15^\circ$	$2.5^\circ$
$\gamma (B \rightarrow DK, D \rightarrow \text{suppressed states})$	$\sim 12^\circ$	$2.0^\circ$
$\gamma (B \rightarrow DK, D \rightarrow \text{multibody states})$	$\sim 9^\circ$	$1.5^\circ$
$\gamma (B \rightarrow DK, \text{combined})$	$\sim 6^\circ$	$1-2^\circ$
$\alpha (B \rightarrow \pi\pi)$	$\sim 16^\circ$	$3^\circ$
$\alpha (B \rightarrow \rho\rho)$	$\sim 7^\circ$	$1-2^\circ (*)$
$\alpha (B \rightarrow \rho\pi)$	$\sim 12^\circ$	$2^\circ$
$\alpha (\text{combined})$	$\sim 6^\circ$	$1-2^\circ (*)$
$2\beta + \gamma (D^{(*)\pm} \pi^\mp, D^\pm K_S \pi^\mp)$	$20^\circ$	$5^\circ$

Observable	$B$ factories ( $2 \text{ ab}^{-1}$ )	Super $B$ ( $75 \text{ ab}^{-1}$ )
$ V_{cb} $ (exclusive)	4% (*)	1.0% (*)
$ V_{cb} $ (inclusive)	1% (*)	0.5% (*)
$ V_{ub} $ (exclusive)	8% (*)	2.0% (*)
$ V_{ub} $ (inclusive)	8% (*)	2.0% (*)
$\mathcal{B}(B \rightarrow \tau\nu)$	20%	4% (†)
$\mathcal{B}(B \rightarrow \mu\nu)$	visible	5%
$\mathcal{B}(B \rightarrow D\tau\nu)$	10%	2%
$\mathcal{B}(B \rightarrow \rho\gamma)$	15%	3% (†)
$\mathcal{B}(B \rightarrow \omega\gamma)$	30%	5%
$A_{CP}(B \rightarrow K^*\gamma)$	0.007 (†)	0.004 († *)
$A_{CP}(B \rightarrow \rho\gamma)$	$\sim 0.20$	0.05
$A_{CP}(b \rightarrow s\gamma)$	0.012 (†)	0.004 (†)
$A_{CP}(b \rightarrow (s+d)\gamma)$	0.03	0.01 (†)
$S(K_S \pi^0 \gamma)$	0.15	0.02 (*)
$S(\rho^0 \gamma)$	possible	0.10
$A_{CP}(B \rightarrow K^* ll)$	7%	1%
$A^{FB}(B \rightarrow K^* ll)_{s_0}$	25%	9%
$A^{FB}(B \rightarrow X_s ll)_{s_0}$	35%	5%
$\mathcal{B}(B \rightarrow K\nu\bar{\nu})$	visible	20%
$\mathcal{B}(B \rightarrow \pi\nu\bar{\nu})$	-	possible

- mostly NP-sensitive measurements  
 - others needed for precise CKM fit

1 <sup>st</sup> NP model	->	observable set #1 \	
2 <sup>nd</sup> NP model	->	observable set #2 \	
⋮	⋮	⋮	benchmark set
⋮	⋮	⋮	/
n <sup>th</sup> NP model	->	observable set #n /	

starting point for attacking the "inverse problem"  
 (recently popular in high- $p_+$  physics: LHC Olympics)

## Flavour physics does not proceed along this way (yet?)

1. classes of models defined using an EFT approach (ex.: MFV)  
*least predictive in general, (much) more with flavour symmetries*
2. models with generic flavour structure (ex.: MSSM with MI's)  
*more predictive and NP flavour unrestricted within the model*
3. fully-specified models (ex.: mSUGRA, LH with T-parity)  
*very predictive but NP flavour structure strongly restricted*

# The EFT approach

$$\mathcal{L} = \mathcal{L}_{SM} + \sum_{k=1} \left( \sum_i C_i^k Q_i^{(k+4)} \right) / \Lambda^k$$

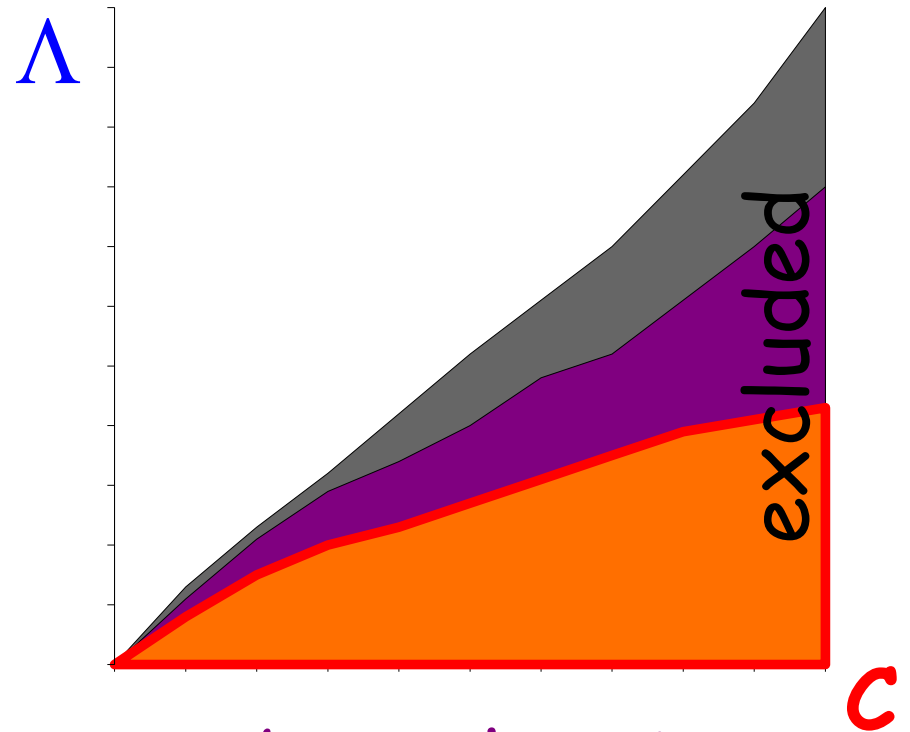
NP effects are governed by:

- a known set of local operators  $Q_i^{(D)}$
- the value of the new physics scale  $\Lambda$
- the effective flavour-violating couplings  $C$ 's
  - + couplings can follow a given pattern (e.g. dictated by flavour symmetries)
  - + couplings can have different strength (e.g. generated by different interactions)



*Pictorially :*

- exp. constraints give a bound on  $\Lambda$  for any given  $C$  and vice-versa
- curves correspond to different assumptions



What do we do with such plots? A branch point

-  $\Lambda$  is not known (beyond the LHC reach)

look for indirect NP signals, understand where they may come from, exclude regions in parameter space

-  $\Lambda$  is known (and  $< 1-2$  TeV, thanks LHC!)

determine the NP FV couplings  $C_i$ , study the flavour structure of NP, look for signal of heavier states

# EFT for $\Delta F=2$ transitions

"The simple exercise we all give to our students", A. Masiero

$$H_{\text{eff}}^{\Delta F=2} = \sum_{i=1}^5 C_i(\mu) Q_i(\mu) + \sum_{i=1}^3 \tilde{C}_i(\mu) \tilde{Q}_i(\mu)$$

$$Q_1 = \bar{q}_L^\alpha \gamma_\mu b_L^\alpha \bar{q}_L^\beta \gamma^\mu b_L^\beta \quad (\text{SM})$$

$$Q_2 = \bar{q}_R^\alpha b_L^\alpha \bar{q}_R^\beta b_L^\beta$$

$$Q_3 = \bar{q}_R^\alpha b_L^\beta \bar{q}_R^\beta b_L^\beta$$

$$Q_4 = \bar{q}_R^\alpha b_L^\alpha \bar{q}_L^\beta b_R^\beta$$

$$Q_5 = \bar{q}_R^\alpha b_L^\beta \bar{q}_L^\beta b_R^\beta$$

$$\tilde{Q}_1 = \bar{q}_R^\alpha \gamma_\mu b_R^\alpha \bar{q}_R^\beta \gamma^\mu b_R^\beta$$

$$\tilde{Q}_2 = \bar{q}_L^\alpha b_R^\alpha \bar{q}_L^\beta b_R^\beta$$

$$\tilde{Q}_3 = \bar{q}_L^\alpha b_R^\beta \bar{q}_L^\beta b_R^\beta$$

**7 new D=6 operators involving scalar interactions and quarks with different chiralities**

$H_{\text{eff}}$  can be iteratively recast in terms of  $C_i(\Lambda)$

$C_i(\Lambda)$  can be extracted from the data (one by one)

the associated NP scale  $\Lambda$  can be defined as

$$C_i(\Lambda) = \frac{L F_i}{\Lambda^2}$$

strongly interacting NP:  $L \sim 1$

weakly interacting NP:  $L \sim \alpha_W s^2$

### 1. MFV at low $\tan\beta$

- $F_1 = F_{SM} \sim \lambda_t (V_{tq} V_{tb}^*)^2$
- $F_{i \neq 1} = 0$ , no NP phases

### 2. MFV at large $\tan\beta$

- $F_1 \sim F_{SM}$ ,  $F_4 \sim F_{SM} \lambda_b \lambda_q / \lambda_t$
- $F_{i \neq 1,4} = 0$ , no phases

### 3. next-to-MFV


- $|F_i| \sim F_{SM}$
- arbitrary NP phases

### 4. generic FV

- $|F_i| \sim 1$
- arbitrary NP phases



# lower bound on $\Lambda$ (TeV) from $\Delta S/B=2$ processes

	$L \sim 1$	$L \sim \alpha_s$	$L \sim \alpha_W$
MFV	5.5	0.5	0.2
MFV- $\tan\beta$	5.1/4.1	0.5/0.4	0.2/0.1
	$M_H > 0.9 a(\tan\beta)$		
NMFV	62/14	6.2/1.4	2/0.5
generic FV	$(2.4/0.2) \times 10^4$	2400/220	800/70 

- $\Delta F=2$  chirality-flipping operators are RG enhanced and thus probe larger NP scales
  - when scalar operators are present, the NP scale is easily pushed beyond the LHC reach
- the flavour problem at work

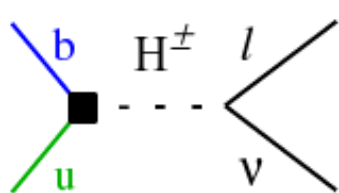
At least NMFV+ $\alpha_W$ -loop suppression of  $\Delta F=2$  processes

required for new flavoured particles detectable at the LHC

# MFV NP in $\Delta F=1$ transitions at large $\tan\beta$

Large NP effects from Higgs exchange in elicity-suppressed decays:

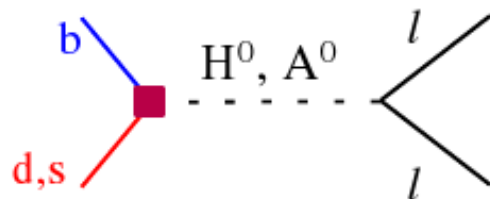
(Gino's four musketeers) Isidori, Paradisi, hep-ph/0605012



$$B^\pm \rightarrow l^\pm \nu$$



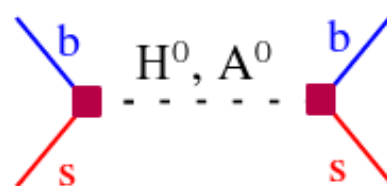
~(10-50)%  
suppression



$$B_{s,d} \rightarrow l^+ l^-$$



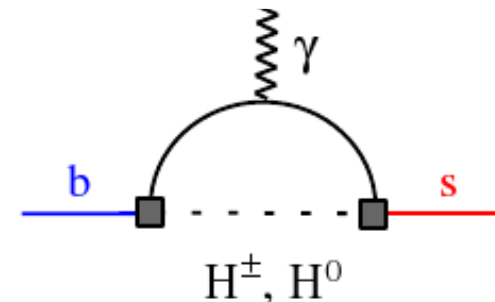
up to  $100 \times$   
enhancement



$$\Delta M_{B_s}$$



~(0-20)%  
suppression



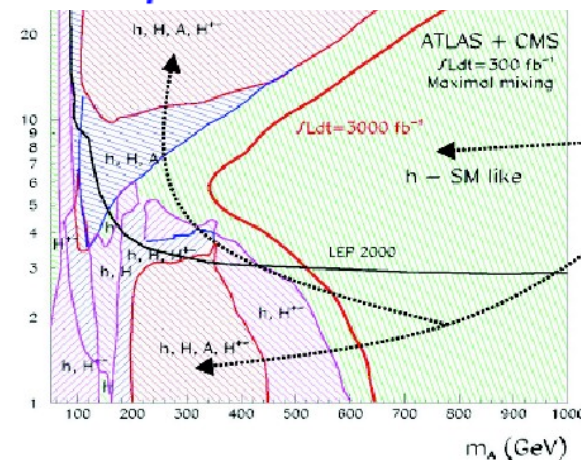
$$B \rightarrow X_s \gamma$$



~(0-50)%  
enhancement

[qualitative general features for  $M_H \sim 500$  GeV &  $\tan\beta \sim 50$ ]

- testable pattern of suppression/enhancement
- compatible with present data within errors
- useful to enlarge the region of the MSSM Higgs parameter space accessible at the LHC



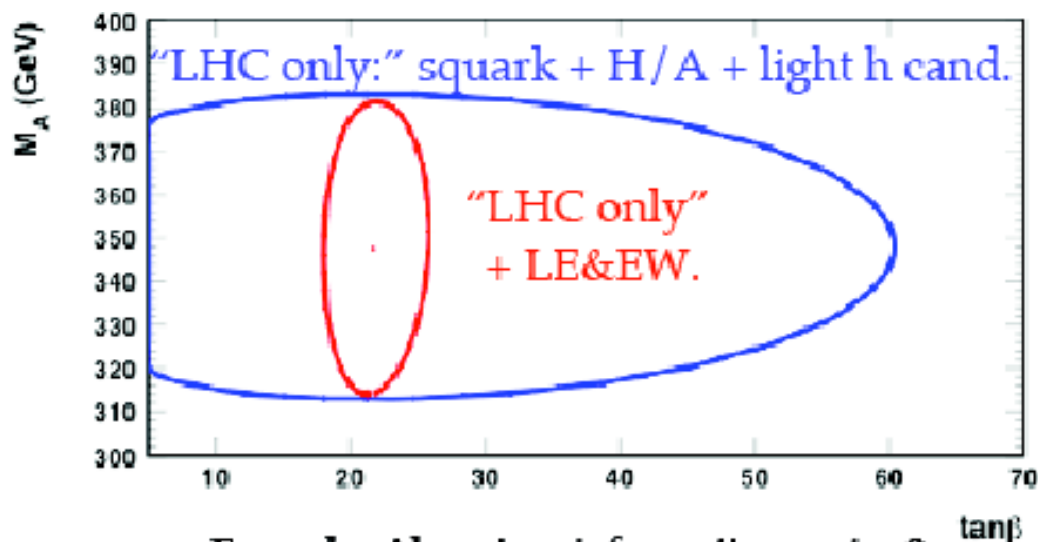
# Low-energy (LE) and Electroweak (EW) Constraints

Work started at the LHC Flavour workshop (collaboration from Experimentalist & Theorist)

S.Heinemeyer, G.I., P.Paradisi [TH],  
 O. Buchmuller, R. Cavanaugh,... [EXP]  
 work documented in the Yellow Report

**A first start: Combine LE and EW calculations in one common code.**  
**New Physics Parameter Space: MSSM**

**A positive outcome from the CERN workshops:**  
 first concrete example of integration of flavour and high- $p_T$  constraints on the same parameter space showing their complementarity



**Example: Almost no information on  $\tan\beta$  without external constraints. Note that a direct measurement of  $\tan\beta$  is very difficult at the LHC**

# MSSM + generic soft SUSY-breaking terms

- only dominant gluino contributions
- mass insertion approximation

All flavour-changing NP effects in the squark propagators

$$(\tilde{q}_i)_A \text{ --- } \text{---} \times \text{---} \text{---} \text{---} (\tilde{q}_j)_B \quad \begin{array}{l} q = \{u, d\}, \quad (A, B) = \{L, R\} \\ (i, j) = \{1, 2, 3\} \end{array}$$

- ▶ NP scale: SUSY masses  $\tilde{m} \sim m_{\tilde{g}}$
- ▶ FV couplings:  $(\delta_{ij}^q)_{AB} \equiv \frac{(M_{ij}^2)^q_{AB}}{\tilde{m}^2}$  (like CKM for NP)

**Precise measurements of FCNC  
and CP violation can measure the  $\delta$ 's**

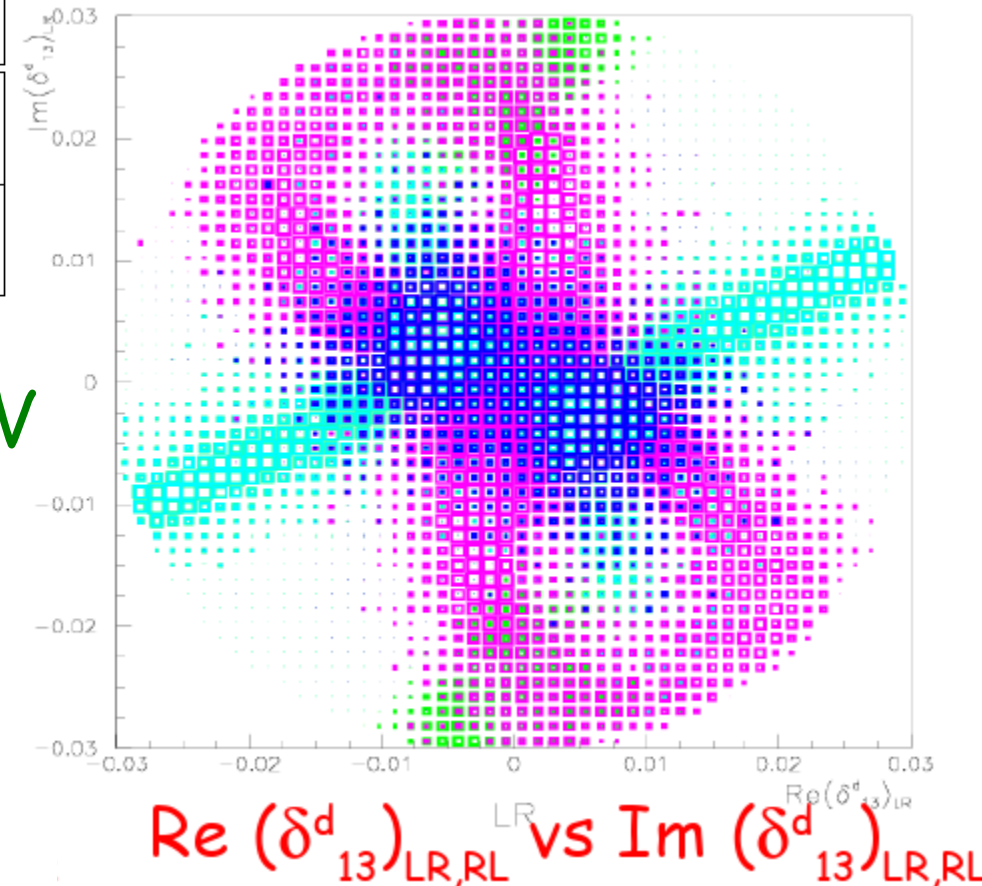
$\left (\delta_{12}^d)_{LL,RR}\right $	$\left (\delta_{12}^d)_{LL=RR}\right $	$\left (\delta_{12}^d)_{LR}\right $	$\left (\delta_{12}^d)_{RL}\right $
$1 \cdot 10^{-2}$	$2 \cdot 10^{-4}$	$5 \cdot 10^{-4}$	$5 \cdot 10^{-4}$
$\left (\delta_{12}^u)_{LL,RR}\right $	$\left (\delta_{12}^u)_{LL=RR}\right $	$\left (\delta_{12}^u)_{LR}\right $	$\left (\delta_{12}^u)_{RL}\right $
$4 \cdot 10^{-2}$	$2 \cdot 10^{-3}$	$6 \cdot 10^{-3}$	$6 \cdot 10^{-3}$
$\left (\delta_{13}^d)_{LL,RR}\right $	$\left (\delta_{13}^d)_{LL=RR}\right $	$\left (\delta_{13}^d)_{LR}\right $	$\left (\delta_{13}^d)_{RL}\right $
$7 \cdot 10^{-2}$	$5 \cdot 10^{-3}$	$1 \cdot 10^{-2}$	$1 \cdot 10^{-2}$
$\left (\delta_{23}^d)_{LL}\right $	$\left (\delta_{23}^d)_{RR}\right $	$\left (\delta_{23}^d)_{LL=RR}\right $	$\left (\delta_{23}^d)_{LR,RL}\right $
$2 \cdot 10^{-1}$	$7 \cdot 10^{-1}$	$5 \cdot 10^{-2}$	$5 \cdot 10^{-3}$

$\Delta m_B$  only

$\sin 2\beta$  only

$\sin 2\beta$  and  $\cos 2\beta$

All constraints



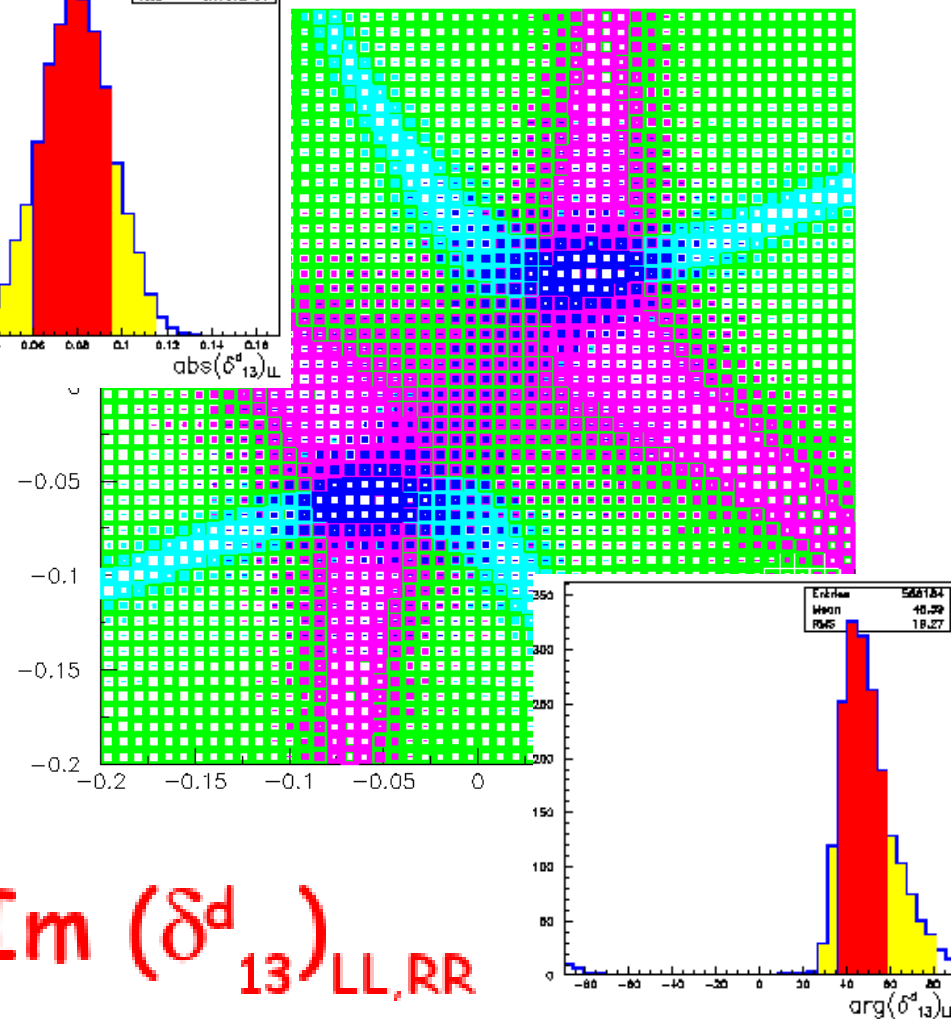
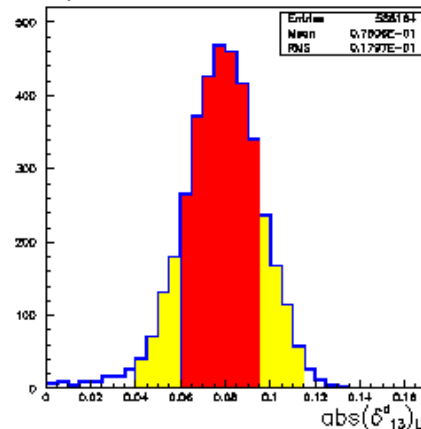
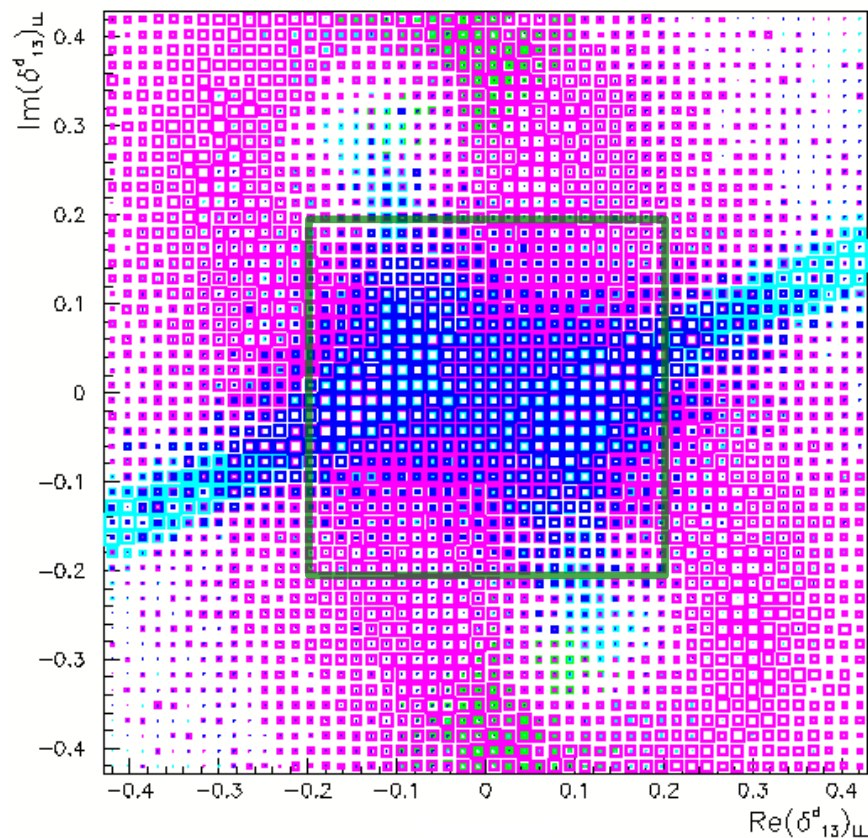
- bounds for  $m_{sq}=m_{gl}=-\mu=350 \text{ GeV}$  and  $\tan\beta=3$
- bounds scale approximately as  $\sim m_{\text{SUSY}}(\text{GeV})/350$



today

$$\Lambda = m_{\tilde{g}} = m_{\tilde{q}} = 1 \text{ TeV}$$

SuperB



$\text{Re}(\delta^d_{13})_{LL,RR}$  vs  $\text{Im}(\delta^d_{13})_{LL,RR}$

$\Delta m_B$  only

$A^d_{SL}$  only

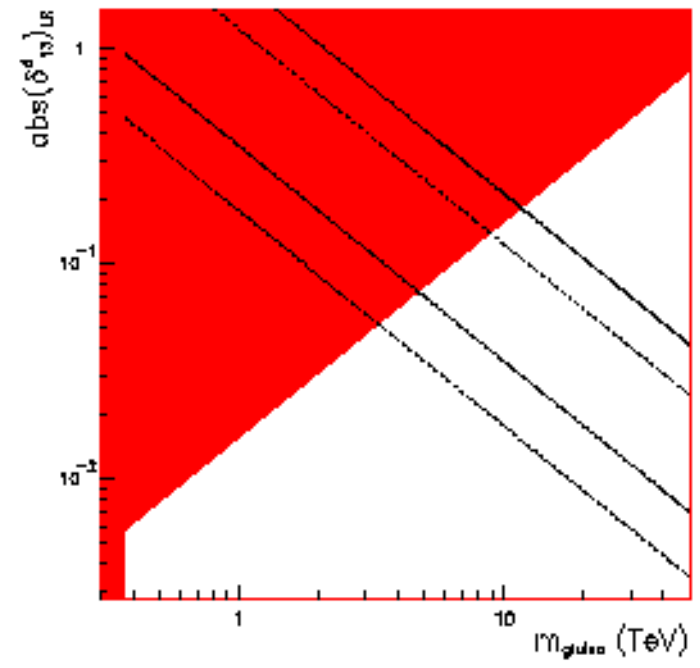
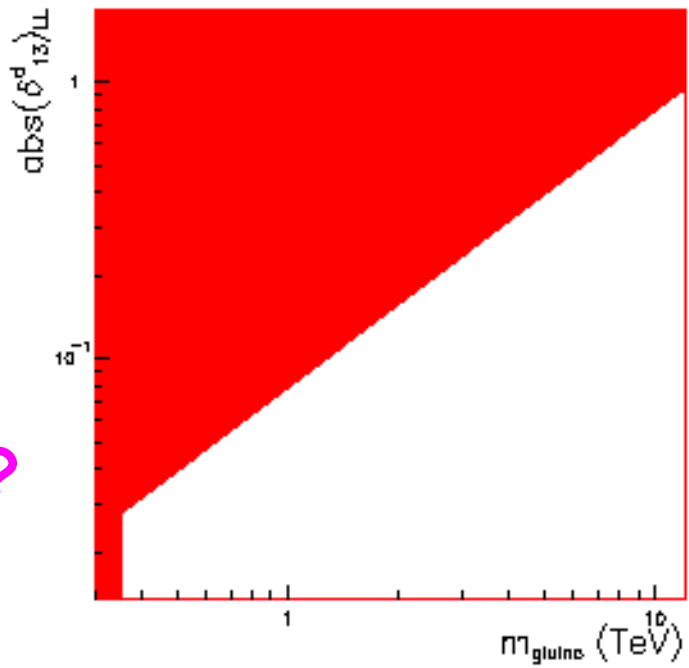
$\sin 2\beta$  and  $\cos 2\beta$

All constraints

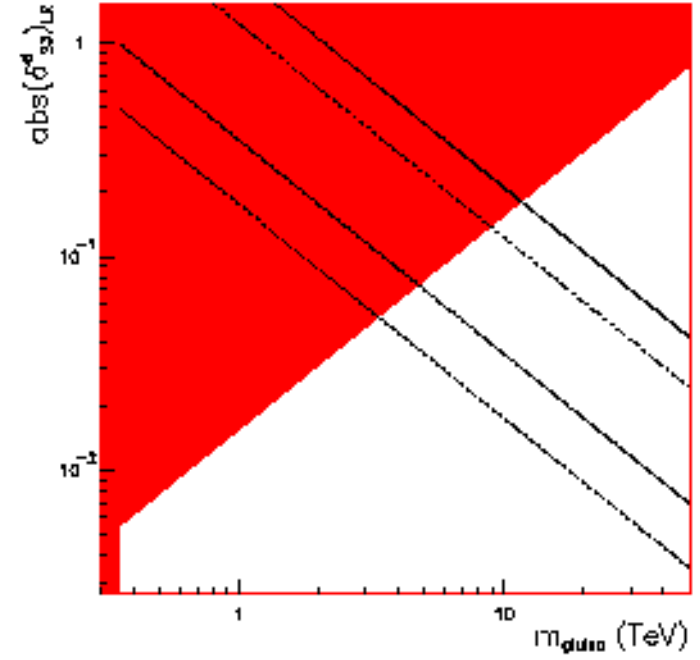
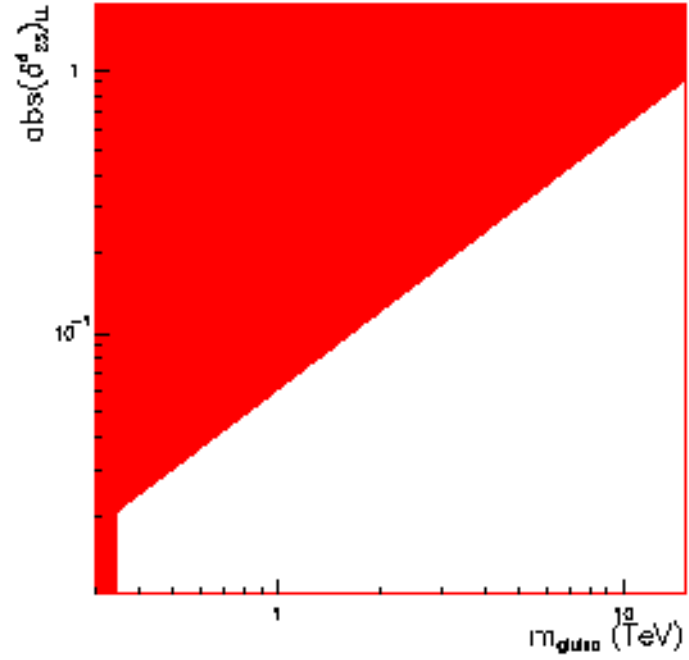


Which is the minimum coupling for which SuperB gives evidence of a non-vanishing  $\delta$ ?

SuperB CDR



In the red regions the  $\delta$ 's reconstructed using SFF constraints are more than  $3\sigma$  away from 0



# FV and CPV in $b \rightarrow s$ transitions

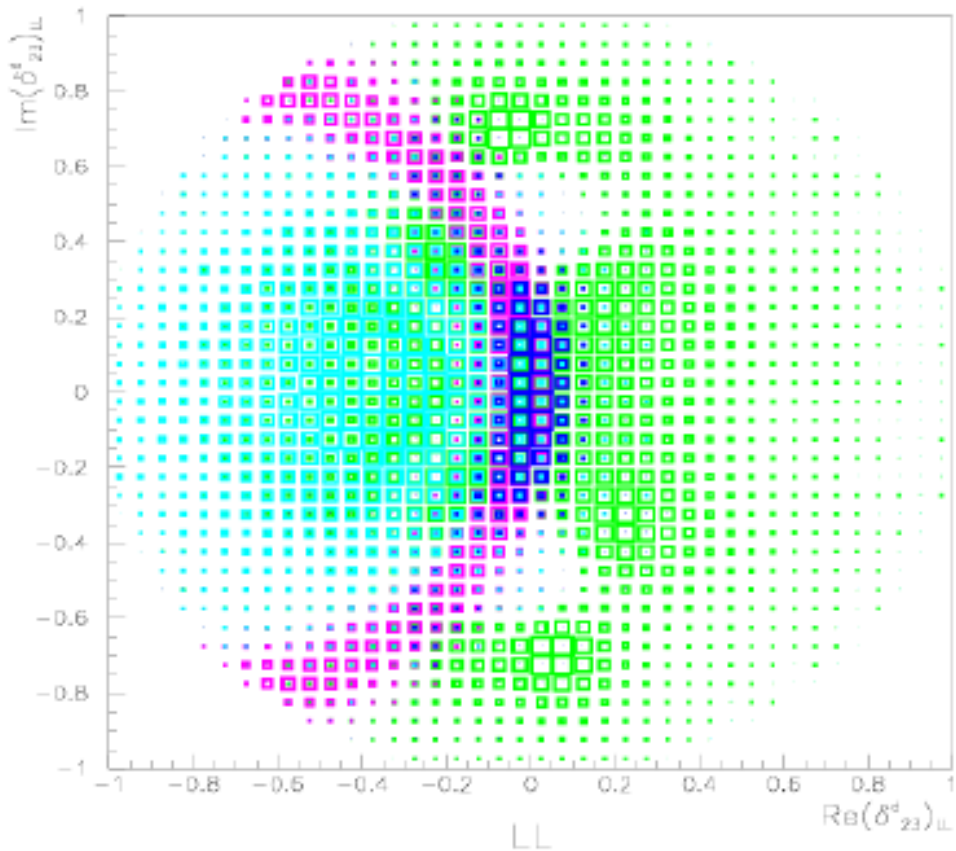
-natural in any flavour models given the strong breaking of family  $SU(3)$

Pomarol, Tommasini; Barbieri, Dvali, Hall; Barbieri, Hall; Barbieri, Hall, Romanino; Berezhiani, Rossi; Masiero, Piai, Romanino, Silvestrini; ...

-hinted at by  $v$ 's in SUSY-GUTs

Baek, Goto, Okada, Okumura; Moroi; Akama, Kiyono, Komine, Moroi; Chang, Masiero, Murayama; Hisano, Shimizu; Goto, Okada, Shimizu, Shindou, Tanaka; ...

-room for deviations from the SM in time-dependent CP asymmetries of  $b \rightarrow sqq$  decays ( $\phi K_s, \pi K_s, \dots$ )



$\text{Re}(\delta_{23}^d)_{LL}$  vs  $\text{Im}(\delta_{23}^d)_{LL}$

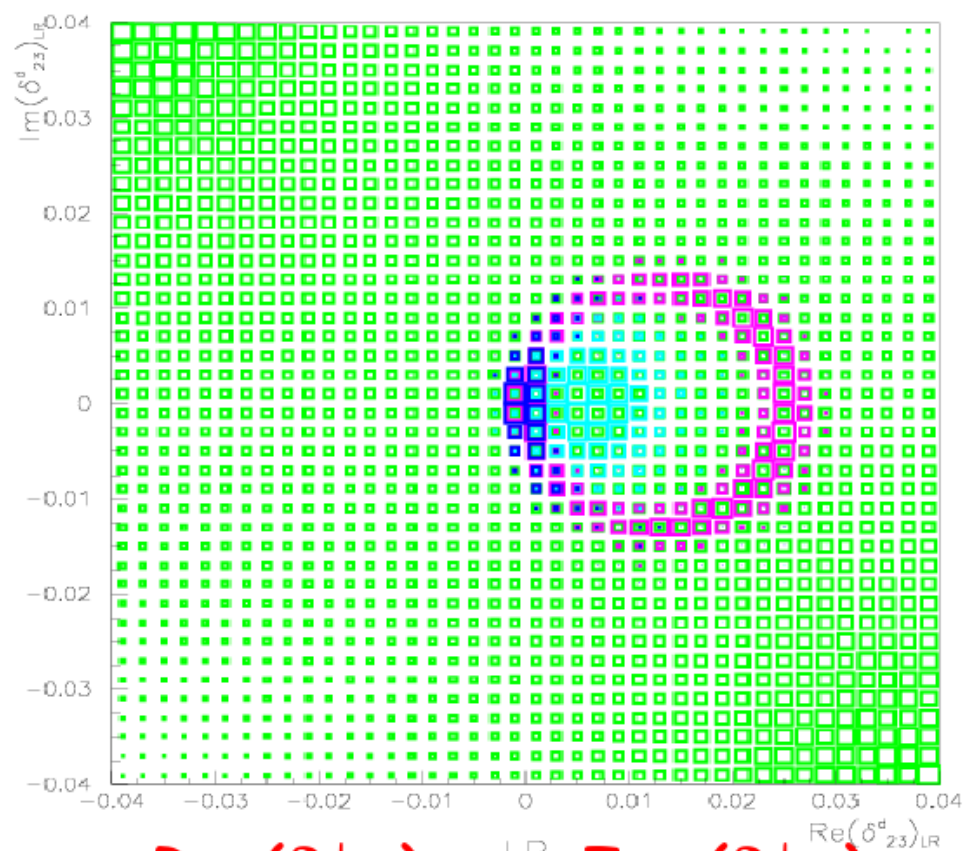
$\tan\beta=3$

Constraint from  $b \rightarrow s \ell\ell$

Constraint from  $b \rightarrow s \gamma$

Constraint from  $C_{Bs'}, \phi_{Bs}$

All constraints

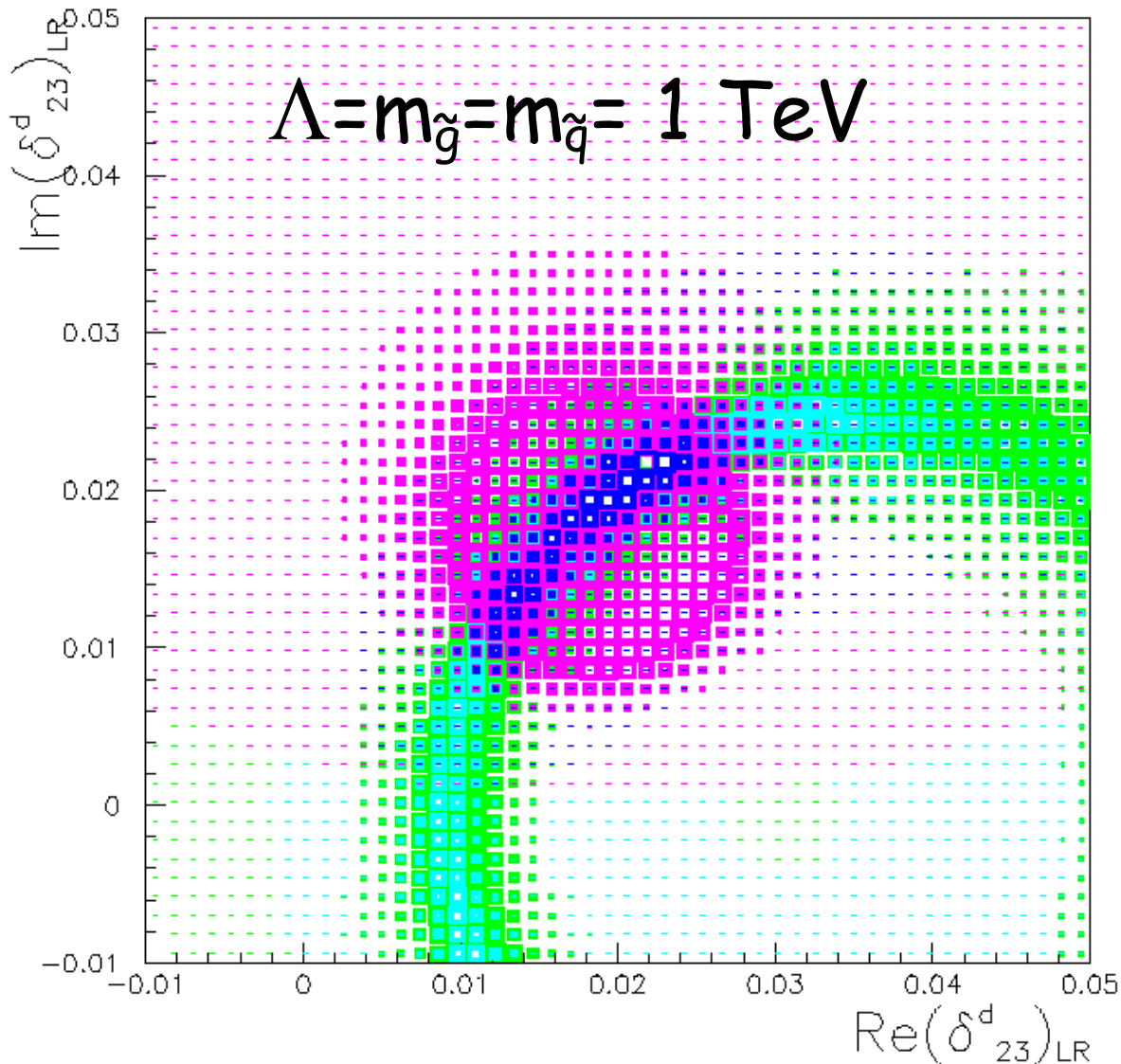


$\text{Re}(\delta_{23}^d)_{LR}$  vs  $\text{Im}(\delta_{23}^d)_{LR}$

LR & RL dominated by  
BR( $b \rightarrow s \gamma$ ) & BR( $b \rightarrow s \ell^+\ell^-$ )

$m_{sq}=m_{gl}=-\mu=350 \text{ GeV}$

# $\delta$ reconstruction simulated at SuperB



$A_{CP}(B \rightarrow X \gamma)$  only

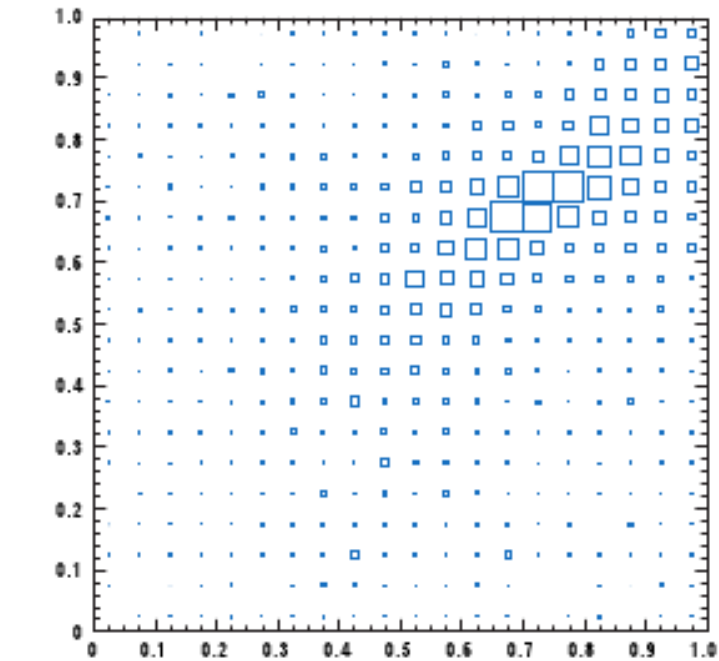
$\text{BR}(B \rightarrow X \gamma)$  only

$\text{BR}(B \rightarrow X l^+ l^-)$  only

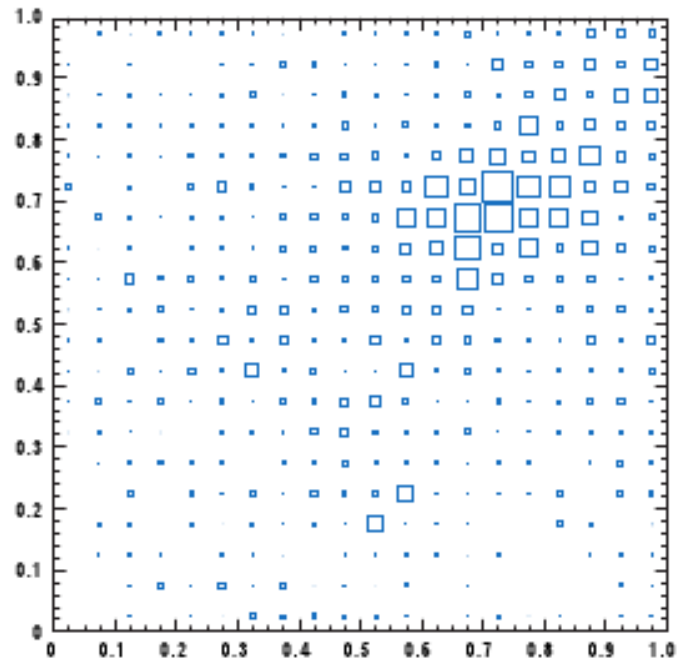
All constraints

**$\text{Re}(\delta^d_{23})_{LR}$  vs  $\text{Im}(\delta^d_{23})_{LR}$**

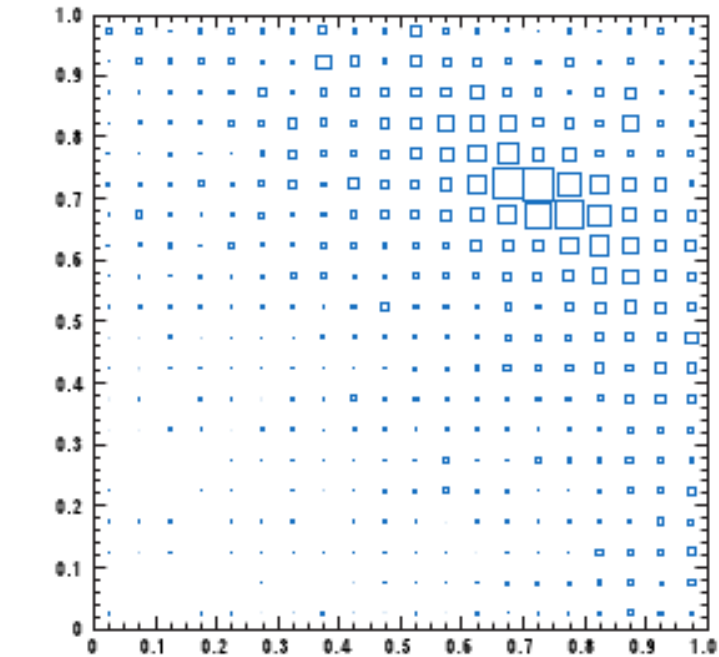
LL



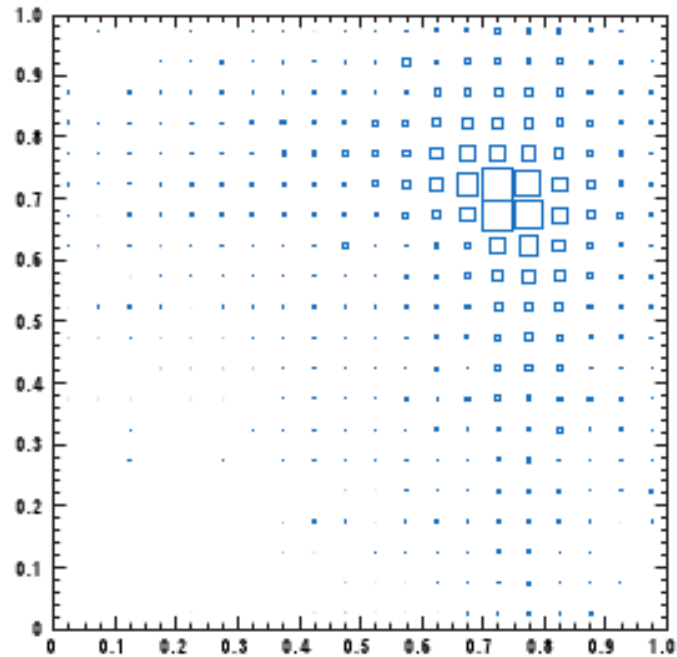
LR



RL



RR

 $S_{\pi^0 K_S}$ 

Correlation  
between  
 $S(\phi K_S)$   
and  $S(\pi^0 K_S)$

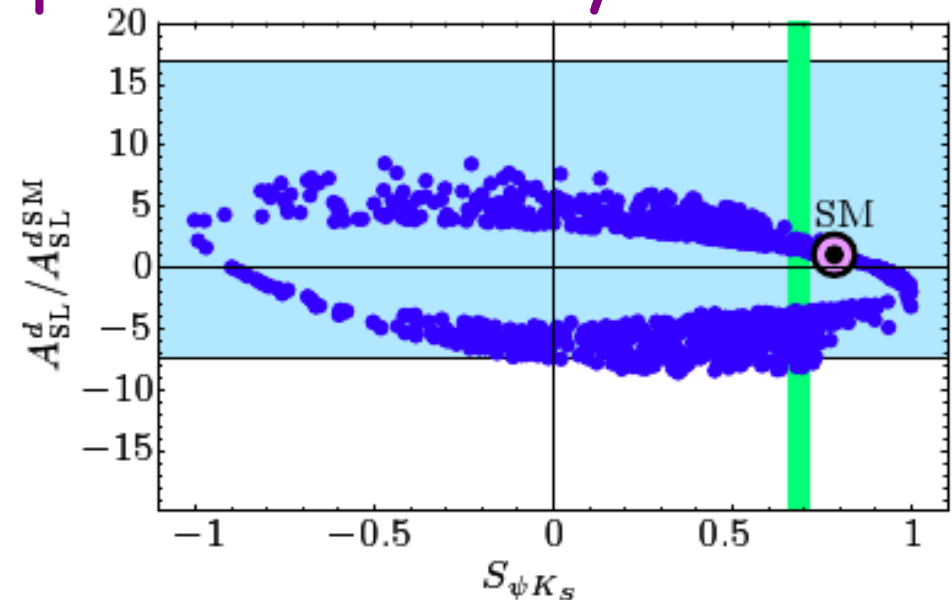
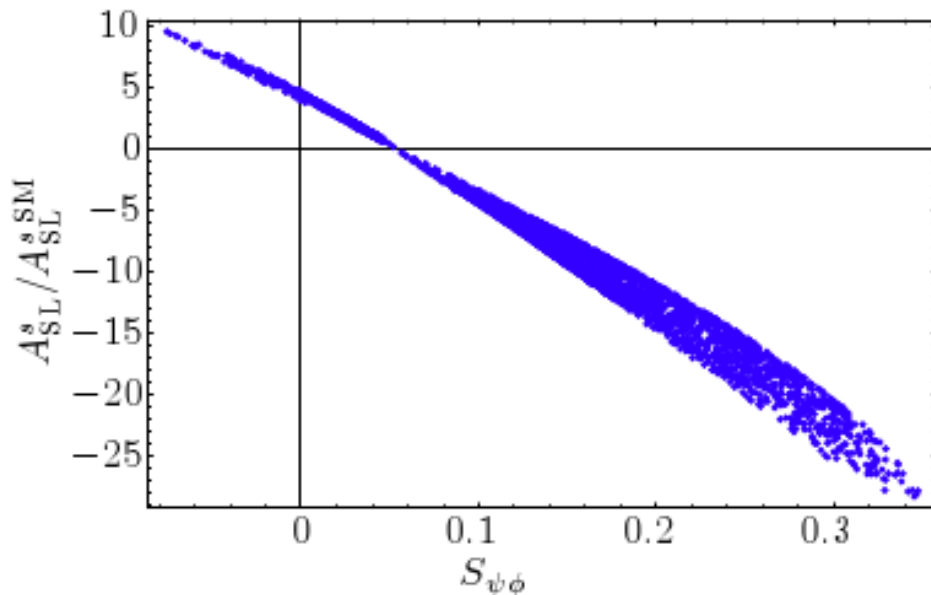
# LFV BR ratios can distinguish LHT from SUSY

ratio	LHT	MSSM (dipole)	MSSM (Higgs)
$\frac{B(\tau^- \rightarrow e^- e^+ e^-)}{B(\tau^- \rightarrow e \gamma)}$	0.4... 2.3	$\sim 1 \cdot 10^{-2}$	$\sim 1 \cdot 10^{-2}$
$\frac{B(\tau^- \rightarrow \mu^- \mu^+ \mu^-)}{B(\tau^- \rightarrow \mu \gamma)}$	0.4... 2.3	$\sim 2 \cdot 10^{-3}$	0.06... 0.1
$\frac{B(\tau^- \rightarrow e^- \mu^+ \mu^-)}{B(\tau^- \rightarrow e \gamma)}$	0.3... 1.6	$\sim 2 \cdot 10^{-3}$	0.02... 0.04
$\frac{B(\tau^- \rightarrow \mu^- e^+ e^-)}{B(\tau^- \rightarrow \mu \gamma)}$	0.3... 1.6	$\sim 1 \cdot 10^{-2}$	$\sim 1 \cdot 10^{-2}$
$\frac{B(\tau^- \rightarrow e^- e^+ e^-)}{B(\tau^- \rightarrow e^- \mu^+ \mu^-)}$	1.3... 1.7	$\sim 5$	0.3... 0.5
$\frac{B(\tau^- \rightarrow \mu^- \mu^+ \mu^-)}{B(\tau^- \rightarrow \mu^- e^+ e^-)}$	1.2... 1.6	$\sim 0.2$	5... 10

Several peculiar correlations in the littlest Higgs model with T-parity

M. Blanke et al.,  
 hep-ph/0605214  
 hep-ph/0702136

# correlations of SL and t-dependent CP asymmetries





# Conclusions (i)

In indirect searches benchmarks are not needed as long as one looks at low-energy observables: in this case correlations are better studied with EFTs or in models with generic flavour sector

Although flavour physics alone cannot identify the NP model, the determination of the FV and CPV couplings provide unique information on the NP Lagrangian

## Conclusions (ii)

First step at the LHC-flavour workshops to implement low- and high-energy constraints on the same MSSMparameter space

Other correlations among low- and high-energy observables still to be explored  
For ex.: squark mixing vs squark decays

SUSYfit (?)