



Models for Light New Physics

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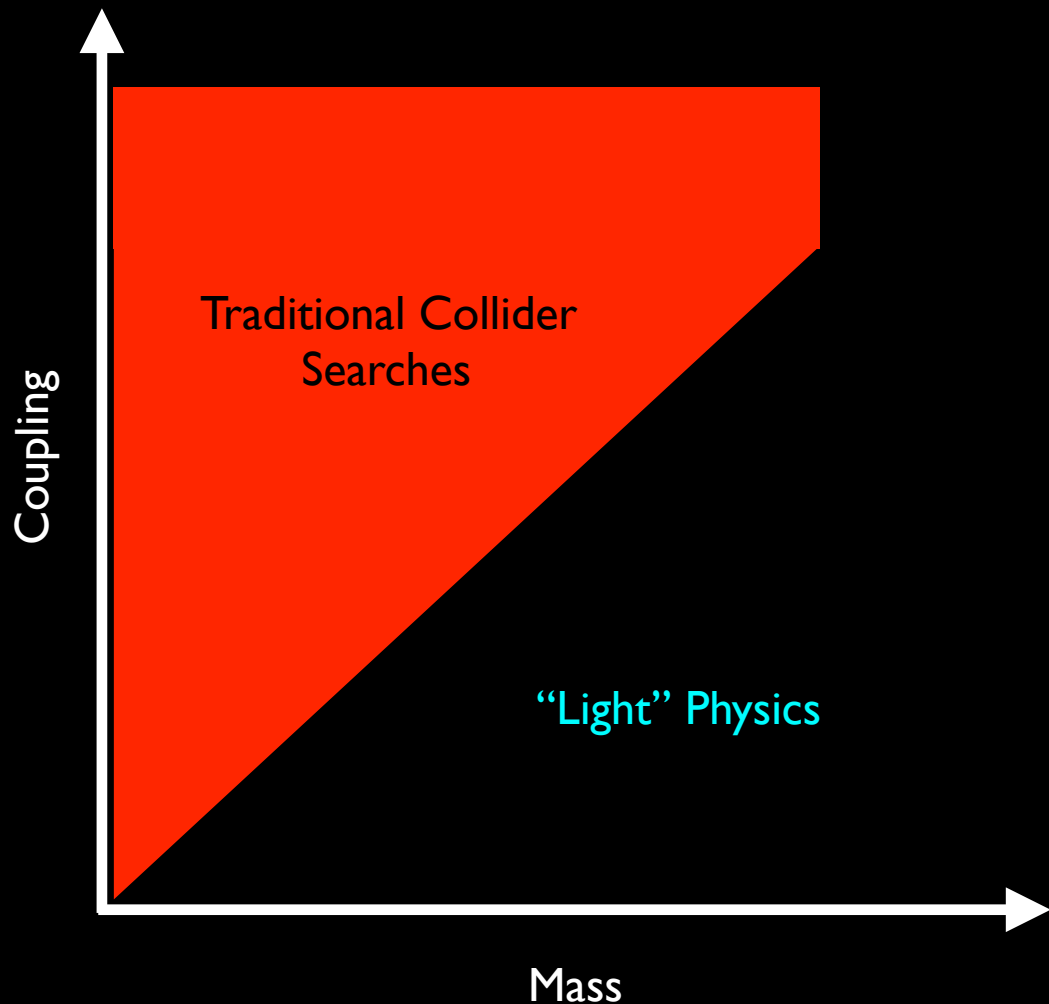
Outline

- Motivations for Light New Physics
 - Searching for the Unknown
 - Dark Matter
 - Experimental Anomalies
- Light Vector Particles
 - Case study: The ATOMKI Be-8 anomaly.
- Open Discussion

Motivations

The Unknown?

- The most basic reason to consider theories with light particles is simply to better understand what experiments tell us is still allowed.
- Light particles must be very weakly coupled to have escaped detection up until this point.
- “Light” can mean different things to different physicists. For me it means $< \text{about GeV}$.
- We can think of the search for them as complementary to high energy searches such as at the LHC.
- Light physics can *in principle* be produced in existing experiments.



Dark Matter

- Since we know essentially nothing about dark matter, it is possible that it is a very light particle.
- Existing limits from galactic dynamics are around $\sim \text{eV}$ for fermions, and $\sim 10^{-20} \text{ eV}$ for bosons.
- If the dark matter is produced in the early Universe through freeze-out, evading constraints from the CMB typically requires that there are also light dark forces.

☐ Mass

☐ Spin

☐ Stable?

Couplings:

☒ Gravity

☐ Weak Interaction?

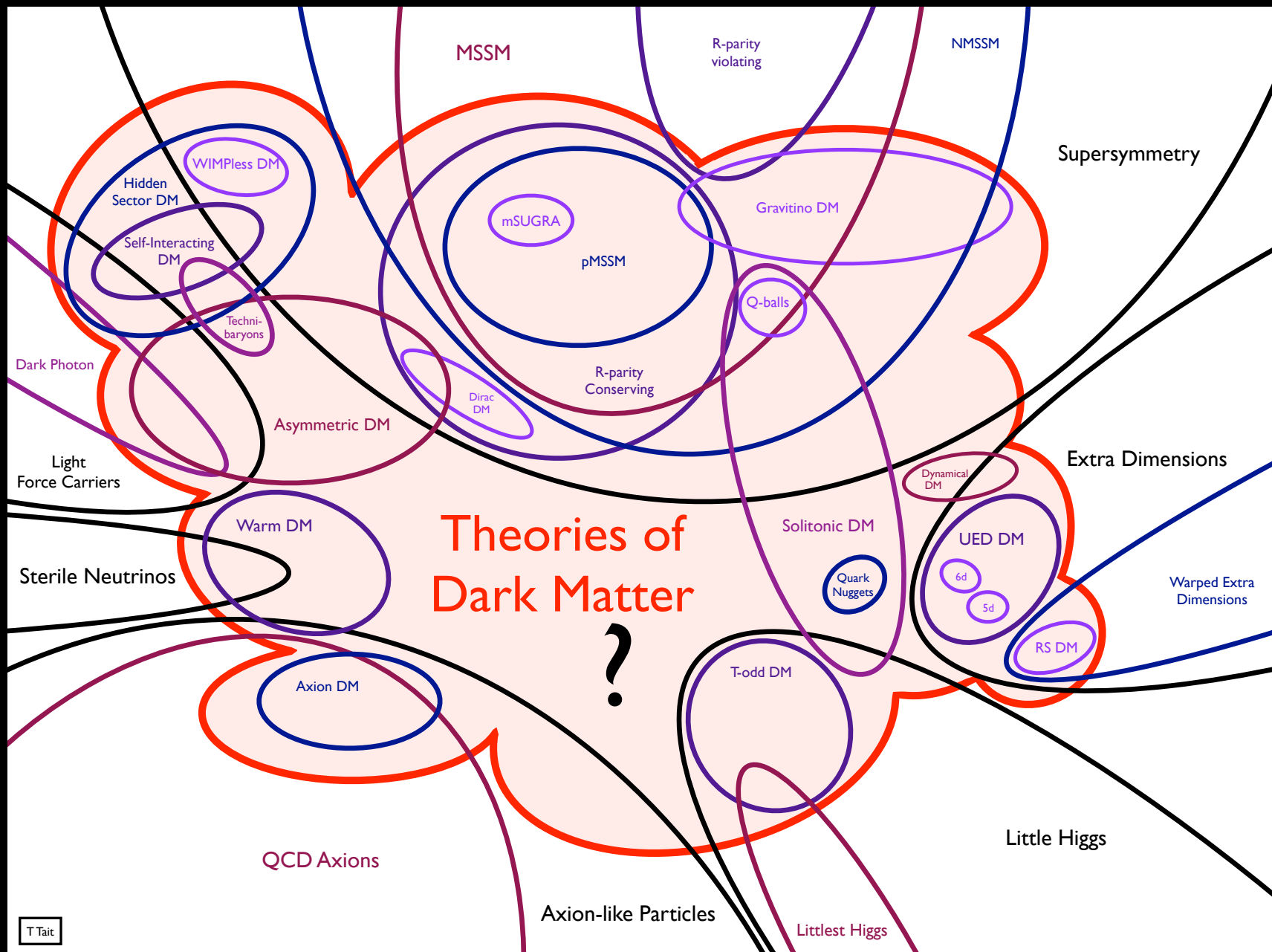
☐ Higgs?

☐ Quarks / Gluons?

☐ Leptons?

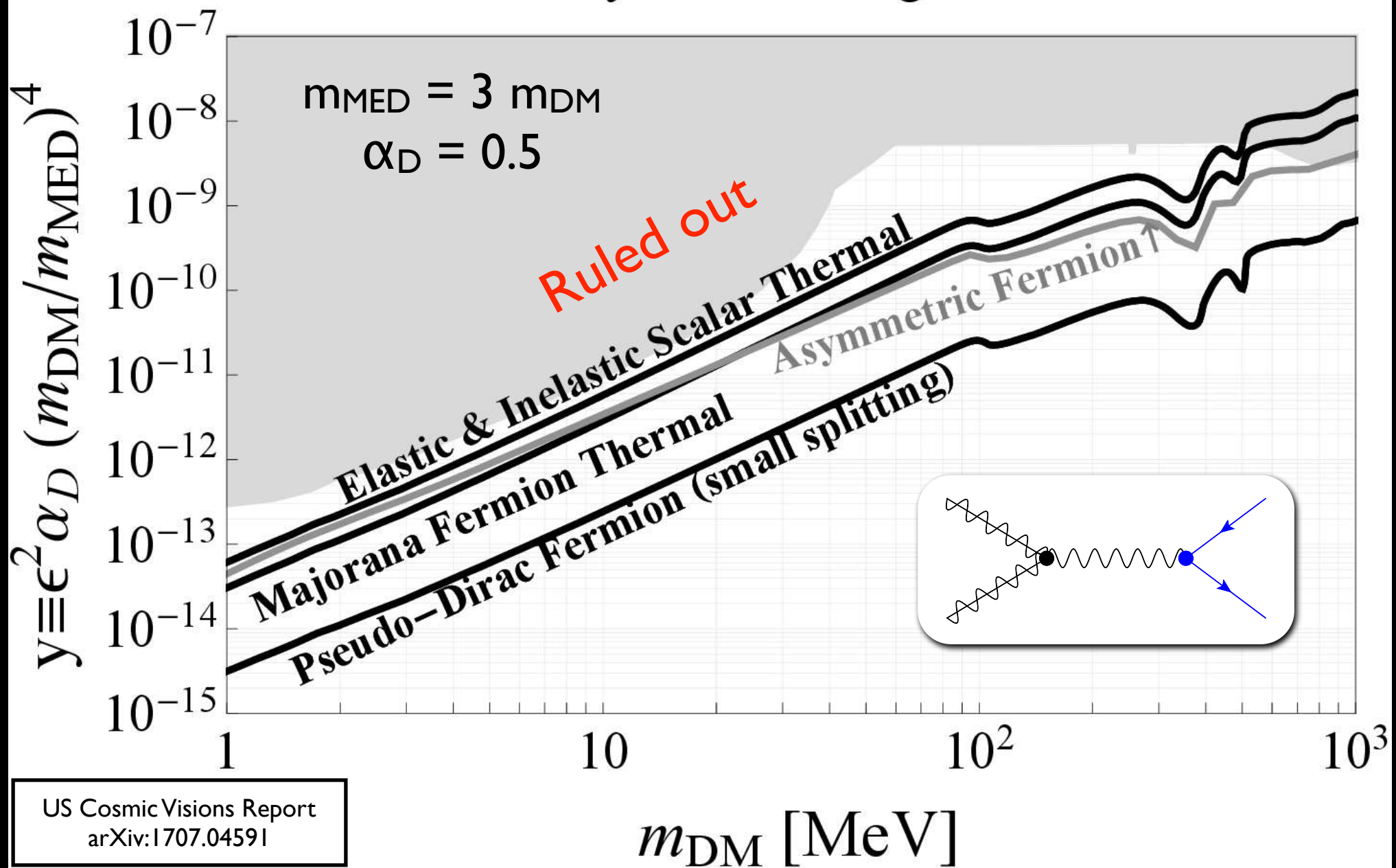
☐ Thermal Relic?

Dark Matter

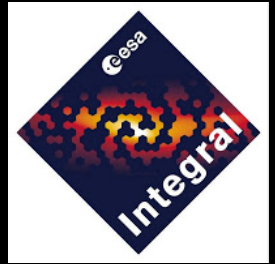


MeV Dark Matter

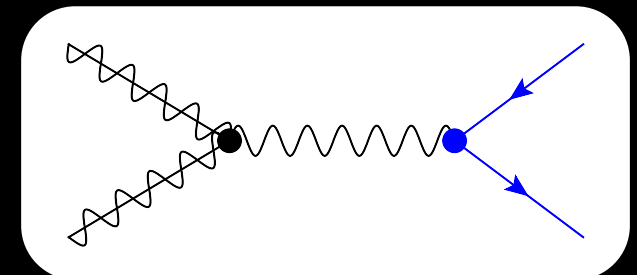
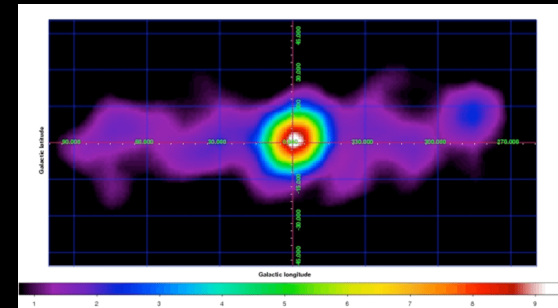
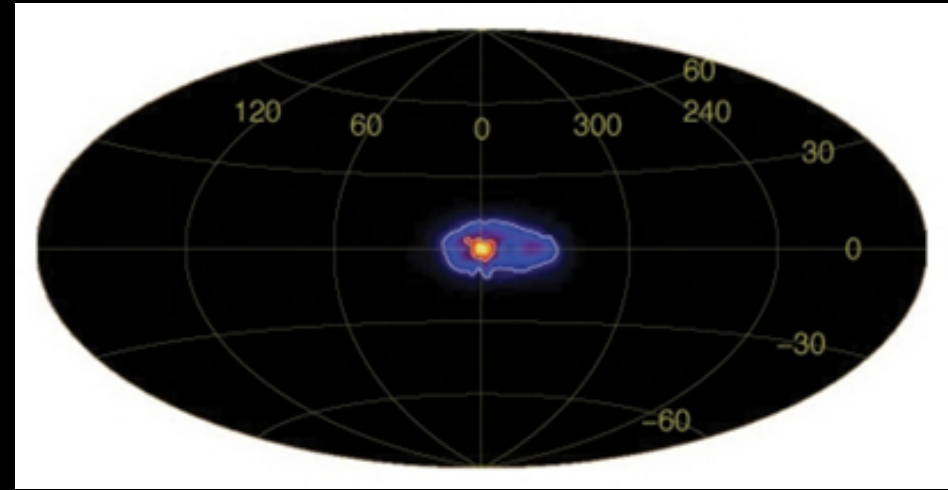
Thermal and Asymmetric Targets at Accelerators



MeV Dark Matter



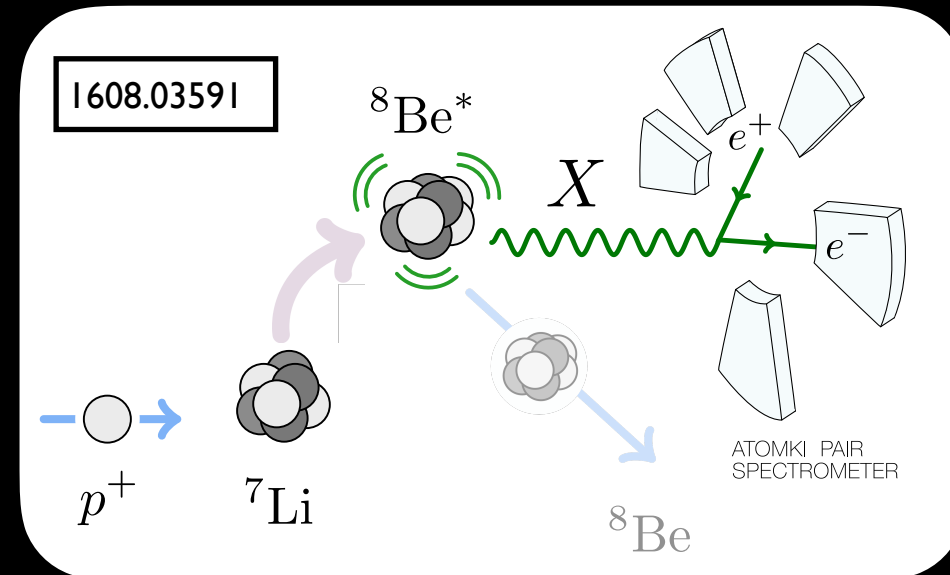
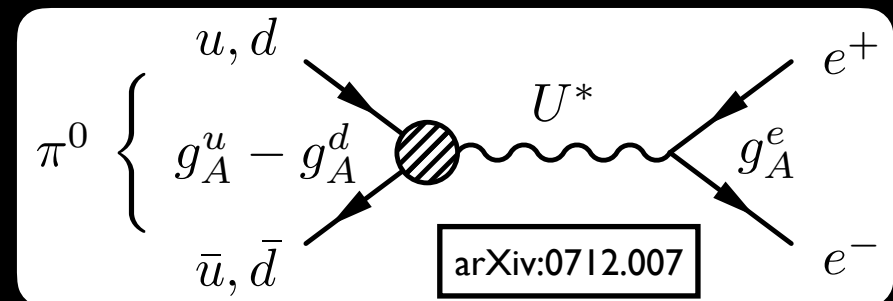
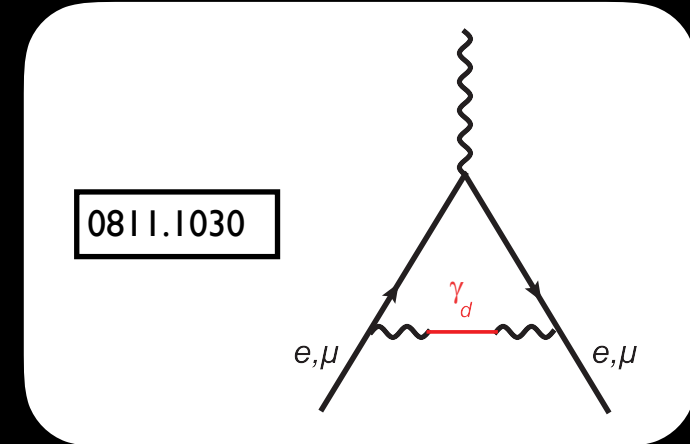
- The Integral satellite measures the sky in hard X-rays. The line at 511 keV from e^+e^- annihilation tracks production of non-relativistic positrons.
- They see an excess that correlates with the Galactic center, and could be a sign that dark matter annihilates into e^+e^- .
- (To be fair, it could also be an astrophysical production mechanism).
- To have the e^+ 's be non-relativistic, the dark matter mass can't be much more than the electron mass.
- Explaining the cross section can work if there is a mediator particle whose mass is also $\sim$ MeV.



See: [astro-ph/030968](https://arxiv.org/abs/astro-ph/030968)

Experimental Anomalies

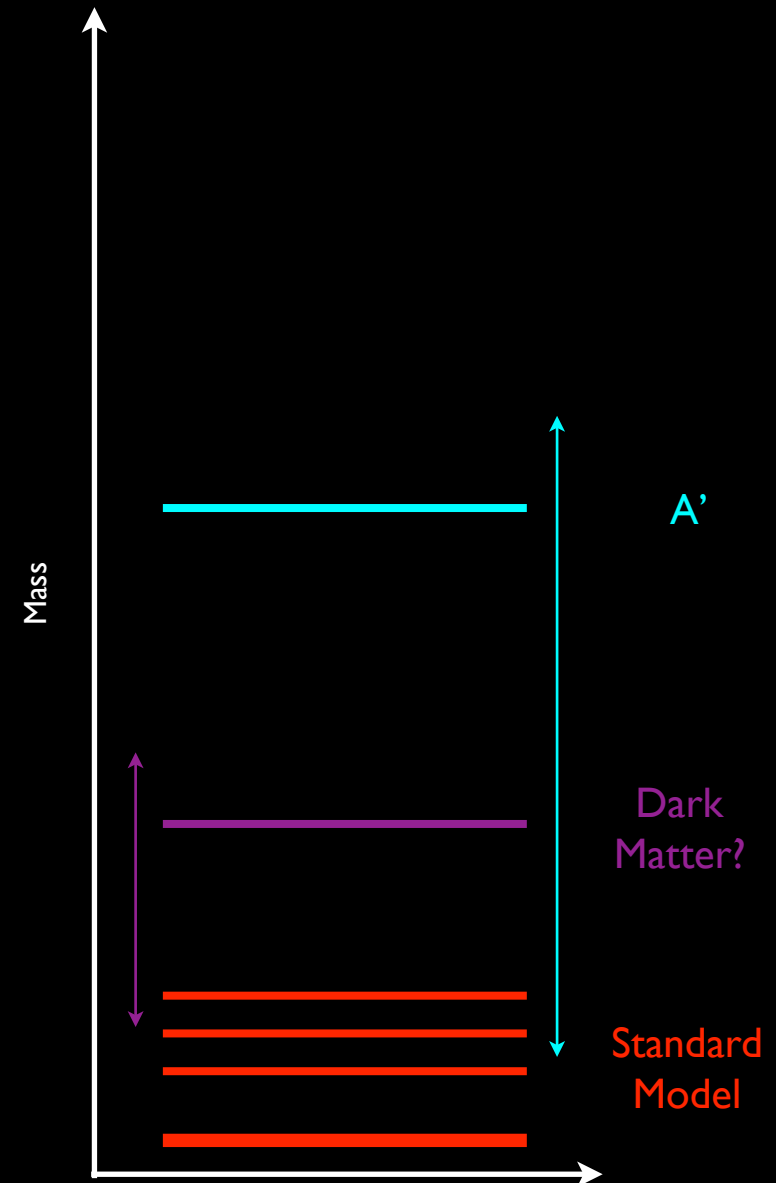
- While there is no decisive laboratory experimental evidence for light new particles, a few that show some deviation could hint at physics beyond the Standard Model.
- A few examples of puzzling experimental results that could hint at light new physics include:
 - Muon $g-2$
 - $\pi^0 \rightarrow e^+ e^-$ (measured by KTeV)
 - ATOMKI Nuclear Transitions in Be-8 and He-4.
 - All three of these hint at $\sim \text{MeV}$ mass particles with super-weak coupling to the SM.



Vector Particles

Vector Simplified Model

- A reasonably simple extension of the SM is to add a light vector particle: A' .
- Quantum field theories of vector particles are a little bit delicate. If we write down interactions indiscriminately, we typically get a theory which is unphysical.
- The usual trick to avoid these problems is to associate the new vector with a gauge symmetry group. [For example a $U(1)$.]
- Including only gauge-invariant terms in the Lagrangian avoids unphysical behavior.
- Then we need to specify how the symmetry acts on SM particles [their charges].



Dark Charge Assignment

- Each SM fermion species (Q, u, d, L, e)
[plus right-handed neutrinos if they exist]
and the Higgs needs a charge.

$$\{Q_Q, Q_u, Q_d, Q_L, Q_e, Q_H\}$$

- If there is a dark Higgs, we could define its charge as +1.

$$A'_\mu \sum_f \bar{f} \left(c_V^f \gamma^\mu + c_A^f \gamma^\mu \gamma^5 \right) f$$

- To avoid FCNC's, the fermions of each family are typically assigned the same charge. [But that is not essential].

$$c_V^f \equiv \frac{1}{2} g_D (Q_{f_L} + Q_{f_R})$$

- If the charges for Q, u, and d are equal, and L and e are equal, the theory will be vector-like. Otherwise, it will contain axial vector interactions.

$$c_A^f \equiv \frac{1}{2} g_D (Q_{f_L} - Q_{f_R})$$

- We need to make sure that we can generate the SM Yukawa interactions.

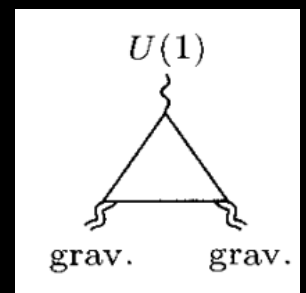
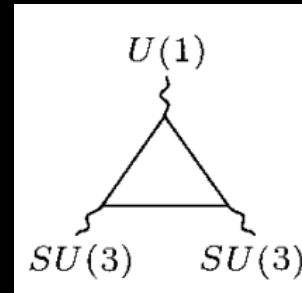
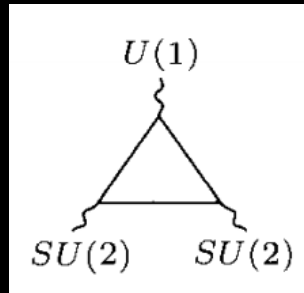
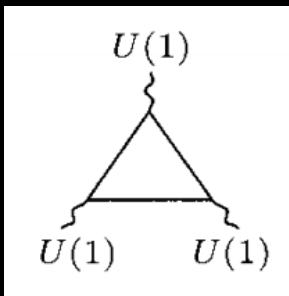
$$\mathcal{L}_Y = y_u H Q \bar{u} + y_d H^\dagger Q \bar{d} + y_e H^\dagger L \bar{e}$$

Allowed if, e.g.:

$$Q_H = Q_{f_R} - Q_{f_L}$$

Anomalies

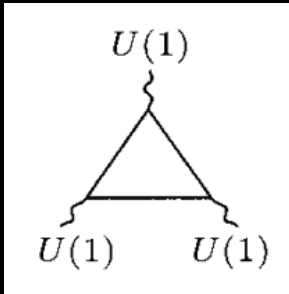
- A Quantum field theory with fermions can violate symmetries which appear to be present in the Lagrangian (e.g. at tree level).
- The dangerous contributions appear as triangle diagrams of fermions with gauge bosons attached to the vertices.



- If this happens for a global symmetry, it means that the Noether current associated with it is not conserved.
- If it happens for a gauge symmetry, that symmetry is violated, and this leads us back to unphysical behavior. So we can't allow that!

Anomalies

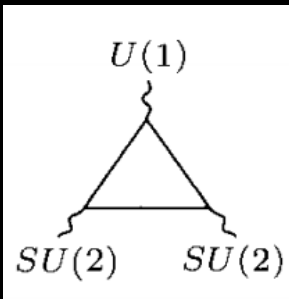
- The cancellation of the anomalies requires that there are relations between the charges of the fermions in the theory:



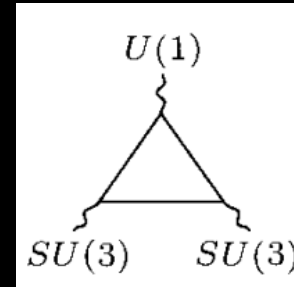
$$\sum_{\psi} Q_{\psi}^3 = 0$$

$$\sum_{\psi} Q_{\psi} Y_{\psi}^2 = 0$$

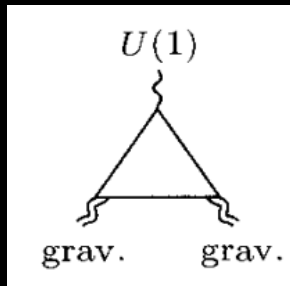
$$\sum_{\psi} Q_{\psi}^2 Y_{\psi} = 0$$



$$\sum_{\psi} Q_{\psi} T_{R_{\psi}}^{\text{SU}(2)} = 0$$



$$\sum_{\psi} Q_{\psi} T_{R_{\psi}}^{\text{SU}(3)} = 0$$



$$\sum_{\psi} Q_{\psi} = 0$$

Exercise: Prove that $U(1)_{\text{B-L}}$ is not anomalous if we add 3 RH neutrinos.

If the anomalies don't cancel summing over the SM fermions, additional fermions are necessary to make things cancel. They are often charged under the SM gauge groups (and have color and/or charge as a result). I often call those particles “anomalons”.

Mass Mixing

- The dark vector particle could get its mass in part from the SM Higgs, and there are usually other contributions as well.
- For example a dark Higgs sector.
- For a U(1), a Stuckelberg mass.
- If Q_H is nonzero, after EWSB, the mass matrix contains mixing terms between the SM Z and the A' .
- This implies the A' picks up some of the Z boson's interactions, and the Z interactions are modified as well.
- LEP constraints on the Z boson properties typically require such mixing to be less than about 10^{-3} .

Gauge basis:

$$\begin{bmatrix} \hat{m}_Z^2 & -g_D q_H v \hat{m}_Z \\ -g_D q_H v \hat{m}_Z & g_D^2 q_H^2 v^2 + \hat{m}_{A'}^2 \end{bmatrix}$$

Diagonalized by:

$$\begin{bmatrix} \hat{Z}_\mu \\ \hat{A}'_\mu \end{bmatrix} = \begin{bmatrix} \cos \eta & \sin \eta \\ -\sin \eta & \cos \eta \end{bmatrix} \begin{bmatrix} Z_\mu \\ A'_\mu \end{bmatrix}$$

Gauge Basis

Mass Basis

$$\tan 2\eta = \frac{-2g_D Q_H v \hat{m}_Z}{(g_D^2 Q_H^2 v^2 + \hat{m}_{A'}^2) - \hat{m}_Z^2}$$

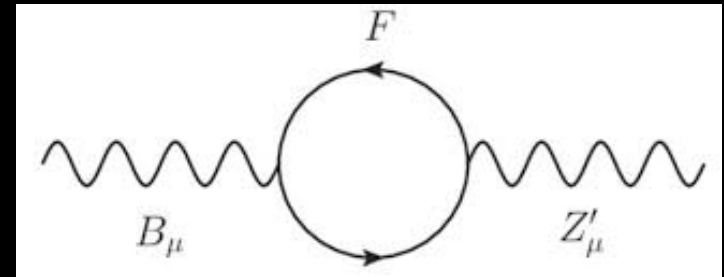
$$\hat{Z}_\mu J_{\text{NC}}^\mu \rightarrow (\cos \eta Z_\mu + \sin \eta A'_\mu) J_{\text{NC}}^\mu$$

Where: $J_{\text{NC}}^\mu = \frac{e}{s_W c_W} (T_3 - Q s_W^2)$

Kinetic Mixing

- In addition to mass mixing, the A' could also pick up couplings through kinetic mixing.
- If it corresponds to a $U(1)$ gauge symmetry, a kinetic term mixing with the Hypercharge force is gauge invariant, and thus allowed.
- In fact, if there are particles charged under both the dark group and hypercharge, such a term will be induced at the loop level.
- The parameter ϵ controls the size of the kinetic mixing.
- Going to the mass basis induces a coupling proportional to the photon's interactions.

$$-\frac{1}{4}\hat{B}^{\mu\nu}\hat{B}_{\mu\nu} + \underbrace{\frac{\epsilon}{2c_W}\hat{B}^{\mu\nu}\hat{F}'_{\mu\nu}} - \frac{1}{4}\hat{F}'^{\mu\nu}\hat{F}'_{\mu\nu}$$



$$\hat{A}_\mu \rightarrow \hat{A}_\mu + \epsilon \hat{A}'_\mu, \quad \hat{Z}_\mu \rightarrow \hat{Z}_\mu - \epsilon t_W \hat{A}'_\mu, \quad A'_\mu \rightarrow A'_\mu$$

$$e \hat{A}_\mu J_{\text{EM}}^\mu \rightarrow e \left(\hat{A}_\mu + \epsilon \hat{A}'_\mu \right) J_{\text{EM}}^\mu$$

In the limit of purely kinetic mixing, A' is usually called a “dark photon”.

A' Coupling Recap

- As a recap, the couplings of the dark gauge boson to the SM fields receive three contributions:
- Directly from the charges of the SM fields:

$$A'_\mu \sum_f \bar{f} \left(c_V^f \gamma^\mu + c_A^f \gamma^\mu \gamma^5 \right) f$$

- Through mass-mixing with the Z boson (if Q_H is nonzero):

$$\hat{Z}_\mu J_{\text{NC}}^\mu \rightarrow (\cos \eta Z_\mu + \sin \eta A'_\mu) J_{\text{NC}}^\mu$$

- (If the charges allow SM Yukawa couplings, the axial part of these two pieces cancel each other. **EXERCISE: Prove this statement!**).

- Through kinetic mixing with the photon (if ϵ is nonzero):

See: 1609.09072 for more details!

$$e \hat{A}_\mu J_{\text{EM}}^\mu \rightarrow e \left(\hat{A}_\mu + \epsilon \hat{A}'_\mu \right) J_{\text{EM}}^\mu$$

- The physical couplings of the A' are the sum of all three of these.

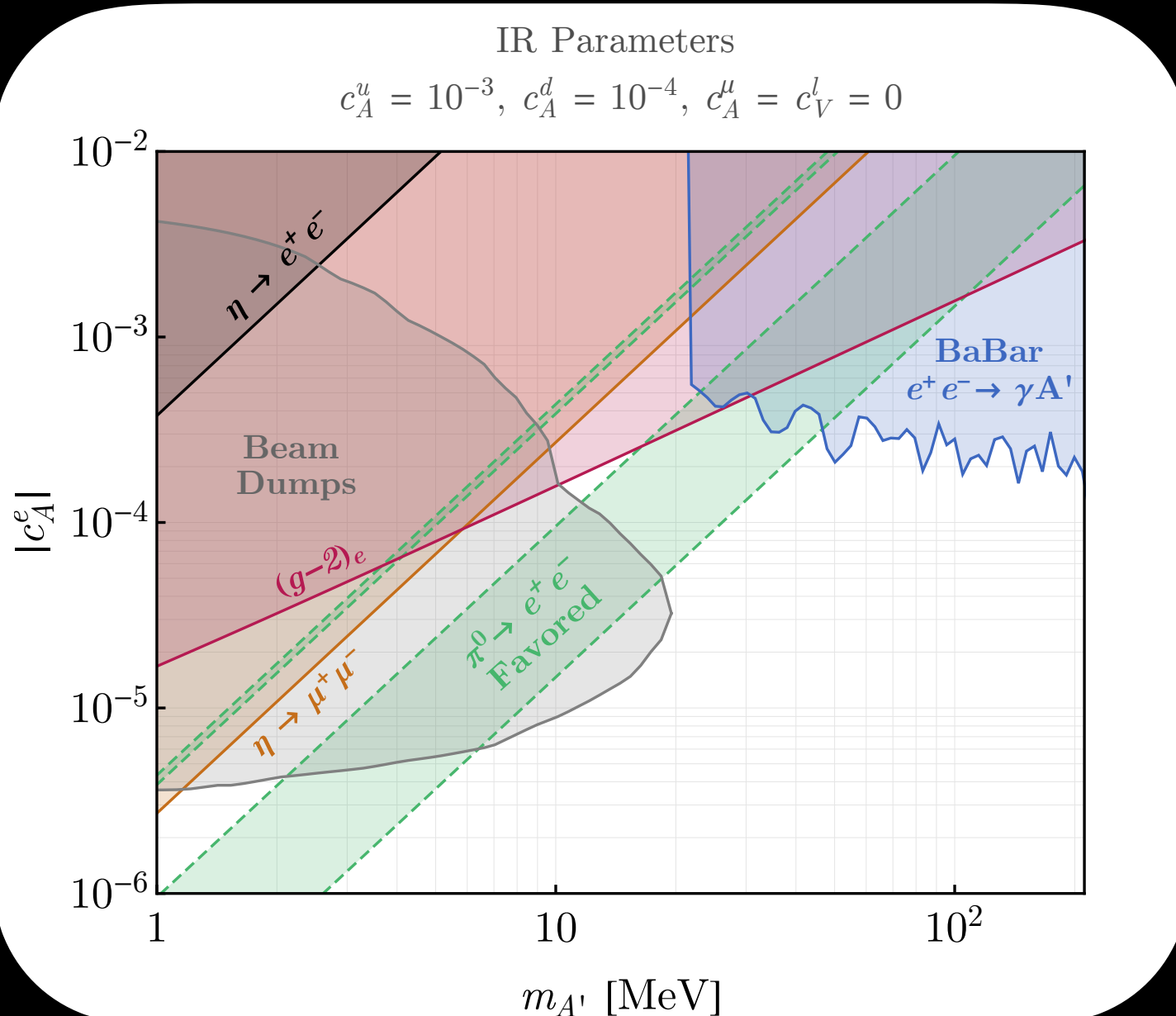
Experimental Constraints

- There is a wealth of data informing the parameter choices for light vector particles. Some of the important ones include:
 - $(g-2)_e$ and $(g-2)_\mu$, which is famously high by about 3.5σ and thus could be suggestive of target regions of parameter space in muon couplings.
 - Atomic Parity Violation (APV) in cesium at $Q^2 \sim (30 \text{ MeV})^2$ which constrains products of $c^q_V \times c^e_A$.
 - Parity violation in Moller scattering by E158 at SLAC at $Q^2 \sim (100 \text{ MeV})^2$ which constrains the product $c^e_V \times c^e_A$.
 - Neutrino-Electron scattering by Borexino and TEXONO at $Q^2 \sim (\text{MeV})^2$ which constrains the product $c^e_V \times c^V$, through interference with the SM process.
 - Meson decays, such as searches for $\pi^0 \rightarrow \gamma A'$ by NA48/2, which puts strong constraints on a combination of c^u_V and c^d_V , but much milder constraints on the axial vector interactions.

Experimental Constraints

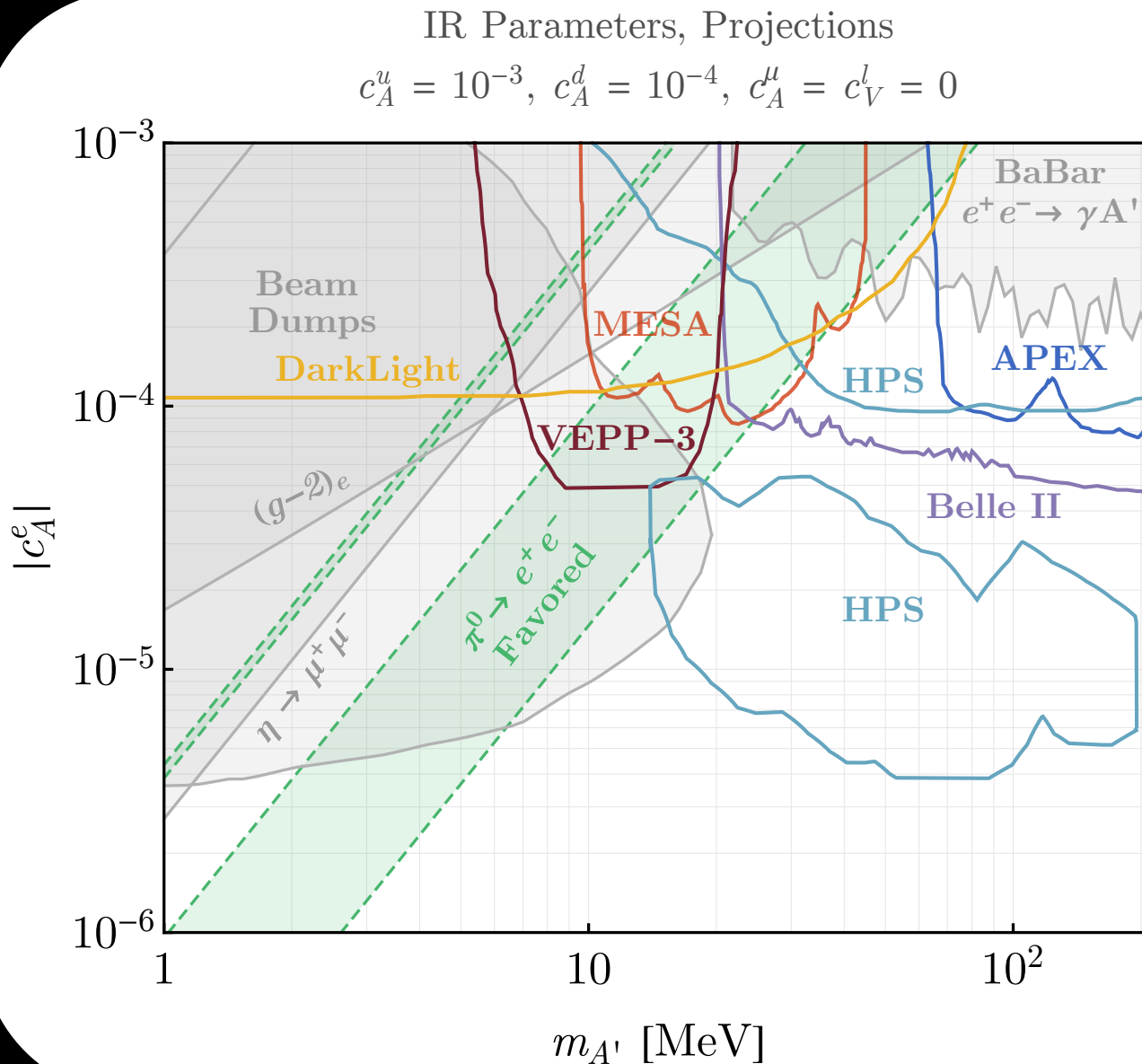
- Meson decay $\pi^0 \rightarrow e^+ e^-$ as measured by KTeV. Since they see a $\sim 2.5\sigma$ discrepancy with the SM, this favors specific choices of the couplings $(c_A^u - c_A^d) \times c_A^e$ and mass of the A' . (Also: there are constraints from η decays into e^+e^- and $\mu^+\mu^-$).
- The annihilation process $e^+e^- \rightarrow \gamma A'$ at high intensity colliders (such as B-factories) puts a constraint on $(c_V^e)^2 + (c_A^e)^2$.
- Similarly, fixed target experiments can use the process $e p \rightarrow e p A'$ through bremsstrahlung to also put a constraint on $(c_V^e)^2 + (c_A^e)^2$.
- If $m_{A'} > 2 m_\mu$, the A' can decay visibly into dimuons, which could be visible in decays of heavy vector mesons such as ψ or $\Upsilon \rightarrow \gamma A'$. These put constraints on the c_A couplings for the heavy quarks, c and b .
- Conversely, for $m_{A'} < 2 m_e$, the A' has only very suppressed decays to neutrinos or to 3 γ 's. Generally there are strong constraints from stellar cooling bounds.

IR Benchmark #1



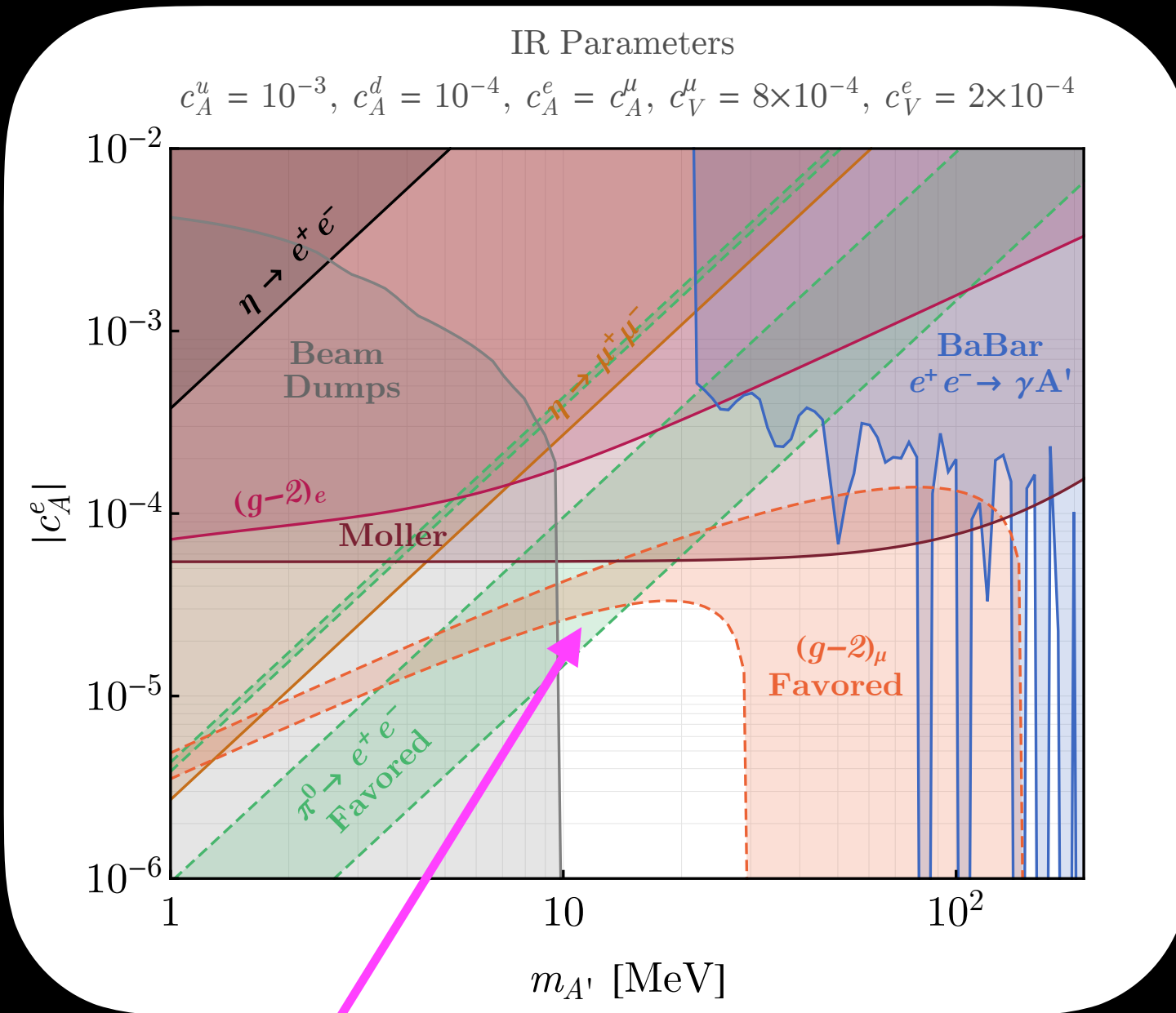
All other couplings assumed to vanish.

Future Projections



All other couplings assumed to vanish.

IR Benchmark #2

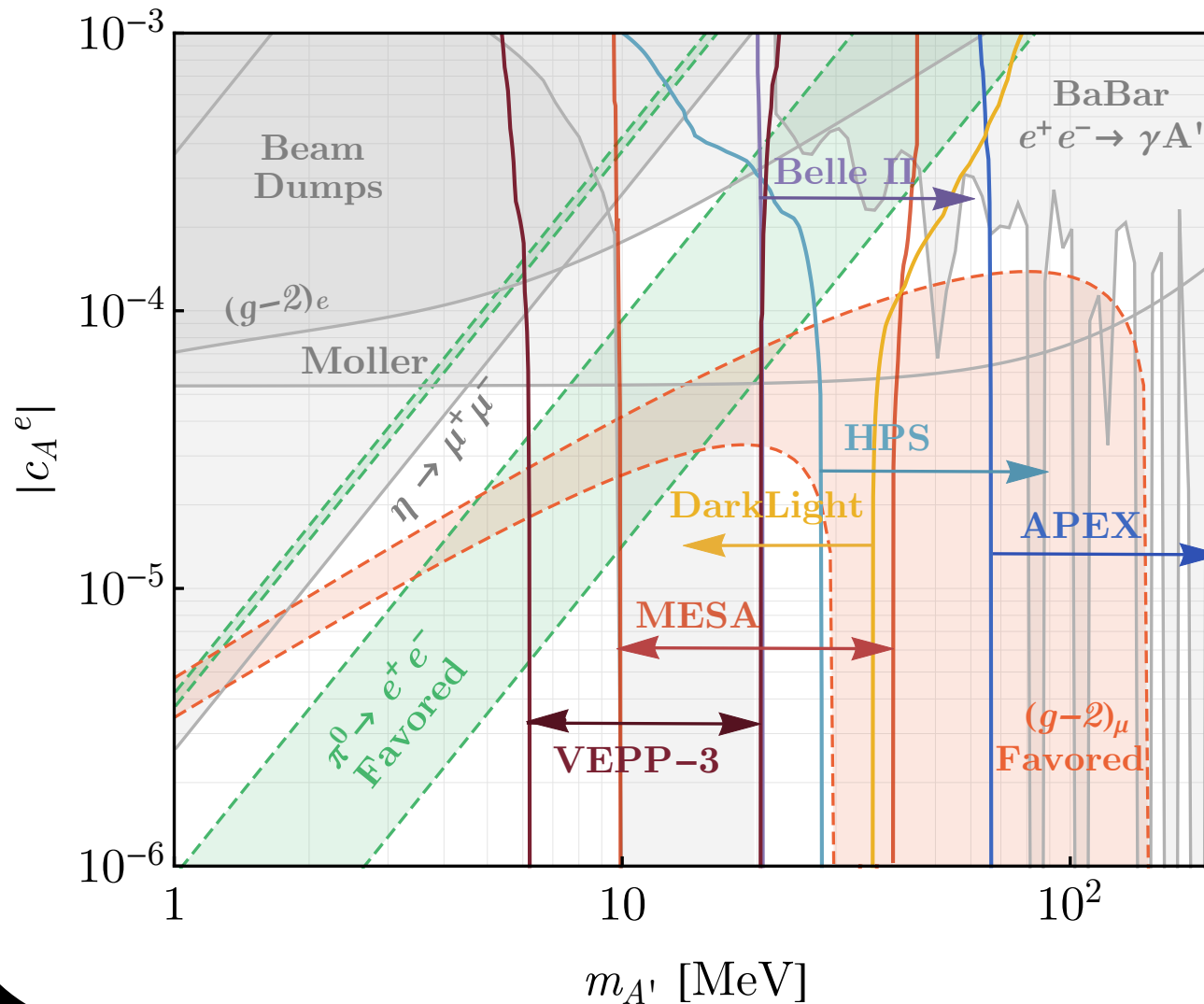


● Possible to fit $g-2$ and KTeV.

Future Projections

IR Parameters, Projections

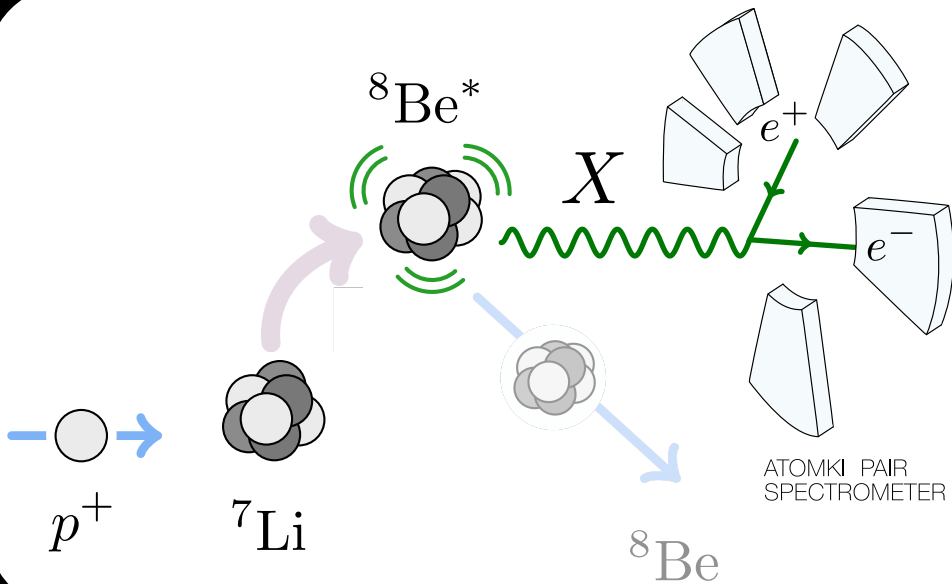
$$c_A^u = 10^{-3}, c_A^d = 10^{-4}, c_A^e = c_A^\mu, c_V^\mu = 8 \times 10^{-4}, c_V^e = 2 \times 10^{-4}$$



Case Study: ATOMKI X17

Observation of Anomalous Internal Pair Creation in ^8Be : A Possible Signature of a Light, Neutral Boson

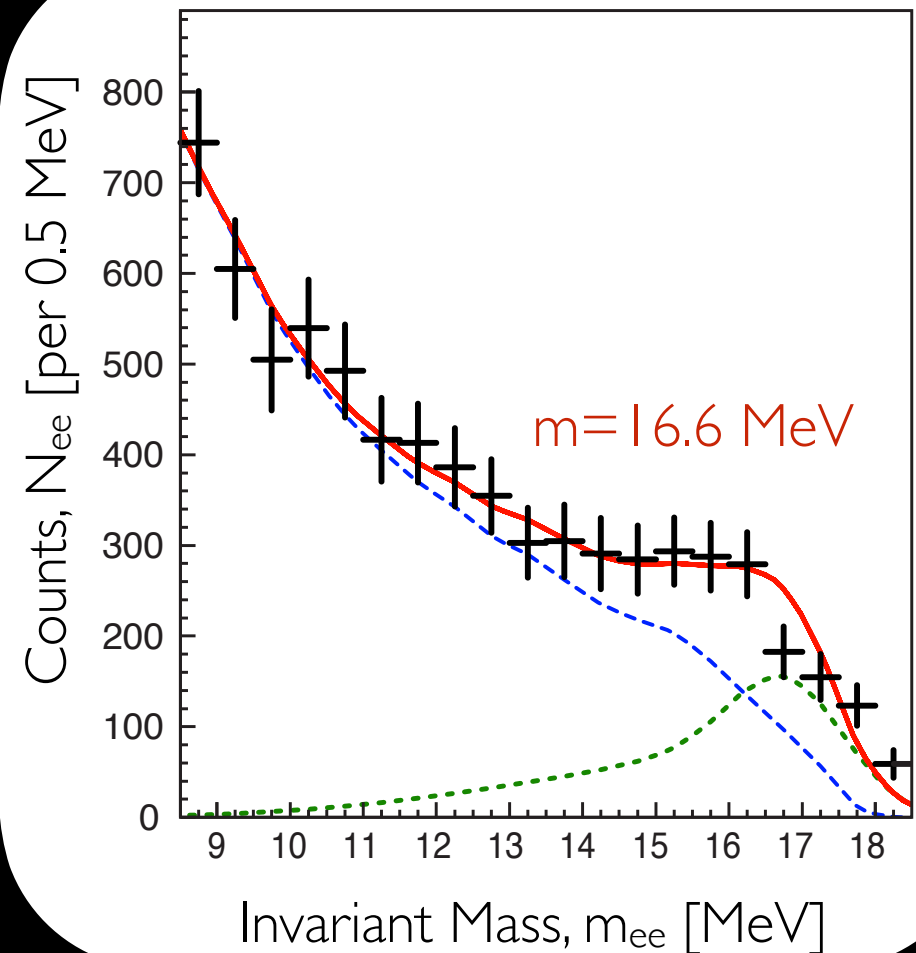
A.J. Krasznahorkay, et al. PRL 116, 042501 (2016); arXiv:1504.01527



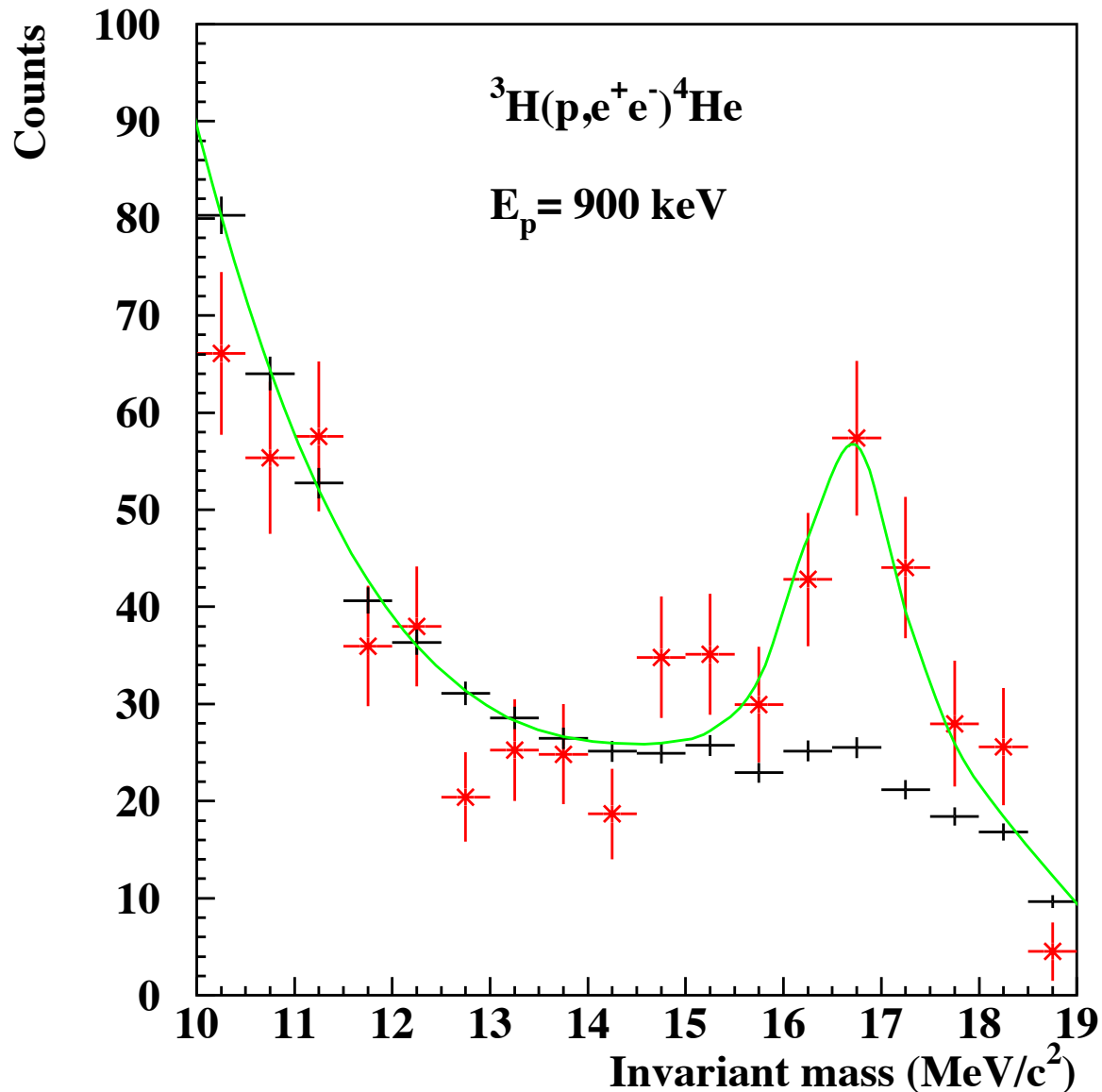
$$m_X = 16.7 \pm 0.35 \text{ (stat)} \pm 0.5 \text{ (sys)} \text{ MeV}$$

$$\frac{\Gamma(^8\text{Be}^* \rightarrow ^8\text{Be} X)}{\Gamma(^8\text{Be}^* \rightarrow ^8\text{Be} \gamma)} \text{Br}(X \rightarrow e^+ e^-) = 5.8 \times 10^{-6}$$

I'll explore a light spin-1 particle with vector couplings as the X particle. Of course, this result needs experimental confirmation, and to rule out nuclear physics explanations.



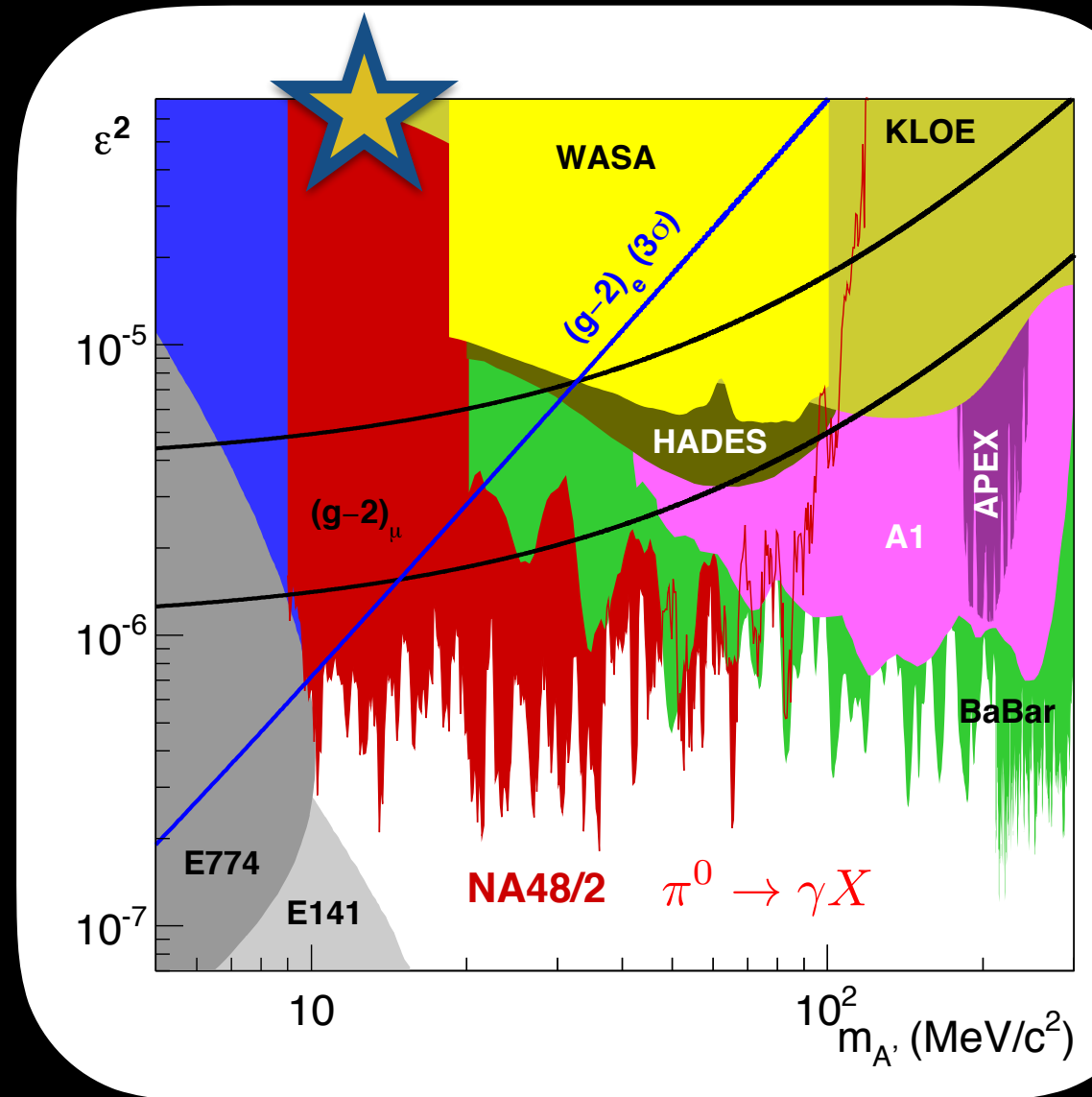
He-4



In 1910.10459, they report evidence of a similar excess in a transition of He-4 for essentially the same mass of $\sim 17 \text{ MeV}$.

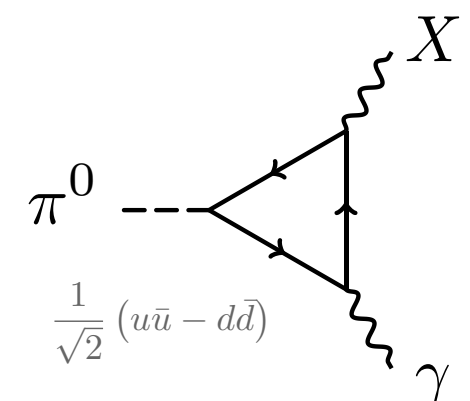
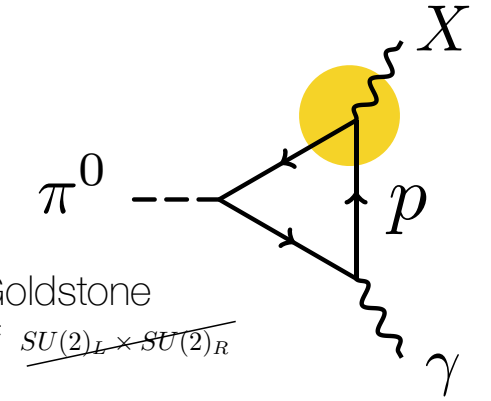
Dark Photon

- I decided (somewhat arbitrarily) to look at models with vector couplings.
- As we already saw, a simple model with vector couplings is the dark photon limit, where all of the SM charges are zero, and there is no mass mixing.
- There can still be kinetic mixing, and the entire parameter space in that case is the A' mass and ϵ .
- However, this is strongly ruled out by NA48/2 for couplings big enough to explain ATOMKI results.



Proto-phobic Vectors

- We'd like to engineer away the bounds from NA48/2 without turning off couplings to first generation quarks altogether, which drives us to "proto-phobic" couplings:

 FROM QUARK CONTENT $Q_u Q'_u - Q_d Q'_d = 0$ $Q'_d = -2Q'_u$	 Goldstone of $\cancel{SU(2)_L \times SU(2)_R}$ STEINBERGER CALCULATION $N = \binom{p}{n}$
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- (Also note that axial vectors will naturally evade NA48/2, since their couplings to π^0 do not go through the anomaly, and are thus suppressed by the small quark masses.)

Fit to ATOMKI

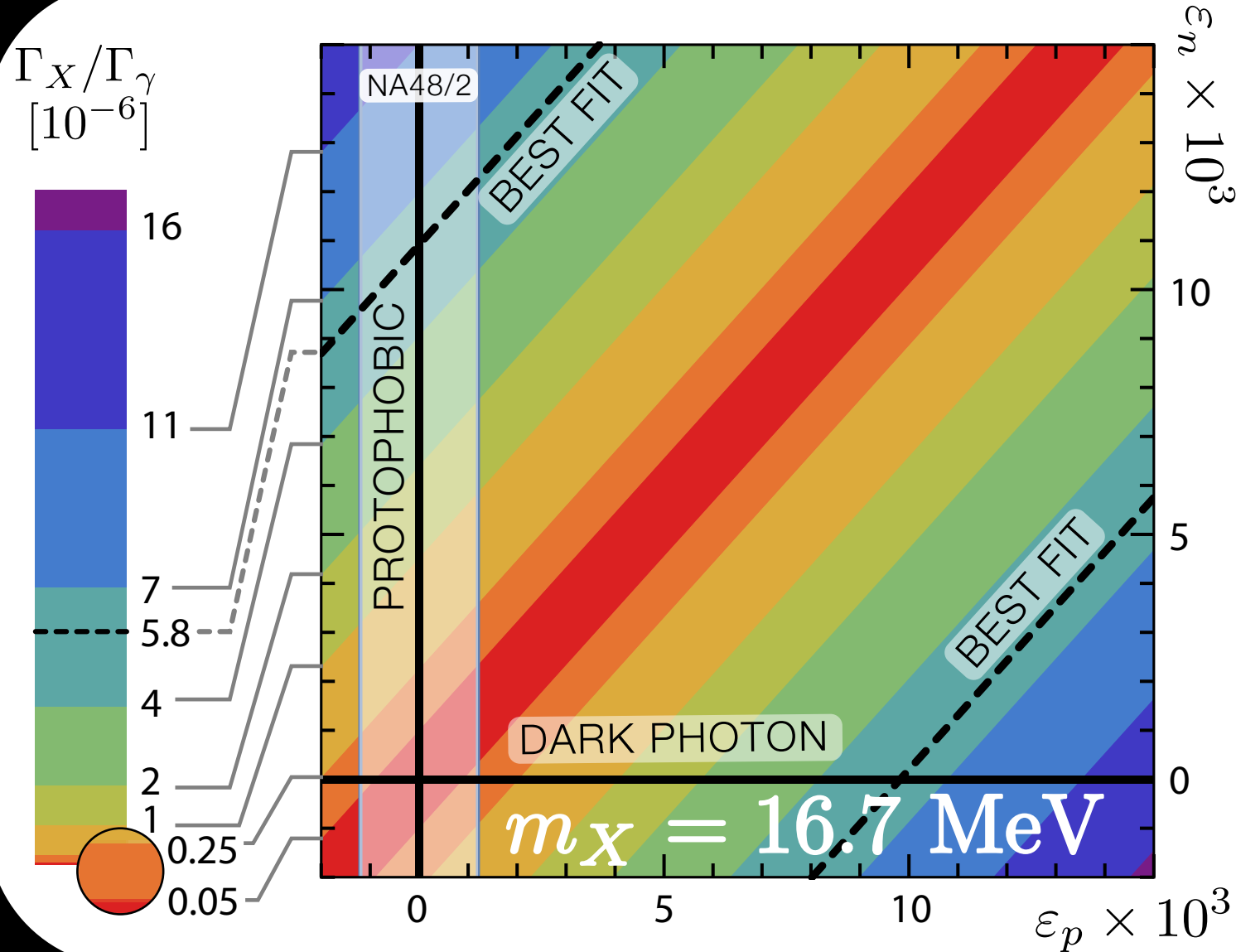
$$\frac{\Gamma_X}{\Gamma_\gamma} = \frac{|(\varepsilon_p + \varepsilon_n)\beta_1 M1_{1,T=0} + (\varepsilon_p - \varepsilon_n)(-\alpha_1 M1_{1,T=1} + \beta_1 \kappa M1_{1,T=1})|^2 |\mathbf{k}_X|^3}{|\beta_1 M1_{1,T=0} - \alpha_1 M1_{1,T=1} + \beta_1 \kappa M1_{1,T=1}|^2 |\mathbf{k}_\gamma|^3}$$

arXiv:1609.07411

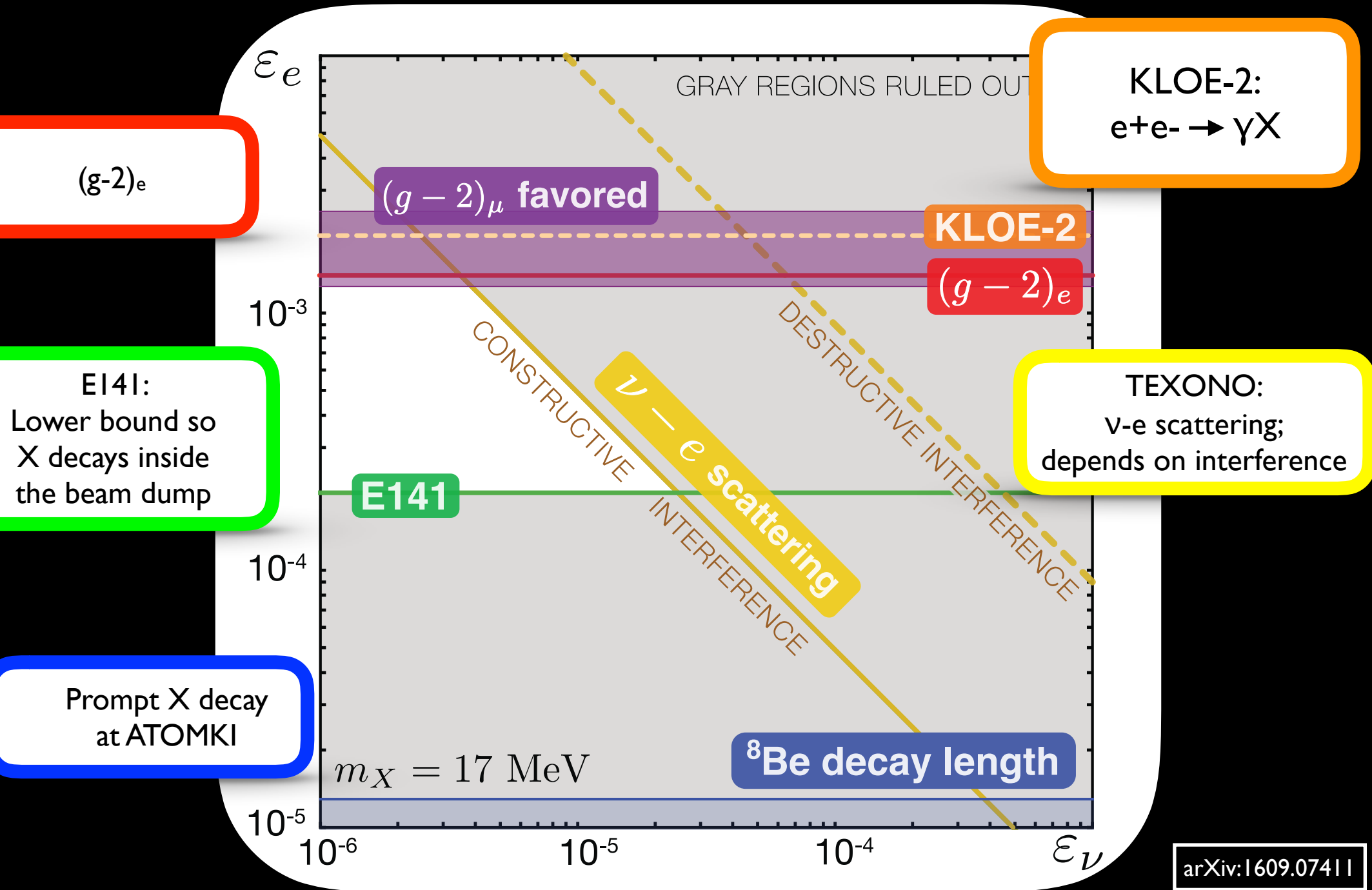
Nuclear Physics...

$$g_i \equiv e \times \varepsilon_i$$

To explain the ATOMKI results, one would like a coupling ε to neutrons of order 10^{-2} and one to protons $<$ about 10^{-3} .



Lepton Couplings



Summary of IR Parameters

$$\varepsilon_u = -\frac{1}{3}\varepsilon_n \approx \pm 3.7 \times 10^{-3}$$

Protophobic to ~10%

$$\varepsilon_d = \frac{2}{3}\varepsilon_n \approx \mp 7.4 \times 10^{-3}$$

$$2 \times 10^{-4} \lesssim |\varepsilon_e| \lesssim 1.4 \times 10^{-3}$$

E141 and (g-2)_e

$$|\varepsilon_\nu \varepsilon_e|^{1/2} \lesssim 7 \times 10^{-5}$$

TEXONO

Future Outlook

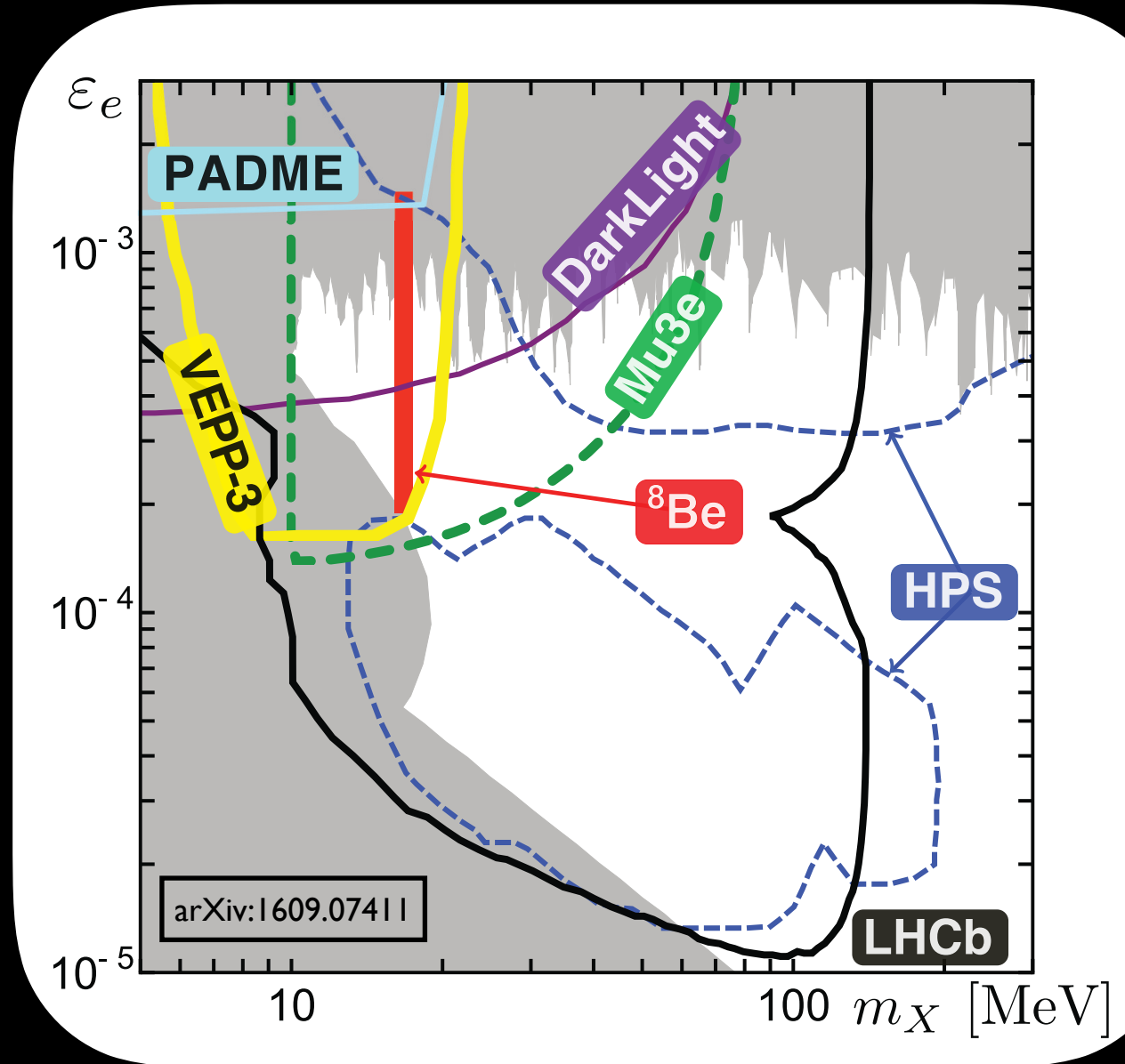
- Upcoming low energy experiments can probe the relevant parameter space...

Mu3e, phase 2
(starting 018)

LHCb, run 3
(2021-2023)

Darklight
 $e^+e^- \rightarrow \gamma X$
(a few years?)

VEPP-3 (proposed)
 $e^+e^- \rightarrow \gamma X$



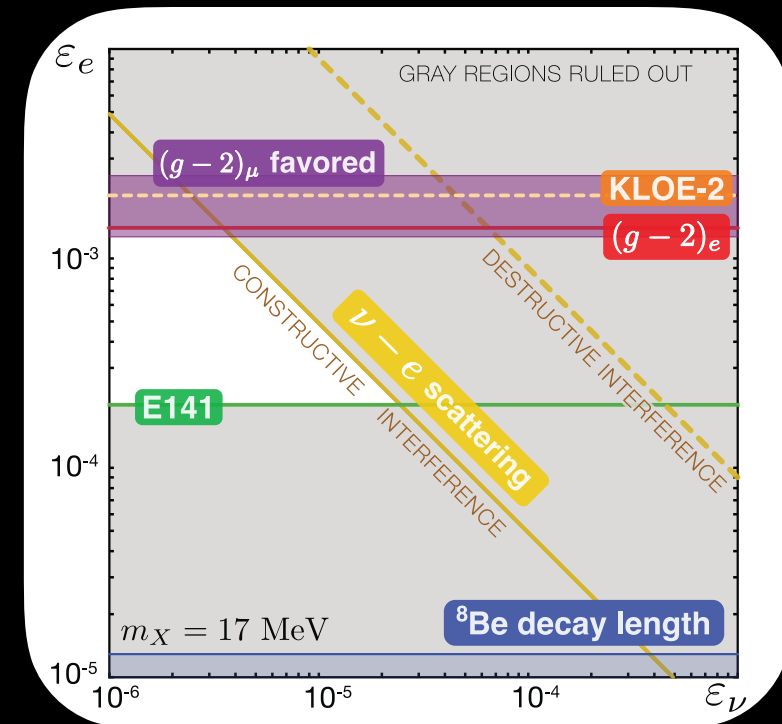
UV Model: U(1) Baryon

- To begin with, take $U(1)_B$.
- By itself, this results in equal couplings to proton and neutron. The proton is neutralized if we **tune** the kinetic mixing parameter $\epsilon = -g_B$.
- This tuning is $O(10\%)$ to successfully evade NA48/2.
- The electron couplings tend to be generically a bit too big.
- (However, the muon couplings are in the ballpark needed to address $(g - 2)_\mu$!)
- Neutrino couplings are naturally zero.

$$\begin{aligned}\epsilon_u &= \frac{1}{3}\epsilon_B + \frac{2}{3}\epsilon \\ \epsilon_d &= \frac{1}{3}\epsilon_B - \frac{1}{3}\epsilon \\ \epsilon_\nu &= 0 \\ \epsilon_e &= -\epsilon.\end{aligned}$$

$$\epsilon = -g_B + \delta$$

$$\begin{aligned}\epsilon_u &= -\frac{1}{3}\epsilon_B + \frac{2}{3}\delta \\ \epsilon_d &= \frac{2}{3}\epsilon_B - \frac{1}{3}\delta \\ \epsilon_\nu &= 0 \\ \epsilon_e &= \epsilon_B - \delta,\end{aligned}$$



U(1) Baryon Anomalons

- Cancelling anomalies requires us to add more fermions.
- A set of fermions which look like a chiral family of leptons (but carrying baryon number) will do the trick.
- The U(1)B - breaking Higgs VEV is too small to give them big enough masses, so they get the bulk of their masses from the SM Higgs.
- Contributions to precision electroweak S and T parameters are acceptable for $\Delta M \sim 50$ GeV.
- LHC bounds require $M >$ about 500 GeV.

Field	Isospin I	Hypercharge Y	B
S_B	0	0	3
Ψ_L	$\frac{1}{2}$	$-\frac{1}{2}$	B_1
Ψ_R	$\frac{1}{2}$	$-\frac{1}{2}$	B_2
η_R	0	-1	B_1
η_L	0	-1	B_2
χ_R	0	0	B_1
χ_L	0	0	B_2

$$B_2 - B_1 = 3$$

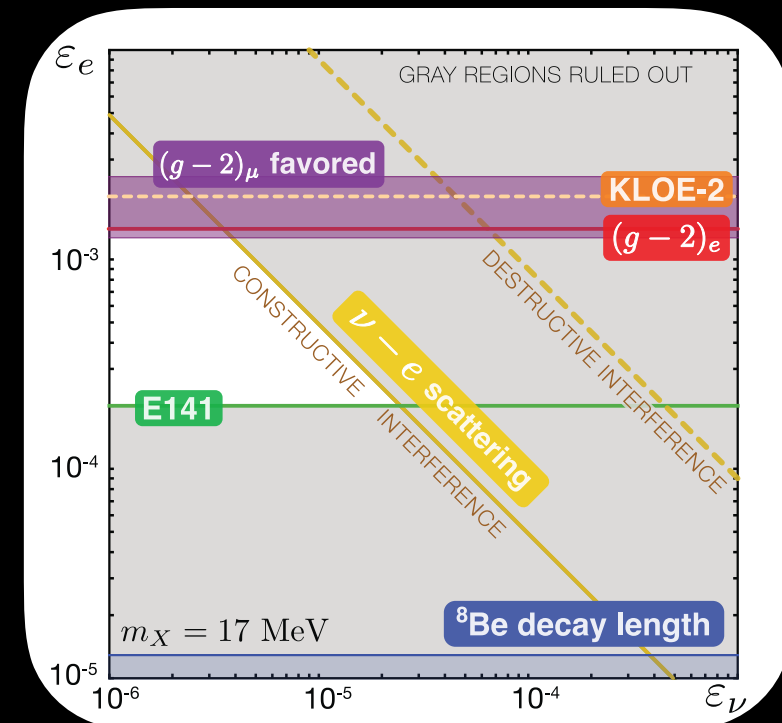
$$\begin{aligned} \mathcal{L}_Y = & -y_1 \bar{\Psi}_L h_{\text{SM}} \eta_R - y_2 \bar{\Psi}_L \tilde{h}_{\text{SM}} \chi_R - y_3 \bar{\Psi}_R h_{\text{SM}} \eta_L - y_4 \bar{\Psi}_R \tilde{h}_{\text{SM}} \chi_L \\ & - \lambda_\Psi S_B \bar{\Psi}_L \Psi_R - \lambda_\eta S_B \bar{\eta}_R \eta_L - \lambda_\chi S_B \bar{\chi}_R \chi_L + \text{h.c.} \end{aligned}$$

These new fermions look something like charginos and neutralinos in the MSSM.

UV Model: U(1) B-L

- An intrinsically anomaly free option is $U(1)_{B-L}$.
- This still results in equal couplings to proton and neutron, so again we neutralize the proton by $O(10\%)$ **tuning** of the kinetic mixing parameter to $\varepsilon = -g_{B-L}$.
- Now the electron couplings are naturally smaller than the quark couplings, as desired.
- The price to pay is that the neutrino couplings are not only non-zero, but roughly the size of the neutron coupling; too big!
- There are ways to fix that...

$$\begin{aligned}\varepsilon_u &= -\frac{1}{3}\varepsilon_{B-L} + \frac{2}{3}\delta \\ \varepsilon_d &= \frac{2}{3}\varepsilon_{B-L} - \frac{1}{3}\delta \\ \varepsilon_\nu &= -\varepsilon_{B-L} \\ \varepsilon_e &= -\delta.\end{aligned}$$



Outlook

- Light new physics is an important ingredient in physics beyond the SM.
- I discussed some of the issues related to MeV — GeV theories containing vector particles, and used the ATOMKI anomaly as an example to show how model-building can work.
- There are still a lot of issues I didn't have time to cover:
 - More systematic exploration of UV theories
 - Connection to Dark Matter
 - Phenomenology of light dark Higgses.
- Nature may still contain secrets for us to discover below the GeV scale...

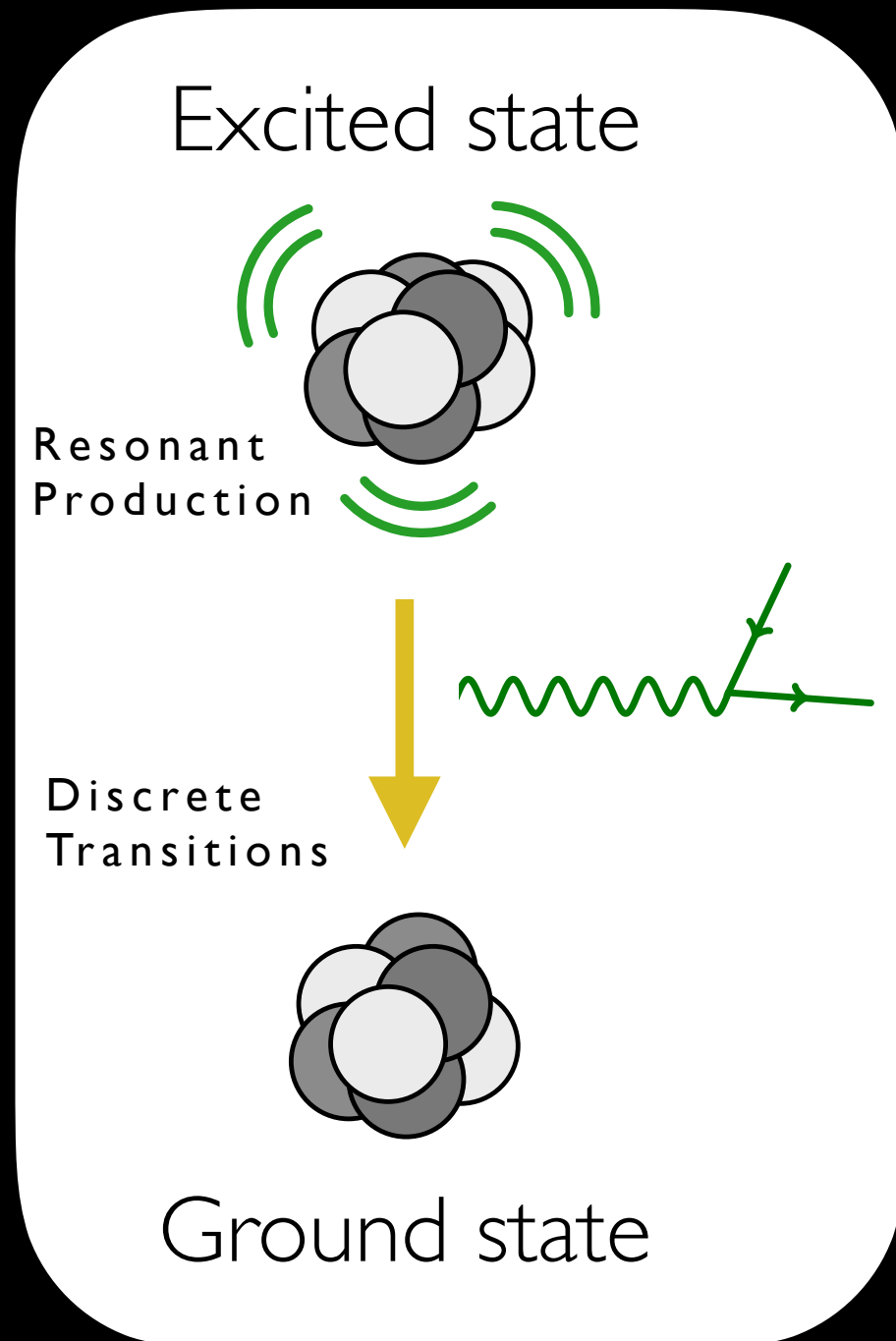
Bonus Slides

Beryllium-8

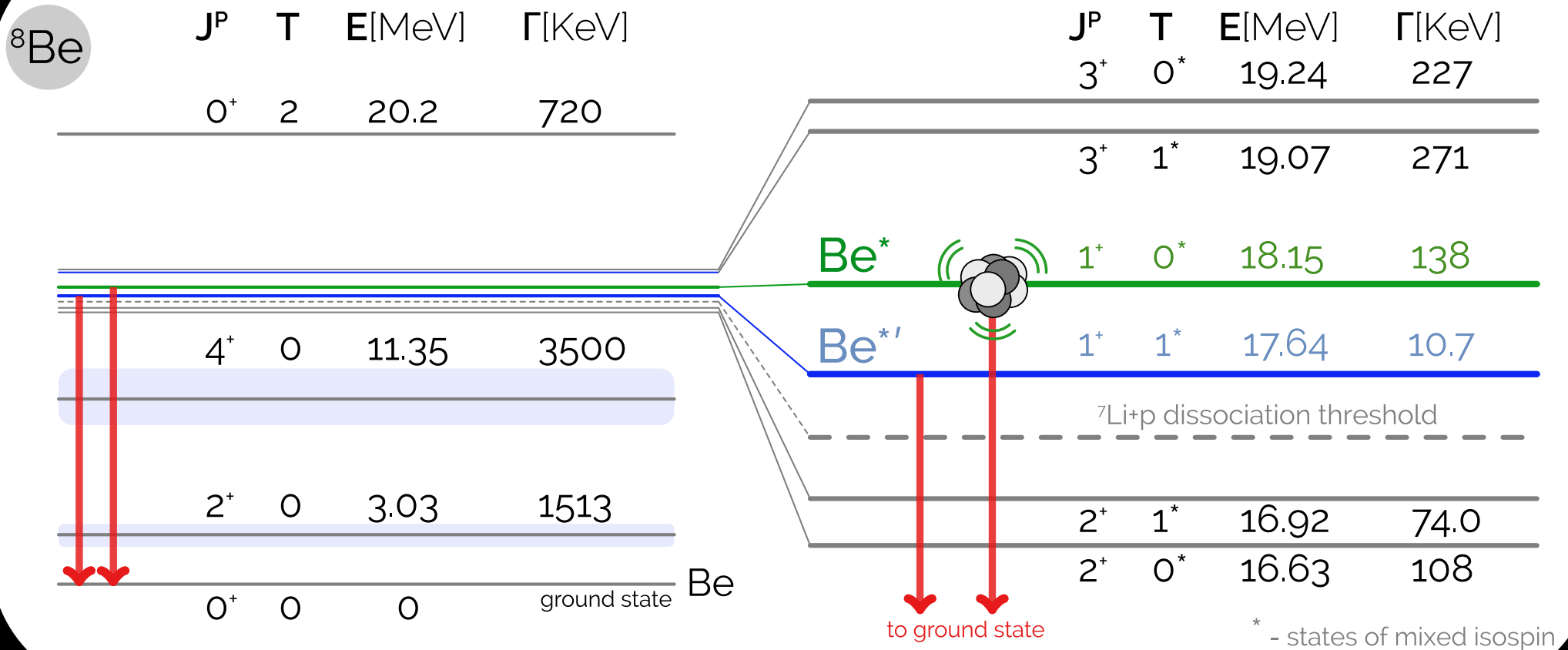
Be-8 As a New Physics Lab

- Beryllium-8 is composed of four protons and four neutrons.
- Its ground state decays into two alpha particles.
- It is a somewhat unusual nucleus:
 - It has large excitations (~ 20 MeV) with reasonably long lifetimes.
 - Relatively easy to make in the lab from $p + {}^7\text{Li}$.
- Transitions from excited to ground states probe MeV-scale weakly coupled physics, such as an axion.

Treiman & Wilczek, Phys. Lett. B74 ('78);
Donnelly et al., Phys. Rev. D18 ('78)



Be-8 Levels



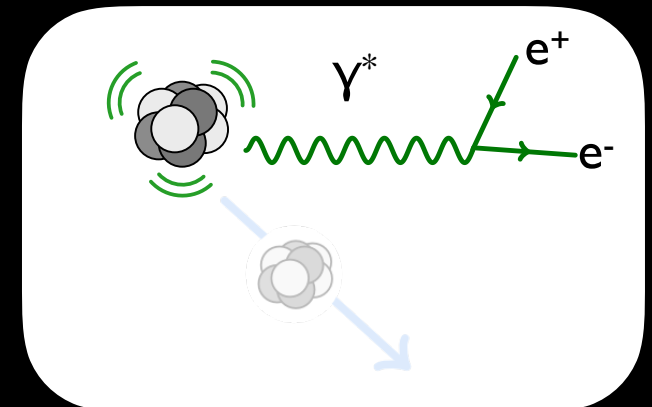
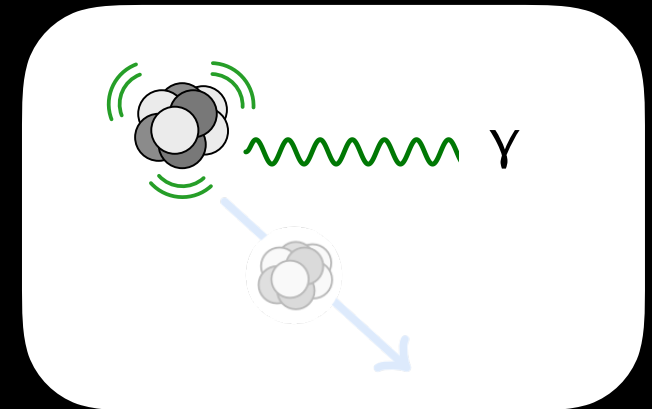
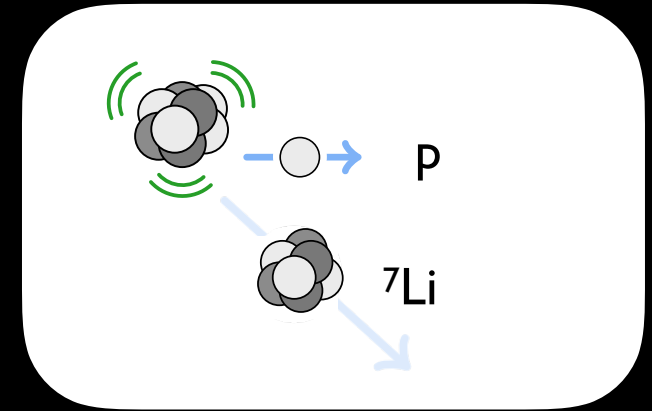
- The Be-8 ground state is a 0^+ isosinglet.
- There are a variety of excited states with different spins and isospins.
- For today, interested in the 1^+ 17.64 $\text{Be}^{*'}$ and 18.15 Be^* states. There is some evidence that these states are actually admixtures of isotriplet and isosinglet.

arXiv:1609.07411

Pastore et al, PRC90 (2014) [1406.2343]

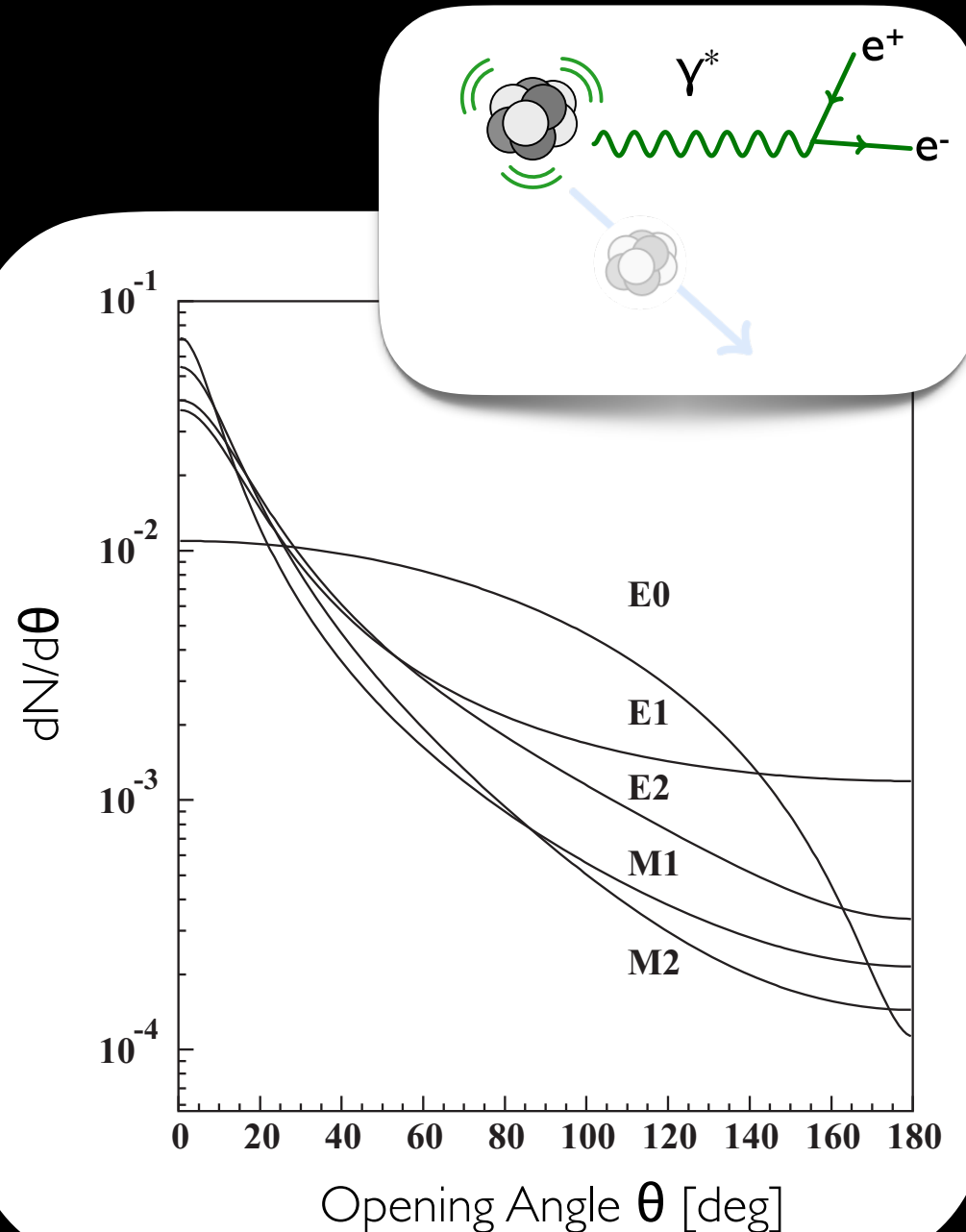
Be* Decays

- Be* decays are dominantly a hadronic transition into ${}^7\text{Li} + \text{p}$.
- There are also rare M1 electromagnetic transitions into a gamma ray and the ${}^8\text{Be}$ ground state.
- Even rarer still is through an off-shell photon (still M1), leading to a final state of e^+e^- plus the ${}^8\text{Be}$ ground state.
- This process is often referred to as “internal pair creation” (IPC).



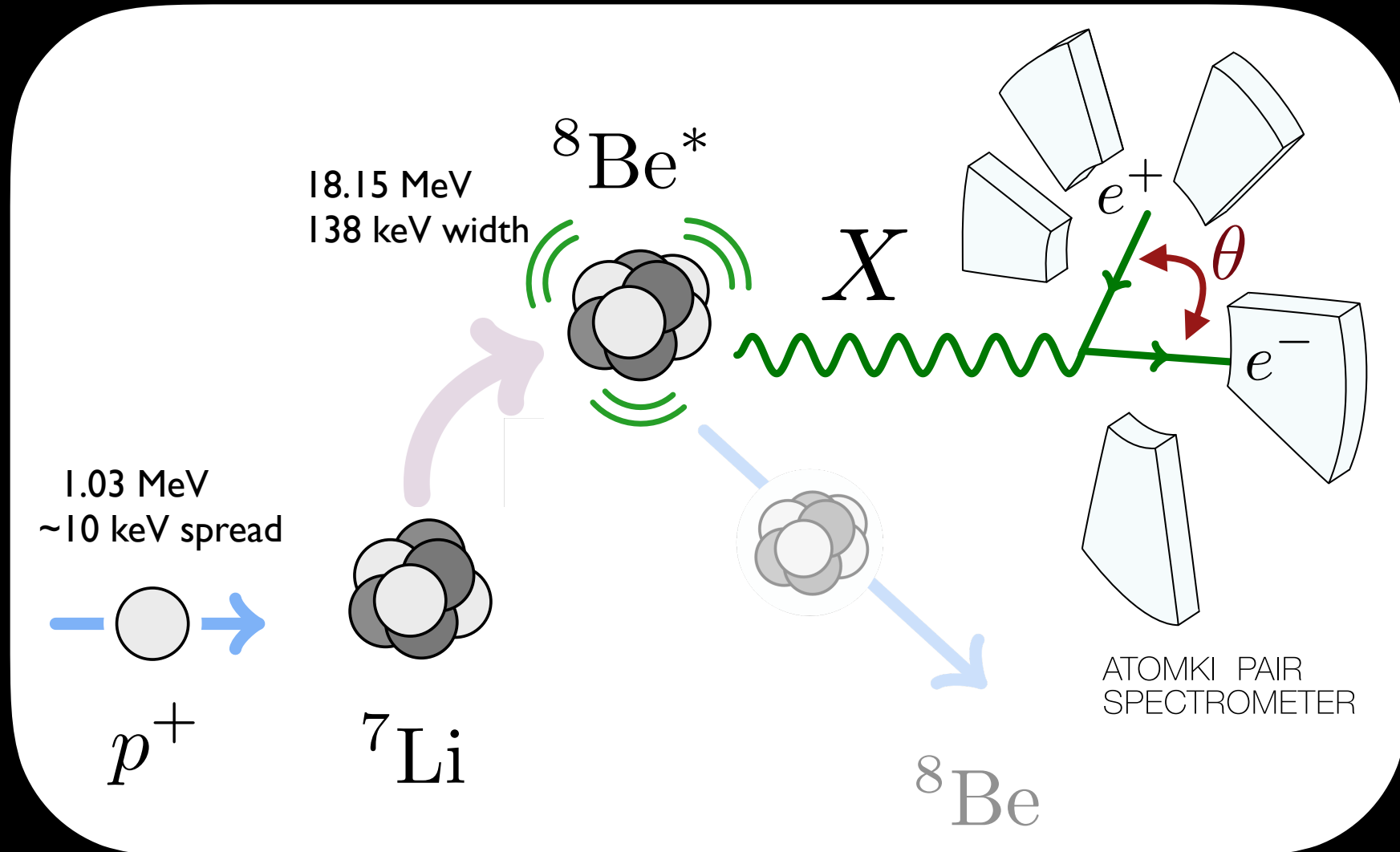
Internal Pair Creation

- Internal pair creation is observed for a variety of nuclear transitions.
- It is generally well-described analogously to atomic transitions.
 - They can be classified as E or M and the angular momentum $l = 0, 1, 2, \dots$
- The photon propagator leads to an invariant mass of the e^+e^- which falls with rising m_{ee} .
- All of these transitions are monotonically falling and expected to be pretty smooth.



The ATOMKI Experiment

ATOMKI Experiment



- The ATOMKI experiment produces a beam of protons with well-calibrated energy which strike a thin lithium foil, producing excited states of ${}^8\text{Be}$. Particular excited states can be selected by adjusting the energy of the protons in the beam.
- Detectors measure the e^+e^- opening angle and their energies.

ATOMKI Experiment



**Observation of Anomalous Internal
Pair Creation in 8Be : A Possible
Signature of a Light, Neutral Boson**

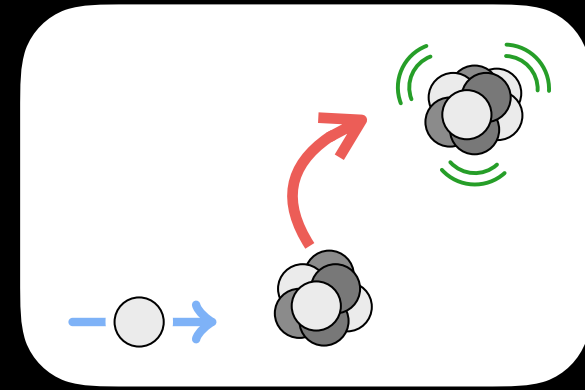
A.J. Krasznahorkay, et al. PRL 116, 042501 (2016)
arXiv:1504.01527

**A pair spectrometer for measuring
multipolarities of energetic nuclear
transitions**

J. Gulyás, et al. NIM-A 808, 21 (2016);
arXiv:nucl-ex/0311002

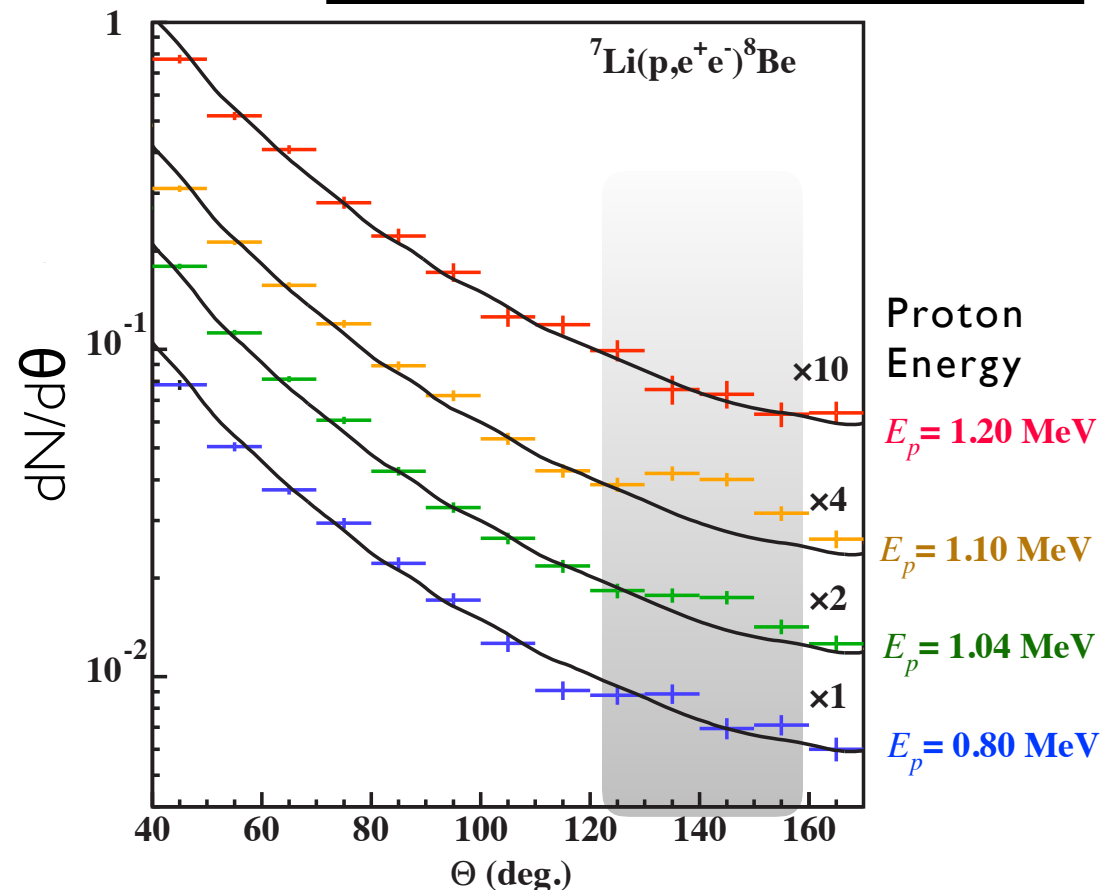


Energy Scan



- The ATOMKI experiment observes a bump-like structure in opening angles around 140 degrees when they scan through the Be^* resonance.
- Off-resonance runs, both above and below the Be^* state seem to match the naive expectations of an MI IPC transition.
- In particular, the 17.64 MeV Be^* state does not see the same enhancement.
- The (local) statistical significance of the bump structure is $\sim 6.8\sigma$ above background.

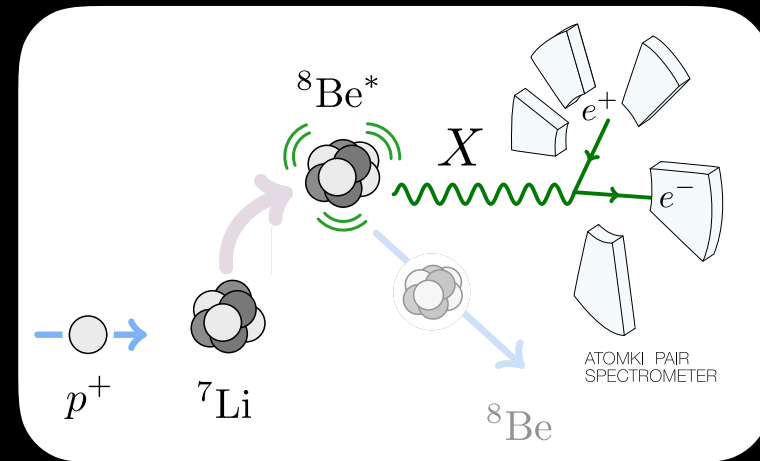
A.J. Krasznahorkay, et al. PRL 116, 042501 (2016)



(Curves are artificially scaled for readability)

Event Selection

- A resonant structure in the opening angle is suggestive of a peak in the e^+e^- invariant mass.
- Maybe Be^* can decay into a new state of some kind (which itself decays into e^+e^-) and the ground state?
- Given the intriguing result, the ATOMKI analysis examines some of the characteristics of the resonance-like signal, based on measurements of the e^+ and e^- energies.
- The invariant mass of the e^+e^- defines the mass of the hypothetical new state. It should be produced with a definite boost, and so the opening angle should correlate with that mass appropriately.
- The opening angle observable is correlated, but distinct from the invariant mass.



The Be^* is produced with $v \sim 0.02$, very close to at rest.

$$m_{ee}^2 = 2E_{e^+}E_{e^-} - 2\sqrt{E_{e^+}^2 - m_e^2}\sqrt{E_{e^-}^2 - m_e^2}\cos\theta + 2m_e^2$$

Event Selection 2

- They also define the “symmetric-ness” of the e^+e^- pair, y .
- A two body decay of Be^* into the ground state and a new particle should have roughly equal energies for the e^+ and the e^- .
- They divide their data into events with $y < 0.5$ and $y > 0.5$.
- To avoid the possibility of decay into a lower level excited state (rather than directly to the ground state), they apply a cut on the sum of the e^+ and e^- energies.

$$y \equiv \frac{E_{e^+} - E_{e^-}}{E_{e^+} + E_{e^-}}$$

$$\begin{aligned} m_{ee}^2 &= 2E_{e^+}E_{e^-} - 2\sqrt{E_{e^+}^2 - m_e^2}\sqrt{E_{e^-}^2 - m_e^2}\cos\theta + 2m_e^2 \\ &= (1 - y^2)E^2 \sin^2 \frac{\theta}{2} + 2m_e^2 \left(1 + \frac{1 + y^2}{1 - y^2} \cos\theta\right) + \mathcal{O}(m_e^4) \end{aligned}$$

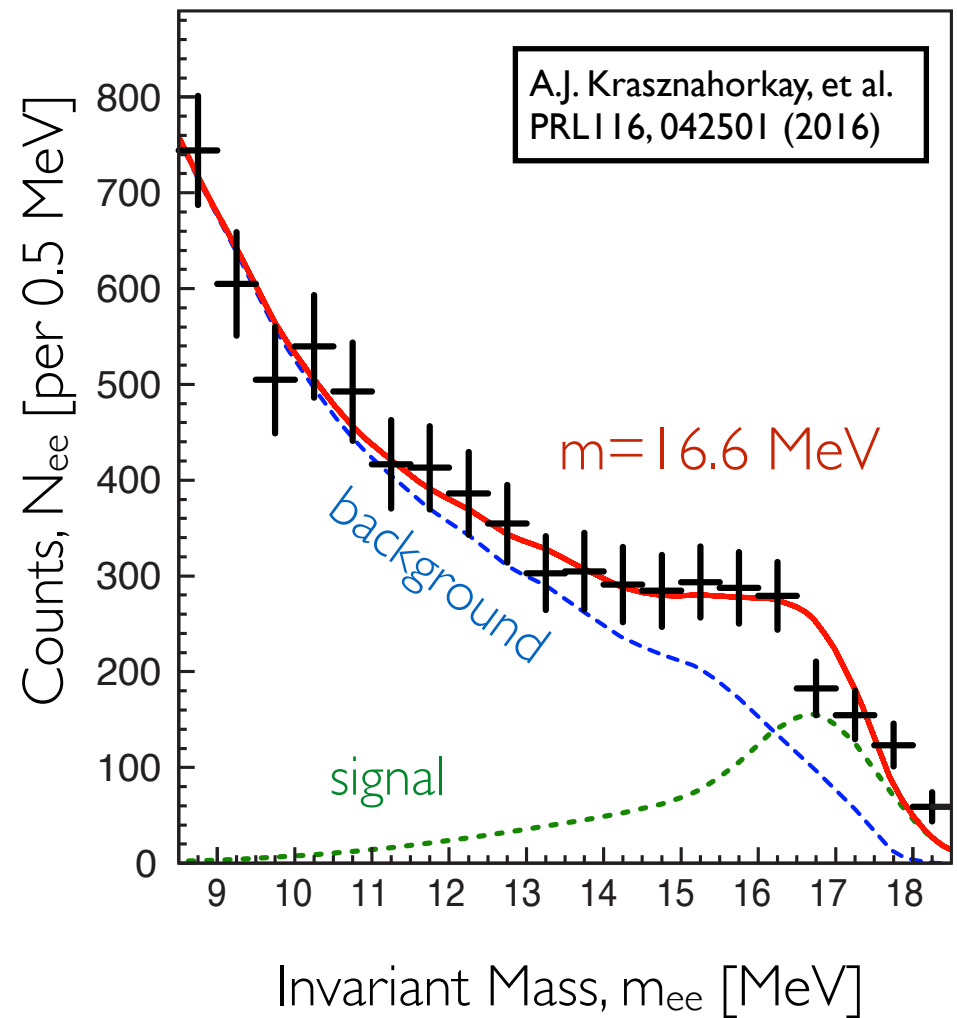
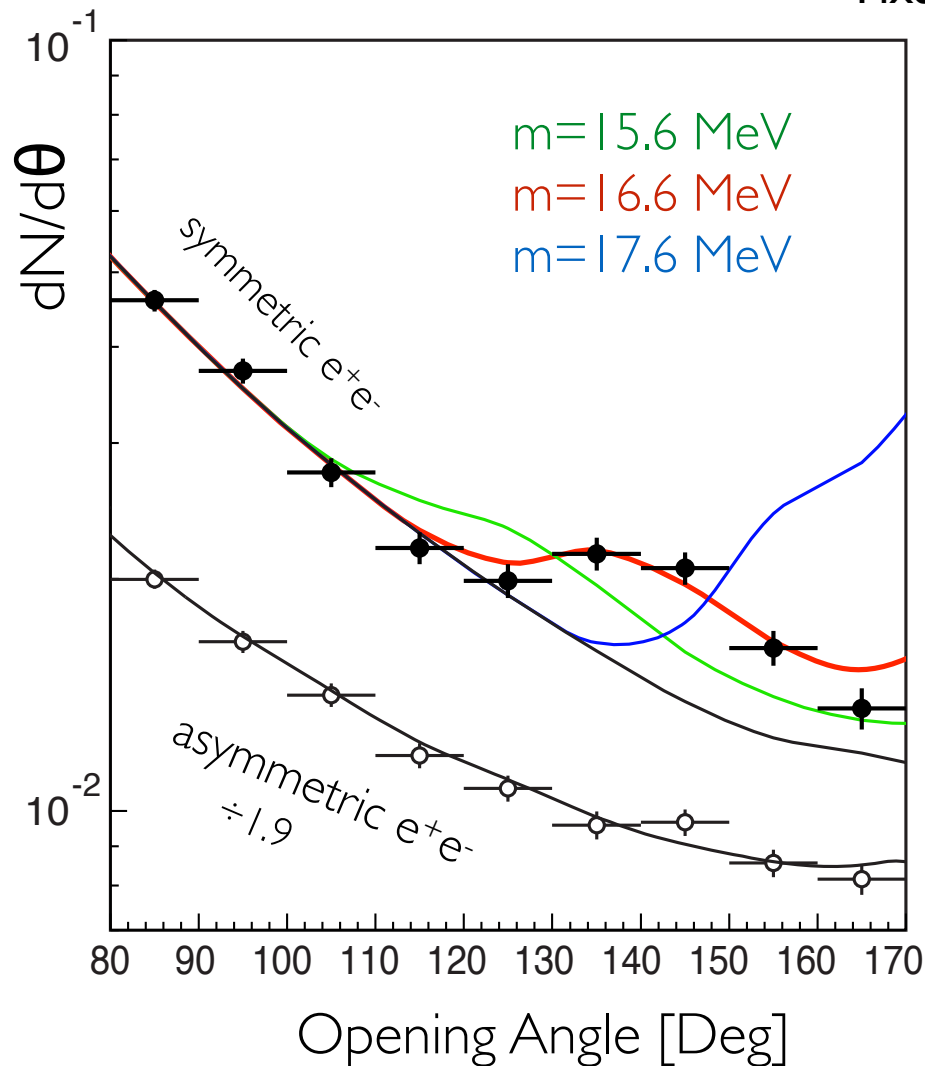
“Symmetric”: $y < 0.5$

“Asymmetric”: $y > 0.5$

$$E \equiv E_{e^+} + E_{e^-} > 18 \text{ MeV}$$

Event Selection 2

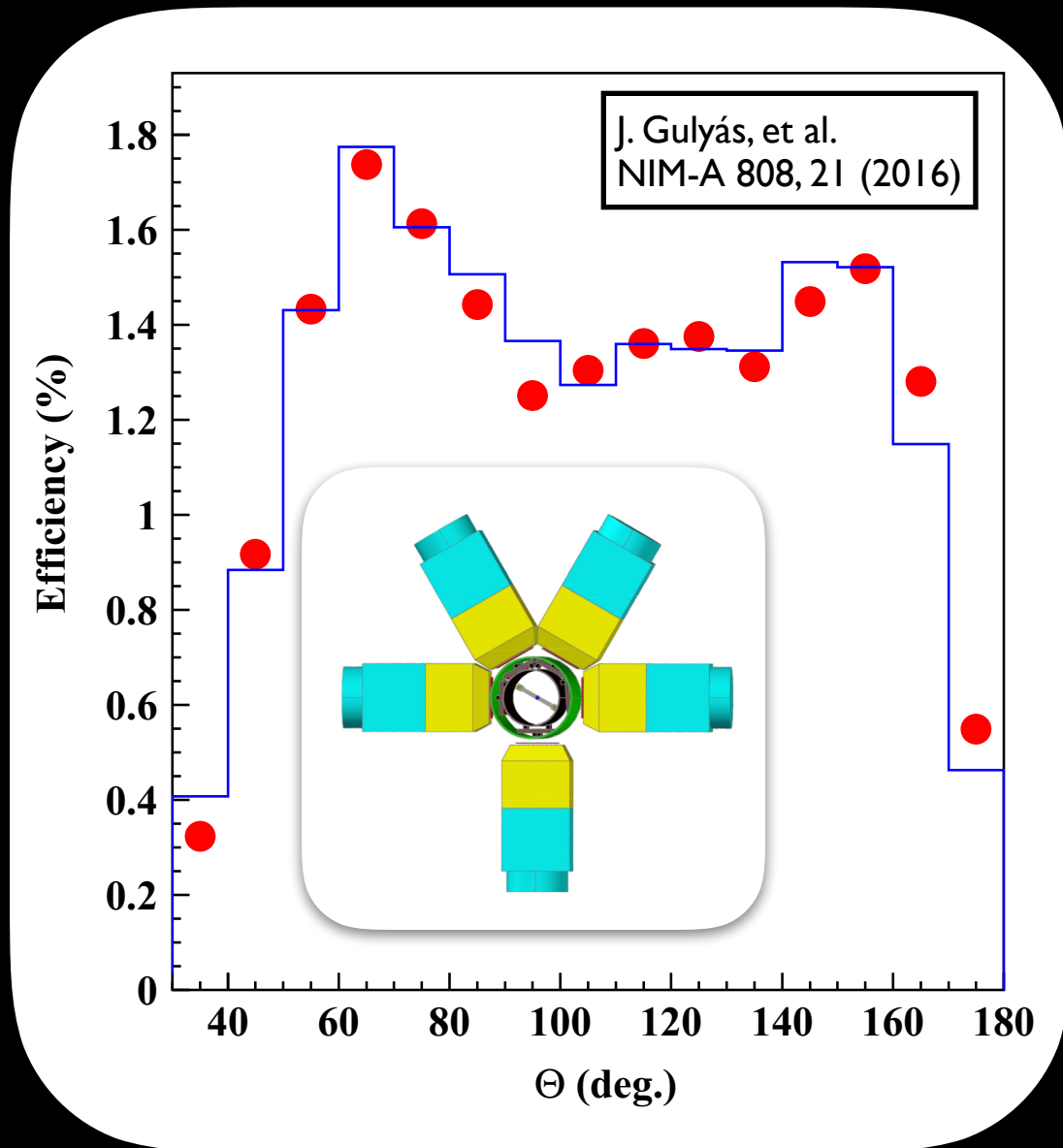
Fixed $E_p = 1.10$ MeV



- Note that in the bump region $\sim 14 - 18$ MeV, the signal is a pretty large fraction of the total number of events (though it is a small fraction of the total integrated over all m_{ee}).

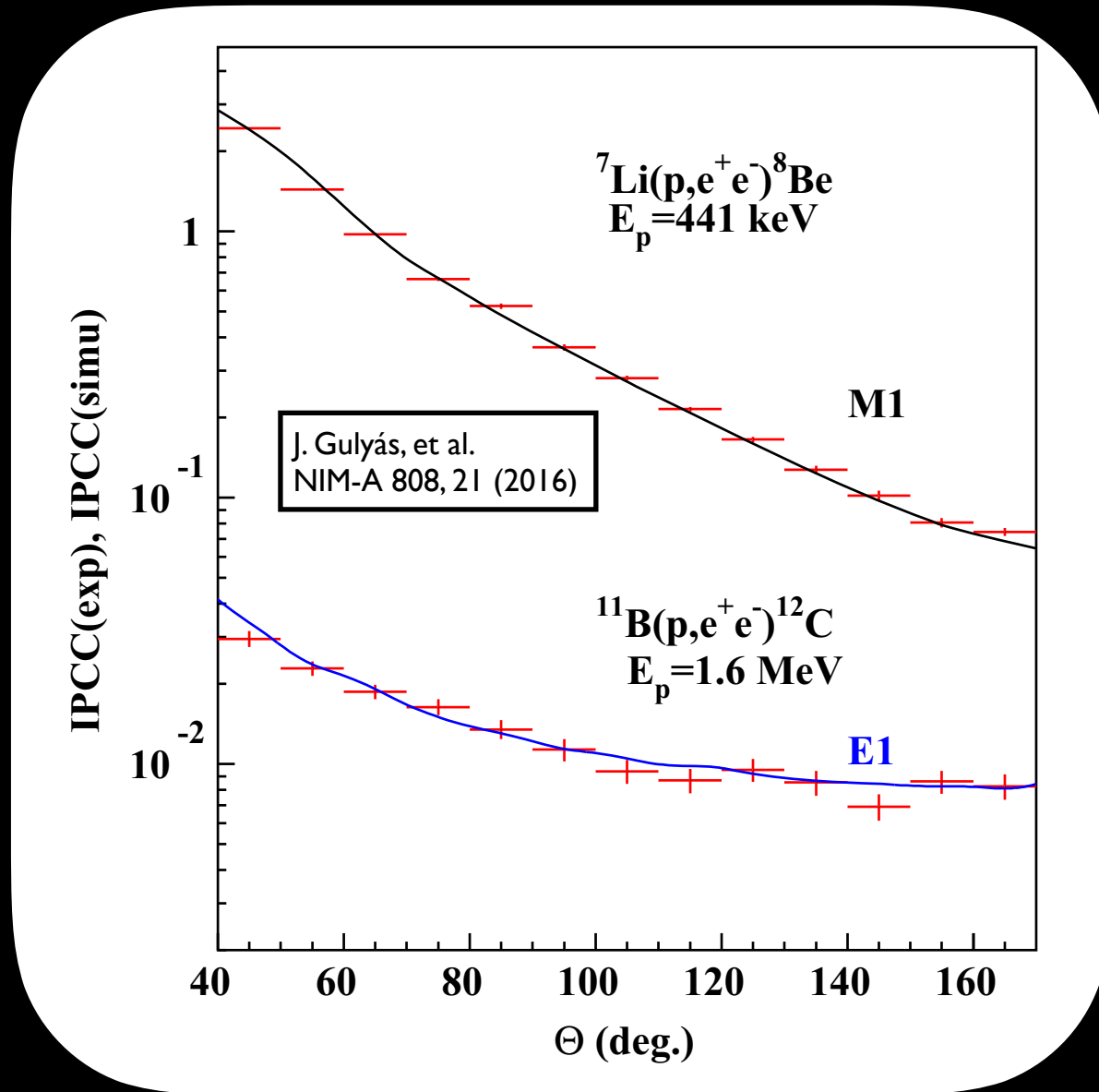
Detector Resolution

- ATOMKI detector geometry does have some impact on the acceptance in terms of the opening angle between the e^+ and e^- .
- However, based on simulations (blue histogram), and confirmed by calibration data (red dots), they do not expect a sharp feature at ~ 140 degrees.
- There is some structure in the response, but at a much smaller level, more like $\sim 20\%$. It is hard to see how this should produce an artificial signal as large as the background itself.



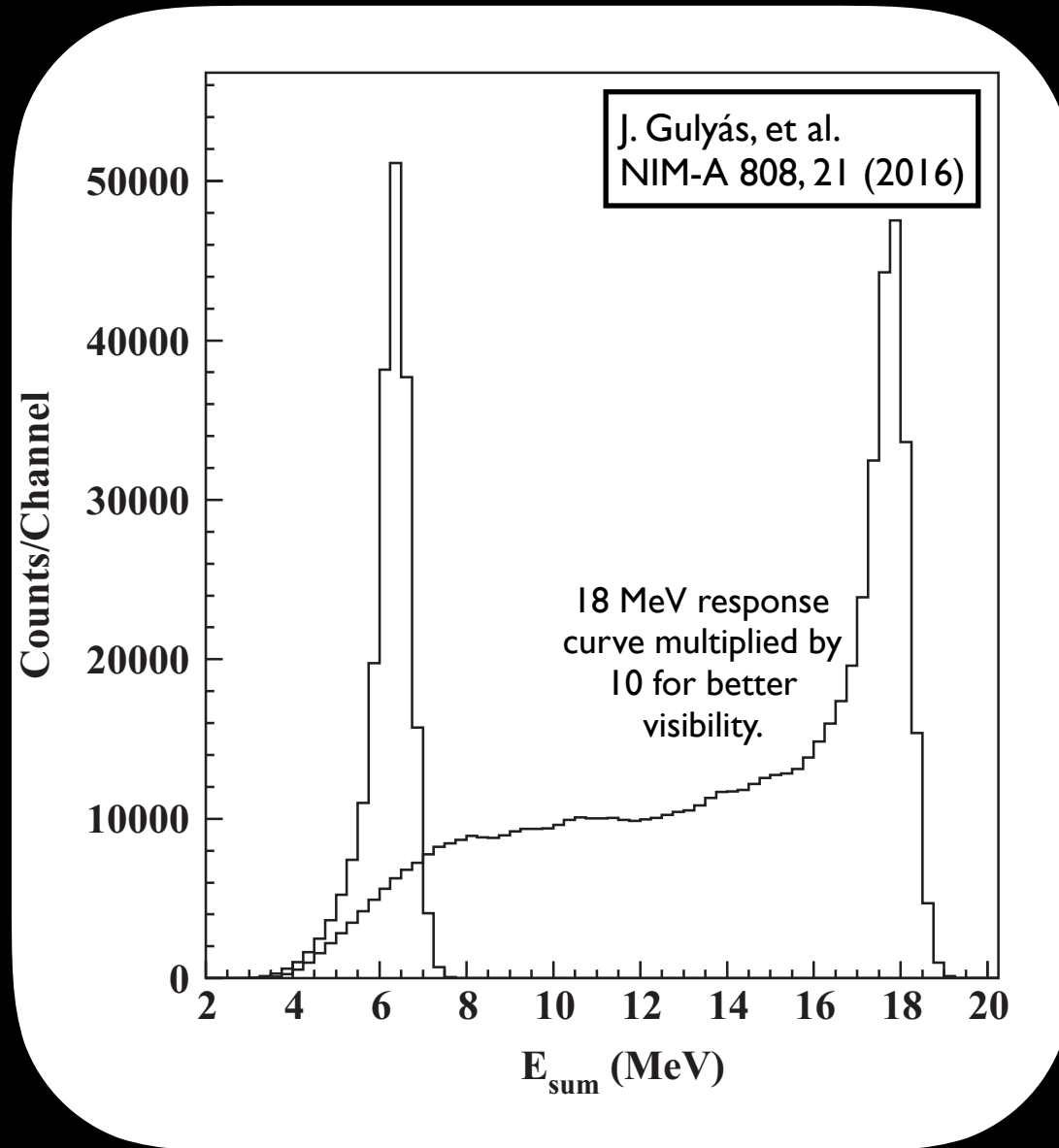
Detector Resolution

- Both at similar (for an ^{11}B target) and lower (for the ^7Li target) proton energies, the reconstructed angular distribution agrees well with the expectations from simulation of either an E1 or an M1 transition.
- They also consider a variety of other targets, including O, Si, etc, and find no hint of a signal from any of them.



Detector Resolution 2

- ATOMKI simulated the expected reconstructed peak shapes for a narrow particle decaying into e^+e^- .
- They consider both a low mass (6 MeV) and high mass (18 MeV) example.
- At high masses, there is a fairly long tail down to lower energies.
 - But note that their cut on E essentially removes sensitivity to those energies anyway.
- The response on the high end is pretty narrow, with a $\sim$ MeV energy resolution.



Sanity Checks

- The excess is a bump on top of what is expected to be a smooth monotonically decreasing background.
- It's not on the edge of sensitivity, and thus not a ``last bin'' effect.
- The opening angle and invariant mass are consistent with a two body decay from Be^* to a state with rest energy around 16.5 MeV and the ground state.
- The e^+ and e^- have symmetric energies, consistent with a sequence of two-body decays:
 - $\text{Be}^* \rightarrow X(16.5 \text{ MeV}) + \text{Be} \text{ (ground state)}$
 - $X \rightarrow e^+ e^-$
- The bump disappears for off-shell proton energies, perhaps arguing against some kind of nuclear interference effect.
- There are a handful of known nuclear transitions at such large energies, and none we have found have been very well-studied in IPC transitions.

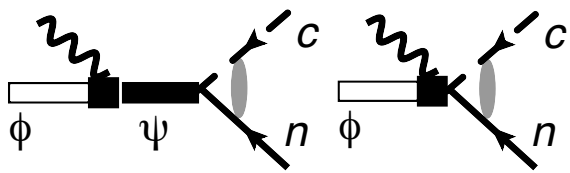
So What's Going On?

- Obviously, one should be cautious. In the very least we would like to see these results repeated, preferably by a different group.
- Logically, we should consider the possibilities of:
 - Experimental error/miscalibration/etc:
 - Nothing is obviously wrong with the experiment: the angles and energies seem self-consistent and pass the sanity checks;

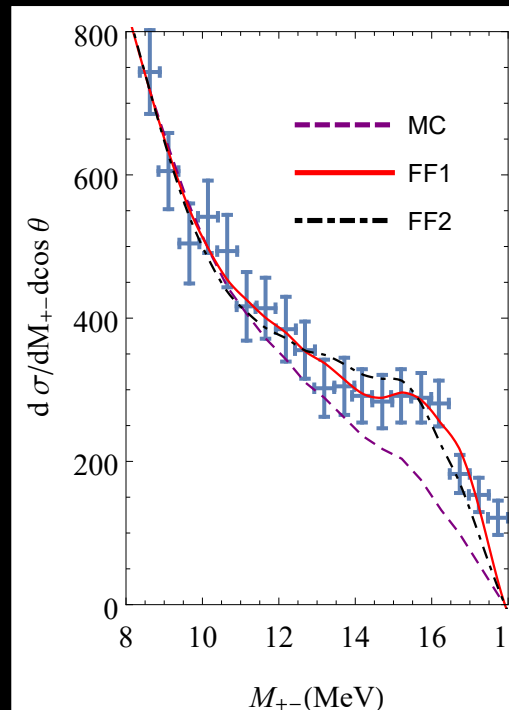
So What's Going On?

- Up until now unknown nuclear physics effect:
 - Nuclear physicists so far haven't come up with an obvious explanation for a bump (but they continue to work on it!)

This is crucial;



Zhang, Miller 1703.04588



They examine interference, considering both production and de-excitation.

Conclude that a FF would have to be unreasonably large to play a role.

Conclude interference can be important to interpret a signal, but doesn't explain the observations...

- It would be very helpful to see it in a different nuclear system (maybe ^4He).
- **My attitude here:** Let's see what kind of new physics can explain it and see what other constraints/opportunities there are to learn more.