

B Physics @ ATLAS – Theory

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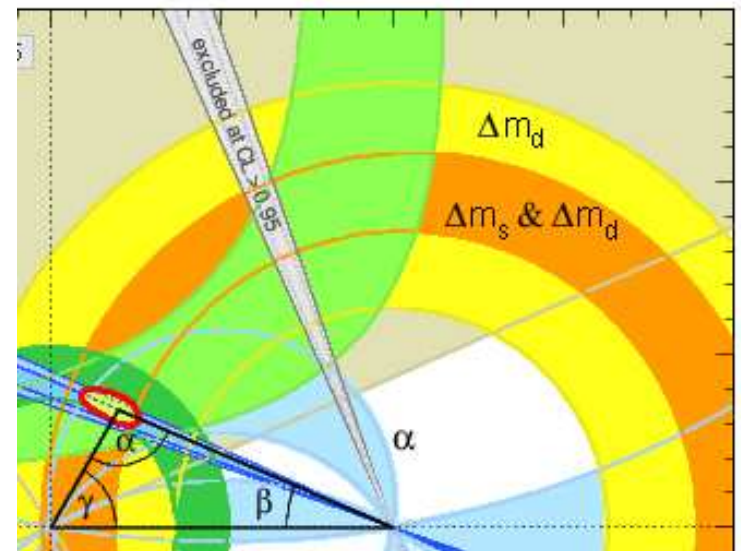
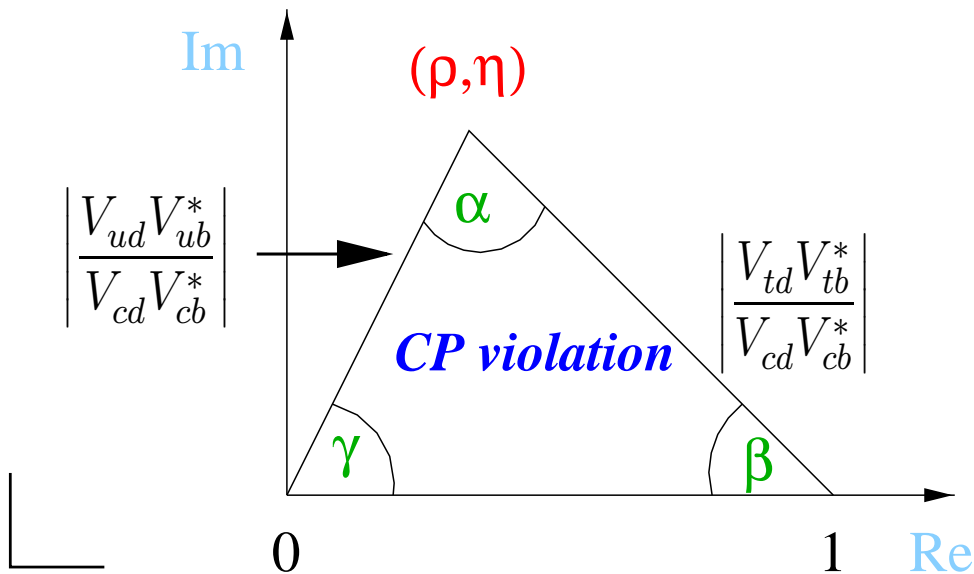
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- **flavour violation**, as far as we understand, happens in the **scalar sector**:
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- hence:
a complete understanding of EW symmetry breaking necessarily includes a complete understanding of flavour violation

FV in the SM: CKM matrix and Unitarity Triangle

- UT summarizes salient features of SM heavy flavour physics

$$V = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \approx \begin{pmatrix} 1 - \lambda^2/2 & \lambda & A\lambda^3(\bar{\rho} - i\bar{\eta}) \\ -\lambda & 1 - \lambda^2/2 & A\lambda^2 \\ A\lambda^3(1 - \bar{\rho} - i\bar{\eta}) & -A\lambda^2 & 1 \end{pmatrix}$$

- unitarity: $V_{ud}V_{ub}^* + V_{cd}V_{cb}^* + V_{td}V_{tb}^* = 0$.



Where is B Physics now?

- BaBar and Belle opened era of precision measurements in B physics and provided/continue to provide plethora of data
- CDF/D0 now measuring B_s/Λ_b processes not accessible at B factories (B_s mixing!)
- bottom line:
within present exp./th. accuracy, **CKM picture appears to be consistent with observed flavour/CP violation**
- Where to go from here?
 - theory: postulate of **minimal flavour violation (MFV)**:
NP provides no new sources of flavour violation
(that is: NP only modifies short-distance amplitudes by $O(1)$)
But why??? Flavour violation originates in **scalar sector** of SM (plus extensions).
And how??? MSSM: if MFV imposed at a certain scale, it will be broken by EW radiative corrections

($b \rightarrow s\gamma$: Degrossi/Gambino/Slavich 06)

Where is B Physics now?

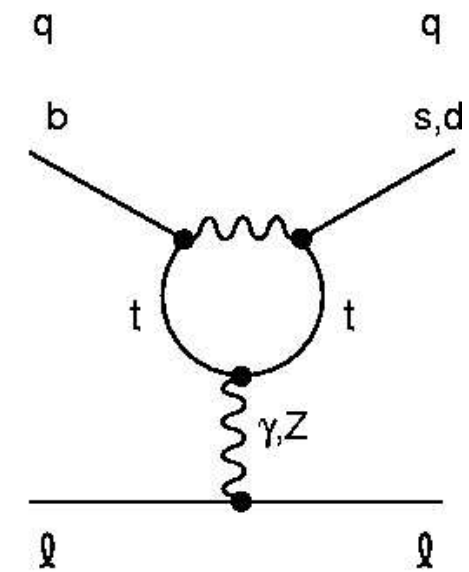
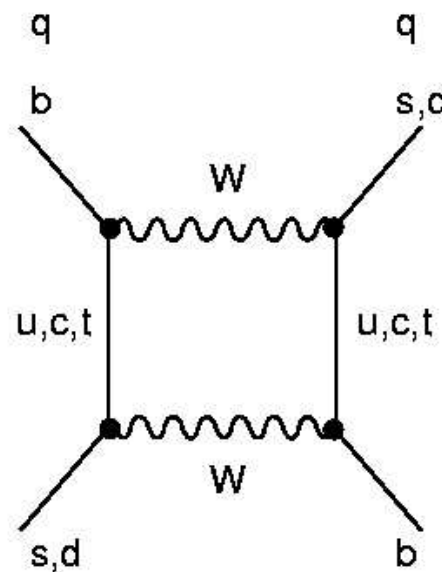
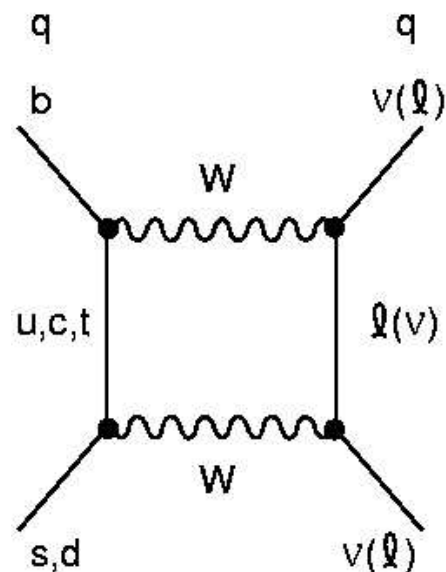
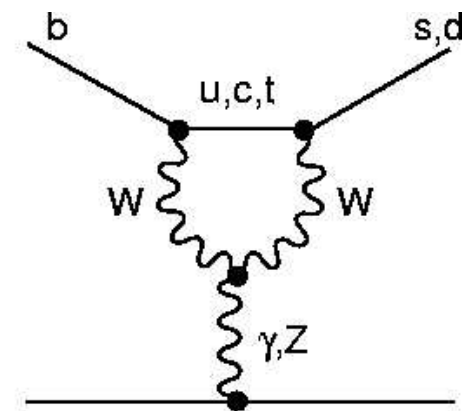
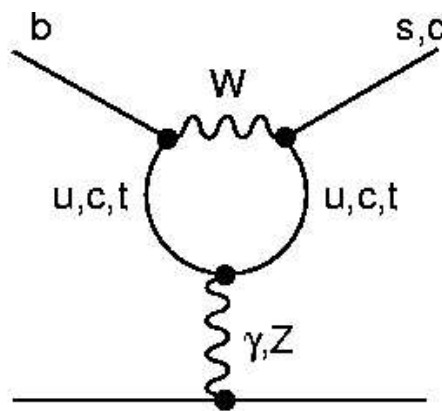
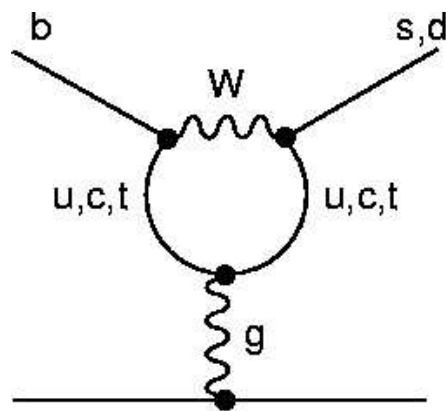
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($b \rightarrow s\gamma$: Degrossi/Gambino/Slavich 06)
 - conclusion: search for **small deviations from SM**:
need **clean predictions from theory** and **lots and lots of clean B decays**
 - particularly useful: **null (or quasi null) tests**:
observables that are forbidden or expected to be small in the SM
(Gershon/Soni 06)

Examples of (Quasi) Null Tests

- time-dependent CP asymmetry in penguin-dominated modes ($B \rightarrow \phi K_S$ vs. $B \rightarrow J/\psi K_S$) (NP in FCNC)
- time-dependent CP asymmetry in $B_d \rightarrow K^*(K_S\pi)\gamma$ or $B_s \rightarrow \phi\gamma$ (e.g. left-right symmetric models)
- time-dependent CP asymmetry in $B_s \rightarrow J/\psi\phi$ (NP in B_s mixing)
- direct CP asymmetry in $B^+ \rightarrow \pi^+\pi^0$ (enhanced EW penguins)
- forward-backward asymmetry in $B \rightarrow K\ell\ell$ (e.g. Higgs penguins)
- zero in forward-backward asymmetry in $B \rightarrow K^*\ell\ell$
- $B \rightarrow D^{(*)}\mu\nu_\mu$ vs. $B \rightarrow D^{(*)}\tau\nu_\tau$ (charged Higgs etc.)
- transverse τ polarisation in semileptonic decays (charged Higgs etc.)
- ...

A Quick Reminder of FCNC

It so happens that all our examples involve $b \rightarrow s\gamma$ and $b \rightarrow sll$. In the SM, these are **loop induced**.



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- in SUSY, **possibly large contributions** from e.g. squark/gluino loops (with coupling α_s):
not seen: $B(b \rightarrow s\gamma)$ in very good agreement with SM prediction ($\sim 5\%$ exp., 10% th. error): **SUSY (NP) flavour problem**
- SUSY contribution vanishes if **squarks degenerate in mass** (that is: if soft SUSY breaking terms flavour independent)
- this is one of the motivations for MFV!

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$b \rightarrow sll$ comes in **various hadronic channels**:

- $B_s \rightarrow ll, B_{u,d} \rightarrow K^{(*)}ll, B_s \rightarrow \phi ll, \Lambda_b \rightarrow \Lambda ll.$

The short-distance physics is always the same!

That is: there are strong **correlations** between these processes – which are not fully explored yet.

$b \rightarrow d\gamma, b \rightarrow dll$ is **more difficult** to tackle:

- in the SM, rates are suppressed by roughly a factor

$$|V_{td}/V_{ts}|^2 \approx 1/100.$$

$B \rightarrow (\rho, \omega)\gamma$ was first observed by B factories in 2005, whereas

$B \rightarrow K^*\gamma$ was seen by CLEO in 1993!

- theoretical treatment of $B_u \rightarrow \rho^- \gamma$ etc. more difficult than that of

$B_d \rightarrow \rho^0 \gamma$ etc. due to tree-level **weak annihilation** diagrams

(which are doubly CKM suppressed for $b \rightarrow s$)

A Quick Reminder of FCNC

Theoretical input needed:

- For **inclusive** decays (probably not ATLAS' first choice):
 - QCD perturbation theory + heavy quark expansion (+ shape functions or variants for spectra)
- For **exclusive** decays:
 - QCD factorisation or SCET (to consistently include radiative corrections)
 - form factors of $B \rightarrow K$ etc. transitions
 - non-perturbative methods, in particular **QCD sum rules on the light-cone** and **lattice**
 - would actually be nice to have high resolution experimental spectra of $B \rightarrow \pi \ell \nu$ and $B \rightarrow \rho \ell \nu$ to check calculations of form factor shapes!

CP Asymmetry in $B_d \rightarrow K^* \gamma$ ($B_s \rightarrow \phi \gamma$)

(Atwood/Gronau/Soni 97, Grinstein/Pirjol 05, Ball/Zwicky 06)

- $b \rightarrow s \gamma$ is actually either $b_R \rightarrow s_L \gamma_L$ (with, in the SM, a helicity factor m_b) or $b_L \rightarrow s_R \gamma_R$ (with, in the SM, a helicity factor m_s):
 γ dominantly left-polarised, γ_R suppressed by m_s/m_b
- entails a small time-dependent CP asymmetry (interference of γ_L/γ_R amplitudes):

$$A_{\text{CP}} = \frac{\Gamma(\bar{B}^0(t) \rightarrow \bar{K}^{*0} \gamma) - \Gamma(B^0(t) \rightarrow K^{*0} \gamma)}{\Gamma(\bar{B}^0(t) \rightarrow \bar{K}^{*0} \gamma) + \Gamma(B^0(t) \rightarrow K^{*0} \gamma)}$$

$$\approx -2 \frac{m_s}{m_b} \sin(2\beta) \sin(\Delta m_B t) \approx -3\% \cdot \sin(\Delta m_B t)$$

(K^* , \bar{K}^* observed as CP eigenstate $K_S \pi$)

- helicity suppression removed by NP if spin flip can occur on virtual line (e.g. left-right symmetric model, MSSM):
 factor m_{virtual}/m_b instead of m_s/m_b

CP Asymmetry in $B_d \rightarrow K^* \gamma$ ($B_s \rightarrow \phi \gamma$)

Caveat emptor! No helicity suppression in 3-parton process $b \rightarrow s \gamma g$.

Contributes to $B \rightarrow K^* \gamma$ if B or K^* in 3-particle quark-antiquark-gluon state configuration.

Estimated to increase A_{CP} to $\sim 10\%$ (Grinstein/Pirjol 05, using **SCET**).

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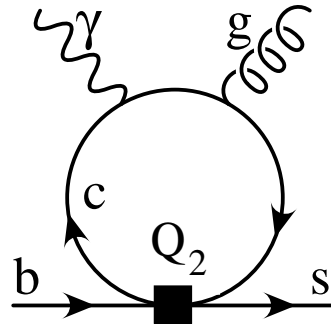
Is that sound?

Soft gluons abundant everywhere – if 3-particle configurations of hadrons were that important, most form factor calculations (quark model/lattice) would be pretty wrong (as they neglect these contributions).

Exception: **QCD sum rules on the light-cone**, where these terms are included and are found to be small.

CP Asymmetry in $B_d \rightarrow K^* \gamma$ ($B_s \rightarrow \phi \gamma$)

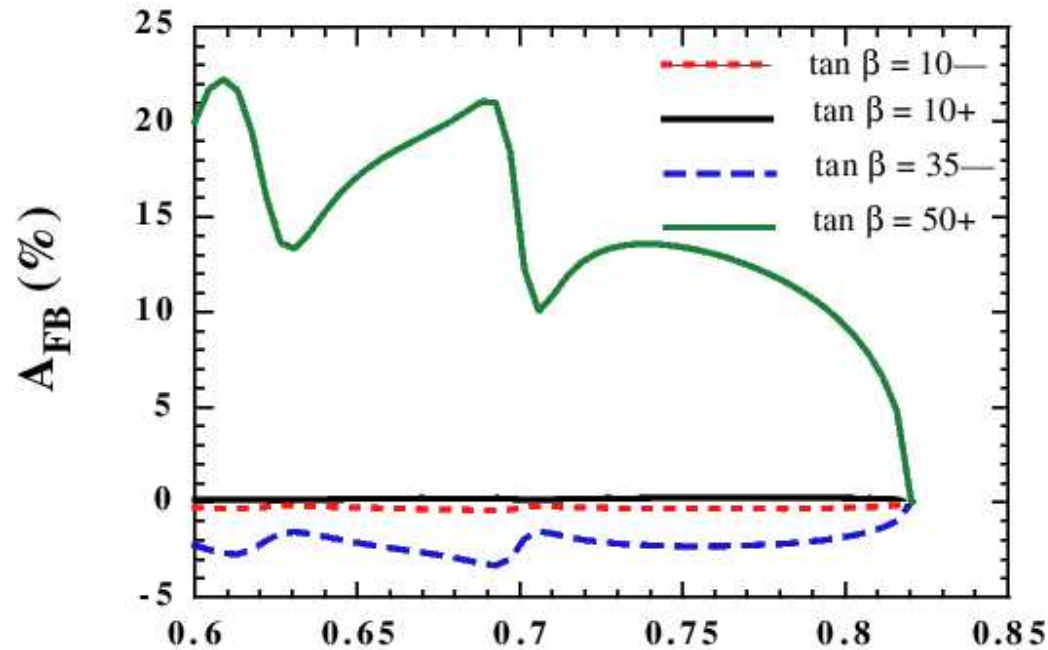
Can one do better?



- calculate effective operator for soft-gluon emission in $1/m_c$ expansion
- calculate relevant matrix elements from QCD sum rules on the light-cone
- yields $A_{CP} = -(2 \pm 2)\% \sin(\Delta m_{Bt})$ (Ball/Zwicky 06)
- CP asymmetry in $B_d \rightarrow K^* \gamma$ remains near perfect null test of SM!
- $B_s \rightarrow \phi \gamma$ more feasible for LHCb (ATLAS/CMS?). Should yield very similar result (Ball/Zwicky, in prep)

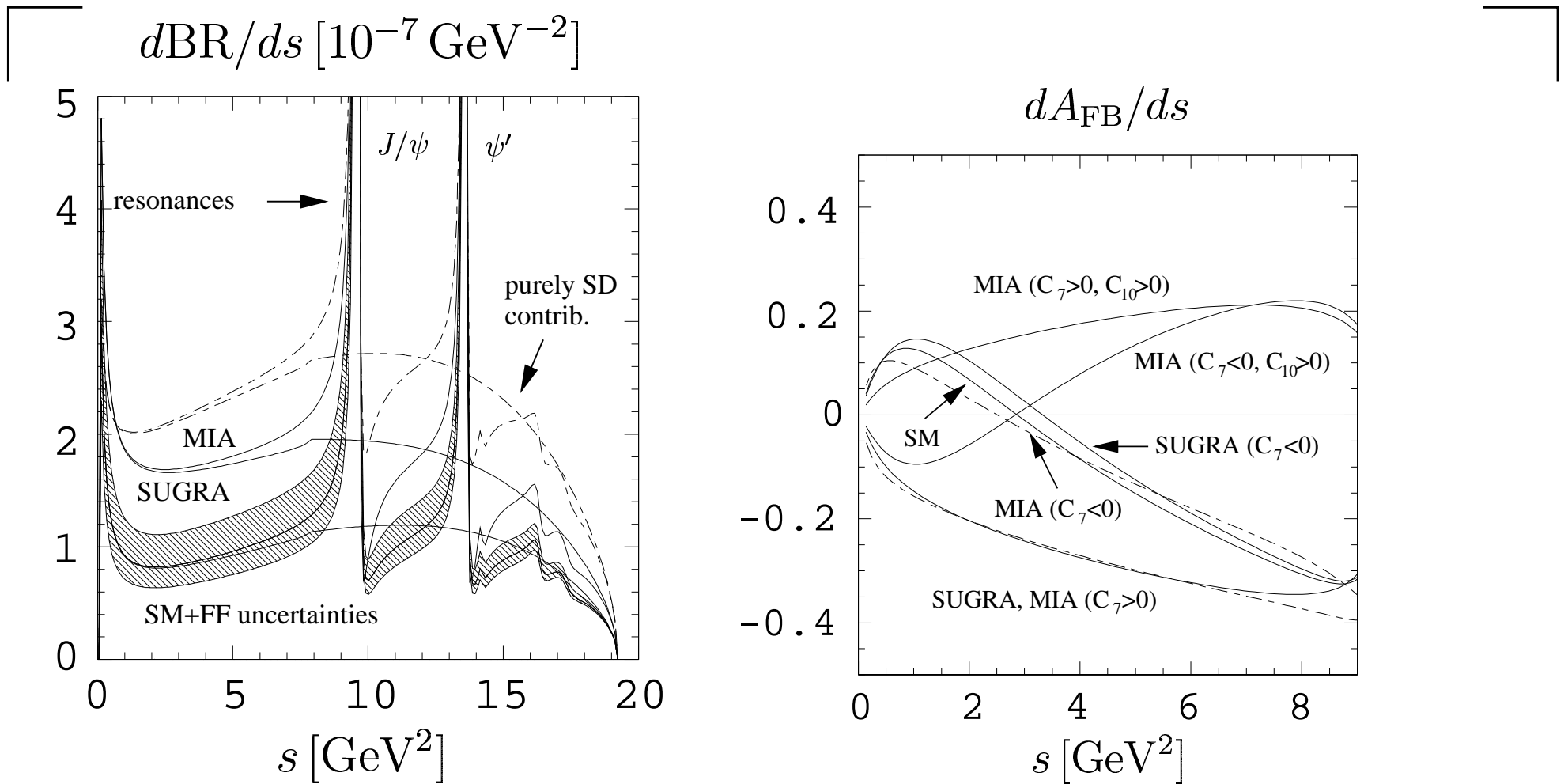
FB Asymmetry in $B \rightarrow K \ell \ell$

- vanishes in SM, is due to scalar exchange in BSM: **Higgs penguins** and similar (in MSSM, effect $\propto \tan \beta^n$ with $n = 2, 3$)
- SUSY with large $\tan \beta$: need $\ell = \tau$ to get large asymmetries $\sim 10\%$
- but maybe there is some non-SUSY NP around?



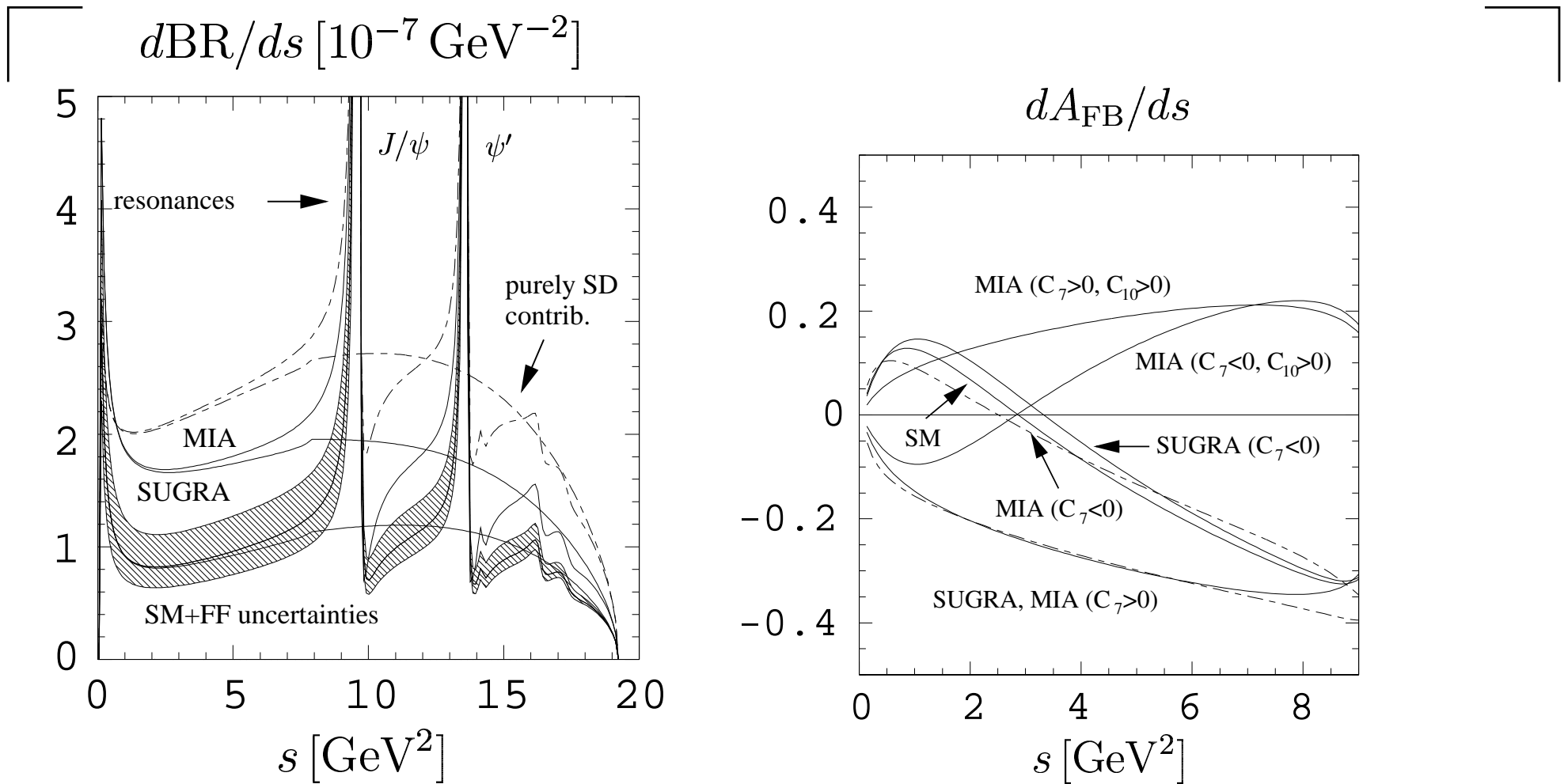
(Demir/Olive/Voloshin 02)

FB Asymmetry in $B \rightarrow K^* \ell \ell$



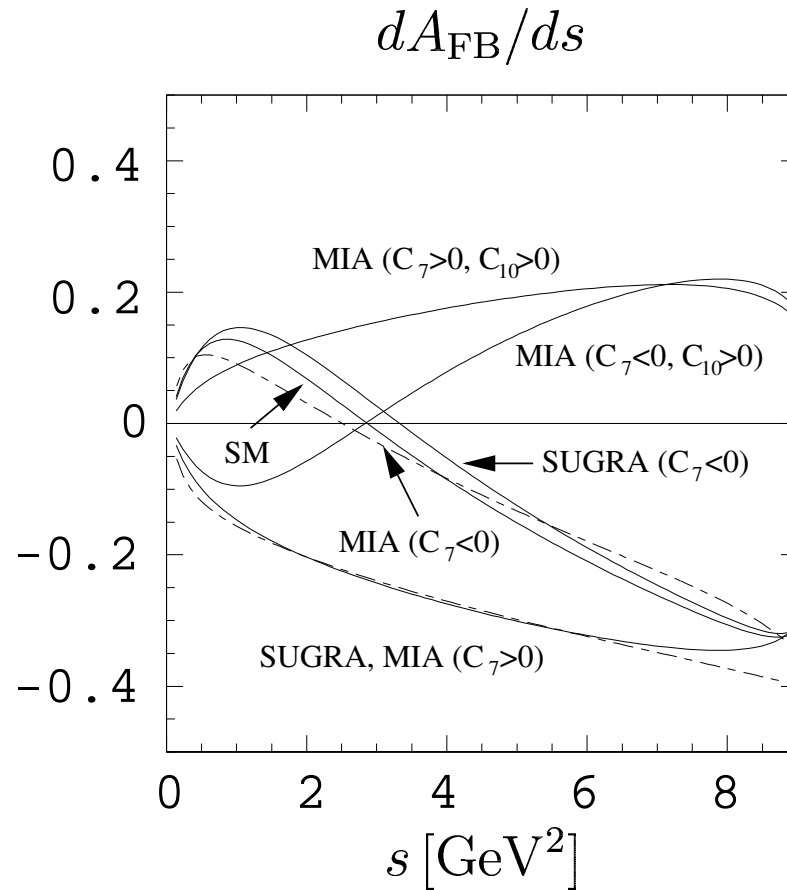
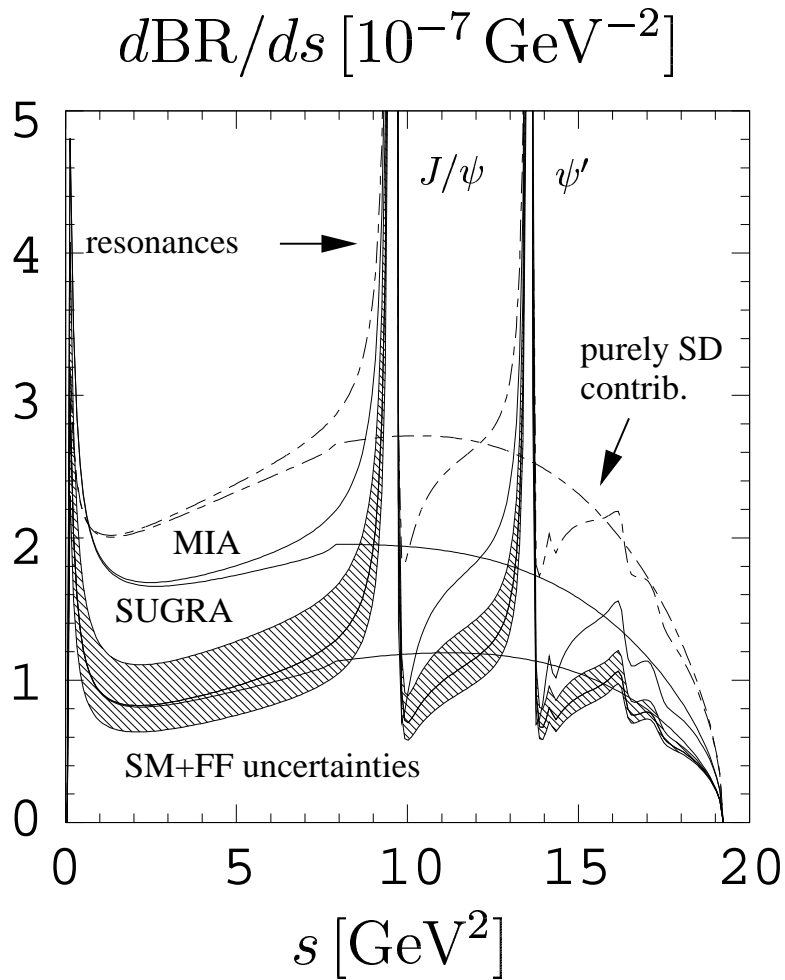
- FB wrt/ angle $\theta = \angle(\vec{p}_B, \vec{p}_{\mu^+})$ in CMS of dilepton pair

FB Asymmetry in $B \rightarrow K^* \ell \ell$



- dA_{FB}/ds has zero in SM, position determined by short-distance coefficients and form factors

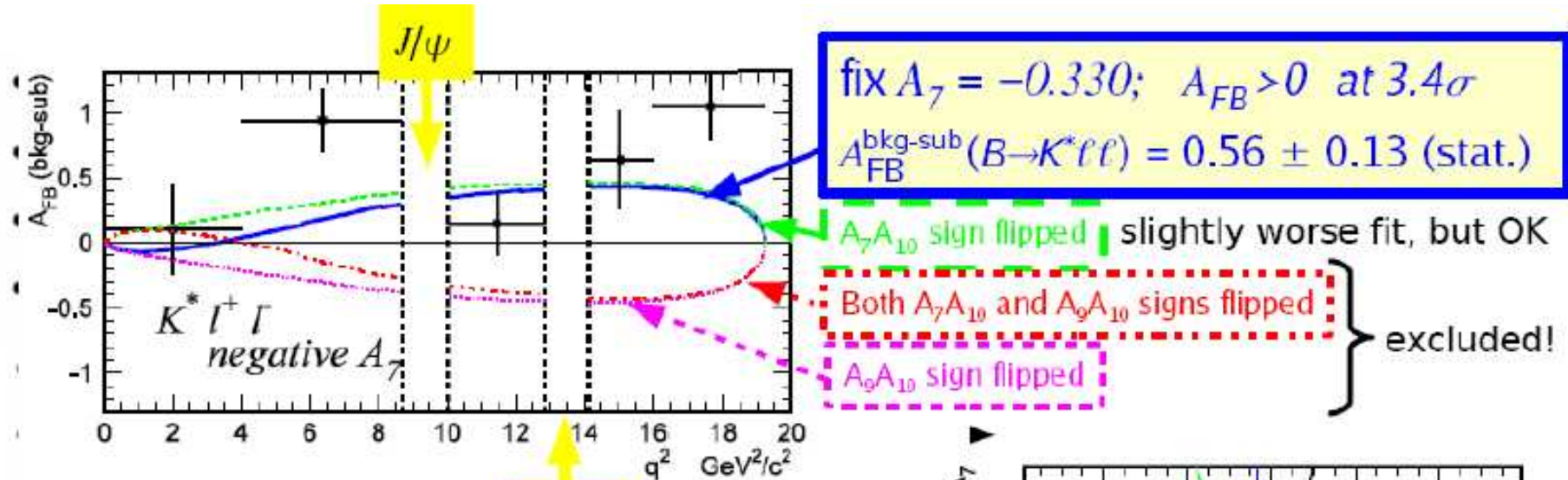
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- part of **hadronic uncertainties** cancels in FB asymmetry

FB Asymmetry in $B \rightarrow K^* \ell \ell$

Belle data (presented by J. Berryhill (BaBar), Moriond 06):



Wilson coefficients:

$$A_9/A_7 = -15.3^{+3.4}_{-4.8} \pm 1.1$$

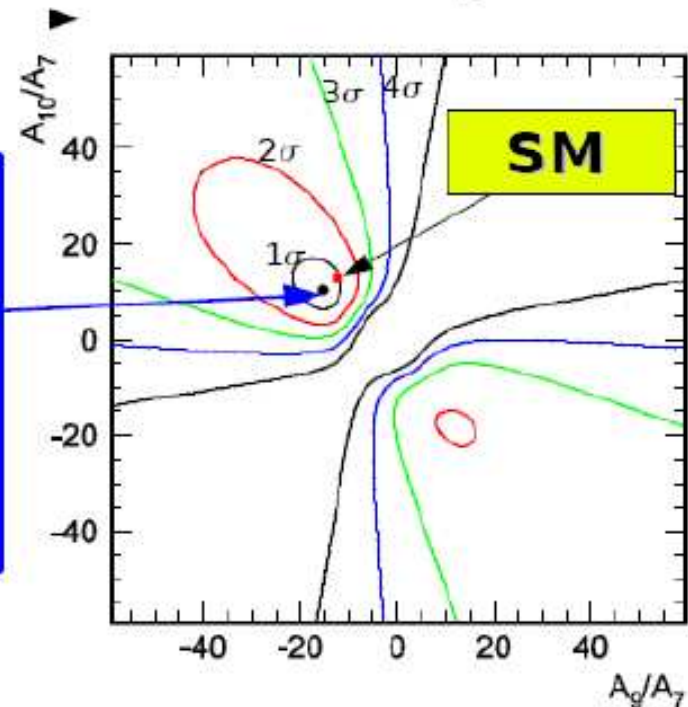
$$A_{10}/A_7 = 10.3^{+5.2}_{-3.5} \pm 1.8 \quad (A_7^{SM})$$

$$-1401 < A_9 A_{10} / A_7^2 < -26.4 \quad (\text{any } A_7)$$

SM:

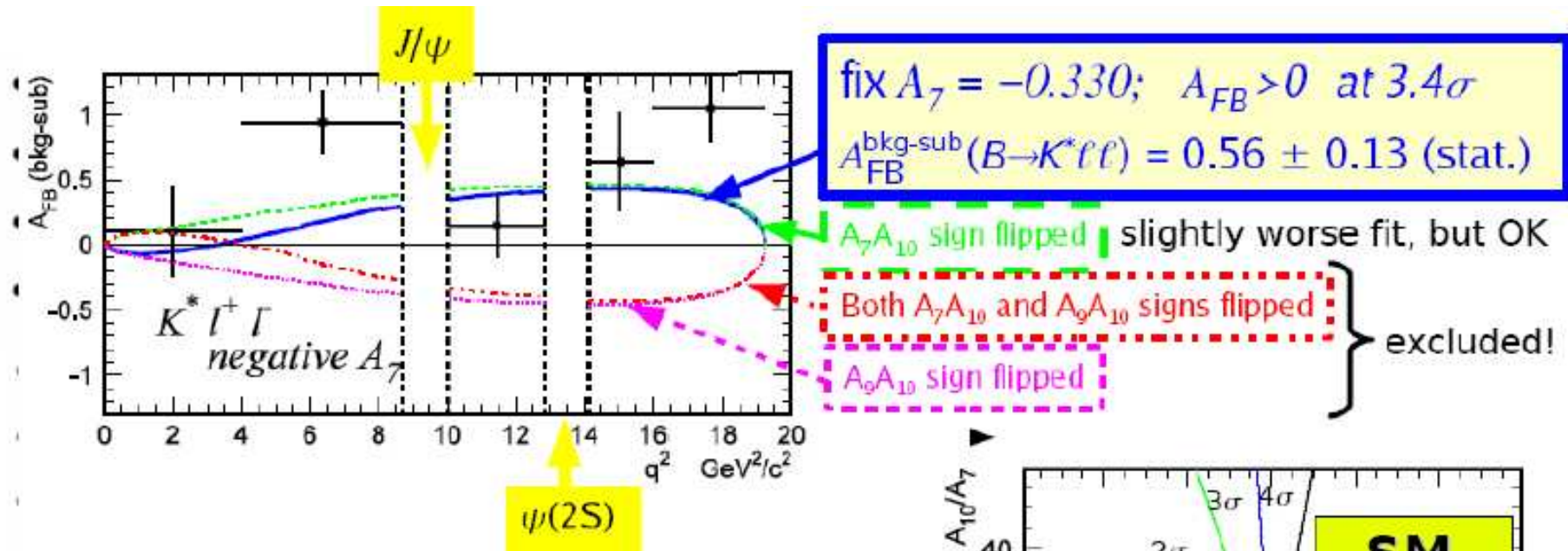
$$A_9/A_7 = -12.3,$$

$$A_{10}/A_7 = 12.8.$$



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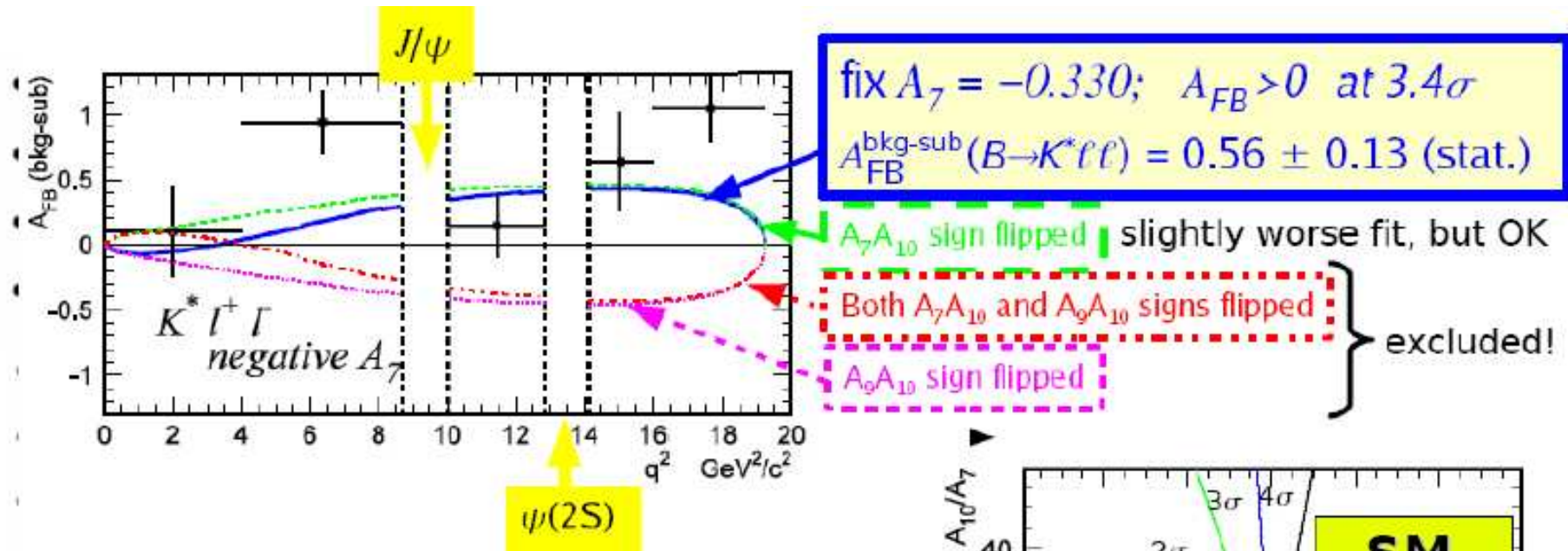
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The fitted values for $A_{7,9,10}$ may actually be **wrong**: QCD factorisation does not work at large q^2 (unknown $O(\alpha_s)$, $1/m_b$ corrections). Better to rely on data at small $q^2 < 8 \text{ GeV}^2$ only, where theory is better.

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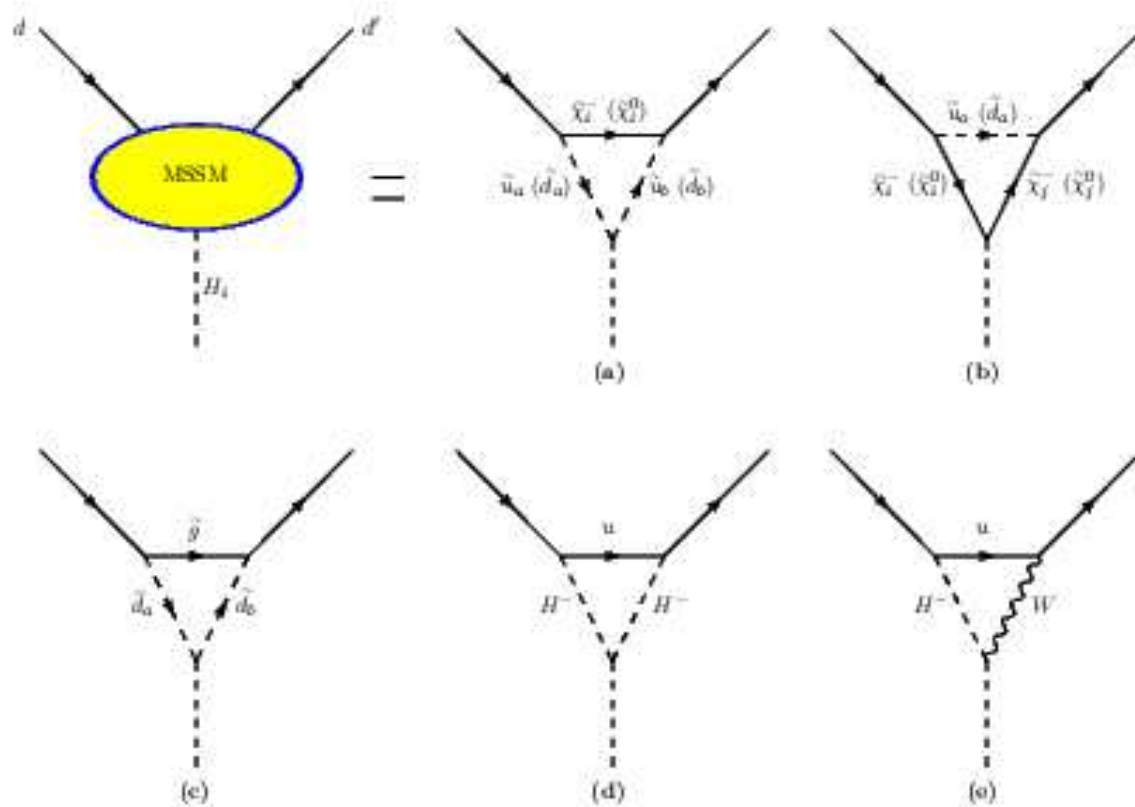
In any case, a reanalysis using recent form factor updates and a clean separation of leading and sub-leading (in $1/m_b$) terms would be timely & useful.

(Ball/NN/Zwicky, planned)

And, not to forget, an analysis of all exclusive $b \rightarrow s \gamma$, $b \rightarrow s \ell \ell$ with an eye on mutual correlations.

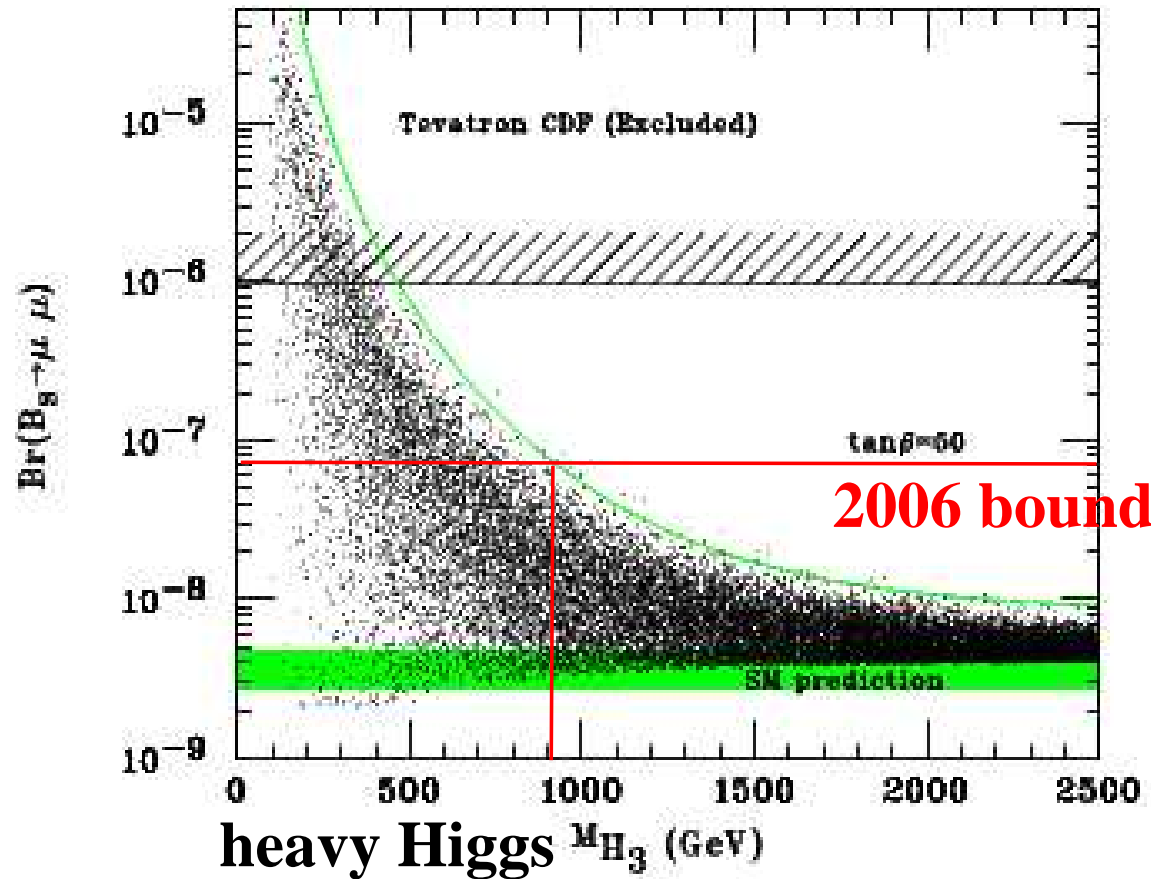
$B_s \rightarrow \mu^+ \mu^-$

- GIM and helicity suppressed in SM, predicted BR: $4 \cdot 10^{-9}$
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Still a factor of 20 for NP to hide!

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The ultimate Higgs penguin: $B_s \rightarrow e\mu$:

Higgs induced FCNC + Higgs mediated lepton flavour violation!

Current bound on BR: $6 \cdot 10^{-6}$ (CDF).

Summary & Conclusions

- B physics @ LHC probes scalar sector of SM and BSM
- complementary to Higgs searches
- no huge deviations from SM (CKM) mechanism of flavour violation observed so far
- motivates postulate of Minimal Flavour Violation: NP contains no new sources of flavour violation, modification of SM short-distance coefficients by $O(1)$ (at most)
- still plenty of space for NP in, e.g., B_s mixing and $b \rightarrow s$ transitions
- otherwise, look for small deviations from SM predictions/null tests of SM
- homework for theorists: work out correlation between exclusive $b \rightarrow s$ processes
- looking forward to precise measurements of $b \rightarrow sll$ @ ATLAS!