

$b \rightarrow s\tau\tau$: BSM model correlations and what we can learn from stronger bounds on the BRs.

Claudia Cornella and Sam Cunliffe

Beyond the flavour anomalies II, 20-22.04.2021



**Universität
Zürich**^{UZH}

Corroborating measurements II

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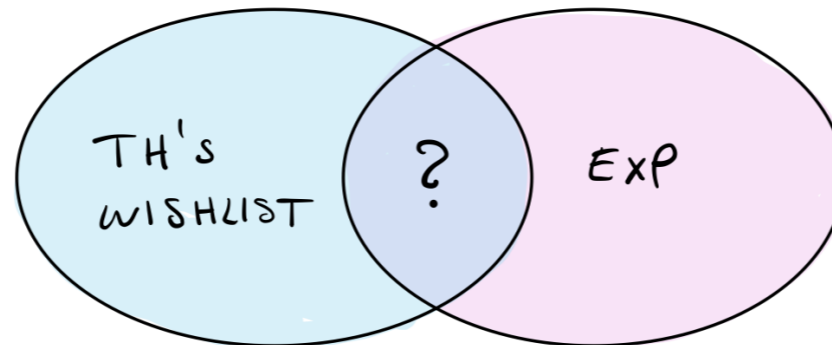


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Intro

We want to analyze possible measurements **complementary** to B anomalies:

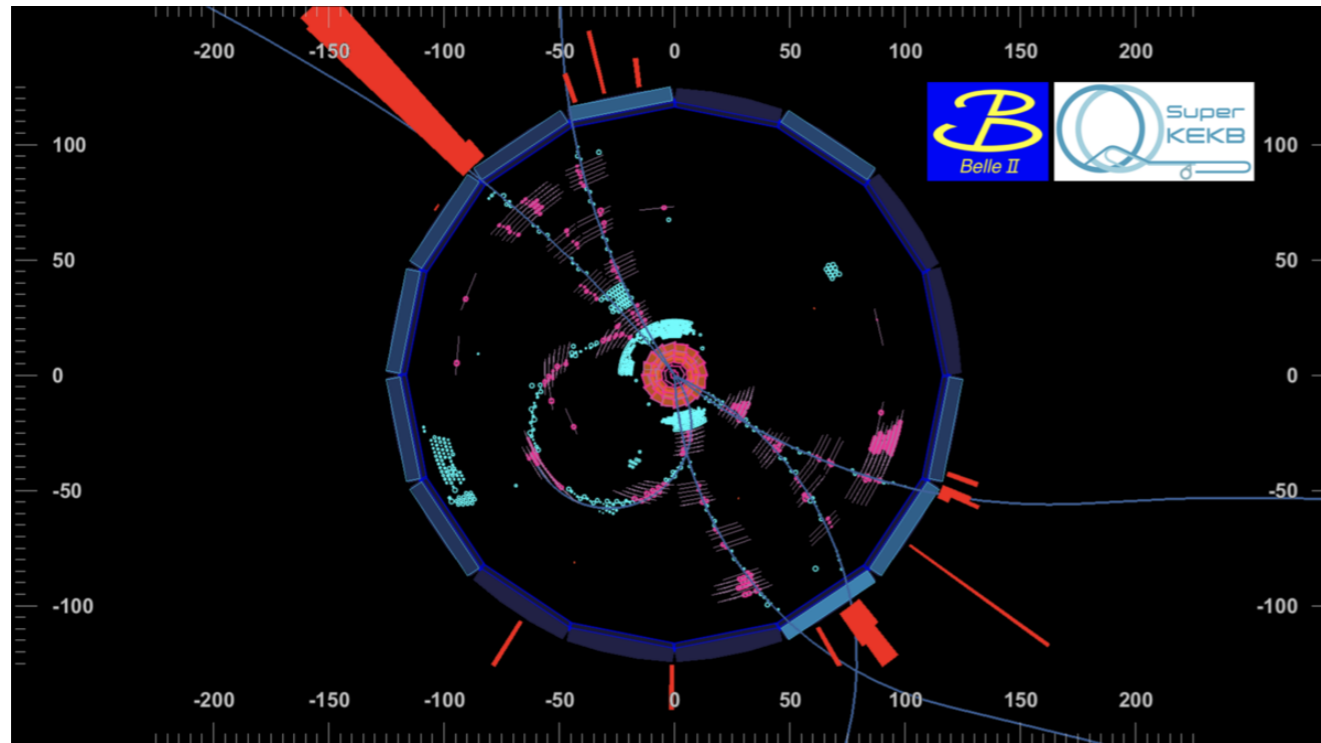
- If B anomalies are NP signals, **where else** should we see something?
- What can **Belle II and LHCb** measure?



Disclaimer:

- The aficionados of the workshop *won't* find big news with respect to last year: LHCb update on R_K and $B_s \rightarrow \mu\mu$ consolidates the picture in $b \rightarrow sll$, but $R_{D^{(*)}}$ drives the size of most of the signatures considered here.

The experiments



Belle II

Near term goal: **0.5–1 ab^{-1}**
over the next two years.

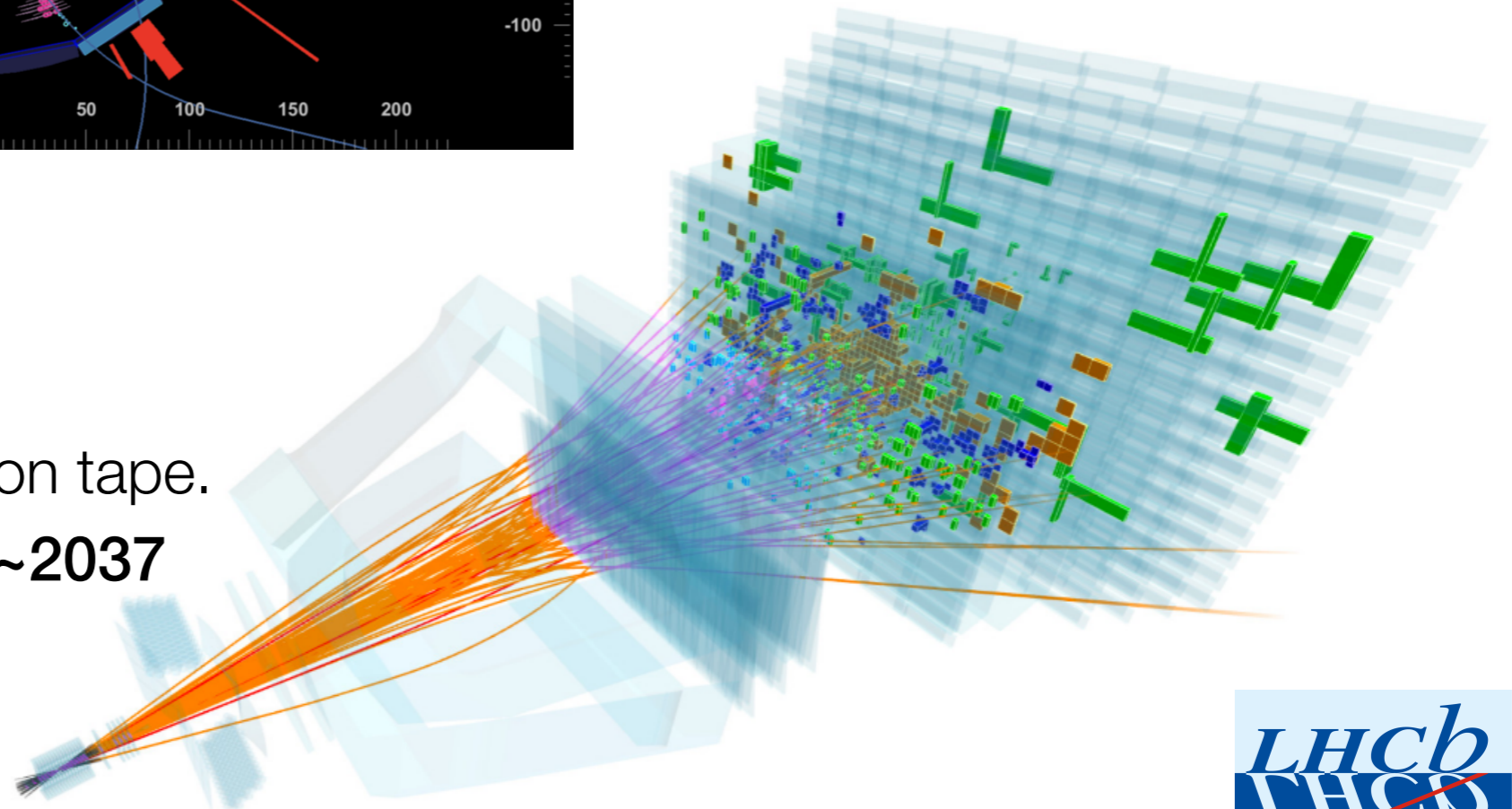
5 ab^{-1} ~2024

50 ab^{-1} 2031

LHCb

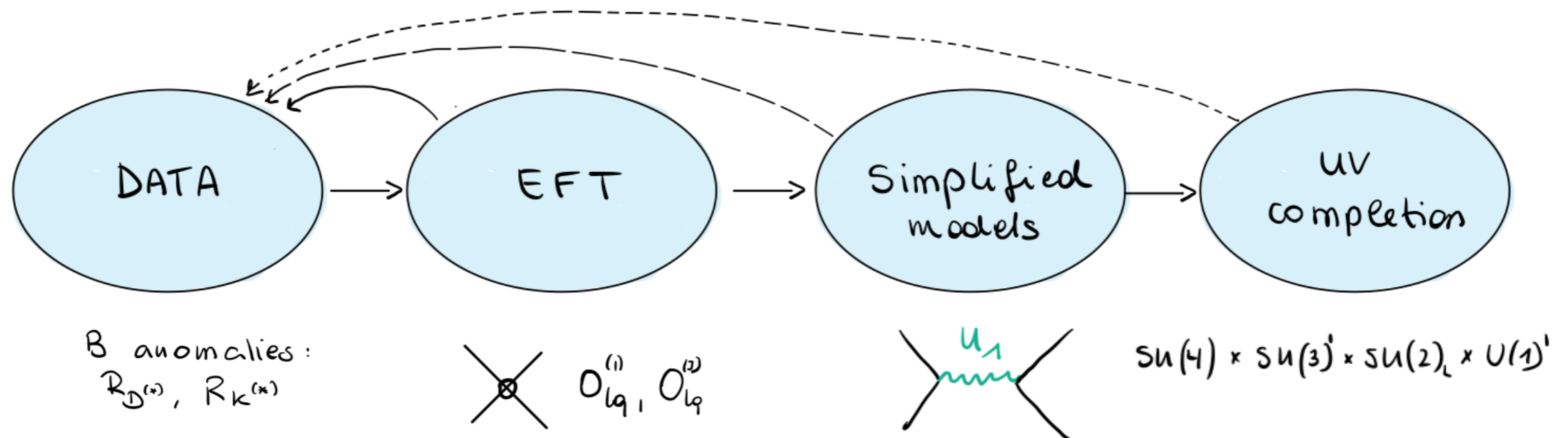
3+6 fb^{-1} on tape.

300 fb^{-1} ~2037



The theory tools

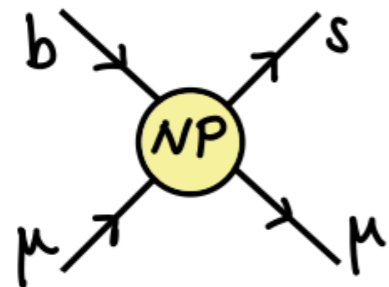
We work in a bottom-up approach:



- These steps are **complementary**, not unidirectional.
- At each step we can investigate **connections** with other observables.
- **Strength** of connections can vary a lot (more or less dependent on theory assumptions).

Where to go from $b \rightarrow s\mu\mu$?

Assume **there is NP** in $b \rightarrow s\mu\mu$ (and electrons are SM-like)



$$\mathcal{L}_{\text{NP}} = \frac{4G_F}{\sqrt{2}} V_{tb}^* V_{ts} \frac{\alpha}{4\pi} [\mathcal{C}_9(\bar{s}_L \gamma_\mu b_L)(\bar{\mu} \gamma^\mu \mu) + \mathcal{C}_{10}(\bar{s}_L \gamma_\mu b_L)(\bar{\mu} \gamma^\mu \gamma_5 \mu)]$$

$$\sim 10^{-5} G_F$$

We want to explore the **flavor structure** of this interaction:

...in **quark** space:

$$b \rightarrow d\mu\mu$$

(almost) indifferent to $R_{D^{(*)}}$

...in **lepton** space:

$$b \rightarrow s\tau\tau$$

$$b \rightarrow s\nu\nu$$

$$b \rightarrow s\tau\mu$$

expected NP effect depends **heavily** on whether we add $R_{D^{(*)}}$

$b \rightarrow d\mu\mu$

A priori, no “obvious” relation between NP in $b \rightarrow s$ and $b \rightarrow d$.

In NP models with a min. broken $U(2)_q$ symmetry (motivated by $\Delta F = 2$), $b \rightarrow s$ and $b \rightarrow d$ are connected:

$$\frac{b \rightarrow s\ell\ell}{b \rightarrow d\ell\ell} = \frac{b \rightarrow s\ell\ell}{b \rightarrow d\ell\ell} \Bigg|_{\text{SM}} \approx \frac{|V_{td}|^2}{|V_{ts}|^2} \approx 10^{-2} \quad (\text{modulo phase space})$$

$B \rightarrow \pi\mu\mu$
 $B_d \rightarrow \mu\mu$

We can **test LFU** in $b \rightarrow d$ via

$$R_\pi[q_{\min}^2, q_{\max}^2] = \frac{\int_{q_{\min}^2}^{q_{\max}^2} dq^2 \frac{d\mathcal{B}}{dq^2} (B^+ \rightarrow \pi^+ \mu^+ \mu^-)}{\int_{q_{\min}^2}^{q_{\max}^2} dq^2 \frac{d\mathcal{B}}{dq^2} (B^+ \rightarrow \pi^+ e^+ e^-)} \stackrel{U(2)}{\approx} R_K^{(*)}$$

✓ It's **clean**: pollution from long distance effects < 10% in large q^2 regions

[Bordone, CC, König, Isidori, 2101.11626]

Experimental $b \rightarrow d\mu\mu$

Aside from the updated $B_d \rightarrow \mu\mu$
(let's not forget this excellent work)

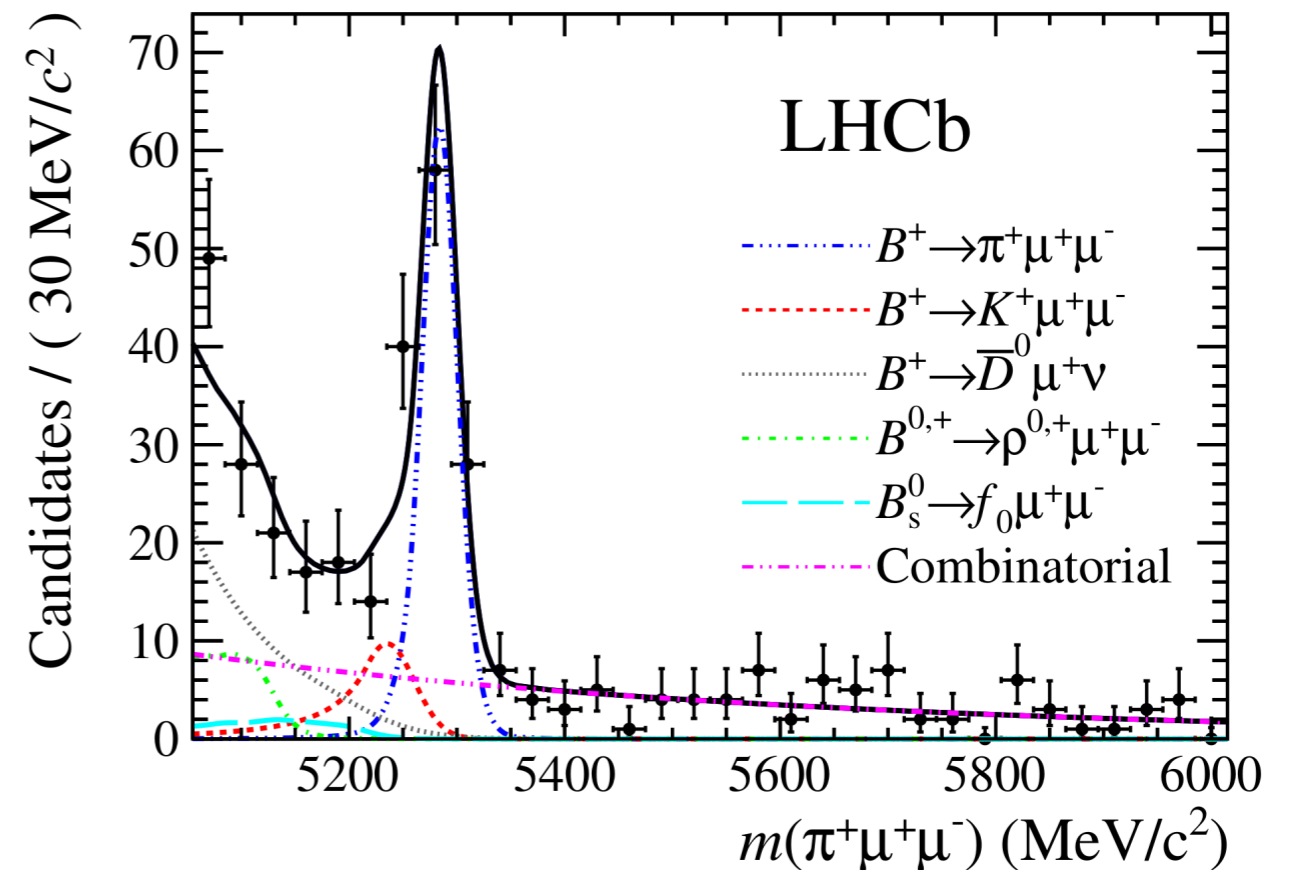
LHCb: $B \rightarrow \pi\mu\mu$

[LHCb, [JHEP10\(2015\)034](#)]

According to the upgrade note,
LHCb needs 300 fb^{-1} to be able to
form R_π

Sam's rough and unofficial number puts Belle II at $\sim 300 B \rightarrow \pi\ell\ell$ events in 50 ab^{-1} ... looks like we could measure that ratio too...

A beautiful peak
(but now 6 years old)

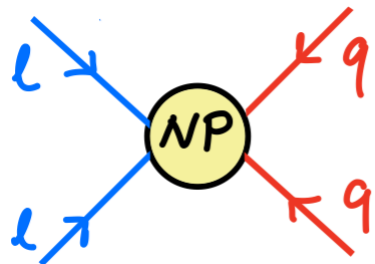


Explaining both sets of anomalies: a recap

B anomalies fit nicely together in the **SMEFT**. [\[see talk by Peter and Quim\]](#)

Minimal setup
(NP coupled to **LH** fields **only**)

$$\mathcal{L} = \frac{C_{\ell q}^{(3)}}{\Lambda^2} (\bar{\ell} \gamma^\mu \tau^a \ell) (\bar{q} \gamma^\mu \tau^a q) + \frac{C_{\ell q}^{(1)}}{\Lambda^2} (\bar{\ell} \gamma^\mu \ell) (\bar{q} \gamma^\mu q)$$



- ✓ $C_9^\mu = -C_{10}^\mu$
- ✓ V_L solution to $b \rightarrow c \tau \nu$
- ✓ ΔC_9^U via RGE mixing

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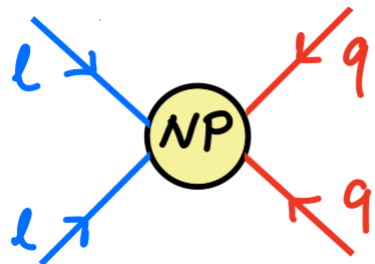
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scalar/tensor contributions also possible
(NP coupled **also** to **RH** fermions)

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$$+ \frac{C_{\ell edq}}{\Lambda^2} (\bar{\ell} d) (\bar{e} q) \quad \text{or}$$

$$+ \frac{C_{\ell equ}^{(1)}}{\Lambda^2} (\bar{\ell} e) \sigma_2 (\bar{q} u) + \frac{C_{\ell equ}^{(3)}}{\Lambda^2} (\bar{\ell} \sigma_{\mu\nu} e) \sigma_2 (\bar{q} \sigma^{\mu\nu} u)$$



- ✓ $C_9^\mu = -C_{10}^\mu$
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- ✓ $V_L + S_R / S_L, T$ solution to $b \rightarrow c\tau\nu$

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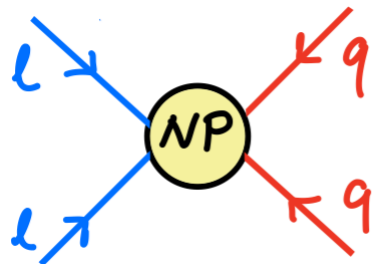
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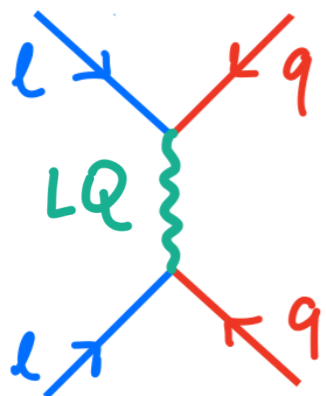
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Leptoquarks are the best candidates
(no 4-lepton and 4-quark processes at tree level)

[\[far too many papers to be cited\]](#)

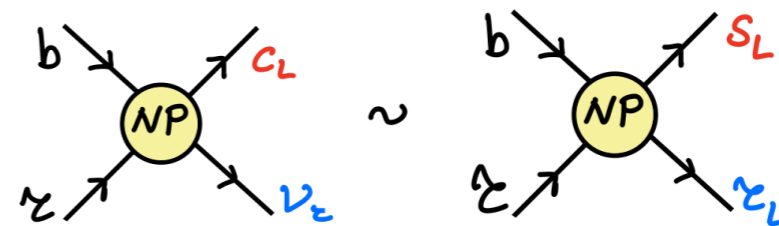
Three possibilities:

$$U_1 \quad S_1 + S_3 \quad (S_3 + R_2)$$

$b \rightarrow s\tau\tau$

- With the NC anomaly only there's no reason to expect sizable NP in $b \rightarrow s\tau\tau$.
- If we add $R_{D^{(*)}}$, $b \rightarrow s\tau\tau$ has(*) to be large: [\[see e.g. Crivellin et al. 1703.09226\]](#)

$$l_L^3 = \begin{bmatrix} \nu_e \\ \tau_L \end{bmatrix} \quad q_L^2 = \begin{bmatrix} c_L \\ s_L \end{bmatrix} \quad \xRightarrow{SU(2)_L \text{ invariance}}$$



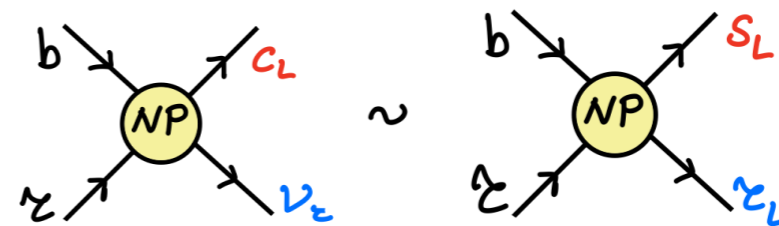
$\Rightarrow B \rightarrow K\tau\tau$ and $B_s \rightarrow \tau\tau$ enhanced over the SM.

How much?

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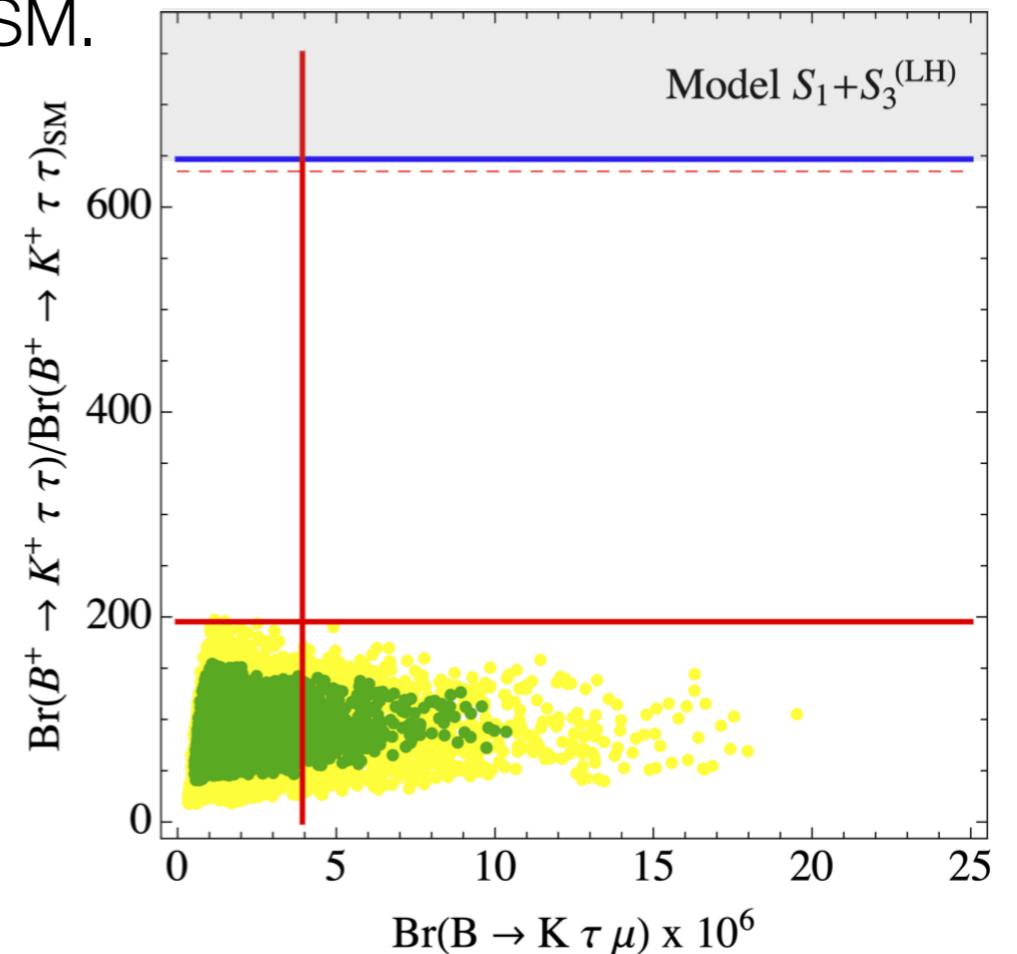
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$$\frac{\mathcal{B}(B_s \rightarrow \tau\tau)}{\mathcal{B}(B_s \rightarrow \tau\tau)_{\text{SM}}} \approx \frac{\mathcal{B}(B \rightarrow K\tau\tau)}{\mathcal{B}(B \rightarrow K\tau\tau)_{\text{SM}}} \approx 1 \times 10^2$$

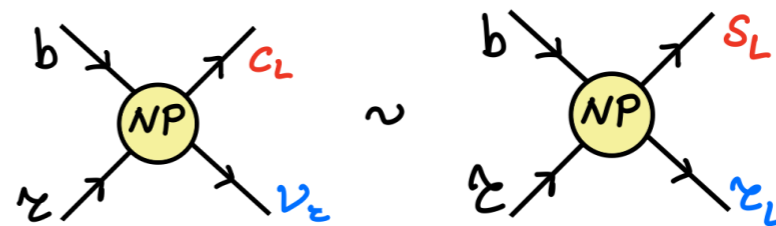


[Gherardi, Marzocca, Venturini 2008.09548]

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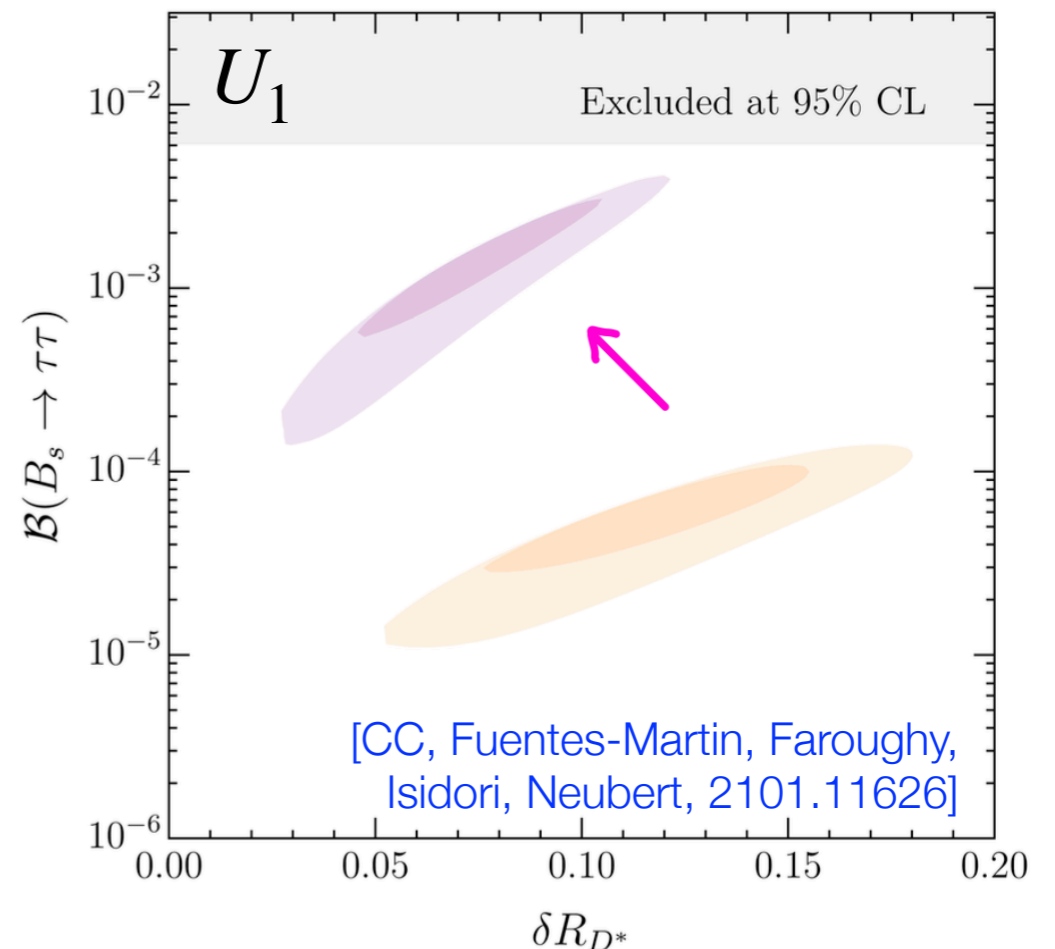


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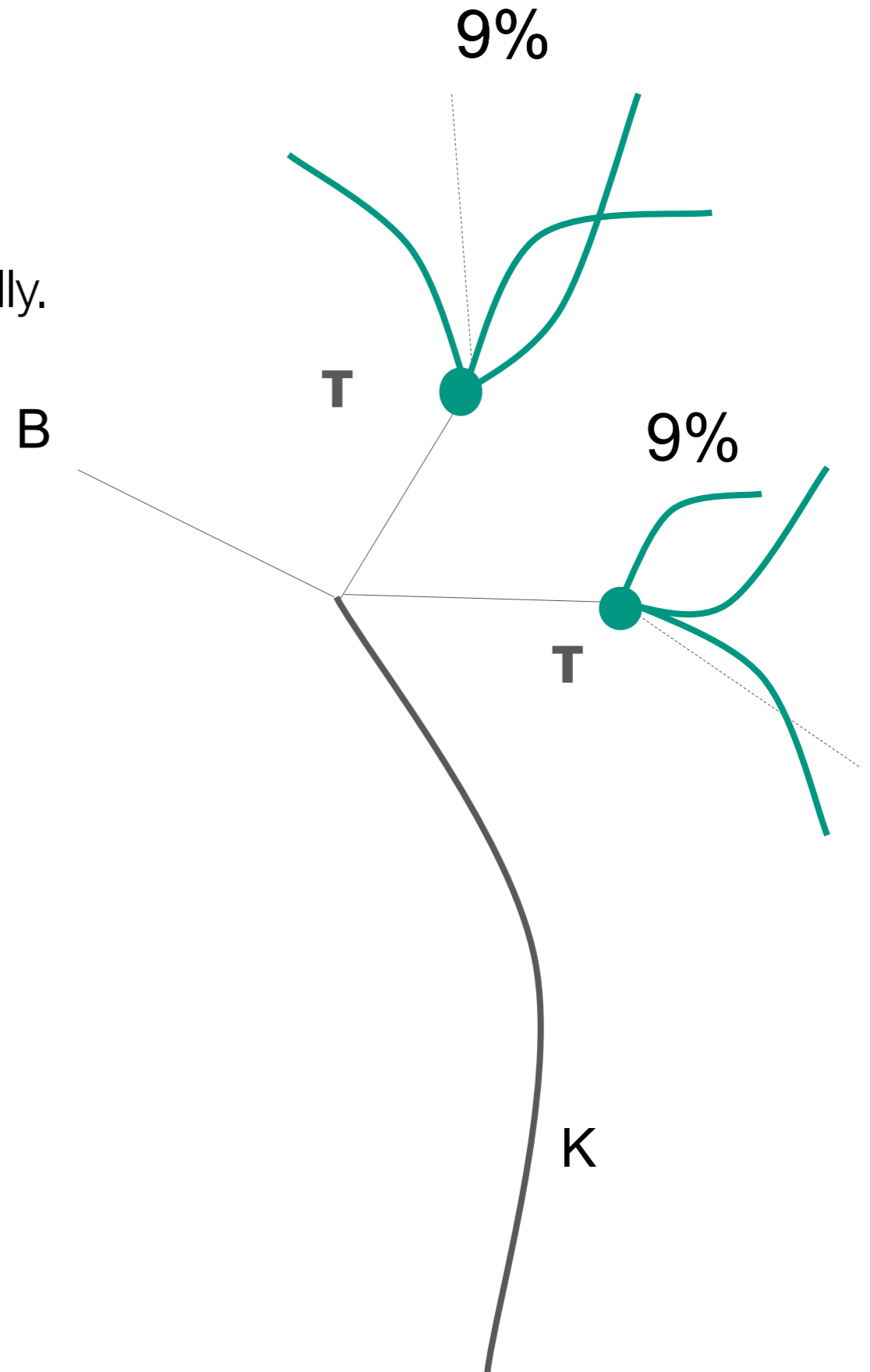
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Why are ditau limits so weak?

Di taus from a B decay: not trivial experimentally.
For either of us.

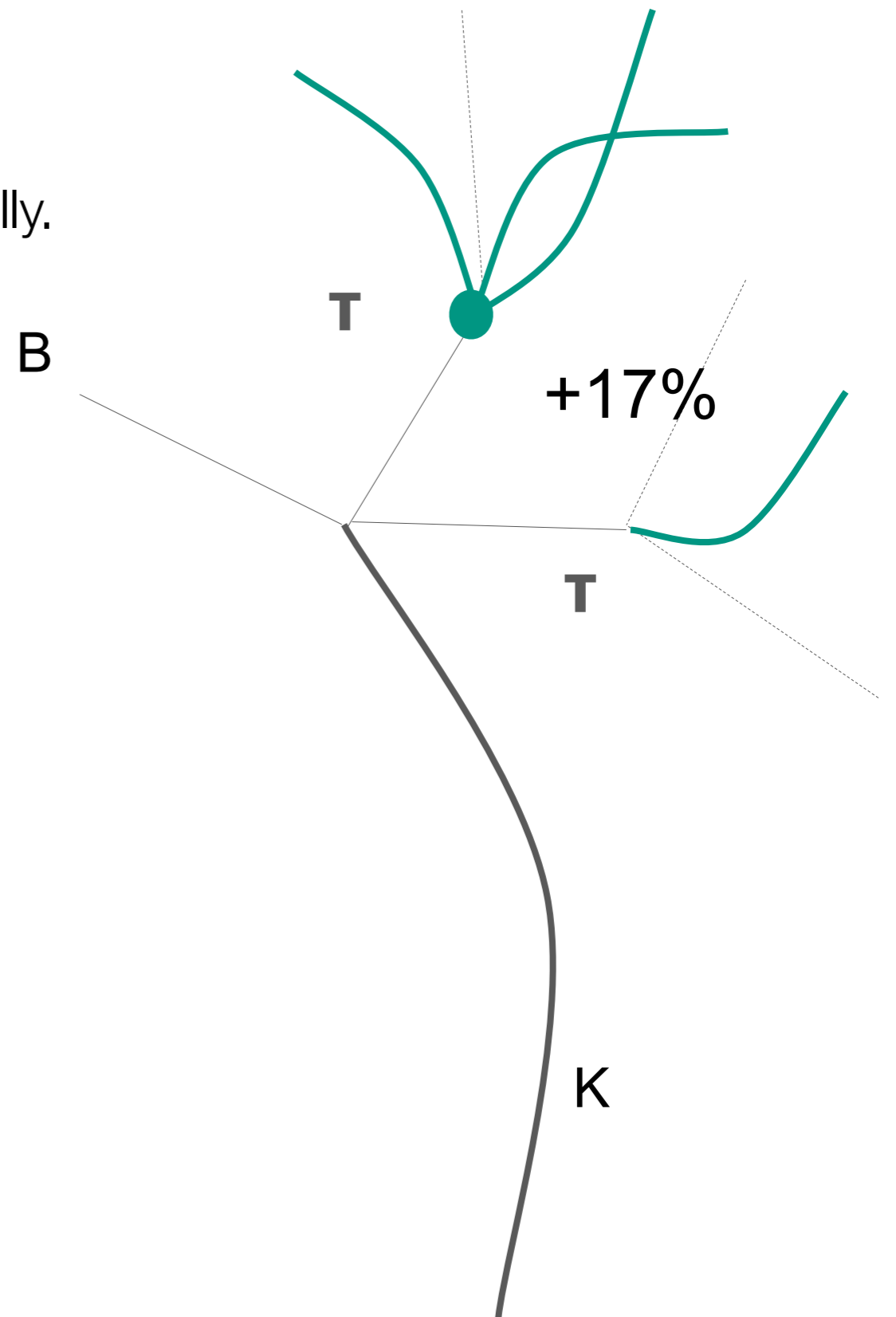
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- Experimentally preferred the 3-prong-3-prong topology: take a hit from tau branching fraction.



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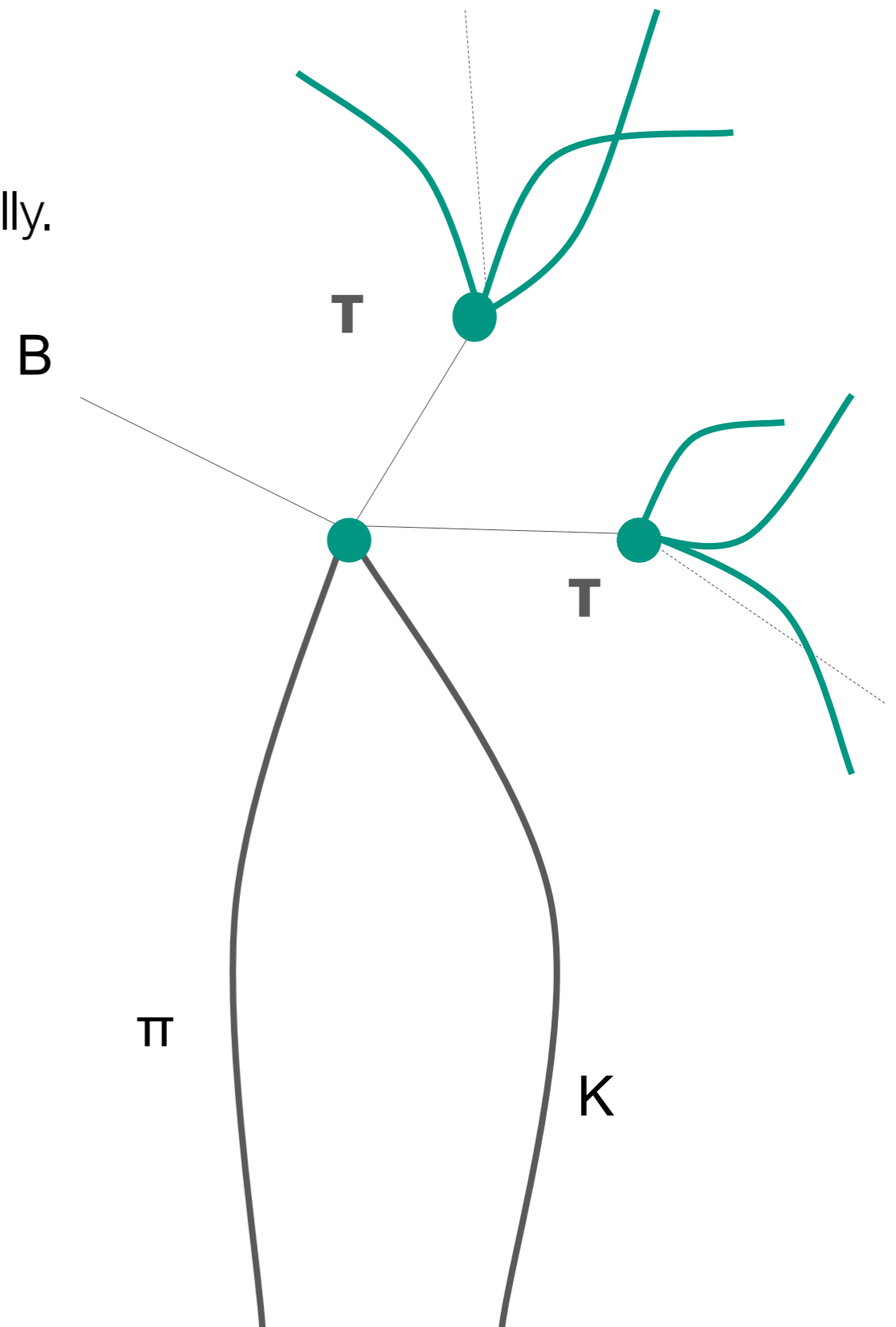


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The K^* can help by providing the B decay vertex at the cost of an extra track and $K^* \rightarrow K\pi$.



Experimental $B \rightarrow K\tau\tau$

Experimentalists have noticed your papers!

- Enthusiasm in Belle II given predicted enhancements.
- Rumors from LHCb too? [Yes, Kostas we were listening to the \$R_K\$ seminar.](#)
- Nothing is ready yet. You have to imagine behind-the-scenes fun.

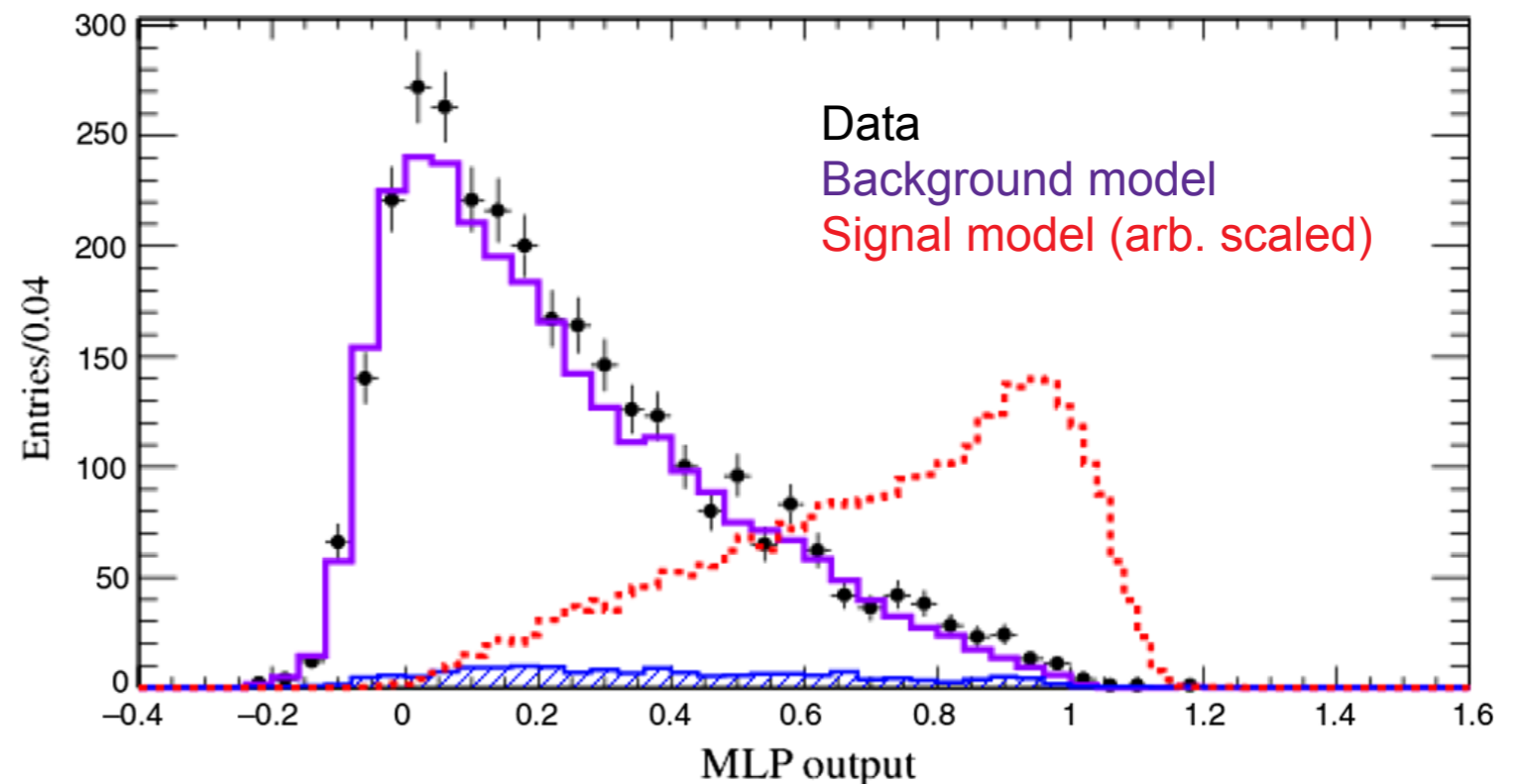
Only BaBar has published: $\mathcal{B}(B \rightarrow K\tau\tau) < 2 \times 10^{-3}$

[\[Babar, PRL.118.031802\]](#)

$\epsilon_{\text{tag}} \sim 0.1\%$

Belle II can soon reach
 10^{-4} (ab^{-1}).

[\[Belle II, PTEP\(2019\)123C01\]](#)



Experimental $B_s \rightarrow \tau\tau$

Belle II for sure plans a run at $\Upsilon(5S)$. But this will not happen soon. No Belle II B_s 's for some time. Belle II: $\sim 10^{-4}$ w/ 5 ab^{-1} .

LHCb rules the game.

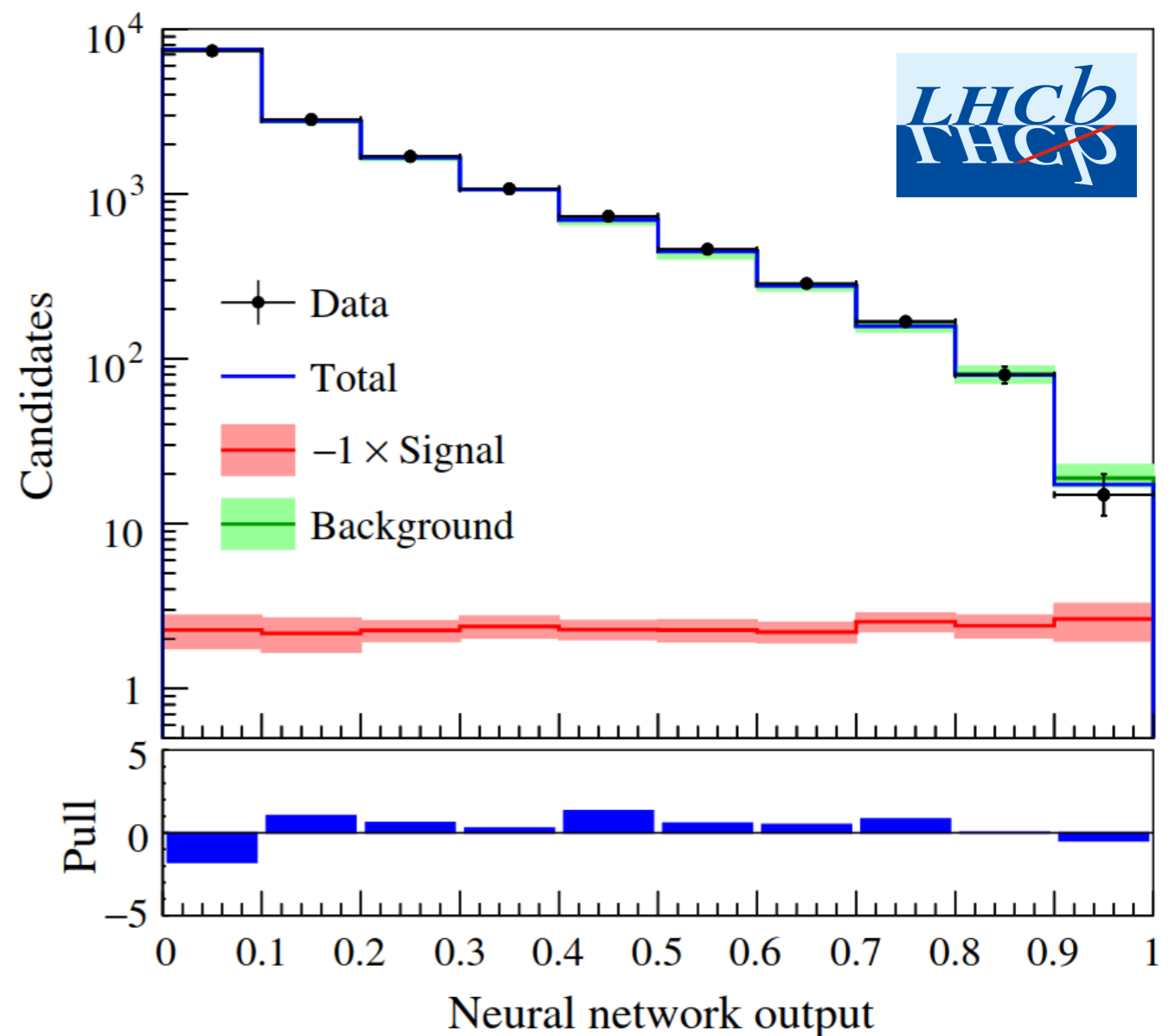
[LHCb, [PRL.118.251802](#)]

$$\mathcal{B}(B_s \rightarrow \tau\tau) < 7 \times 10^{-3}$$

via 3prong-3prong (so they have the di-vertex) but that means the τ branching fraction also gives a hit.

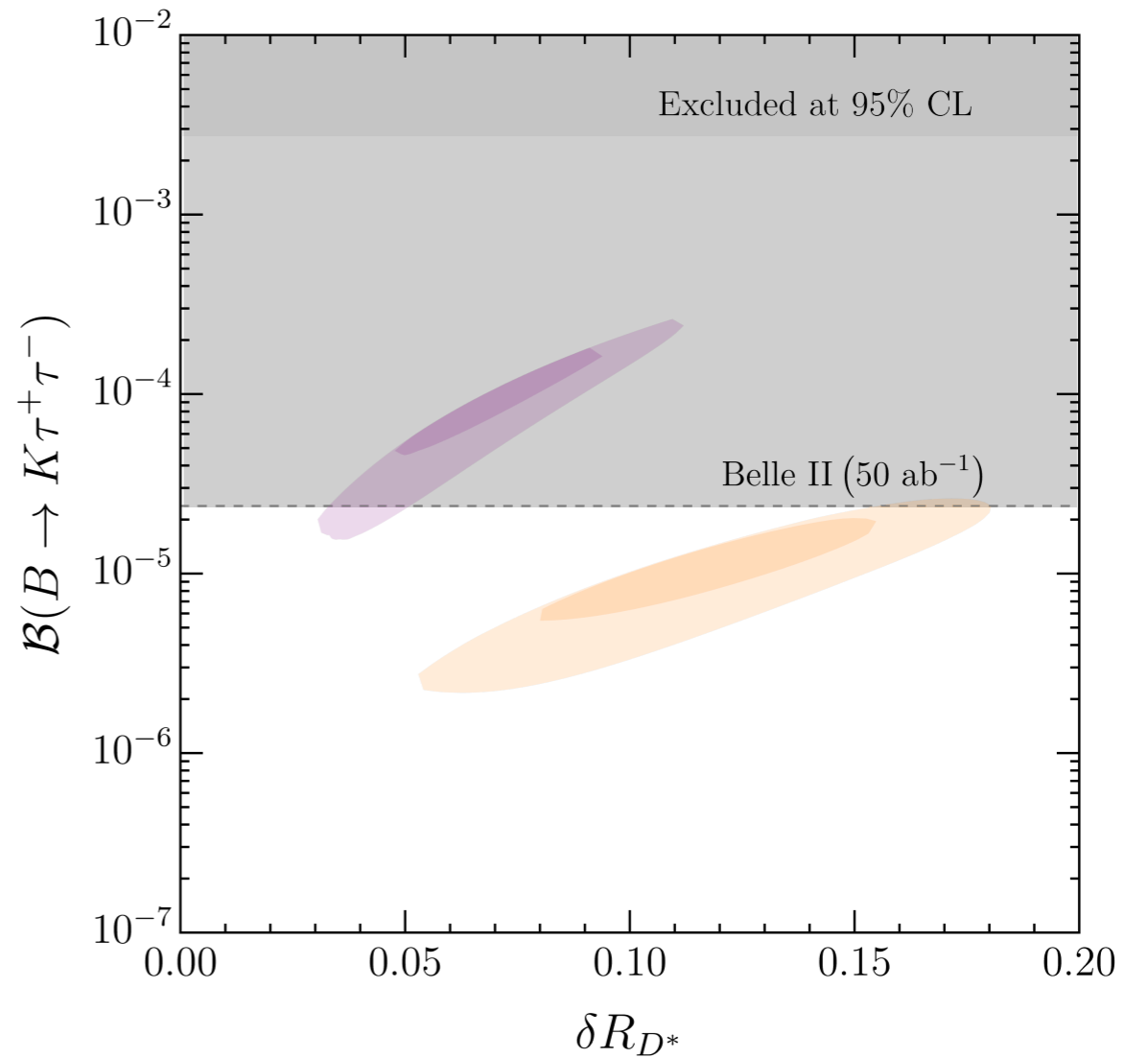
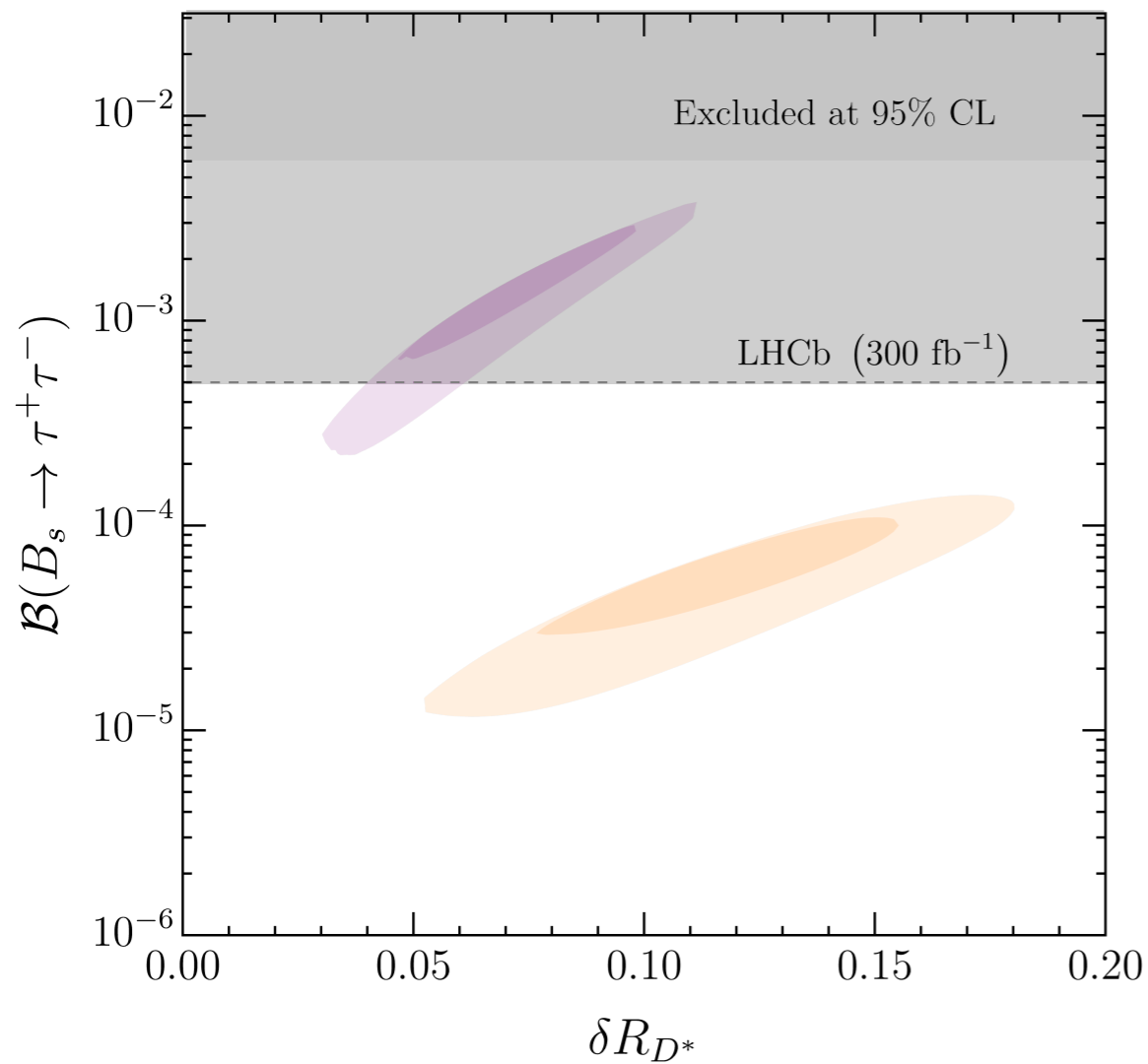
+ the other 6 fb^{-1} ?

Pretty please.



$b \rightarrow s\tau\tau$: low-energy projections for the U_1

LHCb (300 fb⁻¹) and Belle II (50 fb⁻¹) will almost exclude the U_1 (LH + RH) (or see one!), U_1 (LH) will be still alive and kicking!

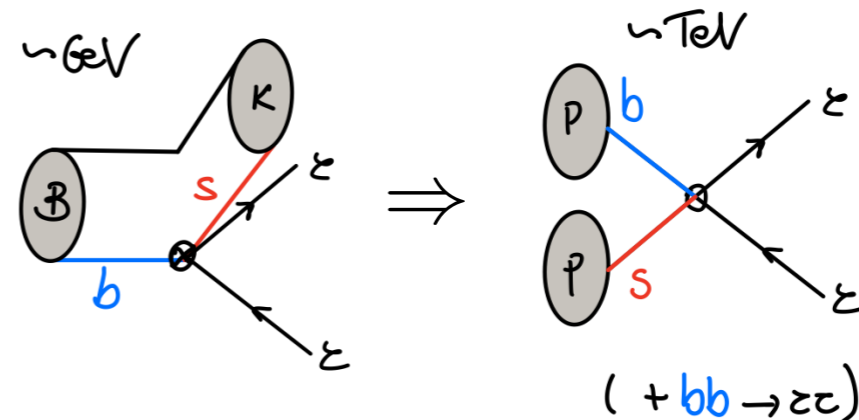
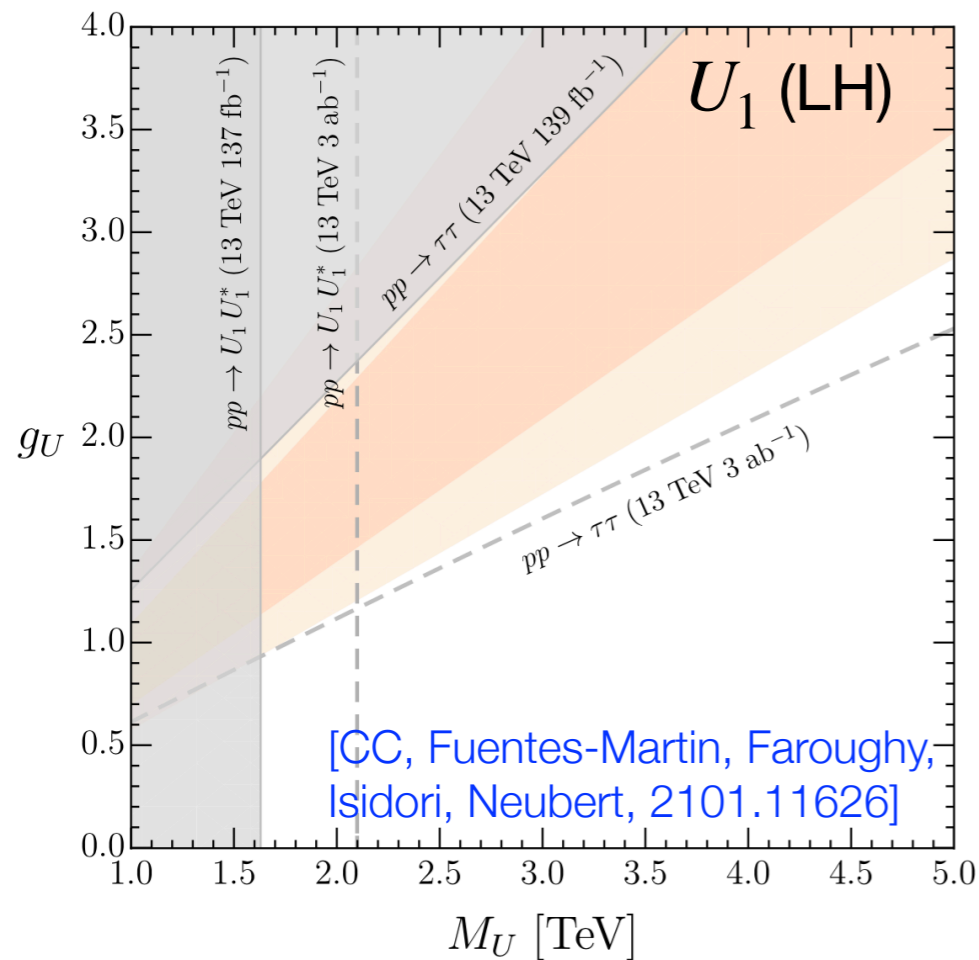


[CC, Fuentes-Martin, Faroughy, Isidori, Neubert, 2101.11626]

High- p_T bounds from $pp \rightarrow \tau\tau$

The same interaction can be probed in **di-tau tails** at the LHC.
Generally **stronger** than low-E bounds!

[Faroughy, Greljio, Kamenik, 1609.07138; Fuentes-Martin et al. 2003.12421]



- U_1 solution is completely falsifiable at HL-LHC (or we will find a U_1 !)
- same for $R_2 + S_3$,
- still space left for $S_1 + S_3$

Two more remarks:

Models for $R_D^{(*)}$ only yield similar enhancements in $B \rightarrow K\tau\tau$, $B_s \rightarrow \tau\tau$ and $pp \rightarrow \tau\tau$.

Any change in $R_D^{(*)}$ will alter these conclusions significantly.

Lepton Flavour Violation in $b \rightarrow s\tau\mu$ and τ decays

large τ/μ LFV

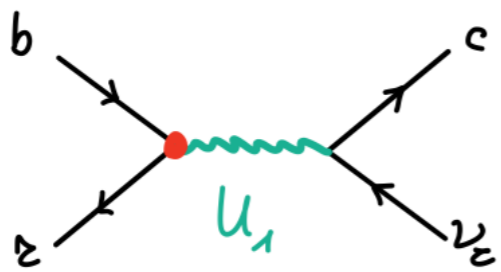
$b \rightarrow s\tau\mu$ ($B_s \rightarrow \tau\mu$, $B \rightarrow K\tau\mu$)

\leftrightarrow

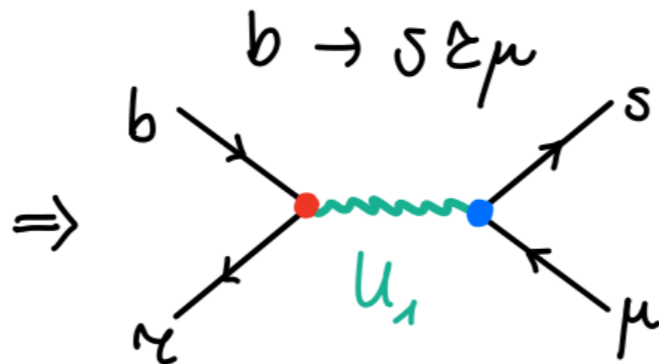
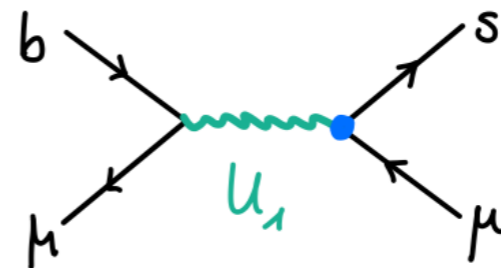
both CC and NC anomalies are there

τ decays ($\tau \rightarrow \mu\phi$, $\tau \rightarrow \mu\gamma$)

$R_{D^{(*)}}: b \rightarrow c\tau\nu$



$R_{K^{(*)}}: b \rightarrow s\mu\mu$

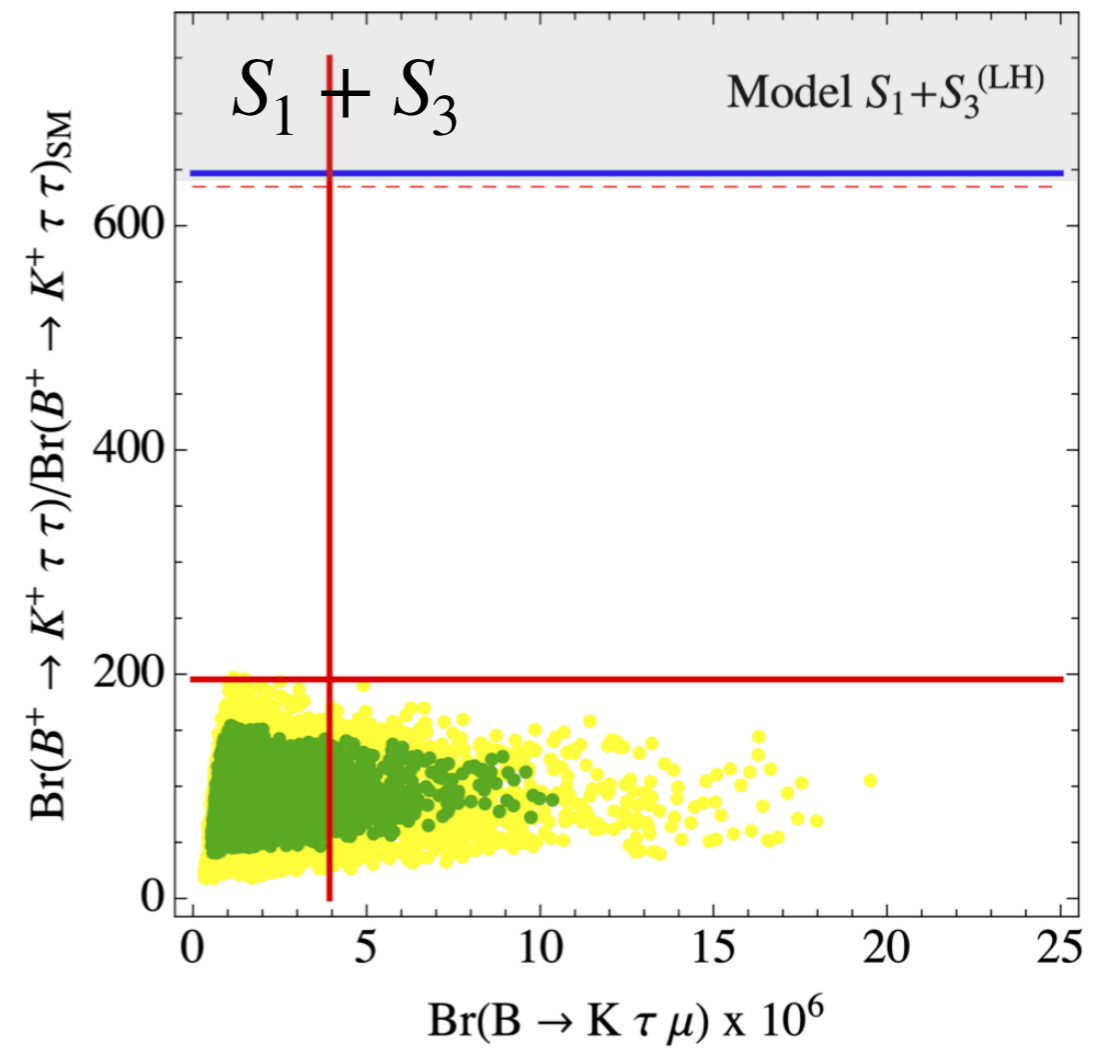
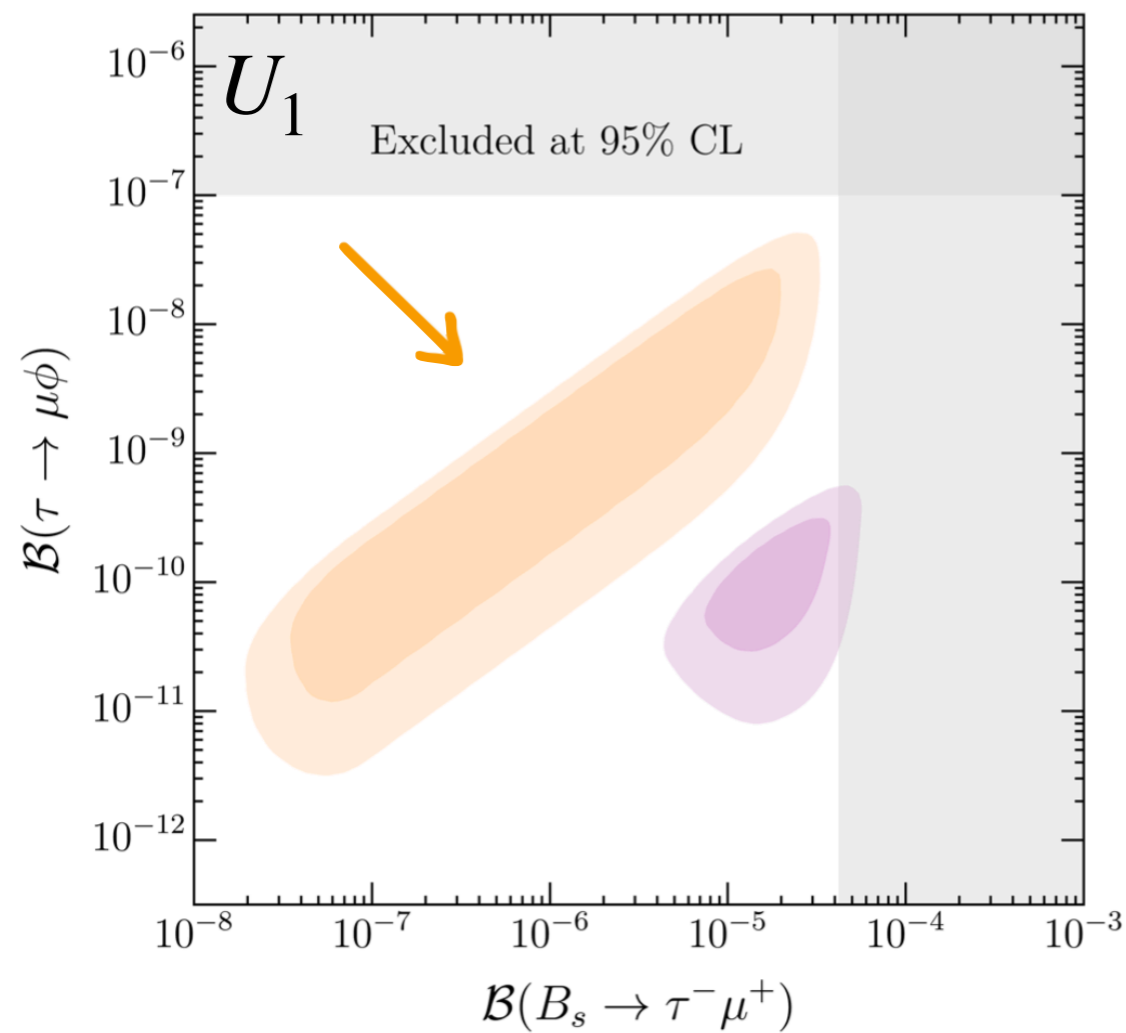


$\sim \Delta R_{D^{(*)}} \cdot \Delta R_{K^{(*)}}$

Lepton Flavour Violation in $b \rightarrow s\tau\mu$ and τ decays

$$\mathcal{B}(B_s \rightarrow \tau\mu) \approx \mathcal{B}(B \rightarrow K\tau\mu) \approx 10^{-7} - 10^{-6}$$

$$\mathcal{B}(\tau \rightarrow \mu\phi) \approx 10^{-10} - 10^{-8}$$



[CC, Fuentes-Martin, Faroughy, Isidori, Neubert, 2101.11626]

[Gherardi, Marzocca, Venturini 2008.09548]

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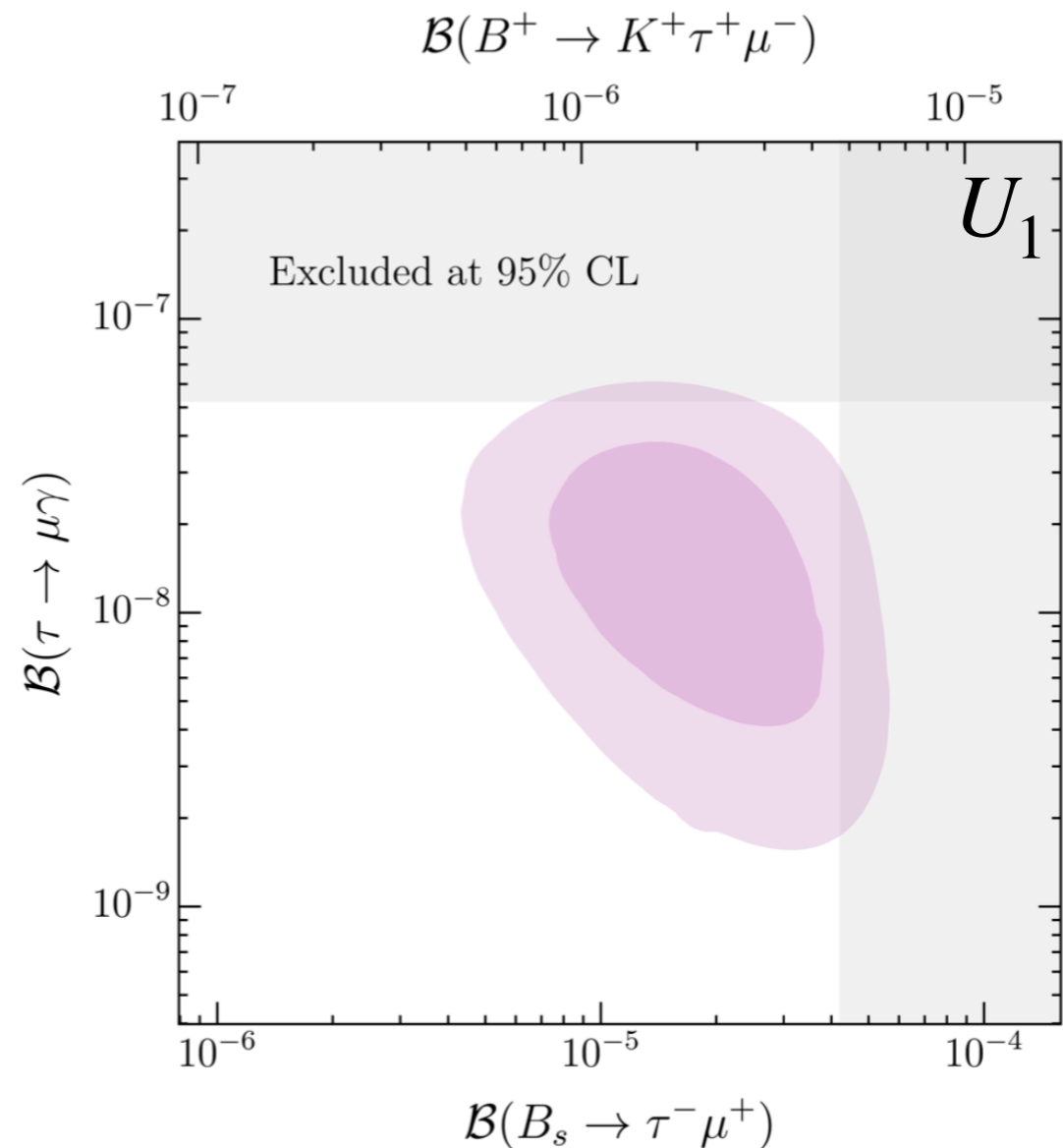
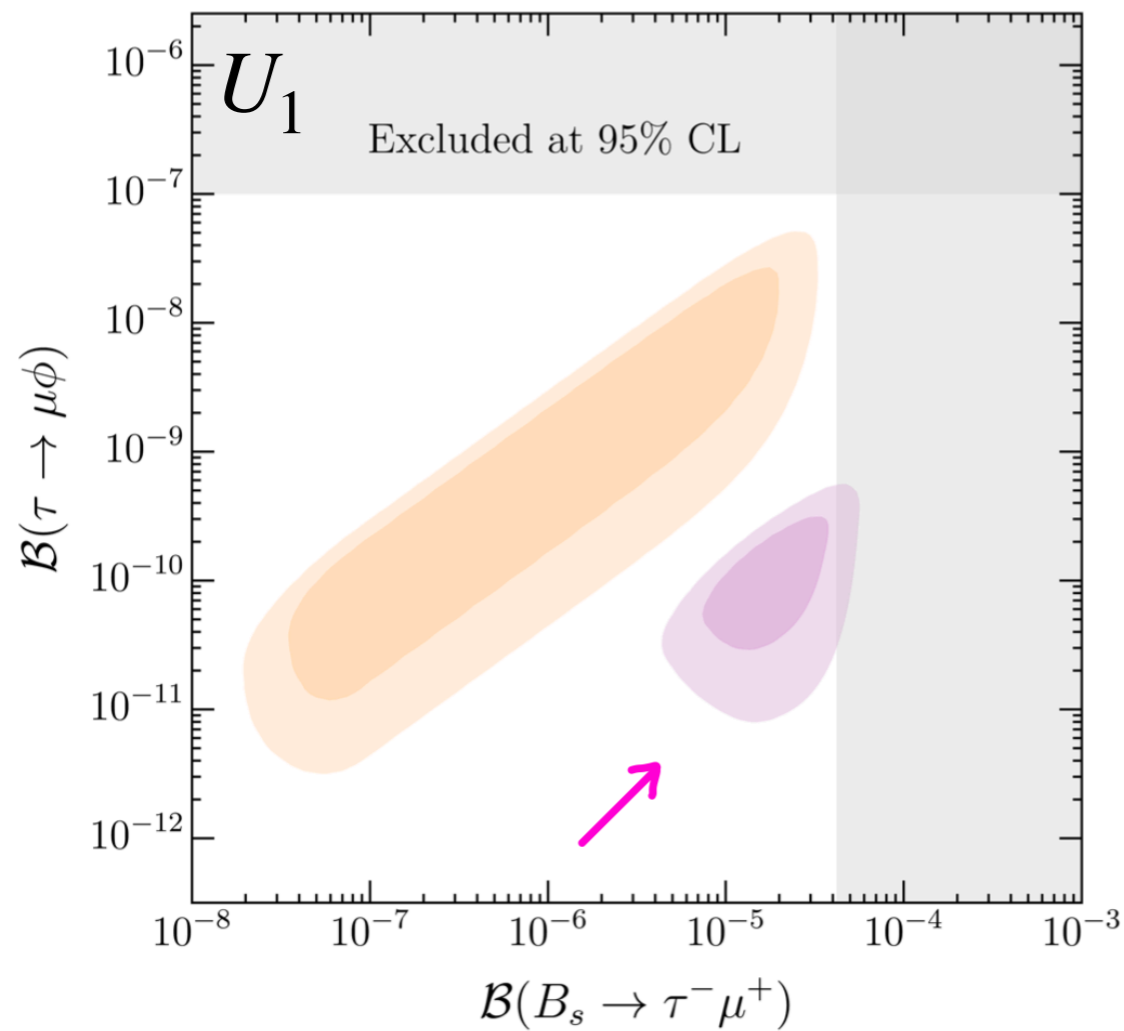
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$$\mathcal{B}(B_s \rightarrow \tau\mu) \approx 1 \times 10^{-5}$$

$$\mathcal{B}(B \rightarrow K\tau\mu) \approx 1 \times 10^{-6}$$

$$\mathcal{B}(\tau \rightarrow \mu\gamma) \approx 1 \times 10^{-8}$$



[CC, Fuentes-Martin, Faroughy, Isidori, Neubert, 2101.11626]

Experimental $B \rightarrow K\tau\mu$

“Easier” than $\tau\tau$ for both because only one neutrino (and fewer soft tracks).
Similarly some excitement in Belle II.

LHCb already have

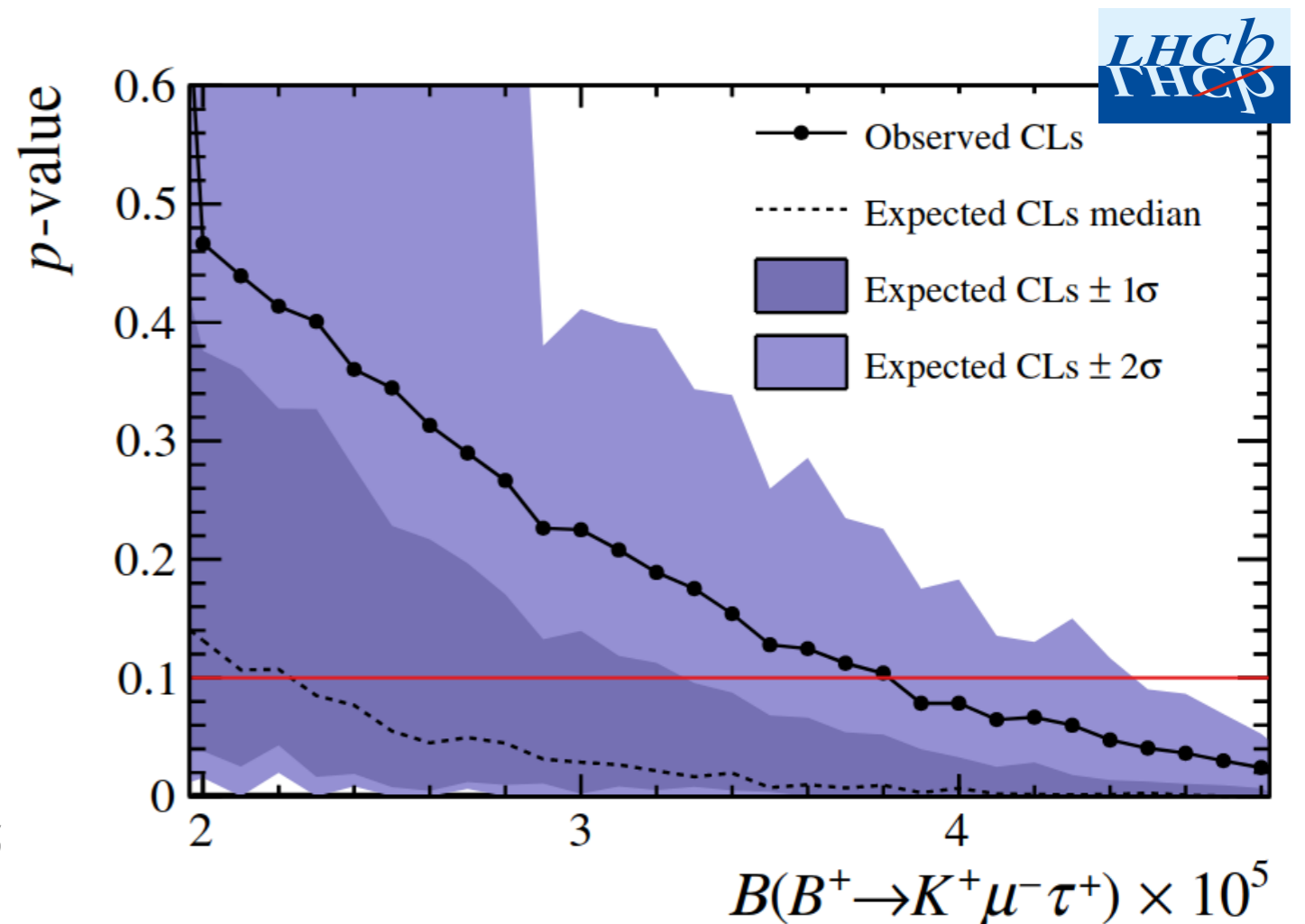
(cool tagging with $B_{s2}^* \rightarrow BK$)

$$\mathcal{B}(B \rightarrow K\mu^- \tau^+) < 3.9 \cdot 10^{-5}$$

[\[LHCb, JHEP06\(2020\)129\]](#)

Only just miss out on “worlds best
BaBar:

$$\mathcal{B}(B \rightarrow K\mu^- \tau^+) < 2.8 \cdot 10^{-5}$$



Experimental $\tau \rightarrow \mu\gamma, \tau \rightarrow \mu\phi$

Belle II is also a tau factory!

Another “free” benefit of ee machine.

$$\sigma(ee \rightarrow \Upsilon(4S)) = 1.11 \text{ nb}$$

$$\sigma(ee \rightarrow cc) = 1.3 \text{ nb}$$

$$\sigma(ee \rightarrow \tau\tau) = 0.92 \text{ nb}$$

Belle & BaBar published:

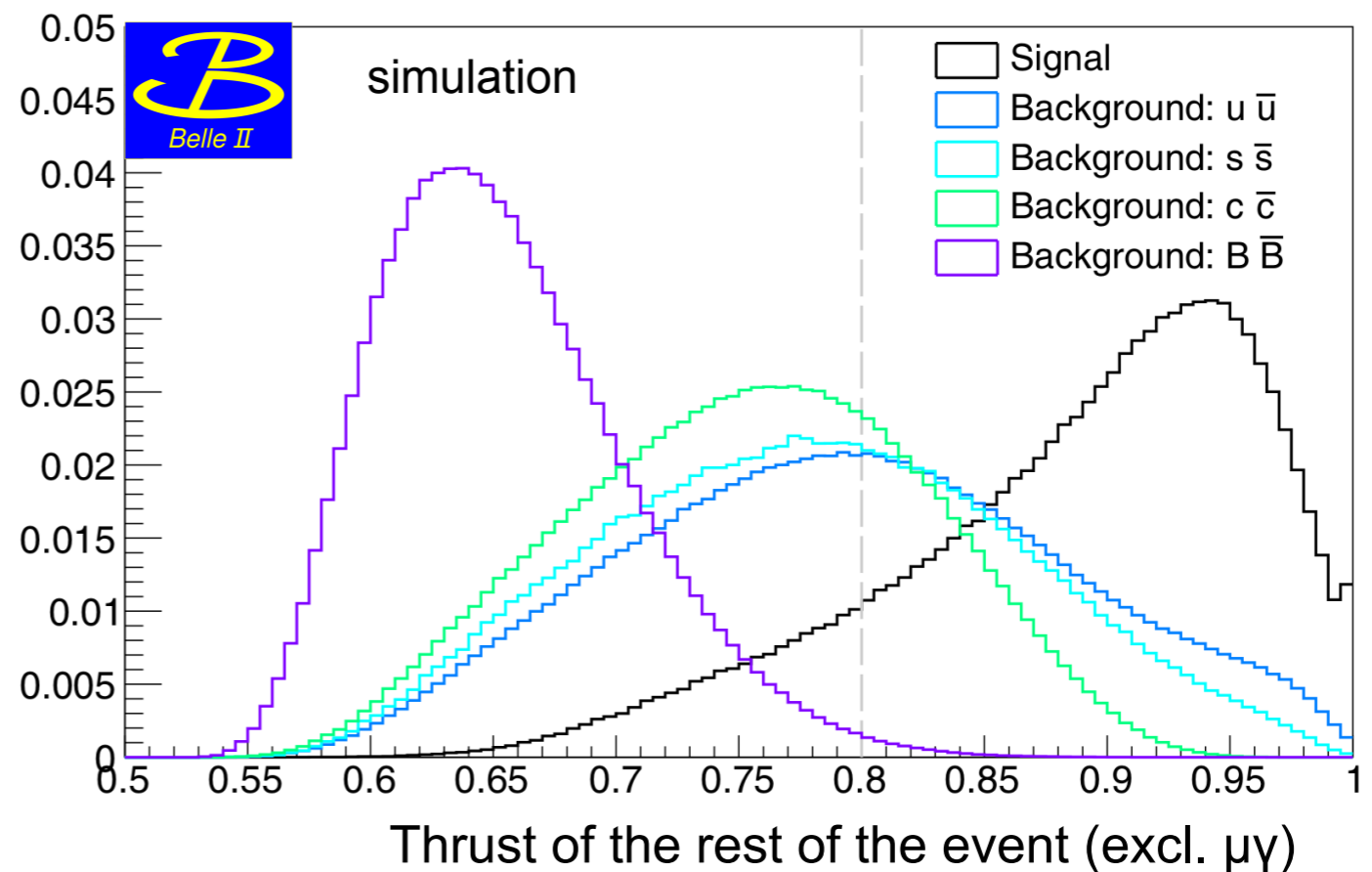
$$\mathcal{B}(\tau \rightarrow \mu\gamma) < 4 \times 10^{-8}$$

[Babar, [PRL104\(2010\)021802](#)]

[Belle, [Phys.Lett.B666\(2008\)](#)]

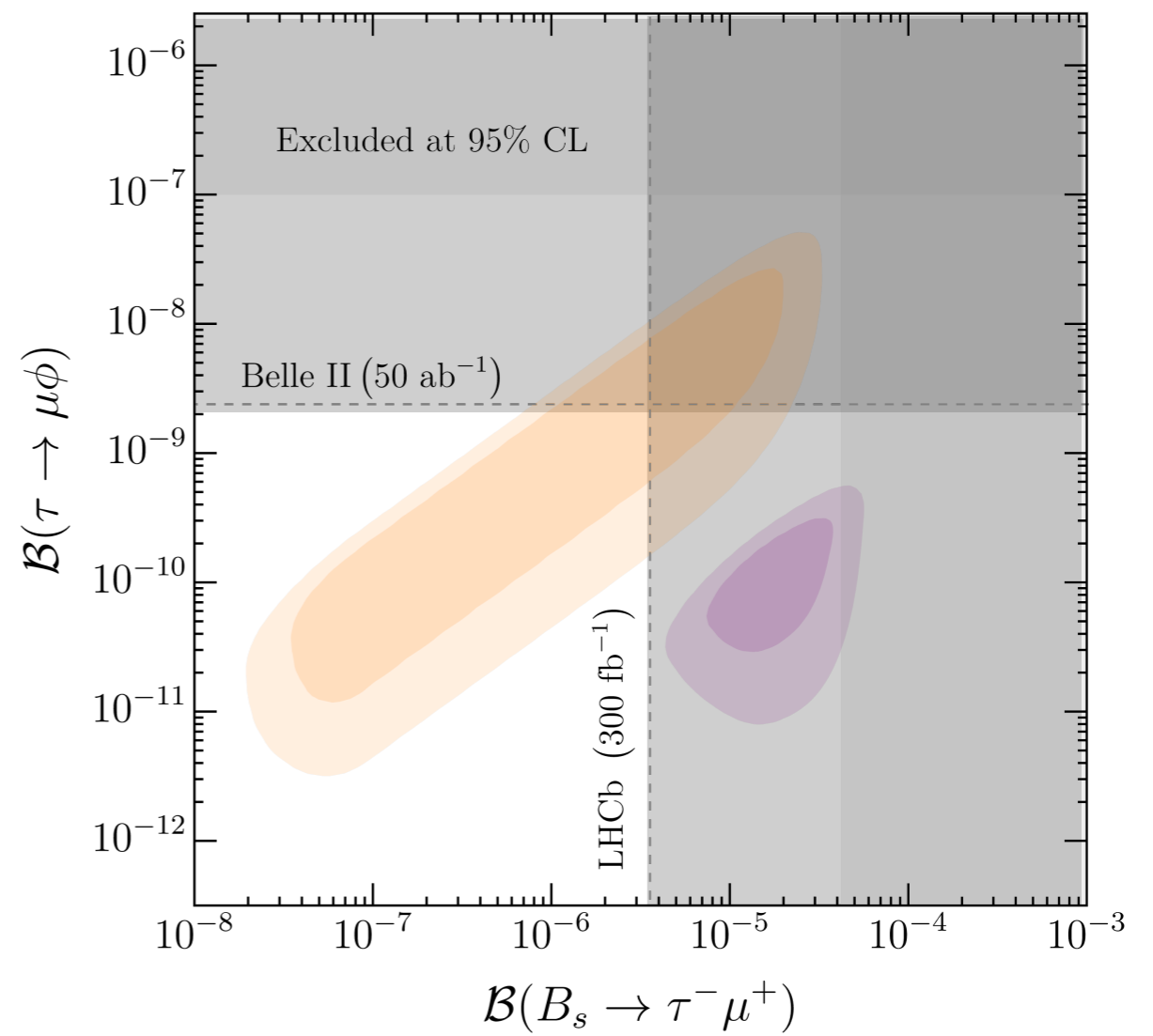
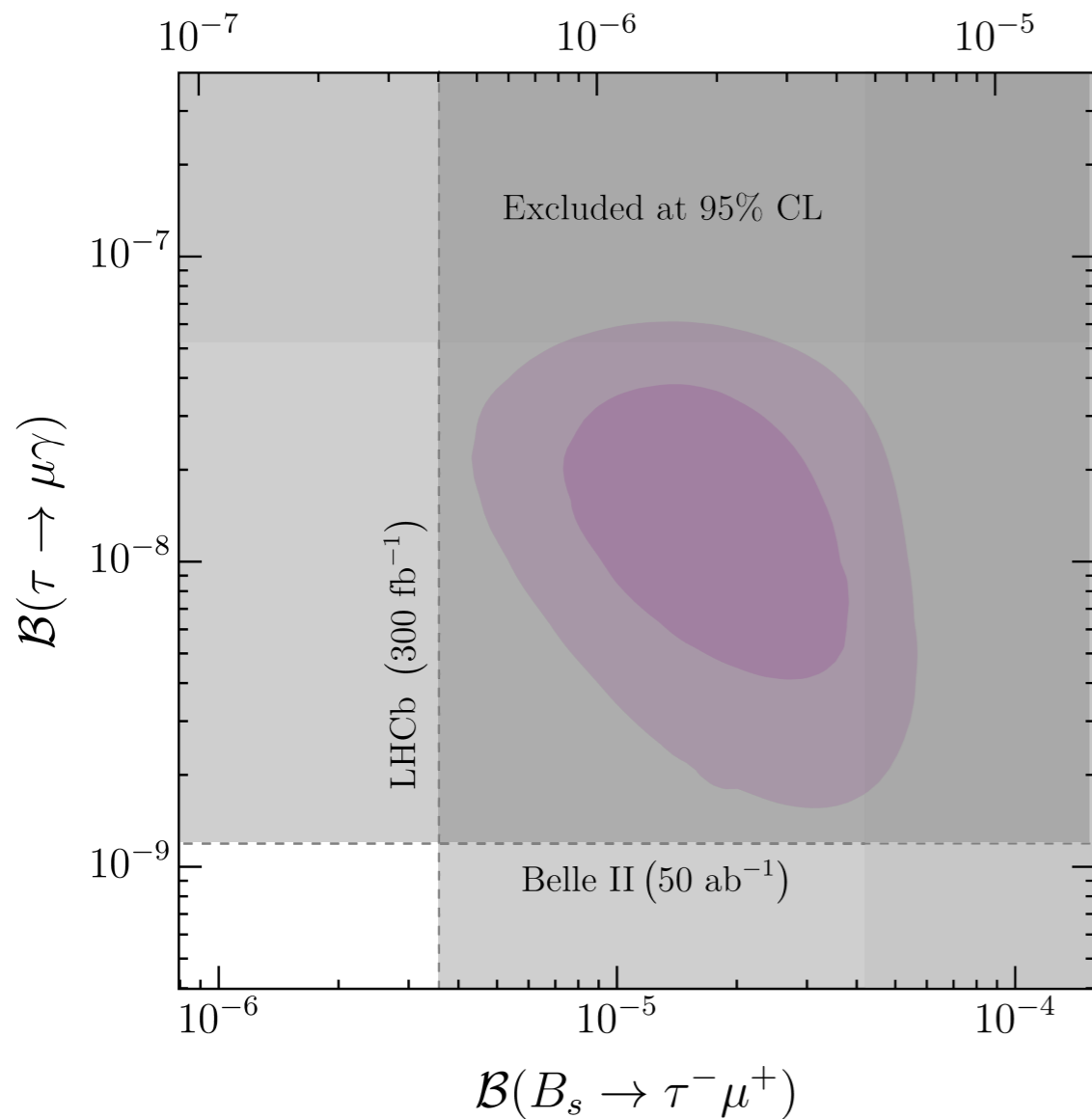
Belle II can improve by a factor ~ 2 c.f. Belle per ab^{-1} .

[Belle II, [PTEP\(2019\)123C01](#)]



τ/μ LFV: low-energy projections for the U_1

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[CC, Fuentes-Martin, Faroughy, Isidori, Neubert, 2101.11626]

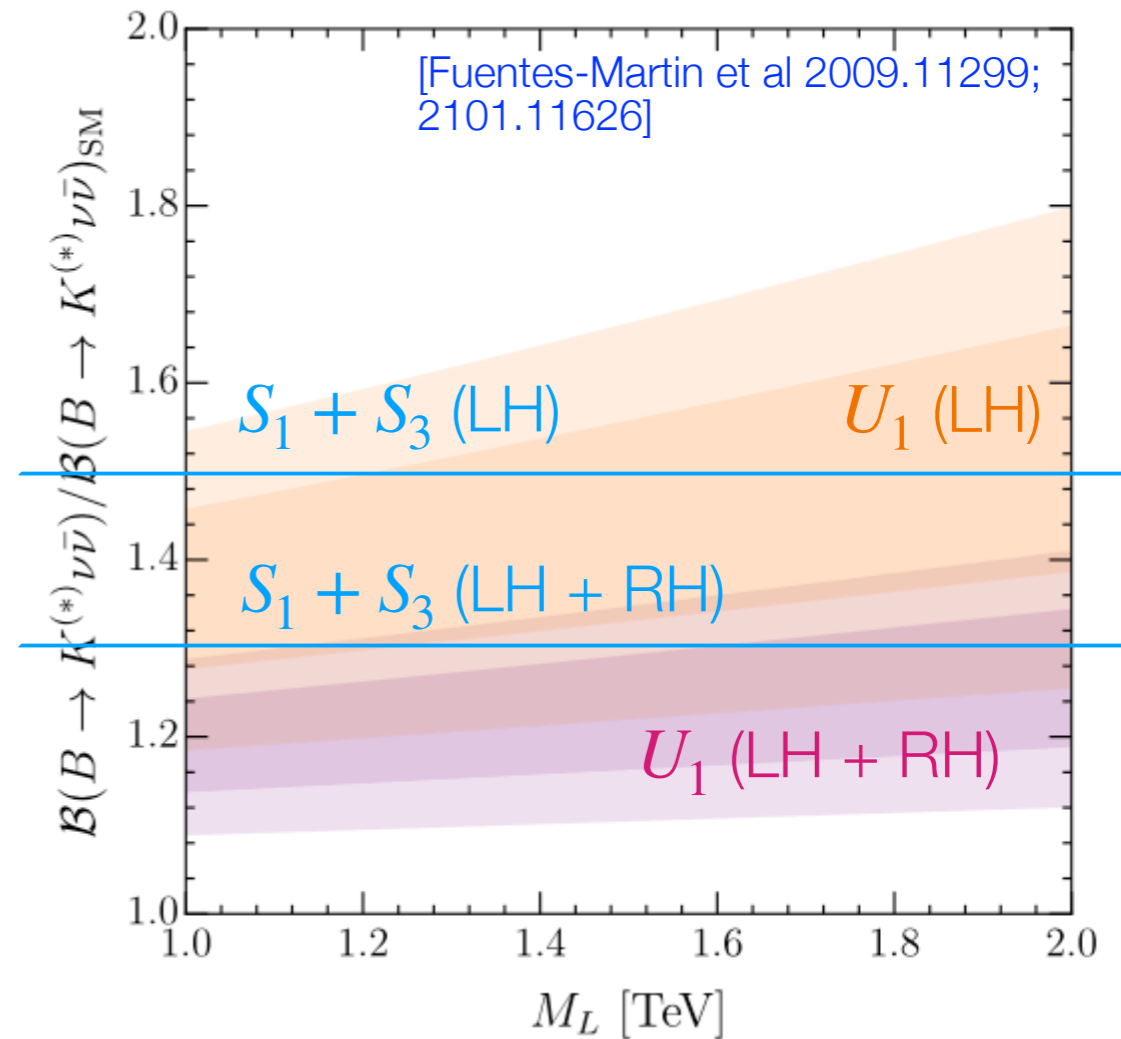
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One of the toughest constraints for model building. All combined solutions **enhance** it.

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$$U_1, S_1 + S_3 \quad \frac{\mathcal{B}(B \rightarrow K\nu\nu)}{\mathcal{B}(B \rightarrow K\nu\nu)_{\text{SM}}} \approx 1.2 - 1.5$$

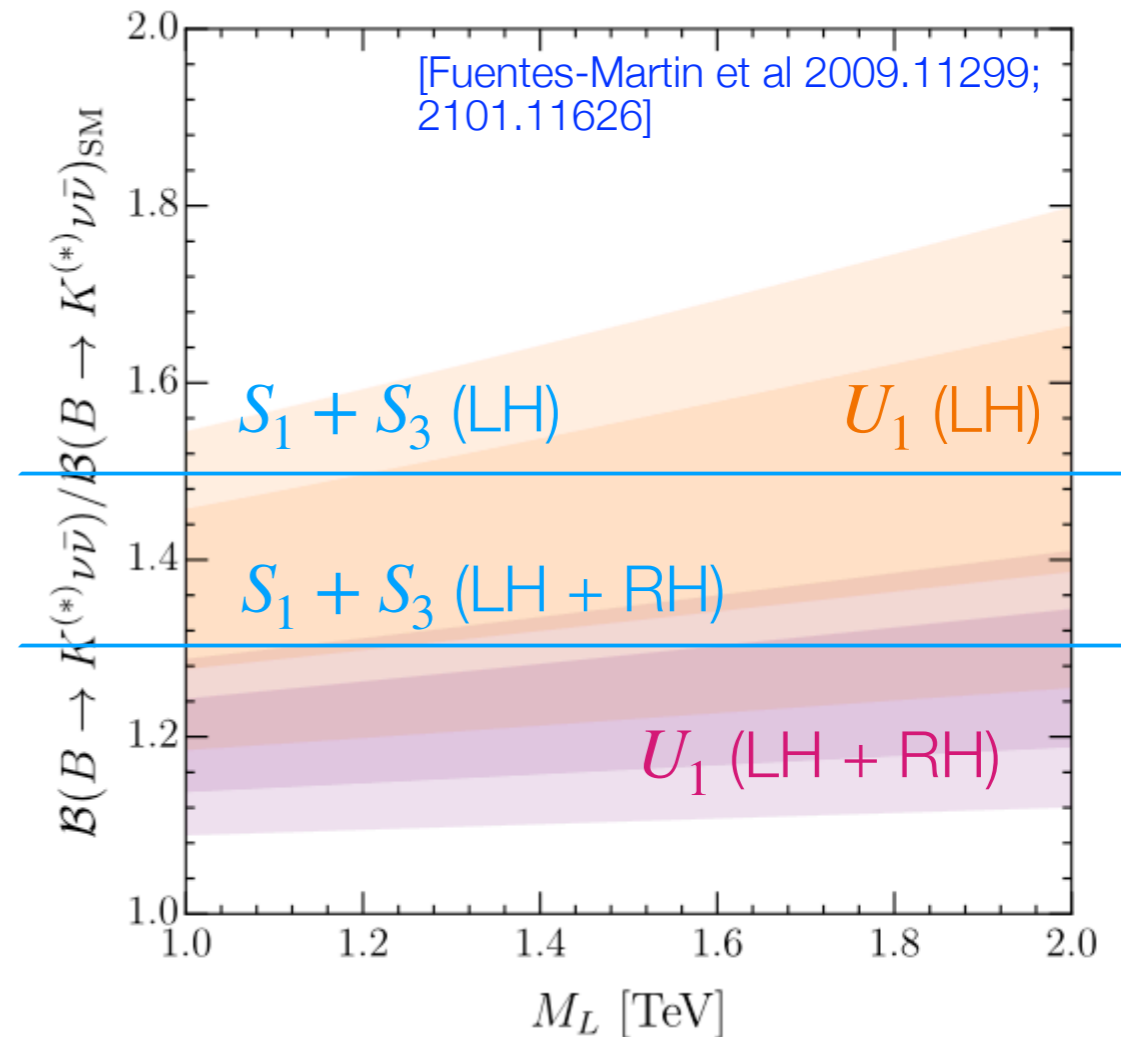


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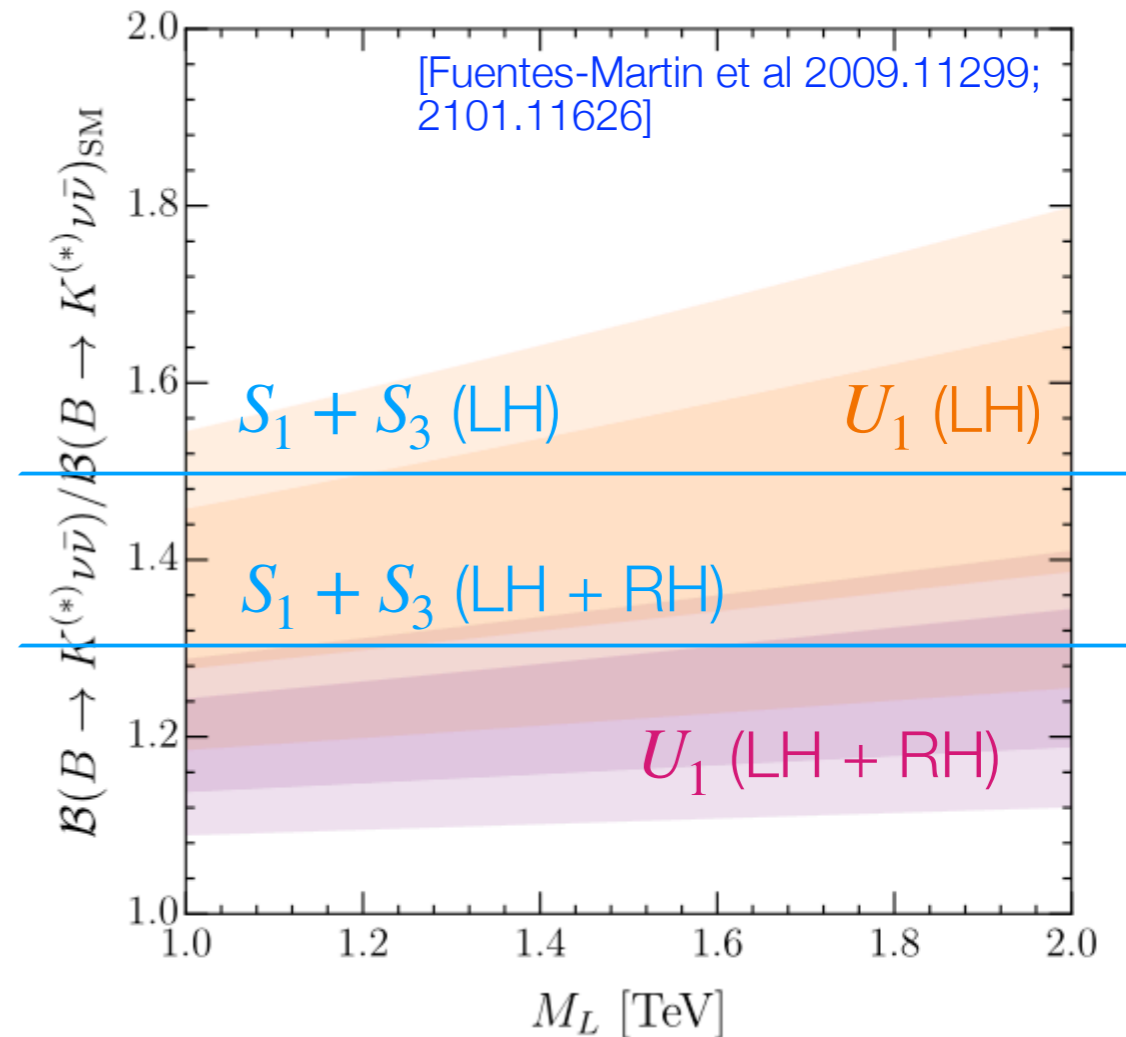


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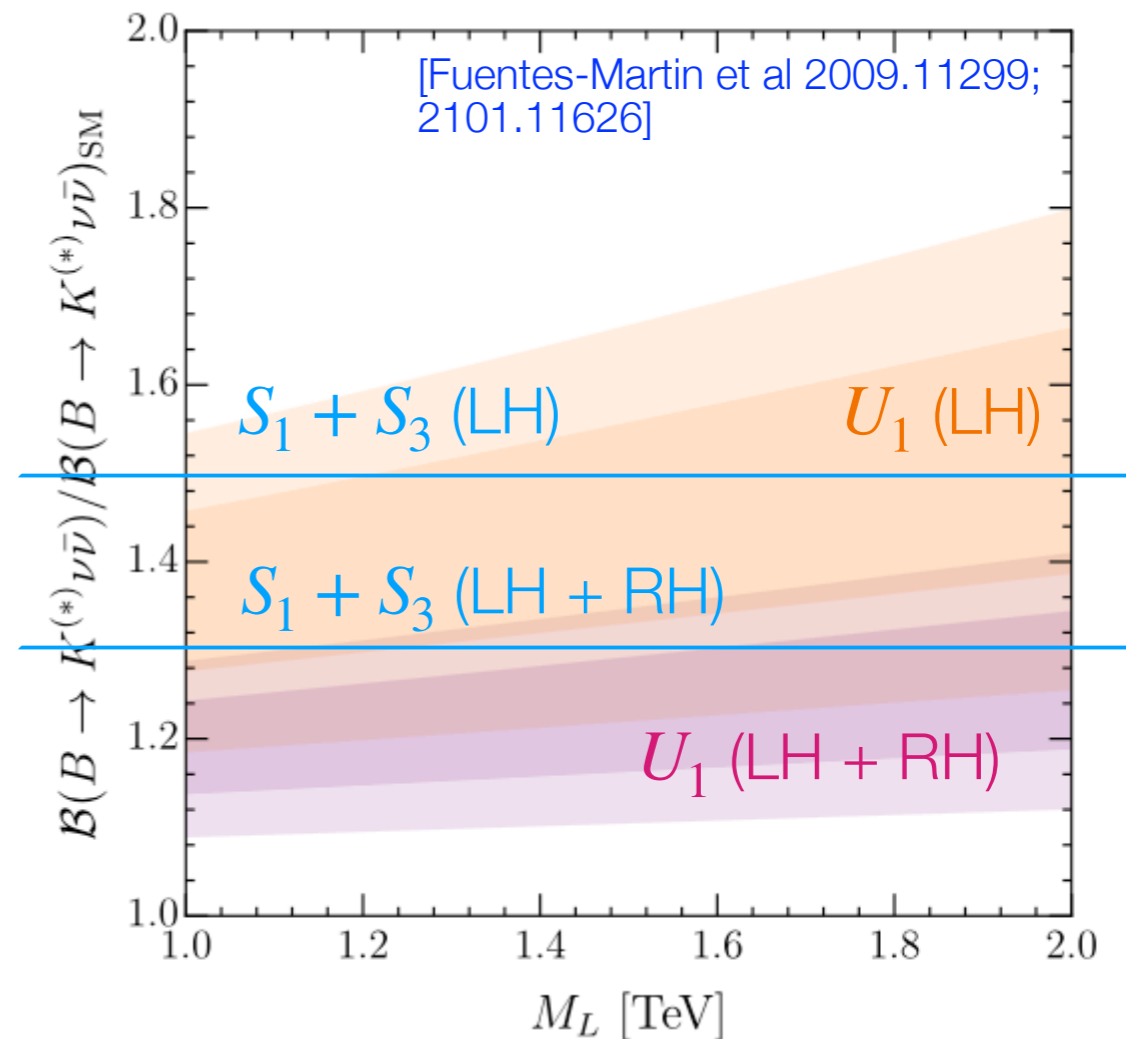
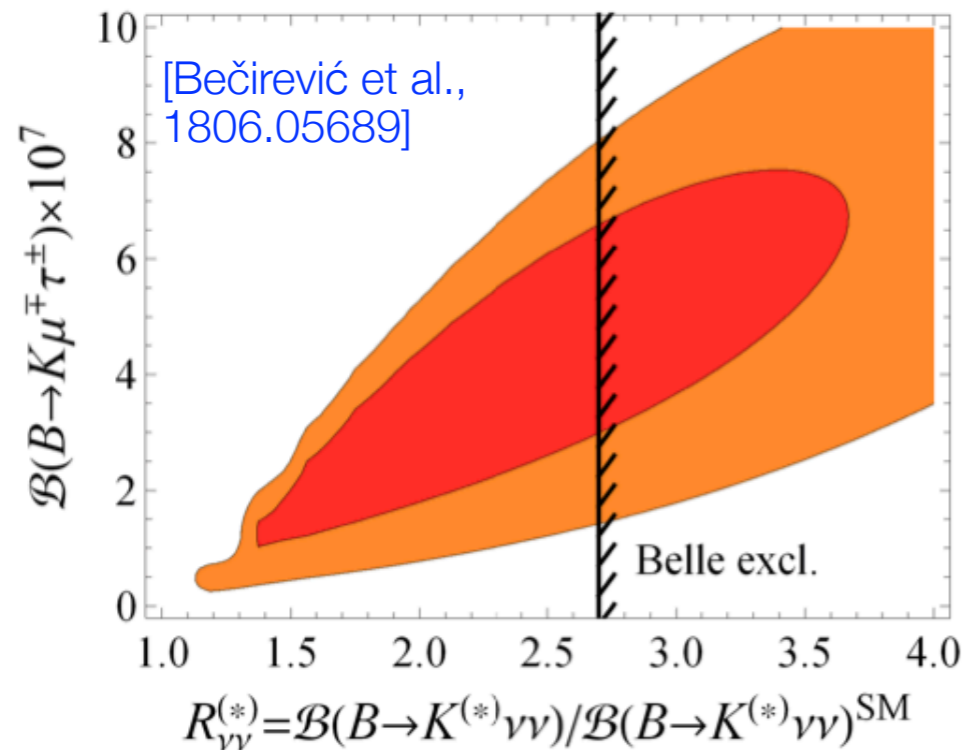


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$$R_2 + S_3$$

$$\frac{\mathcal{B}(B \rightarrow K\nu\nu)}{\mathcal{B}(B \rightarrow K\nu\nu)_{\text{SM}}} \gtrsim 1.5$$

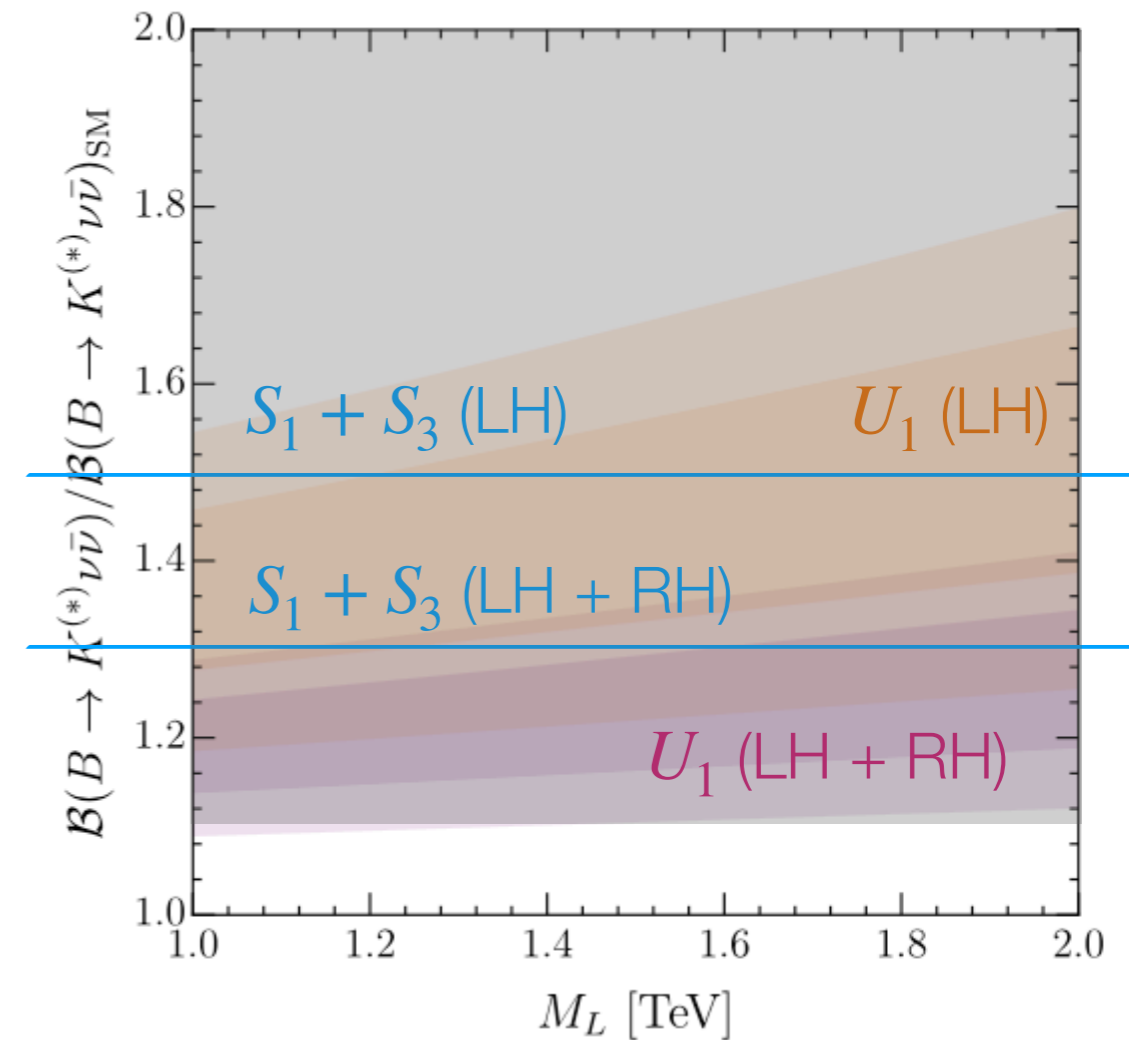
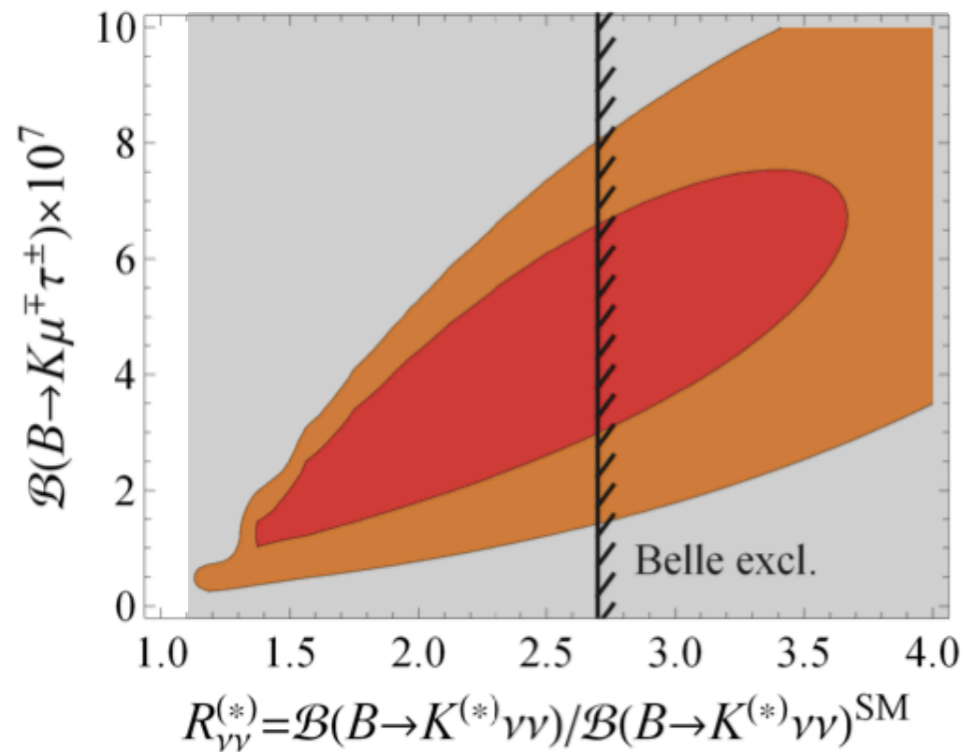
Experimental $B \rightarrow K\nu\nu$

It's cool.

Both tagged and untagged.

I will not spoil Sally's talk here.

(she actually worked on it so you can ask her all of your tough questions)



[(*) on top of observables in $b \rightarrow s\mu\mu$ and $b \rightarrow c\tau\nu$]

Conclusions

B anomalies	corroborating measurements*
$b \rightarrow s\mu\mu$	<u>$b \rightarrow d\mu\mu$</u> ^{$u(2)$} (+ possibly μ/e LFV - not discussed here)
$R_{D^{(*)}}$ & $b \rightarrow s\mu\mu$ (or $R_{D^{(*)}}$ only)	large <u>$b \rightarrow s\tau\tau$</u> and <u>$pp \rightarrow \tau\tau$</u> ^{rock solid}
$R_{D^{(*)}}$ & $b \rightarrow s\mu\mu$	large τ/μ LFV in <u>$b \rightarrow s\tau\mu$</u> and <u>τ decays</u> ^{explicit model} <u>$B \rightarrow K\nu\nu$</u> is sizably enhanced

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→ it's a team game, both low and high E can help!
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→ single player mode!

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If you want us to give a more interesting talk next, please update R_D/R_{D^*} !

[CMS bailed us at Moriond, and LHCb are missing the 6 fb⁻¹...]

(Rough) experimental time-ordering

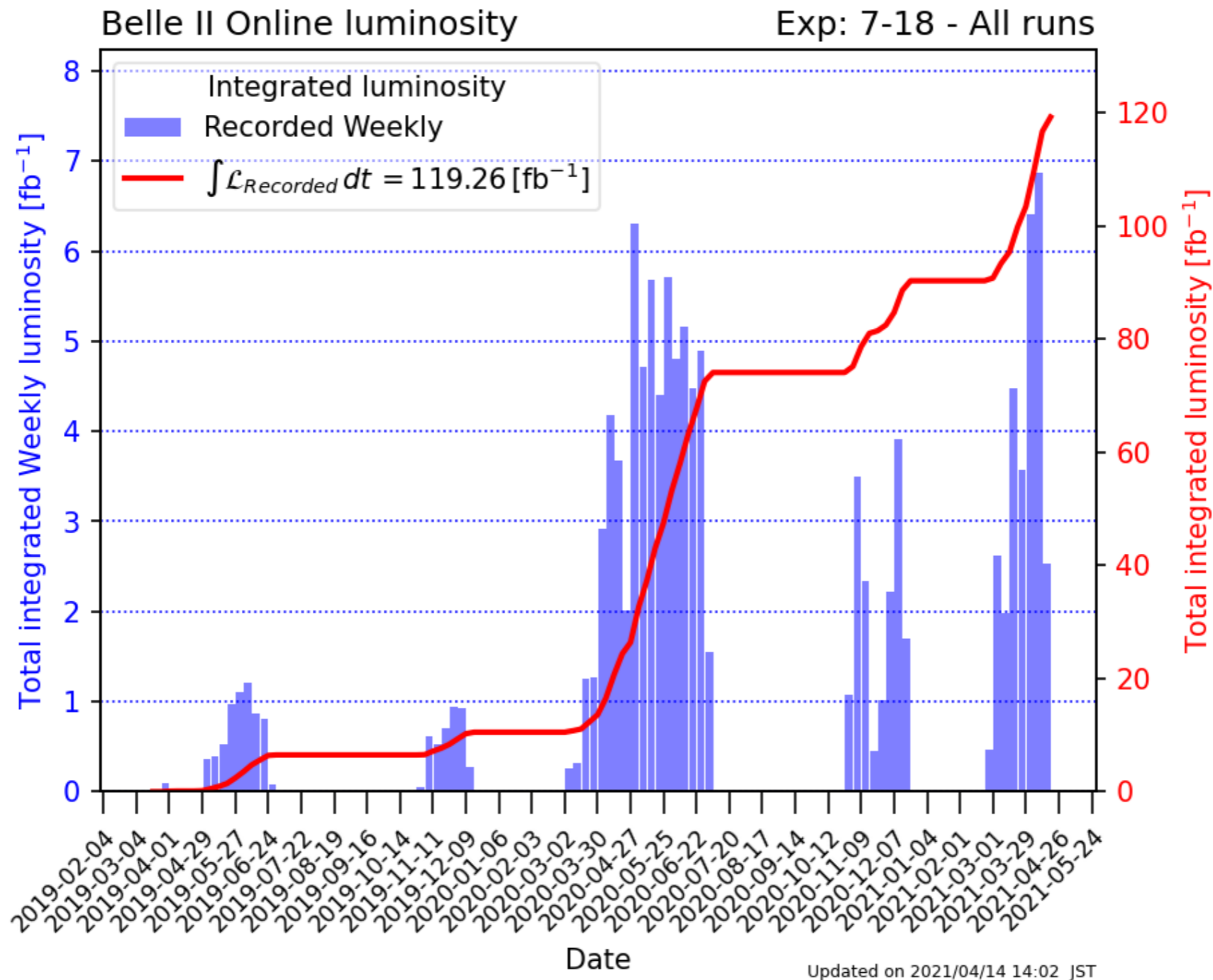
1. R_K update! $(g - 2)_\mu$. Belle II demonstrator untagged $B \rightarrow K\nu\nu$.
Flavour physics is cool again.
2. Incremental update to some τ LFV searches at Belle I.
Belle II starts to make τ measurements.
3. LHCb finishes analysing Run2 data.
 - Wishlist R_ϕ , $B_s \rightarrow \tau\mu$, $B \rightarrow \pi\mu\mu$, $B_s \rightarrow \tau\tau$...
4. Belle II collects enough data to say something in B physics ($\sim ab^{-1}$)
5. LHC startup
 - CMS & ATLAS high-PT
 - LHCb updates (?)
6. Belle II approaches $50 ab^{-1}$ and delivers on all of its promises.

Intermediate projections?

Slides for backup

How is Belle II doing right now?

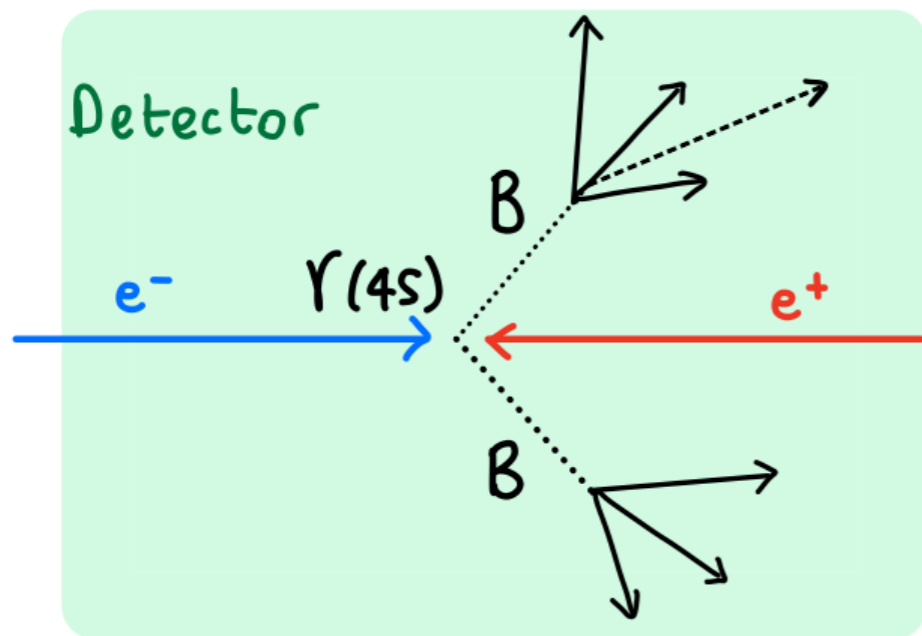
For more details: see Sally's talk on Thursday.



<https://confluence.desy.de/display/BI/Belle+II+Luminosity>

The experiments

Belle II

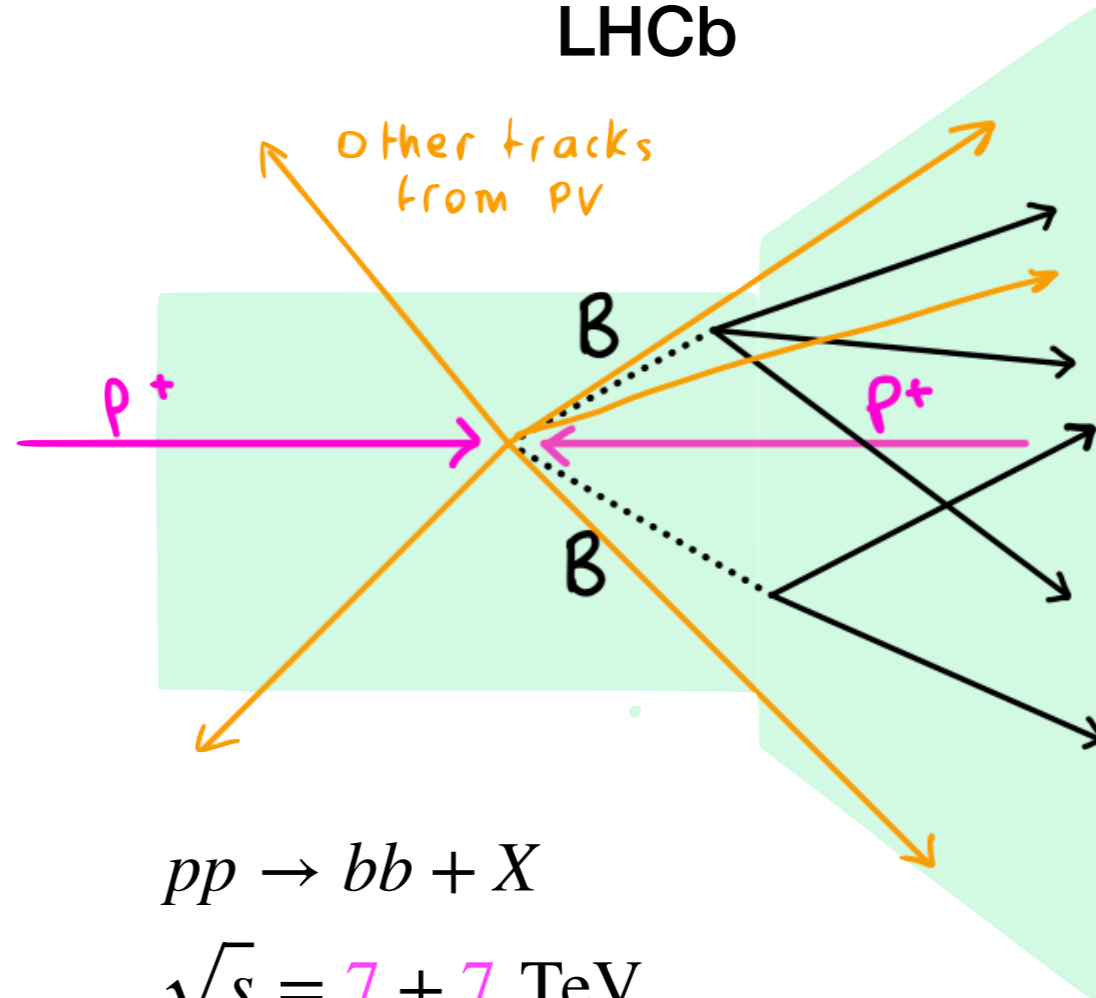


$$ee \rightarrow \Upsilon(4S) \rightarrow BB$$

$$\sqrt{s} = 2\sqrt{7 \times 4} \text{ GeV} = 10.58 \text{ GeV}$$

- Collision energy known \rightarrow boost to CM.
- Full event contained.
- Good at missing energy and neutrals (γ , K_S^0 , K_L^0 , π^0 , ν , $\nu\nu$).

LHCb



$$pp \rightarrow bb + X$$

$$\sqrt{s} = 7 + 7 \text{ TeV}$$

- Collision energy not known precisely.
- Abs. luminosity not known precisely*.
- Significantly more data.
- Access to B_s , B_c , Λ_b

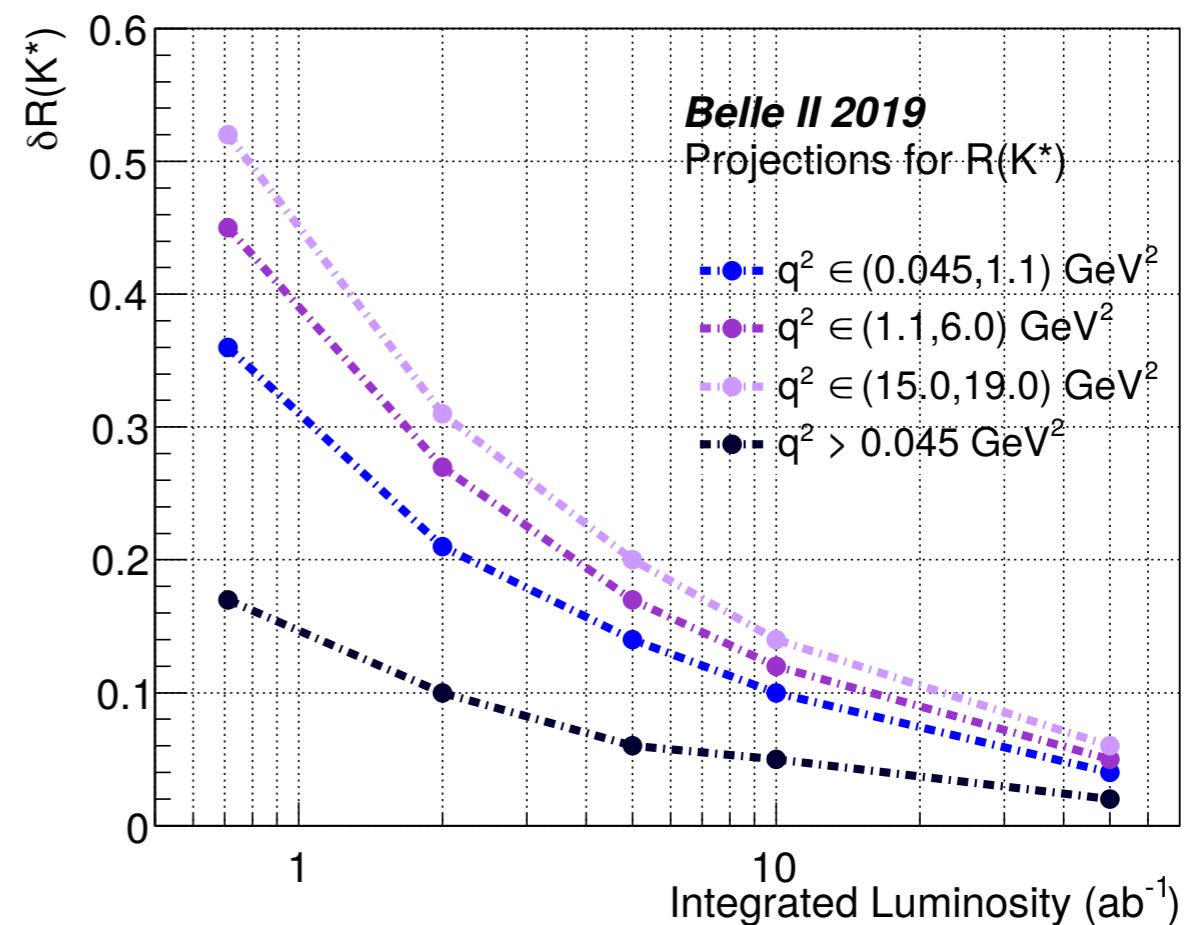
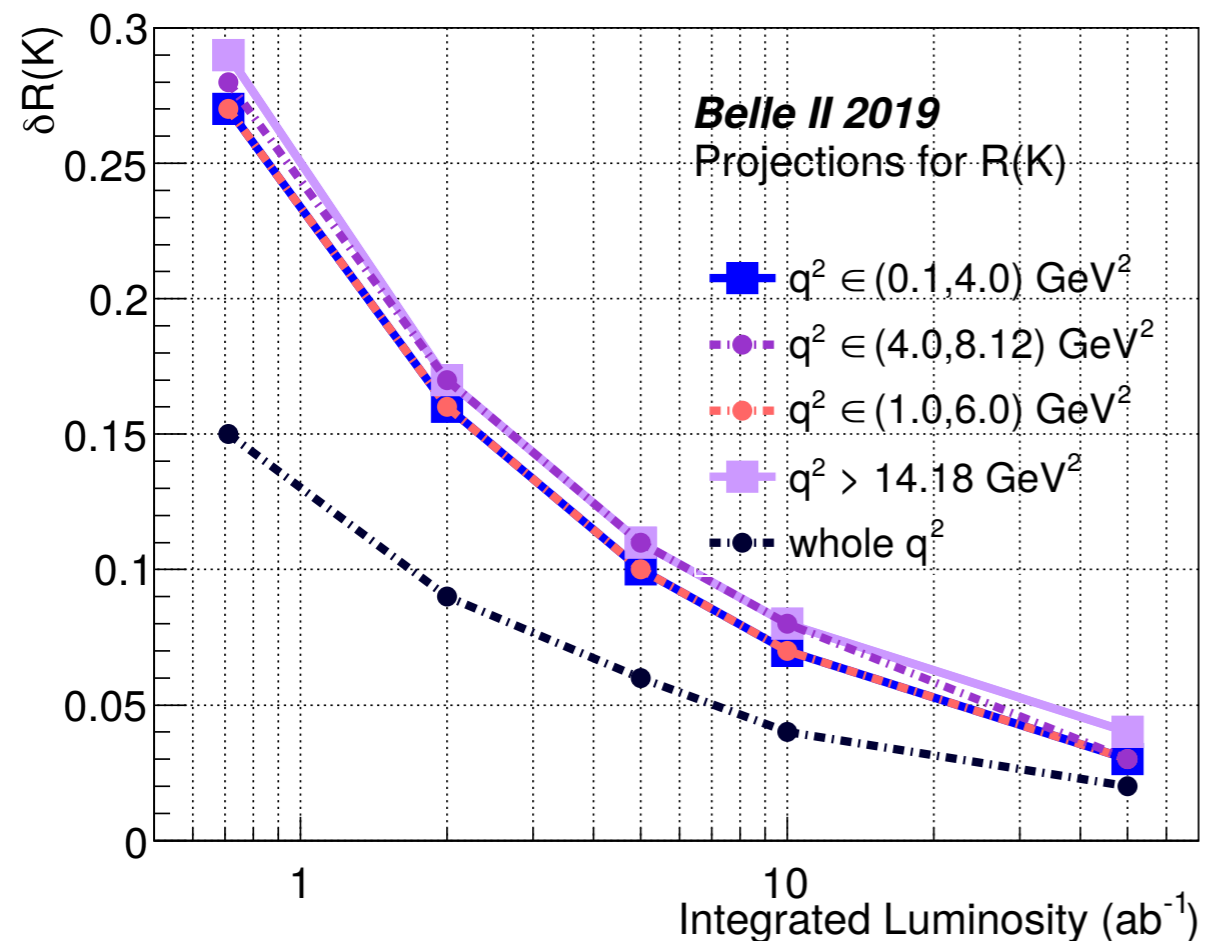
“So when can Belle II confirm R_K ?”

You are making us spoil Sally’s talk.

Belle has analysed the full dataset (R_K and R_{K^*}).

Safe answer: 20 ab^{-1} to get to the same size error bars.

Unsafe answer: ~ 5 ish years.

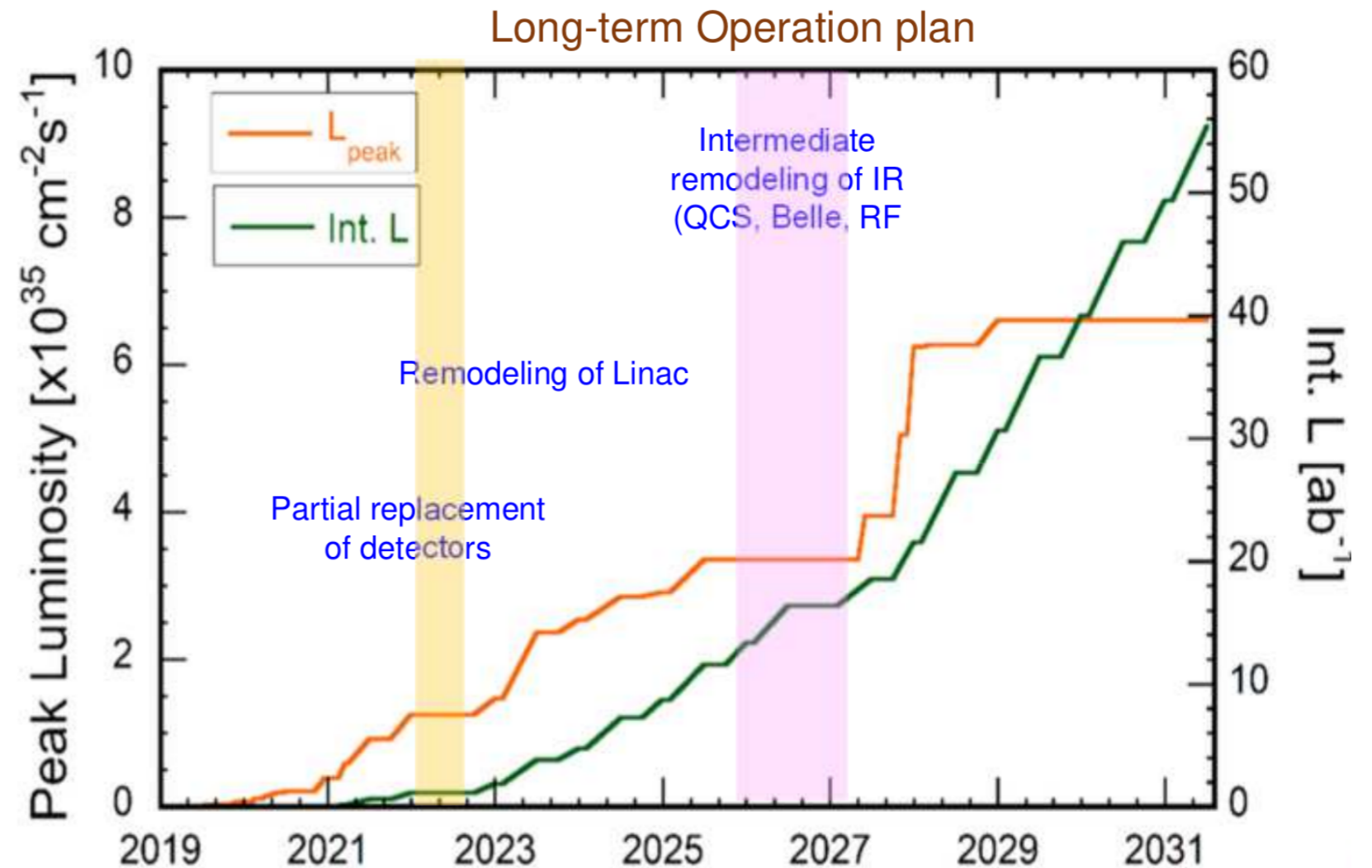


Observables	Belle 0.71 ab ⁻¹ (0.12 ab ⁻¹)	Belle II 5 ab ⁻¹	Belle II 50 ab ⁻¹
$\text{Br}(B^+ \rightarrow K^+ \tau^+ \tau^-) \cdot 10^5$	< 32	< 6.5	< 2.0
$\text{Br}(B^0 \rightarrow \tau^+ \tau^-) \cdot 10^5$	< 140	< 30	< 9.6
$\text{Br}(B_s^0 \rightarrow \tau^+ \tau^-) \cdot 10^4$	< 70	< 8.1	—
$\text{Br}(B^+ \rightarrow K^+ \tau^\pm e^\mp) \cdot 10^6$	—	—	< 2.1
$\text{Br}(B^+ \rightarrow K^+ \tau^\pm \mu^\mp) \cdot 10^6$	—	—	< 3.3
$\text{Br}(B^0 \rightarrow \tau^\pm e^\mp) \cdot 10^6$	—	—	< 1.6
$\text{Br}(B^0 \rightarrow \tau^\pm \mu^\mp) \cdot 10^6$	—	—	< 1.3



Belle II schedule (updated)

5 ab^{-1} ~2024
50 ab^{-1} 2031



Schedule changes quite often.

Probably not sensible to keep showing them (or talking in terms of years).