# The BDX experiment at Jefferson Laboratory MonteCarlo tools for signal simulation

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The dark sector			

**Dark matter:** it is there, but very little is known about it! What is it? Where did it came from?

- "WIMP miracle:" electroweak scale masses ( $\simeq 100$  GeV) and DM annihilation cross sections ( $10^{-36}$  cm<sup>2</sup>) give correct dark matter density / relic abundances. No need for a new interaction!
- Intense experimental program searching for a signal in this mass region. So far, no positive evidences have been found.
- What about light dark matter, in the mass range 1 MeV ÷ 1 GeV?





The light dark matter hypothesis can explain the (gravitationally) observed relic abundance, provided a new interaction mechanism between SM and dark sector exists.

- Simplest possibility: "vector-portal". DM-SM interaction trough a new U(1) gauge-boson ("dark-photon") coupling to electric charge.
- Model parameters: Dark-photon mass,  $M'_A$ and coupling to electric charge  $\varepsilon$ . Dark matter mass,  $M_{\chi}$  and coupling to dark photon,  $g_D \ (\alpha_D \equiv g_D^2/4\pi)$ .

#### LDM direct detection

Non-relativistic thermal LDM:

- Hard to measure in direct detection (although DD is crucial to probe cosmogenic origin!) due to kinematic effects (low recoil energy)
- Huge parameters space due to different low-energy behavior of different mediators







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Natural parameters space to test thermal targets at accelerators:

- *m*<sub>\chi</sub>
- $y = \varepsilon^2 \alpha_D (m_\chi/m_{A'})^4$
- Fixed  $m_{\chi}/m_{A'}$  ratio

ight dark matter searches at accelerators						
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In the past few years, many different and complementary programs were proposed (and some already started) to search for LDM at accelerators, looking both for LDM particles and for mediators



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fixed target $e^-$ beam LDM experiment					

Beam Dump eXperiment: Light Dark Matter (LDM) direct detection in a  $e^-$  beam, fixed-target setup<sup>1</sup>

 $\chi$  production

- High-energy, high-intensity  $e^-$  beam impinging on a  $\operatorname{dump}$
- $\chi$  particles pair-produced radiatively, trough A' emission

 $\chi$  detection

- Detector placed behind the dump,  $\simeq 20m$
- Neutral-current  $\chi$  scattering on atomic  $e^-$  trough A' exchange, recoil releasing visible energy
- Signal: high-energy O(GeV) EM shower

Number of events scales as:  $N\propto \frac{\alpha_D\varepsilon^4}{m_A^4}$ 



LDM parameters space:  $M_{A}^{\prime},~M_{\chi},~\varepsilon,~\alpha_{D}$ 

 $M'_A \simeq 10 \div 1000 \text{ MeV}$  $M_\chi \simeq 1 \div 100 \text{ MeV}$ 



<sup>1</sup>For a comprehensive introduction: E. Izaguirre *et al*, Phys. Rev. D 88, 114015



The experiment is designed with two goals:



 Good time resolution to perform detector-veto coincidence

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BDX detector			

BDX detector: state-of-the-art EM calorimeter, CsI(TI) crystals with SiPM-based readout.

#### Detector design:

- $\simeq$  800 Csl(Tl) crystals, total interaction volume  $\simeq 0.5 m^3$
- Dual active-veto layer, made of plastic scintillator counters with SiPM readout

#### Calorimeter arrangement:

- + 1 module: 10x10 crystals, 30-cm long. Front face:  $50 x 50 \ \mbox{cm}^2$
- 8 modules: interaction length 2.6 m

Signal:

- EM-shower,  $E_{thr}\simeq 300$  MeV, anti-coincidence with IV and OV
- Efficiency (conservative):  ${\rm O}(10\%-20\%)$  dominated by EM shower splash-back to veto counters





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Jefferson Lab	oratory		

Jefferson Laboratory (Newport News, VA) is home for the CEBAF electron accelerator, based on superconducting RF technology.

Plan to run BDX behind Hall-A beam-dump

- Ideal beam conditions for the experiment:  $E_0 = 11 GeV$ , I up to  $\simeq$  60  $\mu$ A
- Already-approved experiments with more than  $10^{22}$  EOT (Moller, PVDIS)
- BDX is compatible with these planned experiments and can run parasitically with them

Hall-A beam-dump: Aluminum plates immersed in water for cooling.











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Overview			

**Goal:** determine the total number of signal events in the detector for a given combination of model parameters **Strategy:** factorize the event generation, as in the real physical process

- $\chi$ -beam generator: simulate the interaction of the primary  $e^-$  beam in the dump (thick-target) and produce the secondary  $\chi$  beam, with absolute normalization per EOT.
- Recoils generator: given the secondary  $\chi$ -beam, produces the scattered  $e^-$  in the detector.
- Detector simulation: given the scattered  $e^-$ , simulates the detector response.



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				$\chi$ generator

Process:  $e^- + Al \rightarrow e^- + Al + \chi + \overline{\chi}$ Goal:

- Compute the total  $\chi$ -flux per electron-on-target
- Generate final state 4-momenta according to d $\sigma$

**Code:** customized version of MadGraph/MadEvent 4 to simulate fixed-target process

- Initial state particle masses
- New particles  $(A', \chi)$  and new couplings  $(A' e \text{ and } A' \chi)$
- New momentum-dependent form factor for photon-nucleus interactions

**Momentum-dependent FF:** accounts for nuclear effects in *coherent*  $e^- - Al$  interaction

- $G_{2,el}(t)$  : elastic form factor
- $G_{2,in}(t)$  : quasi-elastic form factor

$$\begin{split} G_{2,el}(t) &= \left(\frac{a^2 t}{1+a^2 t}\right)^2 \left(\frac{1}{1+t/d}\right)^2 Z^2 \\ G_{2,in}(t) &= \left(\frac{a'^2 t}{1+a'^2 t}\right)^2 \left(\frac{1+\frac{t}{4m_r^2}(\mu_p^2-1)}{(1+\frac{t}{0.71\,\mathrm{GeV}^2})^4}\right)^2 Z \end{split}$$



Particles.dat:

f-	f+	F	S	FMASS	FWIDTH	s	f	611
x	x	V	W	APMASS	APWIDTH	S	Α'	622
N-	N+	F	S	HPMASS	HPWIDTH	S	P	623

#### Interactions.dat:

N-	N-	а	GAN QND
f-	f–	х	GEAPX QDS
e-	e-	х	GEAP QDS

#### Couplings.f:

Ar av dv ap	uuc = 26.98 val = 111.0/( elemass*Znuc**(1.0/3.0) ) val = 0.164/Anuc**(2.0/3.0) val = 773.0/( elemass*Znuc**(2.0/3.0) )
t۱	<pre>val = -(pp(0.Nin)-pp(0.Nout))**2</pre>
s	+(pp(1.Nin)-pp(1.Nout))**2
ŝ.	+(pp(2.Nin)-pp(2.Nout))**2
\$	+(pp(3,Nin)-pp(3,Nout))**2
fu	ullcoupling = ee * (Znuc**2 *aval**4 *
s	tval**2/((1+aval**2*tval)*(1+tval/dval))**2 +
ŝ.	Znuc * apval**4 * tval**2 * (1+1.9276*tval)**2 /
÷.	((1+anval**2*tval)*(1+1.40845*tval)**4)**2)**0.5

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## $\chi$ generator: thick-target effects

Thin target kinematics (on-shell A'):

- A' emitted forward,  $E_A \simeq E_0$
- $\chi$  beam forward peaked

 $e^-$  in the dump:

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- Energy loss:  $\chi$  kinematics gets broader
- Secondary  $e^-/e^+$  are produced: more  $\chi$  particles are emitted

To account for this:

 $\frac{dN}{dE_{A'}} \propto \int_{E_{min}}^{E_0} dE_e T_+(E_e) \frac{d\sigma(E_e)}{dE_{A'}}$ 

- "Traditional" approach:  $T_+ = X_0 \delta(E_0 E_e)$
- Our approach: perform full calculation.
  - Evaluate  $T_+(E_e)$  with MonteCarlo (G4)
  - Perform multiple MG4 runs, with different primary beam energy
  - Sum runs with weight  $T_+(E_e)$
  - Implementation: external python script calling MG4 with proper cards



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γ enerav (GeV)

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Process:  $\chi + e^- \rightarrow \chi + e^-$  Goal:

- Compute the total number of scattering events in the detector
- Generate final state 4-momenta according to  $\mathrm{d}\sigma$

Input from  $\chi$  generator:  $\Phi_{\chi}(E_{\chi}, \Omega_{\chi})$ Code: standalone C++ code Interaction cross-section:

$$\frac{d\sigma_{\chi e}}{dE_R} = 4\pi\alpha\alpha_D\varepsilon^2 m_e \frac{4m_e m_\chi^2 E_R + \left[m_\chi^2 + m_e(E_\chi - E_R)\right]^2}{(m_{A'}^2 + 2m_e E_R)^2(m_\chi^2 + 2m_e E_\chi)^2}$$

- Smooth 1-dimensional function, easy to integrate and to sample.
- Function depends on incoming  $\chi$  energy  $E_{\chi}$ :
  - To avoid function integration event by event, bin in  $E_{\chi}$  before generating events (from 0 to Ebeam)
  - For each event, use the cross-section computed at the bin center





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Decouple the  $\chi - e^-$  interaction simulation from the detector response simulation, and use Geant4 for the latter.

$$N_D = \int_{V_D} \frac{d\Phi_{\chi}}{dE_{\chi} d\Omega_{\chi}} \frac{d\sigma_I(E_{\chi})}{dE_r} n_p dE_{\chi} d\Omega_{\chi} dE_r$$

- Define a fiducial volume  $V_F$ , with  $V_F > V_D$  (also include  $E_r$  in this)
- Use  $V_F$  to calculate  $N_F$  and to generate 4-vectors
  - $\lambda_{\chi} \gg L_D$ : generate events uniformly. For each  $\chi$  generate the interaction vertex uniformly along the part of the trajectory that lies within  $V_F$
  - Following G4 simulation is designed to ignore cases with recoil generated in  $V_{F}$  but not in  $V_{D}$
- Compute the detector response as:  $N_D = N_F \cdot \varepsilon$
- +  $\varepsilon$  is calculated trough G4 simulation



Detector simulation			
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**Process:**  $e^-$  interaction with detector material (EM shower) **Goal:** 

- · Simulate the detector response, in terms of measured observables
- Compute the overall detector efficiency

Input from recoil generator: scattered electrons 4-momenta and vertexes Code: GEant4 Monte-Carlo (GEMC) software<sup>2</sup>, developed by M. Ungaro @ JLAB

GEMC is a C++ program that simulates particles through matter using Geant4 libraries.

- User specifies materials and geometry (volumes / surfaces) in a perl script, using a GEANT4-classes like syntax
- Materials and geometry are uploaded to a database
- GEMC loads the geometry and automatically constructs the detector.
- Similar procedure for detector response/digitization



<sup>&</sup>lt;sup>2</sup>http://gemc.jlab.org

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Conclusions			

- Dark matter in the MeV-to-GeV range is largely unexplored
- Beam Dump eXperiment at JLab: search for Dark sector particles in the 1 ÷ 1000 MeV mass range
  - High intensity (  $\simeq ~10^{22}$  EOT/year), high energy (11 GeV)  $e^-$  beam
  - Detector:  $\simeq 800 \text{ Csl(Tl)}$  calorimeter + 2-layers active veto + shielding
  - BDX proposal submitted to JLab PAC 44 (2016) conditionally approved.
- Strategy for signal yield evaluation follows the "dual-step" nature of the experiment:
  - Factorize  $\chi$  production in the beam-dump,  $\chi-e^-$  scattering in the detector, and detector response evaluation
  - Use specific code for each step: where possible, adapt existing tools to the specific experimental setup

Backup slides

# LDM production and detection

**Production:** Main features follows from thin-target kinematics  $* e^-$  energy loss and secondaries emission in the dump

- Thin target kinematics:
  - A' emitted with forward kinematics,  $E'_A \simeq E_0 \label{eq:energy}$
  - High-energy  $\chi$  beam strongly focused along primary beam direction allowing a compact detector
- $e^-$  in the dump:  $e^-$  loses energy by ionization and Bremsstrahlung,  $\chi$  kinematics gets broader

**Detection:**  $\chi - e^-$  elastic scattering

- $e^-$  recoil: EM shower (O(GeV))
- Background rejection is not critical





# Cosmogenic backgrounds

- Cosmic backgrounds have been measured with a small-scale prototype in a similar overburden configuration as foreseen in BDX
- The majority of cosmic muons are detected and rejected by the veto counters, while cosmic neutrons are shielded by the overburden
- Measured anti-coincidence rate (E\_{thr} \simeq 300 MeV) < 2 counts: results obtained by conservatively extrapolating from the lower-E, non-zero counts region, projecting to the JLab setup (800 crystals)





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**Cosmogenic background is negligible** with high-energy threshold. It <sup>Energy ()</sup> will be measured on-site when beam is off

# Beam-related backgrounds

Beam-related backgrounds estimated trough MC simulations (Geant4/Fluka) Challenge: very high EOT. Solutions:

- Sample non-zero flux as a function of depth and propagate to detector location (G4)
- Use biasing (Fluka)



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#### Muons

- High-energy muon production in the dump dominated by the
  - $\gamma \to \mu^+ \mu^- \ {\rm process}$ 
    - Very good consistency between G4 and Fluka for μ production in the dump
    - On-site measurement of muons after the Hall-A beam dump is foreseen (see next slide)
- 6.6m iron shield (+2 m concrete) enough to range-out high energy muons: no particles at the detector location





### Beam-related backgrounds

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**Neutrinos:** only particles reaching the detector

- Spectrum mainly at low-energy, dominated by  $\mu^+$  decay /  $\mu^-$  capture on nuclei
- High-energy part from in-flight decays and prompt production processes



