

# Where Do We Come From What Are We Where Are We Going

John March-Russell  
Oxford University





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*(not Tahiti, Abingdon UK HEP!)*

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# The Situation...

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Recent experiments have confirmed the earlier indirect indications of a fundamental propagating Bose field to better than 5 sigma



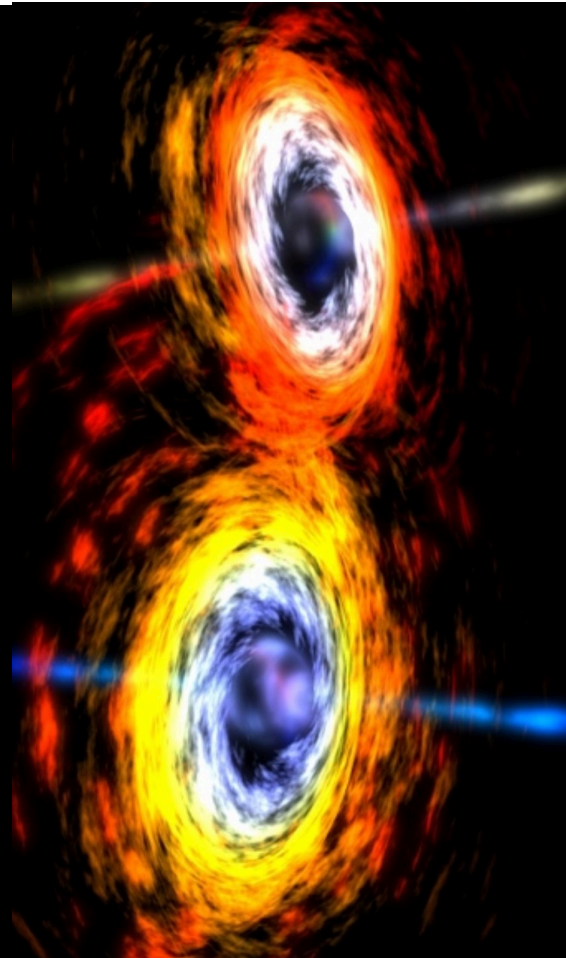
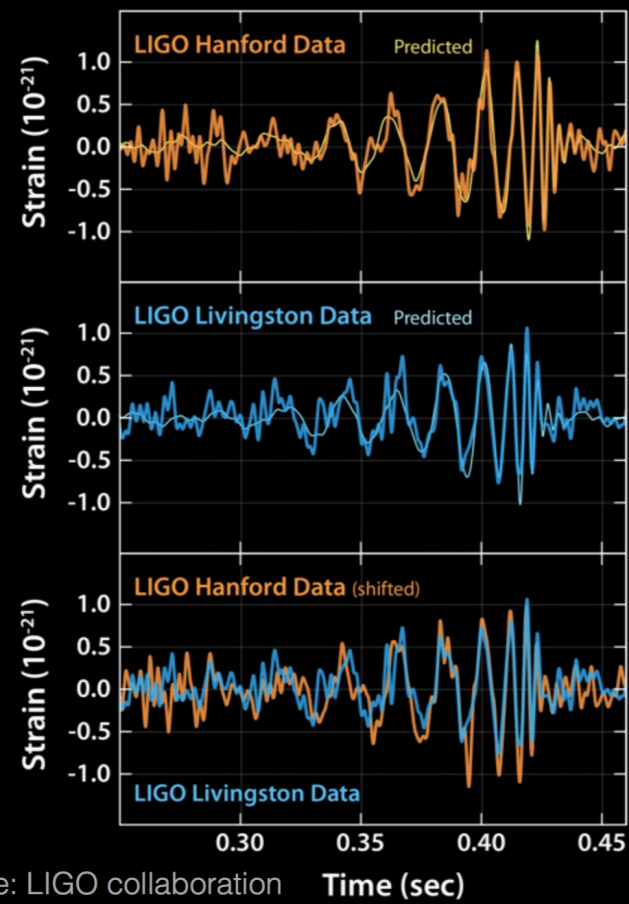
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Recent experiments have confirmed the earlier indirect indications of a fundamental propagating Bose field to better than 5 sigma

And have triumphantly verified our standard model (with yet no "new" physics, though mass scales are heavier than expected)

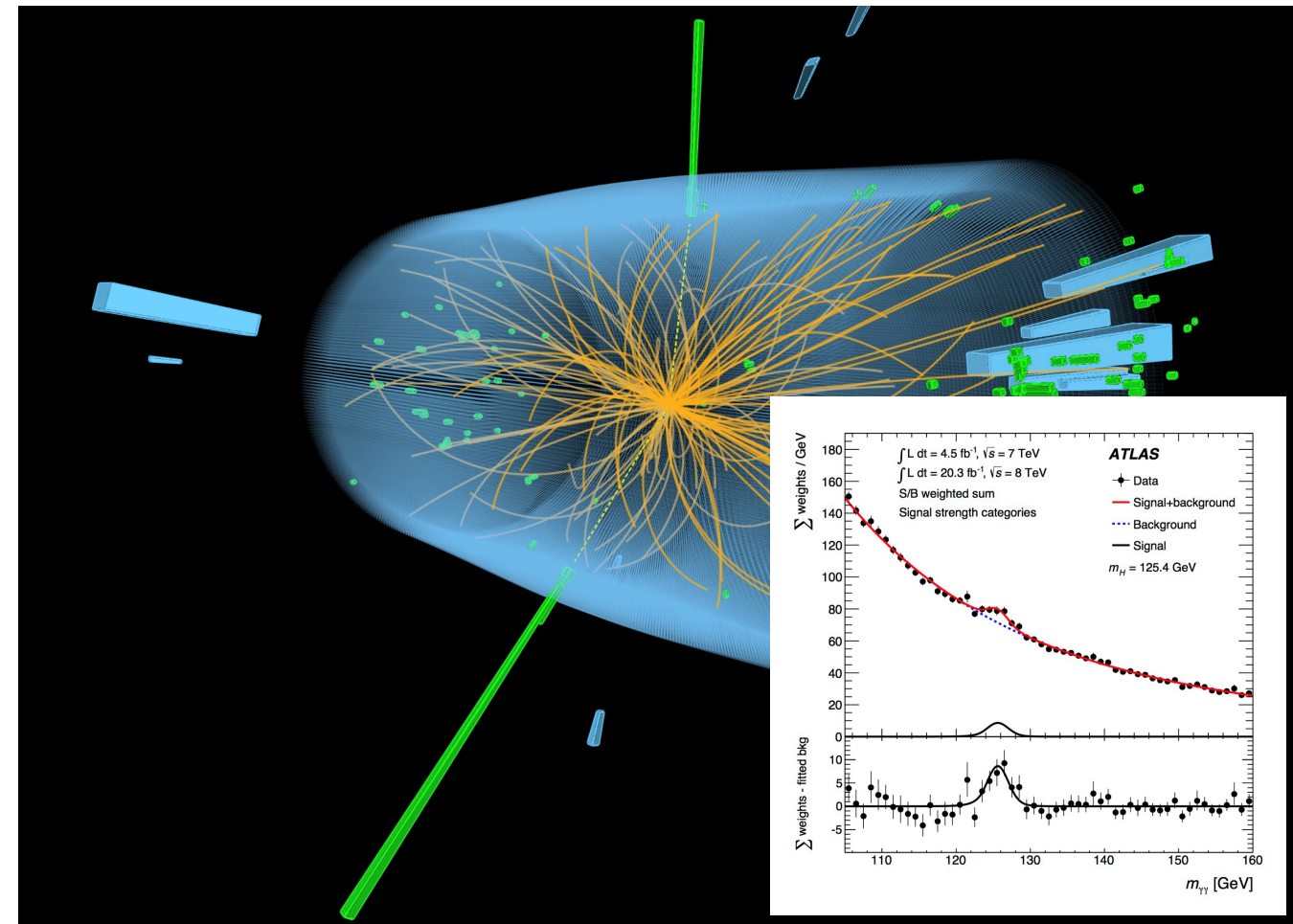
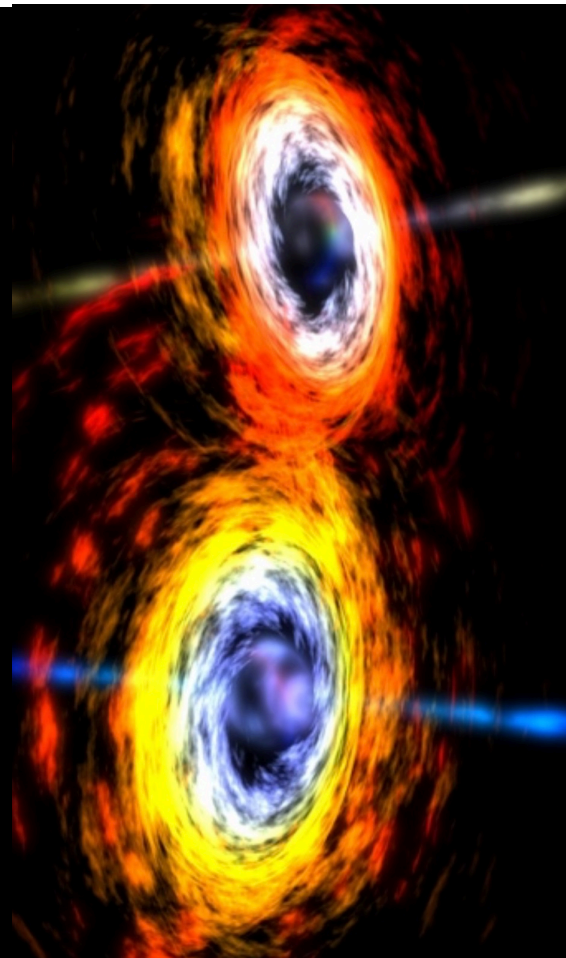
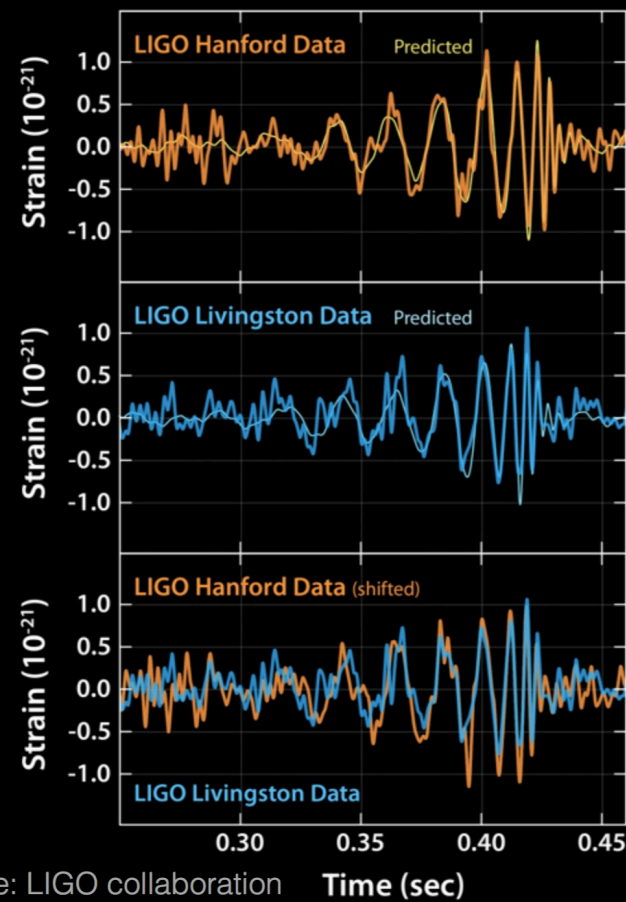


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Nature + beautiful experiments have provided us with *two* new dof/probes with special status

- Gravity waves are unique probes of extreme conditions *and* the *very* Early Universe
- Among all SM particles the Higgs is uniquely sensitive to *very* high scales *and* hidden physics
- Both gravity and EWSB are deeply mysterious (and have been getting more so...)

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*we are in process of learning fundamental lessons*



# No lack of major questions...

- Origin of the Weak Scale
- Flavour-physics
- CP-violation
- Dark matter
- Strong CP problem
- Gauge unification
- Neutrino masses
- Family replication
- Baryogenesis
- Inflation
- Almost zero vacuum energy

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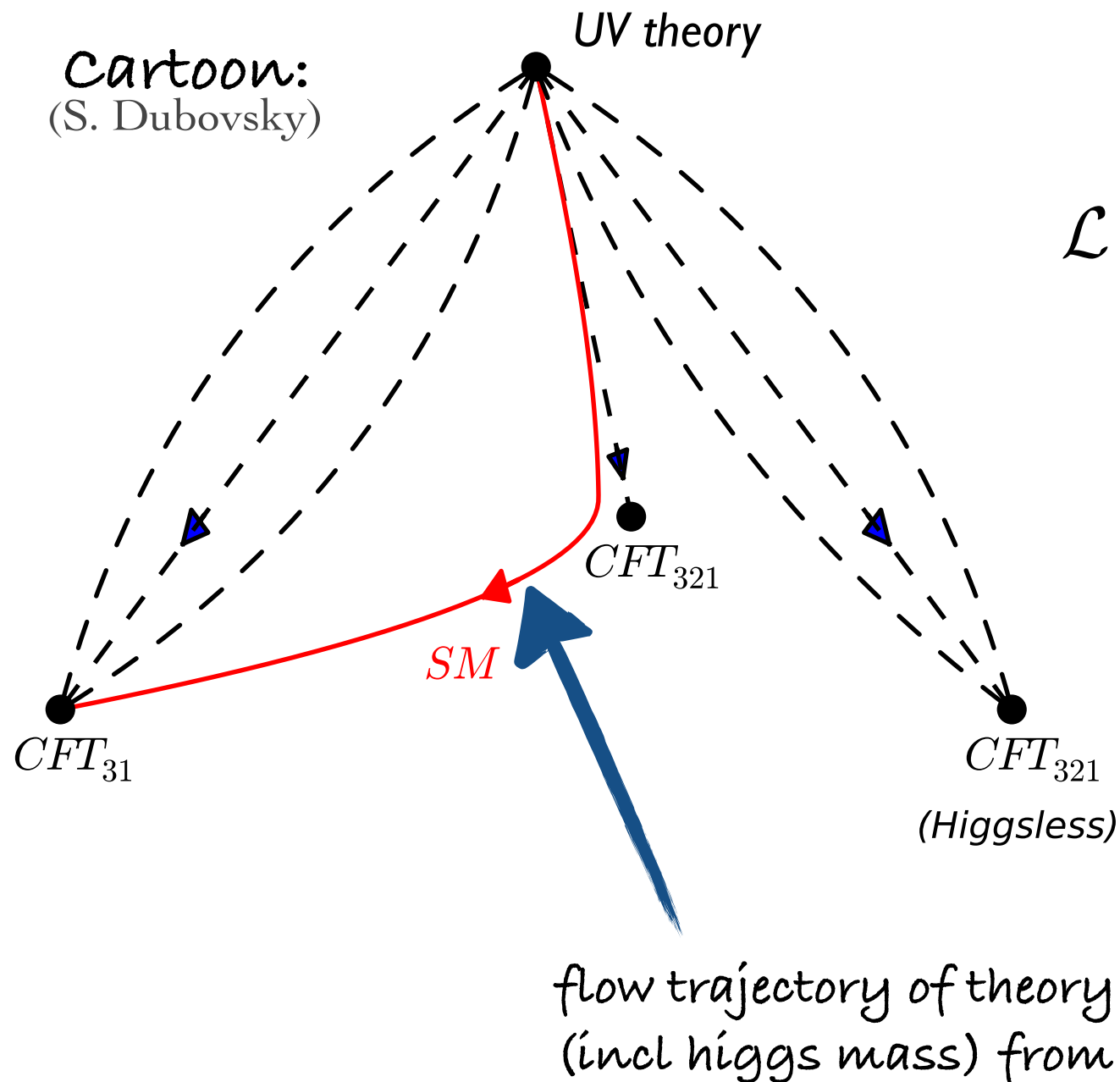
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*most strongly affected by answer to first*



# Hierarchy Problem

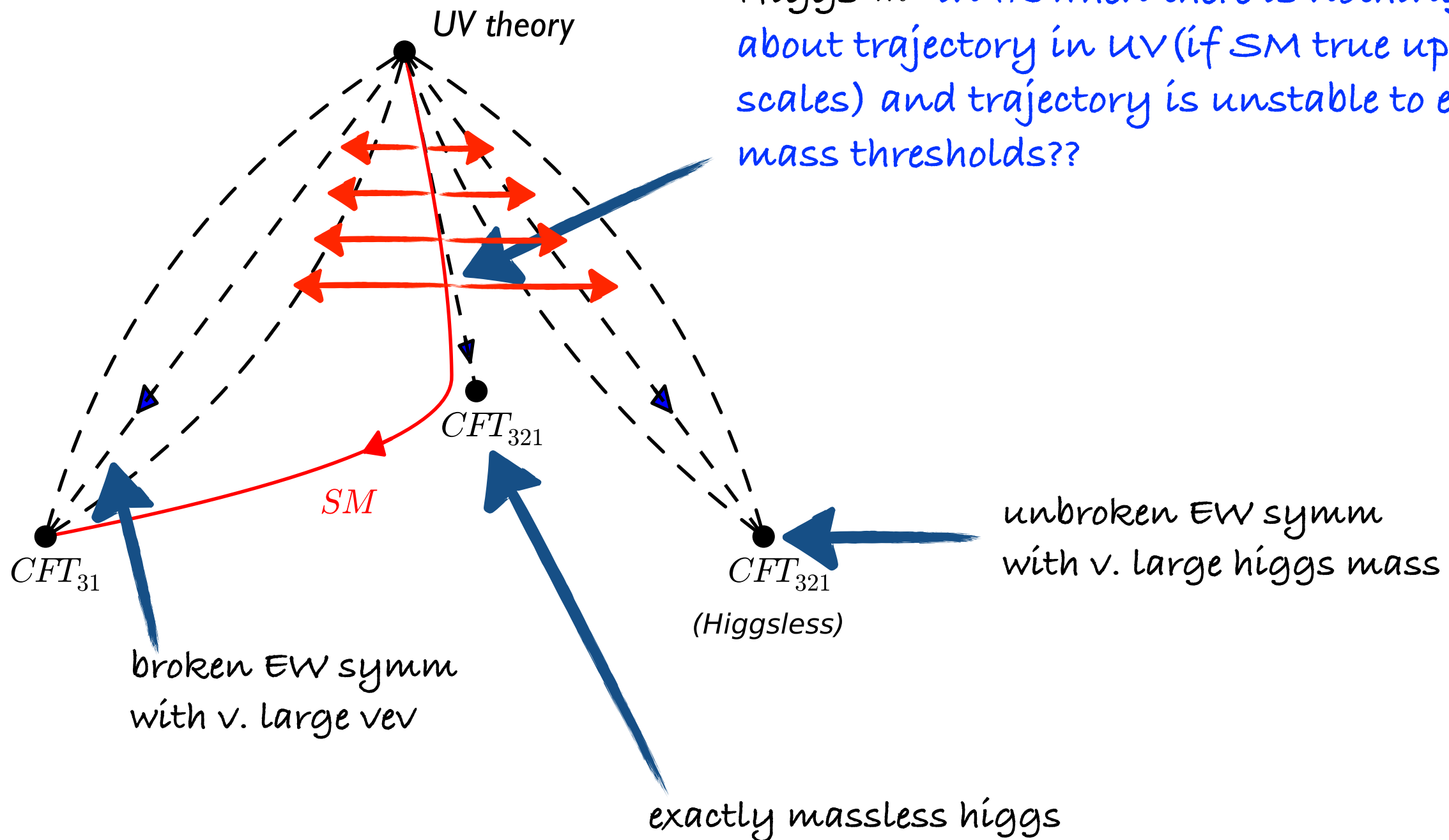
Can discuss hierarchy problem directly in terms of the **Wilsonian RG flow of finite quantities** (no quadratic divergencies here...!)



$$\mathcal{L} = \mathcal{L}_{321} + m^2 H^\dagger H + \sum_i \frac{\mathcal{O}^{\Delta_i}}{\Lambda_{UV}^{(\Delta_i-4)}}$$

strongly relevant operator  
not forbidden by symm if  
SM correct

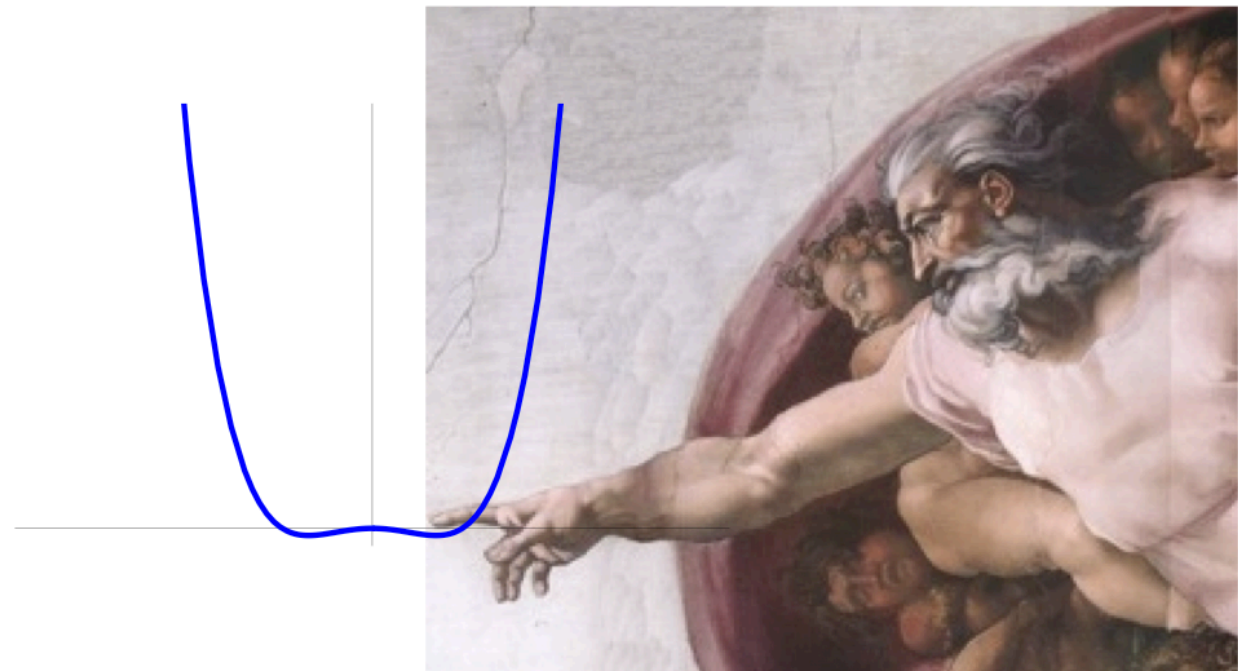
# Hierarchy Problem

[illegible]



# Hierarchy Problem

Like tuning of a phase transition to 2nd-order point — nothing *a-priori* special about 374.4 C and 217.7 atm for water — an experimentalist has to very carefully *tune* the knobs!



$$|T - T_c| \ll T$$

pictures courtesy R. Rattazzi & V. Rychkov  
who stole them anyway

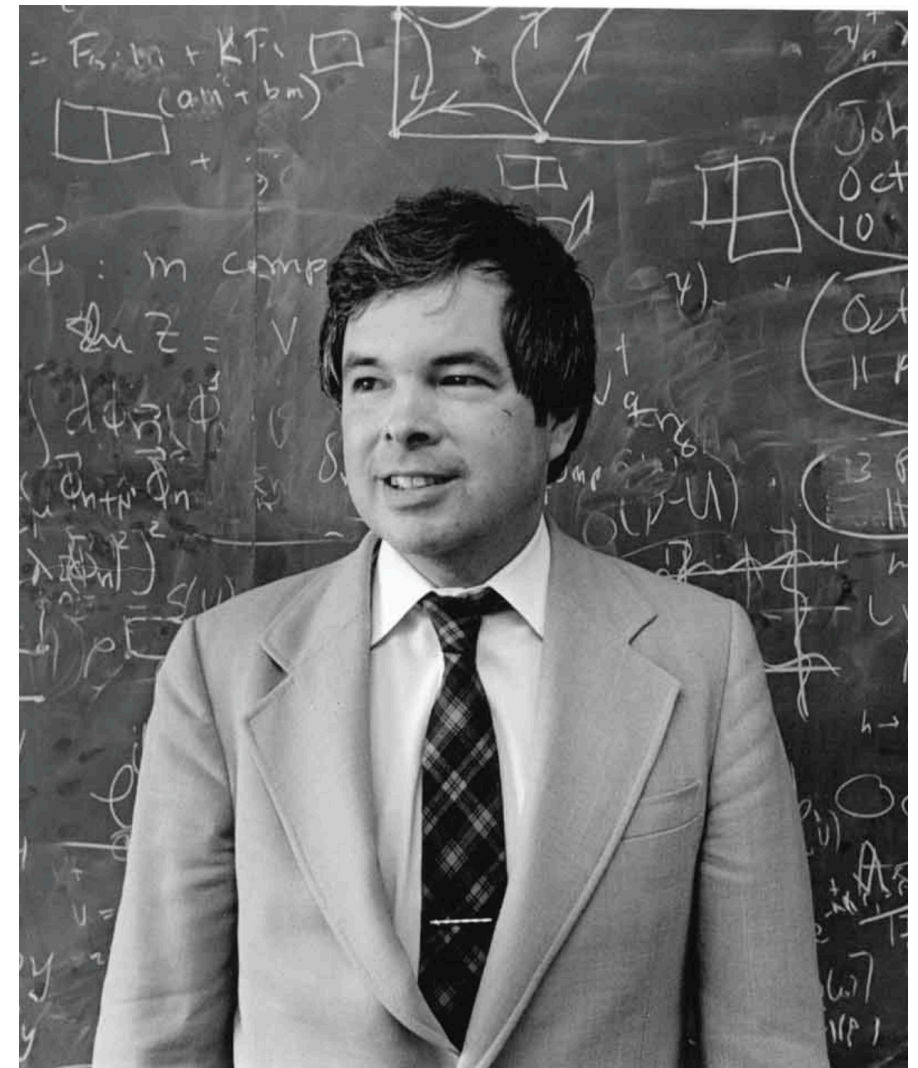
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Hierarchy problem is sharp for theories where Higgs properties (EWSB condensate, and Higgs mass) are calculable

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Unless there is a solution to  
the HP at  $< (\text{few TeV})$   
energies we almost certainly  
violate the Wilsonian  
understanding of QFT



# Naturalness aka Dynamics

Past successes of Wilsonian reasoning

## Problem

Hydrogen binding energy

Electron mass

$\pi^+ - \pi^0$  mass difference

Kaon mixing

QCD scale

## Solution

QM  $E_b = \frac{1}{2} \frac{e^4}{(4\pi)^2} m_e$

Chiral Symmetry

Symmetry/Dynamics

Flavour Symmetry

Dimensional Transmutation



(each step v. non-trivial, ~20+ yrs, with qualitatively new dynamics/symmetry)



# Multiverse??

useful to recall some more history...

## Problem

Earth-Sun Distance

Cosmological Constant

7 eV line of  $^{229}\text{Th}$  nucleus

Solar Eclipse & moon's size

## Solution

Anthropic Selection  $10^{22}$  suns ✓

Anthropic Selection  $10^{500}$  universes ???

Many possible lines...

Plain luck!

Major flaws:

How many vacua? Distribution of stable vacua? Which parameters scan and how? With what correlations? What properties should we select on and how detailed? (“existence of atoms” “existence of life”??)

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*No one will/should believe a fully (or partially) tuned multiverse ‘solution’ until every possibility of novel symmetry & dynamics is exhausted*

# Hierarchy Problem

Dynamics/Naturalness at scale now being explored  
by LHC is *by far* best bet

so where is the new physics?! —  
didn't theorists say that it should  
have already revealed itself at LHC?



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yes, certainly the most minimal natural  
theories of the weak scale should have  
shown up (at LEP....)

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saw no/limited deviations from SM  
could be interpreted already as telling us  
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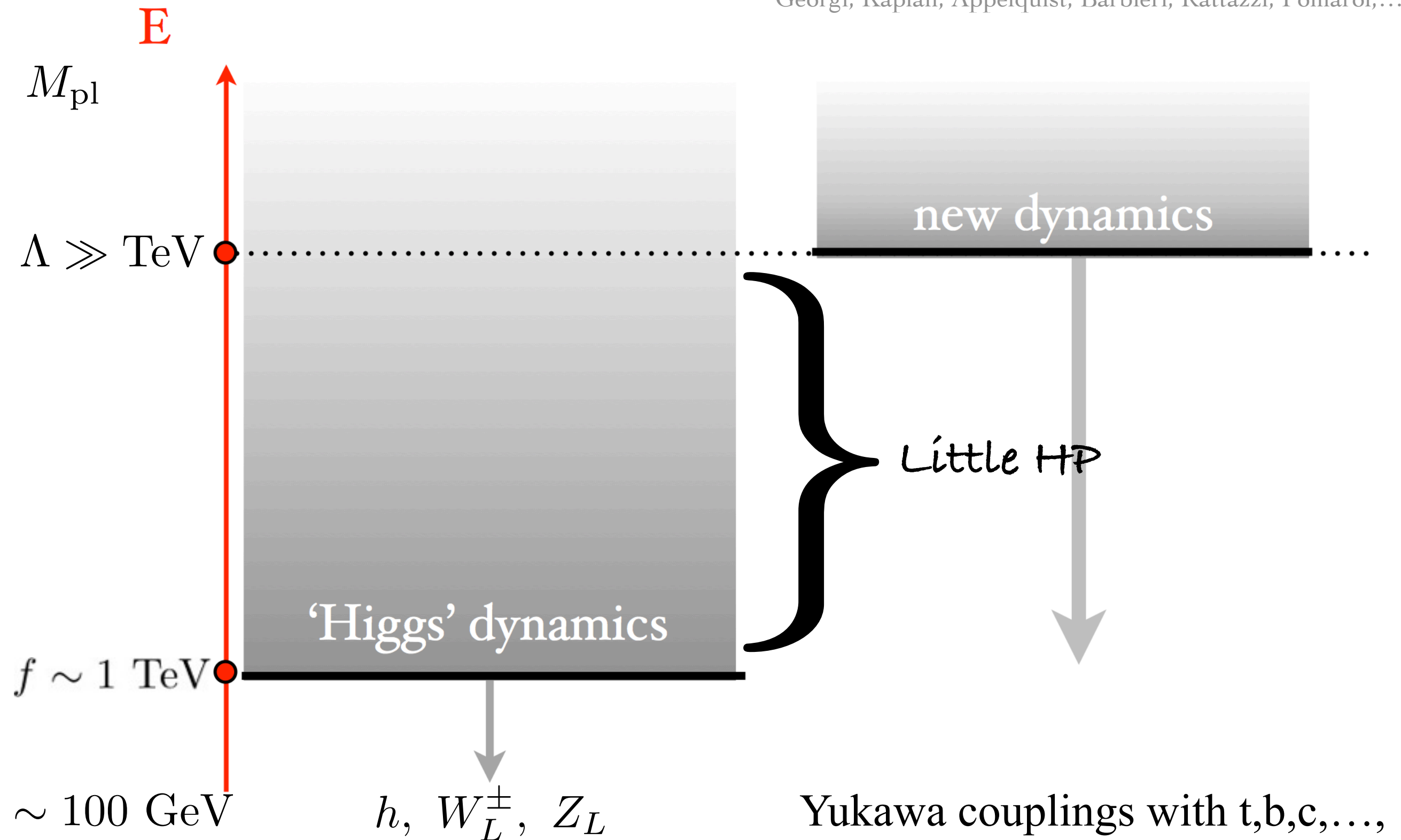
we need to ask if exist unusual natural  
theories still to be explored

(non-QCD-like) Composite EWSB?



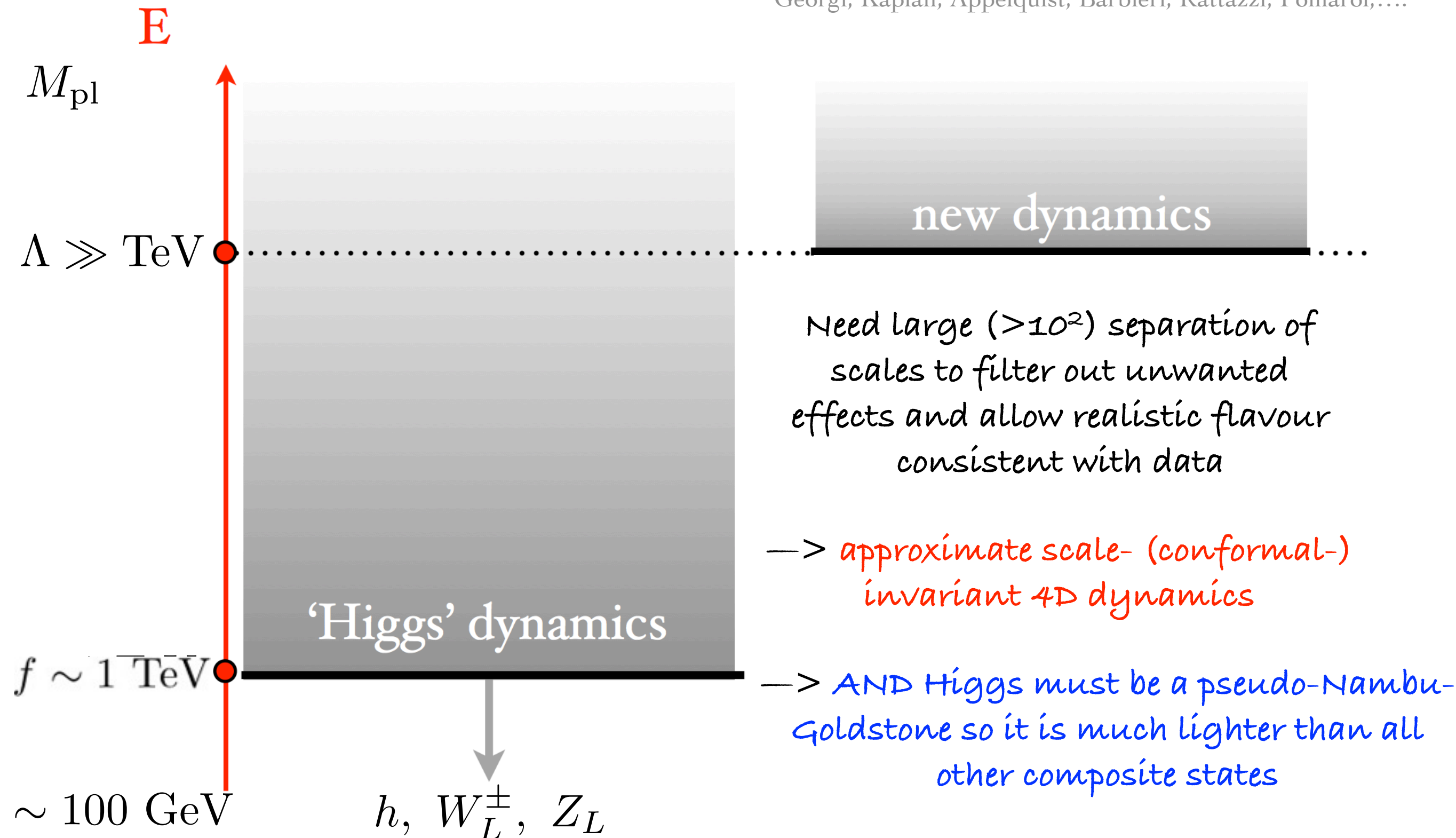
# (non-QCD-like) Composite EWSB?

Georgi, Kaplan, Appelquist, Barbieri, Rattazzi, Pomarol,....



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# (non-QCD-like) Composite EWSB?

Higgs if it is to be so light compared to other scales *must be a pseudo-Nambu-Goldstone*

Georgi, Kaplan

$$H = \frac{1}{\sqrt{2}} \begin{pmatrix} \phi_1 + i\phi_2 \\ h + i\phi_3 \end{pmatrix}$$



all 4 components  
must be pNGBs

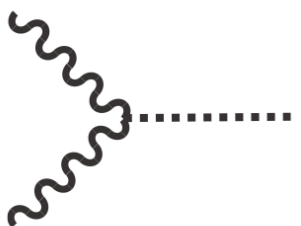
QCD-like-compositeness had global symm structure  $SO(4)/SO(3) \rightarrow$  3 NGB and higgs was massive

Generalise to  $SO(5)/SO(4) \rightarrow$  4 NGBs and higgs is automatically light

# (non-QCD-like) Composite EWSB?

Effective Lagrangian for a composite light pseudo-NG Higgs boson: 2 leading operators

$$\# \frac{1}{2f^2} \partial_\mu |H|^2 \partial^\mu |H|^2$$

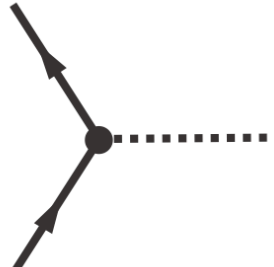


$$a \times \frac{2m_V^2}{v}$$

$$a \simeq 1 - \frac{1}{2} \frac{v^2}{f^2} < 1$$

robust consequence  
of coset structure

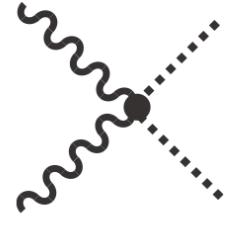
$$\# \frac{y_i}{f^2} (\bar{f}_i f_i H) |H|^2$$



$$c_i \times \frac{m_i}{v}$$

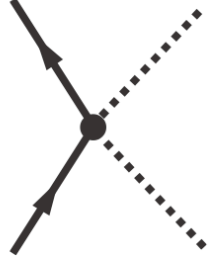
$$c_i \simeq 1 + O\left(\frac{v^2}{f^2}\right) < 1$$

generic but not a theorem



$$b \times \frac{m_V^2}{v^2}$$

$$b \simeq 1 - 2 \frac{v^2}{f^2}$$



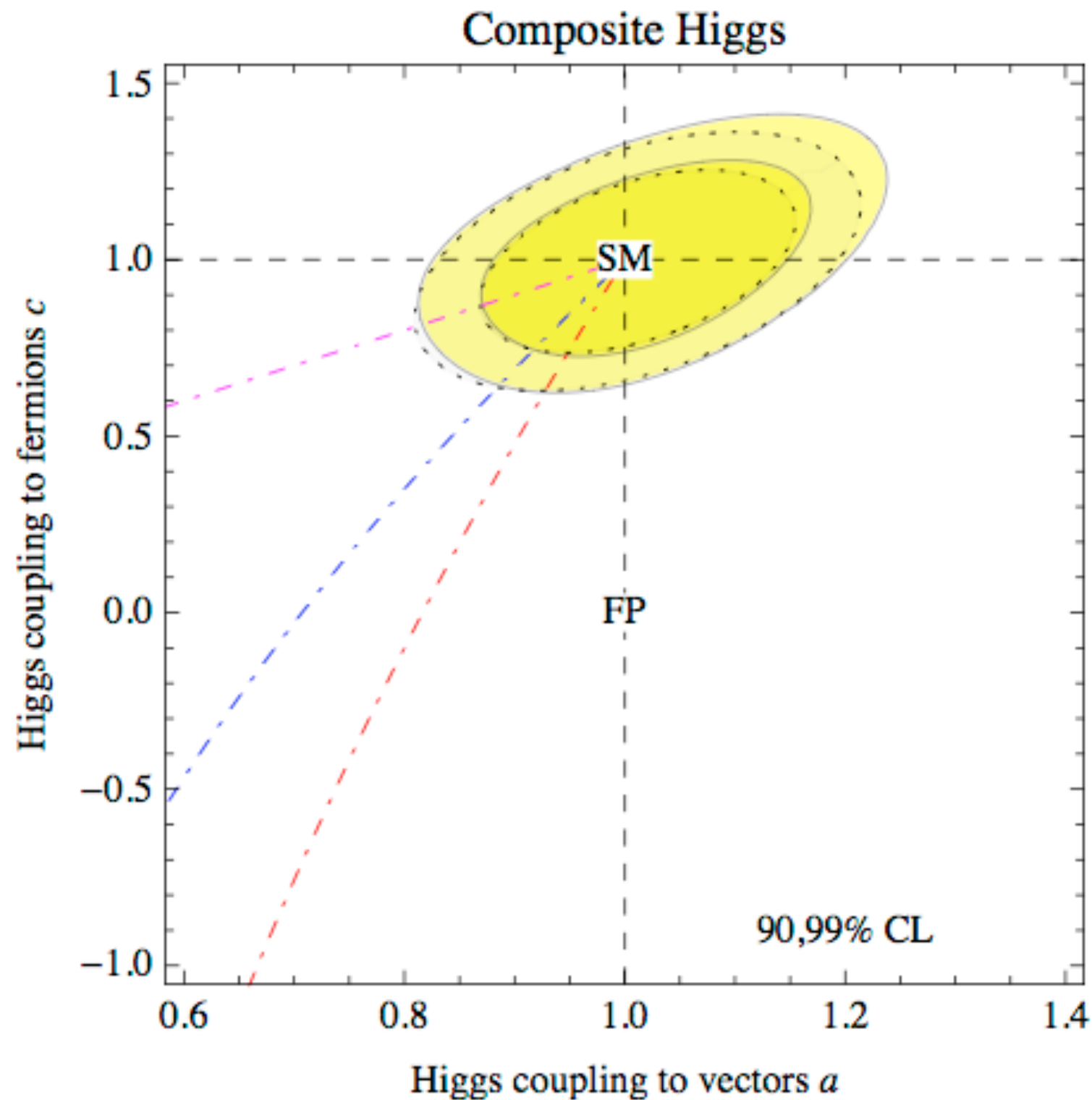
$$\propto \frac{m_i}{f^2}$$

New!

courtesy of R. Rattazzi



# (non-QCD-like) Composite EWSB?



# Prospects for H(125) measurements

Higgs couplings may indicate new physics:  
a few percent precision is a good target

Higgs Snowmass report (arXiv:1310.8361)

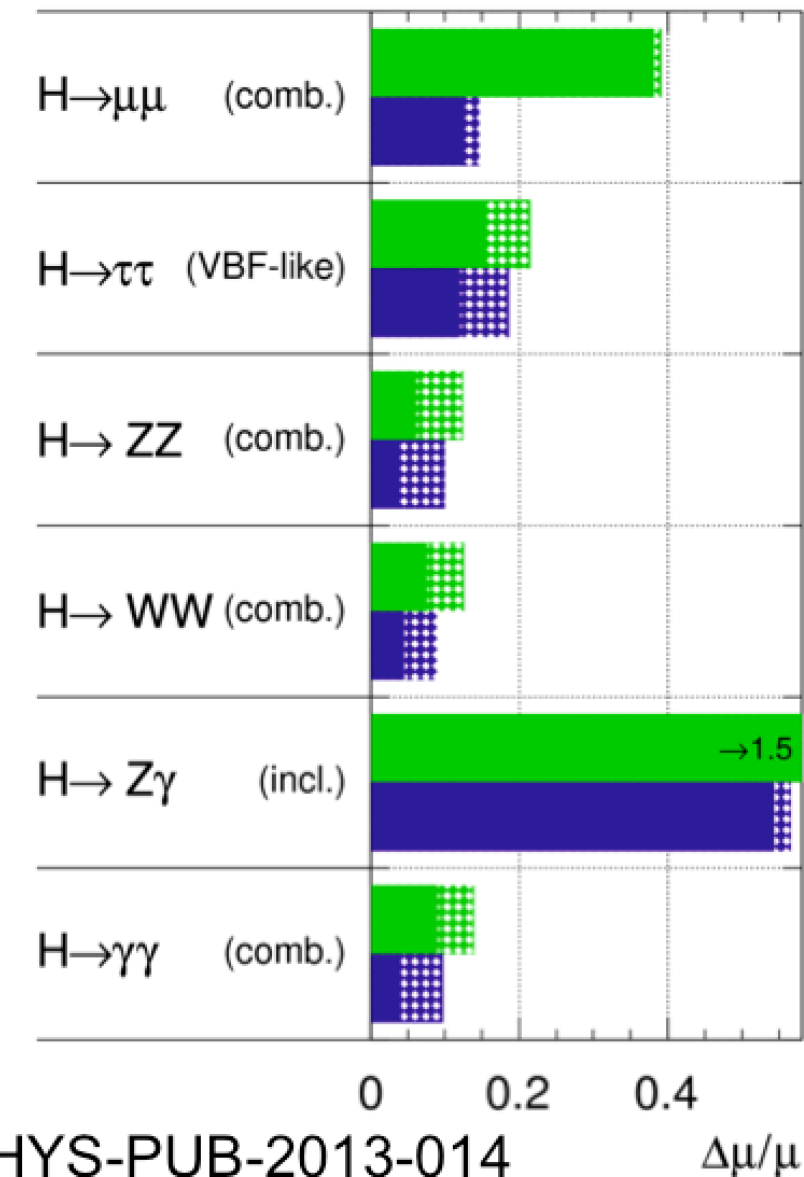
Deviation from SM due to particles with  $M=1$  TeV

Model	$\kappa_V$	$\kappa_b$	$\kappa_\gamma$
Singlet Mixing	$\sim 6\%$	$\sim 6\%$	$\sim 6\%$
2HDM	$\sim 1\%$	$\sim 10\%$	$\sim 1\%$
Decoupling MSSM	$\sim -0.0013\%$	$\sim 1.6\%$	$\sim -0.4\%$
Composite	$\sim -3\%$	$\sim -(3-9)\%$	$\sim -9\%$
Top Partner	$\sim -2\%$	$\sim -2\%$	$\sim +1\%$

Future LHC data: measure H couplings at 2-8% level (cf 20-50% today), and to access rare decays such as  $H \rightarrow \mu\mu$

**ATLAS** Simulation Preliminary

$\sqrt{s} = 14$  TeV:  $\int \mathcal{L} dt = 300 \text{ fb}^{-1}$  ;  $\int \mathcal{L} dt = 3000 \text{ fb}^{-1}$



CMS projections for coupling precision (arXiv:1307.7135)

$\mathcal{L} \text{ (fb}^{-1}\text{)}$	$\kappa_\gamma$	$\kappa_W$	$\kappa_Z$	$\kappa_g$	$\kappa_b$	$\kappa_t$	$\kappa_\tau$	$\kappa_{Z\gamma}$	$\kappa_{\mu\mu}$	$\text{BR}_{\text{SM}}$
300	[5, 7]	[4, 6]	[4, 6]	[6, 8]	[10, 13]	[14, 15]	[6, 8]	[41, 41]	[23, 23]	[14, 18]
3000	[2, 5]	[2, 5]	[2, 4]	[3, 5]	[4, 7]	[7, 10]	[2, 5]	[10, 12]	[8, 8]	[7, 11]

Best option:

Supersymmetry



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*still!*



# Supersymmetry

*reasons why*

1. SUSY automatically includes elementary scalar Higgs

*still!*





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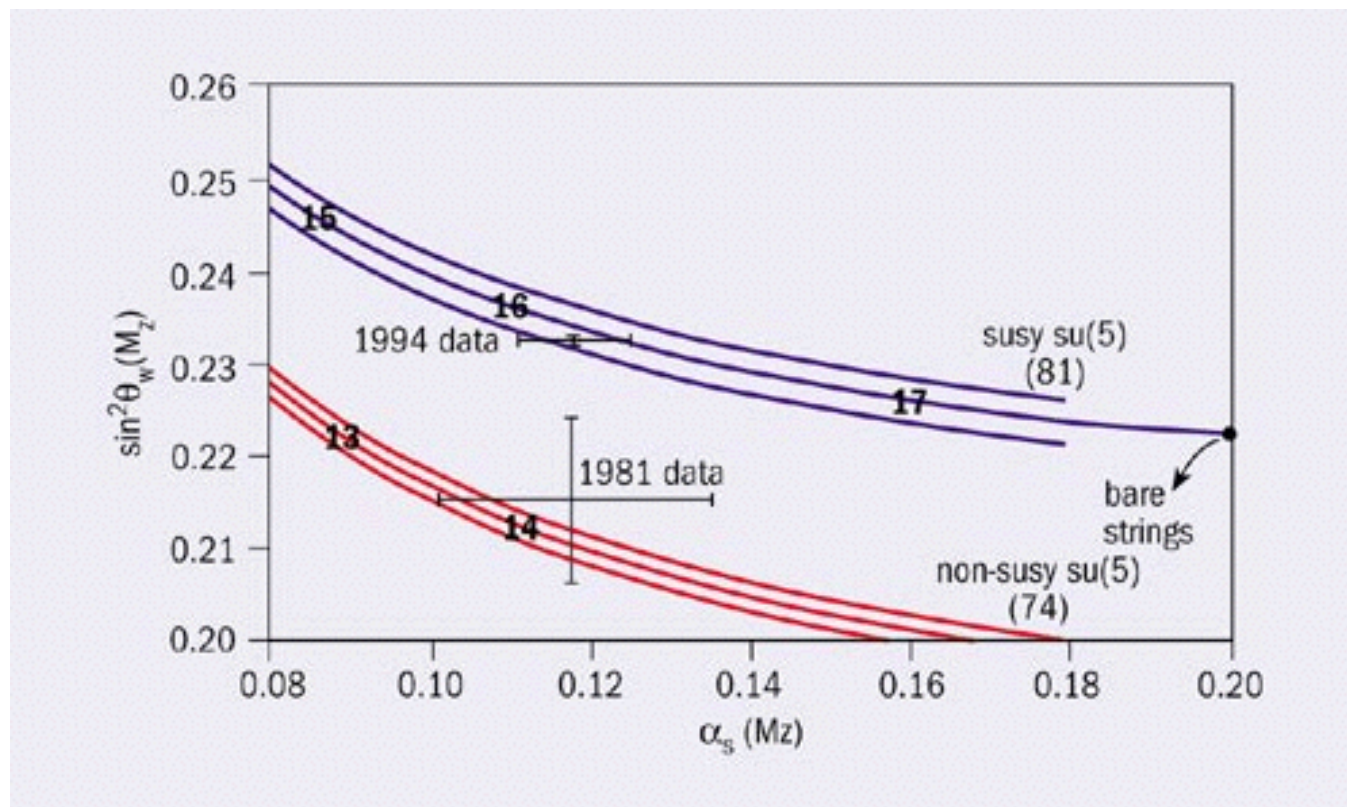
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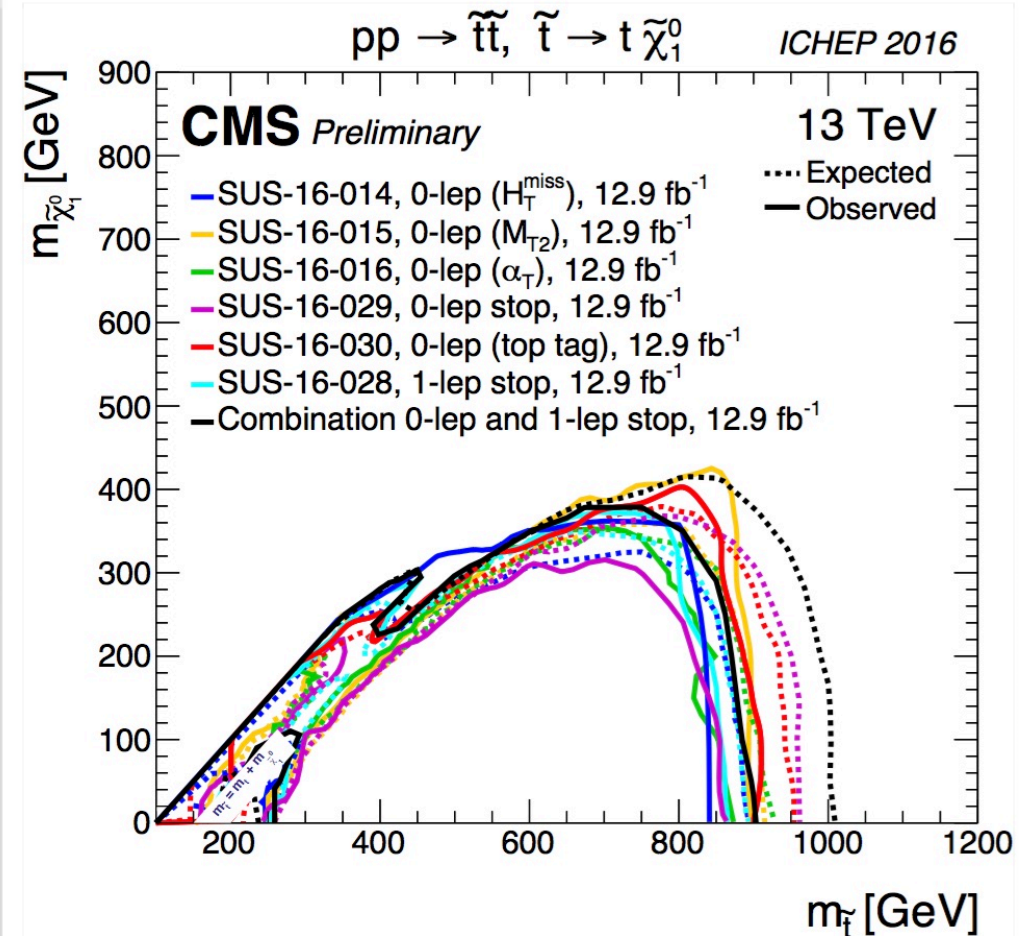
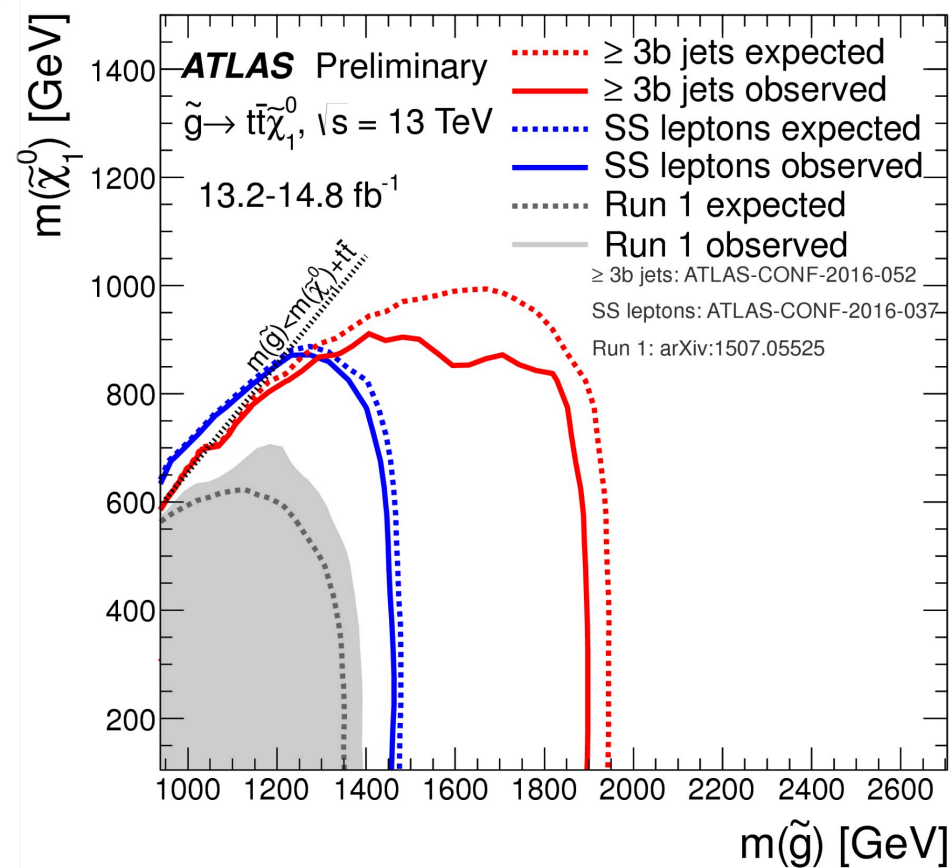
(Note:dimensional transmutation secretly sits behind generation of large hierarchy)

still!



BUT we have seen nothing so far!!!??

# Supersymmetry



SUSY tuning still much,  
much better than SM but...

a fully natural theory  
requires some extra  
structure/dynamics  
beyond vanilla MSSM

# MSSM Fine-Tuning Problem

Successful EWSB requires  $\frac{m_Z^2}{2} \simeq -m_{H_u}^2 - |\mu|^2$  ( $\tan \beta \gg 1$ )

*Sole source of higgsino mass  
 $\implies$  some tree level tuning*

At 1-loop Higgs soft mass gets large corrections

$$\Delta m_{H_u}^2 \sim -\frac{3|y_t|^2}{4\pi^2} (m_{\tilde{t}}^2 + |A_t|^2/2) \log \left( \frac{\Lambda}{\tilde{m}} \right)$$

$\implies$  large loop-level tuning if stop mass & A-term not small

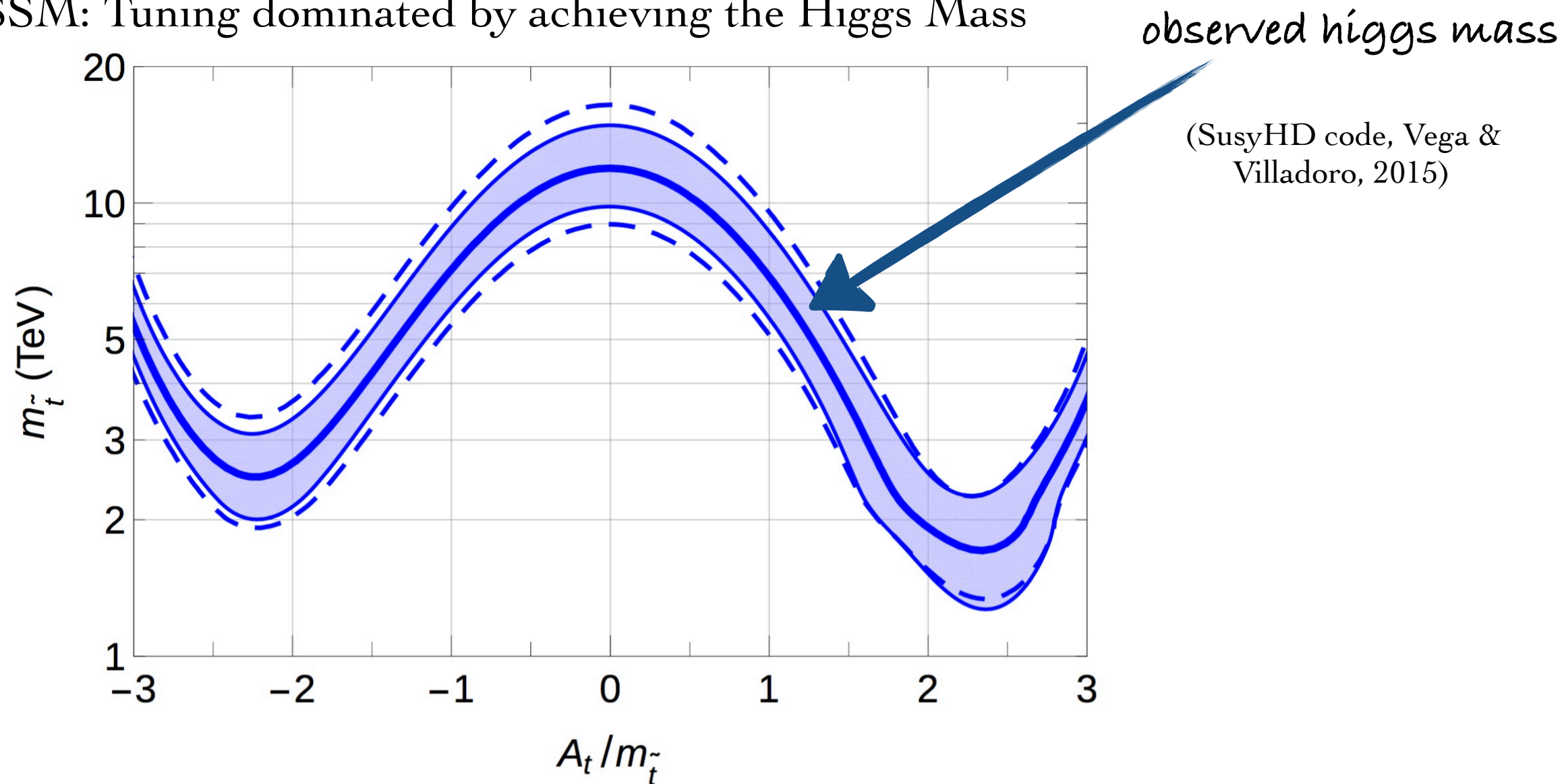
*mediation scale of  
 SUSY breaking*

$\log \sim 35$  gravity

$\log \sim 6$  gauge

# Naturalness in MSSM SUSY

In the MSSM: Tuning dominated by achieving the Higgs Mass



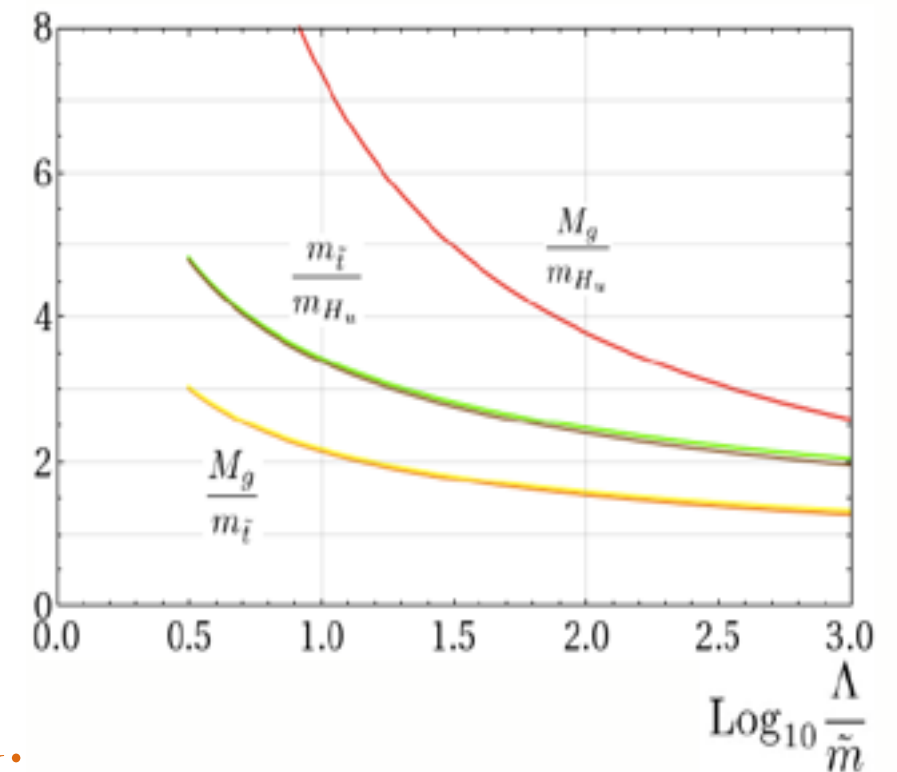
$$\Delta m_{H_u}^2 \sim -\frac{3|y_t|^2}{4\pi^2} (m_{\tilde{t}}^2 + |A_t|^2/2) \log \left( \frac{\Lambda}{\tilde{m}} \right) \implies 0.5\% \text{ tuning or worse}$$

# The Gluino Sucks Problem

WORSE: RG evolution quickly pulls up stop mass, and so EW scale, to gluino mass

$$\Delta m_{\tilde{t}}^2 \sim \frac{8\alpha_s}{3\pi} M_3^2 \log \left( \frac{\Lambda}{\tilde{m}} \right)$$

$$\Delta m_{H_u}^2 \sim -\frac{3|y_t|^2}{4\pi^2} (m_{\tilde{t}}^2 + |A_t|^2/2) \log \left( \frac{\Lambda}{\tilde{m}} \right)$$



this is problem independent of getting 125 GeV Higgs

gluino bounds constrain all MSSM-like scenarios to  $\sim 1\%$  tuning..

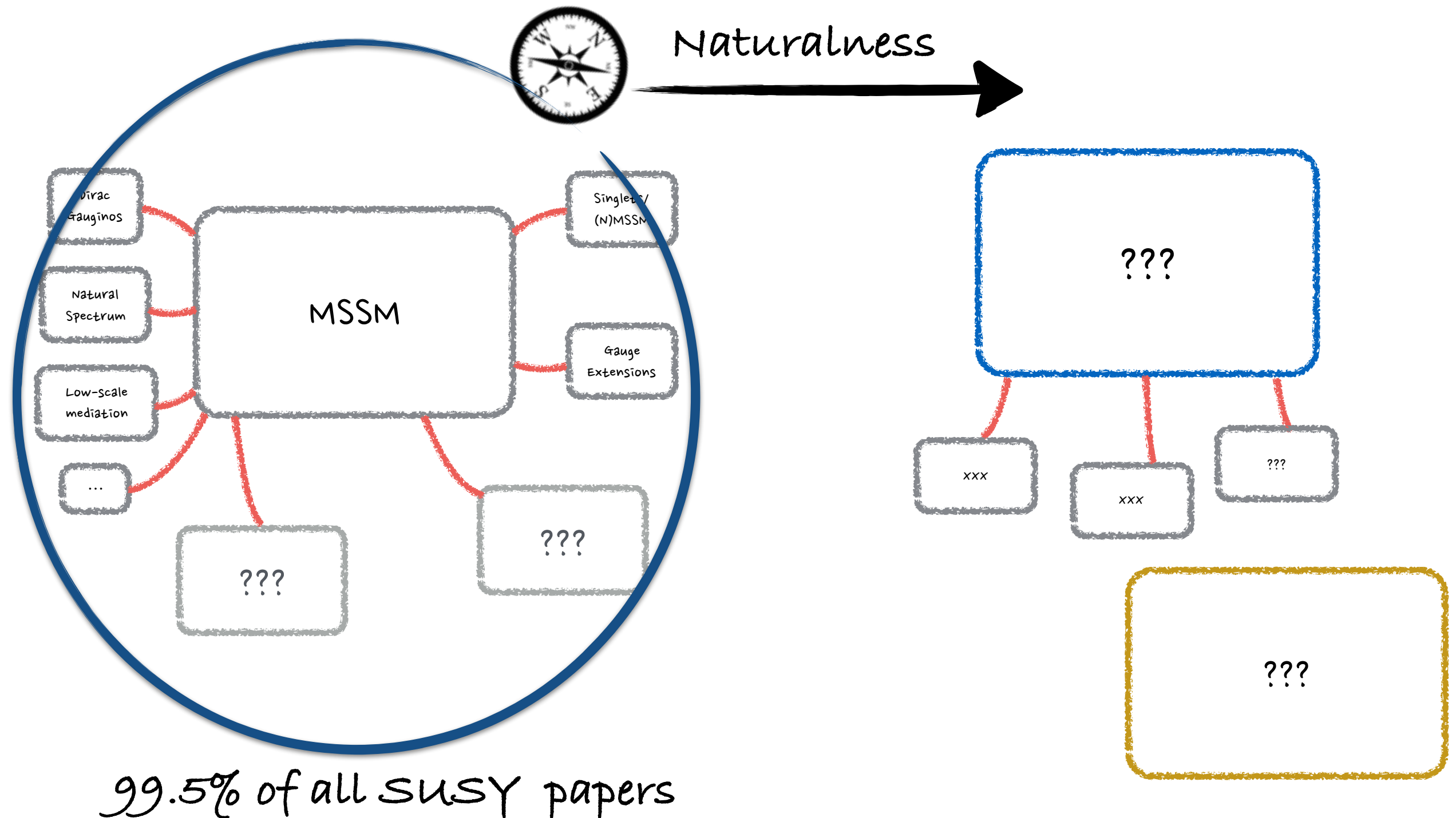
(Arvanitaki, etal, 2013)

(CMSSM more severely tuned still + high-scale mediation bad)



# Supersymmetric Theory Space

There exist qualitatively different ways of implementing SUSY than MSSM



# Fully Natural Supersymmetry?

We need to find **symmetry-enhanced** broken SUSY theories where new cancellations occur

At least two types of new structures that much reduce tuning:

- Enhanced symmetry structure involving N=2 SUSY structure in gauge/Higgs sector (and/or locality in extra dim versions of SUSY)
- Enhanced discrete symmetry of "Twin Higgs" type

# Highlights of Max Natural SUSY

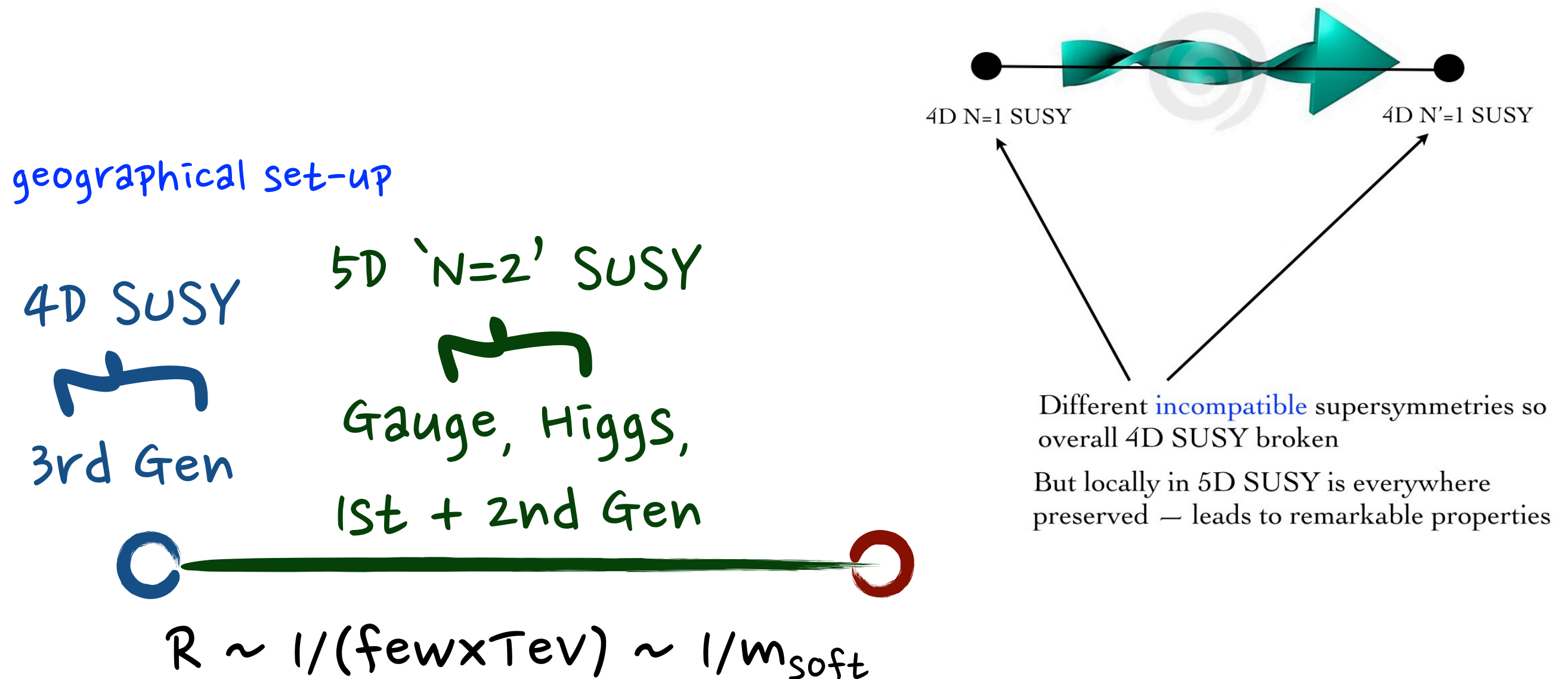
Savas Dimopoulos, Kiel Howe, JMR; *Maximally Natural Supersymmetry*, arXiv:1404.7554

Isabel Garcia Garcia, JMR; *Rare Flavor Processes in Maximally Natural Supersymmetry*, arXiv:1409.5669

Isabel Garcia Garcia, Kiel Howe, JMR; *Natural Scherk-Schwarz Theories of the Weak Scale*, arXiv:1510.07045

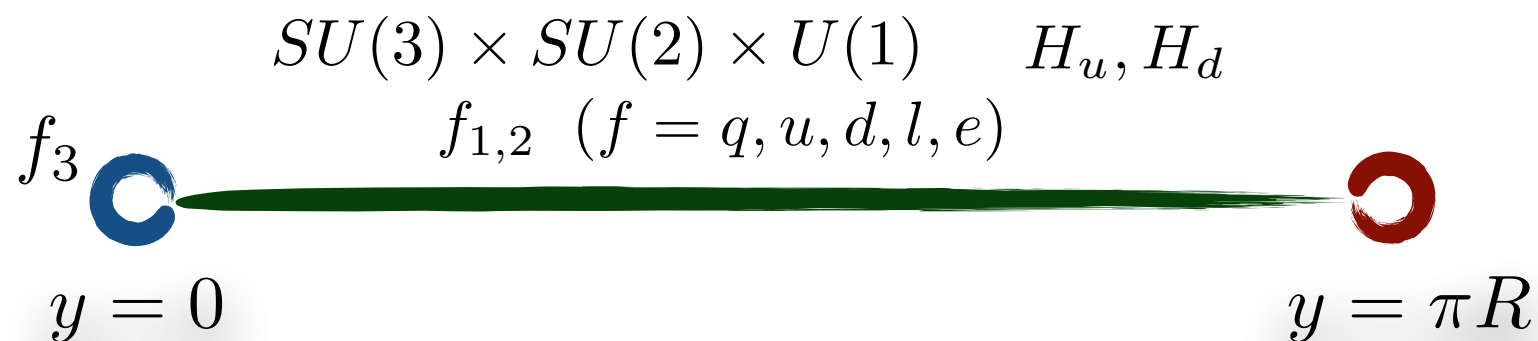
Junwu Huang, JMR; *Unified Maximally Natural Supersymmetry*, arXiv:1607.08622

Scherk-Schwarz ~~SUSY~~ is *non-local breaking in 5D* using R-symmetry twist - *finite*



# Tree-level Scherk-Schwarz Spectrum

(maximal twist)



$$m_{\tilde{f}}^2 = m_{\tilde{\lambda}}^2 = m_{\tilde{H}}^2 = \frac{1}{2R}$$

Direct & universal  
bulk soft masses

No tree-level  
tuning!!

Almost exact  $U(1)_R$   
Dirac Masses

$$m_{\tilde{H}} \tilde{H} \tilde{H}^c \quad m_{\tilde{\lambda}} \tilde{\lambda} \tilde{\lambda}^c$$

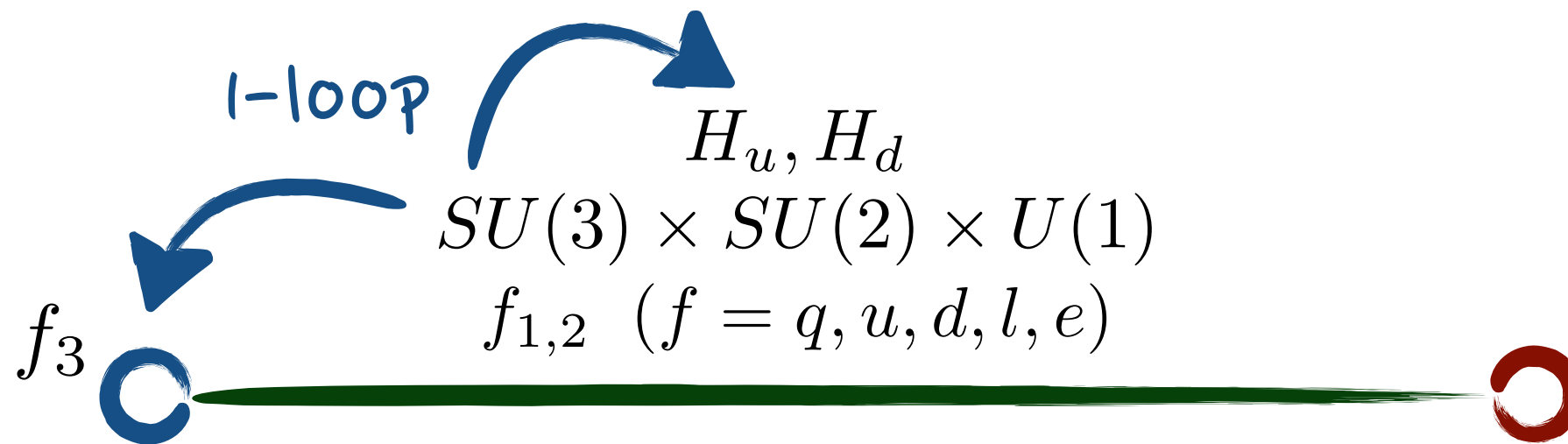
$$m_{\tilde{f}_3}^2 = m_{h_{u,d}}^2 = 0$$

No  $\mu$ -term necessary  
for higgsino masses

locality

zero mode

# Loop-level Scherk-Schwarz Spectrum



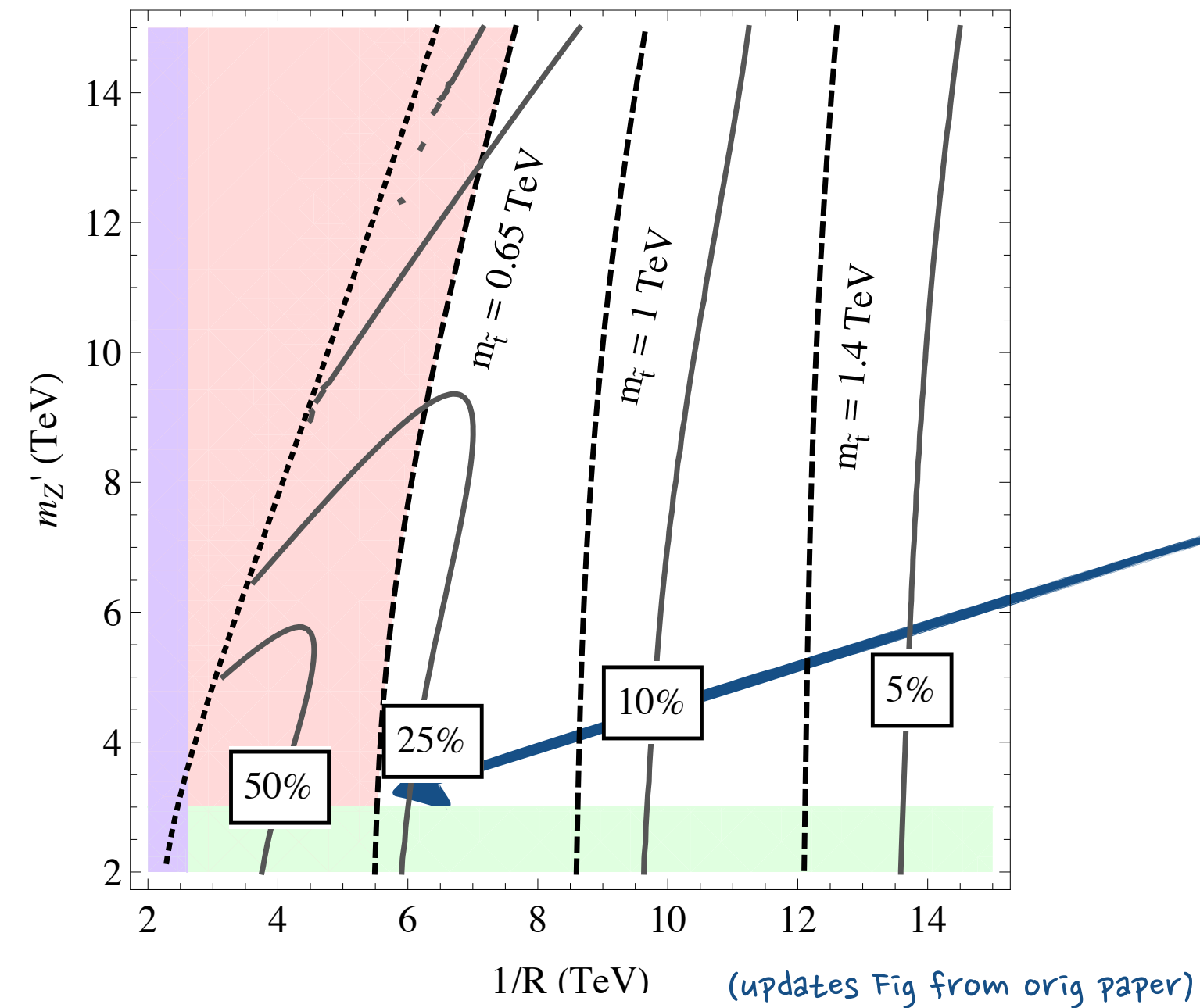
$$\delta \tilde{m}_i^2 \simeq \frac{7\zeta(3)}{16\pi^4 R^2} \left( \sum_{I=1,2,3} C_I(i) g_I^2 + C_t(i) y_t^2 \right) \quad \text{SUSY loops finite (NO LOGS!)}$$

$$m_{\tilde{t}}^2 \approx \left( \frac{1}{10} \times \frac{1}{R} \right)^2 \approx \left( \frac{1}{5} \times M_3 \right)^2 \rightarrow \begin{array}{l} \text{Large stop-gluino} \\ \text{hierarchy} \\ \text{(gluino doesn't suck)} \end{array}$$

How EWSB works: magnitude of EW scale<sup>2</sup> 1-EW-loop effect from  
EW-ino masses + HDOs

Need a bit more  
for Higgs mass

# U(1)' Variation

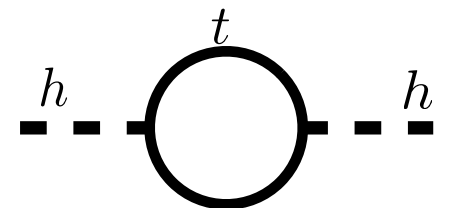


$$\Delta = \sqrt{\left(\frac{\partial \ln v^2}{\partial \ln m_{\tilde{t}}^2}\right)^2 + \left(\frac{\partial \ln v^2}{\partial \ln m_{\tilde{Z}'}^2}\right)^2}$$

LOW TUNING(!)  
For ~700 GeV Stop &  
2 TeV Gluinos/Squarks

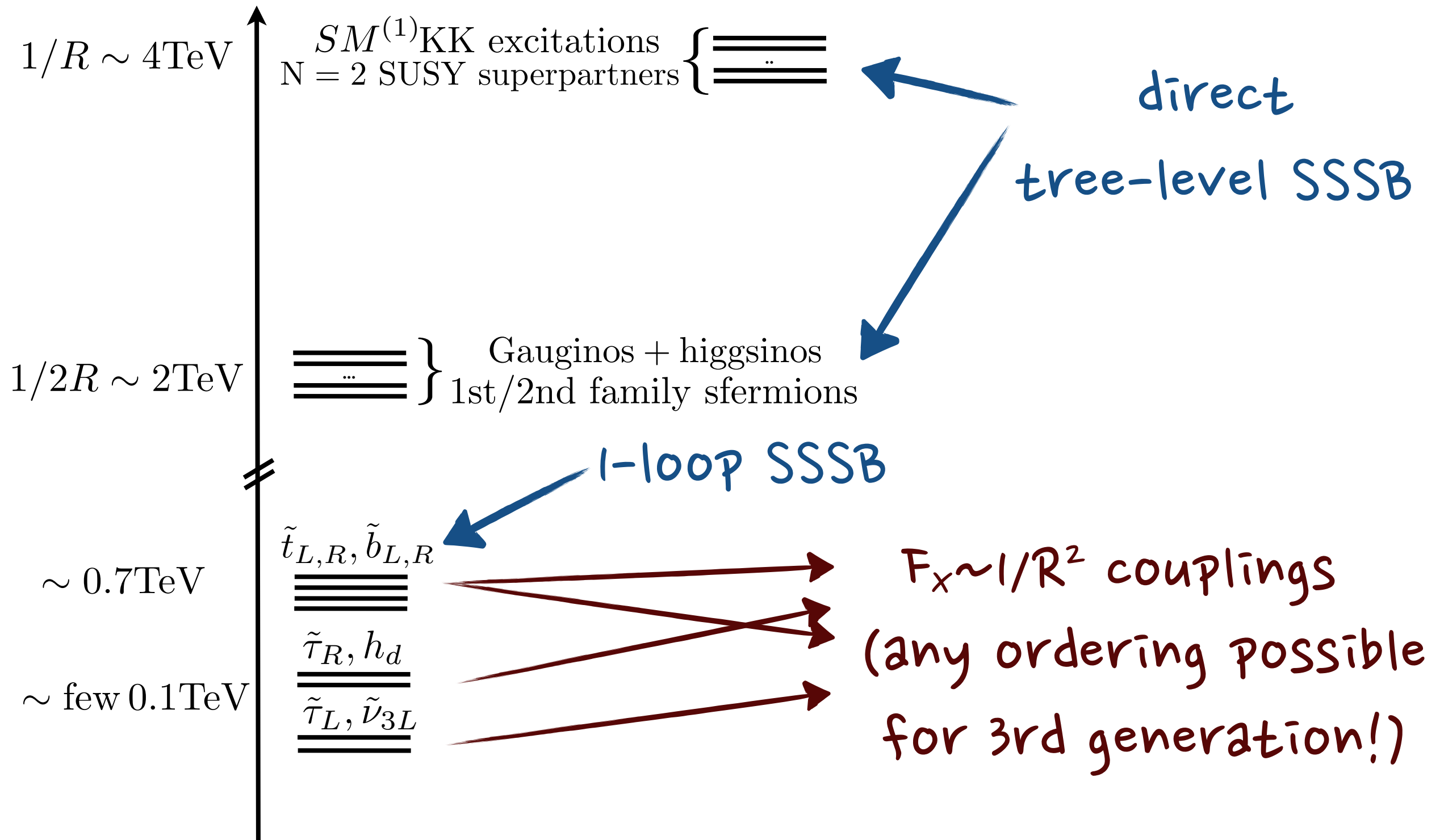
<10% tuned  
within LHC13 Reach

“Maximal” ~ saturates one-loop tuning  $\Delta m_h^2 \sim -\frac{3y_t^2}{4\pi^2} M^2$





# Overall Spectrum



# Max Natural SUSY advantages

Why so much less tuned than usual?

- No tree-level tuning as no  $\mu$ -term
- SUSY breaking directly communicated to Higgsinos, gauginos, and 1st/2nd family sfermions. 3rd family protected from tree SUSY breaking
- SSSB is super-soft as it is a non-local (in 5d) breaking of SUSY. No logs, so suppresses the gluino sucks problem
- A natural SUSY spectrum is trivial to obtain via localization of the 3rd family on a 4D brane (also vital for successful EWSB)
- There is an approximate  $U(1)_R$  symmetry

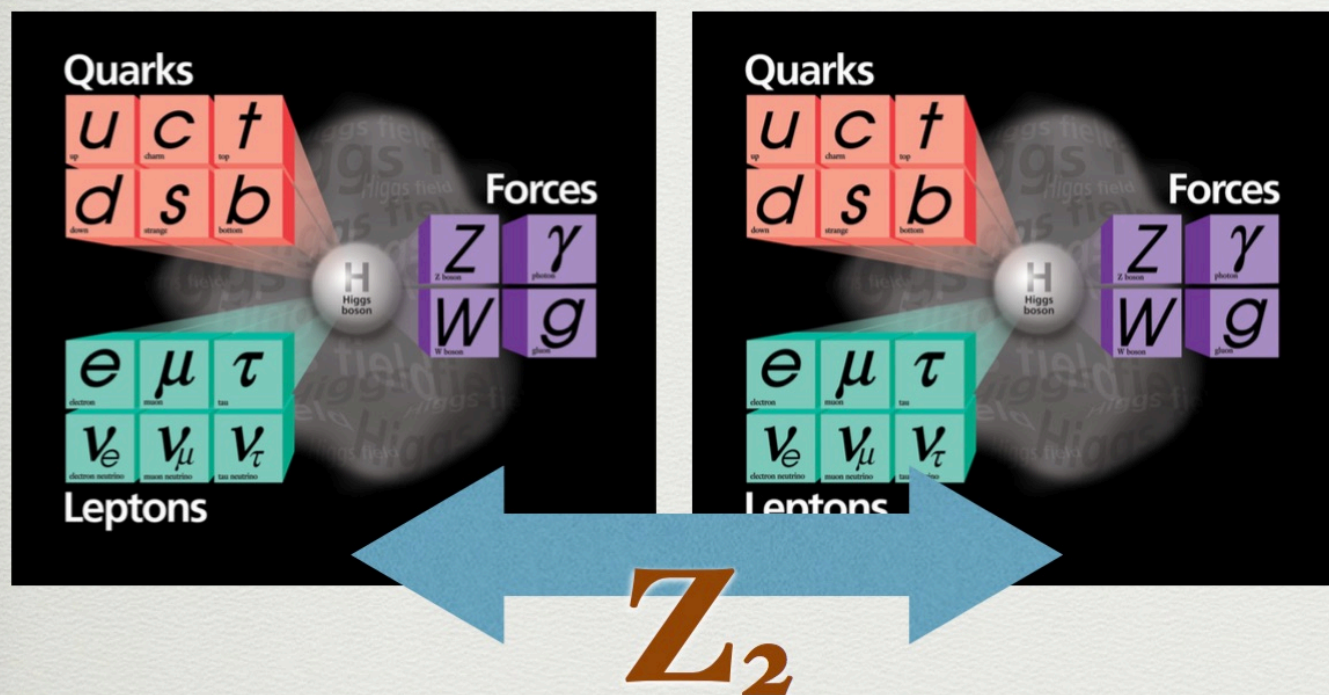


# The Twin Higgs

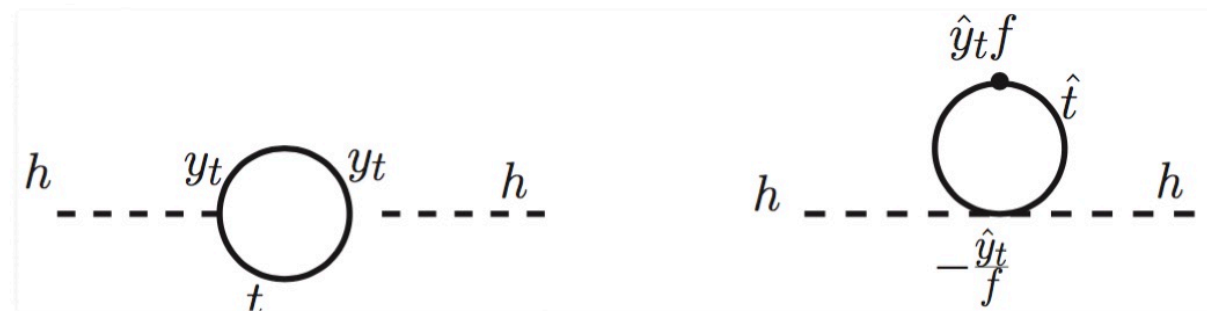
from A. Katz, "SUSY Alive?"

Chacko, Goh, Harnik; 2005

In the Twin Higgs the lightness of the EW scale is explained by the fact, that the SM like higgs is a pGB of an approximate  $SU(4)$  [enhanced to  $SO(8)$ ] symmetry of the Lagrangian. This symmetry is not exact, but holds up to good approximation due to a mirror symmetry of the Lagrangian



Cancellation of the leading divergencies:



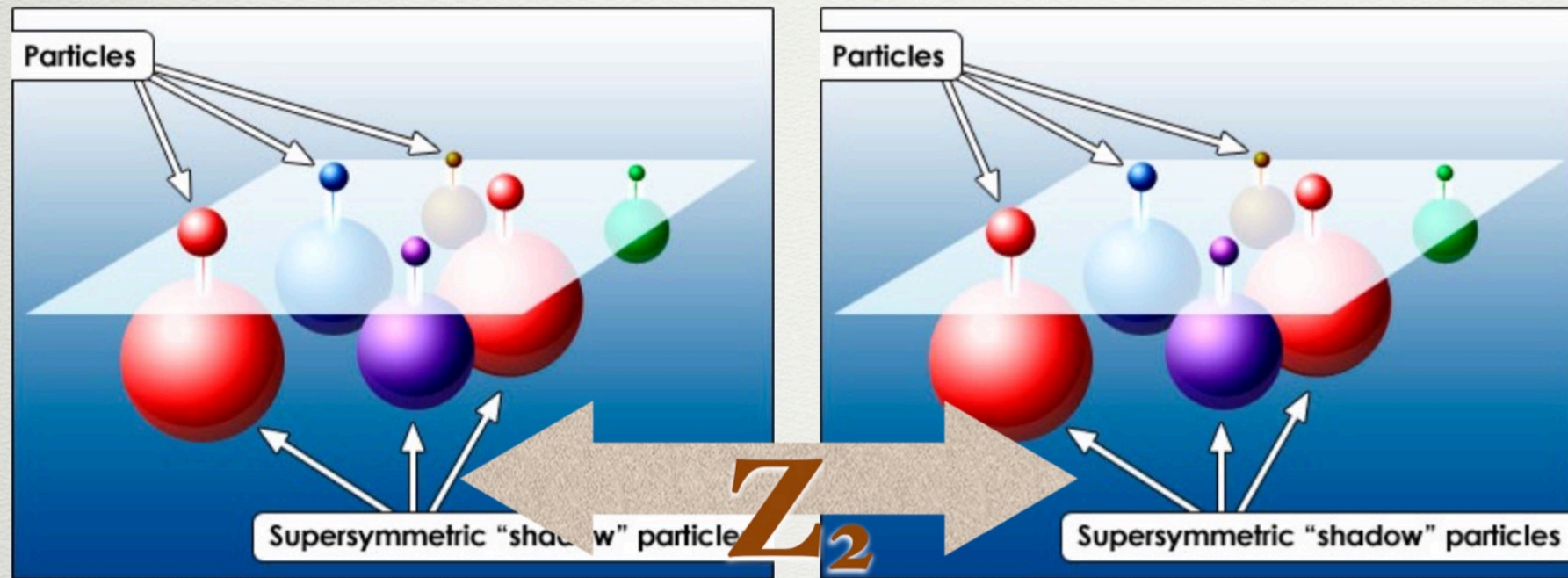
At the leading order only  $Z_2$  is needed



from A. Katz, "SUSY Alive?"

# SUSY Meets Its Twin

*Falkowski, Pokorski, Schmalz; 2006;; Chang, Hall, Weiner; 2006*



How do we get  
the necessary  
couplings?

Getting  $SU(4)$  conserving quartic: **NMSSM** (well, almost)

$$W = \lambda S \mathcal{H}_u \mathcal{H}_d \longrightarrow \text{full multiplets of the approximate } SU(4)$$

assume to be order-1

The singlet should be integrated out non-supersymmetrically (soft mass  $\gg$  SUSY mass)



# The Bi-Doublets

Desiderata: negative mirror symmetry preserving quartic, hard mirror symmetry breaking terms. Any way to get this?

*Trick: introduce vectorlike bidoublets:*

$$\Delta W = \lambda_B B h_u^A h_u^B + M_{BD} \bar{B} B,$$

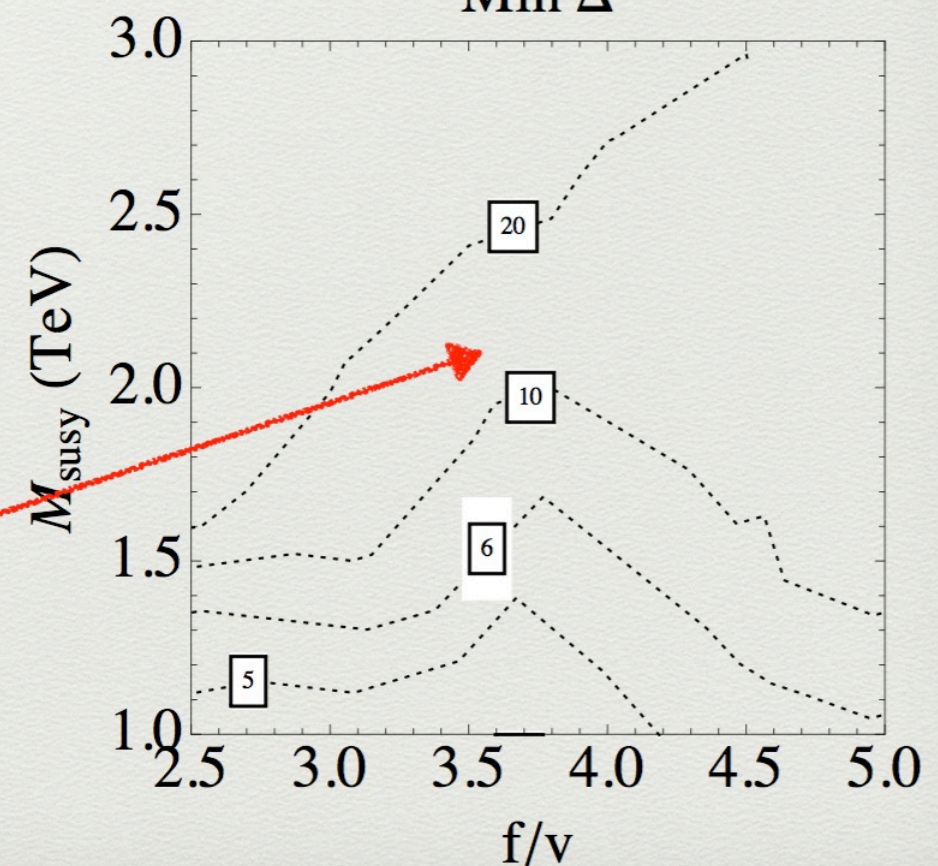
$$V_{\text{soft}} = m_{BD}^2 (|B|^2 + |\bar{B}|^2) .$$

Min  $\Delta$

Automatically get negative quartic  
which can outweigh the D-terms

Contours of the FT (scan!!)

We can improve the situation  
qualitatively





# HP & “Physical Naturalness”?

Bardeen, Foot, Shaposhnikov, Lykken,...

*Some say another way of addressing HP — “it doesn’t exist”*

Basically claim that there might be no higher mass scales feeding into H:

In principle gravity might be UV completed with no new particles so not affecting the Higgs mass (we know of no such construction)

AND suppose there are no other mass scales (eg, from origin of flavour; unification; dark matter;...) coupling to H either

Is this a “no-tuning” solution to hierarchy problem with  
no low-energy consequences??

# Consequences of “Physical Naturalness”

All BSM states carrying SM gauge quantum number must be below a few TeV  
(so no high scale gauge unification)

Yukawa coupled particles can be heavier,  $M_{\nu R} < 10^7 \text{ GeV}$

Gravitationally coupled particles less than  $10^{12} \text{ GeV}$ ? (requires a 3 loop calculation not yet performed)

# Problems of “Physical Naturalness”

Must do all physics with previous constraints:

Still must explain **why**  $M_{\text{pl}} \gg v$

Family quantum numbers

Dark matter

Neutrino masses

Baryogenesis

Inflation

Flavour

$\sin^2\theta_w \dots$

and avoid all Landau Poles in a controllable way

looks very tough!

# Problems of “Physical Naturalness”

Arvanitaki, Dimopoulos, Dubovsky, Strumia, Giudice, Villadoro...

Need to expand gauge group at the TeV scale, eg, to  $SU(4) \times SU(2) \times SU(2)$ , or  $SU(3)^3$  to solve U(1) Landau pole

Add further states to avoid Higgs quartic Landau pole

And do all the rest of physics at low scales or with mysterious quantum gravity effects...

*attempts so far failed even at first stages*

*(§ even if this program worked there is generically new physics accessible by LHC/other experiments)*

## Some comments on Experiments

1) Is the LHC exploration mostly done? Not at all!



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unexplored resonance searches

TABLE I. Existing two-body exclusive final state resonance searches at  $\sqrt{s} = 8$  TeV. The  $\emptyset$  symbol indicates no existing search at the LHC.

	$e$	$\mu$	$\tau$	$\gamma$	$j$	$b$	$t$	$W$	$Z$	$h$
$e$	$\pm\mp$ [4], $\pm\pm$ [5]	$\pm\pm$ [5, 6] $\pm\mp$ [6, 7]	[7]	$\emptyset$	$\emptyset$	$\emptyset$	$\emptyset$	$\emptyset$	$\emptyset$	$\emptyset$
$\mu$		$\pm\mp$ [4], $\pm\pm$ [5]	[7]	$\emptyset$	$\emptyset$	$\emptyset$	$\emptyset$	$\emptyset$	$\emptyset$	$\emptyset$
$\tau$			[8]	$\emptyset$	$\emptyset$	$\emptyset$	[9]	$\emptyset$	$\emptyset$	$\emptyset$
$\gamma$				[10]	[11–13]	$\emptyset$	$\emptyset$	[14]	[14]	$\emptyset$
$j$					[15]	[16]	[17]	[18]	[18]	$\emptyset$
$b$						[16]	[19]	$\emptyset$	$\emptyset$	$\emptyset$
$t$							[20]	[21]	$\emptyset$	$\emptyset$
$W$								[22–25]	[23, 24, 26, 27]	[28–30]
$Z$									[23, 25, 31]	[28, 30, 32, 33]
$h$										[34–37]

## Some comments on Experiments

2) Precision/flavour physics is vitally important and could (should!) give us first hints

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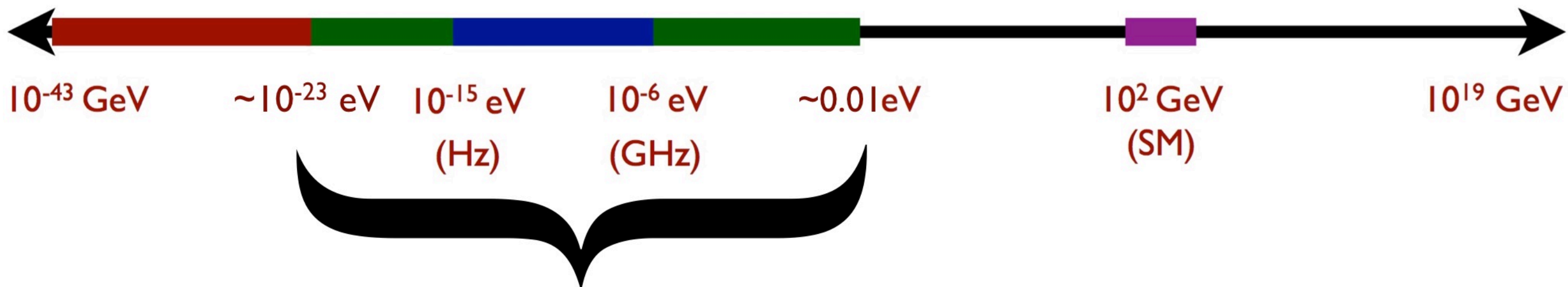
let's not forget the long-standing  $(g-2)$ -muon anomaly, and the recent LHCb,  $R_K$  and B-meson decay anomalies, eg,

$$R_K \equiv \frac{\mathcal{B}(B^+ \rightarrow K^+ \mu^+ \mu^-)}{\mathcal{B}(B^+ \rightarrow K^+ e^+ e^-)} = 0.745^{+0.090}_{-0.074} \text{ (stat)} \pm 0.036 \text{ (syst)}$$

## Some comments on Experiments

3) There are great opportunities in ultra-high-precision experiments, eg, looking for very light ( $\ll 1\text{eV}$ ) dark matter or axions

### The Dark Matter Landscape (bosonic)



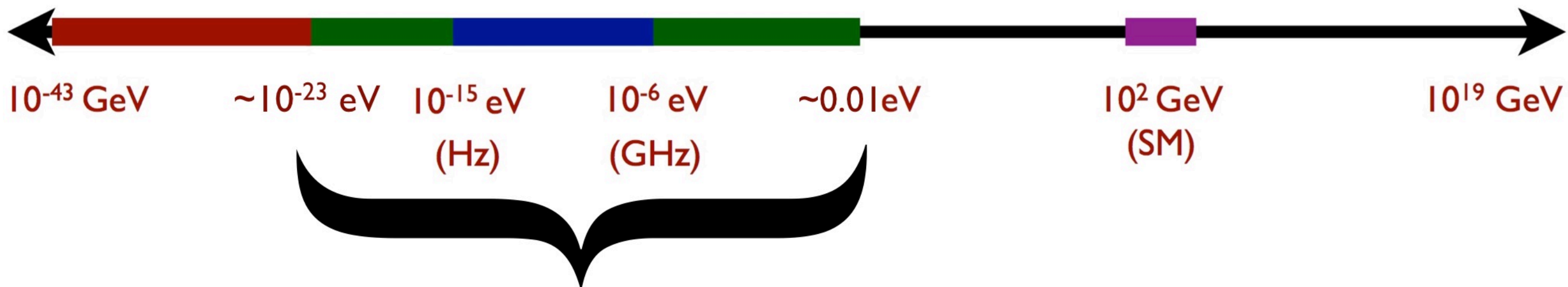
DM is well-described as a *classical field* as high phase space density



## Some comments on Experiments

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## The Dark Matter Landscape (bosonic)



DM is well-described as a *classical field* as high phase space density

to hear about these possibilities come to Durham DM meeting in 2 weeks!

# Some comments on Experiments

3) There are great opportunities in ultra-high-precision experiments, eg, looking for very light ( $\ll 1\text{eV}$ ) dark matter or axions

## Spin 0

Axions and other goldstone bosons

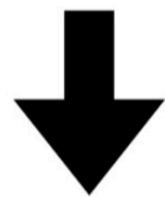
Easy to get in many UV theories



Electromagnetism

$$\left( \frac{a}{f_a} F \tilde{F} \right)$$

$$\left( \sim \frac{a}{f_a} \vec{E} \cdot \vec{B} \right)$$



Nuclear Force

$$\left( \frac{a}{f_a} G \tilde{G} \right)$$

QCD Axion



Nuclear Spin

$$\left( \frac{\partial_\mu a}{f_a} \bar{N} \gamma^\mu \gamma_5 N \right)$$

General Axions

## Spin 1

Anomaly free Standard Model couplings



Nuclear Spin

$$\left( \frac{F'_{\mu\nu}}{f_a} \bar{N} \sigma^{\mu\nu} N \right)$$

Dipole moment



Electromagnetism

$$\left( \epsilon F' F \right)$$

Kinetic Mixing



Nucleon Current

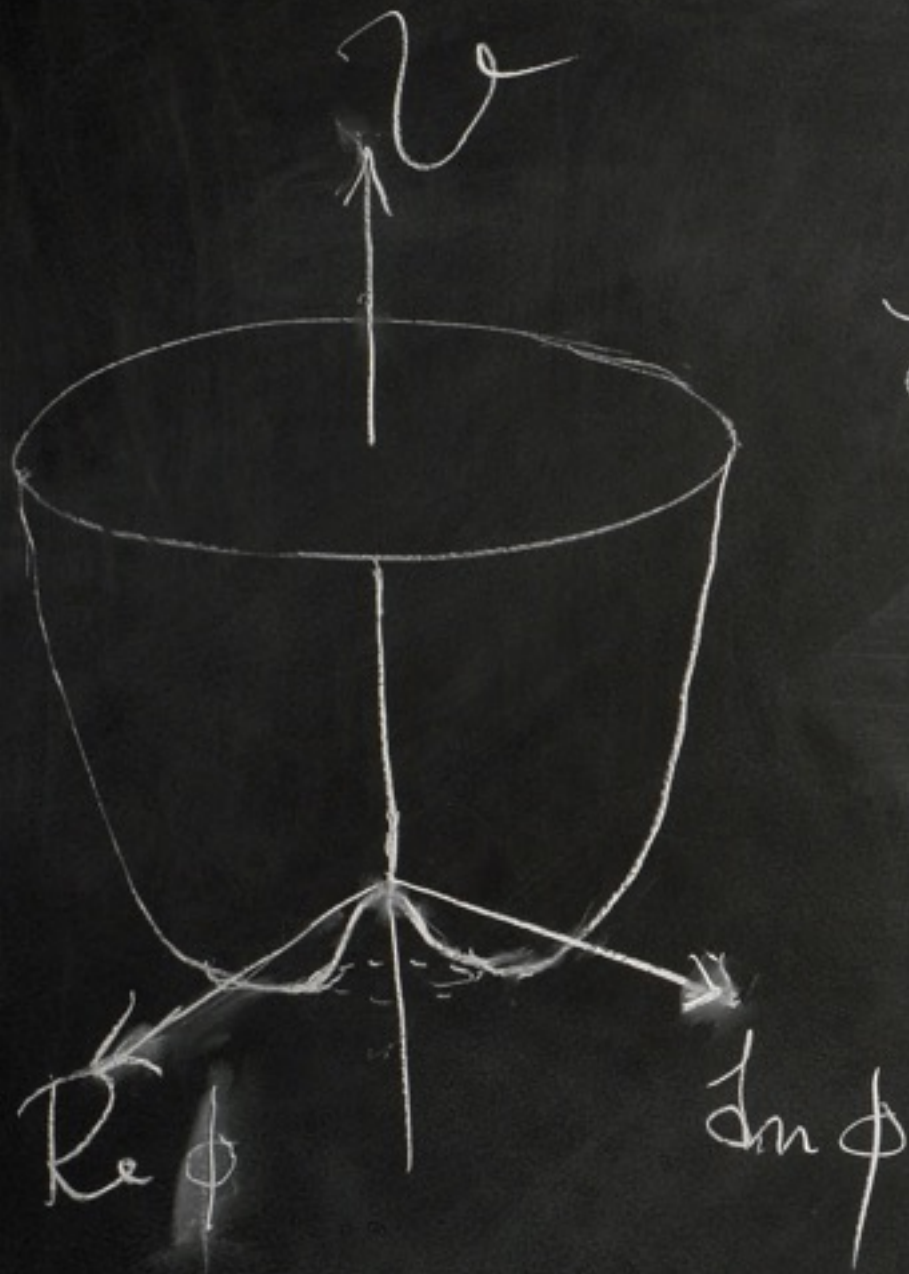
$$\left( g A'_\mu J_{B-L}^\mu \right)$$

B-L

if bosons (part of) DM then oscillating  $\omega \simeq m_a + \delta\omega$



# Questions?



$$\mathcal{L} = (D_\mu \phi)^\dagger D^\mu \phi - V(\phi) - \frac{1}{4} F_{\mu\nu} F^{\mu\nu}$$

$$D_\mu \phi = \partial_\mu \phi - ie A_\mu \phi$$

$$F_{\mu\nu} = \partial_\mu A_\nu - \partial_\nu A_\mu$$

$$V(\phi) = \alpha \phi^\dagger \phi + \beta (\phi^\dagger \phi)^2$$

$$\alpha < 0, \quad \beta > 0$$

Peter Higgs

back-up slides

# Naturalness aka Dynamics

Partially tuned dynamics??

Deuteron Binding Energy!?

$$2 \text{ MeV} \ll \Lambda_{QCD} \simeq 200 \text{ MeV}$$

Often stated that involves  $<1\%$  tune compared to natural nuclear scales (so justifying similar state of affairs for Weak Scale?)



# Naturalness aka Dynamics

~~Partially tuned~~ dynamics??

Deuteron Binding Energy!?

$$2 \text{ MeV} \ll \Lambda_{QCD} \simeq 200 \text{ MeV}$$



cf. saturated nuclear binding energy of 8 MeV per nucleon in whole range of larger nuclei

~~Often stated that involves <1% tune compared to natural nuclear scales (so justifying similar state of affairs for Weak Scale?)~~


$$E_b \approx \frac{1}{2} \frac{1}{(4\pi)^2} \frac{m_N}{2} \\ \approx 2 \text{ MeV}$$

fully natural

(full argument developed by Arvanitaki, Dimopoulos, & Villadoro)

# Higgs Enigma

have rest of usual SM terms

$$\mathcal{L}_{\text{SM}} = -\frac{1}{4}G_{\mu\nu}^A G^{A\mu\nu} - \frac{1}{4}W_{\mu\nu}^I W^{I\mu\nu} - \frac{1}{4}B_{\mu\nu} B^{\mu\nu} + (D_\mu H^\dagger)(D^\mu H) + \sum_{\psi=q,u,d,l,e} \bar{\psi} i \not{D} \psi$$
$$- \left[ H^{\dagger j} \bar{d} Y_d q_j + \tilde{H}^{\dagger j} \bar{u} Y_u q_j + H^{\dagger j} \bar{e} Y_e l_j + \text{h.c.} \right]$$

$$\tilde{H}_j = \epsilon_{jk} H^{\dagger k}$$

LHC now measuring these Yukawa couplings for the first time  
(this will be important)

# Higgs Enigma

In addition now measuring or constraining the couplings of these 11 further terms in Lagrangian

2 : $H^6$		3 : $H^4 D^2$		4 : $X^2 H^2$	
$Q_H$	$(H^\dagger H)^3$	$Q_{H\Box}$	$(H^\dagger H)\Box(H^\dagger H)$	$Q_{HG}$	$H^\dagger H G_{\mu\nu}^A G^{A\mu\nu}$
		$Q_{HD}$	$(H^\dagger D_\mu H)^* (H^\dagger D_\mu H)$	$Q_{H\tilde{G}}$	$H^\dagger H \tilde{G}_{\mu\nu}^A G^{A\mu\nu}$
				$Q_{HW}$	$H^\dagger H W_{\mu\nu}^I W^{I\mu\nu}$
				$Q_{H\tilde{W}}$	$H^\dagger H \tilde{W}_{\mu\nu}^I W^{I\mu\nu}$
				$Q_{HB}$	$H^\dagger H B_{\mu\nu} B^{\mu\nu}$
				$Q_{H\tilde{B}}$	$H^\dagger H \tilde{B}_{\mu\nu} B^{\mu\nu}$
				$Q_{HWB}$	$H^\dagger \tau^I H W_{\mu\nu}^I B^{\mu\nu}$
				$Q_{H\tilde{W}B}$	$H^\dagger \tau^I H \tilde{W}_{\mu\nu}^I B^{\mu\nu}$

# Higgs Enigma

Not done yet as also have these further 19 terms involving leptons or quarks

5 : $\psi^2 H^3 + \text{h.c.}$		6 : $\psi^2 XH + \text{h.c.}$		7 : $\psi^2 H^2 D$	
$Q_{eH}$	$(H^\dagger H)(\bar{l}_p e_r H)$	$Q_{eW}$	$(\bar{l}_p \sigma^{\mu\nu} e_r) \tau^I H W_{\mu\nu}^I$	$Q_{Hl}^{(1)}$	$(H^\dagger i \overleftrightarrow{D}_\mu H)(\bar{l}_p \gamma^\mu l_r)$
$Q_{uH}$	$(H^\dagger H)(\bar{q}_p u_r \tilde{H})$	$Q_{eB}$	$(\bar{l}_p \sigma^{\mu\nu} e_r) H B_{\mu\nu}$	$Q_{Hl}^{(3)}$	$(H^\dagger i \overleftrightarrow{D}_\mu^I H)(\bar{l}_p \tau^I \gamma^\mu l_r)$
$Q_{dH}$	$(H^\dagger H)(\bar{q}_p d_r H)$	$Q_{uG}$	$(\bar{q}_p \sigma^{\mu\nu} T^A u_r) \tilde{H} G_{\mu\nu}^A$	$Q_{He}$	$(H^\dagger i \overleftrightarrow{D}_\mu H)(\bar{e}_p \gamma^\mu e_r)$
		$Q_{uW}$	$(\bar{q}_p \sigma^{\mu\nu} u_r) \tau^I \tilde{H} W_{\mu\nu}^I$	$Q_{Hq}^{(1)}$	$(H^\dagger i \overleftrightarrow{D}_\mu H)(\bar{q}_p \gamma^\mu q_r)$
		$Q_{uB}$	$(\bar{q}_p \sigma^{\mu\nu} u_r) \tilde{H} B_{\mu\nu}$	$Q_{Hq}^{(3)}$	$(H^\dagger i \overleftrightarrow{D}_\mu^I H)(\bar{q}_p \tau^I \gamma^\mu q_r)$
		$Q_{dG}$	$(\bar{q}_p \sigma^{\mu\nu} T^A d_r) H G_{\mu\nu}^A$	$Q_{Hu}$	$(H^\dagger i \overleftrightarrow{D}_\mu H)(\bar{u}_p \gamma^\mu u_r)$
		$Q_{dW}$	$(\bar{q}_p \sigma^{\mu\nu} d_r) \tau^I H W_{\mu\nu}^I$	$Q_{Hd}$	$(H^\dagger i \overleftrightarrow{D}_\mu H)(\bar{d}_p \gamma^\mu d_r)$
		$Q_{dB}$	$(\bar{q}_p \sigma^{\mu\nu} d_r) H B_{\mu\nu}$	$Q_{Hud} + \text{h.c.}$	$i(\tilde{H}^\dagger D_\mu H)(\bar{u}_p \gamma^\mu d_r)$

# Higgs Enigma

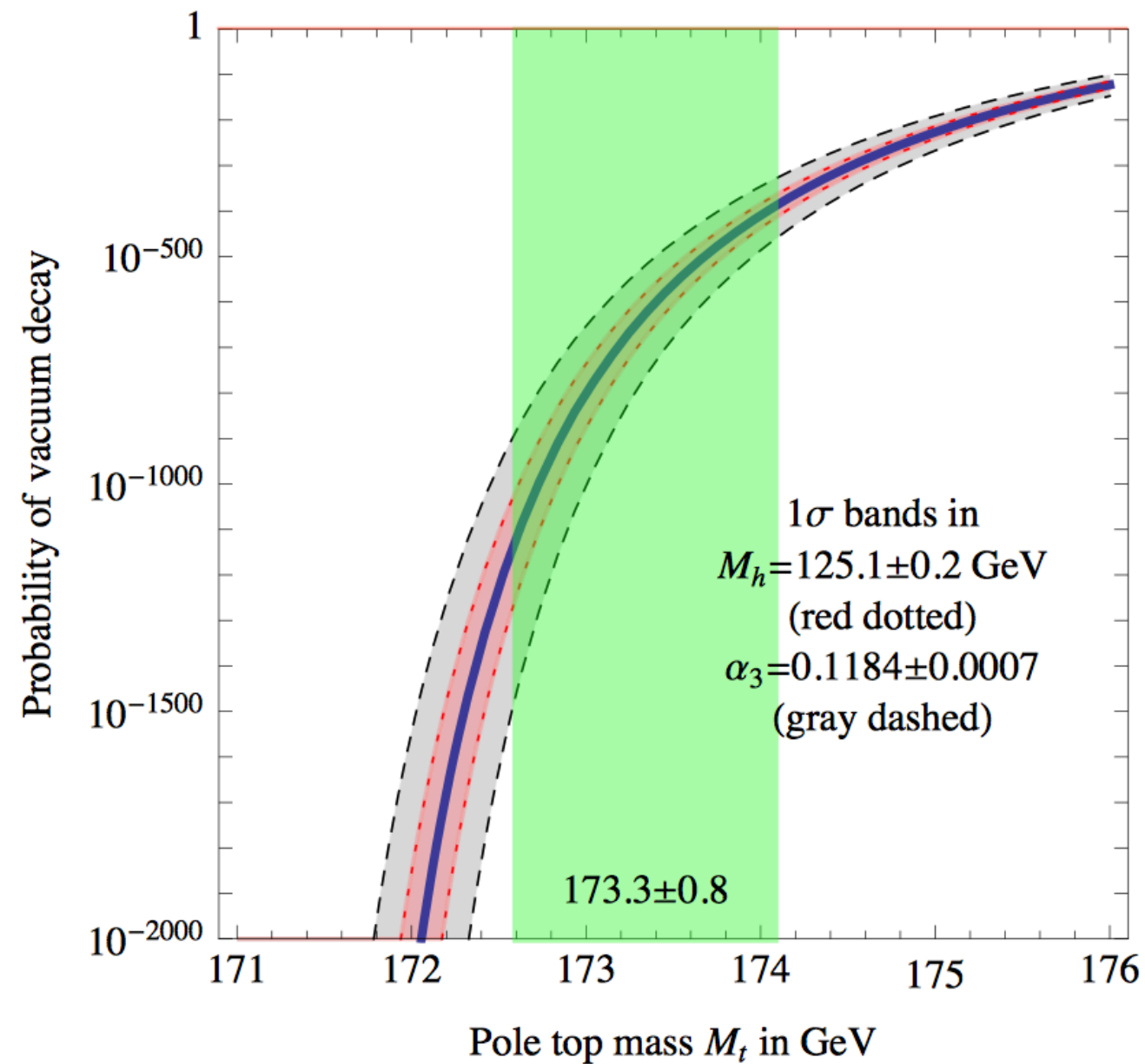
Also have strong constraints on couplings of many of these non-Higgs terms

(this will also be important...)

1 : $X^3$		8 : $(\bar{L}R)(\bar{R}L) + \text{h.c.}$		8 : $(\bar{L}R)(\bar{L}R) + \text{h.c.}$	
$Q_G$	$f^{ABC} G_\mu^{A\nu} G_\nu^{B\rho} G_\rho^{C\mu}$	$Q_{ledq}$	$(\bar{l}_p^j e_r)(\bar{d}_s q_{tj})$	$Q_{quqd}^{(1)}$	$(\bar{q}_p^j u_r) \epsilon_{jk} (\bar{q}_s^k d_t)$
$Q_{\tilde{G}}$	$f^{ABC} \tilde{G}_\mu^{A\nu} G_\nu^{B\rho} G_\rho^{C\mu}$			$Q_{quqd}^{(8)}$	$(\bar{q}_p^j T^A u_r) \epsilon_{jk} (\bar{q}_s^k T^A d_t)$
$Q_W$	$\epsilon^{IJK} W_\mu^{I\nu} W_\nu^{J\rho} W_\rho^{K\mu}$			$Q_{lequ}^{(1)}$	$(\bar{l}_p^j e_r) \epsilon_{jk} (\bar{q}_s^k u_t)$
$Q_{\tilde{W}}$	$\epsilon^{IJK} \tilde{W}_\mu^{I\nu} W_\nu^{J\rho} W_\rho^{K\mu}$			$Q_{lequ}^{(3)}$	$(\bar{l}_p^j \sigma_{\mu\nu} e_r) \epsilon_{jk} (\bar{q}_s^k \sigma^{\mu\nu} u_t)$
8 : $(\bar{L}L)(\bar{L}L)$		8 : $(\bar{R}R)(\bar{R}R)$		8 : $(\bar{L}L)(\bar{R}R)$	
$Q_{ll}$	$(\bar{l}_p \gamma_\mu l_r)(\bar{l}_s \gamma^\mu l_t)$	$Q_{ee}$	$(\bar{e}_p \gamma_\mu e_r)(\bar{e}_s \gamma^\mu e_t)$	$Q_{le}$	$(\bar{l}_p \gamma_\mu l_r)(\bar{e}_s \gamma^\mu e_t)$
$Q_{qq}^{(1)}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{q}_s \gamma^\mu q_t)$	$Q_{uu}$	$(\bar{u}_p \gamma_\mu u_r)(\bar{u}_s \gamma^\mu u_t)$	$Q_{lu}$	$(\bar{l}_p \gamma_\mu l_r)(\bar{u}_s \gamma^\mu u_t)$
$Q_{qq}^{(3)}$	$(\bar{q}_p \gamma_\mu \tau^I q_r)(\bar{q}_s \gamma^\mu \tau^I q_t)$	$Q_{dd}$	$(\bar{d}_p \gamma_\mu d_r)(\bar{d}_s \gamma^\mu d_t)$	$Q_{ld}$	$(\bar{l}_p \gamma_\mu l_r)(\bar{d}_s \gamma^\mu d_t)$
$Q_{lq}^{(1)}$	$(\bar{l}_p \gamma_\mu l_r)(\bar{q}_s \gamma^\mu q_t)$	$Q_{eu}$	$(\bar{e}_p \gamma_\mu e_r)(\bar{u}_s \gamma^\mu u_t)$	$Q_{qe}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{e}_s \gamma^\mu e_t)$
$Q_{lq}^{(3)}$	$(\bar{l}_p \gamma_\mu \tau^I l_r)(\bar{q}_s \gamma^\mu \tau^I q_t)$	$Q_{ed}$	$(\bar{e}_p \gamma_\mu e_r)(\bar{d}_s \gamma^\mu d_t)$	$Q_{qu}^{(1)}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{u}_s \gamma^\mu u_t)$
		$Q_{ud}^{(1)}$	$(\bar{u}_p \gamma_\mu u_r)(\bar{d}_s \gamma^\mu d_t)$	$Q_{qu}^{(8)}$	$(\bar{q}_p \gamma_\mu T^A q_r)(\bar{u}_s \gamma^\mu T^A u_t)$
		$Q_{ud}^{(8)}$	$(\bar{u}_p \gamma_\mu T^A u_r)(\bar{d}_s \gamma^\mu T^A d_t)$	$Q_{qd}^{(1)}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{d}_s \gamma^\mu d_t)$
				$Q_{qd}^{(8)}$	$(\bar{q}_p \gamma_\mu T^A q_r)(\bar{d}_s \gamma^\mu T^A d_t)$

# Stability of SM all the way up?

How metastable?

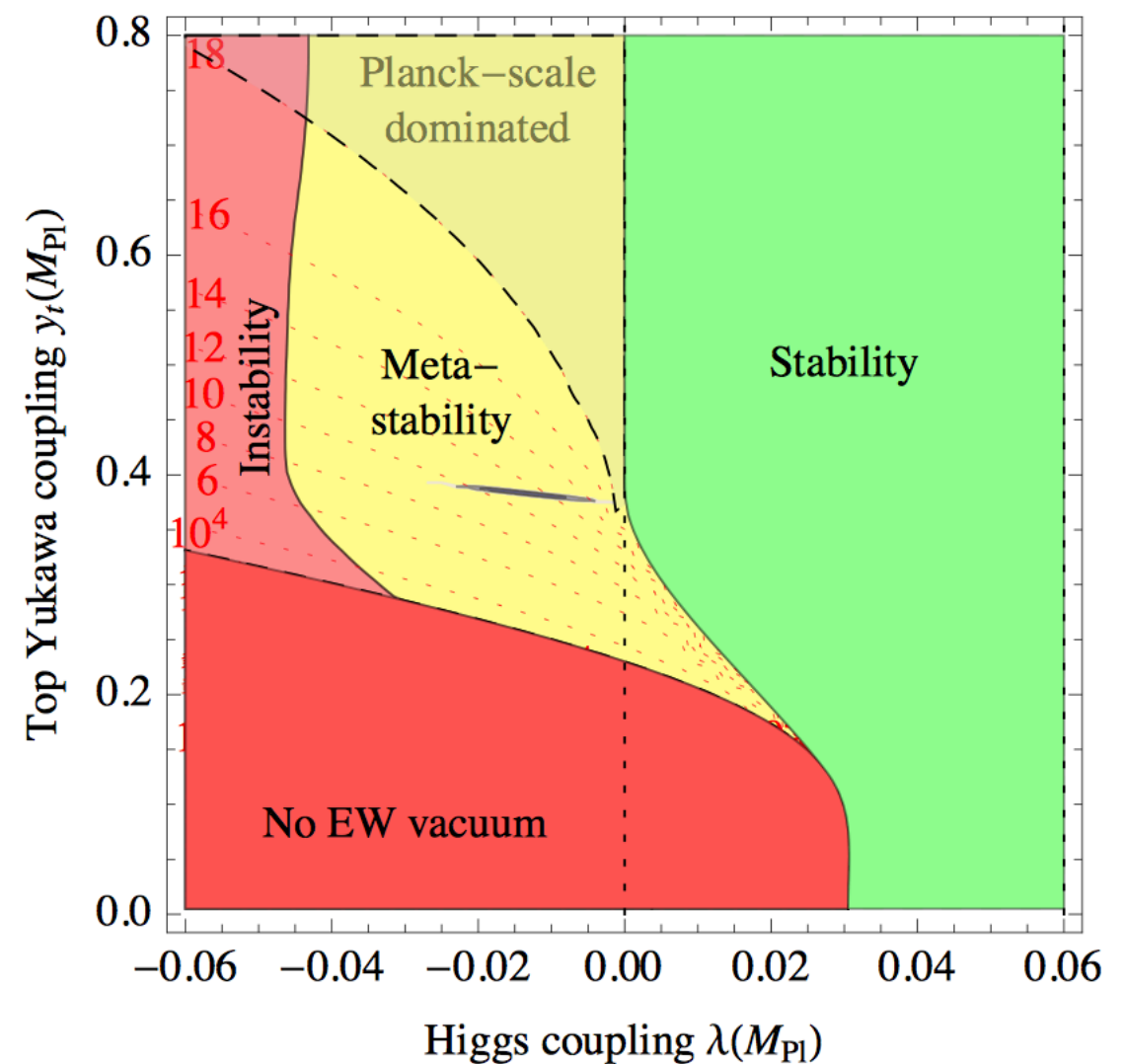
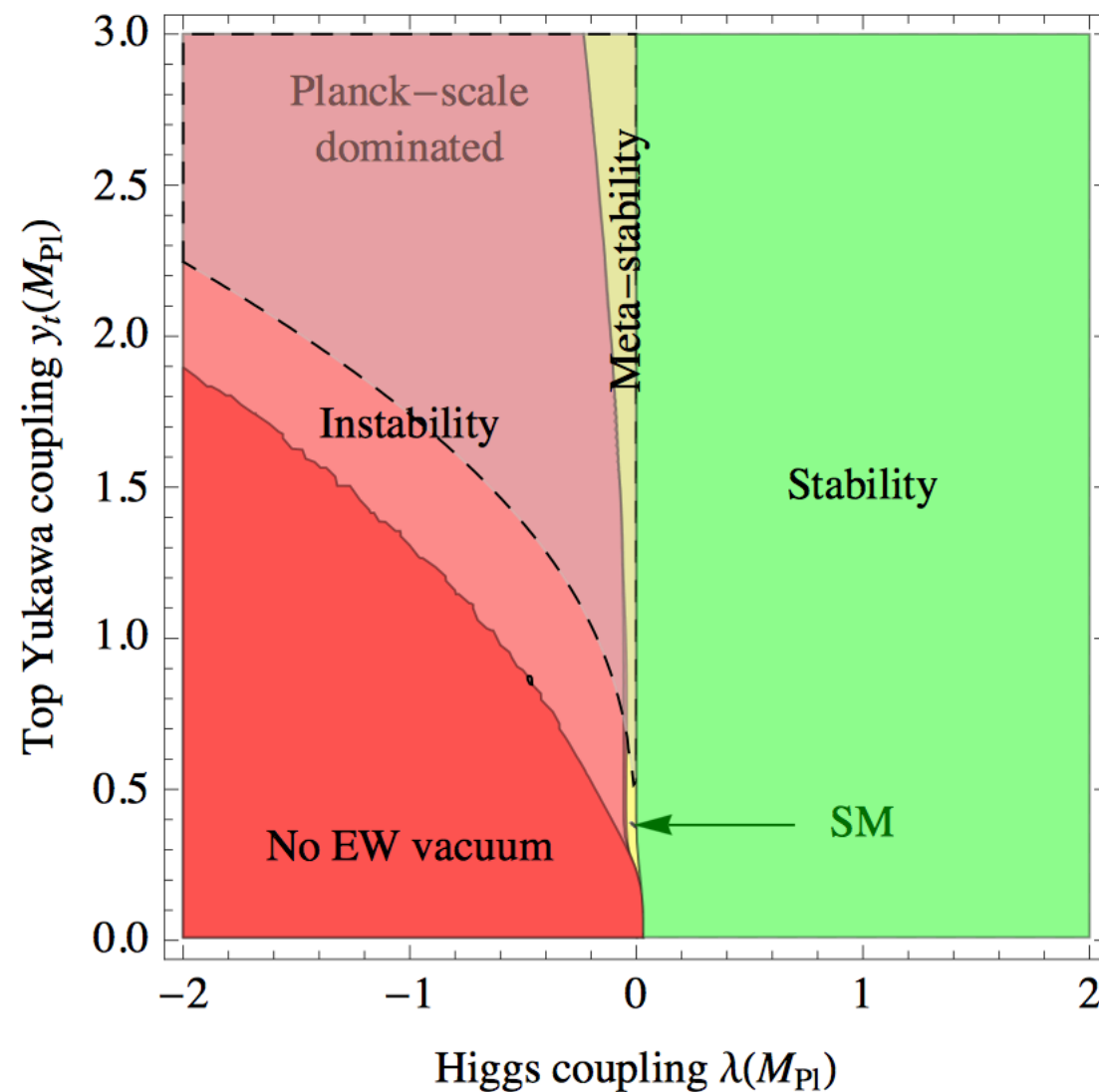




# Stability of SM all the way up?

Sher, Giudice, Strumia,...

An intriguing feature of measured values of Higgs coupling and top Yukawa extrapolated to  $M_{\text{Pl}}$  assuming SM all the way up:

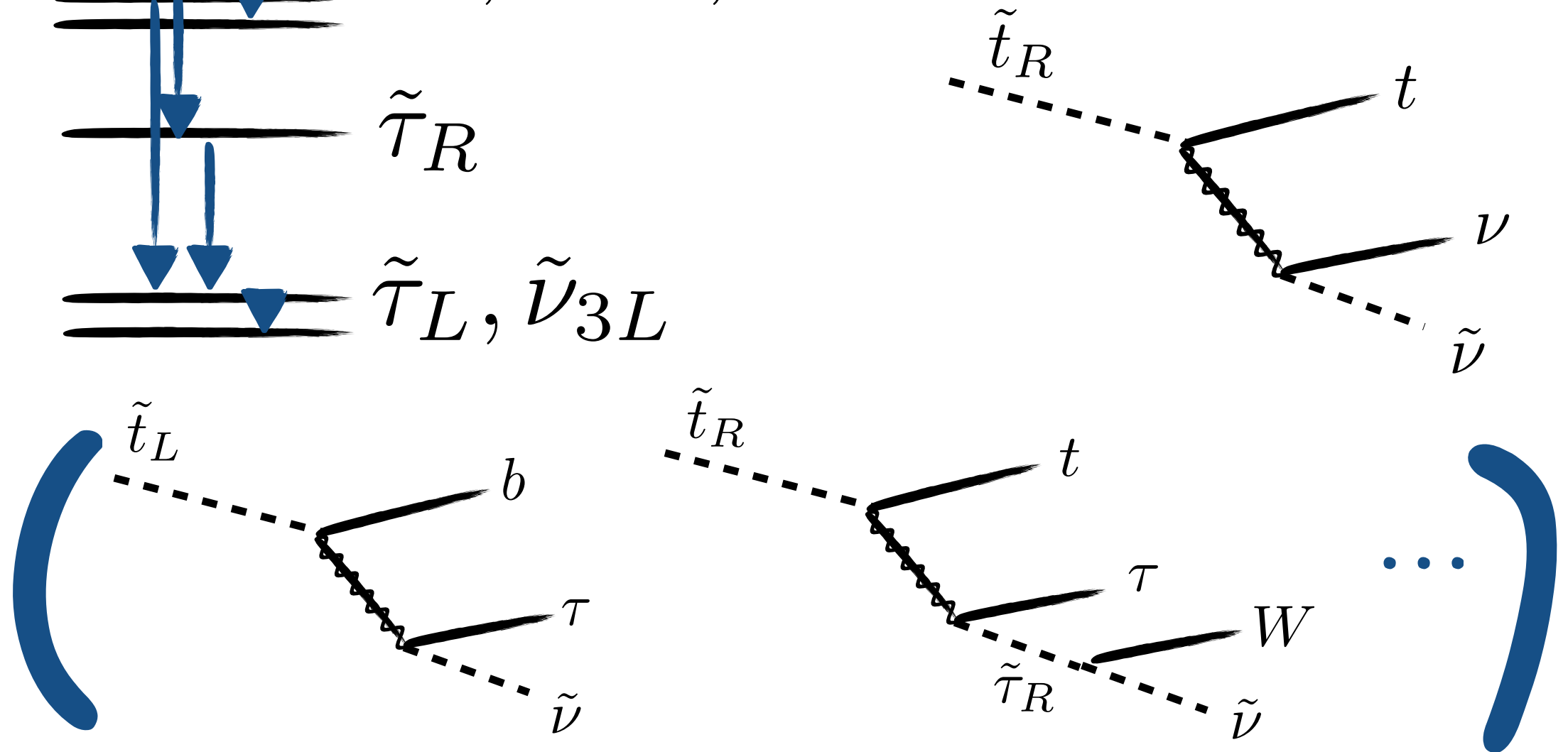


# $\tilde{\nu}_3$ LSP: New Signatures of Naturalness?

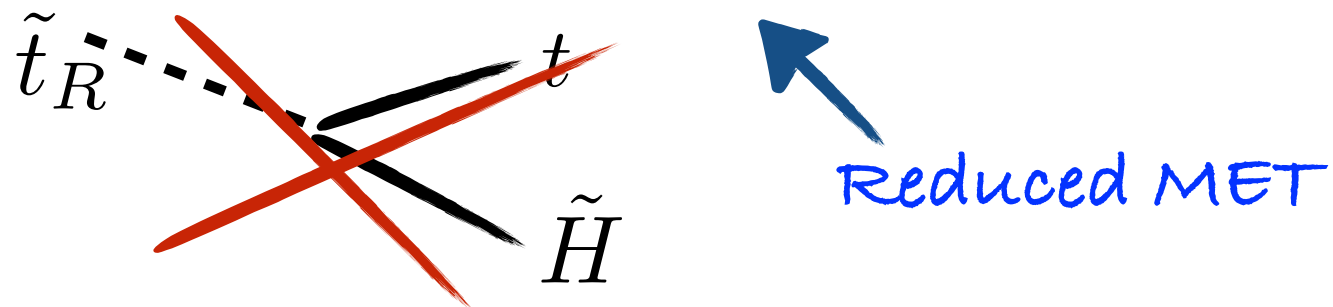
$\tilde{t}_{L,R}, \tilde{b}_{L,R}$

$\tilde{\tau}_R$

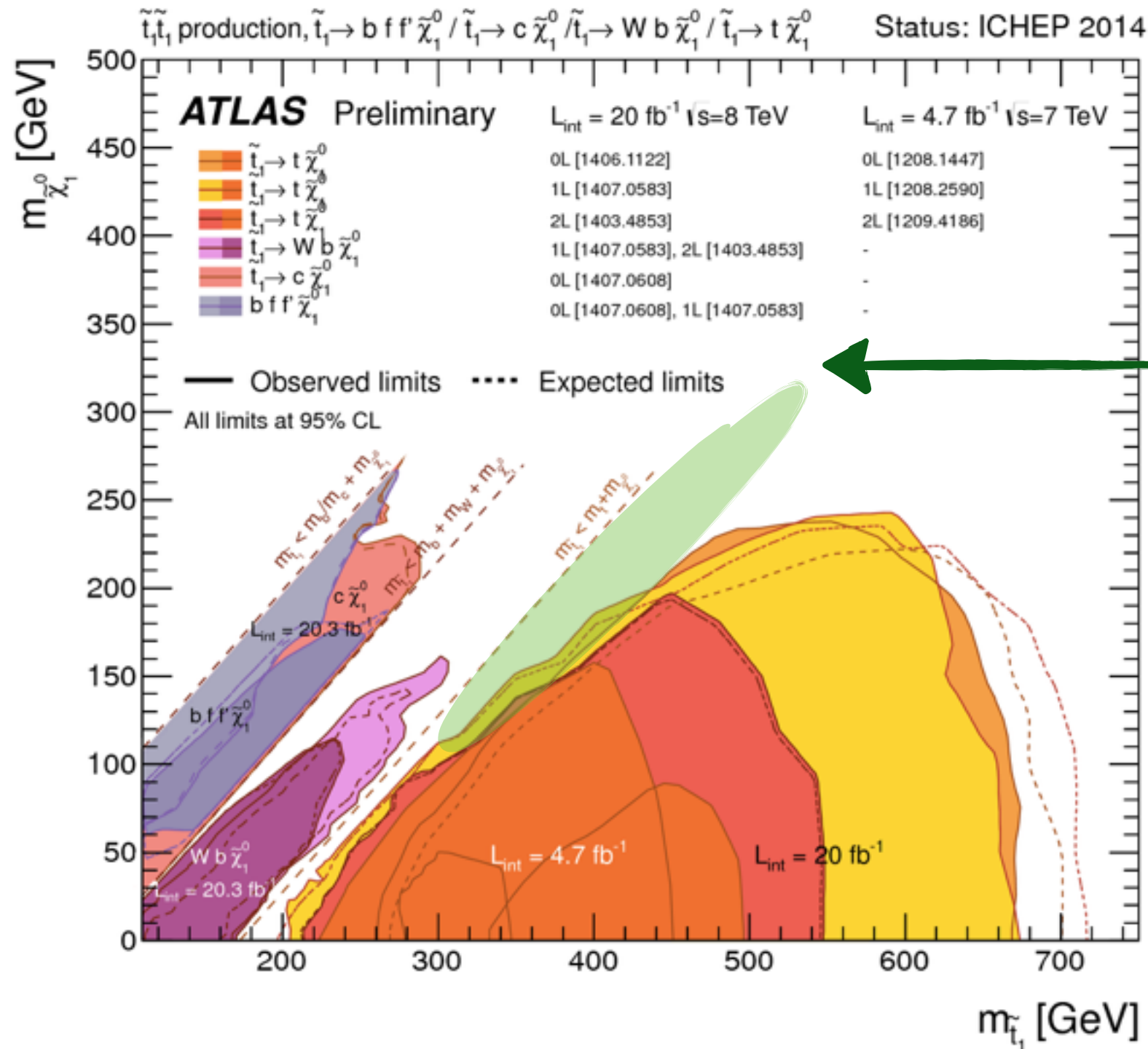
$\tilde{\tau}_L, \tilde{\nu}_3L$



3-body kinematics, taus + b's final states, ...



# Auto-Concealment of SUSY ?



susy theories can  
dynamically  
sit in this region

need precision  
understanding  
of SM to pull  
signal from  
background