

# ALPs and the X-ray Universe

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# Outline

- **Axion-like particles**
- Galaxy Clusters and ALP conversion
- Search for spectral distortions



# Axion-Like Particles

$$\mathcal{L} = \frac{1}{2} \partial_\mu a \partial^\mu a$$

- Has shift-symmetry  $a \rightarrow a + \text{const}$
- This is expected to be broken at some level (“no global continuous symmetries in Quantum Gravity”) [Banks, Seiberg ‘10]
- Generically arise in string compactifications (often even  $\mathcal{O}(100)$  or more)
- Explore the light and weakly interacting frontier!

# Axion-Like Particles

Breaking to discrete symmetry can be described by

$$\mathcal{L} = \frac{1}{2} \partial_\mu a \partial^\mu a + \Lambda^4 \left( 1 - \cos \frac{a}{f_a} \right)$$

with parameters  $f_a$  (decay constant) and scale  $\Lambda$

Also possible: Explicit breaking e.g. via

$$\mathcal{L} = \frac{1}{2} \partial_\mu a \partial^\mu a + \frac{1}{2} m^2 a^2$$

# Axion-Like Particles

Consider remaining discrete symmetry (ALPs):

What are possible values for  $f_a$  and  $m_a = \frac{\Lambda^2}{f_a}$  ?

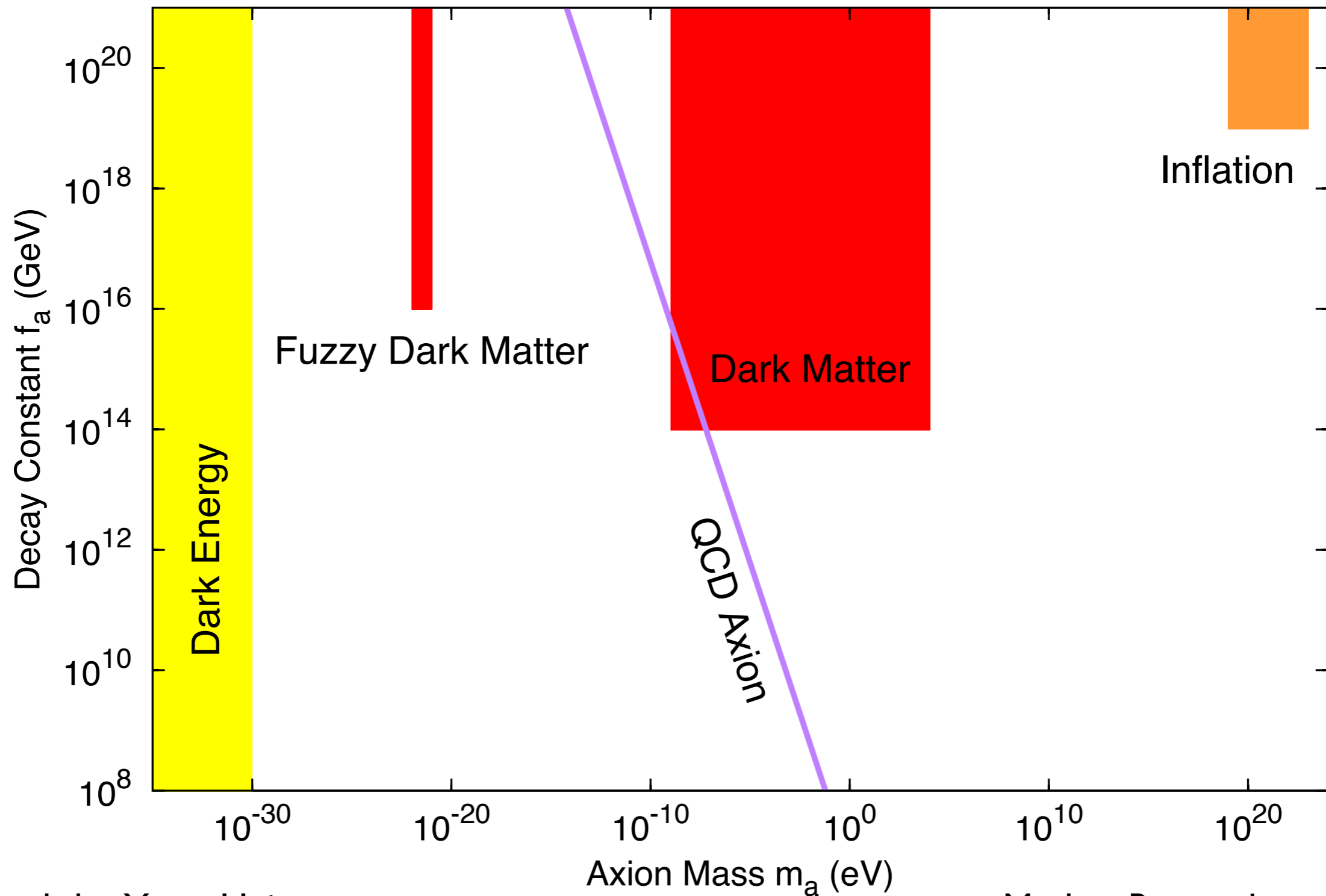
- $f_a$  naturally  $\mathcal{O}(M_S)$  to  $\mathcal{O}(M_P)$ , higher and lower hard but possible(?) [Svrcek, Witten '06]
- $m_a$  anything really, since  $\Lambda^4 \sim M_P^2 \Lambda_S^2 e^{-S_{\text{inst}}}$   
for example  $\Lambda_S = 10^{11}$  GeV,  $f_a = 10^{17}$  GeV  
and  $S_{\text{inst}} = 2\pi/\alpha_G$ ,  $\alpha_G = 0.04$  gives  
 $m_a \sim 10^{-15}$  eV
- also various couplings to SM

# Axion-Like Particles

- Strong CP problem (axions) [Peccei, Quinn '77]
- Viable dark matter candidate [Abbott, Sikivie '83; Turner '83; Arias, Cadamuro, Goodsell, Jaeckel, Redondo, Ringwald '12,...]
- Inflation [Freese, Friedman, Olinto '90, Silverstein, Westphal '06...]
- Collider constraints [Alekhin et al '15, Jaeckel, Spannowsky '15; Bauer, Neubert, Thamm '17,...]
- “Direct detection” constraints: Madmax, Abracadabra, ... SuperCDMS, Lux, ... [Agnese et al '13, Kahn et al '16, Caldwell et al '17, Akerib et al '17]

# Axion-Like Particles

## Rich phenomenology:



# Axion-Like Particles

We will explore the phenomenology arising from the coupling to Electromagnetism: [Sikivie '83; Raffelt, Stodolsky '88]

$$\frac{1}{4} g_{a\gamma\gamma} a F_{\mu\nu} \tilde{F}^{\mu\nu}$$

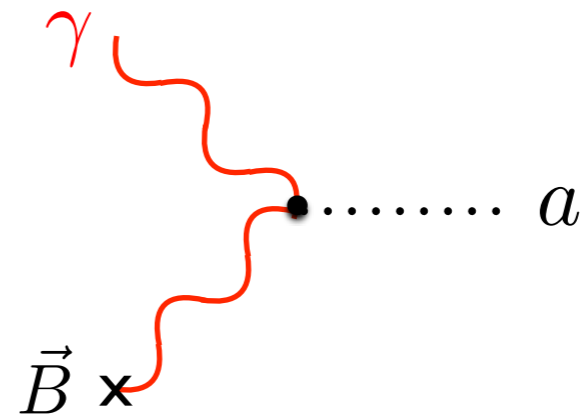
with  $g_{a\gamma\gamma} = c_{a\gamma} / f_a$

Don't have to assume any cosmological abundance, just that they exist!

# Axion-Like Particles

$$\mathcal{L} = \frac{1}{2} \partial_\mu a \partial^\mu a + \frac{1}{4} F_{\mu\nu} F^{\mu\nu} + \frac{1}{4} g_{a\gamma\gamma} a F_{\mu\nu} \tilde{F}^{\mu\nu} - \frac{1}{2} m_a^2 a^2$$

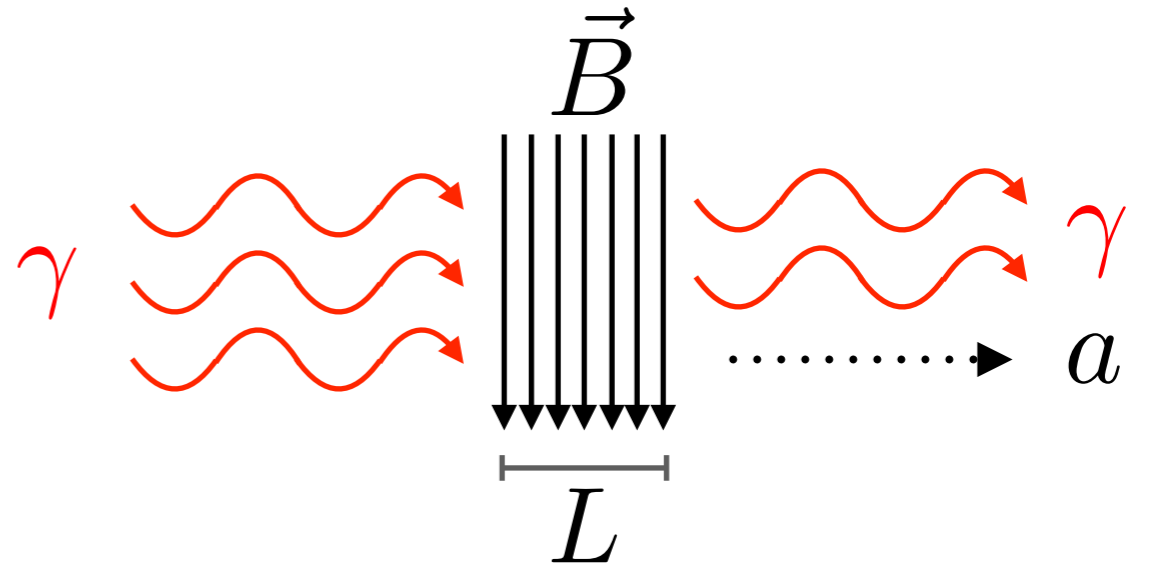
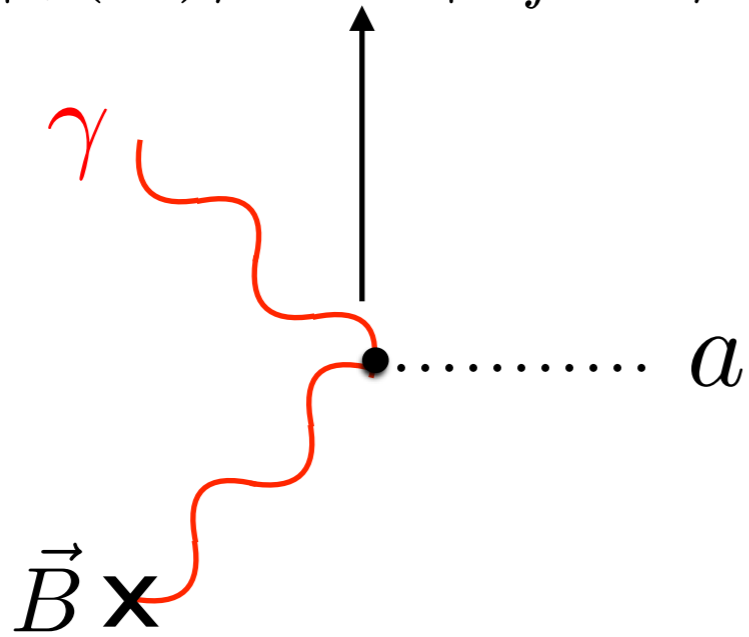
- Coupling to EM:  $g_{a\gamma\gamma} a \mathbf{E} \cdot \mathbf{B}$



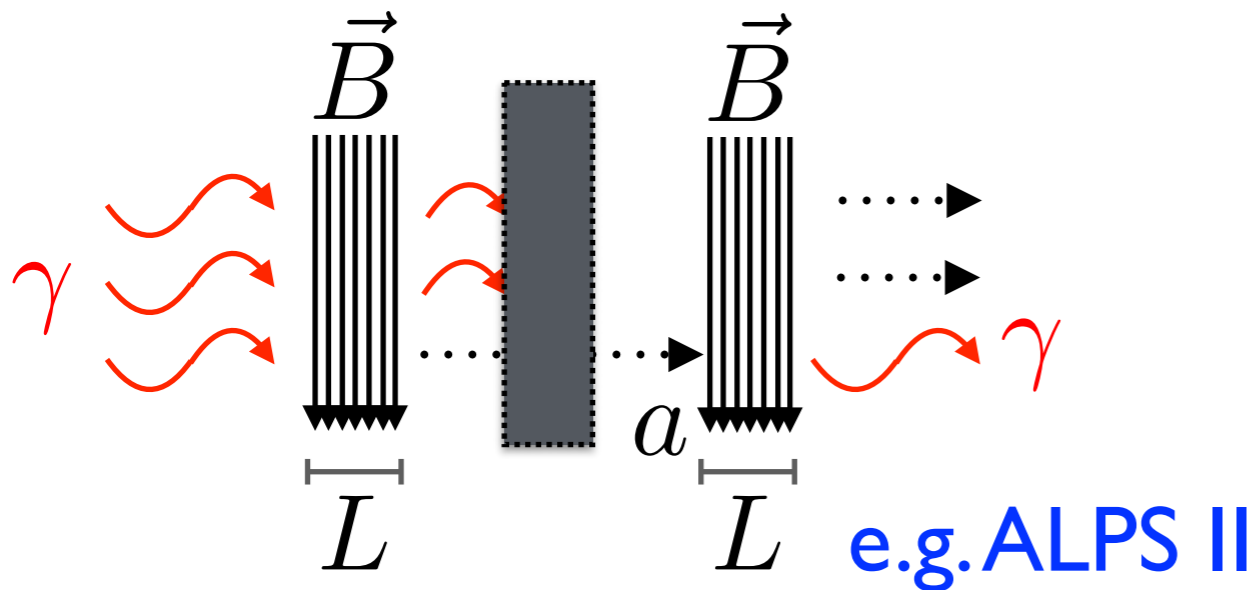
- For general ALPs  $g_{a\gamma\gamma}$  and  $m_a$  are unspecified and unrelated (unlike for the QCD axion)
- $g_{a\gamma\gamma} \lesssim 5 \times 10^{-12} \text{ GeV}^{-1}$  Supernova 1987A Bound  
 [Brockway, Carlson, Raffelt '96; Grifols, Massó, Toldrà '96, Payez, Evoli, Fischer, Giannotti, Mirizzi '15]

# How could we see ALPs?

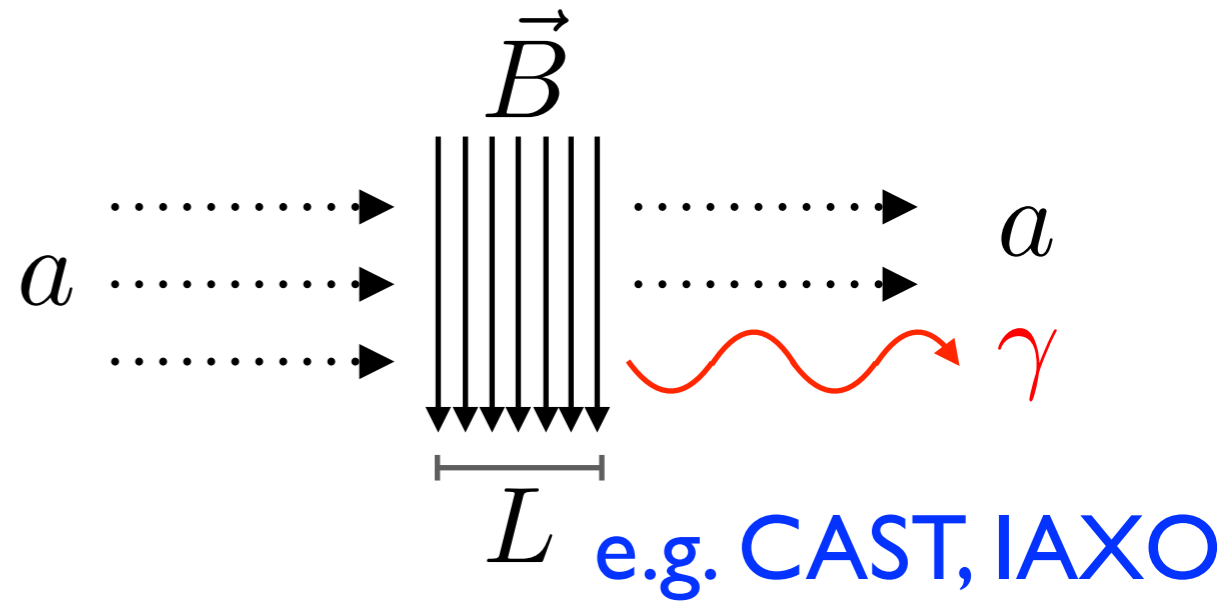
$$|\psi_{init}\rangle = |\gamma(E)\rangle \longrightarrow |\psi_{final}\rangle = \alpha|\gamma(E)\rangle + \beta|a(E)\rangle \quad P_{\gamma \rightarrow a} \equiv |\beta|^2$$



e.g. spectral distortions



e.g. ALPS II



e.g. CAST, IAXO



# ALP to photon conversion

- Can be expressed as linearized Schrödinger equation [Raffelt, Stodolsky '88]

$$\left( \omega + \begin{pmatrix} \Delta_\gamma & \Delta_F & \Delta_{\gamma ax} \\ \Delta_F & \Delta_\gamma & \Delta_{\gamma ay} \\ \Delta_{\gamma ax} & \Delta_{\gamma ay} & \Delta_a \end{pmatrix} - i\partial_z \right) \begin{pmatrix} |\gamma_x\rangle \\ |\gamma_y\rangle \\ |a\rangle \end{pmatrix} = 0$$

$$\Delta_\gamma = -\omega_{\text{pl}}^2/2\omega, \quad \omega_{\text{pl}} = \sqrt{\frac{4\pi\alpha n_e}{m_e}}, \quad \Delta_a = -m_a^2/\omega$$

$$\Delta_{\gamma ai} = g_{a\gamma\gamma} B_i/2$$

- similar to neutrino oscillations for two generations

# ALP to photon conversion

General scaling of conversion probability in coherent magnetic fields:

$$P(\gamma \rightarrow a) \sim g_{a\gamma\gamma}^2 B^2 L^2$$

Needs

- BIG magnetic fields  $B^2$  and/or
- LONG coherence length  $L^2$
- Suppressed by weak couplings  $g_{a\gamma\gamma}^2$

# Outline

- Axion-like particles
- **Galaxy Clusters and ALP conversion**
- Search for spectral distortions

# Why Clusters are good for seeing ALPs

- Astrophysical parameters at X-ray energies:

$$P_{a \rightarrow \gamma} = 2P_{\gamma \rightarrow a} = 2.0 \cdot 10^{-5} \times \left( \frac{B_{\perp}}{3\mu\text{G}} \frac{L}{10\text{kpc}} \frac{g_{a\gamma\gamma}}{10^{-13}\text{GeV}^{-1}} \right)^2$$

- Terrestrial parameters at X-ray energies

$$P_{a \rightarrow \gamma} = 2P_{\gamma \rightarrow a} = 2.0 \cdot 10^{-23} \times \left( \frac{B_{\perp}}{10\text{T}} \frac{L}{10\text{m}} \frac{g_{a\gamma\gamma}}{10^{-13}\text{GeV}^{-1}} \right)^2$$

⇒ Much longer coherence length beats stronger magnetic field

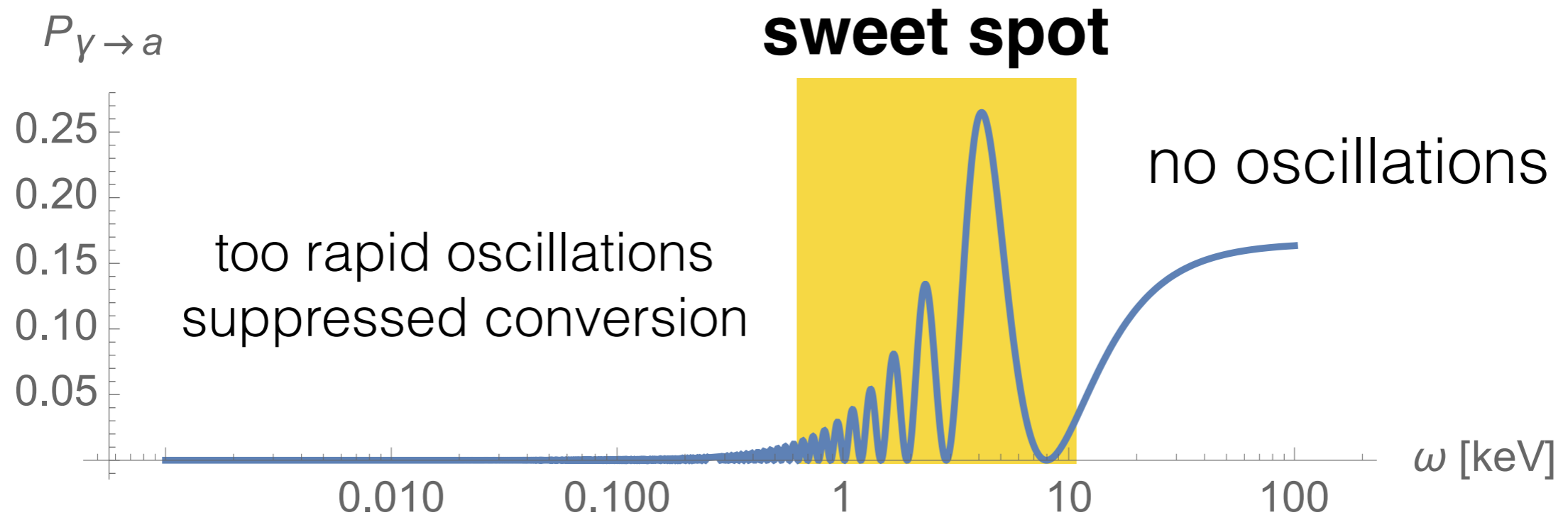
# ALP photon conversion

General conversion formula in transverse magnetic field  $B_{\perp}$  of domain size  $L$  for very light ALPs  $m_a \lesssim 10^{-12}$  eV :

$$P(a \rightarrow \gamma) = \sin^2(2\theta) \sin^2\left(\frac{\Delta}{\cos 2\theta}\right)$$

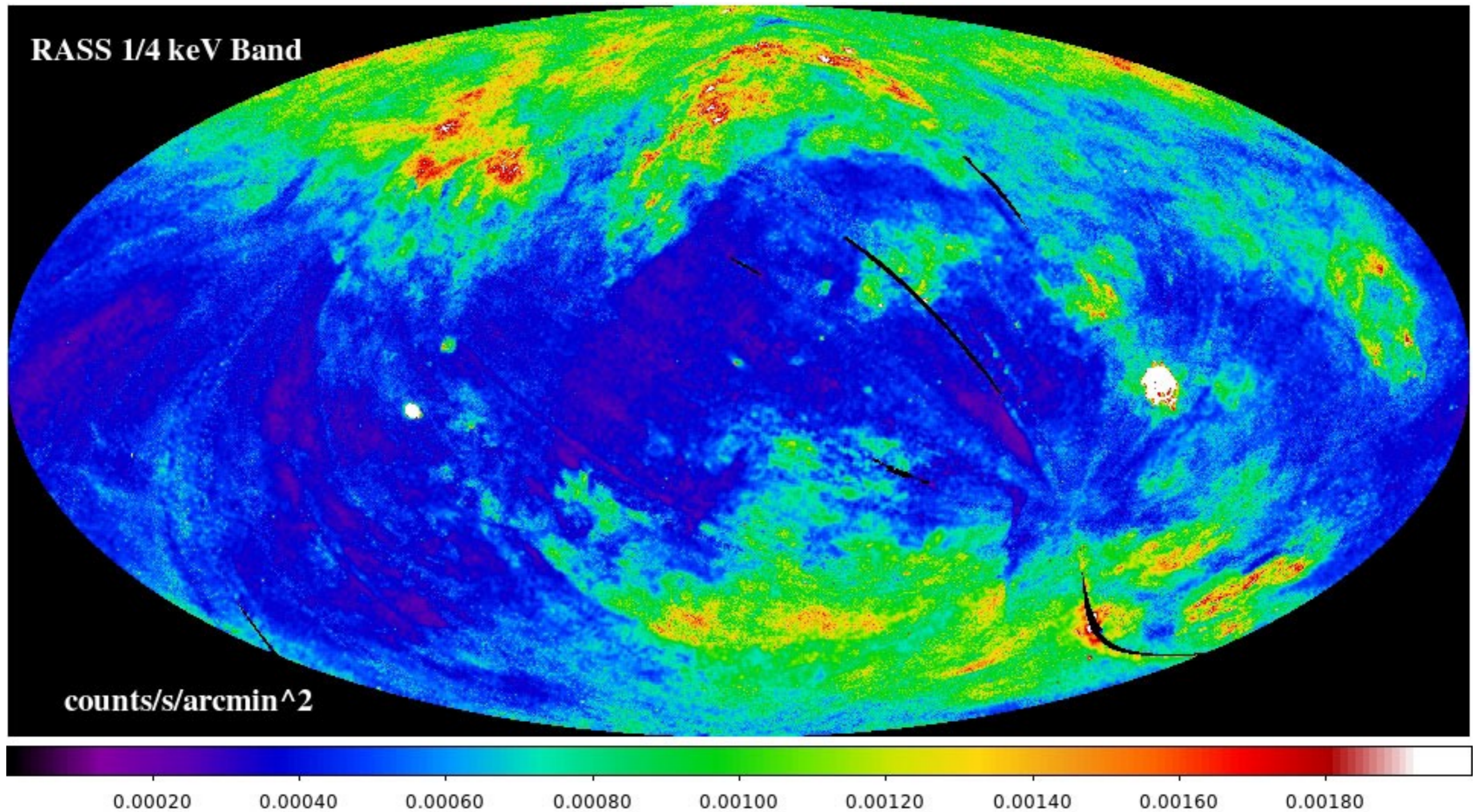
with  $\Theta \simeq 0.28 \left(\frac{B_{\perp}}{1\mu\text{G}}\right) \left(\frac{\omega}{1\text{keV}}\right) \left(\frac{10^{-3}\text{cm}^{-3}}{n_e}\right) \left(\frac{g_{a\gamma\gamma}}{10^{-11}\text{GeV}^{-1}}\right)$

$$\Delta \simeq 0.54 \left(\frac{n_e}{10^{-3}\text{cm}^{-3}}\right) \left(\frac{L}{10\text{kpc}}\right) \left(\frac{1\text{keV}}{\omega}\right)$$





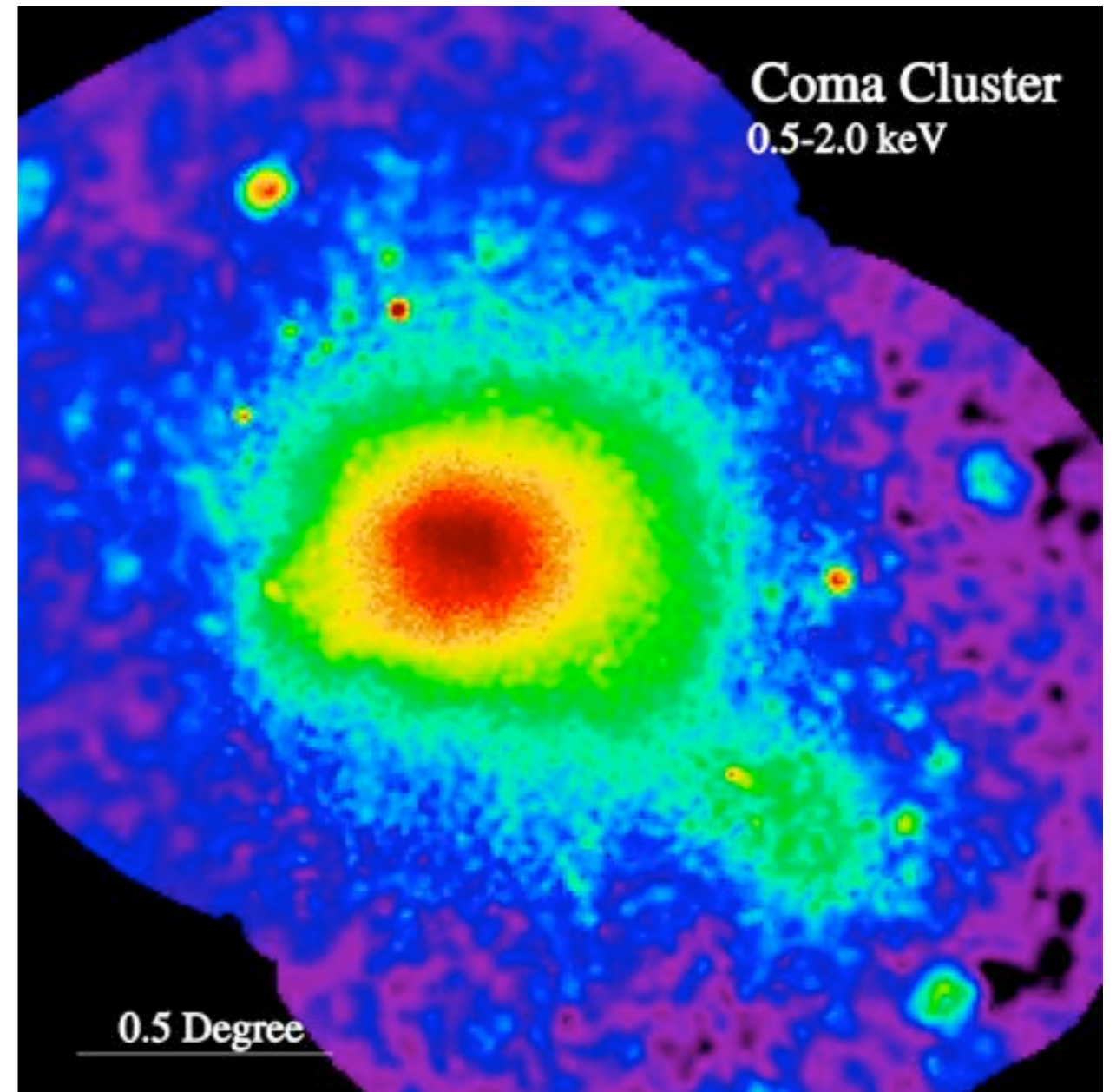
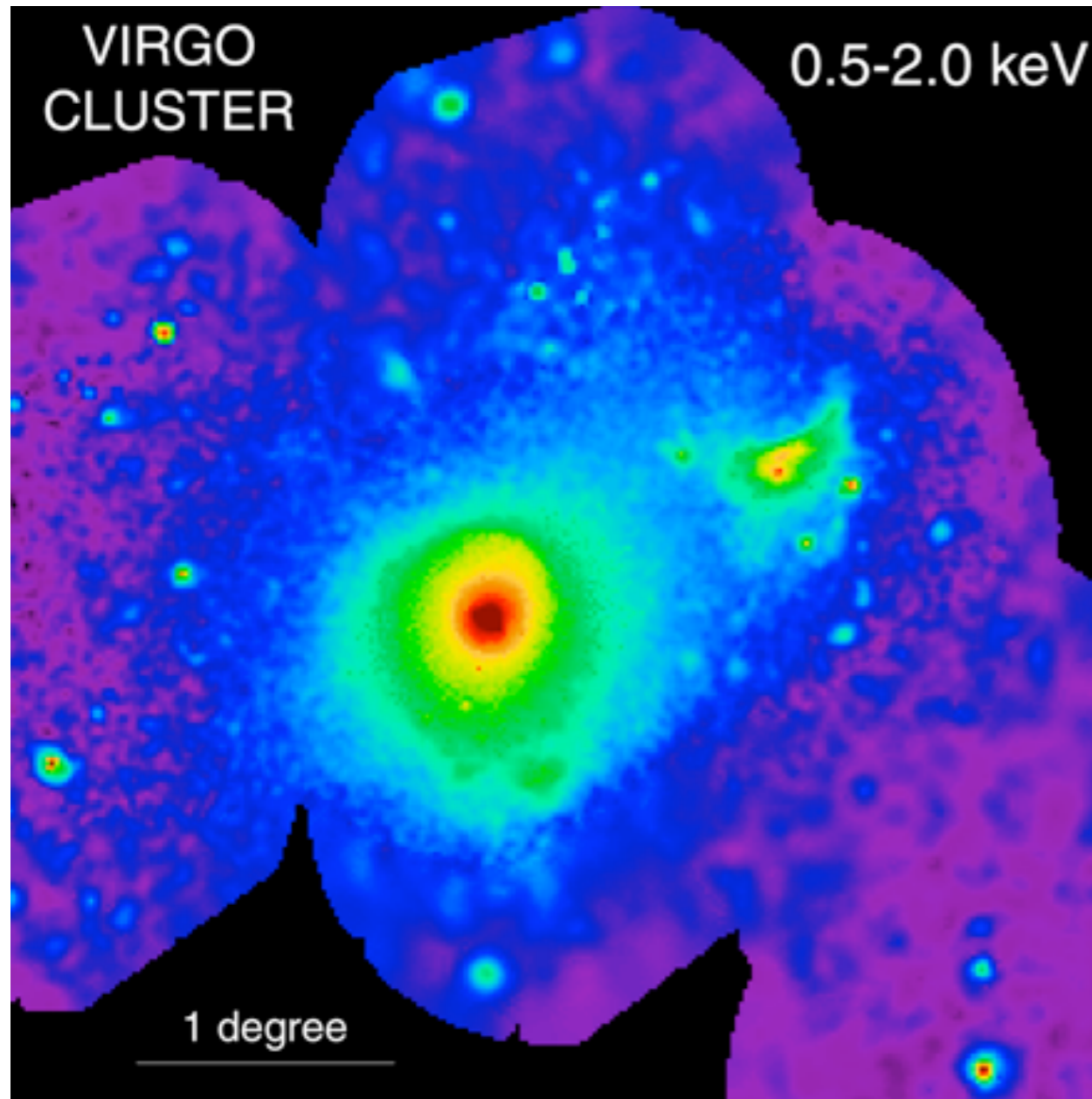
# The X-ray universe





# ALP-photon conversion

⇒ Look at Galaxy Clusters in X-ray!



# Magnetic Fields in Galaxy Clusters

- Electron density via X-ray brightness profile

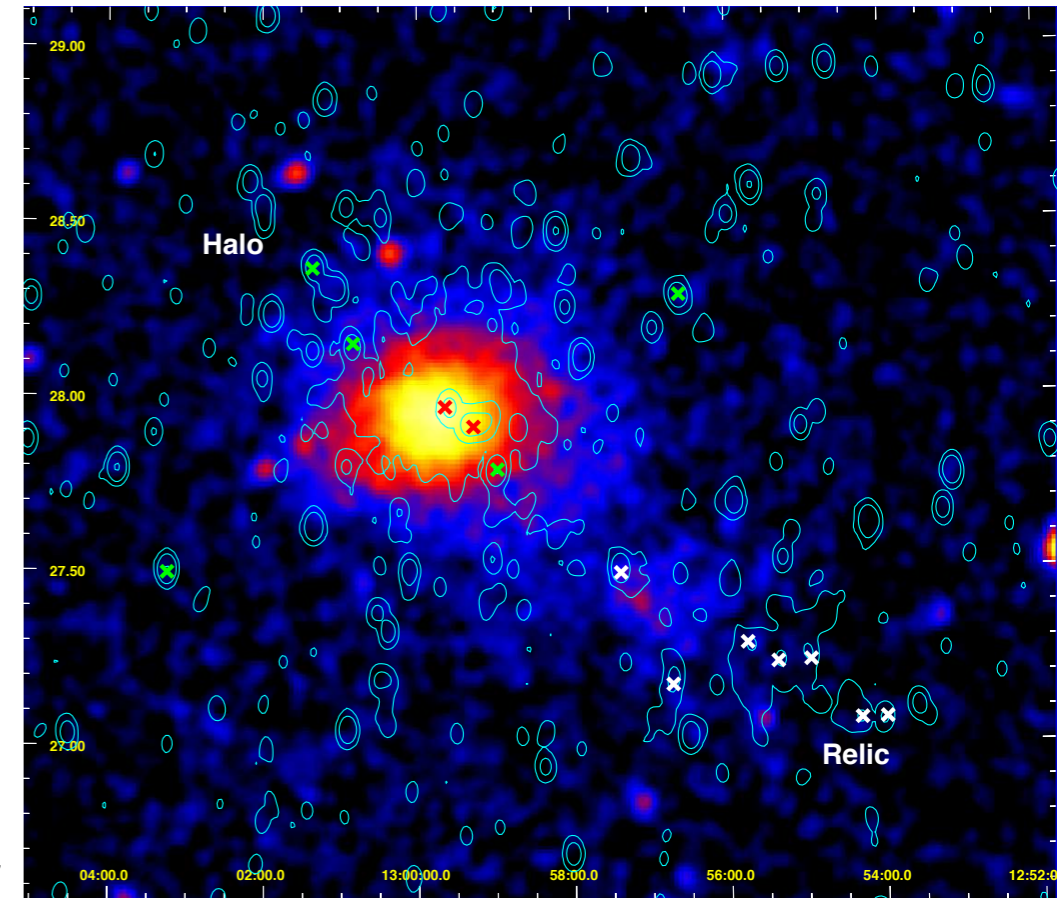
$$n_e(r) = n_0 \left( 1 + \frac{r^2}{r_c^2} \right)^{-\frac{3}{2}\beta}$$

- Magnetic field via Faraday rotation

$$RM = \frac{e^3}{2\pi m_e^2} \int_{l.o.s} n_e(l) B_{\parallel}(l) dl$$

$$\Rightarrow B(r) = C \cdot B_0 \left( \frac{n_e(r)}{n_0} \right)^{\eta} \quad (\text{via simulation vs RM})$$

$$\Rightarrow \text{turbulent } B \sim \mathcal{O}(\mu\text{G}) \text{ with } L \sim \mathcal{O}(10\text{kpc})$$



[Bonafede, Vazza, Bruggen, Murgia, Govoni, Feretti, Giovannini, Ogreaan'13]

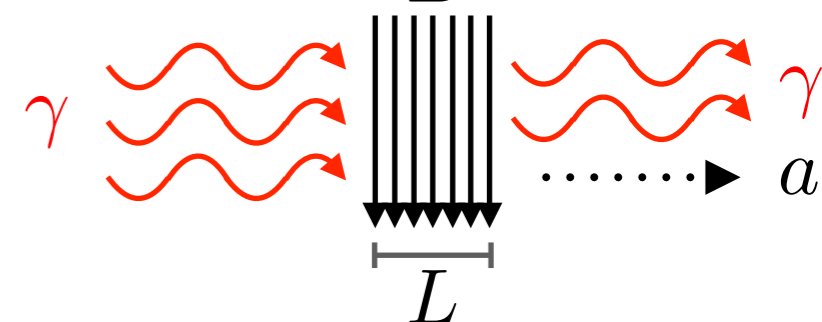
[Ryu, Schleicher, Treumann, Tsagas, Widrow '11]



# Perseus and NGC1275

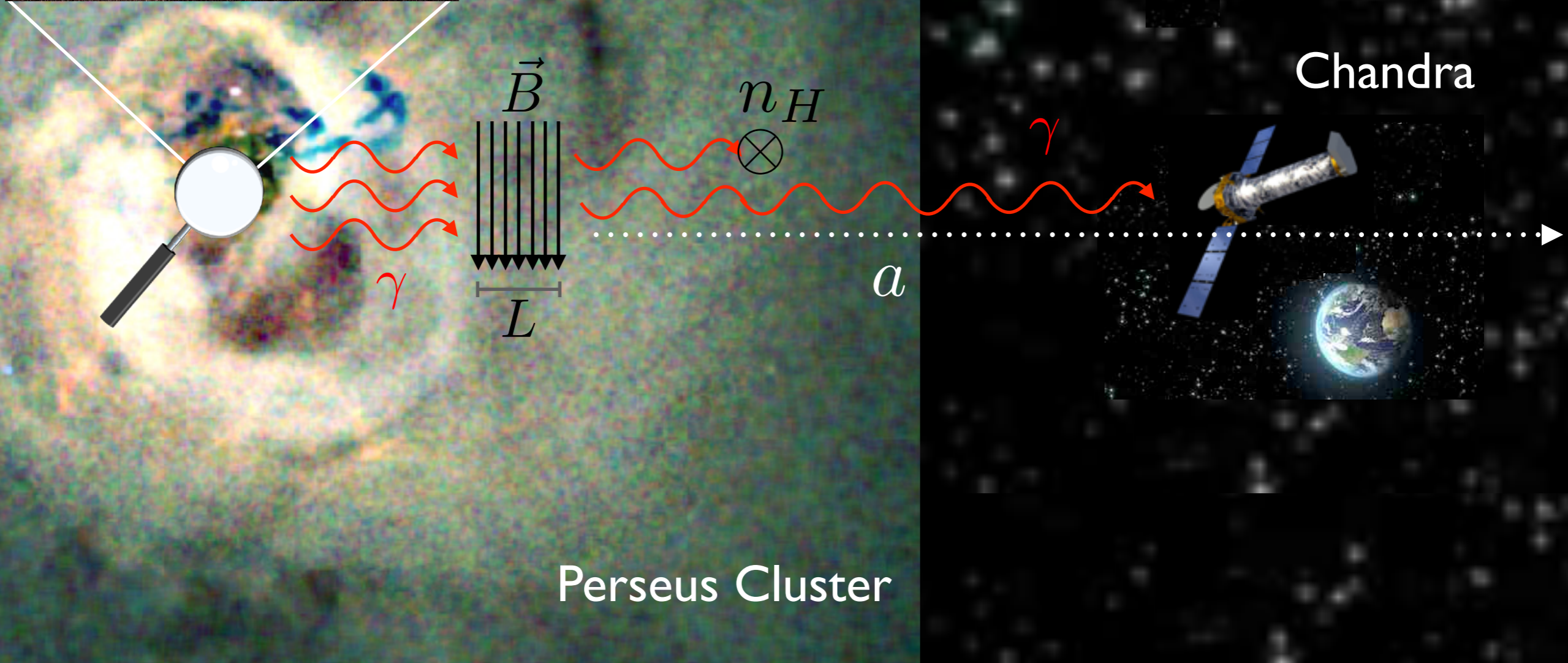
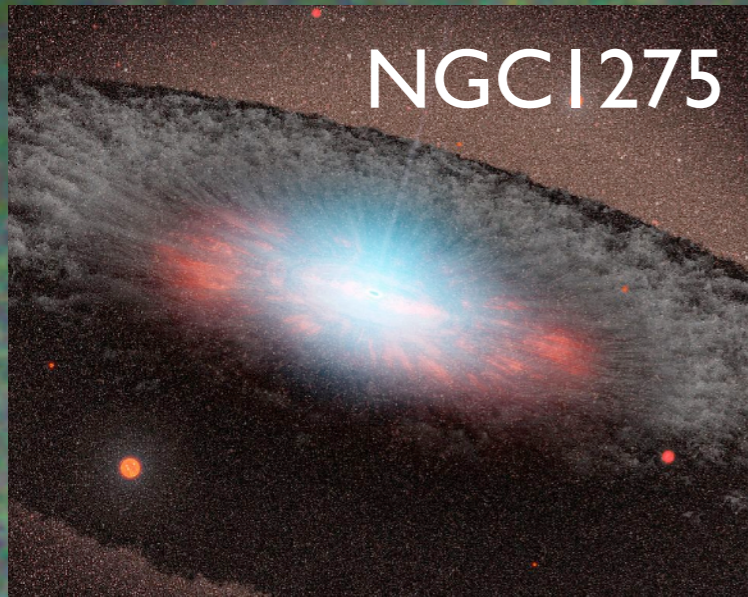
- Perseus is close ( $z=0.017$ ) and bright
- Central galaxy NGC1275 has a very bright AGN
- $\mu\text{G}$  magnetic fields on Mpc scales with kpc coherence scales

$\Rightarrow$  Perfect for  $\vec{B}$



PERSEUS

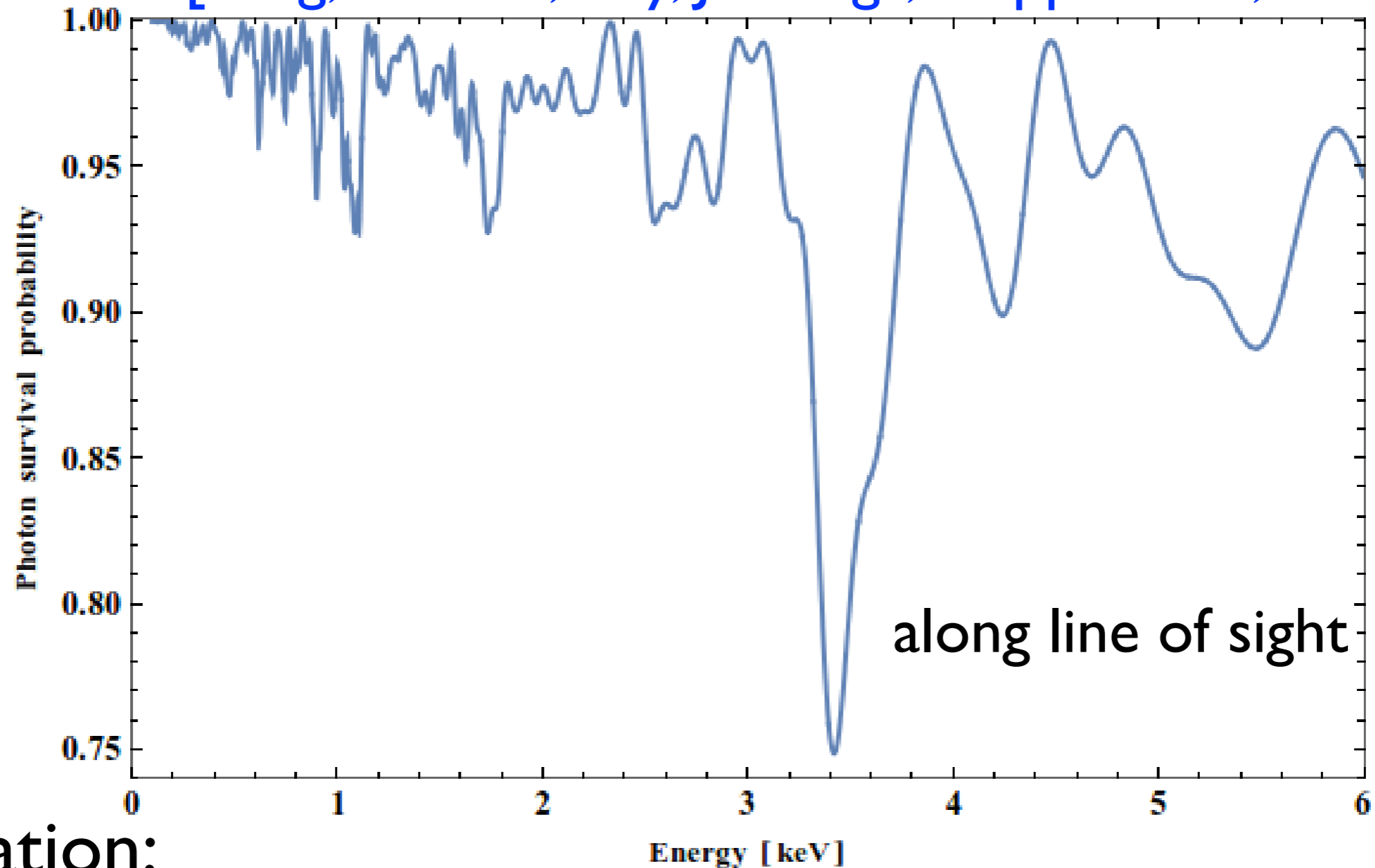






# Modulations

[Berg, Conlon, Day, Jennings, Krippendorf, Powell, MR '16]



Simulation:

$$g_{a\gamma\gamma} = 1.5 \cdot 10^{-12} \text{ GeV}^{-1}, B_0 = 15\mu\text{G}, \langle B(r) \rangle \sim n_e(r)^{0.7},$$

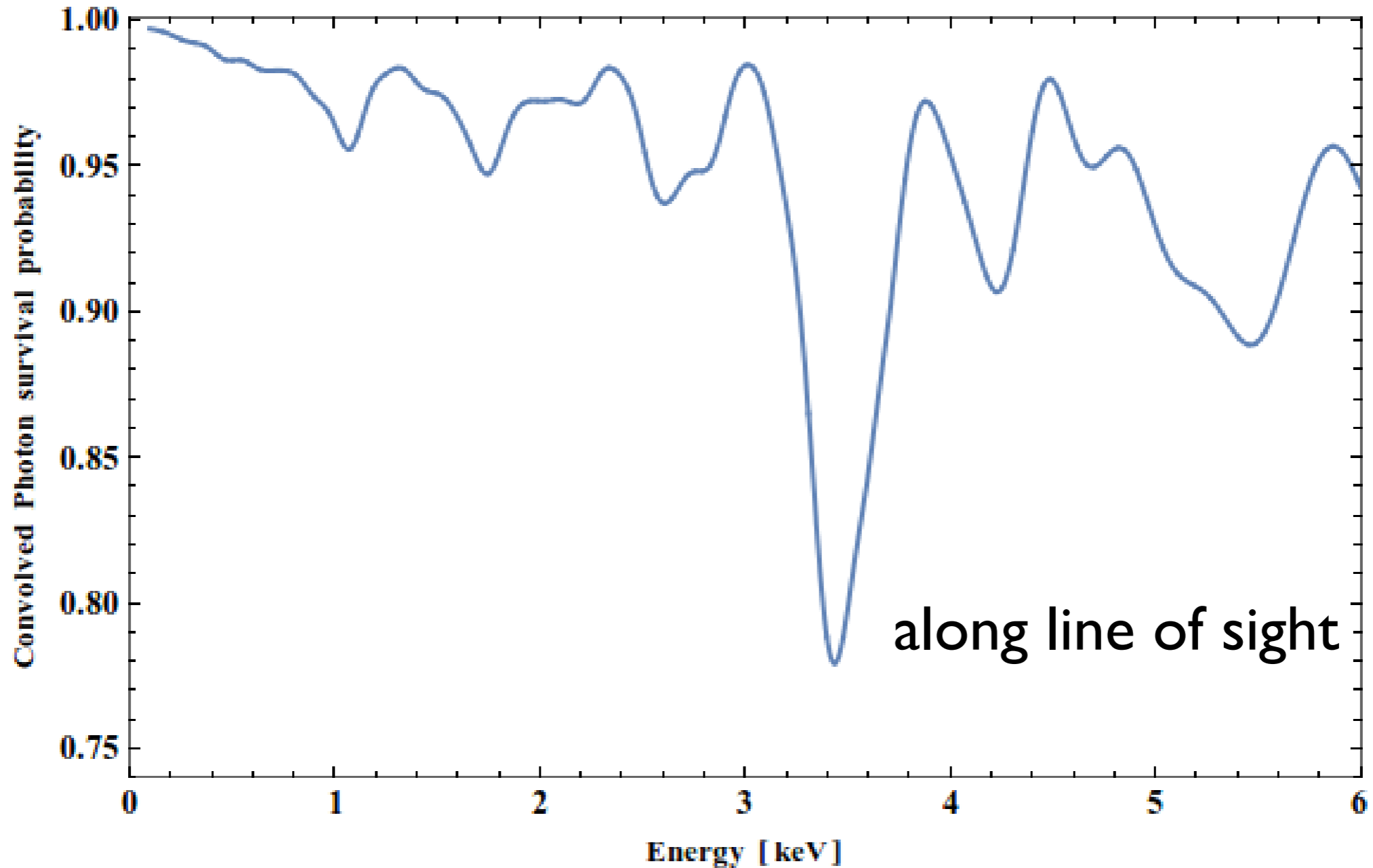
$3.5 \text{ kpc} < L < 10 \text{ kpc}$  over 100 domains

# Modulations

Effects that can wash out modulations:

- Finite energy resolution of the telescope

# Modulations



convolved with Gaussian with FWHM of 150 eV

# Modulations

Effects that can wash out modulations:

- Finite energy resolution of the telescope
- Destructive interference from different lines of sight whenever  $l_{\text{Region}} \gtrsim L_{\text{Coherence}}$
- Insufficient statistics: Oscillations ( $\mathcal{O}(10\%)$ ) are indistinguishable from Poisson Errors  $1/\sqrt{\text{Counts}}$ 
  - $\Rightarrow$  Sufficient counts from small region
  - $\Rightarrow$  AGNs in/behind Galaxy Clusters

# Similar analyses

- [Wouters & Brun '13] searched for spectral modulations in AGN in Hydra A (only 1% of the data used here)
- [Fermi-LAT '16] looked at NGC1275 in GeV where  $P(\gamma \rightarrow a)$  can be resonantly large if  $m_a \simeq 10^{-10} - 10^{-8}$  eV (different region in ALP parameter space)
- see also [H.E.S.S. '13] analysis of PKS 2155-304

# Which telescope?

Suzaku



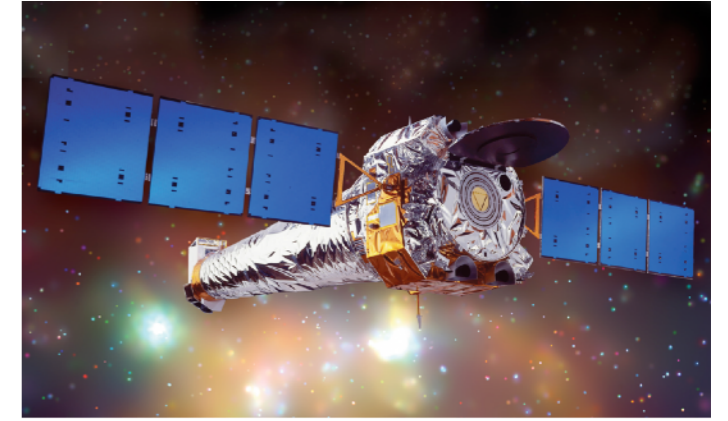
$$\Delta E = 100 \text{ eV},$$
$$\Delta \phi = 60''$$

XMM-Newton



$$\Delta E = 100 \text{ eV},$$
$$\Delta \phi = 5''$$

Chandra



$$\Delta E = 100 \text{ eV},$$
$$\Delta \phi = 0.5''$$

Hitomi



$$\Delta E = 5 \text{ eV}, \Delta \phi = 60''$$

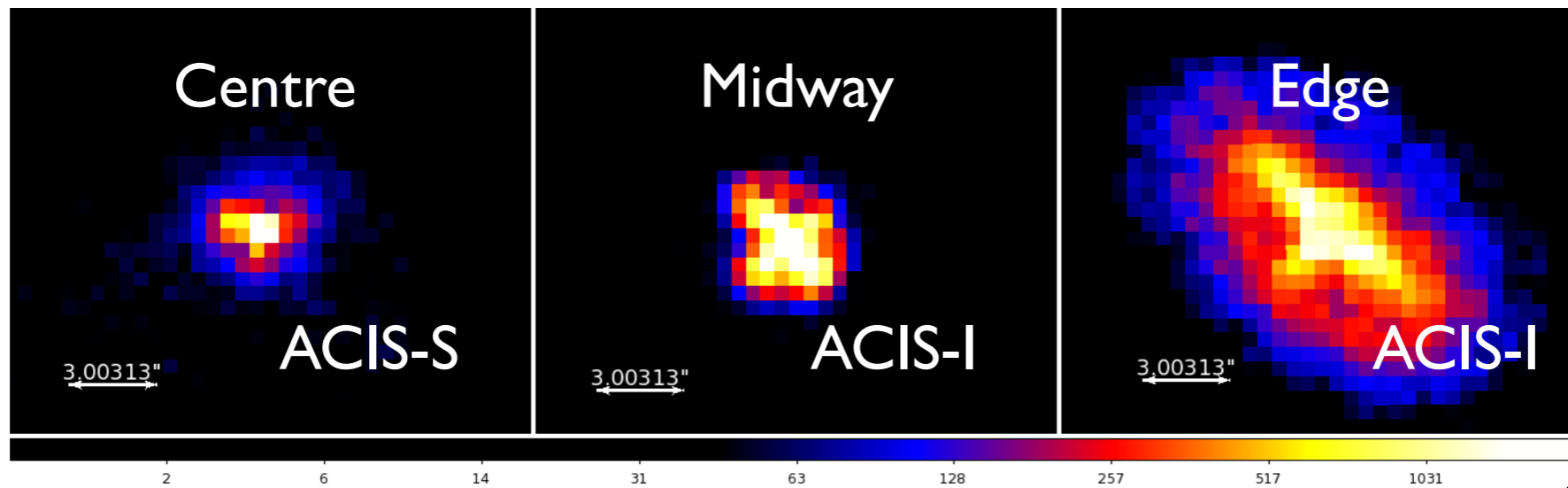
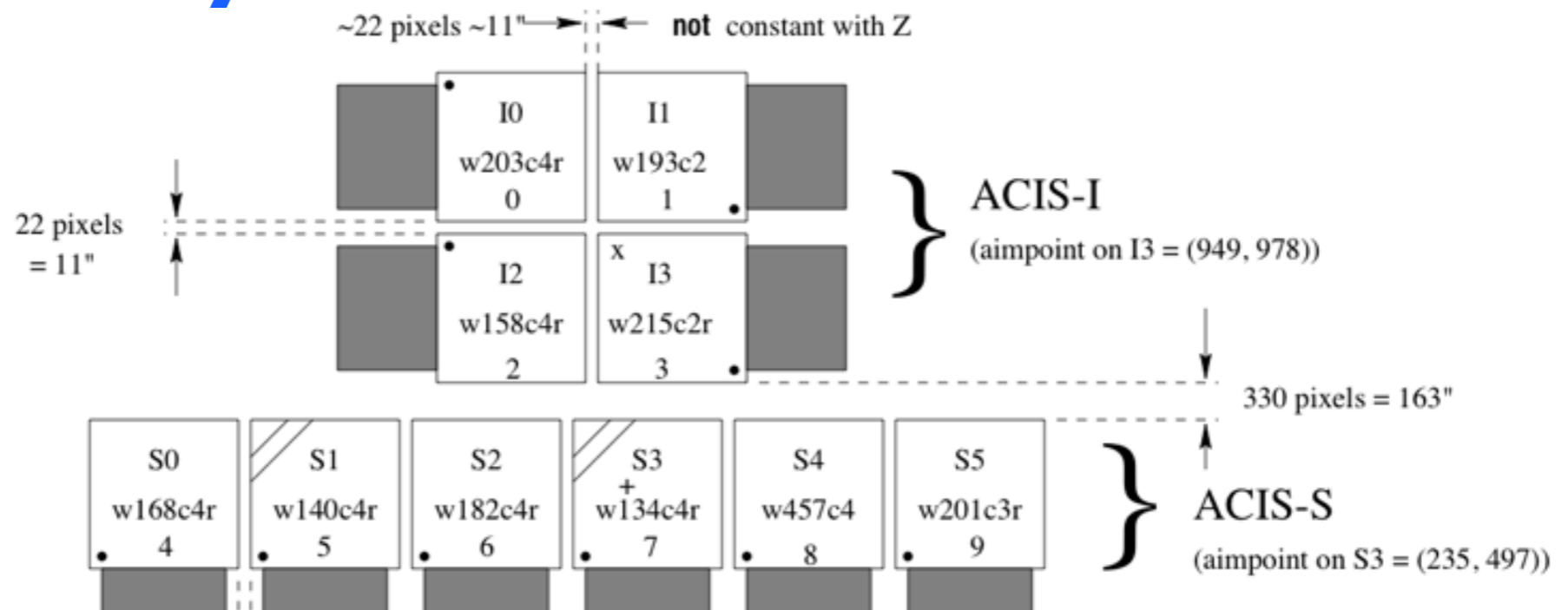
## Wishlist:

- Many counts
- Avoid Pileup
- Good Signal / Background



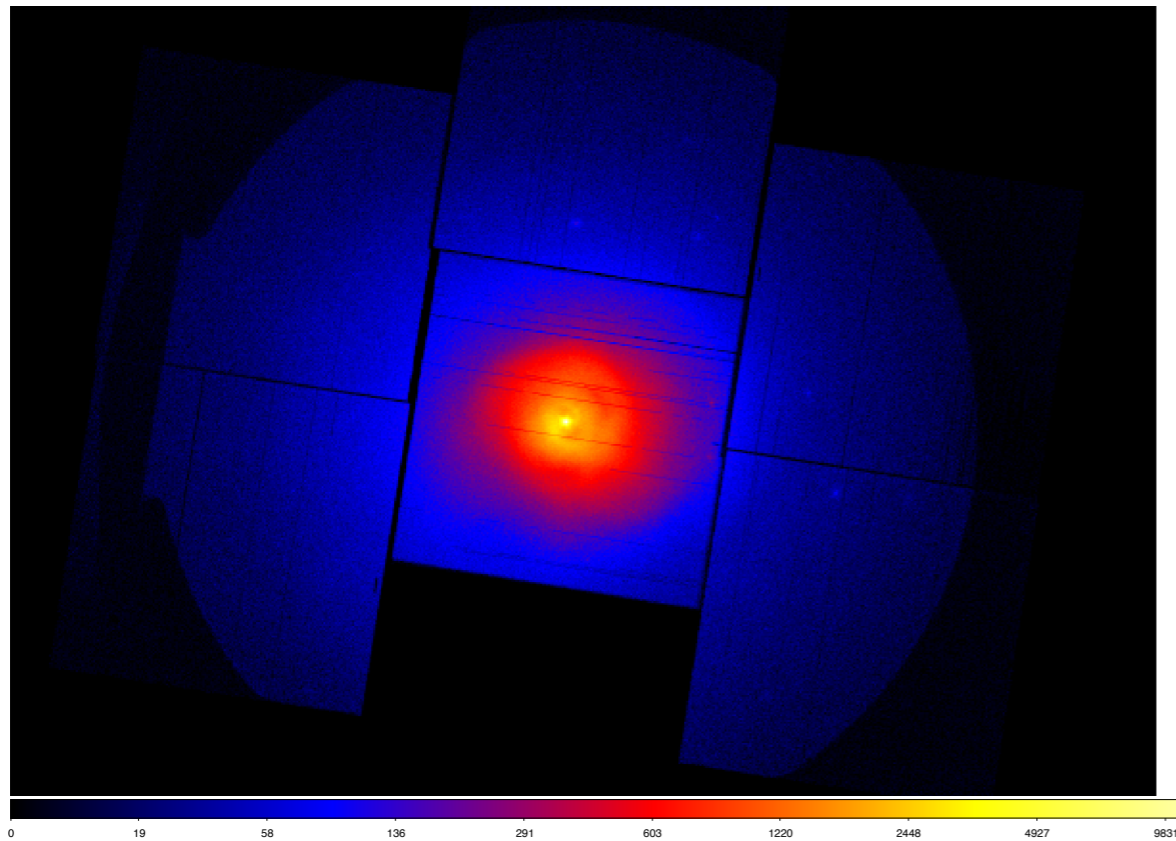
# X-ray data: Chandra

1.5 MS/  
750 000  
counts  
of ACIS-I/S  
data



**Pileup:** 2 (or more) photons arriving at the same time  
registered as an event with  $E = E_1 + E_2$

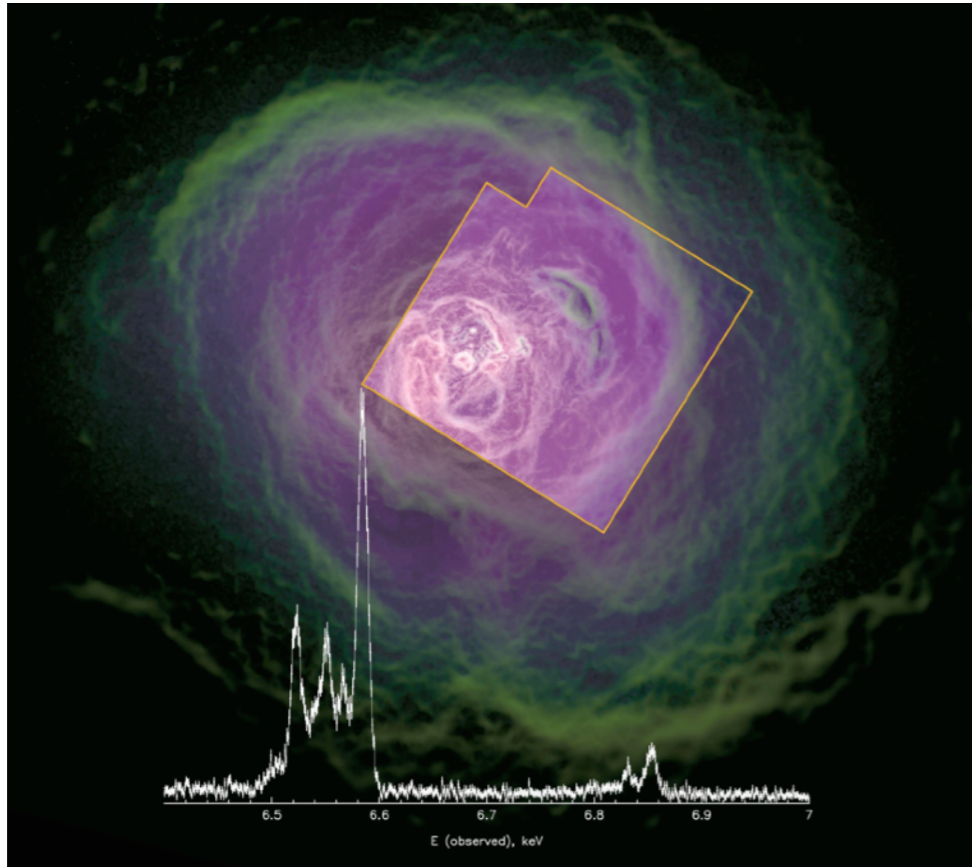
# X-ray data: XMM-Newton



180 ks/ 100 000 counts  
of EPIC MOS data

- Angular resolution: 8.5'' vs 0.5'' Chandra  
⇒ Worse Signal/Background contrast for XMM
- Effective Area: 1000 cm<sup>2</sup> vs 340 cm<sup>2</sup> Chandra
- Pileup is an issue here too

# X-ray data: Hitomi



275 ks of data

[Hitomi Collaboration '16]

- Angular resolution: 60" vs 0.5" Chandra  
⇒ AGN cannot be resolved
- 20 times better Energy resolution
- Died just after a few weeks in operation

# Outline

- Axion-like particles
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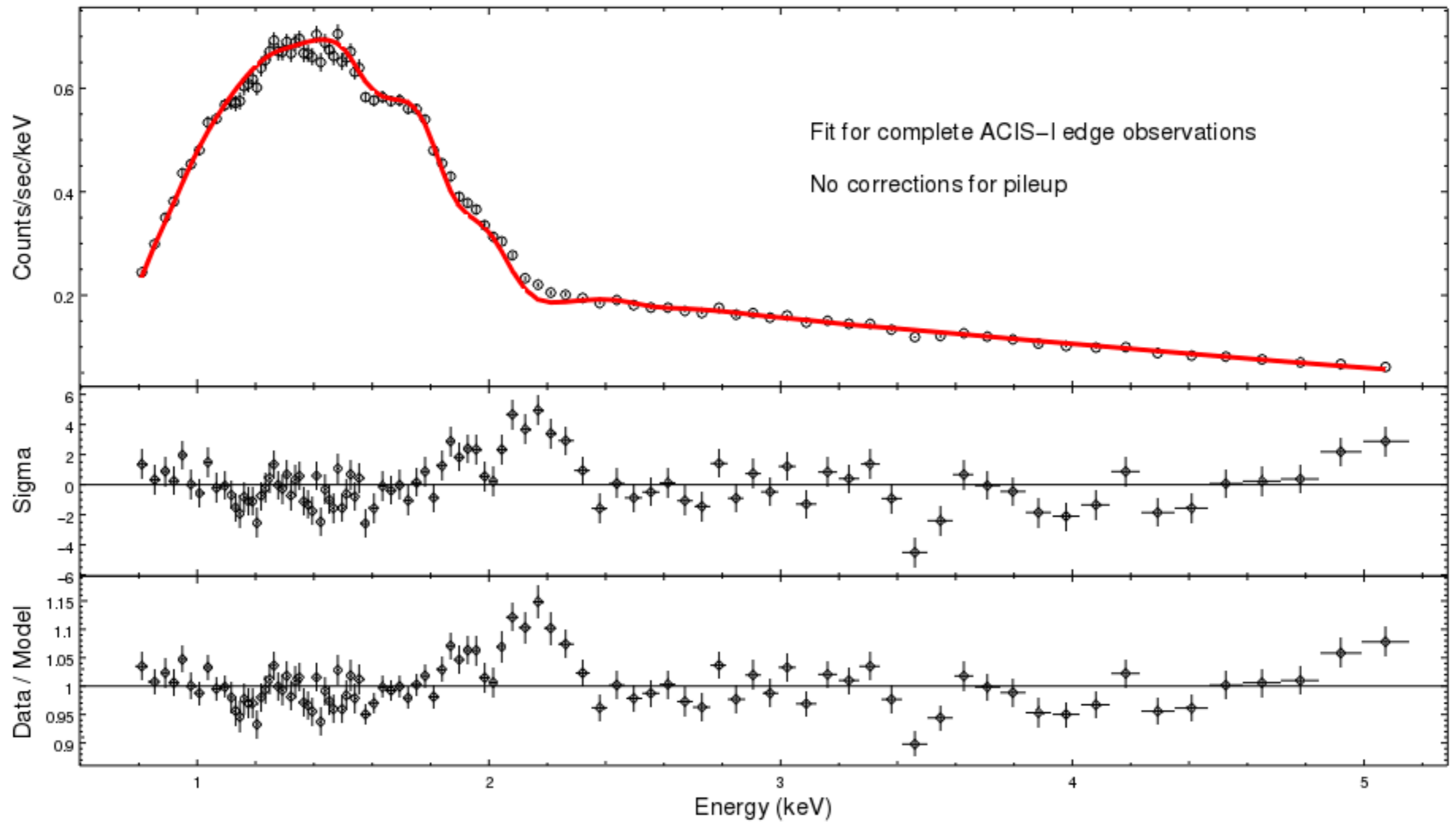
# Spectral Analysis

- The spectral shape of an AGN is modelled by

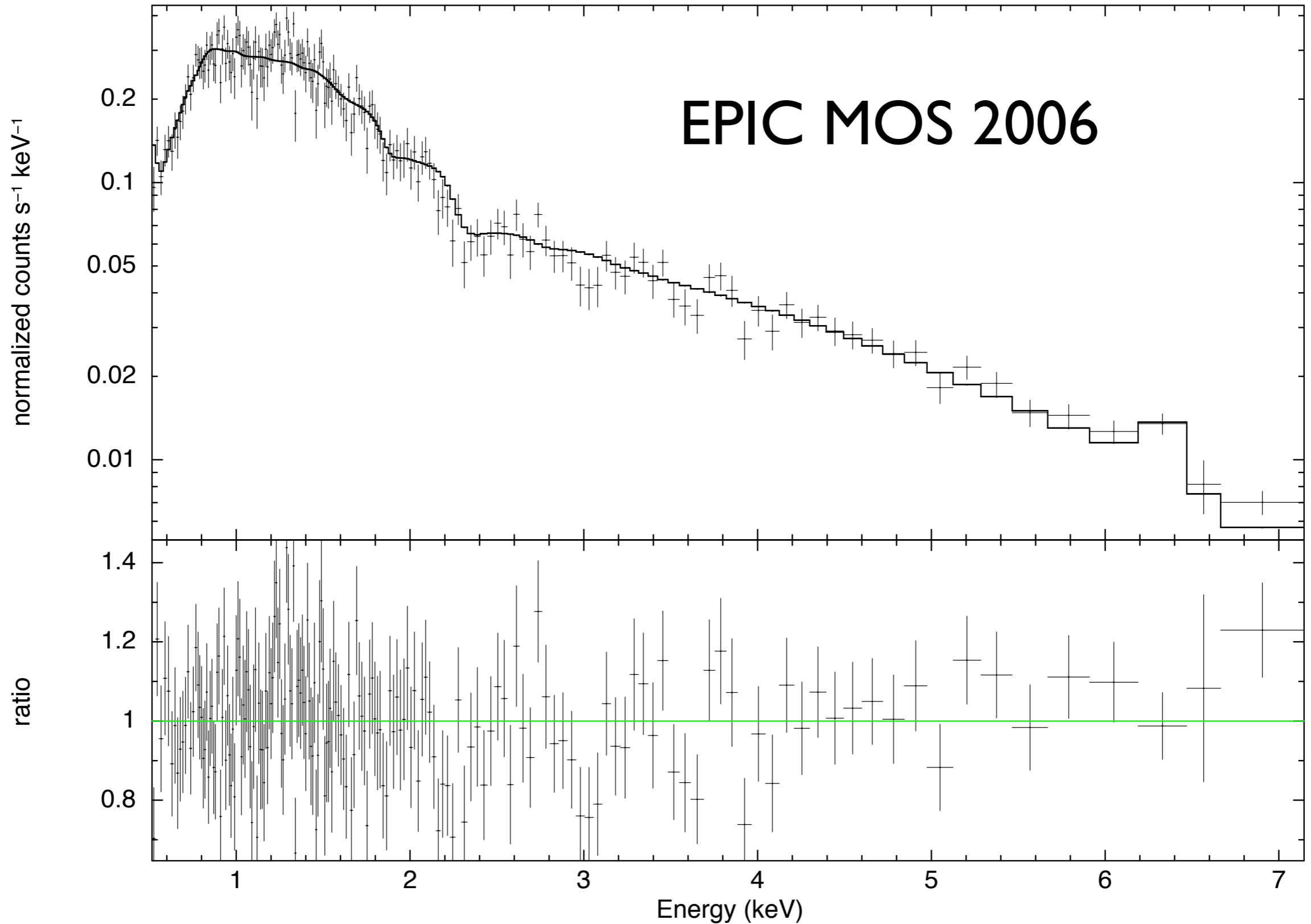
$$AE^{-\gamma} \times e^{-n_H \sigma(E)}$$

- where  $\gamma$  is the powerlaw index and  $n_H$  is the hydrogen column density,  $\sigma$  the photoelectric cross-section
- Pileup can be dealt with in two ways:
  1. Exclude central piled up pixels
  2. Model the effects of pileup (jdpileup) [\[Davis '01\]](#)

# ACIS-I edge



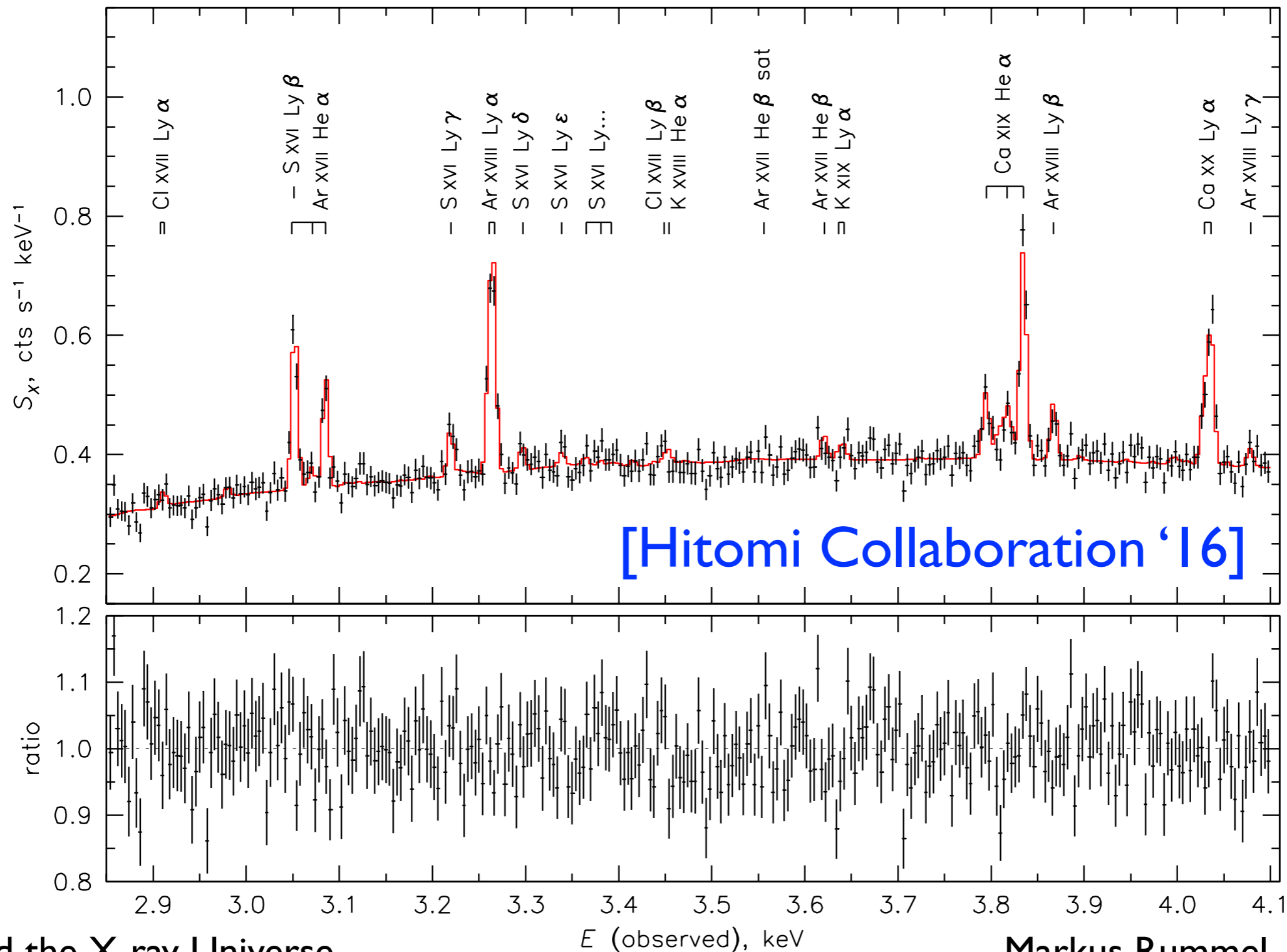
229000 counts,  $\gamma = 1.77$ ,  $n_H = 2.1 \cdot 10^{21} \text{cm}^{-2}$ , AGN/Cluster = 6.5/1



63000 counts,  $\gamma = 1.65$ ,  $n_H = 1.3 \cdot 10^{21} \text{ cm}^{-2}$ , AGN/Cluster = 1/3

# Hitomi

AGN only  $\sim 15\%$   $\Rightarrow$  No constraints on modulations





# Bounds

[Berg, Conlon, Day, Jennings, Krippendorf, Powell, MR '16]

$$AE^{-\gamma} \times e^{-n_H \sigma(E)} \text{ vs } AE^{-\gamma} \times e^{-n_H \sigma(E)} \times P_{\gamma \rightarrow a}$$

- Pure power law is good fit up to residuals  $\mathcal{O}(10\%)$   
 $\Rightarrow$  Modulations  $\langle P_{\gamma \rightarrow a} \rangle \lesssim 20\%$

- To get more detailed bounds we need to put in a magnetic field model  $B \propto B_0 n_e^\eta$

- $\eta = 0.7$  (conservative)

- $$n_e(r) = \frac{3.9 \times 10^{-2}}{\left[1 + \left(\frac{r}{80 \text{ kpc}}\right)^2\right]^{1.8}} + \frac{4.05 \times 10^{-3}}{\left[1 + \left(\frac{r}{280 \text{ kpc}}\right)^2\right]^{0.87}} \text{ cm}^{-3}$$

[Churazov et al '03]

# Bounds

Three cases:

1.  $B_0 = 25\mu\text{G}$ ,  $3.5 \text{ kpc} < L < 10 \text{ kpc}$  [Taylor et al '06, Vacca et al '12]  
 $\Rightarrow g_{a\gamma\gamma} \lesssim 1.5 \times 10^{-12} \text{ GeV}^{-1}$  (95%)
2.  $B_0 = 15\mu\text{G}$ ,  $0.7 \text{ kpc} < L < 10 \text{ kpc}$  (very conservative)  
 $\Rightarrow g_{a\gamma\gamma} \lesssim 3.8 \times 10^{-12} \text{ GeV}^{-1}$  (95%)
3.  $B_0 = 10\mu\text{G}$ ,  $0.7 \text{ kpc} < L < 10 \text{ kpc}$  (ultra conservative)  
 $\Rightarrow g_{a\gamma\gamma} \lesssim 5.9 \times 10^{-12} \text{ GeV}^{-1}$  (95%)

**Supernova bound:**  $g_{a\gamma\gamma} \lesssim 5 \times 10^{-12} \text{ GeV}^{-1}$  (95%)

# Bounds from other AGN

[Conlon, Day, Jennings, Krippendorf, MR '17]

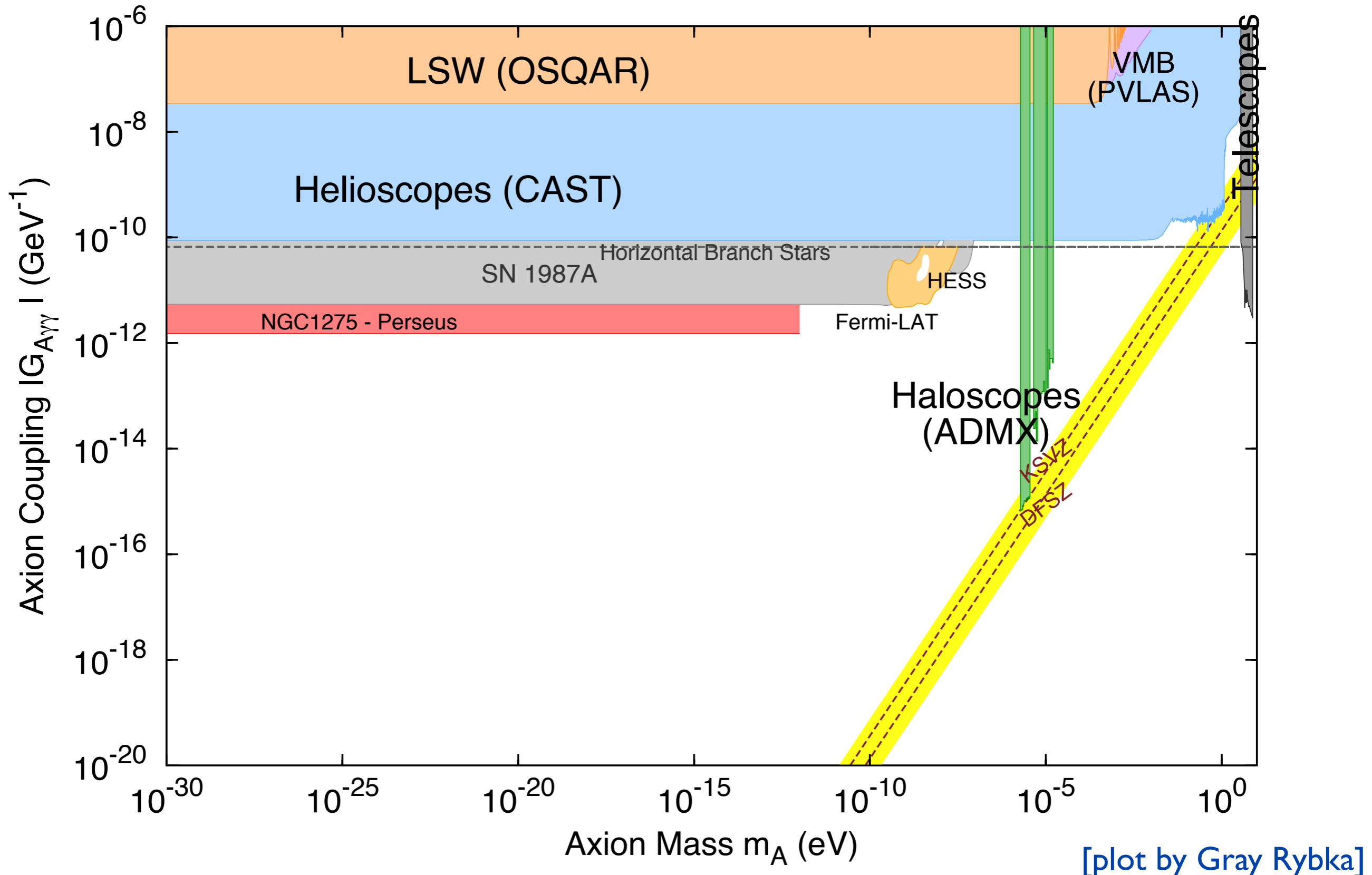
- extended NGC1275 to other sources in or behind Galaxy clusters

Source	Cluster	$n_{e,0}$ ( $10^{-3}\text{cm}^{-3}$ )	$r_c$ (kpc)	$\beta$	$B_0$ $\mu\text{G}$	$L_{total}$ (Mpc)
B1256+281	Coma	3.44	291	0.75	4.7	2
SDSS J130001.47+275120.6	Coma	3.44	291	0.75	4.7	2
NGC3862	A1367	1.15	308	0.52	3.25	1
IC4374	A3581	20	75	0.6	1.5	1
2E3140	A1795	50	146	0.631	20	1
CXOUJ134905.8+263752	A1795	50	146	0.631	20	2
UGC9799	A2052	35	32	0.42	11	1

$$g_{a\gamma\gamma} \lesssim 1.5 \times 10^{-12} \text{GeV}^{-1} \text{ and } g_{a\gamma\gamma} \lesssim 2.4 \times 10^{-12} \text{GeV}^{-1}$$

similar bound from [Marsh, Russell, Fabian, McNamara, Nulsen, Reynolds '17] from M87 (Virgo cluster)

# ALP Parameter Space



# Data Outlook

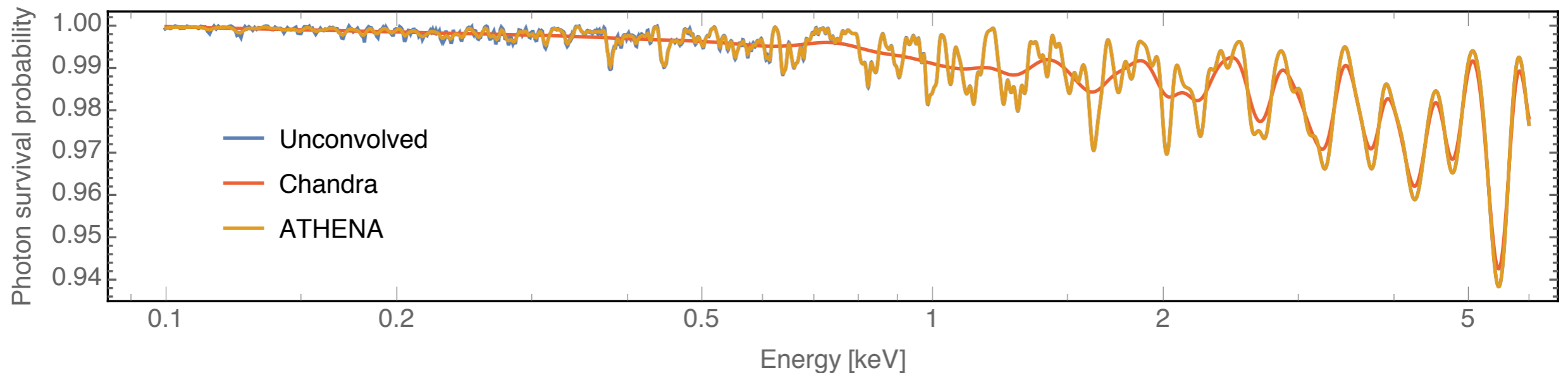
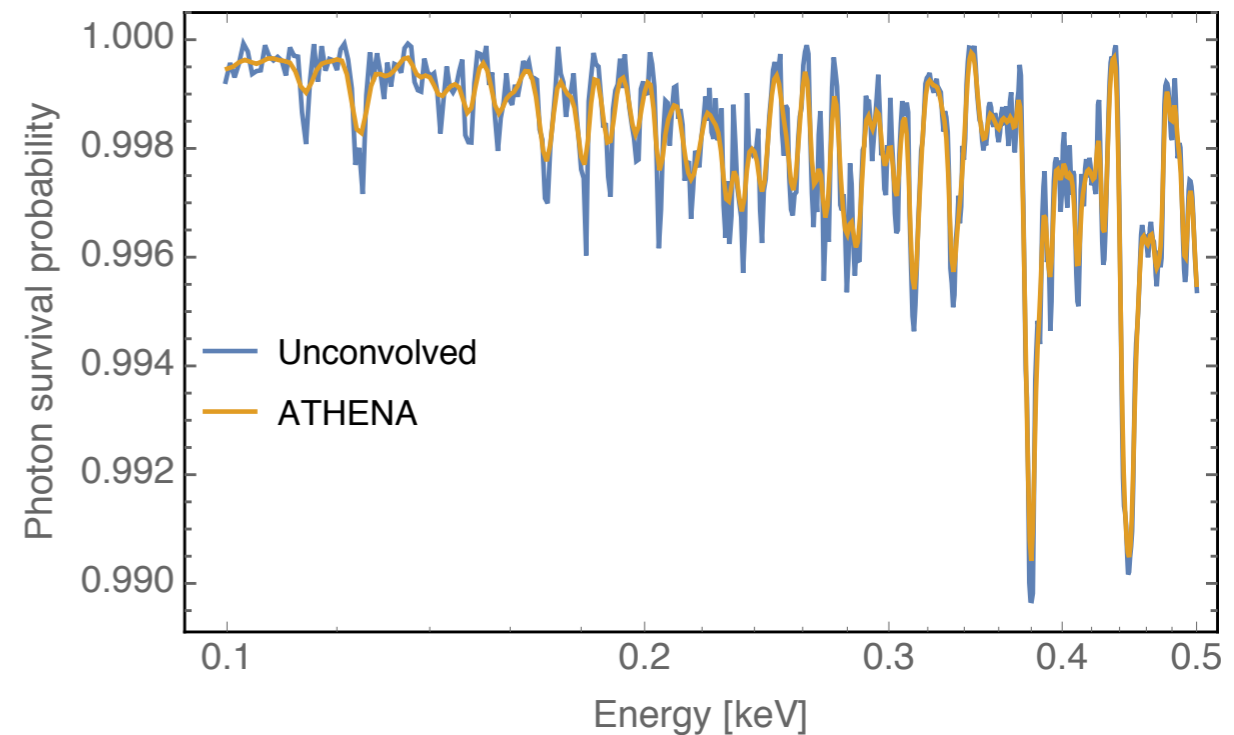
A clean, deep spectrum of NGC1275 doesn't exist yet

- i.e. spectrum that is not piled up
- AGN has increased its intensity in recent years
- XMM would have signal / background of 9 / 1 now
- XMM has “small window mode”  $\Rightarrow$  max count rate without pileup is 25 cts/s (10 cts/s expected)
- Hitomi/Athena can potentially resolve line width



# Athena (late 2020s)

- ~10 times effective area than XMM
- 2.5 eV Energy resolution
- 5'' angular resolution

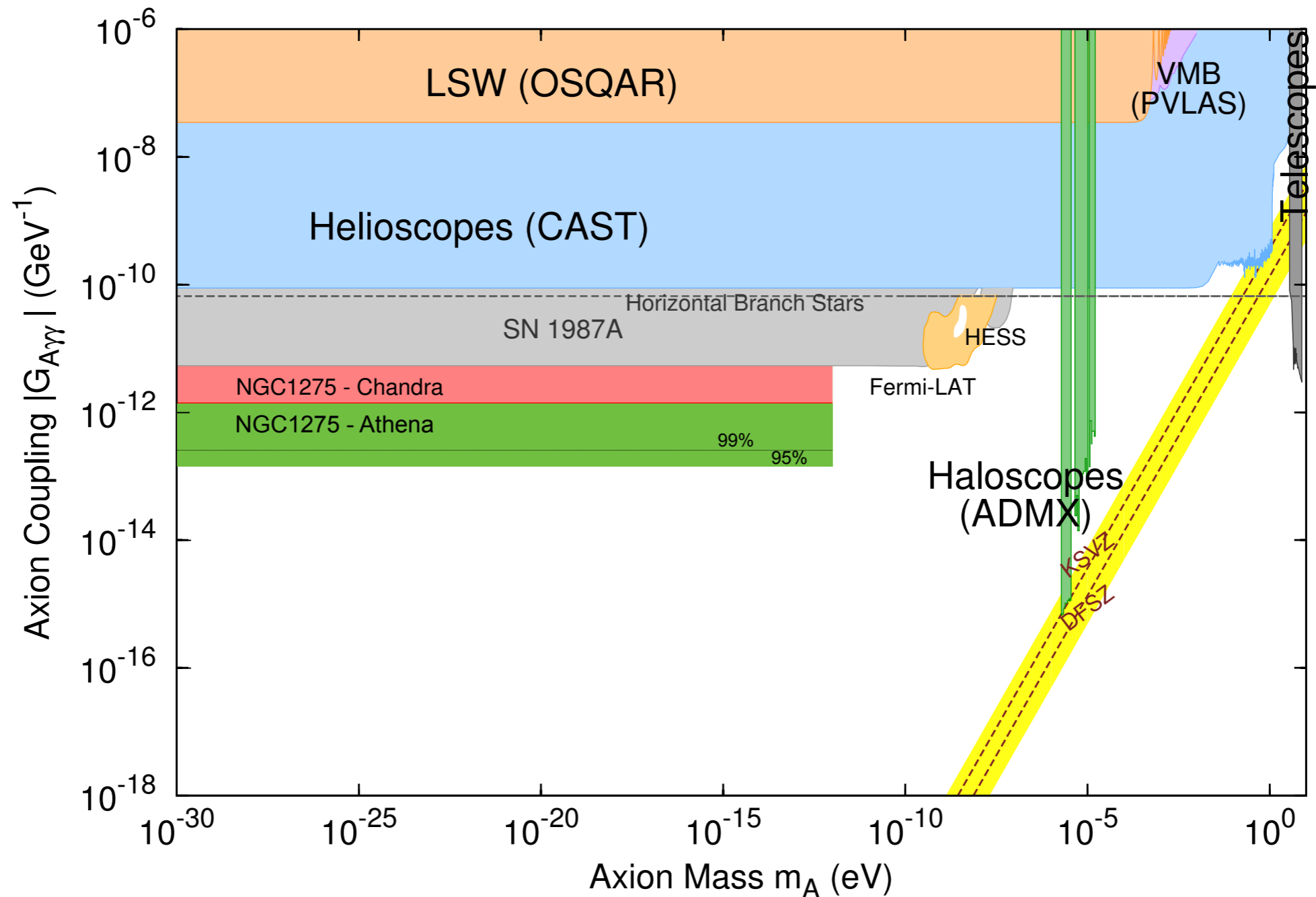


[Conlon, Day, Jennings, Krippendorf, Muia '17]

# Outlook: Athena

Projected bounds:

[Conlon, Day, Jennings, Krippendorf, Muia '17]



# Bounds method

Model 0: no ALPs

Model 1: with ALPs

- Fit model 0:  $\chi_{\text{data}}^2$
- For each  $g_{a\gamma\gamma}$ : generate 50 different magnetic field realisations with model 1
- For each, generate 10 fake data sets
- Fit model 0:  $\chi_i^2$
- If for fewer than 5%,  $\chi_i^2 < \chi_{\text{data}}^2$

$\Rightarrow g_{a\gamma\gamma}$  excluded at 95%

# Improving analysis method

[Conlon, MR '18]

Residuals:  $\mathcal{F}(\omega) \simeq \sum_i \frac{\epsilon_i}{2} \left(\frac{\omega}{\omega_0}\right)^2 \cos\left[2\Delta_i \left(\frac{\omega_0}{\omega}\right)\right]$

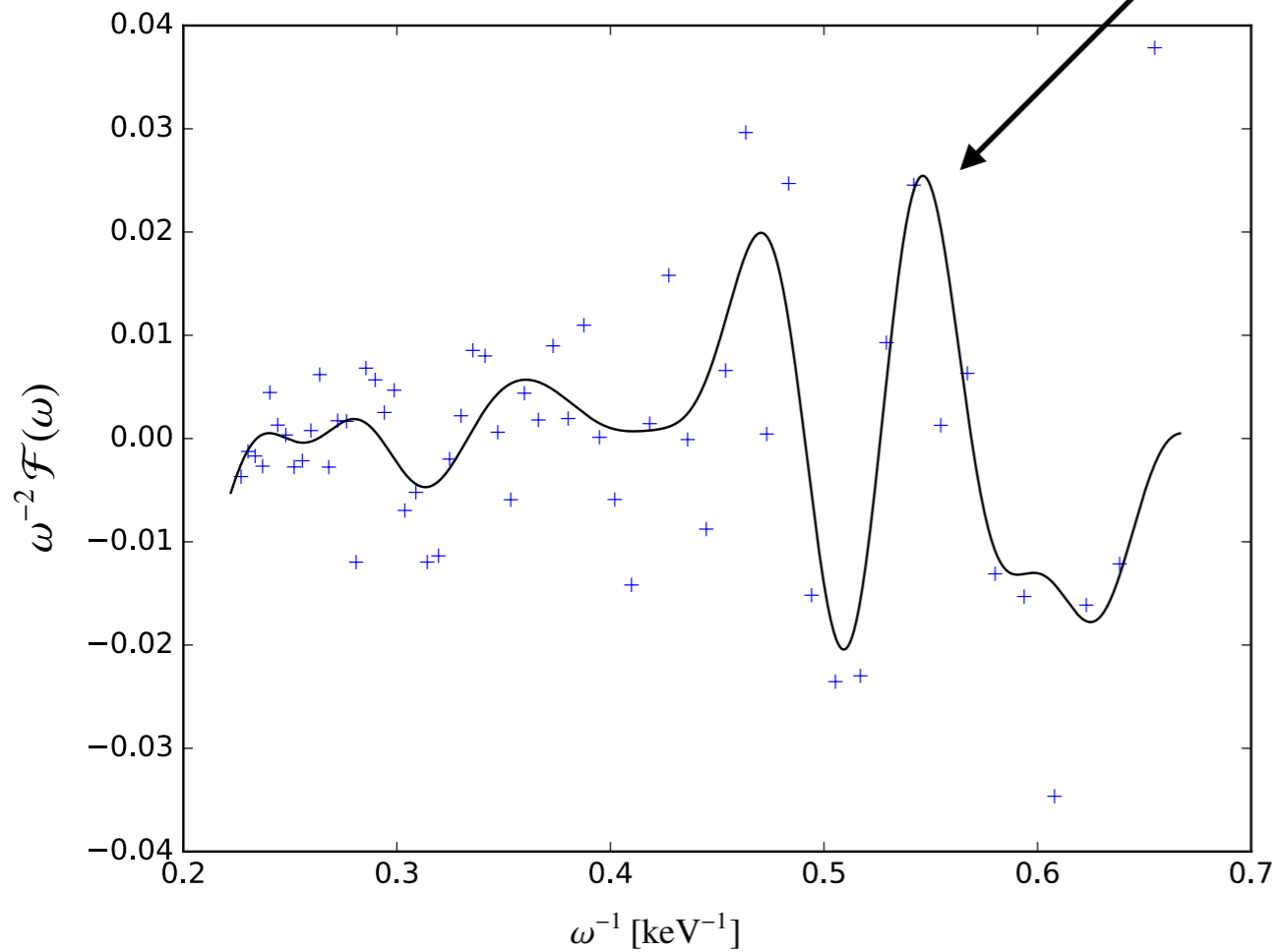
unknown, depend on B field realization

- Fourier analysis of  $(u_i, y_i) = (\omega_i^{-1}, \omega_i^{-2} \mathcal{F}(\omega_i))$
- Sinusodial fit
- Machine learning (deep neural network)

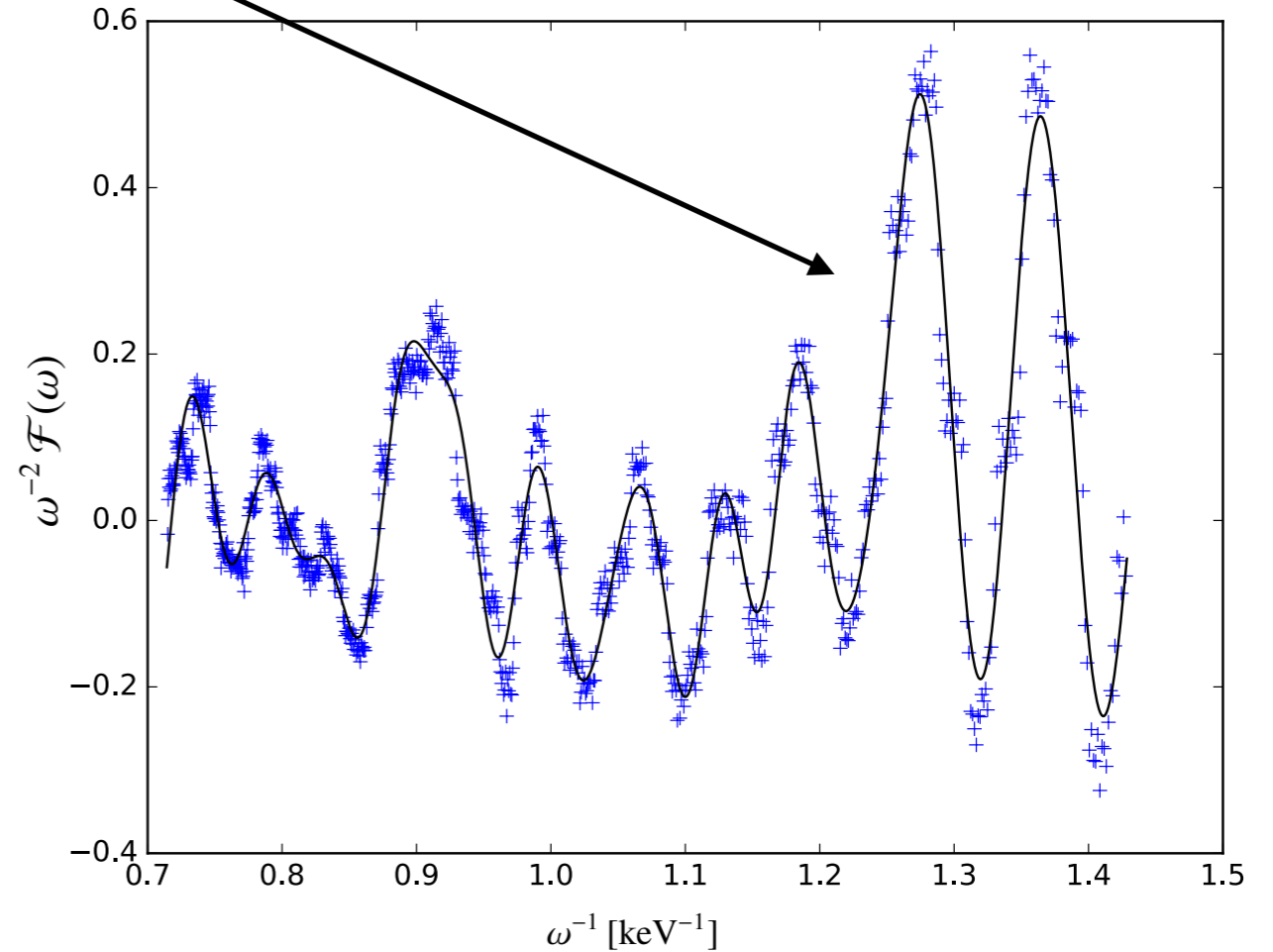
# Improving Analysis method

simulated data of  
NGC1275

$$y^{(K)}(x) \equiv \operatorname{Re} \left( \sum_{k=-K}^{K-1} \hat{y}_k e^{-2\pi i k x} \right)$$



XMM



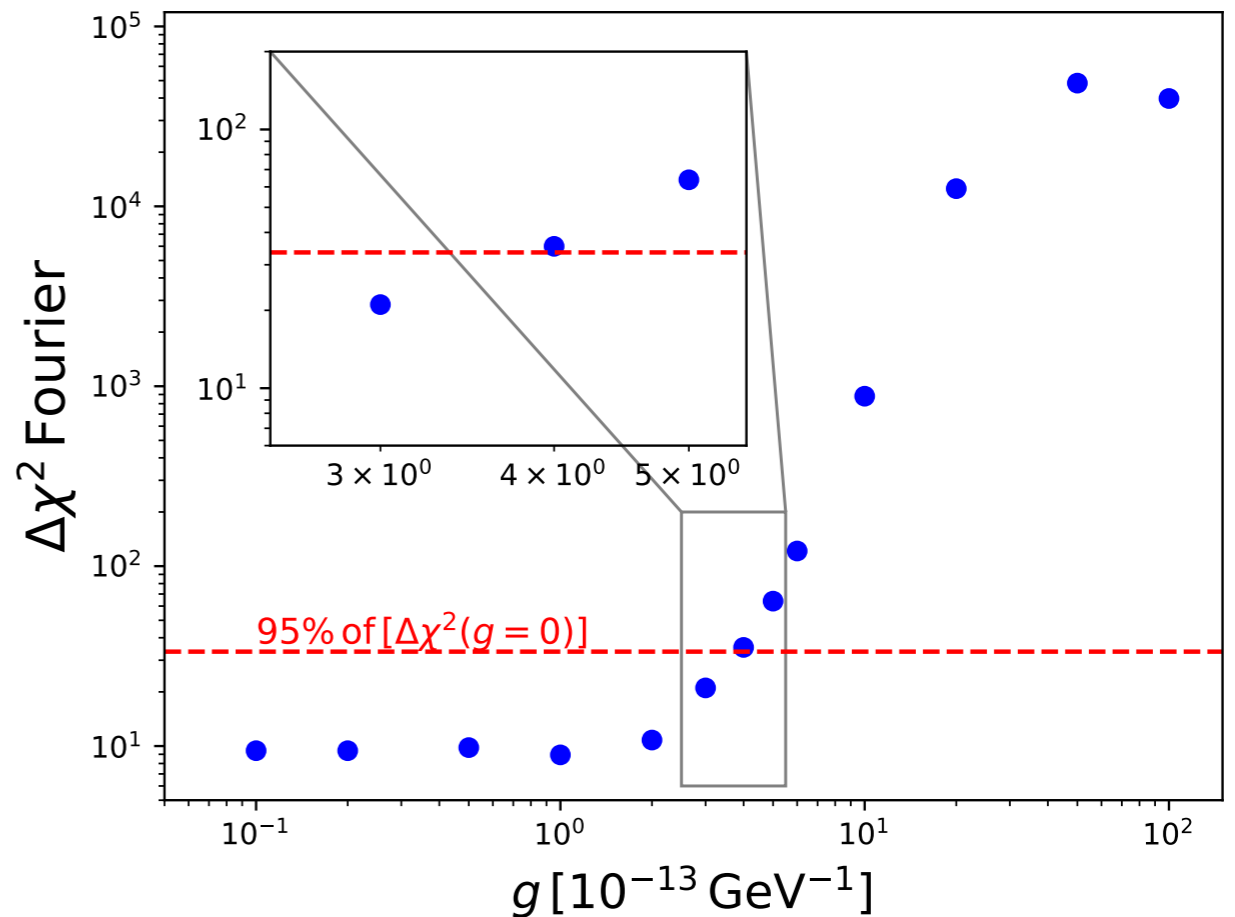
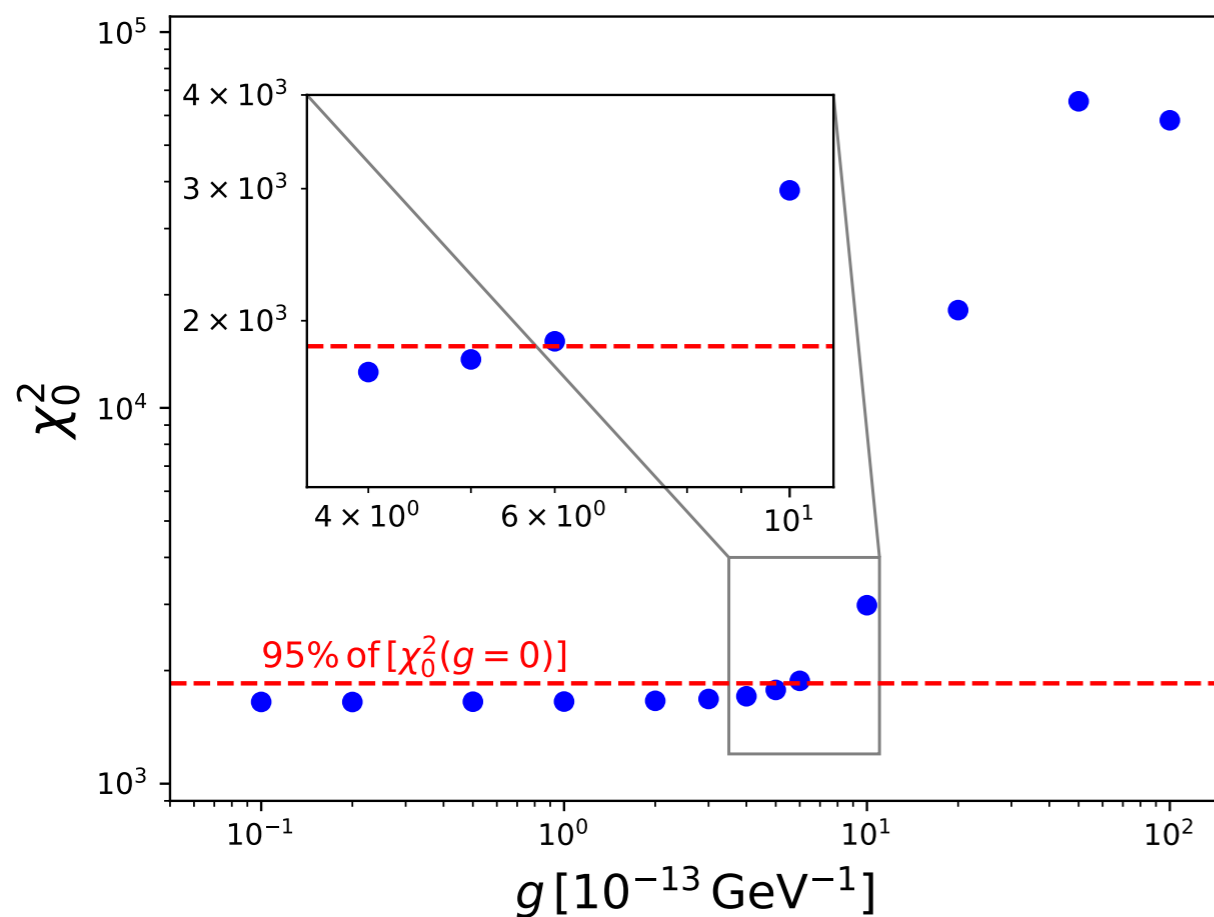
Athena



# Improving Analysis method

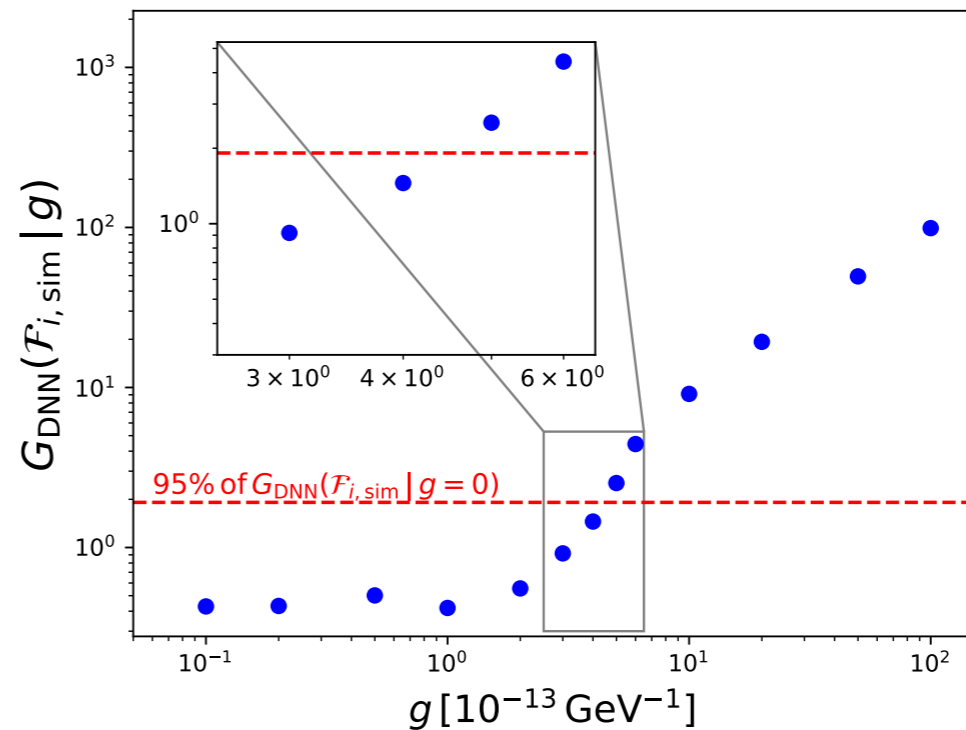
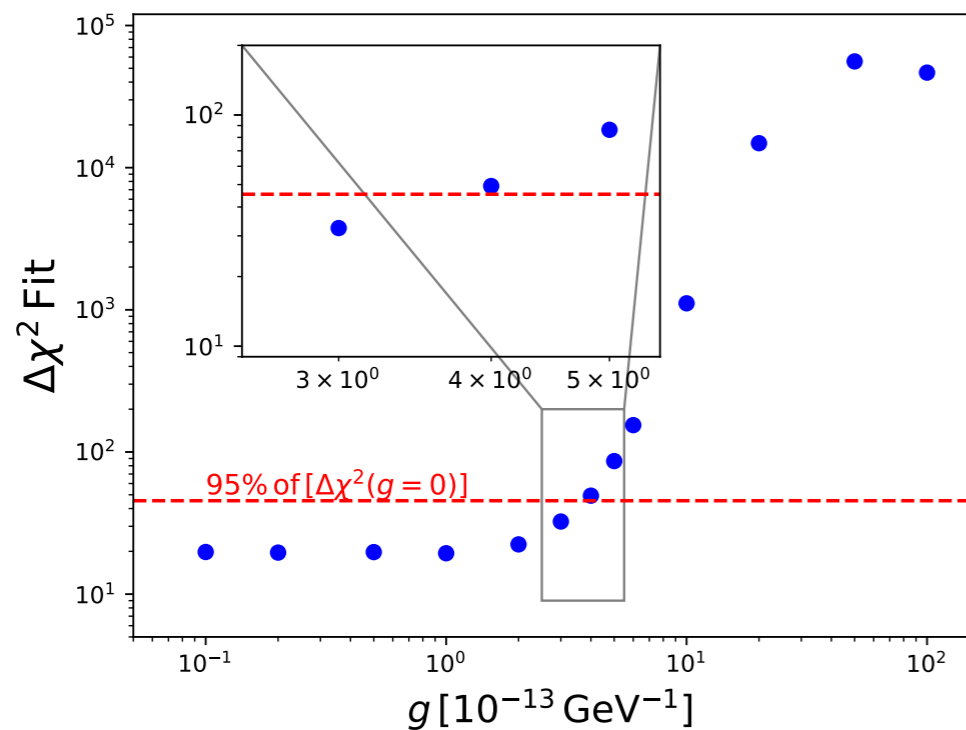
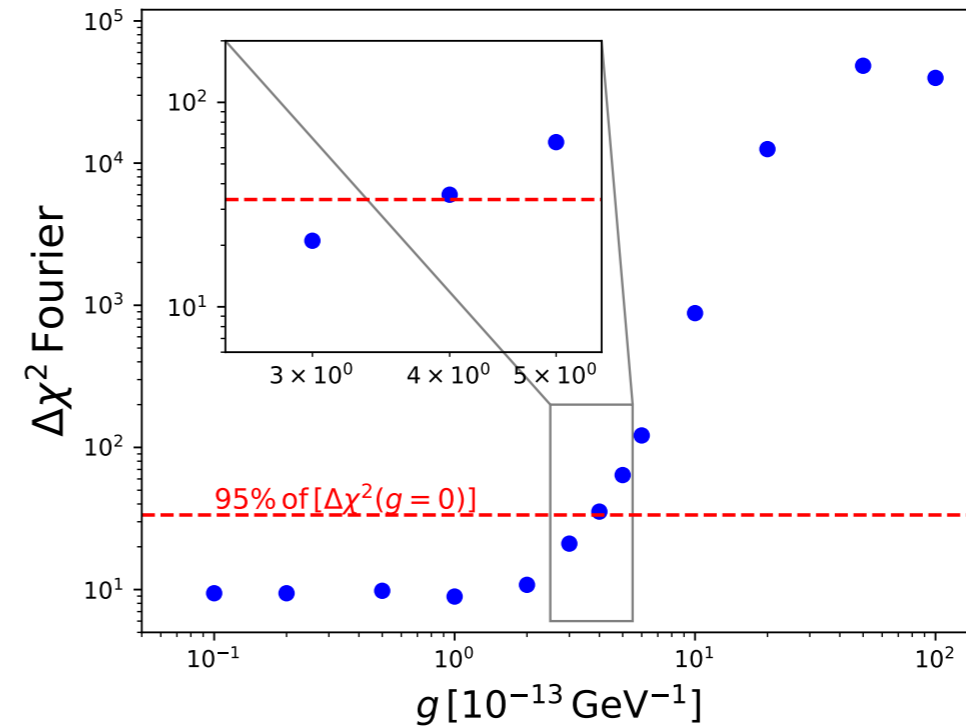
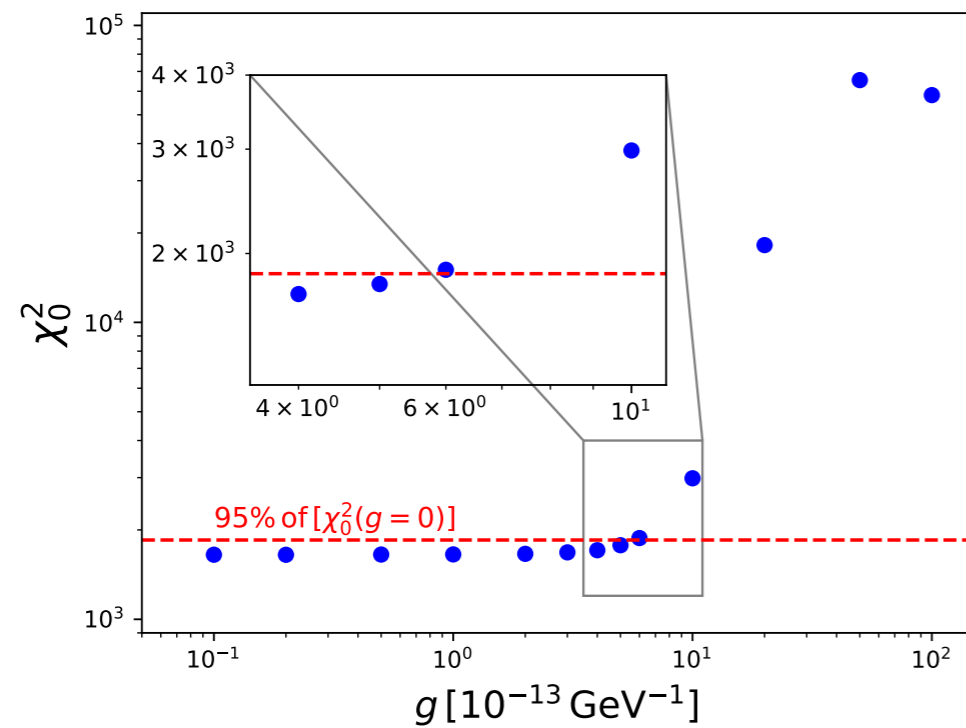
$$\Delta\chi^2(g) = \chi_0^2(g) - \chi_1^2(g).$$

if null hypothesis can't be excluded: 5th percentile  $[\Delta\chi^2(g_{\text{bound}})] = \Delta\chi_{\text{obs}}^2$



$\Rightarrow$  Bounds on  $g_{a\gamma\gamma}^2$  improved by factor  $\sim 2$

# Improving Analysis method



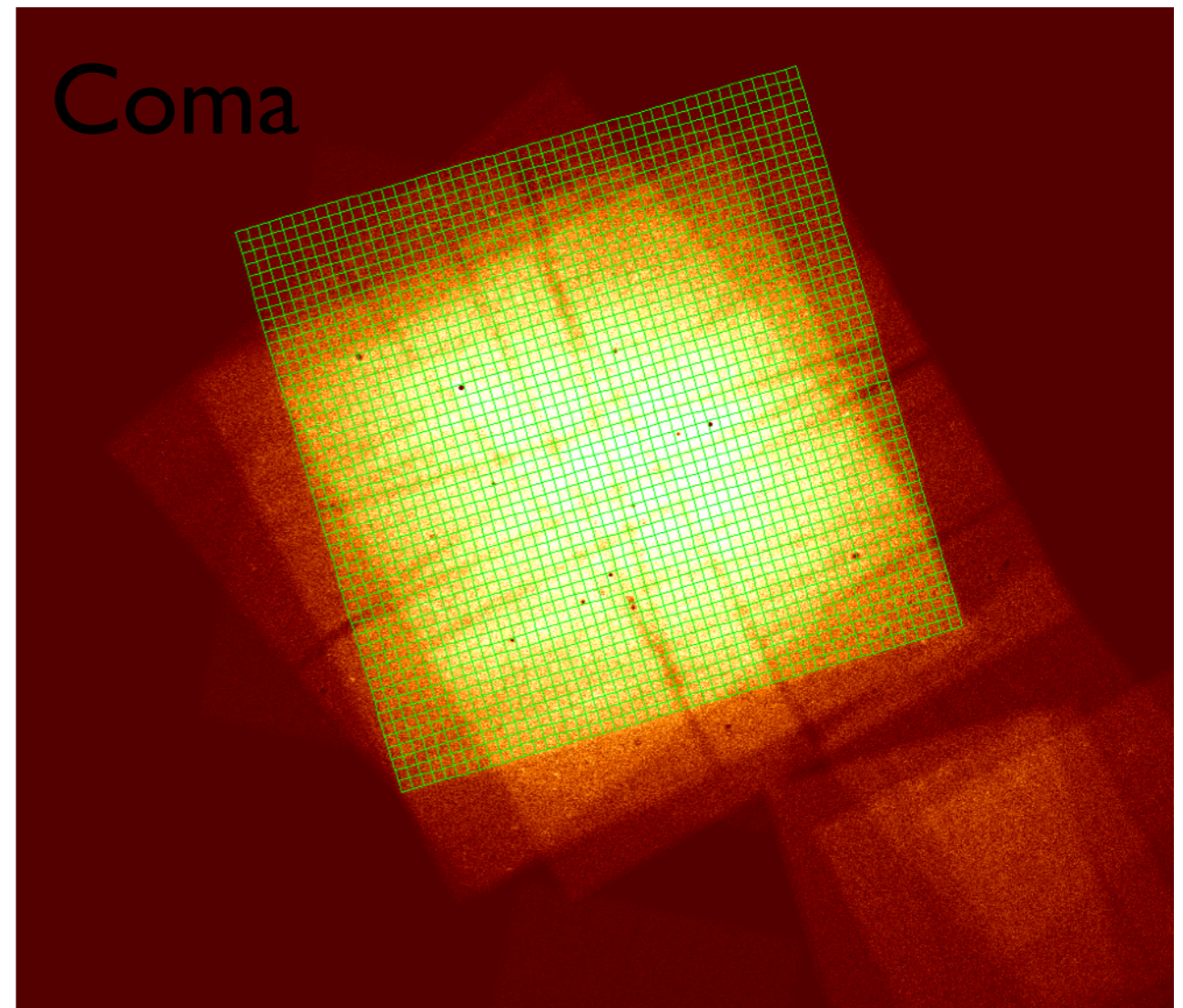
# Conclusions & Outlook

- ALP properties can be probed via ALP-photon conversion, particularly well in galaxy clusters
- AGNs in/behind Galaxy Clusters have an extraordinary amount of X-ray data
- Absence of  $\gtrsim 10\%$  deviations from expected spectrum allows the most competitive bounds yet on  $g_{a\gamma\gamma}$  for  $m_a \lesssim 10^{-12}$  eV
- Outlook: More data (Hitomi, XMM, Chandra, Athena; SKA) better analysis methods

# Backup Slides

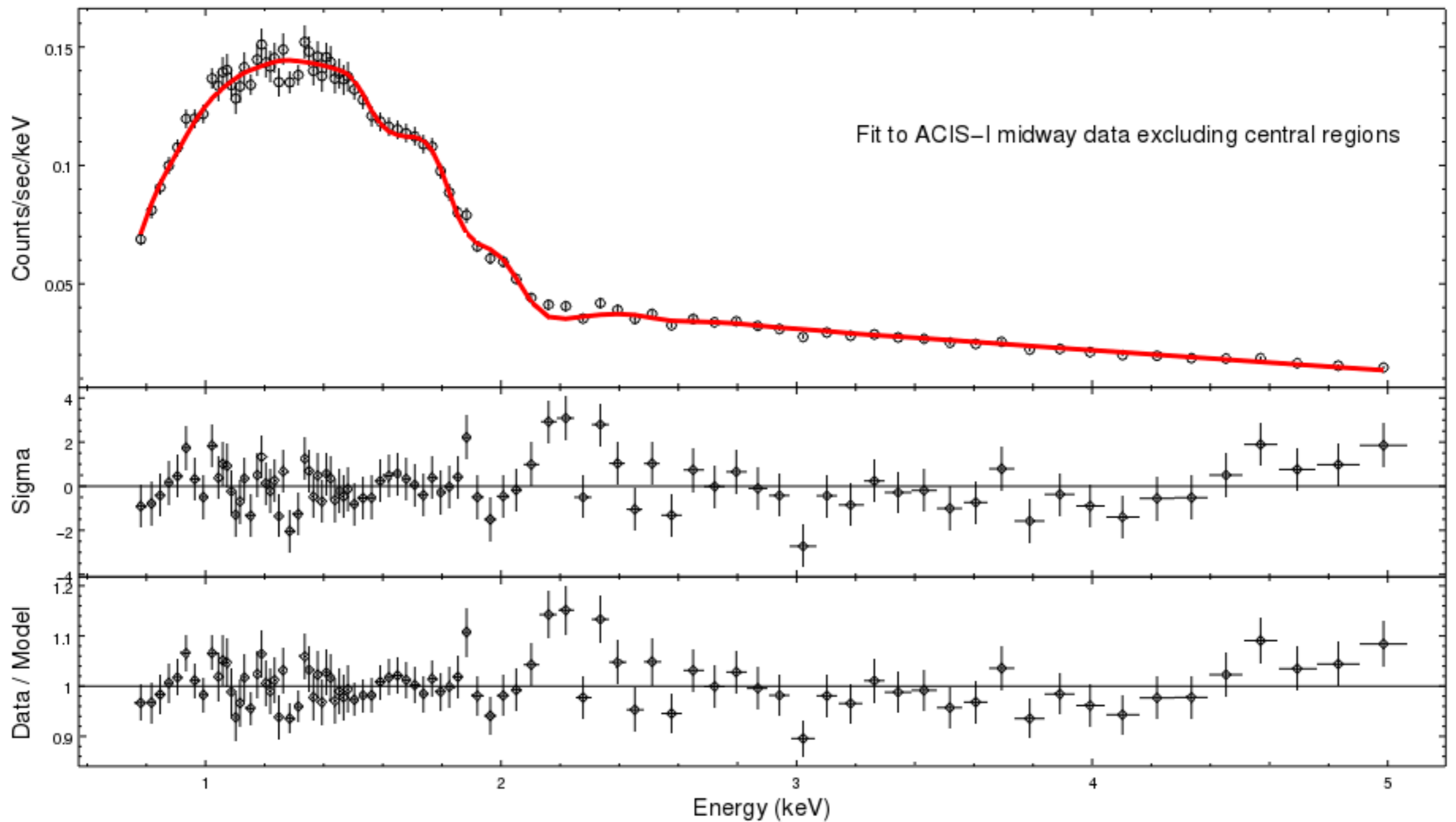
# Outlook

- Hitomi and Athena data to come
- Continuum in clusters with known magnetic field
- Other point sources in the universe



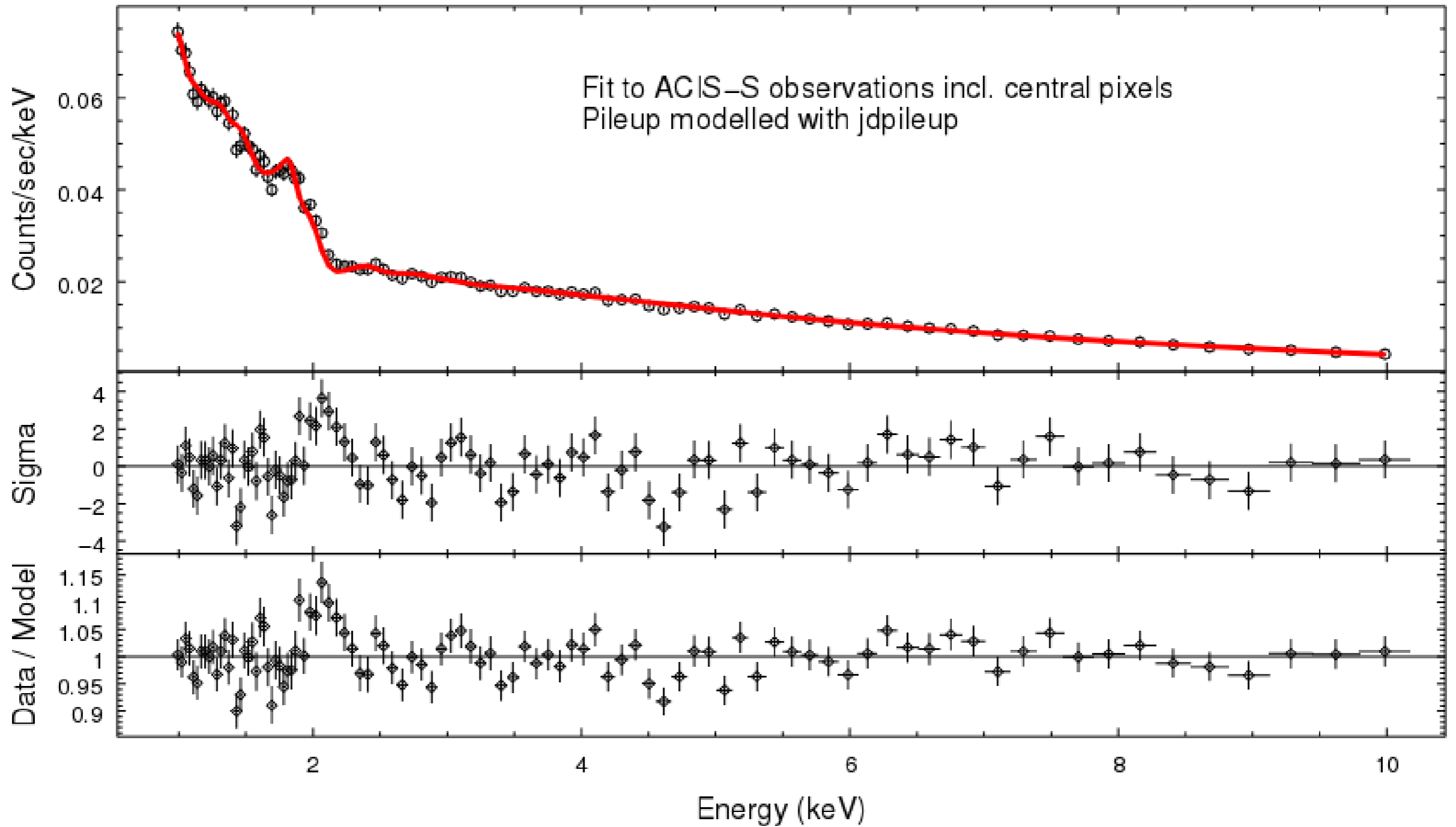


# ACIS-I Midway



74000 counts,  $\gamma = 1.64$ ,  $n_H = 1.4 \cdot 10^{21} \text{cm}^{-2}$ , AGN/Cluster = 5.3/1

# ACIS-S



177000 counts,  $\gamma = 1.81$ ,  $n_H = 2.6 \cdot 10^{21} \text{cm}^{-2}$ , AGN/Cluster = 3.7/1

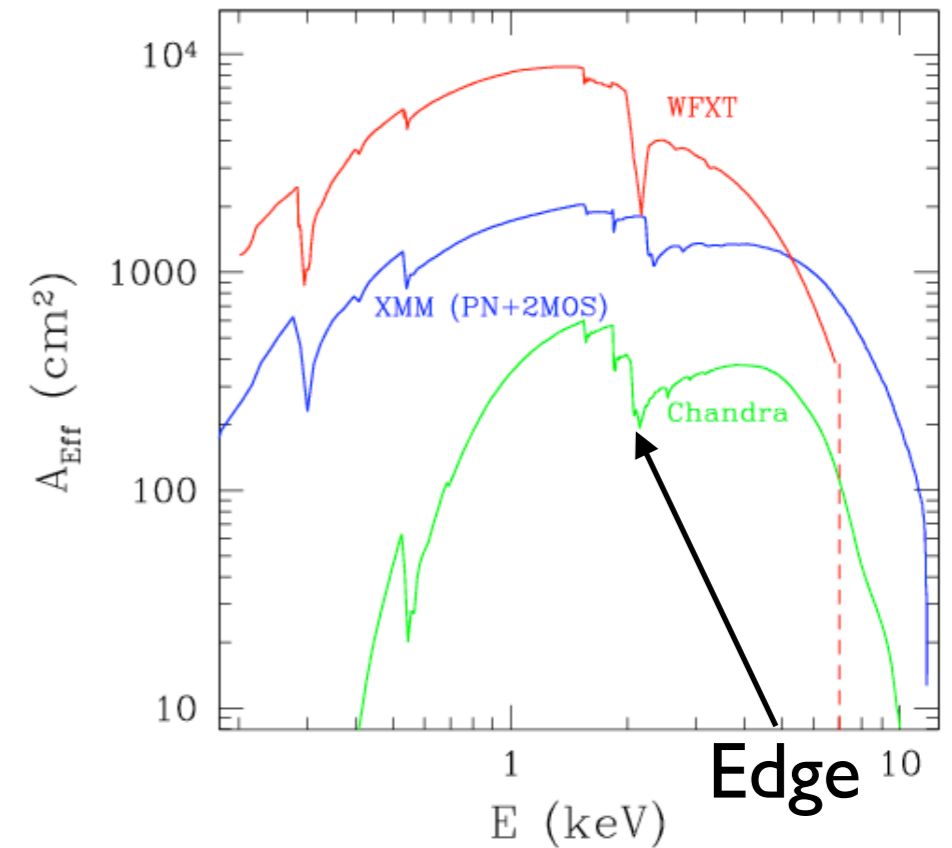
# 2.2 keV excess explanations

Instrumental:

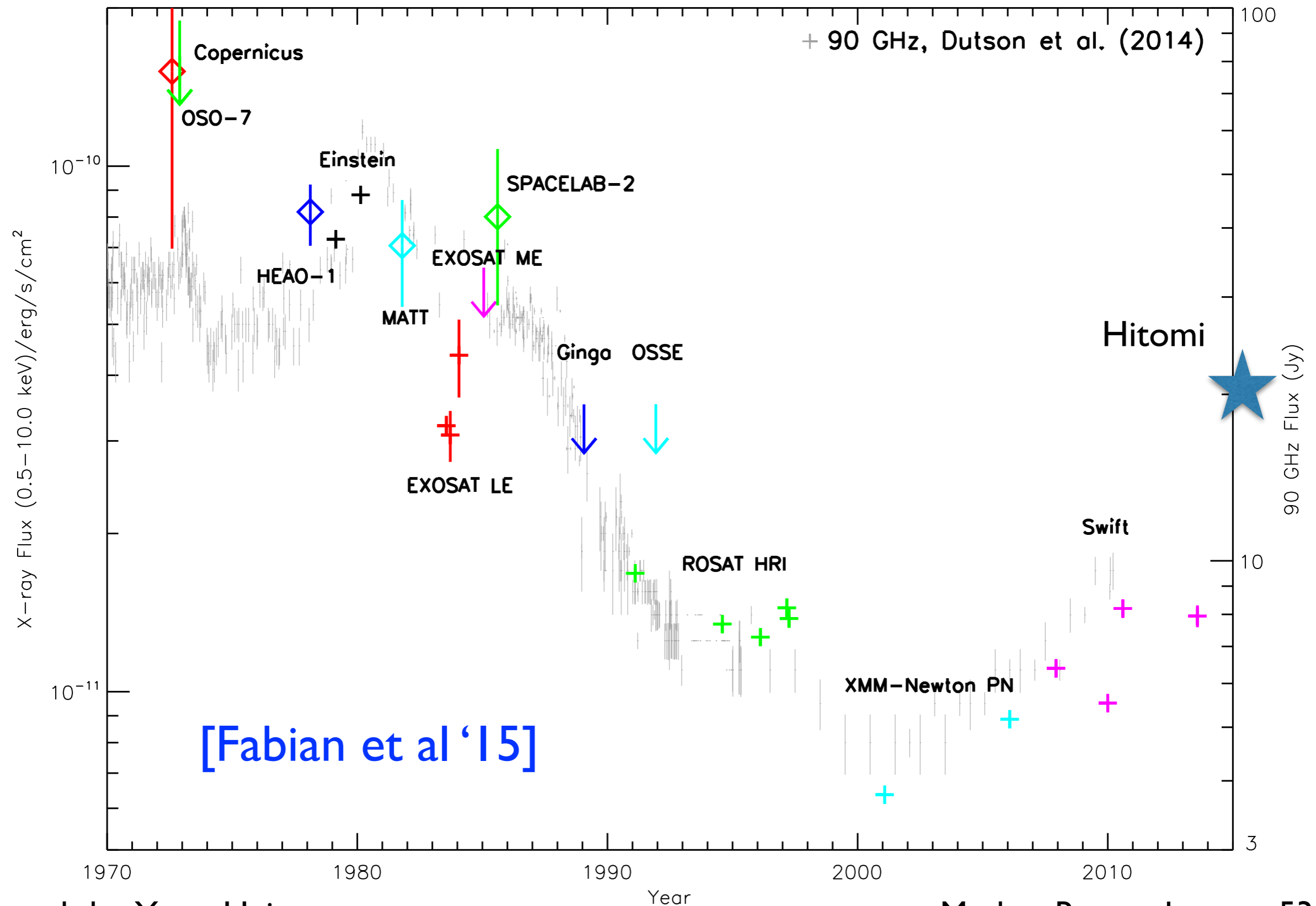
- Effective area miscalibration
- Gain miscalibration

Astrophysical:

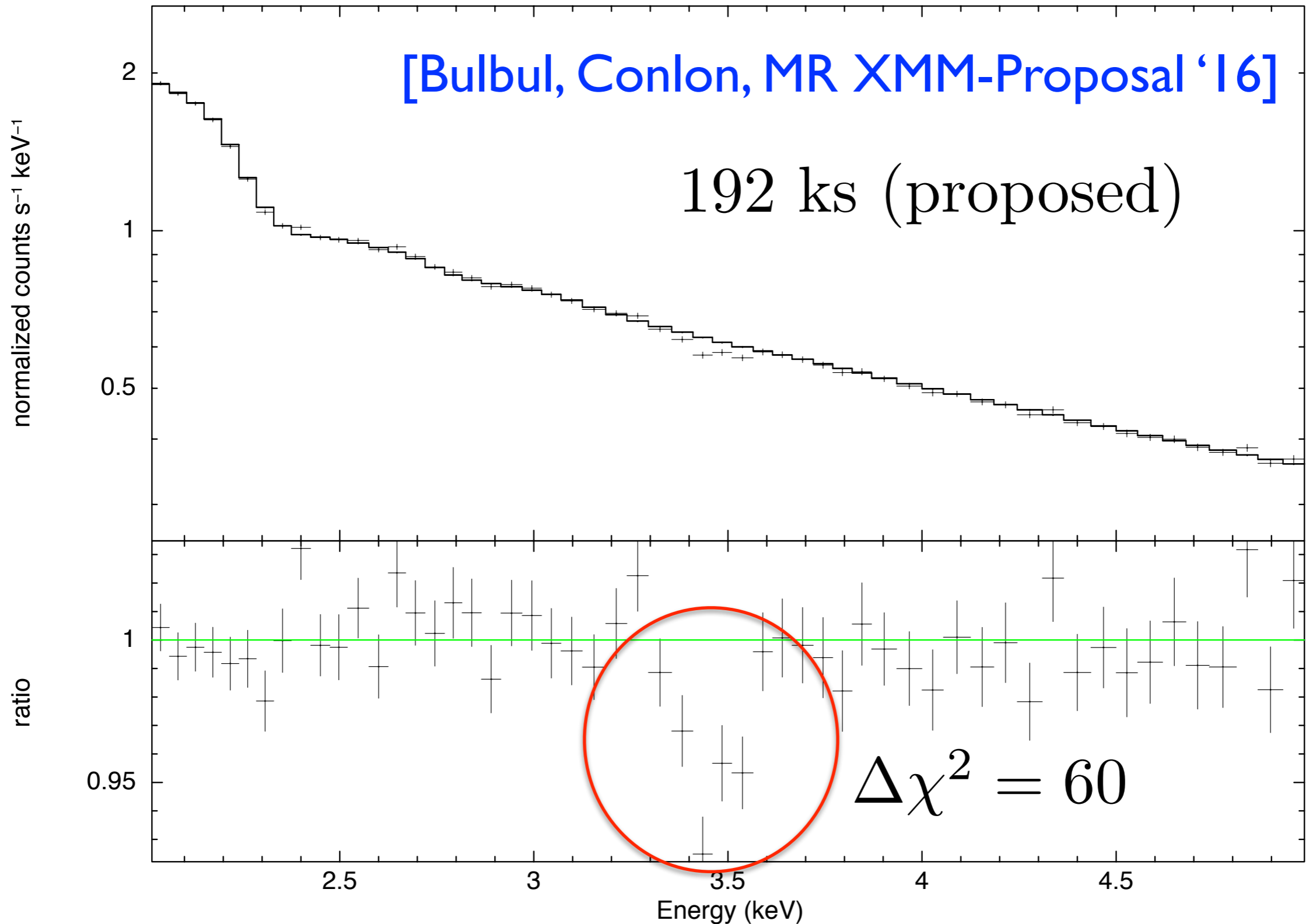
- Thermal emission from ionized gas close to AGN
- $K\alpha$  emission close to AGN



# X-ray variability of NGC 1275



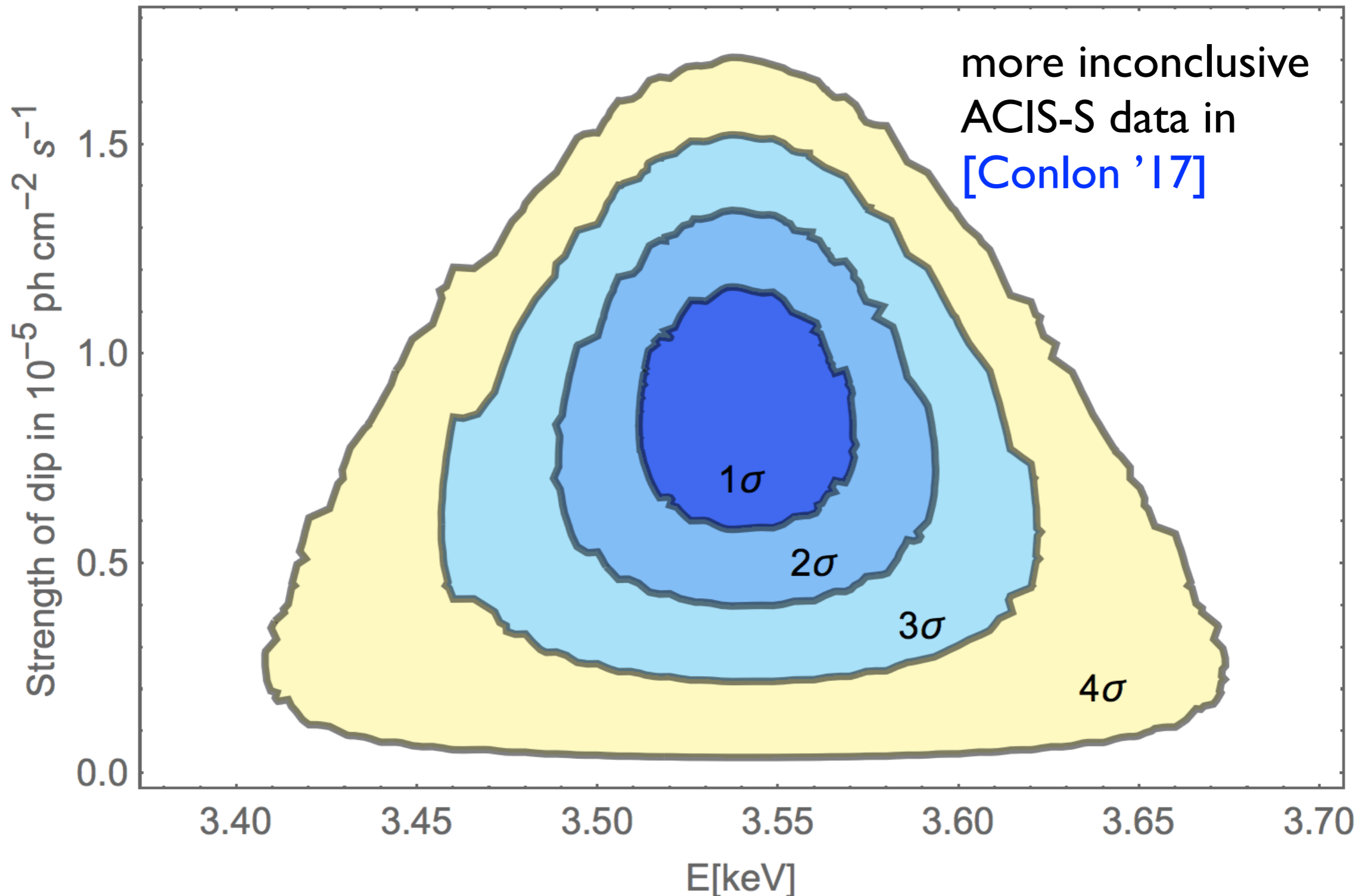
# Data Outlook





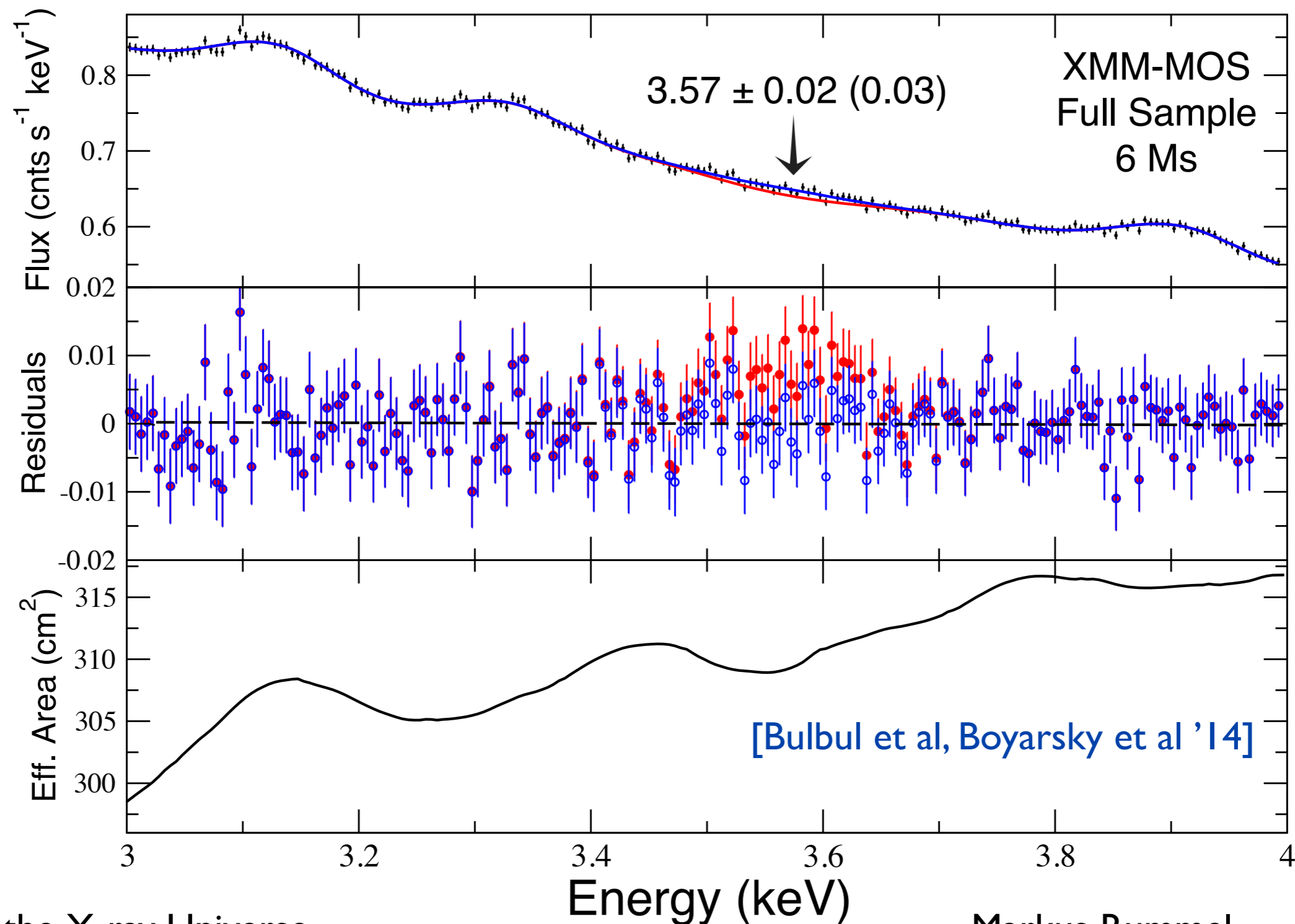
# Closer look at 3.5 keV

[Conlon, Day, Jennings, Krippendorf, MR '16] edge (least piledup)



# Closer look at 3.5 keV

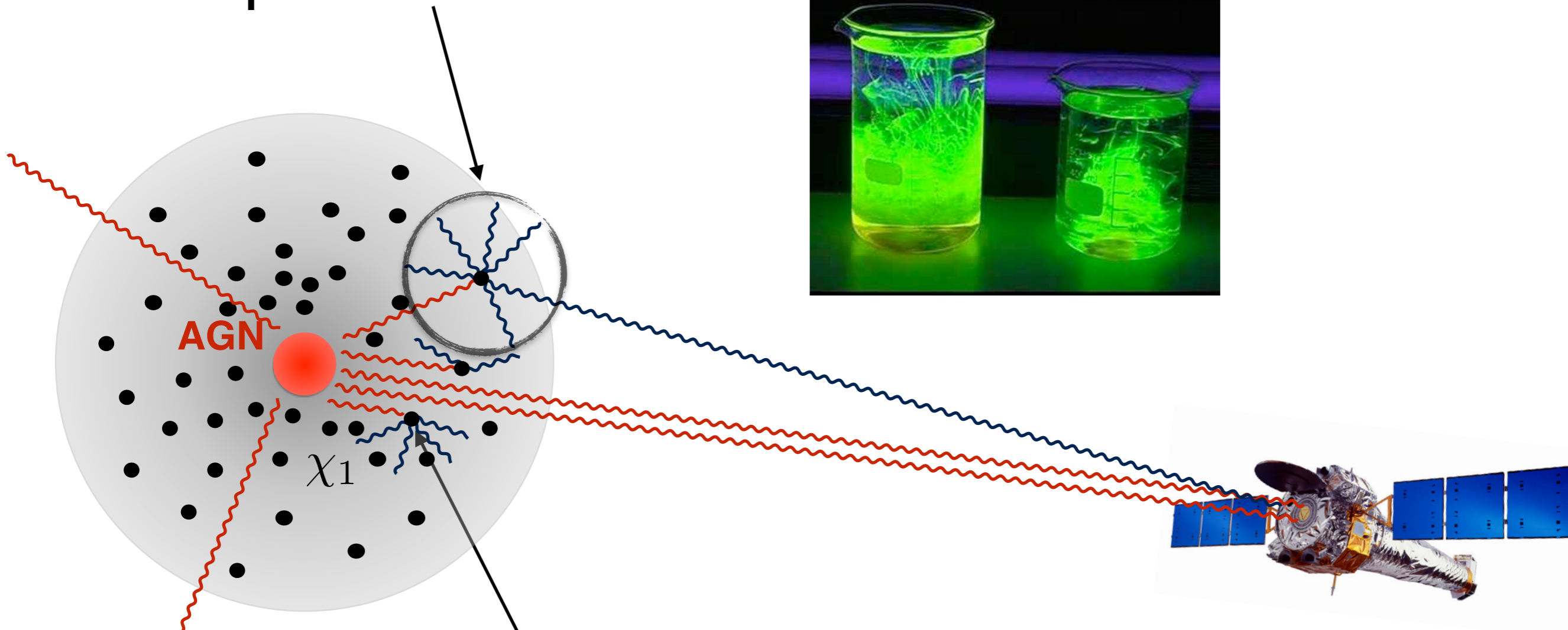
Wasn't there something else at 3.5 keV...?



# Fluorescent dark matter

[Profumo, Sigurdson '07]

Responsible for line



Responsible for dip

# Fluorescent dark matter

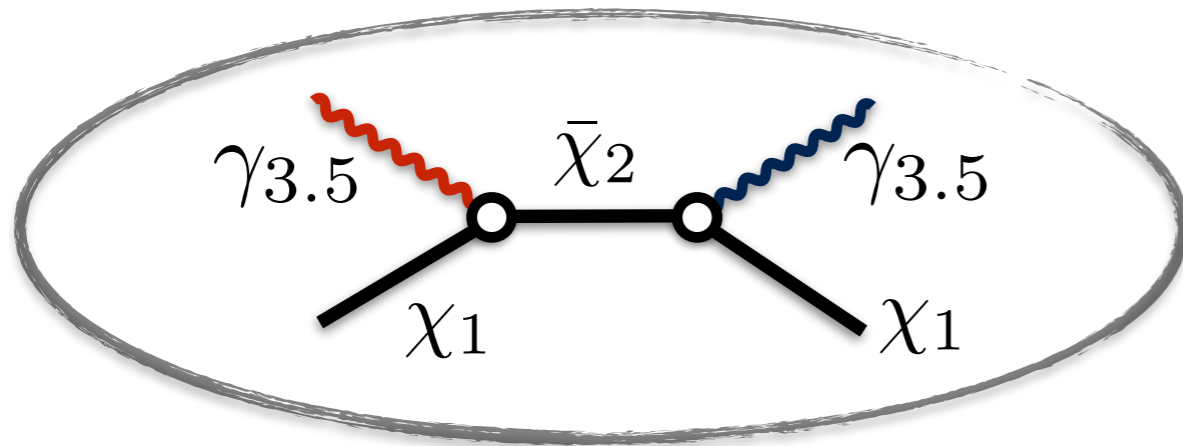
- Chandra sees only absorbed AGN spectrum (dip)
- Hitomi sees sum of diffuse emission + absorbed AGN spectrum (slight dip)
- Observed fluxes are consistent
- Line is broadened by dark matter velocity dispersion

$$v_{DM} \simeq 1300 \text{ km s}^{-1} \Rightarrow \sigma = 15eV$$

- For the cluster gas:

$$v_{\text{Gas}} \simeq 200 \text{ km s}^{-1} \Rightarrow \sigma = 2.4eV$$

# Fluorescent dark matter



[D'Eramo, Hableton, Profumo, Stefaniak '16; Conlon, Day, Jennings, Krippendorf, MR '16]

- Simple model:  $\mathcal{L} \supset \frac{1}{M} \bar{\chi}_2 \sigma_{\mu\nu} \chi_1 F^{\mu\nu}$
- Strength of the dip:  $\Gamma \geq \left( \frac{m_{DM}}{\text{GeV}} \right) \times 5.8 \times 10^{-10} \text{keV}$

$\Rightarrow$  Strong absorption broadened by DM dispersion

$\Rightarrow$  If real has to be new physics!