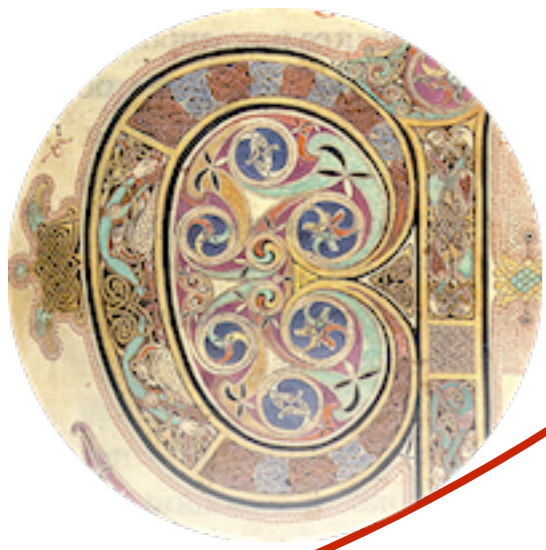


# Axion Strings in the Sky

Prateek Agrawal



Planck 2021

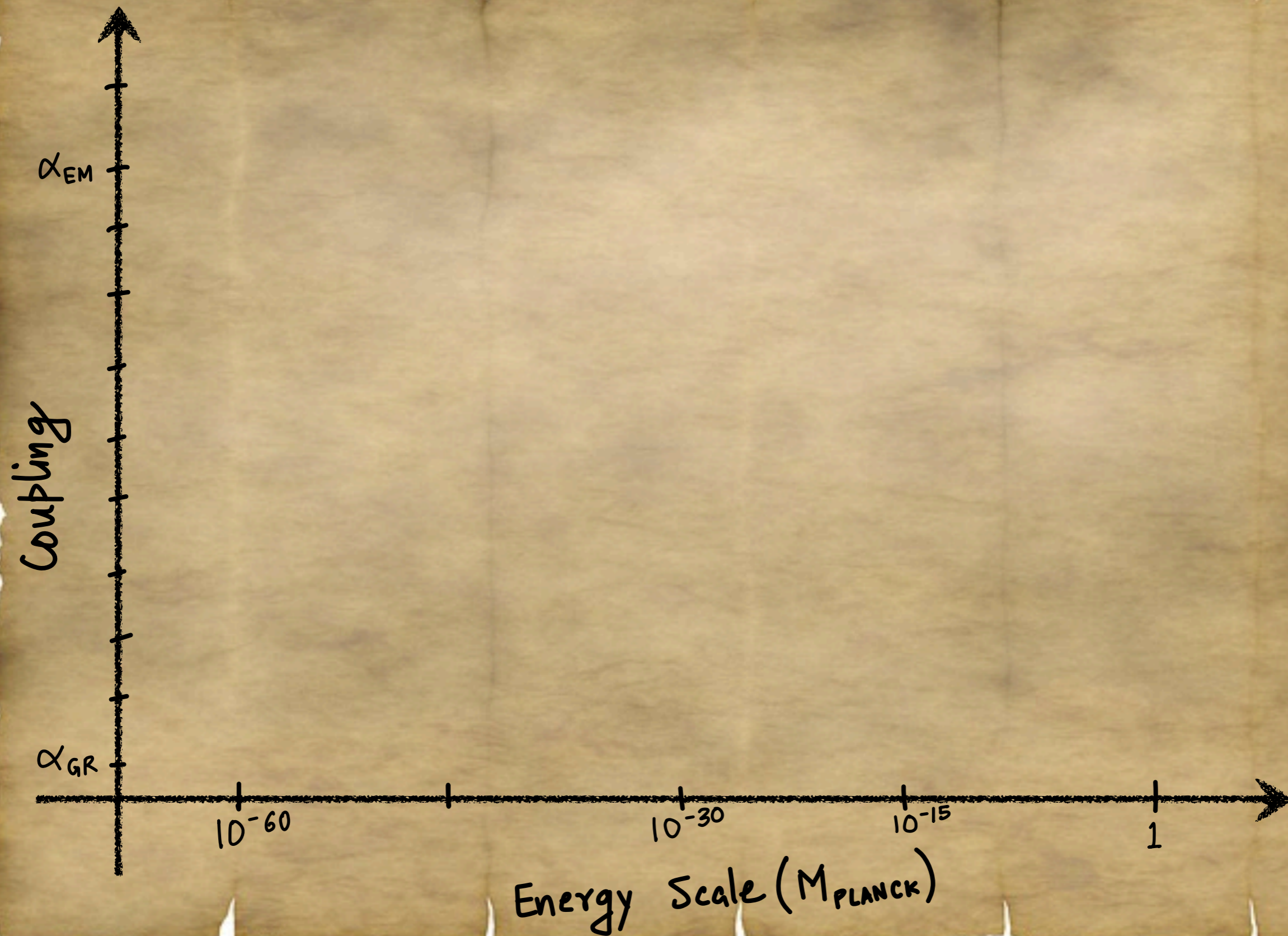


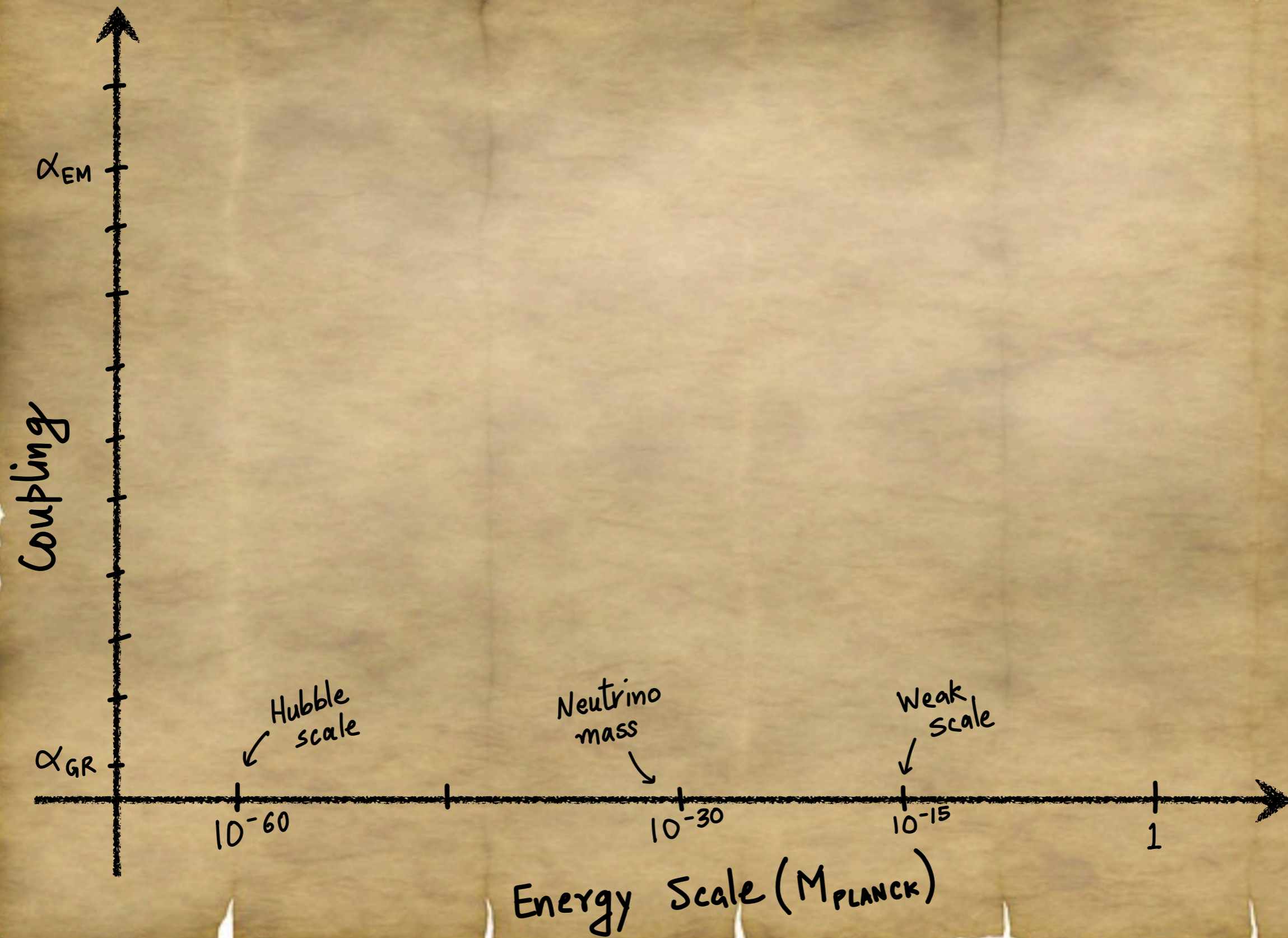
[1912.02823]  
PA, Anson Hook, Junwu Huang  
[2010.15848]  
+Gustavo Marques-Tavares

# FANTASTIC BEASTS

AND WHERE  
TO FIND THEM



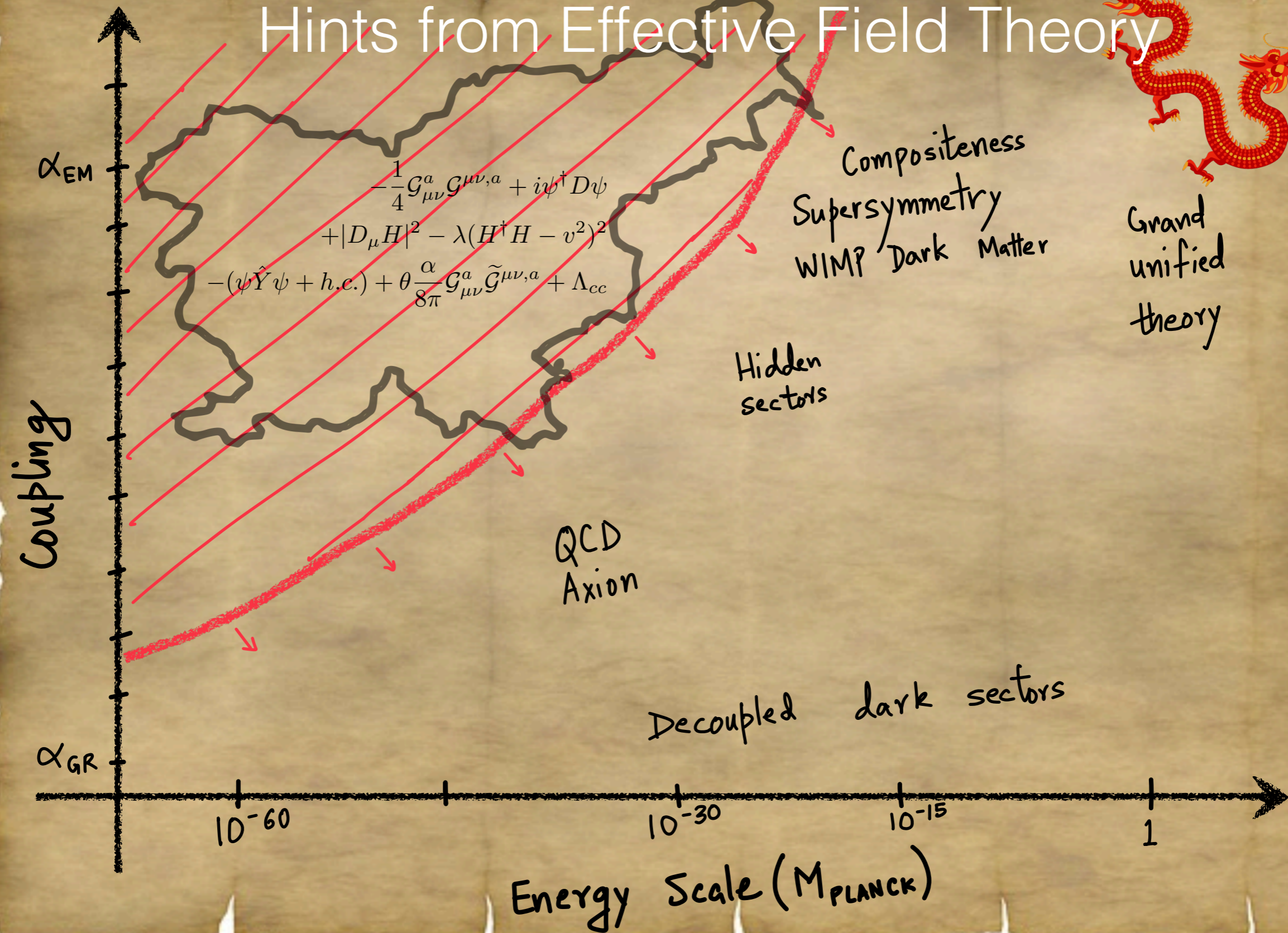




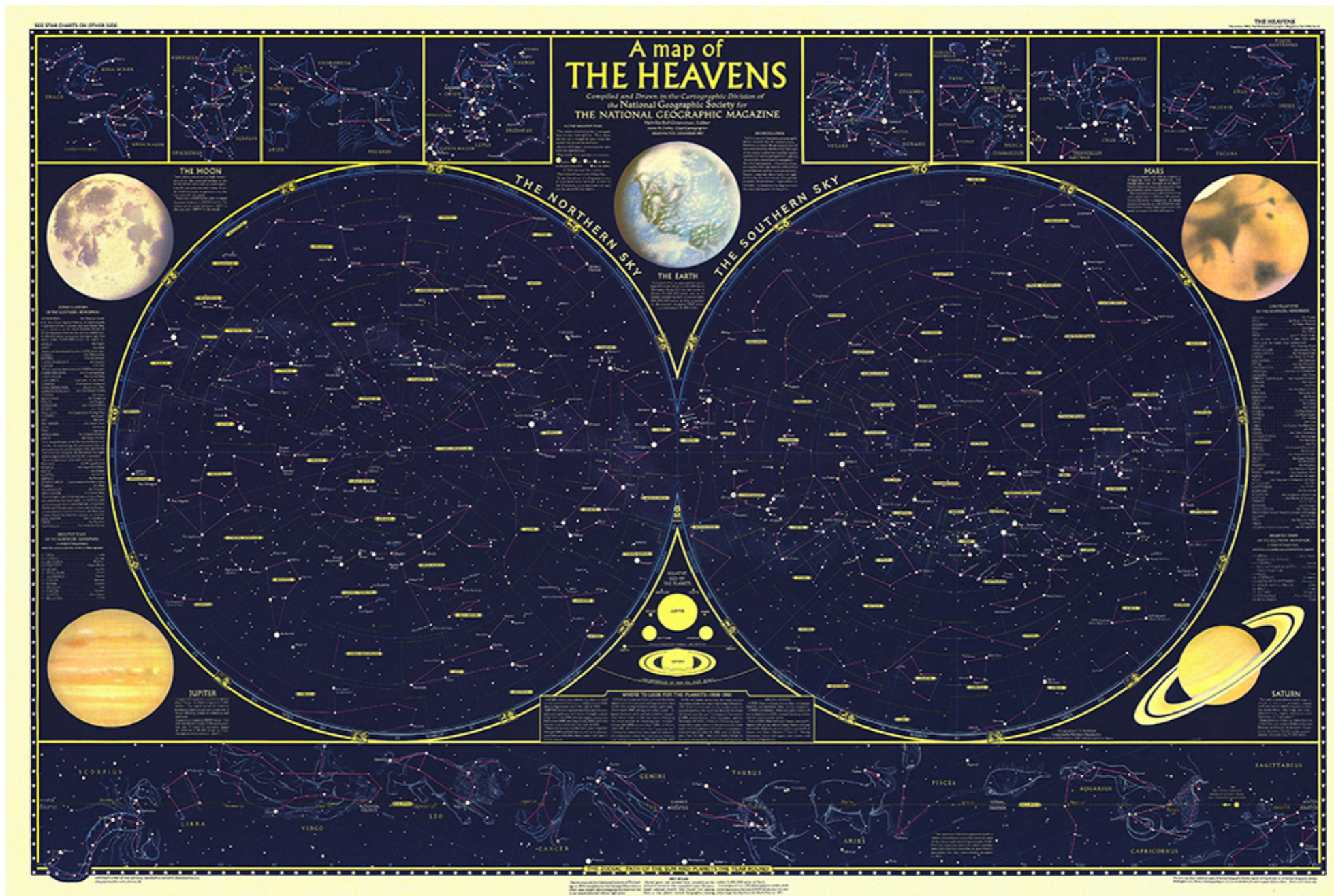
# Hints from Effective Field Theory



# Hints from Effective Field Theory



# New Guides from Cosmology & Quantum Gravity

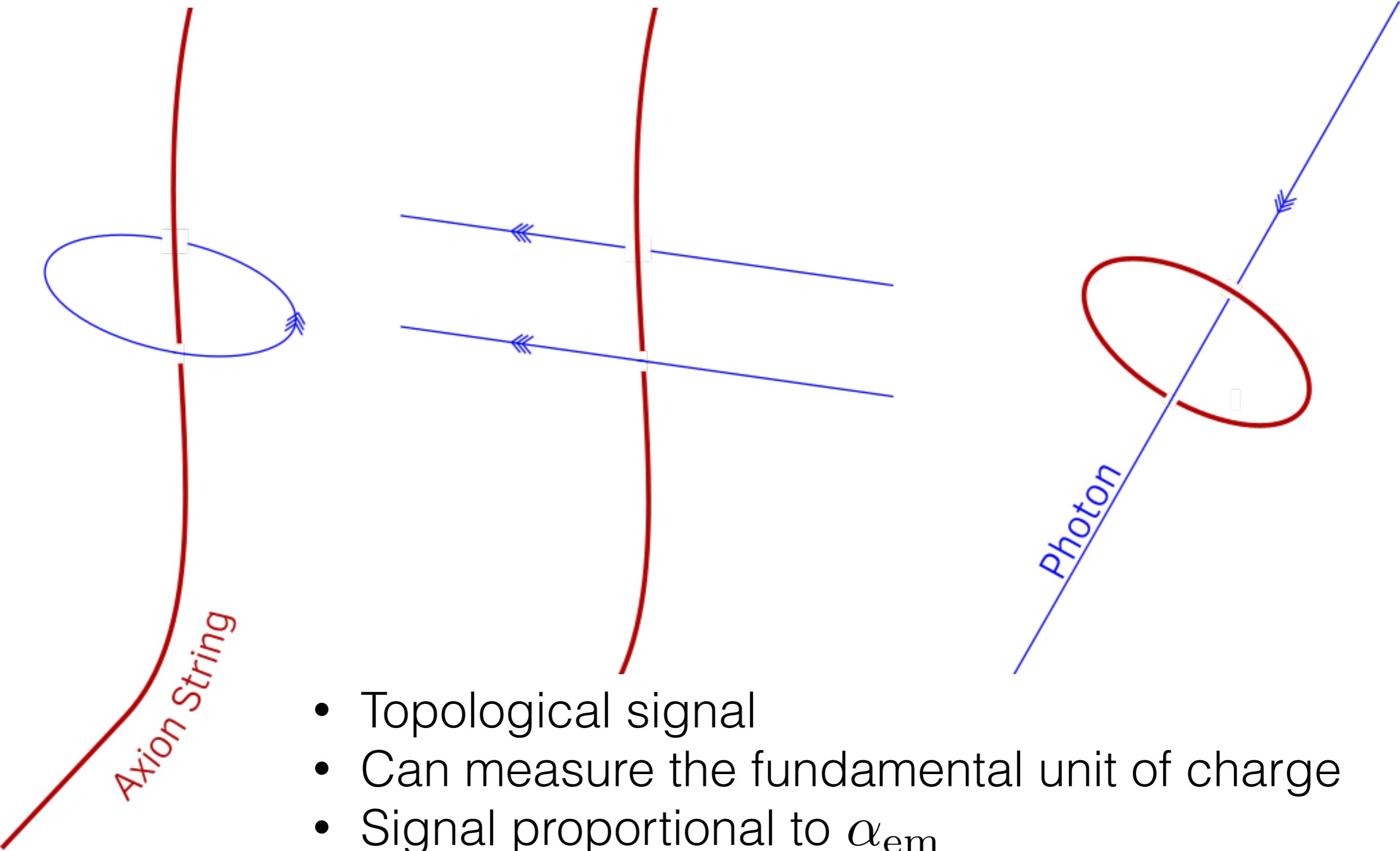


New pheno opportunities from the String Landscape and the Swampland

Vafa [[hep-th/0509212](https://arxiv.org/abs/hep-th/0509212)]

see also talk by Irene Valenzuela

# Millikan Experiment in the Sky



- Topological signal
- Can measure the fundamental unit of charge
- Signal proportional to  $\alpha_{\text{em}}$

# Axions

Axions are compelling new physics candidates

Peccei, Quinn (1977)

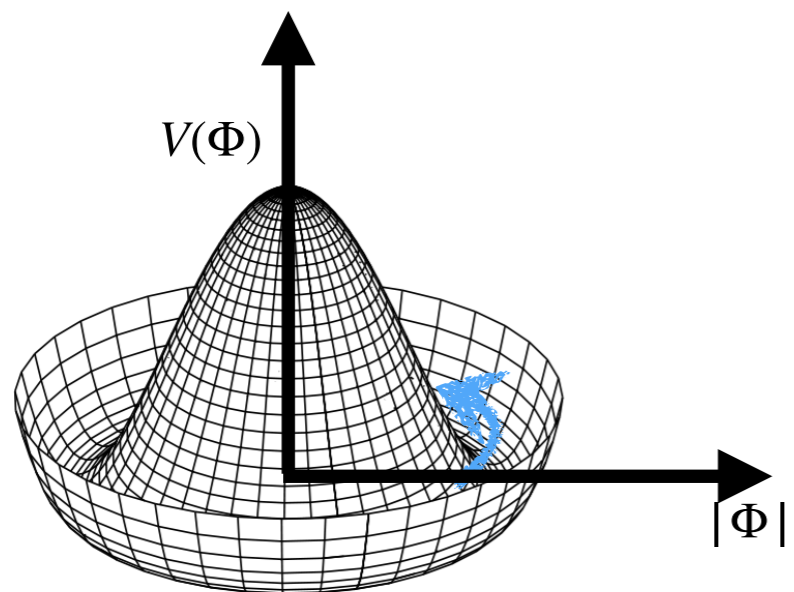
Weinberg (1978)

Wilczek (1978)

Light due to their nature as (pseudo)-Nambu-Goldstone Bosons (pNGBs)

Associated with spontaneous breaking of a global U(1) Peccei-Quinn symmetry

Naturally coupled to gauge fields in the Standard Model



$$\Phi = f e^{ia/f}$$

$$\mathcal{L} = -\frac{1}{4} F_{\mu\nu} F^{\mu\nu} + \frac{a}{f} \frac{\mathcal{A} \alpha_{\text{em}}}{8\pi} F_{\mu\nu} \tilde{F}^{\mu\nu}$$

$$\left( \tilde{F}^{\mu\nu} = \frac{1}{2} \epsilon^{\alpha\beta\mu\nu} F_{\alpha\beta} \right)$$

# No-Global Symmetries in Quantum Gravity

PQ symmetry must be explicitly broken

Expect some mass from instantons / quantum gravity effects

The mass can be exponentially suppressed  $\sim \exp(-S_E)$

A wide range of masses

## The String Axiverse

String theory predicts a plethora of axions

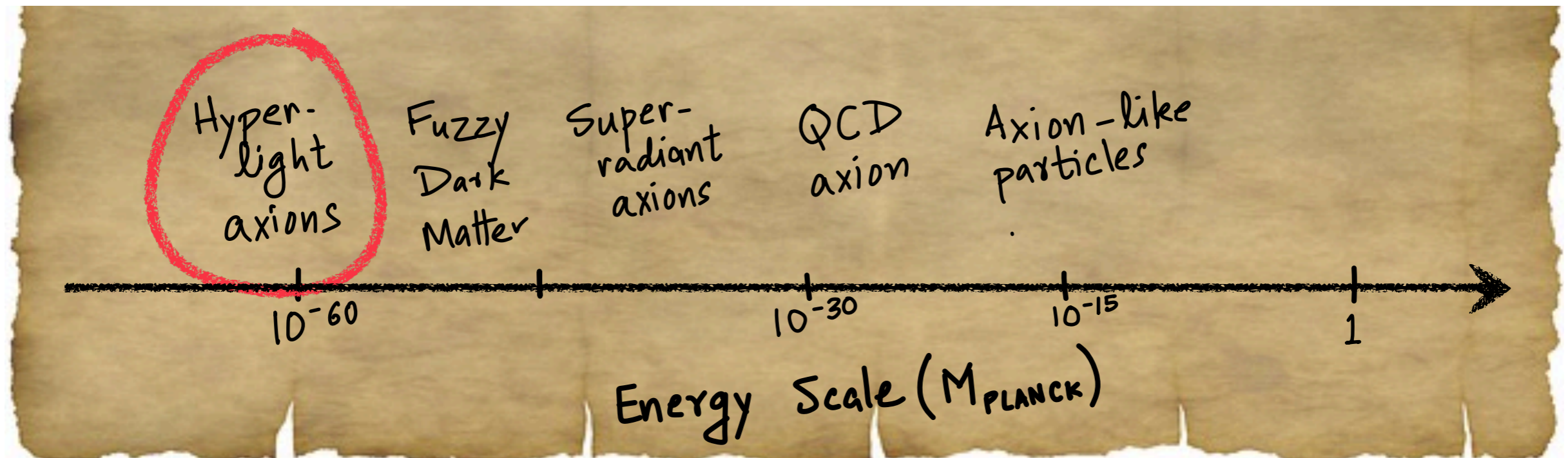
“hundreds of axions, some of them massless”

[arXiv:0905.4720]

Arvanitaki, Dimopoulos, Dubovsky,  
Kaloper, March-Russell

[arXiv:1808.01282]

Demirtas, Long, McAllister, Stillman

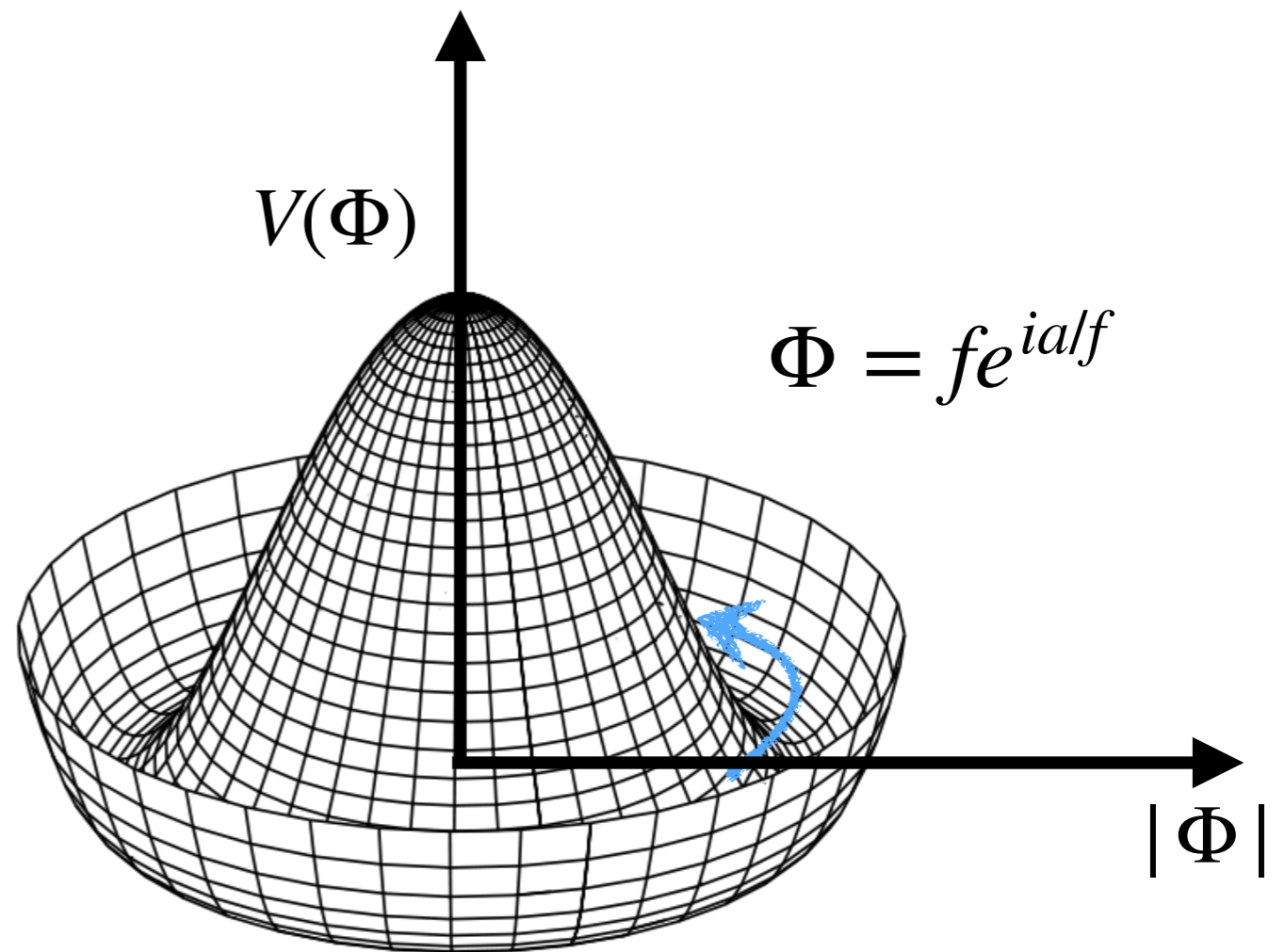
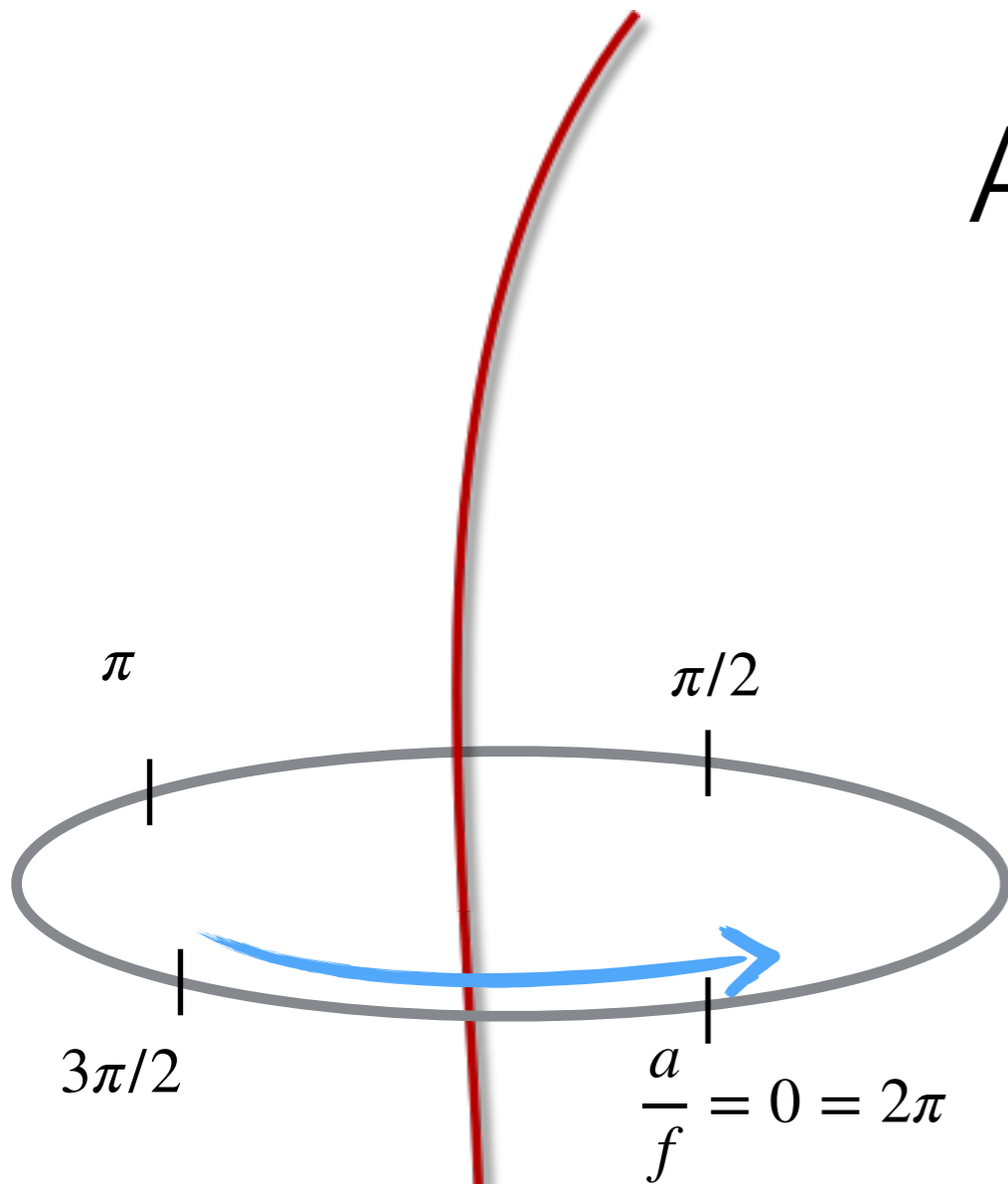


# Axion Strings

Compact scalar field

$$a = a + 2\pi f$$

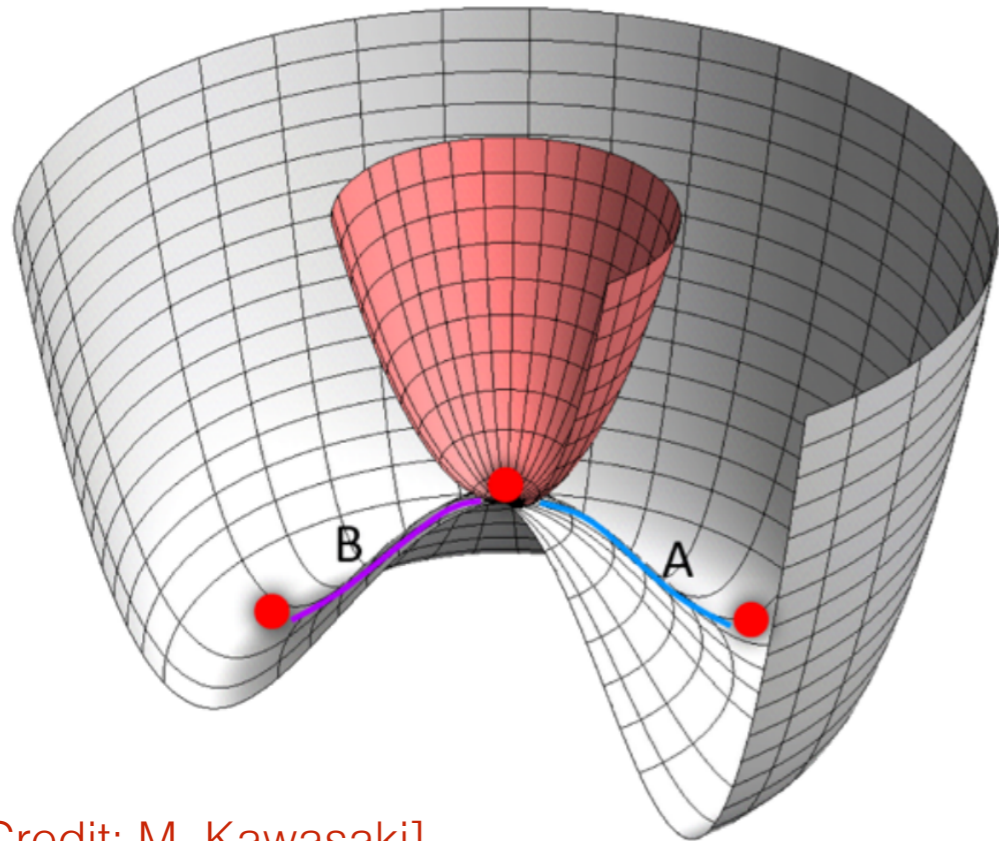
axion decay constant



String tension

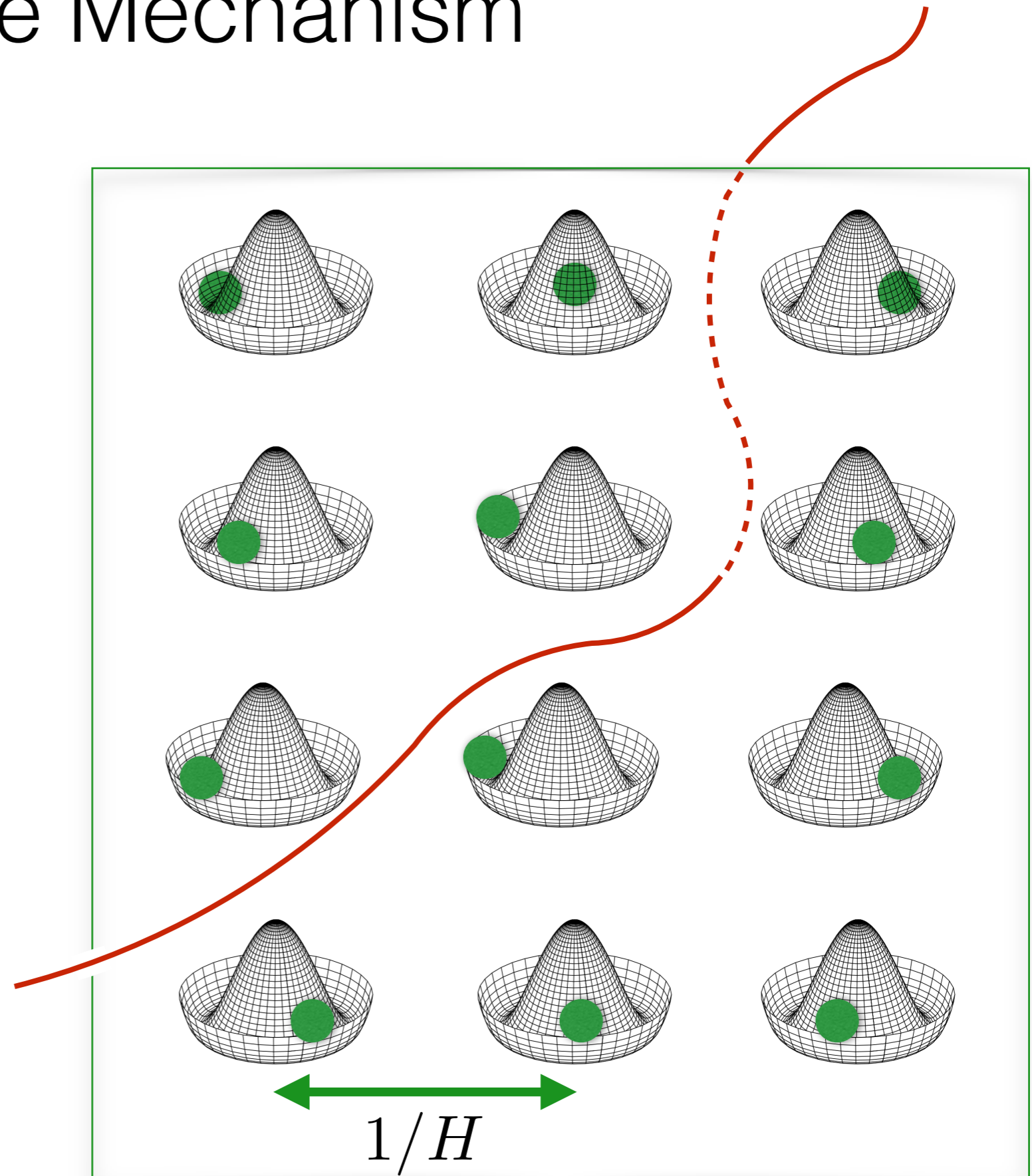
$$\mu \simeq \pi f^2 \log \frac{\Lambda_{uv}}{\Lambda_{ir}}$$

# Kibble Mechanism

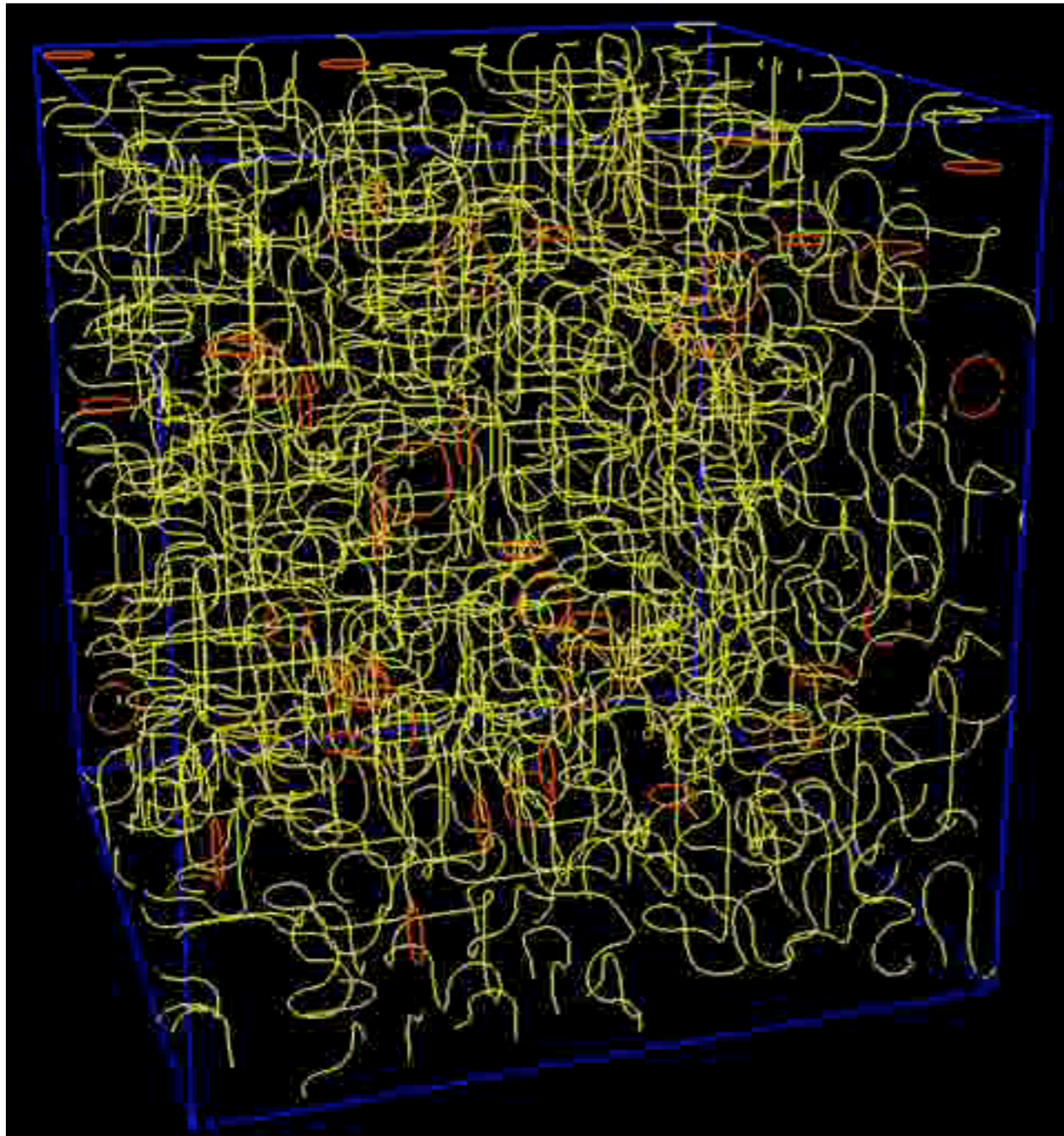


[Credit: M. Kawasaki]

Phase transition to the broken state in the early universe



# The String Network



String interactions are complicated,  
understood by numerical simulations

String energy density follows a scaling law

$$\rho_{\text{strings}} \simeq \xi \mu H^2$$

$$10^3 > \xi > 1$$

Equivalent to  $\xi$  strings per Hubble volume

Network is dominated by infinitely long  
strings with structure at scale  $1/H$

For massless axions:  
Once formed, there are always a  
few strings per Hubble

[C. Martins & E. P. Shellard]

# Axion Electrodynamics

$$\mathcal{L} = -\frac{1}{4}F_{\mu\nu}F^{\mu\nu} + \frac{a}{f} \frac{\mathcal{A}\alpha_{\text{em}}}{8\pi} F_{\mu\nu} \tilde{F}^{\mu\nu}$$

Axion-photon coupling modifies Maxwell equations

$$\nabla \cdot \mathbf{E} = \tilde{\rho} - \kappa \nabla a \cdot \mathbf{B},$$

$$\nabla \times \mathbf{E} = -\partial \mathbf{B} / \partial t,$$

$$\nabla \cdot \mathbf{B} = 0,$$

$$\nabla \times \mathbf{B} = \partial \mathbf{E} / \partial t + \tilde{\mathbf{j}} + \kappa (\dot{a} \mathbf{B} + \nabla a \times \mathbf{E}),$$

new charge and currents  
in axion gradients in  
background magnetic  
field

$$\left( \kappa = \frac{\mathcal{A}\alpha_{\text{em}}}{2\pi f} \right)$$

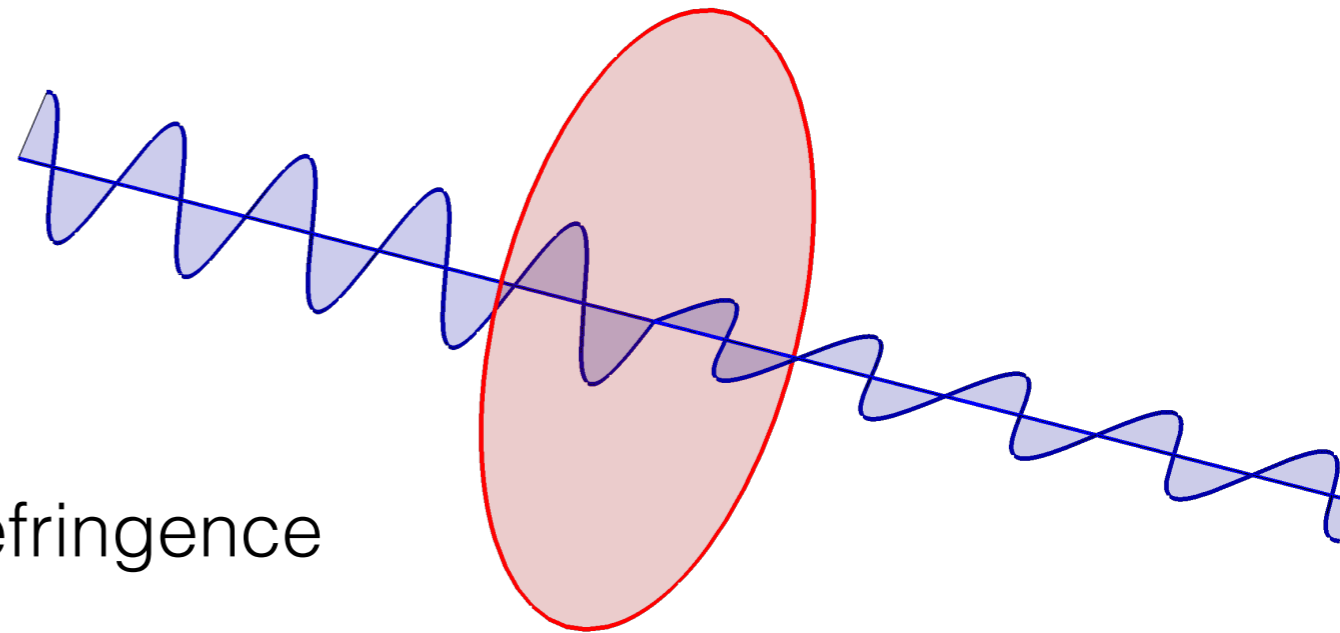
Wilczek [Phys. Rev. Lett. **58**, 1799, (1987)]

# Photons in Axion String Background

Solve plane waves in axion electrodynamics

$$A_{\pm}(\eta, z) = A_{\pm}(0, 0)e^{i(kz - \omega\eta)}e^{\pm i\Delta\Phi(\eta, z)}$$

$$\Delta\Phi(\eta, z) = \frac{\mathcal{A}\alpha_{\text{em}}}{2\pi f} (a(\eta, z) - a(0, 0))$$



Rotation of linear polarization: axion birefringence

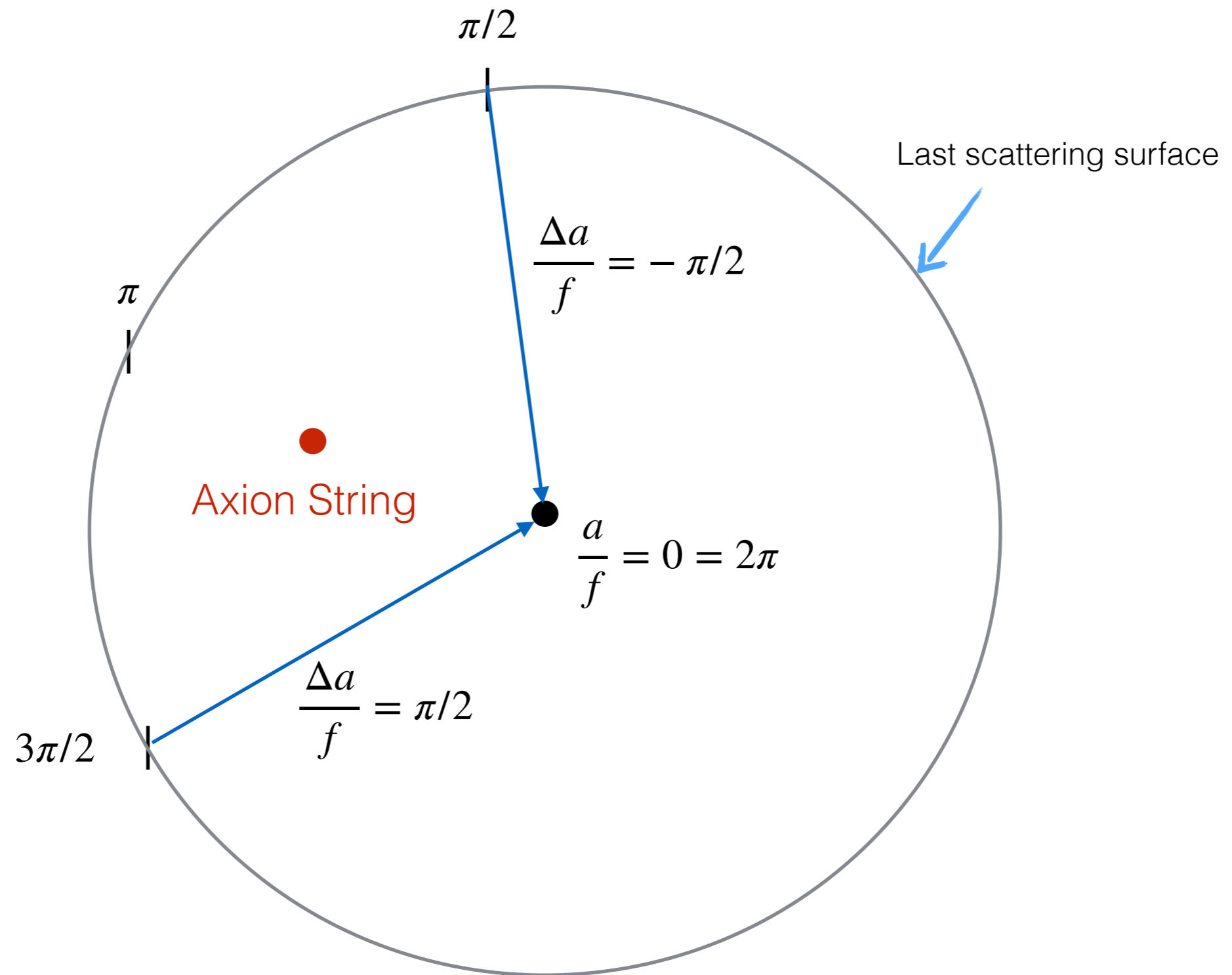
Aharonov-Bohm like effect for trajectory around a string  $\Delta a = 2\pi f$

$$\Delta\Phi = \mathcal{A}\alpha_{\text{em}}$$

$\mathcal{A}$  is quantized in units of fundamental quantum of charge

Access to measuring  $\mathcal{A}$  directly!

# Polarization Rotation of CMB Photons



# A Toy Simulation

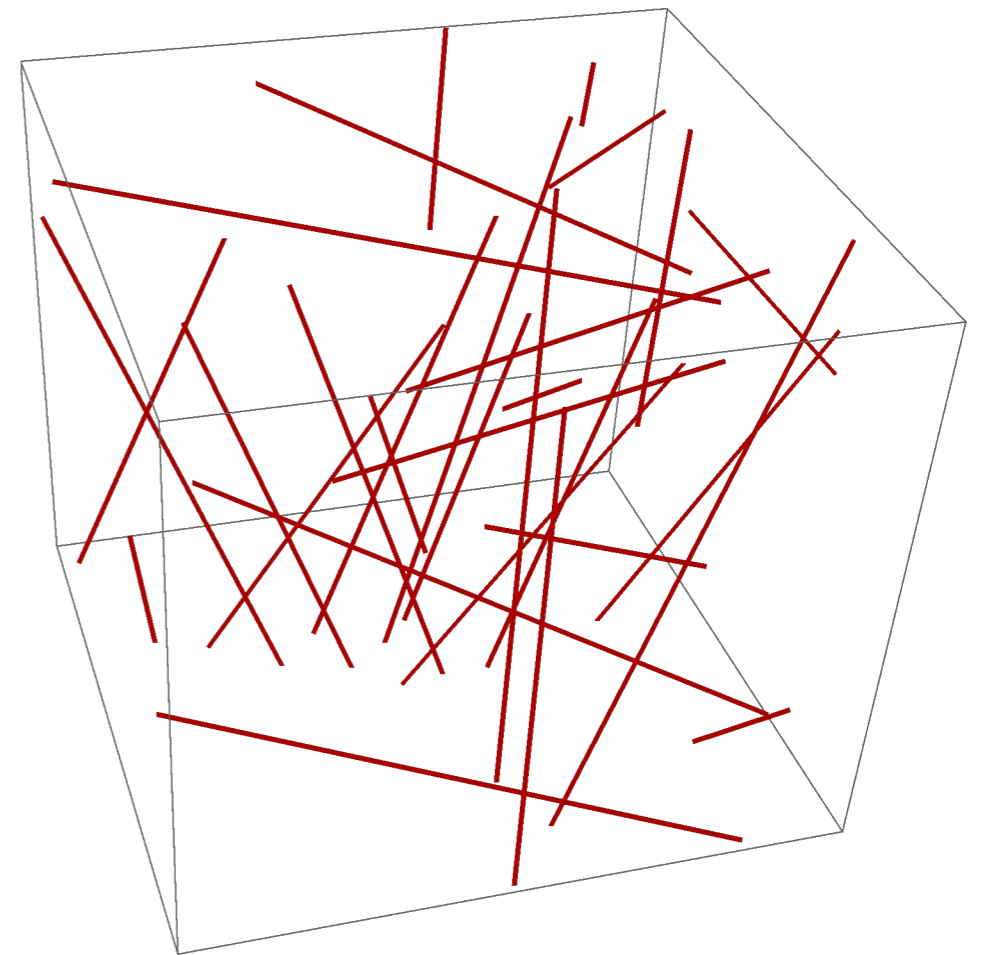
Model String network by

- Infinitely long, straight strings
- Total number of strings follow scaling  $\rho_{\text{strings}} \simeq \xi \mu H^2$
- Spatially uniform, random orientation

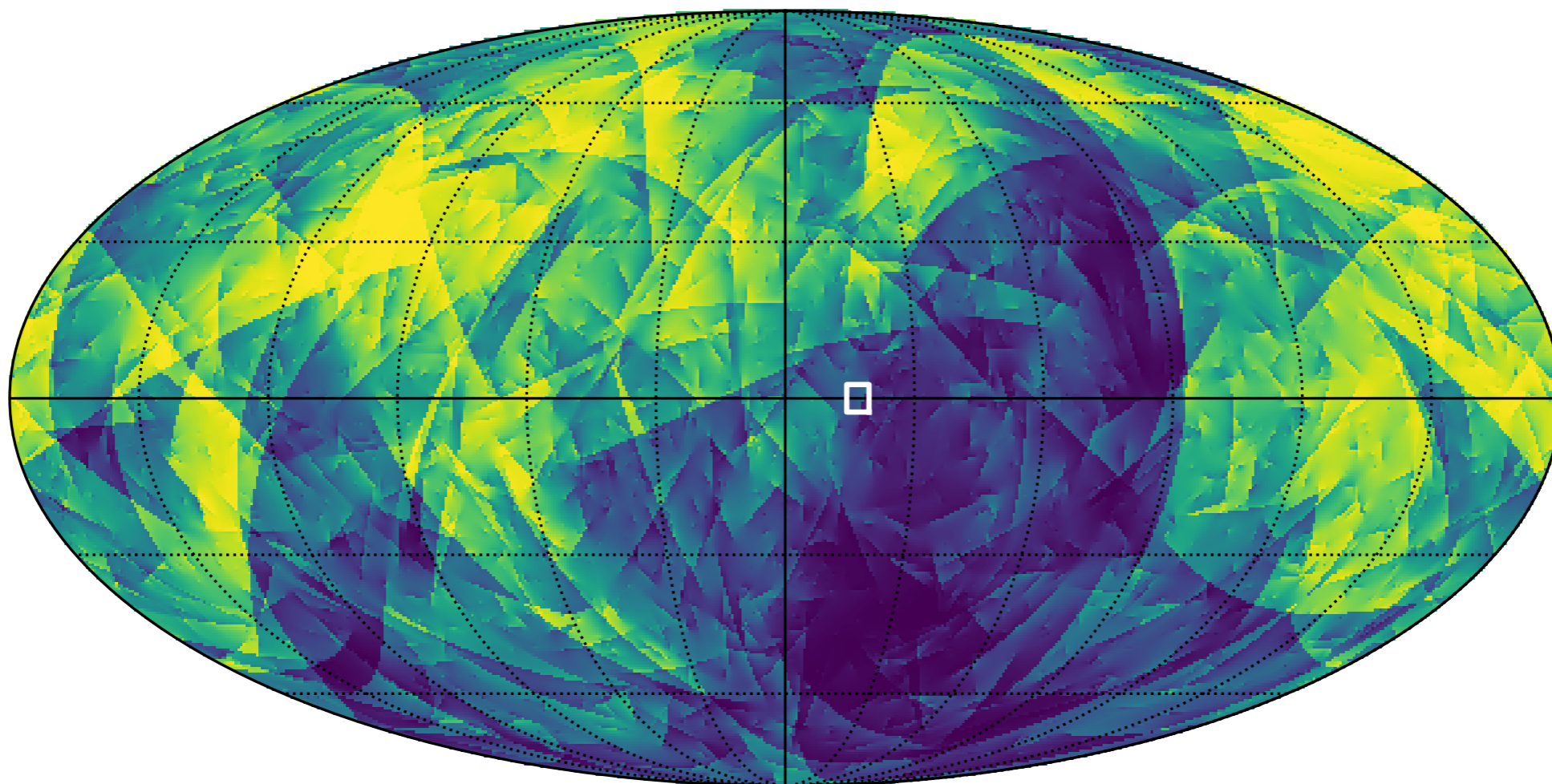
Strings are removed randomly to maintain scaling

Pass photons through this network, adding up their polarization rotations along trajectory

Captures larger angular scale correlations well



# Sky map

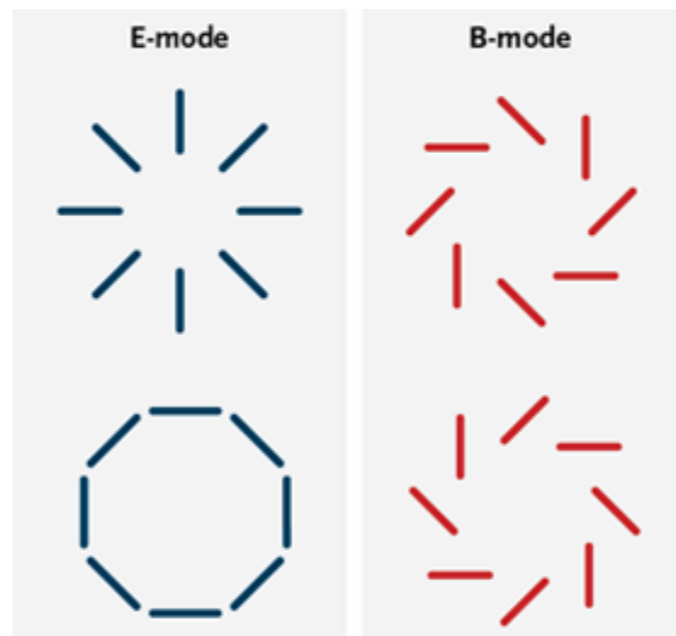


$$\frac{\Delta\Phi}{\sqrt{\xi}\mathcal{A}\alpha_{\text{em}}}$$

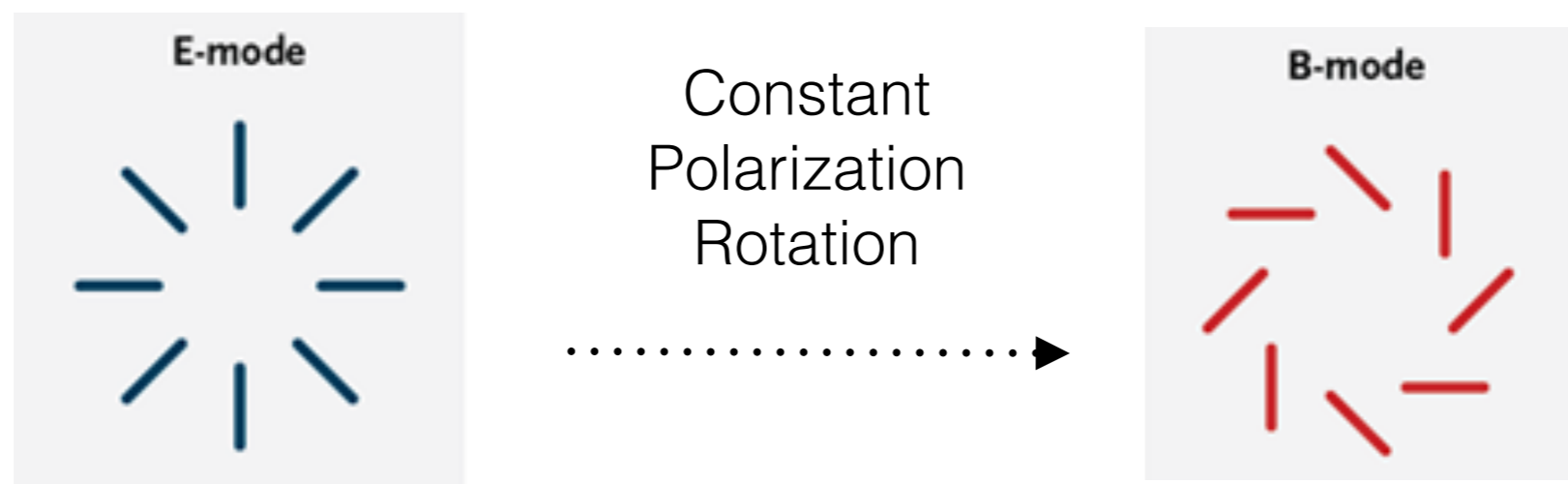
$$\xi = 1$$

# CMB Observables

CMB polarization can be decomposed in curl-free (E-mode) and divergence-free (B-mode)



Correlated B-modes generated from E-modes




# Cosmic Birefringence

For angle dependent rotation  $\Phi(\hat{n})$ , B-modes are convolution of  $\Phi_{LM}$  and E-modes

$$B_{lm} = 2 \sum_{LM} \sum_{l'm'} \Phi_{LM} E_{l'm'} \Xi_{lm l'm'}^{LM} H_{ll'}^L$$

Functions of Clebsch-Gordan coefficients

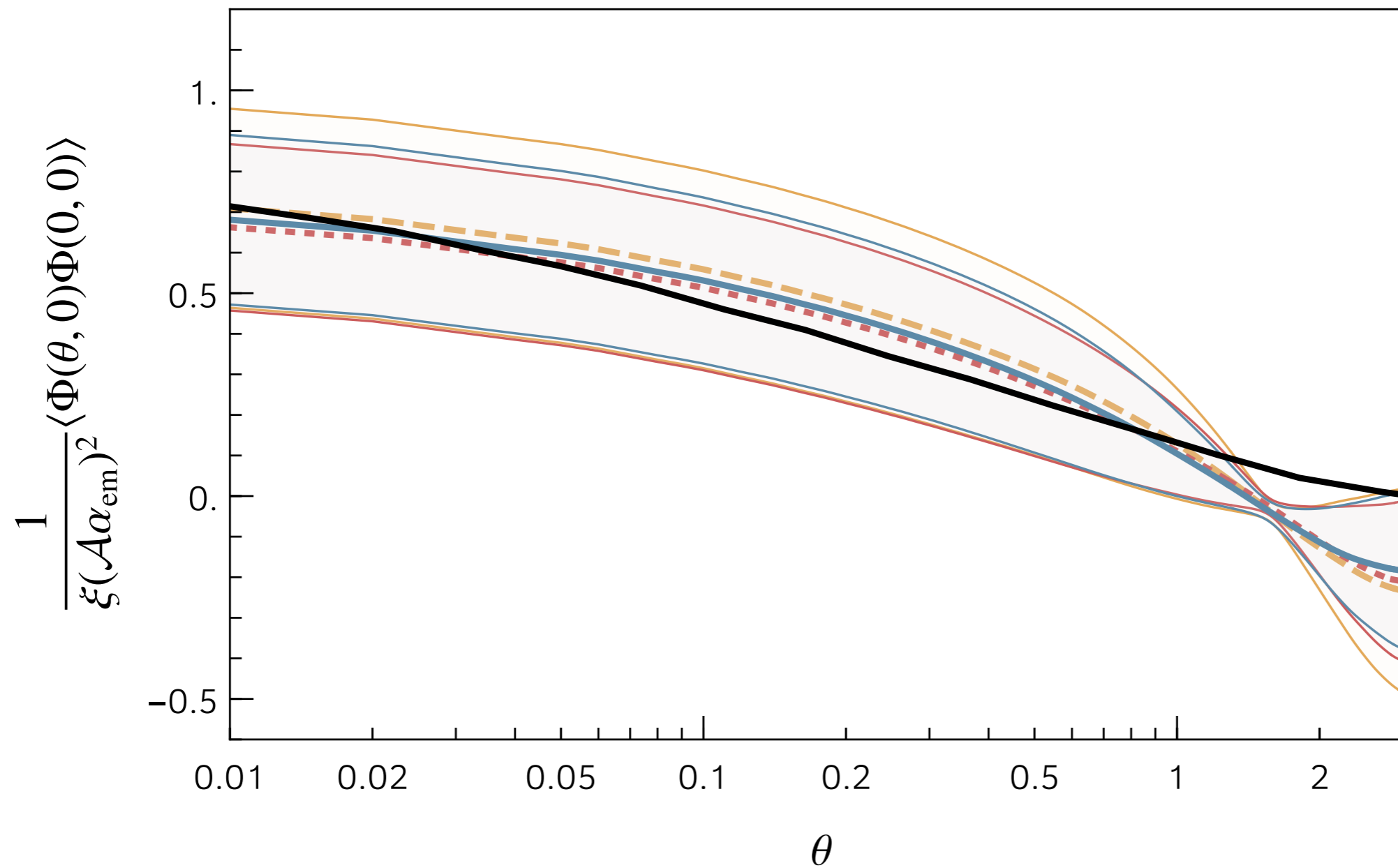


Estimator for  $\Phi_{LM}$  from E- and B-mode maps

$$[\hat{\Phi}_{LM}^{E^i B^j}]_{ll'} = \frac{2\pi}{(2l+1)(2l'+1)C_l^{EE} H_{ll'}^L} \sum_{mm'} B_{lm}^i E_{l'm'}^{j*} \Xi_{lm l'm'}^{LM}$$

Can be used to estimate the variance of the estimator from noise and background sources

# Two-point function

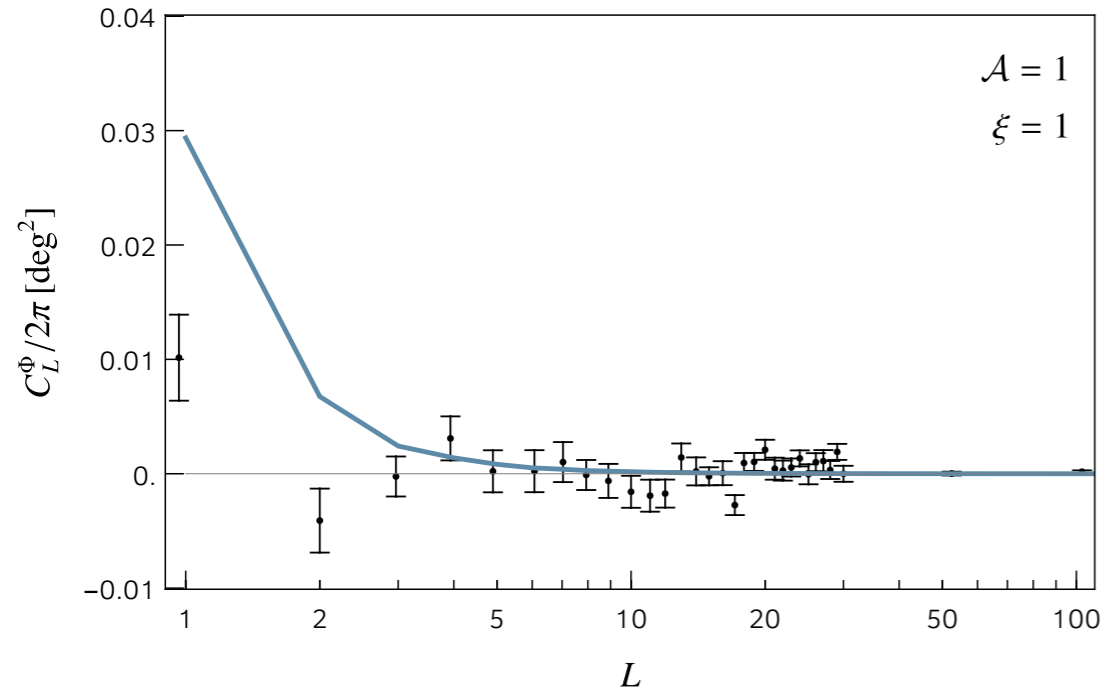


# Constraints / Forecasts

## Constraints

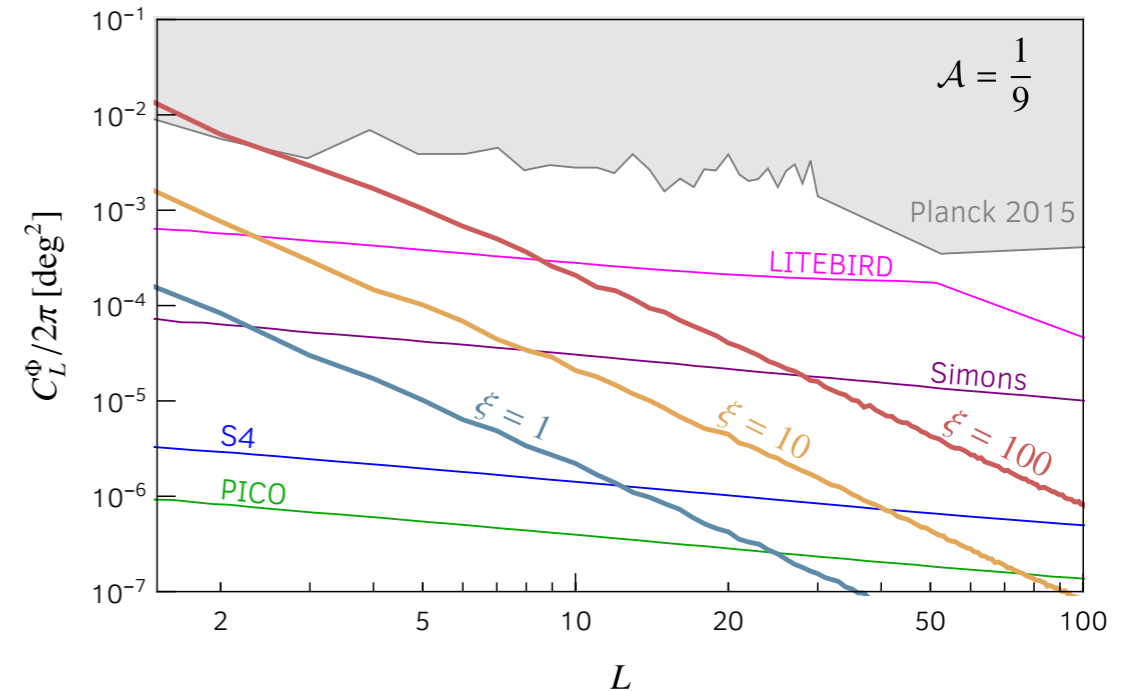
Planck 2015

Contreras, Boubel, Scott  
[arXiv:1705.06387]



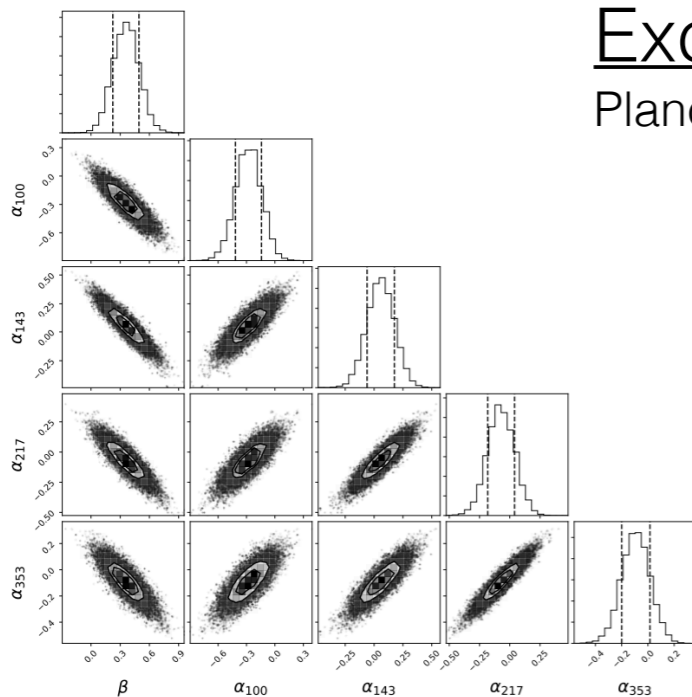
## Forecasts

Pogosian et al  
[arXiv:1904.07855]



## Excess in Birefringence ( $L = 0$ )

Planck 2018

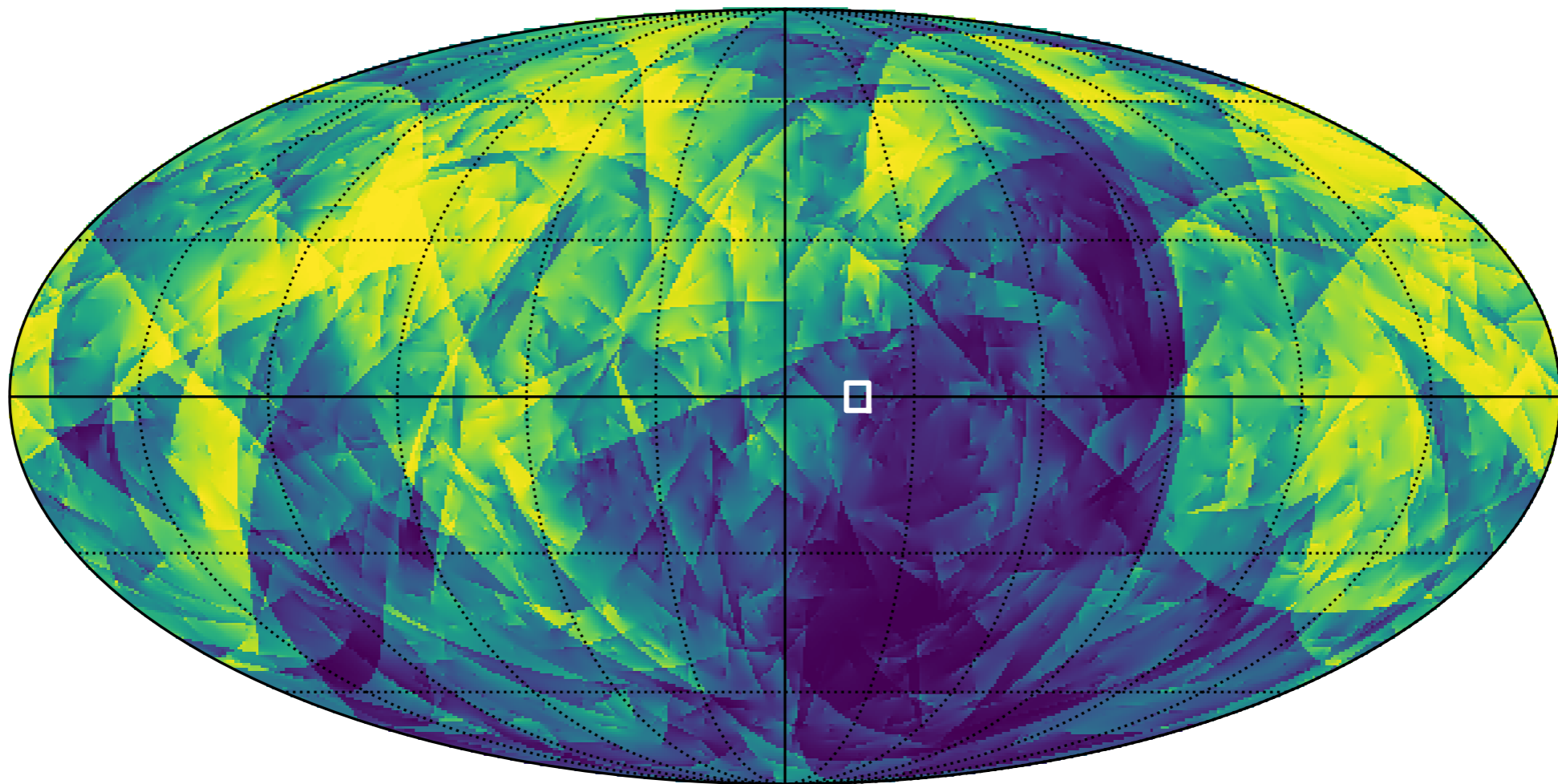


Stat:  $2.4\sigma$   
 $\beta = 0.35 \pm 0.14$  deg

$\alpha_{\text{em}} = 0.42$  deg

Minami, Komatsu  
[arXiv:2011.11254]

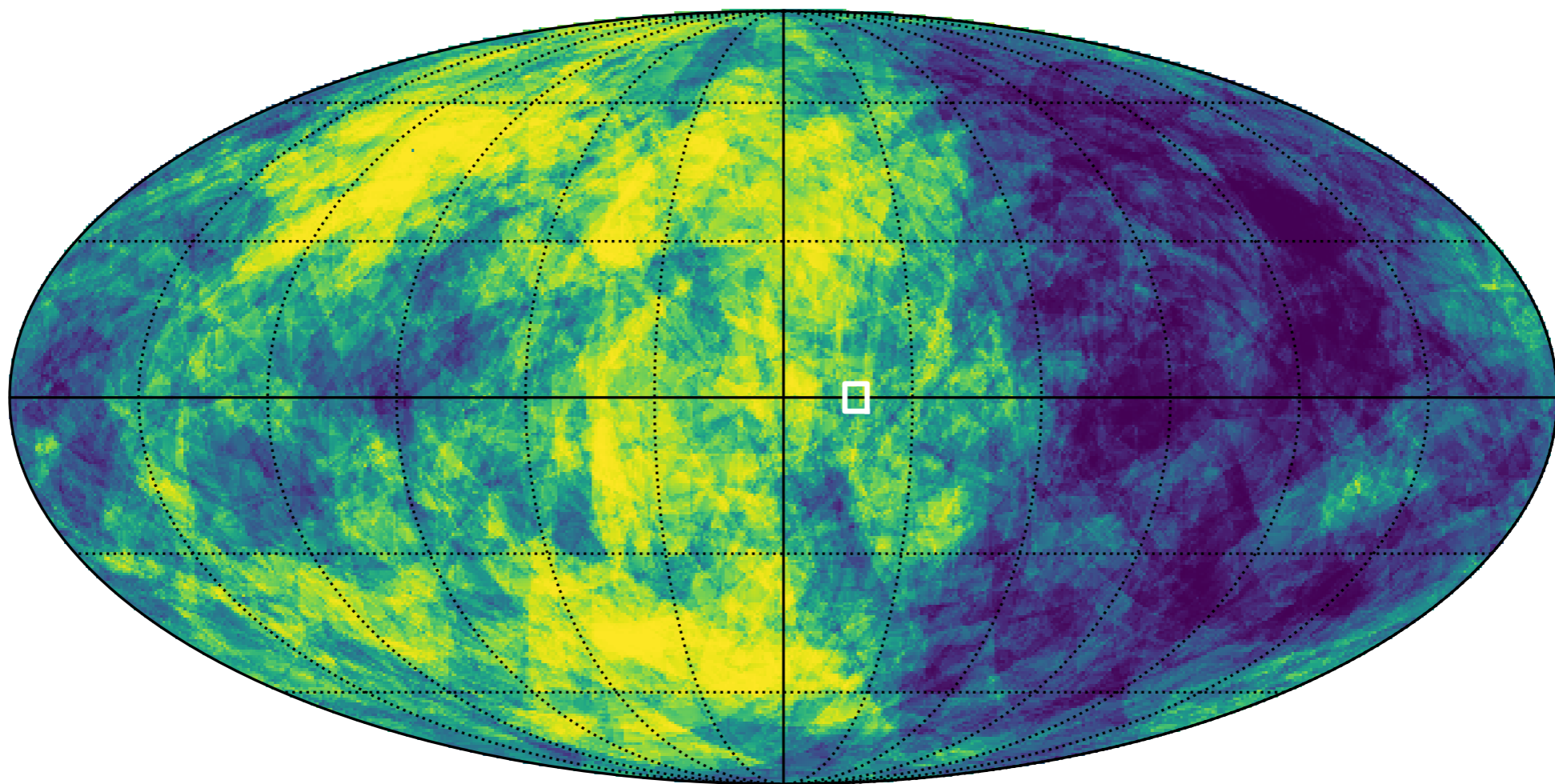
# Sky maps



$$\frac{\Delta\Phi}{\sqrt{\xi}\mathcal{A}\alpha_{\text{em}}}$$

$$\xi = 1$$

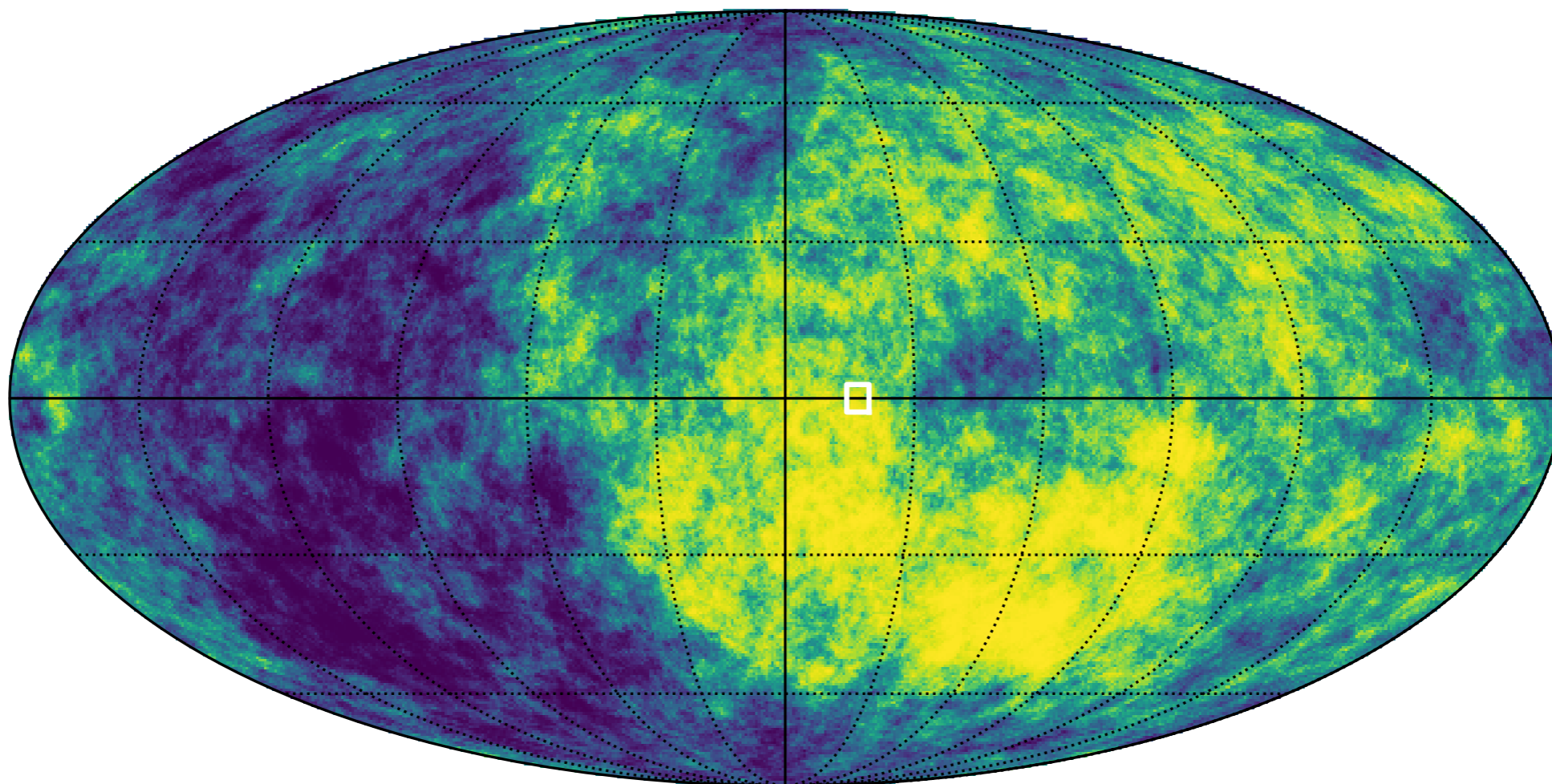
# Sky maps



$$\frac{\Delta\Phi}{\sqrt{\xi}\mathcal{A}\alpha_{\text{em}}}$$

$$\xi = 10$$

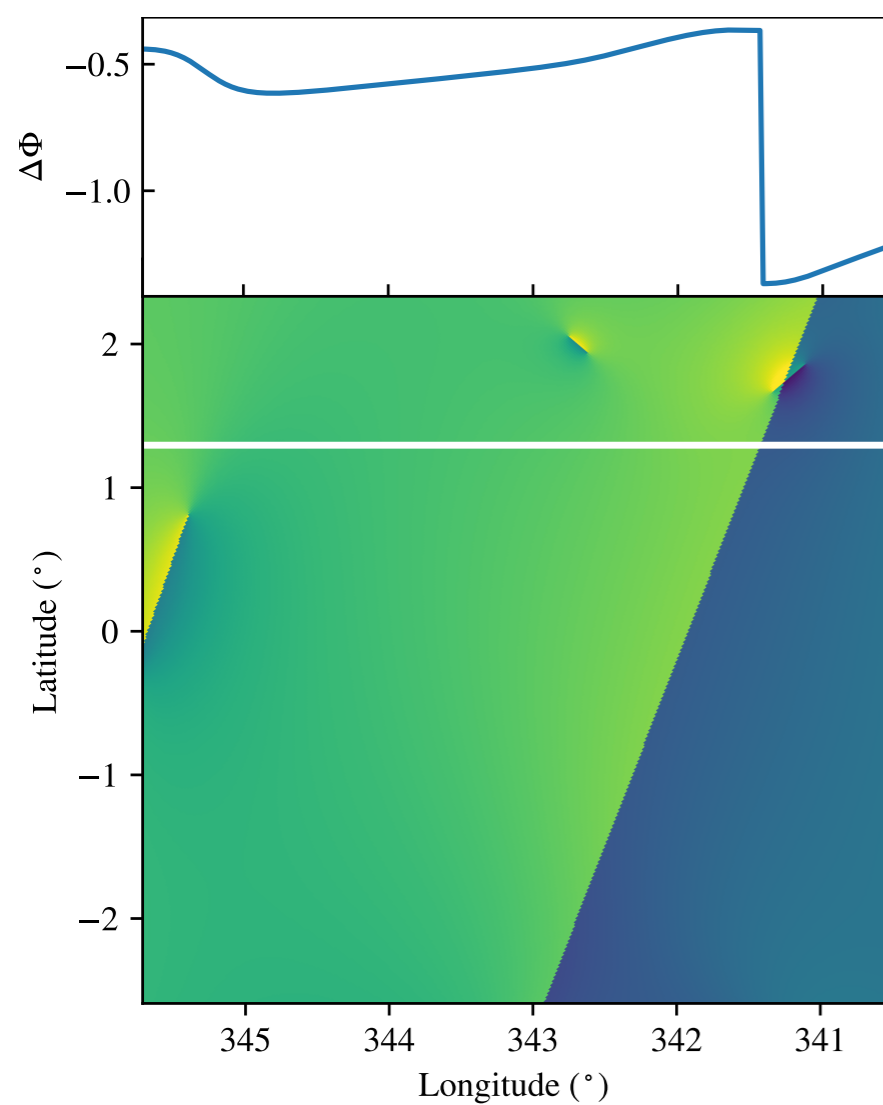
# Sky maps



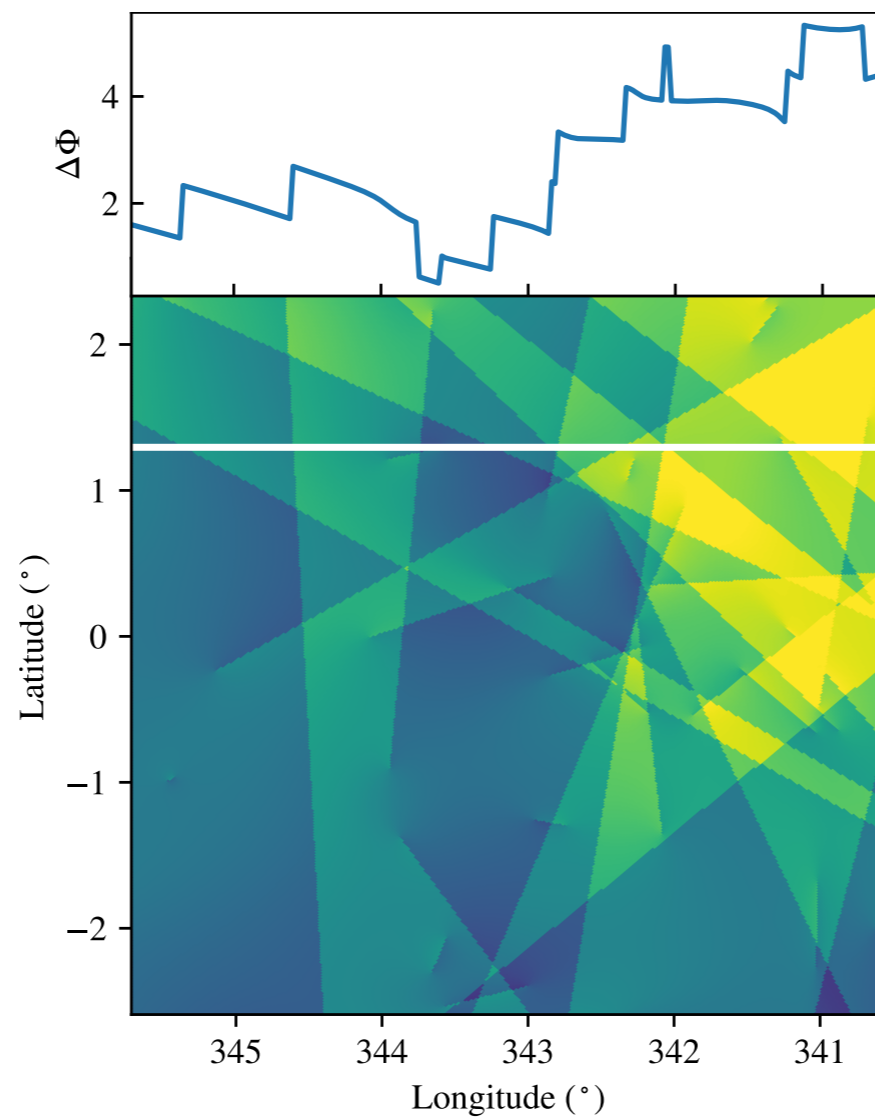
$$\frac{\Delta\Phi}{\sqrt{\xi}\mathcal{A}\alpha_{\text{em}}}$$

$$\xi = 100$$

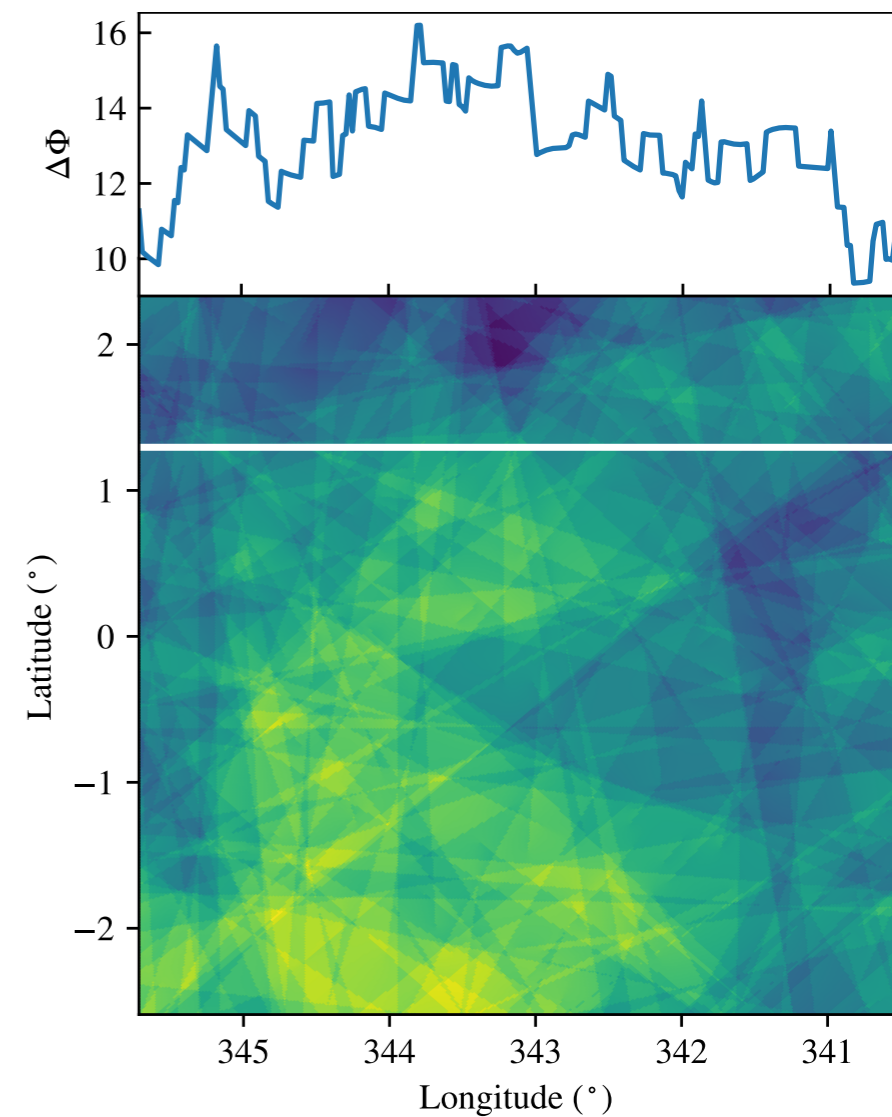
# Edge Detection



$$\xi = 1$$

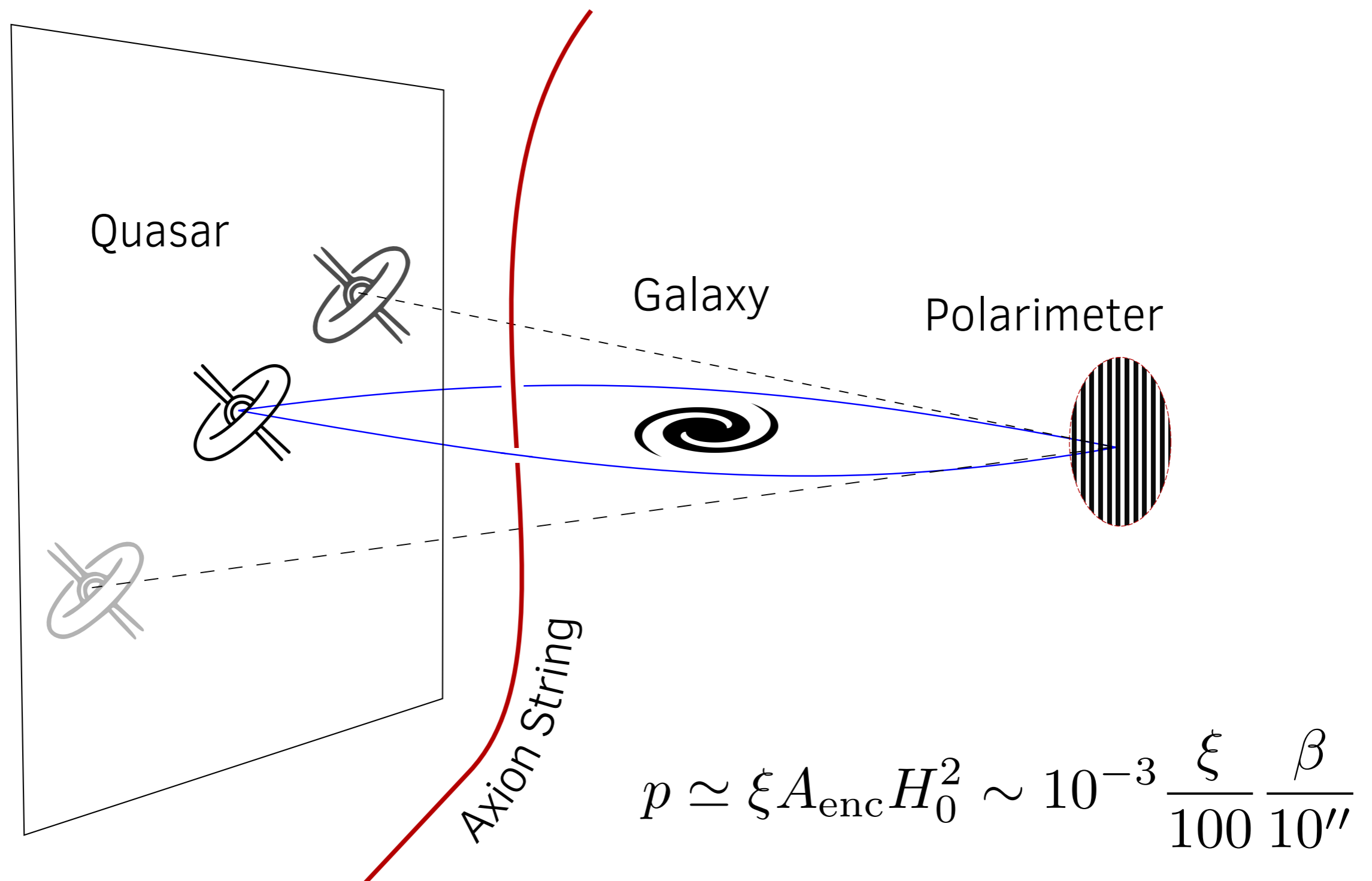


$$\xi = 10$$

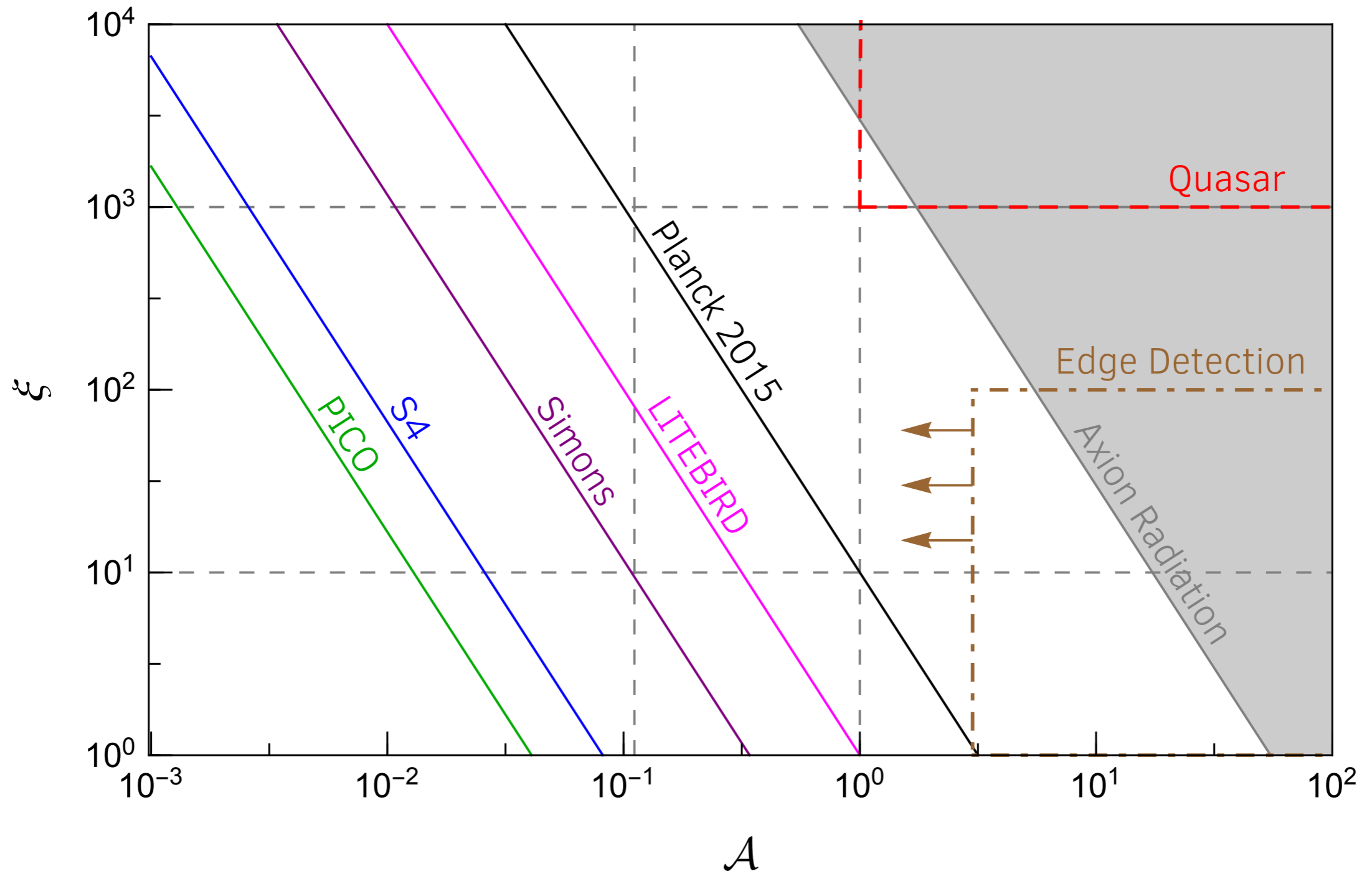


$$\xi = 100$$

# Lensed Quasar systems



# Reach Estimates



# Electromagnetic properties

## Axion strings are superconducting!

- Consequence of Atiyah-Singer index theorem and axion EM anomaly
- Chiral edge mode of PQ quark lives on the string
- Quantum Hall edge state
- E.g. only left-moving + charged state

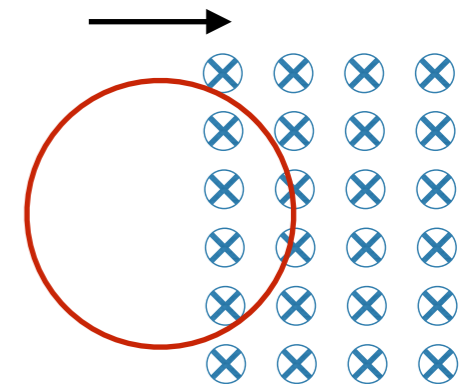
[Nucl.Phys.B 250 (1985)]  
Callan, Harvey

## Contrast with Witten's superconducting strings

- Witten strings are *local* strings (Abrikosov-Nielsen-Olesen strings)
- Non-chiral spectrum, equal number of + and - left-moving modes

[Nucl.Phys.B 249 (1985)]  
Witten

Crossing magnetic flux induces charge + current on the axion string



Witten strings are magnetic: induced currents when they cross magnetic field  
Axions strings are electric: both charges and currents are induced

# Charging Up Axion strings

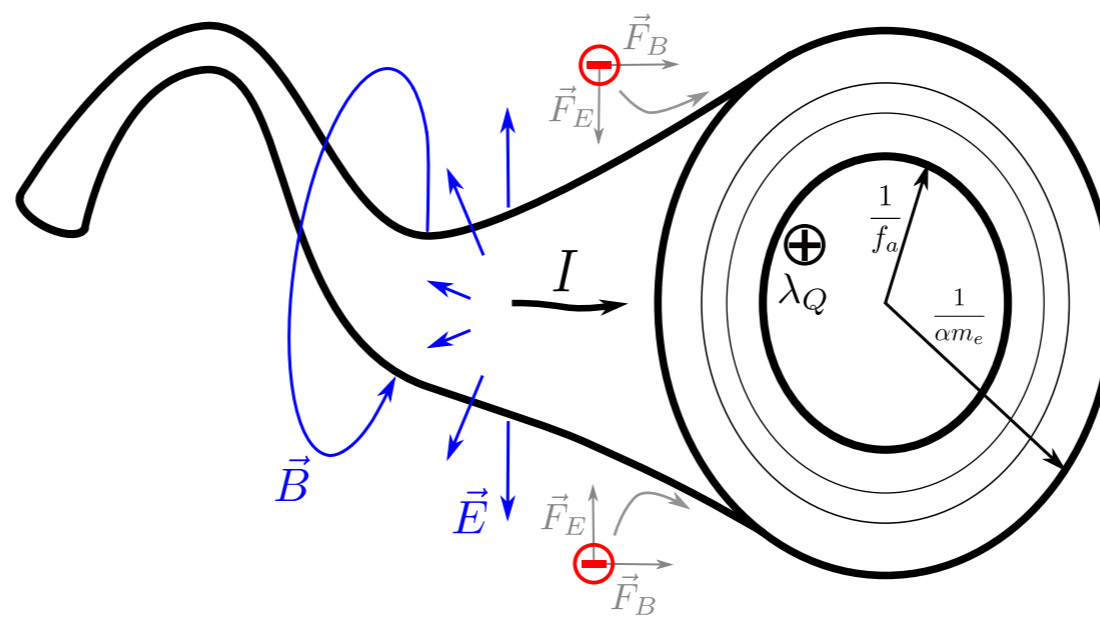
Axion strings encounter galaxies and galaxy clusters

$$N_K \simeq \xi H^3 L_{\text{string}} N_{\text{galaxy}} A_{\text{galaxy}} \approx 100 \left( \frac{\xi}{10} \right) \left( \frac{N_{\text{galaxy}}}{10^{12}} \right) \left( \frac{A_{\text{galaxy}}}{(10 \text{ kpc})^2} \right)$$

Galactic magnetic flux crossing the string charges up the string

$$\lambda_Q = \frac{e^2 \mathcal{A}}{2\pi} B_{\text{galaxy}} d_{\text{galaxy}} v_s \approx 3 \times 10^8 \text{ GeV} \left( \frac{\mathcal{A}}{1} \right) \left( \frac{B_{\text{galaxy}}}{5 \mu\text{G}} \right) \left( \frac{v_s}{0.1} \right) \left( \frac{d_{\text{galaxy}}}{10 \text{ kpc}} \right)$$

Electric (and magnetic) fields from the charge string result in a 1-d atom with SM plasma



# A Plasma Collider in the Sky

SM plasma around the string travels and collides with other wavepackets at very high energies

$$E \simeq \frac{e\lambda_Q}{2\pi} \log(f_a L)$$

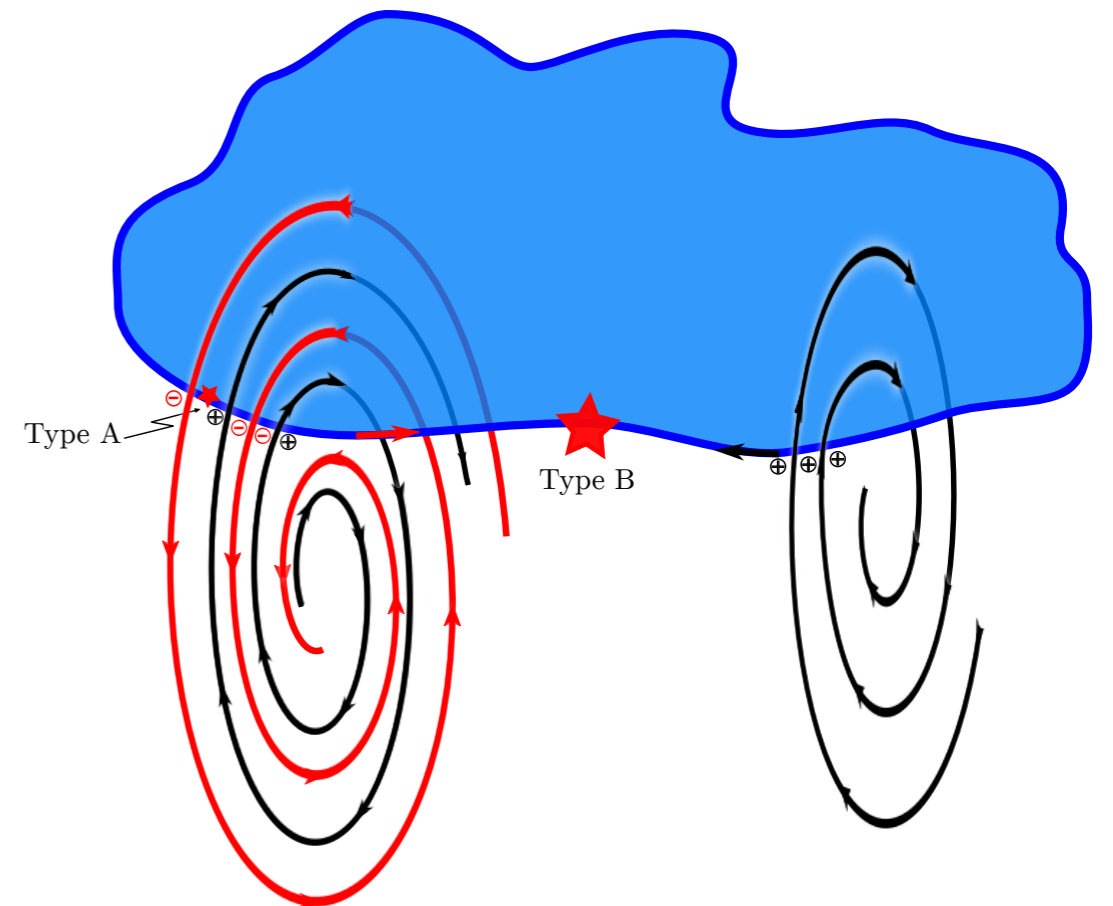
Collisions can be as bright as 10 million suns

$$P \simeq \frac{\lambda_Q^2}{2\pi} \log(f_a L) \approx 10^{40} \text{ erg/s} \left( \frac{\lambda_Q}{10^9 \text{ GeV}} \right)^2$$

Flux from the source at a cosmological distance

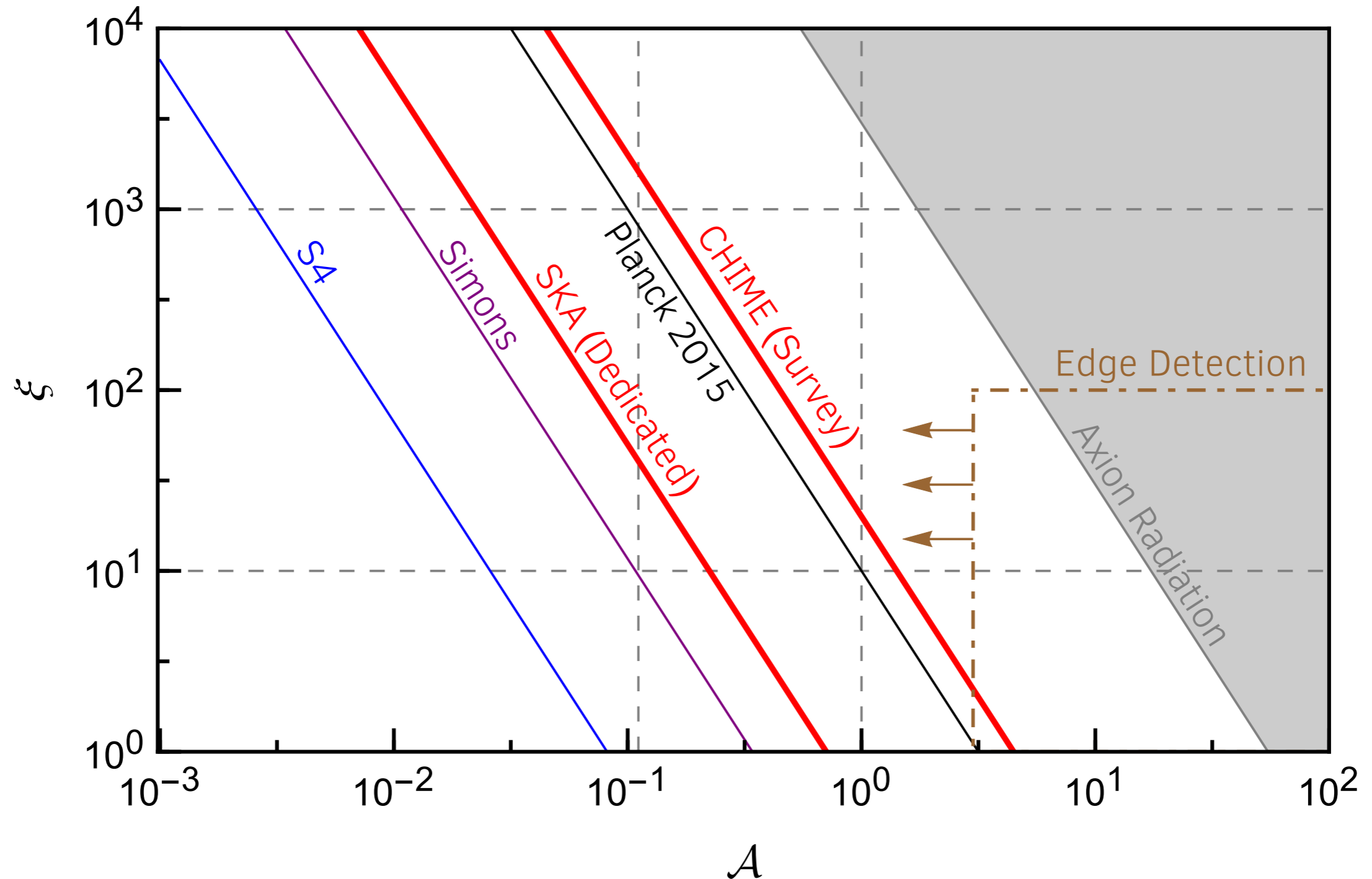
$$\frac{P}{A} \simeq 10^{-16} \text{ erg/s/cm}^2 \left( \frac{\xi \mathcal{A}^2}{1} \right)$$

Details of the spectrum hard to model, high energy emission reabsorbed in the dense plasma



Radio	$\left\{ \begin{array}{l} 2 \times 10^{-18} \text{ erg/s/cm}^2 \left( \frac{\text{SEFD}}{10^4 \text{ Jy}} \right) \left( \frac{B}{\text{GHz}} \right)^{1/2} \left( \frac{1000 \text{ hr}}{t_{\text{int}}} \right)^{1/2} \\ 5 \times 10^{-20} \text{ erg/s/cm}^2 \left( \frac{\text{SEFD}}{10 \text{ Jy}} \right) \left( \frac{B}{\text{GHz}} \right)^{1/2} \left( \frac{\text{hr}}{t_{\text{int}}} \right)^{1/2} \end{array} \right.$	(Survey)
Sensitivity		(Dedicated)

# Reach Estimates



Thank You!