

Beyond the Standard Model: Charting Fundamental Interactions via Lattice Simulations

Claudio Pica



- Thanks to the LOC for the invitation to review how “Lattice Field Theory is impacting the quest for new physics”
- Thanks to all who sent details on their work

- Apologies to all I will not be able to address

- ▶ SUSY

**Talks on Tue by: Kanata, Giedt, Schaich,
August, Joseph, Giudice**

- ▶ extradimensions

Talk on Thu by Alberti

- ▶ new mechanism for mass generation

Talk on Thu by Garofalo

- ▶ non-perturbative Higgs physics

Talks on Thu by Maas, Toerek

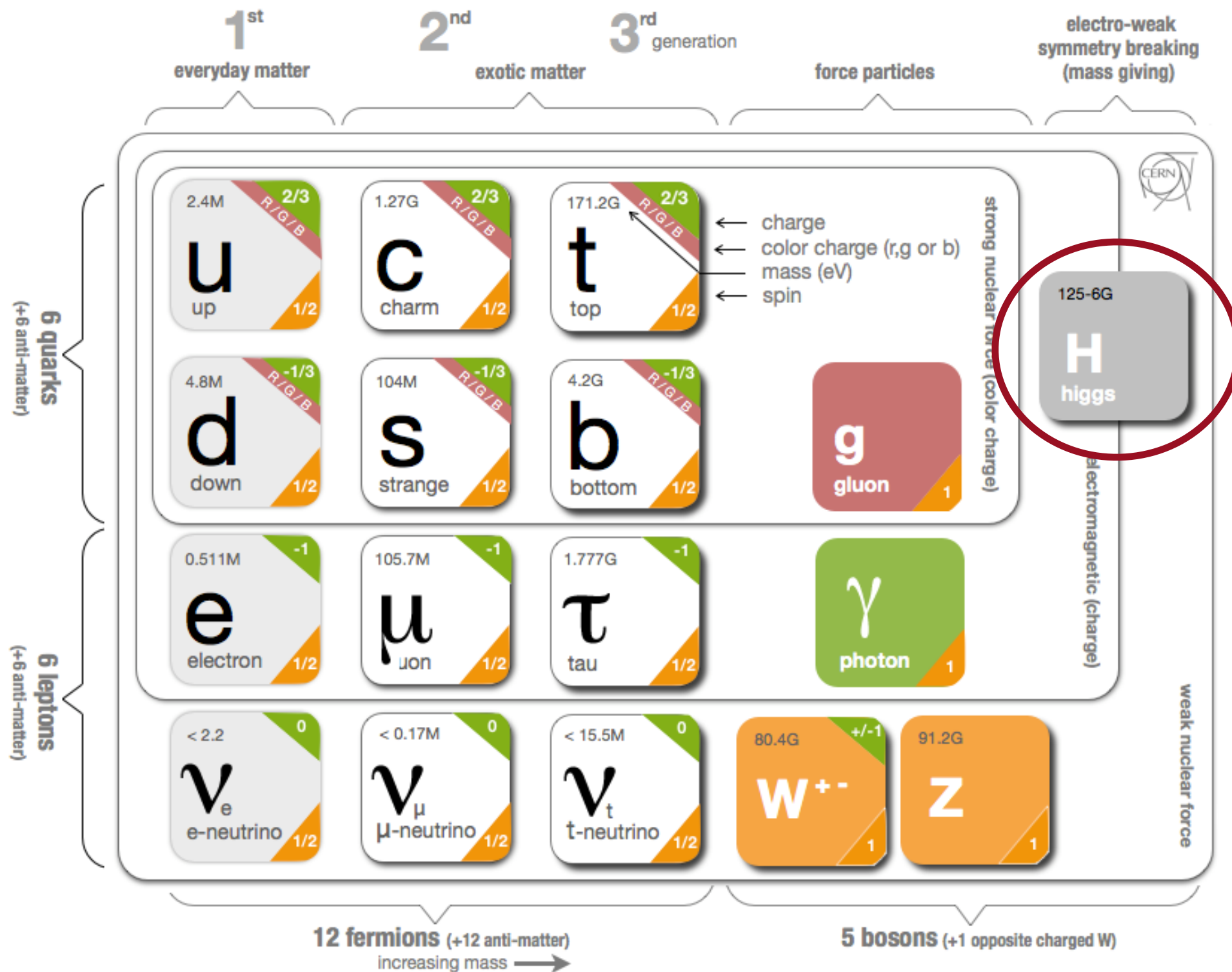
- ▶ Gauge/gravity duality

**Talk on Mon by Bennett
Talks on Fri by Forini, Berkowitz**

- ▶ Asymptotic Safety

Talk on Mon by Buyukbese, Bond

The Standard Model



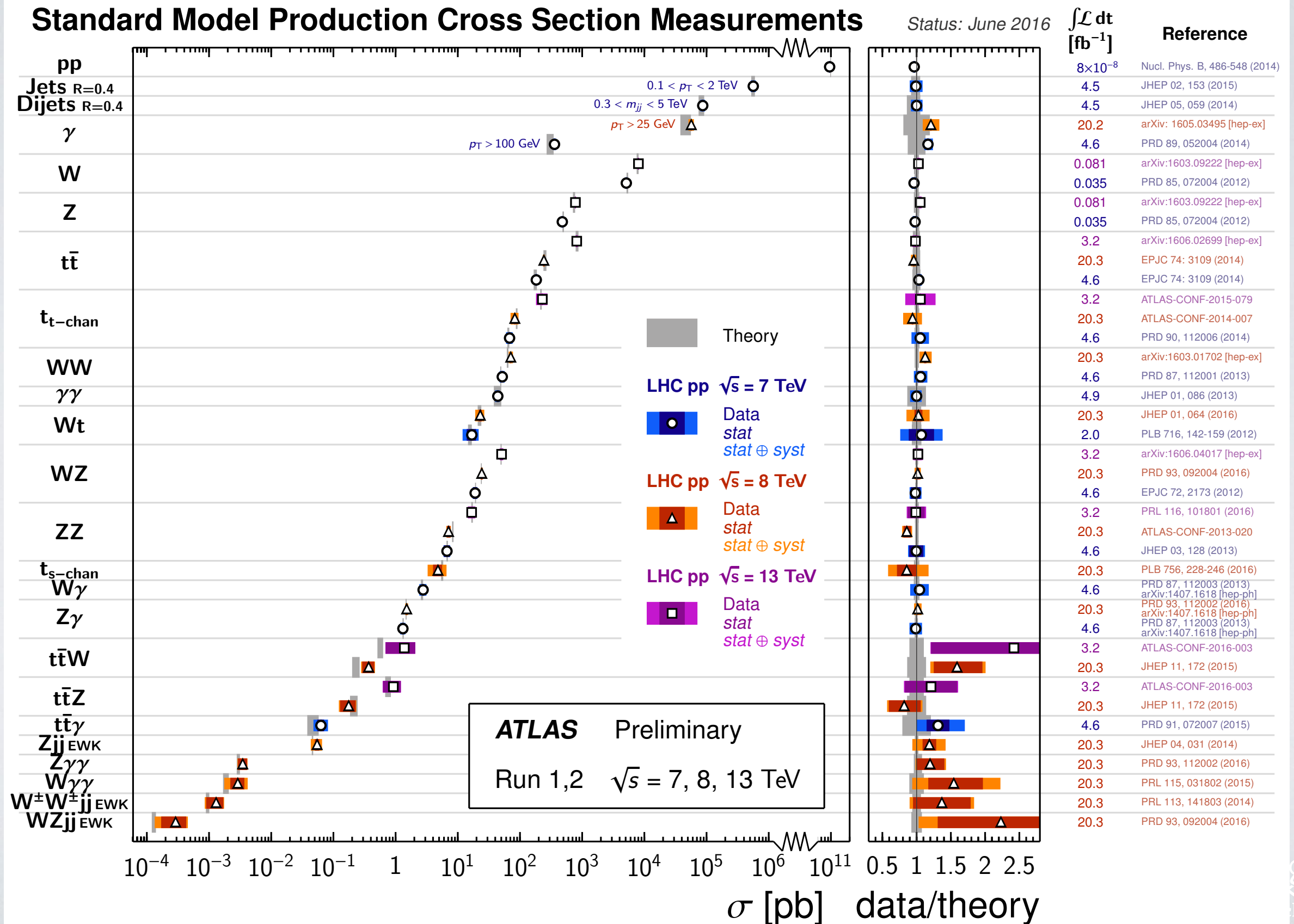
Gauge Fields
+ Fermions
+ **Scalar**

The SM Higgs?

- Spin 0?
- Is it a scalar (or pseudoscalar)?
- Coupling to other SM particles proportional to their mass?
 - ▶ origin of mass
- Quantum effects consistent with SM Higgs?
- It is Elementary or Composite?

ATLAS and CMS are providing precise measurements
of the properties of the Higgs
and strong constraints on Beyond SM physics

The Standard Model Works



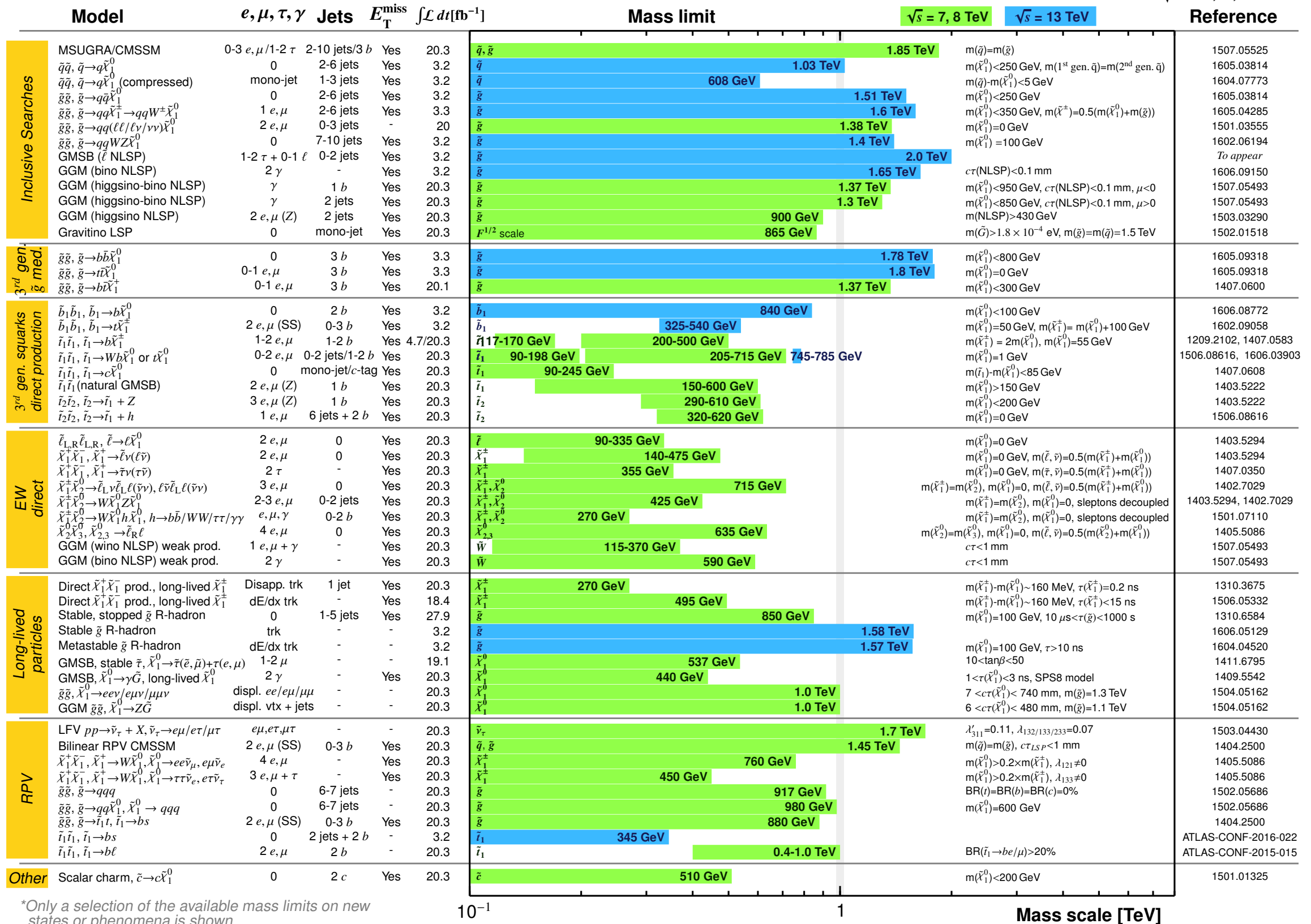
The Standard Model Works

ATLAS SUSY Searches* - 95% CL Lower Limits

Status: July 2016

ATLAS Preliminary

$\sqrt{s} = 7, 8, 13$ TeV



*Only a selection of the available mass limits on new states or phenomena is shown.

10⁻¹

1

Mass scale [TeV]

The Standard Model Works

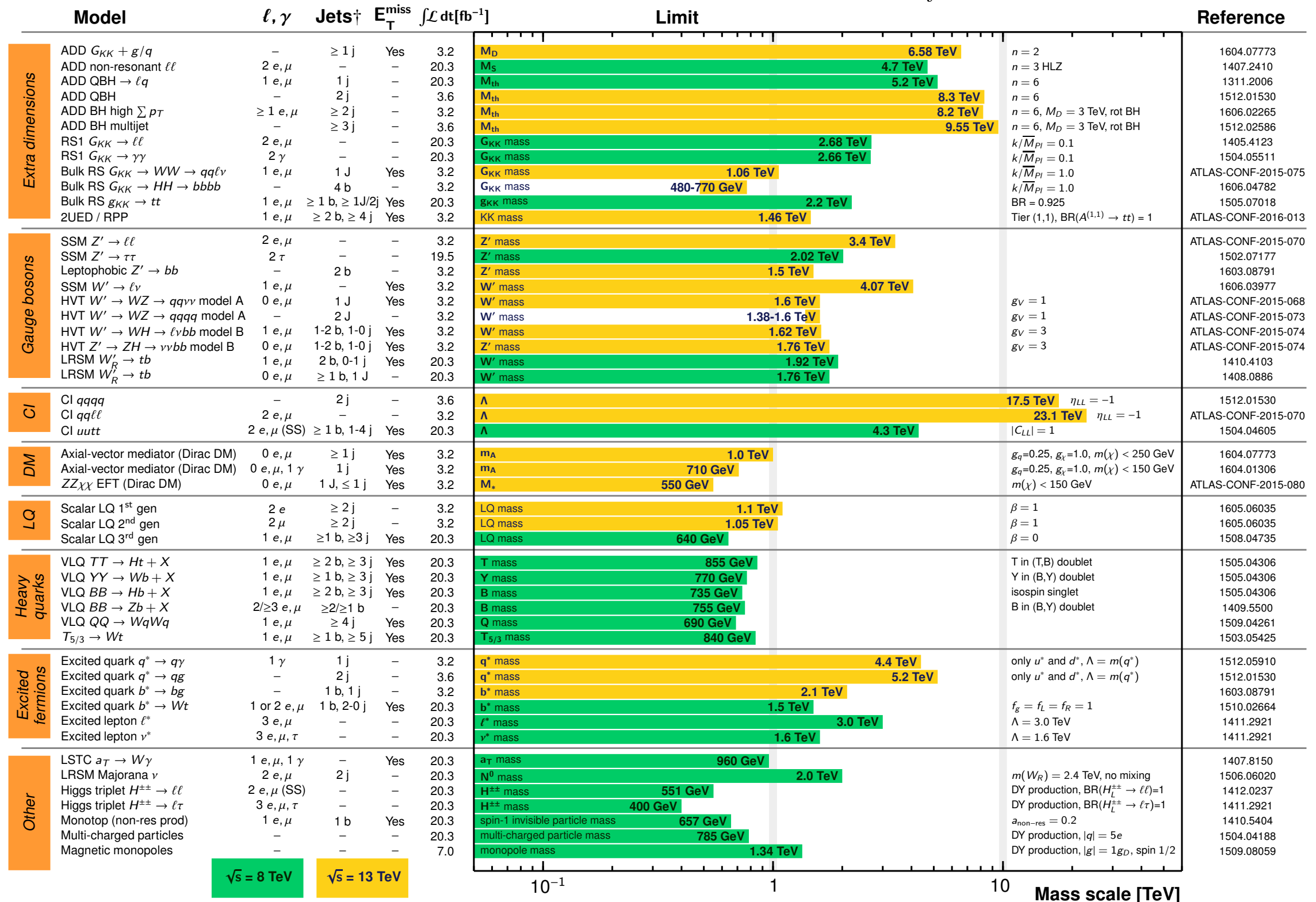
ATLAS Exotics Searches* - 95% CL Exclusion

Status: March 2016

ATLAS Preliminary

$$\int \mathcal{L} dt = (3.2 - 20.3) \text{ fb}^{-1}$$

$$\sqrt{s} = 8, 13 \text{ TeV}$$

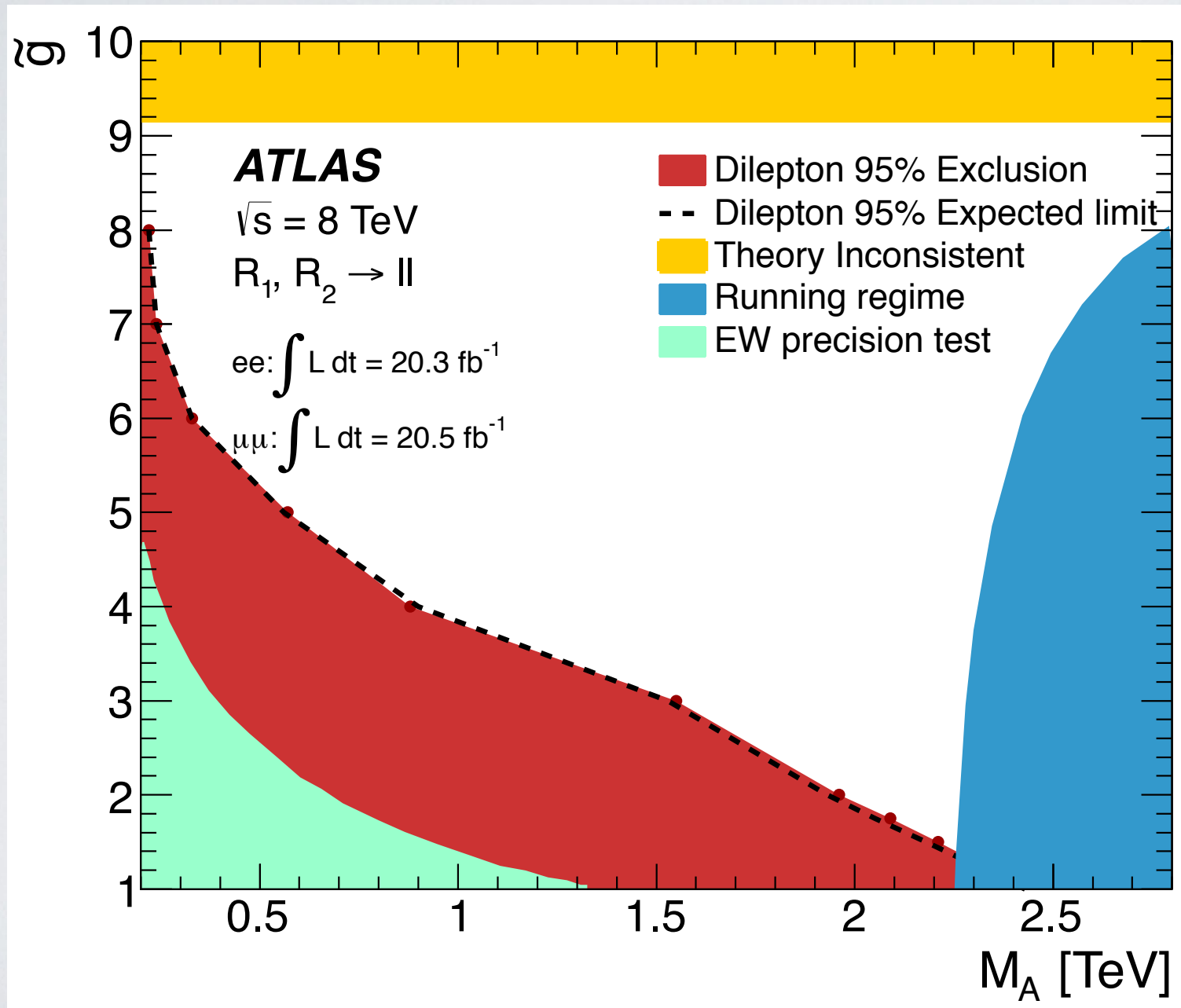


*Only a selection of the available mass limits on new states or phenomena is shown. Lower bounds are specified only when explicitly not excluded.

[†]Small-radius (large-radius) jets are denoted by the letter j (J).

The Standard Model Works

- Minimal Walking Technicolor search at LHC

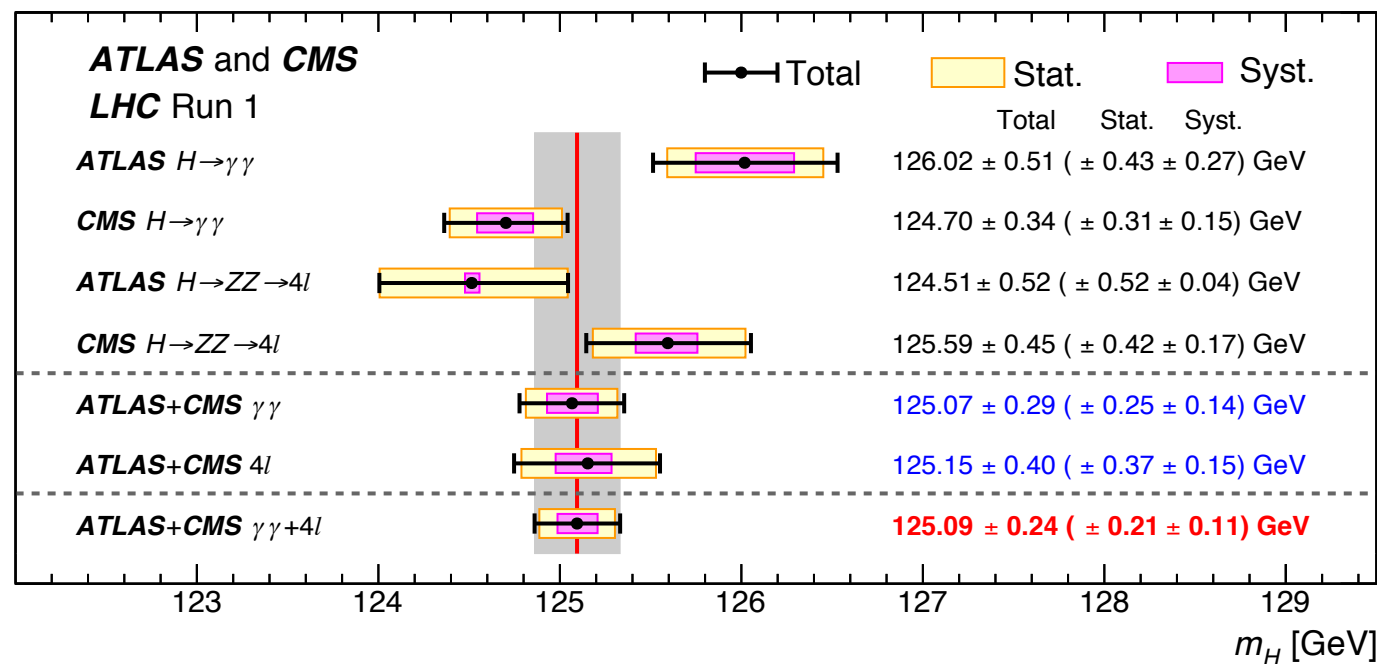


Effective model for the analysis described in:
Eur.Phys.J.Plus 126 (2011) 81

PRD 90, 052005 (2014)

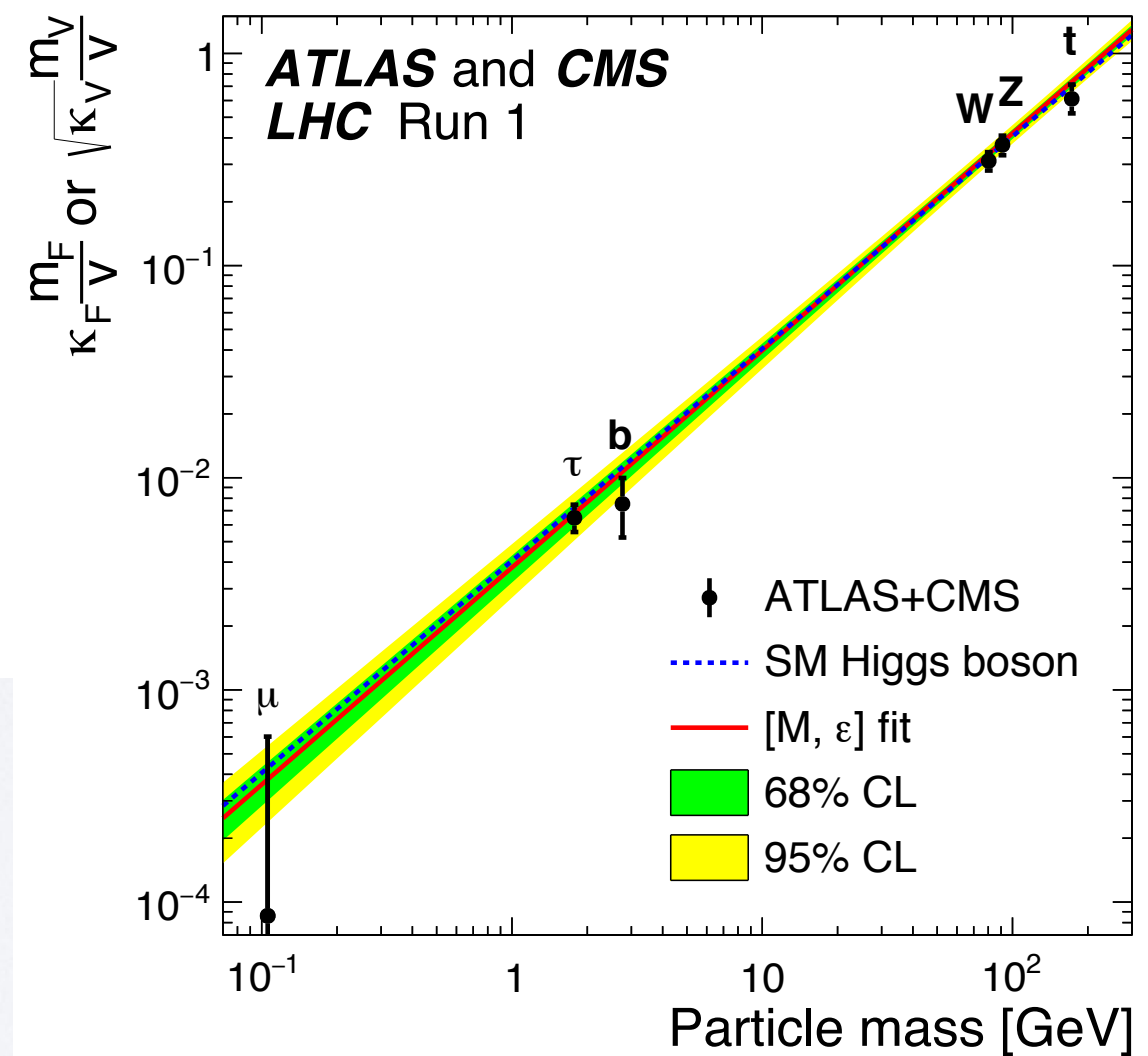
Claudio Pica

The Standard Model Works



Phys. Rev. Lett. 114, 191803

$$m_H = 125.09 \pm 0.24 \text{ GeV}$$

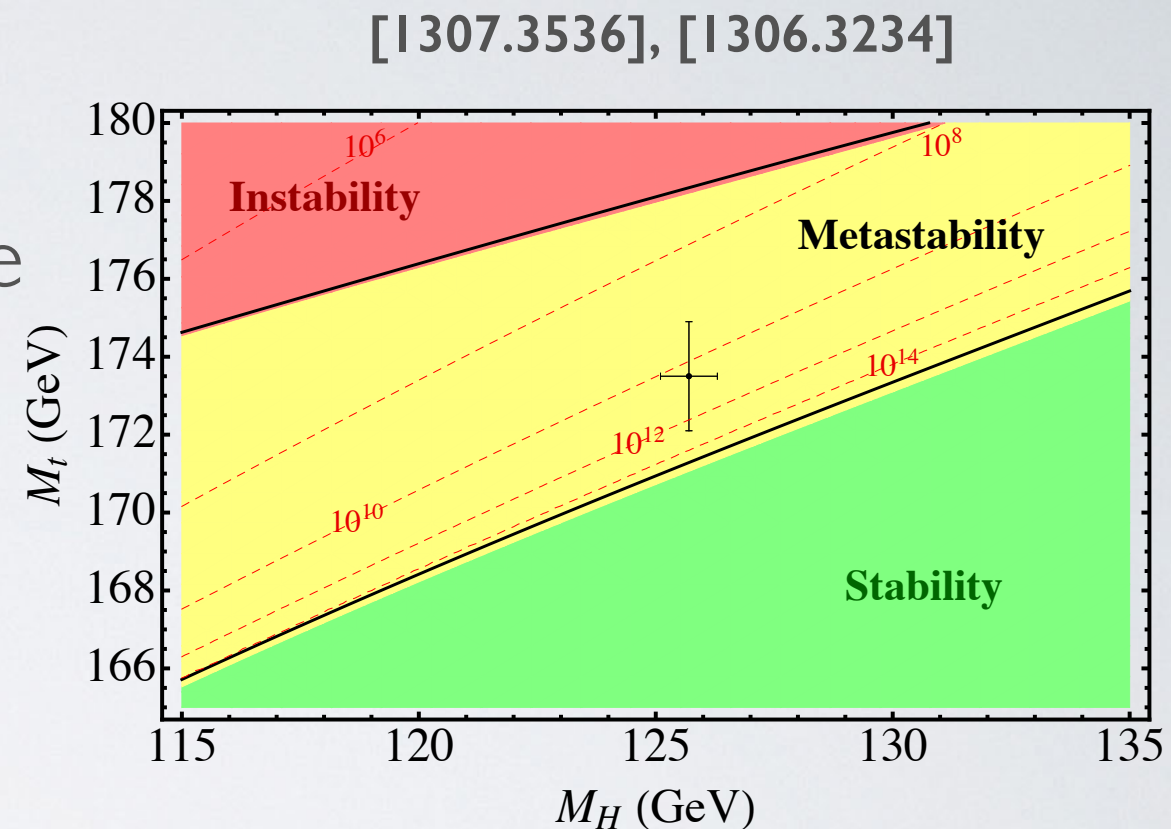


arXiv:1606.02266

Flaws of the SM

Theoretical

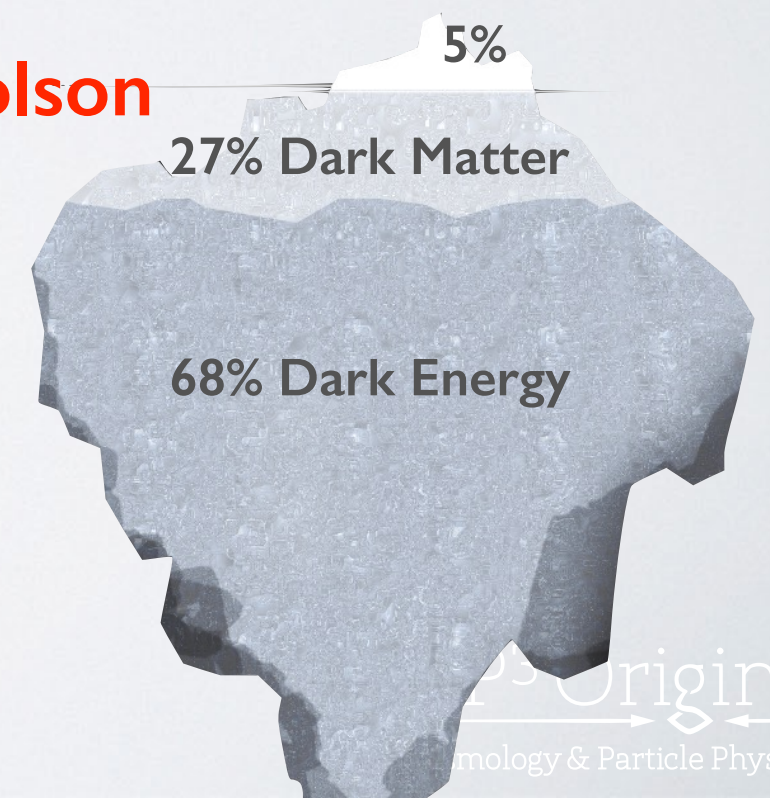
- Effective description / not UV complete
- EW scale stability / naturalness
- Flavour problem / undetermined fermion masses & mixing angles
- EW vacuum meta-stability...



Unexplained phenomena

- Neutrino masses and their origin/nature
- Dark matter / dark energy **Plenary Talk Rinaldi**
- Matter-antimatter asymmetry
- gravity...

Plenary Talk Nicholson



Flaws of the SM

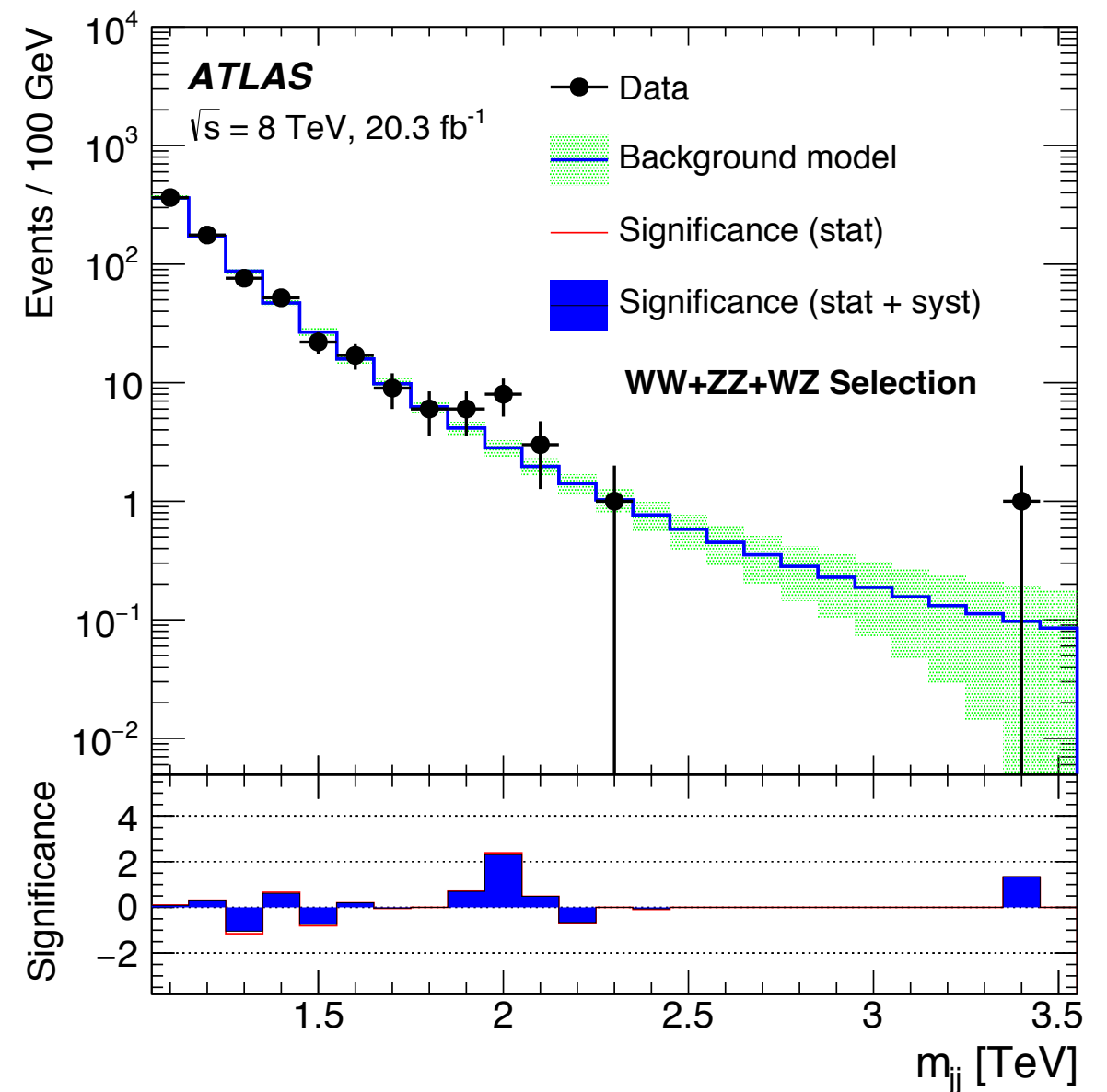
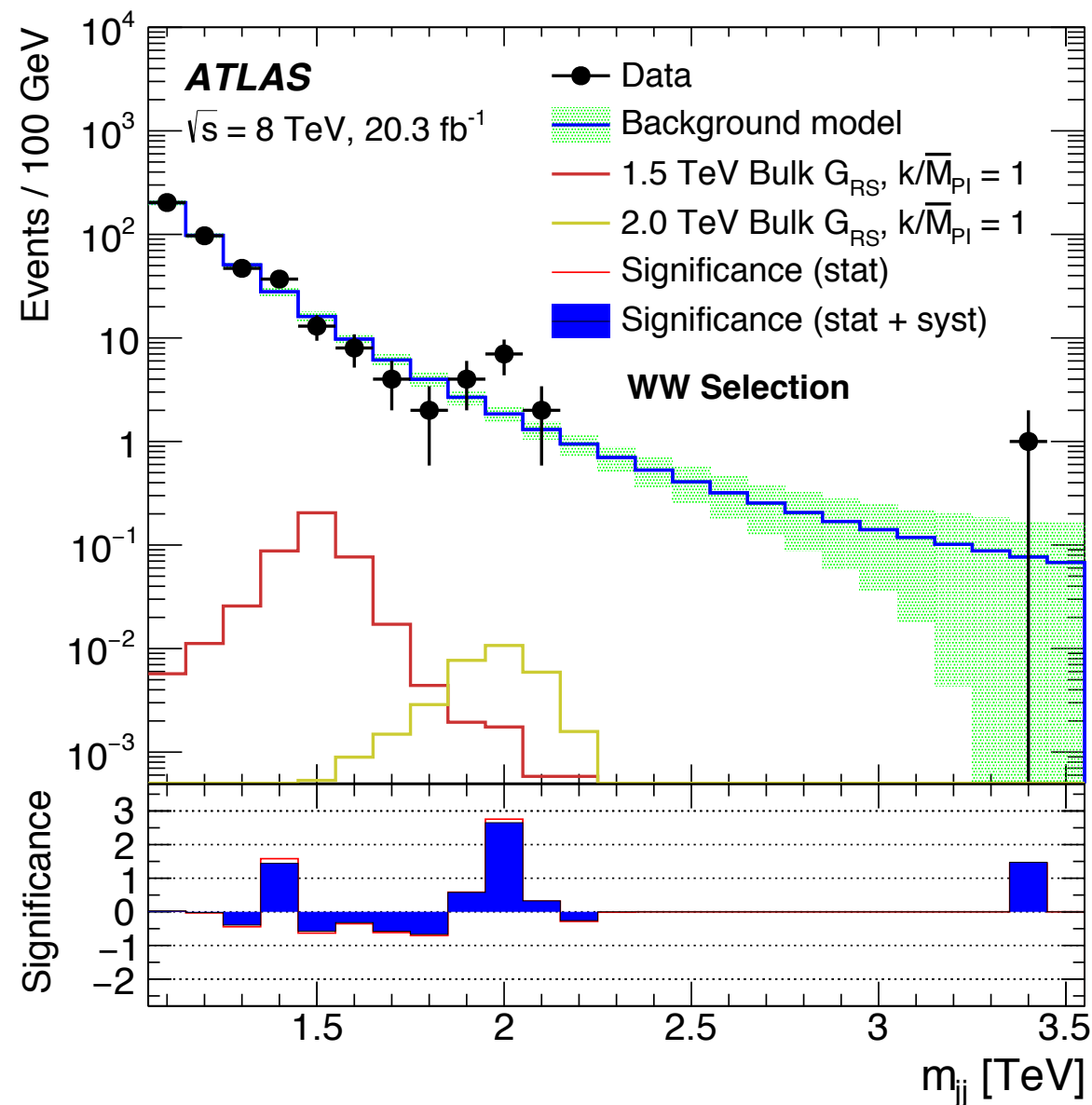
Experimental tensions

- $g-2$ **Plenary Talk Wittig**
- proton radius puzzle
- some few sigma deviations in heavy flavour / lepton systems
- some “*bumps*”...

Tantalising hints of new physics?

- heavy vectors ?

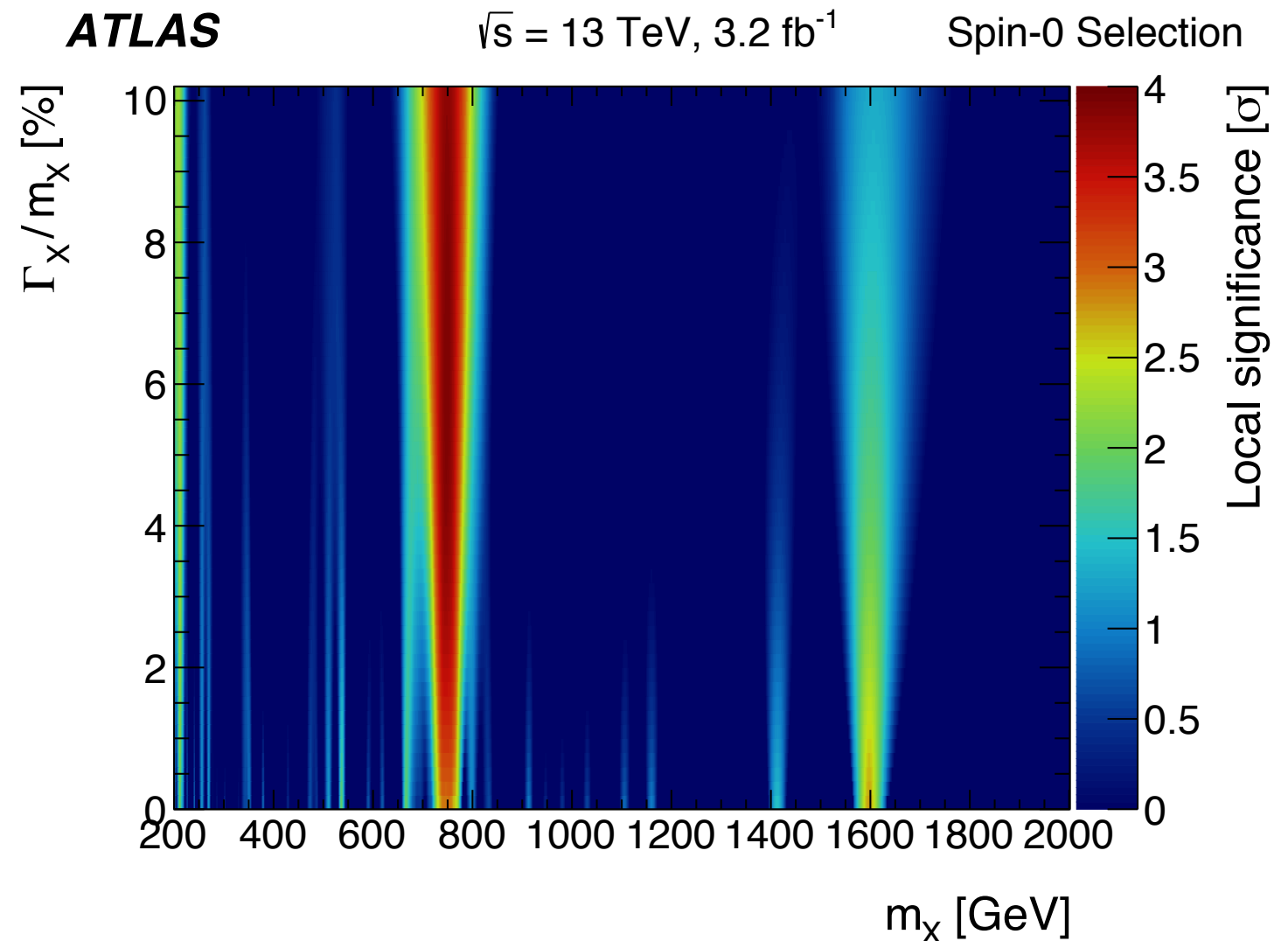
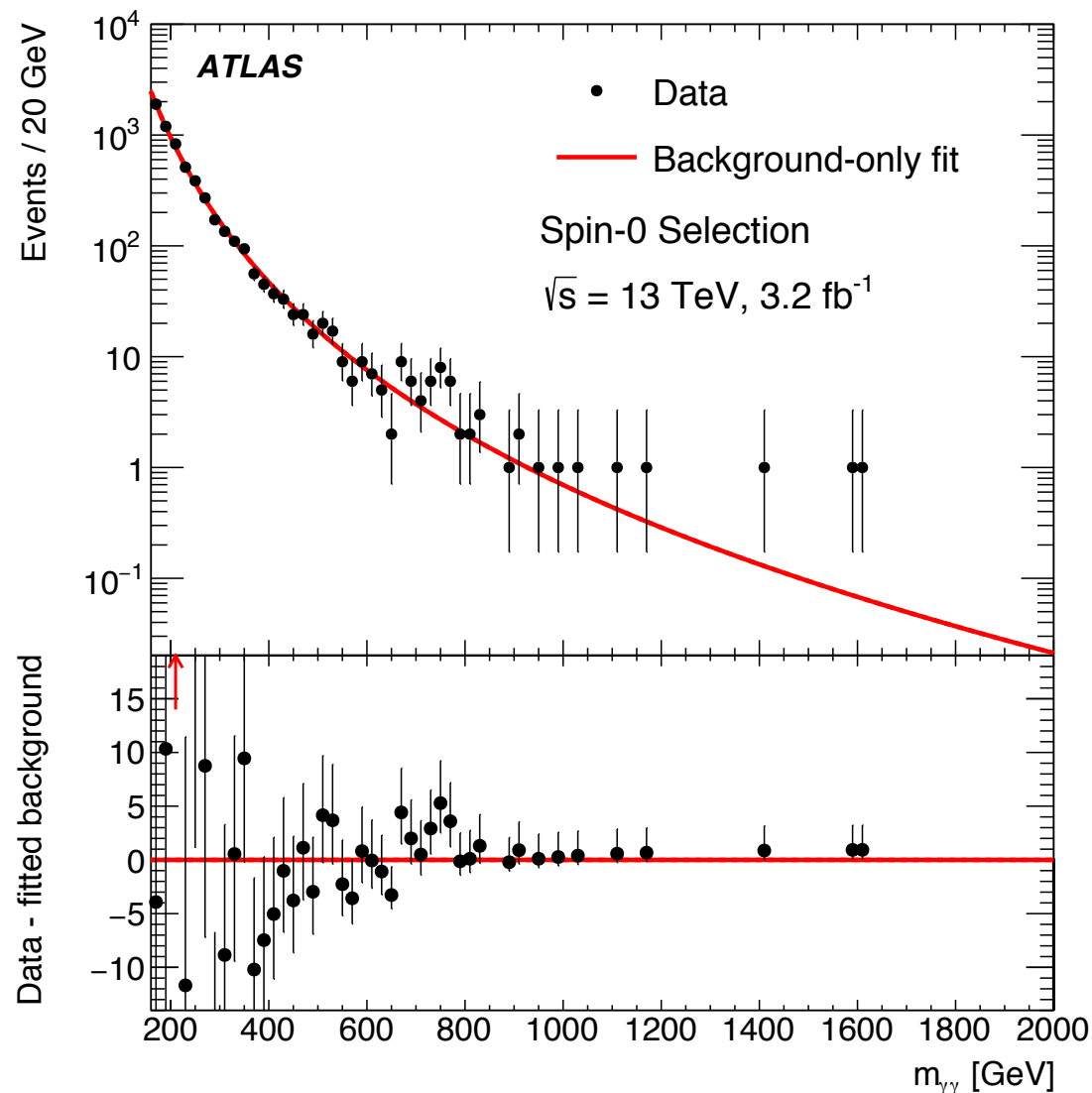
arXiv:1506.00962



Tantalising hints of new physics?

- new scalars?

arXiv:1606.03833



Few sigmas excesses come and go...
stay tuned for updates soon

Lattice and BSM physics

- Most models for BSM traditionally based on weakly-coupled/calculable extensions. Experimental bounds are now constraining many models to tight corners of parameter space
- Strongly coupled model requiring non-perturbative dynamics are becoming more popular. In particular for the Lattice:
Walking Technicolor and **pNGB Composite Higgs**
- Phenomenology needs non-perturbative input for strongly coupled models: quantum symmetries, spectrum, low energy constants, ...

Lattice can provide input for BSM physics/searches!

Anatomy of Composite Higgs

$$\mathcal{L}_{SM-Higgs}$$

$$G_{SM} = SU(3) \times SU(2) \times U(1)$$



Anatomy of Composite Higgs

$$\mathcal{L}_{SM-Higgs} \quad \boxed{+ \mathcal{L}_{SD}}$$

$$\mathcal{L}_{SD} = -\frac{1}{4}F_{\mu\nu}^2 + i\bar{\psi}\not{D}\psi$$

Gauge group: $G_{TC} = SU(N), SP(N), SO(N), \dots$

Nf fermions ψ

- “Higgs Impostor”: Scalar composite state
- W/Z mass generation
- new resonance spectrum (dark matter?)
- ...

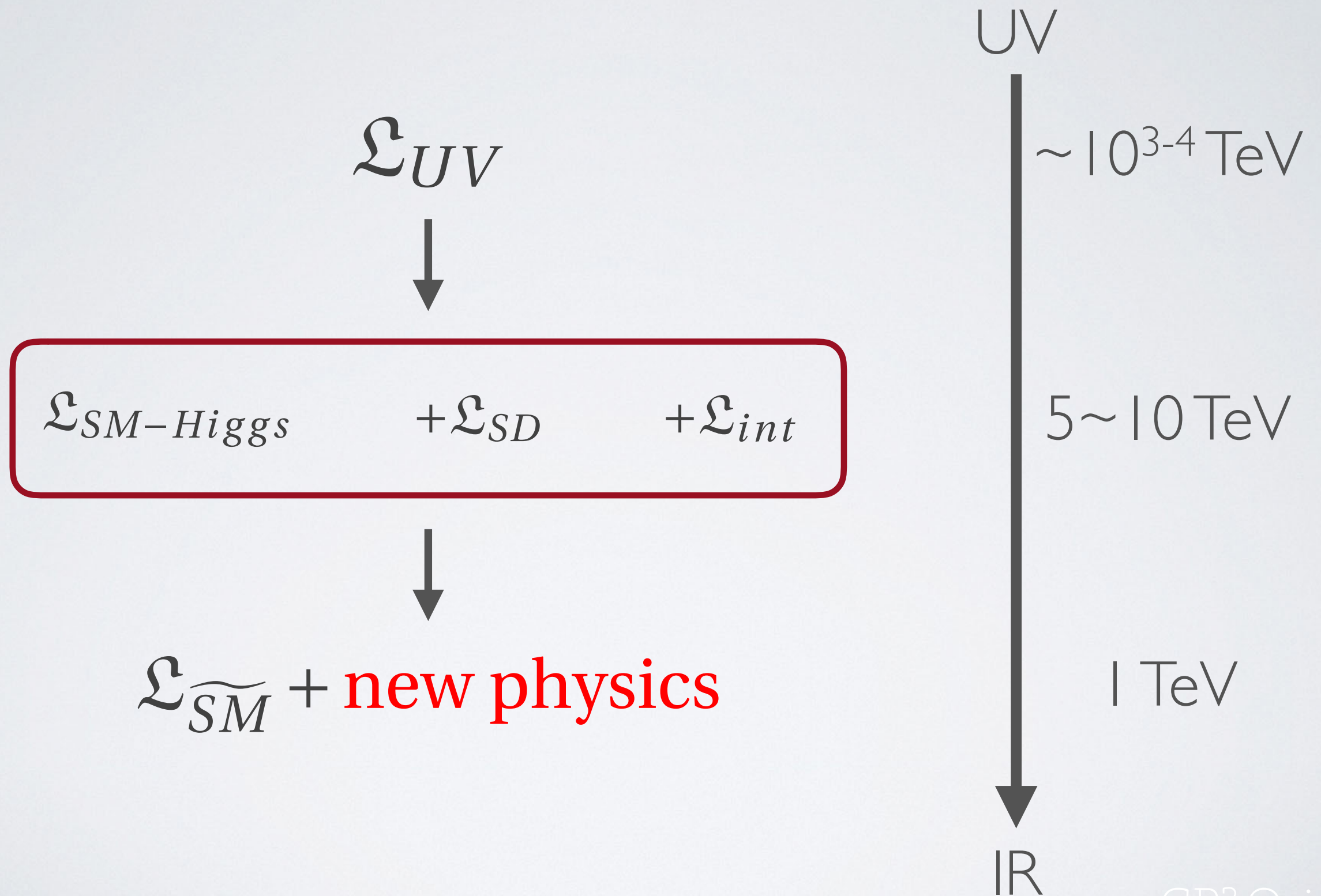
Anatomy of Composite Higgs

$$\mathcal{L}_{SM-Higgs} + \mathcal{L}_{SD} + \mathcal{L}_{int}$$

$\mathcal{L}_{int}$ contains:

- (effective) interactions to generate SM fermion masses, such as: $\frac{1}{\Lambda_{UV}^2} \bar{q} q O_B$, $\frac{1}{\Lambda_{UV}^2} q O_F$
among SM fermions q and operators O from SD
- other possible dim=6 or higher operators: $\frac{1}{\Lambda_{UV}^2} \bar{q} q \bar{q} q$
 $\Rightarrow$ FCNC

Anatomy of Composite Higgs



Anatomy of Composite Higgs

$$+\mathcal{L}_{SD}$$

UV

$\sim 10^{3-4}$ TeV

On the Lattice we only study the SD in **isolation**

Realistic phenomenology requires taking into account back-reactions from SM and other interactions.

1. Identify quantities which only depend on the new SD
2. Compute (small?) corrections from other sectors

Ruling in or out a realistic model always requires to consider the full setting!

IR

Composite Higgs from SD?

- If EWSB is due to a new of strongly-interacting sector with fermions, one would expect, in general, composite scalar particles
- To not be excluded by experiments, this scalar states should mimic a SM-like Higgs boson: **correct mass** and **couplings**
- This could happen if the composite scalar is a light pseudo-Goldstone boson of some broken symmetry:

1
scale invariance symmetry
(dilaton)

Walking Technicolor

2
Flavour symmetry
(pNGB)

pNGB Higgs

I. Walking Technicolor

B. Holdom, Phys. Rev. D 24, 1441 (1981); Phys. Lett. B 150, 301 (1985)

K. Yamawaki, M. Bando and K. I. Matumoto, Phys. Rev. Lett. 56, 1335 (1986)

T. Akiba and T. Yanagida, Phys. Lett. B 169, 432 (1986)

T. W. Appelquist, D. Karabali and L. C. R. Wijewardhana, Phys. Rev. Lett. 57, 957 (1986)

T. Appelquist and L. C. R. Wijewardhana, Phys. Rev. D 35, 774 (1987); Phys. Rev. D 36, 568 (1987).

Technicolor

TCfermion condensate breaks EW

Higgs is the lightest scalar excitation of the condensate

Plus

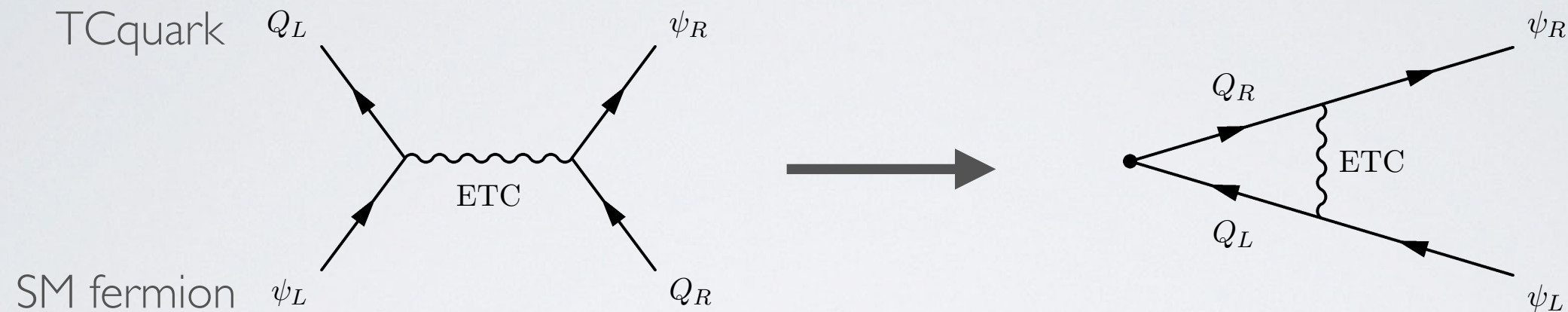
- Natural
- UV complete theories available to explore

Minus

- Fermion masses vs FCNC
- Electroweak precision data
- Light Higgs
- Higgs couplings

SM Fermion Masses

- Extended TC interactions are needed.



- $\mathcal{L}_{int}$, below Λ_{ETC} :
$$\alpha_{ab} \frac{\bar{Q} T^a Q \bar{\psi} T^b \psi}{\Lambda_{ETC}^2} + \beta_{ab} \frac{\bar{Q} T^a Q \bar{Q} T^b Q}{\Lambda_{ETC}^2} + \gamma_{ab} \frac{\bar{\psi} T^a \psi \bar{\psi} T^b \psi}{\Lambda_{ETC}^2}$$

SM Fermion Masses

$$\alpha_{ab} \frac{\bar{Q} T^a Q \bar{\psi} T^b \psi}{\Lambda_{ETC}^2} + \beta_{ab} \frac{\bar{Q} T^a Q \bar{Q} T^b Q}{\Lambda_{ETC}^2} + \gamma_{ab} \frac{\bar{\psi} T^a \psi \bar{\psi} T^b \psi}{\Lambda_{ETC}^2}$$

Bound (GeV ⁻²)	Λ_{ETC} (10 ³ TeV)
$-9.6 < \Re(C_K^1) \times 10^{13} < 9.6$	1.0
$ C_D^1 < 7.2 \times 10^{-13}$	1.5
$ C_{B_d}^1 < 2.3 \times 10^{-11}$	0.21
$ C_{B_s}^1 < 1.1 \times 10^{-9}$	0.03
$-4.4 < \Im(C_K^1) \times 10^{15} < 2.8$	10

FCNC

$$\Leftrightarrow C_i^1 \sim \frac{1}{\Lambda_{ETC}^2} \begin{aligned} &C_K^1 (\bar{s}_L \gamma^\mu d_L) (\bar{s}_L \gamma_\mu d_L) \\ &C_D^1 (\bar{c}_L \gamma^\mu u_L) (\bar{c}_L \gamma_\mu u_L) \\ &C_{B_d}^1 (\bar{b}_L \gamma^\mu d_L) (\bar{b}_L \gamma_\mu d_L) \\ &C_{B_s}^1 (\bar{b}_L \gamma^\mu s_L) (\bar{b}_L \gamma_\mu s_L) \end{aligned}$$

Limits from UTfit coll.

See [1005.5727], [1104.1255]

SM Fermion Masses

$$\alpha_{ab} \frac{\bar{Q} T^a Q \bar{\psi} T^b \psi}{\Lambda_{ETC}^2} + \beta_{ab} \frac{\bar{Q} T^a Q \bar{Q} T^b Q}{\Lambda_{ETC}^2} + \gamma_{ab} \frac{\bar{\psi} T^a \psi \bar{\psi} T^b \psi}{\Lambda_{ETC}^2}$$

SM fermion mass

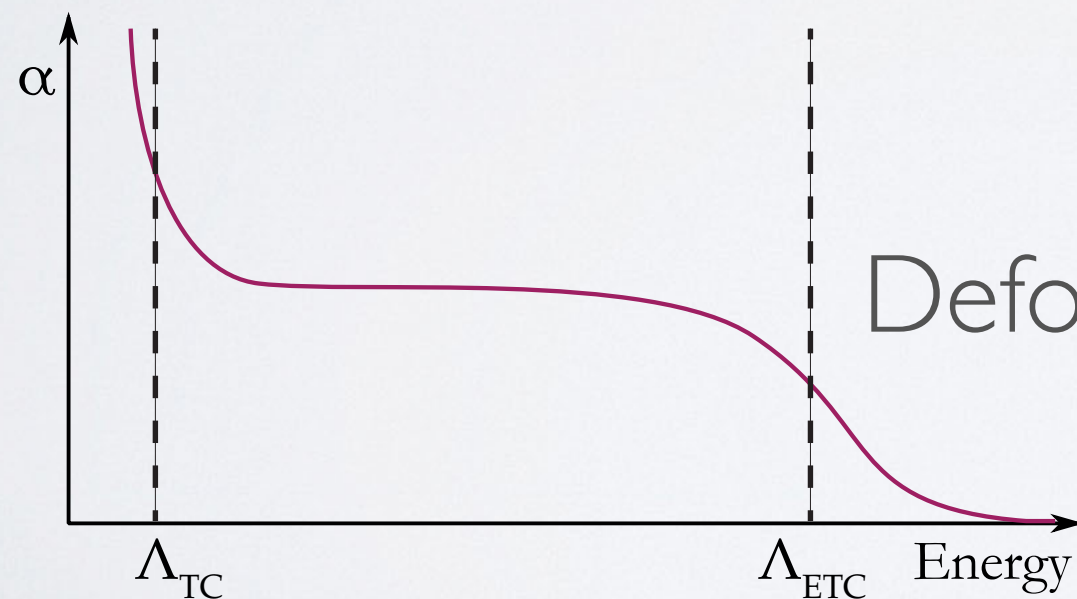
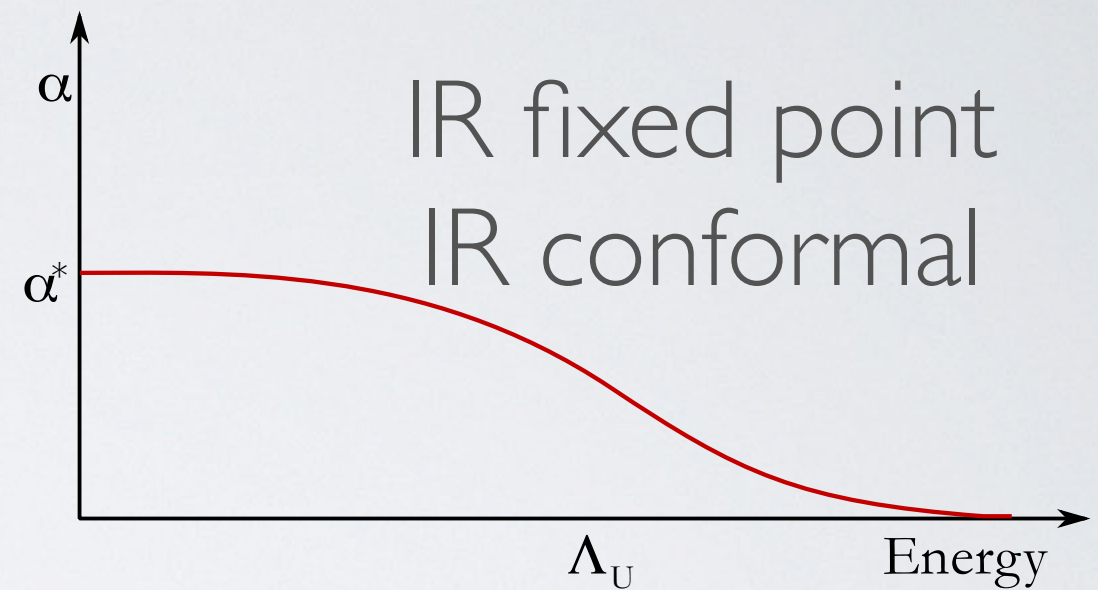
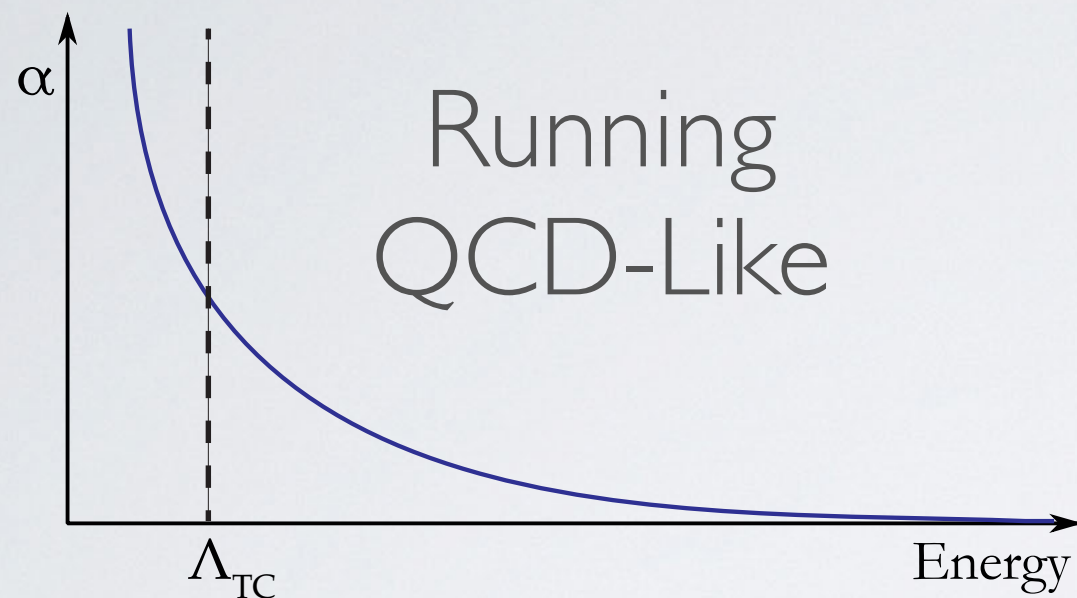
$$m \sim \frac{\langle \bar{Q} Q \rangle_{ETC}}{\Lambda_{ETC}^2} \quad \langle \bar{Q} Q \rangle_{ETC} = \langle \bar{Q} Q \rangle_{TC} \exp \left[\int_{\Lambda_{TC}}^{\Lambda_{ETC}} \frac{d\mu}{\mu} \gamma(\alpha(\mu)) \right] \quad \langle \bar{Q} Q \rangle_{TC} \approx \Lambda_{TC}^3$$

In QCD-like dynamics: $\alpha(\mu) \sim \frac{1}{\ln \mu} \quad \gamma \propto \alpha \quad \Rightarrow \quad \langle \bar{Q} Q \rangle_{ETC} \simeq \langle \bar{Q} Q \rangle_{TC} \left(\ln \frac{\Lambda_{ETC}}{\Lambda_{TC}} \right)^k$

$$\Rightarrow m \sim \Lambda_{TC} \left(\frac{\Lambda_{TC}}{\Lambda_{ETC}} \right)^2 \sim 1 \text{ MeV}$$

Need enhancement mechanism

Walking Technicolor



Walking
Deformed/“Near” IR conformal

SM Fermion Masses - Walking

$$\alpha_{ab} \frac{\bar{Q} T^a Q \bar{\psi} T^b \psi}{\Lambda_{ETC}^2} + \beta_{ab} \frac{\bar{Q} T^a Q \bar{Q} T^b Q}{\Lambda_{ETC}^2} + \gamma_{ab} \frac{\bar{\psi} T^a \psi \bar{\psi} T^b \psi}{\Lambda_{ETC}^2}$$

SM fermion mass

$$m \sim \frac{\langle \bar{Q} Q \rangle_{ETC}}{\Lambda_{ETC}^2} \quad \langle \bar{Q} Q \rangle_{ETC} = \langle \bar{Q} Q \rangle_{TC} \exp \left[\int_{\Lambda_{TC}}^{\Lambda_{ETC}} \frac{d\mu}{\mu} \gamma(\alpha(\mu)) \right] \quad \langle \bar{Q} Q \rangle_{TC} \approx \Lambda_{TC}^3$$

$$\text{Extreme Walking: } \alpha(\mu) \simeq \alpha^* \quad \gamma \simeq \gamma^* \quad \Rightarrow \quad \langle \bar{Q} Q \rangle_{ETC} \simeq \langle \bar{Q} Q \rangle_{TC} \left(\frac{\Lambda_{ETC}}{\Lambda_{TC}} \right)^{\gamma^*}$$

$$\Rightarrow m \sim \Lambda_{TC} \left(\frac{\Lambda_{TC}}{\Lambda_{ETC}} \right)^{2-\gamma^*} \sim 1 \text{ GeV} \quad \text{Need large } \gamma^* \sim 1$$

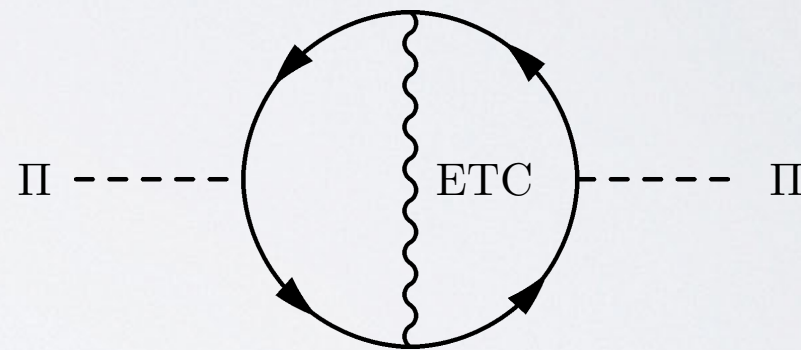
4-Fermion interactions

$$\alpha_{ab} \frac{\bar{Q} T^a Q \bar{\psi} T^b \psi}{\Lambda_{ETC}^2} + \beta_{ab} \frac{\bar{Q} T^a Q \bar{Q} T^b Q}{\Lambda_{ETC}^2} + \gamma_{ab} \frac{\bar{\psi} T^a \psi \bar{\psi} T^b \psi}{\Lambda_{ETC}^2}$$

4-F
interactions

Modify SD:

- Generate mass for TCpions

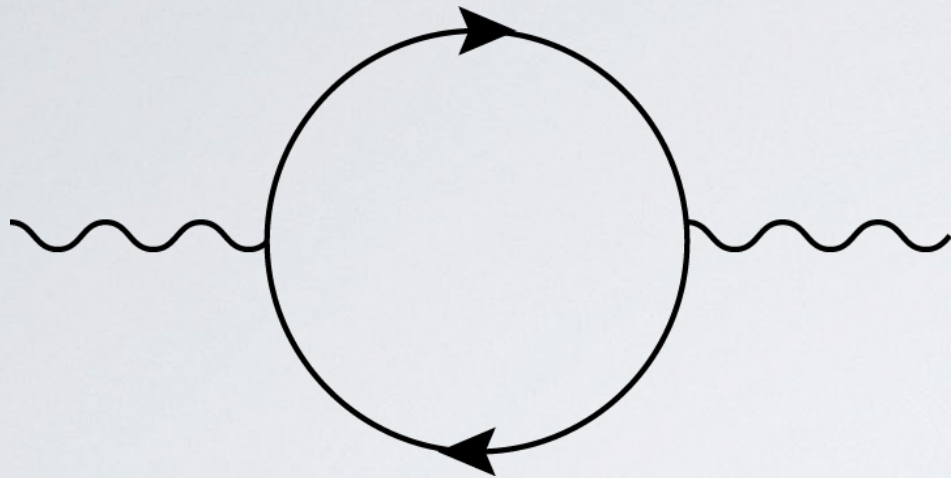


- If TC conformal:
 - ▶ change anomalous dimensions?
 - ▶ drive away from IR fixed point / generate Walking

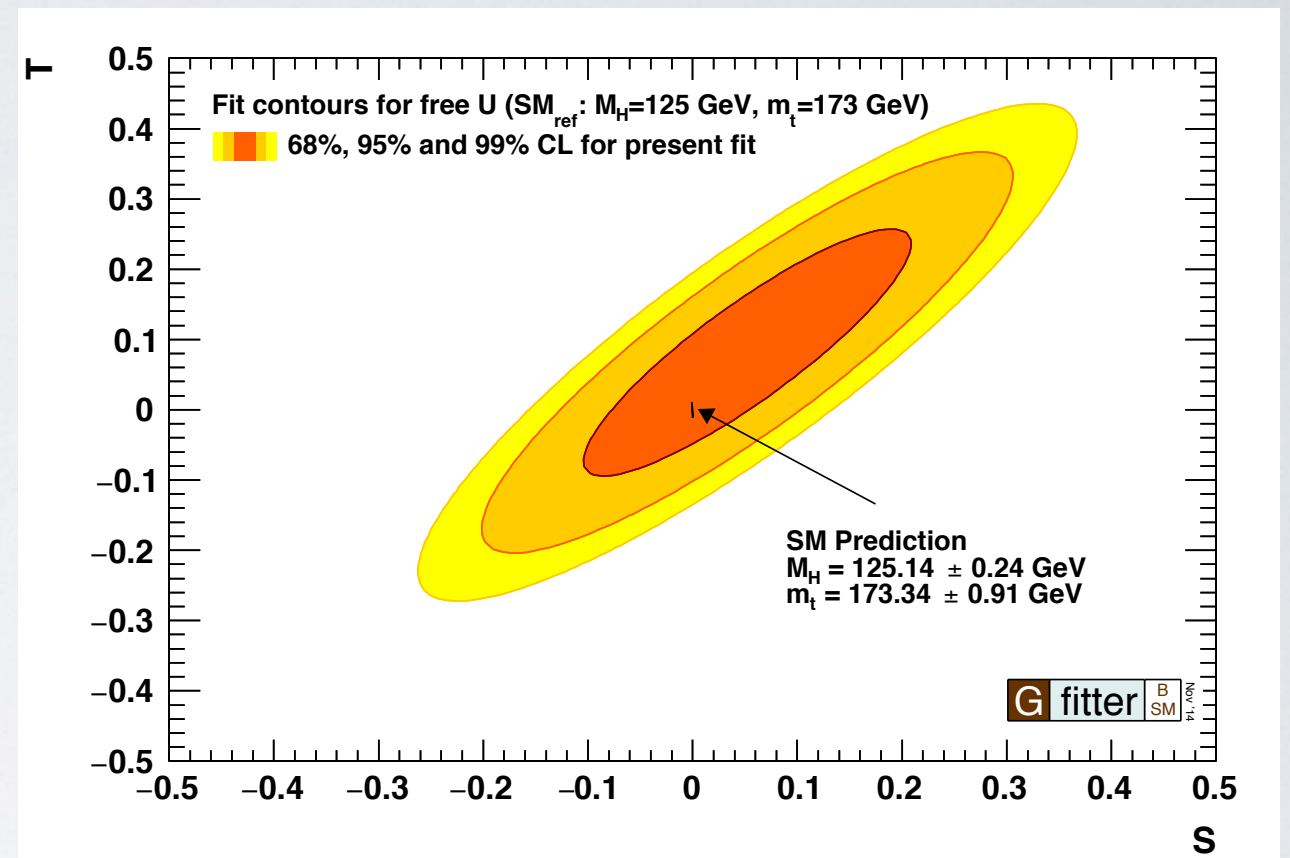
Talk Rantaharju Thu
see also: Talk Schmidt Wed

Fukano, Sannino, "Ideal Walking", arXiv:1005.3340

S-parameter



$$S_{\text{naive}} = N_D \frac{D_R}{6\pi}$$



Models with small number N_D of gauged fermions favored

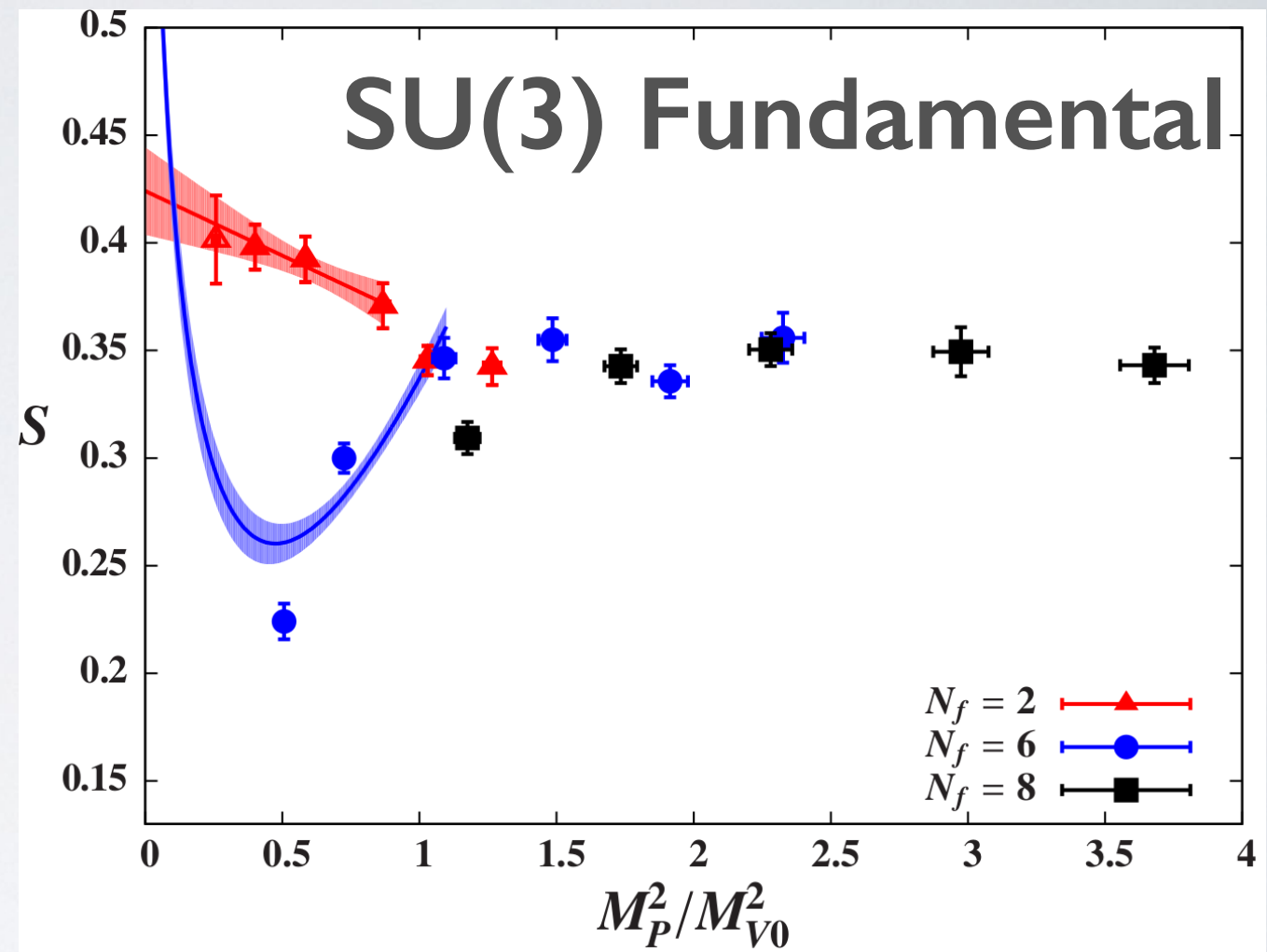
Some indications of reduced S-parameter near the conformal window

S-parameter

LSD collaboration,

Phys.Rev. D90 (2014) no.11, 114502

Phys.Rev.Lett. 106 (2011) 231601



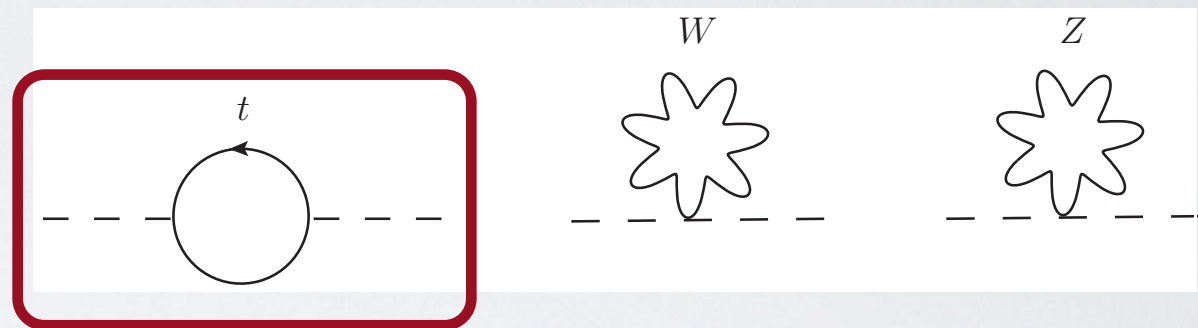
Difficult chiral extrapolation when approaching the CW

More investigations of this mechanism needed

Light TC Higgs

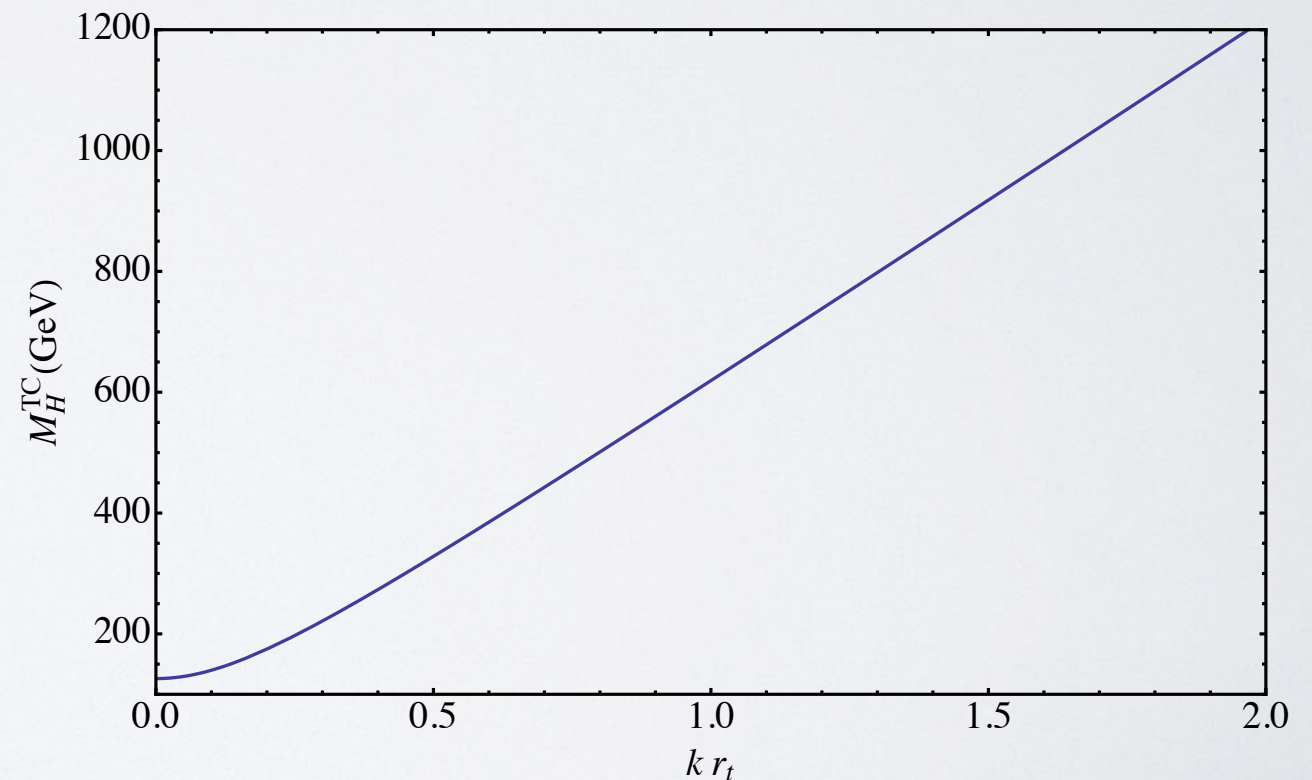
SM radiative corrections shift the TC Higgs mass

R. Foadi, M. Frandsen, F. Sannino,
Phys.Rev. D 87, 095001



$$(M_H^{\text{TC}})^2 \simeq M_H^2 + 12 \kappa^2 r_t^2 m_t^2$$

Narrow due to kinematics, similar to $f_0(980)$ in QCD



Dilaton Higgs

- Near the conformal window, as conformal invariance of the theory is approximatively restored, one can speculate the existence of an associated pNGB, **the dilaton**

Consider the theory: $\mathcal{L} = \sum_i g_i(\mu) \mathcal{O}_i(x)$, with $[\mathcal{O}_i] = d_i$

Introduce a “conformal compensator”: $\chi(x) \rightarrow e^\lambda \chi(e^\lambda x)$ (under scale tranf.)

The Lagrangian is scale invariant if we replace: $g_i(\mu) \rightarrow g_i\left(\mu \frac{\chi}{f}\right) \left(\frac{\chi}{f}\right)^{4-d_i}$

where $f = \langle \chi \rangle$ is the scale of conformal symmetry breaking.

Introducing $\bar{\chi}(x) = \chi(x) - f$ and expanding around $f = \langle \chi \rangle$, we have:

$$\mathcal{L}_\chi = \frac{1}{2} \partial_\mu \bar{\chi} \partial^\mu \bar{\chi} + \frac{\bar{\chi}}{f} T^\mu{}_\mu + \dots$$

See e.g. **Goldberger, Grinstein, Skiba [0708.1463]**

Dilaton Higgs

Replacing the SM Higgs with the dilaton in the same way:

$$\mathcal{L}_{\chi, SM} = \left(\frac{2\bar{\chi}}{f} + \frac{\bar{\chi}^2}{f^2} \right) \left[m_W^2 W_\mu^+ W^{-\mu} + \frac{1}{2} m_Z^2 Z_\mu Z^\mu \right] + \frac{\bar{\chi}}{f} \sum_\psi m_\psi \bar{\psi} \psi$$

(at tree level) which is identical in form to the couplings of the SM Higgs.

Couplings to gluons and the photon are induced in the same way as for the SM Higgs and are also similar if $f \sim v$ (EW vev).

For Walking TC $f \sim v$ is expected since the same TCquark condensate breaks EW and conformal invariance.

⇒ Similar couplings to the SM Higgs,
difficult to distinguish at the experiments! Bellazzini et al. [1209.3299]

See e.g. Goldberger, Grinstein, Skiba [0708.1463]

2. pNGB Higgs

D. B. Kaplan and H. Georgi, Phys. Lett. B 136, 183 (1984)

D. B. Kaplan, H. Georgi and S. Dimopoulos, Phys. Lett. B 136, 187 (1984)

T. Banks, Nucl. Phys. B 243, 125 (1984)

H. Georgi, D. B. Kaplan and P. Galison, Phys. Lett. B 143, 152 (1984).

H. Georgi and D. B. Kaplan, Phys. Lett. B 145, 216 (1984).

M. J. Dugan, H. Georgi and D. B. Kaplan, Nucl. Phys. B 254, 299 (1985)

Composite pNGB Higgs

Higgs is a pseudo Goldstone boson
EW symmetry broken via radiative corrections

Plus

- Higgs is light
- Gauge boson couplings

Minus

- Higgs mass
- EW vacuum alignment
- Fermion masses

pNGB Higgs

Consider a SD with global symmetry breaking pattern

$$G_F \rightarrow H_F \supseteq SU(2)_L \times SU(2)_R \times U(1)_X$$

which preserves custodial symmetry. To give the correct hypercharge to all SM fields we need a NGB with

$$\text{Higgs} = (2, 2)_0 \in G_F / H_F$$

For EW breaking the minimal cosets are:

4 $(\psi_\alpha, \tilde{\psi}_\alpha)$ Complex	$SU(4) \times SU(4)' / SU(4)_D$
4 ψ_α Pseudoreal	$SU(4) / Sp(4)$
5 ψ_α Real	$SU(5) / SO(5)$

SU(3) Nf=4 Fund Dirac

SU(2) Nf=2 Fund Dirac

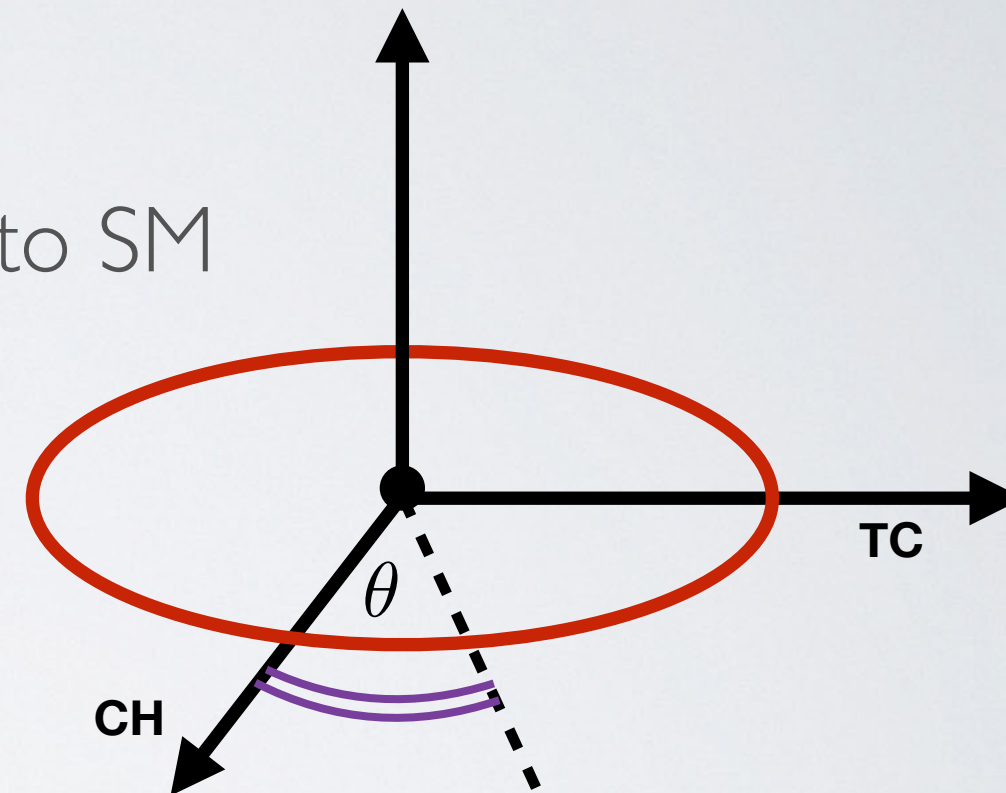
SU(4) Nf=2.5 2-A Dirac

pNGB Higgs

- Loop corrections of EW gauge bosons will generate a potential for the Higgs but will not break EW symmetry (Higgs remains massless)
- However in any realistic model, couplings to SM fermions will be present

$$\frac{1}{\Lambda_{UV}^2} \bar{q} q O_B \quad \frac{1}{\Lambda_{UV}^2} q O_F$$

ETC like Linear coupling



- in particular top quark corrections will offset the minimum and generically tend to align the vacuum in the EW symmetry breaking (TC) direction

pNGB Higgs couplings

- Another generic feature of pNGB Higgs models is that couplings to the EW gauge bosons and SM fermions mimic those of the SM Higgs for small θ

$$\frac{g_{WW h_1}}{g_{WW h}^{SM}} = 1 + C\theta + \mathcal{O}(\theta^2)$$

$$\frac{g_{tth_1}}{g_{tth}^{SM}} = 1 + D\theta + \mathcal{O}(\theta^2)$$

Partial Compositeness

Fermion masses are generated via linear couplings

$$\frac{1}{\Lambda_{UV}^2} q O_F \longrightarrow m_q \sim v \left(\frac{\Lambda}{\Lambda_{UV}} \right)^{2(\dim[O_F] - 5/2)}$$

If $\dim[O_F] \leq 2.5$ then large SM fermion masses can be generated.

E.g. if O_F is a baryon, then we should have $\gamma_B \geq 2$ (unitarity bound 3)

See also Pica, Sannino [1604.02572]

Other possibilities exist: e.g. if the new strong sector feature elementary

TCcoloured scalars then O_F can be a composite ΨS which have engineering dimension 5/2, so that no anomalous dimension is needed.

Realistic models which can generate all SM masses exist.

See Sannino, Strumia, Tesi, Vigiani [1607.01659]

Partial Compositeness Models

- $SU(3)$ with $N_f > 6$ Fund Dirac fermions [Vecchi I506.00623]
- For SD models with only fermions and 2 representations [Ferretti I604.06467]

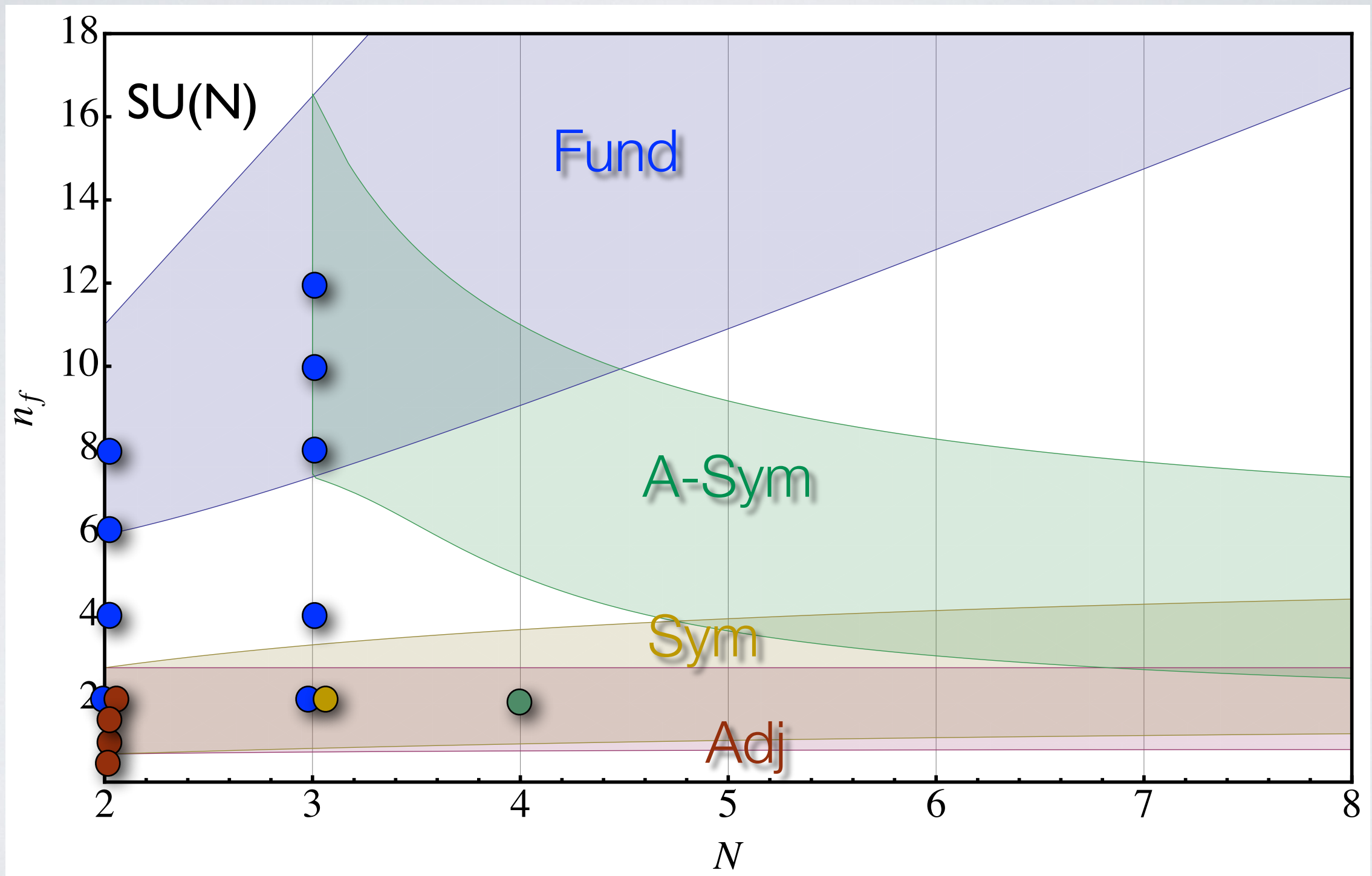
G_{HC}	ψ	χ	G/H
$SO(7, 9)$	$5 \times \mathbf{F}$	$6 \times \mathbf{Spin}$	$\frac{SU(5)}{SO(5)} \frac{SU(6)}{SO(6)} U(1)$
$SO(7, 9)$	$5 \times \mathbf{Spin}$	$6 \times \mathbf{F}$	
$Sp(4)$	$5 \times \mathbf{A}_2$	$6 \times \mathbf{F}$	$\frac{SU(5)}{SO(5)} \frac{SU(6)}{Sp(6)} U(1)$
$SU(4)$	$5 \times \mathbf{A}_2$	$3 \times (\mathbf{F}, \bar{\mathbf{F}})$	$\frac{SU(5)}{SO(5)} \frac{SU(3) \times SU(3)'}{SU(3)_D} U(1)$
$SO(10)$	$5 \times \mathbf{F}$	$3 \times (\mathbf{Spin}, \bar{\mathbf{Spin}})$	
$Sp(4)$	$4 \times \mathbf{F}$	$6 \times \mathbf{A}_2$	$\frac{SU(4)}{Sp(4)} \frac{SU(6)}{SO(6)} U(1)$
$SO(11)$	$4 \times \mathbf{Spin}$	$6 \times \mathbf{F}$	
$SO(10)$	$4 \times (\mathbf{Spin}, \bar{\mathbf{Spin}})$	$6 \times \mathbf{F}$	$\frac{SU(4) \times SU(4)'}{SU(4)_D} \frac{SU(6)}{SO(6)} U(1)$
$SU(4)$	$4 \times (\mathbf{F}, \bar{\mathbf{F}})$	$6 \times \mathbf{A}_2$	
$SU(5, 6)$	$4 \times (\mathbf{F}, \bar{\mathbf{F}})$	$3 \times (\mathbf{A}_2, \bar{\mathbf{A}}_2)$	$\frac{SU(4) \times SU(4)'}{SU(4)_D} \frac{SU(3) \times SU(3)'}{SU(3)_D} U(1)$

See also talk by Del Debbio [Thu]

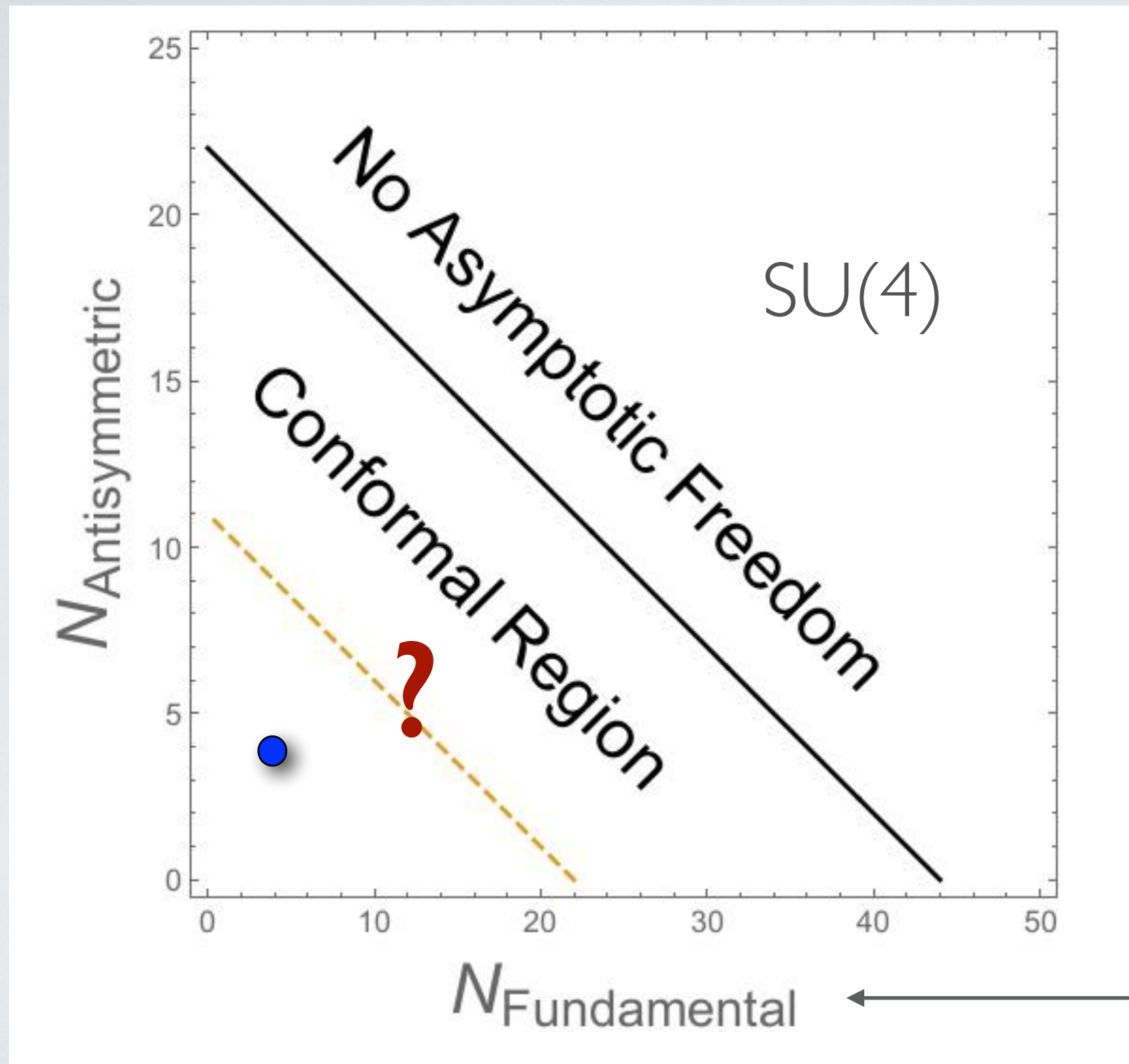
Impact of Lattice

- Location of the boundary of the Conformal Window
- Can we exhibit an IR conformal model with $\gamma^* \sim 1$?
 - ▶ or one with large anomalous dimensions for baryons ~ 2 ?
- Find SD models with light scalars / “Higgs impostors”
 - ▶ how the spectrum of SD changes when approaching the CW?
 - ▶ is the light scalar a dilaton?
- Couplings of the composite Higgs
- Spectrum, S-parameter, other LEC of viable models

SU(N) phase diagram @ Lattice 2016



Multiple Representations @ Lattice 2016



Weyl fermions

For an estimate of the conformal window, see also:

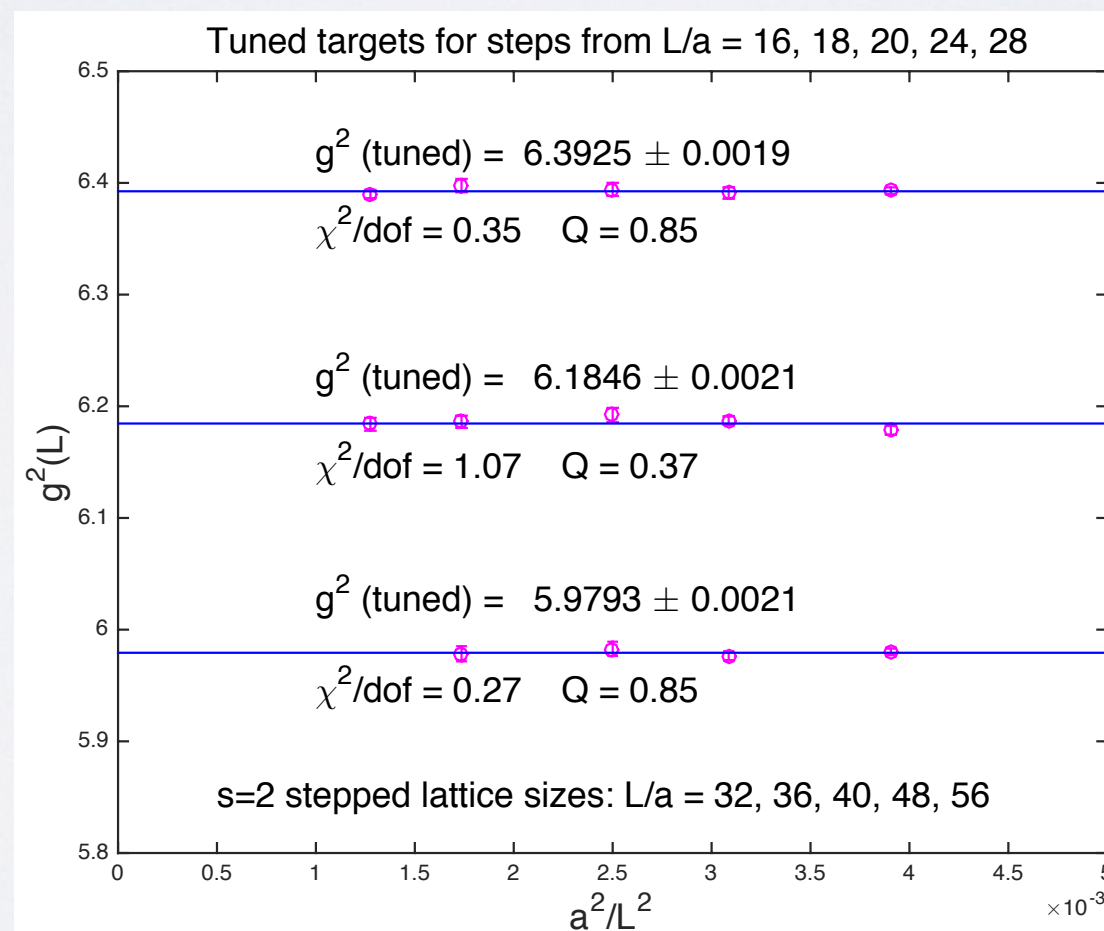
Ryttov, Sannino, Int.J.Mod.Phys. A25 (2010) 4603-4621 [0906.0307]

Conformal Window / Large γ^*

new results at Lattice 2016

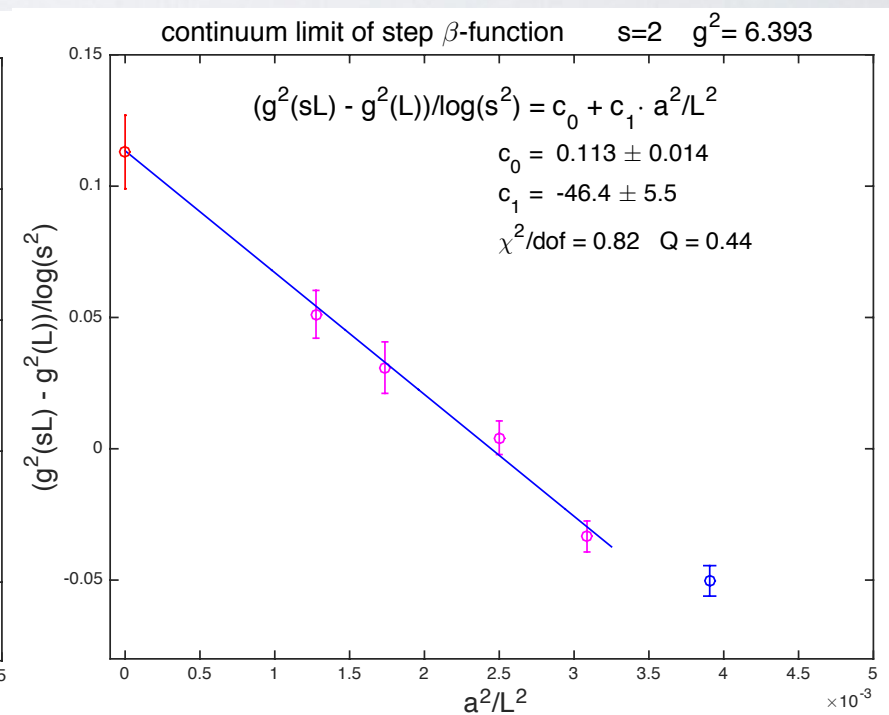
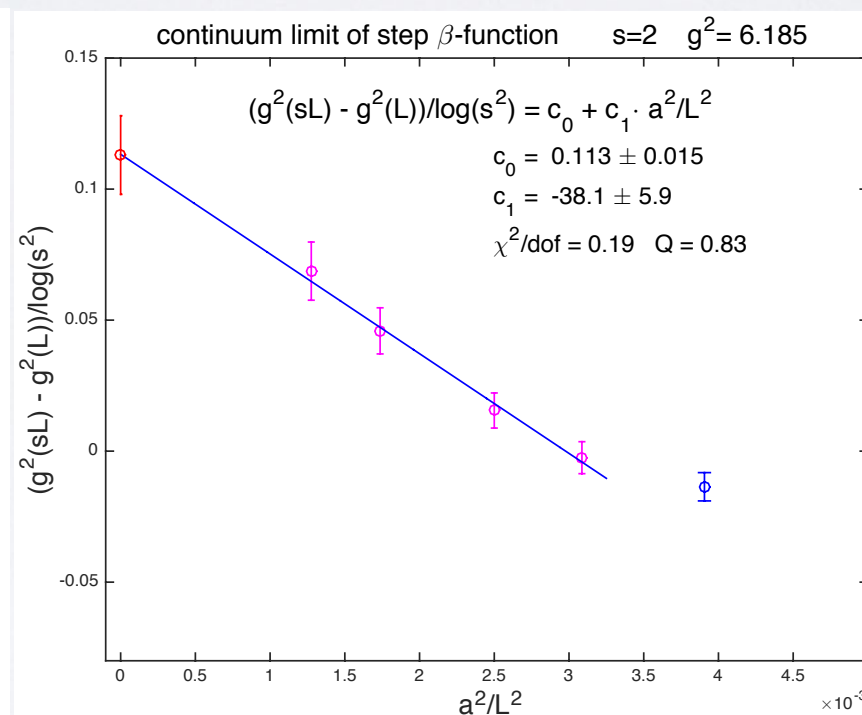
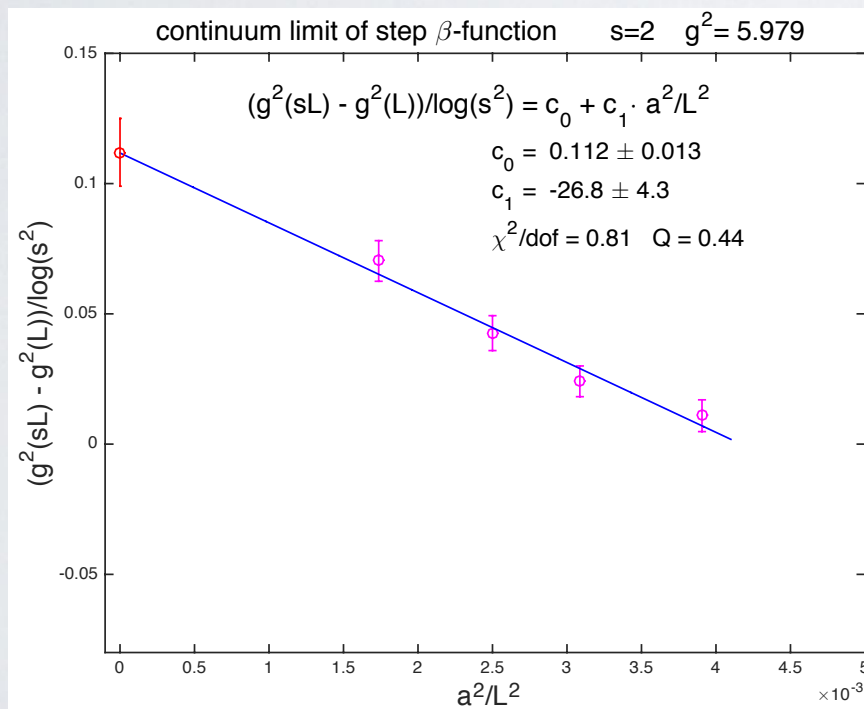
SU(3) $N_f=12$

- Long history of previous studies
(see review talks at past Lattice conferences) **Talk by Nogradi [Tue]**
- New high precision study of GF coupling with controlled systematics
- Use of significantly larger volumes respect to previous state-of-the-art.



SU(3) $N_f=12$

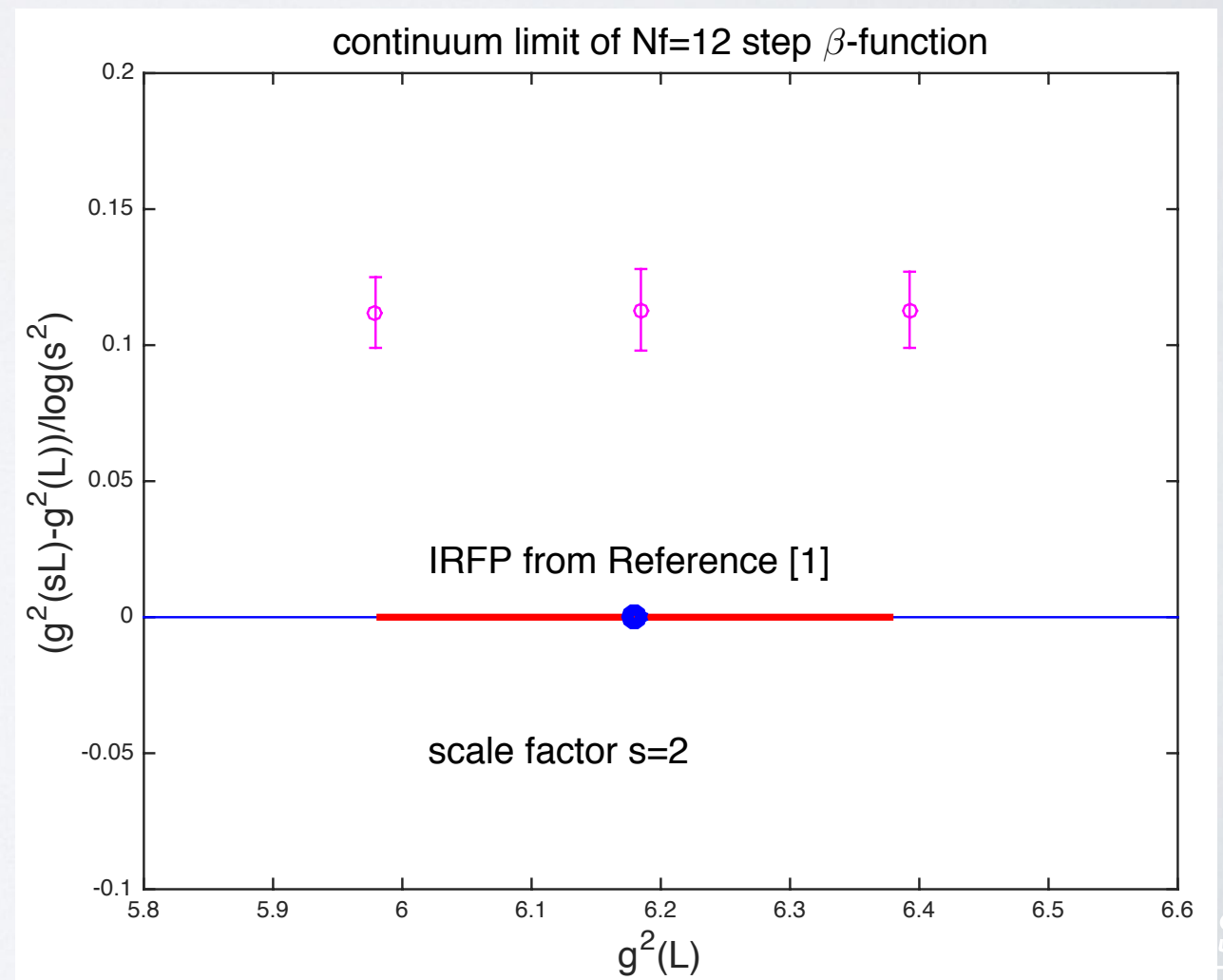
- Long history of previous studies
(see review talks at past Lattice conferences) **Talk by Nogradi [Tue]**
- New high precision study of GF coupling with controlled systematics
- Use of significantly larger volumes respect to previous state-of-the-art.



SU(3) $N_f=12$

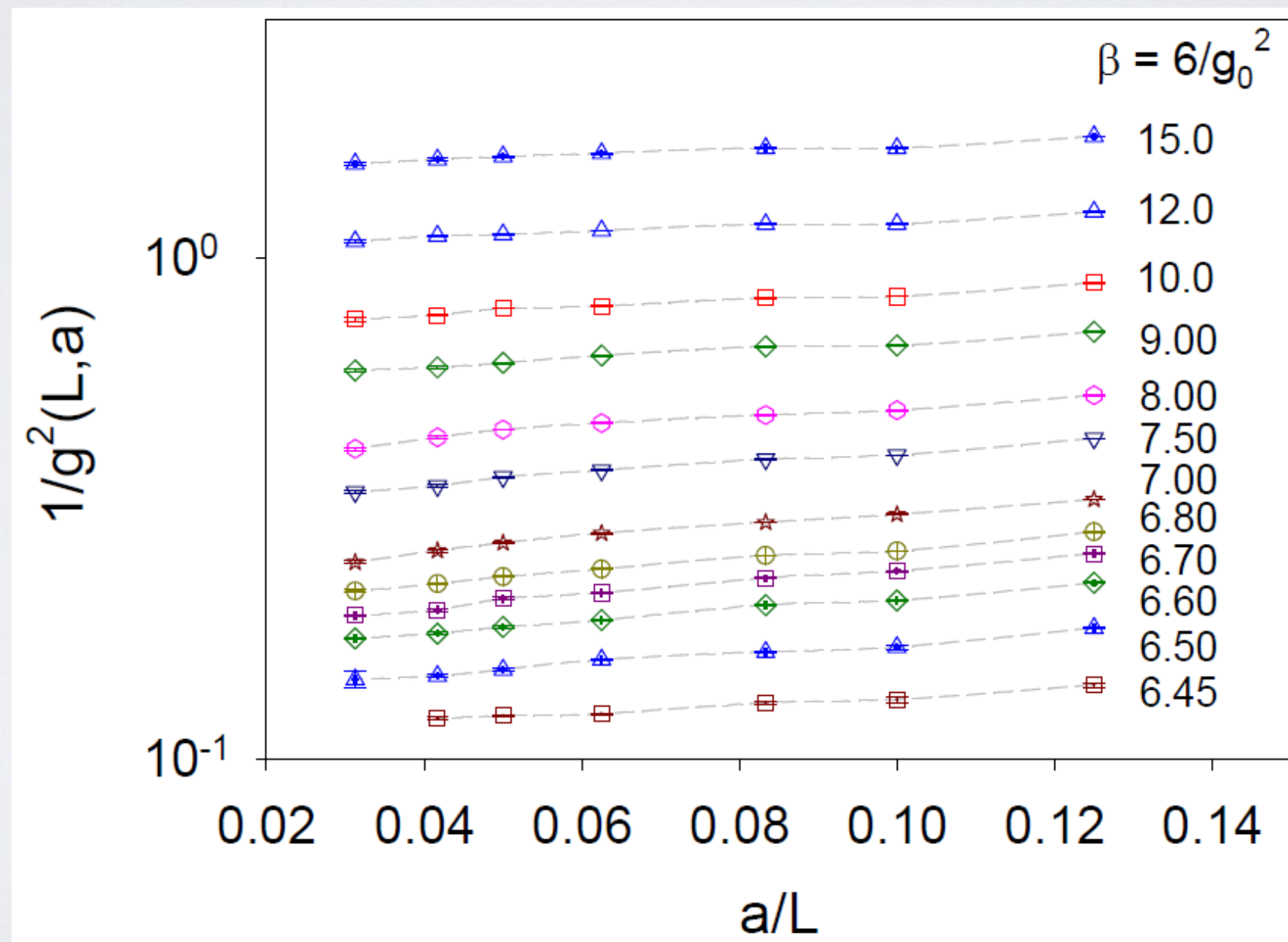
- Long history of previous studies
(see review talks at past Lattice conferences) **Talk by Nogradi [Tue]**
- New high precision study of GF coupling with controlled systematics
- Use of significantly larger volumes respect to previous state-of-the-art.
- Exclude fixed-point around $1-\sigma$ of previous best estimate of location
- Fixed point at higher g^2 ??

Use of Large Volumes is mandatory close to IR point!



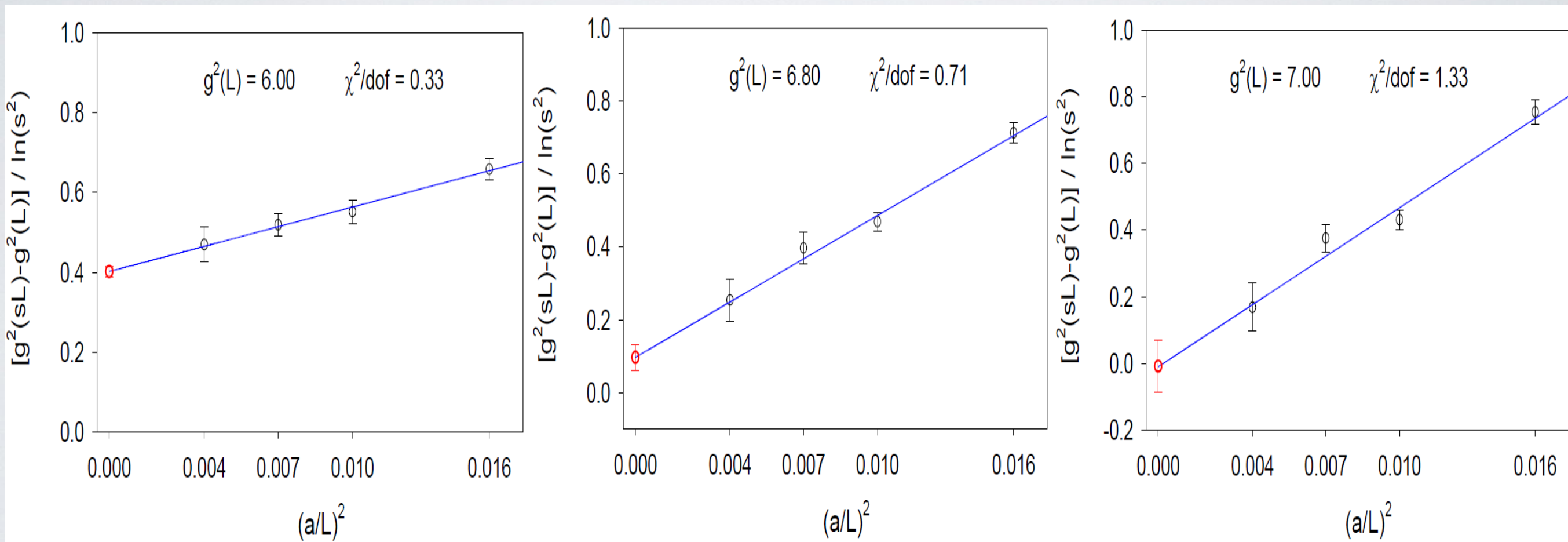
SU(3) Fund $N_f=10$

- Updates [arXiv:1603.08854] with larger 32 volume **Talk by Chiu [Tue]**
- Finite volume GF coupling with Optimal Domain-Wall fermion action



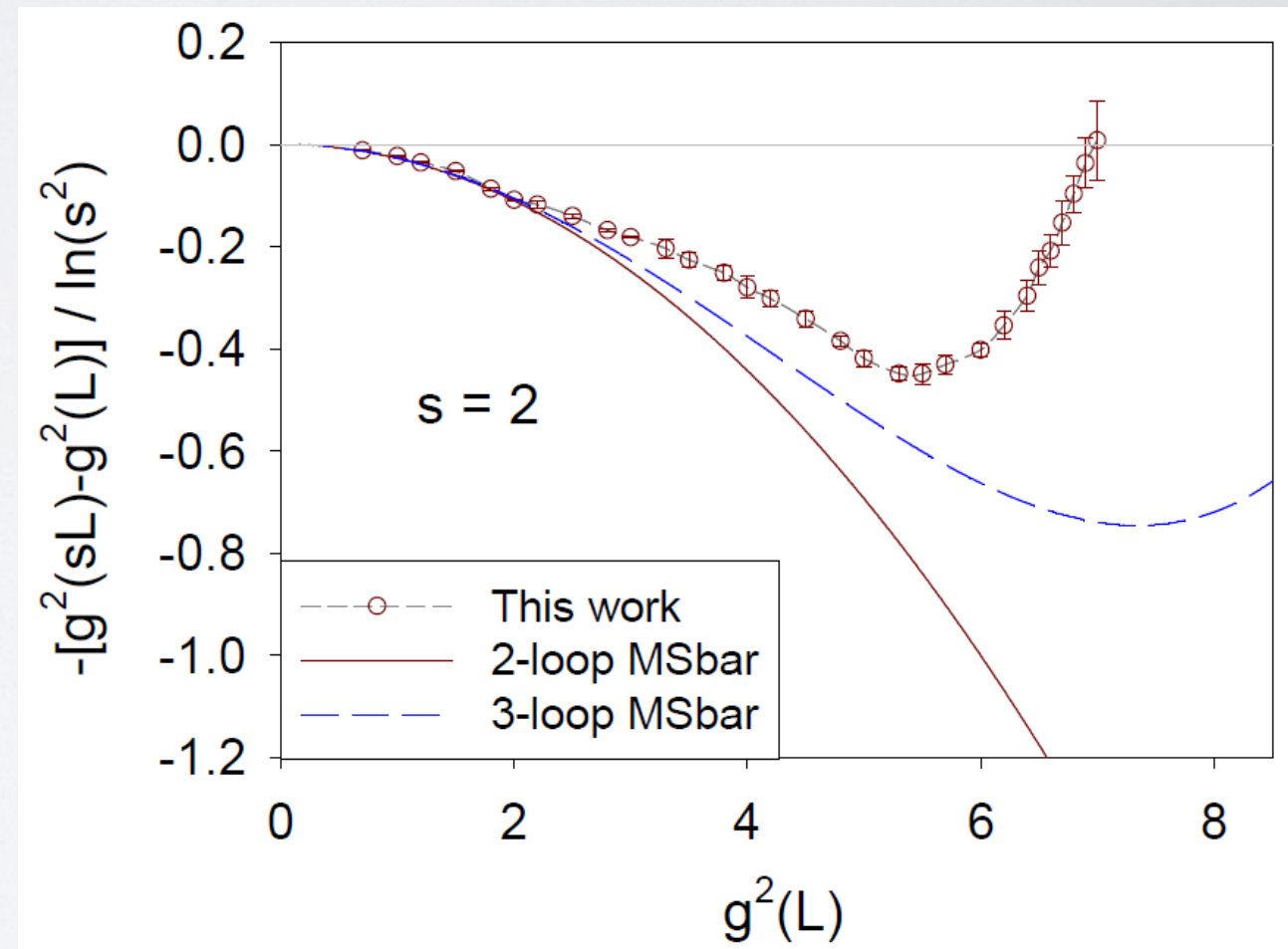
SU(3) $N_f=10$

- Updates [arXiv:1603.08854] with larger 32 volume **Talk by Chiu [Tue]**
- Finite volume GF coupling with Optimal Domain-Wall fermion action



SU(3) $N_f=10$

- Updates [arXiv:1603.08854] with larger 32 volume **Talk by Chiu [Tue]**
- Finite volume GF coupling with Optimal Domain-Wall fermion action
- Largest volume still running
- Estimate of systematic error of continuum extrapolation needed
- Anomalous dimensions γ^* ?

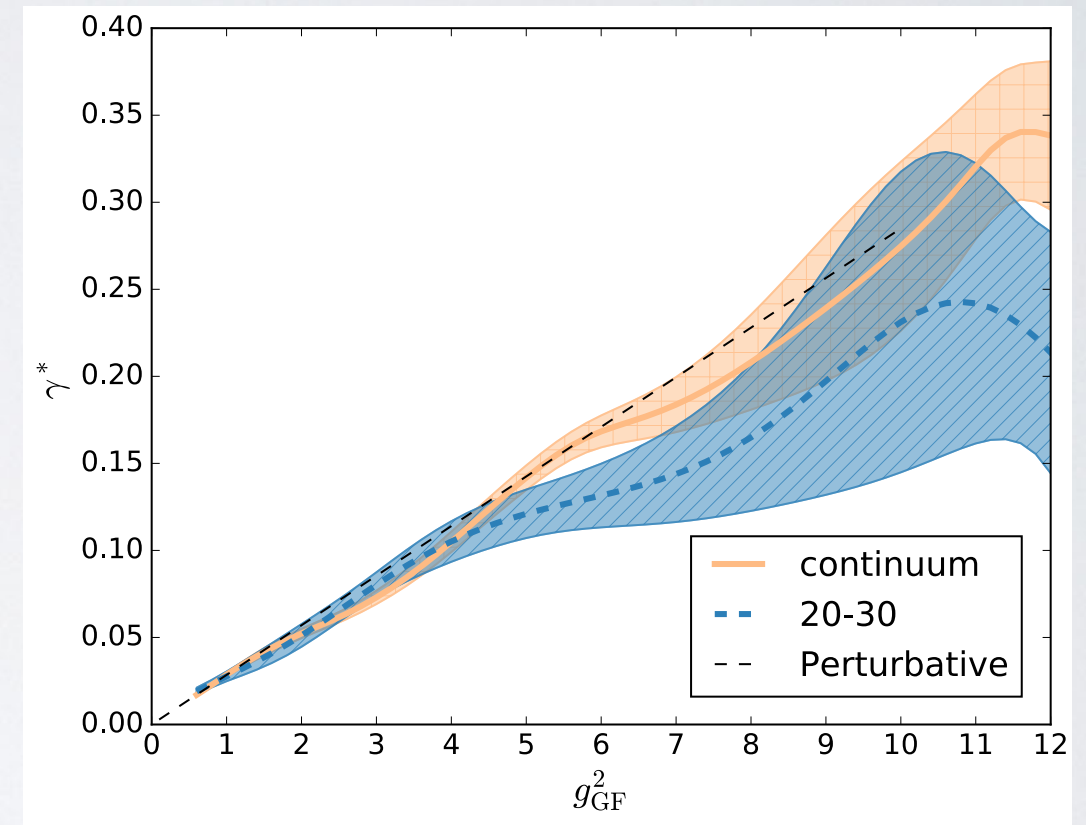
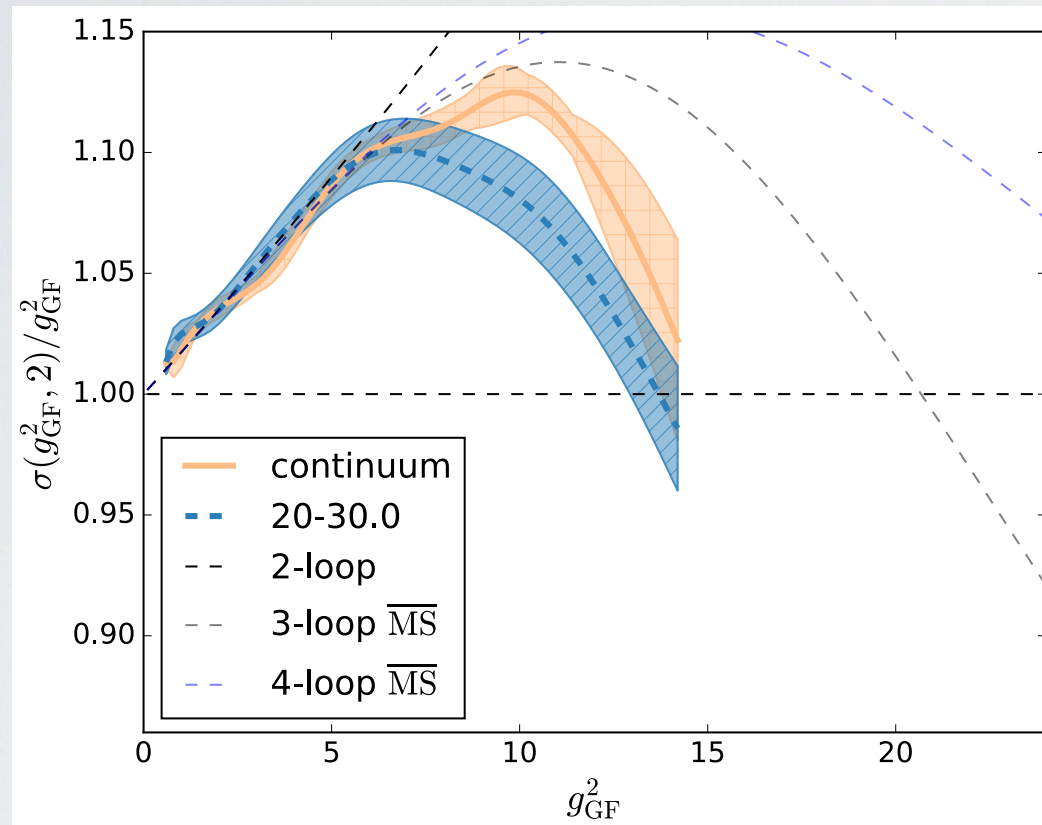


SU(2) Fund $N_f=6$

Talk by Leino [Thu]

Posters by Tähtinen, Soursa [Tue]

- measure of GF coupling with SF bc
Similar method to previous $N_f=8$ determination



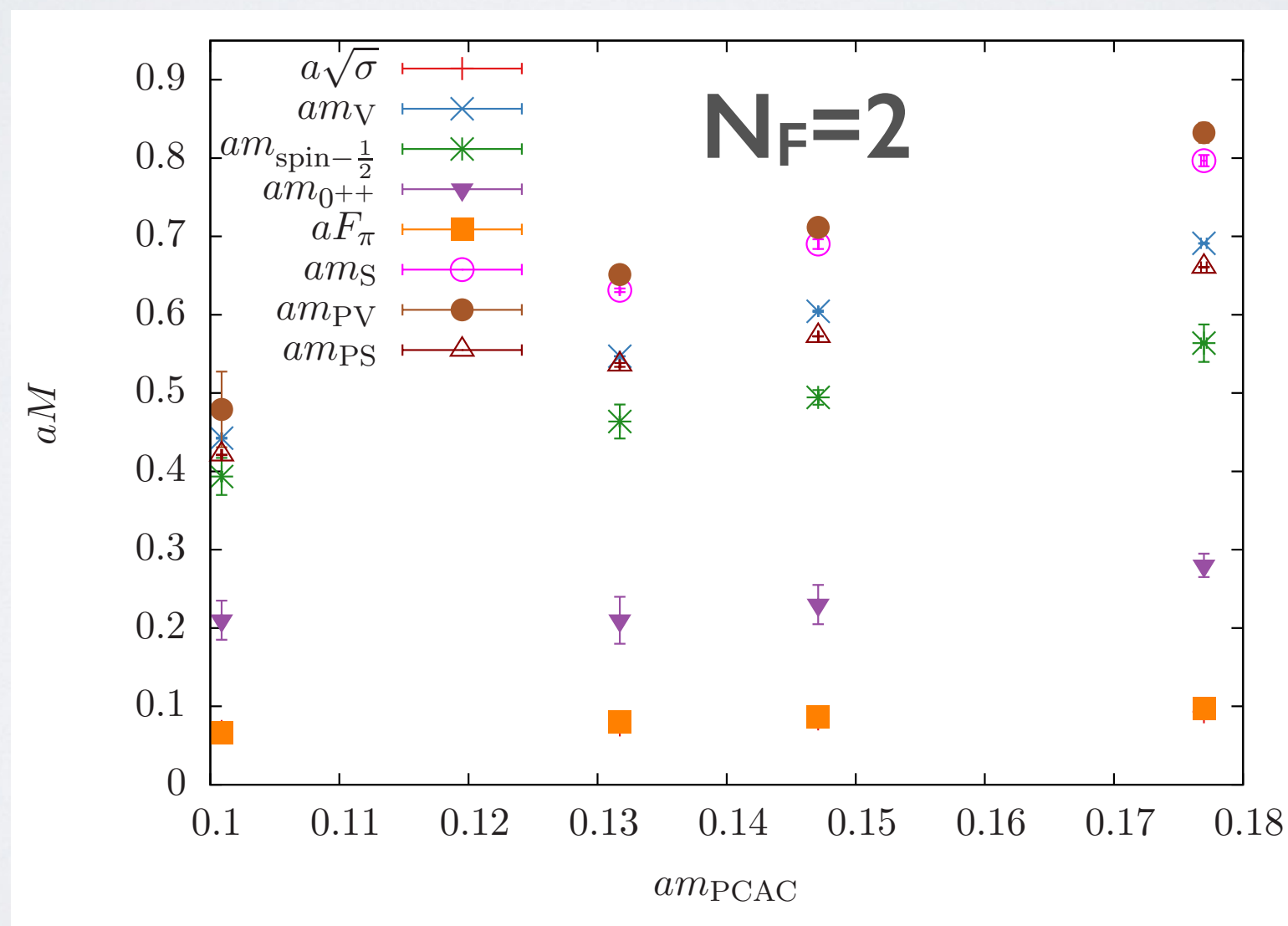
- extrapolation near FP still affected by systematics: larger volumes required?
- small γ^* ?

N_f	β	γ_M	γ_{SD}	γ_{SF}
6	0.5	0.382(12)	0.280(2)	0.142(27)
	0.6	0.314(7)	0.231(2)	0.414(63)
	0.8	0.248(3)	~ 0.16	0.157(21)
8	0.6	0.293(30)	~ 0.13	0.072(24)
	0.8	0.238(31)	0.111(1)	0.109(14)

SU(2) Adj $N_f=2, 3/2$

- Spectrum (including scalar) and γ^*
 - new results for $N_f=2, 3/2$
 - 2 lattice spacings

Talk by Bergner [Mon]



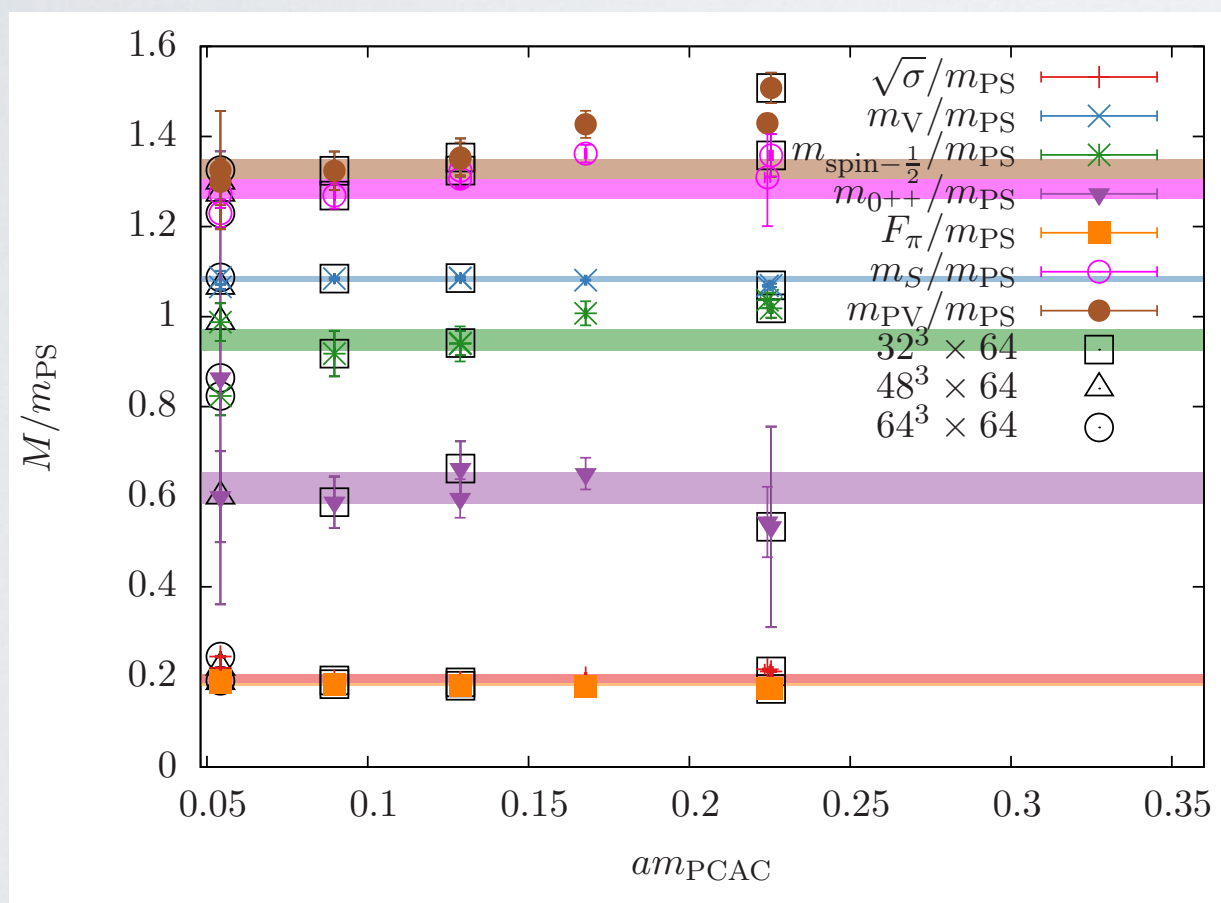
SU(2) Adj $N_f=2, 3/2$

- Spectrum (including scalar)

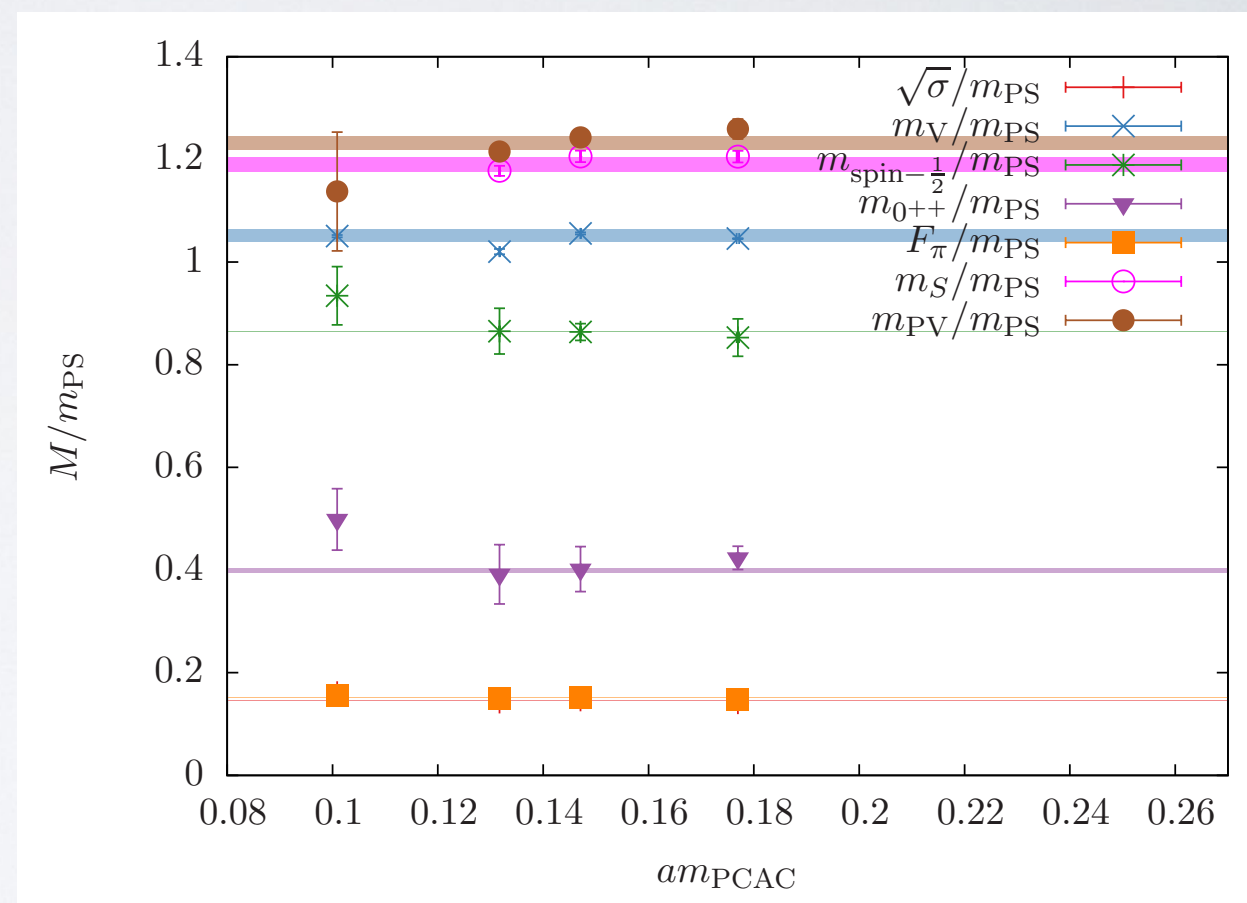
Talk by Bergner [Mon]

$N_f=2$

$\beta=1.5$



$\beta=1.7$



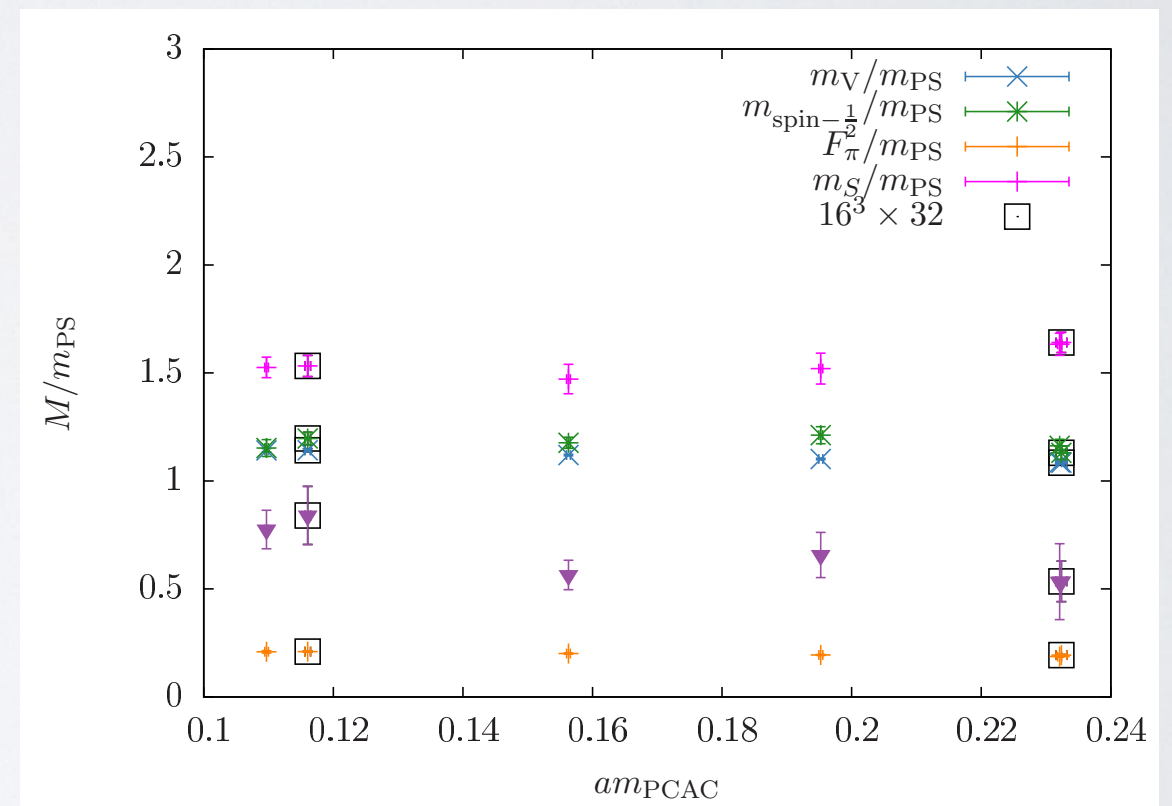
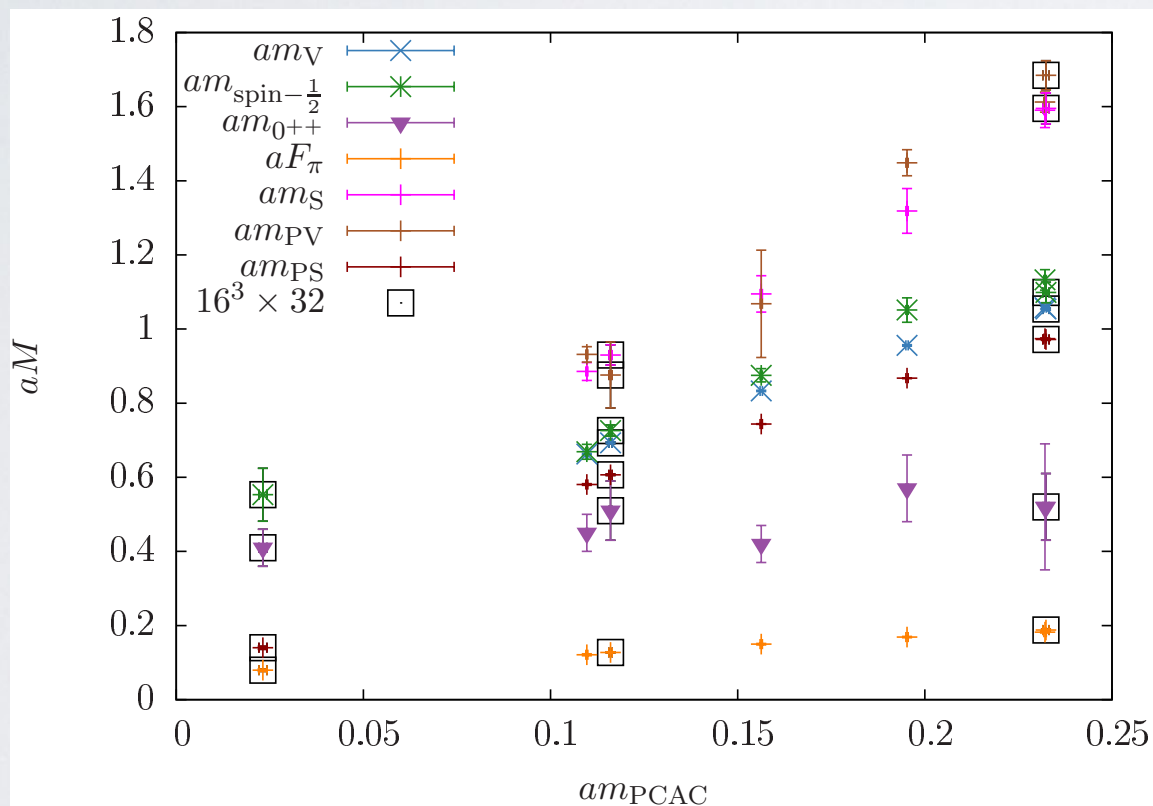
Significant β dependence, Finite size effects at small quark mass.

SU(2) Adj $N_f=2, 3/2$

- First results for $N_f=3/2$

Talk by Bergner [Mon]

$N_f=3/2$



SU(2) Adj $N_f=2, 3/2, 1, 1/2$

Talk by Bergner [Mon]

Theory	scalar particle	γ_* small β	γ_* larger β
$N_f = 1/2$ SYM	part of multiplet	–	–
$N_f = 1$ adj QCD	light	0.92(1)	0.75(4)*
$N_f = 3/2$ adj QCD	light	0.40(5)*	0.32(5)*
$N_f = 2$ adj QCD	light	0.376(3)	0.274(10)

(* preliminary)

- Significant β dependence, needs to be clarified
 - corrections to scaling? larger volumes?
- **Very large volumes required** as demonstrated in [arXiv:1512.08242] for $N_f=2$
- Large γ^* for $N_f=1$? Inside the CW?
 - See also [1412.5994]

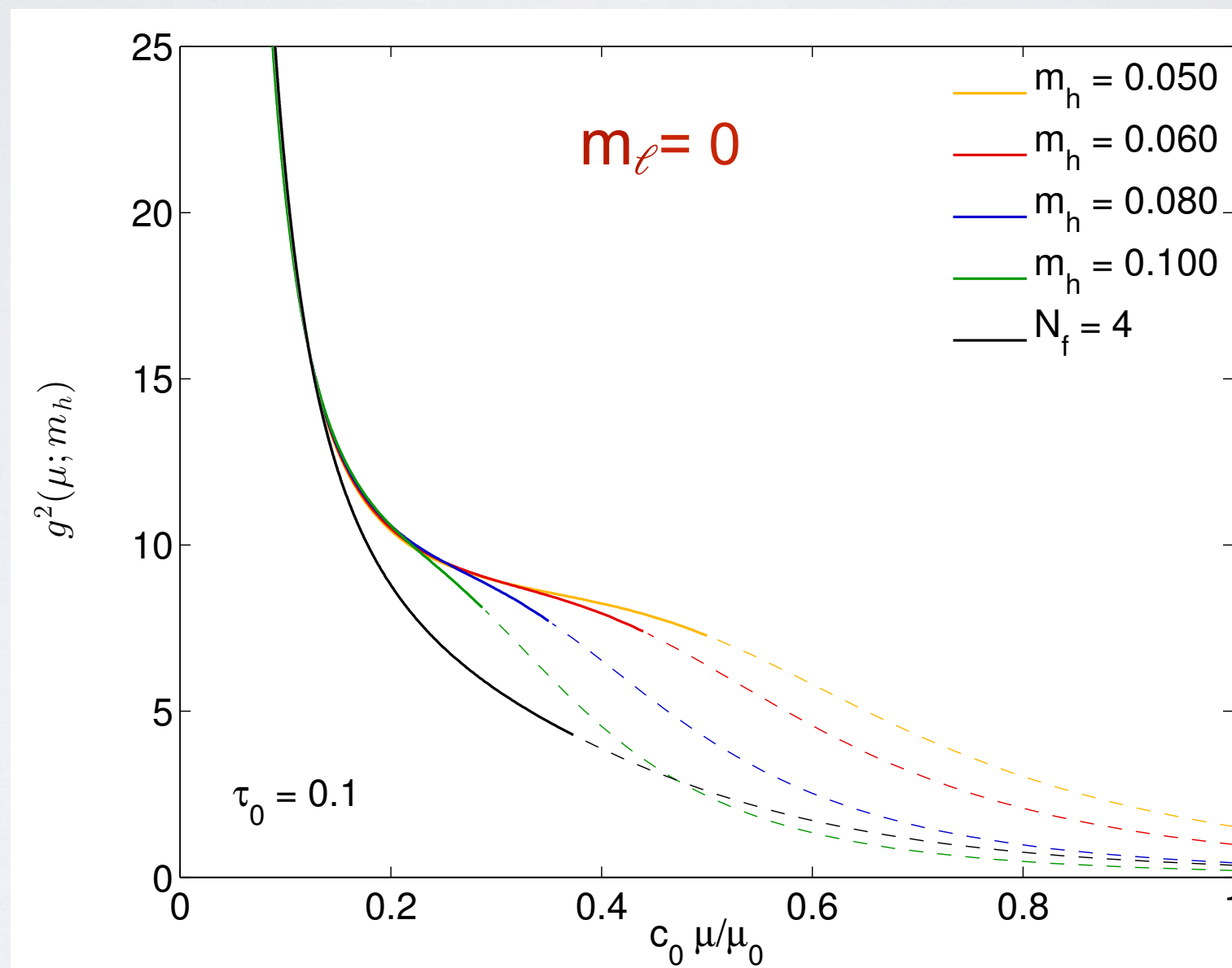
Models Light σ Scalars

new results at Lattice 2016

SU(3) Fund $N_f=4l+8h$

Talks by Hasenfratz, Rebbi [Mon]

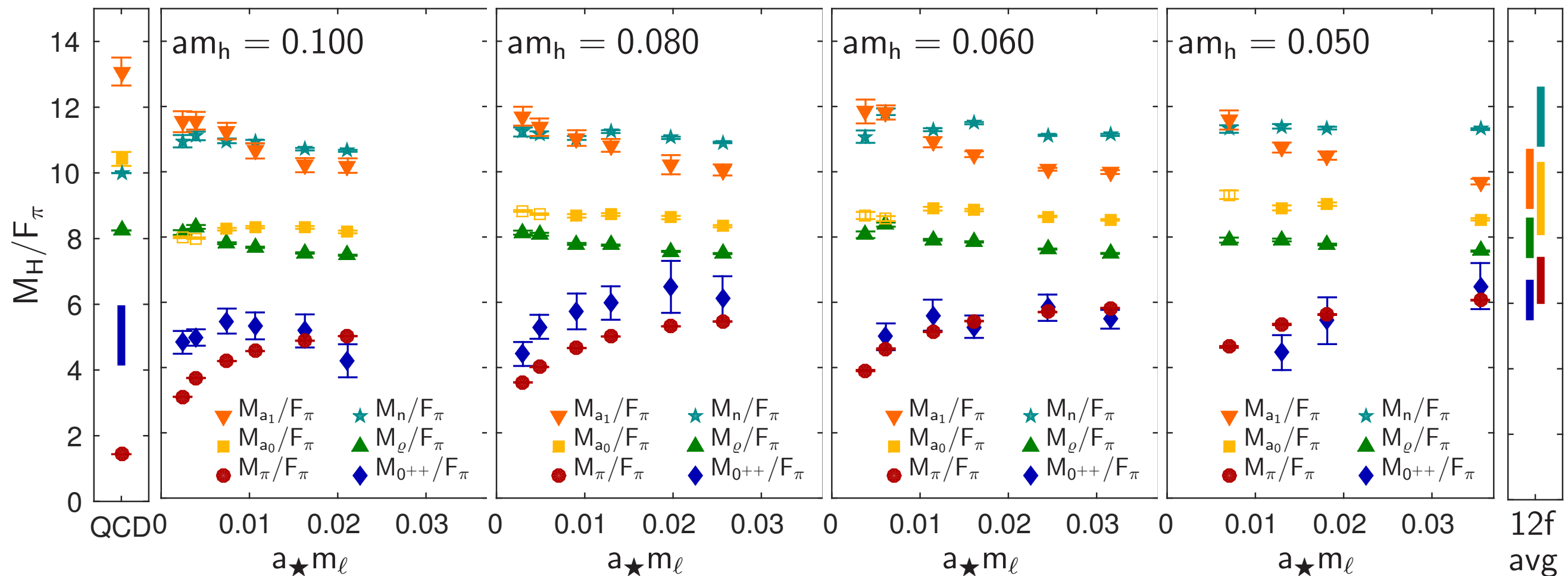
- Mass deformation induces “Walking”



SU(3) Fund $N_f=4l+8h$

See also [1512.02576]

Talks by Hasenfratz, Rebbi [Mon]



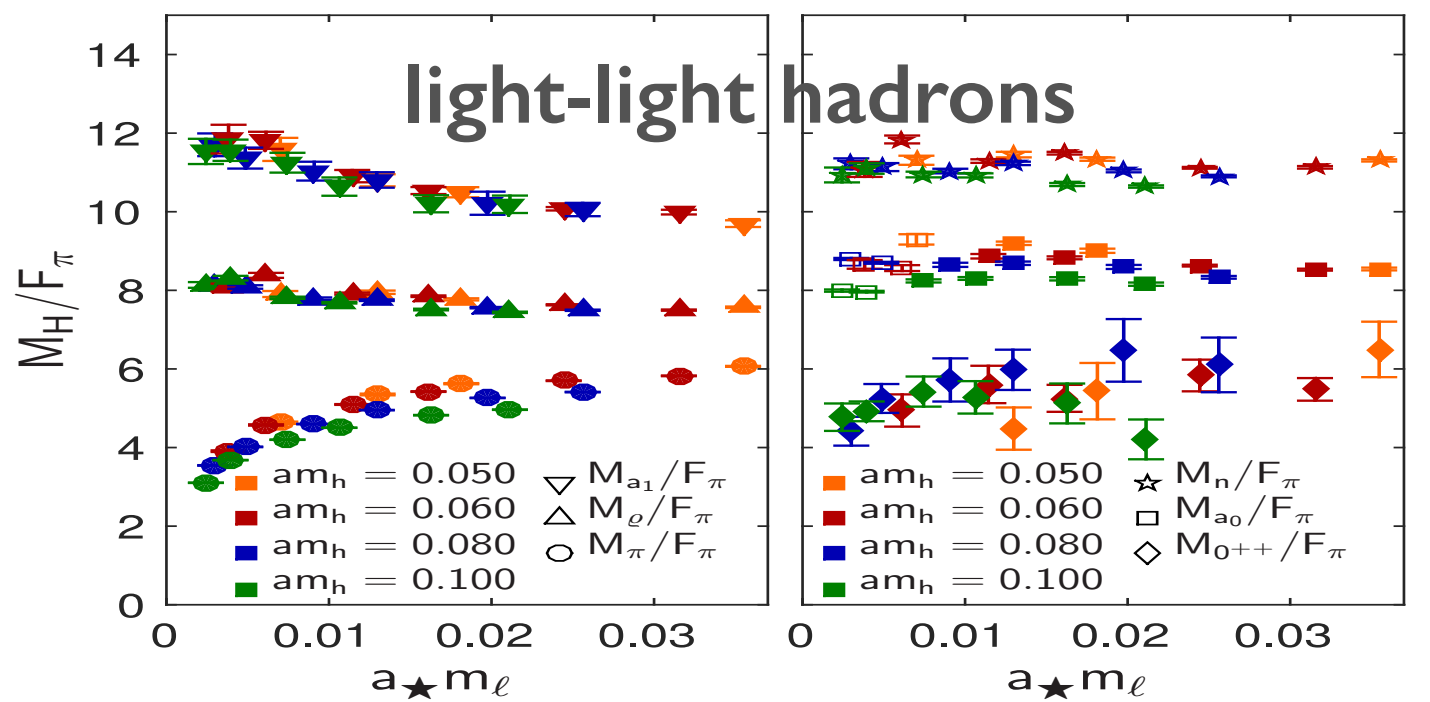
- Light scalar as m_h is decreased.
 - How light is it? Requires controlled extrapolation...
- Other ratios appear only mildly dependent on m_h , i.e “QCD-like”

SU(3) Fund $N_f=4l+8h$

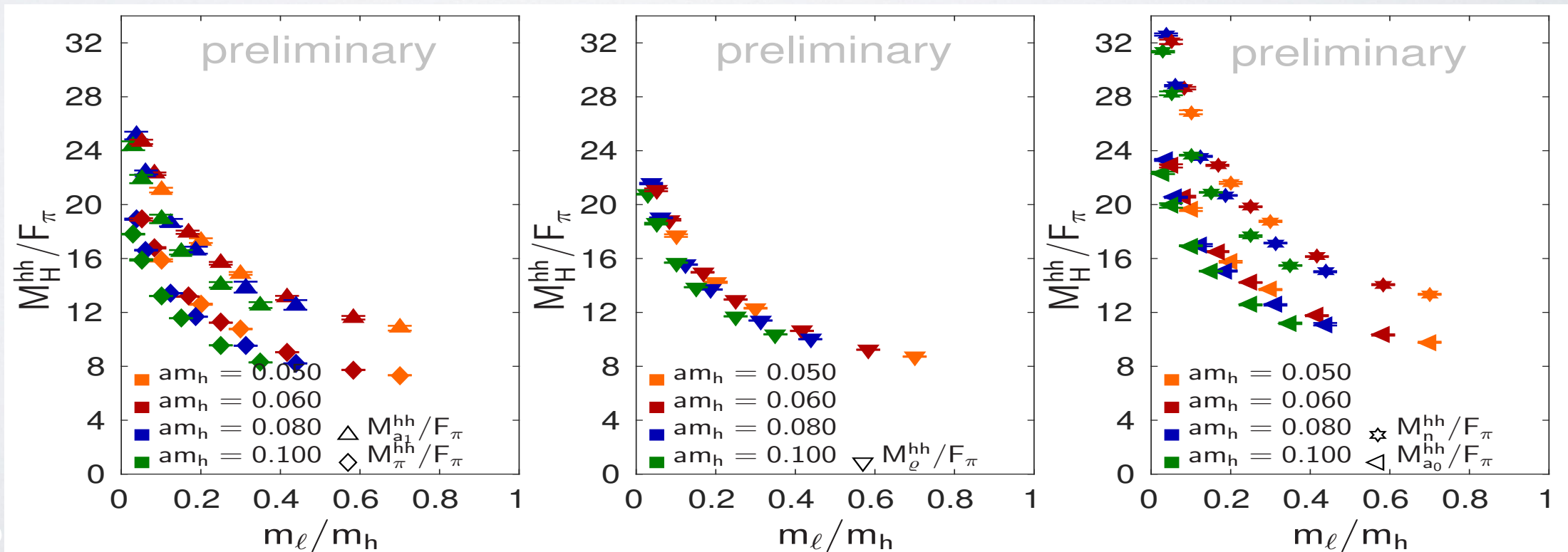
Talks by Hasenfratz, Rebbi [Mon]

- Hyperscaling in spectrum expected close to an IR fixed point:

$$M_{H_1} / F_\pi = \tilde{\Phi}_H(m_\ell / m_h)(1 + c_0 m_h^\omega)$$



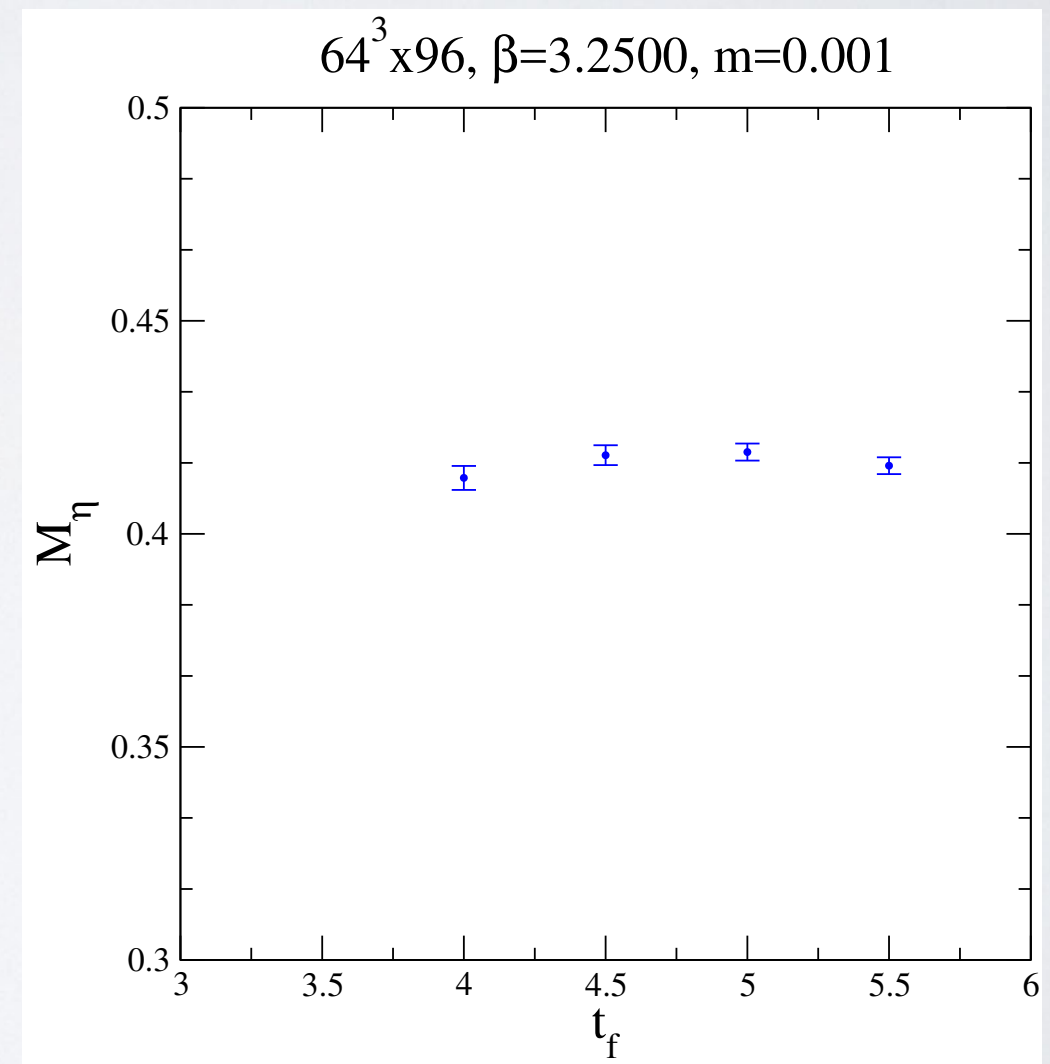
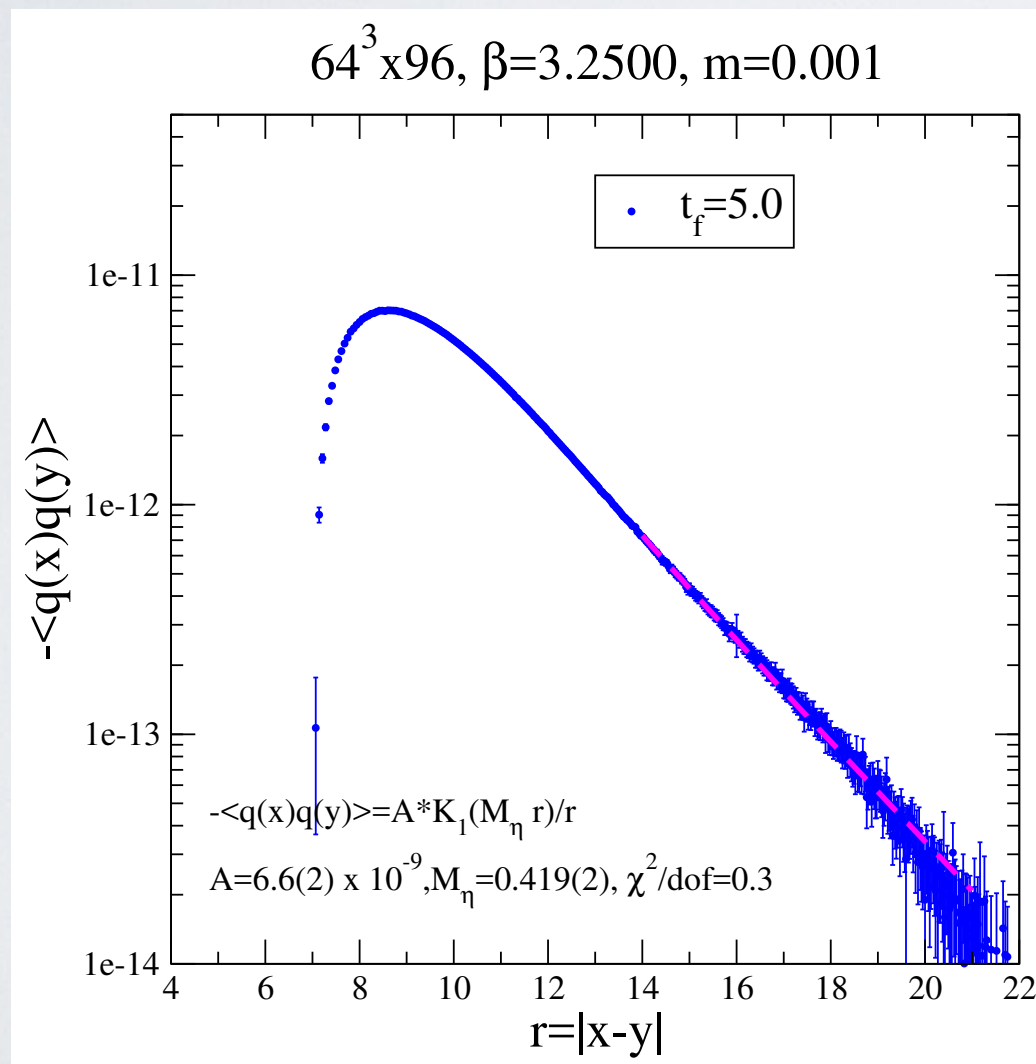
heavy-heavy



SU(3) Sextet $N_f=2$

Talks by Kuti, Wong for LHC [Mon,Tue]

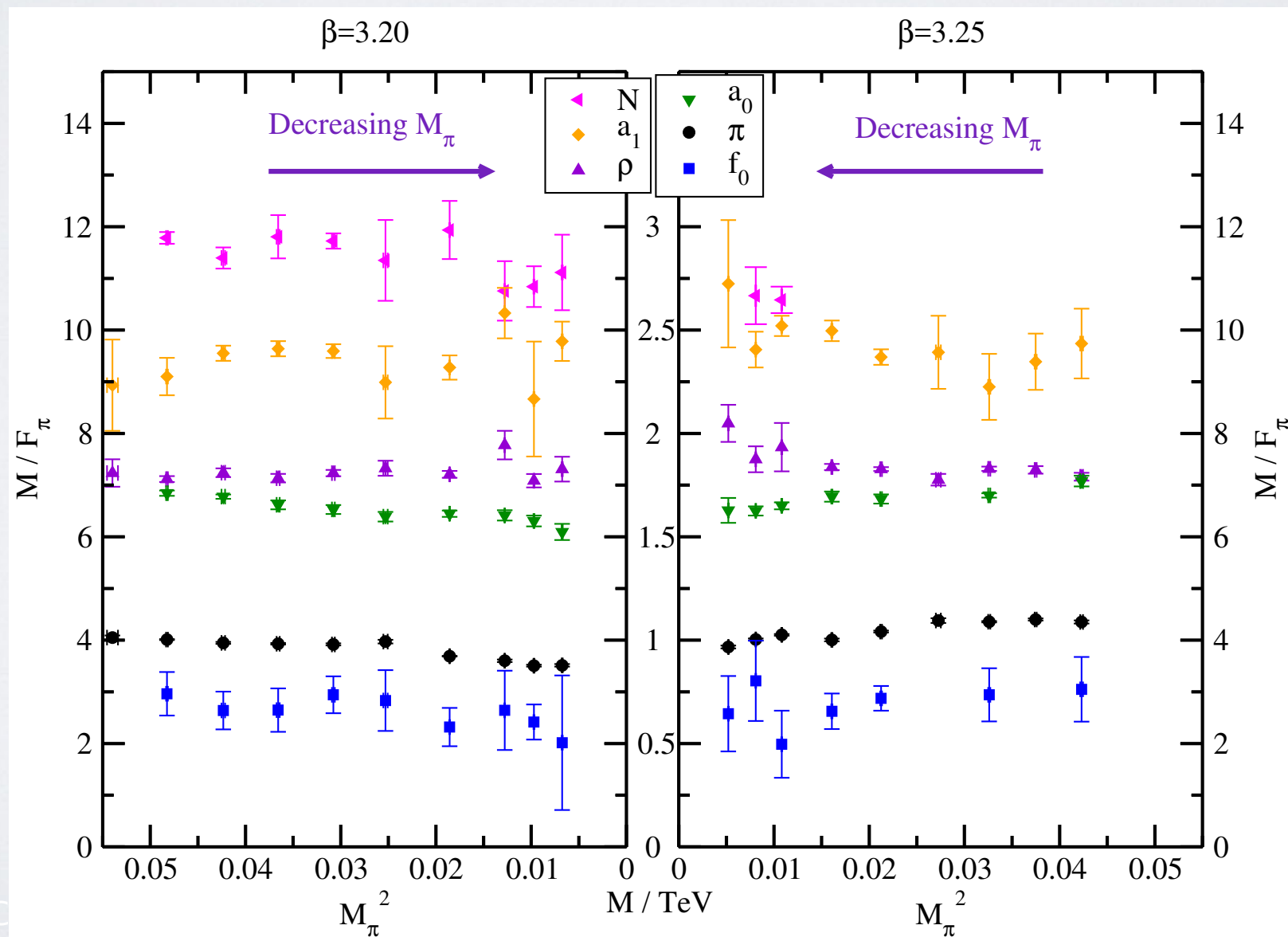
- New: Preliminary η' from topological charge density with WF smearing
- Relatively heavy $\eta' \sim 3\text{TeV}$ (assuming $F_{ps}=246\text{GeV}$)



SU(3) Sextet $N_f=2$

Talks by Kuti, Wong for LHC [Mon,Tue]

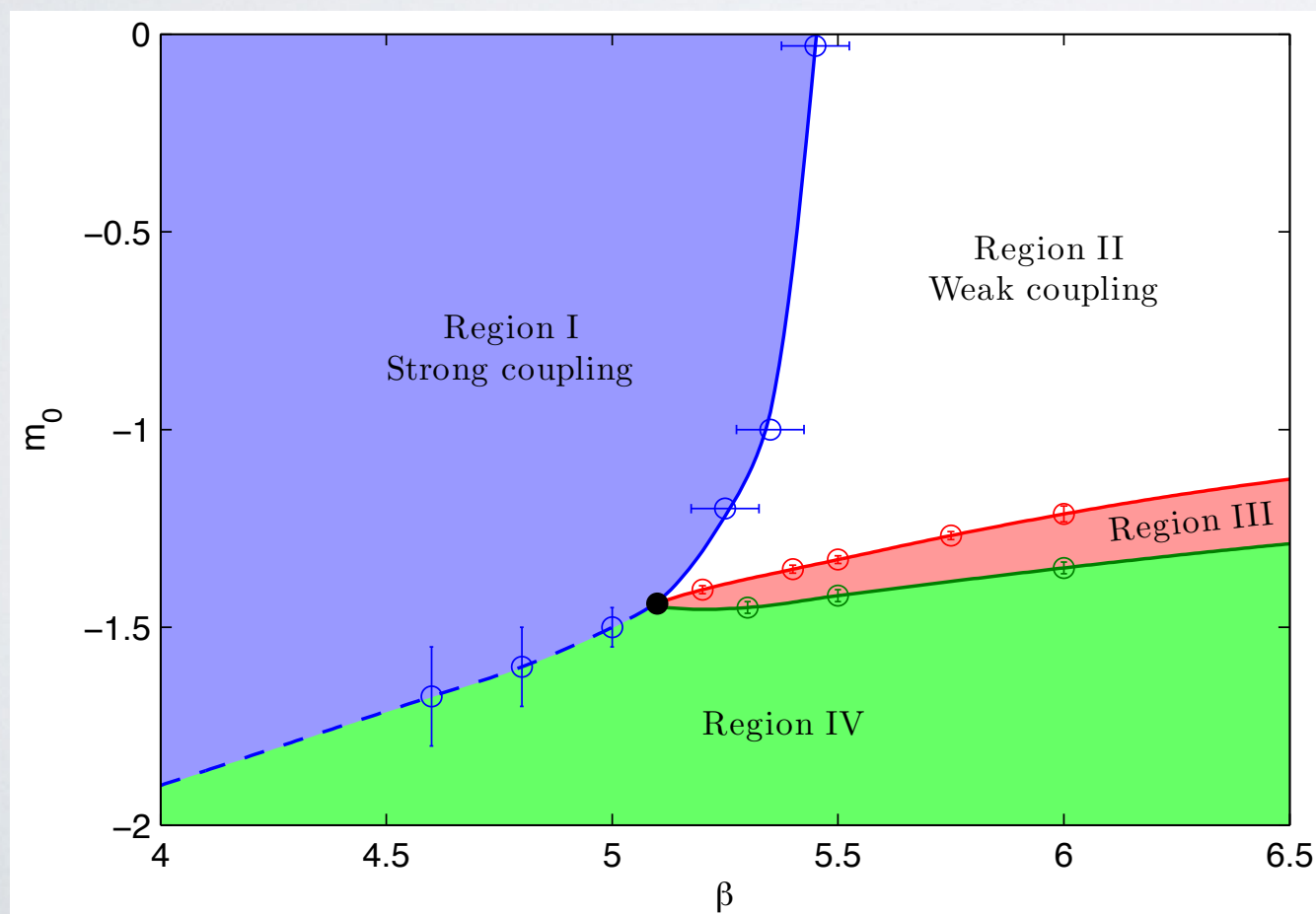
- Nearly conformal model with light σ
- Spectrum not compatible with mass-deformed hyper scaling
- Problem of chiral extrapolation in presence of a light σ



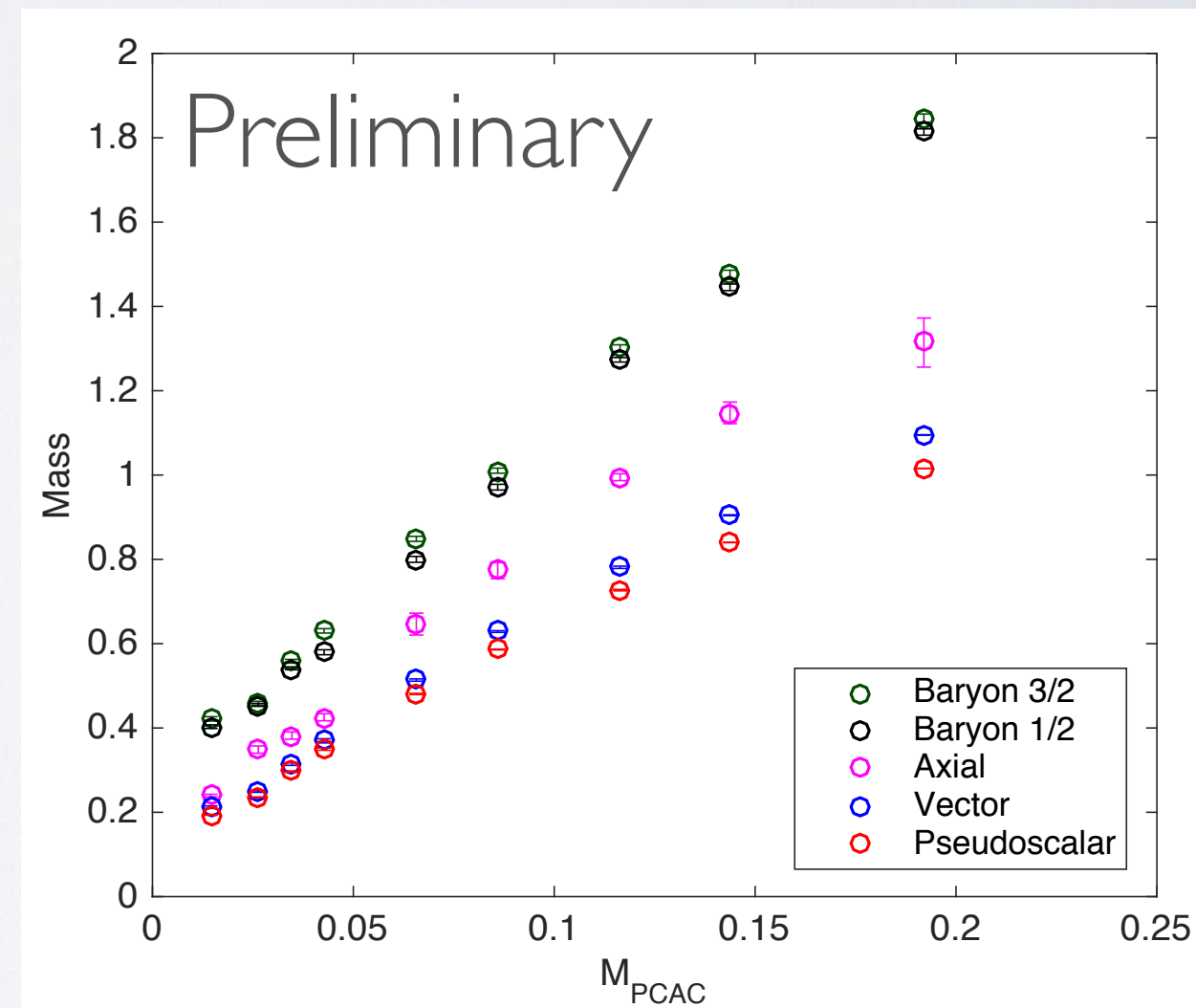
SU(3) Sextet $N_f=2$

Talk by Hansen [Thu]

- Sextet model with non-improved Wilson fermions
- Study of the phase diagram, spectrum, w_0/t_0 scale setting
- Preliminary analysis shows no clear signs of ChSB, but conformal hypothesis does not fit well data



Claudio Pica

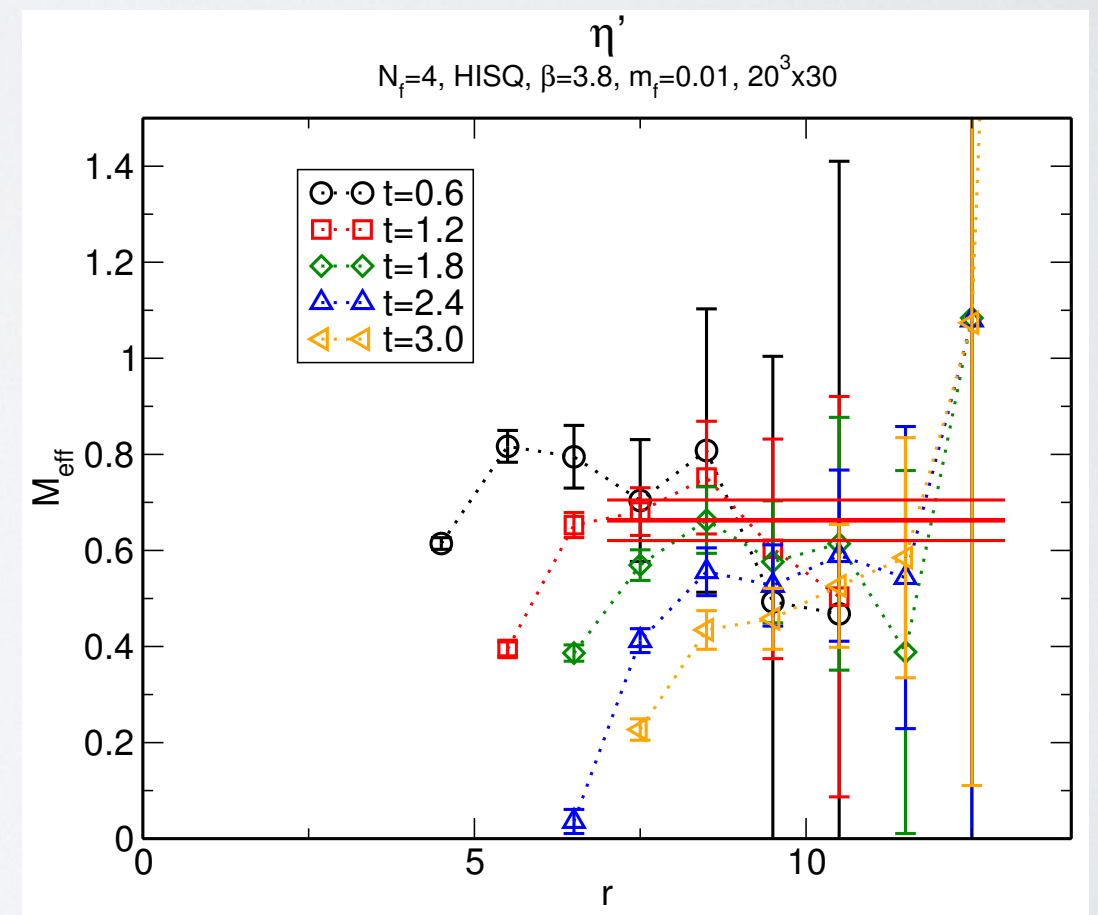
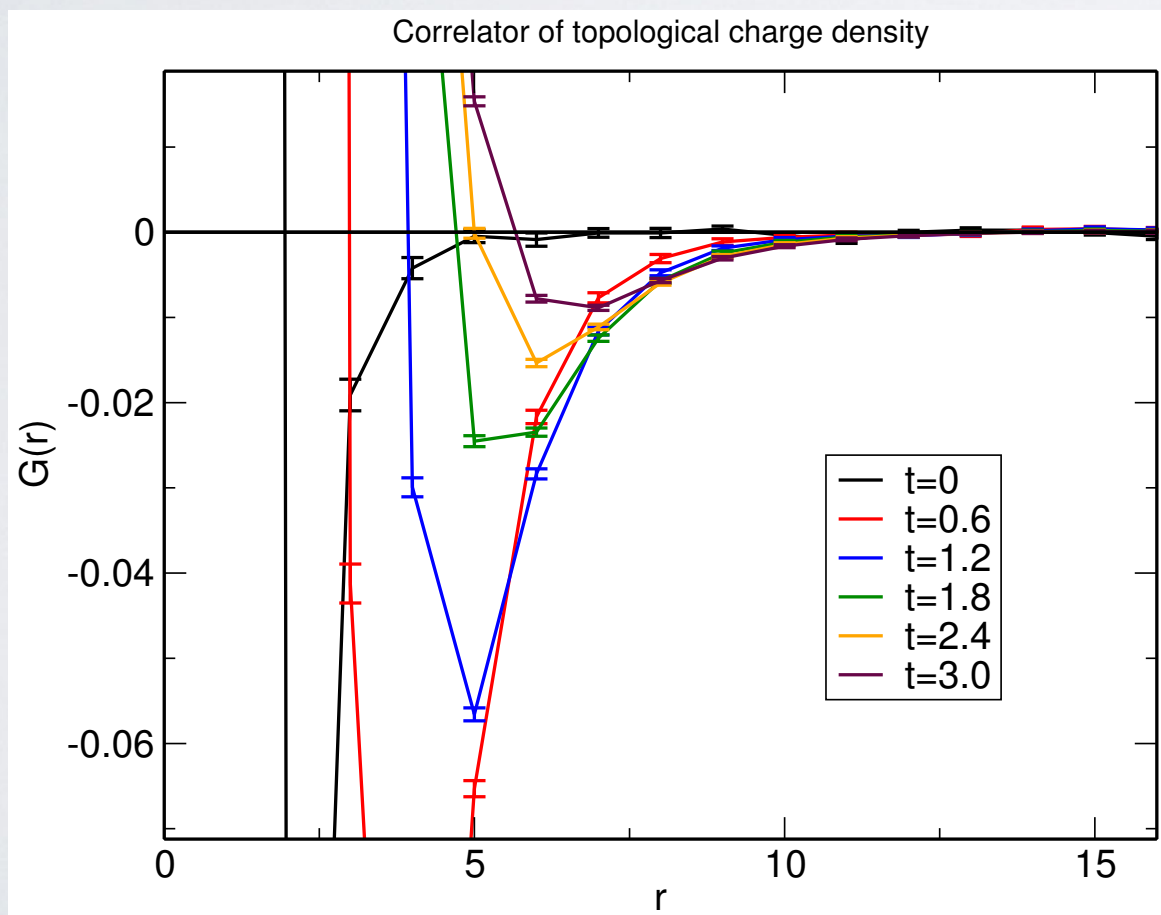


Cosmology & Particle Physics

SU(3) Fund $N_f=8, 4$

Talk by Aoki for LatKMI [Tue]

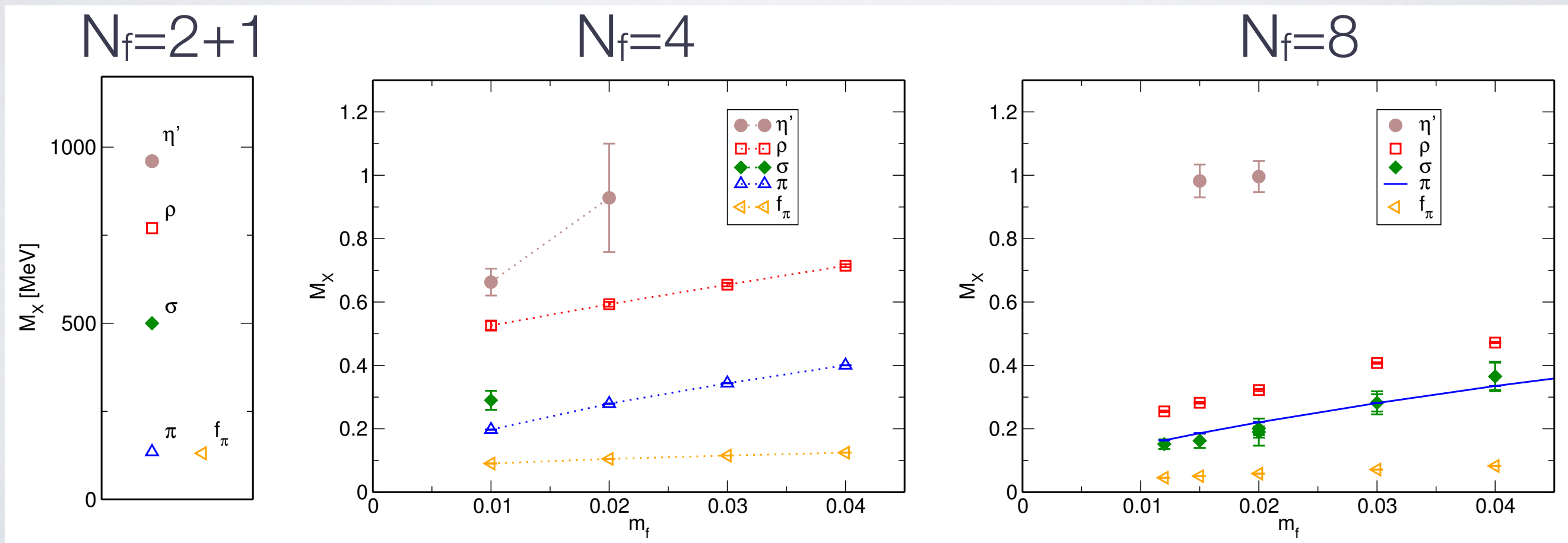
- Updated spectrum for $N_f=8$, see LatKMI [1403.5000]
- New results for $N_f=4$
- New: η' mass from topological charge density with WF smearing



SU(3) Fund $N_f=8, 4$

Talk by Aoki for LatKMI [Tue]

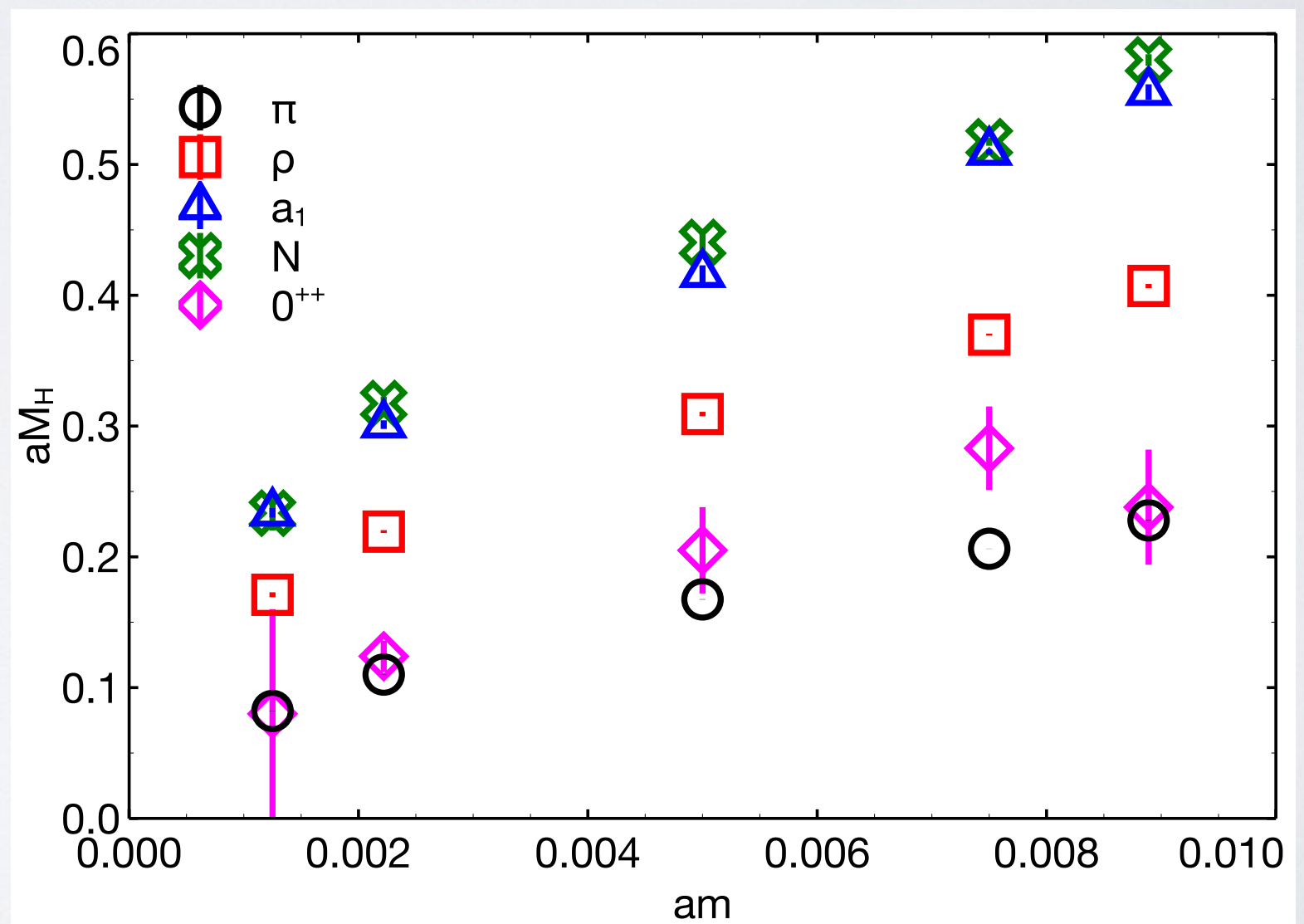
- Preliminary results show heavy η' as approaching the CW.
 - is there a reason for this enhancement? [Matsuzaki, Yamawaki JHEP2015]
- Light σ for $N_f=8$, compatible with pion mass in the explored mass range



SU(3) Fund $N_f=8$

Talks by Fleming, Gasbarro for LSD [Tue]

- Updated spectrum for $N_f=8$, see LSD [1601.04027]
- Use of new action respect to previous USBSM studies allows use of coarser lattices

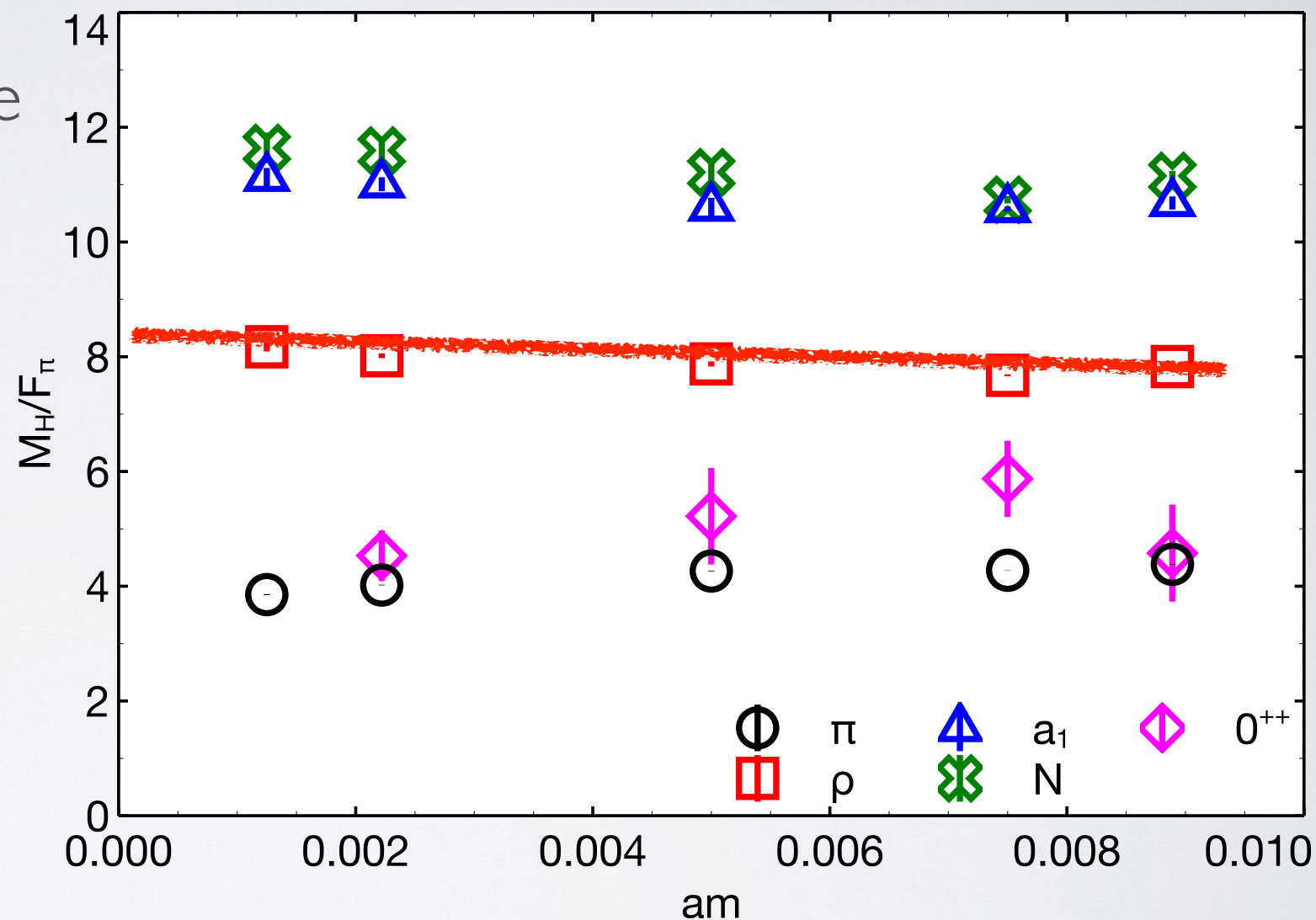


SU(3) Fund $N_f=8$

Talks by Fleming, Gasbarro for LSD [Tue]

- $M_V/F_{PS} \sim 8$ like in QCD
- Use vector meson dominance and KSRF relation

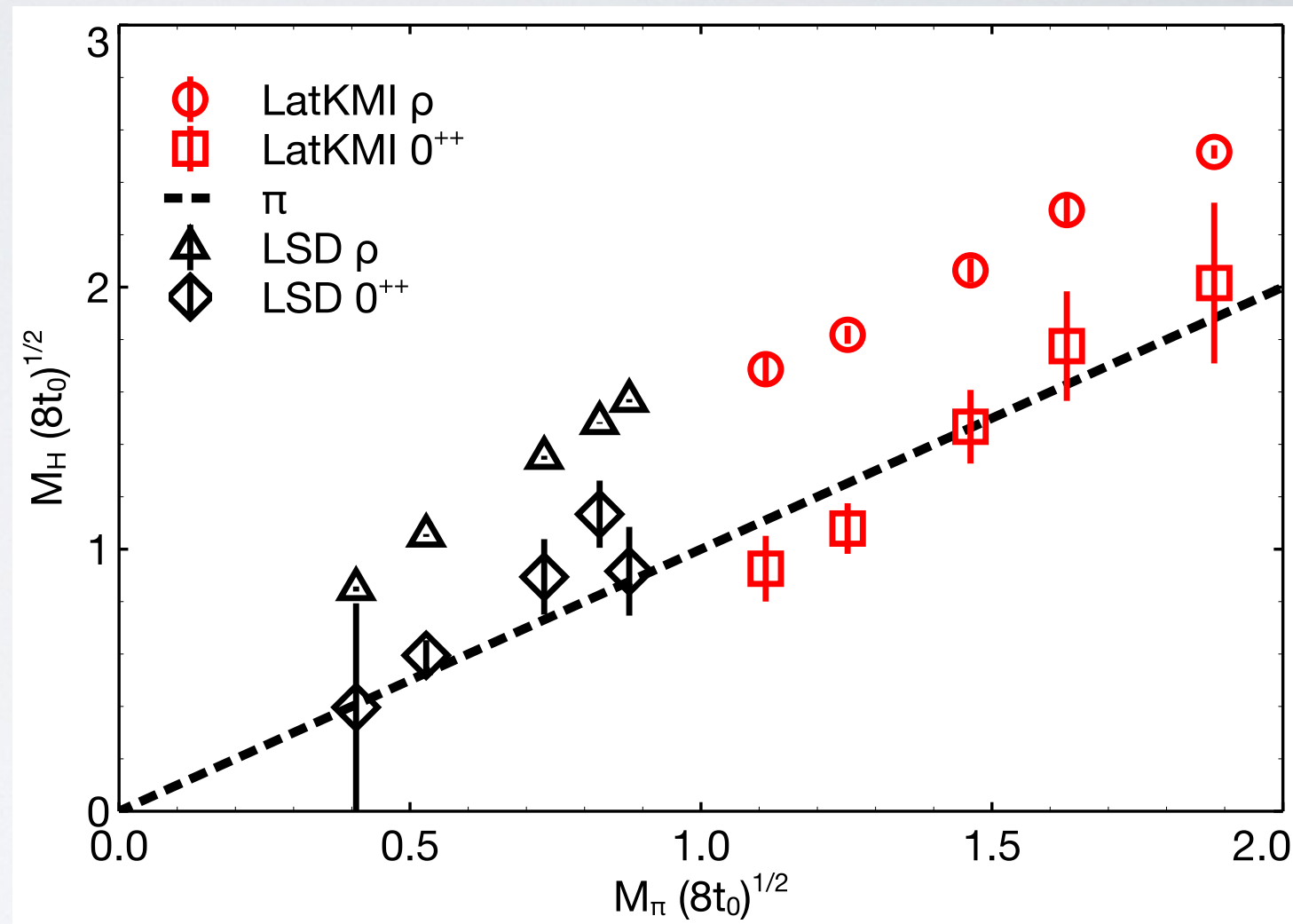
$$\Gamma_\rho \approx \frac{g_{\rho\pi\pi}^2 M_\rho}{48\pi} \approx \frac{M_\rho^3}{96\pi F_\pi^2}$$
 to estimate $\Gamma_\rho/M_\rho \sim 20\%$
- Too broad to explain LHC excess?
- What about the scalar?



SU(3) Fund $N_f=8$

Talks by Fleming, Gasbarro for LSD [Tue]

- Good agreement with LatKMI
- Scalar as light as pions



- IF dilaton-like, σ is expected to become much lighter than ρ
- Not clear how to extrapolate: different extrapolations give wildly different results

Need good effective description of π - σ system

Effective action for π - σ dilaton

Talks by Shamir, Golterman [Mon]

- Near CW assume $\partial_\mu S_\mu = T_{\mu\mu} \sim (n_f - n_f^*)^\eta$ at the ChSB scale

- Systematic expansion in: $m, p^2, 1/N, n_f - n_f^*$

- LO Lagrangian (τ dilaton):

$$\mathcal{L} = \mathcal{L}_\pi + \mathcal{L}_\tau + \mathcal{L}_m + \mathcal{L}_d$$

$$\mathcal{L}_\pi = (f_\pi^2/4) e^{2\tau} \text{tr} (\partial_\mu \Sigma^\dagger \partial_\mu \Sigma)$$

$$\mathcal{L}_\tau = (f_\tau^2/2) e^{2\tau} (\partial_\mu \tau)^2$$

$$\mathcal{L}_m = -(\mathfrak{m} f_\pi^2 B_\pi/2) e^{y\tau} \text{tr} (\Sigma + \Sigma^\dagger)$$

$$\mathcal{L}_d = [\tilde{c}_{00} + (n_f - n_f^*)(\tilde{c}_{01} + \tilde{c}_{11}\tau)] f_\tau^2 B_\tau e^{4\tau}$$

Effective action for π - σ dilaton

Talks by Shamir, Golterman [Mon]

- Results (more in Shamir, Golterman talks):

$$m_\pi^2 = 2\hat{B}_\pi m e^{(y-2)v(m)}$$

$$m_\tau^2 = 4\tilde{c}_{11}(n_f - n_f^*)\hat{B}_\tau e^{2v(m)}(1 + (4-y)v(m))$$

$$\frac{\langle\bar{\psi}\psi\rangle}{\hat{f}_\pi^3} = -\frac{B_\pi}{f_\pi} \exp\left[\gamma_m^* \left(\frac{1}{4} + \frac{\tilde{c}_{00}}{\tilde{c}_{11}(n_f - n_f^*)}\right)\right]$$

$$-(\beta(g^2)/g^2) \langle F^2 \rangle = \hat{f}_\tau^2 m_\tau^2$$

- Use EFT to “test” diatonic nature of light scalar from Lattice data
 - ▶ close enough to CW?
 - ▶ need higher order corrections?
 - ▶ correct assumptions for EFT?

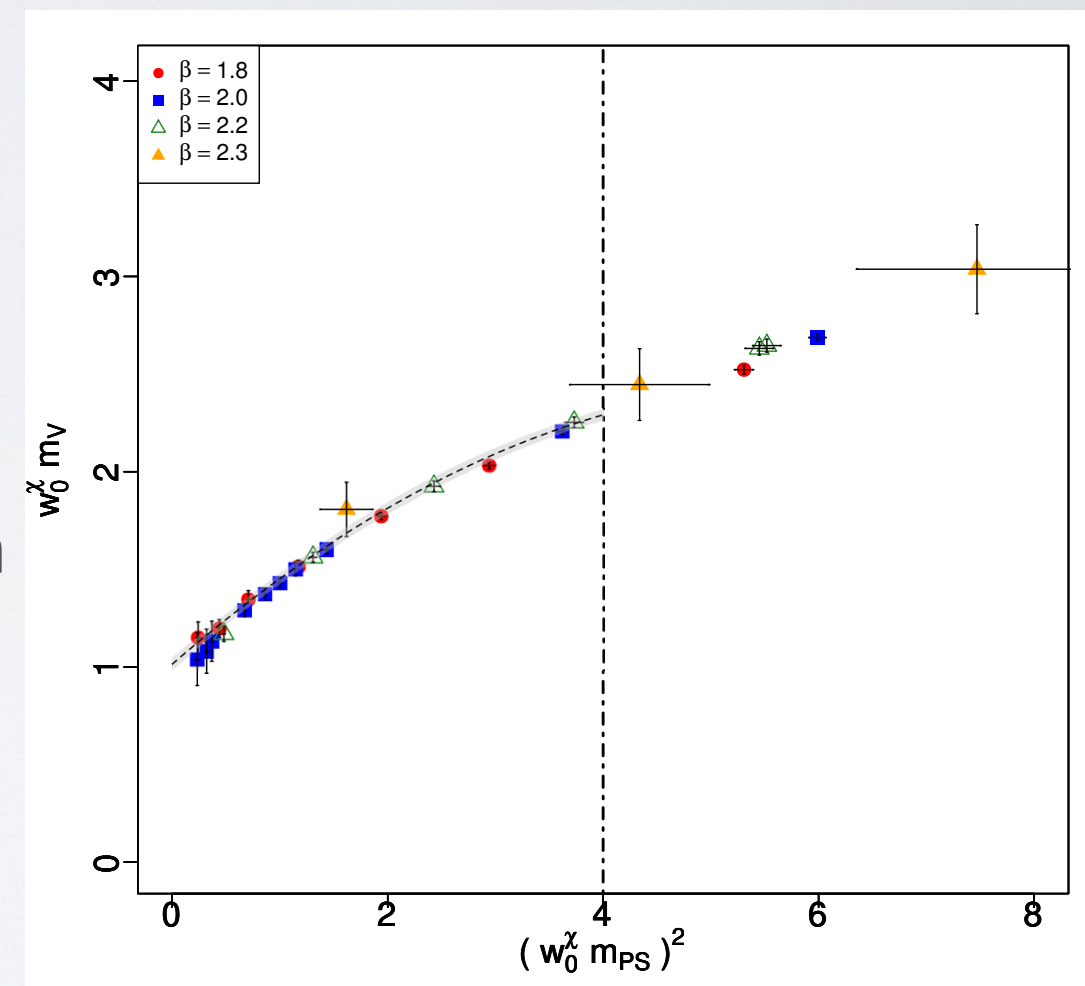
pNGB Higgs

new results at Lattice 2016

SU(2) Fund $N_f=2$

Talks by Drach, Janowski [Mon,Thu]

- Simple realistic model for pNGB Higgs Cacciapaglia, Sannino, JHEP04(2014)111
Arbey et al. [1502.04718]
- First full determination of spectrum including σ and η'
 - ▶ 4 lattice spacings
 - ▶ scale setting via w_0
 - ▶ non-perturbative renormalization in RI-MOM scheme
 - ▶ both chiral and continuum extrapolation (better control of systematics needed to reduce errors)

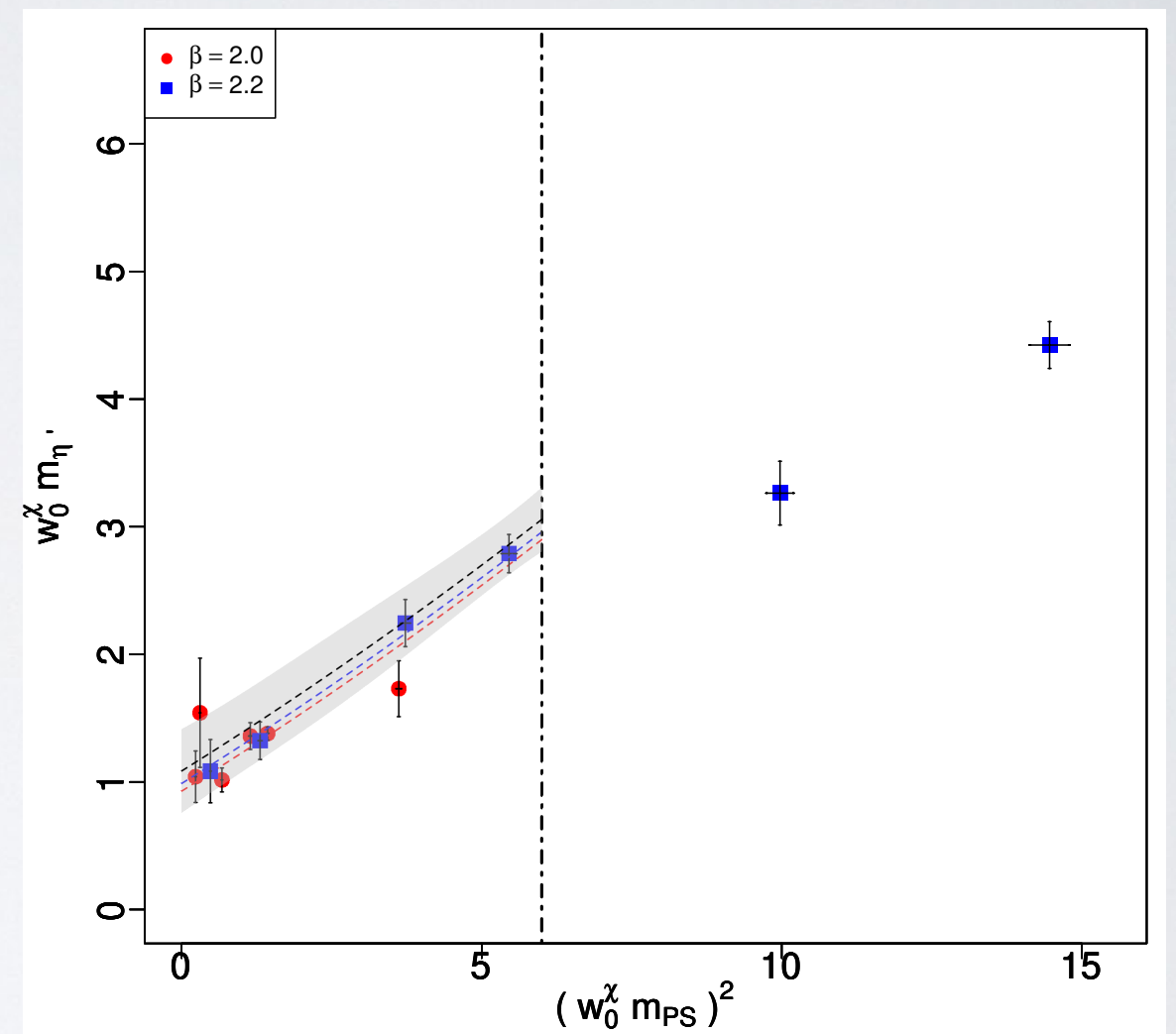
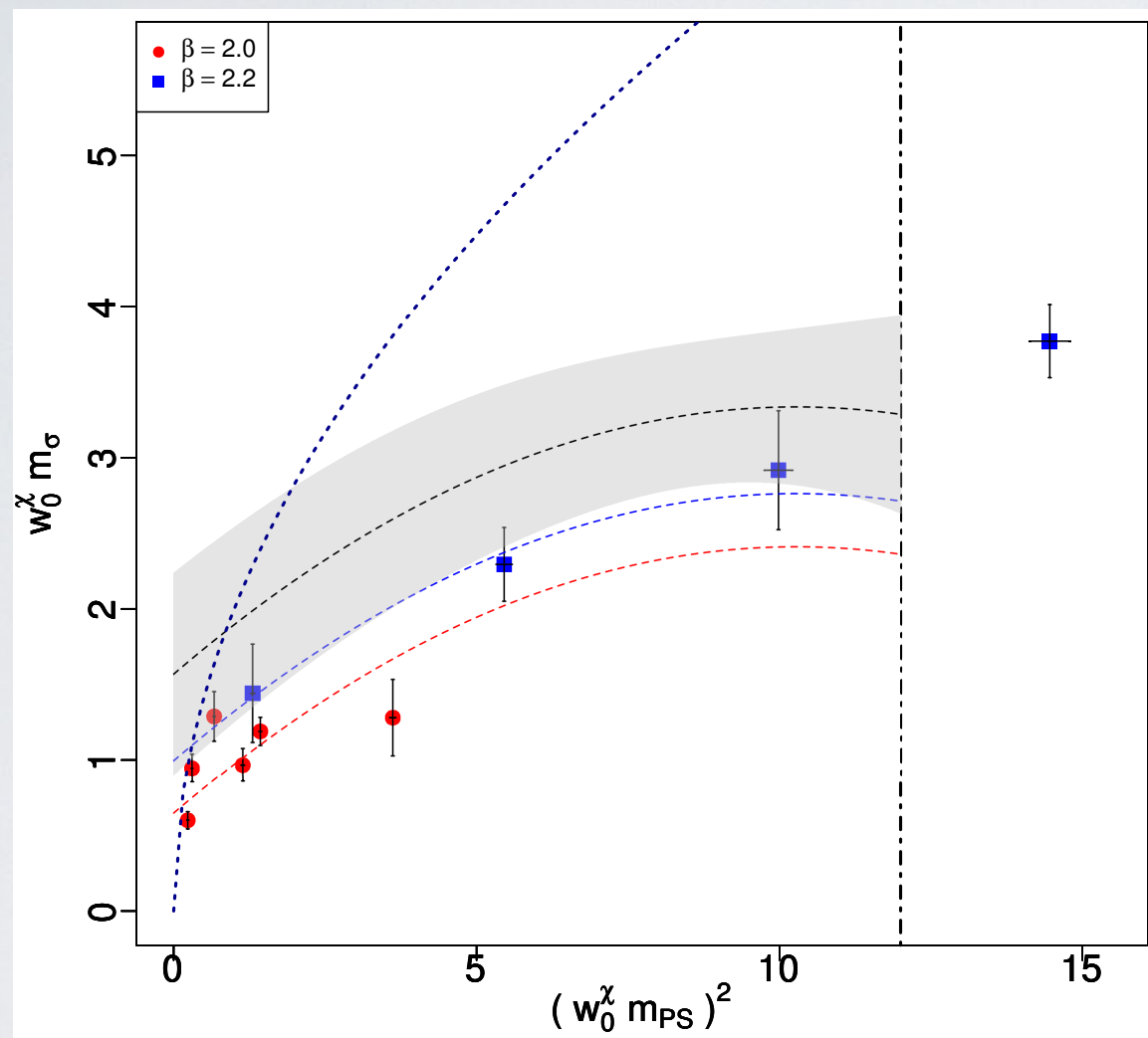


Based on [1602.06559], [1607.06654]

SU(2) Fund $N_f=2$

Talks by Drach, Janowski [Mon,Thu]

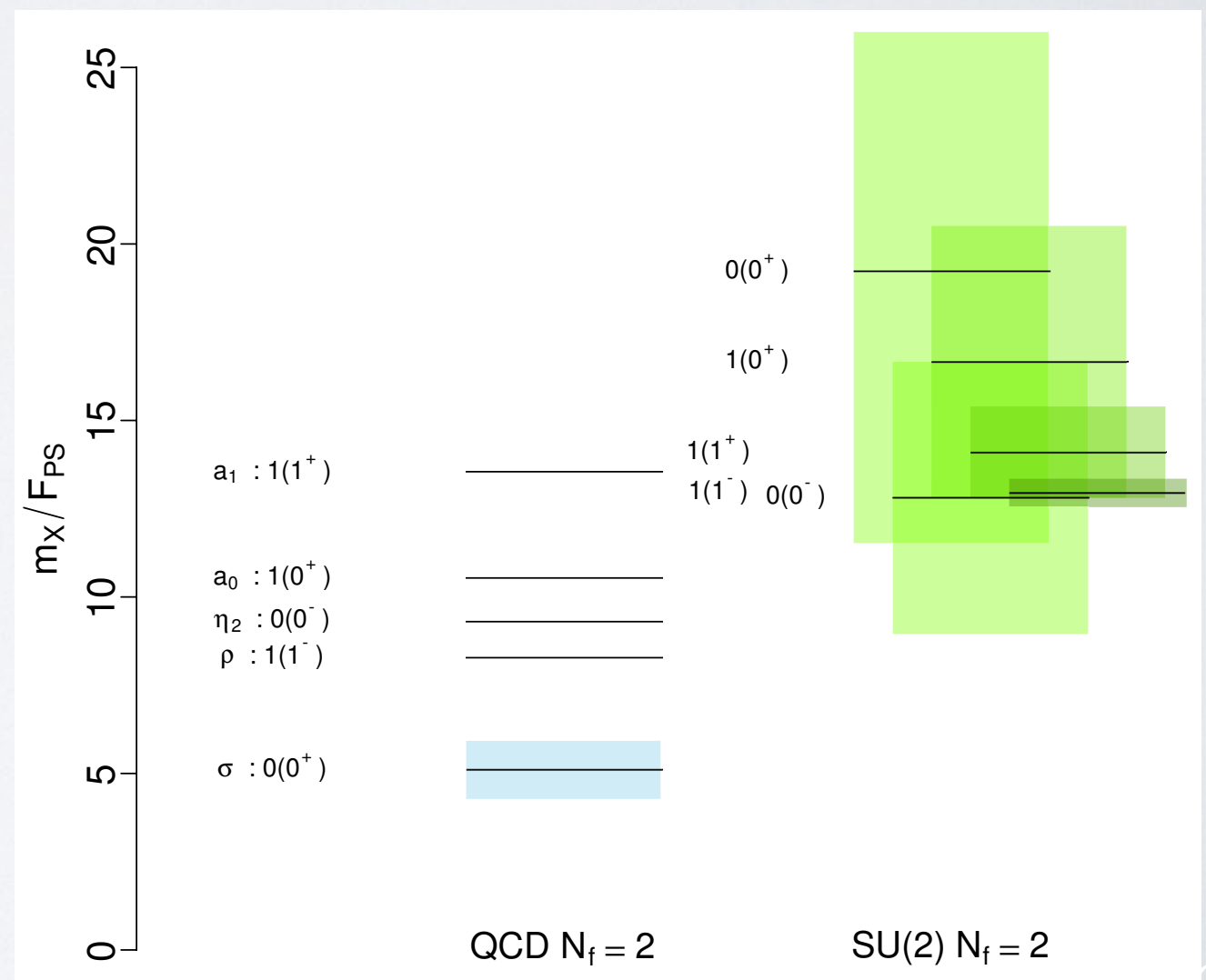
- new scalar spectrum



SU(2) Fund $N_f=2$

Talks by Drach, Janowski [Mon,Thu]

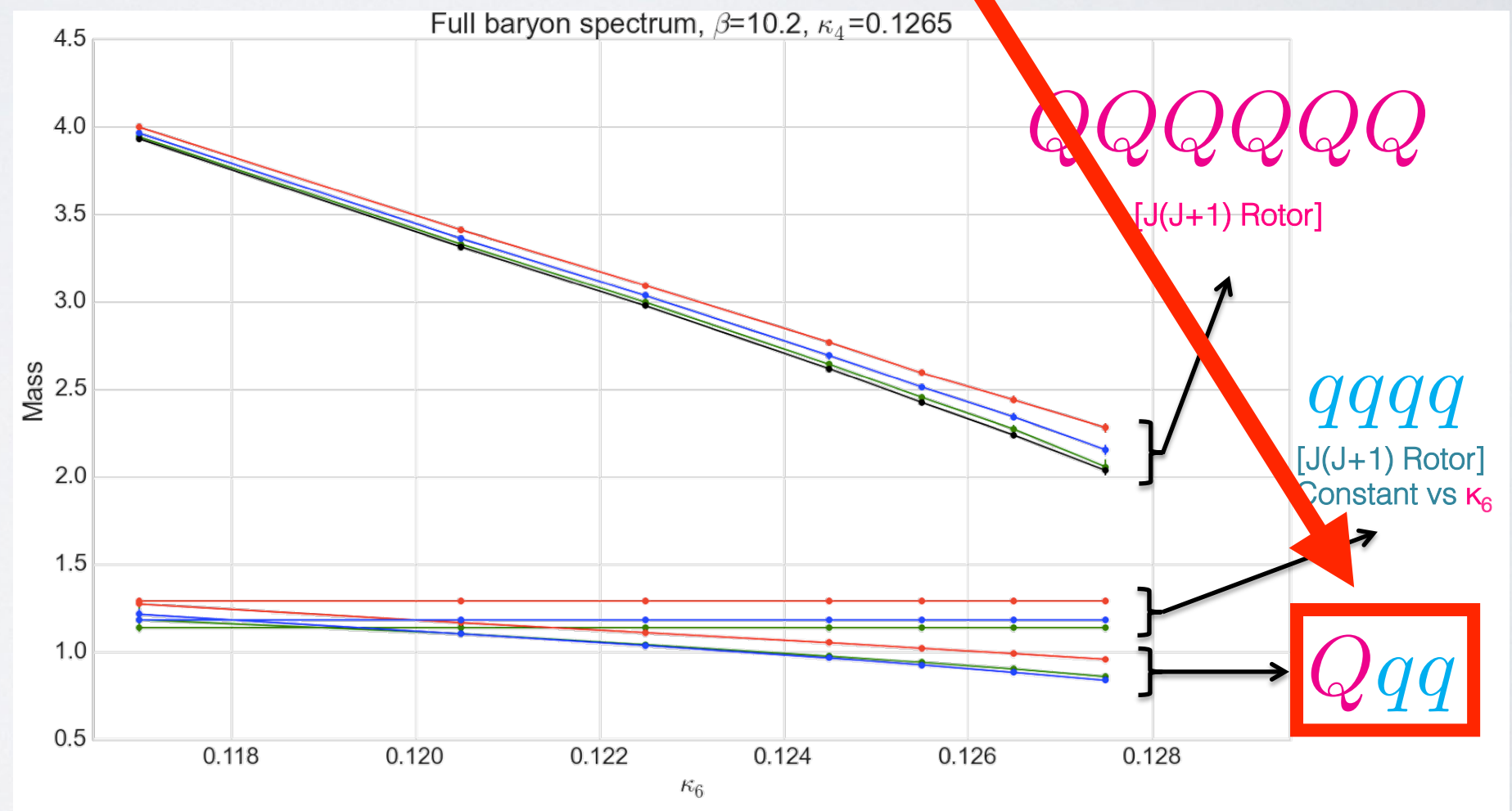
- Spectrum of heavy resonances > 15 TeV
(depends on EW vacuum alignment angle)
- Better control of extrapolations needed
- Predicts pNGB Higgs with no extra resonances to be seen at LHC, barring extra pNGB in the spectrum



$SU(4) \ N_f = 2F + 2$ Sextet

Talk by Jay [Thu]

- First investigation of model with 2 irreps, same as Ferretti's [1404.7137]
- Partially quenched (sextet) exploration of “chimera” baryons
 - can be light $\rightarrow$ good for phenomenology
 - anomalous dimensions?



SU(4) $N_f=2$ Sextet

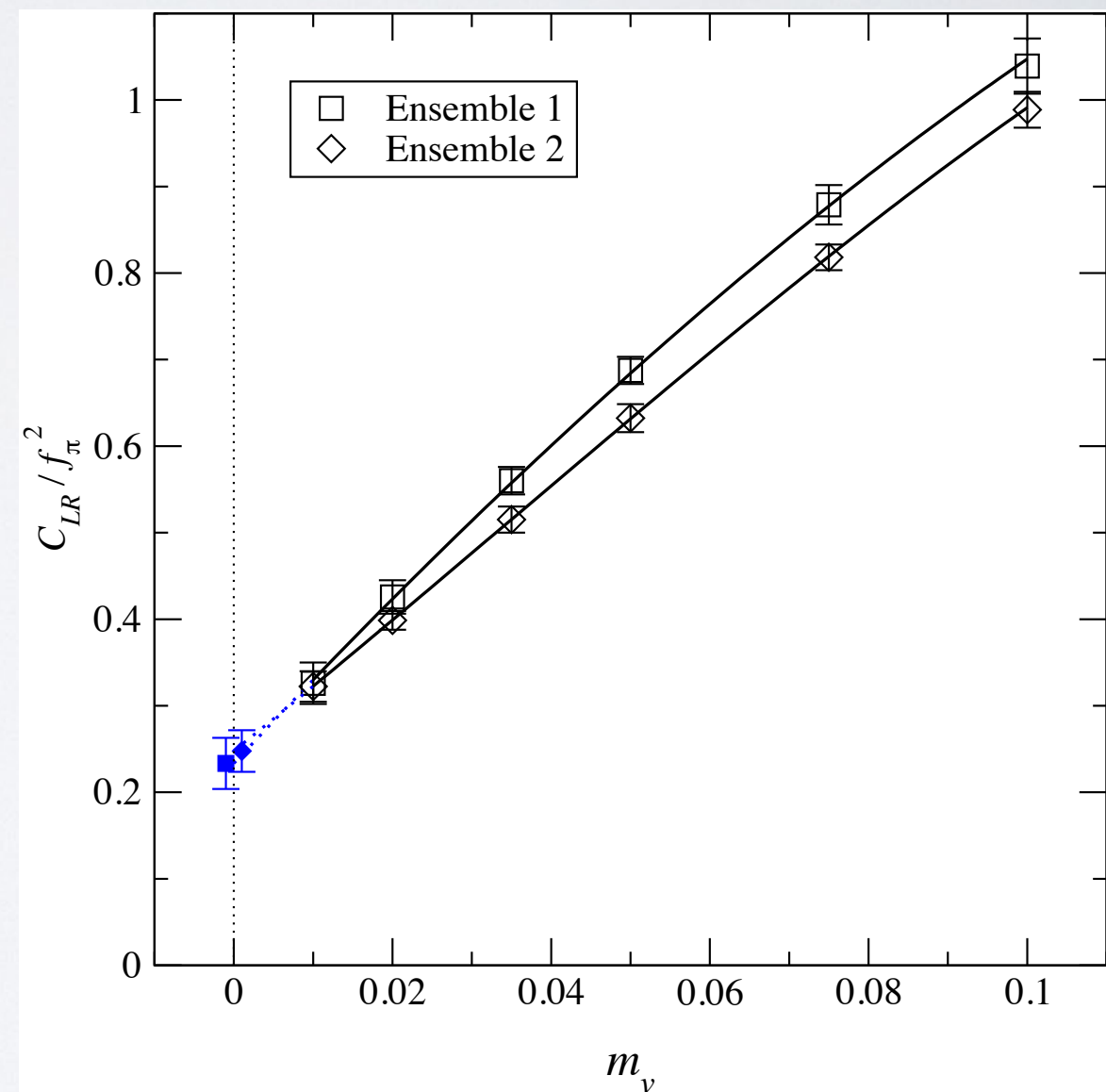
Talk by Svetitsky [Thu]

- Radiative contribution to pNGB Higgs potential from EW gauge bosons

$$V_{EW}(h) = (3g^2 + g'^2)C_{LR} \left(\frac{h}{f}\right)^2 + O(h^4) \quad C_{LR} = \int_0^\infty dq^2 q^2 \Pi_{LR}(q^2)$$

$$(q^2 \delta_{\mu\nu} - q_\mu q_\nu) \Pi_{LR}(q^2) = - \int d^4x e^{iqx} \langle J_\mu^L(x) J_\nu^R(0) \rangle$$

- Currents calculated with overlap fermions on 2 sea actions
- Alternative method via “Minimal Hadron Approximation” consistent



Conclusions

- Much activity and progress both on model exploration and tools
- Lattice simulations yield first principle results for the SD dynamics which can provide crucial input for model building
- **BAD:**
 - ▶ Despite many efforts, still controversy on the location of the Conformal Window. Need better methods?
 - ▶ IR conformal models with large γ^* : where are they?
 - ▶ Difficult to control systematics for “walking” models

Conclusions

- Much activity and progress both on model exploration and tools
- Lattice simulations yield first principle results for the SD dynamics which can provide crucial input for model building
- **GOOD:**
 - ▶ Phenomenologically interesting models are being investigated:
 - 1) strongly coupled models with light scalars;
 - 2) pNGB Higgs models
 - ▶ New tools for BSM models are being developed
 - ▶ (Preliminary) Results for the resonance spectrum of many models (N_c , N_f , irrep) are available
Already useful for model builders?

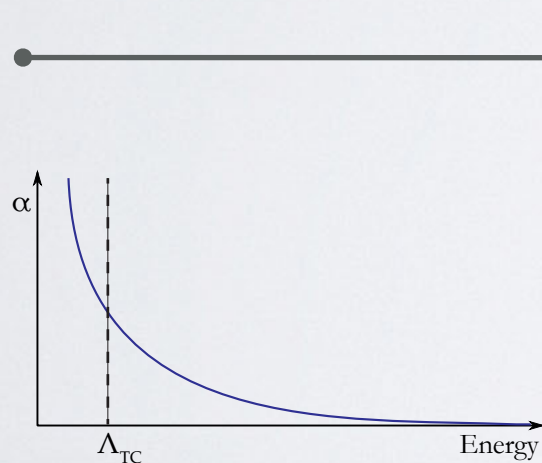
Conclusions

- Much activity and progress both on model exploration and tools
- Lattice simulations yield first principle results for the SD dynamics which can provide crucial input for model building
- **GOOD:**
 - ▶ Phenomenologically interesting models are being investigated:
 - 1) strongly coupled models with light scalars;
 - 2) pNGB Higgs models
 - ▶ New tools for BSM models are being developed
 - ▶ (Preliminary) Results for the resonance spectrum of many models (N_c , N_f , irrep) are available
Already useful for model builders?

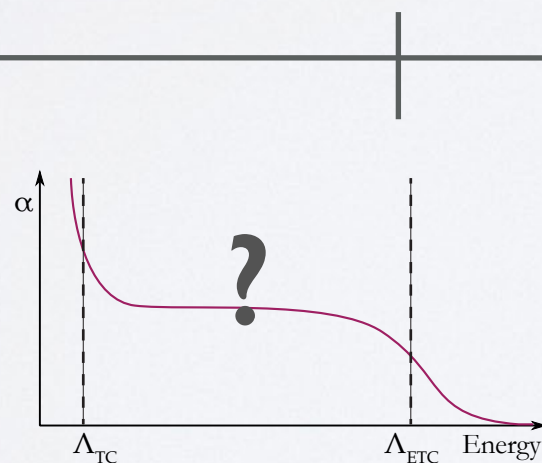
Conformal Window

- Gauge Group: SU, SO, SP, Exceptional
- Matter Representation(s)
- # of Flavors per Representation

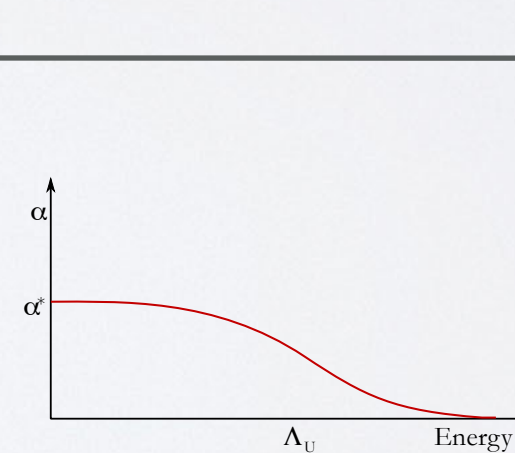
QCD-like



IR conformal

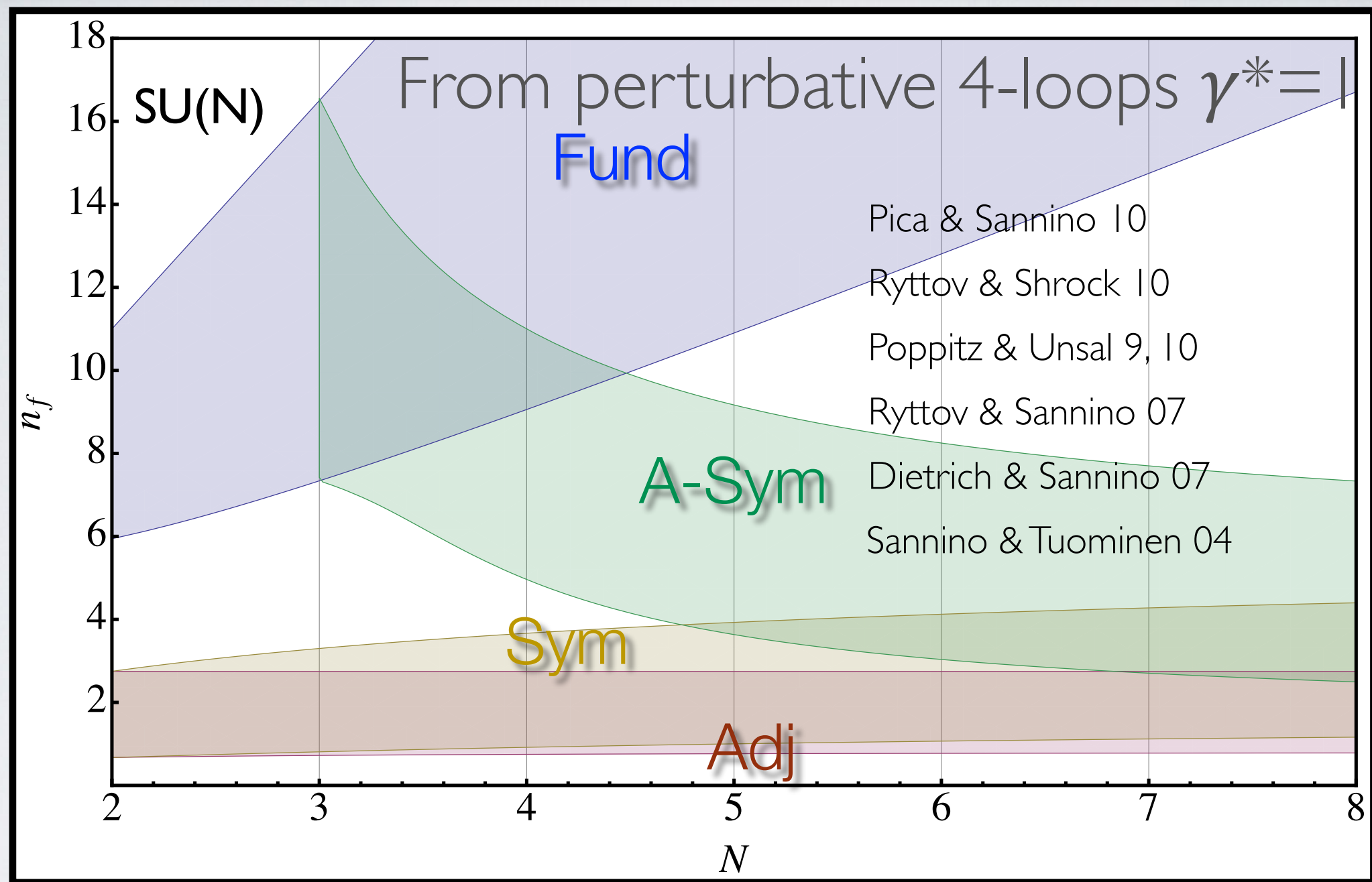


No AF



N_f

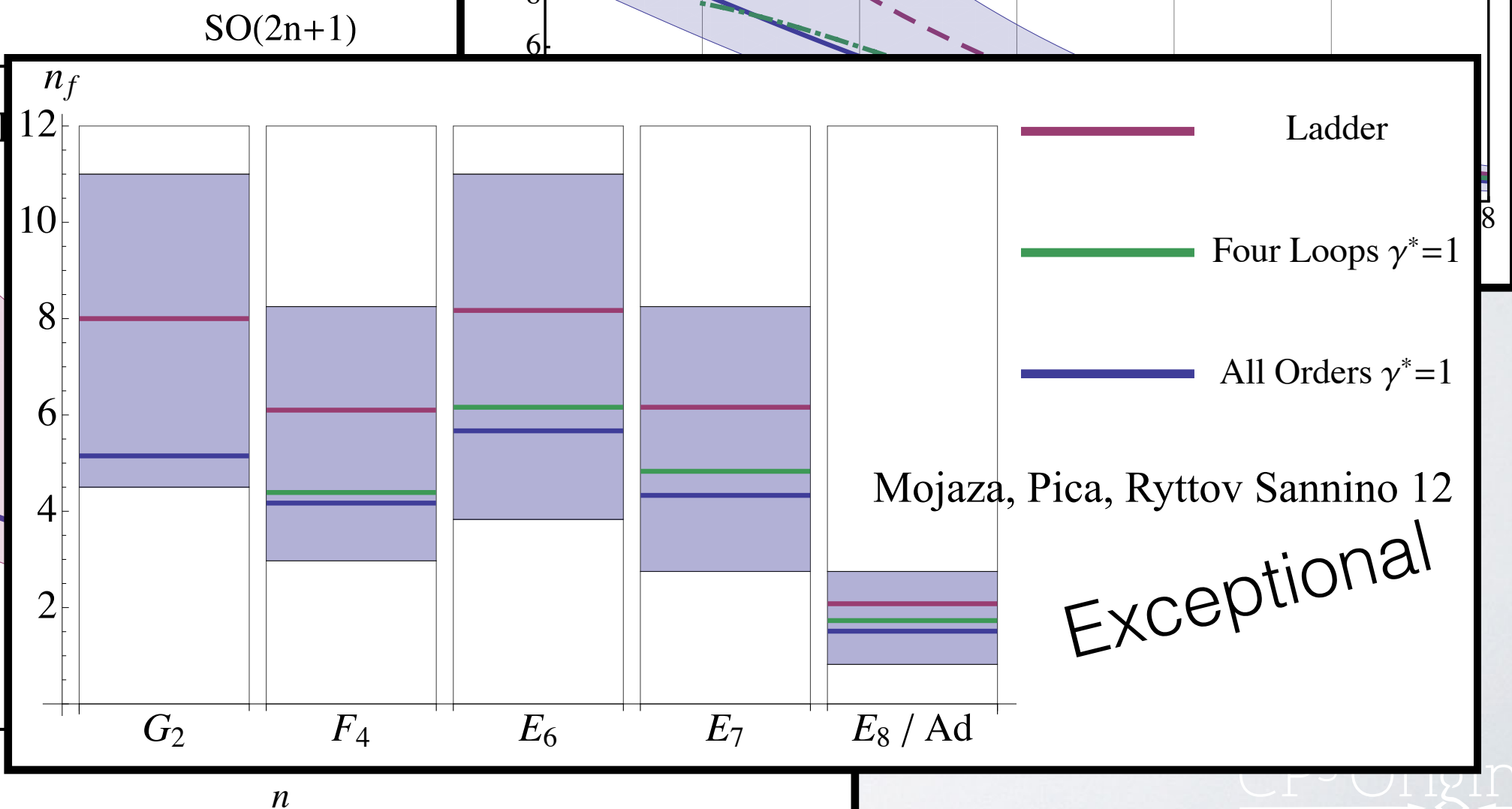
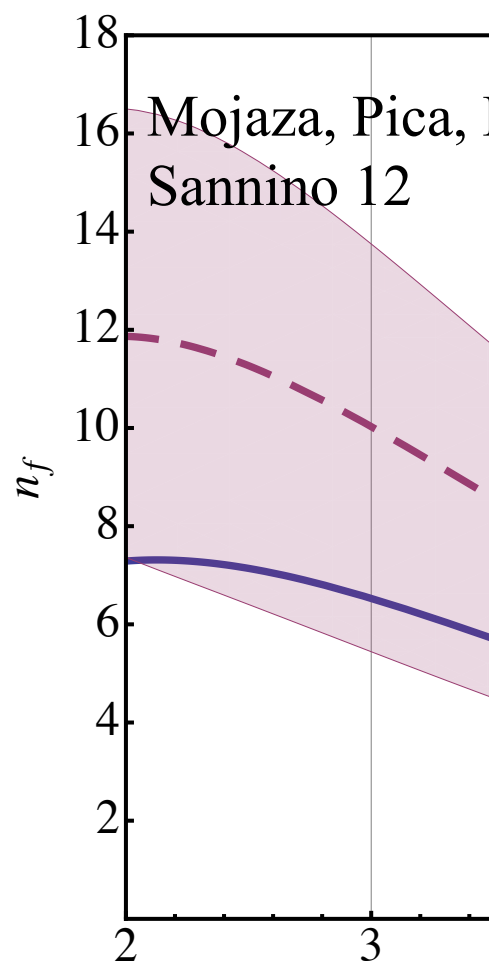
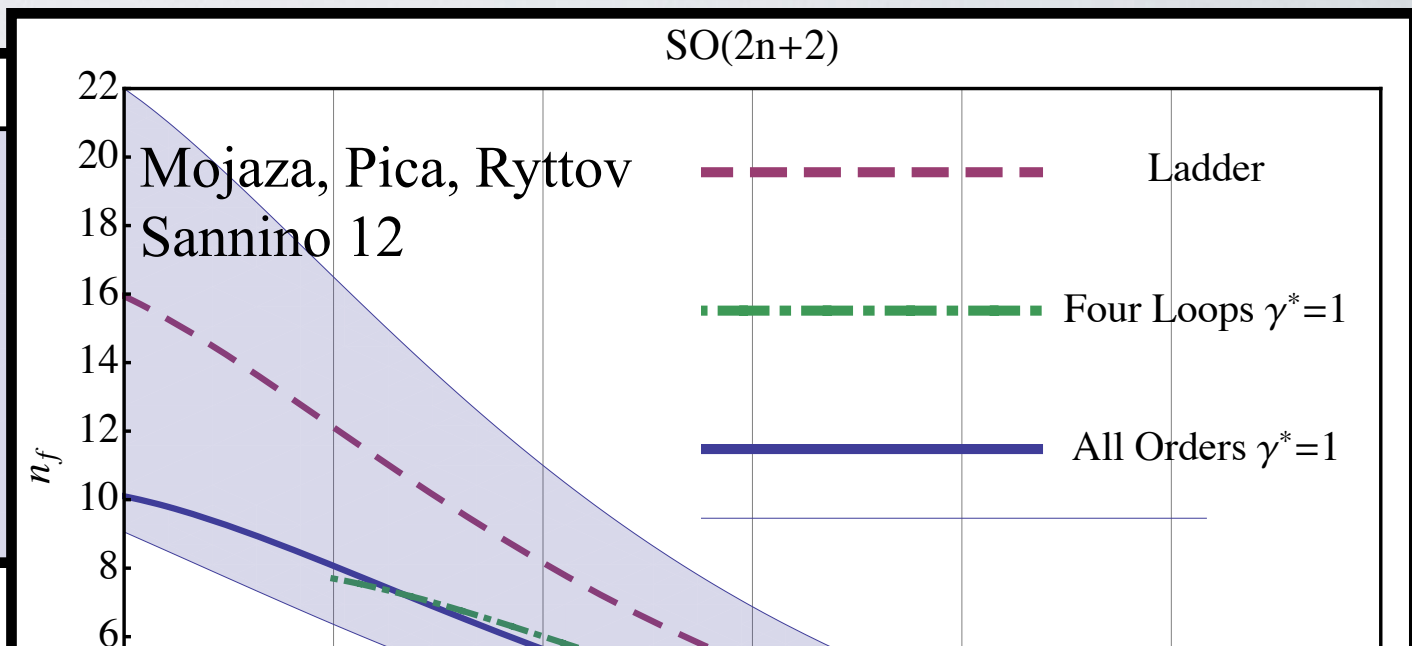
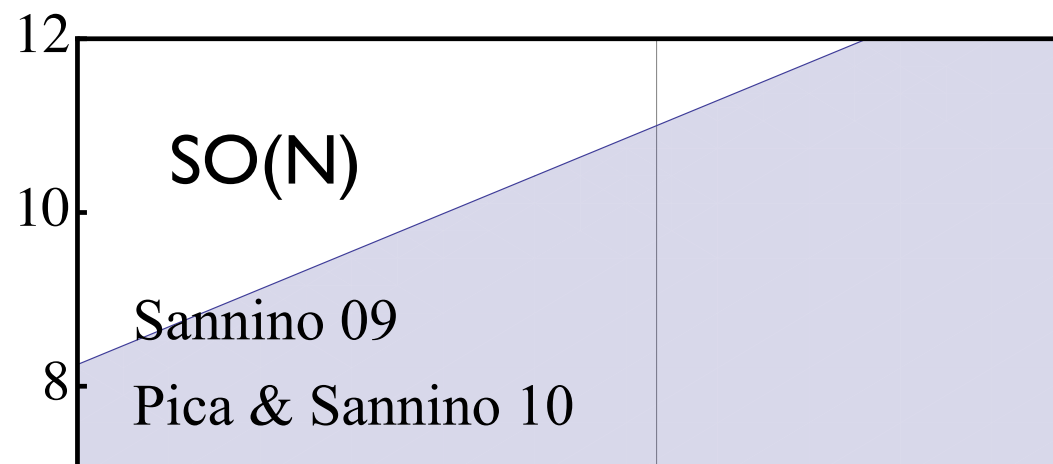
SU(N)



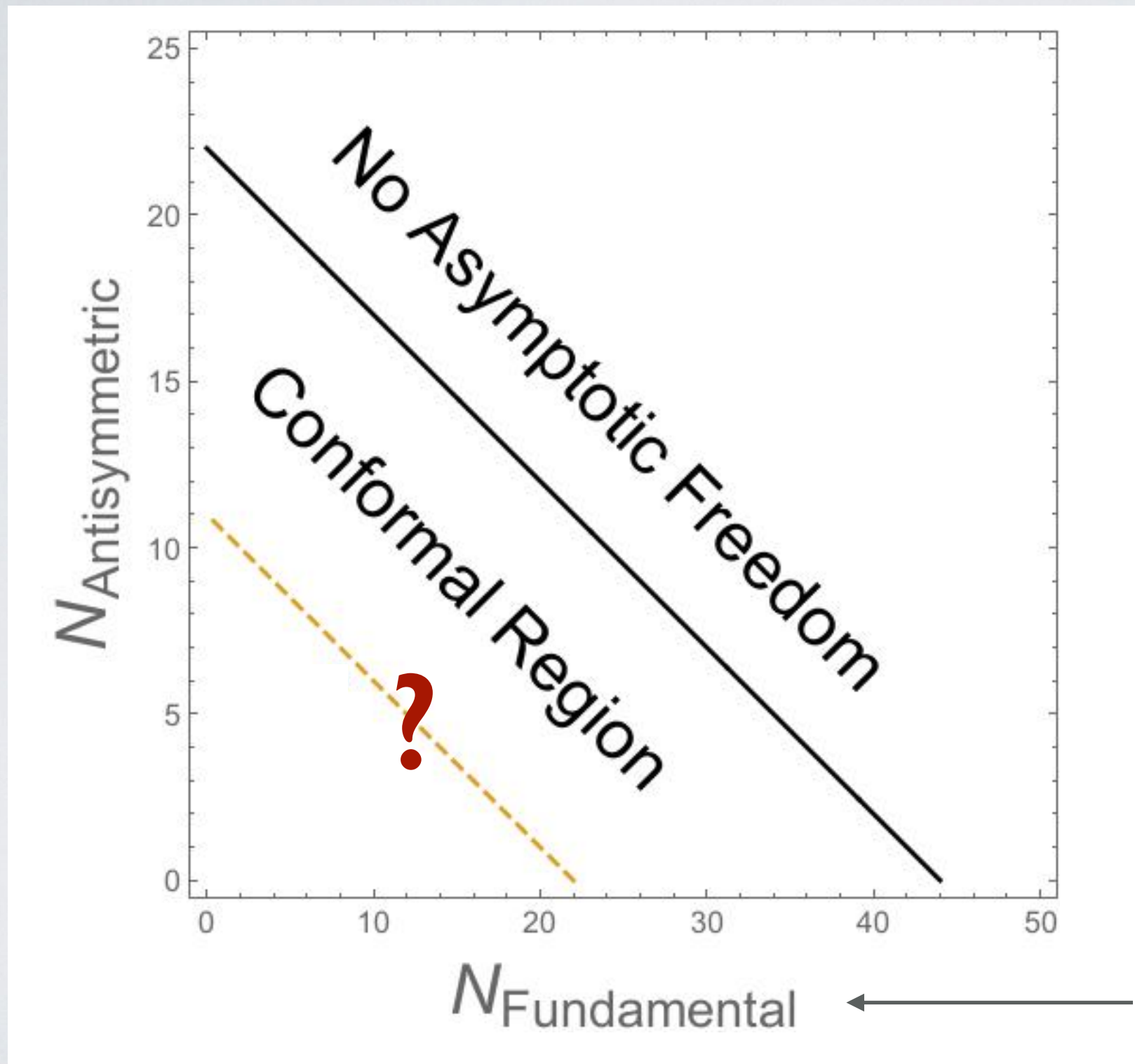
Other methods to estimate the lower boundary available: Schwinger–Dyson eq, counting of thermal d.o.f.,

not all in agreement → **NEED non-perturbative Lattice determination**

Other Gauge Groups



Multiple Representations



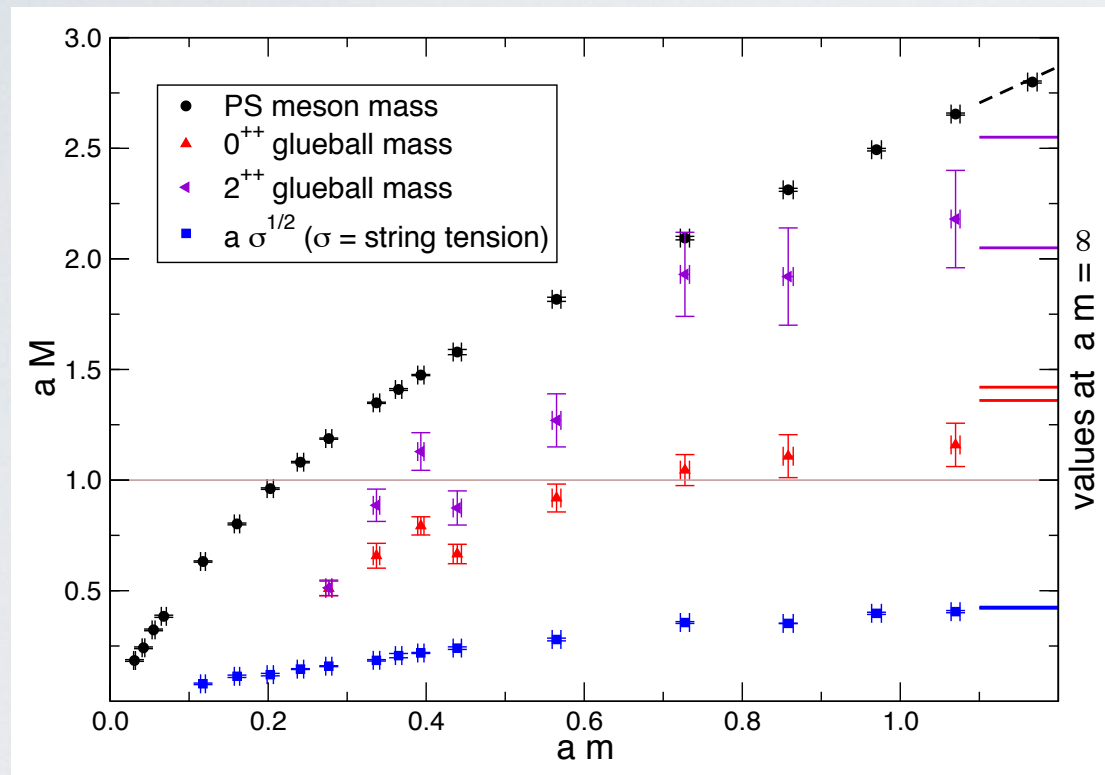
Weyl fermions

For an estimate of the conformal window, see also:
Ryttov, Sannino, Int.J.Mod.Phys. A25 (2010) 4603-4621 [0906.0307]

Light Scalars in Mass deformed Models

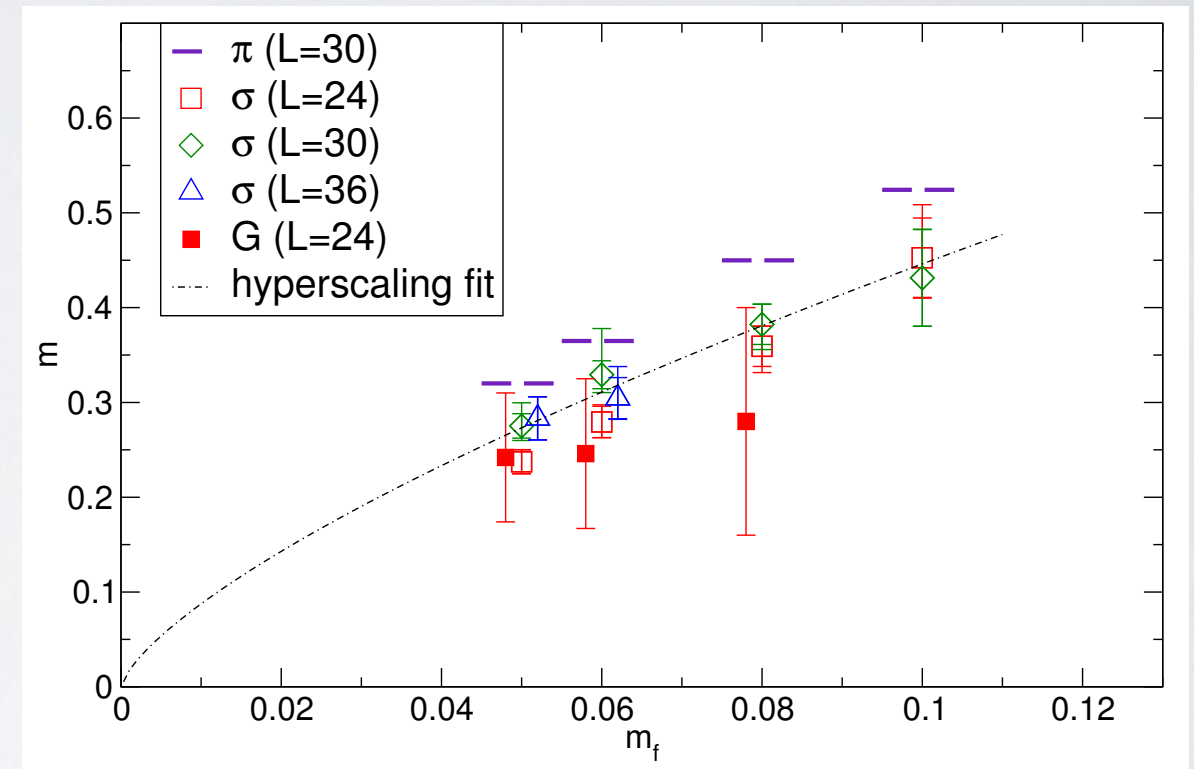
SU(2) Adj Nf=2

Phys. Rev. D 82, 014510 (2010)



SU(3) Fund Nf=12

Phys. Rev. Lett. 111, 162001 (2013)



Are light scalar states a generic feature of mass deformed (weakly coupled?) IR models?