

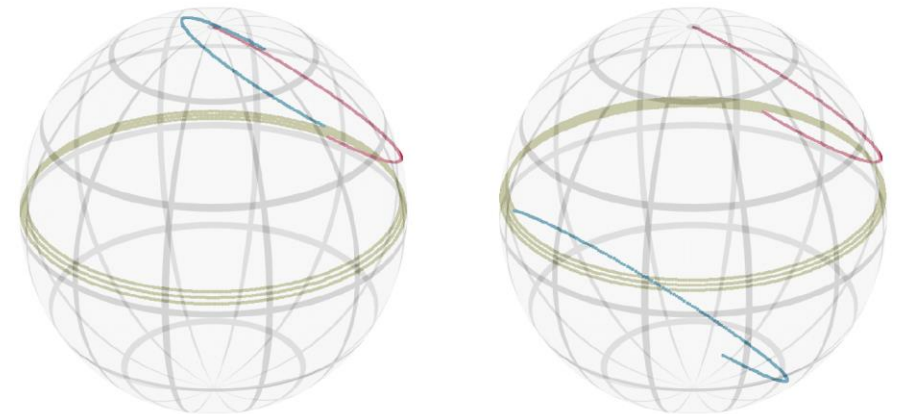
Interdisciplinarity!

Experimental imposter!

L4 Quantum information and computing (QIC) 2019-20

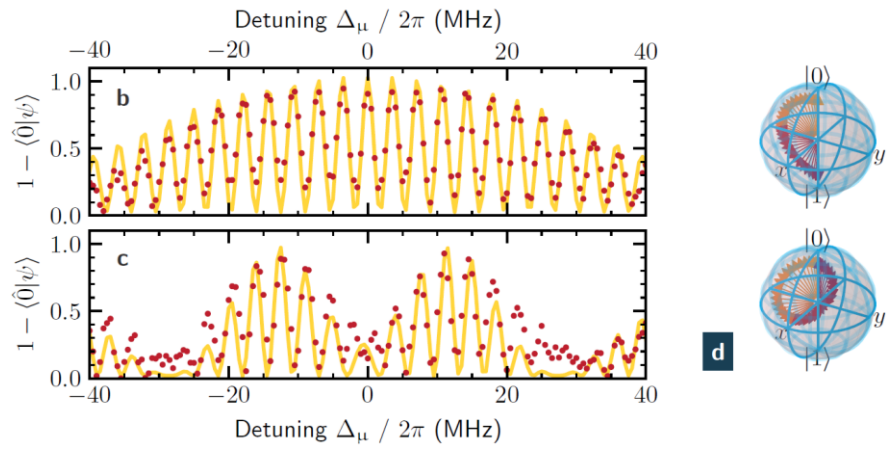
Lecture Notes 2019-20

May 10, 2020



Interdisciplinarity!

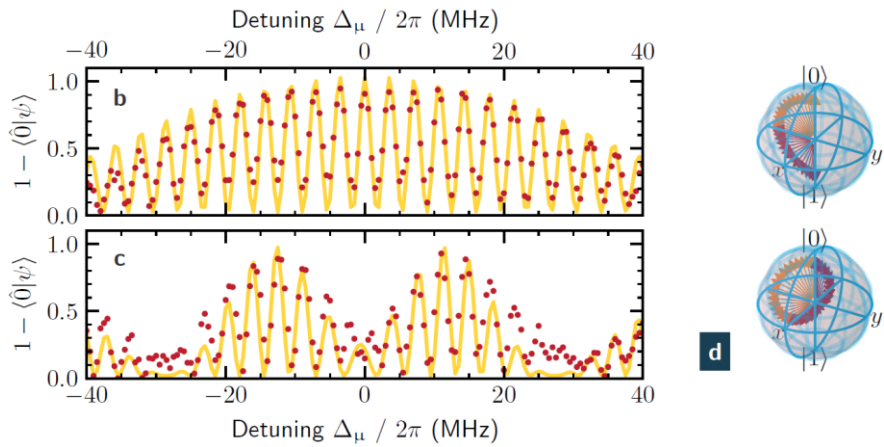
Experimentalists



Interdisciplinarity!

Experimentalists

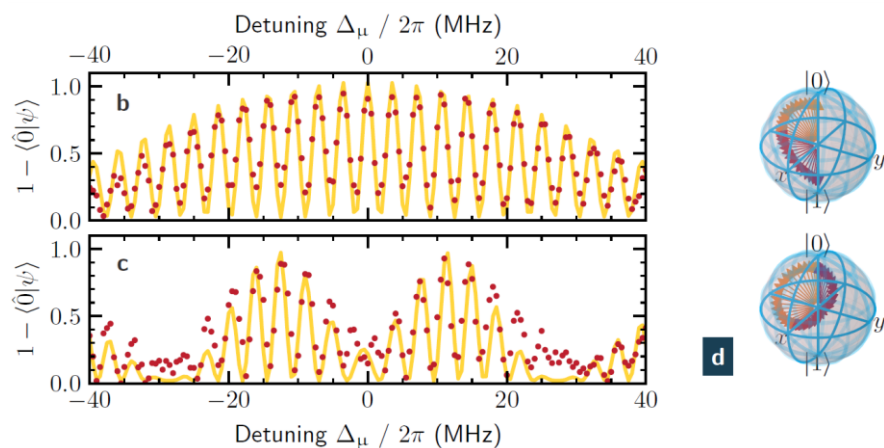
Computer
scientists



Interdisciplinarity!

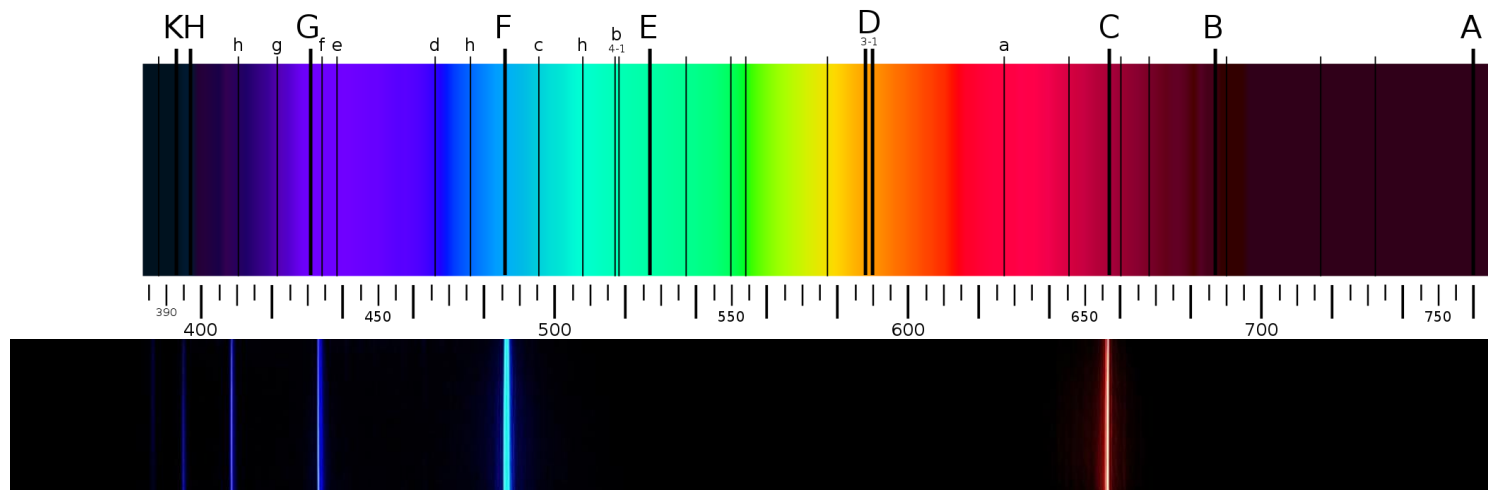
Experimentalists

Computer
scientists

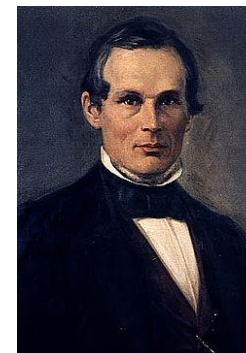


Operator	Gate(s)	Matrix
Pauli-X (X)	$\boxed{\text{X}}$ \oplus	$\begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix}$
Pauli-Y (Y)	$\boxed{\text{Y}}$	$\begin{bmatrix} 0 & -i \\ i & 0 \end{bmatrix}$
Pauli-Z (Z)	$\boxed{\text{Z}}$	$\begin{bmatrix} 1 & 0 \\ 0 & -1 \end{bmatrix}$
Hadamard (H)	$\boxed{\text{H}}$	$\frac{1}{\sqrt{2}} \begin{bmatrix} 1 & 1 \\ 1 & -1 \end{bmatrix}$
Phase (S, P)	$\boxed{\text{S}}$	$\begin{bmatrix} 1 & 0 \\ 0 & i \end{bmatrix}$
$\pi/8$ (T)	$\boxed{\text{T}}$	$\begin{bmatrix} 1 & 0 \\ 0 & e^{i\pi/4} \end{bmatrix}$
Controlled Not (CNOT, CX)	$\bullet \text{---} \oplus$	$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \\ 0 & 0 & 1 & 0 \end{bmatrix}$
Controlled Z (CZ)	$\bullet \text{---} \boxed{\text{Z}} \bullet$	$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & -1 \end{bmatrix}$
SWAP	$\text{X} \text{---} \text{X}$	$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$

Rydberg atoms - the dark horse of quantum computing?



Balmer 1885



Angstrom 1862



under formen $\frac{N_0}{(m_1 + c_1)^2}$ fin

$$\frac{n}{N_0} = \frac{1}{(m_1 + c_1)^2} - \frac{1}{(m_2 + c_2)^2} -$$

Rydberg 1888

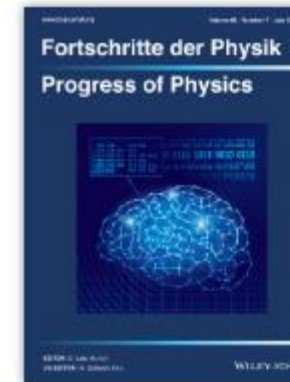
Rydberg atoms - the dark horse of quantum computing?

Outline:

1. Ingredients to build a quantum computer
2. Rydberg atoms
3. Rydberg atom quantum computing: current state of the art
4. Some open questions



DiVincenzo 5



[Volume 48, Issue 9-11](#)

September 2000

Pages 771-783

1. A scalable physical system with well characterized qubits
2. The ability to initialize the state of the qubits to a simple fiducial state, such as $|000\dots\rangle$
3. Long relevant decoherence times, much longer than the gate operation time
4. A “universal” set of quantum gates
5. A qubit-specific measurement capability

Qubit

Init.

Read-out

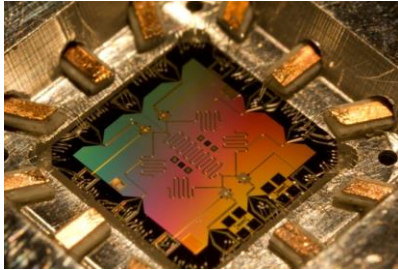
Scalable

Gates

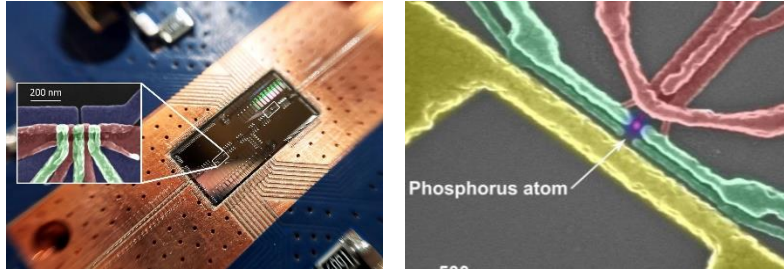
Coherence

5 Qubit candidates

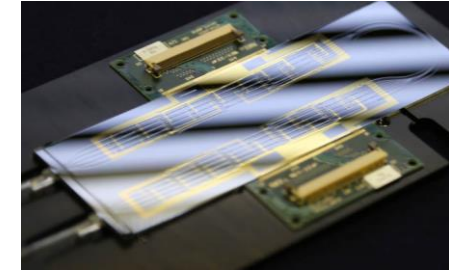
Superconductors



Semiconductors



Photons



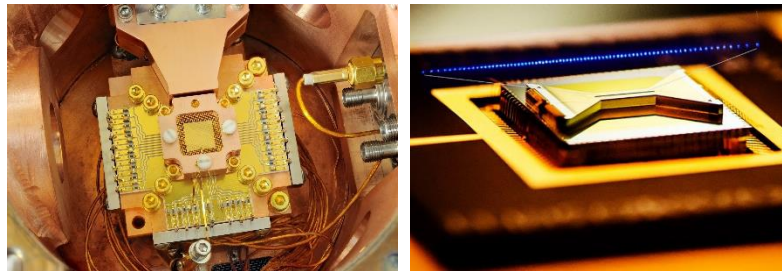
P in Si

IBM, Google, D-wave, etc

Silicon Quantum Computing

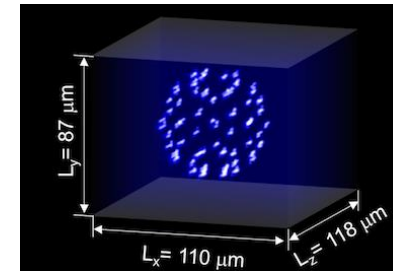
PsiQuantum

Ions



IonQ

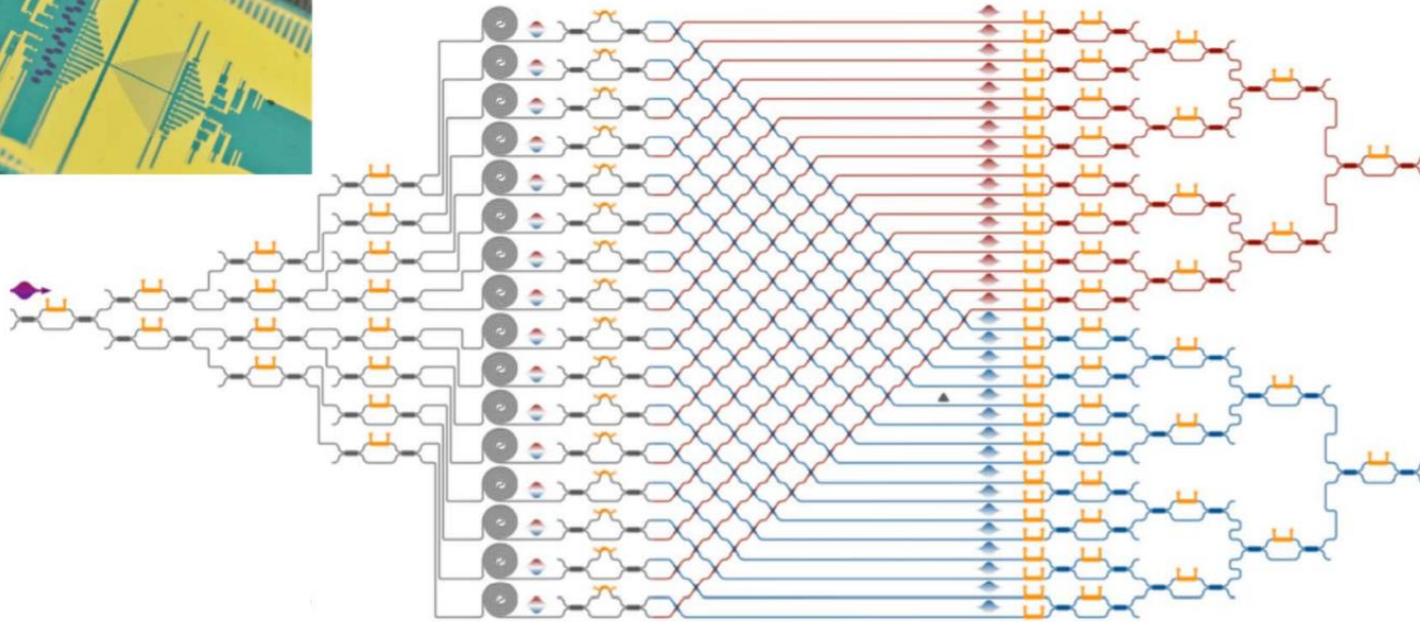
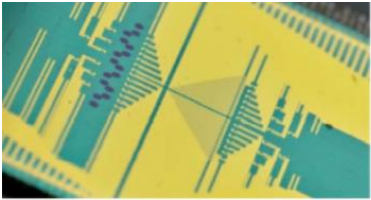
Atoms



Pasqal, Atom computing

Multidimensional quantum entanglement with large-scale integrated optics

 Jianwei Wang^{1,2,*},  Stefano Paesani^{1,*},  Yunhong Ding^{3,4,*},  Raffaele Santagati¹,  Paul Skrzypczyk⁵,  Alexia Salavrakos⁶,  Jordi Tura⁷,  Remigiusz Augusiak⁸, Laura Mančinska⁹,  Davide Bacco^{3,4},  Damien Bonneau¹,  Joshua W. Silverstone¹, Qihuang Gong²,  Antonio Acín^{6,10},  Karsten Rottwitt^{3,4},  Leif K. Oxenløwe^{3,4},  Jeremy L. O'Brien¹, Anthony Laing^{1,†},  Mark G. Thompson^{1,†}



Science 08 Mar 2018:
aar7053
DOI: 10.1126/science.aar7053



NEWS ▾ INSIGHTS ▾ RESOURCES ▾

Home ▸ Business ▸ PsiQuantum Raises \$215 Million with new \$150m round led by Atomico

Business Capital Markets Startups

PsiQuantum Raises \$215 Million with new \$150m round led by Atomico

By Quantum Analyst - April 7, 2020

Massive hype!

DiVincenzo 5

Qubit	Init.	Gates	Read-out	Coherence	Scalable
Atoms	Motion	Motion			3D
Ions					1D
Photons		Weak int.			
P in Si				Si host	Wires
Super-					10 mK

Scalable Qubit Arrays for Quantum Computing and Optimisation (SQuAre)



This project is an EPSRC Prosperity Partnership with M Squared Lasers that aims to develop a new platform for quantum computing based on scalable arrays of neutral atoms that is able to overcome the challenges to scaling of competing technologies. We will develop new hardware to cool and trap arrays of over 100 qubits that will be used to perform both analogue and digital quantum simulation by exploiting the strong long-range interactions of highly excited Rydberg atoms. Together with the quantum software team lead by Prof. Andrew Daley, we will design new analogue and digital algorithms tailored for the neutral-atom platform to target industrially-relevant computation and optimisation problems.

<http://photonics.phys.strath.ac.uk/rydberg-quantum-devices/>

Sunday, April 28, 2013

Storage and Control of Optical Photons



Authors of the paper in Physical Review Letters (reference [1]).

Left to Right:

(top row) D. Maxwell, D. J. Szwer, D. Paredes-Barato,
(middle row) H. Busche, J. D. Pritchard,
(bottom row) K. J. Weatherill, M. P. A. Jones, C. S. Adams.

Authors:

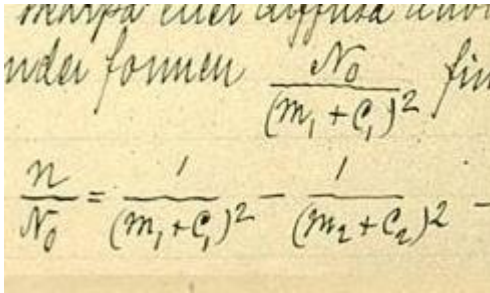
David Szwer and Hannes Busche

Affiliation:

Joint Quantum Centre (JQC)
Durham-Newcastle, Department of
Physics, Durham University, UK.

Rydberg atoms - the dark horse of quantum computing?



A snippet of a handwritten manuscript in cursive script. It shows the Rydberg formula for the wavelength of light: $\frac{1}{\lambda} = R \left(\frac{1}{n_1^2} - \frac{1}{n_2^2} \right)$. The text is written in ink on aged paper.

Rydberg 1888

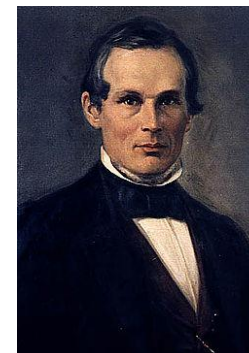
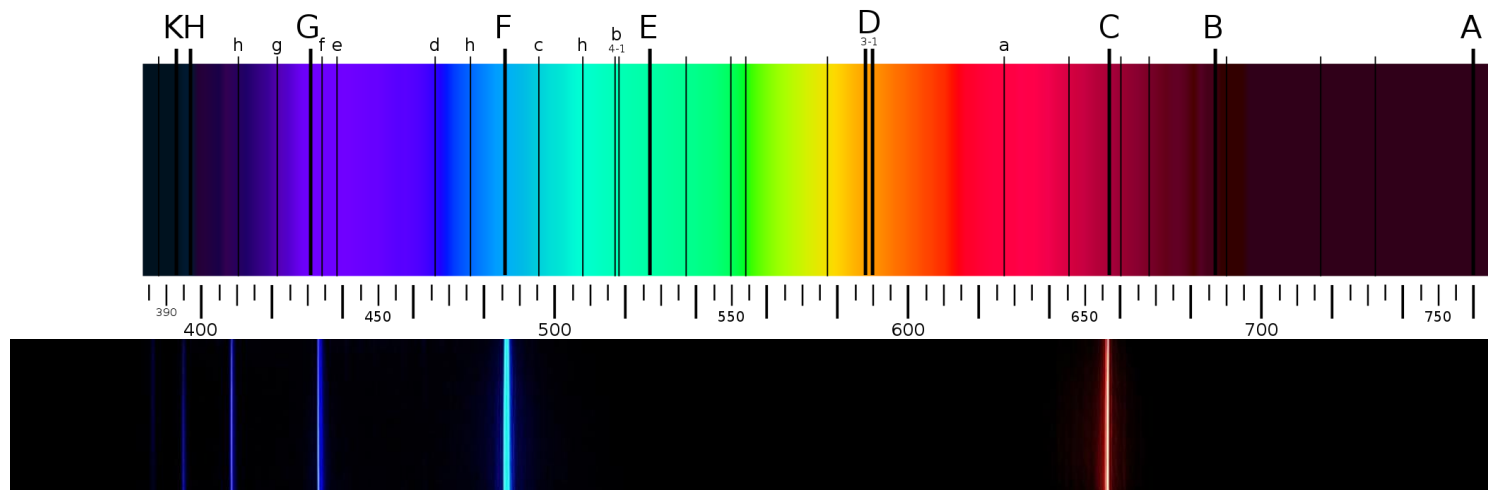
What are 'Rydberg' atoms?

Highly-excited Rydberg states

$$E_n = -\frac{R_H}{n^2} \quad E_n = -R_{Cs} \frac{1}{(n - \delta)^2}$$

Why are they useful?

Rydberg atoms - the dark horse of quantum computing?



Angstrom 1862

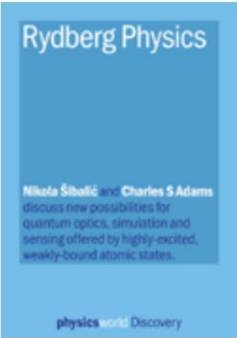
Balmer 1885



under formen $\frac{N_0}{(m_1 + c_1)^2}$ fin

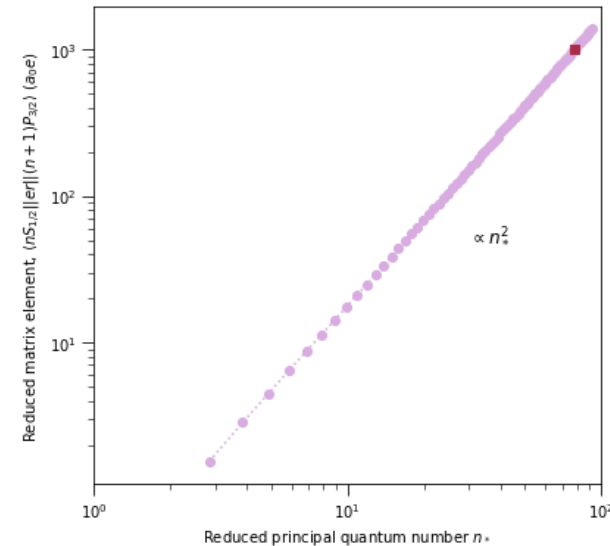
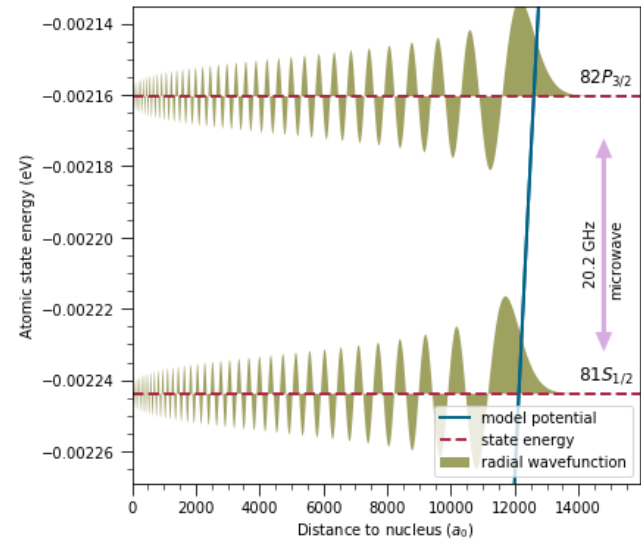
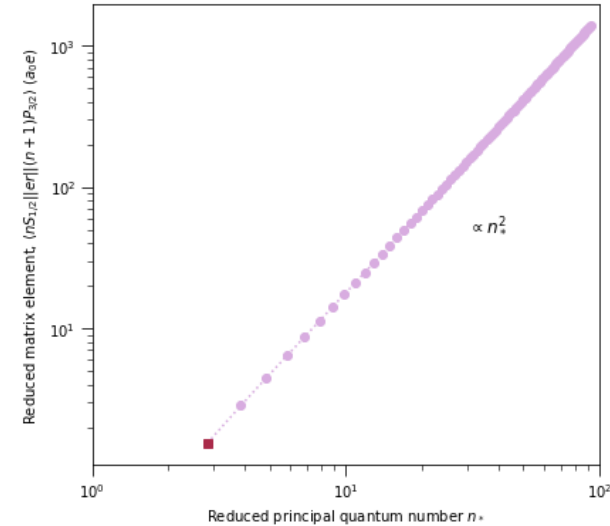
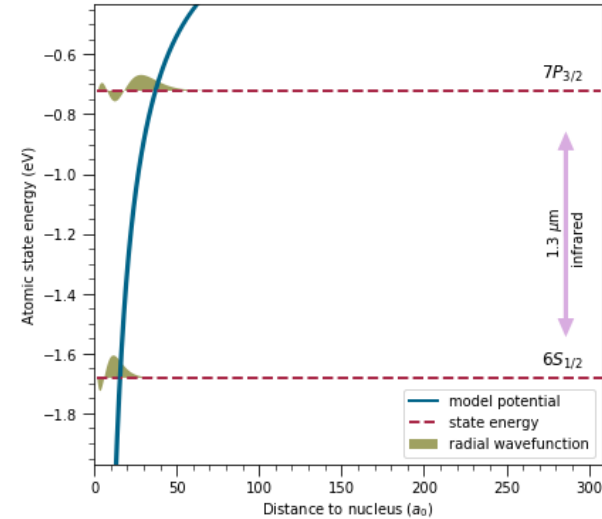
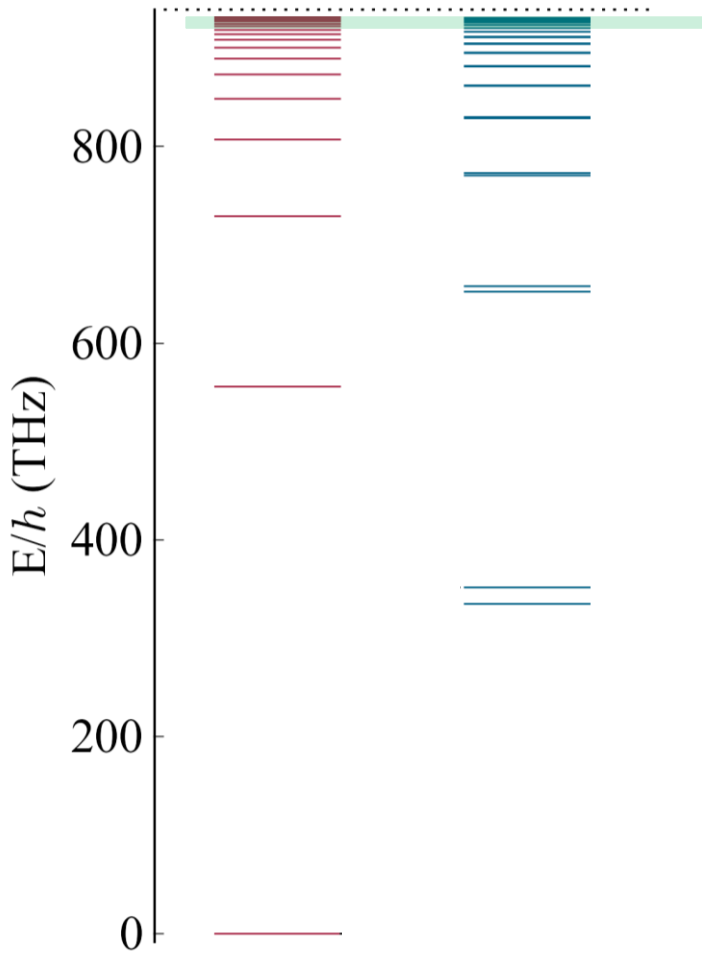
$$\frac{n}{N_0} = \frac{1}{(m_1 + c_1)^2} - \frac{1}{(m_2 + c_2)^2}$$

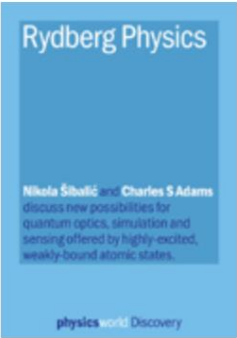
Rydberg 1888



Authors
Nikola Šibalić and
Charles S Adams

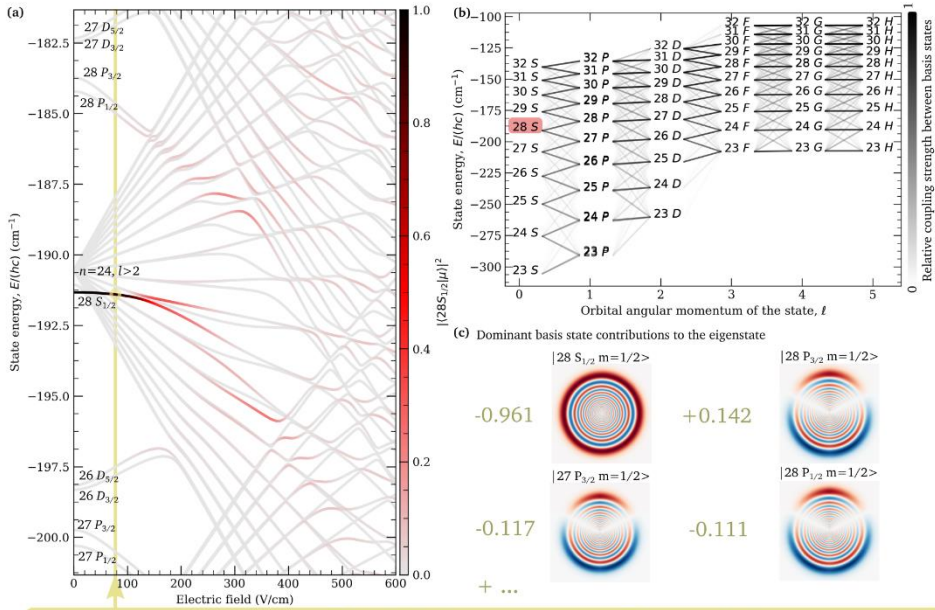
Published
November 2018



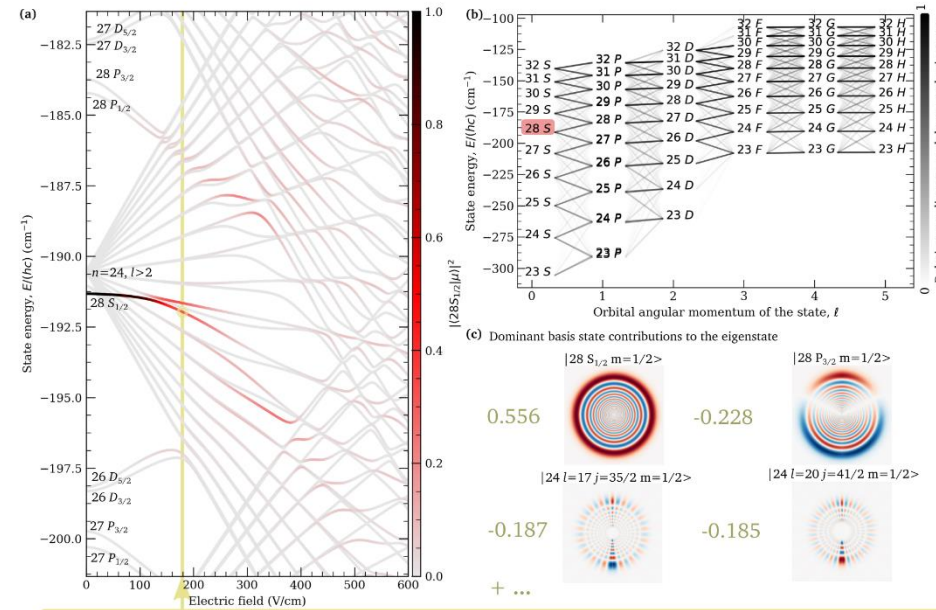
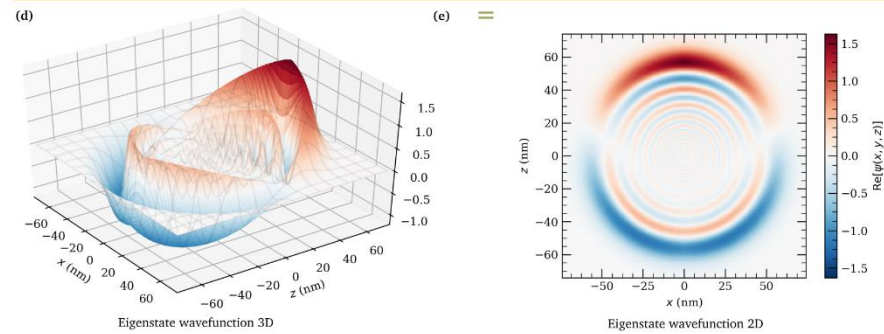


Authors
Nikola Šibalić and
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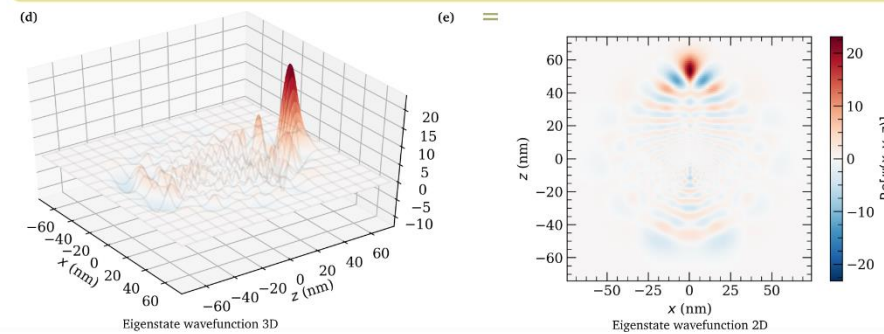
Published
November 2018



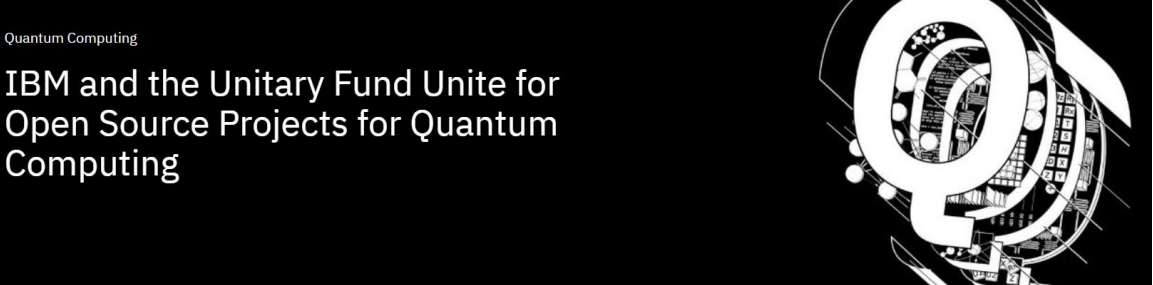
Set electric field = 80 V/cm State energy, $E/(hc) = -191.41 \text{ cm}^{-1}$ Eigenstate wavefunction



Set electric field = 180 V/cm State energy, $E/(hc) = -191.97 \text{ cm}^{-1}$ Eigenstate wavefunction

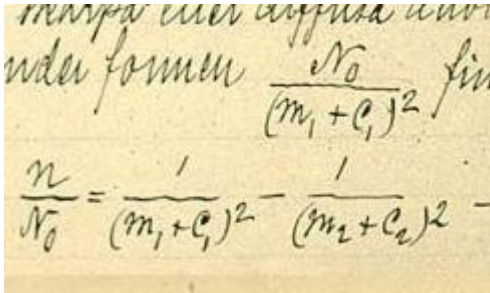


Nikola Sibalic



Rydberg atoms - the dark horse of quantum computing?



A snippet of a handwritten manuscript in cursive script. It contains the text 'under formen' followed by a fraction $\frac{N_0}{(m_1 + c_1)^2}$ and the word 'fin'. Below this, it shows the equation $\frac{n}{N_0} = \frac{1}{(m_1 + c_1)^2} - \frac{1}{(m_2 + c_2)^2} -$.

Rydberg 1888

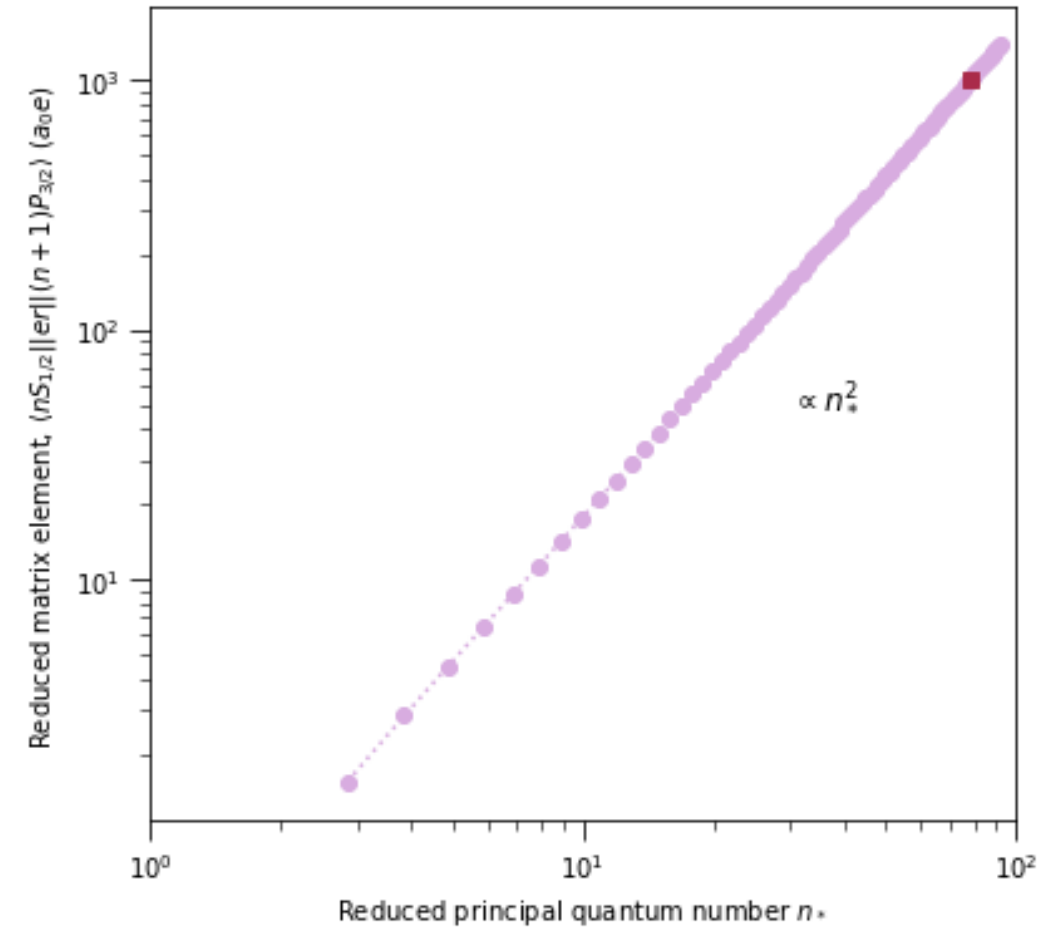
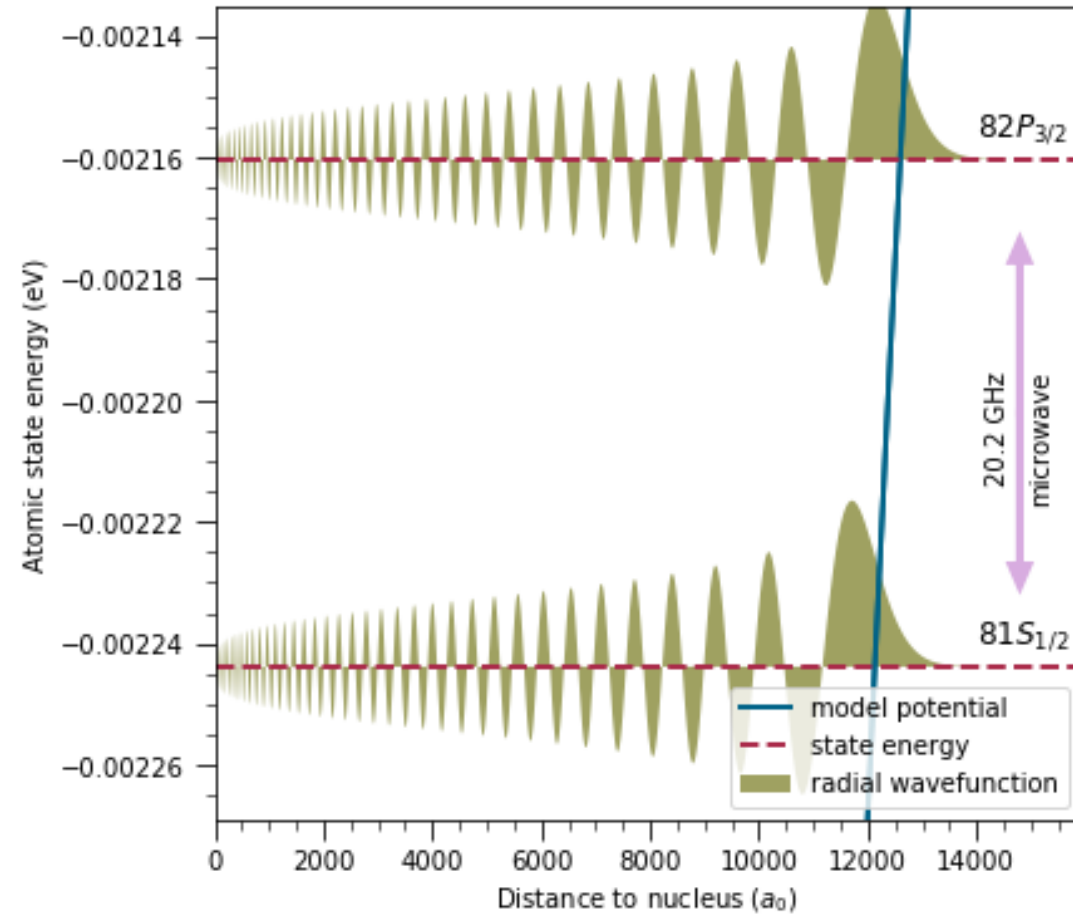
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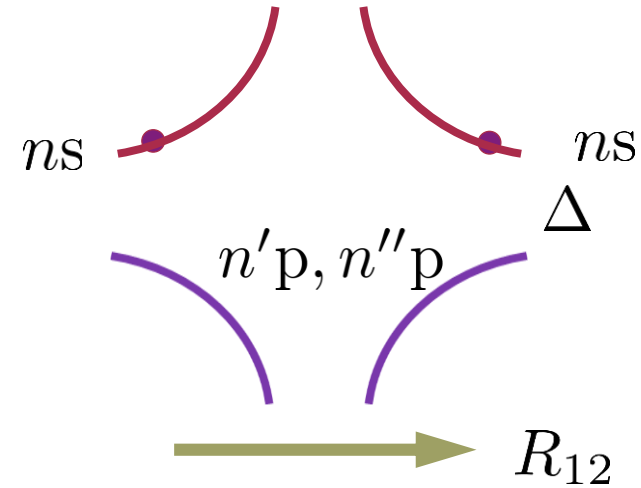
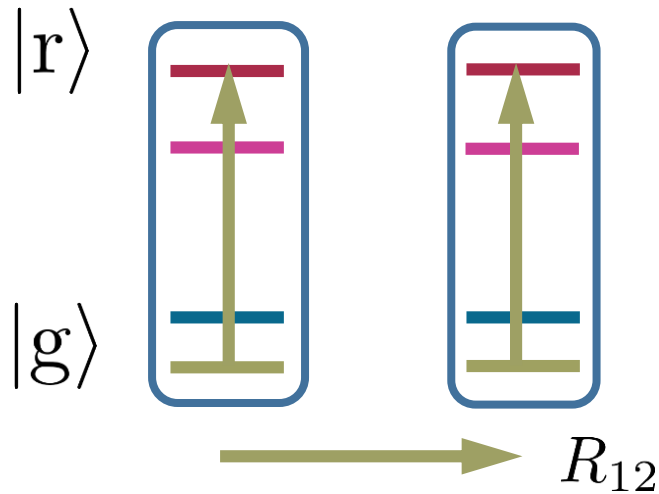
Why are they useful?

Why are they useful?



Dipole-dipole interactions

$|r\rangle = ns$ $|r'\rangle = |np\rangle$ ns, ns pairs couple to nearest $n'p, n''p$ pair



$$V_{\text{vdW}} = \frac{V^2}{\Delta}$$

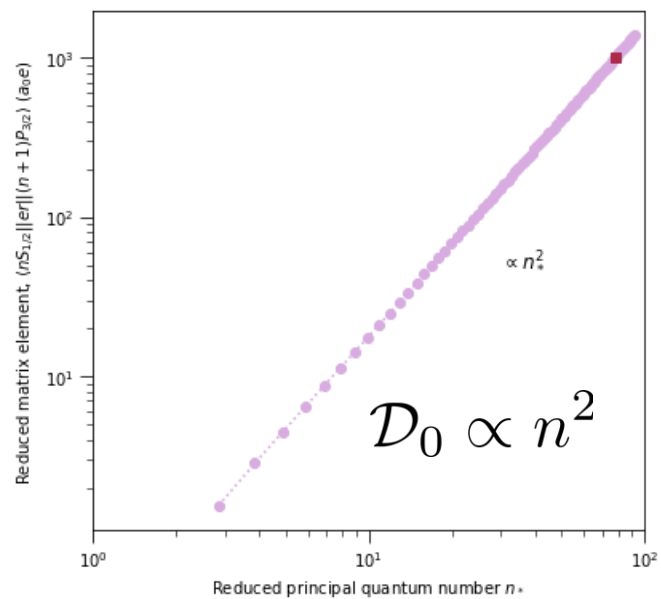
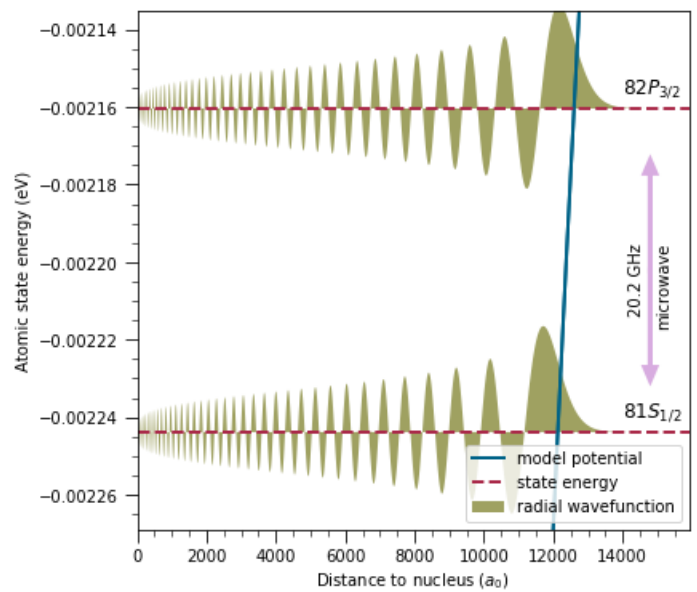
$$V_{\text{vdW}} = \frac{C_6}{R_{12}^6} \quad C_6 = c_6 n^{11}$$

$$\mathcal{H}_{\text{dd}} = \hbar \begin{pmatrix} 0 & 0 & 0 & V \\ 0 & \omega' & V & 0 \\ 0 & V & \omega'' & 0 \\ V & 0 & 0 & \Delta \end{pmatrix} \begin{matrix} |r, r\rangle \\ |r', r'\rangle \\ |r', r''\rangle \\ |r'', r'\rangle \end{matrix}$$

$$V = \frac{\mathcal{D}_0^2 / \hbar}{4\pi\epsilon_0 R_{12}^3}$$

Near-field dipole-dipole

sign of shift depends on whether nearest pair is above or below in energy



$$V = \frac{\mathcal{D}_0^2 / \hbar}{4\pi\epsilon_0 R_{12}^3}$$

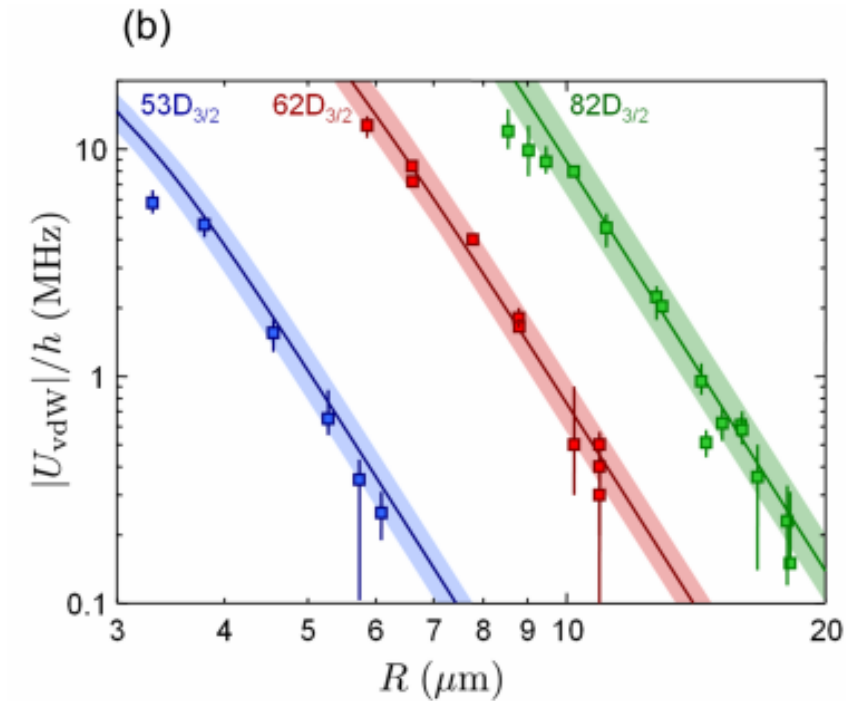
$$V_{\text{vdW}} = \frac{V^2}{\Delta} \quad \Delta \propto 1/n^3$$

$$V_{\text{vdW}} = \frac{C_6}{R_{12}^6} \quad C_6 = c_6 n^{11}$$

Topical Review

Experimental investigations of dipole–dipole interactions between a few Rydberg atoms

Antoine Browaeys, Daniel Barredo and Thierry Lahaye

Laboratoire Charles Fabry, Institut d'Optique, CNRS, Univ Paris Sud 11, 2 Avenue Augustin Fresnel,
F-91127 Palaiseau Cedex, France

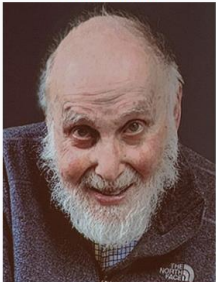
How do we put two atoms X microns apart?

How do we put two atoms X microns apart?

Many-body physics with individually controlled Rydberg atoms

Antoine Browaeys * and Thierry Lahaye

Optical tweezer for single atoms



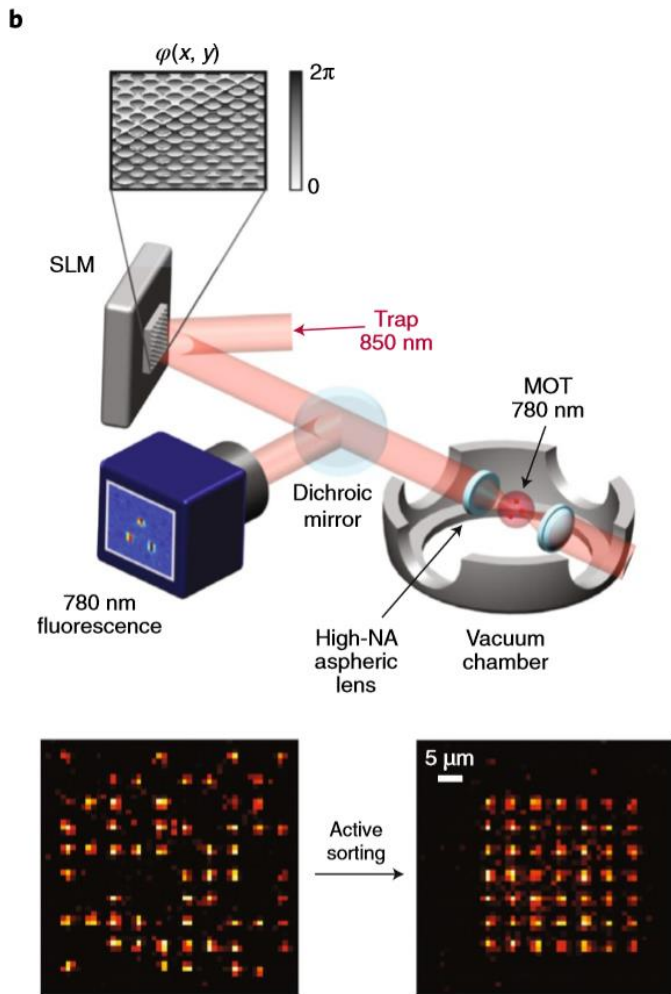
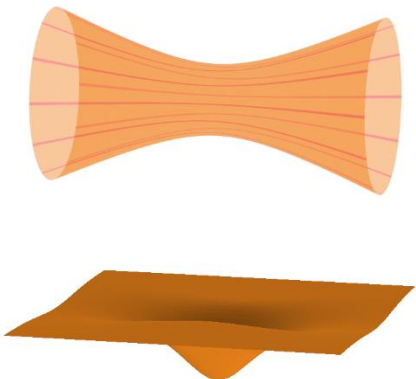
Arthur Ashkin via video phone, December 2018

Born September 2, 1922 (age 96)
Brooklyn, New York, U.S.

Education Columbia University (BS)
Cornell University (MS, PhD)

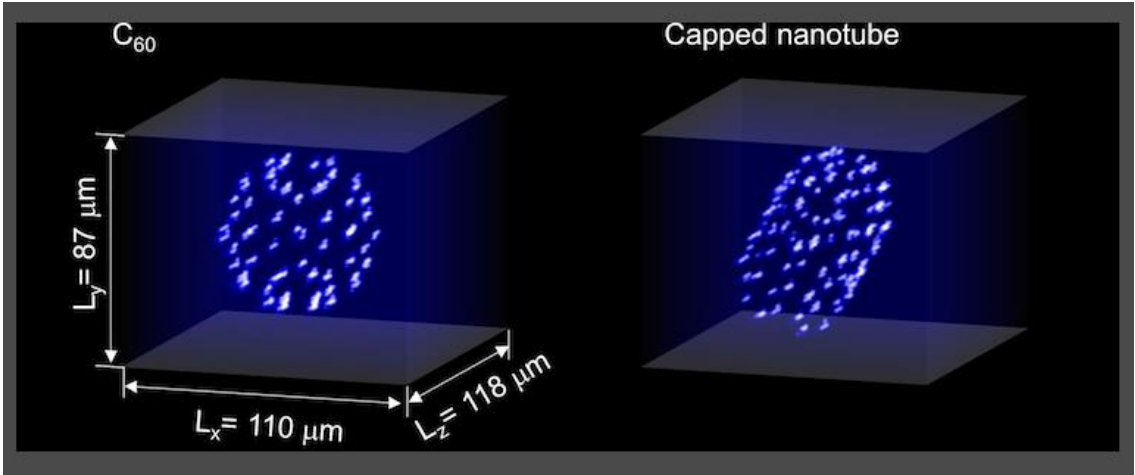
Known for Optical tweezers

Awards Nobel Prize in Physics (2018)

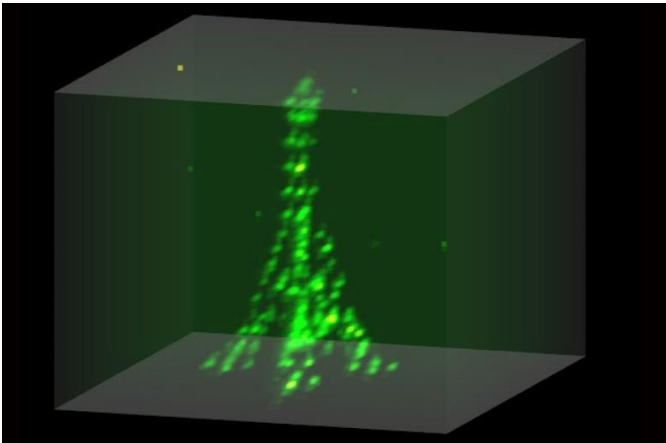


How do we put two atoms X microns apart?

Qubit	Init.	Gates		Read-out	Scalable
			Coherence		
Atoms	Motion	Motion			3D
Ions					1D
Photons		Weak int.			
P in Si				Si host	Wires
Super-					10 mK



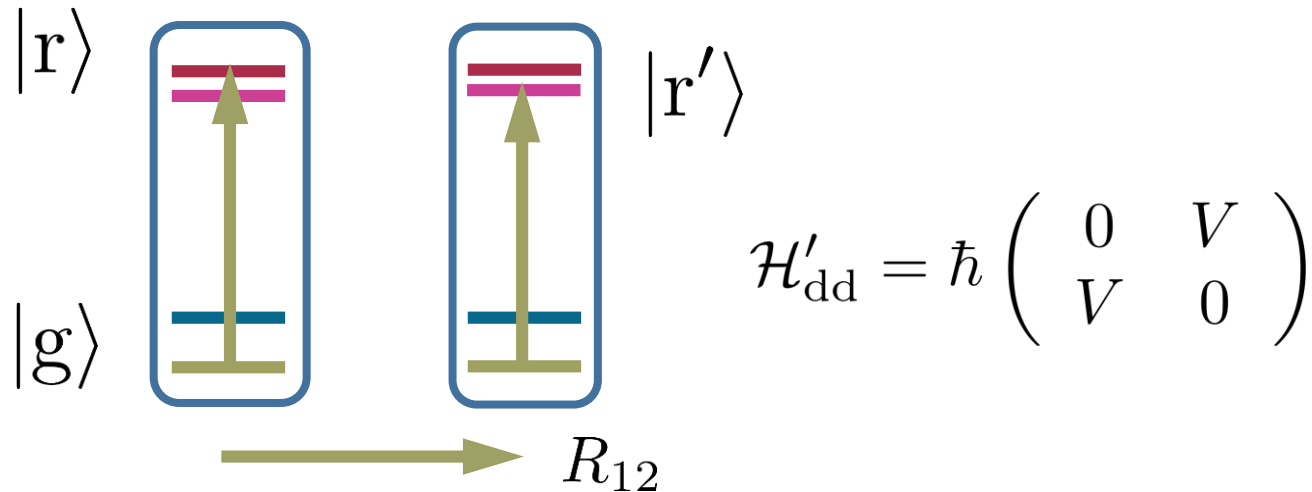
Daniel Barredo, Vincent Lienhard, Sylvain de Léséleuc, Thierry Lahaye, and Antoine Browaeys. Synthetic three-dimensional atomic structures assembled atom by atom. *Nature*, 561(7721):79–82, September 2018.



Exploiting the giant dipolar interactions

$$\mathcal{H}_{\text{dd}} = \hbar \begin{pmatrix} 0 & 0 & 0 & V \\ 0 & \omega' & V & 0 \\ 0 & V & \omega'' & 0 \\ V & 0 & 0 & \Delta \end{pmatrix}$$

Select states with Δ zero or use electric fields to tune to zero



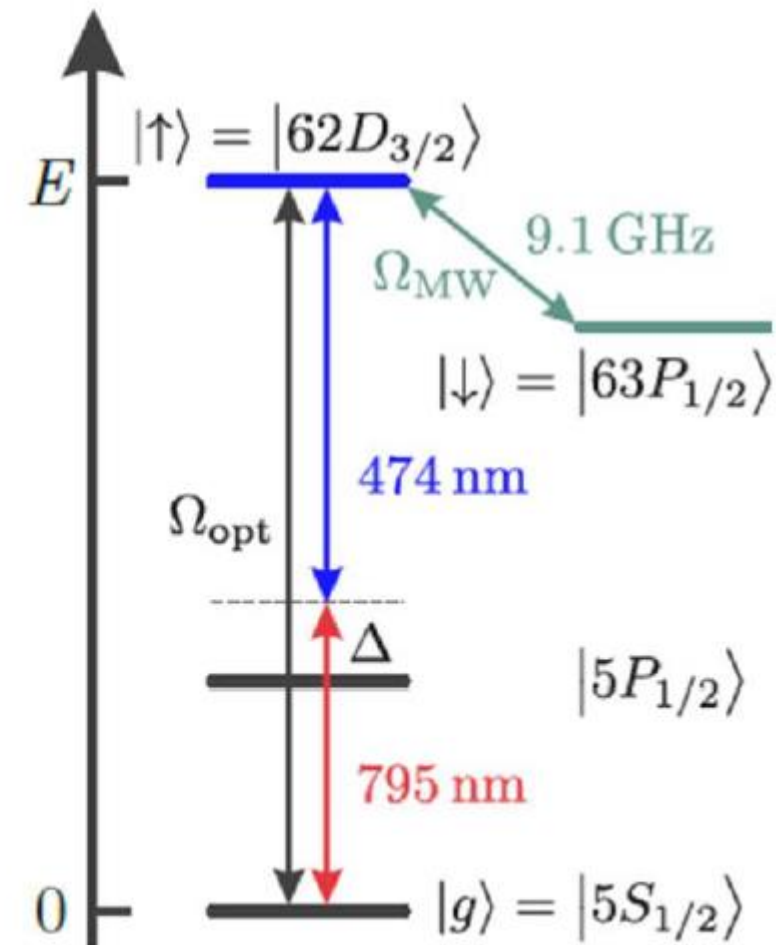
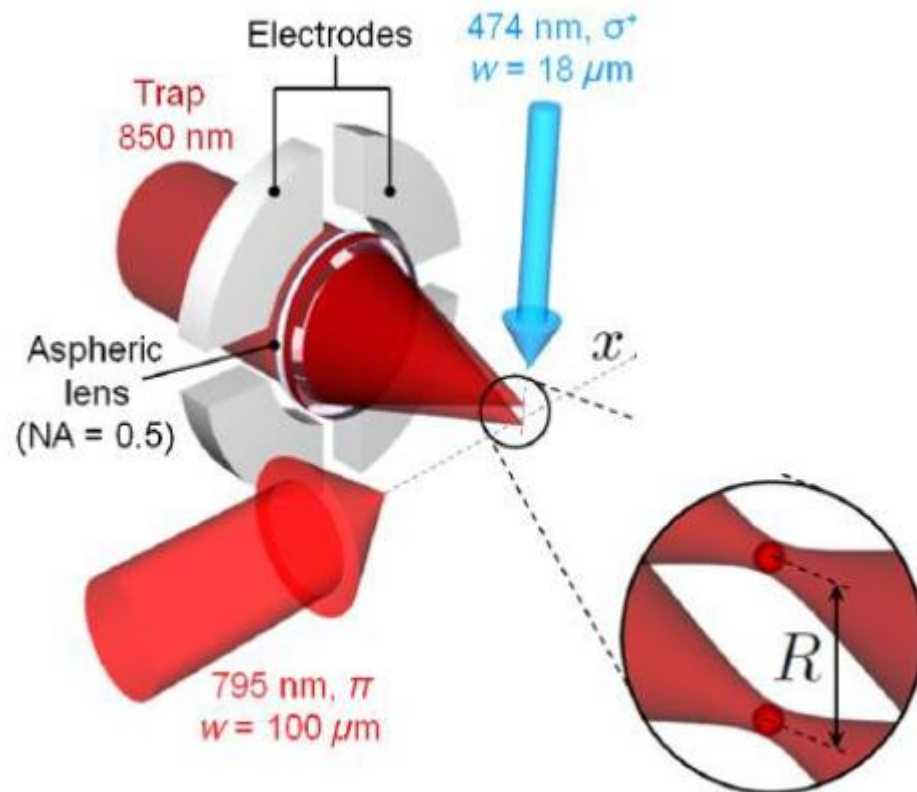
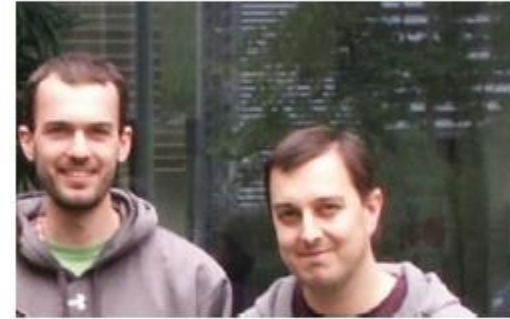
Henning
Labuhn

Antoine
Browaeys

Thierry
Lahaye

Sylvain
Ravets

Daniel
Barredo

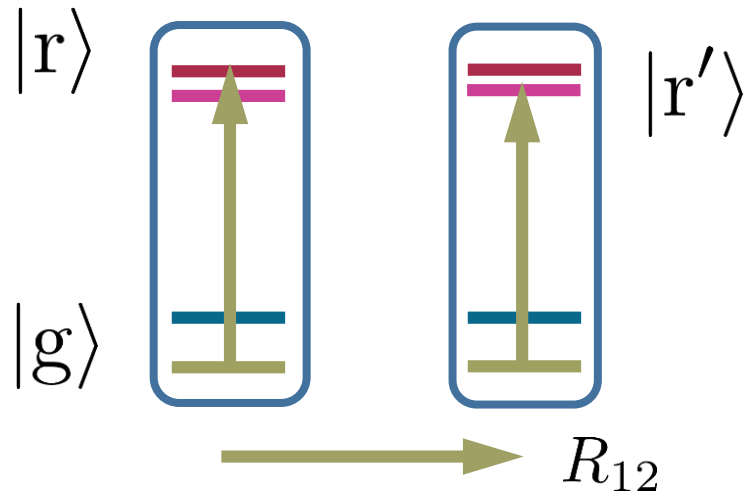




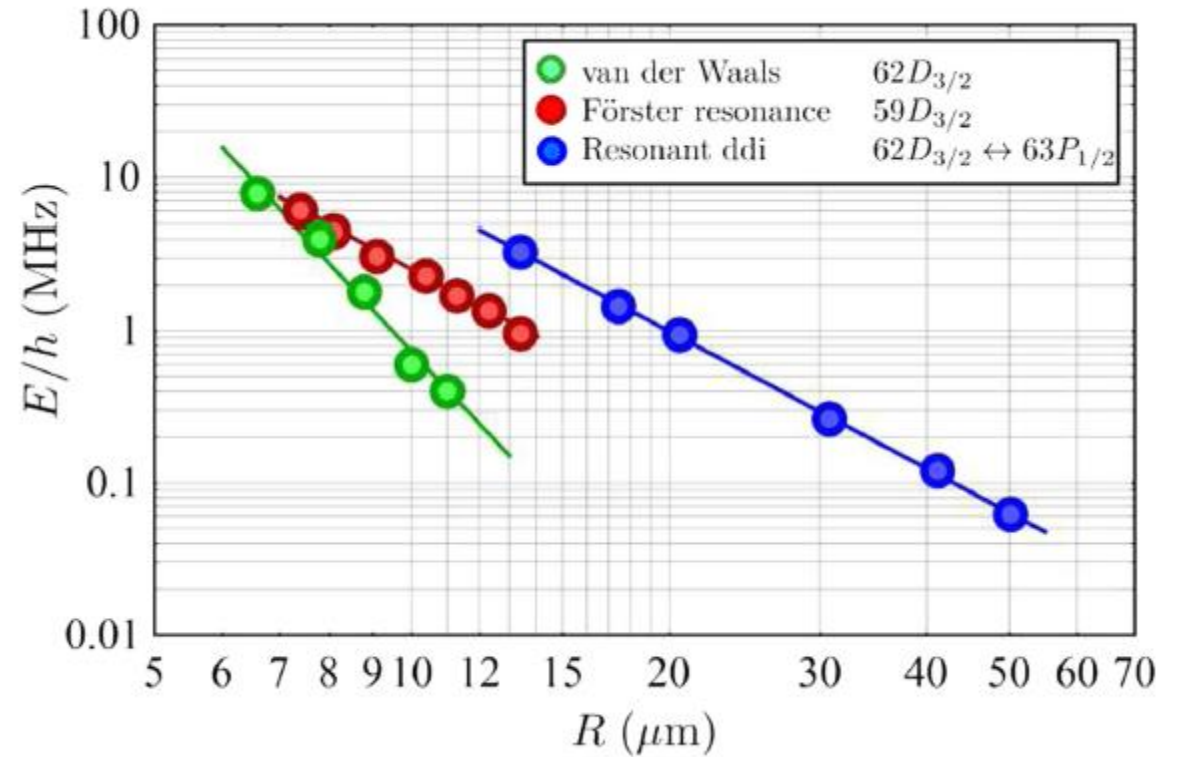
Exploiting the giant dipolar interactions

$$\mathcal{H}_{\text{dd}} = \hbar \begin{pmatrix} 0 & 0 & 0 & V \\ 0 & \omega' & V & 0 \\ 0 & V & \omega'' & 0 \\ V & 0 & 0 & \Delta \end{pmatrix}$$

Select states with Δ zero or use electric fields to tune to zero

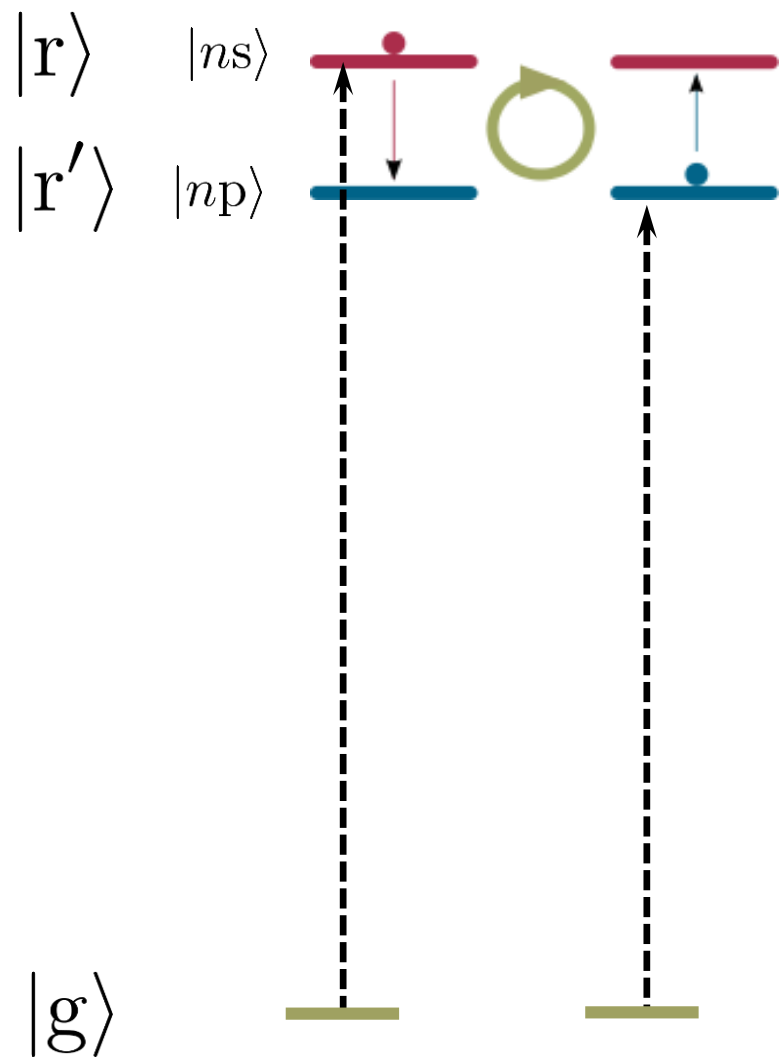


$$\mathcal{H}'_{\text{dd}} = \hbar \begin{pmatrix} 0 & V \\ V & 0 \end{pmatrix}$$

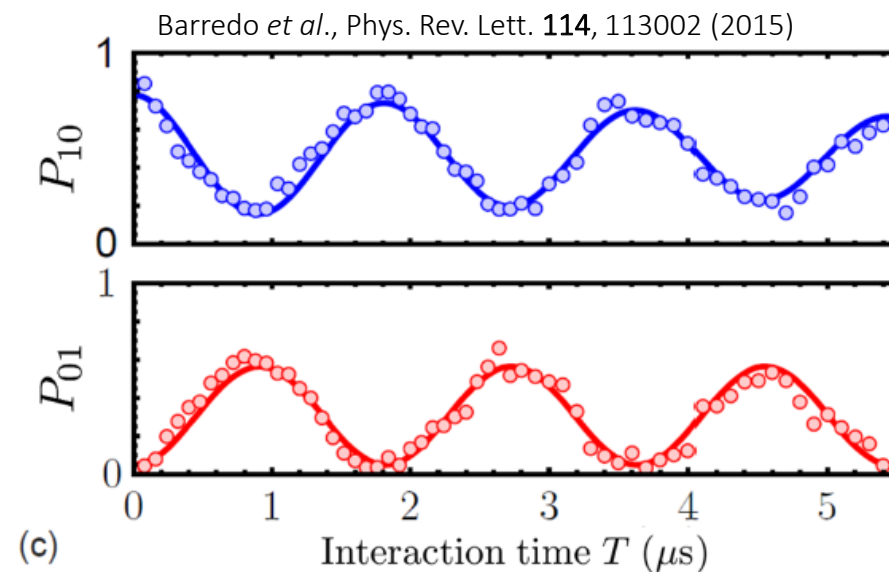














Interaction over 50 microns!













Scaling up to 1000 qubits with all-to-all couplings!



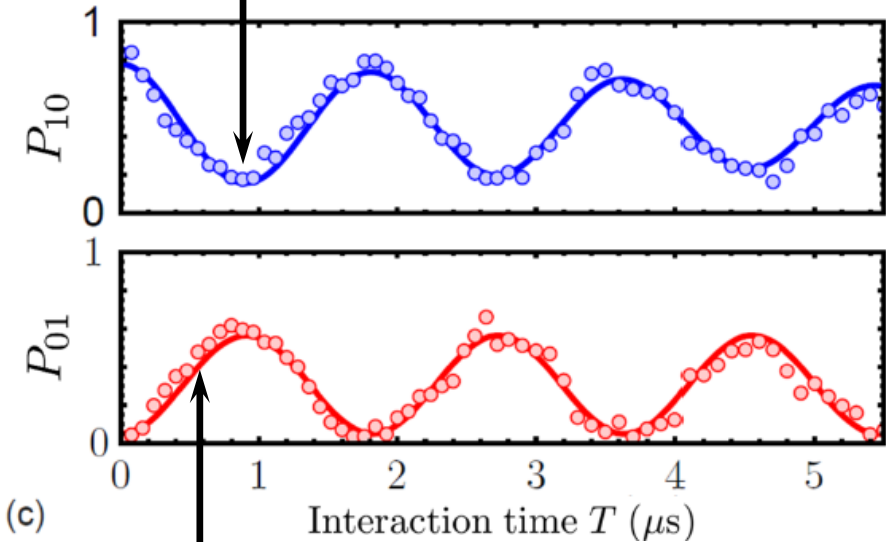
$$\mathcal{H} = \hbar \begin{pmatrix} 0 & V \\ V & 0 \end{pmatrix} \begin{matrix} |r, r'\rangle & ns, np \\ |r', r\rangle & np, ns \end{matrix}$$
















Operator	Gate(s)		Matrix
Pauli-X (X)			$\begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix}$
Pauli-Y (Y)			$\begin{bmatrix} 0 & -i \\ i & 0 \end{bmatrix}$
Pauli-Z (Z)			$\begin{bmatrix} 1 & 0 \\ 0 & -1 \end{bmatrix}$
Hadamard (H)			$\frac{1}{\sqrt{2}} \begin{bmatrix} 1 & 1 \\ 1 & -1 \end{bmatrix}$
Phase (S, P)			$\begin{bmatrix} 1 & 0 \\ 0 & i \end{bmatrix}$
$\pi/8$ (T)			$\begin{bmatrix} 1 & 0 \\ 0 & e^{i\pi/4} \end{bmatrix}$
Controlled Not (CNOT, CX)			$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \\ 0 & 0 & 1 & 0 \end{bmatrix}$
Controlled Z (CZ)	 		$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & -1 \end{bmatrix}$
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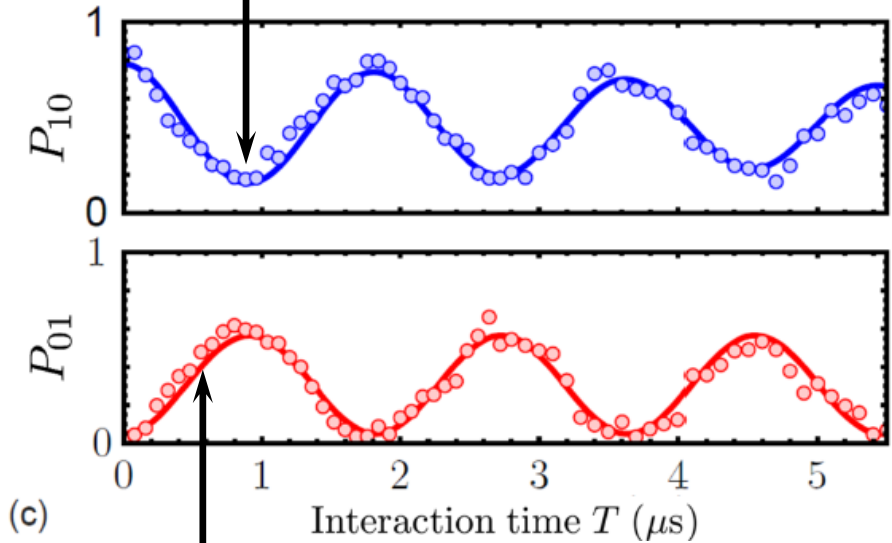
SWAP = $\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$.



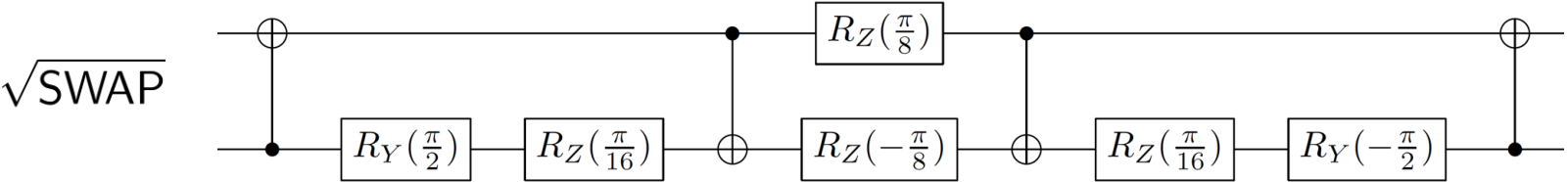
$\sqrt{\text{SWAP}}$ = $\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & \frac{1}{2}(1+i) & \frac{1}{2}(1-i) & 0 \\ 0 & \frac{1}{2}(1-i) & \frac{1}{2}(1+i) & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$.

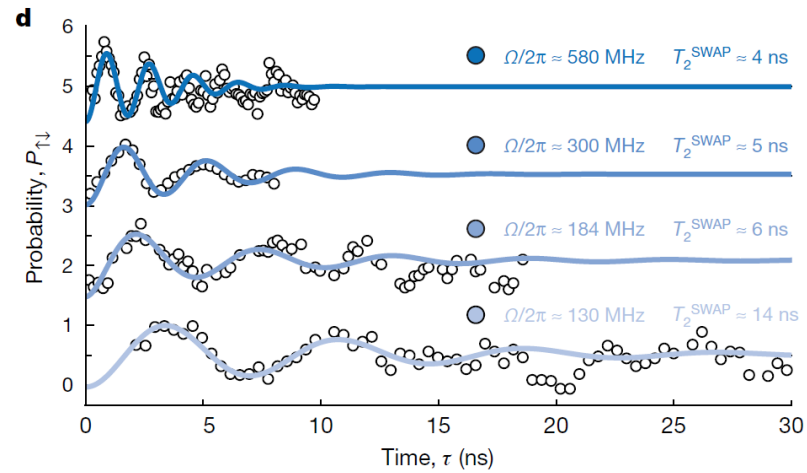
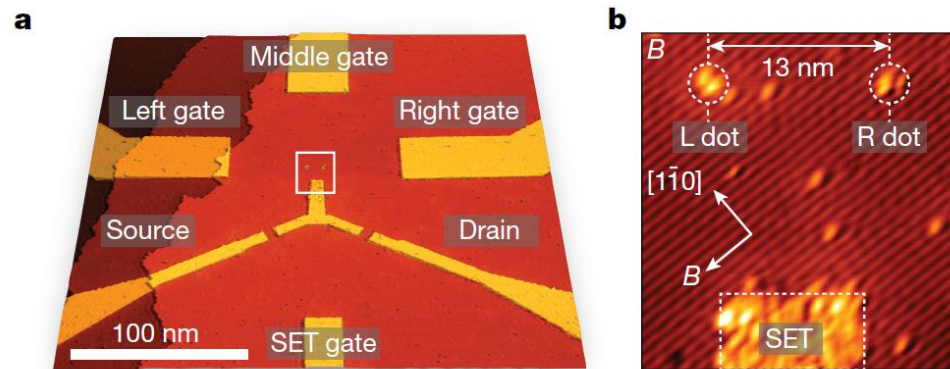
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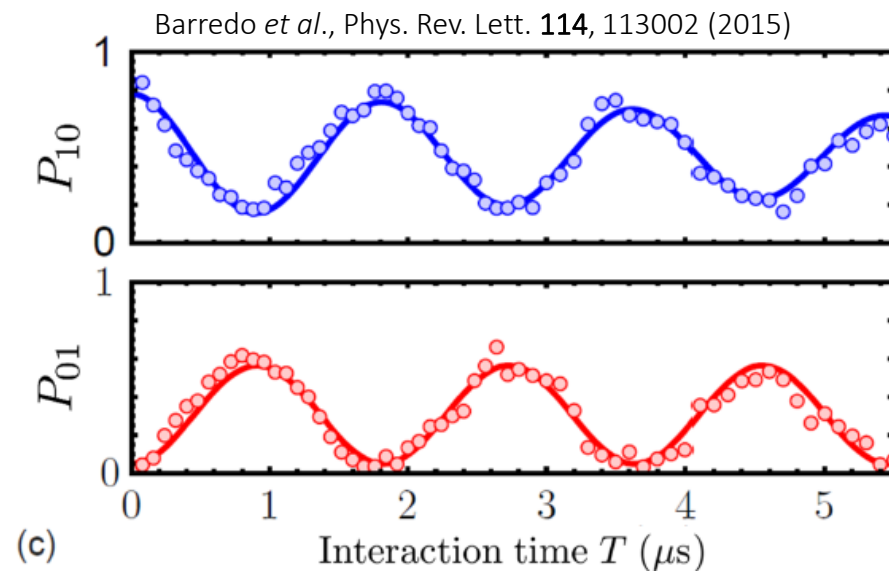
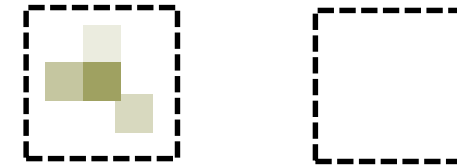


$\sqrt{\text{SWAP}} = \begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & \frac{1}{2}(1+i) & \frac{1}{2}(1-i) & 0 \\ 0 & \frac{1}{2}(1-i) & \frac{1}{2}(1+i) & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$.

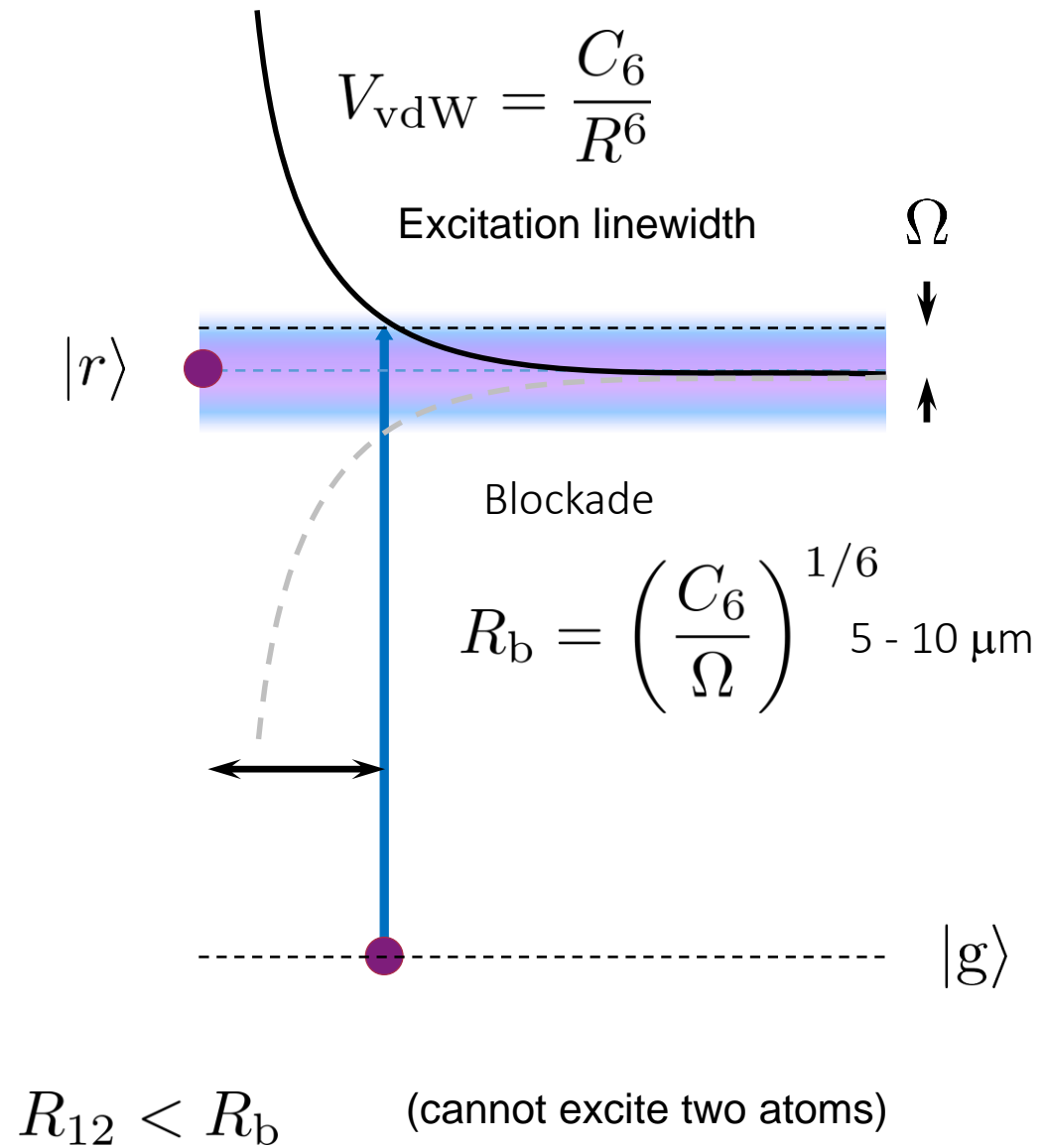




Compare:
Rydberg atoms



Rydberg blockade



High-Fidelity Control and Entanglement of Rydberg-Atom Qubits

Harry Levine,^{1*} Alexander Keesling,¹ Ahmed Omran,¹ Hannes Bernien,¹ Sylvain Schwartz,² Alexander S. Zibrov,¹

Manuel Endres,³ Markus Greiner,¹ Vladan Vuletić,⁴ and Mikhail D. Lukin¹

¹*Department of Physics, Harvard University, Cambridge, Massachusetts 02138, USA*

²*Laboratoire Kastler Brossel, ENS-PSL Research University, CNRS, Sorbonne Université, Collège de France, 24 rue Lhomond, 75005 Paris, France*

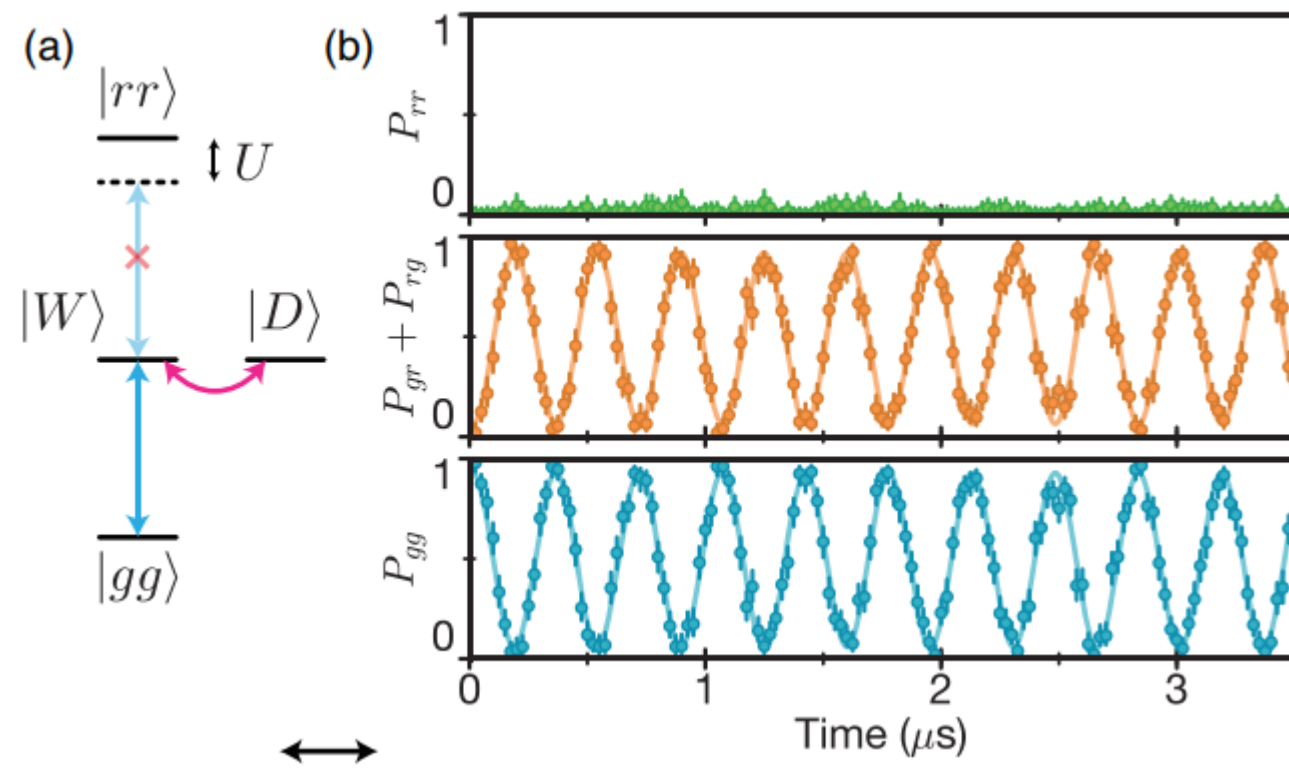
³*Division of Physics, Mathematics and Astronomy, California Institute of Technology, Pasadena, California 91125, USA*

⁴*Department of Physics and Research Laboratory of Electronics, Massachusetts Institute of Technology, Cambridge, Massachusetts 02139, USA*















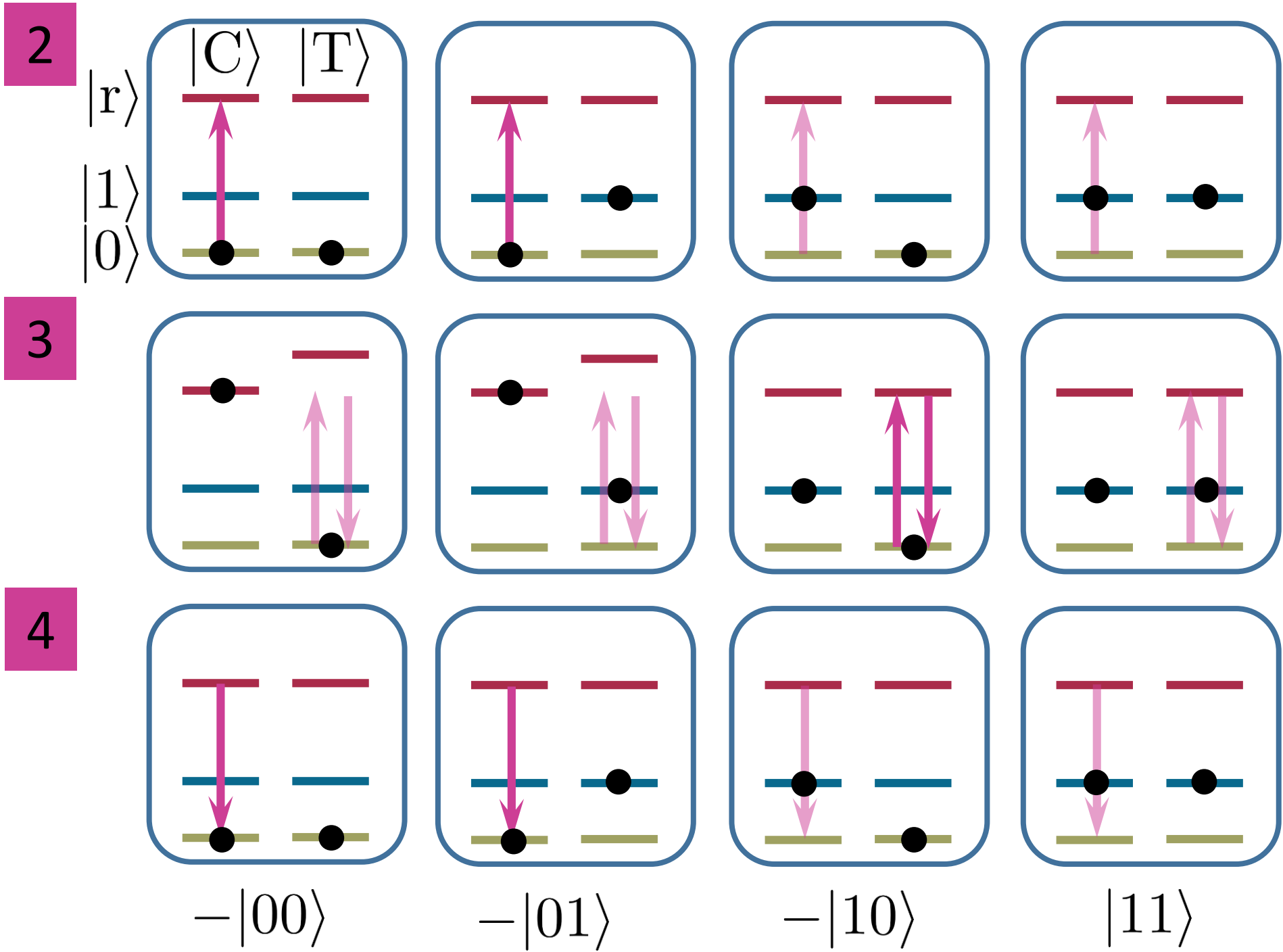
(Received 12 June 2018; published 20 September 2018)

We next turn to two-atom control. To this end, we position two atoms at a separation of $5.7\ \mu\text{m}$, at which the Rydberg-Rydberg interaction is $U/\hbar = 2\pi \times 30\ \text{MHz} \gg \Omega = 2\pi \times 2\ \text{MHz}$. In this so-called Rydberg blockade regime, the laser field globally couples both atoms from $|gg\rangle$ to the symmetric state $|W\rangle = (1/\sqrt{2})(|gr\rangle + |rg\rangle)$ at an enhanced Rabi frequency of $\sqrt{2}\Omega$ [see Fig. 3(a)] (here



https://en.wikipedia.org/wiki/Quantum_logic_gate

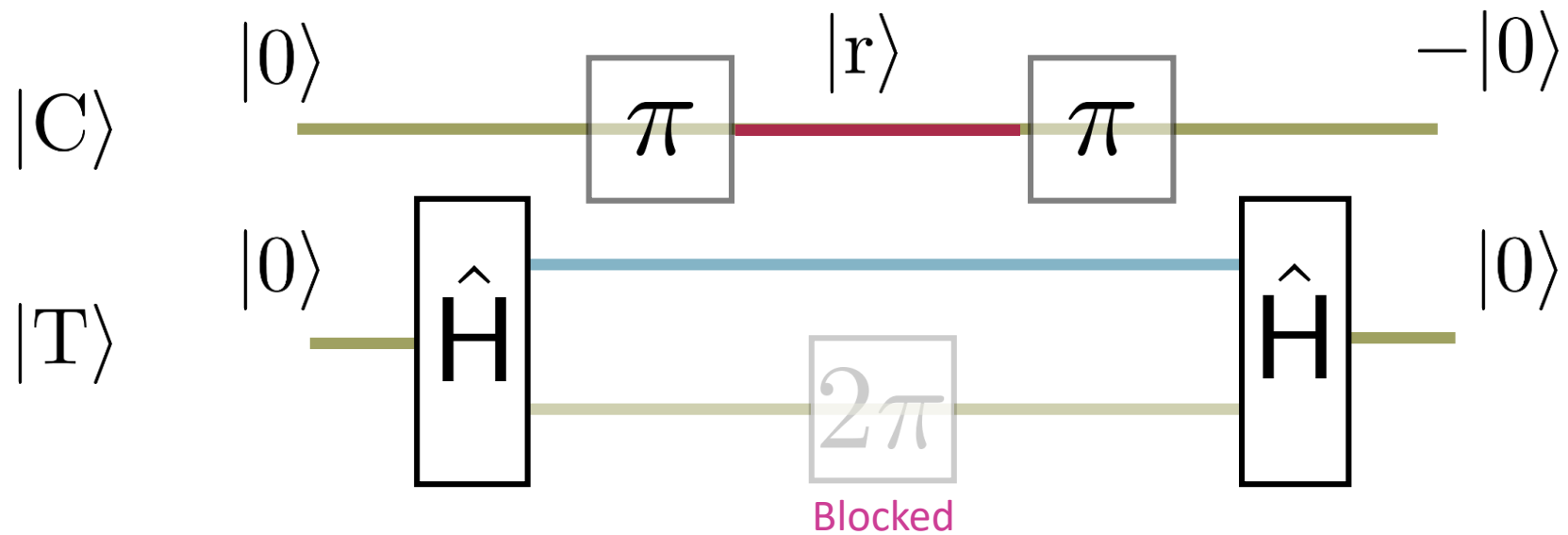
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SWAP			$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$



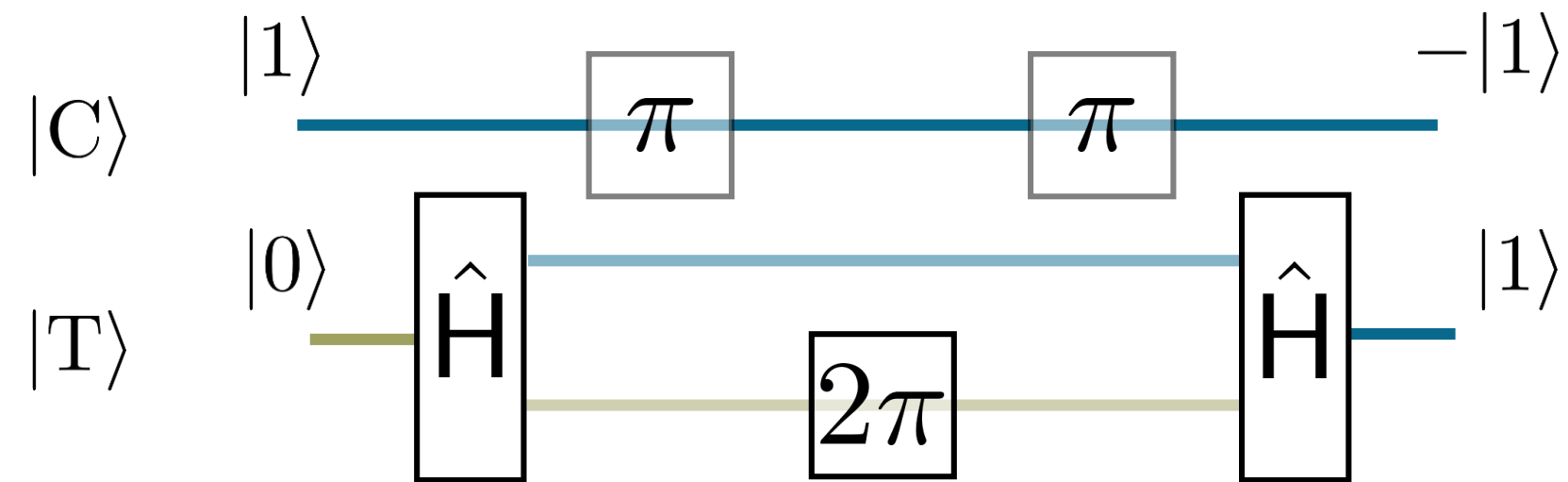
Complete 5 pulse CNOT

DiVincenzo No. 2 Gates

Case 1:



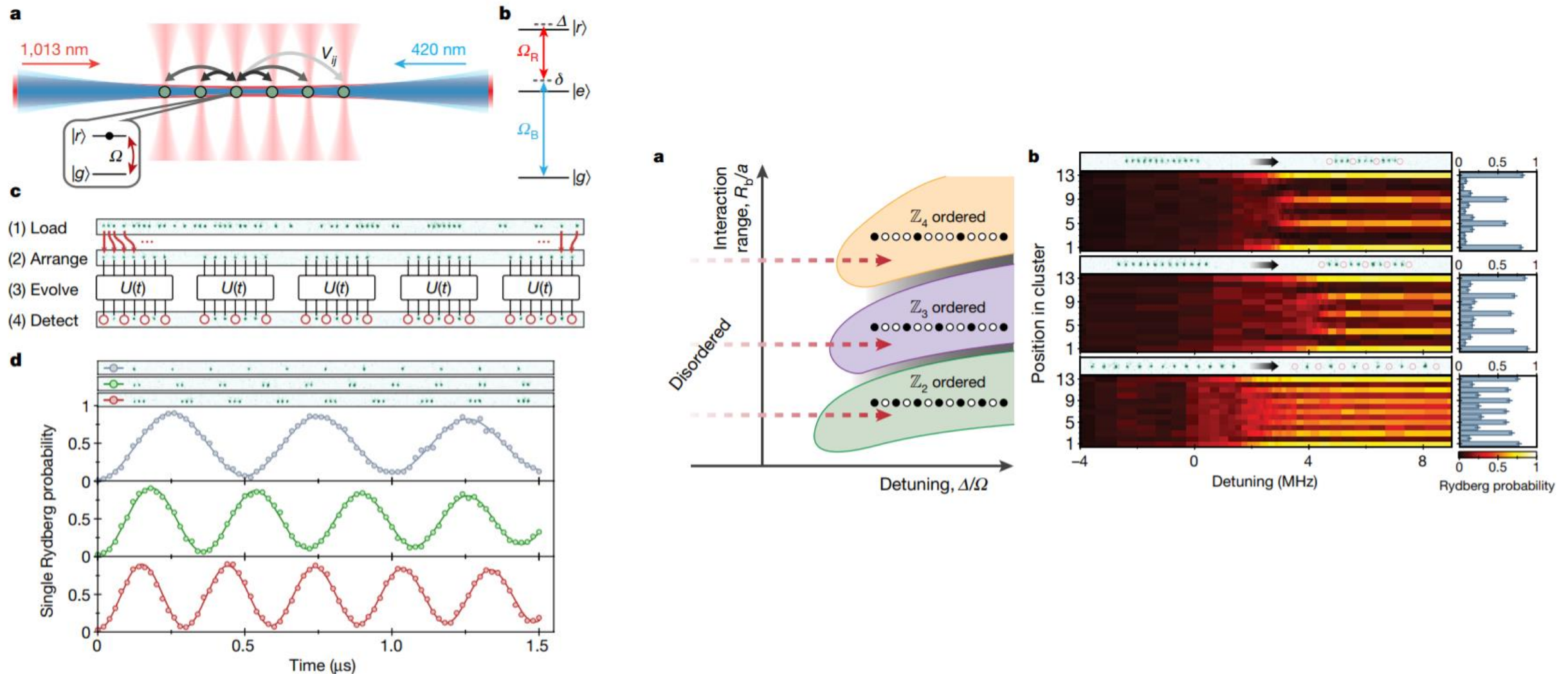
Case 2:



Probing many-body dynamics on a 51-atom quantum simulator

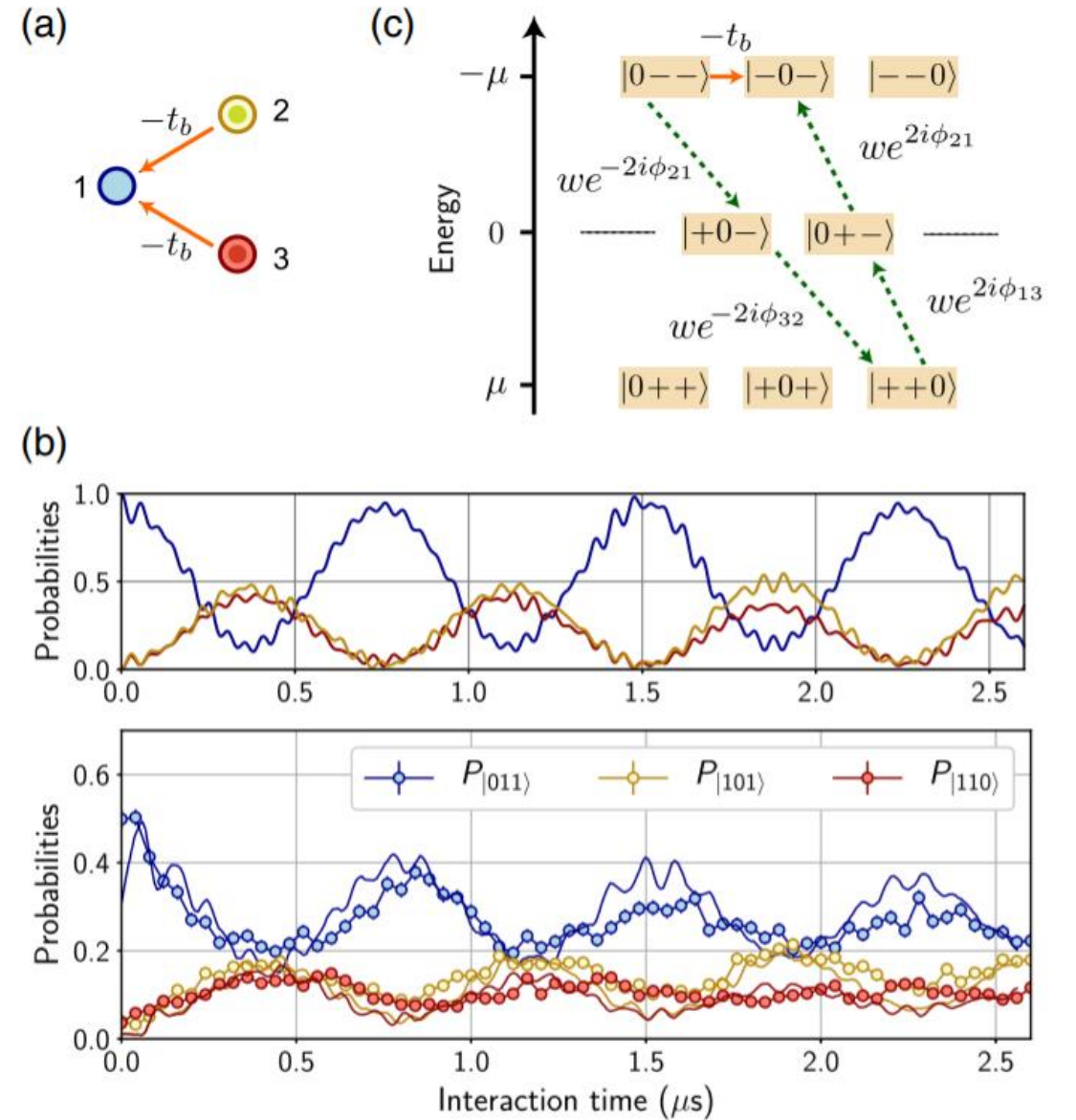
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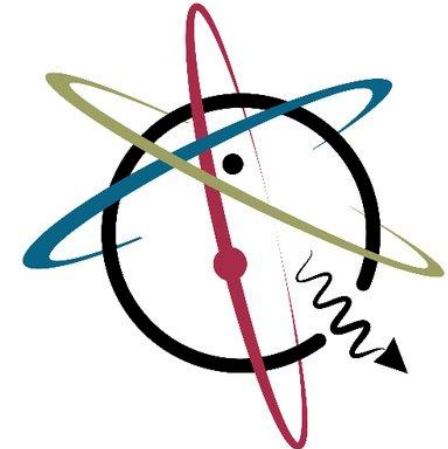
Hannes Bernien¹, Sylvain Schwartz^{1,2}, Alexander Keesling¹, Harry Levine¹, Ahmed Omran¹, Hannes Pichler^{1,3}, Soonwon Choi¹, Alexander S. Zibrov¹, Manuel Endres⁴, Markus Greiner¹, Vladan Vuletić² & Mikhail D. Lukin¹



Realization of a Density-Dependent Peierls Phase in a Synthetic, Spin-Orbit Coupled Rydberg System

Vincent Lienhard,^{1,*} Pascal Scholl,^{1,*} Sebastian Weber², Daniel Barredo¹, Sylvain de Léséleuc¹, Rukmani Bai,² Nicolai Lang², Michael Fleischhauer,³ Hans Peter Büchler², Thierry Lahaye¹ and Antoine Browaeys¹

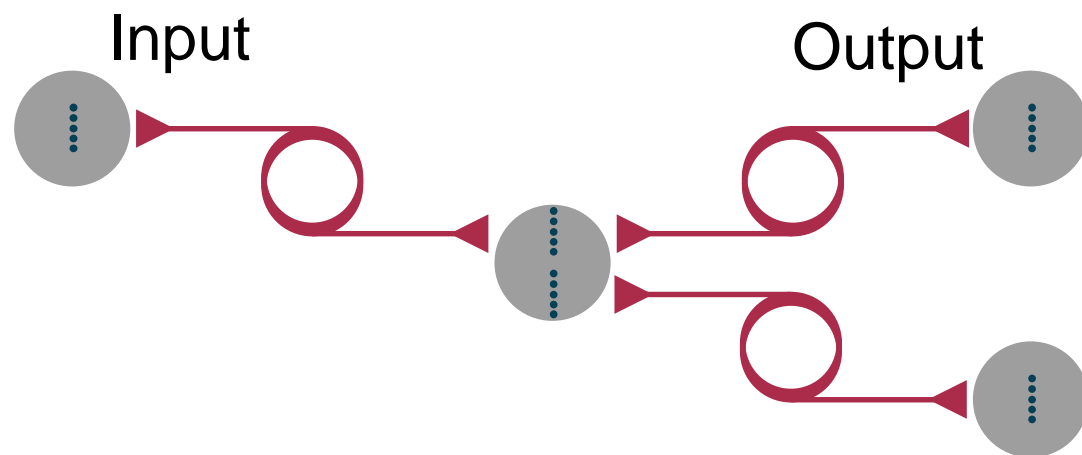




@DurhamQIm

Quantum light and matter

Quantum network



The Robustness of a Collectively Encoded Rydberg Qubit

Nicholas L. R. Spong,¹ Yuechun Jiao,^{1,2} Oliver D. W. Hughes,¹
Kevin J. Weatherill,¹ Igor Lesanovsky,^{3,4} and Charles S. Adams¹

¹*Joint Quantum Centre (JQC) Durham-Newcastle,
Department of Physics, Rochester Building, Durham*

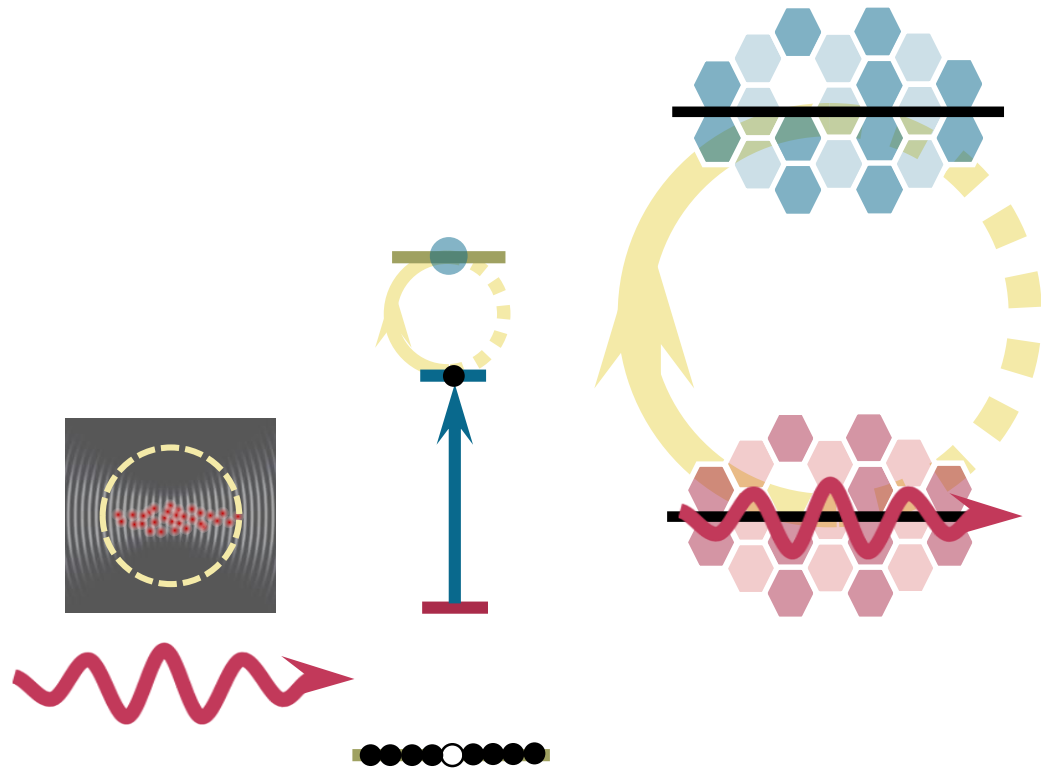
²*State Key Laboratory of Quantum Optics and Quantum Optics Devices,
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³*Institut für Theoretische Physik, Auf der Morgenstelle 14, 72076 Tübingen, Germany*

⁴*School of Physics and Astronomy and Centre for the Mathematics
and Theoretical Physics of Quantum Non-Equilibrium Systems,
The University of Nottingham, Nottingham, NG7 2RD, United Kingdom*

(Dated: August 4, 2020)

Stored single photon



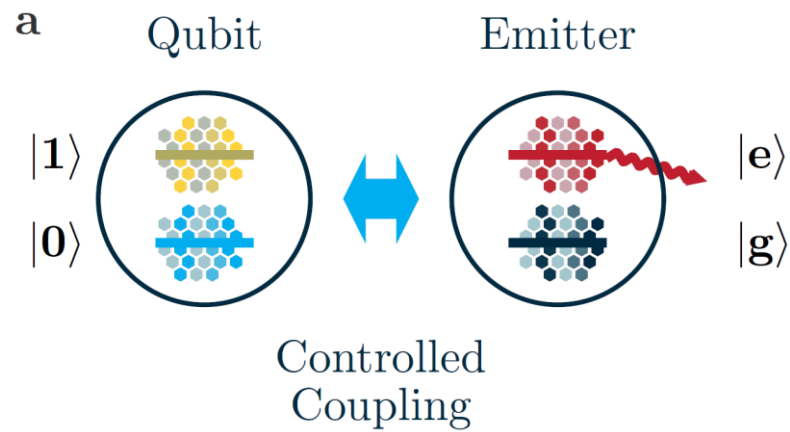
$$|1\rangle = \frac{1}{\sqrt{N}} \sum_{j=1}^N e^{i(\mathbf{k} \cdot \mathbf{R}_j - \omega_{r'} t)} |g_0 g_1 \dots r'_j \dots g_N\rangle$$

$$|0\rangle = \frac{1}{\sqrt{N}} \sum_{j=1}^N e^{i(\mathbf{k} \cdot \mathbf{R}_j - \omega_r t)} |g_0 g_1 \dots r_j \dots g_N\rangle$$

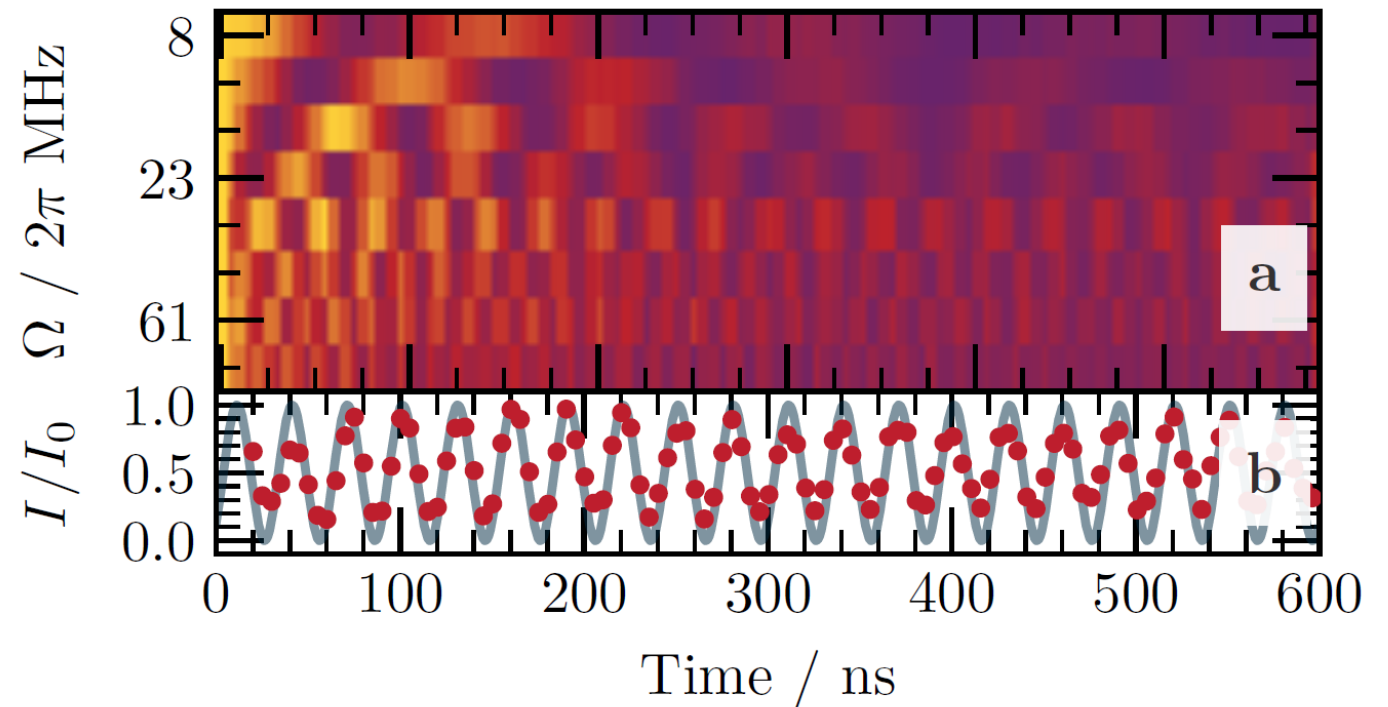
Collectively-encoded qubit

Continuous weak measurement

Strong driving



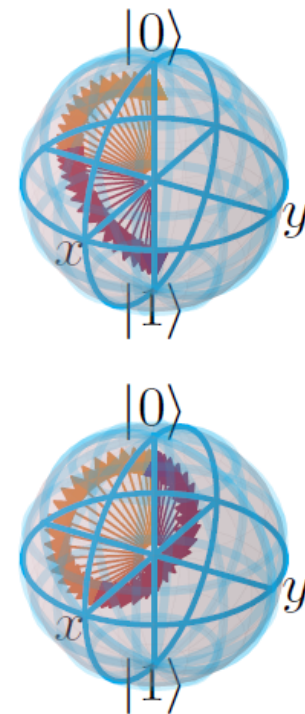
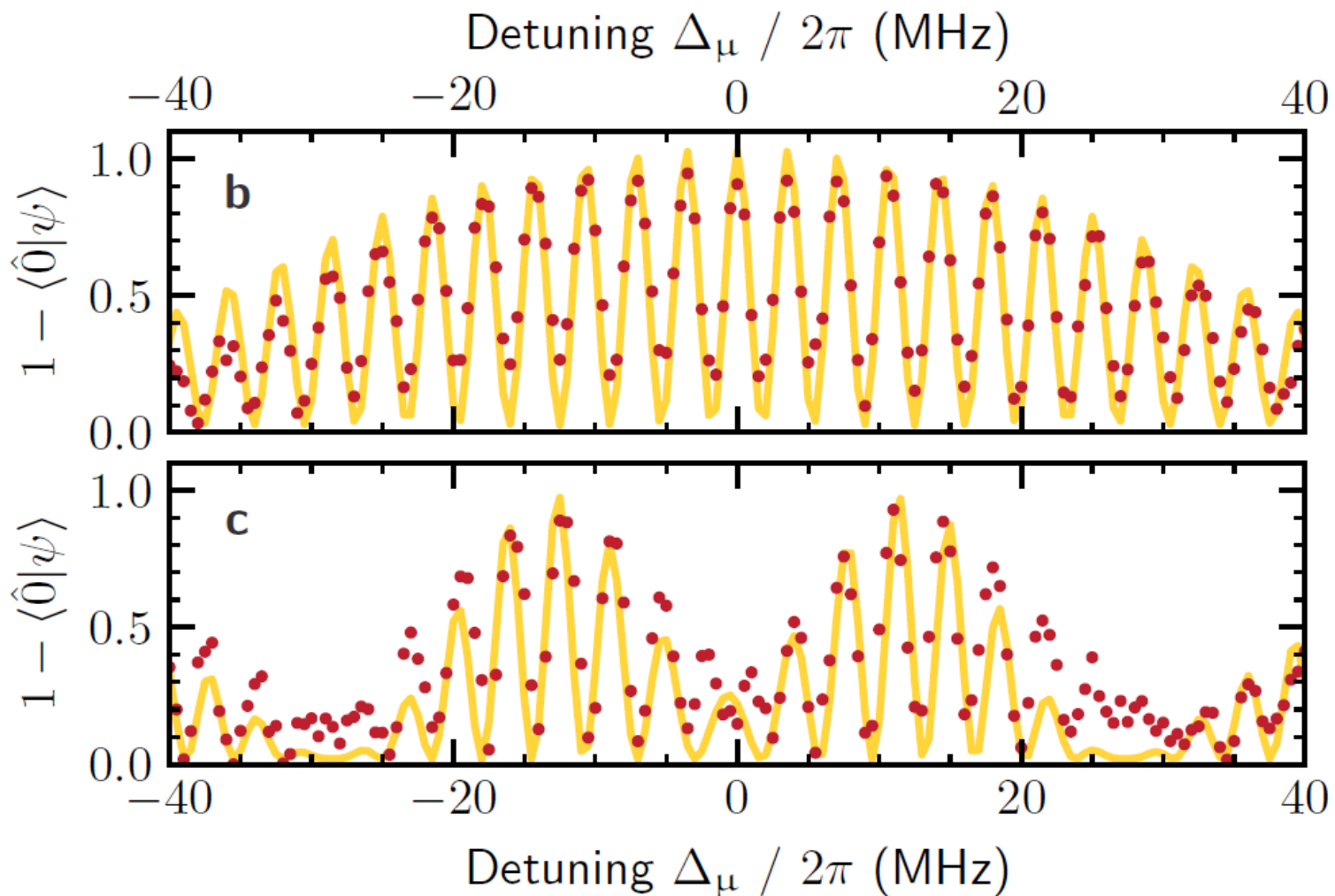
Weak coupling



Rabi frequencies > 70 MHz

Oscillations persist

Single qubit rotations



Open questions

1. Is a discrete gate model the best paradigm for quantum computing?

2. As there is no reason to restrict ourselves to binary logic, why not focus on higher dimensionality?

Asymptotic Improvements to Quantum Circuits via Qutrits

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Pranav Gokhale, Jonathan M. Baker, Casey Duckering, Natalie C. Brown, Kenneth R. Brown, and Frederic T. Chong. 2019. Asymptotic Improvements to Quantum Circuits via Qutrits. In *ISCA '19: 46th International Symposium on Computer Architecture, June 22–26, 2019, PHOENIX, AZ, USA*. ACM, New York, NY, USA, 13 pages. <https://doi.org/10.1145/3307650.3322253>

Quantum Information Scrambling in a Superconducting Qutrit Processor

M. S. Blok^{1*}, V. V. Ramasesh^{1*}, T. Schuster², K. O'Brien², J.M. Kreikebaum¹, D. Dahlen¹, A. Morvan¹, B. Yoshida³, N. Y. Yao² and I. Siddiqi¹

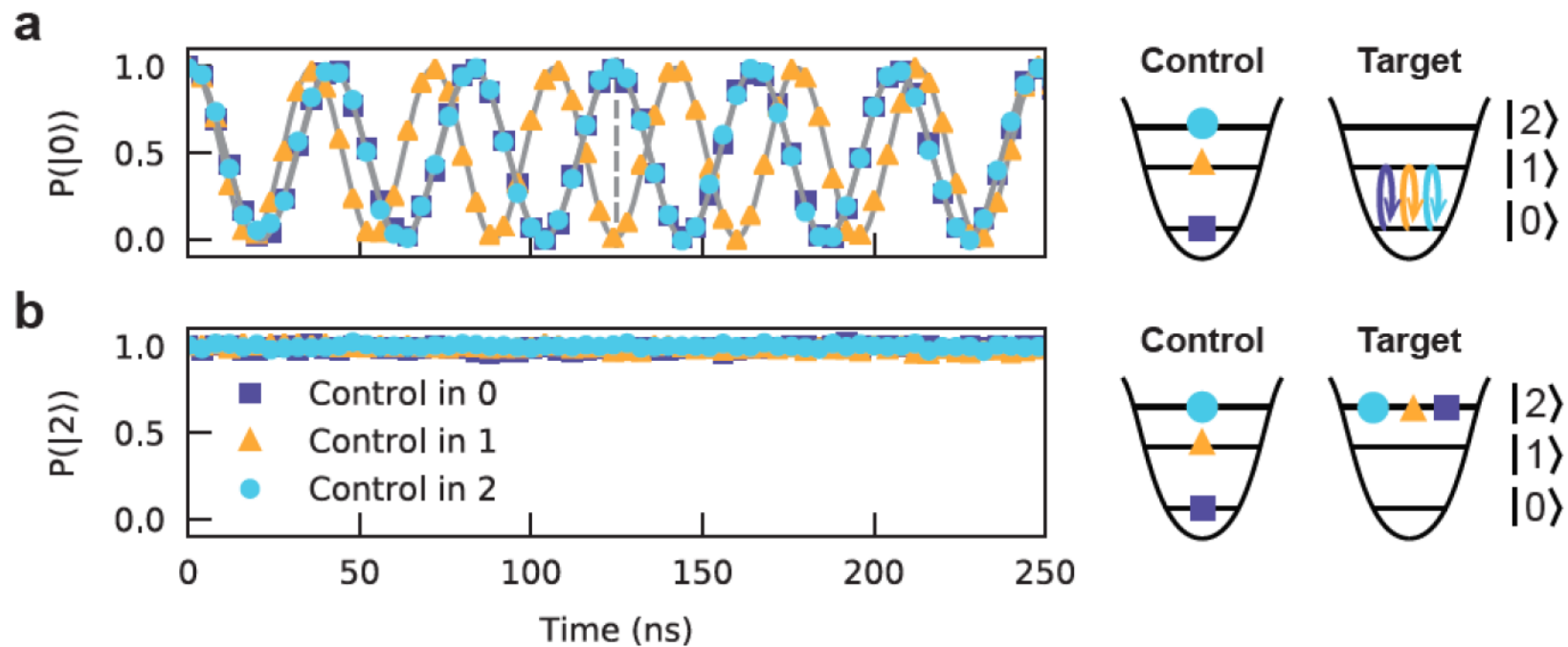
¹ *Lawrence Berkeley National Laboratory & Department of Physics,
University of California Berkeley, CA 94720, USA.*

² *Department of Physics, University of California, Berkeley, California 94720, USA.*

³ *Perimeter Institute for Theoretical Physics, Waterloo, Ontario, Canada.*

** These authors contributed equally to this work.*

(Dated: March 9, 2020)



QUTRIT ROTATIONS AND GATE-SET

A convenient set of generators to describe qutrit rotations are the Gell-Mann matrices:

$$\lambda_1 \equiv s_x^{01} = \begin{pmatrix} 0 & 1 & 0 \\ 1 & 0 & 0 \\ 0 & 0 & 0 \end{pmatrix} \quad \lambda_2 \equiv s_y^{01} = \begin{pmatrix} 0 & -i & 0 \\ i & 0 & 0 \\ 0 & 0 & 0 \end{pmatrix} \quad \lambda_3 \equiv s_z^{01} = \begin{pmatrix} 1 & 0 & 0 \\ 0 & -1 & 0 \\ 0 & 0 & 0 \end{pmatrix}$$

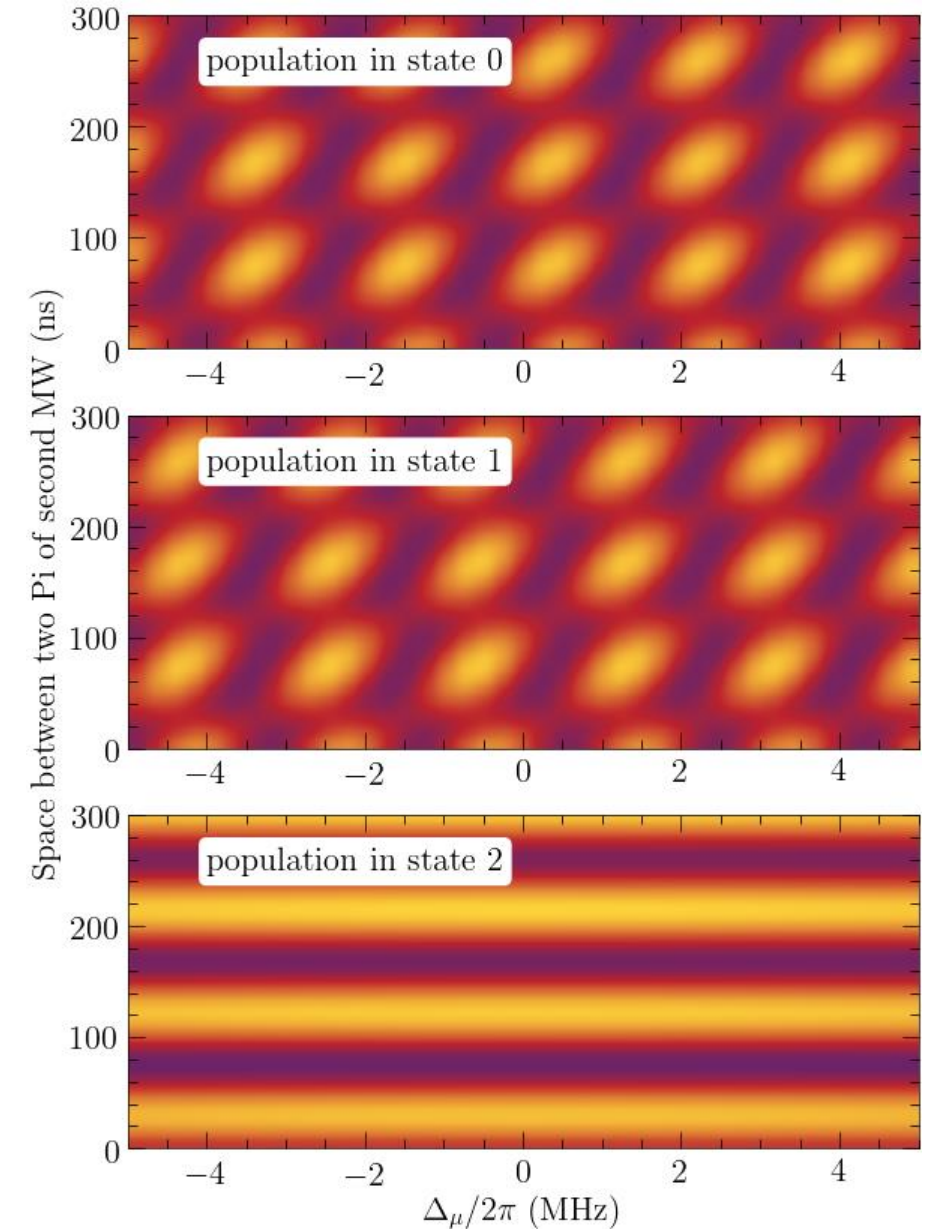
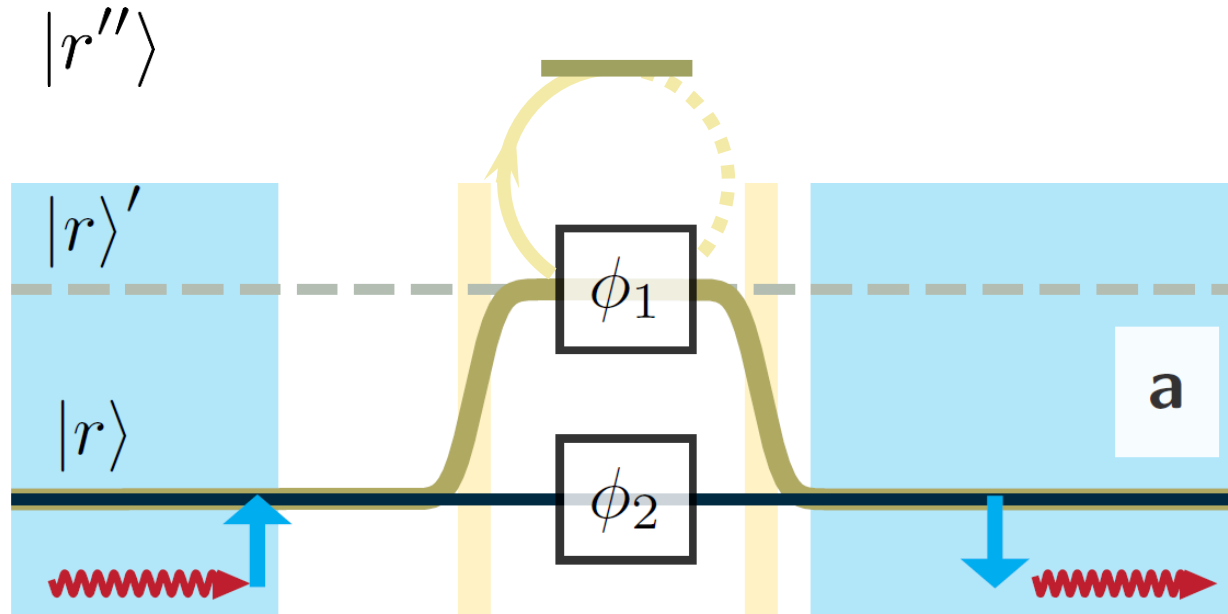
$$\lambda_4 \equiv s_x^{02} = \begin{pmatrix} 0 & 0 & 1 \\ 0 & 0 & 0 \\ 1 & 0 & 0 \end{pmatrix} \quad \lambda_5 \equiv s_y^{02} = \begin{pmatrix} 0 & 0 & -i \\ 0 & 0 & 0 \\ i & 0 & 0 \end{pmatrix} \quad \lambda_6 \equiv s_x^{12} = \begin{pmatrix} 0 & 0 & 0 \\ 0 & 0 & 1 \\ 0 & 1 & 0 \end{pmatrix}$$

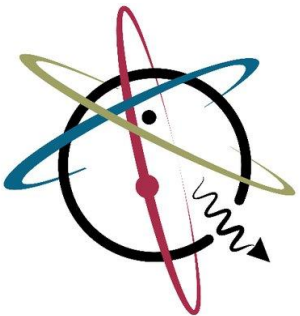
$$\lambda_7 \equiv s_y^{12} = \begin{pmatrix} 0 & 0 & 0 \\ 0 & 0 & -i \\ 0 & i & 0 \end{pmatrix} \quad \lambda_8 = \frac{1}{\sqrt{3}} \begin{pmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & -2 \end{pmatrix}$$

Collectively-encoded qutrit

$$|\psi\rangle = a|0\rangle + b|1\rangle + c|2\rangle$$

2nd microwave field





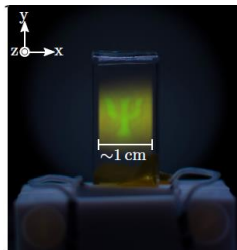
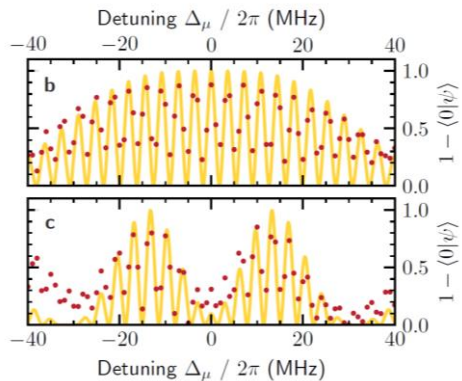
Acknowledgements

Rydberg polariton interferometry

Current: Yuechun Jiao, Oliver Hughes, Max Festenstein, Kevin Weatherill

Former: **Nick Spong**, **Teodora Ilieva**, Hannes Busche, Simon Ball, Paul Huillery, Chloe So, Charles Moehl, Matt Jones

Collaborators: **Igor Lesanovsky**



THz imaging

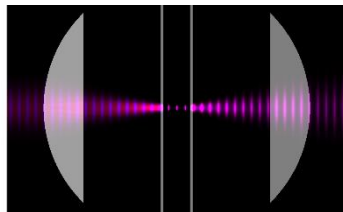
Current: **Lucy Downes**, Andrew McKellar, Shuying Chen, **Nourah Almuhawish**, **Matthew Jamieson**, **Kevin Weatherill**

Former: Dan Whiting

Nanocells

Current: **Tom Cutler**, Dani Pizzey, Ifan Hughes, Vahid Sandoghdar, Jan Renger

Former: **Kate Whittaker**, James Keaveney



Simultons

Current: Robert Potvliege, Steven Wrathmall

Former: Tommy Ogden, Kate Whittaker, James Keaveney

Funding

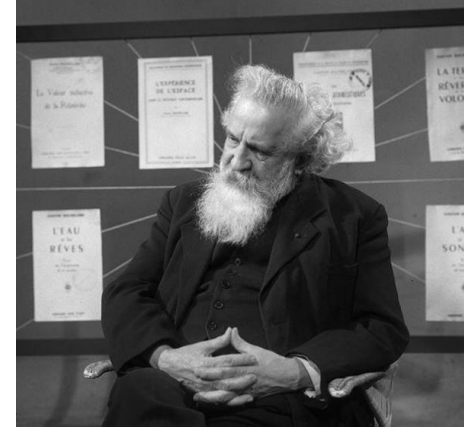


Une simple image, si elle est nouvelle, ouvre un monde,

Gaston Bachelard (1884 - 1962)

"information is in continuous construction"

Scientists, in trying to learn about the world, create a new world.



Une simple image, si elle est nouvelle, ouvre un monde,

Gaston Bachelard (1884 - 1962)

